

## Aristotle's Poetics, c. Xxv,

IN THE

Tight of the Hameric Sehalia,

BY

MITCHELL CARROLL.

## THESIS

ACCEPTED FOR THE DEGREE OF DOCTOR OF PHILOSOPHY, JOHNS HOPKINS UNIVERSITY, MAY, 1893.
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Ar. Poet., c. Xxv, 1460 b 13-15.

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# ARISTOTLE'S POETICS, C. XXV, 

INTHE

## LIGHT OF THE HOMERIC SCHOLIA.

After his treatment of Tragedy and Epos in the Poetics, Aristotle adds, in chapter xxv , a special section which treats of objections brought by critics against poetry and the principles on which they are to be answered. The presence of such a chapter is peculiarly appropriate, as it is the object of the Poetics to teach not only the nature of poetry, but also the right criticism of poetic works. Yet it has given rise to any amount of misunderstanding among editors and commentators. Some have gone so far as to deny its genuineness, as Ritter and Susemihl ${ }^{1}$; and while it has usually been accepted as Aristotelian, only Vahlen and Butcher can be said to have recognized the intimate relation it bears to the rest of the Poetics: and even their observations frequently show a narrow perspective, because of a limited knowledge of the range of poetic problems and the methods of solving them.

The faulty interpretation of many doubtful passages of this chapter, and the mistaken views as to its purport and import-

[^0]ance, have been due to a lack of appreciation of its intimate relation to the Porphyrian $\zeta \eta \tau \eta \dot{\mu} a \tau a$ of the Homeric scholia, of which the $\pi \rho \circ \beta \lambda \eta_{\eta} \mu a \tau \alpha{ }^{\text {' }} \mathrm{O} \mu \eta \rho \iota \kappa a ́$ of Aristotle and his followers were a fruitful source. The design of the $\pi \rho o$ $\beta \lambda \eta$ йата 'O $\mu \eta \rho \iota \kappa a ́$ was to consider and answer the criticisms and censures of Homer by philosophers and sophists-an aim similar to that of the chapter under consideration-and the fragments preserved to us, more extensive, perhaps, than has heretofore been recognized, furnish numerous illustrations of the principles briefly stated in the Poetics. It is the object of this paper to make a study of Poetics, c. xxv, in the light of the Porphyrian scholia. But before entering upon the treatment proper, it is necessary to trace the early manifestations of Homeric criticism, to show Aristotle's interest in the same, and to indicate Porphyry's indebtedness to Aristotle and his followers.

## Aristotle and the Early Criticism of Homer.

The Homeric Question was playing a rôle prior to the rise of scientific criticism, in the fifth century b. c., in the days of the philosophers and sophists. The philosophers rebelled against the Homeric representations of the gods. Xenophanes, ${ }^{1}$ for instance, accused Homer (and Hesiod) of ascribing to the gods everything



Herakleitos, ${ }^{2}$ the contemporary of Xenophanes, is quoted as saying that Homer (and Archilochos) deserved to be scourged; and Plato, on grounds of morality, banished Homer and other poets from his ideal Republic. The early defenders of the poet against the philosophers sought refuge in allegorical interpretation.

[^1]The sophists ${ }^{1}$ and rhetoricians censured Homer, not for impiety in mythology, but for errors in grammar and diction. In their rhetorical displays treating of Homeric themes they would object to certain passages as faulty in expression or doubtful in meaning, and strive to detect incongruities in thought and language. Such discussions had as their object not so much the gaining of an accurate knowledge of the poet, as an exhibition of sophistic dialectic and rhetorical elegance of diction. Protagoras, ${ }^{2}$ for example, censured Homer because he had invoked the muse unbecomingly by using the imperative mood ; in Plato's dialogue (Hippias Minor) Hippias is represented discussing with Sokrates the words and actions of Homeric heroes; and Gorgias and Prodikos and other sophists treated in similar fashion various Homeric themes. The best known type of this class was Zuilos ${ }^{3}$ of Amphipolis, who won for himself, through his Homeric activity, the designation ${ }^{`} \mathrm{O} \mu \eta \rho \circ \mu a ́ \sigma \tau \iota \xi$. His strictures on the poet were embraced, most probably, in works styled by Suidas, 廿óyos 'O $\mu \dot{\eta} \rho o v$ and


Notwithstanding the faulty methods of the sophists their criticisms were frequently just and they deserve credit for this,

[^2]that by their questionings they aroused others through approval or objection to a more accurate study of Homer. By citations from Homer in their lectures and by special works on his poems they called the attention of thinking men not only to the study of single passages and the significance of Homeric terms, but also to the nature of epic poetry and the aesthetic value of poetic faults.

All the literary, philosophical and critical exegesis of the period immediately succeeding this crude and undeveloped form of criticism centres around Aristotle and his School. Aristotle seems to have realized that the attacks of detractors of Homer and other poets were assaults on the very nature of poetry. He saw into the deeper meaning of the alleged faults of poetry, and in answer to the cavilling criticism of the day, formulated certain principles of explanation based on the fundamental tenets of his poetic theory. In his hands what had before been crude and unscientific receives a systematic treatment.

Aristotle's hearty veneration for Homer is shown by the numerous citations ${ }^{1}$ of the Iliad and the Odyssey in his works, and by the frequent expressions of admiration occurring in the Poetics; ${ }^{2}$ perhaps to this we may attribute his appearance as

[^3]a defender of the poet against his many detractors. Isokrates ${ }^{1}$ testifies that the Homeric poems were objects of study in the Lyceum, and Dio Chrysostom ${ }^{2}$ is authority for the statement that Aristotle in a number of dialogues concerned himself with Homer. Besides these and other indications ${ }^{3}$ of Aristotle's Homeric activity, of peculiar interest is an especial work which had the Homeric poems for its exclusive object, and which has come down to us under different titles, $\dot{a} \pi о \rho \eta \eta_{\mu} а \tau a$
 will be seen later, certain principles and methods for the solution of objections to Homer were applied to special passages. Fragments of the work, found chiefly in the Homeric scholia, have been collected and edited, ${ }^{5}$ and have given rise to various views ${ }^{6}$ as to their exact relation to Aristotle.

[^4]These evidences of Aristotle's activity in the study of Homer justify the presence of a chapter in the Poetics devoted almost exclusively to the defense of the poet, and account for the traces of Aristotelian influence in the Homeric criticism of the Peripatetics and of later $\lambda v \tau \iota \kappa o i$.

Following in the footsteps of their master, Megakleides, ${ }^{1}$ Herakleides, Chamaileon and other Peripatetics devoted attention to the solution of Homeric problems. The $\pi \rho о \beta \lambda \eta$ иатa 'O $\mu \eta \rho \iota \kappa a ́$ of Aristotle and his immediate followers were embraced in what Schrader styles a Corpus Peripateticorum, probably in the second century в. с. This work was largely used by Porphyry in his $\zeta \eta \tau \eta{ }^{\prime} \mu a \tau a$ ' $\mathrm{O} \mu \eta \rho \iota \kappa a ́,{ }^{2}$ and through
answered by Sengebusch, p. 75 ff. Later Val. Rose (Ar. Pseudepig., p. 149) pronounced the work a 'volumen ex studiis Peripateticorum philologicis profectum.' La Roche (p. 24), Heitz (die verl. Schriften d. Ar., p. 288), Schrader (Proleg., p. 413) and Vahlen (p. 351) declare for the genuineness of the work.
${ }^{1}$ See Schrader, Proleg., p. 414 ff.; Epileg., p. 187 ff. ; Philol., xurv, p. 236 ff . For Megakleides, see schol. Por., к 274, $\Pi$ 140, x 36, 205, ऽ 106 ; for Herakleides, schol., B 649, Г 236, $\beta$ 51, 63, $\nu 119$. Susemihl (Gesch., II, Anm. 445 d.) does not think the evidence conclusive that Herakleides was a Peripatetic ; on this cf. Schrader, Philol., xuiv. Herakleides' treatment of Homeric problems so fully accords with that of Aristotle that, in this species of criticism, there can be no doubt that he is Aristotle's follower. On Chamaileon, see schol. Por., є 334.
${ }^{2}$ The fragments of Porphyry's $\mathrm{Z} \eta \tau \dagger \mu \alpha \tau \alpha$ 'O $\mu \eta \rho \iota \kappa \alpha$ ', preserved in Vat. MS. 305, containing חoрфvpiov фıлобб́фov 'O $\mu \eta \rho \iota \kappa \omega ิ \nu$ § $\eta \tau \eta \mu d \tau \omega \nu \quad \beta \iota \beta \lambda i \neq \nu \alpha^{\prime}$, and in the Homeric scholia, first received favorable attention from Valckenaer (Op., II, p. 95 ff .) in 1747. His view that the $\mathrm{Z} \eta \tau$. ${ }^{\text {' } \mathrm{O} \mu \text {., the little work }}$
 from a continuous commentary of Homer was refuted by Gildersleeve, De Porphyrii studiis Homericis, Göttingen, 1853, who also established the genuineness of the preface to the $\mathrm{Z} \eta \tau$. Vat. A dissertation of Wollenberg, De Porphyr. stud. philol., I, Berolini, 1854, appeared about the same time. Hermann Schrader has devoted years to the Homeric Questions of Porphyry. The results of his researches are embodied in the two works: Porphyrii Quaestionum Homericarum ad Iliadem pertinentium Reliquiae, Lipsiae, 1880, and Porphyrii Quaestionum Homericarum ad Odysseam pertinentium Reliquiae, Lipsiae, 1890.

Porphyry fragments of it are present in the Homeric scholia Ven. B.

Schrader ${ }^{1}$ recognizes three main sources for Porphyry's ${ }^{2}$ Z $\eta$ тп́иата ${ }^{\text {' } O \mu \eta \rho ь к а ́: ~(1) ~ a ~ c o l l e c t i o n ~ o f ~ t h e ~ s o l u t i o n s ~ o f ~}$ Alexandrian scholars, referred to in schol. Por., I 682 ; (2) a Corpus of the そŋт $\eta_{\mu} \mu \tau a$ of Zeno and other Stoics; (3) a Corpus Peripateticorum, consisting of solutions from $\pi \rho o-$ $\beta \lambda \eta{ }^{\prime} \mu a \tau \alpha^{\circ} \mathrm{O} \mu \eta \rho \iota \kappa \alpha ́$ of Aristotle and his followers. His argument for a Peripatetic source is based on a comparison of the $\zeta_{\eta \tau \eta} \boldsymbol{\eta} \mu a \tau a$ ascribed to Aristotle in the scholia with the examples treated in Poetics, c. xxv ; he concludes from the evident uniformity in design and in method, that solutions bearing the name of Aristotle, solutions mentioned in the Poetics and treated at greater length in the scholia, and $\dot{a} \pi т о \rho i a \iota ~ o f ~ t h e ~$ scholia agreeing with those of the Poetics, though solutions are not stated, are to be derived from the same source. Further he does not go. This source Schrader identifies with the $\pi \rho \circ \beta \lambda \eta{ }^{\prime} \mu a \tau a$ ' $\mathrm{O} \mu \eta \rho \iota \kappa \alpha ́$ of Aristotle and his immediate followers, which were embraced in one volume most probably before the close of the second century в. с. He infers that this work is referred to in schol. Por., K 252, which he considers the beginning of some book of Porphyry's Homeric


 lectures of Aristotle on Homeric questions, delivered in his

[^5]earlier period, were taken down by his students and that these lecture-notes were afterwards supplemented by their own observations (cf. schol. Por., B 649, Г 236, X 165, $\mu$ 128); and hence that the $\zeta \eta \tau \eta \dot{\eta} \mu a \tau a$ finally embraced in one work are fruits, in a sense, of the Homeric disputations held in the Lyceum. Schrader doubts whether books of problems were edited by Aristotle himself, but declares for the authorship of Aristotle in the collected work, at least so far as concerns its fundamental ideas. ${ }^{1}$

As is evident from the foregoing discussion, it is proper to regard the twenty-fifth chapter of the Poetics as an abridged statement of principles and methods treated and illustrated more fully in the $\pi \rho о \beta \lambda \eta{ }^{\prime} \mu a \tau a{ }^{\text {' }} \mathrm{O} \mu \eta \rho \iota \kappa a ́$. In this manner its apologetic tone and the preponderance of examples drawn from the Homeric Epos can be understood. That Aristotle so closely identifies his methods of solving problems with his theory of poetry bespeaks for the $\pi \rho о \beta \lambda \eta{ }^{\prime} \mu а \tau a^{\text {' }} \mathrm{O} \mu \eta \rho \iota \kappa \alpha ́ a ~ f a r ~$ greater value than has heretofore been attributed to them. And as the design of the chapter and of the $\pi \rho \circ \beta \lambda \eta \eta_{\mu} \pi \alpha$ was the same-to consider and answer the criticisms and censures of Homer by philosophers and sophists-it is manifest that the key to the solution of the difficult problems to which the chapter has given rise is a faithful study of the traces of Aristotelian influence in the $\zeta \eta \tau \eta \mu a \tau a$ of Porphyry. Where the principles laid down in the chapter exhibit themselves in the scholia, it is evident that passages containing them are either

[^6]from the Peripatetic source or that Porphyry in his own solutions is following Aristotelian teachings: in either case we are justified in availing ourselves of all the light they afford for the correct interpretation of the chapter.

Analysis of Poetics, C. XXV. ${ }^{1}$

## I.

Aristotle begins by laying down certain general propositions which lie at the basis of his treatment both of the objections brought against poetry and the principles on which they are to be answered. These are intimately connected with his theory of the serious style of poetry developed in the earlier chapters of the Poetics.
A. The objects of representation ( $1460 \mathrm{~b} 7-11$ ). The poet, being an imitator, like the painter or any other artist, must of necessity always imitate one of three objects-either things as they were or are (oia $\eta_{\nu} \hat{\eta} \hat{\epsilon} \sigma \sigma \tau \iota \nu$ ), or things as they are said to be and thought to be (oiá фабı» каi סокєî), or things as they should be (oia eival $\delta \in \hat{i}$ ). Thus the objects of poetic representation are either ( $a$ ) real events, or (b) current traditions and popular belief, or (c) the ideal, the universal, the 'higher reality.' These observations are more fully treated in cc. II, Ix, xv.
B. The means of representation ( $1460 \mathrm{~b} 11-13$ ). The objects of poetic imitation find expression in language ${ }^{2}$ which employs

[^7]either ordinary words or rare words or metaphors ; besides, poetic language has the right to use many turns of phrase varying from the normal. Aristotle embraces in this short expression the various $\epsilon^{\prime} \delta \eta \eta \lambda^{\prime} \dot{\xi} \xi \omega \omega$ streated in cc. XxI, XxII.
C. The standard of correctness in poetry ( $1460 \mathrm{~b} 13-21$ ). 'There is not the same standard of correctness in the poetic art as in the political ${ }^{1}$ art, nor as in any other art or science.'

Aristotle then distinguishes two kinds of fault possible to
Plato poetry: the one affects its very essence, the other is accidental. If one propose to himself to imitate something, but has imitated it incorrectly through want of ability (ádvva $\mu i a$ ), the error is inherent in the poetry. But if the failure is due to an incorrect conception of what he proposes to represent, if, e. g., he has represented a horse advancing both right legs at once, or has introduced technical inaccuracies in medicine, it may be, or in any other art, the error is not essential ; though the $\pi \rho o a i \rho \epsilon \sigma \iota s$ or proposal be faulty, he could in the $\mu i \mu \eta \sigma \iota s$ meet fully the demands of art.
In this distinction Aristotle asserts that poetry is to be measured not by a moral but by a purely aesthetic standard. Ali important in his'eyes is the perfection of the imitation, the shaping activity of the artist. Poetry must be judged by its own laws, its own basal assumptions, and errors, that are errors only according to some alien standard, are faults $\kappa a \tau \grave{a}$ $\sigma \nu \mu \beta \epsilon \beta \eta \kappa o ́ s$, and accordingly excusable.

