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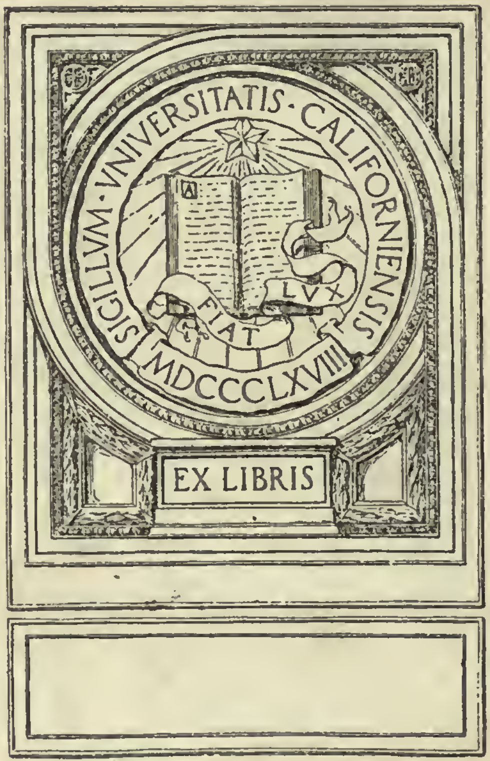
TABLES
OF
THE INCOMPLETE Γ-FUNCTION

EDITED BY

KARL PEARSON, F.R.S.



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TABLES OF INCOMPLETE GAMMA FUNCTION

ERRATA

p. xix. Lines 4 and 3 from bottom should *read*

the required range of u will be from

$$u_0 = 17{\cdot}1303 \times 3{\cdot}1637/\sqrt{33{\cdot}5973}, \text{ or } 9{\cdot}3499, \quad \text{to } u_n = 17{\cdot}1303 \times 1{\cdot}0637/\sqrt{33{\cdot}5973}, \text{ or } 3{\cdot}1436.$$

p. xx. The second table should *read*

Above	u	$I(u, 32{\cdot}5973)$	Above	u	$I(u, 32{\cdot}5973)$	Above	u	$I(u, 32{\cdot}5973)$
30·85	3·1436	·00079	30·05	5·5079	·40690	29·35	7·5767	·95365
30·75	3·4392	·00322	29·95	5·8035	·52579	29·25	7·8722	·97293
30·65	3·7347	·01032	29·85	6·0990	·63866	29·15	8·1678	·98478
30·55	4·0302	·02699	29·75	6·3945	·73757	29·05	8·4633	·99174
30·45	4·3258	·05956	29·65	6·6901	·81817	28·95	8·7588	·99567
30·35	4·6213	·11376	29·55	6·9856	·87963	28·85	9·0544	·99780
30·25	4·9169	·19214	29·45	7·2812	·92373	28·75	9·3499	·99892
30·15	5·2124	·29228						

The owner of these Tables is requested to paste the above corrections over the corresponding matter on pp. xix and xx. The errors are due to copying from a wrong MS. table the values of u; the interpolations being given from the correct table.

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TABLES
OF
THE INCOMPLETE Γ-FUNCTION

UNIV. OF
CALIFORNIA

COMPUTED BY THE STAFF OF THE DEPARTMENT OF
APPLIED STATISTICS, UNIVERSITY OF LONDON,
UNIVERSITY COLLEGE

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KARL PEARSON, F.R.S.

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PREFATORY NOTE

These Tables of the Incomplete Gamma-Function have been prepared under the direction of Professor Karl Pearson by members of the staff of the Department of Applied Statistics, University College, London. The work has presented many difficulties and has extended over several years.

On the completion of the Tables Professor Karl Pearson found that the funds at his disposal for publication purposes were quite insufficient to cover the greatly increased cost of printing. He accordingly approached the Department of Scientific and Industrial Research for assistance in issuing this work.

In view of the value of the Tables to statisticians, computers and mathematicians, the Department on the recommendation of the Advisory Council arranged for publication by H.M. Stationery Office on their behalf.

Department of Scientific and Industrial Research,
16, Old Queen St., Westminster,
London, S.W. 1

March, 1922

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INTRODUCTION

(I) DEFINITIONS AND EXPLANATIONS OF SYMBOLS.

The complete Γ-function for the argument p is written $\Gamma(p+1)$ and can be defined by

$$\Gamma(p+1)=\int_0^\infty e^{-x}\,x^p dx \quad \text{...(i).}$$

Excellent tables for the logarithm of the complete Γ-function were first provided by Legendre in the second volume of his *Traité des fonctions elliptiques et des intégrales Eulériennes*, Paris, 1825–8. That work is now very scarce, but a lithographic reproduction of the Γ-function tables has recently been issued by the Cambridge University Press*. A Table of the Complete Γ-function must be considered as a needful companion to the present volume.

Legendre's table gives twelve decimal places but only runs from the values 1 to 2 of the argument p. Other values must be reached by the fundamental formula

$$\Gamma(p+1)=p\Gamma(p),$$

by interpolation from Degen's fine table of factorials†, or by some method of approximation. Use of the fundamental formula is lengthy if p be considerably greater than 2, and methods of approximation are then as a rule followed. The method adopted may be Stirling's formula or Forsyth's; or, since what is usually needed in statistical and other practice is $\Gamma(p+1)/(p^p e^{-p})$, we may use for high values of p, Pearson's formula

$$\log\frac{\Gamma(p+1)}{p^p e^{-p}}=\cdot 399{,}089{,}9342+\tfrac{1}{2}\log p+\cdot 080{,}929\sin\left(\frac{25^\circ\cdot 623}{p}\right).$$

For accuracy to a large number of places, when p is greater than 20, Degen's tables are invaluable.

The reader will find some discussion of approximate formulae for the complete Γ-function in *Biometrika*, Vol. VI. p. 118.

The present book of tables it must be understood does not provide this complete Γ-function; it will be often required but must be found elsewhere‡.

The Incomplete Γ-function is defined to be $\Gamma_x(p+1)=\int_0^x e^{-x}\,x^p dx$ ....(ii),

so that in the same symbolism the complete Γ-function is $\Gamma_\infty(p+1)$, but for brevity and out of respect for the historical evolution we usually drop the sign of infinity, and consider that when no value is given for x we are referring to the complete function. Such a form as (ii), however, is for many reasons neither convenient for tabulation, nor suitable for statistical use. If it were tabulated, we should have to tabulate its logarithm, for with the increase of p, $\Gamma_x(p+1)$ becomes very large in value. On the other hand in statistical use, where $\Gamma_x(p+1)$ occurs as a skew probability integral, it is the ratio of $\Gamma_x(p+1)$ to $\Gamma_\infty(p+1)$—giving the *chance* of a variation exceeding a given limit—that customarily we require.

We term $\Gamma_x(p+1)/\Gamma_\infty(p+1)$ the $I(x,p)$-function, and it is the evaluation of the $I(x,p)$-function with which we are principally concerned in this book of tables. The $I(x,p)$-function always lies between 0 and 1, like the familiar probability integral which deals with one case of symmetrical probability. Thus $I(x,p)$ solves our first difficulty of the great range of values involved in tabling $\Gamma_x(p+1)$. Those who require the absolute value of the latter function must use the present tables in conjunction with tables of the complete Γ-function, or with approximating formulae for that function.

The second serious difficulty which arises is that of the extreme differences in the value of the argument x which must be allowed for, if we are to table $I(x,p)$ from zero up to unity showing seven figures. In other words the requisite range of x—since x theoretically runs from 0 to ∞—varies very much from $p=-1$ to $p=50$. In order to get over this difficulty we use as our argument not x, but $u=x/\sqrt{p+1}$. The range of u, still considerable, forms one of the difficulties of setting up the table, but the u-argument is far more workable than the x-argument§. The present tables therefore deal with $I(u,p)$, not $I(x,p)$. The reason for selecting the relation $u\sqrt{p+1}=x$ will be obvious at a somewhat later stage of this Introduction; it is in complete analogy with the similar treatment of the symmetrical probability table.

---

* *Tracts for Computers*, No. IV. Cambridge University Press, 1921.

† For title in full see p. xviii below.

‡ If seven-figure accuracy be adequate, Legendre's Table of the Complete Γ-function to that number of figures will be found in *Tables for Statisticians and Biometricians*, pp. 58–61.

§ The x-argument would have been more serviceable for interpolation in the early part of the table, say from $p=-1$ to 1 and $u=0$ to 1·5, but it seemed very undesirable to change the argument for a portion of the table.

Table I gives $I(u, p)$ with the argument u proceeding by increments of ·1 from 0 up to that value of u which gives $I(u, p) = 1{\cdot}000{,}0000$ to the seventh decimal place. The argument p advances from $-1{\cdot}0$ to $1{\cdot}0$ by increments of ·05; from 1·0 to 5·0 by increments of 0·1; and from 5·0 to 50·0 by intervals of 0·2.

Such changes of argument are essential in a table of double-entry if it is to be published at all. It is a question not only of expense but of the labour of production. The present series of tables occupies more space and has involved far more labour in computation than an ordinary table to seven figures of logarithms to base ten. To provide such a table working to seven figures by *first* differences would have more than quadrupled the work of production, and when completed the cost of publication would have been prohibitive. Further certain difficulties which arise in our system of argument ranges would still have remained. Such are the difficulties of what may be termed boundary areas. These difficulties will become very familiar to the computer when tables of double-entry are more common[*]. As far as we are aware this is the first large table of double-entry which has hitherto been published, and we have had to meet the problems which such tables present both by way of choice of argument, by methods of interpolation, and in composition[†] without the benefit of any experience from earlier publications. In the boundary areas we are compelled to use auxiliary functions, to reduce our increments of argument or to adopt more elaborate methods of interpolation. In such areas we may find according to the nature of the function our differences divergent, or the need of using higher differences than those tabled, if we wish the same accuracy as in the bulk of the table.

Special areas of difficulty of the present table are (*a*) the boundary area from $p = -1$ to $-0{\cdot}70$ about, (*b*) the boundary area from $u = 0$ to $u = 1{\cdot}5$, extending further, however, from $p = -1$ to $p = 10$. The portion of the field common to these two areas is perhaps the most difficult for satisfactory interpolation.

Our function $y = e^{-x} x^p$ has infinite differentials when $x = 0$ and p lies between 0 and -1, and this difficulty reflects itself in the differences. It appeared idle to table the p differences for the values of $I(u, p)$ between $p = -1$ and $p = -0{\cdot}80$ for low values of u, and after careful consideration it was thought best to omit them entirely for the whole range as an indication to the computer using the tables that interpolation for p by ordinary formulae within this range would prove unsatisfactory. In certain portions of this range $\delta_p{}^6$ and $\delta_p{}^8$ might slightly better matters, but it was clearly not possible to print so many differences. As the whole of the negative p part of the table had to be calculated by brute force, the suggestion that p-arguments should proceed by ·01 intervals, which would have eased matters to some extent, was not only excluded by the space required[‡], but also by its great demand on the time of the computers. In interpolating for p between $-{\cdot}75$ and $-{\cdot}65$ by central difference formulae using $\delta_p{}^2$ and $\delta_p{}^4$ only, we may still find an error of a unit or, in some few regions two units possibly, in the seventh decimal place. In the boundary area between $p = -1{\cdot}0$ and $p = -{\cdot}90$ especially when u is small we must admit the fairly complete failure of difference formulae, and we are thrown back on other methods of procedure, which will be discussed later in this Introduction.

We are able to surmount some of our difficulties for u small by the use of an auxiliary function. This function is

$$I'(u, p) = I(u, p)/u^{p+1} \qquad \text{...(iii)},$$

the values of $\log I'(u, p)$ are given in Table III[§] for $p = -1$ to 10 and $u = 0$ to 1·5; thus the computer who has found $I'(u, p)$ has only to add $(p + 1) \log u$ and look out the anti-logarithm in order to obtain $I(u, p)$. This table will provide accurate results for $I(u, p)$ until we approach the boundary $p = -1$ when the old difficulties of interpolation with regard to p again occur. It does, however, enable us to interpolate accurately for u in any tabled series of values of $I(u, p)$.

Various other auxiliary functions were discussed in the course of the work—the aim being to find one with adequate δ^2, δ^4 differences in the boundary region of either $u = 0$ or $p = 0$. Some gave slightly better

---

[*] See on these points K. Pearson: *Tracts for Computers*, No. III. 'On the Construction of Tables and on Interpolation.' Part II. Bi-variate Tables.

[†] The conflict lies between condensation of material and a uniform plan of presentation. The former decreases the cost of production at the expense of the easier handling by the computer.

[‡] Table II would have required more than 100 pages of figures instead of 21 pages.

[§] To compute the central differences of $\log_{10} I'(u, p)$, it was needful first to calculate $\log_{10} I'(u, p)$ for $u = 0$, its value is then

$$\log_{10} I'_{(0,p)} = \tfrac{1}{2}(p - 1) \log_{10}(p + 1) - \log_{10} \Gamma(p + 1) \qquad \text{.....................................(iii)} \textit{ bis}.$$

Further it became necessary to carry the formula for $\log_{10} I'(u, p)$ backwards into the negative values of u, if we were to obtain $\delta^2 u$ and $\delta^4 u$ for the $u = 0$ central differences. The following formula gives $\log_{10} I'(-u, p)$ in terms of $\log_{10} I'(u, p)$ and a rapidly converging series,

$$\log_{10} I'(-u, p) = 2 \log_{10} I'(0, p) - \log_{10} I'(u, p) + \log_{10} \left\{1 + \frac{u^2 (p + 1)^2}{(p + 2)^2 (p + 3)} + \frac{u^4 (p + 1)^3}{(p + 2)(p + 3)^2 (p + 4)(p + 5)} \right.$$
$$\left. + \frac{u^6 (p + 1)^4}{(p + 2)(p + 3)(p + 4)^2 (p + 5)(p + 6)(p + 7)} + \ldots\ldots \right\} \qquad \text{...............(iii)} \textit{ ter}.$$

results than log $I'(u, p)$. But none were so markedly better as to warrant their adoption, as they involved several more additional terms to be calculated on each entry into the table.

From one such auxiliary function supplemented by direct calculation we proceeded to compute the value of $I(u, p)$ at every ·01 of negative p from $p = -\cdot 99$ to $-\cdot 75$ for the values of u from 0·9 to 6·0. We added to it by 'brute force' calculation the values from $u = 0$ to $u = 0\cdot 9$, but even here the results were only reliable to five figures. Beyond the value $u = 6\cdot 0$ we shall show that a reduction formula will give quite accurate results from the present tables. We have not succeeded in finding any satisfactory interpolation method for the area $p = -1\cdot 0$ to $p = 0$, and $u = 0$ to $u = 6\cdot 0$ short of a table of the function for every ·01 of p calculated directly. Such a table would practically mean an independent work, and it would not even then be satisfactory for the range $p = -1\cdot 0$ to $p = -\cdot 95$, where still smaller argument-increments would have to be adopted.

Failing such a table we show in a later section of this Introduction how to obtain these values of $I(u, p)$ accurately to 6 or 7 figures. As for many statistical purposes five-figure accuracy is adequate we give as Table V a table of $I(u, p)$ from $p = -1\cdot 0$ to $p = -\cdot 75$ and $u = 0$ to $u = 6\cdot 0$ correct to five figures. It may be looked upon as a temporary aid to the computer within this area of our asymmetrical probability integral in the case of J-shaped or asymptoting frequency curves*.

The frequency curve for which the Incomplete Γ-function forms the probability integral is

$$y = y_0\left(1 + \frac{x'}{a}\right)^p e^{-\frac{px'}{a}} \quad \text{..(iv)},$$

the origin being at the mode†. This takes the J-shaped or asymptotic form for p between $-1\cdot 0$ and $0\cdot 0$.

If we write $v = p(1 + x'/a)$, we find $$y = y_0 \frac{e^p}{p^p} v^p e^{-v} \quad \text{..(v)},$$

and accordingly the chance that an individual shall occur within a distance 0 to x of the finite end of the curve is

$$I(v, p) = \frac{\int_0^v e^{-v} v^p dv}{\int_0^\infty e^{-v} v^p dv} \quad \text{........................(vi)}, \qquad \text{where } v = px/a \quad \text{..........................(vii)}.$$

Now the mean of this curve is $$\bar{x} = \frac{p+1}{p} a \quad \text{..(viii)},$$

and the standard deviation σ is given by $$\sigma = \frac{\sqrt{p+1}}{p} a \quad \text{..(ix)}.$$

Accordingly $$v = \sqrt{p+1}\,\frac{x}{\sigma} \quad \text{..(x)}.$$

Thus if u be the ratio of a deviation, measured from the start of the frequency, to the standard deviation, $u = x/\sigma$ and

$$v = \sqrt{p+1}\, u \quad \text{..(xi)}.$$

Thus $$I(u, p) = \frac{\int_0^{u\sqrt{p+1}} e^{-v} v^p dv}{\Gamma(p+1)} \quad \text{..(xii)},$$

which is the function tabled in Table I. It is therefore the probability integral of the skew curve

$$y = y_0\left(1 + \frac{x'}{a}\right)^p e^{-\frac{px'}{a}}$$

after proper transformation of the constants‡. The usual statistical constants of this curve are found by determining the moment coefficients μ_2, μ_3, μ_4 about the mean where $\mu_s = S(x - \bar{x})^s/N$, where N is the total population or frequency. We further take $\beta_1 = \mu_3^2/\mu_2^3$, $\beta_2 = \mu_4/\mu_2^2$, and it will be necessary (if not wholly sufficient) that

$$2\beta_2 - 3\beta_1 - 6 = 0 \quad \text{..(xiii)}.$$

---

* Even here the reader must be cautioned against rash interpolations between $u = 0$ and $u = 1\cdot 0$ into this table: see later, p. xiii.

† *Phil. Trans.* Vol. 180 A, p. 373.

‡ Our tables do not of course cover all skew variation, but they provide 'probability integrals' for some 520 skew curves, distributed along the line $2\beta_2 - 3\beta_1 - 6 = 0$. The ordinary probability integral table covers only *one* curve on this line, that which corresponds to the point $\beta_1 = 0$, $\beta_2 = 3$.

We have further by integration from (v) and transference to mean

$$\mu_2 = \frac{p+1}{p^2}a^2,\quad \mu_3 = \frac{2(p+1)}{p^3}a^3,\quad \mu_4 = \frac{3(p+1)(p+3)}{p^4}a^4 \quad \text{..............(xiv)}$$

leading to

$$\beta_1 = 4/(p+1),\quad \beta_2 = 3 + 6/(p+1) \text{..................................(xv).}$$

Having found β_1 and β_2 from our observations we test (xiii) to see if it be reasonably satisfied; we find p from β_1 and then a from (ix), since $\sigma = \sqrt{\mu_2}$ is known from the observations; and we obtain y_0 from the consideration that

$$N = \int_{-a}^{\infty} y\,dx' = y_0 \frac{e^p}{p^p}\frac{a}{p}\int_0^{\infty} v^p e^{-v} dv = y_0 \frac{e^p}{p^p}\frac{\sigma}{\sqrt{p+1}}\Gamma(p+1);$$

or

$$y_0 = \frac{N}{\sigma}\frac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)} = \frac{N}{\sigma}\chi(p) \quad \text{..................................(xvi).}$$

$$a = \text{Distance from finite tail of curve to mode} = (p/\sqrt{p+1})\,\sigma \quad \text{..............(xvii).}$$

$$D = \text{Distance from mode to mean} = \bar{x} - a = (\sigma/\sqrt{p+1}) \quad \text{.................(xviii).}$$

$$\text{Skewness } (= \text{Sk.}) = \frac{\text{Distance from mode to mean}}{\text{Standard deviation}} = \frac{1}{\sqrt{p+1}} \text{.....................(xix).}$$

If d be the distance from mode to median, *i.e.* the abscissa of ordinate which bisects area of curve*,

$$\frac{d}{D} = \cdot 6666{,}6667 + \cdot 0197{,}5309\,(\text{Sk.})^2 + \cdot 0072{,}1144\,(\text{Sk.})^4 + 0003{,}8554\,(\text{Sk.})^6 \quad \text{.........(xx),}$$

which enables us to determine very easily the median value.

Table IV enables us as soon as β_1 and σ are known from our observations to determine readily p, a, D, Sk., and $\chi(p)$ giving y_0 from (xvi).

The main tables for $I(u, p)$ will then provide the probability of the occurrence of a deviation exceeding any given size. In other words our tables provide for a wide range of skew frequency curves exactly what the normal probability integral table does for a special symmetrical or Gaussian type of frequency.

The great cost of printing has hindered the issue at the same time of a table of ordinates. These can, however, be readily calculated when a diagram is desired from Table XXVI of the *Tables for Statisticians.*

(II) HISTORY OF THE PRESENT TABLES.

The present tables were planned in 1903 or 1904 and a start made on them in 1905†. But the method then adopted, which consisted in expanding the integral in incomplete normal moment functions was found to be inadequate in exactness, and, after a great deal of work had been done, had to be discarded‡. In 1913 Mr P. F. Everitt at the writer's suggestion restarted the work on a new plan tabling in terms of the standard deviation as unit. This for the first time gave a reasonable scheme for the abscissa argument for various values of the power argument. Mr Everitt used the formula

$$I(u, p) = \frac{1}{\Gamma(p+1)}\int_0^{u\sqrt{p+1}} v^p e^{-v} dv,$$

and found to *six* places of decimals by quadratures the value of this integral for

$$p = 0\cdot 5,\ 1,\ 6,\ 10,\ 12,\ 14,\ 16,\ 18,\ 20,\ 25 \text{ and } 30.$$

He then found by the series expansion the same integral for $p = 1, 2, 3, 4, 5, 6$ and 8. His work showed the possibility of constructing an Incomplete Γ-function table on these lines. Mr Everitt also pointed out the relation between $I(u, p)$ and the P of the 'Goodness of Fit' Tables (*Tables for Statisticians*, Table XII), namely $I(u, p) = 1 - P$ if $n' = 2p + 3$ and $\frac{1}{2}\chi^2 = 2u\sqrt{p+1}$. This served as a check on the correctness of certain isolated values of the function. From the mathematical standpoint this relation enables us to sum the first $p + 1$ terms of the exponential expansion, *i.e.* their sum $= e^x\{1 - I(p, x)\}$ and is found at once from Table I.

---

* See A. T. Doodson, *Biometrika*, Vol. XI. p. 428.

† See *Biometrika*, Vol. V. p. 173.

‡ That work was designed to cover both incomplete Γ- and B-functions and gives fairly accurately the area for some distance on either side of the mode by a reasonable number of normal moment functions. At a considerable distance from the mode so many normal moment functions are required and their coefficients are such complicated functions of the parameters that the method becomes inadequate. The incomplete normal moment functions up to the tenth were computed in the first place for this purpose, but they serve various other not unimportant ends. They were published in *Biometrika*, Vol. VI. p. 68, 1908.

The tables were again taken up in 1915 and 1916, but we discarded the idea of a six-figure table and determined to base our work on a 'frame' going to eight figures calculated by quadratures for every unit of p from 0 to 50 and proceeding by 0·1 increments of u. Such a 'frame' was calculated in part by Dr Arthur T. Doodson and in part by Dr Kirstine Smith. The bulk of this frame was obtained by using Weddle's quadrature formula, but this was not found sufficiently accurate for some of the values of u from 0 to 1·0. Accordingly the top of the table was obtained by the expansion formula for each individual value of u and p, and this was continued just so far as there was any difference in result in the quadrature and series processes. This 'frame' was found adequate to complete the table from $p = 15$ to $p = 50$ using either 8- or 10-point interpolation formulae. The work of interpolation from 15 to 25 was carried out by Dr Kirstine Smith during 1917. The whole matter was then laid aside as the available computers were in great demand for gunnery work. In September 1918 Miss Ethel M. Elderton took charge of the remainder of the work, and she was ably assisted by Miss M. Noel Karn and later by Miss M. Seegar. They completed the interpolation from $p = 25$ to 50. Working backwards from 15, it was found that even 10-point Lagrangian formulae were not accurate enough when p proceeded by unit values. It became needful to reduce the intervals of the 'frame' by proceeding to half units in p. Now the half units in p correspond to cases in which the function $I(u, p)$ can be thrown back on the probability integral and the ordinate of the Gaussian curve of errors. For example,

$$I(u, 3{\cdot}5) = -\, e^{-u\sqrt{4\cdot5}} \frac{(u\sqrt{4{\cdot}5})^{1\cdot5}\,(4{\cdot}5u^2 + 3{\cdot}5u\sqrt{4{\cdot}5} + 8{\cdot}75)}{6{\cdot}5625\sqrt{\pi}} + 2\left\{-\tfrac{1}{2} - xz + \tfrac{1}{2}(1+\alpha)\right\} \ldots\text{(xxi)},$$

where $x = \sqrt{3u\sqrt{2}}$, $z = (1/\sqrt{2\pi})\,e^{-\frac{1}{2}x^2}$ and $\frac{1}{2}(1+\alpha)$ is the value of the probability integral corresponding to x. The half unit points were accordingly calculated from formulae like the above, and we have to thank Dr W. F. Sheppard for the loan of his tables of the probability ordinate and integral which go to more figures than the published versions of them*. These were needful in order to obtain seven-figure accuracy in our tables. The additional values of $I(u, p)$ at half units of p, together with those at $p = 5{\cdot}5$ and 6·5 required for certain differences, enabled us by interpolation to carry the table back to $p = 1{\cdot}2$. From $p = 1{\cdot}2$ to $-\,0{\cdot}95$ it became needful to calculate $I(u, p)$ for every p in the table. This was chiefly done by quadrature of the integral using Weddle's formula. This method failed, however, for values of u between 0 and 1, and here integration by parts had to be used. The ·10 values of p in Table II were computed by Miss M. Seegar and Miss E. Pairman; the ·05 values by Miss E. M. Elderton, Mr E. C. Rhodes and Miss M. N. Karn. The table thus formed permits accurate interpolation to seven figures for any value of u greater than 1·5 for a recorded value of p.

The table for $\log I'(u, p)$, chiefly calculated by Miss M. N. Karn and K. Pearson, permits interpolation for u less than 1·5, also for recorded values of p. Below $p = -\,{\cdot}75$ to $-\,{\cdot}95$, interpolation from our tables even with a 10-point Lagrangian formula will only give about five-figure accuracy for $u < 6{\cdot}0$. Over this area, unless he has to deal with a recorded value of p, the reader will probably find it best to content himself with five-figure accuracy and use the five-figure table (Table V) or, where available, the adjusted table (p. xiv) for each ·01 of p up to $u = 6{\cdot}0$. They are due to Miss E. M. Elderton and Miss M. Moul.

Finally we may note that K. Pearson and H. E. Soper prepared the table of the constants of the skew curve (Table IV); that E. C. Rhodes contributed largely to the series of differences and in association with Miss E. M. Elderton did most of the proof reading, which consisted in checking the printed tables from the original eight-figure working sheets. Besides those, whose names are referred to in the above historical account, it may be safely said that hardly any worker in the Laboratory during the last ten years has failed to contribute in some way to the progress of 'Gamma.' The casual user of these tables may hardly appreciate the labour involved and may indeed believe that they could have been in many ways bettered. There are always difficulties about cooperative work of this kind, when the workers are numerous and the task a protracted one. The scope of the tables themselves and the methods of computing have changed in the course of our labours. We trust that there are few errors and few misprints in the tables as now issued; at any rate we have done what lay in our power to avoid them. On the other hand we are as conscious as any user of these tables can possibly be of their defects. These have already been partially indicated in the preceding pages and will be referred to again in the following sections of this Introduction. We believe that they lie in the very nature of the function which it has been our lot to tabulate. For $p = -1$ the differentials with regard to p of $I(u, p)$ become infinite; and, for low values of p, fairly low differentials of $I(u, p)$ with regard to u become infinite for $u = 0$. Thus ordinary interpolation formulae fail. It would take too much space to describe the various interpolation formulae, not based on the fitting of high order parabolae, we have tried. It suffices to say that in all cases they involved computations as long and less accurate than computing *de novo* an integration by parts or a quadrature by Weddle's formula.

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* *Tables for Statisticians*, Tables I and II.

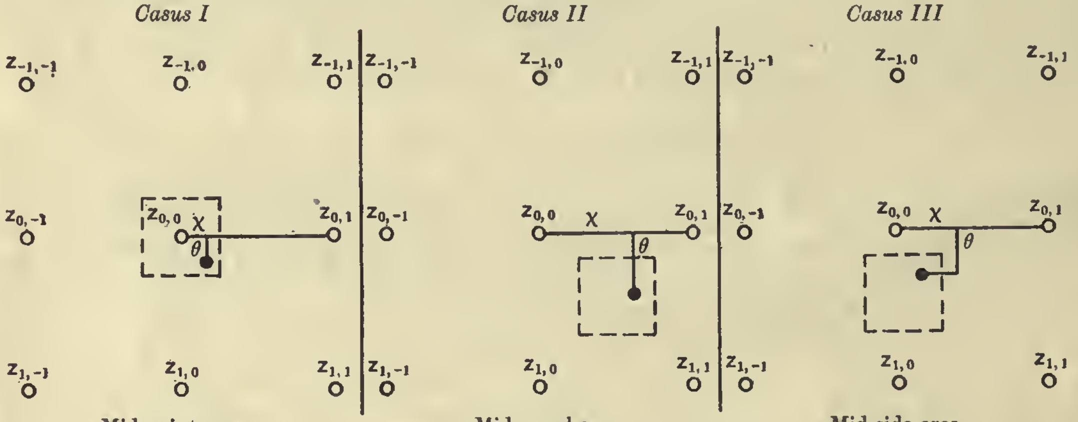
(III) INSTRUCTIONS AS TO USE OF THE TABLES.

The accompanying *Key* (p. xi) gives the methods likely to prove most serviceable for obtaining the value of the Incomplete Γ-function for the corresponding values of u and p. Our tables had necessarily to stop at some value of p and this was chosen at $p = 50{\cdot}0$. This limit was not set by any peculiar fitness in $p = 50$, but by the necessity for limiting the labour involved. We feel accordingly a need for advising the computer how to proceed when p is > 50. Further we have warned the reader of this Introduction that ordinary interpolation will fail to give great accuracy when u is small and p negative, or when p is less than $-{\cdot}75$ and u not small. Of the 36 regions into which the *Key* divides the range of values of u and p, ten (7, 14, 15, 16, 23, 24, 25, 32, 33, 34) are to seven-figure accuracy provided directly for by Table I. A further six (12, 13, 21, 22, 30, 31) are provided for to the same accuracy by Table II. Finally two more areas (5, 6) may be dealt with by Table III.

If only five-figure accuracy is required then Table III (3, 4), Table II (20, 29) and Table V (2, 11) cover six further regions and leave only twelve remaining regions to be dealt with. Of these the function is zero in two (8, 9); for six further ones (17, 18, 26, 27, 35, 36), which fall outside the range of our present tables, methods of attack must be described. The remaining four regions (1, 10, 19, 28) fall into the difficult area of p between $-{\cdot}99$ and $-1{\cdot}00$, where no method of interpolation has so far proved effectual. We shall proceed to consider the individual areas after we have dealt with two points, (α) the interpolation formulae for bi-variate tables and (β) the reduction formulae for the Incomplete Γ-function.

(α) *Interpolation Formulae for Bi-Variate Tables.*

The present editor has discussed elsewhere* the formulae requisite for bi-variate interpolation. Unfortunately he followed somewhat too closely the ideas in Newton's *Methodus Differentialis*, and expanding Newton's methods of *Casus I* and *Casus II* overlooked the fact that beside a mid-panel and a mid-point central difference formula when we come to bi-variate functions there will be a *Casus III*, namely a mid-line or mid-side formula. This oversight is here rectified. The suitable interpolation areas for applying the three formulae are indicated in the accompanying diagram.



Mid-point area
Formula I

Mid-panel area
Formula II

Mid-side area
Formula III

The coordinates of the interpolate into the table (argument-increment as unit) are as above θ and χ. Further $\phi = 1 - \theta$, $\psi = 1 - \chi$, and the central differences are

$$\delta^2 z_{ss'} = z_{s+1,\,s'} + z_{s-1,\,s'} - 2z_{s,\,s'}, \qquad \delta^4 z_{ss'} = \delta^2 z_{s+1,\,s'} + \delta^2 z_{s-1,\,s'} - 2\delta^2 z_{s,\,s'},$$

$$\delta'^2 z_{ss'} = z_{s,\,s'+1} + z_{s,\,s'-1} - 2z_{s,\,s'}, \qquad \delta'^4 z_{ss'} = \delta^2 z_{s,\,s'+1} + \delta^2 z_{s,\,s'-1} - 2\delta^2 z_{s,\,s'},$$

$$\delta^2\delta'^2 z_{ss'} = \delta'^2 z_{s+1,\,s'} + \delta'^2 z_{s-1,\,s'} - 2\delta'^2 z_{s,\,s'} = \delta^2 z_{s,\,s'+1} + \delta^2 z_{s,\,s'-1} - 2\delta^2 z_{s,\,s'}.$$

In our case δ^2 will refer to u and δ'^2 to p. The signs of χ and θ must follow those of first and second subscript respectively. It will be seen that in *Casus I*, the Mid-point Central Difference Formula, there are five adjacent points, and the interpolants are the values of the function and its differences at these points. In *Casus II* there are only four next nearest points, while in *Casus III* there are no less than six interpolants concerned. Thus, as in uni-variate interpolation, preference is very often given to *Casus II* (Everett's Central Difference Formula) on account of its greater simplicity, and its use is extended with

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* 'On the Construction of Tables and Interpolation,' Part II. Bi-Variate Tables. *Tracts for Computers*, No. III. Cambridge University Press.

Key to Methods of Computing the Incomplete Γ-Function.

Value of u	Value of p									Value of u
	$-1{\cdot}00$ to $-0{\cdot}99$	$-0{\cdot}99$ to $-0{\cdot}75$	$-0{\cdot}75$ to $-0{\cdot}65$	$-0{\cdot}65$ to $-0{\cdot}00$	0·0 to 5·0	5·0 to 10·0	10·0 to 50·0	50·0 to 70·0	Above 70·0	
0·0 to 1·5	1 xv, xx Method *A* (7 decimals or more)	2 xv, xx, xxi Table V adjusted (5 decimals) Method *A* (7 decimals or more)	3 xv, xx, xxvi Table III (5 decimals) Method *A* (7 decimals or more)	4 xxvi, xxvii Table III (6 decimals) Method *C* (7 decimals)	5 xxvi, xii Table III (7 decimals)	6 xii, xxiii– Table III (7 decimals) or Table I (7 decimals)	7 xii, xxiii– Table I (7 decimals)	8 ... Function zero to 7 decimals	9 ... Function zero to 7 decimals	0·0 to 1·5
1·5 to 6·0	10 xv, xii, xxv Method *A* (7 decimals or more)	11 xv, xii, xx Table V (5 decimals) Method *A* (7 decimals or more)	12 xii, xxiii– Table II (7 decimals)	13 xii, xxiii– Table II (7 decimals)	14 xii, xxiii– Table I (7 decimals)	15 xii, xxiii– Table I (7 decimals)	16 xii, xxiii– Table I (7 decimals)	17 xvi, xxvii– Methods *D′* or *D* (7 decimals)	18 xvi, xviii, xxviii, xxx Method *D′* or use Weddle's Formula, 18 to 24 ordinates (about 6 decimals)	1·5 to 6·0
6·0 and upwards	19 xv, xx, xxi Method *A*, up to $u=10$ (7 decimals or more) Method *B*, $u>10$ (7 decimals)	20 xv, xxi, xii Table II (5 decimals) Method *B* (7 decimals)	21 xii, xxiii– Table II (7 decimals)	22 xii, xxiii– Table II (7 decimals)	23 xii, xxiii– Table I (7 decimals)	24 xii, xxiii– Table I (7 decimals)	25 xii, xxiii– Table I (7 decimals)	26 xvi, xxvii Method *D* $u<\sqrt{p+1}$ Method *D* $u>\sqrt{p+1}$	27 xviii, xxx Use Weddle's Formula, 18 to 24 ordinates (about 6 decimals)	6·0 and upwards
u of the order $\sqrt{p+1}$	28 Methods as above	29 Methods as above	30 Methods as above	31 Methods as above	32 xi, xxiii– Tables I or III (7 decimals)	33 xi, xxiii– Table I (7 decimals)	34 xi, xxiii– Table I (7 decimals)	35 xvi, xix, xxviii Method *E* (7 decimals) Method *E′*	36 xvi, xix, xxviii Method *E* (7 decimals) Method *E′*	u of the order $\sqrt{p+1}$

The above *Key* enables the computer to see at a glance what appears at present to be the most suitable method of obtaining the value of any Incomplete Γ-function.
Where alternative methods are provided the choice must depend on the number of decimal places required.
The number of decimals indicated is, of course, only approximative and in certain cases there may be a slight error in the last figure.
The Roman numerals refer to the pages of the Introduction where the methods will be found discussed.

increasing inexactitude to *Casus I* or *Casus III*. In the bulk of the area covered by the present tables, this may only mean a unit in the seven-figure, but if a maximum of exactness is required the appropriate *Casus* should be used. The following are the formulae to be used:

Casus I. Mid-point Central Difference Interpolation Formula.

$$\begin{aligned} z_{\theta,\chi} = {} & z_{0,0} + \tfrac{1}{2}\chi\,(z_{0,1} - z_{0,-1}) + \tfrac{1}{2}\theta\,(z_{1,0} - z_{-1,0}) + \tfrac{1}{4}\theta\chi\,(z_{1,1} - z_{1,-1} - z_{-1,1} + z_{-1,-1}) \\ & + \tfrac{1}{2}\chi^2\,(1 - \tfrac{1}{2}\theta^2)\,\delta'^2 z_{0,0} + \tfrac{1}{2}\theta^2\,(1 - \tfrac{1}{2}\chi^2)\,\delta^2 z_{0,0} + \tfrac{1}{8}\theta^2\chi^2\,(\delta'^2 z_{1,0} + \delta'^2 z_{-1,0} + \delta^2 z_{0,1} + \delta^2 z_{0,-1}) \\ & + \tfrac{1}{4}\theta^2\chi\,(\delta^2 z_{0,1} - \delta^2 z_{0,-1}) + \tfrac{1}{4}\theta\chi^2\,(\delta'^2 z_{1,0} - \delta'^2 z_{-1,0}) \\ & - \tfrac{1}{12}\theta\,(1 - \theta^2)\,(\delta^2 z_{1,0} - \delta^2 z_{-1,0}) - \tfrac{1}{12}\chi\,(1 - \chi^2)\,(\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}) \\ & - \tfrac{1}{24}\theta\chi\,(1 - \theta^2)\,(\delta^2 z_{1,1} - \delta^2 z_{1,-1} - \delta^2 z_{-1,1} + \delta^2 z_{-1,-1}) - \tfrac{1}{24}\theta\chi\,(1 - \chi^2)\,(\delta'^2 z_{1,1} - \delta'^2 z_{1,-1} - \delta'^2 z_{-1,1} + \delta'^2 z_{-1,-1}) \\ & - \tfrac{1}{24}\theta^2\,(1 - \theta^2)\,\delta^4 z_{0,0} - \tfrac{1}{24}\chi^2\,(1 - \chi^2)\,\delta'^4 z_{0,0} \quad \ldots\ldots\ldots\ldots\text{(xxii).} \end{aligned}$$

Casus II. Mid-panel Central Difference Interpolation Formula.

$$\begin{aligned} z_{\theta,\chi} = {} & \phi\psi z_{0,0} + \phi\chi z_{0,1} + \theta\psi z_{1,0} + \theta\chi z_{1,1} \\ & - \tfrac{1}{6}\theta\phi\,\{(1 + \phi)\,(\psi\delta^2 z_{0,0} + \chi\delta^2 z_{0,1}) + (1 + \theta)\,(\psi\delta^2 z_{1,0} + \chi\delta^2 z_{1,1})\} \\ & - \tfrac{1}{6}\chi\psi\,\{(1 + \psi)\,(\phi\delta'^2 z_{0,0} + \theta\delta'^2 z_{1,0}) + (1 + \chi)\,(\phi\delta'^2 z_{0,1} + \theta\delta'^2 z_{1,1})\} \\ & + \tfrac{1}{120}\theta\phi\,(1 + \theta)\,(1 + \phi)\,\{(2 + \phi)\,(\psi\delta^4 z_{0,0} + \chi\delta^4 z_{0,1}) + (2 + \theta)\,(\psi\delta^4 z_{1,0} + \chi\delta^4 z_{1,1})\} \\ & + \tfrac{1}{36}\theta\phi\chi\psi\,\{(1+\phi)\,(1+\psi)\,\delta^2\delta'^2 z_{0,0} + (1+\phi)\,(1+\chi)\,\delta^2\delta'^2 z_{0,1} + (1+\theta)\,(1+\psi)\,\delta^2\delta'^2 z_{1,0} + (1+\theta)\,(1+\chi)\,\delta^2\delta'^2 z_{1,1}\} \\ & + \tfrac{1}{120}\chi\psi\,(1 + \chi)\,(1 + \psi)\,\{(2 + \psi)\,(\phi\delta'^4 z_{0,0} + \theta\delta'^4 z_{1,0}) + (2 + \chi)\,(\phi\delta'^4 z_{0,1} + \theta\delta'^4 z_{1,1})\} \quad \ldots\ldots\ldots\text{(xxiii).} \end{aligned}$$

Casus III. Mid-side Central Difference Interpolation Formula.

$$\begin{aligned} z_{\theta,\chi} = {} & \phi z_{0,0} + \theta z_{1,0} + \tfrac{1}{2}\chi\phi\,(z_{0,1} - z_{0,-1}) + \tfrac{1}{2}\chi\theta\,(z_{1,1} - z_{1,-1}) \\ & + \tfrac{1}{2}\chi^2\,(\phi\delta'^2 z_{0,0} + \theta\delta'^2 z_{1,0}) - \tfrac{1}{6}\theta\phi\,\{(1 + \phi)\,\delta^2 z_{0,0} + (1 + \theta)\,\delta^2 z_{1,0}\} \\ & - \tfrac{1}{12}\theta\phi\chi\,\{(1 + \phi)\,(\delta^2 z_{0,1} - \delta^2 z_{0,-1}) + (1 + \theta)\,(\delta^2 z_{1,1} - \delta^2 z_{1,-1})\} \\ & - \tfrac{1}{12}\chi\,(1 - \chi^2)\,\{\phi\,(\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}) + \theta\,(\delta'^2 z_{1,1} - \delta'^2 z_{1,-1})\} - \tfrac{1}{12}\chi^2\theta\phi\,\{(1 + \phi)\,\delta^2\delta'^2 z_{0,0} + (1 + \theta)\,\delta^2\delta'^2 z_{1,0}\} \\ & + \tfrac{1}{120}\theta\,(1 + \theta)\,\phi\,(1 + \phi)\,\{(2 + \phi)\,\delta^4 z_{0,0} + (2 + \theta)\,\delta^4 z_{1,0}\} - \tfrac{1}{24}\chi^2\,(1 - \chi^2)\,\{\phi\delta'^4 z_{0,0} + \theta\delta'^4 z_{1,0}\} \quad \ldots\ldots\ldots\text{(xxiv).} \end{aligned}$$

Formula (xxiii) has besides its generally symmetrical form this advantage over Formulae (xxii) and (xxiv); it is true up to, but not including, terms of the *sixth* order in the differences. On the other hand, (xxii) and (xxiv) are only true up to, but not including, terms of the fifth order in the differences*. Hence if we work only to fourth order differences it is possible that *Casus II* might give a slightly better result than *Casus I* or *Casus III* even within the appropriate areas of those formulae. But if fifth differences are negligible then each of these formulae should give the best result of the three in its own region. We now turn to the labour involved in each case.