## II.

## The ${ }^{\top}$ Eлuг $\mu \dot{n} \mu \alpha \tau \alpha$.

'From these considerations,'-the objects of imitation, the means of imitation and the standard of correctness in poetry, proceeds Aristotle, 'must be solved the objections contained in

[^8]the problems' ( $\tau \grave{d}$ è $\pi \iota \tau \iota \mu \dot{\eta} \mu a \tau a^{1}$ è̀ $\tau о i ̂ s ~ \pi \rho o \beta \lambda \eta \dot{\eta} \mu a \sigma \iota \nu, 1460$ b 21, 22).

What then is the nature of the objections to poetry made by critics? To understand this a study of the closing section of the chapter is necessary, $1461 \mathrm{~b} 22-24$ : $\tau \grave{a} \mu \grave{\epsilon} \nu$ oủע $\dot{\epsilon} \pi \iota \tau \iota \mu \eta^{\eta}-$

 катà тé $\chi \nu \eta \nu$.

We must, therefore, before proceeding further, define the five $\epsilon ⿲ \delta \delta \eta$ from which $\dot{\epsilon} \pi \iota \tau \iota \mu \eta \dot{\eta} \mu \tau a$ are drawn.
I. $\omega$ s ád́vivata, ${ }^{2}$ as 'impossible.'

The term ádivpaia is to be understood from its opposite, Sv́vata, and by a study of the intimate connection of these terms with the Aristotelian law of the necessary and the probable, катà тò єiкòs каì тò ảvaүкаîov, as expounded in the Poetics, c. Ix, and elsewhere. It designates those elements in poetry which were regarded by critics as impossible, as not real, not true to life, and therefore proper objects for censure. The pursuit of Hektor ${ }^{3}$ is mentioned as a case in point (c. xxv , 1460 b 26) in which the attendant circumstances (X 205 sq.) were regarded as á $\delta$ úvaza (mentioned in c. xxiv as ä入oya). The scholia furnish numerous illustrations of ádv́vãa: e. g., schol. Por., Г 397, á $\delta$ úvatóv фaбıv єís ypav̂v $\mu \epsilon \tau a \beta a \lambda \epsilon i ̂ \nu ~ \tau \grave{\nu} \nu$
 $\delta \epsilon \iota \rho \eta{ }^{\nu}$, к. т. $\lambda$. ; schol. Por., E 7, speaking of the flame from

[^9]the head and shoulders of Diomede, ádv́vatov $\tau \circ \hat{\tau} \tau \cdot \cdot \pi \hat{\omega} s ~ \gamma \grave{a} \rho$
 cf. schol. Por., Г 144, Г 379, 80, $\Delta$ 105, $\Delta 491$, H 9, © 555, K 11, K 447, a 284, $\check{221 .}$

Poetry may use with confidence impossible elements, if it make them appear natural and credible (c. Ix, c. xxiv, 1460 a 26). Hence, if it be objected that the thing represented is impossible, the poet can answer áסv́vazov $\mu \epsilon ̀ \nu$, $\pi \iota \theta a \nu o ̀ \nu ~ \delta e ́, ~$ appealing to the standard of correctness in his art. Accordingly, right here can originate a correct é $\pi \iota \tau i \mu \eta \mu a$, and this is an objection against the $\pi \iota \theta a \nu o ́ v$, against the єiкós. Words or actions objected to on this score are regarded,
II. $\omega$ s ä $\lambda o \gamma a$, ${ }^{1}$ as 'irrational,' 'improbable.'

The ä $\lambda_{o y o v}$ is frequently mentioned in the Poetics: in c.

 ovs (cf. c. xxiv, 1460 a 28) ; in c. xxiv, 1460 a $13, \mu a ̂ \lambda \lambda o \nu$
 a 35 sq., as an example of the ${ }^{2} \lambda$ orov, is cited the putting out of Odysseus by the Phæacians on the shores of Ithaca (o 119 sq.), which contains irrational elements veiled by the poetic charm with which the poet invests the narration. Also the pursuit of Hektor already mentioned (c. xxiv, 1460 a 11 ff .).

Of the many instances of ${ }^{\prime \prime} \lambda$ ora in the scholia, most worthy of mention are :
 $\pi \epsilon \rho \grave{\tau} \tau \hat{\nu} \nu$ ả $\delta \epsilon \lambda \phi \hat{\omega} \nu$ öт८ ov̉ $\pi a \rho \eta \hat{\eta} \sigma \nu, \delta \epsilon \kappa a \epsilon \tau o v ̂ \varsigma ~ \tau o v ̂ ~ \pi o \lambda \epsilon ́ \mu о v$
 к. $\tau$. $\lambda$., explained by Aristotle and Herakleides.

Schol. Por., A 399, тí потє ăpa ßov入ópєขos тav̂ta ë $\pi \lambda a \sigma \epsilon$




[^10]122, Г 315, 16, Г 365, E 341, E 741, M 25, $\delta 1, \theta 564$, с 240, $\kappa 190, \chi 412, \omega 1$.
III. $\dot{\omega} s \beta \lambda a \beta \in \rho a,{ }^{1}{ }^{1}$ as morally hurtful.'

Strange to say this term occurs nowhere else in the Poetics, seldom if at all as a source of objection in the scholia. Yet the $\beta \lambda a \beta \epsilon \rho o ́ \nu$ is indicated in certain passages where depravity
 duced without an inner necessity demanding it: c. $\mathrm{xv}, 1454$




 fault if it injure morality.

The $\beta \lambda a \beta \epsilon \rho \alpha \dot{\alpha}$ of this passage is the $\beta \lambda a \beta \epsilon \rho \alpha \dot{\alpha}$ of Plato, Rep. 391 E , whose criticisms are mainly from the moral standpoint. Cf. schol. Por., $\Omega 527$ ff., $\mu \epsilon ́ \mu \phi \epsilon \tau a \iota \tau \eta ̀ \nu ~ \delta o ́ \xi a \nu ~ \Pi \lambda a ́ \tau \omega \nu ~(r e s p ., ~$

 point of view, on the other hand, is ever aesthetic, even when considering the morality requisite in poetic characters. Yet, as Butcher shows, the aesthetic ideal of character in the Poetics implies a high though not a perfect morality.
IV. $\dot{\operatorname{s}} \dot{\mathrm{v} \pi \epsilon \nu a \nu \tau i a,{ }^{2} \text { as ' contradictory.' }}$

тò $\dot{v} \pi \epsilon \nu a \nu \tau i o \nu$ has been badly rendered 'the inconsistency,' since $\tau o ̀ ~ a ̀ \delta u ́ v a \tau o \nu ~ a n d ~ \tau o ̀ ~ a ̈ \lambda o \gamma o \nu ~ a r e ~ l i k e w i s e ~ i n c o n s i s t e n c i e s, ~ t h e ~ e$ former with the truth, the latter with probability. It never expresses simply the contradictory to truth or probability; when such is the case the dative must be added (as 1461 b 3 , $\dot{v} \pi \epsilon \nu a \nu \tau i o v ~ \tau \hat{\eta}$ oin $\eta \sigma \epsilon \iota$ ) or the relation understood unequivo-
 expresses inconsistency with the special representation, whether

[^11]it be in the composition of the dramatic action (as in c. xVII, 1455 a $22-26$ ) or in the narration.

A proper conception of the term is derived from a study of




 Vahlen and Butcher prefer, тà $\dot{v} \pi \tau \epsilon \nu a \nu \tau i \omega \varsigma ~ \epsilon i \rho \eta \mu \epsilon ́ v a$, i. e., the inconsistent as said, in the words, in the representation made by means of language. Hence in this ém८тíл $\mu a$ we have a contrast drawn to ä入ova and ádúvaza denoting inconsistencies with actuality and probability, as in the $\tau \grave{a} \dot{v} \pi \epsilon \nu a \nu \tau i ́ \omega s$ єip $\quad$ нéva it must be considered 'whether the poet contradicts either what he says himself or what is tacitly assumed by a person of intelligence.' The correct translation, therefore, of ضs $\dot{v} \pi \in \nu a \nu \tau i a$ is 'as contradictory.'

Instances of $\boldsymbol{v} \pi \epsilon \nu a \nu \tau i a,{ }^{1}$ or 'contradictions' objected to and accounted for, are very numerous in the Homeric scholia:




[^12]
 ptíov eival, к. т. $\lambda$. Solutions from Herakleides and Aristotle follow.


 (N 658), к. т. $\lambda$. Cf. schol. Por., $\Gamma$ 277, E 741, etc.
 to artistic correctness.'

The interpretation of this, the fifth source of è $\pi \iota \tau \iota \mu \dot{\eta} \mu a \tau a$, has presented great difficulty to certain commentators. Twining and Vahlen do not see how it could be identified with objections against the poetic art as such. If such were meant, says Vahlen, ádóvata and ä $\lambda o \gamma a$ are also offences against the poetic art, and, as G. Hermann actually proposed, $\pi a \rho d \begin{gathered}\tau \\ \nu\end{gathered}$ óp $\theta$ óт $\eta \tau a$ т $̀ \nu$ катà тウ̀ $\nu \tau \in ́ \chi \nu \eta \nu$ might be expected. And Twining offers the objections: (1) that $\kappa a \tau a ̀ ~ \sigma v \mu \beta \epsilon \beta \eta \kappa o ́ s$ will be entirely omitted in the enumeration; (2) that the twelve $\lambda v ́ \sigma \epsilon \iota \varsigma$, shortly to be treated, will not meet the é $\pi \iota \tau i \mu \eta \mu a$, as bad imitation admits of no answer ; and (3) that it makes the four preceding $\dot{\epsilon} \pi \iota \tau \iota \mu \dot{\eta} \mu a \tau a$ not essential but accidental faults. Accordingly they both understand it as referring to the correctness, not of poetry itself, but of other arts, which may be incidentally treated in poetry, thus to a

[^13]technical correctness, to the inaccurate in respect of some special art. So too, Butcher.

Teichmüller, on the other hand, understands the phrase as referring to objections against the art of poetry itself. He justifies the distribution of the é $\pi \iota \tau \iota \mu \eta \boldsymbol{\eta} \mu \tau a$, by distinguishing the fifth from the first two e" $\delta \eta$. He shows that the ${ }^{\prime} \lambda$ ora and ádúvata cannot always be considered as incompatible with good imitation as ádóvaca are admissible if the artist knows how to deceive us with our own mistaken conclusions, and even ä̀ $\begin{gathered}\text { ora are allowed, if possible not on the stage, but yet }\end{gathered}$ in what precedes the action; and in this the Epos has much greater freedom than tragedy. In this view I accord with Teichmüller.

The $\pi a \rho \grave{\alpha} \tau \eta े \nu$ ó $\rho \theta^{\prime} \tau \eta \tau a \tau \grave{\nu} \nu \kappa a \tau \grave{a} \tau \epsilon \in \chi \nu \eta \nu$ is treated fully in the earlier section of the chapter, $1460 \mathrm{~b} 13-33$, which explains what is meant by artistic correctness. By the various expressions, $\mu \iota \mu \dot{\eta} \sigma a \sigma \theta a \iota<\eta ँ \eta a \rho \tau \epsilon \delta^{\prime} \epsilon \in \tau \hat{\varphi} \mu \iota \mu \hat{\eta} \sigma a \sigma \theta a \iota \delta \iota^{\prime}>a \dot{a} \delta v \nu a-$

 Aristotle means to indicate all such faults as are incompatible with good imitation-that is, in his view, with good poetry. Hence all cases of ádúvata, $\beta \lambda a \beta \in \rho a ́$, etc., which do not meet the end of poetry, and all instances of censure of the poetical technique of the Epos and other poetry, fall naturally under this head.

Of the latter class the scholia furnish examples not a few, some bearing the name of Aristotle, and no doubt many a good observation in the scholia touching on technical questions in the poetry of the Epos is derived from the ${ }^{\boldsymbol{a} \pi о \rho \eta} \boldsymbol{\mu} \mu \boldsymbol{a} a$ 'O $\quad$ пррька́ of Aristotle and his followers.

Certain of these scholia exhibit a terminology with which we are already familiar in the Poetics in the treatment of $\dot{\eta} \theta$ os in the representations of poetry.
(a). $\tau \grave{̀}$ ä $\nu \omega$ $\mu a \lambda o \nu$, 'the inconsistent in character.'

In the schol. Por., $\Omega 559 \mathrm{ff}$. (fr. 168, ed. Teubner), in which passage Achilles addresses Priam in harsh terms, we read:
 thinks rightly that Aristotle does not mean by this to censure the poet, but in defending the character of Achilles, perhaps against Plato (Hippias Minor, 370 A), he explains that Homer has represented Achilles, as far as concerns $\grave{\eta} \theta o \mathrm{~s}$, from the first to the last book, perfectly correctly: namely, àע́́ $\mu a \lambda o v \tau o ̀$ $\hat{\eta} \theta o s$. It is what is emphasized in Poet., c. xv, 1454 a 25 :

 $\delta \in \hat{\epsilon} \epsilon i v a \iota$. Aristotle accordingly understands the $\bar{\eta} \theta$ os of Achilles as $\dot{o} \mu a \lambda \hat{\omega} \varsigma \dot{\alpha} \nu \dot{\omega} \mu a \lambda o \nu .{ }^{2}$ Eustathios' observation on the passage





 I 619-650. It seems evident, therefore, that Aristotle solved an $\dot{a} \pi$ oopía based on the inconsistent character of Achilles in the above mentioned manner.
(b). Tò $\dot{a} \pi \rho \epsilon \pi \epsilon \in \varsigma^{,}{ }^{3}$ the improper or unbecoming in character, is not expressly mentioned in c. xxv, but it is hinted at in the reference to the current stories concerning the gods ( 1460 b $35-6$; cf. schol. Por., A 211, B 8, $\Delta 4, \Upsilon 67$ ). Aristotle's conception of $\tau \grave{o}$ à $\pi \rho \epsilon \pi \epsilon$ és is to be understood from $\mathrm{c} . \mathrm{xv}$, where 'propriety' is mentioned as one of the four requisites of char-

[^14]
 (1454 a 22-24). Two examples of character, inappropriate and incongruous (á $\pi \rho \rho \in \pi о \hat{v} \varsigma \kappa a i ̀ ~ \mu \grave{~ a ̀ ~} \rho \mu o ́ \tau \tau о \nu \tau o \varsigma)$, are mentioned, on which see Twining, vol. I, p. 1446. Accordingly, as propriety of character is a prime requisite of good imitation, $\tau \grave{o} \dot{a} \pi \rho \epsilon \pi \epsilon \in$ may appropriately be classified under $\grave{\varrho} \pi a \rho a ̀$ $\tau \grave{\nu} \nu$ ó $\rho \theta_{o ́ \tau \eta \tau a}$ $\tau \eta ̀ \nu \kappa a \tau a ̀ ~ \tau \epsilon ́ \chi \nu \eta \nu$. Its application in the scholia is extensive. See, for example:

Schol. Por., B 183 (fr. 143, ed. Teubn.): ảmpєтès єivaı סокє̂̂
 тov̂ $\sigma \tau \rho a \tau o \pi \epsilon ́ \delta o v, \kappa a i ̀ ~ \mu a ́ \lambda \iota \sigma \tau a ~ o i o s ~ ' O \delta v \sigma \sigma \epsilon ย ̀ ̀ s ~ \epsilon i ้ \nu a \iota ~ v i \pi \epsilon i ́ \lambda \eta$ $\pi \tau a \iota . \phi \eta \sigma i \delta^{\prime}$ 'Арıбтотé $\lambda \eta$ я, к. т. $\lambda$. Cf. schol. Por., E 778, Ath., v. 6, p. $188^{\circ}$, for other $\dot{\alpha} \pi \rho \epsilon \pi \hat{\eta}$ treated by Aristotle.

Schol. Por., B 8 ff. : ả $\pi \rho \epsilon \pi \epsilon ̀ s ~ \delta \grave{̀} \tau o ̀ ̀ ~ \lambda \epsilon ́ \gamma \epsilon \iota \nu ~ \pi a \nu \sigma v \delta i ́ n . ~ " ~ \nu v ̂ \nu ~$

 Cf. schol. Por., A 18, A 31, A 42, A 211, B 82, $\Delta 4$, E 778, I 186, I 203, I 453, I 591, $\gamma 72, \zeta 244, \theta 78, ~ \iota 5, \lambda 489, \omega 192$.

Akin to $\dot{\alpha} \pi \rho \epsilon \pi \epsilon \in{ }^{\prime}$ is the term $\dot{a} \sigma \dot{v} \mu \phi o \rho o v$, 'inexpedient,' which occurs occasionally in the scholia. See e. g., schol.

 $\dot{v} \pi \epsilon \grave{\rho} \rho \tau \hat{\omega} \nu \theta \epsilon \omega ิ \nu \mu u ́ \theta o v \varsigma ~ \phi \eta \sigma i ́ \nu$ • к. т. $\lambda$. Cf. schol. Por., $\Lambda 405$, Z 234, ८106, etc. ${ }^{1}$

[^15]
## III．

## The Ми́бєı弓．

In the brief summing up at the close of the chapter，Aris－ totle states that the number of $\lambda$ v́ $\sigma \epsilon \iota$ s considered is twelve，${ }^{1}$ and that they should be sought under the heads above men－ tioned．The precise determination of the twelve meant，has given the editors trouble，as is seen in the attempts of Her－ mann，${ }^{2}$ Twining，Susemihl，and Ritter，who is followed by Teichmüller and Vahlen．Twining，referring to the number twelve，aptly remarks：＂The reader who regards his own ease will，I believe，do well to take this for granted．＂

[^16]In the following classification，I differ at two important points with Ritter and agree most closely with Twining，who， out of sixteen possible solutions，thinks that the twelve which are adopted in this paper are most probably the twelve meant by Aristotle．

Aristotle expressly refers to the general propositions pre－ viously considered，as premises from which the answers are to
 тои́т $\omega \nu$ ย̇ $\pi \iota \sigma \kappa о \pi о ข ̂ \nu \tau a ~ \lambda v ́ є \iota \nu ~(1460 ~ b ~ 21, ~ 2) . ~ H e n c e ~ t h e ~ \lambda v ́ \sigma \epsilon \iota \varsigma ~$ of the chapter range themselves naturally under the following heads：

A．$\Lambda$ v́rets from a consideration of artistic correctness．
First to be considered are solutions for $\mathfrak{\epsilon} \pi \iota \tau \iota \mu \eta{ }_{\eta} \mu a \tau a$ affect－ ing the poetic art itself（ $\pi \rho \omega \hat{\tau} 0 \nu \mu_{\grave{\nu} \nu} \tau \grave{\alpha} \pi \rho o ̀ s ~ a v ̉ \tau \eta ̀ \nu ~ \tau \grave{\nu} \nu$ $\tau \in ́ \chi \nu \eta \nu, 1460 \mathrm{~b} 22)$ ．

I．The End of Poetry．${ }^{1}$ When something impossible is represented，it is an error ；but yet the fault may be justified， if the end of the art be thereby attained．This Aristotle finds in the pleasurable astonishment，the heightened wonder（ $\tau \grave{o}$ Oavলa⿱一兀寸óv）proper in a peculiar degree to epic poetry；the fault is justified if the presence of the ádv́vatov makes the passage containing it more marvellous（ $\dot{\epsilon} \kappa \pi \lambda \eta \kappa \tau \iota \kappa \kappa ́ т \epsilon \rho о \nu)$ ． The instance cited by Aristotle is the pursuit of Hektor（Il．， X 105 ff ．），treated in c．xxiv as an ä $\lambda$ oyov，which on the stage would appear highly improbable and ludicrous，but in the epic narrative is powerfully imaginative．

[^17]With the 'End of Poetry' I would identify the phrase, $\pi \rho o ̀ s ~ \tau \eta ̀ \nu ~ \pi o i ́ \eta \sigma \iota \nu$, occurring in $1461 \mathrm{~b} 9,10$ : ${ }^{\text {on }} \lambda \omega \mathrm{s}$ Sè $\tau o ̀$
 confirmation the Aristotelian schol., Г 236 (fr. 147, ed. Teubn.),
 $\mu \nu \eta ́ \mu \eta$, к. т. $\lambda$.

Yet, adds Aristotle, this justification of a fault through an appeal to the end of poetry is only a proper one when a like effect could not have been produced by other means, for, if it is possible, no fault at all should occur.
II. To the Accidental ( $\pi \rho o ̀ \varsigma ~ \sigma v \mu \beta \epsilon \beta \eta \kappa o ́ s)^{1}$ is to be referred all technical inaccuracies as regards other arts and sciences present in the poem. This refers to the distinction, already established, between essential and accidental faults in poetry. In answer to an objection one can raise the question, in which does the fault consist ( $\pi o \tau$ ép $\omega \nu$ é $\sigma \tau i ̀ ~ \tau o ̀ ~ a ́ \mu a ́ \rho \tau \eta \mu a)$-in something affecting the art, i. e., the $\mu i \mu \eta \sigma \iota \varsigma$, or in something only accidental to the $\mu i \mu \eta \sigma \iota s$. It is a less error not to know that a doe has no horns than to paint one inartistically.

An excellent illustration of this is found in c. xix, where Aristotle, after saying that a knowledge of the figures of speech belongs to the art of declamation and to the masters of that science, continues: $\pi a \rho a ̀ ̀ ~ \gamma a ̀ \rho ~ \tau \grave{\eta} \nu ~ \tau o v ́ \tau \omega \nu ~ \gamma \nu \omega ิ \sigma \iota \nu ~ \eta ̂ ~ a ̈ \gamma v o \iota a \nu ~$
 $\sigma \pi o v \delta \eta \varsigma^{*} \tau i ́ ~ \gamma a ̀ \rho ~ a ̆ ้ \nu \tau \iota \varsigma ~ v i \pi o \lambda a ́ ß o \iota ~ \eta j \mu a \rho \tau \eta ิ \sigma \theta a \iota ~ a ̂ ~ \Pi \rho \omega \tau a \gamma o ́ \rho a s ~$


 ( 1456 b 13-20). On the rhetorical significance of this objection of Protagoras, see A. J. P., ximi, pp. 399, 433.

[^18]B. $\Lambda \tilde{\sigma} \sigma \epsilon \iota \varsigma$ from a consideration of the objects of imitation. The solutions following, introduced by $\pi \rho o ̀ s ~ \delta e ̀ ~ \tau o u ́ t o \iota s, ~ a r e ~$ derived from a consideration of the objects of representation. As the poet, being an imitator, endeavors to represent either (1) actual events, or (2) current traditions and belief, or (3) poetic ideality, if the objection is based on one of the three, the explanation is to be derived from one of the other two.
III. To Poetic Truth, ${ }^{1}$ or the ideality peculiar to poetry, the appeal is made in case a representation is censured as being not true to fact. The expression here used, $\dot{a} \lambda \lambda \lambda^{\prime}{ }^{\prime} / \sigma \omega \varsigma<\dot{\omega}_{\varsigma}>$ $\delta \epsilon \hat{\imath}^{2}$ is identical in meaning with oi siva $\delta \in \hat{\imath}^{3}(1460 \mathrm{~b} 11)$, oiovs $\delta \in \imath ̂ ~ s c . ~ \epsilon i ̀ v a \iota ~(b ~ 34), ~ \beta e ́ \lambda ~ \lambda \tau \iota o \nu ~(b 36), ~ a n d ~ \pi \rho o ̀ s ~ \tau o ̀ ~ \beta e ́ \lambda \tau \tau o \nu ~(1461 ~$ b 10), all of which are intended to signify the principle of ideal truth in poetry, emphasized by Aristotle in c. IX and elsewhere. The $\delta \in \hat{\imath}$ sc. $\epsilon i v a \iota$ of these expressions, the 'ought to be,' and the $\beta$ '́ $\lambda \tau \iota o v$, 'the better,' are to be taken in the aesthetic, not in the moral sense; and while a high degree of morality is demanded in poetic characters it is viewed by Aristotle purely from the aesthetic point of view. So Sophokles asserts that he represents men as they ought to be; Euripides men as they are.

[^19]IV. To Current Legends and Popular Belief ${ }^{1}$ an appeal is made in case the representation is censured as being neither idealistic nor true to fact. oṽт $\omega$ фaбív of this passage is synonymous with oiá фабı» каì סокє̂ ( 1460 b 10 ), $\pi \rho o ̀ s ~ \tau \grave{\nu} \nu$ §ógav (1461 b 10 ) and $\pi \rho o ̀ s ~ a ̈ ~ \phi a \sigma \iota \nu ~(~ 1461 ~ b ~ 14), ~ a l l ~ o f ~ w h i c h ~$ are intended to express the traditional legends and established opinions of people in general, proper subjects for poetic treatment because they gain ready credence. For instance, objection was made to the stories of the, gods told by the poets. These, explains Aristotle, are neither higher than reality nor true to fact, but yet men say so and believe so, and the poet is perfectly right in accommodating himself to the popular belief. The principle here laid down receives striking confirmation in the scholia. Fault was found with T 108 ff ., where Hera demands an oath from Zeus: . . . iò $\mu$ èv oûv



 (fr. 163, ed. Teubn., schol. Por., T 108).

As we have seen, the tales concerning the gods were regarded as $\dot{a} \pi \rho \epsilon \pi \hat{\eta}$ (cf. schol. Por., $\Upsilon 67, \Sigma 489$ ). This $\lambda v ́ \sigma \iota \varsigma$, accordingly, is the object of appeal in cases of $\dot{\alpha} \pi \rho \epsilon \pi \hat{\eta}$, of $\dot{a} \delta \dot{v} v a \tau a$
 of äخova ( $\pi \rho o ̀ s ~ a ̈ ~ \phi a \sigma \iota \nu ~ \tau a ̈ \lambda o \gamma a, ~ 1461 ~ b ~ 14) . ~$
V. To Real Events, ${ }^{2}$ or to Custom, an appeal is made in case the poetic idealization of a representation is questioned. The phrase $\dot{a} \lambda \lambda$ ’ oṽ $\tau \omega$ s єỉ $\chi \in \nu$ is synonymous with oia $\hat{\eta} \nu \hat{\eta}$

[^20] This appeal to what actually takes place is intimately connected with the Aristotelian law of probability or necessity, as is evident from Poet., c. $\mathrm{Ix}, 1451 \mathrm{~b} 16-19$ : ai้тьov ס' $^{\text {öt } \tau \iota \pi \iota \theta a \nu o ́ v ~}$



 $\sigma a v \rho \omega \tau \hat{\eta} \rho o s$ è $\lambda \dot{\eta} \lambda a \tau o$, 'but their spears were driven into the ground erect on the spikes of the butts,' referring to the arms of the comrades of Diomedes, and the scholia to the passage make clear the nature of the objection (fr. 160, ed. Teubn.):



 ро८ऽ • $\pi o \lambda \lambda o \grave{\iota}$ $\delta \grave{\epsilon}$ oṽ $\tau \omega \chi \rho \omega ิ \nu \tau a \iota \tau \hat{\omega} \nu \beta a \rho \beta a ́ \rho \omega \nu$. Hence it was regarded as poetically bad ( $\phi a v ̂ \lambda \eta=o v ̉ \beta \epsilon ́ \lambda \tau \iota o \nu$ of the Poetics) that the lances were placed near the sleeping warriors with the butt-end on the earth, as the sudden falling of one of them would arouse nightly disturbance and confusion. Perhaps true, says Aristotle, but such was the custom at that time, just as now among the Illyrians.

Other Aristotelian $\dot{a} \pi о \rho \eta \dot{\eta} \mu a \tau a$ contain $\lambda \dot{\sigma} \sigma \epsilon \iota$ s based upon a
 K 194 (fr. 159, ed. Teubn.), A ristotle raises the question why the leaders were represented as deliberating in council outside the wall when it was possible to deliberate inside in safety, and answers his own question as follows: . . . $\pi \rho \hat{\rho} \tau o \nu \mu$ ù̀ ov̂̀ oủk


 $\kappa . \tau . \lambda$. Further, in response to the objection that Achilles dragged Hektor around the tomb of Patroklos, contrary to the custom with respect to the dead, .. . ধै $\sigma \tau \iota \delta \frac{\epsilon}{\epsilon} \lambda \dot{v} \epsilon \iota \nu, \phi \eta \sigma i \nu$


schol. Por., $\Omega 15,16$ (fr. 166, ed. Teubn.); cf. schol. Por., $\Psi 269$ (fr. 164, ed. Teubn.). Cf. schol. Por., Г 281 : . . . ó סè


In the $\pi \rho \circ \beta \lambda \dot{\eta} \mu a \tau a$ of the scholia this appeal to the custom
 and is a source of appeal for the removal of difficulties in passages censured as containing:

1. á $\delta$ v́vata, schol. Por., Г 379, E 7, K 11, K 447, そ 221.
2. $\dot{a} \pi \rho \epsilon \pi \hat{\eta}$, schol. Por., B 8, I 203, $\gamma 72$.
3. ítevavtia, schol. Por., B $827, \Delta 2$, к 103, 4.
4. äтотa, schol. Por., $\Delta 297$.

## Пєрi $\delta \dot{\varepsilon} \tau \sigma \tilde{v} \chi \alpha \lambda \tilde{\omega} \zeta$ ทै $\mu \dot{\eta} \chi \alpha \lambda \omega \tilde{\varsigma},{ }^{1}$ х. $\tau . \lambda$.

Following the treatment of the five $\lambda \dot{v} \sigma \epsilon \iota \varsigma$ thus far considered, and finding its immediate occasion in what has been said of the oia $\delta \epsilon \hat{\imath}$, is a general observation which indicates the proper method of testing the artistic merit of the speech or actions ascribed to a poetic character, the conformity of the imitation to the end of poetry : $\pi \epsilon \rho \grave{\imath} \delta \grave{e} \tau o \hat{v} \kappa a \lambda \omega \hat{\varsigma} \hat{\eta} \mu \eta \grave{\eta}^{\kappa} \kappa a \lambda \omega \bar{\varsigma}$






Twining, Teichmüller, Vahlen and Butcher would have this remark refer solely to the morality of the poetic representation, and Teichmüller and Vahlen, following Ritter, consider it a $\lambda \tilde{\sigma} \sigma \iota$ s to be applied exclusively to $\beta \lambda a \beta \epsilon \rho \alpha \alpha_{\text {. }}$

This is a faulty conception of the passage which is justified neither by the Poetics nor by the scholia. A proper under-

[^21]standing of the thought here expressed can only be gained by a study of certain technical expressions it contains, by a comparison with passages of similar import occurring elsewhere in the Poetics, and by tracing its application in $\zeta \eta \tau \eta \mu a \tau a$ of the scholia.