Casus I involves no cross-differences. We have to take out 9 function values, 20 tabulated differences and compute 12 coefficients.

Casus II. We have to take out 4 function values, 16 tabulated differences, and calculate 4 cross-differences. This involves taking out another 4 second differences or we need 20 tabulated differences in all. We have to compute, however, no less than 24 coefficients†.

Casus III. This involves the taking out of 6 function values and 10 tabulated differences, and the computation of 2 cross-differences. It will be found, however, that these two cross-differences do not involve any second differences which have not already been extracted. In fact we can if we please write the Mid-side Central Difference Interpolation Formula as:

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* The fifth order terms in *Casus I* are:

$$\begin{aligned} & -\tfrac{1}{48}\theta^2\,(1 - \theta^2)\,\chi\,(\delta^4 z_{0,1} - \delta^4 z_{0,-1}) - \tfrac{1}{48}\chi^2\,(1 - \chi^2)\,\theta\,(\delta'^4 z_{1,0} - \delta'^4 z_{-1,0}) + \tfrac{1}{240}\theta\,(1 - \theta^2)\,(4 - \theta^2)\,(\delta^4 z_{1,0} - \delta^4 z_{-1,0}) \\ & \quad + \tfrac{1}{240}\chi\,(1 - \chi^2)\,(4 - \chi^2)\,(\delta'^4 z_{0,1} - \delta'^4 z_{0,-1}) - \tfrac{1}{24}\chi^2\,\theta\,(1 - \theta^2)\,(\delta^2\delta'^2 z_{1,0} - \delta^2\delta'^2 z_{-1,0}) - \tfrac{1}{24}\theta^2\chi\,(1 - \chi^2)\,(\delta^2\delta'^2 z_{0,1} - \delta^2\delta'^2 z_{0,-1}). \end{aligned}$$

The fifth order terms in *Casus III* are:

$$\begin{aligned} & \tfrac{1}{72}\chi\,(1 - \chi^2)\,\theta\phi\,\{(1 + \phi)\,(\delta^2\delta'^2 z_{0,1} - \delta^2\delta'^2 z_{0,-1}) + (1 + \theta)\,(\delta^2\delta'^2 z_{1,1} - \delta^2\delta'^2 z_{1,-1})\} \\ & + \tfrac{1}{240}\chi\theta(1+\theta)\phi(1+\phi)\,\{(2+\phi)(\delta^4 z_{0,1} - \delta^4 z_{0,-1}) + (2+\theta)(\delta^4 z_{1,1} - \delta^4 z_{1,-1})\} + \tfrac{1}{240}\chi(1 - \chi^2)(4 - \chi^2)\,\{\phi\,(\delta'^4 z_{0.1} - \delta'^4 z_{0,-1}) + \theta\,(\delta'^4 z_{1,1} - \delta'^4 z_{1,-1})\}. \end{aligned}$$

† We count as a coefficient any case where at least a product of θ, ϕ, χ, ψ, is involved.

Casus III.
$$\begin{aligned} z_{\theta,\chi} = {} & \phi z_{0,0} + \theta z_{1,0} + \tfrac{1}{2}\chi\phi\,(z_{0,1} - z_{0,-1}) + \tfrac{1}{2}\chi\theta\,(z_{1,1} - z_{1,-1}) \\ & + \tfrac{1}{2}\chi^2\,(\phi\delta'^2 z_{0,0} + \theta\delta'^2 z_{1,0}) - \tfrac{1}{6}\,(1-\chi^2)\,\phi\,(1-\phi^2)\,\delta^2 z_{0,0} - \tfrac{1}{6}\,(1-\chi^2)\,\theta\,(1-\theta^2)\,\delta^2 z_{1,0} \\ & - \tfrac{1}{2}\chi\,\frac{\phi\,(1-\phi^2)}{3\,!}\,\{(1+\chi)\,\delta^2 z_{0,1} - (1-\chi)\,\delta^2 z_{0,-1}\} - \tfrac{1}{2}\chi\,\frac{\theta\,(1-\theta^2)}{3\,!}\,\{(1+\chi)\,\delta^2 z_{1,1} - (1-\chi)\,\delta^2 z_{1,-1}\} \\ & - \tfrac{1}{2}\phi\,\frac{\chi\,(1-\chi^2)}{3\,!}\,(\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}) - \tfrac{1}{2}\theta\,\frac{\chi\,(1-\chi^2)}{3\,!}\,(\delta'^2 z_{1,1} - \delta'^2 z_{1,-1}) \\ & - \tfrac{1}{24}\chi^2\,(1-\chi^2)\,\{\phi\delta'^4 z_{0,0} + \theta\delta'^4 z_{1,0}\} + \tfrac{1}{120}\phi\,(1-\phi^2)\,(4-\phi^2)\,\delta^4 z_{0,0} + \tfrac{1}{120}\theta\,(1-\theta^2)\,(4-\theta^2)\,\delta^4 z_{1,0} \quad \ldots\text{(xxiv) } bis. \end{aligned}$$

We see that there will be 14 coefficients to be computed*.

If the reader examines the above statements he will see that the Mid-side Formula (xxiv) *bis* probably involves the least labour; there is little to choose, however, between the work involved in (xxii) and (xxiii).

Illustrations of convenient arrangements of the work in using these formulae are given in the succeeding section. They apply in the case of Tables I, II and III, *i.e.* in Regions 5, 6, 7, 12, 13, 14, 15, 16, 21, 22, 23, 24, 25, 30, 31, 32, 33, 34. They also apply to the application of Table II to Regions 20 and 29 and of Table III to Regions 3 and 4.

(α')* When we come to the application of Table V for five-figure accuracy in Regions 2 and 11 experience has shown that any interpolation formula which involves the function value 1·0 for $p = -1{\cdot}0$ leads to unsatisfactory results. Hence for p a high negative value it is desirable to use a forward difference formula. Outside the region $p = -{\cdot}90$, and $u = 1{\cdot}5$ to $u = 2{\cdot}0$, the formula

$$\begin{aligned} z_{\theta,\chi} = {} & z_{00} + \theta\Delta_u z_{00} + \chi\Delta_p z_{00} - \tfrac{1}{2}\,\{\theta\,(1-\theta)\,\Delta_u{}^2 z_{00} - 2\,\chi\theta\Delta^2{}_{pu} z_{00} + \chi\,(1-\chi)\,\Delta_p{}^2 z_{00}\} \\ & + \tfrac{1}{6}\,\{\theta\,(1-\theta)\,(2-\theta)\,\Delta_u{}^3 z_{00} - 3\chi\theta\,(1-\theta)\,\Delta^3{}_{up^2} z_{00} - 3\theta\chi\,(1-\chi)\,\Delta^3{}_{u^2p} z_{00} + \chi\,(1-\chi)\,(2-\chi)\,\Delta^3{}_p z_{00}\} \quad \text{(xxv)}, \end{aligned}$$

even if we proceed only to second differences will often suffice, or again only one set of third differences may be sensible.

But where u is small and p is negative and greater than $-{\cdot}90$, Table V no longer suffices to give even five-figure accuracy. We have two divergent series of differences to deal with, the one due to u and the other to p. Table III using $\log I'(u, p)$ gets over the u-difference difficulties and is appropriate to the Regions 3, 4 and 5, where u is small and p not too close to $-1{\cdot}0$. Central difference mid-panel formulae suited to 'finial' or boundary regions are provided in *Tracts for Computers*, No. III. p. 49, and may occasionally be used with advantage in Regions 6 and 7 of the *Key*.

Table III becomes less accurate as p becomes increasingly negative, and its accuracy has fallen to five figures in Region 3. In Region 2, except for the tabulated values, neither Table III nor Table V suffices for five-figure accuracy. Method *A* gives any required accuracy, however, at not too great an expenditure of labour. What is needed in this Region 2 is to get rid of both series of divergent differences. The $\log I'(u, p)$ function gets rid of the u difficulties, but to get rid of the p difficulties we are compelled to alter our variate u.

If we take $\xi = u\sqrt{1+p}$ and write $\quad \xi^{p+1} \times I''(\xi, p) = \displaystyle\int_0^\xi \frac{e^{-x}x^p dx}{\Gamma(p+1)}$

we have in $\log I''(\xi, p)$ a function of which the differences with regard to both p and ξ are non-divergent, and a table of $\log I''(\xi, p)$ will enable us to determine $\log I(\xi, p)$ by adding on $(p+1)\log\xi$.

The objection to this process is that we could not have based all our tables on tabulation by ξ instead of u; the length of the ξ columns would have been interminable. We should have been compelled to change at some point from ξ to u, and the variates of entry would not have been uniform. To enable a reader who does not wish to adopt Method *A* for Region 2 we provide on p. xiv a seven-figure table of $\log I''(\xi, p)$ for the range of $p = -1{\cdot}00$ to $-{\cdot}90$ and $\xi = 0$ to ${\cdot}30$ by units of ${\cdot}01$ for p and ξ.

In using the main tables the reader will find occasional areas where the central differences of the function entries are omitted. This may arise from three sources: (*a*) the omitted differences are insensible to seven-figure accuracy, *e.g.* there is no point whatever in tabling a fourth difference under the value 4 in the last place of figures. (*b*) The omitted differences cannot be computed owing to the nature of the function itself, *e.g.* $u = 0$, or $= 0{\cdot}1$ or $0{\cdot}2$ in Table I. In such finial regions we must use a forward difference formula or introduce an auxiliary function (Table III). (*c*) The differences may be so large, and so unreliable, *i.e.* diverge at a greater rate than the coefficients converge, that it is safer to omit them, *e.g.* the p differences of function values near $p = -1{\cdot}0$. For such areas, *e.g.* Regions 1, 10, 19, 28, other methods of computing than interpolating from a table must be dealt with and will be considered below. The user of the tables can hardly fail in the absence of the differences to recognise whether this arises from sources (*a*), (*b*) or (*c*). Should he fail to do so, he will realise what source it arises from when he attempts to determine for himself the missing differences from the table entries.

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* Help in the computation of the bi-variate coefficients may be obtained by the use of A. J. Thompson's 'Table of the Coefficients of Everett's Central Difference Formula,' *Tracts for Computers*, No. V. Cambridge University Press.

Log $I''(\xi, p)$. *Adjusted Table V for* $p = -1{\cdot}0$ *to* $-{\cdot}90$, $\xi = {\cdot}00$ *to* ${\cdot}30$.

ξ	$p=-1{\cdot}00$	$p=-{\cdot}99$	$p=-{\cdot}98$	$p=-{\cdot}97$	$p=-{\cdot}96$	$p=-{\cdot}95$	$p=-{\cdot}94$	$p=-{\cdot}93$	$p=-{\cdot}92$	$p=-{\cdot}91$	$p=-{\cdot}90$	ξ
·00	·0000000	·0024713	·0048721	·0072036	·0094666	·0116621	·0137911	·0158545	·0178531	·0197877	·0216593	·00
·01	·0000000	·0024284	·0047872	·0070774	·0093000	·0114558	·0135459	·0155710	·0175321	·0194299	·0212654	·01
·02	·0000000	·0023857	·0047026	·0069518	·0091341	·0112504	·0133017	·0152888	·0172125	·0190737	·0208731	·02
·03	·0000000	·0023432	·0046179	·0068268	·0089690	·0110460	·0130586	·0150079	·0168944	·0187190	·0204826	·03
·04	·0000000	·0023009	·0045348	·0067024	·0088047	·0108425	·0128165	·0147282	·0165776	·0183659	·0200937	·04
·05	·0000000	·0022588	·0044515	·0065786	·0086412	·0106400	·0125756	·0144498	·0162623	·0180143	·0197065	·05
·06	·0000000	·0022170	·0043685	·0064554	·0084784	·0104384	·0123361	·0141726	·0159484	·0176642	·0193209	·06
·07	·0000000	·0021754	·0042860	·0063327	·0083164	·0102377	·0120976	·0138967	·0156358	·0173156	·0189370	·07
·08	·0000000	·0021339	·0042039	·0062107	·0081551	·0100379	·0118600	·0136220	·0153246	·0169686	·0185547	·08
·09	·0000000	·0020926	·0041222	·0060892	·0079946	·0098391	·0116235	·0133485	·0150148	·0166231	·0181741	·09
·10	·0000000	·0020516	·0040408	·0059683	·0078348	·0096412	·0113881	·0130762	·0147064	·0162791	·0177952	·10
·11	·0000000	·0020108	·0039598	·0058479	·0076758	·0094442	·0111537	·0128052	·0143993	·0159366	·0174179	·11
·12	·0000000	·0019701	·0038793	·0057281	·0075175	·0092480	·0109204	·0125354	·0140935	·0155956	·0170421	·12
·13	·0000000	·0019296	·0037991	·0056089	·0073599	·0090527	·0106881	·0122668	·0137891	·0152560	·0166679	·13
·14	·0000000	·0018894	·0037193	·0054903	·0072031	·0088584	·0104569	·0119993	·0134861	·0149179	·0162954	·14
·15	·0000000	·0018494	·0036398	·0053722	·0070470	·0086650	·0102267	·0117330	·0131844	·0145813	·0159245	·15
·16	·0000000	·0018095	·0035608	·0052546	·0068917	·0084724	·0099976	·0114679	·0128839	·0142461	·0155551	·16
·17	·0000000	·0017698	·0034821	·0051376	·0067370	·0082807	·0097695	·0112040	·0125847	·0139123	·0151873	·17
·18	·0000000	·0017303	·0034038	·0050211	·0065830	·0080899	·0095424	·0109413	·0122869	·0135800	·0148210	·18
·19	·0000000	·0016909	·0033259	·0049052	·0064297	·0078999	·0093163	·0106797	·0119904	·0132491	·0144563	·19
·20	·0000000	·0016517	·0032483	·0047899	·0062771	·0077108	·0090912	·0104192	·0116952	·0129196	·0140932	·20
·21	·0000000	·0016128	·0031711	·0046750	·0061252	·0075225	·0088672	·0101599	·0114013	·0125916	·0137316	·21
·22	·0000000	·0015742	·0030942	·0045607	·0059741	·0073351	·0086442	·0099018	·0111086	·0122650	·0133715	·22
·23	·0000000	·0015357	·0030177	·0044469	·0058237	·0071485	·0084222	·0096448	·0108172	·0119398	·0130129	·23
·24	·0000000	·0014973	·0029416	·0043346	·0056739	·0069628	·0082010	·0093889	·0105270	·0116159	·0126559	·24
·25	·0000000	·0014591	·0028658	·0042209	·0055248	·0067779	·0079808	·0091341	·0102381	·0112934	·0123004	·25
·26	·0000000	·0014210	·0027904	·0041087	·0053763	·0065938	·0077617	·0088804	·0099505	·0109723	·0119464	·26
·27	·0000000	·0013832	·0027153	·0039970	·0052285	·0064106	·0075436	·0086279	·0096641	·0106526	·0115938	·27
·28	·0000000	·0013455	·0026406	·0038858	·0050814	·0062282	·0073264	·0083765	·0093789	·0103342	·0112427	·28
·29	·0000000	·0013080	·0025662	·0037751	·0049350	·0060466	·0071102	·0081261	·0090950	·0100171	·0108931	·29
·30	·0000000	·0012707	·0024922	·0036649	·0047893	·0058658	·0068949	·0078768	·0088123	·0097013	·0105449	·30

Higher differences than those tabled in Tables I to IV can be found from the consideration that

$$\delta'^{2s+2}z_{0,0} = \delta'^{2s}z_{0,-1} + \delta'^{2s}z_{0,1} - 2\delta'^{2s}z_{0,0}, \text{ and } \delta^{2s+2}z_{0,0} = \delta^{2s}z_{-1,0} + \delta^{2s}z_{1,0} - 2\delta^{2}z_{0,0},$$

and the full formulae up to 8th differences are given in the *Tract for Computers*, No. III. They can only be of service, however, in very limited regions of the present table.

If the reader expresses astonishment at the comparative labour of using these tables now that they are completed, we tender our sympathy, but are convinced that his astonishment will vanish as he grows more accustomed to the use of bi-variate tables. He has possibly occasionally seen there was some difficulty in interpolating into tables of log *sin x* or of *natural cot x* when x was small. Let him consider a bi-variate function like log *sin xy* or *cot xy* when *both* x and y are small, and he will have a function which like ours is troublesome along two boundaries of the table, but one for which it is easier to find remedies.

As a matter of fact, supposing the use of a machine, which every modern computer has at his command, no interpolation suggested ought to take more than an hour's work and many much less. If the user of these tables groans under that hour, let him compute *de novo* a function value, say $I\,(6{\cdot}86877,\ 47{\cdot}1813)$—including of course $\Gamma\,(48{\cdot}1813)$—to seven-figure accuracy, and when he has completed the task, we believe his feelings towards those who have provided him with these tables will be very sensibly modified.

(β) *Reduction Formulae for the Incomplete* Γ*-function.*

The two chief reduction formulae are obtained by respectively lowering and raising p.

Let

$$\xi = u_1\sqrt{p+1} = u_2\sqrt{p+2} = \ldots = u_n\sqrt{p+n}$$
$$= u_0\sqrt{p} \qquad = u_{-1}\sqrt{p-1} = \ldots = u_{-n}\sqrt{p-n}.$$

Then by integrating by parts either starting with x^p or with e^{-x} we find

$$I(u_1, p) = \frac{e^{-\xi}\xi^{p+1}}{\Gamma(p+2)} + I(u_2, p+1) \quad \text{.........(xxvi)}, \qquad I(u_1, p) = I(u_0, p-1) - \frac{e^{-\xi}\xi^p}{\Gamma(p+1)} \quad \text{......(xxvii)}.$$

Hence by repeated application we find

$$I(u_1, p) = \frac{e^{-\xi}\xi^{p+1}}{\Gamma(p+2)}\left\{1 + \frac{\xi}{(p+2)} + \frac{\xi^2}{(p+2)(p+3)} + \dots + \frac{\xi^{n-1}}{(p+2)(p+3)\dots(p+n)}\right\} + I(u_{n+1}, p+n) \quad \text{.........(xxviii)},$$

where

$$u_{n+1} = u_1\sqrt{(p+1)/(p+n+1)}$$

and

$$I(u_1, p) = I(u_{-n}, p-n-1) - \frac{e^{-\xi}\xi^p}{\Gamma(p+1)}\left\{1 + \frac{p}{\xi} + \frac{p(p-1)}{\xi^2} + \dots + \frac{p(p-1)\dots(p-n+1)}{\xi^n}\right\} \quad \text{...(xxix)},$$

where

$$u_{-n} = u_1\sqrt{p/(p-n)}.$$

Clearly if ξ be small as compared to p the series in curled brackets in (xxviii) will converge rapidly. u_{n+1} will decrease in value and $I(u_{n+1}, p+n)$ become negligible. Since u_1 is equal to $\xi/\sqrt{p+1}$, we must have u small as compared with $\sqrt{p}$.

Similarly when ξ is large compared with p or u large compared with $\sqrt{p}$, the expression (xxix) is available. But without trusting to rapid convergency of the series we may use either (xxviii) or (xxix) to transfer an Incomplete Γ-function either lying with regard to p outside the tables into the tables, or if inside the tables, in a region where owing to the value of p or u the interpolation is unsatisfactory, into a region where interpolation will give better results.

If ξ is of the order p, or u of the order $\sqrt{p+1}$, there, especially when p is large, neither (xxviii) nor (xxix) can be used to compute effectively $I(u, p)$ apart from the tables. For example, to obtain the integral $\int_0^{45} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$ correct to only *five* decimal places we require about 30 terms of the series and to evaluate $\int_{102}^{\infty} dx \frac{x^{99}e^{-x}}{\Gamma(100)}$ to five-figure accuracy we need 50 terms of the series.

Clearly for integrating up to the neighbourhood of the mean or mode for considerable values of p, integration by parts is very lengthy, and other methods must be considered.

A third formula, which sometimes may be of value, is obtained by expanding the exponential and integrating. We have, if $\xi = u\sqrt{p+1}$ as before,

$$I(u, p) = \frac{\xi^{p+1}}{\Gamma(p+2)}\left(1 - \frac{\xi(p+1)}{1!\,(p+2)} + \frac{\xi^2(p+1)}{2!\,(p+3)} - \frac{\xi^3(p+1)}{3!\,(p+4)} + \dots\right) \quad \text{...........(xxx)}.$$

Less than 20 terms even in such an extreme case as $u = 6{\cdot}0$, $p = -0{\cdot}65$ will give the result correct to more than seven decimals. When p is $-{\cdot}99$ or still nearer $-1{\cdot}0$, only about 12 terms are required even when u is as large as 10.

When p is of the order $-{\cdot}99$ and u not more than 1·5, then six terms will give no more than seven-figure accuracy. It will be desirable to calculate the terms in the series to about nine-figure accuracy, and the same accuracy in the outside factor $\xi^{p+1}/\Gamma(p+2)$. The $\log\Gamma(p+2)$ is provided by Legendre's Tables of the Complete Γ-function*.

We term the use of (xxx) *Method A*, and it covers without too great labour the Regions 1, 10 and part of 19 of our *Key*, as well as Regions 2, 3 and 11 where the computer has need of more than five decimal figures.

We now turn to the Regions in the *Key* denoted by 19, 20, 28 and 29. Here (xxviii) will provide what we need. For example in 20, if $p = -{\cdot}75$ and $u = 6{\cdot}0$, then for $n = 1$ and $n = 2$ or by the calculation of 1 or 2 terms of the series $I(6{\cdot}0, -{\cdot}75)$ is reduced to $I(2{\cdot}68\dots, {\cdot}25)$ or $I(2{\cdot}0, 1{\cdot}25)$ both of which fall in the Region 14 and can therefore be found with seven-figure accuracy from Table I.

Again consider $I(10, -{\cdot}99)$ in Region 19 a single or double reduction leads to $I({\cdot}995\dots, {\cdot}01)$ or $I({\cdot}705, 1{\cdot}01)$ both in Region 5 of *Key* and therefore discoverable from Table III. We term this process of reduction *Method B*, and it will provide for the remaining Regions (19) and (20) of the negative p portion of our *Key*.

We shall now consider high values of p beyond our tabled range. We have indicated that to get five-figure accuracy we may need to calculate 30 to 50 terms. Accordingly it seems best, at least when p is not greater than 70, to throw back the function into the table by the reduction formula (xxix). For example if we need $I\,(6{\cdot}0,\ 65{\cdot}0)$, we take $u = 15$, and reduce it to $I\,(6{\cdot}840\ldots,\ 49{\cdot}0)$. This will involve the calculation of 15 terms in the series in (xxix). We term this process of throwing back into the table *Method D*. Sometimes it is convenient when u is small to use (xxviii). For example $I\,(2{\cdot}0,\ 63)$ could be reduced by 15 terms of (xxviii) to $I\,(1{\cdot}80\ldots,\ 79)$ which to seven figures is zero. Hence 15 terms would suffice to calculate $I\,(2{\cdot}0,\ 63)$. We may call this method *Method D′*. It is, however, only workable for low values of u.

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* Or reprinted in *Tracts for Computers*, No. IV. Cambridge University Press.

(γ) *Formulae for Integrals in the Neighbourhood of the Mode.*

In the neighbourhood of $u = \sqrt{p+1}$, *i.e.* in the neighbourhood of the mean or mode when p is considerable, good results can be obtained by a process which we will term *Method E*. This consists in fitting a quartic curve to $\gamma = \dfrac{1}{\Gamma\,(p+1)}\, x^p e^{-x}$ in the region of the mean and mode, and integrating the area of this curve from the median to the required point, the area to the median being known to be ·5.

Thus we run a quartic curve, horizontal at the mode through points on the curve

$$y = x^p e^{-x}/\Gamma\,(p+1),$$

namely at the summit of the mode (y_2), two units before the mode (y_1), at the summit of the mean (y_3) and two units beyond the mean (y_4). Since the mode is at $x = p$, the mean at $x = p + 1$, we have

$$y_1 = (p-2)^p e^{-(p-2)}/\Gamma\,(p+1), \quad y_2 = p^p e^{-p}/\Gamma\,(p+1),$$

$$y_3 = (p+1)^p e^{-(p+1)}/\Gamma\,(p+1), \quad y_4 = (p+3)^p e^{-(p+3)}/\Gamma\,(p+1) \quad \ldots\ldots\ldots\ldots\ldots\text{(xxxi)}.$$

These four values must first be computed.

The equation to the quartic required *with origin at the mode* is

$$y = y_2 + \frac{9y_1 - 185y_2 + 180y_3 - 4y_4}{180}\,x^2 - \frac{6y_1 + 10y_2 - 15y_3 - y_4}{90}\,x^3 + \frac{3y_1 + 25y_2 - 30y_3 + 2y_4}{180}\,x^4.$$

Let the median be at distance d from the mode, and the bounding ordinate of the required area at distance d' from the mode. Then

$$\int_0^{p+d'} \frac{x^p e^{-x}dx}{\Gamma\,(p+1)} = 0{\cdot}5 + y_2\,(d' - d) + \frac{9y_1 - 185y_2 + 180y_3 - 4y_4}{540}\,(d'^3 - d^3)$$

$$- \frac{6y_1 + 10y_2 - 15y_3 - y_4}{360}\,(d'^4 - d^4) + \frac{3y_1 + 25y_2 - 30y_3 + 2y_4}{900}\,(d'^5 - d^5) \quad \ldots\ldots\text{(xxxii)}.$$

Here d' may be either positive or negative and d is to be determined from equation (xx), or

$$d = {\cdot}6666{,}6667 + \frac{{\cdot}0197{,}5309}{p+1} + \frac{{\cdot}0072{,}1144}{(p+1)^2} + \frac{{\cdot}0003{,}8554}{(p+1)^3} \quad \ldots\ldots\ldots\ldots\ldots\ldots\text{(xxxiii)}.$$

It will be found that (xxxii) gives results correct to practically seven figures between mode and mean, and results of about five-figure accuracy even to about half a unit beyond y_1 and y_4[*]. These results are based on p being about 50; if p be about 100, six-figure accuracy may be obtained in a range of 3 taken on either side the mode. This process of evaluating the Incomplete Γ-function for high indices we term as we have noted Method *E*. The great misfortune is that its range is so limited[†], it is only valid in the immediate neighbourhood of mode and mean. This Method *E* applies to Regions 35 and 36 of the *Key*.

(δ) *Formulae for Values of the p-argument outside the Limits of the Tables.*

We now come to Regions 18 and 27 of the *Key*. Here the labour of Method *D*, or throwing back into the table becomes increasingly wearisome. For $p = 100$, we should have to calculate 50 terms before we could find $I\,(u_{-n},\ p - n - 1)$ from the table. If u be small Method *D′* will give good accuracy with far fewer than 50 terms. For u considerable, but not in the neighbourhood of $\sqrt{p+1}$, there appears to be only two possible processes:

(*a*) To use quadrature formulae—we have tried a number and find that Weddle's gives the best results.

We integrate either $\displaystyle\int_0^{\xi} \frac{x^p e^{-p}dx}{\Gamma\,(p+1)}$ or $\displaystyle\int_{\xi}^{\infty} \frac{x^p e^{-p}dx}{\Gamma\,(p+1)}$

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[*] A quintic through the additional summit of the ordinate at the median provided six-figure accuracy throughout; but as it involved the value of d in the coefficients of the powers of x it gave far more complicated results.

[†] As the limit to the curve $y = y_0 x^p e^{-x}$ as p increases is a normal curve of errors we might seem justified in expanding in either incomplete normal moment functions or what is practically the same thing tetrachoric functions. Such expansions have been tried and found inadequate, except near the mode, even when 30 terms were taken. This will be dealt with on another occasion.

according as ξ is $<$ or $> p + 1$, so as not to cross the vertex of the curve*. The Weddle quadrature with 18 or 24 ordinates will give the correct result to about 6 decimal places. If complete seven-figure accuracy is desirable still more ordinates must be used. In the actual construction of the present tables we were using over 60 ordinates when we came to the quadrature of areas near the mode, and these ordinates were computed to eight figures, and the bases being to one-tenth, we obtained accuracy to seven figures.

(*b*) To use the reduction formulae (xxviii) or (xxix) according as ξ is less or greater than p, and to carry this on until the last term of the series is insensible to the required degree of accuracy. In this case $I(u_{n+1}, p+n)$ in (xxviii) may be put zero and $I(u_{-n}, p-n-1)$ in (xxix) be put unity. The whole process is much simplified if we can reckon *a priori* the number of terms in the series we require to go to.

Now the factor $e^{-\xi}\xi^{p+1}/\Gamma(p+2)$ is the product of $\dfrac{e^{-\xi}\xi^{p}}{\Gamma(p+1)}$ and $\dfrac{\xi}{p+1}$ and both of these terms are less than unity for considerable p, the latter by hypothesis and the former because $\Gamma(p+1)$ is $> e^{-p}p^{p}$ and ξ is $< p$. For the latter reason $e^{-\xi}\xi^{p}/\Gamma(p+1)$ the factor in (xxix) is less than unity. Accordingly to work to s decimal accuracy we need in (xxviii) to make

$$\frac{\xi^{n-1}}{(p+2)(p+3)\dots(p+n)} \text{ or } \frac{(p+1)!}{(p+n)!}\xi^{n-1} < 10^{-s}, \text{ and in (xxix) } \frac{p!}{(p-n)!}\xi^{-n} < 10^{-s}.$$

Expressing these as logarithmic inequalities we need to have

$$\log\{(p+n)!\} - (n-1)\log\xi > s + \log\{(p+1)!\} \quad\dots\dots\dots\dots(\text{xxxiv}),$$

or

$$\log\{(p-n)!\} + n\log\xi > s + \log\{p!\} \quad\dots\dots\dots\dots(\text{xxxiv})\ \textit{bis}.$$

Suppose $p = 60$, $\xi = 50$ and we want accuracy to 7 decimal places, and put for safety $s = 8$, then we need

$$\log(p+n)! - n \times 1{\cdot}698{,}9700 > 90{\cdot}006{,}5347.$$

If $n = 50$, the left-hand side is 93·252..., if $n = 40$, it is 90·021..., if $n = 41$, it is 90·316....

Hence 41 terms will provide at least seven-figure accuracy in using the series in (xxviii) to compute $I(50/\sqrt{61}, 60)$. The series is then arranged as

$$1 + \frac{\xi}{p+2}\left\{1 + \frac{\xi}{p+3}\left\{1 + \frac{\xi}{p+4}\left\{\dots\right\} 1 + \frac{\xi}{p+n-1}\right\} 1 + \frac{\xi}{p+n}\right\}^{\dagger} \quad\dots\dots\dots\dots(\text{xxxv}).$$

The operation is now continuous. $1 + \xi/(p+n)$ is put on the machine, it is multiplied by $\xi/(p+n-1)$, unity is added to the result and it is multiplied by $\xi/(p+n-2)$, unity is again added and the result multiplied by $\xi/(p+n-3)$ and so on till we come to $\xi/(p+2)$ and add our last unity.

The process is really a very rapid one, but there is no security except the excellence of the computer that a slip has not been made in the long series of operations. A trained computer will, however, multiply by ξ, divide by $p + n - s$ and add the unit in continuous sequence transferring from slide to multiplier setting without ever writing anything down on paper. The less-trained, if they adopt this method, are advised to write down their successive factors and the result of each operation so that the stages may be checked by differencing.

For a further illustration consider $p = 99$, $\xi = 110$, and $s = 8$, so that we seek $I(11, 99)$. We find

$$\log(p-n)! + n \times 2{\cdot}041{,}3927 = 163{\cdot}970{,}0037.$$

$n = 40$, the left-hand side $= 161{\cdot}797\dots$,

$n = 46$, „ „ $= 163{\cdot}534\dots$,

$n = 47$, „ „ $= 163{\cdot}852\dots$,

$n = 48$, „ „ $= 164{\cdot}177\dots$.

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* If the latter formula be used the last ordinate in the infinite tail should be taken to be zero to at least eight figures.

† This formula is of such service for negative p and small u that the following table prepared by Miss Ethel M. Elderton will be of real value to the computer. It gives the number of terms n required for an accuracy in (xxxv) of seven figures.

Values of p

u	−·99	−·95	−·90	−·85	−·80	−·75	−·70	−·65	−·60	−·55	−·50	−·45	−·40	−·35	−·30	−·25	−·20	−·15	−·10	−·05	·00
0·1	4	5	5	5	5	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6
0·5	5	6	6	7	7	7	8	8	8	8	8	8	8	8	8	8	8	8	8	8	9
1·0	6	7	7	8	9	9	9	10	10	10	10	10	11	11	11	11	11	11	11	11	11
2·0	7	9	10	11	11	12	12	12	13	13	13	14	14	15	15	15	15	15	15	16	16

Unity is counted as the first or rather last term working from the right.

Accordingly 48 terms of (xxix) will be needed to be certain of seven-figure accuracy. The continuous product may be written

$$1 + \frac{p}{\xi}\left\{1 + \frac{p-1}{\xi}\left\{1 + \frac{p-2}{\xi}\left\{\dots\left\{1 + \frac{p-(n-2)}{\xi}\left\{1 + \frac{p-(n-1)}{\xi}\right\}\right.\right.\right.\right. \quad \text{.........(xxxvi)},$$

and we start with $\{p - (n - 1)\}/\xi$ or, in the above case, $\frac{52}{110}$ on the machine.

In determining n from (xxxiv) or (xxxiv) *bis* we require a table of the logarithms of the factorials. This is provided to seven figures in the *Tables for Statisticians** and is ample for the present purpose.

It is frequently needful, however, to calculate $\log \Gamma (p + 1)$ to more than seven places of decimals. When p is considerable this is most easily done by interpolation into a table of the logarithms of factorials to, say, 10 decimal places. We do not know of the existence of such a table and have accordingly had to use Degen's to 18 figures, cutting down to the required number of figures†. Such a table provided with central differences would be far more rapid than using computation by Stirling's Theorem of $\Gamma (p + 1)$ to a large number of figures.

(ϵ) *Quadrature Formulae outside the Limits of the Tables.*

While the facile computer may use the 40 to 50 series expansion in Regions 18 and 27 the less fully equipped may prefer to use quadratures. In this case if ξ be $< p$, it will be divided into 18 or 24 equal parts and the ordinates at these calculated, say, by 10-figure logarithms. Let them be in the first case y_0 $(= 0)$, $y_1, y_2 \dots y_{18}$. Then the required area is

$$\frac{\xi}{60}\{(y_0 + y_2 + y_4 + y_8 + y_{10} + y_{14} + y_{16} + y_{18}) + 2(y_6 + y_{12}) + 5(y_1 + y_5 + y_7 + y_{11} + y_{13} + y_{17}) + 6(y_3 + y_9 + y_{15})\} \quad \text{..(xxxvii)}.$$

If 24 ordinates be taken the area is

$$\frac{\xi}{80}\{(y_0 + y_2 + y_4 + y_8 + y_{10} + y_{14} + y_{16} + y_{20} + y_{22} + y_{24}) + 2(y_6 + y_{12} + y_{18}) + 5(y_1 + y_5 + y_7 + y_{11} + y_{13} + y_{17} + y_{19} + y_{23}) + 6(y_3 + y_9 + y_{15} + y_{21})\} \quad \text{...........(xxxviii)}.$$

The computed y's may be checked by differencing.

The main labour lies in computing $\log y_s = p \log (sh) - sh \log e - \log \Gamma (p + 1)$, where $h = \xi$ divided by 18 or 24 as the case may be.

This may be written $\log y_s = p \log h - \log \Gamma (p + 1) + p \log s - sh \log e$, which can be computed very rapidly as s runs by integers from 1 to 18 or 20. The chief trouble is obtaining the anti-logs.

When ξ is $> p$ we shall evaluate $\displaystyle\int_\xi^\infty \frac{x^p e^{-x} dx}{\Gamma (p + 1)} = \int_\xi^{\xi_0} \frac{x^p e^{-x} dx}{\Gamma (p + 1)}$,

where ξ_0 is so chosen that the ordinate is zero to 8 or even 9 figures. It will be advisable to take at least 24 ordinates, and the area $\displaystyle\int_0^\xi \frac{x^p e^{-x} dx}{\Gamma (p + 1)}$ required will be

$$1 - \frac{\xi_0 - \xi}{80}\{(y_0 + y_2 + y_4 + y_8 + y_{10} + y_{14} + y_{16} + y_{20} + y_{22} + y_{24}) + 2(y_6 + y_{12} + y_{18}) + 5(y_1 + y_5 + y_7 + y_{11} + y_{13} + y_{17} + y_{19} + y_{23}) + 6(y_3 + y_9 + y_{15} + y_{21})\} \quad \text{......(xxxix)}.$$

Weddle's rule with 24 ordinates may be expected to give the area correct to 6 decimal places, if the y's have been calculated to eight or nine-figure accuracy‡.

(η) *Expansion in Incomplete Normal Moment Functions, Method E′.*

Another method of some interest which may be used to obtain the areas in the immediate neighbourhood of the mode or maximum arises from the consideration that when p becomes very large the curve $y = y_0 x^p e^{-x}$ passes over into the normal curve $y = y_0' e^{-\frac{1}{2}x^2/\sigma^2}$.

Transferring to the mode $x = p$, we have

$$\frac{(p + x)^p e^{-(x+p)}}{\Gamma (p + 1)} = \frac{p^p e^{-p}}{\Gamma (p + 1)} e^{-x + p \log\left(1 + \frac{x}{p}\right)} = \frac{p^p e^{-p}}{\Gamma (p + 1)} e^{-\frac{x^2}{2p} + \frac{x^3}{3p^2} - \frac{x^4}{4p^3} + \frac{x^5}{5p^4} - \dots}$$

$$= \frac{p^p e^{-p}}{\Gamma (p + 1)} e^{-\frac{x^2}{2p}}\left\{1 + \frac{x^3}{3p^2} - \frac{x^4}{4p^3} + \dots\right\}.$$

---

* Table XLIX, pp. 98–101.

† *Tabularium ad faciliorem et breviorem probabilitatis computationem utilium Enneas. Havniae*, 1824. This work is now very scarce. A much modified version of it will shortly be issued in the *Tracts for Computers*, Cambridge University Press.

‡ Using Vega's 10-figure logarithms. If 8-figure logarithms be used the result is a little less certain.

Write $x' = x/\sqrt{p}$, and $m_n(x') = \dfrac{\mu_n(x')}{(n-1)(n-3)\ldots 1 \text{ or } 2}$ according as n is even or odd, where

$$\mu_n(x') = \frac{1}{\sqrt{2\pi}} \int_0^{x'} x'^n \, e^{-\frac{1}{2}x'^2} \, dx'.$$

Then

$$\int_0^x \frac{(p+x)^p e^{-(x+p)} \, dx}{\Gamma(p+1)} = \frac{\sqrt{2\pi p}\, e^{-p} p^p}{\Gamma(p+1)} \left\{ \mu_0(x') + \frac{1}{\sqrt{p}} \tfrac{2}{3} m_3(x') \right.$$

$$\left. + \frac{1}{(\sqrt{p})^2} \{ \tfrac{5}{6} m_6(x') - \tfrac{3}{4} m_4(x') \} + \frac{1}{(\sqrt{p})^3} \{ \tfrac{64}{27} m_9(x') - 4 m_7(x') + \tfrac{8}{5} m_5(x') \} + \text{etc.} \right\} \quad \ldots\ldots(\text{xl}).$$

This is the expansion in normal moment functions to which reference has more than once been made. The series converges very slowly by the factor $1/(\sqrt{p})$ and, unless p be very considerably above 100 and x' be small, does not give very profitable results, even if we include the $1/(\sqrt{p})^4$ term (not given above as it involves the not tabulated m_{12}). The values of the m's are tabulated in Table IX of the book of *Tables for Statisticians* up to m_{10}. To the degree of approximation involved we may write by Stirling's Theorem

$$\frac{\sqrt{2\pi p}\, e^{-p} p^p}{\Gamma(p+1)} = 1 - \frac{1}{12p} + \frac{1}{288p^2} \text{ nearly} \quad \ldots\ldots\ldots\ldots\ldots\ldots\ldots\ldots\ldots\ldots(\text{xli}),$$

and formula (xl) for p of order 50 will give results to about the fourth place of figures within a range of about the standard deviation, say $\sqrt{p}$ on either side the mode. For a range of about three units either side the mode, *i.e.* $p \pm 3$, the formula (xxxii) gives correct results to five or six figures. The method accordingly is somewhat less accurate than the 'quartic' approximation described on p. xvi. A variety of other forms of expansion gave no better results and were more complicated in character. Similar expansions for the Incomplete Beta-function have been discussed by H. E. Soper*.

(IV) ILLUSTRATIONS OF THE USE OF THE TABLES.

(*a*) *As Probability Integral of a Skew Curve.* The frequencies below give the distribution of barometer heights for 13 years, or 4748 days, at Cambridge:

28·25—28·35	1	28·95—29·05	23	29·65—29·75	388	30·35—30·45	246
28·35—28·45	0	29·05—29·15	24	29·75—29·85	479·5	30·45—30·55	150
28·45—28·55	0	29·15—29·25	63·5	29·85—29·95	537·5	30·55—30·65	85·5
28·55—28·65	1	29·25—29·35	81	29·95—30·05	586	30·65—30·75	35
28·65—28·75	2	29·35—29·45	127	30·05—30·15	550	30·75—30·85	7·5
28·75—28·85	6·5	29·45—29·55	213	30·15—30·25	488	30·85—30·95	2·5
28·85—28·95	10·5	29·55—29·65	289	30·25—30·35	350·5	30·95—31·05	0·5

The following curve was fitted to them with origin at the mean (29·9524″)

$$y = 42{\cdot}839 \left(1 + \frac{x}{1{\cdot}9613}\right)^{32\cdot5973} e^{-17\cdot1303x},$$

the axis of x being measured *positive* towards low barometer. It is required to find the theoretical frequencies corresponding to the above observations.

The first process is to interpolate a probability integral from the tables for $p = 32{\cdot}5973$. It is adequate to do this for intervals 0·2 of u. To find the range of u we first take x' as given by

$$x' = 17{\cdot}1303\,(1{\cdot}9613 + x).$$

The maximum height of the barometer is 29·9524″ + 1·9613 = 31·9137″. For any height b of the barometer therefore

$$x' = 17{\cdot}1303\,(31{\cdot}9137 - b),$$

and clubbing terminal observations we may take b from 28·75 to 30·85. Accordingly since

$$u = x'/\sqrt{p+1} = x'/\sqrt{33{\cdot}5973},$$

the required range of u will be from

9,3499 3.1436.

$u_0 = 17{\cdot}1303 \times 3{\cdot}1637/\sqrt{33{\cdot}5973}$, or ~~9·4442,~~ to $u_n = 17{\cdot}1303 \times 1{\cdot}0637/\sqrt{33{\cdot}5973}$, or ~~3·1753.~~

Thus allowing for differencing we may take out values of u from 2·8 to 9·8.