1. The terms $\pi \epsilon \rho i ̀ \delta e ̀ ~ \tau o \hat{v} \kappa a \lambda \hat{\omega} \varsigma \hat{\eta} \mu \eta{ }_{\eta} \kappa a \lambda \omega \hat{\varsigma}$ and $\sigma \pi o v \delta a i ̂ o \nu \hat{\eta}$ $\phi a \hat{v} \lambda o \nu$ must be interpreted with the aid of the rest of the Poetics.
(a). $\kappa a \lambda \hat{\omega} s$ is used repeatedly by Aristotle to express the aesthetic correctness of a poem or any of its special features; e. g., c. I, 1447 a 9,10 : кaì $\pi \omega ̂ \varsigma ~ \delta \epsilon i ̂ ~ \sigma v \nu i ́ \sigma \tau a \sigma \theta a \iota ~ \tau o v ̀ s ~ \mu v ́ \theta o v \varsigma, ~, ~$









 $\lambda \eta$; cf. Soph., Elench., xxvi, 181 a 2. For Aristotle's definition of тò кa入óv, see Rhet., I, 7, 1364 b 27, Ix, 1366 a 33.

Further, note the phrases: $\mathfrak{\eta} \mu$ èv oưv катà $\tau \eta ̀ ̀ ~ \tau \epsilon ́ \chi \chi \nu \eta \nu \kappa a \lambda \lambda i$ i$\sigma \tau \eta \tau \rho a \gamma \omega \delta i ́ a ~(1453 ~ a ~ 21), ~ a i ~ \kappa a ́ \lambda \lambda \iota \sigma \tau a \iota ~ \tau \rho a \gamma \varphi \delta i ́ a \iota ~(1453 a ~ 19), ~$

 Aristotelian terms expressing moral goodness and its opposite,




Hence it is evident that Aristotle uses $\kappa a \lambda$ ós and its adverb $\kappa a \lambda \hat{\omega} \varsigma$ to express conformity to the aesthetic ideal of poetry, and not primarily in a moral sense.


[^22]The adjectives $\sigma \pi o v \delta a \hat{o} o s$ and $\phi a \hat{\nu} \lambda o s$, in addition to their ethical sense (c. II) and the extension of their usage to express ideal and vulgar characters in poetry (c. $\mathrm{III}, 1448$ a 27 ; c. V , 1448 b 35, etc.) and representations serious and light (c. vi, $1449 \mathrm{~b} 24-28$ ), are also used in a purely aesthetic sense, to express that which is excellent, or the reverse, in its kind, and that too, of objects either animate or inanimate. The following passages show this:
C. v, 1449 b 17: $\delta \iota o ́ \pi \epsilon \rho$. ö $\sigma \tau \iota \varsigma ~ \pi \epsilon \rho \grave{~} \tau \rho a \gamma \varphi \delta i ́ a s ~ o i ̂ \delta \epsilon ~ \sigma \pi т o v-~$
 and bad,' in the purely aesthetic sense.



C. XXVI, 1461 b 31 : oi фav̂入oı aủ入ךтaí.
 $\epsilon \iota \pi \epsilon \rho \mu \eta \delta^{\prime}{ }^{\circ} \rho \chi \rho \eta \sigma \iota \stackrel{a}{\alpha} \lambda \lambda^{\prime} \dot{\eta} \phi a u ́ \lambda \omega \nu$.

Schol. Por., K 152 ff., already cited: фav́̉ך $\bar{\eta}$ סoкє̂̂ єivaı $\hat{\eta}$
 only 'poetically bad.'
2. The passage must be studied in conjunction with other passages.

Thus, in c. Ix, $1451 \mathrm{~b} 8-10$, after stating that it is the poet's business to relate not actual occurrences ( $\tau a ̀ ~ \gamma \in \nu o ́ \mu \in \nu a$ ), but


 $33-37$, after stating the four requisites in respect of character,





 тодŋрía.

These passages emphasize that poetic characters should say and do what is, according to necessity or probability, right they
should say or do. Accordingly, in the light of the Poetics, I render the passage under consideration as follows:
"Again, in examining whether what has been said or done by some one is poetically good or not, we must not look merely to the particular action or speech, and ask whether it is poetically good or bad ( $\sigma \pi$ ovoaîov $\hat{\eta}$ фav̂入ov $=\kappa a \lambda o ̀ \nu ~ \hat{\eta} \mu \grave{\eta} \kappa a \lambda o ́ \nu$ ). We must also consider by whom it is done or said, or with refer-

 of gaining some greater good or averting some greater evil."

Speech or action, the observation teaches, must be interpreted in the light of all the circumstances-the persons, the occasion, the end it is designed to serve; and if, from a study of these, the speech or action shows itself to be in accordance with necessity or probability, then its artistic excellence-and this is ever supreme with Aristotle-is assured. Morality enters into consideration only as implied in the aesthetic ideal.
3. That this interpretation is correct is evident from certain scholia containing explanations of Aristotle, in which the relativity emphasized in the above remark is made the ground of explanation. In all these passages objection is made to some speech or action as falling short of the $\sigma \pi o v \delta a i ̂ o v ~$ or the $\beta^{\prime} \lambda \lambda \tau \iota o \nu$, and Aristotle invalidates the various objections by showing that what was said or done was what, according to necessity or probability, ought to have been said or done, appealing to one of the features specified-the tò̀ $\pi \rho a ́ \tau \tau o \nu \tau a ~ \grave{\eta}$ 入́́ $\gamma o \nu \tau a$ or the $\pi \rho o ̀ s$


In schol. Por., H 93 (fr. 156, ed. Teubn.), it is enquired why Menelaos, at first so eager to fight, was afterwards not among the nine who presented themselves for single combat:





[^23]
 тòv $\pi \rho a \dot{\tau} \tau о \nu \tau a$ and the ö ö $\tau$ in answer to a charge of cowardice made against Menelaos.

Again, schol. Por., $\eta 258$ (fr. 178, ed. Teubn.), in response to the inquiry why Odysseus did not accept immortality when offered him by Kalypso: . . . A $\rho \iota \sigma \tau o \tau \epsilon ́ \lambda \eta \varsigma ~ \mu \epsilon ̀ \nu ~ o u ̉ \nu ~ \pi \rho o ̀ s ~ \tau o v ̀ s ~$
 $\kappa a i ̀ ~ \mu a ̂ \lambda \lambda o \nu ~ a ̈ \lambda \lambda \omega \nu ~ \sigma \pi o v \delta a ́ \sigma a \iota ~ \pi a ́ \nu \tau \omega \nu ~ \tau o ̀ \nu ~ \nu o ́ \sigma \tau o \nu ~ \cdot ~ \sigma v \nu e ́ 申 \in \rho \epsilon ~$



Finally, in schol. Por., $\mu 374,75$ (fr. 149, ed. Teubn.), it is enquired why the poet who says that Helios sees everything and hears everything, should represent him as needing a messenger to inform him about his oxen ( $\mu 374,75$ ): . . . $\lambda$ ú $\omega \nu$ ठĕ ’A 1

 povs $\lambda$ é $\begin{gathered}\text { ovta . . . . к. т. } \lambda \text {. Here we have an appeal to the }\end{gathered}$ ö $\tau \epsilon$ and the $\pi \rho o ̀ s o ̊ \nu$ in answer to a $\dot{v} \pi \epsilon \nu a \nu \tau i o v$. See further schol. Por., H 229, $\theta$ 564, Z 265, $\pi$ 188. ${ }^{1}$

When we consider the further application of this principle of relativity in the scholia, we find that it is usually employed in answer to strictures on the speeches and actions of Homeric heroes, and that the $\tau o ̀ v \pi \rho a ́ \tau \tau o \nu \tau a ~ \hat{\eta} \lambda$ érov $\tau a<\hat{\eta}>\pi \rho o ̀ s ~ o ̈ \nu ~$ and the öтє $\hat{\eta}$ öт $\tau \hat{\eta}$ oṽ ẽvยкєv, к. $\tau . \lambda$., have separated and a technical designation has been given to the application of each-

[^24]to the first $\epsilon \in \kappa$ or $\dot{a} \pi \grave{̀} \tau o \hat{v} \pi \rho o \sigma \dot{\omega} \pi o v$ or $\pi \rho o \sigma \dot{\omega} \pi \varphi$, to the second

(a). 'Ек то仑̂ $\pi \rho \circ \sigma \omega ́ \pi о v$.
 is closely interwoven with the Aristotelian doctrine of $\mu i \mu \eta$ $\sigma \iota s$. It studies the appositeness of speeches and actions to the persons in any way involved, and in this manner is appealed to for the explanation of $\dot{a} \pi \rho \epsilon \pi \hat{\eta}$, $\ddot{a} \lambda o y a$ and $\dot{v} \pi \epsilon-$ vavtia. Thus the $\dot{a} \pi \rho \epsilon \pi \epsilon \in ́ s$ that Odysseus should speak of good cheer and feasting as the summum bonum, $\lambda$ v́єтаь . . .ämò

 Por., 15.

And in schol. Por., $\Delta 2$, the $\dot{v} \pi \epsilon \nu a \nu \tau i o v ~ s e e n ~ i n ~ r e p r e s e n t-~$ ing both Ganymede and Hebe as cup-bearers of the gods ( $\Delta 2$,


' $\mathrm{E} \kappa \tau \tau \hat{v} \pi \rho o \sigma \omega ́ \pi o v$ is used for the solution of :
$\dot{a} \pi \rho \epsilon \pi \hat{\eta}$, sehol. Por., A 42, $\zeta 244, \iota 5, \lambda 489$.
ä $\lambda$ or $a$, schol. Por., $\Gamma$ 122, M 25, $\chi 412$.
${ }_{\text {vitevadtía, }}{ }^{1}$ schol. Por., B 649, $\Delta$ 2, Z 265, Z 488, 岜 434, $\Psi 71, \Omega 527$, etc.

[^25]
## （b）．＇Ек то仑̂ каเคоิ．

кaı $\rho$ ós，${ }^{1}$ which signifies literally＇precision，＇＇the instinct of drawing a line，as it were，at the right place，＇has in it，beyond the mere time element，an element expressing measure，season－ ableness，appropriateness，opportuneness．It is the term which most fully designates the＇Hellenic obedience to the sense of fitness or measure．＇＇Ек то仑 кaı $о \frac{v}{}$, accordingly，is an apt
 in the criticism of aesthetic correctness in the actions and speeches of poetic characters．

We have already observed how the fundamental notions in
 Aristotle in the explanation of difficulties．In other $\lambda \tilde{v} \sigma \epsilon \iota \varsigma$ of the scholia，not ascribed by name to Aristotle，they also play a great rôle under the technical designation $\epsilon \in \kappa$ тои̂ кaıрой， at one time the＇time＇element being the source of appeal，at
 schol．Por．，B 848，that Pyraichmes is here announced as gen－ eral of the Paionians，while in $\Phi 140$ Asteropaios is their

 $\tau \hat{\nu}$ Пaıóv $\omega \nu$ ，where the＇time＇is the ground of explanation． Cf．schol．Por．，$\Delta 2, \Upsilon 329, \mu 374$ ．And the $\dot{a} \pi \rho \in \pi \epsilon \in e^{s}$ that Phoinix should tell the story of his intercourse with his father＇s
 $\kappa i ́ \delta a s ~ \delta \iota a \beta a ́ \lambda \lambda \epsilon \iota \pi \rho o ̀ s ~ \tau o ̀ \nu ’ A \chi \iota \lambda \lambda \epsilon ́ a ~ \epsilon ̌ \nu \epsilon \kappa a ~ \tau \eta ̂ \varsigma ~ B \rho \iota \sigma \eta i ̈ o s ~ \chi a \lambda \epsilon-$ таívovta，schol．Por．，I 452．Cf．schol．Por．，A 18，A 31.

The varied application of éß $\tau o \hat{v}$ кa८pov̂ is shown by the following ：

[^26] 16，Г 365，K 194，М 25.

2．$\dot{a} \pi \rho \epsilon \pi \hat{\eta}$ ，schol．Por．，A 18，A 42，I 186，I 203，I 453，I 591，九 5，入 489.

3．itevavtía，schol．Por．，B 848，$\Delta 2, \gamma 20, \gamma 147, \mu 374$.
4．An á ®úvarov，schol．Por．，Г $379 . ~_{\text {．}}$
5．An äтотоу，schol．Por．，I 591.
6．An $\dot{a} \sigma \dot{v} \mu \phi o \rho o \nu$, schol．Por．，$\Upsilon 67$ ff．
C．$\Lambda \dot{v} \sigma \epsilon \iota \varsigma$ from a consideration of the means of representation．
Other objections，proceeds Aristotle，must be solved by a consideration of the linguistic expression．${ }^{1}$ Here the $\lambda \epsilon{ }^{\prime} \xi \iota s$ ， laid down in the general $\epsilon i \delta \eta$ as the means of representation， finds its application．There are various $\lambda v^{\prime} \sigma \epsilon \iota s$ classified under $\lambda \epsilon ́ \xi \iota s$ ，and a greater fullness of examples is offered than has heretofore been given．Why this should be so is evident from the scholia，where the interpretation of the linguistic expression shows itself to have been the readiest and most frequently applied means for the solution of $\pi \rho o \beta \lambda \eta^{\prime} \mu a \tau a$ ．The technical designation of this solution is $\dot{\epsilon} \kappa \tau \hat{\eta} \varsigma \lambda \epsilon \xi \xi \in \omega \varsigma$ and similar forms． Vahlen ${ }^{2}$ confines its application to one of the $\dot{\epsilon} \pi \iota \tau \iota \mu \eta \mu a \tau a$ ，the $\dot{v} \pi \epsilon \nu a \nu \tau i o v$, in its two phases，as expressing the contradictory to something the poet himself says or the contradictory to ＇what is tacilly assumed by a person of intelligence．＇That this is a mistaken view is evident by its varied application in the scholia，where $\epsilon^{\epsilon} \kappa \tau \eta \hat{\eta}_{\varsigma} \lambda \epsilon ́ \xi \in \omega s$ is used to explain：

1．ảdúvaтa，schol．Por．，$\Gamma 144, \Delta 105, \Delta 491$, E 7, H $9, \Theta 555$.
2．ä ${ }^{2}$ ora，schol．Por．，A 62，Г 121，Г 365，E 341，M 25，$\chi 412$.
3．vitevàtía，schol．Por．，A 3，B 844，$\Delta 105$ ，E 576，ヨ 434， O 189，$\zeta 221, \eta 54, \eta 64, \iota 25, \mu 374$.

4．$\dot{a} \pi \rho \epsilon \pi \hat{\eta}$ ，schol．Por．，A 31，A 42，A 211，B 8，B 82，E 778， I 453， 15.

5．à $\sigma \dot{\prime} \mu \phi o \rho a$ ，schol．Por．，Z 234，$\Lambda 405, ~ \iota 106$.
6．ӓтота，schol．Por．，$\Delta 297$.

[^27]These passages supplement the illustrations of the various $\lambda v$ veıs in the Poetics, which Aristotle treats in the following order (1461 a 9-b 10):
VI. Г入ஸ́тт ${ }^{1}$, i. e., a solution based on the acceptance of $a$ rare term, the antique or dialectical meaning of a word.