After interpolation we have the following values of $I(u, 32{\cdot}5973)$:

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* *Tracts for Computers*, No. VII. Cambridge University Press.

u	$I(u, 32{\cdot}5973)$	u	$I(u, 32{\cdot}5973)$	u	$I(u, 32{\cdot}5973)$	u	$I(u, 32{\cdot}5973)$
2·8	·000,1070	4·6	·109,0462	6·4	·739,2317	8·2	·985,7342
3·0	·000,3619	4·8	·158,2932	6·6	·795,6526	8·4	·990,5566
3·2	·001,0572	5·0	·218,3479	6·8	·843,2106	8·6	·993,8463
3·4	·002,7172	5·2	·287,7283	7·0	·882,1513	8·8	·996,0503
3·6	·006,2395	5·4	·363,9777	7·2	·913,1753	9·0	·997,5017
3·8	·012,9677	5·6	·443,9874	7·4	·937,2611	9·2	·998,4418
4·0	·024,6647	5·8	·524,4106	7·6	·955,5085	9·4	·999,0413
4·2	·043,3440	6·0	·602,0769	7·8	·969,0161	9·6	·999,4178
4·4	·070,9652	6·2	·674,3283	8·0	·978,7975	9·8	·999,6509

From this table we have to interpolate for the barometric heights running by tenth inches, remembering that a low u corresponds to a high barometer. The frequency *above* the given barometric height corresponding to u will be simply 4748 × $I(u, 32{\cdot}5973)$.

Above	u	$I(u, 32{\cdot}5973)$	Above	u	$I(u, 32{\cdot}5973)$	Above	u	$I(u, 32{\cdot}5973)$
30·85	~~3·1752~~ 3.1436	·00079	30·05	~~5·5635~~ 5.5079	·40690	29·35	~~7·6531~~ 7.5767	·95365
30·75	~~3·4738~~ 3.4372	·00322	29·95	~~5·8620~~ 5.8035	·52579	29·25	~~7·9516~~ 7.8722	·97293
30·65	~~3·7724~~ 3.7347	·01032	29·85	~~6·1605~~ 6.0990	·63866	29·15	~~8·2501~~ 8.1678	·98478
30·55	~~4·0709~~ 4.0302	·02699	29·75	~~6·4590~~ 6.3945	·73757	29·05	~~8·5486~~ 8.4633	·99174
30·45	~~4·3694~~ 4.3258	·05956	29·65	~~6·7575~~ 6.6901	·81817	28·95	~~8·8472~~ 8.7588	·99567
30·35	~~4·6679~~ 4.6213	·11376	29·55	~~7·0560~~ 6.9856	·87963	28·85	~~9·1457~~ 9.0544	·99780
30·25	~~4·9664~~ 4.9169	·19214	29·45	~~7·3546~~ 7.2812	·92373	28·75	~~9·4442~~ 9.3499	·99892
30·15	~~5·2649~~ 5.2124	·29228						

Differencing these values and multiplying by 4748 we have the table of frequency below.

Frequency of Barometric Heights at Cambridge.

Height	Frequency		Height	Frequency		Height	Frequency	
	Observed	Calculated		Observed	Calculated		Observed	Calculated
Below 28·75	4	5·13	29·45—29·55	213	209·39	30·25—30·35	350·5	372·15
28·75—28·85	6·5	5·32	29·55—29·65	289	291·81	30·35—30·45	246	257·34
28·85—28·95	10·5	10·11	29·65—29·75	388	382·69	30·45—30·55	150	154·64
28·95—29·05	23	18·66	29·75—29·85	479·5	469·62	30·55—30·65	85·5	79·15
29·05—29·15	24	33·05	29·85—29·95	537·5	535·91	30·65—30·75	35	33·71
29·15—29·25	63·5	56·26	29·95—30·05	586	564·49	30·75—30·85	7·5	11·54
29·25—29·35	81	91·54	30·05—30·15	550	544·22	Above 30·85	3·0	3·75
29·35—29·45	127	142·06	30·15—30·25	488	475·46			
						Totals	4748	4748·00

Our purpose now is not to test these results as adequately describing the distribution, but merely to illustrate how the theoretical results may be computed, exactly as in the case of the normal curve.

(*b*) *Illustration of Method A*, applicable to Regions 1, 2, 3, 10, 11 and 19 of *Key*.

Find $I(6{\cdot}0, -{\cdot}995)$.

The formula is:
$$I(u, p) = \frac{\xi^{p+1}}{\Gamma(p+2)}\left(1 - \frac{\xi(p+1)}{1!\,(p+2)} + \frac{\xi^2(p+1)}{2!\,(p+3)} - \frac{\xi^3(p+1)}{3!\,(p+4)} + \dots\right),$$

where:
$$\xi = 6\sqrt{{\cdot}005} = 6 \times {\cdot}0707{,}1067812 = {\cdot}4242{,}6407.$$

Accordingly

	1	$+\ 1{\cdot}0$	
$\xi = {\cdot}4242{,}64069$	$\dfrac{\xi(p+1)}{1!\,(p+2)}$		$-\ {\cdot}0021{,}1077$
$\xi^2 = {\cdot}18$	$\dfrac{\xi^2(p+1)}{2!\,(p+3)}$	$+\ {\cdot}0002{,}2444$	
$\xi^3 = {\cdot}0763{,}67532$	$\dfrac{\xi^3(p+1)}{3!\,(p+4)}$		$-\ {\cdot}0000{,}2118$
$\xi^4 = {\cdot}0324$	$\dfrac{\xi^4(p+1)}{4!\,(p+5)}$	$+\ {\cdot}0000{,}0169$	
$\xi^5 = {\cdot}0137{,}46156$	$\dfrac{\xi^5(p+1)}{5!\,(p+6)}$		$-\ {\cdot}0000{,}0011$
$\xi^6 = {\cdot}005832$	$\dfrac{\xi^6(p+1)}{6!\,(p+7)}$	$+\ {\cdot}0000{,}0001$	
		$1{\cdot}0002{,}2614$	$-\ {\cdot}0021{,}3206$

Thus we have:

$$\begin{aligned} Series &= \cdot 9980{,}9408 \\ (p+1)\log\xi &= \bar{1}\cdot 9981{,}38181 \\ \log\Gamma(p+2) &= \bar{1}\cdot 9987{,}55500 \quad \text{from Legendre's tables} \\ \log\frac{\xi^{p+1}}{\Gamma(p+2)} &= \bar{1}\cdot 9993{,}82681 \\ \frac{\xi^{p+1}}{\Gamma(p+2)} &= \cdot 9985{,}7958 \\ I(u, p) &= \cdot 9985{,}7958 \times \cdot 9980{,}9408 \\ &= \cdot 996{,}6764 \end{aligned}$$

correct to the last figure.

This case falls in Region 10 of the *Key*, but the method is the same for regions where Method *A* applies.

(*b*′) *Use of Adjusted Table V.* While considering Method *A* in Region 2 of *Key* we can exhibit the use of the Adjusted Table V for $\log I''(\xi, p)$: see p. xiv above. Let us find $I(\cdot 015, -\cdot 9845)$, where ξ (not u) $= \cdot 015$. Here $\theta = \cdot 50$, $\chi = \cdot 55$ and we must use formula (xxv). The differences we need are exhibited in the following scheme:

Function	Value	Product	Value	Coefficient
z_{00}	$+\cdot 002{,}4284$	$+\cdot 002{,}4284{,}0$	$+1$	1
$\Delta_u z_{00}$	$-\cdot 000{,}0427$	$-\cdot 000{,}0213{,}5$	$+\cdot 50$	θ
$\Delta_p z_{00}$	$+\cdot 002{,}3588$	$+\cdot 001{,}2973{,}4$	$+\cdot 55$	χ
$\Delta^2{}_{up} z_{00}$	$-\cdot 000{,}0419$	$-\cdot 000{,}0115{,}2$	$+\cdot 275$	$\theta\chi$
$\Delta^2{}_u z_{00}$	$+\cdot 000{,}0002$	$-\cdot 000{,}0000{,}3$	$-\cdot 125$	$-\frac{1}{2}\theta(1-\theta)$
$\Delta^2{}_p z_{00}$	$-\cdot 000{,}0680$	$+\cdot 000{,}0084{,}9$	$-\cdot 123{,}75$	$-\frac{1}{2}\chi(1-\chi)$
$\Delta^3{}_p z_{00}$	$+\cdot 000{,}0010$	$+\cdot 000{,}0000{,}6$	$+\cdot 059{,}6125$	$\frac{1}{6}\chi(1-\chi)(2-\chi)$
$\Delta^3{}_{p^2u} z_{00}$	$+\cdot 000{,}0009$	$-\cdot 000{,}0000{,}6$	$-\cdot 061{,}875$	$-\frac{1}{2}\theta\chi(1-\chi)$
$\Delta^3{}_{pu^2} z_{00}$	$-\cdot 000{,}0003$	$+\cdot 000{,}0000{,}2$	$-\cdot 068{,}75$	$-\frac{1}{2}\chi\theta(1-\theta)$
$\Delta^3{}_u z_{00}$	$+\cdot 000{,}0000$	$+\cdot 000{,}0000{,}0$	$+\cdot 062{,}5$	$\frac{1}{6}\theta(1-\theta)(2-\theta)$

Sum of Products $= \cdot 003{,}7013{,}5 = \log I''(\xi, p)$. Add $(p+1)\log\xi = -\cdot 028{,}2705{,}9$.

Therefore $\log I(\xi, p) = \bar{1}\cdot 975{,}4307{,}6$. Accordingly $I(\xi, p) = \cdot 944{,}997{,}7$.

If we now proceed to use Method *A* we have

$$\begin{array}{rll} \text{Series: } 1 & = 1\cdot & 1\cdot \\ \xi(p+2) = & \cdot 0147{,}7105 & 0147{,}7105 \\ \xi(p+3) = & \cdot 0074{,}4232 & 1{,}0993 \\ \xi(p+4) = & \cdot 0049{,}7430 & 55 \\ \xi(p+5) = & \cdot 0037{,}3552 & 0 \\ \hline S_1 = \text{Sum of series} & = 1\cdot 0148{,}8153 & \end{array}$$

Hence

$$\left.\begin{aligned} \log S_1 &= \cdot 0064{,}1535 \\ -\xi\log e &= -\cdot 0065{,}1442 \\ +(p+1)\log\xi &= -\cdot 0282{,}7059 \\ -\log\Gamma(1\cdot 0155) &= \cdot 0038{,}0039^* \end{aligned}\right\} = -\cdot 0245{,}6927 = \bar{1}\cdot 975{,}4307{,}3$$

or $I(\xi, p) = \cdot 944{,}997{,}7$.

The Adjusted Table V therefore gives the correct result to seven figures in the most difficult part of its area. It is accordingly adequate for seven-figure accuracy.

(*c*) *Illustration of Method B*, applicable to Regions 19 and 20 of *Key*.

Required $I(14\cdot 177{,}4454, -\cdot 995)$.

Let us take $n = 2$ to throw forward into the table. The formula is

$$I(u, p) = \frac{\xi^{p+1}e^{-\xi}}{\Gamma(p+2)}\left(1 + \frac{\xi}{p+2}\right) + I(u_3, p+2) \quad \text{..........................(xlii)},$$

where

$$u_3 = u_1\sqrt{\frac{p+1}{p+3}} = \cdot 707{,}9878.$$

We have therefore to find $I(\cdot 707{,}9878, 1\cdot 005)$ which falls in Table III (Region 4 of the *Key*). We have accordingly to find first $I'(\cdot 707{,}9878, 1\cdot 005)$.

---

* Either second differences, or first central differences must be used on Legendre's table for eight-figure interpolation accuracy.

We are close up to the entry $u = \cdot 7$, $p = 1\cdot 0$, and thus a mid-point central difference formula is most appropriate, *i.e. Casus I* (xxii). We have $\theta = -\cdot 079878$, $\chi = -\cdot 05$. The signs of these are clear at once if we write down all we need out of Table III, *i.e.*

$$
\begin{array}{cccc}
 & \begin{array}{c} z_{1,1} \\ \bar{1}\cdot 7765{,}5086 \\ +\,52024 \quad -\,43126 \\ \end{array} & \begin{array}{c} z_{0,1} \\ \bar{1}\cdot 7405{,}9445 \\ +\,52547 \quad -\,40076 \\ -\,61 \qquad +\,78 \end{array} & \begin{array}{c} z_{-1,1} \\ \bar{1}\cdot 7051{,}6351 \\ +\,53009 \quad -\,37163 \\ \end{array} \\
p \, \Bigg\downarrow & \begin{array}{c} z_{1,0} \\ \bar{1}\cdot 7633{,}1923 \\ +\,52976 \quad -\,42732 \\ -\,57 \qquad +\,56 \end{array} & \begin{array}{c} z_{0,0} \\ \bar{1}\cdot 7256{,}8467 \\ +\,53587 \quad -\,39779 \\ -\,60 \qquad +\,58 \end{array} & \begin{array}{c} z_{-1,0} \\ \bar{1}\cdot 6885{,}8599 \\ +\,54138 \quad -\,36952 \\ -\,64 \qquad +\,57 \end{array} \\
 & \begin{array}{c} z_{1,-1} \\ \bar{1}\cdot 7496{,}6027 \\ +\,53804 \quad -\,42282 \\ \end{array} & \begin{array}{c} z_{0,-1} \\ \bar{1}\cdot 7103{,}7710 \\ +\,54502 \quad -\,39425 \\ -\,60 \qquad +\,42 \end{array} & \begin{array}{c} z_{-1,-1} \\ \bar{1}\cdot 6716{,}3895 \\ +\,55139 \quad -\,36684 \\ \end{array} \\
 & & \xrightarrow{\qquad\qquad} u &
\end{array}
$$

for clearly $z_{0,1} - z_{0,-1}$ and $z_{1,0} - z_{-1,0}$ are positive, but the function is decreasing with both u and p increasing. Hence both θ and χ are negative*. We can now arrange the following scheme of work:

Function	Value	Product	Value	Coefficient
$z_{0,0}$	$+\bar{1}\cdot 7256{,}8467$	$+\bar{1}\cdot 7256{,}8467$	$+1$	$+1$
$z_{0,1} - z_{0,-1}$	$+\cdot 0302{,}1735$	$-\cdot 0007{,}5543$	$-\cdot 0250{,}0000$	$+\frac{1}{2}\chi$
$z_{1,0} - z_{-1,0}$	$+\cdot 0747{,}3324$	$-\cdot 0029{,}8477$	$-\cdot 0399{,}3900$	$+\frac{1}{2}\theta$
$z_{1,1} - z_{1,-1} - z_{-1,1} + z_{-1,-1}$	$-\cdot 0066{,}3397$	$-\cdot 0000{,}0662$	$+\cdot 0009{,}9847{,}5$	$+\frac{1}{4}\theta\chi$
$\delta'^2 z_{0,0}$	$-\cdot 0003{,}9779$	$-\cdot 0000{,}0050$	$+\cdot 0012{,}4601$	$+\frac{1}{2}\chi^2(1 - \frac{1}{2}\theta^2)$
$\delta^2 z_{0,0}$	$+\cdot 0005{,}3587$	$+\cdot 0000{,}0171$	$+\cdot 0031{,}8626$	$+\frac{1}{2}\theta^2(1 - \frac{1}{2}\chi^2)$
$\delta'^2 z_{1,0} + \delta'^2 z_{-1,0} + \delta^2 z_{0,1} + \delta^2 z_{0,-1}$	$+\cdot 0002{,}7365$	$+\cdot 0000{,}0000$	$+\cdot 0000{,}0199$	$+\frac{1}{8}\theta^2\chi^2$
$\delta^2 z_{0,1} - \delta^2 z_{0,-1}$	$-\cdot 0000{,}1955$	$+\cdot 0000{,}0000$	$-\cdot 0000{,}7976$	$+\frac{1}{4}\theta^2\chi$
$\delta'^2 z_{1,0} - \delta'^2 z_{-1,0}$	$-\cdot 0000{,}5780$	$+\cdot 0000{,}0000$	$-\cdot 0000{,}4992$	$+\frac{1}{4}\chi^2\theta$
$\delta^2 z_{1,0} - \delta^2 z_{-1,0}$	$-\cdot 0000{,}1162$	$-\cdot 0000{,}0008$	$+\cdot 0066{,}1403$	$-\frac{1}{12}\theta(1 - \theta^2)$
$\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}$	$-\cdot 0000{,}0651$	$-\cdot 0000{,}0003$	$+\cdot 0041{,}5625$	$-\frac{1}{12}\chi(1 - \chi^2)$
$\delta^2 z_{1,1} - \delta^2 z_{1,-1} - \delta^2 z_{-1,1} + \delta^2 z_{-1,-1}$	$-\cdot 0000{,}0350$	$+\cdot 0000{,}0000$	$-\cdot 0001{,}6535$	$-\frac{1}{24}\theta\chi(1 - \theta^2)$
$\delta'^2 z_{1,1} - \delta'^2 z_{1,-1} - \delta'^2 z_{-1,1} + \delta'^2 z_{-1,-1}$	$-\cdot 0000{,}0365$	$+\cdot 0000{,}0000$	$-\cdot 0001{,}6600$	$-\frac{1}{24}\theta\chi(1 - \chi^2)$
$\delta^4 z_{0,0}$	$-\cdot 0000{,}0060$	$+\cdot 0000{,}0000$	$-\cdot 0002{,}6416$	$-\frac{1}{24}\theta^2(1 - \theta^2)$
$\delta'^4 z_{0,0}$	$+\cdot 0000{,}0058$	$-\cdot 0000{,}0000$	$-\cdot 0001{,}0391$	$-\frac{1}{24}\chi^2(1 - \chi^2)$

Summing Product column we have $\log I'\,(\cdot 707{,}9878,\ 1\cdot 005) = \bar{1}\cdot 7219{,}3895$.

We must add to this $\qquad (p + 3)\log u_3 = 2\cdot 005 \log \cdot 707{,}9878 = \bar{1}\cdot 6993{,}0167$.

This gives $\log I\,(\cdot 707{,}9878,\ 1\cdot 005) = \bar{1}\cdot 4212{,}4062$. Hence $I\,(\cdot 707{,}9878,\ 1\cdot 005) = \cdot 2637{,}7924$. We have to add to this

$$\frac{e^{-\xi}\,\xi^{p+1}}{\Gamma(p + 2)}\left(1 + \frac{\xi}{p + 2}\right).$$

Here $\qquad \xi = 14\cdot 177{,}4454\sqrt{\cdot 005} = 1\cdot 0024{,}9678$, $\quad$ or $\quad 1 + \xi/(p + 2) = 1\cdot 9975{,}09234$,

$$\left.\begin{aligned} \log e^{-\xi} &= -\cdot 4353{,}7882 \\ (p + 1)\log \xi &= \cdot 0000{,}0541 \\ \Gamma(p + 2) &= -\cdot 0012{,}4450\dagger \end{aligned}\right\} \begin{array}{l} \text{or the logarithmic of the factor} = \bar{1}\cdot 5658{,}7109 \\ \quad \text{of which the anti-log is } \cdot 3680{,}1972. \end{array}$$

Accordingly as $\qquad 1\cdot 9975{,}09234 \times \cdot 3680{,}1972 = \cdot 7351{,}2278$,

$$I\,(14\cdot 1774454,\ -\cdot 995) = \left\{\begin{array}{r} \cdot 2637{,}7924 \\ +\ \cdot 7351{,}2278 \end{array}\right\} = \cdot 998{,}9020$$

which is out a unit in the last figure. This is by no means the easiest way to obtain the above value of $I(u, p)$, but it has been taken to illustrate the use of *Casus I* as well as Method *B*.

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* It is equally easy to write down the scheme of z's with the first subscript negative on the left and positive on the right, or with the second subscript negative at the top and positive at the bottom, or with both these interchanges; the physics of the problem will indicate at once the sign to give to θ and χ. The reader can, if he chooses, take θ negative when negative first subscripts are on the right, and χ negative when negative second subscripts are at the bottom, but we prefer being guided by the sign of the fundamental terms.

† Taken from Legendre's Tables, *Tracts for Computers*, No. IV.

We can confirm the result by throwing only one stage into the table, *i.e.* put

$$I\,(u,\,p)=\frac{\xi^{p+1}\,e^{-\xi}}{\Gamma\,(p+2)}+I\,(u_2,\,p+1)\quad\text{..............................(xliii).}$$

Here $u_2 = 14{\cdot}1774454\sqrt{\cdot 005/1{\cdot}005} = 1$; thus $I\,(u_2,\,p+1) = I\,(1{\cdot}0,\,\cdot 005)$ and $u^{p+1} = 1$. Accordingly $\log I'\,(1{\cdot}0,\,\cdot 005) = \log I\,(1{\cdot}0,\,\cdot 005)$, and to find the former we have only to interpolate into Table III by the mid-point central difference formula*

$$z_\theta = z_0 + \tfrac{1}{2}\theta\,(z_1 - z_{-1}) + \tfrac{1}{2}\theta^2\delta^2 z_0 - \tfrac{1}{12}\theta\,(1-\theta^2)\,(\delta^2 z_1 - \delta^2 z_{-1}) - \tfrac{1}{24}\theta^2\,(1-\theta^2)\,\delta^4 z_0$$
$$+\,\tfrac{1}{240}\theta\,(1-\theta^2)\,(4-\theta^2)\,(\delta^4 z_1 - \delta^4 z_{-1})\quad\text{..............................(xliv).}$$

Here $\theta = \cdot 05$ and we have:

Function	Value	Product	Value	Coefficient
z_0	+ $\bar{1}$·8007,9992	+ $\bar{1}$·8007,9992	+ 1	1
$z_1 - z_{-1}$	− ·0340,5871	− ·0008,5147	+ ·0250,0000	$\frac{1}{2}\theta$
$\delta^2 z_0$	− ·0002,4028	− ·0000,0030	+ ·0012,5000	$\frac{1}{2}\theta^2$
$\delta^2 z_1 - \delta^2 z_{-1}$	− ·0000,6305	+ ·0000,0026	− ·0041,5625	$-\frac{1}{12}\theta(1-\theta^2)$
$\delta^4 z_0$	+ ·0000,1153	− ·0000,0000	− ·0002,0781	$-\frac{1}{24}\theta^2(1-\theta^2)$
$\delta^4 z_1 - \delta^4 z_{-1}$	+ ·0000,0881	+ ·0000,0001	+ ·0008,3073	$\frac{1}{240}\theta(1-\theta^2)(4-\theta^2)$

The scheme of values and differences being:

z_{-1}	z_0	z_1
$\bar{1}$·8177,0913 − 20298 + 1761	$\bar{1}$·8007,9992 − 24028 + 1153	$\bar{1}$·7836,5042 − 26603 + 780

Sums of products $= \bar{1}{\cdot}7999{,}4842$, or $I\,(1{\cdot}0,\,\cdot 005) = \cdot 6308{,}8239$, to which we must add $e^{-\xi}\,\xi^{p+1}/\Gamma\,(p+2)$, or as before ·3680,1972. Thus finally $I\,(14{\cdot}1774454,\,-\cdot 995) = \cdot 998{,}9021$. This is correct to the last figure.

We did not proceed by this, the shorter, method in this case, because it would not have been fair to the reader to put an exceptional case, which only required uni-variate interpolation; we only selected $u_2 = 1$ for ease in checking.

(*d*) *General Interpolation Illustrations, Casus I, II and III.*

We now propose to illustrate the general methods of interpolation which hold for the greater portion of the present tables. In order to do this by way of comparison we will find $I\,(4{\cdot}25,\,7{\cdot}25)$ by mid-point, mid-panel and mid-line processes. We have chosen a neutral point, where the three regions of appropriateness meet and ought accordingly to get the same answer to seven decimal places for all three. We rewrite in each case the needful data and the scheme so that each may serve without reference to the others as an illustration of its type.

Casus I. Mid-point Formula.

Data extracted from Table I, pp. 27–28.

$\longrightarrow p$	$p = 6{\cdot}8$	$p = 7{\cdot}0$	$p = 7{\cdot}2$
$u = 3{\cdot}9$	$z_{-1,\,-1}$ ·865,1402 − 18207 − 1842 + 83 —	$z_{-1,\,0}$ ·858,7905 − 18658 − 1835 + 101 —	$z_{-1,\,1}$ ·852,2574 − 19088 − 1824 + 120 —
$u\downarrow$ $u = 4{\cdot}0$	$z_{0,\,-1}$ ·881,6070 − 17039 − 1746 + 47 —	$z_{0,\,0}$ ·875,9367 .25 − 17520 − 1747 25 + 63 —	$z_{0,\,1}$ ·870,0917 − 17985 − 1745 + 80 —
$u = 4{\cdot}1$	$z_{1,\,-1}$ ·896,3699 − 15824 − 1635 + 18 —	$z_{1,\,0}$ ·891,3309 − 16319 − 1643 + 30 —	$z_{1,\,1}$ ·886,1275 − 16802 − 1649 + 43 —

The fourth differences of $I\,(u,\,p)$ for p are negligible throughout. The 'corner' values of $\delta^4{}_u$, *i.e.* 83, 120, 18 and 43, are not needed and might be omitted.

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* *Tracts for Computers*, No. II. p. 20.

As we have chosen our axes both θ and χ are positive and we have the following scheme:

Function	Value	Product	Value	Coefficient
$z_{0,0}$	+ ·875,9367	+ ·875,9367	+ 1	$+1$
$z_{0,1} - z_{0,-1}$	− ·011,5153	− ·0014,39413	+ ·125	$+\frac{1}{2}\chi$
$z_{1,0} - z_{-1,0}$	+ ·032,5404	+ ·0040,67550	+ ·125	$+\frac{1}{2}\theta$
$z_{1,1} - z_{1,-1} - z_{-1,1} + z_{-1,-1}$	+ ·002,6404	+ ·0000,41256	+ ·015,625	$+\frac{1}{4}\theta\chi$
$\delta'^2 z_{0,0}$	− ·0001,747	− ·0000,05289	+ ·0302,7344	$+\frac{1}{2}\chi^2(1-\frac{1}{2}\theta^2)$
$\delta^2 z_{0,0}$	− ·0017,520	− ·0000,53039	+ ·0302,7344	$+\frac{1}{2}\theta^2(1-\frac{1}{2}\chi^2)$
$\delta'^2 z_{1,0} + \delta'^2 z_{-1,0} + \delta^2 z_{0,1} + \delta^2 z_{0,-1}$	− ·0038,502	− ·0000,01880	+ ·0004,8828	$+\frac{1}{8}\theta^2\chi^2$
$\delta^2 z_{0,1} - \delta^2 z_{0,-1}$	− ·0000,946	− ·0000,00370	+ ·0039,0625	$+\frac{1}{4}\theta^2\chi$
$\delta'^2 z_{1,0} - \delta'^2 z_{-1,0}$	+ ·0000,192	+ ·0000,00075	+ ·0039,0625	$+\frac{1}{4}\chi^2\theta$
$\delta^2 z_{1,0} - \delta^2 z_{-1,0}$	+ ·0002,339	− ·0000,04568	− ·0195,3125	$-\frac{1}{12}\theta(1-\theta^2)$
$\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}$	+ ·0000,001	− ·0000,00002	− ·0195,3125	$-\frac{1}{12}\chi(1-\chi^2)$
$\delta^2 z_{1,1} - \delta^2 z_{1,-1} - \delta^2 z_{-1,1} + \delta^2 z_{-1,-1}$	− ·0000,097	+ ·0000,00024	− ·0024,4141	$-\frac{1}{24}\theta\chi(1-\theta^2)$
$\delta'^2 z_{1,1} - \delta'^2 z_{1,-1} - \delta'^2 z_{-1,1} + \delta'^2 z_{-1,-1}$	− ·0000,032	+ ·0000,00008	− ·0024,4141	$-\frac{1}{24}\theta\chi(1-\chi^2)$
$\delta^4 z_{0,0}$	+ ·0000,063	− ·0000,00015	− ·0024,4141	$-\frac{1}{24}\theta^2(1-\theta^2)$
$\delta'^4 z_{0,0}$	·0000,000	·0000,00000	− ·0024,4141	$-\frac{1}{24}\chi^2(1-\chi^2)$

Sum of products* = ·878,5410 to seven decimals and this is the value of I (4·25, 7·25).

Casus II. Mid-panel Formula.

This has the appearance of greater simplicity both in extracted data and in the scheme, and the computer may prefer to work with it except in cases where the extreme accuracy possible from the tables is desired.

Data extracted from Table I, pp. 27–28†.

$\longrightarrow p$	$p = 7{\cdot}0$	$p = 7{\cdot}2$
	$z_{0,0}$	$z_{0,1}$
$u = 4{\cdot}0$	·875,9367	·870,0917
	− 17520 − 1747	− 17985 − 1745
$u \downarrow$	+ 63 — {+ 16}	+ 80 — {+ 17}
	$z_{1,0}$	$z_{1,1}$
$u = 4{\cdot}1$	·891,3309	·886,1275
	− 16319 − 1643	− 16802 − 1649
	+ 30 — {+ 12}	+ 43 — {+ 10}

This brevity in extraction is, however, somewhat specious for we have to find in addition to the above differences: $\delta^2\delta'^2 z_{0,0},\ \delta^2\delta'^2 z_{0,1},\ \delta^2\delta'^2 z_{1,0},\ \delta^2\delta'^2 z_{1,1},$

where

$$\delta^2\delta'^2 z_{0,0} = \delta^2 z_{0,1} + \delta^2 z_{0,-1} - 2\delta^2 z_{0,0}, \qquad \delta^2\delta'^2 z_{1,0} = \delta^2 z_{1,1} + \delta^2 z_{1,-1} - 2\delta^2 z_{1,0},$$

$$\delta^2\delta'^2 z_{0,1} = \delta'^2 z_{1,1} + \delta'^2 z_{-1,1} - 2\delta'^2 z_{0,1}, \qquad \delta^2\delta'^2 z_{1,1} = \delta^2 z_{1,0} + \delta^2 z_{1,2} - 2\delta^2 z_{1,1}.$$

We accordingly require to extract from the tables beyond the above data:

$$(u = 4{\cdot}0,\ p = 6{\cdot}8)\ \delta^2 z_{0,-1} = -\ 17039; \quad (u = 3{\cdot}9,\ p = 7{\cdot}2)\ \delta'^2 z_{-1,1} = -\ 1824;$$

$$(u = 4{\cdot}1,\ p = 6{\cdot}8)\ \delta^2 z_{1,-1} = -\ 15824; \quad (u = 4{\cdot}1,\ p = 7{\cdot}4)\ \delta^2 z_{1,2} = -\ 17275.$$

This may occasion the computer some liability to error, unless he has originally put down a wider plan of z's from the tables to indicate exactly what he needs; without this one may easily confuse the z's. We obtain $\delta^2\delta'^2 z_{0,0} = +\ 16$, $\delta^2\delta'^2 z_{0,1} = +\ 17$, and $\delta^2\delta'^2 z_{1,0} = +\ 12$, $\delta^2\delta'^2 z_{1,1} = +\ 10$.

Here we must warn the reader that each cross-difference gives two methods of determination and these will not give precisely the same values owing to raising of the seventh figure, but the final accuracy owing to the multiplying coefficients is the same. Here we might have taken

$$\delta^2\delta'^2 z_{0,0} = \delta'^2 z_{1,0} + \delta'^2 z_{-1,0} - 2\delta^2 z_{0,0} = +\ 16, \qquad \delta^2\delta'^2 z_{1,0} = \delta'^2 z_{2,0} + \delta'^2 z_{0,0} - 2\delta^2 z_{1,0} = +\ 10,$$

$$\delta^2\delta'^2 z_{0,1} = \delta^2 z_{0,0} + \delta^2 z_{0,2} - 2\delta^2 z_{0,1} = +\ 18, \qquad \delta^2\delta'^2 z_{1,1} = \delta'^2 z_{0,1} + \delta'^2 z_{2,1} - 2\delta'^2 z_{1,1} = +\ 13.$$

It is immaterial which system or combination of systems we adopt. There are 24 coefficients to be dealt with in the general case and it is only because we have chosen the special case of $\theta = {\cdot}25$, $\phi = {\cdot}75$, $\chi = {\cdot}25$, $\psi = {\cdot}75$ that certain coefficients become equal; we have maintained the complete system for the purpose of illustration in our scheme.

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* The trained computer would naturally simplify here, as in many other cases, the number of products written down. Our purpose is to exhibit all contributions.

† Quantities in curled brackets are the cross-differences.

Function	Value	Product	Value	Coefficient
$z_{0,0}$	+ ·875,9367	+ ·4927,14394	+ ·5625	$+\phi\psi$
$z_{0,1}$	+ ·870,0917	+ ·1631,42194	+ ·1875	$+\phi\chi$
$z_{1,0}$	+ ·891,3309	+ ·1671,24544	+ ·1875	$+\theta\psi$
$z_{1,1}$	+ ·886,1275	+ ·0553,82969	+ ·0625	$+\theta\chi$
$\delta^2 z_{0,0}$	− ·001,7520	+ ·0000,71859	− ·0410,15625	$-\frac{1}{6}\theta\phi(1+\phi)\psi$
$\delta^2 z_{0,1}$	− ·001,7985	+ ·0000,24589	− ·0136,71875	$-\frac{1}{6}\theta\phi(1+\phi)\chi$
$\delta^2 z_{1,0}$	− ·001,6319	+ ·0000,47810	− ·0292,96875	$-\frac{1}{6}\theta\phi(1+\theta)\psi$
$\delta^2 z_{1,1}$	− ·001,6802	+ ·0000,16408	− ·0097,65625	$-\frac{1}{6}\theta\phi(1+\theta)\chi$
$\delta'^2 z_{0,0}$	− ·000,1747	+ ·0000,07165	− ·0410,15625	$-\frac{1}{6}\chi\psi(1+\psi)\phi$
$\delta'^2 z_{1,0}$	− ·000,1643	+ ·0000,02246	− ·0136,71875	$-\frac{1}{6}\chi\psi(1+\psi)\theta$
$\delta'^2 z_{0,1}$	− ·000,1745	+ ·0000,05112	− ·0292,96875	$-\frac{1}{6}\chi\psi(1+\chi)\phi$
$\delta'^2 z_{1,1}$	− ·000,1649	+ ·0000,01610	− ·0097,65625	$-\frac{1}{6}\chi\psi(1+\chi)\theta$
$\delta^4 z_{0,0}$	+ ·000,0063	+ ·0000,00044	+ ·0070,49561	$+\frac{1}{120}\phi(1-\phi^2)(4-\phi^2)\psi$
$\delta^4 z_{0,1}$	+ ·000,0080	+ ·0000,00019	+ ·0023,49854	$+\frac{1}{120}\phi(1-\phi^2)(4-\phi^2)\chi$
$\delta^4 z_{1,0}$	+ ·000,0030	+ ·0000,00017	+ ·0057,67822	$+\frac{1}{120}\theta(1-\theta^2)(4-6^2)\psi$
$\delta^4 z_{1,1}$	+ ·000,0043	+ ·0000,00008	+ ·0019,22607	$+\frac{1}{120}\theta(1-\theta^2)(4-\theta^2)\chi$
$\delta^2\delta'^2 z_{0,0}$	+ ·000,0016	+ ·0000,00005	+ ·0029,90722	$+\frac{1}{36}\theta\phi\chi\psi(1+\phi)(1+\psi)$
$\delta^2\delta'^2 z_{0,1}$	+ ·000,0017	+ ·0000,00004	+ ·0021,36230	$+\frac{1}{36}\theta\phi\chi\psi(1+\phi)(1+\chi)$
$\delta^2\delta'^2 z_{1,0}$	+ ·000,0012	+ ·0000,00003	+ ·0021,36230	$+\frac{1}{36}\theta\phi\chi\psi(1+\theta)(1+\psi)$
$\delta^2\delta'^2 z_{1,1}$	+ ·000,0010	+ ·0000,00002	+ ·0015,25879	$+\frac{1}{36}\theta\phi\chi\psi(1+\theta)(1+\chi)$
$\delta'^4 z_{0,0}$	+ ·000,0000	+ ·0000,00000	+ ·0070,49561	$+\frac{1}{120}\psi(1-\psi^2)(4-\psi^2)\phi$
$\delta'^4 z_{1,0}$	+ ·000,0000	+ ·0000,00000	+ ·0023,49854	$+\frac{1}{120}\psi(1-\psi^2)(4-\psi^2)\theta$
$\delta'^4 z_{0,1}$	+ ·000,0000	+ ·0000,00000	+ ·0057,67822	$+\frac{1}{120}\chi(1-\chi^2)(4-\chi^2)\phi$
$\delta'^4 z_{1,1}$	+ ·000,0000	+ ·0000,00000	+ ·0019,22607	$+\frac{1}{120}\chi(1-\chi^2)(4-\chi^2)\theta$

The sum of the products to seven figures is ·878,5410, as before. The values of the coefficients can be written down promptly from Thompson's Tables of the Everett coefficients*.

As a matter of fact nothing like this amount of work is put down on paper. The skilful computer works with a continuous process on the machine. He recognises straight off when he has found the cross-differences that the last eight products are unnecessary for this case. The sum of the products is obtained by a continuous machining and so the products never appear on the paper. The first column of function values is not copied out of the tables, but transferred from the tables directly to the machine. The only coefficients which it is needful to compute are: $\phi\psi$, $\phi\chi$, $\theta\psi$, $\theta\chi$,

$$\tfrac{1}{6}\theta\phi(1+\phi) = \frac{\phi(1-\phi^2)}{3!}, \quad \tfrac{1}{6}\theta\phi(1+\theta) = \frac{\theta(1-\theta^2)}{3!},$$

$$\tfrac{1}{6}\chi\psi(1+\psi) = \frac{\psi(1-\psi^2)}{3!}, \quad \tfrac{1}{6}\chi\psi(1+\chi) = \frac{\chi(1-\chi^2)}{3!},$$

$$\tfrac{1}{120}\theta\phi(1+\theta)(1+\phi)(2+\phi) = \frac{\phi(1-\phi^2)(4-\phi^2)}{5!} \text{ and three similar functions,}$$

$$\tfrac{1}{36}\theta\phi\chi\psi(1+\phi)(1+\psi) = \frac{\phi(1-\phi^2)}{3!} \times \frac{\psi(1-\psi^2)}{3!} \text{ and three similar functions.}$$

All these coefficients can be taken at once from Thompson's Tables, and the last six are unnecessary for this particular case. Each line of (xxiii) is worked out continuously and the total only placed on paper. The following scheme represents all that a facile computer puts on paper as a check for the above result.

Mid-panel I (4·25, 7·25)

$$\begin{array}{ll}
\delta^2\delta'^2 z_{0,0} = +16, & \theta = \cdot 25, \quad \phi\psi = \cdot 5625, \\
\delta^2\delta'^2 z_{0,1} = +17, & \phi = \cdot 75, \quad \phi\chi = \cdot 1875, \\
\delta^2\delta'^2 z_{1,0} = +10, & \chi = \cdot 25, \quad \theta\psi = \cdot 1875, \\
\delta^2\delta'^2 z_{1,1} = +13, & \psi = \cdot 75, \quad \theta\chi = \cdot 0625.
\end{array}$$

$$\begin{array}{rr|l}
 & \cdot 873641 & 000 \\
\left.\begin{array}{r|l} -30863 & 4375 \\ -20549 & 6875 \end{array}\right\} = -\;51413\,|\,1250 \longrightarrow & 1606 & 660 \\
\left.\begin{array}{r|l} -3011 & 7500 \\ -2151 & 2500 \end{array}\right\} = -\;5163\,|\,0000 \longrightarrow & 161 & 344 \\
\left.\begin{array}{r|l} +184 & 9375 \\ +74 & 8125 \end{array}\right\} = +\;259\,|\,7500 \longrightarrow & & 888 \\
 & & 127 \\
\hline
 & \cdot 878{,}5410 &
\end{array}$$

$$\tfrac{1}{6}\theta\phi = \tfrac{1}{6}\chi\psi = \cdot 03125$$

$$\tfrac{1}{120}\theta\phi(1+\theta)(1+\phi) = \cdot 0034{,}17968$$

$$\tfrac{1}{36}\theta\phi\chi\psi = \cdot 0009{,}7656$$

$$(1+\phi)(1+\psi) = 3\cdot 0625$$

$$(1+\theta)(1+\chi) = 1\cdot 5625$$

$$(1+\phi)(1+\chi) = (1+\theta)(1+\psi) = 2\cdot 1875$$

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* *Tracts for Computers*, No. V. Cambridge University Press. For example, $\frac{1}{36}\theta\phi\chi\psi(1+\theta)(1+\chi) = \epsilon_2(\theta) \times \epsilon_2(\chi)$.

Casus III. Mid-side Formula.

$\longrightarrow p$	$p = 6{\cdot}8$	$p = 7{\cdot}0$	$p = 7{\cdot}2$
$u \downarrow$ $u = 4{\cdot}0$	$z_{0,-1}$ ·881,6070 − 17039 − 1746 + 47 —	$z_{0,0}$ ·875,9367 − 17520 − 1747 + 63 — {+ 16}	$z_{0,1}$ ·870,0917 − 17985 − 1745 + 80 —
$u = 4{\cdot}1$	$z_{1,-1}$ ·896,3699 − 15824 − 1635 + 18 —	$z_{1,0}$ ·891,3309 − 16319 − 1643 + 30 — {+ 12}	$z_{1,1}$ ·886,1275 − 16802 − 1649 + 43 —

The above contains all the data that need to be extracted from Table I. The values of $\delta^2\delta'^2 z_{0,0}$, $\delta^2\delta'^2 z_{1,0}$ in curled brackets can be found at once from the above material, but it is, perhaps, better to use (xxiv) *bis* rather than (xxiv). The requisite scheme is given below:

Function	Value	Product	Value	Coefficient
$z_{0,0}$	+ ·875,9367	+ ·6569,52525	+ ·75	$+\phi$
$z_{1,0}$	+ ·891,3309	+ ·2228,32725	+ ·25	$+\theta$
$z_{0,1} - z_{0,-1}$	− ·011,5153	− ·0010,79559	+ ·09375	$+\frac{1}{2}\chi\phi$
$z_{1,1} - z_{1,-1}$	− ·010,2424	− ·0003,20075	+ ·03125	$+\frac{1}{2}\chi\theta$
$\delta'^2 z_{0,0}$	− ·000,1747	− ·0000,04095	+ ·023,4375	$+\frac{1}{2}\chi^2\phi$
$\delta'^2 z_{1,0}$	− ·000,1643	− ·0000,01284	+ ·007,8125	$+\frac{1}{2}\chi^2\theta$
$\delta^2 z_{0,0}$	− ·001,7520	+ ·0000,89824	− ·051,26953	$-(1-\chi^2)\{\phi(1-\phi^2)\}/3!$
$\delta^2 z_{1,0}$	− ·001,6319	+ ·0000,59762	− ·036,62109	$-(1-\chi^2)\{\theta(1-\theta^2)\}/3!$
$\delta^2 z_{0,1}$	− ·001,7985	+ ·0000,15368	− ·008,54492	$-\frac{1}{2}\chi(1+\chi)\{\phi(1-\phi^2)\}/3!$
$\delta^2 z_{0,-1}$	− ·001,7039	− ·0000,08736	+ ·005,12695	$+\frac{1}{2}\chi(1-\chi)\{\phi(1-\phi^2)\}/3!$
$\delta^2 z_{1,1}$	− ·001,6802	+ ·0000,10255	− ·006,10352	$-\frac{1}{2}\chi(1+\chi)\{\theta(1-\theta^2)\}/3!$
$\delta^2 z_{1,-1}$	− ·001,5824	− ·0000,05795	+ ·003,66211	$+\frac{1}{2}\chi(1-\chi)\{\theta(1-\theta^2)\}/3!$
$\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}$	+ ·000,0001	− ·0000,00001	− ·014,64844	$-\frac{1}{2}\phi\{\chi(1-\chi^2)\}/3!$
$\delta'^2 z_{1,1} - \delta'^2 z_{1,-1}$	− ·000,0014	+ ·0000,00007	− ·004,88281	$-\frac{1}{2}\theta\{\chi(1-\chi^2)\}/3!$
$\delta'^4 z_{0,0}$	− ·000,0000	+ ·0000,00000	− ·001,83105	$-\frac{1}{4}\chi\phi\{\chi(1-\chi^2)\}/3!$
$\delta'^4 z_{1,0}$	− ·000,0000	+ ·0000,00000	− ·000,60938	$-\frac{1}{4}\chi\theta\{\chi(1-\chi^2)\}/3!$
$\delta^4 z_{0,0}$	+ ·000,0063	+ ·0000,00059	+ ·009,39941	$+\frac{1}{120}\phi(1-\phi^2)(4-\phi^2)$
$\delta^4 z_{1,0}$	+ ·000,0030	+ ·0000,00023	+ ·007,69043	$+\frac{1}{120}\theta(1-\theta^2)(4-\theta^2)$

The sum of the products is to seven figures ·878,5410, which is accordingly I (4·25, 7·25).

Casus I, *Casus II* and *Casus III* give precisely the same result as they should do since fifth order differences are negligible. As in the instance of *Casus II* the labour of *Casus III* can be much curtailed by continuous processes on the machine. The occasional user of the tables is, however, recommended to use a full scheme. The reader will observe that linear differences would not give even *four*-figure accuracy.

(e) *Methods applicable to Region* 4 *of Key.*

We may take as illustration here I (1·21, − ·36). We first try Table III directly. Here $\theta = {\cdot}2$, $\chi = {\cdot}1$ and a mid-point formula is to be used. The following is the scheme:

Function	Value	Product	Value	Coefficient
$z_{0,0}$	+ $\bar{1}$·8368,7736	+ $\bar{1}$·8368,7736	+ 1·0	1
$z_{0,1} - z_{0,-1}$	− ·0219,0781	− ·00109,53905	+ ·05	$\frac{1}{2}\chi$
$z_{1,0} - z_{-1,0}$	+ ·0203,3952	+ ·00203,39520	+ ·1	$\frac{1}{2}\theta$
$z_{1,1} - z_{1,-1} - z_{-1,1} + z_{1,-1}$	+ ·0037,7065	+ ·00001,88533	+ ·005	$\frac{1}{4}\chi\theta$
$\delta'^2 z_{0,0}$	+ ·0002,1631	+ ·00000,10599	+ ·0049	$\frac{1}{2}\chi^2(1-\frac{1}{2}\theta^2)$
$\delta^2 z_{0,0}$	+ ·0000,0120	+ ·00000,00239	+ ·0199	$\frac{1}{2}\theta^2(1-\frac{1}{2}\chi^2)$
$\delta'^2 z_{1,0} + \delta'^2 z_{-1,0} + \delta^2 z_{0,1} + \delta^2 z_{0,-1}$	+ ·0008,6482	+ ·00000,00432	+ ·00005	$\frac{1}{8}\theta^2\chi^2$
$\delta^2 z_{0.1} - \delta^2 z_{0,-1}$	+ ·0000,0317	+ ·00000,00032	+ ·001	$\frac{1}{4}\theta^2\chi$
$\delta'^2 z_{1,0} - \delta'^2 z_{-1,0}$	− ·0000,3769	− ·00000,00188	+ ·0005	$\frac{1}{4}\theta\chi$
$\delta^2 z_{1,0} - \delta^2 z_{-1,0}$	+ ·0000,2780	− ·00000,00448	− ·016	$\frac{1}{12}\theta(1-\theta^2)$
$\delta'^2 z_{0,1} - \delta'^2 z_{0,-1}$	− ·0000,0745	+ ·00000,00615	− ·00825	$\frac{1}{12}\chi(1-\chi^2)$
$\delta^2 z_{1,1} - \delta^2 z_{1,-1} - \delta^2 z_{-1,1} + \delta^2 z_{-1,-1}$	− ·0000,0415	+ ·00000,00033	− ·0008	$\frac{1}{24}\theta\chi(1-\theta^2)$
$\delta'^2 z_{1,1} - \delta'^2 z_{1,-1} - \delta'^2 z_{-1,1} + \delta'^2 z_{-1,-1}$	+ ·0000,0066	− ·00000,00005	− ·000825	$\frac{1}{24}\theta\chi(1-\chi^2)$
$\delta^4 z_{0,0}$	+ ·0000,0325	− ·00000,00052	− ·0016	$\frac{1}{24}\theta^2(1-\theta^2)$
$\delta'^4 z_{0,0}$	− ·0000,0006	+ ·00000,00000	− ·0004125	$\frac{1}{24}\chi^2(1-\chi^2)$

Sum of products is $\bar{1}$·83783,54954. Adding $(p+1)\log u =$ ·05298,2637, we have for $\log I\,(u, p)$ the value ·8908,18132 of which the anti-logarithm is ·777,7107. The correct value of eight figures is ·777,71079. Thus Table III directly applied gives an error of unity in the seventh figure.

If, however, we throw the value forward and then use Table III we get the value correct to seven figures. We term this *Method C*, we have

$$I(1\cdot21,\ -\cdot36) = \frac{\xi^{p+1}e^{-\xi}}{\Gamma(p+2)}\left(1+\frac{\xi}{p+2}+\frac{\xi^2}{(p+2)(p+3)}\right) + I(\cdot507{,}3699,\ 2\cdot64),$$

$$1+\frac{\xi}{p+2}+\frac{\xi^2}{(p+2)(p+3)} = 1\cdot80666{,}66667, \qquad \frac{\xi^{p+1}e^{-\xi}}{\Gamma(p+2)} = \cdot4139{,}77219.$$

Or,
$$\frac{\xi^{p+1}e^{-\xi}}{\Gamma(p+2)}\left(1+\frac{\xi}{p+2}+\frac{\xi^2}{(p+2)(p+3)}\right) = \cdot7479{,}1884.$$

Using the process just illustrated to find $I(\cdot507{,}3699,\ 2\cdot64)$, we have for its value* $+\cdot0297{,}91993$.

Thus $I(1\cdot21,\ -\cdot36) = \cdot777{,}71083$ which is correct to the seventh figure. Thus if we desire in Region 4 of *Key* to be correct to the seventh place it is desirable to throw forward and use Table III, rather than apply it directly. That is, we must use *Method C*.

(*f*) *Calculation of I (u, p) beyond the Tabulated Values.*

We now pass to values of our function beyond the limit of the tables, *i.e.* $p > 50$.

In the region from $p = 50$ to $p = 70$ it will generally be found safest to throw back into the table by formulae (xxix).

Illustration of Method D in the Region 26 of the *Key*. To find $I(9\cdot31,\ 64\cdot61)$.

Here $\xi = u\sqrt{p+1} = 75\cdot411$. We shall need 14 terms to throw back into the table for

$$p - n - 1 = 64\cdot61 - 15 = 49\cdot61, \qquad u_{-n} = 9\cdot31 \times \sqrt{64\cdot61/50\cdot61} = 10\cdot519{,}1678.$$

Hence we need to determine from the tables $I(10\cdot5191678,\ 49\cdot61)$, the values are $\theta = \cdot191678$, $\chi = \cdot05$ and thus the mid-point formula is the appropriate one for interpolation. It gives

$$I(10\cdot5191678,\ 49\cdot61) = \cdot998{,}7426.$$

It did not seem needful to illustrate further the process, which has already been indicated on p. xxiii. It therefore remains only to consider the series calculation.

p	p/ξ	Series
—	—	1·0
64·61	·85677,15585	·85677,15585
63·61	·84351,08936	·72269,61429
62·61	·83025,02287	·60001,86379
61·61	·81698,95639	·49020,89653
60·61	·80372,88990	·39399,51120
59·61	·79046,82341	·31144,06204
58·61	·77720,75692	·24205,40075
57·61	·76394,69043	·18491,64097
56·61	·75068,62395	·13881,142042
55·61	·73742,55745	·10236,51443
54·61	·72416,49096	·07412,92455
53·61	·71090,42447	·05269,87953
52·61	·69764,35798	·03676,49762
		5·20687,38197

This is best arranged as in the table above. The first column contains the reducing values of the numerators of $(p-s)/\xi$ from $s = 0$ to 14. These are multiplied by the reciprocal of ξ in the second column, the value of $1/\xi$ being maintained on the machine, and the first multiplier reduced by successive units without clearing the machine; the third column gives the results of multiplying the successive values in the third column by the number one line lower in the second column. Thus ·24205,40075 is the product of ·31144,06204 and ·77720,75692. The final column summed on the machine is the sum of the series.

We have next to calculate the factor outside the series. Log $\Gamma(p+1)$ was obtained by interpolation into Degen's Tables of Factorials:

$$\left.\begin{aligned} \log e^{-\xi} &= -\ \ 32\cdot75058{,}11748,\\ \log \xi^{p} &= +\ 121\cdot30105{,}59605,\\ -\log\Gamma(p+1) &= -\ \ 90\cdot20849{,}97418, \end{aligned}\right\} \quad \log\frac{e^{-\xi}\xi^{p}}{\Gamma(p+1)} = -\ 1\cdot65802{,}49561,$$

$\log 5\cdot20687{,}38197 = \cdot71657{,}70534$. Hence series and factor $= \cdot1144{,}3321$.

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* If Table I be used to find $I(\cdot507{,}3699,\ 2\cdot64)$ we obtain ·0297,92056, which gives $I(1\cdot21,\ -\cdot36) = \cdot777{,}7109$, one out in the seventh place.

Subtracting this from the reduced $I\,(u_{-n},\, p-n-1)$ we have $I\,(9{\cdot}31,\, 64{\cdot}61) \doteq {\cdot}884{,}3094$.

This method is more rapid than 'throwing forward' into a part of the table where $I\,(u_{n+1},\, p+n)$ is zero to the degree of accuracy required (Method D'). Some computers may prefer this latter method as more homogeneous in that it avoids the interpolation.

Illustration of Method D'. 'Throwing Forward.'

Suppose we require $I\,(5{\cdot}0,\, 63)$. Here $\xi = \sqrt{p+1}$, $u = 40$, and we use (xxviii).

$s = 2$ to 30	$\xi/(p+s)$	Products
—	—	1·0
40/65	·61538,46153	·6153,84615
40/66	·60606,06060	·3729,60373
40/67	·59701,49254	·2226,62909
40/68	·58823,52941	·1309,78182
40/69	·57971,01449	759,29381
40/70	·57142,85714	433,88218
40/71	·56338,02817	244,44066
40/72	·55555,55556	135,80037
40/73	·54794,52055	74,41116
40/74	·54054,05405	40,22225
40/75	·53333,33333	21,45187
40/76	·52631,57895	11,29046
40/77	·51948,05195	5,86517
40/78	·51282,05128	3,00778
40/79	·50632,91139	1,52293
40/80	·50000,00000	76146
40/81	·49382,71605	37603
40/82	·48780,488..	18343
40/83	·48192,771..	8840
40/84	·47619,048..	4210
40/85	·47058,824..	1981
40/86	·46511,628..	921
40/87	·45977,012..	424
40/88	·45454,5....	193
40/89	·44943,8....	87
40/90	·44444,4....	38
40/91	·43956,0....	17
40/92	·43478,.....	7
40/93	·43011,.....	3
40/94	·42553,.....	1
		2·5152,53757

To this we must add

$$\begin{aligned} \log e^{-\xi} &= -\quad 17{\cdot}37177{,}92761,\\ (p+1)\log\xi &= +\ 102{\cdot}53183{,}94432,\\ -\Gamma\,(p+2) &= -\quad 89{\cdot}10341{,}68973,\\ \log\frac{e^{-\xi}\,\xi^{p+1}}{\Gamma\,(p+2)} &= -\quad 3{\cdot}94335{,}67302. \end{aligned}$$

But

$$\log 2{\cdot}5152{,}53757 = {\cdot}40058{,}1806.$$

Accordingly

$$\log I\,(5{\cdot}0,\, 63) = \bar{4}{\cdot}45722{,}5076,$$

or $$I\,(5{\cdot}0,\, 63) = {\cdot}000{,}2866.$$

It frequently happens that the value of $I\,(u, p)$ for a large p is zero to the number of figures required, and it would be very wasteful of time to compute the series to many terms to ascertain this.

We can proceed as follows:—The series is clearly less than

$$1 + \frac{\xi}{p+2} + \left(\frac{\xi}{p+2}\right)^2 + \left(\frac{\xi}{p+3}\right)^3 + \ldots, \quad \textit{i.e.}\ \text{less than} \quad 1\Big/\left(1 - \frac{\xi}{p+2}\right) \quad \text{or} \quad \frac{p+2}{p+2-\xi}.$$

Hence

$$I\,(\xi, p) \ \text{is} \ < \frac{p+2}{p+2-\xi}\,\frac{e^{-\xi}\,\xi^{p+1}}{\Gamma\,(p+2)} \quad \ldots\ldots\ldots\ldots\ldots\ldots\ldots\ldots\ldots\text{(xlv)}.$$

For example, it is not obvious that if $\xi = 25{\cdot}272$ and $p = 64{\cdot}61$, that $I\,(\xi, p)$ will be zero; but it is rapidly ascertained to be so by evaluating the right-hand side of the above inequality. The Method D' of 'throwing forward' to a zero region of the function will only be successful if ξ is relatively small, otherwise the number of terms becomes very serious.

(*g*) *On Methods of finding a value in the Neighbourhood of the Mode, but outside the Limits of the Tables. Methods E and E'.*

Method E has been discussed on p. xvi. We will illustrate it by two or three examples here*, as it is of some importance. Consider

$$y = x^{48}e^{-x}/\Gamma\,(49).$$

The distance from mode to median d is given by (xx) and is $d = {\cdot}6670{,}7279$.

The computed values of the ordinates, using Degen's tables to find $\Gamma\,(49)$, are

$$x_1 = 46:\ y_1 = {\cdot}0550{,}70750, \quad x_3 = 49:\ y_3 = {\cdot}0568{,}94916,$$
$$x_2 = 48:\ y_2 = {\cdot}0574{,}82480, \quad x_4 = 51:\ y_4 = {\cdot}0525{,}34077.$$

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* The values of p are taken within our tables solely to test the accuracy of the results obtained. Actually p will be outside our tables and the errors less than those here recorded.

Hence (xxxii) becomes*

$$\int_0^{48+d'} \frac{x^{48}\, e^{-x}}{\Gamma(49)}\, dx = 0\cdot5 + \cdot0574{,}82480\,(d' - d) - \cdot0001{,}993954\,(d'^3 - d^3)$$
$$+ \cdot0000{,}01968125\,(d'^4 - d^4) + \cdot0000{,}0054992\,(d'^5 - d^5).$$

Let us take $d' = 3\cdot1$. We find the integral = ·634,3084. The correct value is ·634,3110 or the answer is correct to 3 in the sixth figure.

Put $d' = -1\cdot8$ and we find $\displaystyle\int_0^{46\cdot2} \frac{x^{48}\, e^{-x}}{\Gamma(49)}\, dx = \cdot359{,}4184,$

the correct answer being ·359,4195, or an error of 1 in the sixth figure.

The quartic will be found to give results correct to the fifth figure between 45·5 and 51·1. We have chosen p of order below 50 that we may be able to test the accuracy from our tables, but with values above 70, or, say, of order 100, we may be sure of accuracy to the sixth figure, and for areas between mode and mean to the seventh. $d' = p \pm 3$ is the reasonable area for application of this formula.

We may compare the results above obtained with those found by the Method E' of p. xviii. That formula may be written

$$\int_0^{p+d'} \frac{x^p\, e^{-x}}{\Gamma(p+1)}\, dx = \cdot5 + \frac{\sqrt{2\pi p}\, e^{-p} p^p}{\Gamma(p+1)} \Bigg[\mu_0(\bar{d}') - \mu_0(\bar{d}) + \frac{1}{\sqrt{p}}\,\tfrac{2}{3}\{m_3(\bar{d}') - m_3(\bar{d})\}$$
$$+ \frac{1}{(\sqrt{p})^2}\{\tfrac{5}{6}(m_6(\bar{d}') - m_6(\bar{d})) - \tfrac{3}{4}(m_4(\bar{d}') - m_4(\bar{d}))\}$$
$$+ \frac{1}{(\sqrt{p})^3}\{\tfrac{64}{27}(m_9(\bar{d}') - m_9(\bar{d})) - 4(m_7(\bar{d}') - m_7(\bar{d})) + \tfrac{8}{5}(m_5(\bar{d}') - m_5(\bar{d}))\}\Bigg] \;\ldots\ldots\ldots\text{(xlvi)},$$

where $\bar{d}' = d'/\sqrt{p}$, $\bar{d} = d/\sqrt{p}$.

To compare with the above case we must take $\bar{d}' = 3\cdot1/\sqrt{48} = \cdot447{,}4465$, $\bar{d} = \cdot6670{,}7279/\sqrt{48} = \cdot096{,}2837$.

We have, using Degen, $\log \Gamma(49) = 61\cdot09390{,}87881,$

and by aid of Vega's 10-figure logarithms we find

$$\log \frac{\sqrt{2\pi p}\, e^{-p} p^p}{\Gamma(p+1)} = \bar{1}\cdot99924{,}60287, \quad\text{or}\quad \frac{\sqrt{2\pi p}\, e^{-p} p^p}{\Gamma(p+1)} = \cdot99826{,}54237.$$

From the Tables of the Probability Integral we have $\mu_0(\bar{d}') - \mu_0(\bar{d}) = \cdot672{,}7205 - \cdot538{,}3514 = \cdot134{,}3691$.

Thus the value as found by supposing the curve to be simply a curve of errors is ·634,1360 as against the correct value ·634,3110, or we have an error of 2 in the fourth place.

We will now add in the m_3 terms, interpolating from the *Tables for Statisticians*, p. 22. Interpolating by central differences up to δ^4 inclusive we have, for $m_3(\bar{d}')$, and by forward differences, for $m_3(\bar{d})$,

$$m_3(\bar{d}') = \cdot0018703, \quad m_3(\bar{d}) = \cdot000{,}0043.$$

Hence $\dfrac{1}{\sqrt{p}}\,\tfrac{2}{3}\{m_3(\bar{d}') - m_3(\bar{d})\} = \cdot000{,}1796$ and multiplying by the external factor we have ·000,1793 to add, we find as our second approximation ·634,3153, which is only in excess by four units in the sixth figure. It is thus only very slightly inferior to the quartic method, which we saw was three units out in the sixth figure.

We proceed to a still higher approximation; $m_4(\bar{d})$ and $m_6(\bar{d})$ contribute nothing and we only need $m_4(\bar{d}')$ and $m_6(\bar{d}')$. We find $m_4(\bar{d}') = \cdot000{,}4441, \quad m_6(\bar{d}') = \cdot000{,}0122.$

Substituting, we find that $-\,\cdot000{,}0067$ is the value contributed by the third approximation, or the result is ·634,3086, which is only two out in the sixth place instead of four. Thus the next approximation has not produced correctness to the sixth figure. The next term, if included, leads to a result out by slightly less than two in the sixth place of decimals. Thus after the m_3 terms we have not a very rapid approach to seven-figure accuracy. Several other results were tried; on the whole the quartic gave slightly better results, possibly with slightly greater labour. If we get further from the mode the result becomes less exact. Thus

$$\int_{49}^{56} \frac{x^{49} e^{-x}\, dx}{\Gamma(50)} = \cdot343{,}9900,$$

but taking $I(7\cdot9195{,}9595, 49)$ and $I(6\cdot9296{,}4646, 49)$ out of the tables their difference is ·343,9617, or the above process will be three out in the fifth figure†. We must therefore for greater accuracy fall back on some of the other processes already discussed.

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* If the coefficients of the d', d factors be called respectively a_0, a_2, a_3, a_4 then a test of accuracy is that $a_0 + 3a_2 + 4a_3 + 5a_4 = y_3$.

† Of course for $p > 70$ greater accuracy say to the sixth decimal place is possible by the above methods within the range $p \pm 5$.

(h) On the use of Quadratures to determine the Value of I (u, p) beyond the Limits of the Tables.

We have already indicated that Weddle with 18 to 24 terms will give results accurate to about six places of decimals.

Illustrations. Find $I\,(\xi = 102, 99)$, or $\displaystyle\int_0^{102} \frac{x^{99}e^{-x}}{\Gamma\,(100)}\,dx$.

Since the area required covers the mode we shall find it better to evaluate $\displaystyle\int_{102}^{\infty} \frac{x^{99}e^{-x}}{\Gamma\,(100)}\,dx$.

Let us use Weddle (see equation (xxxviii)) and 24 ordinates.

The following are the computed values obtained by using Vega's 10-figure logarithms* and Degen's value of $\log \Gamma\,(100) = 155{\cdot}97000,36547$.

$x_0 = 102$: $y_0 = {\cdot}0383,15650$
$x_1 = 105$: $y_1 = {\cdot}0336,36930$
$x_2 = 108$: $y_2 = {\cdot}0272,36048$
$x_3 = 111$: $y_3 = {\cdot}0204,30724$
$x_4 = 114$: $y_4 = {\cdot}0142,56263$
$x_5 = 117$: $y_5 = {\cdot}0092,88429$
$x_6 = 120$: $y_6 = {\cdot}0056,70246$
$x_7 = 123$: $y_7 = {\cdot}0032,53727$
$x_8 = 126$: $y_8 = {\cdot}0017,60255$
$x_9 = 129$: $y_9 = {\cdot}0009,00305$
$x_{10} = 132$: $y_{10} = {\cdot}0004,36459$
$x_{11} = 135$: $y_{11} = {\cdot}0002,01041$
$x_{12} = 138$: $y_{12} = {\cdot}0000,88184$
$x_{13} = 141$: $y_{13} = {\cdot}0000,36912$
$x_{14} = 144$: $y_{14} = {\cdot}0000,14773$
$x_{15} = 147$: $y_{15} = {\cdot}0000,05664$
$x_{16} = 150$: $y_{16} = {\cdot}0000,02084$
$x_{17} = 153$: $y_{17} = {\cdot}0000,00737$
$x_{18} = 156$: $y_{18} = {\cdot}0000,00251$
$x_{19} = 159$: $y_{19} = {\cdot}0000,00082$
$x_{20} = 162$: $y_{20} = {\cdot}0000,00026$
$x_{21} = 165$: $y_{21} = {\cdot}0000,00008$
$x_{22} = 168$: $y_{22} = {\cdot}0000,00002$
$x_{23} = 171$: $y_{23} = {\cdot}0000,000007$
$x_{24} = 174$: $y_{24} = {\cdot}0000,000002$
$h = 3$ units

Using (xxxviii) we find $\displaystyle\int_{102}^{\infty} \frac{x^{99}e^{-x}}{\Gamma\,(100)}\,dx = {\cdot}408,2836$, or, the required integral, $\displaystyle\int_0^{102} \frac{x^{99}e^{-x}}{\Gamma\,(100)}\,dx = {\cdot}591,7164$.

To determine the value by integration by parts using (xxix) we need 49 terms, the correct value to seven figures determined by that process is ·591,7186. The value as found by the quartic process of p. xvi is ·591,7184. It is thus clear that the 'Weddling' gives a result only correct to 2 in the sixth figure, while the quartic is correct to 2 in the seventh figure. If we pass further from the mode, however, the relative position of the two processes is reversed.

We may take as a second illustration the evaluation of $\displaystyle\int_0^{97} \frac{x^{99}e^{-x}dx}{\Gamma\,(100)}$. The ordinates become significant in the tenth figure only at $x = 49$.

$x_0 = 49$: $y_0 = {\cdot}0000,00000$
$x_1 = 51$: $y_1 = {\cdot}0000,00001$
$x_2 = 53$: $y_2 = {\cdot}0000,00005$
$x_3 = 55$: $y_3 = {\cdot}0000,00028$
$x_4 = 57$: $y_4 = {\cdot}0000,00128$
$x_5 = 59$: $y_5 = {\cdot}0000,00526$
$x_8 = 61$: $y_8 = {\cdot}0000,01931$
$x_7 = 63$: $y_7 = {\cdot}0000,06370$
$x_8 = 65$: $y_8 = {\cdot}0000,19023$
$x_9 = 67$: $y_9 = {\cdot}0000,51722$
$x_{10} = 69$: $y_{10} = {\cdot}0001,28747$
$x_{11} = 71$: $y_{11} = {\cdot}0002,94893$
$x_{12} = 73$: $y_{12} = {\cdot}0006,24399$
$x_{13} = 75$: $y_{13} = {\cdot}0012,27369$
$x_{14} = 77$: $y_{14} = {\cdot}0022,48553$
$x_{15} = 79$: $y_{15} = {\cdot}0038,53136$
$x_{18} = 81$: $y_{16} = {\cdot}0061,96696$
$x_{17} = 83$: $y_{17} = {\cdot}0093,81786$
$x_{18} = 85$: $y_{18} = {\cdot}0134,10316$
$x_{19} = 87$: $y_{19} = {\cdot}0181,46064$
$x_{20} = 89$: $y_{20} = {\cdot}0233,02263$
$x_{21} = 91$: $y_{21} = {\cdot}0284,64026$
$x_{22} = 93$: $y_{22} = {\cdot}0331,45261$
$x_{23} = 95$: $y_{23} = {\cdot}0368,68671$
$x_{24} = 97$: $y_{24} = {\cdot}0392,49425$
$h = 2$ units

Applying equation (xxxviii) we find $\displaystyle\int_0^{97} \frac{x^{99}e^{-x}}{\Gamma\,(100)}\,dx = {\cdot}393,7232$.

We now took twelve terms only of the series and again applied Weddle with the result that we reached *exactly* the same value ·393,7232. We do not think, however, that this is a very strong argument for using 12 instead of 24 ordinates to abbreviate the work, especially if the fewer ordinates' process be extended to the falling asymptotic side of the curve. The quartic curve process gave in this case the value ·393,7230, differing only by 2 in the seventh figure from the quadrature. The true value obtained by computing 60 terms of (xxviii) is ·393,7231.

The reader will be able to judge from the above illustrations the amount of work needful in evaluating $I\,(u, p)$ beyond the limits of the tables where p is of the order 100. Less satisfactory results are obtained when p is of the order 50, and this is why the rule of throwing back into the table should be adopted. The following illustrate results obtained by Weddle's Rule†:

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* For the convenience of the reader we give two logarithms not directly provided by Vega:

$$\log e = {\cdot}43429,44819,03 \quad\text{and}\quad \log\sqrt{2\pi} = {\cdot}39908,99341,79.$$

† Inferior results were obtained from other quadrature formulae.

Number of ordinates	Integral	Value	Error
12	$\int_0^{29\cdot 4} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$	·000,5863	+ ·000,0013
16 + 2 zeros	$\int_0^{39\cdot 2} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$	·072,4902	+ ·000,0041
18	$\int_0^{45} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$	·294,6758	+ ·000,0047
20 + 4 zeros	$\int_0^{48} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$	·518,9937	− ·000,0056
24	$\int_{49}^{\infty} \frac{x^{48}e^{-x}}{\Gamma(49)}dx$	·481,0073	+ ·000,0066

It is clear that Weddle's Rule with only 24 ordinates will not give more than five-figure accuracy, if p be as low as 60 and our bounding ordinate not very far from the mode.

(*i*) *Concluding Remarks.*

The reader will observe that it takes a fair amount of computing labour to obtain the value of the incomplete Γ-function to seven-figure accuracy beyond the limits of our tables, if the bounding ordinate be not very far from the mode, and that this labour increases as we approach the limit of the table. Thus the range of our tables was not chosen for relative ease of computing. It would have been far easier to supply the values of our integral for $p = 50$ to 100, than from $p = -1$ to 50. But the latter were selected as being of the greater practical use. After $p = 70$ with populations of 1000 or under, the probable errors of random sampling would hardly allow the statistician to distinguish between the two frequency distributions

$$y = y_0 e^{-\frac{1}{2}x^2/\sigma^2} \quad \text{and} \quad y = y_0 e^{-\frac{px}{a}}\left(1+\frac{x}{a}\right)^p.$$

He does not, indeed, need the six or seven-figure accuracy which has been our aim throughout this work. Four to five-figure accuracy is all he requires and our tables and methods will readily supply him with this, although we have felt bound to provide processes which reach nearer the standard of others, mathematicians and physicists, who may require to use our tables.

In the preparation of this Introduction I am deeply indebted to Miss Ethel M. Elderton, Miss Margaret Moul and Mr James Henderson for their aid in various laborious computations, many of which are represented in these pages by merely an individual numerical result or a single statement as to the degree of accuracy attainable by a given process. Beyond these more or less tangible facts, stands a mass of computations, usually with results of a negative character, adopted and discarded, and only mentioned here in order to warn the reader that more or less obvious suggestions have not necessarily remained untried because they are not referred to in the text. I have finally to express my deep gratitude to the Department of Scientific and Industrial Research for undertaking the publication of this work. With the very limited publication-funds of our Laboratories, rendered still more inadequate by the War, there appeared no prospect of the early issue of these Tables, and the relief not only of myself, but of the whole staff, was great when that Department came to our aid.

K. P.

(and stupid!)

> "A PAINFULL WORK IT IS I'LL ASSURE YOU, AND MORE THAN DIFFICULT, WHEREIN WHAT TOYLE HATH BEEN TAKEN, AS NO MAN THINKETH, SO NO MAN BELIEVETH, BUT HE THAT HATH MADE THE TRIALL."
>
> ANTONY À WOOD.

THE INCOMPLETE Γ-FUNCTION

TABLE I

THE $I(u, p)$ FUNCTION FOR POSITIVE VALUES OF THE ARGUMENT p

	$p = 0·0$			$p = 0·1$			$p = 0·2$			$p = 0·3$			$p = 0·4$			$p = 0·5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	·0
·1	·0951626	−90560 —	+48184 +2318	·0757471	+23982 —	+38768 +1833	·0602084	+100654 —	+31185 +1464	·0477884	+149091 —	+25066 +1180	·0378749	+176776 —	+20124 +954	·0299738	·1
·2	·1812692	−81940 −824	+46119 +1146	·1538924	−39923 +53120	+39666 +926	·1304822	−3432 +79086	+34139 +765	·1104859	+27291 +86674	+29377 +646	·0934274	+52343 +82833	+25261 +553	·0788949	·2
·3	·2591818	−74144 −741	+39258 +661	·2280454	−50708 +8654	+35038 +506	·2004128	−28432 +15028	+31324 +409	·1759125	−7835 +18759	+28019 +343	·1542142	+10743 +20296	+25056 +297	·1350214	·3
·4	·3296800	−67089 −678	+31981 +445	·2971276	−52839 +3148	+29250 +310	·2675002	−38404 +6074	+26829 +236	·2405556	−24202 +8121	+24643 +186	·2160753	−10561 +9352	+22644 +155	·1938594	·4
·5	·3934693	−60702 −613	+25419 +340	·3609259	−51822 +1368	+23647 +225	·3307472	−42302 +2996	+22100 +152	·3027785	−32448 +4276	+20705 +111	·2768803	−22513 +5187	+19421 +81	·2529242	·5
·6	·4511884	−54928 −548	+19841 +298	·4195420	−49437 +592	+18684 +179	·3897640	−43202 +1622	+17706 +120	·3617566	−36418 +2473	+16848 +72	·3354340	−29278 +3156	+16062 +48	·3107176	·6
·7	·5034147	−49700 −498	+15249 +258	·4732141	−46460 +243	+14465 +180	·4444606	−42480 +900	+13861 +90	·4170929	−37915 +1503	+13347 +65	·3910599	−32887 +2015	+12898 +34	·3663167	·7
·8	·5506710	−44970 −456	+11530 +249	·5222408	−43240 +21	+10986 +159	·4949092	−40858 +498	+10601 +93	·4686377	−37909 +929	+10309 +59	·4433971	−34481 +1314	+10077 +31	·4191642	·8
·9	·5934303	−40690 −410	+8563 +238	·5669432	−39999 −76	+8159 +153	·5412720	−38740 +247	+7908 +93	·5163916	−36974 +564	+7750 +53	·4922862	−34761 +869	+7647 +34	·4689455	·9
1·0	·6321206	−36820 −364	+6220 +232	·6076457	−36834 −140	+5900 +146	·5837608	−36375 +102	+5722 +94	·5604481	−35475 +339	+5638 +57	·5376992	−34172 +565	+5611 +36	·5155114	1·0
1·1	·6671289	−33314 −337	+4392 +217	·6446648	−33809 −169	+4114 +140	·6226121	−33908 −2	+3977 +90	·6009571	−33637 +177	+3929 +58	·5796950	−33018 +358	+3939 +37	·5588268	1·1
1·2	·6988058	−30145 −300	+2977 +206	·6783030	−30953 −188	+2724 +132	·6580726	−31443 −54	+2602 +85	·6381024	−31622 +77	+2568 +59	·6183890	−31506 +214	+2593 +38	·5989349	1·2
1·3	·7274682	−27276 −273	+1896 +189	·7088459	−28285 −188	+1652 +127	·6903888	−29032 −99	+1538 +81	·6720855	−29530 +6	+1502 +62	·6539324	−29780 +111	+1528 +37	·6359321	1·3
1·4	·7534030	−24680 −247	+1078 +177	·7365603	−25802 −192	+842 +117	·7198018	−26720 −117	+723 +79	·7031156	−27432 −42	+684 +56	·6864978	−27943 +42	+700 +36	·6699500	1·4
1·5	·7768698	−22331 −225	+469 +162	·7616945	−23511 −188	+236 +111	·7465428	−24525 −130	+114 +75	·7314025	−25376 −73	+67 +53	·7162689	−26064 −11	+72 +35	·7011425	1·5
1·6	·7981035	−20207 −201	+21 +154	·7844776	−21396 −174	−204 +100	·7708313	−22460 −134	−332 +76	·7571518	−23393 −94	−387 +47	·7434336	−24196 −48	−395 +34	·7296759	1·6
1·7	·8173165	−18284 −182	−298 +138	·8051211	−19457 −161	−519 +90	·7928738	−20531 −135	−647 +64	·7805618	−21504 −103	−711 +44	·7681787	−22374 −67	−731 +33	·7557225	1·7
1·8	·8347011	−16543 −168	−520 +123	·8238189	−17679 −150	−735 +89	·8128632	−18736 −136	−861 +58	·8018214	−19718 −110	−932 +41	·7906864	−20619 −83	−962 +31	·7794552	1·8
1·9	·8504314	−14970 −147	−670 +116	·8407488	−16051 −143	−872 +74	·8309790	−17077 −128	−1000 +53	·8211092	−18042 −115	−1072 +37	·8111322	−18947 −94	−1110 +28	·8010442	1·9
2·0	·8646647	−13544 −139	−763 +105	·8560736	−14566 −131	−954 +67	·8473871	−15546 −121	−1078 +49	·8385928	−16481 −113	−1152 +32	·8296833	−17369 −97	−1194 +25	·8206544	2·0
2·1	·8775436	−12257 −128	−816 +97	·8699418	−13212 −120	−994 +61	·8622406	−14136 −119	−1111 +43	·8544283	−15029 −111	−1185 +29	·8464975	−15888 −100	−1230 +23	·8384437	2·1
2·2	·8891968	−11088 −117	−836 +80	·8824888	−11978 −110	−1003 +56	·8756805	−12845 −109	−1113 +39	·8687609	−13688 −106	−1184 +25	·8617229	−14507 −98	−1230 +21	·8545619	2·2
2·3	·8997412	−10036 −98	−839 +77	·8938380	−10854 −104	−989 +51	·8878359	−11660 −102	−1091 +34	·8817247	−12449 −102	−1159 +23	·8754976	−13222 −98	−1204 +18	·8691501	2·3
2·4	·9092820	−9078 −94	−824 +64	·9041018	−9834 −91	−963 +47	·8988253	−10577 −96	−1052 +26	·8934436	−11313 −94	−1118 +22	·8879501	−12035 −93	−1159 +14	·8823407	2·4
2·5	·9179150	−8216 −84	−803 +59	·9133822	−8905 −87	−924 +41	·9087570	−9590 −87	−1005 +22	·9040313	−10269 −88	−1065 +18	·8991991	−10940 −88	−1104 +13	·8942565	2·5
2·6	·9257264	−7433 −77	−772 +50	·9217721	−8063 −79	−881 +35	·9177297	−8688 −82	−952 +19	·9135921	−9311 −84	−1004 +15	·9093541	−9933 −82	−1042 +12	·9050119	2·6
2·7	·9327945	−6727 −69	−742 +45	·9293557	−7297 −73	−833 +29	·9258336	−7868 −75	−897 +18	·9222218	−8439 −78	−942 +13	·9185158	−9008 −78	−974 +9	·9147124	2·7
2·8	·9391899	−6085 −62	−708 +39	·9362096	−6603 −65	−788 +24	·9331507	−7123 −68	−842 +16	·9300076	−7640 −73	−878 +11	·9267767	−8161 −75	−908 +7	·9234552	2·8
2·9	·9449768	−5508 −55	−677 +34	·9424032	−5974 −59	−741 +21	·9397555	−6442 −64	−784 +11	·9370294	−6918 −66	−818 +9	·9342215	−7389 −67	−840 +7	·9313296	2·9
3·0	·9502129	−4982 −48	−644 +27	·9479994	−5404 −53	−696 +17	·9457161	−5827 −56	−732 +9	·9433596	−6253 −62	−757 +8	·9409274	−6684 −62	−777 +6	·9384175	3·0
3·1	·9549508	−4509 −44	−616 +22	·9530552	−4887 −48	−656 +14	·9510940	−5268 −52	−683 +6	·9490645	−5652 −55	−701 +8	·9469649	−6039 −58	−714 +4	·9447939	3·1
3·2	·9592378	−4080 −40	−589 +19	·9576223	−4416 −44	−617 +11	·9559451	−4761 −47	−637 +6	·9542042	−5106 −52	−648 +4	·9523985	−5458 −52	−658	·9505270	3·2
3·3	·9631168	−3691 −37	−562 +14	·9617476	−3995 −39	−583 +8	·9603201	−4301 −44	−593 +4	·9588333	−4612 −48	−600	·9572865	−4925 −49	−604	·9556792	3·3
3·4	·9666267	−3340 −33	−539 +9	·9654734	−3611 −37	−551 +6	·9642650	−3885 −39	−554	·9630012	−4160 −44	−554	·9616820	−4443 −44	−556	·9603071	3·4
3·5	·9698026	−3022 −31	−519 +6	·9688381	−3264 −33	−522 +4	·9678214	−3506 −38	−517	·9667531	−3756 −40	−515	·9656332	−4005 −40	−512	·9644622	3·5
3·6	·9726763	−2735 −29	−501 +4	·9718764	−2948 −30	−493	·9710272	−3167 −33	−486	·9701294	−3385 −38	−477	·9691839	−3610 −38	−471	·9681912	3·6
3·7	·9752765	−2475 −27	−484	·9746199	−2666 −28	−470	·9739163	−2857 −30	−456	·9731672	−3054 −33	−444	·9723736	−3251 −33	−435	·9715366	3·7
3·8	·9776292	−2238 −25	−468	·9770968	−2408 −28	−447	·9765197	−2578 −27	−429	·9758996	−2750 −29	−414	·9752382	−2927 −30	−402	·9745366	3·8
3·9	·9797581	−2028 −22	−454	·9793331	−2174 −24	−428	·9788653	−2326 −25	−404	·9783570	−2479 −26	−386	·9778101	−2635 −27	−372	·9772259	3·9
4·0	·9816844	−1834 −20	−442	·9813518	−1964 −22	−409	·9809783	−2097 −24	−383	·9805665	−2232 −24	−362	·9801185	−2369 −24	−345	·9796360	4·0
4·1	·9834273	−1658 −18	−426	·9831741	−1774 −20	−393	·9828816	−1893 −22	−363	·9825528	−2011 −23	−340	·9821900	−2133 −22	−321	·9817951	4·1
4·2	·9850044	−1501 −16	−416	·9848190	−1603 −18	−379	·9845957	−1704 −20	−344	·9843380	−1809 −22	−320	·9840483	−1915 −21	−298	·9837288	4·2
4·3	·9864314	−1357 −15	−405	·9863036	−1447 −16	−364	·9861394	−1538 −17	−329	·9859423	−1629 −19	−301	·9857151	−1721 −20	−279	·9854600	4·3
4·4	·9877227	−1230 −13	−396	·9876435	−1307 −14	−350	·9875293	−1386 −15	−314	·9873837	−1464 −17	−283	·9872098	−1548 −18	−263	·9870096	4·4
4·5	·9888910	−1111 −12	−386	·9888527	−1179 −13	−338	·9887806	−1247 −13	−298	·9886787	−1319 −16	−271	·9885497	−1388 −16	−245	·9883963	4·5
4·6	·9899482	−1007 −11	−376	·9899440	−1066 −11	−326	·9899072	−1126 −12	−286	·9898418	−1186 −14	−256	·9897508	−1247 −14	−230	·9896368	4·6
4·7	·9909047	−910 −10	−366	·9909287	−961 −10	−315	·9909212	−1013 −10	−274	·9908863	−1065 −12	−242	·9908272	−1120 −13	−218	·9907463	4·7
4·8	·9917703	−823 −9	−356	·9918173	−868 −9	−305	·9918339	−913 −9	−262	·9918243	−958 −11	−231	·9917916	−1004 −11	−205	·9917384	4·8
4·9	·9925534	−745 −8	−347	·9926191	−784 −8	−294	·9926554	−823 −9	−252	·9926665	−862 −10	−218	·9926556	−901 −10	−193	·9926254	4·9
5·0	·9932621	−675 −7	−339	·9933425	−707 −7	−283	·9933946	−741 −8	−242	·9934225	−774 −9	−208	·9934295	−809 −9	−183	·9934182	5·0
5·1	·9939033	−611 −7	−329	·9939952	−638 −6	−274	·9940597	−666 −7	−231	·9941011	−695 −8	−200	·9941225	−726 −8	−173	·9941266	5·1
5·2	·9944834	−551 −6	−318	·9945841	−577 −6	−266	·9946582	−600 −6	−221	·9947102	−626 −7	−191	·9947431	−651 −8	−164	·9947596	5·2
5·3	·9950084	−500 −5	−310	·9951153	−519 −5	−255	·9951967	−541 −6	−214	·9952567	−560 −7	−181	·9952986	−583 −7	−155	·9953250	5·3
5·4	·9954834	−452 −4	−300	·9955946	−470 −5	−247	·9956811	−486 −5	−204	·9957472	−503 −6	−173	·9957960	−523 −6	−149	·9958299	5·4
5·5	·9959132	−409 −4	−290	·9960269	−423 −4	−237	·9961169	−438 −4	−197	·9961872	−452 −5	−164	·9962411	−468 −6	−142	·9962808	5·5
5·6	·9963021	−370 −4	−281	·9964169	−382 −4	−229	·9965088	−393 −4	−184	·9965820	−407 −4	−158	·9966394	−419 −5	−134	·9966834	5·6
5·7	·9966540	−335	−271	·9967687	−345	−220	·9968614	−355	−181	·9969361	−365 −4	−150	·9969958	−376 −4	−127	·9970428	5·7
5·8	·9969724	−302	−262	·9970860	−311	−211	·9971785	−319	−173	·9972537	−327	−143	·9973146	−336	−120	·9973635	5·8
5·9	·9972606	−275	−255	·9973722	−280	−201	·9974637	−287	−168	·9975386	−294	−136	·9975999	−302	−114	·9976498	5·9
6·0	·9975213	−249	−245	·9976304	−253	−194	·9977201	−258	−157	·9977941	−265	−131	·9978550	−269	−107	·9979052	6·0