Of this, three examples are offered: 1. To the objection to A 50 , où $\rho \hat{\eta} a \varsigma ~ \mu \grave{̀} \nu \pi \rho \hat{\omega} \tau o \nu$, as shown by the scholia, that Apollo's arrows should first hit mules and dogs and afterwards the men, Aristotle offers the possible explanation that oủpyoas has here not its usual sense of 'mules,' but its rare sense ( $\gamma \lambda \omega$ ' $\tau \tau \eta$ ) of 'sentinels.' 2. Objection was made to K 316 (where Dolon, who presents himself to perform Hektor's commission, is de-
 most probably on the ground that, as swift-footedness would presuppose a symmetrical bodily structure, the line presented an inconsistency. Aristotle offers the odd explanation that the expression did not signify ill-shaped in body, but ugly in visage, for the Cretans use the word $\epsilon \dot{v} \epsilon \iota \delta$ és, 'well-favored,' to denote a fair face-thus understanding eíoos not as a кúpıov ò $\nu о \mu a$, but as a $\gamma \lambda \hat{\omega} \tau \tau a$. 3. I 202 ff . offers a third example, where Achilles, after receiving his unexpected guests, gives the command to Patroklos :
$\mu \epsilon i \zeta$ оуа $\delta \grave{\eta} \kappa \rho \eta \tau \hat{\eta} \rho a$, Mevo九тíov vié, каӨíaта,


The objection made to this is evident from the scholium, which contains an explanation practically the same as that of



[^28] by understanding ' $\zeta \omega \rho о ́ \tau \epsilon \rho о \nu$ ' not as ${ }^{\alpha} \kappa \rho а \tau о \nu$, but as $\theta \hat{a} \tau \tau о \nu$, a rare use of the term. Cf. Plut., Symp., v, 4.
VII. Kaтà $\mu \epsilon \tau a \phi o \rho a ́ \nu,{ }^{1}$ i. e., a solution by an appeal to metaphor.

Aristotle offers two illustrations of explanations by means




 ä $\mu \mu о \rho o s " \kappa а \tau a ̀ ~ \mu \epsilon \tau а ф о \rho a ́ v, ~ \tau o ̀ ~ \gamma a ̀ \rho ~ \gamma \nu \omega \rho \iota \mu \dot{\tau} \tau а т о \nu ~ \mu o ́ v o v, ~$ 1461 a 16-21.

In the first illustration there exists much confusion. The second of the citations, $\eta^{\eta} \tau \circ \iota{ }_{\text {ö }} \tau^{\prime}$ és $\pi \epsilon \delta i o \nu, \kappa . \tau . \lambda .$, is read K 11 ff ., of which Aristotle cites only so much as is important for his purpose, while the first is found in B 1 ff ., the unnecessary epithet $i \pi \pi т о к о \rho v \sigma \tau a i ́$ being purposely omitted. On this account Vahlen ${ }^{2}$ holds that Aristotle could only have meant the beginning of K when he quoted the similarly sounding beginning of B . ${ }^{3}$

[^29]Now between the beginning of K and the verses 11 ff ．， there is absolutely no inconsistency to be recognized ；and， even if the first lines of B，undoubtedly cited by Aristotle，be understood，there is nothing in them to which the solution $\boldsymbol{o}$
 answer，as no $\pi$ ávtes is present in the text．

After rejecting certain attempts to remove the difficulty， Vahlen says there remain two views worthy of consideration－
 has crept from the Homeric into the Aristotelian text，or the solution $\tau o ̀ ~ \gamma \grave{a} \rho \pi a ́ v \tau \epsilon \varsigma ~ a ̉ \nu \tau \grave{̀} \tau o \hat{v} \pi o \lambda \lambda o i ́, \kappa . \tau . \lambda .$, refers not to the passages cited，but to another citation，which，along with the solution of the first citations，has been lost from the Aris－ totelian text．Vahlen inclines to the former view，that the Homeric ä入入o九 has displaced $\pi a ́ v \tau \epsilon s$ written by Aristotle，the restoration of which brings clearness and coherence into the passage．Christ and Butcher，following Gräfenhan，adopt $\pi a ́ \nu \tau \epsilon \varsigma$ in their texts．

I cite in confirmation of Vahlen＇s view schol．Por．，$\Xi 304$ ， which gives evidence of Peripatetic origin：．．．$\tilde{\omega} \sigma \pi \epsilon \rho \gamma{ }^{\alpha} \rho$







The formula $\tau$ ò $\gamma \grave{\alpha} \rho \pi a ́ \nu \tau \epsilon \varsigma ~ a ̉ \nu \tau i<\tau o \hat{v}>\pi o \lambda \lambda o i ́ ~ o c c u r s ~ f r e-~$ quently in the scholia in explanation of $\dot{v} \pi \epsilon \nu a \nu \tau i ́ a$, as e．g．：

[^30]1. Schol. Por., 勿304, treating the $\dot{v} \pi \epsilon \nu a \nu \tau i o v ~ b e t w e e n ~ A ~$

 $\nu \hat{a} \nu$ éc $\tau o \hat{v}$ oủpavô̂ $\phi \eta \sigma \iota \nu$ è $\lambda \theta \in i ̂ \nu ~ \pi a \rho a ̀ ~ \tau \eta ̂ s ~ " H \rho a s ~ \pi \rho o ̀ s ~ \tau o ̀ \nu ~$

 тávтєs є̇кá $\theta \in \cup \delta o \nu, \kappa . \tau . \lambda$.
2. Schol. Por., $\mu 374,75^{1}$ (fr. 149, ed. Teubn.) : $\mu 374$ ff., representing long-robed Lampetia bearing word to Helios about the slaughter of his kine, is considered évàtion to 'Hé̀ıós $\theta$ '
 know it without being informed, $\lambda$ v́ouтo $\delta^{\prime}$ âv $\ldots \tau \hat{\eta} \lambda \epsilon \in \xi \in \iota \cdot \tau o ̀$ үà $\frac{\pi a ́ \nu \tau a}{} \delta \eta \lambda o \hat{\imath} \tau a ̀ ~ \pi \lambda \epsilon i ̂ \sigma \tau a$.
3. Schol. Por., O 189 ff.: Referring to Poseidon's account of the division of territory between Zeus, himself and Hades





 є̈ть коьขá.





4. Schol. Por., B 649 (fr. 146, ed. Teubn.): The contradiction in the statements concerning Crete in B 649 (K $\boldsymbol{\eta}^{\prime} \tau \eta \nu$
 évvท́коעтa $\pi o ́ \lambda \eta \epsilon \varsigma)$ receives, among others, the explanation:


[^31]


A second example of a difficulty removed by means of a metaphorical explanation is offered by $\sum 489$, where it is said of the Bear which, along with other stars, Hephaistos wrought in the shield of Achilles:

## ờ $\delta^{\prime}$ ä $\mu \mu о \rho o ́ s ~ \epsilon ̇ \sigma \tau \iota ~ \lambda о є \tau \rho \omega ิ \nu ' \Omega \kappa є a \nu o i ̂ o . ~$

The scholia show the nature of the objection : . . . кaтทүoоov $\sigma \iota$


 astronomy, in asserting as true of the Bear alone what is true also of other stars. Aristotle explains that ol $\eta$, 'alone,' is to be understood as used metaphorically for that which is best known, for the best known may be called the only one ( $\tau \grave{o}$ $\gamma \grave{a} \rho$ б $\nu \omega \rho \iota \mu \dot{\tau} \tau а т о \nu \mu$ о́vov).

Other solutions in the scholia based on an appeal to metaphor are as follows: 1. ítevàtia, schol. Por., $\Delta$ 105-111, E 576, E 741, P 125; 2. á ov́vata, schol. Por., E 7, K 11.
 accent or breathing.

The examples under $\pi \rho \circ \sigma \varphi \delta i ́ a-\kappa a \tau a ̀ ~ \delta e ̀ ~ \pi \rho о \sigma \omega \delta i ́ a \nu, ~ ต ั \sigma \pi \epsilon \rho ~$
 $\kappa a \tau a \pi v ́ \theta \epsilon \tau a \iota \stackrel{ }{ }{ }^{\circ} \mu \beta \rho \varphi$," 1461 a $21-23$-are treated more fully, without mention of the name of Hippias, in Soph. El., c. IV, 166 b 1 ff. ${ }^{2}$

[^32]The first expression, $\delta i \delta o \mu \epsilon \nu \delta$ $\delta$ oi, as the Soph. El. shows, must have referred to the beginning of B , and Vahlen concludes that in Aristotle's copy of Homer was read in B 15,
 age objection was made that Zeus appears as a liar and a deceiver, and Hippias sought to set this aside, 'acumine artibus Loyolae digno, ${ }^{1}$ by the change of accent from $\delta i \delta o \mu \in \nu$ to $\delta \iota \delta o ́ \mu \in \nu$, an infinitive used as an imperative; so that Zeus only commands the dream to entice Agamemnon with vain hopes, etc. Through this cunning artifice the blame is rolled off the shoulders of Zeus on the oैveıpos.

As to the second example, it is evident from the Soph. El. that some took exception to the awkwardness ( $\dot{a} \tau \dot{\sigma} \pi \boldsymbol{\pi} \boldsymbol{\varsigma}$ ) of the expression $\tau \grave{o} \mu$ èv ov̂ ( $=$ oṽ $\tau \grave{o} \mu \epsilon ́ \nu$ ) in $\Psi 328$ - $\epsilon$ é $\sigma \tau \eta \kappa \epsilon$
 overcame this by changing the ov̂ into ov, and this gained for the passage a proper sense. Worthy of note for the conception of $\pi \rho o \sigma \omega \delta i a$, as showing that it includes also a change in breathing, is Soph. El., 177 b 3. See, also, 169 a 27, 177 b 35, 179 a 14, quoted by Vahlen, p. 368 f.
IX. $\Delta \iota a \iota \rho \in ́ \sigma \epsilon \iota$, i. e., a solution by a change in punctuation.

A related point of view is the solution through $\delta$ daip $\rho \sigma \iota \varsigma$, i. e., through punctuation, the separation or grouping of words. Vahlen cites, as clarifying its meaning, Soph. El., 166 a 35, 177 b 10 ff.; Rhet., II, 24, 1401 a 24 ff., III, 9,1409 b 10 ff.

The example cited in the Poetics (1461 a 23-25) is a verse

 (Mullach, fr. 202). On the variants in citations of this passage and the $\epsilon \pi \iota \tau i \mu \eta \mu a$ here to be understood, see Vahlen, p.

[^33]370 f . It turns on the possibility of understanding one of two

 $\nu a \tau a, \zeta \omega \rho a ́ ~ \tau \epsilon \pi \rho i \nu, \kappa \in ́ \kappa \rho \eta \tau о$. It is clear how, through different union and separation of the words, the sense of the passage is very considerably varied.

We see from the $\lambda$ v́ $\sigma \epsilon \iota s$ катà $\pi \rho о \sigma \omega \delta_{i ́ a \nu}$ and $\delta \iota a \iota \rho$ é $\sigma \epsilon \iota$ that some difficulties were removed not by interpretation of the terms or phrases causing the difficulty, but by some change in the traditional text.
 there is abundance of evidence in the scholia (e. g., $\Phi$ 252, $\epsilon 334, \kappa 176$, etc.) and elsewhere that Aristotle made critical comments ${ }^{1}$ on the text of Homer, and that in this he was followed by the Peripatetics (e. g., schol. Dind., M 231, T 62, $\Psi 94, \zeta 106)$. Hence it is not out of place to cite here certain е̇т८тьцท́цата treated in scholia betraying Peripatetic influence, to which are given explanations based on a criticism of the text, in a manner similar to those treated under $\pi \rho o \sigma \omega \omega_{i} i^{a}$ and $\delta \iota a i \rho \in \sigma \iota s$.
 ' $\Omega \kappa \in a \nu o i ̂ o$, already considered (p. 45), we read: кầ $\delta \iota a \iota \rho \eta ิ \tau a \iota$
 ŋ̀ $\lambda$ ú $\iota \iota$ vimá $\rho \chi \epsilon$.








See further schol. Por., A 63, $\lambda 239$, for the treatment of certain cases of $\dot{v} \pi \varepsilon \nu a \nu \tau i ́ a$ by textual criticism.

[^34]X. 'А $\mu \phi \iota \beta o \lambda i ́ a$, , i. e., a solution by a study of the ambiguity of an expression.

Closely related to $\delta \iota a i \rho \epsilon \sigma \iota s$ is $\dot{a} \mu \phi \iota \beta o \lambda i a$, the next method



On the usage of ${ }_{a} \mu \phi \iota \beta o \lambda i ́ a ~ i n ~ d i a l e c t i c, ~ s e e ~ S o p h . ~ E l ., ~$ c. Iv, 166 a 6 ff ; ; and on its close connection with $\delta \iota a i \rho \in \sigma \iota s$, Topica, $145 \mathrm{~b} 22-30$. The distinction between $\delta \iota a i \rho \epsilon \sigma \iota s$ and $\dot{a} \mu \phi \iota \beta o \lambda i ́ a$ is that $\delta u a i \rho \in \sigma \iota s$ indicates such ambiguity as arises from the different senses of a passage due to different punctuation, while $\dot{\alpha} \mu \phi \iota \beta o \lambda i{ }^{\prime} a$ is the ambiguity arising from the different senses of which two or more words are capable in consequence of their grammatical relations.

The passage quoted is from K 251 ff :

As is shown by the scholia to the passage, the $\mathfrak{\epsilon} \pi \iota \tau i \mu \eta \mu a$ was the contradiction existing between the last two clauses. Aristotle's explanation is also preserved by Porphyry. It was, in brief, that Homer did not say that more than two parts of the night had passed by, with which the statement that the third part yet remained would be contradictory ; the words are rather to be interpreted that, of the two parts (or halves) into which the night falls, the greater part (or the greater half) has passed by, and this indefinite statement of the time is more accurately determined by the additional clause, т $\tau \iota \tau a ́ \tau \eta \delta^{\delta}$ єै $\tau \iota \mu \circ \imath i \rho a$ $\lambda \hat{\lambda} \lambda \epsilon \iota \pi \tau a \iota$. Hence the $\pi \lambda \epsilon \in \omega \nu$ clause is ambiguous, and an objection which is due to an interpretation based on one of the possibilities of meaning is removed by the acceptance of the other possibility present in the $\dot{a} \mu \phi \iota \beta o \lambda i ́ a$.
 to the custom of speech.

The language of the Poetics, in which Aristotle states this $\lambda \dot{\sigma} \sigma \iota s$, is badly confused, and has presented much difficulty to
commentators. It is given by Vahlen as follows: $\tau \grave{\alpha} \delta \grave{e} \kappa \kappa a \tau \grave{a}$



 $<\kappa a i>\kappa a \tau a ̀ ~ \mu \epsilon \tau а ф о р a ́ v, 1461 ~ a ~ 27-30 .{ }^{1}$

Vahlen, following an early editor, transposes the $\partial \theta \epsilon \nu \in \ell \rho \eta \tau a \iota$ ó $\Gamma a \nu$. clause to the position after $\phi a \sigma \iota \nu$ cival, and understands the first clause, 'everything that belongs to the mixed drinks is called (according to the ${ }^{\prime} \theta \theta o s ~ \lambda \epsilon ́ \xi \in \omega \varsigma$ ) wine ${ }^{\prime 2}$ —which finds its application in the statement- 'hence of Ganymede it is said
 wine (E 341), but nectar.' Thus, from a consideration of a popular usage of oivov to embrace all mixed drinks, the statement that Ganymede ' $\Delta \iota i$ oivo $\begin{gathered}\text { ocvé } \epsilon \text { ' is justified as not con- }\end{gathered}$ tradictory with the statement that the gods " ov mivova' aı̈ $\theta$ oтa oivov" (E 341).

The clause, <ö $\sigma a>\tau \hat{\omega} \nu \kappa \kappa \kappa \rho a \mu \epsilon \in \nu \omega \nu$ oivóv фaбıv єival, as it implies that likewise nectar belongs to the mixed drinks, is inconsistent with the Aristotelian scholium $\in 93$ (fr. 170, ed.









[^35]Vahlen holds rightly that this inconsistency does not call in doubt either his interpretation of the passage or the Aristotelian
 views is not attempted by Aristotle in the explanation of different passages, and is not to be expected in the problems, which frequently present several solutions of the same difficulty.