	$p = 0{\cdot}5$		$p = 0{\cdot}6$			$p = 0{\cdot}7$			$p = 0{\cdot}8$			$p = 0{\cdot}9$			$p = 1{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0
·1	+189473 —	+16135 +771	·0236863	+191696 —	+12918 +620	·0186906	+188495 —	+10326 +608	·0147273	+176690 —	+8240 +410	·0115881	+184037 —	+8563 +332	·0091054	+149898 —	+5222 +287	·1
·2	+72054 +72476	+21698 +478	·0665322	+86896 +69008	+18613 +415	·0560307	+97418 +44682	+16943 +862	·0471236	+104193 +30958	+13635 +818	·0395799	+107800 +18662	+11842 +275	·0332006	+106776 +6237	+9925 +240	·2
·3	+27113 +20096	+22390 +262	·1180677	+41204 +18592	+19986 +235	·1031126	+53023 +16199	+17817 +212	·0899392	+82654 +13250	+16860 +193	·0783517	+70225 +10037	+14095 +176	·0681737	+75897 +6783	+12507 +161	·3
·4	+2268 +9863	+20800 +135	·1737236	+14104 +9770	+19096 +121	·1554968	+24827 +9181	+17502 +111	·1390202	+34365 +8214	+18023 +103	·1241460	+42687 +6975	+14648 +97	·1107365	+49798 +5561	+13370 +92	·4
·5	−12714 +5753	+18218 +66	·2307899	−3226 +6001	+17081 +68	·2103637	+5812 +5960	+16002 +50	·1915377	+14290 +5672	+14973 +46	·1742090	+22124 +5191	+13988 +44	·1582791	+23260 +4553	+13051 +43	·5
·6	−21943 +3656	+15324 +36	·2875336	−14555 +3970	+16622 +23	·2658118	−7243 +4121	+13942 +17	·2454842	−113 +4122	+13278 +16	·2264844	+6752 +3372	+12631 +15	·2087477	+13275 +3706	+11998 +14	·6
·7	−27516 +2427	+12483 +19	·3428218	−21914 +2745	+12087 +9	·3205356	−16177 +2935	+11700 +3	·2994194	−10394 +3061	+11318 0	·2794350	−4648 +3082	+10932 −1	·2605438	+996 +3009	+10548 −2	·7
·8	−30662 +1654	+9873 +15	·3959186	−26528 +1931	+9687 +4	·3736417	−22150 +2151	+9604 −2	·3523152	−17614 +2307	+9321 −4	·3319208	−12968 +2394	+9131 −7	·3124395	−8274 +2426	+8933 −10	·8
·9	−32154 +1141	+7678 +16	·4463626	−29211 +1383	+7625 +8	·4245322	−25984 +1584	+7478 −1	·4034496	−22527 +1746	+7430 −6	·3831100	−18890 +1871	+7374 −9	·3635078	−15118 +1950	+7310 −11	·9
1·0	−32505 +783	+6619 +19	·4938855	−30611 +983	+5647 +6	·4728243	−28228 +1164	+5682 +2	·4523313	−25694 +1324	+5719 −3	·4324102	−22943 +1453	+5762 −8	·4130643	−26612 +1554	+6778 −10	1·0
1·1	−32073 +532	+3987 +22	·5383573	−30828 +700	+4058 +10	·5182936	−29308 +855	+4187 +6	·4986436	−27537 +993	+4225 −0	·4794161	−25543 +1118	+4310 −2	·4606196	−23352 +1229	+4391 −6	1·1
1·2	−31109 +352	+2655 +24	·5797463	−30443 +485	+2744 +14	·5608321	−29533 +620	+2843 +9	·5422022	−28387 +746	+2954 +3	·5238677	−27025 +863	+3065 0	·5058397	−25463 +962	+3177 −3	1·2
1·3	−29793 +223	+1678 +25	·6180907	−29577 +337	+1783 +17	·6004173	−29138 +441	+1895 +11	·5829221	−28491 +649	+2020 +5	·5656168	−27844 +647	+2141 +2	·5485135	−26612 +746	+2260 −1	1·3
1·4	−28254 +124	+754 +26	·6534776	−28372 +212	+835 +19	·6370887	−28302 +306	+981 +13	·6207929	−28046 +331	+1044 +7	·6046015	−27818 +484	+1180 +3	·5885261	−27015 +570	+1281 +1	1·4
1·5	−26591 +60	+111 +26	·6860272	−26955 +130	+186 +20	·6709299	−27160 +202	+265 +14	·6558591	−27210 +278	+353 +8	·6408246	−27104 +354	+471 +5	·6258372	−26848 +426	+564 +3	1·5
1·6	−24868 +6	−369 +20	·7158813	−25408 +88	−316 +18	·7020551	−25818 +123	−246 +14	·6882043	−26092 +168	−182 +9	·6743373	−26238 +245	−68 +8	·6604635	−26253 +308	+32 +4	1·6
1·7	−23139 −27	−717 +25	·7431946	−23798 +17	−680 +18	·7305987	−24349 +62	−625 +13	·7179403	−24793 +113	−657 +10	·7052262	−23127 +165	−478 +7	·6924643	−25354 +218	−394 +5	1·7
1·8	−21437 −53	−959 +23	·7681281	−22171 −20	−936 +17	·7567074	−22820 +21	−837 +13	·7451970	−23379 +58	−842 +12	·7336024	−23861 +103	−781 +9	·7219297	−24236 +144	−709 +6	1·8
1·9	−19788 −70	−1117 +21	·7908445	−20584 −46	−1107 +15	·7805341	−21270 −12	−1079 +12	·7701158	−21967 +18	−1040 +10	·7595935	−22472 +43	−991 +10	·7489721	−22963 +89	−937 +7	1·9
2·0	−18209 −81	−1210 +19	·8115045	−18938 −64	−1208 +14	·8022338	−19736 −38	−1192 +12	·7928439	−20419 −14	−1166 +10	·7833374	−21044 +14	−1129 +9	·7737180	−21611 +42	−1088 +7	2·0
2·1	−16711 −87	−1252 +17	·8302647	−17496 −73	−1258 +14	·8219599	−18240 −68	−1250 +11	·8135301	−18943 −38	−1234 +9	·8049769	−19602 −14	−1209 +7	·7963028	−20215 +9	−1178 +5	2·1
2·2	−16300 −87	−1256 +16	·8472753	−16064 −81	−1267 +11	·8398620	−16800 −68	−1267 +9	·8323220	−17508 −54	−1258 +7	·8246562	−18174 −36	−1243 +6	·8168661	−18810 −20	−1220 +5	2·2
2·3	−13976 −83	−1231 +13	·8626795	−14713 −83	−1248 +10	·8560841	−15426 −74	−1251 +7	·8493636	−18116 −64	−1250 +8	·8425181	−16768 −54	−1242 +6	·8355484	−17425 −39	−1226 +4	2·3
2·4	−12748 −88	−1169 +16	·8766124	−13445 −84	−1205 +8	·8707636	−14130 −78	−1215 +7	·8647933	−14706 −73	−1218 +6	·8587014	−15446 −64	−1213 +5	·8524882	−18079 −61	−1206 +4	2·4
2·5	−11604 −88	−1131 +9	·8892008	−12261 −85	−1156 +7	·8840301	−12908 −80	−1186 +8	·8787434	−13546 −74	−1166 +5	·8733401	−14172 −69	−1167 +4	·8678201	−14784 −61	−1164 +4	2·5
2·6	−16549 −83	−1066 +6	·9005631	−11162 −82	−1065 +7	·8960058	−11789 −81	−1094 +5	·8913389	−12370 −78	−1104 +4	·8865616	−12964 −76	−1107 +4	·8816735	−13552 −68	−1109	2·6
2·7	−9577 −79	−998 +7	·9108092	−10144 −80	−1014 +6	·9068046	−10709 −81	−1026 +4	·9026974	−11272 −78	−1036 +4	·8984867	−11832 −74	−1041 +4	·8941719	−12383 −73	−1042	2·7
2·8	−8684 −74	−928 +6	·9200409	−9206 −76	−941 +4	·9165325	−9730 −78	−054 +4	·9129287	−10252 −74	−663 +4	·9092286	−10773 −73	−968	·9054317	−11293 −73	−973	2·8
2·9	−7865 −76	−867 +5	·9283520	−8343 −73	−870 +4	·9252874	−8823 −75	−860	·9221318	−9306 −72	−890	·9188932	−9788 −70	−894	·9155622	−10273 −72	−961	2·9
3·0	−7115 −68	−766 +4	·9358288	−7662 −68	−801	·9331600	−7991 −70	−869	·9304103	−8433 −70	−816	·9275790	−8879 −08	−823	·9246654	−9325 −70	−828	3·0
3·1	−6483 −60	−725	·9425504	−6629 −04	−734	·9402335	−7229 −64	−741	·9378425	−7882 −66	−746	·9353769	−8038 −83	−762	·9328361	−8449 −68	−767	3·1
3·2	−5809 −58	−684	·9485891	−6168 −57	−871	·9465841	−0580 −60	−678	·9445115	−6893 −62	−879	·9423710	−7268 −63	−686	·9401619	−7641 −66	−689	3·2
3·3	−6243 −51	−607	·9540110	−5564 −54	−811	·9522817	−5861 −56	−814	·9504910	−8226 −68	−818	·9486384	−8559 −61	−621	·9467236	−8900 −63	−625	3·3
3·4	−4728 −48	−557	·9588765	−6018 −49	−568	·9573902	−5312 −61	−560	·9558480	−5610 −56	−562	·9542498	−5913 −67	−564	·9525953	−6221 −60	−565	3·4
3·5	−4261 −45	−509	·9632402	−4520 −46	−508	·9619675	−4784 −48	−507	·9606440	−5051 −52	−507	·9592698	−5324 −54	−508	·9578449	−5602 −56	−510	3·5
3·6	−3836 −42	−466	·9671519	−4068 −43	−462	·9660664	−4304 −44	−460	·9649349	−4544 −47	−439	·9637575	−4789 −49	−458	·9625343	−5037 −52	−459	3·6
3·7	−3454 −35	−427	·9706568	−3659 −40	−422	·9697349	−3868 −40	−417	·9687714	−4084 −42	−414	·9677663	−4301 −45	−413	·9667200	−4324 −48	−412	3·7
3·8	−3107 −32	−392	·9737958	−3290 −36	−384	·9730166	−3477 −35	−379	·9721995	−3668 −40	−375	·9713450	−3861 −41	−372	·9704533	−4059 −48	−370	3·8
3·9	−2792 −30	−360	·9766058	−2954 −33	−351	·9759506	−3119 −32	−344	·9752610	−3288 −37	−338	·9745376	−3461 −38	−335	·9737807	−3637 −39	−332	3·9
4·0	−2510 −28	−332	·9791204	−2654 −30	−321	·9785727	−2800 −28	−318	·9779937	−2949 −33	−308	·9773841	−3161 −35	−362	·9767444	−3258 −36	−298	4·0
4·1	−2254 −27	−306	·9813696	−2379 −27	−294	·9809148	−2508 −26	−286	·9804315	−2640 −32	−277	·9799205	−2773 −32	−272	·9793823	−2912 −33	−268	4·1
4·2	−2025 −24	−282	·9833809	−2135 −23	−271	·9830061	−2248 −24	−260	·9826053	−2364 −26	−252	·9821794	−2482 −30	−243	·9817290	−2604 −30	−246	4·2
4·3	−1816 −22	−262	·9851787	−1914 −21	−248	·9848726	−2018 −23	−237	·9845427	−2114 −24	−229	·9841901	−2219 −28	−221	·9838153	−2326 −25	−216	4·3
4·4	−1629 −20	−243	·9867851	−1714 −20	−228	·9865378	−1801 −22	−217	·9862687	−1890 −22	−206	·9859789	−1981 −25	−200	·9856690	−2073 −23	−194	4·4
4·5	−1462 −18	−227	·9882201	−1535 −18	−211	·9880229	−1611 −20	−200	·9878057	−1688 −20	−190	·9875696	−1768 −22	−181	·9873154	−1851 −19	−175	4·5
4·6	−1310 −16	−212	·9895016	−1374 −17	−195	·9893469	−1440 −18	−184	·9891739	−1609 −18	−173	·9889835	−1677 −20	−165	·9887767	−1848 −18	−158	4·6
4·7	−1174 −14	−197	·9906457	−1230 −15	−182	·9905269	−1287 −16	−169	·9903912	−1343 −16	−158	·9902397	−1406 −18	−156	·9900732	−1468 −18	−143	4·7
4·8	−1051 −13	−184	·9916668	−1101 −13	−176	·9915782	−1160 −14	−158	·9914740	−1200 −15	−146	·9913553	−1252 −17	−137	·9912229	−1305 −14	−130	4·8
4·9	−942 −12	−174	·9925778	−983 −11	−157	·9925145	−1026 −13	−144	·9924368	−1071 −13	−134	·9923457	−1116 −15	−125	·9922421	−1163 −13	−118	4·9
5·0	−844 −10	−164	·9933905	−879 −10	−146	·9933482	−918 −11	−134	·9932925	−953 −11	−123	·9932245	−988 −14	−115	·9931450	−1031 −11	−107	5·0
5·1	−764 −10	−154	·9941153	−785 −9	−137	·9940903	−817 −10	−124	·9940529	−850 −10	−114	·9940041	−883 −11	−105	·9939448	−918 −9	−98	5·1
5·2	−676 −9	−144	·9947616	−703 −8	−127	·9947507	−728 −9	−115	·9947283	−756 −9	−105	·9946954	−788 −9	−97	·9946528	−814 −9	−90	5·2
5·3	−805 −8	−138	·9953376	−626 −8	−116	·9953383	−650 −8	−109	·9953281	−673 −9	−97	·9953082	−701 −9	−89	·9952794	−723 −8	−82	5·3
5·4	−540 −7	−128	·9958510	−559 −7	−113	·9958608	−578 −8	−106	·9958606	−600 −8	−92	·9958512	−619 −6	−81	·9958337	−841 −8	−76	5·4
5·5	−483 −6	−120	·9963085	−600 −6	−107	·9963255	−516 −7	−94	·9963331	−632 −7	−84	·9963323	−550 −8	−78	·9963239	−568 −8	−69	5·5
5·6	−432 −6	−114	·9967160	−445 −8	−100	·9967386	−462 −6	−88	·9967524	−474 −7	−78	·9967584	−489 −7	−72	·9967573	−604 −7	−63	5·6
5·7	−387 −5	−108	·9970790	−398 −5	−94	·9971058	−412 −5	−83	·9971243	−421 −6	−72	·9971356	−434 −0	−66	·9971403	−446 −6	−59	5·7
5·8	−346 −4	−102	·9974022	−354 −5	−89	·9974320	−366 −5	−77	·9974541	−374 −3	−68	·9974694	−384 −5	−61	·9974787	−396 −6	−54	5·8
5·9	−309 −4	−97	·9976900	−318 −4	−83	·9977219	−326 −4	−73	·9977465	−332 −5	−63	·9977648	−340 −6	−66	·9977775	−350 −5	−50	5·9
6·0	−278	−92	·9979462	−282	−79	·9979793	−290 −4	−87	·9980057	−295 −4	−59	·9980262	−303 −4	−53	·9980414	−309 −5	−46	6·0

	$p = 0·0$			$p = 0·1$			$p = 0·2$			$p = 0·3$			$p = 0·4$			$p = 0·5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9975212	−249	−246	·9976304	−263	−194	·9977201	−259	−167	·9977941	−266	−131	·9978550	−269	−107	·9979052	6·0
6·1	·9977571	−223	−234	·9978633	−229	−186	·9979507	−232	−160	·9980231	−236	−123	·9980832	−241	−103	·9981330	6·1
6·2	·9979706	−204	−226	·9980733	−206	−179	·9981581	−209	−144	·9982285	−212	−116	·9982873	−217	−98	·9983363	6·2
6·3	·9981637	−184	−217	·9982627	−186	−172	·9983445	−187	−136	·9984127	−191	−112	·9984697	−194	−92	·9985175	6·3
6·4	·9983384	−165	−207	·9984335	−166	−164	·9985122	−166	−131	·9985778	−171	−105	·9986329	−174	−89	·9986792	6·4
6·5	·9984966	−152	−200	·9985875	−161	−155	·9986629	−152	−125	·9987258	−153	−100	·9987787	−155	−83	·9988233	6·5
6·6	·9986396	−136	−191	·9987264	−136	−148	·9987984	−137	−119	·9988585	−136	−95	·9989091	−139	−79	·9989518	6·6
6·7	·9987691	−124	−183	·9988517	−123	−141	·9989202	−123	−113	·9989774	−124	−90	·9990256	−124	−74	·9990664	6·7
6·8	·9988862	−111	−174	·9989647	−111	−135	·9990297	−111	−108	·9990839	−111	−84	·9991297	−116	−70	·9991685	6·8
6·9	·9989922	−101	−166	·9990666	−101	−129	·9991281	−100	−101	·9991795	−100	−81	·9992228	−98	−66	·9992595	6·9
7·0	·9990881	−91	−159	·9991584	−90	−122	·9992165	−89	−96	·9992650	−88	−76	·9993059	−88	−62	·9993406	7·0
7·1	·9991749	−83	−151	·9992413	−82	−117	·9992960	−80	−90	·9993417	−79	−72	·9993802	−79	−59	·9994129	7·1
7·2	·9992534	−74	−145	·9993160	−74	−111	·9993675	−73	−86	·9994105	−73	−69	·9994466	−71	−55	·9994773	7·2
7·3	·9993245	−69	−138	·9993833	−66	−104	·9994317	−65	−81	·9994720	−65	−64	·9995059	−63	−52	·9995346	7·3
7·4	·9993887	−60	−130	·9994440	−59	−99	·9994894	−56	−76	·9995272	−58	−61	·9995589	−56	−49	·9995857	7·4
7·5	·9994469	−54	−123	·9994988	−54	−94	·9995413	−53	−72	·9995766	−52	−57	·9996062	−50	−46	·9996313	7·5
7·6	·9994995	−49	−116	·9995482	−49	−88	·9995879	−47	−67	·9996209	−47	−54	·9996485	−45	−43	·9996718	7·6
7·7	·9995472	−46	−111	·9995927	−44	−84	·9996298	−43	−64	·9996605	−42	−50	·9996862	−40	−40	·9997079	7·7
7·8	·9995903	−41	−106	·9996328	−39	−76	·9996674	−39	−61	·9996960	−38	−46	·9997199	−36	−37	·9997401	7·8
7·9	·9996293	−38	−100	·9996690	−36	−74	·9997013	−36	−56	·9997279	−34	−45	·9997500	−32	−34	·9997687	7·9
8·0	·9996645	−35	−94	·9997016	−32	−71	·9997316	−33	−52	·9997564	−30	−43	·9997769	−29	−32	·9997942	8·0
8·1	·9996965	−32	−89	·9997310	−29	−66	·9997590	−28	−49	·9997819	−27	−40	·9998009	−26	−31	·9998169	8·1
8·2	·9997253	−29	−83	·9997575	−26	−62	·9997835	−25	−47	·9998047	−24	−36	·9998223	−23	−29	·9998371	8·2
8·3	·9997515	−26	−80	·9997814	−23	−59	·9998055	−22	−44	·9998252	−22	−34	·9998415	−20	−27	·9998551	8·3
8·4	·9997751	−24	−74	·9998030	−21	−56	·9998253	−20	−41	·9998435	−19	−32	·9998585	−17	−25	·9998711	8·4
8·5	·9997965	−22	−70	·9998224	−19	−52	·9998431	−16	−39	·9998599	−17	−29	·9998738	−16	−24	·9998853	8·5
8·6	·9998159	−20	−67	·9998399	−17	−48	·9998591	−16	−37	·9998746	−16	−27	·9998874	−15	−22	·9998980	8·6
8·7	·9998334	−17	−62	·9998557	−16	−45	·9998734	−14	−34	·9998878	−14	−26	·9998995	−14	−21	·9999093	8·7
8·8	·9998493	−16	−58	·9998699	−14	−42	·9998863	−13	−31	·9998996	−13	−26	·9999104	−13	−19	·9999193	8·8
8·9	·9998636	−13	−55	·9998828	−13	−40	·9998979	−12	−29	·9999101	−11	−23	·9999200	−11	−17	·9999282	8·9
9·0	·9998766	−11	−52	·9998943	−12	−37	·9999083	−10	−27	·9999196	−10	−22	·9999287	−10	−16	·9999362	9·0
9·1	·9998883	−10	−49	·9999048	−11	−35	·9999177	−10	−26	·9999280	−9	−20	·9999364	−9	−15	·9999432	9·1
9·2	·9998990	−10	−46	·9999142	−10	−33	·9999261	−9	−24	·9999356	−9	−19	·9999432	−8	−14	·9999495	9·2
9·3	·9999086	−9	−43	·9999226	−9	−30	·9999336	−7	−23	·9999423	−8	−17	·9999494	−7	−14	·9999551	9·3
9·4	·9999173	−8	−40	·9999303	−8	−28	·9999404	−7	−21	·9999484	−7	−16	·9999549	−7	−13	·9999601	9·4
9·5	·9999251	−7	−37	·9999371	−7	−27	·9999465	−6	−20	·9999538	−6	−14	·9999597	−6	−12	·9999645	9·5
9·6	·9999323	−6	−35	·9999434	−6	−25	·9999519	−6	−18	·9999587	−6	−13	·9999641	−6	−11	·9999685	9·6
9·7	·9999387	−5	−33	·9999489	−5	−23	·9999568	−5	−17	·9999630	−5	−12	·9999680	−5	−10	·9999720	9·7
9·8	·9999445	−4	−31	·9999540	−5	−21	·9999612	−5	−16	·9999669	−4	−11	·9999714	−4	−9	·9999751	9·8
9·9	·9999498	−4	−29	·9999585	−4	−20	·9999652	−4	−15	·9999704	−4	−10	·9999745		−8	·9999778	9·9
10·0	·9999546	−4	−27	·9999626	−4	−19	·9999687	−4	−13	·9999735	−4	−10	·9999773		−8	·9999803	10·0
10·1	·9999589	−4	−25	·9999663	−4	−16	·9999719	−4	−13	·9999763	−4	−9	·9999797		−6	·9999825	10·1
10·2	·9999628		−23	·9999696		−16	·9999748		−12	·9999788		−9	·9999820		−6	·9999844	10·2
10·3	·9999664		−22	·9999726		−14	·9999774		−12	·9999810		−8	·9999839		−6	·9999862	10·3
10·4	·9999696		−21	·9999753		−13	·9999797		−11	·9999830		−7	·9999857		−5	·9999877	10·4
10·5	·9999725		−20	·9999778		−12	·9999818		−10	·9999848		−6	·9999872		−5	·9999891	10·5
10·6	·9999751		−18	·9999800		−11	·9999836		−9	·9999864		−5	·9999886		−4	·9999903	10·6
10·7	·9999775		−17	·9999820		−10	·9999853		−8	·9999879		−6	·9999898		−4	·9999914	10·7
10·8	·9999796		−16	·9999837		−9	·9999868		−8	·9999892		−5	·9999909			·9999923	10·8
10·9	·9999815		−14	·9999853		−9	·9999882		−7	·9999903		−6	·9999919			·9999932	10·9
11·0	·9999833		−14	·9999868		−8	·9999894		−6	·9999913		−4	·9999928			·9999940	11·0
11·1	·9999849		−13	·9999881		−6	·9999904		−6	·9999922		−4	·9999936			·9999946	11·1
11·2	·9999863		−11	·9999893		−7	·9999914		−5	·9999930			·9999943			·9999952	11·2
11·3	·9999876		−11	·9999903		−6	·9999923		−5	·9999938			·9999949			·9999958	11·3
11·4	·9999888		−10	·9999913		−6	·9999931		−4	·9999945			·9999955			·9999963	11·4
11·5	·9999898		−9	·9999921		−5	·9999938			·9999950			·9999960			·9999967	11·5
11·6	·9999908		−8	·9999929		−4	·9999944			·9999955			·9999964			·9999970	11·6
11·7	·9999917		−8	·9999936		−4	·9999950			·9999960			·9999968			·9999974	11·7
11·8	·9999925		−7	·9999943		−4	·9999955			·9999964			·9999971			·9999977	11·8
11·9	·9999932		−7	·9999948			·9999960			·9999968			·9999974			·9999979	11·9
12·0	·9999939		−7	·9999953			·9999964			·9999972			·9999977			·9999981	12·0

	$p = 0{\cdot}5$		$p = 0{\cdot}6$			$p = 0{\cdot}7$			$p = 0{\cdot}8$			$p = 0{\cdot}9$			$p = 1{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−276	−92	·9979462	−283	−79	·9979793	−290 −4	−67	·9980057	−295 −4	−59	·9980262	−303 −4	−53	·9980414	−309 −5	−46	6·0
6·1	−245	−86	·9981742	−251	−76	·9982080	−257 −4	−64	·9982354	−262 −4	−55	·9982573	−269 −4	−48	·9982744	−273 −4	−44	6·1
6·2	−219	−81	·9983771	−224	−70	·9984110	−228	−60	·9984389	−232	−51	·9984617	−236	−46	·9984799	−240 −4	−39	6·2
6·3	−195	−77	·9985576	−199	−65	·9985912	−202	−56	·9986192	−206	−49	·9986423	−210	−42	·9986613	−212	−37	6·3
6·4	−175	−71	·9987182	−177	−61	·9987512	−179	−54	·9987788	−183	−44	·9988020	−186	−40	·9988212	−188	−34	6·4
6·5	−156	−66	·9988611	−158	−56	·9988931	−160	−49	·9989202	−163	−41	·9989431	−166	−37	·9989623	−168	−31	6·5
6·6	−139	−63	·9989881	−140	−54	·9990190	−142	−46	·9990453	−146	−39	·9990677	−147	−35	·9990866	−147	−28	6·6
6·7	−124	−61	·9991011	−125	−50	·9991308	−127	−44	·9991561	−129	−37	·9991778	−131	−33	·9991962	−131	−26	6·7
6·8	−111	−57	·9992016	−112	−48	·9992299	−113	−42	·9992541	−114	−36	·9992749	−116	−29	·9992928	−116	−25	6·8
6·9	−99	−53	·9992909	−100	−46	·9993178	−100	−38	·9993409	−101	−33	·9993607	−102	−26	·9993779	−101	−24	6·9
7·0	−88	−50	·9993703	−89	−43	·9993957	−88	−36	·9994176	−89	−31	·9994365	−90	−25	·9994528	−89	−22	7·0
7·1	−79	−47	·9994408	−78	−39	·9994648	−78	−34	·9994854	−78	−27	·9995033	−80	−24	·9995188	−79	−20	7·1
7·2	−70	−45	·9995035	−69	−37	·9995260	−69	−31	·9995455	−68	−25	·9995623	−70	−22	·9995769	−69	−18	7·2
7·3	−62	−42	·9995592	−62	−35	·9995803	−62	−29	·9995985	−60	−24	·9996143	−61	−21	·9996281	−61	−17	7·3
7·4	−55	−38	·9996087	−56	−33	·9996284	−56	−27	·9996454	−54	−22	·9996602	−54	−19	·9996731	−54	−16	7·4
7·5	−49	−36	·9996526	−50	−30	·9996710	−49	−25	·9996869	−48	−21	·9997007	−48	−18	·9997127	−47	−15	7·5
7·6	−44	−34	·9996917	−44	−28	·9997088	−43	−23	·9997236	−43	−20	·9997364	−42	−16	·9997476	−41	−14	7·6
7·7	−39	−32	·9997264	−39	−26	·9997423	−38	−22	·9997560	−38	−19	·9997678	−37	−14	·9997782	−36	−13	7·7
7·8	−35	−31	·9997572	−35	−24	·9997719	−34	−20	·9997846	−34	−17	·9997956	−33	−14	·9998052	−33	−12	7·8
7·9	−31	−29	·9997845	−31	−22	·9997981	−29	−18	·9998099	−30	−15	·9998200	−29	−13	·9998289	−29	−12	7·9
8·0	−28	−27	·9998088	−27	−20	·9998214	−26	−18	·9998322	−26	−14	·9998416	−27	−12	·9998497	−25	−11	8·0
8·1	−25	−25	·9998304	−25	−19	·9998420	−23	−17	·9998519	−23	−13	·9998605	−24	−11	·9998680	−22	−10	8·1
8·2	−22	−24	·9998495	−22	−18	·9998602	−21	−16	·9998693	−20	−12	·9998772	−22	−10	·9998841	−19	−9	8·2
8·3	−20	−22	·9998665	−20	−17	·9998763	−19	−15	·9998847	−18	−11	·9998920	−20	−9	·9998983	−17	−8	8·3
8·4	−18	−21	·9998816	−17	−16	·9998906	−17	−14	·9998983	−16	−10	·9999049	−17	−8	·9999107	−15	−7	8·4
8·5	−16	−19	·9998950	−15	−15	·9999032	−15	−12	·9999103	−14	−10	·9999164	−15	−8	·9999216	−13	−7	8·5
8·6	−14	−17	·9999069	−13	−14	·9999144	−13	−11	·9999209	−13	−9	·9999264	−13	−7	·9999312	−11	−6	8·6
8·7	−13	−16	·9999174	−11	−13	·9999243	−11	−10	·9999302	−11	−9	·9999353	−11	−7	·9999397	−9	−6	8·7
8·8	−11	−15	·9999268	−10	−12	·9999331	−10	−9	·9999385	−10	−8	·9999431	−10	−6	·9999471	−9	−5	8·8
8·9	−10	−13	·9999351	−9	−12	·9999408	−8	−8	·9999458	−9	−8	·9999499	−9	−6	·9999536	−8	−5	8·9
9·0	−9	−13	·9999424	−8	−11	·9999477	−8	−8	·9999522	−8	−7	·9999560	−8	−5	·9999593	−7	−4	9·0
9·1	−7	−12	·9999489	−7	−10	·9999538	−7	−7	·9999578	−7	−6	·9999613	−7	−5	·9999643	−6	−4	9·1
9·2	−7	−11	·9999548	−6	−10	·9999591	−6	−7	·9999628	−7	−5	·9999660	−6	−4	·9999687	−6	−4	9·2
9·3	−5	−10	·9999599	−6	−9	·9999639	−5	−6	·9999672	−5	−5	·9999701	−5	−4	·9999725	−5		9·3
9·4	−5	−9	·9999644	−5	−8	·9999681	−5	−6	·9999711	−5	−4	·9999737	−4	−4	·9999759	−4		9·4
9·5	−4	−9	·9999685	−5	−7	·9999718	−4	−5	·9999745	−4	−4	·9999769	−4		·9999789	−4		9·5
9·6	−4	−8	·9999721	−4	−6	·9999751	−4	−5	·9999776	−4		·9999797	−4		·9999815			9·6
9·7	−4	−8	·9999752	−4	−5	·9999780		−4	·9999802			·9999821			·9999838			9·7
9·8	−4	−7	·9999781	−4	−5	·9999805		−4	·9999826			·9999843			·9999858			9·8
9·9		−6	·9999806		−5	·9999828			·9999847			·9999862			·9999876			9·9
10·0		−6	·9999828		−4	·9999848			·9999865			·9999879			·9999891			10·0
10·1		−6	·9999847		−4	·9999866			·9999881			·9999894			·9999904			10·1
10·2		−4	·9999865			·9999881			·9999895			·9999907			·9999916			10·2
10·3		−4	·9999880			·9999895			·9999908			·9999918			·9999927			10·3
10·4			·9999894			·9999907			·9999919			·9999928			·9999936			10·4
10·5			·9999906			·9999918			·9999928			·9999937			·9999944			10·5
10·6			·9999916			·9999928			·9999937			·9999944			·9999951			10·6
10·7			·9999926			·9999936			·9999944			·9999951			·9999957			10·7
10·8			·9999935			·9999944			·9999951			·9999957			·9999962			10·8
10·9			·9999942			·9999950			·9999957			·9999962			·9999967			10·9
11·0			·9999949			·9999956			·9999962			·9999967			·9999971			11·0
11·1			·9999955			·9999961			·9999967			·9999971			·9999975			11·1
11·2			·9999960			·9999966			·9999971			·9999975			·9999978			11·2
11·3			·9999965			·9999970			·9999974			·9999978			·9999981			11·3
11·4			·9999969			·9999973			·9999977			·9999981			·9999983			11·4
11·5			·9999972			·9999976			·9999980			·9999983			·9999985			11·5
11·6			·9999975			·9999979			·9999983			·9999985			·9999987			11·6
11·7			·9999978			·9999982			·9999985			·9999987			·9999989			11·7
11·8			·9999981			·9999984			·9999987			·9999989			·9999990			11·8
11·9			·9999983			·9999986			·9999989			·9999990			·9999991			11·9
12·0			·9999985			·9999988			·9999990			·9999991			·9999992			12·0

	$p = 0{\cdot}0$			$p = 0{\cdot}1$			$p = 0{\cdot}2$			$p = 0{\cdot}3$			$p = 0{\cdot}4$			$p = 0{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
12·0	·9999939		−7	·9999953			·9999964			·9999972			·9999977			·9999981	12·0
12·1	·9999944		−7	·9999958			·9999968			·9999975			·9999980			·9999983	12·1
12·2	·9999950		−6	·9999962			·9999971			·9999977			·9999982			·9999985	12·2
12·3	·9999954		−6	·9999966			·9999974			·9999980			·9999984			·9999987	12·3
12·4	·9999959		−5	·9999969			·9999977			·9999982			·9999986			·9999989	12·4
12·5	·9999963		−5	·9999972			·9999979			·9999984			·9999987			·9999990	12·5
12·6	·9999966		−4	·9999975			·9999981			·9999985			·9999989			·9999991	12·6
12·7	·9999969		−4	·9999978			·9999983			·9999987			·9999990			·9999992	12·7
12·8	·9999972			·9999980			·9999985			·9999988			·9999991			·9999993	12·8
12·9	·9999975			·9999982			·9999986			·9999990			·9999992			·9999994	12·9
13·0	·9999977			·9999984			·9999988			·9999991			·9999993			·9999994	13·0
13·1	·9999980			·9999985			·9999989			·9999992			·9999994			·9999995	13·1
13·2	·9999981			·9999987			·9999990			·9999993			·9999994			·9999996	13·2
13·3	·9999983			·9999988			·9999991			·9999993			·9999995			·9999996	13·3
13·4	·9999985			·9999989			·9999992			·9999994			·9999996			·9999997	13·4
13·5	·9999986			·9999990			·9999993			·9999995			·9999996			·9999997	13·5
13·6	·9999988			·9999991			·9999994			·9999995			·9999996			·9999997	13·6
13·7	·9999989			·9999992			·9999994			·9999996			·9999997			·9999998	13·7
13·8	·9999990			·9999993			·9999995			·9999996			·9999997			·9999998	13·8
13·9	·9999991			·9999994			·9999995			·9999997			·9999997			·9999998	13·9
14·0	·9999992			·9999994			·9999996			·9999997			·9999998			·9999998	14·0
14·1	·9999992			·9999995			·9999996			·9999997			·9999998			·9999999	14·1
14·2	·9999993			·9999995			·9999997			·9999998			·9999998			·9999999	14·2
14·3	·9999994			·9999996			·9999997			·9999998			·9999998			·9999999	14·3
14·4	·9999994			·9999996			·9999997			·9999998			·9999999			·9999999	14·4
14·5	·9999995			·9999997			·9999998			·9999998			·9999999			·9999999	14·5
14·6	·9999995			·9999997			·9999998			·9999999			·9999999			·9999999	14·6
14·7	·9999996			·9999997			·9999998			·9999999			·9999999			·9999999	14·7
14·8	·9999996			·9999998			·9999998			·9999999			·9999999			·9999999	14·8
14·9	·9999997			·9999998			·9999999			·9999999			·9999999			·9999999	14·9
15·0	·9999997			·9999998			·9999999			·9999999			·9999999			1·0000000	15·0
15·1	·9999997			·9999998			·9999999			·9999999			·9999999				
15·2	·9999997			·9999998			·9999999			·9999999			·9999999				
15·3	·9999998			·9999999			·9999999			·9999999			1·0000000				
15·4	·9999998			·9999999			·9999999			·9999999							
15·5	·9999998			·9999999			·9999999			·9999999							
15·6	·9999998			·9999999			·9999999			1·0000000							
15·7	·9999998			·9999999			·9999999										
15·8	·9999999			·9999999			·9999999										
15·9	·9999999			·9999999			1·0000000										
16·0	·9999999			·9999999													
16·1	·9999999			·9999999													
16·2	·9999999			·9999999													
16·3	·9999999			1·0000000													
16·4	·9999999																
16·5	·9999999																
16·6	·9999999																
16·7	·9999999																
16·8	·9999999																
16·9	1·0000000																

	$p = 0{\cdot}5$		$p = 0{\cdot}6$			$p = 0{\cdot}7$			$p = 0{\cdot}8$			$p = 0{\cdot}9$			$p = 1{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
12·0			·9999985			·9999988			·9999990			·9999991			·9999992			12·0
12·1			·9999987			·9999989			·9999991			·9999992			·9999993			12·1
12·2			·9999988			·9999990			·9999992			·9999993			·9999994			12·2
12·3			·9999989			·9999991			·9999993			·9999994			·9999995			12·3
12·4			·9999991			·9999992			·9999994			·9999995			·9999995			12·4
12·5			·9999992			·9999993			·9999995			·9999995			·9999996			12·5
12·6			·9999993			·9999994			·9999995			·9999996			·9999996			12·6
12·7			·9999994			·9999995			·9999996			·9999996			·9999997			12·7
12·8			·9999994			·9999995			·9999996			·9999997			·9999997			12·8
12·9			·9999995			·9999996			·9999997			·9999997			·9999998			12·9
13·0			·9999996			·9999996			·9999997			·9999998			·9999998			13·0
13·1			·9999996			·9999997			·9999998			·9999998			·9999998			13·1
13·2			·9999997			·9999997			·9999998			·9999998			·9999998			13·2
13·3			·9999997			·9999998			·9999998			·9999998			·9999999			13·3
13·4			·9999997			·9999998			·9999998			·9999999			·9999999			13·4
13·5			·9999998			·9999998			·9999999			·9999999			·9999999			13·5
13·6			·9999998			·9999998			·9999999			·9999999			·9999999			13·6
13·7			·9999998			·9999998			·9999999			·9999999			·9999999			13·7
13·8			·9999998			·9999999			·9999999			·9999999			·9999999			13·8
13·9			·9999999			·9999999			·9999999			·9999999			·9999999			13·9
14·0			·9999999			·9999999			·9999999			·9999999			1·0000000			14·0
14·1			·9999999			·9999999			·9999999			·9999999						
14·2			·9999999			·9999999			·9999999			1·0000000						
14·3			·9999999			·9999999			·9999999									
14·4			·9999999			·9999999			1·0000000									
14·5			·9999999			·9999999												
14·6			·9999999			1·0000000												
14·7			·9999999															
14·8			1·0000000															

	$p = 1{\cdot}0$			$p = 1{\cdot}1$			$p = 1{\cdot}2$			$p = 1{\cdot}3$			$p = 1{\cdot}4$			$p = 1{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	·0
·1	·0091054	+149898 —	+5222 +267	·0071448	+135241 —	+4146 +217	·0055988	+120738 —	+3288 +173	·0043816	+106837 —	+2602 +140	·0034247	+93817 —	+2056 +112	·0026733	·1
·2	·0332006	+108779 +8237	+9325 +240	·0278137	+107638 −185	+8447 +208	·0232714	+104831 −6652	+7177 +181	·0194469	+100755 −11314	+6088 +157	·0162311	+85761 −14411	+5156 +136	·0135309	·2
·3	·0681737	+75897 +6783	+12607 +161	·0592464	+79850 +3663	+11080 +147	·0514271	+82272 +808	+9799 +134	·0445877	+83359 −1714	+8653 +122	·0386136	+83294 −3838	+7628 +111	·0334023	·3
·4	·1107365	+49798 +6561	+13370 +92	·0986641	+55725 +4963	+12184 +86	·0878100	+60521 +2548	+11034 +83	·0780644	+64249 +1085	+10068 +78	·0693255	+66989 −290	+9129 +74	·0614995	·4
·5	·1582791	+29260 +4553	+13051 +43	·1436543	+35668 +3800	+12165 +44	·1302450	+41318 +2968	+11303 +43	·1179660	+46224 +2083	+10493 +42	·1067363	+50394 +1207	+9728 +41	·0964792	·5
·6	·2087477	+13275 +3706	+11998 +14	·1922108	+19401 +3336	+11379 +13	·1768118	+25083 +2899	+10772 +13	·1624900	+30292 +2389	+10183 +14	·1491865	+35006 +1848	+9617 +15	·1368437	·6
·7	·2605438	+898 +3009	+10548 −2	·2427074	+6475 +2861	+10159 −2	·2258869	+11740 +2642	+9768 −1	·2100432	+16749 +2362	+9378 −1	·1951373	+21466 +2036	+8987 +1	·1811301	·7
·8	·3124395	−8274 +2426	+8933 −10	·2938515	−3590 +2400	+8725 −10	·2761360	+1039 +2317	+8508 −10	·2592713	+5568 +2188	+8281 −9	·2432347	+9962 +2012	+8045 −7	·2280027	·8
·9	·3635078	−15118 +1950	+7310 −11	·3446366	−11256 +1984	+7236 −12	·3264890	−7345 +1982	+7148 −13	·3090562	−3425 +1941	+7049 −13	·2923283	+470 +1866	+6937 −12	·2762941	·9
1·0	·4130643	−20012 +1554	+5778 −10	·3942962	−16986 +1623	+5794 −11	·3761075	−13747 +1672	+5798 −12	·3584986	−10477 +1687	+5791 −13	·3414689	−7156 +1678	+5772 −13	·3250164	1·0
1·1	·4606196	−23359 +1229	+4391 −5	·4422622	−20988 +1317	+4466 −7	·4243513	−18477 +1387	+4629 −9	·4068933	−15842 +1431	+4586 −10	·3898939	−13109 +1455	+4630 −10	·3733575	1·1
1·2	·5058397	−25463 +962	+3177 −3	·4881294	−23723 +1054	+3283 −4	·4707474	−21820 +1127	+3384 −7	·4537038	−19776 +1194	+3478 −8	·4370080	−17607 +1245	+3563 −8	·4206685	1·2
1·3	·5485135	−26612 +746	+2260 −1	·5316243	−25404 +834	+2260 −3	·5149615	−24038 +910	+2384 −5	·4985367	−22516 +985	+2495 −6	·4823614	−20860 +1039	+2604 −7	·4664465	1·3
1·4	·5885261	−27016 +570	+1281 +1	·5725788	−26261 +651	+1405 −1	·5567720	−25392 +722	+1528 −2	·5411180	−24271 +796	+1648 −3	·5256288	−23074 +862	+1764 −4	·5103160	1·4
1·5	·6258372	−26848 +426	+684 +3	·6109082	−26447 +496	+701 +1	·5960493	−25908 +567	+818 −1	·5812722	−25230 +633	+937 −2	·5665888	−24426 +698	+1052 −2	·5520106	1·5
1·6	·6604635	−26255 +308	+32 +4	·6465929	−26146 +375	+137 +2	·6327360	−25913 +442	+243 +1	·6189034	−25556 +501	+354 0	·6051062	−25080 +555	+464 −1	·5913554	1·6
1·7	·6924643	−25364 +218	−394 +5	·6796630	−25470 +272	−303 +4	·6668314	−25478 +330	−208 +3	·6539790	−25381 +379	−110 +2	·6411156	−26179 +434	−12 +1	·6282510	1·7
1·8	·7219297	−24230 +144	−709 +6	·7101861	−24522 +193	−635 +5	·6983790	−24721 +242	−554 +5	·6865165	−24827 +284	−469 +4	·6746071	−24844 +333	−385 +3	·6626592	1·8
1·9	·7489721	−22965 +89	−937 +7	·7382570	−23381 +128	−874 +6	·7274545	−23722 +164	−807 +5	·7165713	−23989 +203	−738 +4	·7056142	−24178 +247	−666 +3	·6945905	1·9
2·0	·7737180	−21611 +42	−1088 +7	·7639898	−22117 +73	−1038 +6	·7541578	−22562 +106	−986 +6	·7442272	−22943 +136	−929 +4	·7342037	−23261 +175	−869 +3	·7240933	2·0
2·1	·7963028	−20215 +9	−1178 +5	·7875109	−20780 +33	−1141 +4	·7786049	−21296 +69	−1101 +4	·7695888	−21761 +89	−1056	·7604671	−22178 +117	−1007	·7512447	2·1
2·2	·8168661	−18810 −20	−1220 +5	·8089540	−19410 +2	−1195 +4	·8009224	−19971 +26	−1165 +4	·7927743	−20490 +45	−1130	·7845132	−20968 +68	−1093	·7761428	2·2
2·3	·8355484	−17425 −39	−1226 +4	·8284561	−18038 −24	−1210 +4	·8212428	−18621 −8	−1187	·8139108	−19174 +11	−1163	·8064625	−19695 +32	−1135	·7989007	2·3
2·4	·8524882	−16079 −51	−1206 +4	·8461544	−16690 −43	−1195	·8397011	−17279 −30	−1179	·8331299	−17847 −12	−1164	·8264423	−18388 +4	−1142	·8196405	2·4
2·5	·8678201	−14784 −61	−1164 +4	·8621837	−15383 −56	−1158	·8564315	−15967 −39	−1150	·8505643	−16532 −33	−1138	·8445833	−17080 −20	−1126	·8384898	2·5
2·6	·8816735	−13552 −68	−1109	·8766747	−14128 −63	−1106	·8715652	−14694 −49	−1102	·8663455	−15250 −47	−1083	·8610163	−15794 −38	−1088	·8555783	2·6
2·7	·8941719	−12385 −75	−1042	·8897529	−12936 −67	−1044	·8852295	−13480 −59	−1044	·8806017	−14015 −57	−1040	·8758699	−14542 −54	−1036	·8710345	2·7
2·8	·9054317	−11293 −78	−973	·9015375	−11810 −70	−975	·8975458	−12325 −68	−977	·8934564	−12837 −64	−977	·8892693	−13344 −59	−976	·8849846	2·8
2·9	·9155622	−10273 −72	−901	·9121411	−10757 −70	−904	·9086296	−11239 −70	−907	·9050274	−11721 −69	−909	·9013343	−12201 −66	−909	·8975503	2·9
3·0	·9246654	−9325 −70	−828	·9216690	−9773 −69	−831	·9185895	−10225 −70	−837	·9154263	−10675 −69	−839	·9121792	−11125 −68	−841	·9088480	3·0
3·1	·9328361	−8449 −68	−757	·9302196	−8863 −68	−762	·9275269	−9276 −72	−765	·9247577	−9694 −70	−769	·9219116	−10114 −70	−772	·9189883	3·1
3·2	·9401619	−7641 −66	−689	·9378839	−8018 −65	−692	·9355367	−8402 −69	−698	·9331197	−8787 −68	−701	·9306326	−9175 −68	−705	·9280750	3·2
3·3	·9467236	−6900 −63	−625	·9447464	−7246 −63	−629	·9427063	−7593 −66	−632	·9406030	−7945 −67	−636	·9384361	−8301 −66	−639	·9362053	3·3
3·4	·9525953	−6221 −60	−565	·9508843	−6633 −61	−568	·9491166	−6850 −63	−371	·9472918	−7172 −64	−574	·9454095	−7496 −65	−578	·9434695	3·4
3·5	·9578449	−5602 −56	−510	·9563690	−5883 −57	−512	·9548419	−6170 −58	−514	·9532634	−6460 −62	−517	·9516333	−6756 −64	−520	·9499512	3·5
3·6	·9625343	−5037 −52	−459	·9612652	−5290 −55	−460	·9599502	−5548 −52	−461	·9585890	−5810 −59	−464	·9571815	−6078 −62	−466	·9557273	3·6
3·7	·9667200	−4524 −48	−412	·9656325	−4752 −50	−412	·9645037	−4983 −49	−413	·9633336	−5219 −56	−416	·9621219	−5457 −58	−417	·9608686	3·7
3·8	·9704533	−4059 −43	−370	·9695246	−4261 −48	−369	·9685589	−4467 −47	−370	·9675563	−4678 −52	−370	·9665166	−4894 −53	−372	·9654397	3·8
3·9	·9737807	−3637 −39	−332	·9729906	−3818 −44	−331	·9721674	−4002 −44	−330	·9713112	−4191 −48	−330	·9704219	−4382 −48	−331	·9694995	3·9
4·0	·9767444	−3258 −36	−298	·9760748	−3416 −41	−296	·9753757	−3581 −39	−295	·9746470	−3746 −44	−294	·9738890	−3918 −44	−294	·9731015	4·0
4·1	·9793823	−2912 −33	−268	·9788174	−3055 −36	−265	·9782259	−3198 −37	−263	·9776082	−3347 −38	−262	·9769643	−3498 −42	−261	·9762942	4·1
4·2	·9817290	−2604 −30	−240	·9812545	−2728 −33	−237	·9807563	−2855 −35	−234	·9802347	−2986 −35	−233	·9796898	−3120 −38	−232	·9791217	4·2
4·3	·9838153	−2326 −25	−216	·9834188	−2434 −31	−212	·9830012	−2547 −31	−209	·9825626	−2662 −32	−207	·9821033	−2780 −34	−206	·9816234	4·3
4·4	·9856690	−2073 −23	−194	·9853397	−2171 −27	−190	·9849914	−2270 −29	−187	·9846243	−2370 −29	−184	·9842388	−2472 −30	−183	·9838351	4·4
4·5	·9873154	−1851 −19	−176	·9870435	−1933 −25	−170	·9867546	−2018 −26	−167	·9864491	−2107 −26	−164	·9861271	−2200 −27	−162	·9857889	4·5
4·6	·9887767	−1648 −18	−158	·9885540	−1729 −23	−153	·9883160	−1797 −23	−149	·9880630	−1874 −23	−146	·9877954	−1952 −24	−144	·9875134	4·6
4·7	·9900732	−1468 −16	−143	·9898923	−1531 −21	−138	·9896977	−1597 −20	−134	·9894896	−1663 −21	−130	·9892685	−1733 −22	−128	·9890346	4·7
4·8	·9912229	−1305 −14	−130	·9910775	−1361 −18	−124	·9909197	−1417 −18	−120	·9907499	−1477 −20	−116	·9905683	−1535 −20	−114	·9903755	4·8
4·9	·9922421	−1163 −13	−118	·9921266	−1209 −16	−112	·9920000	−1259 −16	−108	·9918625	−1308 −18	−104	·9917146	−1361 −18	−101	·9915566	4·9
5·0	·9931450	−1031 −11	−107	·9930548	−1078 −14	−102	·9929544	−1115 −14	−97	·9928443	−1160 −15	−93	·9927248	−1204 −16	−90	·9925963	5·0
5·1	·9939448	−918 −9	−98	·9938757	−954 −13	−92	·9937973	−989 −12	−83	·9937101	−1025 −13	−84	·9936146	−1065 −15	−81	·9935110	5·1
5·2	·9946528	−814 −0	−90	·9946012	−843 −11	−84	·9945413	−876 −11	−79	·9944734	−909 −12	−75	·9943979	−941 −14	−72	·9943152	5·2
5·3	·9952794	−723 −8	−82	·9952424	−750 −10	−76	·9951977	−775 −10	−72	·9951458	−802 −11	−68	·9950871	−831 −12	−65	·9950220	5·3
5·4	·9958337	−641 −8	−76	·9958086	−662 −9	−70	·9957766	−686 −10	−65	·9957380	−708 −10	−61	·9956932	−733 −10	−58	·9956427	5·4
5·5	·9963239	−568 −8	−69	·9963086	−588 −8	−64	·9962869	−607 −9	−59	·9962592	−626 −9	−55	·9962260	−648 −9	−52	·9961875	5·5
5·6	·9967573	−504 −7	−63	·9967498	−519 −8	−58	·9967365	−537 −8	−54	·9967178	−552 −8	−50	·9966940	−563 −8	−47	·9966655	5·6
5·7	·9971403	−446 −6	−59	·9971391	−459 −7	−53	·9971326	−474 −7	−48	·9971212	−488 −8	−46	·9971051	−503 −8	−43	·9970847	5·7
5·8	·9974787	−396 −6	−54	·9974825	−407 −6	−49	·9974814	−418 −7	−45	·9974757	−429 −7	−42	·9974659	−442 −7	−39	·9974522	5·8
5·9	·9977775	−350 −5	−50	·9977852	−359 −6	−45	·9977883	−369 −6	−41	·9977873	−377 −7	−38	·9977825	−390 −6	−35	·9977741	5·9
6·0	·9980414	−309 −5	−46	·9980520	−317 −5	−42	·9980584	−325 −6	−38	·9980610	−333 −6	−35	·9980601	−342 −6	−32	·9980560	6·0

	$p = 1{\cdot}5$		$p = 1{\cdot}6$			$p = 1{\cdot}7$			$p = 1{\cdot}8$			$p = 1{\cdot}9$			$p = 2{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0
·1	+81843 —	+1623 +90	·0020842	+70983 —	+1278 +72	·0016230	+61247 —	+1008 +57	·0012623	+52603 —	+790 +45	·0009806	+44991 —	+620 +36	·0007610	+38333 —	+488 +28	·1
·2	+90138 −16175	+4360 +118	·0112667	+84131 −16850	+3681 +101	·0093707	+77938 −16692	+3103 +87	·0077849	+71723 −15899	+2612 +75	·0064603	+65809 −14880	+2196 +64	·0053553	+59691 −13131	+1843 +54	·2
·3	+82258 −6553	+6713 +100	·0288623	+66420 −8884	+5900 +91	·0249122	+77937 −7801	+5176 +82	·0214798	+74944 −8380	+4535 +74	·0185009	+71567 −8842	+3967 +66	·0159187	+67918 −8838	+3465 +61	·3
·4	+68825 −1544	+8266 +70	·0544999	+69845 −2650	+7470 +68	·0482474	+70135 −3585	+6742 +62	·0426691	+69785 −4350	+6075 +58	·0376982	+68883 −4952	+5480 +54	·0332739	+67507 −5382	+4910 +50	·4
·5	+53848 +348	+8999 +40	·0871220	+56620 −473	+8313 +40	·0785961	+58748 −1235	+7667 +39	·0708369	+60276 −1928	+7061 +38	·0637838	+61247 −2532	+6491 +37	·0573798	+61714 −3057	+5961 +35	·5
·6	+39219 +1272	+9662 +16	·1254061	+42922 +700	+8611 +17	·1148196	+46128 +127	+7992 +18	·1050323	+48839 −424	+7491 +19	·0959941	+51079 −949	+7012 +20	·0876571	+52864 −1430	+6551 +21	·6
·7	+26862 +1683	+8595 +4	·1679824	+29924 +1290	+8210 +6	·1556557	+33631 +890	+7826 +7	·1441116	+36978 +482	+7448 +8	·1333123	+39682 +75	+7073 +8	·1232208	+42564 −324	+6714 +8	·7
·8	+14188 +1765	+7804 −6	·2135511	+18218 +1655	+7554 −5	·1998549	+22026 +1288	+7300 −4	·1868887	+25599 +999	+7042 −3	·1746267	+28920 +703	+6782 −2	·1630429	+31980 +398	+6517 0	·8
·9	+4309 +1758	+6816 −11	·2609414	+8063 +1618	+6680 −10	·2462567	+11707 +1455	+6537 −9	·2322257	+15219 +1269	+6384 −8	·2188331	+18631 +1059	+6225 −7	·2060630	+21774 +840	+6055 −6	·9
1·0	−3812 +1632	+5737 −14	·3091380	−472 +1563	+5699 −13	·2938292	+2843 +1477	+5644 −12	·2790846	+6108 +1369	+5577 −12	·2648976	+9301 +1235	+5500 −11	·2512605	+12408 +1087	+5410 −10	1·0
1·1	−10301 +1460	+4657 −11	·3572872	−7438 +1438	+4696 −11	·3416860	−4540 +1403	+4695 −12	·3265543	−1643 +1358	+4699 −13	·3118922	+1258 +1278	+4687 −13	·2976988	+4129 +1190	+4663 −11	1·1
1·2	−15330 +1274	+3638 −9	·4046930	−12086 +1294	+3708 −10	·3890882	−10530 +1293	+3768 −11	·3738597	−8038 +1272	+3813 −12	·3590124	−5611 +1247	+3850 −12	·3445500	−2960 +1201	+3877 −11	1·2
1·3	−19085 +1021	+2704 −7	·4508020	−17200 +1125	+2799 −8	·4354374	−15221 +1151	+2885 −9	·4203613	−13161 +1166	+2963 −10	·4055815	−11031 +1161	+3035 −10	·3911052	−8848 +1150	+3095 −10	1·3
1·4	−21749 +915	+1878 −5	·4951910	−20309 +964	+1984 −5	·4802645	−18761 +999	+2089 −6	·4655468	−17118 +1027	+2184 −6	·4510475	−15390 +1049	+2274 −6	·4367756	−13588 +1058	+2357 −7	1·4
1·5	−23498 +755	+1167 −3	·5375491	−22454 +806	+1279 −3	·5232155	−21302 +854	+1386 −4	·5090205	−20048 +894	+1490 −4	·4949745	−18700 +925	+1589 −4	·4810874	−17268 +950	+1683 −5	1·5
1·6	−24492 +612	+572 −2	·5776618	−23793 +664	+681 −2	·5640363	−22959 +713	+786 −2	·5504894	−22084 +755	+890 −3	·5370315	−21085 +798	+990 −3	·5236726	−19996 +831	+1087 −3	1·6
1·7	−24874 +487	+88 0	·6153952	−24468 +537	+188 −1	·6025582	−23963 +582	+287 −1	·5897499	−23365 +631	+384 −1	·5769800	−22674 +672	+481 −2	·5642582	−21895 +710	+576 −2	1·7
1·8	−24769 +379	−295 +2	·6506818	−24608 +427	−206 +1	·6386838	−24355 +470	−119 +1	·6266739	−24016 +515	−29 +1	·6146611	−23591 +557	+60 0	·6026543	−23084 +598	+149 −1	1·8
1·9	−24285 +287	−590 +2	·6835078	−24317 +329	−512 +2	·6723739	−24271 +369	−436 +2	·6611964	−24150 +411	−358 +1	·6499831	−23951 +460	−278 +1	·6387420	−23677 +489	−198 0	1·9
2·0	−23514 +210	−808 +2	·7139021	−23699 +249	−740 +2	·7036369	−23821 +280	−678 +1	·6933039	−23874 +320	−609 0	·6829100	−23881 +360	−541 −1	·6724620	−23781 +396	−472 −1	2·0
2·1	−22593 +150	−958	·7419265	−22838 +184	−905	·7325178	−23085 +210	−851	·7230240	−23278 +240	−794	·7134508	−23411 +274	−737	·7038039	−23489 +309	−679	2·1
2·2	−21402 +98	−1053	·7676671	−21793 +120	−1019	·7590902	−22139 +149	−968	·7504165	−22438 +178	−923	·7416505	−22687 +205	−878	·7327969	−22888 +233	−827	2·2
2·3	−20181 +55	−1105	·7912284	−20692 +79	−1074	·7834487	−21044 +97	−1038	·7755652	−21419 +117	−1002	·7675815	−21758 +148	−967	·7595011	−22054 +174	−928	2·3
2·4	−18905 +20	−1122	·8127265	−19392 +39	−1097	·8057028	−19852 +63	−1071	·7985720	−20283 +78	−1045	·7913367	−20679 +98	−1015	·7839999	−21046 +119	−985	2·4
2·5	−17608 −10	−1109	·8322854	−18118 +8	−1093	·8259717	−18605 +23	−1075	·8195505	−19067 +37	−1053	·8130240	−19507 +53	−1034	·8063941	−19919 +71	−1009	2·5
2·6	−16323 −29	−1078	·8500325	−16835 −18	−1066	·8443801	−17333 −2	−1054	·8386223	−17814 +8	−1039	·8327606	−18277 +21	−1025	·8267964	−18721 +33	−1008	2·6
2·7	−15061 −45	−1030	·8660961	−15571 −36	−1025	·8610552	−16068 −20	−1018	·8559127	−16553 −14	−1007	·8506695	−17024 −1	−997	·8453266	−17480 +3	−985	2·7
2·8	−13844 −53	−973	·8806026	−14338 −49	−971	·8761235	−14828 −35	−966	·8715478	−15304 −32	−961	·8668760	−15774 −20	−954	·8621088	−16238 −15	−949	2·8
2·9	−12680 −58	−910	·8936753	−13164 −58	−910	·8897093	−13624 −48	−908	·8856525	−14089 −45	−908	·8815051	−14548 −33	−903	·8772674	−15000 −30	−899	2·9
3·0	−11574 −66	−842	·9054326	−12024 −63	−844	·9019327	−12471 −58	−845	·8983483	−12917 −56	−845	·8946794	−13360 −50	−844	·8909260	−13799 −43	−843	3·0
3·1	−10538 −69	−775	·9159875	−10957 −65	−777	·9129090	−11380 −63	−781	·9097524	−11809 −63	−781	·9065177	−12223 −57	−783	·9032047	−12643 −53	−784	3·1
3·2	−9584 −69	−707	·9254467	−9957 −66	−711	·9227473	−10352 −67	−718	·9199763	−10746 −67	−717	·9171337	−11143 −64	−720	·9142191	−11540 −61	−722	3·2
3·3	−8681 −68	−643	·9339102	−9023 −68	−647	·9315504	−9388 −69	−650	·9291256	−9757 −68	−654	·9266354	−10127 −66	−656	·9240795	−10498 −65	−660	3·3
3·4	−7826 −67	−581	·9414714	−8160 −68	−585	·9394147	−8493 −69	−588	·9372992	−8833 −68	−592	·9351244	−9174 −68	−598	·9328901	−9521 −67	−600	3·4
3·5	−7058 −64	−523	·9482167	−7357 −69	−527	·9464297	−7667 −67	−530	·9445895	−7977 −68	−534	·9426960	−8293 −67	−538	·9407486	−8609 −68	−542	3·5
3·6	−6348 −60	−469	·9542263	−6625 −64	−472	·9526780	−6903 −63	−476	·9510821	−7187 −63	−480	·9494383	−7474 −66	−483	·9477462	−7766 −68	−487	3·6
3·7	−5702 −57	−419	·9595734	−5960 −62	−422	·9582360	−6204 −69	−425	·9568560	−6460 −60	−428	·9554332	−6722 −62	−432	·9539672	−6987 −68	−436	3·7
3·8	−5113 −54	−374	·9643255	−5337 −59	−378	·9631736	−5564 −58	−379	·9619839	−5797 −56	−382	·9607559	−6031 −60	−386	·9594895	−6271 −62	−388	3·8
3·9	−4578 −50	−332	·9685439	−4778 −54	−334	·9675548	−4982 −58	−338	·9665321	−5190 −63	−339	·9654755	−5403 −55	−342	·9643847	−5619 −58	−345	3·9
4·0	−4093 −46	−295	·9722845	−4271 −50	−297	·9714378	−4453 −52	−298	·9705613	−4639 −50	−300	·9696548	−4828 −52	−303	·9687180	−5021 −54	−305	4·0
4·1	−3652 −42	−262	·9755980	−3811 −47	−263	·9748755	−3973 −49	−264	·9741267	−4140 −46	−265	·9733513	−4309 −48	−267	·9725492	−4483 −50	−269	4·1
4·2	−3258 −39	−232	·9785304	−3398 −44	−232	·9779159	−3542 −48	−233	·9772781	−3688 −42	−234	·9766169	−3839 −44	−236	·9759321	−3991 −46	−237	4·2
4·3	−2900 −37	−205	·9811230	−3023 −40	−205	·9806021	−3150 −42	−206	·9800607	−3281 −40	−206	·9794986	−3413 −40	−207	·9789159	−3551 −42	−208	4·3
4·4	−2579 −35	−182	·9834133	−2690 −38	−181	·9829733	−2801 −38	−181	·9825152	−2915 −36	−181	·9820390	−3032 −35	−182	·9815446	−3152 −38	−183	4·4
4·5	−2293 −31	−161	·9854346	−2386 −34	−160	·9850644	−2485 −34	−160	·9846782	−2585 −34	−159	·9842762	−2690 −33	−160	·9838581	−2795 −35	−160	4·5
4·6	−2033 −28	−142	·9872173	−2118 −28	−141	·9869070	−2203 −30	−140	·9865827	−2292 −28	−140	·9862444	−2381 −30	−140	·9858921	−2474 −32	−140	4·6
4·7	−1803 −25	−126	·9887882	−1876 −25	−124	·9885293	−1951 −27	−124	·9882580	−2027 −24	−123	·9879745	−2107 −28	−123	·9876787	−2188 −29	−123	4·7
4·8	−1598 −22	−112	·9901715	−1661 −23	−110	·9899565	−1726 −25	−109	·9897306	−1794 −22	−108	·9894939	−1861 −26	−108	·9892465	−1932 −27	−107	4·8
4·9	−1414 −20	−99	·9913887	−1469 −21	−97	·9912111	−1526 −23	−96	·9910238	−1582 −20	−95	·9908272	−1643 −24	−94	·9906211	−1705 −24	−94	4·9
5·0	−1250 −18	−88	·9924590	−1297 −20	−86	·9923131	−1345 −21	−85	·9921588	−1397 −18	−83	·9919962	−1449 −20	−83	·9918252	−1501 −22	−82	5·0
5·1	−1105 −16	−78	·9933996	−1146 −18	−76	·9932806	−1189 −20	−75	·9931541	−1232 −18	−73	·9930203	−1276 −18	−72	·9928792	−1322 −20	−71	5·1
5·2	−974 −14	−70	·9942256	−1010 −16	−68	·9941292	−1048 −18	−66	·9940262	−1083 −14	−65	·9939168	−1122 −16	−64	·9938010	−1161 −16	−62	5·2
5·3	−861 −12	−62	·9949506	−890 −14	−60	·9948733	−923 −18	−58	·9947900	−952 −13	−57	·9947011	−986 −14	−56	·9946067	−1022 −18	−55	5·3
5·4	−759 −11	−56	·9955866	−785 −12	−54	·9955251	−810 −15	−52	·9954584	−838 −12	−50	·9953868	−867 −12	−46	·9953102	−895 −15	−48	5·4
5·5	−668 −10	−50	·9961441	−690 −11	−48	·9960959	−713 −13	−46	·9960430	−738 −11	−45	·9959858	−760 −11	−43	·9959242	−785 −13	−42	5·5
5·6	−588 −10	−45	·9966326	−607 −10	−43	·9965954	−627 −11	−41	·9965540	−648 −10	−39	·9965088	−667 −10	−38	·9964597	−688 −11	−37	5·6
5·7	−517 −9	−40	·9970604	−533 −9	−38	·9970322	−549 −10	−36	·9970004	−567 −9	−35	·9969651	−584 −10	−34	·9969264	−602 −10	−32	5·7
5·8	−456 −8	−36	·9974349	−469 −8	−34	·9974141	−482 −9	−33	·9973901	−498 −8	−31	·9973630	−511 −9	−30	·9973329	−527 −9	−29	5·8
5·9	−400 −7	−33	·9977625	−411 −7	−31	·9977478	−423 −8	−29	·9977302	−436 −7	−28	·9977098	−447 −8	−26	·9976867	−459 −8	−25	5·9
6·0	−351 −7	−30	·9980490	−361 −7	−28	·9980392	−371 −7	−26	·9980267	−382 −7	−25	·9980119	−393 −7	−23	·9979946	−403 −8	−22	6·0

	$p = 1{\cdot}0$			$p = 1{\cdot}1$			$p = 1{\cdot}2$			$p = 1{\cdot}3$			$p = 1{\cdot}4$			$p = 1{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9980414	−309 −5	−45	·9980520	−317 −5	−42	·9980584	−325 −6	−38	·9980610	−333 −5	−35	·9980601	−342 −6	−32	·9980560	6·0
6·1	·9982744	−273 −4	−44	·9982871	−280 −4	−38	·9982960	−287 −5	−34	·9983014	−295 −5	−32	·9983035	−300 −5	−29	·9983028	6·1
6·2	·9984799	−240 −4	−39	·9984942	−248 −4	−35	·9985049	−253 −4	−32	·9985123	−259 −5	−29	·9985169	−266 −5	−26	·9985188	6·2
6·3	·9986613	−212	−37	·9986765	−216	−33	·9986885	−223 −4	−29	·9986975	−227 −4	−27	·9987037	−231 −4	−24	·9987076	6·3
6·4	·9988212	−188	−34	·9988371	−194	−31	·9988498	−195	−27	·9988598	−199	−24	·9988674	−204	−22	·9988728	6·4
6·5	·9989623	−168	−31	·9989783	−171	−28	·9989916	−172	−25	·9990023	−175	−22	·9990107	−179	−20	·9990171	6·5
6·6	·9990866	−147	−28	·9991026	−150	−28	·9991160	−151	−23	·9991271	−154	−20	·9991361	−157	−18	·9991432	6·6
6·7	·9991962	−131	−26	·9992119	−130	−24	·9992253	−133	−21	·9992365	−135	−19	·9992458	−138	−17	·9992533	6·7
6·8	·9992928	−115	−25	·9993082	−115	−22	·9993212	−117	−20	·9993324	−119	−18	·9993417	−120	−16	·9993495	6·8
6·9	·9993779	−101	−24	·9993927	−102	−20	·9994054	−103	−18	·9994163	−104	−16	·9994256	−106	−14	·9994334	6·9
7·0	·9994528	−89	−22	·9994670	−90	−19	·9994792	−90	−17	·9994898	−91	−15	·9994989	−93	−13	·9995067	7·0
7·1	·9995188	−79	−20	·9995323	−79	−18	·9995440	−79	−15	·9995542	−80	−14	·9995629	−80	−12	·9995705	7·1
7·2	·9995769	−69	−18	·9995897	−70	−16	·9996008	−70	−14	·9996105	−70	−13	·9996189	−71	−11	·9996262	7·2
7·3	·9996281	−61	−17	·9996401	−61	−15	·9996506	−61	−13	·9996598	−62	−11	·9996678	−63	−10	·9996748	7·3
7·4	·9996731	−54	−16	·9996844	−53	−14	·9996942	−53	−12	·9997029	−54	−10	·9997104	−53	−9	·9997171	7·4
7·5	·9997127	−47	−15	·9997232	−46	−13	·9997325	−48	−11	·9997406	−48	−10	·9997477	−48	−9	·9997540	7·5
7·6	·9997476	−41	−14	·9997574	−41	−12	·9997660	−40	−10	·9997735	−42	−9	·9997802	−40	−8	·9997861	7·6
7·7	·9997782	−36	−13	·9997873	−36	−11	·9997953	−38	−9	·9998023	−37	−8	·9998085	−35	−7	·9998140	7·7
7·8	·9998052	−33	−12	·9998136	−33	−10	·9998210	−32	−8	·9998275	−32	−8	·9998333	−31	−7	·9998384	7·8
7·9	·9998289	−29	−12	·9998366	−29	−9	·9998435	−28	−8	·9998495	−28	−7	·9998548	−27	−5	·9998595	7·9
8·0	·9998497	−25	−11	·9998569	−26	−8	·9998632	−24	−7	·9998687	−24	−6	·9998736	−24	−5	·9998780	8·0
8·1	·9998680	−22	−10	·9998746	−22	−8	·9998804	−21	−6	·9998855	−21	−5	·9998900	−21	−5	·9998940	8·1
8·2	·9998841	−19	−9	·9998902	−20	−7	·9998955	−19	−6	·9999002	−19	−5	·9999043	−19	−5	·9999080	8·2
8·3	·9998983	−17	−8	·9999038	−17	−6	·9999087	−17	−5	·9999130	−17	−4	·9999167	−17	−4	·9999201	8·3
8·4	·9999107	−15	−7	·9999158	−15	−6	·9999202	−15	−5	·9999241	−15	−4	·9999276	−15	−4	·9999306	8·4
8·5	·9999216	−13	−7	·9999263	−14	−5	·9999303	−13	−4	·9999339	−13	−4	·9999370	−12		·9999398	8·5
8·6	·9999312	−11	−6	·9999354	−12	−5	·9999391	−11	−4	·9999424	−11		·9999452	−10		·9999478	8·6
8·7	·9999397	−9	−6	·9999435	−11	−4	·9999468	−10	−4	·9999498	−10		·9999524	−9		·9999547	8·7
8·8	·9999471	−9	−5	·9999505	−9	−4	·9999535	−9		·9999562	−9		·9999586	−8		·9999607	8·8
8·9	·9999536	−8	−5	·9999567	−8	−4	·9999595	−8		·9999619	−8		·9999640	−7		·9999659	8·9
9·0	·9999593	−7	−4	·9999621	−7		·9999646	−7		·9999668	−6		·9999687	−6		·9999704	9·0
9·1	·9999643	−6	−4	·9999669	−6		·9999691	−6		·9999711	−6		·9999728	−5		·9999744	9·1
9·2	·9999687	−6	−4	·9999710	−5		·9999730	−5		·9999748	−5		·9999764	−5		·9999778	9·2
9·3	·9999725	−5		·9999746	−4		·9999764	−4		·9999781	−4		·9999794	−4		·9999807	9·3
9·4	·9999759	−4		·9999778	−4		·9999794	−4		·9999809	−4		·9999821			·9999833	9·4
9·5	·9999789	−4		·9999806	−4		·9999821	−4		·9999834			·9999845			·9999855	9·5
9·6	·9999815			·9999830			·9999844			·9999856			·9999865			·9999874	9·6
9·7	·9999838			·9999852			·9999863			·9999874			·9999883			·9999891	9·7
9·8	·9999858			·9999870			·9999881			·9999890			·9999898			·9999906	9·8
9·9	·9999876			·9999886			·9999896			·9999904			·9999912			·9999919	9·9
10·0	·9999891			·9999901			·9999909			·9999917			·9999924			·9999929	10·0
10·1	·9999904			·9999913			·9999921			·9999928			·9999934			·9999939	10·1
10·2	·9999916			·9999924			·9999931			·9999937			·9999942			·9999947	10·2
10·3	·9999927			·9999934			·9999940			·9999946			·9999950			·9999954	10·3
10·4	·9999936			·9999942			·9999948			·9999953			·9999957			·9999960	10·4
10·5	·9999944			·9999950			·9999954			·9999959			·9999962			·9999966	10·5
10·6	·9999951			·9999956			·9999960			·9999964			·9999967			·9999970	10·6
10·7	·9999957			·9999962			·9999965			·9999969			·9999972			·9999974	10·7
10·8	·9999962			·9999966			·9999970			·9999973			·9999976			·9999978	10·8
10·9	·9999967			·9999970			·9999974			·9999977			·9999979			·9999981	10·9
11·0	·9999971			·9999974			·9999977			·9999980			·9999982			·9999983	11·0
11·1	·9999975			·9999977			·9999980			·9999982			·9999984			·9999986	11·1
11·2	·9999978			·9999980			·9999983			·9999984			·9999986			·9999988	11·2
11·3	·9999981			·9999983			·9999985			·9999986			·9999988			·9999989	11·3
11·4	·9999983			·9999985			·9999987			·9999988			·9999990			·9999991	11·4
11·5	·9999985			·9999987			·9999989			·9999990			·9999991			·9999992	11·5
11·6	·9999987			·9999989			·9999990			·9999991			·9999992			·9999993	11·6
11·7	·9999989			·9999990			·9999991			·9999992			·9999993			·9999994	11·7
11·8	·9999990			·9999991			·9999992			·9999993			·9999994			·9999995	11·8
11·9	·9999991			·9999992			·9999993			·9999994			·9999995			·9999996	11·9
12·0	·9999992			·9999993			·9999994			·9999995			·9999996			·9999996	12·0

	$p = 1·5$		$p = 1·6$			$p = 1·7$			$p = 1·8$			$p = 1·9$			$p = 2·0$			
u	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	u
6·0	−351 −7	−30	·9980490	−361 −7	−28	·9980392	−371 −7	−26	·9980267	−382 −7	−25	·9980119	−392 −7	−23	·9979946	−403 −8	−22	6·0
6·1	−303 −6	−27	·9982994	−316 −6	−25	·9982935	−324 −6	−24	·9982853	−334 −6	−22	·9982748	−342 −5	−21	·9982622	−350 −7	−20	6·1
6·2	−272 −5	−24	·9985182	−277 −5	−23	·9985154	−283 −6	−21	·9985105	−291 −6	−20	·9985036	−298 −6	−19	·9984948	−306 −6	−17	6·2
6·3	−239 −4	−22	·9987093	−243 −4	−21	·9987090	−246 −5	−19	·9987066	−253 −5	−18	·9987026	−260 −5	−17	·9986968	−266 −5	−15	6·3
6·4	−210	−20	·9988761	−212 −4	−19	·9988776	−217 −4	−17	·9988774	−220 −4	−16	·9988756	−226 −5	−15	·9988722	−232 −4	−14	6·4
6·5	−184	−18	·9990217	−186	−17	·9990246	−190	−15	·9990259	−193 −4	−15	·9990258	−199 −4	−13	·9990244	−203 −4	−13	6·5
6·6	−160	−17	·9991487	−163	−15	·9991526	−166	−14	·9991551	−169	−13	·9991563	−172	−12	·9991563	−175	−11	6·6
6·7	−139	−15	·9992594	−142	−14	·9992641	−145	−13	·9992674	−147	−12	·9992696	−150	−11	·9992707	−153	−10	6·7
6·8	−121	−14	·9993559	−124	−13	·9993611	−127	−12	·9993650	−128	−11	·9993679	−130	−10	·9993698	−132	−8	6·8
6·9	−106	−13	·9994400	−108	−12	·9994454	−111	−11	·9994498	−112	−10	·9994532	−113	−9	·9994557	−116	−8	6·9
7·0	−93	−12	·9995133	−93	−11	·9995188	−97	−10	·9995234	−98	−9	·9995271	−98	−8	·9995300	−100	−7	7·0
7·1	−81	−11	·9995771	−83	−10	·9995826	−85	−9	·9995873	−85	−8	·9995912	−86	−7	·9995943	−87	−6	7·1
7·2	−71	−10	·9996326	−72	−9	·9996380	−74	−8	·9996427	−75	−7	·9996467	−76	−6	·9996499	−75	−5	7·2
7·3	−62	−9	·9996809	−63	−8	·9996862	−64	−7	·9996908	−64	−5	·9996947	−65	−5	·9996980	−65	−5	7·3
7·4	−54	−8	·9997229	−54	−7	·9997280	−53	−7	·9997325	−56	−5	·9997363	−56	−5	·9997396	−57	−5	7·4
7·5	−48	−8	·9997595	−47	−7	·9997643	−47	−6	·9997686	−48	−5	·9997723	−48	−5	·9997755	−49	−4	7·5
7·6	−42	−7	·9997913	−41	−6	·9997959	−41	−6	·9997999	−42	−5	·9998034	−41	−4	·9998065	−42	−4	7·6
7·7	−35	−6	·9998189	−36	−6	·9998232	−36	−5	·9998270	−36	−5	·9998304	−35	−4	·9998333	−37		7·7
7·8	−30	−6	·9998429	−31	−5	·9998469	−32	−5	·9998505	−31	−4	·9998536	−30		·9998564	−31		7·8
7·9	−26	−5	·9998638	−27	−5	·9998675	−28	−4	·9998708	−27	−4	·9998738	−27		·9998764	−28		7·9
8·0	−23	−5	·9998819	−24	−4	·9998853	−24	−4	·9998884	−24		·9998912	−24		·9998936	−24		8·0
8·1	−20	−5	·9998976	−21	−4	·9999007	−20		·9999036	−21		·9999061	−20		·9999084	−20		8·1
8·2	−18	−4	·9999112	−18	−4	·9999141	−17		·9999167	−18		·9999191	−18		·9999212	−18		8·2
8·3	−16	−4	·9999231	−16		·9999257	−15		·9999281	−15		·9999303	−16		·9999322	−15		8·3
8·4	−14	−4	·9999333	−14		·9999358	−13		·9999380	−13		·9999399	−13		·9999417	−13		8·4
8·5	−12		·9999424	−11		·9999446	−12		·9999466	−12		·9999484	−12		·9999499	−12		8·5
8·6	−11		·9999501	−10		·9999522	−11		·9999540	−11		·9999556	−11		·9999569	−10		8·6
8·7	−9		·9999568	−9		·9999587	−9		·9999603	−9		·9999617	−9		·9999630	−9		8·7
8·8	−8		·9999626	−8		·9999643	−8		·9999658	−8		·9999671	−8		·9999682	−7		8·8
8·9	−7		·9999676	−7		·9999691	−6		·9999704	−6		·9999716	−6		·9999727	−7		8·9
9·0	−6		·9999719	−6		·9999733	−6		·9999745	−5		·9999756	−5		·9999765	−5		9·0
9·1	−6		·9999757	−5		·9999769	−5		·9999780	−5		·9999790	−5		·9999799	−4		9·1
9·2	−5		·9999790	−5		·9999801	−4		·9999810	−4		·9999819	−4		·9999827	−4		9·2
9·3	−4		·9999818	−4		·9999828	−4		·9999837	−4		·9999845	−4		·9999852	−4		9·3
9·4			·9999843			·9999851			·9999859			·9999866			·9999873			9·4
9·5			·9999864			·9999872			·9999879			·9999885			·9999891			9·5
9·6			·9999882			·9999889			·9999896			·9999901			·9999906			9·6
9·7			·9999898			·9999904			·9999910			·9999915			·9999920			9·7
9·8			·9999912			·9999917			·9999922			·9999927			·9999931			9·8
9·9			·9999924			·9999929			·9999933			·9999937			·9999941			9·9
10·0			·9999934			·9999939			·9999943			·9999946			·9999949			10·0
10·1			·9999943			·9999948			·9999951			·9999954			·9999957			10·1
10·2			·9999951			·9999955			·9999958			·9999961			·9999963			10·2
10·3			·9999958			·9999961			·9999964			·9999966			·9999968			10·3
10·4			·9999964			·9999967			·9999969			·9999971			·9999973			10·4
10·5			·9999969			·9999971			·9999974			·9999975			·9999977			10·5
10·6			·9999973			·9999975			·9999977			·9999979			·9999980			10·6
10·7			·9999977			·9999978			·9999980			·9999982			·9999983			10·7
10·8			·9999980			·9999982			·9999983			·9999984			·9999986			10·8
10·9			·9999983			·9999984			·9999985			·9999986			·9999988			10·9
11·0			·9999985			·9999986			·9999987			·9999988			·9999989			11·0
11·1			·9999987			·9999988			·9999989			·9999990			·9999991			11·1
11·2			·9999989			·9999990			·9999991			·9999992			·9999992			11·2
11·3			·9999990			·9999991			·9999992			·9999993			·9999993			11·3
11·4			·9999992			·9999992			·9999993			·9999994			·9999994			11·4
11·5			·9999993			·9999993			·9999994			·9999995			·9999995			11·5
11·6			·9999994			·9999994			·9999995			·9999995			·9999996			11·6
11·7			·9999995			·9999995			·9999996			·9999996			·9999996			11·7
11·8			·9999995			·9999996			·9999996			·9999997			·9999997			11·8
11·9			·9999996			·9999996			·9999997			·9999997			·9999997			11·9
12·0			·9999997			·9999997			·9999997			·9999998			·9999998			12·0

	$p = 1{\cdot}0$			$p = 1{\cdot}1$			$p = 1{\cdot}2$			$p = 1{\cdot}3$			$p = 1{\cdot}4$			$p = 1{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
12·0	·9999992			·9999993			·9999994			·9999995			·9999996			·9999996	12·0
12·1	·9999993			·9999994			·9999995			·9999996			·9999996			·9999997	12·1
12·2	·9999994			·9999995			·9999996			·9999996			·9999997			·9999997	12·2
12·3	·9999995			·9999996			·9999996			·9999997			·9999997			·9999998	12·3
12·4	·9999995			·9999996			·9999996			·9999997			·9999998			·9999998	12·4
12·5	·9999996			·9999997			·9999997			·9999998			·9999998			·9999998	12·5
12·6	·9999996			·9999997			·9999997			·9999998			·9999998			·9999998	12·6
12·7	·9999997			·9999997			·9999998			·9999998			·9999998			·9999999	12·7
12·8	·9999997			·9999998			·9999998			·9999999			·9999999			·9999999	12·8
12·9	·9999998			·9999998			·9999999			·9999999			·9999999			·9999999	12·9
13·0	·9999998			·9999998			·9999999			·9999999			·9999999			·9999999	13·0
13·1	·9999998			·9999999			·9999999			·9999999			·9999999			·9999999	13·1
13·2	·9999998			·9999999			·9999999			·9999999			·9999999			·9999999	13·2
13·3	·9999999			·9999999			·9999999			·9999999			1·0000000			1·0000000	13·3
13·4	·9999999			·9999999			·9999999			1·0000000							
13·5	·9999999			·9999999			·9999999										
13·6	·9999999			·9999999			1·0000000										
13·7	·9999999			·9999999													
13·8	·9999999			·9999999													
13·9	·9999999			1·0000000													
14·0	1·0000000																