The second example of the ${ }^{\prime} \theta \neq \varsigma \quad \lambda \epsilon ́ \xi \epsilon \omega \varsigma$ also presents difficulty: кaì $\chi a \lambda \kappa \epsilon ́ a s ~ \tau o v ̀ s ~ \tau o ̀ \nu ~ \sigma i ́ \delta \eta \rho o \nu ~ \epsilon ́ \rho \gamma a \zeta о \mu e ́ v o v s ~(s c i l . ~ \phi a \sigma i ̀ \nu ~$
 ขєотєध́ктоv каббוтє́роьо." In our treatment of it we follow Vahlen.

The schol. (B) to T 283 have noted the popular usage of
 $\dot{\eta} \chi \rho \eta \hat{\sigma} \iota \varsigma \tau o \hat{v} \chi a \lambda \kappa o ̀ \nu$ ỏvo $\mu a ́ \zeta \epsilon \iota \nu \tau o ̀ \nu ~ \sigma i ́ \delta \eta \rho o \nu \cdot a ̉ \mu \epsilon ́ \lambda \epsilon \iota \kappa a i ̀ \chi a \lambda$ $\kappa \varepsilon ́ a s ~ \lambda e ́ \gamma о \mu є \nu ~ \tau o v ̀ s ~ \tau o ̀ \nu ~ \sigma i ́ \delta \eta \rho o \nu ~ \epsilon ́ \rho \gamma a \zeta o \mu e ́ v o v s . ~ O n e ~ w o u l d ~ e x-~$ pect in the application of this popular usage a passage, as the one just cited, in which $\chi a \lambda \kappa o ́ s$ or $\chi a \lambda \kappa \epsilon v{ }^{\prime} s$ occurs in the sense mentioned. In the example cited by Aristotle, $\Phi$ 592, it is at first sight not clear in what the objection lay which is to be removed with the help of the ${ }_{\epsilon} \theta$ os $\lambda \epsilon \epsilon^{\prime} \xi \in \omega s$. Yet, if one considers the passage in its connection-
 $\kappa a i ́ ~ \rho ’ ’ ~ \epsilon ̋ \beta a \lambda є ~ \kappa \nu \eta ́ \mu \eta \nu ~ v i \pi o ̀ ~ \gamma o u ́ v a \tau o s, ~ o v ̉ \delta ’ ~ a ̉ ф a ́ \mu a \rho \tau є \nu . ~$

 $\beta \lambda \eta \mu \epsilon ́ \nu o v$, oủ $\delta^{\prime}$ '̇ $\pi \epsilon ́ \rho \eta \sigma \epsilon-$

the objection seems to consist in this: that it is odd for the softer metal of the greaves to ring under the blow of Agenor's brazen spear and for the bronze to rebound from a greave of new wrought tin. Accordingly, Aristotle does not take каббí$\tau \epsilon \rho o s$ in its literal sense, but, just as $\chi a \lambda \kappa \epsilon \hat{\imath} \rho$ is used also of workers in iron, so too, by a custom of speech, one could speak of greaves of tin, though they were made of other metal, or at least not of pure tin.
 stand an explanation of a disputed passage which appeals to popular usage, to the custom of speech, in the interpretation of the word or phrase that causes the difficulty.

This $\lambda v \sigma_{\iota}$ is mentioned in the Soph. El., rv, 166 a 17 ff ., and is used in the scholia for the treatment of certain $\epsilon \pi \iota \tau \iota \mu \eta^{\prime}-$ $\mu a \tau a-a s$, e. g. :
 Hermes if the gods drink only pure nectar, treated in schol. Por., $\epsilon 93$, above quoted. Aristotle removes the difficulty by understanding ' $\kappa$ ́́ $\rho a \sigma \sigma \epsilon$ ' not in its literal sense, ' $\mu \imath \xi a \iota$,' but in a popular sense, ' $\psi \iota \lambda \omega \hat{s}$ ér $\chi$ éac.'
 $o \mu \epsilon \nu \hat{\eta} i \in \rho \hat{\eta} a$, in seeking to enquire from a priest concerning

 $\tau \in \varsigma \pi a ́ \lambda a \iota$, シ̈ $\sigma \pi \epsilon \rho$ кaì é $\tau \in ́ \rho \omega \theta \in \nu(\Omega 220)$, schol. Por., A 62 f .

Cf. schol. Por., $\eta 54$ f., and $\eta 64$ f.
 tion by an appeal to the various possibilities of meaning in a word. ${ }^{1}$

After his treatment of $\kappa a \tau \grave{\alpha} \tau \grave{̀}$ è $\hat{\theta} \theta o s ~ \tau \hat{\eta} s ~ \lambda \epsilon ́ \xi \epsilon \omega \varsigma$, Aristotle




 1461 a 31 ff .

This signifies that, if a word causes some inconsistency, one is to examine the various possibilities of meaning in the word or abide by one's first conception of it. The verse cited is from $\Upsilon 267 \mathrm{ff}$., and the objection indicated can be best understood from the connection :

[^36]






Porphyry, in a lengthy scholium to this passage, presents various attempts at solution. The difficulty, according to the scholia, originates in this, that one starts out from the supposition that the gold plate was the outermost one, which
 what has preceded. Others give up this supposition, and situate the gold plate as the central of the five plates of which the shield was made; then it is easily understood how the lance, after it had broken through two plates, could make a halt at the third, the gold one. As this explanation results from a study of the various possibilities under which the ${ }^{\prime \prime} \sigma \chi \chi \tau \sigma$ ( $=\dot{\epsilon} \kappa \omega \lambda v^{\prime} \theta \eta$ ) in that verse is to be understood, Vahlen considers it final and satisfactory. But this explanation does not remove the whole difficulty. $\tau \hat{\eta} \frac{\rho}{\rho}$ ' $\epsilon \sigma \sigma \chi \epsilon \tau o$ may be understood as meaning 'stuck' or 'was fastened in it,' as the word clearly means in a similar passage, H 248 f . (where, however, it is used with the preposition $\epsilon \nu)$ :



This sense, however, might lead to a manifest contradiction, for Homer says above not only that the gold stopped itхрvбòs үà $\epsilon$ є́ри́какє-but still more expressly that the spear
 $a i \delta^{\prime}{ }^{a} \rho^{\prime}$ ' $\notin \tau \iota \tau \rho \epsilon i \hat{\varsigma}-i m p l y i n g$ that the three remained unpierced. But the spear could not well be fixed or fastened in the gold plate, which was the third, without piercing it. Now, if a different sense of ${ }^{\prime \prime} \sigma \chi \epsilon \tau 0$, as 'stayed' or ' was held,' be understood, the contradiction is satisfactorily explained, and Aris-
totle's suggestion-to examine the various possibilities of meaning in a word-has been successfully carried out.

Aristotle, in immediate connection with the above, characterizes under the name of Glaukon the precisely opposite methods of many critics, who jump at certain groundless conclusions and, assuming that the poet has said what they happen to think, find fault with anything which seems contrary to their own preconceived suppositions and notions. For example, the question about Ikarios has been treated in this fashion. The critics imagine he was a Lakedaimonian. They think it strange (äтото⿱), therefore, that Telemachos, when he went to Lakedaimon, should not have met his grandfather. But, says Aristotle, the story of the Kephallenians may be the true one, who allege that Odysseus took a wife from among themselves and that her father was Ikadios, not Ikarios. So then, it is merely a mistake that gives plausibility to the objection. Thus Aristotle sets over against an arbitrary assumption another possibility which removes the occasion to censure the poet. The Ikarios incident was much discussed in antiquity, as is evident from schol. Por., $\delta 1$ ff., schol., o 16, etc.

Vahlen does not classify the foregoing, which may be briefly
 statement of a general principle of interpretation which, applied exclusively to $\dot{v} \pi \epsilon \nu a \nu \tau i ́ a$, involves the six special $\lambda \dot{\prime} \sigma \epsilon \iota \varsigma$ é $\kappa$ $\tau \eta ̂ s \lambda_{\epsilon ́ \xi}{ }^{\prime} \in \omega s$ which have been just treated. At this point I have been unable to agree with Vahlen and I classify it as the seventh of the special $\lambda \dot{v} \sigma \epsilon \iota$ from the language and the twelfth and last $\lambda v^{\prime} \sigma \iota s$ of the chapter. My reasons for so doing are the following:

1. It proposes a method of solution which falls naturally under the head of $\lambda \in \in \xi \not \xi \iota \varsigma$ and which stands in marked distinction to the preceding six $\lambda \dot{v} \sigma \epsilon \iota \varsigma . \dot{a} \mu \phi \iota \beta$ д ${ }^{\prime} a_{a}$ is concerned with the variety of senses in two or more words from their
 merely a popular and, therefore, an irregular usage of a term; $\pi \sigma \sigma a \chi \hat{\omega} s \hat{a} \nu \sigma \eta \mu \eta \dot{\nu} \nu \epsilon \epsilon$ considers which of a variety of the
natural senses of a word is the proper one in the disputed passage．

2．It is illustrated by an example as the eleven $\lambda \dot{v} \sigma \epsilon \iota \varsigma$ already considered．

3．It corresponds in its sense and application to $\dot{\delta} \mu \omega \nu \nu \mu i a$ ， treated and illustrated in Soph．El．，rv， 166 a 6 ff ．，as a $\lambda \dot{v} \sigma \iota \varsigma$ from the language．

4．It is frequently employed in the scholia to explain diffi－ culties，chiefly $\dot{v} \pi \epsilon \nu a \nu \tau i ́ a . ~ S o, ~ e . ~ g ., ~$
 тє́кєто Zєús is considered èvavtiov to Ф 195 f．：＇$\Omega \kappa є a \nu o i ̂ o, ~ e ́ \xi ~$





2．Schol．Por．，Z 488．The question was raised，how it is that the same poet who says that $\mu$ oî $a$ cannot be infringed－ $\mu \circ i ̂ \rho a \nu \delta^{\circ}$ ov̉ $\tau \iota v a ́ \quad \phi \eta \mu \iota \pi \epsilon \phi v \gamma \mu \epsilon ́ v o \nu$ č $\mu \mu \epsilon \nu a \iota ~ a ̉ \nu \delta \rho \hat{\omega} \nu$－yet im－ plies in the Odyssey that it can be－ $\mathfrak{\omega}$ s кaì vôv Aľ





 ả入入à $\tau o ̀ ~ v i \pi \epsilon ̀ \rho ~ \tau o ̀ ~ \kappa a Ө \hat{\eta} \kappa о \nu . ~$

3．Schol．Por．，B 2．$\Delta i ́ a ~ \delta ’ ~ o u ̉ \kappa ~ e ́ \chi ~ \chi ~ \nu \eta ́ \delta \nu \mu o s ~ v ́ \pi \nu \nu o s ~ s e e m s ~$
 $\delta^{\prime} a ̈ \nu$ ，says the scholiast，катà $\lambda \in \epsilon \in \iota \iota \nu \cdot \kappa a i ̀ ~ \gamma a ̀ \rho ~ \tau o ̀ ~ \kappa а Ө \epsilon v ́ \delta є \iota \nu ~ \epsilon ่ \nu i o \tau \epsilon ~$


See further schol．Por．，A 3，Z 265，勿 200 for $\dot{\text { úrevaltiáa；}}$ A 211，B 8 for $\dot{\alpha} \pi \rho \epsilon \pi \hat{\eta}$ ．

Under $\pi о \sigma a \chi \omega \hat{\omega}$ à̀ $\sigma \eta \mu \dot{\eta} \nu \epsilon \iota \epsilon$ are to be classified certain cases where $\dot{\delta} \mu \omega \nu \nu \mu i ́ a$ is appealed to in the explanations of contradictions arising from a coincidence in the names of Homeric characters．The incident of Pylaimenes is a famous
one, who is slain in E 576, but yet reappears in N 658 , following the corpse of his son Harpalion on its way to sacred Ilium. The scholium Por., E 576, explains as follows : . . . $\mathfrak{\eta}$ ס̀̀




 $\pi о \iota \eta \tau \hat{\eta}$ ó $\mu \omega \nu \nu \mu i ́ a \iota, \kappa . \tau . \lambda .{ }^{1}$

Further, in schol. Por., H 9, the poet is accused of contradicting himself in calling Nestor the oldest of the Achaians (A 250), and yet representing Menestheus as the older of the two by two generations (H8ff.). He is said to be the son of Areithoos, surnamed Korynetes, and from Nestor's account of the latter's armor (H 124-160), it is considered impossible for



 MeveбAíou.
IV.

The remaining section of the chapter ( $1461 \mathrm{~b} 10-21$ ), beginning ő $\lambda \omega \varsigma \delta^{\prime}$ é, contains general observations on the proper treatment of the various $\dot{\epsilon} \pi \iota \tau \iota \mu \eta{ }^{\prime} \mu a \tau a$.

In general, proceeds Aristotle, тò ádúvacov is to be referred (1) to the End of Poetry ( $\pi \rho o \grave{\varsigma} \tau \grave{\eta} \nu \pi o i \eta \sigma \iota \nu^{2}$ ), which is illus-

[^37]trated below by the observation, $\pi \rho o ́ s ~ \tau \epsilon ~ \gamma a ̀ \rho ~ \tau \eta ̀ \nu ~ \pi o i ́ \eta \sigma \iota \nu$
 xxiv, 1460 a 27); or (2) to Poetic Truth ( $\pi \rho o ̀ s ~ \tau o ̀ ~ \beta e ́ ̀ ~ \lambda \tau \iota o v) ~$ (cf. p. 30), illustrated by the observation, tooovitovs civaı oiov



Tò ä入oyov is to be referred (1) to Popular Belief ( $\pi$ pòs ä $\phi a \sigma \iota \nu \tau a ̈ \lambda o \gamma a)$; or (2) is to be explained thus: that an ádoyov does not always violate reason, as 'it is probable that a thing may happen contrary to probability.'

Next occurs an observation for the treatment of contradictions: đà $\delta^{\prime}$ vimevavtía $\omega \varsigma ~ \epsilon i \rho \eta \mu e ́ v a ~(s c i l . ~ \epsilon ̇ \sigma \tau i ̀) ~ o v ̃ \tau \omega ~$


 $\dot{v} \pi \circ$ Ө̂̀тa८, 1461 b 15-19. ${ }^{1}$

The meaning of тò vitevavtion has been already considered (p. 21 f .). In the treatment of contradictions in poetry, says Aristotle, one should observe the same procedure as is applied to é $\lambda \epsilon \gamma \chi \circ \circ$ in Dialectic. In this, in order to establish whether the ${ }^{\prime \prime} \lambda \epsilon \gamma \chi \circ$ os actually an ${ }^{\prime \prime} \lambda \epsilon \gamma \chi{ }^{\circ}{ }^{\circ}$, one must enquire whether the $\dot{\alpha} \nu \tau i \phi a \sigma \iota s$ which the ${ }^{\prime} \lambda \lambda \epsilon \gamma{ }^{\prime}{ }^{\circ}$ s contains applies to the same object and holds in the same relation and in the same way and manner, and in other respects as indicated by Soph. El., 181



[^38]öт $\omega \varsigma$ Єै $\epsilon \tau \tau a \iota ~ \tau o ̀ ~ a u ̉ \tau o ̀ ~ \kappa a i ̀ ~ \kappa a \tau a ̀ ~ \tau o ̀ ~ a u ̉ \tau o ̀ ~ \kappa a i ̀ ~ \pi \rho o ̀ s ~ \tau o ̀ ~ a u ̉ \tau o ̀ ~ \kappa a i ̀ ~$


Just as in sophistical refutations, therefore, so in the treatment of poetic contradictions it should be examined 'whether the same thing is meant' 'in the same relation' and in the same sense. And contradictions are said to be of two sorts, contradictions in statements expressly made by the poet himself ( $\pi \rho o ̀ s ~ \hat{a}$ aù $\begin{gathered}\text { òs } \lambda \epsilon ́ \gamma \epsilon \iota \text { ) and contradictions to the tacit assump- }\end{gathered}$ tion which a person of intelligence naturally makes (<scil. $\pi \rho o ̀ s>\hat{o}$ ầ ф фóvıuos $\dot{v} \pi o \theta \hat{\eta} \tau a \iota) .{ }^{1}$ "As in ethics Aristotle assumes a man of moral insight ( $\delta \phi \rho o ́ v \iota \mu o s$ ), to whose trained judgment the appreciation of ethical questions is submitted, and who, in the last resort, becomes 'the standard and the law' of right," so too here a person of sound intelligence is assumed who is to judge whether discrepancies exist in the poetic narration, though the poet may not in so many words contradict himself. Vahlen compares with the whole thought Soph. El., xv,


 $\pi \rho o ̀ s ~ \tau o u ̀ s ~ \delta о к о и ̆ \nu \tau a \varsigma ~ \tau o \iota o u ́ t o u s ~ \eta ̂ ~ \pi \rho o ̀ s ~ \tau o u ̀ \varsigma ~ o ́ \mu o i ́ o v \varsigma, ~ к . \tau . \lambda . ~$

Both Teichmüller ${ }^{2}$ and Vahlen connect the lines under consideration with the six $\lambda \dot{v} \sigma \epsilon \iota \varsigma \quad \dot{\epsilon} \kappa \quad \tau \hat{\eta} s \lambda_{\epsilon} \xi \xi \in \omega \rho$ and the observation $\pi \circ \sigma a \chi \omega \hat{\omega}$ à $\nu \quad \sigma \eta \mu \eta \eta_{\epsilon \epsilon \iota \epsilon, \kappa . \tau . ~}^{\text {., which we have }}$ adopted as a $\lambda \dot{v} \sigma \iota s$. Vahlen goes so far as to say: "Kurz die verschiedenen Wege der Einzellösung mit Hülfe des sprachlichen Ausdrucks und dessen Erklärung lassen sich wohl unter den allgemeinen zusammenfassenden Gesichtspunkt unterbringen der für die $\mathfrak{v} \pi \epsilon v a \nu \tau i a$ an dieser Stelle bezeichnet wird." That this view is extreme is very obvious. The $\lambda v^{\prime} \sigma \in \iota s$ from the language, as is shown by the scholia (see p. 40), are by no

[^39]means restricted to the treatment of contradictions. Moreover, they arrive at solutions by the study of special words or phrases, while the present observation calls for a study of the relations of the passages seemingly contradictory, so that one may have an accurate appreciation of the situation in each case, of the thought expressed, etc., etc. In fact, the similarity between the suggestion here offered and the observation $\pi \epsilon \rho i ̀ \tau o \hat{v} \kappa a \lambda \hat{\omega} s$ $\hat{\eta} \mu \eta{ }_{\eta} \kappa a \lambda \omega \hat{\varsigma}$, which Vahlen falsely recognizes as one of the twelve $\lambda v v^{\prime} \sigma \iota \varsigma$ (see p. $37^{1}$ ), is far more striking than its resemblance to the $\lambda v v_{\sigma \epsilon \iota}$ from the language.

Hence it is wrong to regard these lines as merely a summary of something which has been said, as a reduction of the $\lambda v \tilde{\sigma} \sigma \iota \varsigma$ $\dot{\epsilon} \kappa \tau \eta$| $\kappa$ |
| :--- |
| $\lambda$ |
| $\epsilon$ |
| $\xi$ |
| $\epsilon$ |
|  | to a comprehensive point of view. It is rather the supplementing of methods of solution previously stated, in so far as they are applicable to $\dot{v} \pi \epsilon \nu a \nu \tau i a$, by a general principle of interpretation for the treatment of contradictions. The truth of this is evinced by the fact that this principle of inter-pretation-namely, study the setting, the relations, the sense of the passages to see whether the alleged contradiction is actually a contradiction-is the basis of certain explanations in the scholia, as the following citations show:

1. Schol. Por., Г 276 (fr. 148, ed. Teubn.): $\delta \iota a ̀ \tau i ́ \beta o v \lambda o ́ \mu \epsilon \nu o s$












2. Schol. Por., $\Delta 2$ : The poet is accused of making contradictory statements in representing Ganymede as cup-bearer of
the gods in one passage ( $\Upsilon$ 234) and in another having Hebe



 dently Porphyry's own.
3. Schol. Por., B 844: That Akamas and Peiroos are mentioned as leaders of the Thracians (B 844) is taken as contradictory with $\Lambda 221$, which intimates that Iphidamas was their






See further schol. Por., B 848, $\Phi 388$ ff., y 147, $\zeta 221$, $\rho 291$, etc.

There follows a general observation on ả $\lambda$ oyía and $\mu \circ \chi \theta \eta \rho_{i ́ a}$, which are only justified when poetic necessity requires their presence ( 1461 b 19-21). This has been already mentioned, pp. 20, 21.

Thus it seems evident that the twenty-fifth chapter of the Poetics and the $\dot{a} \pi о \rho \dot{\eta} \mu а т а$ ' $\mathrm{O} \mu \eta \rho \iota \kappa \alpha ́$ of Aristotle and his followers are worthy of more consideration than has heretofure been accorded them. The woof of the former is so closely woven into the warp of the Poetics that it is simply impossible to deny its right to be recognized as an important section of this great work on the philosophy of art. And the latter, so far from being merely relics of Peripatetic wit and ingenuity, must be considered, in many cases, serious attempts to meet on aesthetic principles difficulties suggested by learned critics. Hence the Aristotelian element of the Homeric scholia, probably larger than has usually been recognized, may prove of service for the solution of many of the difficult problems suggested by the Poetics.

This chapter, in a word, may be said to contain the elements of a systematic treatment of the faults of poetry and of the so-called inconsistencies of Homer. Of these two themes, which demand an aesthetic rather than a philological treatment, I hope to speak in another paper; in this preliminary study I have hardly broken the ground for an adequate consideration of them.

## SYNOPSIS OF ARISTO'

$\Lambda v \sigma$


( 1460 b 11 ff )
or $\epsilon \in \kappa \tau \hat{\varsigma} \varsigma \lambda_{\epsilon}^{\prime} \xi \in \omega \varsigma$.

## rLE'S POE'TICS, C. XXV.

## 



(1461 b 10,1460 b 33 ).
a. ádv́vata ( 1461 b 10 ).
b. äخoүa (1461 b 14).
c. $\dot{a} \pi \rho \epsilon \pi \hat{\eta}$ (cf. 1460 b 36).
a. ả́v́vaтa.
b. $\dot{a} \pi \rho \in \pi \hat{\eta}$.
c. ن́тє $\frac{1}{}$
d. ӓтота.
6. $\gamma \lambda \omega \dot{\epsilon} \tau \tau$ (1461 a 10.)
7. катà $\mu є \tau а ф о \rho a ́ v ~$
(1461 a 16.)
8. катà $\pi \rho о \sigma \omega \delta i ́ a \nu$
(1461 a 22.)
9. Sıaıpé $\sigma \epsilon \iota$.
(1461 a 24.)
10. á $\mu \phi \iota \beta$ (1461 a 25́a. $^{\text {. }}$.
11. катà тò $\notin \theta o s ~ \tau \eta ̂ \varsigma ~$
(1461 a 27.)
12. $\pi о \sigma a \chi \hat{\omega} \varsigma$ ầ $\sigma \eta \mu \eta \dot{\nu \epsilon \iota \epsilon}$ or ô $\rho \omega \nu \nu \mu i ́ a$ (1461 a 32.)
a. $\dot{a} \pi \rho \in \pi \hat{\eta}$.
b. ن̇тєvavtía.
a. ن́тє $\frac{1}{}$
b. ả $\delta$ v́vata.
a. $\dot{a} \pi \rho \in \pi \eta$.
b. а้тота.

ข̇тє $\quad$ àtía.
a. v̇тє́vavtía.


b. $\dot{a} \pi \rho \in \pi \hat{\eta}$.

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[^0]:    ${ }^{1}$ Ritter (Comm. ad Poet., p. 265) thinks that the chapter has intruded improperly and absurdly, being added by some follower of Aristotle who was deeply versed in poetic $\pi \rho \circ \beta \lambda$ 亿 $\mu a \tau \alpha$. Susemihl (Gesch. d. Griech. Litt. in d. Alex. Zeit., I, p. 164, Anm. 847) characterizes it as 'ein peripatetischer Schulzusatz.'

[^1]:    ${ }^{1}$ Mullach, Xenoph., fr. 7. ${ }^{2}$ Diog. La., Ix, I, 1.

[^2]:    ${ }^{1}$ Friedel, W. O., De soph. stud. Hom. Diss. philol. Hal., vol. I, p. 130 ff., 1873. Examples of the objections of sophists are present in Ar. Soph. El., c. $1 v$, and Poet., c. xxv , as almost all are of such a nature that they could not be regarded as the objections of philosophers.
    ${ }^{2}$ Poet., c. xrx, 1456 b 15-19.
    $>{ }^{3}$ Blass, Att. Bereds., II, pp. 344-9.
    
     Two of the objections in Poet., c. xxv, that Apollo should shoot first senseless animals, ouj $\hat{\eta} a s{ }^{\mu} \dot{\varepsilon} \nu \pi \rho \bar{\omega} \tau o \nu$ (A 50), and that Achilles should command,
     14, Plut. Q. C., v, 4, 2). For other instances of his criticism cf. Longin.
     representative, at this early period, of the class of critics known as èvatarıcol ('objectors'), the term especially applied to grammarians who impugned points in Homer, while the term $\lambda$ utıкol ('solvers') was applied to those who, in defence of the poet, answered the objections of the èvataiıoo. Receiving

[^3]:    an impetus from the interest taken in the explanation of Homeric difficulties by Aristotle and Zeno, the criticism of the évatatıkol and $\lambda v \tau \iota \kappa o l$ continued in vogue for many centuries. At Alexandria and later at the courts of the Roman emperors such criticism was at its height, and afforded a leading source of entertainment at all gatherings of learned men. For full accounts of their criticism, cf. Wower de Polymath, Leipz., 1665, cap. 10, ${ }^{\circ} 15$ ff.; Lehrs, de Aristarch. stud. Hom., p. 221 ff.; Schrader, Proleg. ad Por., p. 368 ff.; Gräfenhan, Gesch. d. Klass. Philol., I, p. 201 ff.; II, p. 77 ff.; II, p. 223 ff. ; IV, p. 268 ff.
    ${ }^{1}$ See Römer, "Die Homercitate und die Homerischen Fragen des Aristoteles."
    
    
    
    
    
    
    
    

[^4]:    ${ }^{1}$ Isok., Panathen., 18: Є̈ Є̇є
    
    
    
     (Epileg., p. 1804) is inclined to see in these words a possible reference to the
    
    ${ }^{3}$ See Wolf, Proleg., p. clxxxiii ff. ; Sengebusch, Hom. Diss., I, p. 72 ff.; La Roche, Hom. Textkrit. im Alt., p. 7 ff. (especially on the $\dot{\eta} \mathcal{E}^{\prime} \kappa \nu \alpha \rho \theta \eta \kappa o s$
    
    ${ }^{4}$ According to Diog. La., v, 1, 26, the whole work embraced 6 books; according to the third Vita of Aristotle, 10 books; Sengebusch decides that the number of books was 10, and suggests an emendation of Diog. accordingly.

    On Aristotle's relation to $\pi \rho \circ \beta \lambda \not \mu \mu \alpha \tau \alpha$ and $\lambda \dot{v} \sigma \epsilon \iota s$ in general, see Prantl, Ueber die Probleme des Aristoteles, Abh. d. Münch. Akad., 1851, I, cl. VI, pp. 339-377. Treating the extant thirty-eight books $\pi \epsilon \rho \ell \pi \rho \circ \beta \lambda \eta \mu \alpha \alpha^{2} \omega \nu$, Prantl concludes that while Aristotle cannot in any sense be the author of the whole work, yet from the manner in which the themes proposed in the problems are answered it is evident that the principles at the basis of the explanations are Aristotelian. Cf. Susemihl, Gesch. d. griech. Litt. in d. Alex. Zeit., I, p. 159 ff.
    ${ }^{5}$ Valentinus Rose, Aristoteles Pseudepigraphus, p. 149 ff. ; also Aristotelis Opusc., ed. Berl., vol. v, 1870 ; Aristotelis fragmenta coll., Rose, Lips.,Teubn., 1886 ; Emil Heitz, Aristotelis Opusc., ed. Paris, vol. Iv, 1868.
    ${ }^{6}$ Lehrs (de Aristarchi stud. Hom., ed. ${ }^{3}$, p. 219) was probably the first to doubt the genuineness of the $\dot{\alpha} \pi о \rho \dagger \mu a \tau \alpha$ 'О $о \eta \rho \iota \kappa$. His arguments were

[^5]:    ${ }^{1}$ Prolegomena, c. III, 2, 3; Epileg., c. II, 2 a-e.
    ${ }^{2}$ That Porphyry was an expert critic and commentator of Aristotelian
     tion to the Categories, frequently printed with the Organon, and the titles
    
     strongest external evidence of Aristotle's influence on Porphyry is found in Proklos on Plato's Timaeus, p. 18 C. (quoted by Wollenberg), who repre-
     $\tau \omega \nu ı \kappa \grave{s}$ àropias." On the nature of Porphyry's criticism see Wollenberg, p. 15 ff.; Gildersleeve, p. 10.

[^6]:    ${ }^{1}$ Cf. Susemihl, Gesch. d. Griech. Litt. in d. Alex. Zeit., II, p. 329: " Jedenfalls ungleich älteren Datums, spätestens wohl aus der zweiten Hälfte des zweiten Jahrhunderts war eine Sammlung der Lösungen homerischer Probleme von Ar. und den ältesten Peripatetikern, hie und da auch von Anderen, wie Herakleides dem Pontiker und Timolaus, welche von Dioskurides dem Verfasser der Schrift über die Sitten bei Homeros, und später von Porphyrios in seinen homerischen Untersuchungen reichlich ausgebeutet ist, mag nun diese Sammlung nur eine neue Auflage der aristotelischen 'Аторд $\mu a \tau a$ ' $\mathrm{O} \mu \eta$ pıкd oder, was doch wohl wahrscheinlicher ist, eine Ergänzung derselben mit manchen Wiederholungen aus ihnen gewesen sein."

[^7]:    ${ }^{1}$ In what follows frequent references are made to the following works: Teichmüller, Aristotelische Forschungen, Halle, 1867, vol. 1, pp. 135-168; Vahlen, Beiträge zu Aristoteles' Poetik, Iv, Berlin, 1867 ; Butcher, Aristotle's Theory of Poetry and Fine Art, London, 1895. Citations of the schol. Por. are from the two volumes of Schrader already mentioned (p.142). The passages, with slight exceptions, occur also in Dindorf, but sometimes under different verses. The text of the Poetics cited is Vahlen's.
     форaîs. Cf. V, Anm. zu S. 353.

[^8]:    ${ }^{1}$ Politics here has special reference to Ethics, and the observation is in answer to Plato. See Vahlen, p. 363; Butcher, p. 207. Aristotle retains the term "ob $\rho \theta \dot{\delta} \tau \eta s$ " used by Plato (Vahlen).