$u = 0{\cdot}0$ to $3{\cdot}0$ $p = 2{\cdot}0$ to $2{\cdot}5$

	$p = 2{\cdot}0$			$p = 2{\cdot}1$			$p = 2{\cdot}2$			$p = 2{\cdot}3$			$p = 2{\cdot}4$			$p = 2{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	·0
·1	·0007610	+38333 —	+486 +28	·0005898	+32550 —	+380 +23	·0004567	+27549 —	+297 +18	·0003532	+23249 —	+231 +14	·0002729	+19567 —	+181 +11	·0002106	·1
·2	·0053553	+59691 -13131	+1843 +54	·0044346	+54036 -11430	+1541 +47	·0036683	+48697 -9675	+1293 +40	·0030313	+43702 -7936	+1081 +32	·0025025	+39065 -6263	+902 +25	·0020638	·2
·3	·0159187	+67918 -8638	+3465 +61	·0136830	+64092 -8411	+3024 +51	·0117496	+60170 -8002	+2633 +48	·0100796	+56219 -7448	+2291 +42	·0086386	+52300 -6798	+1990 +37	·0073967	·3
·4	·0332739	+67507 -5382	+4910 +50	·0293406	+65737 -5662	+4405 +47	·0258479	+63641 -5791	+3946 +43	·0227498	+61288 -5797	+3551 +40	·0200047	+58737 -5690	+3154 +37	·0175750	·4
·5	·0573798	+61714 -3057	+5981 +35	·0515719	+61720 -3481	+5462 +30	·0463103	+61321 -3829	+5003 +28	·0415488	+60560 -4082	+4571 +26	·0372445	+59484 -4249	+4174 +25	·0333576	·5
·6	·0876571	+52864 -1430	+6551 +21	·0799752	+54222 -1878	+6115 +22	·0729048	+55172 -2256	+5694 +24	·0664038	+55750 -2594	+5300 +23	·0604327	+55982 -2878	+4922 +21	·0549539	·6
·7	·1232208	+42584 -324	+6714 +8	·1138007	+44846 -695	+6359 +11	·1050165	+46767 -1070	+6015 +12	·0968338	+48346 -1401	+5680 +13	·0892191	+49602 -1704	+5354 +14	·0821398	·7
·8	·1630429	+31980 +398	+6517 0	·1521108	+34775 +82	+6260 +1	·1418049	+37292 -211	+5997 +2	·1320984	+39541 -510	+5737 +3	·1229657	+41518 -792	+5482 +4	·1143810	·8
·9	·2060630	+21774 +840	+6065 -8	·1938984	+24786 +614	+5887 -5	·1823225	+27606 +376	+5704 -4	·1713171	+30226 +139	+5626 -3	·1608641	+32642 -103	+5339 -2	·1509451	·9
1·0	·2512605	+12408 +1087	+5410 -10	·2381646	+15411 +924	+5318 -9	·2256007	+18296 +752	+5216 -8	·2135584	+21050 +572	+5108 -7	·2020267	+23663 +387	+4990 -6	·1909939	1·0
1·1	·2976988	+4129 +1190	+4663 -11	·2839719	+6960 +1090	+4635 -10	·2707085	+9738 +970	+4597 -8	·2579047	+12446 +838	+4547 -7	·2455556	+15071 +702	+4491 -6	·2336556	1·1
1·2	·3445500	-2960 +1201	+3877 -11	·3304752	-401 +1140	+3896 -10	·3167901	+2150 +1071	+3905 -10	·3034956	+4680 +994	+3906 -9	·2905916	+7181 +895	+3899 -8	·2780776	1·2
1·3	·3911052	-8848 +1150	+3095 -10	·3769384	-6622 +1125	+3151 -11	·3630867	-4367 +1089	+3195 -10	·3495545	-2092 +1036	+3234 -10	·3363457	+186 +985	+3268 -9	·3234632	1·3
1·4	·4367756	-13586 +1058	+2367 -7	·4227394	-11718 +1060	+2434 -7	·4089466	-9795 +1053	+2504 -7	·3954042	-7828 +1039	+2568 -8	·3821184	-5824 +1008	+2623 -9	·3690949	1·4
1·5	·4810874	-17266 +950	+1683 -5	·4673686	-15754 +968	+1772 -8	·4538270	-14170 +974	+1857 -6	·4404711	-12525 +975	+1935 -7	·4273087	-10826 +970	+2008 -7	·4143471	1·5
1·6	·5236726	-19996 +831	+1087 -3	·5104224	-18822 +858	+1182 -4	·4972904	-17571 +883	+1271 -4	·4842855	-16247 +898	+1358 -4	·4714164	-14858 +908	+1439 -4	·4586912	1·6
1·7	·5642582	-21895 +710	+578 -2	·5515940	-21032 +745	+669 -3	·5389967	-20089 +773	+758 -3	·5264752	-19071 +802	+846 -4	·5140383	-17982 +825	+929 -4	·5016943	1·7
1·8	·6026543	-23084 +596	+149 -1	·5906624	-22497 +632	+236 -2	·5786941	-21834 +672	+320 -2	·5667578	-21093 +698	+405 -2	·5548620	-20281 +724	+487 -2	·5430149	1·8
1·9	·6387420	-23677 +489	-198 0	·6274811	-23330 +529	-121 -1	·6162081	-22907 +558	-40 -1	·6049311	-22417 +597	+35 -2	·5936576	-21856 +629	+113 -2	·5823954	1·9
2·0	·6724620	-23781 +396	-472 -1	·6619668	-23634 +430	-402 -2	·6514314	-23422 +467	-333	·6408627	-23144 +498	-264	·6302676	-22802 +529	-193	·6196532	2·0
2·1	·7038039	-23489 +309	-679	·6940891	-23508 +342	-618	·6843125	-23470 +375	-560	·6744799	-23373 +406	-499	·6645974	-23219 +440	-438	·6546711	2·1
2·2	·7327969	-22888 +233	-827	·7238606	-23040 +267	-777	·7148466	-23143 +294	-728	·7057598	-23196 +327	-677	·6966053	-23196 +352	-624	·6873884	2·2
2·3	·7595011	-22054 +174	-926	·7513281	-22310 +202	-887	·7430664	-22522 +225	-846	·7347201	-22692 +250	-802	·7262936	-22831 +282	-781	·7177910	2·3
2·4	·7839999	-21046 +119	-985	·7765646	-21378 +142	-953	·7690340	-21676 +163	-922	·7614112	-21938 +187	-888	·7536998	-22184 +210	-862	·7459032	2·4
2·5	·8063941	-19919 +71	-1009	·7996633	-20306 +92	-985	·7928340	-20667 +117	-962	·7859085	-20997 +135	-934	·7788896	-21297 +154	-906	·7717801	2·5
2·6	·8267964	-18721 +33	-1008	·8207314	-19143 +50	-991	·8145673	-19541 +69	-971	·8083061	-19921 +88	-952	·8019497	-20276 +107	-931	·7955002	2·6
2·7	·8453266	-17480 +3	-986	·8398852	-17923 +19	-973	·8343465	-18346 +31	-962	·8287116	-18757 +49	-945	·8229822	-19148 +64	-931	·8171597	2·7
2·8	·8621088	-16236 -15	-949	·8572467	-16684 -3	-940	·8522906	-17120 +4	-931	·8472414	-17546 +20	-923	·8420999	-17956 +30	-911	·8368673	2·8
2·9	·8772674	-15000 -30	-899	·8729398	-15448 -27	-895	·8685227	-15885 -14	-890	·8640166	-16314 -4	-885	·8594220	-16734 +5	-879	·8547395	2·9
3·0	·8909260	-13799 -43	-843	·8870883	-14235 -42	-843	·8831663	-14684 -31	-830	·8791604	-15089 -24	-837	·8750707	-15507 -17	-834	·8708976	3·0

	$p = 1·5$		$p = 1·6$			$p = 1·7$			$p = 1·8$			$p = 1·9$			$p = 2·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
12·0			·9999997			·9999997			·9999997			·9999998			·9999998			12·0
12·1			·9999997			·9999997			·9999998			·9999998			·9999998			12·1
12·2			·9999998			·9999998			·9999998			·9999998			·9999998			12·2
12·3			·9999998			·9999998			·9999998			·9999999			·9999999			12.3
12·4			·9999998			·9999998			·9999999			·9999999			·9999999			12·4
12·5			·9999998			·9999999			·9999999			·9999999			·9999999			12·5
12·6			·9999999			·9999999			·9999999			·9999999			·9999999			12·6
12·7			·9999999			·9999999			·9999999			·9999999			·9999999			12·7
12·8			·9999999			·9999999			·9999999			·9999999			·9999999			12·8
12·9			·9999999			·9999999			·9999999			·9999999			·9999999			12·9
13·0			·9999999			·9999999			·9999999			1·0000000			1·0000000			13·0
13·1			·9999999			1·0000000			1·0000000									
13·2			1·0000000															

$u = 0·0$ to $3·0$ $p = 2·5$ to $3·0$

	$p = 2·5$		$p = 2·6$			$p = 2·7$			$p = 2·8$			$p = 2·9$			$p = 3·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0000000	— —	— —	·0
·1	+16426 —	+140 +9	·0001624	+13756 —	+109 +7	·0001251	+11495 —	+65 +5	·0000963	+9584 —	+66 +4	·0000740	+7872 —	+51 +2	·0000568	+6626 —	+40 +1	·1
·2	+34797 −4714	+752 +25	·0017004	+30896 −3299	+827 +20	·0013997	+27333 −2039	+521 +17	·0011510	+24126 −947	+433 +14	·0009457	+21221 −3	+359 +12	·0007762	+18623 +775	+298 +10	·2
·3	+48454 −6063	+1727 +33	·0063274	+44725 −5311	+1496 +29	·0054078	+41136 −4536	+1295 +26	·0046177	+37709 −3763	+1120 +22	·0039395	+34462 −3023	+966 +19	·0033581	+31399 −2308	+832 +16	·3
·4	+56043 −5495	+2815 +33	·0154269	+53249 −5211	+2508 +31	·0135295	+50461 −4867	+2232 +28	·0118553	+47535 −4478	+1984 +25	·0103795	+44680 −4050	+1762 +23	·0090799	+41865 −3606	+1563 +21	·4
·5	+58137 −4335	+3806 +24	·0298513	+56562 −4351	+3463 +23	·0266913	+54799 −4300	+3151 +22	·0238464	+52883 −4192	+2860 +20	·0212875	+50648 −4031	+2598 +19	·0189882	+48723 −3830	+2331 +19	·5
·6	+55896 −3102	+4568 +20	·0499319	+55524 −3972	+4231 +19	·0453330	+54867 −3396	+3917 +18	·0411258	+54039 −3481	+3618 +17	·0372803	+52935 −3490	+3340 +16	·0337690	+51755 −3466	+3080 +16	·6
·7	+50553 −1961	+5044 +14	·0755649	+61214 −2225	+4744 +15	·0694644	+51599 −2422	+4452 +15	·0638091	+51734 −2592	+4178 +14	·0585716	+51632 −2717	+3912 +14	·0537253	+51319 −2816	+3660 +13	·7
·8	+43229 −1058	+5228 +5	·1063193	+44679 −1302	+4980 +6	·0987557	+45879 −1534	+4739 +7	·0916658	+46837 −1742	+4501 +8	·0850261	+47562 −1924	+4271 +8	·0788135	+48067 −2083	+4046 +8	·8
·9	+34847 −336	+5156 −1	·1415416	+36842 −568	+4966 0	·1326349	+38625 −786	+4780 0	·1242062	+40198 −991	+4594 +1	·1162368	+41568 −1193	+4408 +2	·1087084	+42732 −1367	+4224 +3	·9
1·0	+26129 +192	+4870 −5	·1804481	+28437 +2	+4743 −4	·1703766	+29583 −192	+4613 −3	·1607664	+32568 −383	+4480 −3	·1516043	+34381 −560	+4345 −2	·1428765	+36030 −744	+4207 −1	1·0
1·1	+17603 +559	+4428 −6	·2221983	+20034 +406	+4357 −5	·2111768	+22353 +254	+4281 −5	·2005834	+24555 +96	+4199 −5	·1904099	+26634 −65	+4113 −4	·1806476	+28564 −220	+4022 −4	1·1
1·2	+9636 +792	+3884 −8	·2659519	+12037 +682	+3861 −7	·2542123	+14375 +560	+3831 −7	·2428559	+16638 +439	+3795 −6	·2318789	+18822 +309	+3752 −5	·2212771	+20916 +177	+3705 −4	1·2
1·3	+2461 +919	+3285 −6	·3109092	+4722 +843	+3301 −8	·2986853	+6957 +762	+3306 −7	·2867922	+9160 +669	+3310 −6	·2752301	+11319 +576	+3304 −6	·2639984	+13429 +474	+3292 −4	1·3
1·4	−3795 +970	+2673 −8	·3563387	−1751 +926	+2716 −7	·3438540	+301 +871	+2751 −6	·3316445	+2351 +811	+2782 −6	·3197132	+4399 +740	+2807 −6	·3080626	+6414 +668	+2823 −5	1·4
1·5	−9081 +957	+2076 −7	·4015931	−7298 +937	+2137 −8	·3890528	−5464 +910	+2194 −8	·3767319	−3647 +875	+2245 −7	·3646355	−1793 +835	+2291 −7	·3527682	+65 +789	+2329 −7	1·5
1·6	−13410 +914	+1517 −5	·4461177	−11908 +912	+1590 −5	·4337032	−10359 +902	+1659 −5	·4214546	−8770 +887	+1723 −6	·4093783	−7147 +868	+1782 −6	·3974803	−5495 +839	+1839 −7	1·6
1·7	−16825 +839	+1012 −4	·4894515	−15606 +847	+1090 −4	·4773177	−14339 +855	+1164 −4	·4653003	−13006 +858	+1235 −4	·4534064	−11631 +846	+1304 −4	·4416429	−10216 +840	+1369 −5	1·7
1·8	−19401 +750	+569 −3	·5312247	−18457 +774	+645 −3	·5194990	−17450 +790	+721 −3	·5078454	−16384 +798	+796 −3	·4962714	−15267 +808	+865 −4	·4847839	−14097 +812	+934 −4	1·8
1·9	−21227 +654	+190 −3	·5711522	−20534 +679	+263 −3	·5599353	−19778 +700	+337 −3	·5487521	−18964 +725	+408 −3	·5376097	−18091 +738	+479 −3	·5265152	−17166 +755	+545 −3	1·9
2·0	−22399 +565	−125	·6090263	−21932 +592	−56	·5983938	−21406 +621	+11	·5877624	−20819 +640	+79	·5771389	−20177 +664	+145	·5665299	−19480 +683	+209	2·0
2·1	−23006 +466	−376	·6447072	−22736 +496	−318	·6347117	−22413 +525	−254	·6246908	−22034 +555	−195	·6146504	−21599 +578	−134	·6045966	−21111 +601	−73	2·1
2·2	−23147 +384	−572	·6781143	−23046 +411	−516	·6687883	−22895 +440	−466	·6594158	−22694 +468	−413	·6500020	−22443 +494	−360	·6405522	−22141 +520	−305	2·2
2·3	−22904 +308	−718	·7092168	−22943 +335	−672	·7005754	−22937 +360	−626	·6918714	−22888 +385	−581	·6831093	−22791 +412	−535	·6742937	−22651 +437	−486	2·3
2·4	−22353 +234	−816	·7380250	−22505 +265	−780	·7300688	−22619 +288	−742	·7220384	−22693 +311	−705	·7139375	−22728 +336	−666	·7057701	−22724 +361	−627	2·4
2·5	−21568 +177	−879	·7645827	−21807 +200	−850	·7573003	−22013 +220	−816	·7499361	−22189 +245	−790	·7424929	−22329 +266	−756	·7349741	−22436 +289	−725	2·5
2·6	−20606 +125	−910	·7889597	−20911 +145	−887	·7823305	−21190 +163	−864	·7756149	−21439 +184	−839	·7688154	−21664 +204	−814	·7619345	−21859 +223	−789	2·6
2·7	−19519 +78	−916	·8112456	−19870 +96	−898	·8052417	−20200 +110	−880	·7991498	−20511 +133	−863	·7929715	−20795 +148	−843	·7867090	−21059 +168	−824	2·7
2·8	−18354 +36	−889	·8315445	−18734 +57	−888	·8261329	−19100 +70	−877	·8206336	−19447 +86	−862	·8150481	−19780 +100	−850	·8093776	−20091 +119	−834	2·8
2·9	−17141 +9	−870	·8499700	−17541 +27	−864	·8451141	−17926 +39	−855	·8401727	−18300 +50	−846	·8351467	−18659 +61	−838	·8300371	−19005 +76	−826	2·9
3·0	−15919 −10	−831	·8666414	−16321 +1	−825	·8623027	−16717 +9	−822	·8578818	−17102 +19	−815	·8533794	−17473 +30	−809	·8487961	−17843 +40	−802	3·0

	$p = 2·0$			$p = 2·1$			$p = 2·2$			$p = 2·3$			$p = 2·4$			$p = 2·5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
3·0	·8909260	−13799 −43	−843	·8870883	−14235 −42	−843	·8831663	−14664 −31	−839	·8791604	−15089 −24	−837	·8750707	−15507 −17	−834	·8708976	3·0
3·1	·9032047	−12843 −53	−784	·8998133	−13060 −51	−784	·8963435	−13478 −45	−784	·8927953	−13888 −46	−784	·8891687	−14297 −36	−783	·8854638	3·1
3·2	·9142191	−11540 −81	−722	·9112323	−11937 −67	−724	·9081731	−12333 −58	−725	·9050414	−12729 −52	−727	·9018370	−13124 −52	−728	·8985598	3·2
3·3	·9240795	−10498 −65	−660	·9214576	−10871 −62	−659	·9187694	−11246 −61	−663	·9160146	−11626 −60	−668	·9131929	−11994 −62	−671	·9103043	3·3
3·4	·9328901	−9521 −67	−600	·9305958	−9889 −66	−603	·9282411	−10218 −64	−607	·9258258	−10570 −64	−610	·9233494	−10922 −58	−613	·9208118	3·4
3·5	·9407486	−8609 −68	−542	·9387471	−8931 −68	−548	·9366910	−9255 −68	−549	·9345800	−9581 −67	−553	·9324137	−9912 −68	−557	·9301917	3·5
3·6	·9477462	−7766 −88	−487	·9460053	−8059 −69	−491	·9442154	−8353 −67	−495	·9423761	−8666 −66	−499	·9404868	−8963 −70	−503	·9385474	3·6
3·7	·9539672	−6987 −66	−438	·9524576	−7256 −67	−446	·9509040	−7527 −69	−443	·9493062	−7804 −64	−447	·9476636	−8084 −67	−451	·9459759	3·7
3·8	·9594895	−6271 −62	−388	·9581843	−6516 −65	−392	·9568399	−6765 −66	−396	·9554559	−7015 −62	−399	·9540320	−7269 −64	−403	·9525678	3·8
3·9	·9643847	−5619 −58	−345	·9632594	−5837 −62	−348	·9620993	−6066 −53	−351	·9609041	−6288 −60	−355	·9596735	−6522 −62	−358	·9584069	3·9
4·0	·9687180	−5021 −54	−305	·9677508	−5221 −58	−308	·9667527	−5422 −59	−311	·9657235	−5627 −57	−314	·9646628	−5834 −59	−318	·9635704	4·0
4·1	·9725492	−4483 −56	−269	·9717201	−4658 −53	−272	·9708639	−4839 −54	−275	·9699802	−5023 −53	−277	·9690687	−5209 −55	−280	·9681292	4·1
4·2	·9759321	−3991 −46	−237	·9752236	−4149 −48	−239	·9744912	−4309 −56	−242	·9737346	−4472 −56	−244	·9729537	−4642 −52	−247	·9721480	4·2
4·3	·9789159	−3551 −42	−208	·9783122	−3689 −44	−210	·9776876	−3832 −47	−212	·9770418	−3979 −47	−214	·9763745	−4127 −49	−217	·9756856	4·3
4·4	·9815446	−3152 −38	−183	·9810319	−3278 −40	−184	·9805008	−3402 −43	−186	·9799511	−3531 −44	−188	·9793826	−3662 −48	−189	·9787952	4·4
4·5	·9838581	−2796 −36	−160	·9834240	−2903 −36	−161	·9829738	−3014 −40	−163	·9825073	−3127 −41	−164	·9820245	−3245 −43	−166	·9815251	4·5
4·6	·9858921	−2474 −32	−140	·9855258	−2569 −33	−141	·9851454	−2667 −37	−142	·9847508	−2767 −38	−143	·9843419	−2869 −40	−144	·9839186	4·6
4·7	·9876787	−2188 −29	−123	·9873707	−2272 −30	−123	·9870503	−2357 −33	−124	·9867176	−2445 −34	−126	·9863724	−2535 −37	−125	·9860146	4·7
4·8	·9892465	−1932 −27	−107	·9889884	−2005 −27	−107	·9887195	−2079 −31	−108	·9884399	−2156 −31	−108	·9881494	−2234 −34	−109	·9878480	4·8
4·9	·9906211	−1765 −24	−94	·9904056	−1767 −25	−94	·9901808	−1832 −28	−94	·9899466	−1899 −28	−94	·9897030	−1968 −31	−95	·9894499	4·9
5·0	·9918252	−1501 −22	−82	·9916461	−1556 −23	−82	·9914589	−1613 −25	−82	·9912634	−1670 −26	−82	·9910598	−1729 −29	−82	·9908480	5·0
5·1	·9928792	−1322 −20	−71	·9927310	−1369 −21	−71	·9925757	−1418 −23	−71	·9924132	−1467 −24	−71	·9922437	−1519 −26	−71	·9920671	5·1
5·2	·9938010	−1161 −18	−62	·9936790	−1203 −19	−62	·9935507	−1244 −21	−62	·9934163	−1288 −21	−62	·9932757	−1333 −23	−62	·9931289	5·2
5·3	·9946067	−1022 −16	−55	·9945067	−1058 −17	−54	·9944013	−1092 −19	−54	·9942906	−1130 −19	−53	·9941744	−1166 −21	−53	·9940530	5·3
5·4	·9953102	−895 −15	−48	·9952288	−925 −15	−47	·9951427	−956 −17	−47	·9950519	−987 −17	−47	·9949565	−1022 −19	−46	·9948564	5·4
5·5	·9959242	−785 −13	−42	·9958584	−811 −13	−41	·9957885	−838 −15	−41	·9957145	−865 −15	−40	·9956364	−892 −16	−40	·9955543	5·5
5·6	·9964597	−683 −11	−37	·9964069	−709 −12	−36	·9963505	−732 −13	−36	·9962906	−758 −12	−35	·9962271	−786 −16	−35	·9961601	5·6
5·7	·9969264	−602 −10	−32	·9968845	−622 −11	−32	·9968393	−639 −12	−31	·9967911	−659 −11	−31	·9967398	−680 −14	−30	·9966854	5·7
5·8	·9973329	−527 −9	−29	·9972999	−541 −10	−28	·9972642	−556 −11	−27	·9972257	−576 −10	−27	·9971845	−593 −12	−26	·9971407	5·8
5·9	·9976867	−459 −8	−25	·9976612	−474 −9	−25	·9976331	−486 −10	−24	·9976027	−501 −9	−23	·9975699	−515 −11	−23	·9975349	5·9
6·0	·9979946	−403 −8	−22	·9979751	−414 −8	−22	·9979534	−425 −9	−21	·9979296	−438 −8	−20	·9979038	−449 −10	−20	·9978760	6·0
6·1	·9982622	−356 −7	−20	·9982476	−359 −7	−19	·9982312	−369 −8	−18	·9982129	−380 −7	−18	·9981928	−390 −9	−17	·9981710	6·1
6·2	·9984948	−306 −6	−17	·9984843	−313 −6	−17	·9984721	−323 −7	−17	·9984582	−331 −6	−16	·9984428	−346 −8	−15	·9984258	6·2
6·3	·9986968	−265 −5	−16	·9986895	−273 −5	−15	·9986807	−279 −6	−15	·9986704	−287 −6	−13	·9986588	−293 −7	−13	·9986459	6·3
6·4	·9988722	−232 −4	−14	·9988674	−236 −4	−13	·9988614	−243 −5	−13	·9988541	−250 −5	−12	·9988455	−255 −6	−12	·9988358	6·4
6·5	·9990244	−203 −4	−13	·9990217	−208 −4	−12	·9990178	−211 −5	−11	·9990128	−218 −5	−11	·9990067	−222 −5	−11	·9989995	6·5
6·6	·9991563	−175	−11	·9991552	−179	−10	·9991531	−184 −4	−10	·9991499	−187 −4	−10	·9991457	−190 −4	−9	·9991407	6·6
6·7	·9992707	−153	−10	·9992708	−155	−9	·9992700	−158	−9	·9992683	−162	−8	·9992657	−166	−8	·9992623	6·7
6·8	·9993698	−132	−8	·9993709	−135	−9	·9993711	−139	−8	·9993705	−140	−8	·9993691	−144	−7	·9993670	6·8
6·9	·9994557	−118	−8	·9994574	−117	−8	·9994583	−118	−7	·9994586	−121	−7	·9994581	−123	−6	·9994570	6·9
7·0	·9995300	−100	−7	·9995322	−102	−7	·9995337	−104	−7	·9995346	−105	−6	·9995348	−108	−6	·9995345	7·0
7·1	·9995943	−87	−6	·9995968	−88	−6	·9995987	−89	−6	·9996001	−91	−6	·9996008	−92	−5	·9996011	7·1
7·2	·9996499	−76	−5	·9996526	−76	−5	·9996548	−77	−5	·9996565	−78	−5	·9996576	−81	−5	·9996583	7·2
7·3	·9996980	−65	−5	·9997008	−66	−5	·9997031	−66	−5	·9997050	−67	−4	·9997064	−70	−4	·9997074	7·3
7·4	·9997396	−57	−5	·9997424	−57	−4	·9997448	−57	−4	·9997468	−58		·9997484	−60		·9997496	7·4
7·5	·9997755	−49	−4	·9997783	−49		·9997807	−50		·9997827	−50		·9997844	−51		·9997857	7·5
7·6	·9998065	−42	−4	·9998092	−42		·9998116	−43		·9998136	−43		·9998153	−43		·9998167	7·6
7·7	·9998333	−37		·9998359	−37		·9998382	−37		·9998402	−37		·9998419	−37		·9998434	7·7
7·8	·9998564	−31		·9998589	−32		·9998611	−32		·9998630	−32		·9998647	−32		·9998662	7·8
7·9	·9998764	−28		·9998787	−27		·9998808	−28		·9998826	−28		·9998842	−27		·9998856	7·9
8·0	·9998936	−24		·9998958	−24		·9998977	−24		·9998994	−24		·9999010	−24		·9999023	8·0
8·1	·9999084	−20		·9999105	−21		·9999123	−21		·9999139	−21		·9999154	−21		·9999166	8·1
8·2	·9999212	−18		·9999231	−18		·9999248	−18		·9999263	−18		·9999276	−18		·9999288	8·2
8·3	·9999322	−16		·9999339	−15		·9999355	−16		·9999369	−16		·9999382	−15		·9999393	8·3
8·4	·9999417	−13		·9999433	−13		·9999448	−14		·9999461	−14		·9999472	−13		·9999482	8·4
8·5	·9999499	−12		·9999514	−12		·9999527	−12		·9999539	−12		·9999549	−11		·9999559	8·5
8·6	·9999569	−10		·9999583	−10		·9999595	−10		·9999606	−10		·9999615	−10		·9999623	8·6
8·7	·9999630	−9		·9999642	−8		·9999653	−8		·9999663	−8		·9999671	−8		·9999679	8·7
8·8	·9999682	−7		·9999693	−7		·9999703	−7		·9999712	−7		·9999720	−7		·9999727	8·8
8·9	·9999727	−7		·9999737	−6		·9999746	−6		·9999754	−6		·9999761	−6		·9999767	8·9
9·0	·9999765	−5		·9999774	−6		·9999782	−6		·9999789	−5		·9999796	−6		·9999802	9·0

	$p = 2{\cdot}5$		$p = 2{\cdot}6$			$p = 2{\cdot}7$			$p = 2{\cdot}8$			$p = 2{\cdot}9$			$p = 3{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
3·0	−15919 −10	−831	·8666414	−16391 +1	−825	·8623027	−16717 +9	−822	·8578818	−17102 +19	−815	·8533794	−17478 +36	−809	·8487961	−17843 +40	−802	3·0
3·1	−14702 −25	−782	·8816807	−15103 −19	−786	·8778196	−15497 −12	−778	·8738807	−15885 −7	−775	·8698643	−16267 +3	−771	·8657708	−16643 +10	−769	3·1
3·2	−13515 −37	−728	·8952097	−13904 −36	−729	·8917868	−14291 −31	−729	·8882911	−14673 −25	−728	·8847225	−15053 −19	−727	·8810812	−15426 −16	−725	3·2
3·3	−12376 −47	−673	·9073483	−12744 −48	−674	·9043249	−13116 −46	−675	·9012340	−13486 −39	−677	·8980754	−13856 −35	−677	·8948490	−14225 −34	−676	3·3
3·4	−11275 −53	−618	·9182125	−11631 −57	−619	·9155514	−11987 −56	−621	·9128281	−12341 −51	−624	·9100425	−12695 −46	−626	·9071943	−13050 −45	−628	3·4
3·5	−10242 −61	−560	·9279136	−10575 −62	−564	·9255792	−10909 −62	−567	·9231881	−11245 −56	−576	·9207400	−11582 −57	−573	·9182346	−11920 −54	−575	3·5
3·6	−9272 −53	−506	·9365572	−9581 −65	−510	·9345161	−9894 −56	−514	·9324236	−10209 −56	−518	·9302793	−10525 −54	−521	·9280829	−10842 −60	−524	3·6
3·7	−8366 −58	−455	·9442427	−8652 −68	−459	·9424636	−8941 −68	−463	·9406382	−9232 −70	−467	·9387661	−9526 −69	−471	·9368470	−9824 −64	−474	3·7
3·8	−7528 −66	−407	·9510630	−7791 −57	−411	·9495170	−8056 −67	−415	·9479296	−8323 −58	−419	·9463003	−8596 −67	−423	·9446287	−8870 −67	−427	3·8
3·9	−6756 −54	−362	·9571042	−6994 −64	−366	·9557648	−7236 −65	−370	·9543885	−7461 −66	−374	·9529749	−7731 −55	−377	·9515234	−7982 −59	−381	3·9
4·0	−6047 −62	−321	·9624460	−6264 −62	−325	·9612890	−6482 −64	−328	·9600993	−6706 −64	−332	·9588764	−6932 −63	−336	·9576199	−7163 −56	−339	4·0
4·1	−5409 −59	−283	·9671614	−5594 −60	−287	·9661650	−5794 −60	−290	·9651395	−5993 −61	−293	·9640847	−6200 −61	−297	·9630001	−6407 −53	−300	4·1
4·2	−4812 −56	−249	·9713174	−4985 −57	−252	·9704616	−5164 −57	−255	·9695802	−5344 −59	−258	·9686730	−5529 −58	−262	·9677396	−5717 −50	−265	4·2
4·3	−4280 −53	−219	·9749748	−4435 −53	−221	·9742418	−4593 −54	−224	·9734865	−4755 −56	−227	·9727084	−4919 −54	−231	·9719074	−5088 −55	−233	4·3
4·4	−3797 −50	−192	·9781887	−3936 −49	−194	·9775627	−4076 −51	−196	·9769172	−4220 −53	−198	·9762519	−4369 −50	−201	·9755664	−4519 −53	−204	4·4
4·5	−3364 −46	−167	·9810090	−3486 −45	−169	·9804760	−3611 −47	−171	·9799259	−3739 −49	−173	·9793585	−3869 −47	−178	·9787735	−4002 −50	−176	4·5
4·6	−2975 −42	−146	·9834807	−3082 −42	−147	·9830282	−3193 −43	−149	·9825607	−3305 −45	−151	·9820782	−3421 −44	−153	·9815804	−3539 −47	−155	4·6
4·7	−2626 −36	−127	·9856442	−2720 −39	−128	·9852611	−2818 −39	−129	·9848650	−2917 −41	−131	·9844558	−3018 −40	−132	·9840334	−3123 −43	−134	4·7
4·8	−2314 −34	−116	·9875357	−2399 −36	−111	·9872122	−2482 −35	−112	·9868776	−2570 −37	−113	·9865316	−2659 −37	−115	·9861741	−2749 −40	−116	4·8
4·9	−2040 −31	−95	·9891873	−2109 −32	−96	·9889151	−2184 −32	−97	·9886332	−2259 −34	−98	·9883415	−2337 −34	−99	·9880399	−2418 −36	−100	4·9
5·0	−1789 −28	−82	·9906280	−1854 −29	−83	·9903996	−1918 −29	−84	·9901629	−1984 −31	−85	·9899177	−2052 −31	−86	·9896639	−2120 −31	−86	5·0
5·1	−1573 −25	−71	·9918833	−1626 −27	−72	·9916923	−1681 −25	−72	·9914942	−1746 −27	−73	·9912887	−1798 −28	−74	·9910759	−1860 −28	−75	5·1
5·2	−1377 −23	−62	·9929760	−1423 −23	−62	·9928169	−1474 −23	−62	·9926515	−1522 −25	−62	·9924799	−1573 −25	−63	·9923019	−1626 −23	−64	5·2
5·3	−1207 −21	−53	·9939262	−1247 −21	−53	·9937941	−1289 −21	−54	·9936566	−1332 −22	−54	·9935136	−1374 −23	−54	·9933653	−1420 −23	−55	5·3
5·4	−1053 −18	−46	·9947517	−1089 −20	−46	·9946424	−1125 −20	−46	·9945285	−1162 −20	−47	·9944099	−1200 −21	−47	·9942867	−1240 −20	−48	5·4
5·5	−921 −16	−40	·9954683	−952 −18	−40	·9953782	−982 −18	−40	·9952842	−1014 −17	−40	·9951862	−1047 −20	−40	·9950841	−1076 −16	−39	5·5
5·6	−805 −14	−35	·9960897	−830 −16	−34	·9960158	−856 −17	−34	·9959385	−882 −16	−34	·9958578	−910 −16	−34	·9957737	−940 −16	−35	5·6
5·7	−706 −13	−30	·9966281	−722 −15	−30	·9965678	−745 −15	−30	·9965046	−768 −14	−30	·9964384	−792 −16	−30	·9963693	−816 −15	−30	5·7
5·8	−611 −12	−26	·9970943	−629 −13	−26	·9970453	−647 −13	−26	·9969939	−666 −12	−25	·9969398	−687 −15	−25	·9968833	−709 −13	−26	5·8
5·9	−531 −11	−22	·9974976	−547 −11	−22	·9974581	−564 −12	−22	·9974164	−579 −11	−22	·9973725	−597 −14	−22	·9973264	−613 −11	−21	5·9
6·0	−462 −10	−20	·9978462	−475 −9	−19	·9978145	−487 −11	−19	·9977810	−503 −10	−19	·9977455	−517 −12	−18	·9977082	−532 −10	−19	6·0
6·1	−402 −9	−17	·9981474	−412 −8	−17	·9981222	−422 −10	−17	·9980953	−436 −9	−16	·9980668	−446 −11	−15	·9980368	−460 −9	−17	6·1
6·2	−349 −8	−15	·9984074	−357 −7	−14	·9983875	−367 −9	−14	·9983662	−377 −8	−14	·9983435	−386 −10	−14	·9983194	−397 −8	−15	6·2
6·3	−302 −8	−13	·9986317	−309 −6	−13	·9986161	−318 −8	−13	·9985993	−325 −7	−12	·9985814	−334 −9	−11	·9985623	−344 −7	−12	6·3
6·4	−262 −7	−11	·9988249	−267 −6	−11	·9988129	−275 −7	−10	·9987999	−281 −6	−10	·9987859	−289 −8	−10	·9987708	−297 −7	−11	6·4
6·5	−227 −6	−10	·9989914	−231 −5	−10	·9989824	−238 −6	−9	·9989724	−243 −5	−9	·9989615	−249 −7	−9	·9989497	−255 −6	−9	6·5
6·6	−196 −5	−8	·9991348	−200 −4	−8	·9991281	−205 −5	−8	·9991205	−209 −5	−8	·9991122	−214 −6	−8	·9991031	−219 −5	−7	6·6
6·7	−169 −4	−8	·9992582	−173 −4	−7	·9992533	−176 −4	−7	·9992477	−180 −4	−7	·9992415	−184 −5	−6	·9992346	−189 −5	−7	6·7
6·8	−147	−7	·9993643	−149	−6	·9993609	−151 −4	−6	·9993569	−155 −4	−6	·9993523	−159 −4	−6	·9993471	−162 −4	−5	6·8
6·9	−127	−6	·9994554	−128	−5	·9994532	−130	−5	·9994505	−134	−5	·9994472	−135	−5	·9994434	−139	−5	6·9
7·0	−109	−5	·9995337	−110	−5	·9995324	−112	−5	·9995307	−116	−5	·9995285	−120	−5	·9995258	−120	−4	7·0
7·1	−94	−5	·9996010	−95	−5	·9996004	−96	−4	·9995993	−99	−4	·9995979	−100	−4	·9995961	−103		7·1
7·2	−81	−4	·9996586	−81	−4	·9996585	−83	−4	·9996581	−85		·9996573	−86		·9996562	−88		7·2
7·3	−70		·9997081	−71		·9997084	−72		·9997084	−73		·9997081	−74		·9997075	−75		7·3
7·4	−60		·9997505	−61		·9997511	−63		·9997515	−63		·9997515	−64		·9997513	−64		7·4
7·5	−51		·9997868	−52		·9997876	−54		·9997882	−54		·9997885	−55		·9997886	−55		7·5
7·6	−43		·9998179	−44		·9998189	−46		·9998196	−46		·9998201	−47		·9998204	−47		7·6
7·7	−37		·9998446	−38		·9998456	−39		·9998464	−39		·9998470	−39		·9998475	−40		7·7
7·8	−32		·9998674	−33		·9998684	−33		·9998693	−33		·9998700	−34		·9998706	−34		7·8
7·9	−27		·9998869	−29		·9998879	−28		·9998888	−28		·9998896	−29		·9998902	−29		7·9
8·0	−24		·9999035	−24		·9999045	−23		·9999054	−24		·9999062	−25		·9999069	−25		8·0
8·1	−21		·9999177	−20		·9999186	−19		·9999195	−20		·9999203	−21		·9999210	−22		8·1
8·2	−17		·9999299	−17		·9999308	−17		·9999316	−18		·9999324	−18		·9999331	−19		8·2
8·3	−14		·9999403	−14		·9999411	−15		·9999419	−16		·9999426	−16		·9999433	−16		8·3
8·4	−12		·9999491	−12		·9999499	−13		·9999507	−14		·9999514	−14		·9999520	−13		8·4
8·5	−11		·9999567	−10		·9999574	−11		·9999581	−11		·9999588	−12		·9999594	−11		8·5
8·6	−9		·9999631	−9		·9999638	−10		·9999644	−9		·9999650	−10		·9999656	−9		8·6
8·7	−8		·9999686	−8		·9999692	−9		·9999698	−8		·9999704	−9		·9999709	−8		8·7
8·8	−7		·9999733	−7		·9999739	−8		·9999744	−7		·9999749	−8		·9999754	−7		8·8
8·9	−6		·9999773	−6		·9999778	−7		·9999783	−6		·9999788	−7		·9999792	−6		8·9
9·0	−5		·9999807	−5		·9999812	−6		·9999816	−5		·9999820	−6		·9999824	−5		9·0

	$p = 2{\cdot}0$			$p = 2{\cdot}1$			$p = 2{\cdot}2$			$p = 2{\cdot}3$			$p = 2{\cdot}4$			$p = 2{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
9·0	·9999765	$-^{5}$		·9999774	$-^{5}$		·9999782	$-^{5}$		·9999789	$-^{5}$		·9999796	$-^{5}$		·9999802	9·0
9·1	·9999799	$-^{4}$		·9999807	$-^{4}$		·9999814	$-^{5}$		·9999820	$-^{4}$		·9999826	$-^{4}$		·9999831	9·1
9·2	·9999827	$-^{4}$		·9999834	$-^{4}$		·9999841	$-^{4}$		·9999847	$-^{4}$		·9999852	$-^{4}$		·9999857	9·2
9·3	·9999852	$-^{4}$		·9999858			·9999864			·9999869			·9999874			·9999878	9·3
9·4	·9999873			·9999879			·9999884			·9999890			·9999893			·9999897	9·4
9·5	·9999891			·9999896			·9999900			·9999904			·9999908			·9999912	9·5
9·6	·9999906			·9999911			·9999915			·9999919			·9999922			·9999925	9·6
9·7	·9999920			·9999924			·9999927			·9999931			·9999934			·9999937	9·7
9·8	·9999931			·9999935			·9999938			·9999941			·9999944			·9999946	9·8
9·9	·9999941			·9999944			·9999947			·9999950			·9999952			·9999954	9·9
10·0	·9999949			·9999952			·9999955			·9999957			·9999959			·9999961	10·0
10·1	·9999957			·9999959			·9999961			·9999963			·9999965			·9999967	10·1
10·2	·9999963			·9999965			·9999967			·9999969			·9999970			·9999972	10·2
10·3	·9999968			·9999970			·9999972			·9999974			·9999975			·9999976	10·3
10·4	·9999973			·9999975			·9999976			·9999978			·9999979			·9999980	10·4
10·5	·9999977			·9999979			·9999980			·9999981			·9999982			·9999983	10·5
10·6	·9999980			·9999982			·9999983			·9999984			·9999985			·9999986	10·6
10·7	·9999983			·9999984			·9999985			·9999986			·9999987			·9999988	10·7
10·8	·9999986			·9999987			·9999988			·9999989			·9999989			·9999990	10·8
10·9	·9999988			·9999989			·9999990			·9999991			·9999991			·9999991	10·9
11·0	·9999989			·9999990			·9999991			·9999992			·9999992			·9999992	11·0
11·1	·9999991			·9999992			·9999992			·9999992			·9999993			·9999993	11·1
11·2	·9999992			·9999993			·9999993			·9999993			·9999994			·9999994	11·2
11·3	·9999993			·9999994			·9999994			·9999994			·9999995			·9999995	11·3
11·4	·9999994			·9999995			·9999995			·9999995			·9999996			·9999996	11·4
11·5	·9999995			·9999996			·9999996			·9999996			·9999996			·9999996	11·5
11·6	·9999996			·9999996			·9999996			·9999996			·9999997			·9999997	11·6
11·7	·9999996			·9999997			·9999997			·9999997			·9999998			·9999998	11·7
11·8	·9999997			·9999997			·9999997			·9999998			·9999988			·9999998	11·8
11·9	·9999997			·9999998			·9999998			·9999998			·9999998			·9999998	11·9
12·0	·9999998			·9999998			·9999998			·9999999			·9999999			·9999999	12·0
12·1	·9999998			·9999998			·9999998			·9999999			·9999999			·9999999	12·1
12·2	·9999998			·9999999			·9999999			·9999999			·9999999			·9999999	12·2
12·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·3
12·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·4
12·5	·9999999			·9999999			·9999999			·9999999			·9999999			1·0000000	12·5
12·6	·9999999			·9999999			·9999999			·9999999			1·0000000				
12·7	·9999999			·9999999			·9999999			1·0000000							
12·8	·9999999			·9999999			1·0000000										
12·9	·9999999			1·0000000													
13·0	1·0000000																

	$p = 2{\cdot}5$		$p = 2{\cdot}6$			$p = 2{\cdot}7$			$p = 2{\cdot}8$			$p = 2{\cdot}9$			$p = 3{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
9·0	−5		·9999807	−5		·9999812	−6		·9999816	−5		·9999820	−6		·9999824	−5		9·0
9·1	−4		·9999836	−4		·9999840	−5		·9999844	−4		·9999848	−5		·9999852	−4		9·1
9·2	−4		·9999861	−4		·9999865	−4		·9999868	−4		·9999872	−4		·9999875	−4		9·2
9·3			·9999882			·9999885			·9999888			·9999891			·9999894			9·3
9·4			·9999900			·9999903			·9999906			·9999908			·9999911			9·4
9·5			·9999915			·9999918			·9999920			·9999923			·9999925			9·5
9·6			·9999927			·9999930			·9999932			·9999934			·9999936			9·6
9·7			·9999939			·9999941			·9999943			·9999945			·9999947			9·7
9·8			·9999948			·9999950			·9999952			·9999954			·9999955			9·8
9·9			·9999956			·9999958			·9999959			·9999961			·9999962			9·9
10·0			·9999962			·9999964			·9999965			·9999967			·9999968			10·0
10·1			·9999968			·9999970			·9999971			·9999972			·9999973			10·1
10·2			·9999973			·9999974			·9999975			·9999976			·9999977			10·2
10·3			·9999977			·9999978			·9999979			·9999980			·9999981			10·3
10·4			·9999981			·9999981			·9999982			·9999983			·9999984			10·4
10·5			·9999984			·9999984			·9999985			·9999986			·9999986			10·5
10·6			·9999986			·9999986			·9999987			·9999988			·9999989			10·6
10·7			·9999988			·9999988			·9999989			·9999990			·9999990			10·7
10·8			·9999990			·9999990			·9999991			·9999991			·9999992			10·8
10·9			·9999992			·9999992			·9999992			·9999992			·9999993			10·9
11·0			·9999993			·9999993			·9999994			·9999994			·9999994			11·0
11·1			·9999994			·9999994			·9999995			·9999995			·9999995			11·1
11·2			·9999995			·9999995			·9999995			·9999996			·9999996			11·2
11·3			·9999996			·9999996			·9999996			·9999996			·9999997			11·3
11·4			·9999996			·9999996			·9999997			·9999997			·9999997			11·4
11·5			·9999997			·9999997			·9999997			·9999997			·9999998			11·5
11·6			·9999997			·9999998			·9999998			·9999998			·9999998			11·6
11·7			·9999998			·9999998			·9999998			·9999998			·9999998			11·7
11·8			·9999998			·9999998			·9999998			·9999998			·9999999			11·8
11·9			·9999998			·9999998			·9999999			·9999999			·9999999			11·9
12·0			·9999999			·9999999			·9999999			·9999999			·9999999			12·0
12·1			·9999999			·9999999			·9999999			·9999999			·9999999			12·1
12·2			·9999999			·9999999			·9999999			·9999999			·9999999			12·2
12·3			·9999999			·9999999			·9999999			·9999999			·9999999			12·3
12·4			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·4