[^9]:    ${ }^{1}{ }^{\text {en }} \pi \iota \tau \iota \mu \eta \mu a \tau \alpha$, i. e., fault-finding objections, are not identical with $\pi \rho o \beta \lambda \eta-$ $\mu a r a$, questions or doubts requiring solution. The former always imply a decision unfavorable to the poet, as is seen in the use of the term and its
    
    
    
     xxII, 1458 b 5-7.
    ${ }^{2}$ For an estimate of $\dot{\delta} \delta \dot{\delta} \nu \alpha \tau \alpha$, cf. Poet. Ix, 1451 a 36 ff ; Xxiv, 1460 a $26-28$; xxv, 1460 b 24, 1461 b 10, 11; and see Teichmüller, p. 137 ff ., and Butcher, p. 157 ff ., on their place in Aristotle's theory of poetry.
    ${ }^{3}$ Cf. p. 28.

[^10]:    ${ }^{1}$ Teichmüller, p. 138 ff.; Vahlen, p. 293 ff.; Butcher, p. 163 ff., p. 363.

[^11]:    ${ }^{1}$ Teichmüller, p. 140 ff ; Butcher, c. v, p. 200 ff.
    ${ }^{2}$ Teichmüller, p. 144 ff.; Vahlen, p. 383 ff.

[^12]:    ${ }^{1}$ Certain formulae for the expression of $\dot{\text { unevavila are present in the }}$ scholia.

    1. Frequently the contradictory passages are quoted or the substance stated in the formula:
    $\left\{\begin{array}{l}\pi \hat{\omega} s \\ \delta \iota \grave{\alpha} \tau l\end{array} . . . \epsilon i \pi \dot{\omega} \nu . . . . \nu \hat{v} \nu \phi \eta \sigma \iota\right.$, or in some similar form. Cf. schol. Por., A 194, E 741, K 561, e 200, etc.
    2. Certain terms are used to express that passages cited are contradictory,
    
     above, X 147, etc.
     844, в 822, r 268 , etc.
[^13]:    (c). $\delta о \kappa \epsilon \hat{\imath} \mu \dot{\alpha} \chi \in \sigma \theta a t$ é $\alpha u \tau \hat{\varphi} \delta \pi \sigma \iota \eta \tau \eta \dot{\prime}$; e. g., schol. Por., H 9.
    (d). ©́s $\mu a \chi \dot{\chi} \mu \in \nu a$ 入érovtos; e. g., schol. Por., $\Upsilon 234$.
    
     649, $\lambda 239$, etc.
    
     (schol. Por., B 649 and $\Xi 200$ ) and $\delta \iota \alpha \phi \omega{ }^{\prime}(a, \delta \iota a \phi \omega \nu \epsilon i \nu \nu$ (schol. Por., z 265, 488, Ф 388-90).
    ${ }^{1}$ Vahlen, p. 388; Twining, vol. II, N. 261 ; Teichmüller, p. 146.

[^14]:    ${ }^{1}$ Römer : Die Homercitate und d. Homerischen Fragen d. Aristoteles, p. 297 ff.
    ${ }^{2}$ It would be well for modern separatists of the Homeric poems to take to heart the discrepancies which Sokrates, in the Hippias Minor, discovers in the words and actions of Achilles, and to weigh well Aristotle's solution of the difficulties they suggest.
    ${ }^{3}$ Römer (p. 308) forcibly brings out the treatment of $\dot{\alpha} \pi \rho \in \pi \hat{\eta}$ by the Alexandrian grammarians, and ascribes most of the passages in the scholia, in reference to the $\pi \rho \epsilon \in \pi o \nu$, to the Alexandrian time. The employment of Aristotelian $\lambda \dot{\sigma} \sigma \epsilon \epsilon$ to so many of them bespeaks an earlier date.

[^15]:    ${ }^{1} \tau \delta$ äroтov, 'the odd,' 'the absurd,' a term occurring frequently in the Poetics and in the scholia, seems to be used to characterize any variation from the necessary and the probable, and is in consequence often used in
    
    
     $\Lambda a \kappa \epsilon \delta \alpha i \mu o \nu \alpha{ }^{e} \lambda \theta \dot{\partial} \nu \tau a(1461 \mathrm{~b} 4-6)$. And in c. xxiv, in the discussion of the wonderful and the irrational in Epic poetry, Aristotle adds: $\AA \nu \nu \hat{\iota} \hat{\varepsilon} \theta \hat{\eta} \kappa a l$
    
    
     (1460 a 35-b 2) (cf. Butcher, p. 163). Cf. schol. Por., $\nu 119$ : $\tau \grave{\nu} \tau \omega ิ \nu \Phi \alpha \iota \alpha ́ \kappa \omega \nu$

[^16]:    
    
    
    
    The term frequently occurs in Aristotelian $\pi \rho \circ \beta \lambda \not{ }^{\prime} \mu \alpha \tau \alpha$ ，e．g．，schol．Por．，
     ойк йтотб⿱ $\phi \eta \sigma \iota \nu$ ，єi $\mu \eta$ к．т．入．Cf．schol．Por．，$\Delta$ 297，九 106．See further， schol．Por．，$\Delta 297$ ，z 129，I 167，I 453，I 591，п 7，etc．

    Other scholia touching upon technical questions in poetry are as follows：
    
    
    
    
     रєוע к．$\tau$ ．$\lambda$ ．Cf．Poet．，xv， 1454 a 37－b 5.
    
    
     521, 曰 $1, \Pi 25, \Pi 152, \Sigma 125, \Sigma 245$ ，т 108，x $165, \Omega 221, \Omega 527, \theta 100$, ө 267 ， $\mu 3$ ， 4 ，for passages，probably of Peripatetic origin，touching upon the art of Homer．
    
    ${ }^{2}$ G．Hermann，Comm．ad Poet．，p．189；Twining，vol．ir，N．262；Suse－ mihl，Poet．Anm．，p．349；Ritter，p． 287 ；Teichmüller，p． 155 ；Vahlen， p． 390 ．

[^17]:    
    
    
    
    
    
    
    
    
     Butcher，p． 163 ff．

[^18]:    
    
     Butcher, p. 169.

[^19]:    
     $\lambda \nu \tau$ too. Butcher, p. 153 ff .
    ${ }^{2}$ ar $\lambda \lambda^{\prime} \eta(\sigma \omega s\langle\omega \in\rangle \delta \in \hat{\epsilon}$ scil. rival, a conjecture of Vahlen's.
    ${ }^{3}$ The passages here cited for $\beta$ éd $\tau \iota \circ$ and ola $\delta \in \hat{\imath}$ are synonymous with
     . . . . $\tau \omega ิ \nu \nu \hat{v} \nu$ (c. II, 1448 a 18) -ка入入ious (c. xv, 1454 b 11); cf. school. Pore.,
     фav̂n к. т. $\lambda$. ; and with oil eiolv, in the remark of Sophocles, are to be com-
     $\delta \mu 0$ ions of c. II (1448 a 5, 6, etc).

    On the observation of Sophokles, see Twining, N. 237; Vahlen, p. 359; Butcher, p. 343. From a study of the synonymous phrases I agree with Vahlen in understanding eivaı with olous $\delta \in \hat{i}$, rather than moteî̀ which Butcher wishes. As the 'ought' is the 'ought' of aesthetic obligation in either case, the distinction in meaning is slight whichever word be understood.

[^20]:    
     фаб!. Vahlen, p. 359 ; Butcher, p. 165 ff.
    
    
    
     pia̧̧ $\tau 0 i ̂ s ~ \tau \delta\langle\tau$.

[^21]:    ${ }^{1}$ Twining, vol. Ir, N. 239; Teichmüller, p. 154 ; Vahlen, p. 361 ff.; Butcher, pp. 201, 207.
    ${ }^{2}$ Examination of numerous applications in the scholia, in which $\tau \delta \nu$
    
     selves to be distinct objects of appeal, leads me to accept this emendation made by Dr. C. W. E. Miller to meet the requirements of the sense of the passage.

[^22]:    ${ }^{1}$ On the significance of $\sigma \pi o v \delta \bar{i} o s$ and фav̂גos, see Teichmüller, vol. II, p. 172 ff.; Butcher, p. 210 ff.

[^23]:    ${ }^{1}$ On the sense of $8 \tau \varphi$, see Vahlen, p. 362.

[^24]:    ${ }^{1}$ I do not consider the observation one of the twelve $\lambda \dot{v} \sigma \epsilon \epsilon s$, as Ritter and Teichmüller and Vahlen, for the following reasons: (1) It is not illustrated by an example, as the $\lambda \dot{\sigma} \sigma \epsilon$ ts proper are without exception; (2) it accords in manner of statement rather with the general remarks ( $8 \lambda \omega \boldsymbol{\omega} \delta \delta^{\prime}, 1461 \mathrm{~b}$ 9 ff .) at the close of the chapter, especially the remark concerning $\tau \grave{\alpha}$ virevavtia ©s єipquéva, than with any of the special $\lambda \hat{\sigma} \sigma \epsilon \epsilon s$; (3) in its general import and in its application in the scholia, it appeals to the first $\lambda \dot{v} \sigma$ ts of the End of Poetry, or to the third $\lambda \dot{\sigma} \sigma \iota s$ of Poetic Truth or aesthetic idealization in the imitation of characters of the higher type.

[^25]:     ment, as is indicated by the following passages:

    Schol. Por., Z 265 (assigned by Schrader, Epileg., p. 191, to the Peripatetics,
    
    
    
    
    

    Schol. Por., z 488 (evidently from the same source) : . . .ă $\lambda \lambda \omega \omega s \tau \in$ oủk $\epsilon^{\prime} \kappa$
    
    
    
    
     б̈фєілоу.

[^26]:    
    
    

    Cf．schol．Por．，引 434，e 63，، 275， 76.
    ${ }^{1}$＇Es ist also überhaupt der rechte Moment，momentum rei d．h．das worauf es ankommt，was den Anschlag gibt，was man richtig triffl．＇Schmidt，Syn． d．Griech．Sprache，II，44， 9.

[^27]:     165 b $23 . \quad{ }^{2}$ Beitr．，p． 363.

[^28]:    
    
    
     т̀̀ $\theta$ âtтov.
    $\gamma \lambda \omega ิ \tau \tau \alpha$ has been treated in c. $\mathrm{xxI}, 1457 \mathrm{~b} 4 \mathrm{ff}$.

[^29]:    ${ }^{1}$ The term $\mu \in \tau \alpha \phi \rho \rho a ́$, as used by Aristotle, included every transfer of a
    
    
     tioned in this passage are included, in a general way, in the figures adopted by later rhetoricians in addition to metaphor, viz. : synecdoche, metonymy, katachresis and metalepsis. Synecdoche corresponds roughly to the first two-embracing metonymy, which stands for many uses of the second,metalepsis represents the third, katachresis the fourth. Volkmann recognizes only the last of Aristotle's divisions as true metaphor. See Volkmann, Rhetorik d. Griechen u. Römer, p. 417 ff.; Blass, Hermeneutik und Kritik, p. 193.
    ${ }^{2}$ Beitr., p. 365 ff.
    ${ }^{3}$ Römer, p. 278 ff., who shows that Aristotle cited Homeric passages from memory, and, following Spengel, that $\sigma \phi \dot{\alpha} \lambda \mu a \tau \alpha \mu \nu \eta \mu о \nu \iota \alpha \dot{\alpha}$ are no rarity in his writings, cites an interesting parallel to the above case by a comparison

[^30]:    of Pol．，III，14， 1285 a 9 ff ．，and Nikom．Eth．，III，11， 1116 a 34．In the
    
    
    Aristotle has cited B 391 ff ，when he meant to cite 0348 ff ．

[^31]:    ${ }^{1}$ On the Peripatetic nature of this passage of the scholia, see Schrader, Epileg., p. 184, n. 1.

[^32]:    
     $\kappa \in ́ \chi \rho \eta \tau \alpha$.

    Schrader, Epileg., p. 182, accepts the view of Römer (p. 287), that Aristotelica continue through this explanation. It is worthy of note that
     the explanation quoted accords with the Peripatetic schol. к 252 : . . . $\downarrow \lambda \lambda$ о七
    
    
    
    

[^33]:    
    
     $\pi \rho o \sigma \varphi \delta i a \nu$ द̀ $\sigma \tau\{\nu$.
    ${ }^{1}$ Wolf, Proleg., c. clxvin.

[^34]:    ${ }^{1}$ La Roche, Hom. Textkritik, Leipzig, 1886, pp. 7-49; Ludwich, Aristarchs Hom. Textkritik, Leipzig, 1884, I, p. 67.

[^35]:    ${ }^{1}$ See, on the interpretation of this passage, Wachsmuth, De Ar. stud. Hom., p. 29 ff., who endeavors to justify the present order, and Vahlen, p. 372 ff , and p. 419 f., who shows the untenableness of Wachsmuth's interpretation and presents many arguments in favor of his own, which is here
    
    
     usage of oivov.

[^36]:    ${ }^{1}$ Cf. Vahlen, Adn., p. 227, Beitr., p. 375.

[^37]:    ${ }^{1}$ As an evidence that explanations of this difficulty were sought prior to the time of Aristarchos, see Aristonikos (Dind., schol. I1., I, p. 133) : $8 \tau \iota$
    

    Kammer (Burs. Jahresb., 1878, S. 71) does not accept the view of A. Schimberg, Analecta Aristarchea, diss. Gryphisw., 1878, who tries to show that Aristarchos made a collection of homonyms in Homer and wrote a
     Zenodotos wrote, in N 658, Kv入aı $\mu \in ́ \nu \in \alpha$ for Пu入aı $\mu \in ́ \nu \in \alpha$ (Dind., Il., I, p. 1 ; Eustath., 953, 29) to avoid the discrepancy.
    ${ }^{2}$ In my conception of $\pi \rho \rho s{ }^{2} \grave{\eta} \nu \pi o i \eta \sigma \iota \nu$, I agree with Butcher, p. $157^{2}$. Vahlen (p. 379 f.) maintains that d̀ $\delta \dot{v} \nu a \tau o \nu ~ \pi \rho \partial े s ~ \tau \eta े \nu ~ \pi o i \eta \sigma \iota \nu ~ i s ~ a ~ g e n e r i c ~$

[^38]:    description of the objection, for the removal of which two $\lambda \boldsymbol{v} \sigma \epsilon \in$ are mentioned, (1) $\pi \rho \partial s \tau \delta \beta \epsilon ́ \lambda \tau \iota o \nu,(2) \pi \rho \partial s \tau \eta ̀ \nu ~ \delta \delta \xi \xi a \nu$. To this view I offer the following objections: (1) $\pi \rho \partial s \tau \eta े \nu \pi o i \eta \sigma \iota \nu$, as we have seen ( p .29 ), aptly expresses the general principle of poetic imitation, and therefore may properly be classed with the End of Poetry, the first $\lambda v \sigma^{\sigma} \iota s$; (2) " $\pi \rho \partial s \tau \eta \nu$ $\pi o i \eta \sigma \iota \nu$ for $\kappa a \tau \alpha ̀ \tau \eta \nu ~ \pi o i \eta \sigma \iota \nu$ (see 1460 b 15 ff .) would be strange, and, side by side with $\pi \rho \delta s \tau \delta \beta \epsilon \lambda \tau \iota o \nu$ and $\pi \rho \partial s \tau \eta \eta_{\nu} \delta \delta \xi a \nu$ in a different sense of the preposition, scarcely conceivable;" (3) if it were meant to be understood with ádivarov, it would hardly be used alone in the clause below, $\pi \rho \sigma$ os $\tau \epsilon$
    
    ${ }^{1}$ See Vahlen, Adn., p. 233; Beitr., p. 384 ff.

[^39]:    
    
    
    ${ }^{2}$ Teichmüller, p. 162 f; ; Vahlen, p. 383 ff.