	$p = 3{\cdot}0$			$p = 3{\cdot}1$			$p = 3{\cdot}2$		
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4
·0	·0000000	— —	0	·0000000	— —	0	·0000000	— —	0
·1	·0000568	+6626 —	+40 +1	·0000436	+5494 —	+30	·0000334	+4549 —	+24
·2	·0007762	+18623 +775	+298 +10	·0006366	+16304 +1417	+247 +9	·0005217	+14237 +1934	+204 +8
·3	·0033581	+31399 −2308	+832 +16	·0028600	+28531 −1648	+713 +14	·0024337	+25859 −1050	+618 +13
·4	·0090799	+41865 −3606	+1563 +21	·0079365	+39110 −3148	+1384 +19	·0069316	+36431 −2682	+1225 +17
·5	·0189882	+48723 −3830	+2331 +19	·0169240	+46541 −3594	+2128 +18	·0150726	+44321 −3332	+1924 +17
·6	·0337690	+51755 −3466	+3080 +16	·0305656	+50378 −3404	+2833 +15	·0276457	+48870 −3310	+2609 +14
·7	·0537253	+51319 −2816	+3660 +13	·0492450	+50811 −2880	+3420 +12	·0451067	+50127 −2909	+3192 +11
·8	·0788135	+48067 −2083	+4046 +8	·0730055	+48384 −2215	+3829 +9	·0675804	+48466 −2321	+3620 +8
·9	·1087084	+42732 −1387	+4224 +3	·1016024	+43702 −1531	+4044 +3	·0949007	+44484 −1683	+3866 +3
1·0	·1428765	+36030 −744	+4207 −1	·1345695	+37509 −914	+4069 +0	·1266694	+38819 −1068	+3930 0
1·1	·1806476	+28584 −220	+4022 −4	·1712875	+30402 −375	+3927 −3	·1623200	+32088 −536	+8829 −3
1·2	·2212771	+20918 +177	+3705 −4	·2110457	+22920 +44	+3654 −3	·2011794	+24821 −81	+3392 −3
1·3	·2639984	+13429 +474	+3292 −4	·2530959	+15482 +367	+3276 −4	·2425209	+17473 +250	+3253 −3
1·4	·3080626	+6414 +666	+2823 −5	·2966943	+8411 +588	+2837 −5	·2856097	+10375 +508	+2843 −5
1·5	·3527682	+65 +789	+2329 −7	·3411338	+1928 +734	+2366 −7	·3297360	+3785 +673	+2395 −6
1·6	·3974803	−5493 +839	+1839 −7	·3857661	−3821 +803	+1889 −7	·3742408	−2132 +766	+1836 −6
1·7	·4416429	−10215 +840	+1369 −5	·4300163	−8767 +832	+1427 −5	·4185324	−7283 +809	+1486 −5
1·8	·4847839	−14097 +812	+934 −4	·4733898	−12881 +807	+1000 −4	·4620957	−11623 +803	+1062 −4
1·9	·5265152	−17166 +753	+545 −3	·5154752	−18188 +766	+613 −3	·5044965	−13162 +771	+678 −4
2·0	·5665299	−19480 +683	+209	·5559418	−18729 +697	+274	·5453811	−17928 +711	+836
2·1	·6045966	−21111 +801	−73	·5945355	−20573 +627	−15	·5844729	−19983 +640	+44
2·2	·6405522	−22141 +520	−305	·6310719	−21790 +540	−252	·6215664	−21392 +564	−199
2·3	·6742937	−22651 +437	−488	·6654293	−22467 +465	−442	·6565207	−22237 +486	−395
2·4	·7057701	−22724 +361	−627	·6975400	−22679 +386	−586	·6892513	−22698 +409	−547
2·5	·7349741	−22438 +289	−725	·7273828	−22509 +314	−692	·7197223	−22546 +336	−658
2·6	·7619345	−21859 +223	−789	·7549747	−22025 +246	−762	·7479387	−22162 +264	−735
2·7	·7867090	−21059 +168	−824	·7803641	−21298 +187	−803	·7739389	−21512 +202	−782
2·8	·8093776	−20081 +119	−834	·8036237	−20384 +132	−819	·7977879	−20657 +152	−802
2·9	·8300371	−19005 +76	−826	·8248449	−19335 +87	−815	·8195712	−19650 +107	−803
3·0	·8487961	−17843 +40	−802	·8441326	−18199 +52	−796	·8393895	−18342 +69	−788
3·1	·8657708	−16643 +10	−769	·8616004	−17008 +21	−764	·8573536	−17365 +34	−769
3·2	·8810812	−15426 −16	−725	·8773674	−15796 −4	−724	·8735812	−16160 +6	−722
3·3	·8948490	−14225 −34	−878	·8915548	−14588 −24	−678	·8881928	−14949 −17	−678
3·4	·9071943	−13050 −43	−628	·9042834	−13404 −38	−629	·9013095	−13755 −34	−630
3·5	·9182346	−11920 −54	−576	·9156716	−12258 −48	−579	·9130507	−12595 −46	−581
3·6	·9280829	−10842 −60	−524	·9258340	−11160 −56	−527	·9235324	−11481 −56	−531
3·7	·9368470	−9824 −64	−474	·9348804	−10123 −61	−478	·9328660	−10423 −63	−482
3·8	·9446287	−8870 −67	−427	·9429145	−9147 −67	−431	·9411573	−9428 −67	−434
3·9	·9515234	−7982 −69	−381	·9500339	−8238 −68	−385	·9485058	−8495 −70	−389
4·0	·9576199	−7163 −66	−339	·9563295	−7395 −67	−343	·9550048	−7632 −68	−347
4·1	·9630001	−6407 −63	−300	·9618856	−6619 −66	−304	·9607406	−6833 −65	−308
4·2	·9677396	−5717 −60	−265	·9667798	−5909 −64	−268	·9657931	−6103 −62	−272
4·3	·9719074	−5088 −56	−233	·9710831	−5259 −62	−236	·9702353	−3435 −59	−239
4·4	·9755664	−4519 −53	−204	·9748605	−4871 −57	−206	·9741340	−4827 −56	−209
4·5	·9787735	−4002 −50	−178	·9781708	−4140 −53	−180	·9775500	−4278 −54	−183
4·6	·9815804	−3539 −47	−153	·9810671	−3659 −50	−157	·9805382	−8783 −50	−159
4·7	·9840334	−3123 −43	−134	·9835975	−3228 −45	−136	·9831481	−3338 −45	−138
4·8	·9861741	−2749 −40	−116	·9858051	−2844 −40	−118	·9854242	−2938 −41	−119
4·9	·9880399	−2418 −36	−100	·9877283	−2500 −35	−102	·9874065	−2584 −38	−103
5·0	·9896639	−2120 −31	−86	·9894015	−2191 −30	−87	·9891304	−2265 −34	−89
5·1	·9910759	−1860 −28	−75	·9908556	−1922 −28	−75	·9906278	−1985 −30	−76
5·2	·9923019	−1626 −25	−64	·9921175	−1879 −23	−64	·9919267	−1735 −27	−66
5·3	·9933653	−1420 −23	−53	·9932115	−1468 −21	−56	·9930521	−1515 −24	−56
5·4	·9942867	−1240 −20	−48	·9941587	−1278 −20	−47	·9940260	−1319 −22	−48
5·5	·9950841	−1078 −18	−39	·9949781	−1114 −18	−41	·9948680	−1160 −20	−41
5·6	·9957737	−940 −16	−35	·9956861	−969 −16	−33	·9955950	−999 −18	−35
5·7	·9963693	−816 −15	−30	·9962972	−841 −14	−31	·9962221	−867 −16	−31
5·8	·9968833	−709 −13	−28	·9968242	−730 −13	−26	·9967625	−751 −13	−23
5·9	·9973264	−613 −11	−21	·9972782	−632 −12	−22	·9972278	−851 −14	−22
6·0	·9977082	−532 −10	−19	·9976690	−547 −11	−18	·9976280	−563 −13	−18
6·1	·9980368	−460 −9	−17	·9980051	−472 −10	−15	·9979719	−486 −11	−16
6·2	·9983194	−397 −8	−13	·9982940	−408 −9	−14	·9982672	−420 −10	−14

	$p = 3{\cdot}3$			$p = 3{\cdot}4$			$p = 3{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	0	·0000000	— —	0	·0000000	·0
·1	·0000256	+3759 —	+18	·0000196	+3102 —	+14	·0000150	·1
·2	·0004271	+12407 +2320	+169 +6	·0003494	+10788 +2608	+139 +5	·0002855	·2
·3	·0020693	+23375 −494	+533 +12	·0017580	+21082 −9	+457 +11	·0014924	·3
·4	·0060490	+33849 −2238	+1082 +16	·0052748	+31367 −1708	+956 +14	·0045961	·4
·5	·0134136	+42085 −3043	+1737 +16	·0119283	+39854 −2741	+1365 +15	·0105995	·5
·6	·0249867	+47278 −3183	+2395 +13	·0225672	+43600 −3058	+2200 +12	·0203677	·6
·7	·0412876	+49288 −2912	+2976 +10	·0377661	+48308 −2875	+2770 +10	·0345216	·7
·8	·0625173	+48386 −2401	+3416 +10	·0577958	+48141 −2467	+3223 +10	·0533966	·8
·9	·0885856	+45083 −1813	+3691 +4	·0826396	+45507 −1920	+3519 +4	·0770454	·9
1·0	·1191622	+39987 −1216	+3790 0	·1120341	+40953 −1354	+3651 +1	·1052710	1·0
1·1	·1537355	+33635 −681	+3729 −2	·1455239	+35045 −821	+3626 −2	·1376749	1·1
1·2	·1916723	+26622 −218	+3530 −3	·1825182	+28316 −352	+3464 −3	·1737105	1·2
1·3	·2322713	+19391 +142	+3224 −2	·2223441	+21235 +31	+3192 −1	·2127361	1·3
1·4	·2748094	+12302 +418	+2844 −5	·2642935	+14185 +323	+2842 −4	·2540618	1·4
1·5	·3185777	+5631 +606	+2420 −6	·3076614	+7458 +538	+2440 −6	·2969891	1·5
1·6	·3629091	−434 +726	+1977 −8	·3517751	+1269 +678	+2015 −6	·3408426	1·6
1·7	·4071971	−5773 +781	+1539 −6	·3960157	−4242 +751	+1589 −6	·3849932	1·7
1·8	·4509078	−10331 +799	+1122 −5	·4398321	−9002 +783	+1178 −5	·4288742	1·8
1·9	·4935854	−14090 +770	+740 −4	·4827483	−12979 +773	+798 −4	·4719910	1·9
2·0	·5348540	−17079 +724	+397	·5243666	−16183 +730	+457	·5139249	2·0
2·1	·5744147	−19344 +662	+99	·5643666	−18657 +676	+159	·5543344	2·1
2·2	·6120410	−20947 +587	−146	·6025009	−20455 +607	−95	·5929514	2·2
2·3	·6475726	−21963 +507	−348	·6385897	−21640 +530	−301	·6295767	2·3
2·4	·6809079	−22472 +432	−508	·6725139	−22309 +457	−466	·6640733	2·4
2·5	·7119960	−22549 +358	−625	·7042072	−22315 +379	−590	·6963594	2·5
2·6	·7408292	−22268 +286	−707	·7336490	−22345 +310	−680	·7264008	2·6
2·7	·7674356	−21701 +224	−760	·7608563	−21864 +245	−737	·7542033	2·7
2·8	·7918719	−20910 +170	−787	·7858772	−21140 +185	−767	·7798058	2·8
2·9	·8142172	−19949 +120	−791	·8087841	−20231 +134	−778	·8032732	2·9
3·0	·8345676	−18871 +77	−778	·8296679	−19188 +91	−771	·8246911	3·0
3·1	·8530309	−17714 +40	−733	·8486329	−18054 +53	−730	·8441599	3·1
3·2	·8697228	−16517 +12	−719	·8657925	−16867 +23	−717	·8617905	3·2
3·3	·8847630	−15306 −9	−678	·8812654	−15657 −2	−676	·8777002	3·3
3·4	·8982726	−14104 −27	−632	·8951726	−14452 −22	−632	·8920093	3·4
3·5	·9103718	−12932 −43	−583	·9076346	−13269 −38	−585	·9048389	3·5
3·6	·9211778	−11803 −54	−534	·9187697	−12124 −51	−537	·9163080	3·6
3·7	·9308035	−10726 −60	−483	·9286924	−11030 −57	−489	·9265325	3·7
3·8	·9393566	−9709 −64	−438	·9375121	−9993 −64	−442	·9356235	3·8
3·9	·9469388	−8756 −68	−393	·9453325	−9020 −67	−397	·9436866	3·9
4·0	·9536454	−7871 −67	−351	·9522509	−8112 −70	−354	·9508210	4·0
4·1	·9595649	−7032 −65	−311	·9583581	−7275 −68	−315	·9571197	4·1
4·2	·9647792	−6300 −63	−275	·9637378	−8499 −65	−279	·9626686	4·2
4·3	·9693635	−5612 −61	−242	·9684676	−5794 −62	−243	·9675471	4·3
4·4	·9733866	−4987 −58	−212	·9726180	−5140 −59	−215	·9718278	4·4
4·5	·9769110	−4420 −55	−185	·9762535	−4566 −55	−188	·9755771	4·5
4·6	·9799934	−3909 −51	−181	·9794324	−4036 −52	−164	·9788551	4·6
4·7	·9826849	−3449 −48	−140	·9822077	−3564 −48	−142	·9817163	4·7
4·8	·9850315	−3037 −44	−121	·9846266	−3136 −43	−123	·9842095	4·8
4·9	·9870744	−2669 −39	−104	·9867319	−2758 −41	−106	·9863787	4·9
5·0	·9888504	−2340 −36	−00	·9885614	−2417 −37	−91	·9882633	5·0
5·1	·9903924	−2051 −32	−78	·9901492	−2117 −33	−78	·9898982	5·1
5·2	·9917293	−1791 −30	−67	·9915253	−1842 −30	−67	·9913146	5·2
5·3	·9928871	−1564 −27	−57	·9927165	−1615 −27	−57	·9925401	5·3
5·4	·9938885	−1361 −25	−48	·9937462	−1405 −25	−49	·9935989	5·4
5·5	·9947538	−1187 −22	−42	·9946354	−1223 −22	−42	·9945129	5·5
5·6	·9955004	−1029 −20	−33	·9954023	−1062 −20	−36	·9953006	5·6
5·7	·9961441	−895 −18	−30	·9960630	−921 −18	−30	·9959789	5·7
5·8	·9966983	−778 −16	−25	·9966316	−799 −17	−26	·9965623	5·8
5·9	·9971752	−670 −15	−21	·9971205	−690 −15	−22	·9970636	5·9
6·0	·9975851	−579 −13	−19	·9975404	−596 −13	−19	·9974938	6·0
6·1	·9979371	−501 −11	−18	·9979007	−515 −12	−16	·9978627	6·1
6·2	·9982390	−433 −10	−13	·9982095	−449 −11	−13	·9981787	6·2

	p = 3·5		p = 3·6			p = 3·7			p = 3·8			p = 3·9			p = 4·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	0	·0000000	— —	0	·0000000	— —	0	·0000000	— —	0	·0000000	— —	0	·0000000	— —	0	·0
·1	+2555 —	+11	·0000114	+2104 —	+6	·0000087	+1726 —	+6	·0000066	+1419 —	+5	·0000051	+1162 —	+4	·0000039	+951 —		·1
·2	+9364 +2795	+114 +4	·0002332	+8108 +2921	+95 +3	·0001902	+7012 +2963	+76 +3	·0001551	+6050 +2966	+64 +2	·0001264	+5212 +2619	+53 +2	·0001029	+4464 +2834	+42 +1	·2
·3	+18968 +425	+393 +9	·0012658	+17033 +787	+336 +6	·0010729	+15259 +1109	+283 +7	·0009086	+13647 +1360	+246 +5	·0007689	+12181 +1567	+210 +5	·0006503	+10851 +1732	+178 +4	·3
·4	+28997 −1378	+843 +12	·0040017	+26745 −984	+473 +11	·0034815	+24615 −624	+664 +10	·0030268	+22604 −281	+575 +9	·0026295	+20717 +25	+505 +8	·0022828	+18956 +300	+443 +7	·4
·5	+37648 −2442	+1414 +14	·0094121	+35473 −2127	+1269 +13	·0083516	+33347 −1814	+1143 +12	·0074054	+31280 −1514	+1026 +12	·0065618	+29278 −1220	+821 +11	·0058103	+27349 −939	+626 +10	·5
·6	+43857 −2855	+2016 +12	·0183698	+42974 −2665	+1845 +11	·0165564	+40265 −2464	+1690 +10	·0149120	+38442 −2248	+1543 +10	·0134219	+36619 −2023	+1409 +9	·0120727	+34809 −1799	+1286 +9	·6
·7	+47211 −2827	+2576 +9	·0315349	+46010 −2753	+2395 +9	·0287877	+44719 −2649	+2223 +9	·0262628	+43356 −2529	+2060 +9	·0239439	+41937 −2403	+1910 +8	·0218160	+40470 −2254	+1767 +6	·7
·8	+47736 −2497	+3036 +9	·0193010	+47193 −2501	+2885 +9	·0454909	+46524 −2498	+2684 +9	·0419492	+45741 −2476	+2521 +8	·0386596	+44852 −2421	+2363 +8	·0356063	+43877 −2362	+2216 +6	·8
·9	+45768 −2615	+3362 +4	·0717864	+45675 −2699	+3169 +5	·0668465	+45631 −2150	+3031 +5	·0622097	+45650 −2182	+2878 +5	·0578605	+45346 −2211	+2729 +5	·0537843	+44922 −2214	+2585 +5	·9
1·0	+41783 −1481	+3513 +1	·0988593	+42468 −1586	+3376 +2	·0927852	+42983 −1686	+3241 +2	·0870352	+43377 −1774	+3108 +2	·0815960	+43629 −1841	+2977 +2	·0764545	+43753 −1697	+2848 +3	1·0
1·1	+36317 −951	+3522 −1	·1301780	+37455 −1079	+3416 −1	·1230227	+38459 −1199	+3310 0	·1161984	+39330 −1306	+3263 0	·1096944	+40071 −1403	+3096 +0	·1035000	+40687 −1491	+2939 +1	1·1
1·2	+29900 −482	+3394 −3	·1652422	+31373 −610	+3322 −2	·1571061	+32731 −726	+3246 −2	·1492946	+33977 −642	+3169 −2	·1417999	+35110 −953	+3089 −2	·1346142	+36130 −1059	+3008 −1	1·2
1·3	+23001 −86	+3156 0	·2034437	+24661 −195	+3113 0	·1944626	+26277 −313	+3076 +1	·1857885	+27782 −425	+3020 +1	·1774164	+29196 −535	+2971 +1	·1693414	+30514 −635	+2914 +1	1·3
1·4	+16016 +231	+2832 −4	·2441133	+17794 +129	+2820 −4	·2344468	+19510 +34	+2803 −4	·2250606	+21162 −63	+2751 −4	·2159525	+22747 −162	+2757 −3	·2071200	+24263 −266	+2727 −3	1·4
1·5	+9202 +463	+2455 −6	·2865623	+11636 +388	+2465 −5	·2763820	+12777 +306	+2472 −5	·2664489	+14479 +221	+2475 −5	·2567633	+16136 +138	+2472 −4	·2473249	+17746 +53	+2465 −4	1·5
1·6	+2971 +624	+2048 −6	·3301149	+4666 +568	+2677 −6	·3195949	+6350 +505	+2102 −5	·3092851	+8017 +442	+2124 −5	·2991877	+9663 +372	+2141 −5	·2893044	+11282 +363	+2153 −4	1·6
1·7	−2690 +721	+1634 −5	·3741341	−1136 +678	+1676 −5	·3634428	+428 +640	+1715 −5	·3529230	+1997 +589	+1752 −5	·3425784	+3562 +541	+1783 −5	·3324121	+5121 +488	+1811 −4	1·7
1·8	−7642 +759	+1234 −5	·4180397	−6260 +743	+1283 −4	·4073335	−4854 +712	+1333 −4	·3967606	−3434 +686	+1376 −4	·3863253	−1998 +652	+1410 −3	·3760319	−552 +610	+1459 −3	1·8
1·9	−11329 +772	+836 −4	·4613193	−10641 +756	+812	·4507388	−9424 +749	+965	·4402548	−8177 +727	+1016	·4298724	−6906 +707	+1065	·4195965	−5615 +686	+1109	1·9
2·0	−15244 +734	+616	·5035348	−14266 +742	+576	·4932017	−13246 +735	+627	·4829313	−12193 +735	+680	·4727289	−11107 +729	+731	·4625996	−9996 +716	+779	2·0
2·1	−17925 +689	+215	·5443237	−17149 +697	+270	·5343400	−16333 +709	+322	·5243885	−15474 +708	+377	·5144747	−14579 +711	+428	·5046037	−13649 +707	+477	2·1
2·2	−19917 +622	−42	·5833977	−19335 +636	+10	·5738450	−18711 +655	+66	·5642983	−18047 +667	+110	·5547626	−17340 +671	+160	·5452429	−16596 +676	+209	2·2
2·3	−21287 +552	−254	·6205382	−20885 +570	−269	·6114789	−20440 +590	−162	·6024034	−19953 +599	−114	·5933165	−19430 +620	−71	·5842225	−18865 +631	−24	2·3
2·4	−22105 +476	−425	·6555902	−21861 +494	−383	·6470688	−21579 +518	−342	·6385132	−21266 +546	−302	·6299274	−20900 +554	−266	·6213156	−20503 +572	−226	2·4
2·5	−22447 +400	−553	·6884561	−22343 +422	−520	·6805008	−22204 +444	−485	·6724970	−22027 +460	−449	·6644483	−21816 +481	−412	·6563584	−21671 +503	−378	2·5
2·6	−22389 +330	−649	·7190877	−22403 +353	−622	·7117124	−22383 +366	−590	·7042781	−22334 +392	−562	·6967876	−22251 +410	−536	·6892441	−22136 +427	−499	2·6
2·7	−22000 +265	−713	·7474790	−22110 +279	−691	·7406857	−22194 +304	−664	·7338258	−22249 +324	−642	·7269018	−22276 +342	−616	·7199162	−22274 +360	−589	2·7
2·8	−21351 +207	−751	·7736593	−21636 +220	−732	·7674396	−21761 +241	−713	·7611486	−21840 +255	−692	·7547884	−21957 +275	−673	·7483609	−22049 +294	−652	2·8
2·9	−20495 +154	−763	·7976858	−20740 +166	−756	·7920234	−20967 +186	−736	·7862874	−21176 +198	−721	·7804793	−21363 +215	−705	·7746007	−21550 +232	−689	2·9
3·0	−19491 +105	−766	·8196383	−19760 +120	−750	·8145105	−20054 +135	−741	·8093086	−20311 +148	−728	·8040339	−20564 +164	−717	·7986875	−20779 +178	−706	3·0
3·1	−18382 +64	−742	·8396128	−18700 +78	−735	·8349922	−19006 +90	−729	·8302987	−19301 +104	−721	·8255331	−19581 +114	−711	·8206964	−19850 +128	−705	3·1
3·2	−17209 +30	−713	·8577173	−17544 +41	−709	·8535733	−17871 +53	−705	·8493587	−18167 +64	−699	·8450742	−18495 +72	−694	·8407203	−18793 +85	−696	3·2
3·3	−16006 +4	−675	·8740674	−16347 +13	−674	·8703673	−16683 +21	−672	·8666000	−17013 +31	−669	·8627658	−17337 +36	−668	·8588649	−17651 +47	−663	3·3
3·4	−14795 −19	−633	·8887828	−15137 −16	−633	·8854930	−15474 −6	−633	·8821400	−15808 +5	−632	·8787237	−16136 +7	−631	·8752444	−16462 +20	−630	3·4
3·5	−13605 −36	−587	·9019845	−13939 −28	−588	·8990713	−14271 −24	−589	·8960992	−14601 −15	−596	·8930680	−14928 −15	−591	·8899777	−15230 −6	−592	3·5
3·6	−12446 −46	−539	·9137923	−12767 −42	−542	·9112225	−13089 −40	−544	·9085983	−13409 −33	−546	·9059195	−13729 −34	−548	·9031860	−14049 −23	−549	3·6
3·7	−11335 −57	−492	·9243234	−11642 −52	−495	·9220648	−11946 −51	−498	·9197565	−12256 −47	−501	·9173981	−12564 −48	−503	·9149894	−12871 −40	−506	3·7
3·8	−10279 −64	−445	·9336903	−10566 −59	−449	·9317123	−10657 −59	−452	·9296891	−11148 −57	−455	·9276203	−11439 −59	−459	·9255057	−11733 −53	−462	3·8
3·9	−9287 −68	−401	·9420006	−9556 −66	−404	·9402741	−9825 −65	−408	·9385069	−10097 −64	−411	·9366986	−10373 −64	−415	·9348487	−10648 −66	−418	3·9
4·0	−8357 −71	−358	·9493553	−8665 −71	−362	·9478534	−8856 −65	−366	·9463150	−9110 −66	−369	·9447396	−9365 −66	−373	·9431269	−9623 −54	−377	4·0
4·1	−7498 −68	−319	·9558495	−7725 −68	−322	·9545471	−7955 −66	−326	·9532121	−8166 −66	−330	·9518441	−8423 −69	−333	·9504428	−8662 −68	−337	4·1
4·2	−6704 −65	−282	·9615712	−6911 −66	−286	·9604453	−7122 −66	−289	·9592904	−7334 −68	−293	·9581063	−7550 −66	−296	·9568925	−7767 −72	−299	4·2
4·3	−5976 −63	−249	·9666018	−6165 −64	−252	·9656313	−6354 −64	−255	·9646353	−6548 −66	−258	·9636135	−6744 −67	−262	·9625655	−6944 −68	−265	4·3
4·4	−5314 −60	−218	·9710159	−5463 −61	−221	·9701819	−5655 −60	−224	·9693254	−5828 −54	−227	·9684463	−6006 −65	−230	·9675441	−6166 −67	−233	4·4
4·5	−4713 −56	−191	·9748817	−4862 −56	−193	·9741670	−5016 −57	−196	·9734327	−5173 −61	−199	·9726785	−5332 −62	−202	·9719041	−5493 −65	−204	4·5
4·6	−4168 −54	−166	·9782613	−4304 −55	−168	·9776505	−4440 −55	−171	·9770227	−4579 −58	−174	·9763775	−4721 −59	−176	·9757148	−4867 −60	−179	4·6
4·7	−3680 −48	−144	·9812105	−3798 −52	−146	·9806900	−3919 −53	−143	·9801548	−4044 −54	−151	·9796044	−4169 −55	−153	·9790388	−4298 −55	−156	4·7
4·8	−3240 −45	−123	·9837799	−3344 −49	−127	·9833376	−3451 −50	−129	·9828825	−3560 −50	−131	·9824144	−3674 −50	−133	·9819330	−3788 −50	−135	4·8
4·9	−2846 −41	−108	·9860149	−2946 −44	−109	·9856401	−3034 −47	−111	·9852542	−3130 −46	−113	·9848570	−3227 −46	−114	·9844484	−3328 −47	−116	4·9
5·0	−2497 −37	−93	·9879559	−2576 −40	−94	·9876392	−2660 −44	−96	·9873129	−2745 −42	−97	·9869769	−2832 −42	−99	·9866310	−2919 −45	−100	5·0
5·1	−2165 −34	−79	·9896393	−2256 −36	−81	·9893723	−2327 −40	−82	·9890971	−2401 −37	−83	·9888136	−2476 −40	−84	·9885217	−2555 −40	−86	5·1
5·2	−1909 −30	−68	·9910971	−1970 −32	−69	·9908727	−2034 −35	−70	·9906412	−2097 −33	−71	·9904027	−2164 −35	−73	·9901569	−2231 −36	−74	5·2
5·3	−1667 −27	−58	·9923579	−1720 −29	−59	·9921697	−1773 −31	−60	·9919756	−1829 −29	−61	·9917754	−1865 −31	−62	·9915690	−1943 −32	−63	5·3
5·4	−1448 −25	−50	·9934467	−1494 −26	−51	·9932894	−1541 −27	−51	·9931271	−1590 −26	−52	·9929596	−1641 −28	−53	·9927868	−1692 −28	−54	5·4
5·5	−1263 −23	−42	·9943861	−1302 −23	−43	·9942550	−1342 −24	−43	·9941196	−1383 −24	−44	·9939797	−1424 −26	−45	·9938354	−1463 −26	−45	5·5
5·6	−1094 −20	−36	·9951953	−1128 −20	−36	·9950864	−1163 −20	−37	·9949738	−1199 −22	−38	·9948574	−1236 −24	−38	·9947372	−1273 −24	−38	5·6
5·7	−949 −16	−30	·9958917	−977 −18	−30	·9958015	−1008 −16	−31	·9957081	−1038 −20	−32	·9956115	−1069 −22	−32	·9955117	−1101 −22	−32	5·7
5·8	−821 −16	−26	·9964904	−847 −17	−27	·9964158	−871 −17	−27	·9963386	−897 −18	−27	·9962587	−925 −20	−27	·9961761	−953 −20	−28	5·8
5·9	−711 −14	−22	·9970044	−731 −16	−22	·9969430	−752 −16	−23	·9968794	−775 −16	−23	·9968134	−796 −18	−23	·9967452	−820 −18	−23	5·9
6·0	−613 −13	−19	·9974453	−631 −14	−19	·9973950	−651 −14	−19	·9973427	−669 −14	−19	·9972885	−685 −16	−20	·9972323	−708 −16	−20	6·0
6·1	−529 −11	−16	·9978231	−544 −12	−16	·9977819	−562 −13	−16	·9977391	−576 −13	−16	·9976947	−591 −14	−16	·9976486	−608 −14	−17	6·1
6·2	−455 −10	−13	·9981465	−468 −11	−14	·9981130	−482 −12	−14	·9980781	−496 −11	−14	·9980418	−509 −13	−14	·9980041	−523 −12	−14	6·2

	$p = 3·0$			$p = 3·1$			$p = 3·2$			$p = 3·3$			$p = 3·4$			$p = 3·5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·2	·9983194	−397 −8	−13	·9982940	−408 −9	−14	·9982672	−420 −10	−14	·9982390	−433 −10	−13	·9982095	−442 −11	−13	·9981787	6·2
6·3	·9985623	−344 −7	−12	·9985420	−353 −6	−12	·9985205	−362 −9	−12	·9984979	−373 −9	−11	·9984741	−382 −10	−11	·9984492	6·3
6·4	·9987708	−297 −7	−11	·9987547	−304 −7	−10	·9987376	−312 −8	−10	·9987195	−319 −8	−9	·9987005	−329 −9	−9	·9986804	6·4
6·5	·9989497	−255 −6	−9	·9989370	−260 −6	−8	·9989235	−267 −7	−8	·9989092	−277 −7	−8	·9988940	−281 −8	−8	·9988780	6·5
6·6	·9991031	−219 −6	−7	·9990933	−223 −6	−7	·9990827	−236 −6	−7	·9990714	−237 −7	−7	·9990594	−240 −7	−7	·9990466	6·6
6·7	·9992346	−189 −5	−7	·9992270	−193 −5	−6	·9992188	−198 −5	−6	·9992099	−201 −6	−6	·9992005	−205 −6	−6	·9991905	6·7
6·8	·9993471	−162 −4	−5	·9993414	−167 −4	−5	·9993351	−170 −4	−5	·9993283	−174 −5	−5	·9993209	−177 −5	−5	·9993130	6·8
6·9	·9994434	−139	−5	·9994391	−143 −4	−4	·9994344	−145 −4	−4	·9994292	−150 −4	−5	·9994236	−153 −4	−5	·9994175	6·9
7·0	·9995258	−120	−4	·9995227	−123	−4	·9995192	−125	−4	·9995153	−128	−4	·9995110	−131 −4	−4	·9995063	7·0
7·1	·9995961	−103		·9995940	−105		·9995915	−107		·9995886	−108		·9995854	−111		·9995819	7·1
7·2	·9996562	−88		·9996548	−89		·9996531	−91		·9996511	−92		·9996487	−94		·9996461	7·2
7·3	·9997075	−75		·9997066	−75		·9997055	−77		·9997041	−78		·9997025	−81		·9997006	7·3
7·4	·9997513	−64		·9997509	−64		·9997502	−66		·9997493	−67		·9997482	−69		·9997469	7·4
7·5	·9997886	−55		·9997885	−55		·9997882	−57		·9997877	−58		·9997870	−59		·9997861	7·5
7·6	·9998204	−47		·9998205	−47		·9998205	−49		·9998203	−50		·9998199	−50		·9998193	7·6
7·7	·9998475	−40		·9998478	−41		·9998479	−41		·9998479	−43		·9998478	−43		·9998475	7·7
7·8	·9998706	−34		·9998710	−35		·9998712	−35		·9998714	−37		·9998714	−36		·9998713	7·8
7·9	·9998902	−29		·9998907	−30		·9998910	−30		·9998912	−31		·9998914	−30		·9998915	7·9
8·0	·9999069	−25		·9999074	−25		·9999078	−26		·9999081	−26		·9999084	−26		·9999085	8·0
8·1	·9999210	−22		·9999216	−21		·9999220	−22		·9999224	−23		·9999227	−22		·9999229	8·1
8·2	·9999331	−19		·9999337	−17		·9999341	−19		·9999345	−19		·9999348	−19		·9999350	8·2
8·3	·9999433	−16		·9999438	−14		·9999443	−16		·9999447	−17		·9999450	−16		·9999453	8·3
8·4	·9999520	−13		·9999525	−12		·9999530	−14		·9999534	−15		·9999537	−13		·9999540	8·4
8·5	·9999594	−11		·9999599	−11		·9999603	−12		·9999607	−13		·9999611	−11		·9999614	8·5
8·6	·9999656	−9		·9999661	−10		·9999665	−10		·9999669	−11		·9999672	−9		·9999675	8·6
8·7	·9999709	−8		·9999714	−9		·9999718	−9		·9999721	−9		·9999724	−8		·9999727	8·7
8·8	·9999754	−7		·9999758	−8		·9999762	−7		·9999765	−7		·9999768	−7		·9999771	8·8
8·9	·9999792	−6		·9999796	−7		·9999799	−6		·9999802	−6		·9999805	−6		·9999808	8·9
9·0	·9999824	−5		·9999828	−6		·9999831	−5		·9999834	−5		·9999836	−5		·9999839	9·0
9·1	·9999852	−4		·9999855	−4		·9999858	−4		·9999860	−4		·9999862	−4		·9999864	9·1
9·2	·9999875	−4		·9999878			·9999880			·9999882			·9999884			·9999886	9·2
9·3	·9999894			·9999897			·9999899			·9999901			·9999903			·9999905	9·3
9·4	·9999911			·9999913			·9999915			·9999917			·9999919			·9999921	9·4
9·5	·9999925			·9999927			·9999929			·9999931			·9999932			·9999933	9·5
9·6	·9999936			·9999938			·9999940			·9999942			·9999943			·9999944	9·6
9·7	·9999947			·9999949			·9999950			·9999951			·9999952			·9999953	9·7
9·8	·9999955			·9999957			·9999958			·9999959			·9999960			·9999961	9·8
9·9	·9999962			·9999963			·9999964			·9999965			·9999966			·9999967	9·9
10·0	·9999968			·9999969			·9999970			·9999971			·9999972			·9999972	10·0
10·1	·9999973			·9999974			·9999975			·9999976			·9999976			·9999977	10·1
10·2	·9999977			·9999978			·9999979			·9999979			·9999980			·9999980	10·2
10·3	·9999981			·9999981			·9999982			·9999982			·9999983			·9999983	10·3
10·4	·9999984			·9999984			·9999985			·9999985			·9999986			·9999986	10·4
10·5	·9999986			·9999987			·9999988			·9999988			·9999988			·9999988	10·5
10·6	·9999989			·9999989			·9999989			·9999989			·9999990			·9999990	10·6
10·7	·9999990			·9999991			·9999991			·9999991			·9999992			·9999992	10·7
10·8	·9999992			·9999992			·9999993			·9999993			·9999993			·9999993	10·8
10·9	·9999993			·9999993			·9999994			·9999994			·9999994			·9999994	10·9
11·0	·9999994			·9999994			·9999995			·9999995			·9999995			·9999995	11·0
11·1	·9999995			·9999995			·9999996			·9999996			·9999996			·9999996	11·1
11·2	·9999996			·9999996			·9999996			·9999996			·9999997			·9999997	11·2
11·3	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·3
11·4	·9999997			·9999997			·9999997			·9999997			·9999998			·9999998	11·4
11·5	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·5
11·6	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·6
11·7	·9999998			·9999998			·9999998			·9999998			·9999999			·9999999	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·8
11·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·9
12·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·0
12·1	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·1
12·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·2
12·3	·9999999			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·3
12·4	1·0000000																

	$p = 3{\cdot}5$		$p = 3{\cdot}6$			$p = 3{\cdot}7$			$p = 3{\cdot}8$			$p = 3{\cdot}9$			$p = 4{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_u^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·2	−456 −10	−13	·9981465	−468 −11	−14	·9981130	−432 −12	−14	·9980781	−496 −11	−14	·9980418	−609 −13	−14	·9980041	−523 −12	−14	6·2
6·3	−393 −9	−11	·9984231	−403 −10	−12	·9983959	−412 −11	−12	·9983675	−424 −10	−12	·9983380	−437 −11	−12	·9983073	−449 −11	−12	6·3
6·4	−338 −6	−9	·9986594	−345 −9	−10	·9986374	−564 −10	−10	·9986145	−363 −9	−10	·9985905	−373 −10	−10	·9985656	−383 −10	−10	6·4
6·5	−290 −8	−8	·9988612	−298 −8	−8	·9988435	−306 −9	−8	·9988250	−312 −8	−8	·9988057	−319 −9	−8	·9987856	−330 −9	−9	6·5
6·6	−247 −7	−7	·9990332	−256 −7	−7	·9990191	−260 −8	−7	·9990043	−267 −7	−7	·9989888	−273 −8	−7	·9989726	−282 −7	−7	6·6
6·7	−211 −6	−6	·9991799	−219 −6	−6	·9991687	−223 −7	−6	·9991568	−228 −6	−6	·9991444	−234 −7	−6	·9991314	−239 −6	−6	6·7
6·8	−180 −5	−5	·9993047	−186 −6	−5	·9992958	−190 −6	−6	·9992865	−195 −5	−6	·9992766	−200 −6	−5	·9992663	−205 −6	−5	6·8
6·9	−154 −4	−4	·9994110	−157 −4	−4	·9994041	−163 −6	−4	·9993967	−167 −4	−4	·9993889	−171 −5	−4	·9993807	−176 −4	−4	6·9
7·0	−132 −4		·9995013	−135 −4		·9994959	−139 −4		·9994902	−143 −4		·9994841	−146 −4		·9994776	−149 −4		7·0
7·1	−113		·9995781	−117		·9995740	−120		·9995695	−122		·9995647	−124		·9995597	−127		7·1
7·2	−97		·9996432	−100		·9996401	−103		·9996367	−103		·9996330	−105		·9996291	−107		7·2
7·3	−83		·9996985	−86		·9996962	−88		·9996936	−87		·9996908	−89		·9996878	−91		7·3
7·4	−71		·9997453	−72		·9997436	−74		·9997417	−74		·9997396	−75		·9997373	−77		7·4
7·5	−60		·9997850	−61		·9997838	−62		·9997824	−63		·9997809	−64		·9997792	−66		7·5
7·6	−50		·9998186	−51		·9998178	−52		·9998168	−53		·9998157	−54		·9998145	−56		7·6
7·7	−42		·9998471	−43		·9998466	−44		·9998459	−44		·9998451	−46		·9998442	−47		7·7
7·8	−36		·9998711	−36		·9998708	−36		·9998704	−37		·9998699	−39		·9998692	−39		7·8
7·9	−31		·9998915	−31		·9998914	−30		·9998911	−32		·9998907	−32		·9998903	−33		7·9
8·0	−26		·9999086	−27		·9999086	−26		·9999085	−28		·9999083	−27		·9999081	−28		8·0
8·1	−22		·9999230	−22		·9999231	−22		·9999231	−24		·9999231	−23		·9999230	−24		8·1
8·2	−18		·9999352	−18		·9999354	−19		·9999355	−20		·9999355	−19		·9999355	−20		8·2
8·3	−15		·9999456	−16		·9999458	−16		·9999459	−17		·9999460	−16		·9999460	−17		8·3
8·4	−13		·9999542	−12		·9999544	−14		·9999546	−14		·9999547	−13		·9999548	−14		8·4
8·5	−11		·9999616	−10		·9999618	−12		·9999620	−12		·9999621	−11		·9999622	−11		8·5
8·6	−9		·9999678	−9		·9999680	−10		·9999682	−10		·9999684	−9		·9999685	−9		8·6
8·7	−8		·9999730	−8		·9999732	−9		·9999734	−9		·9999735	−8		·9999736	−8		8·7
8·8	−7		·9999773	−6		·9999775	−8		·9999777	−8		·9999779	−7		·9999780	−7		8·8
8·9	−6		·9999810	−6		·9999812	−6		·9999814	−7		·9999815	−6		·9999816	−6		8·9
9·0	−6		·9999841	−6		·9999843	−6		·9999844	−6		·9999846	−5		·9999847	−5		9·0
9·1	−4		·9999866	−4		·9999868	−4		·9999870	−4		·9999871	−4		·9999872	−4		9·1
9·2			·9999888			·9999890			·9999891			·9999893			·9999894			9·2
9·3			·9999906			·9999908			·9999909			·9999910			·9999911			9·3
9·4			·9999922			·9999923			·9999924			·9999925			·9999926			9·4
9·5			·9999934			·9999935			·9999937			·9999938			·9999939			9·5
9·6			·9999945			·9999946			·9999947			·9999948			·9999949			9·6
9·7			·9999954			·9999955			·9999956			·9999956			·9999957			9·7
9·8			·9999962			·9999962			·9999963			·9999964			·9999965			9·8
9·9			·9999968			·9999968			·9999969			·9999970			·9999971			9·9
10·0			·9999973			·9999974			·9999975			·9999976			·9999976			10·0
10·1			·9999978			·9999978			·9999979			·9999980			·9999980			10·1
10·2			·9999981			·9999981			·9999982			·9999983			·9999983			10·2
10·3			·9999984			·9999984			·9999985			·9999986			·9999986			10·3
10·4			·9999987			·9999987			·9999988			·9999988			·9999988			10·4
10·5			·9999989			·9999989			·9999990			·9999990			·9999990			10·5
10·6			·9999991			·9999991			·9999991			·9999991			·9999992			10·6
10·7			·9999992			·9999993			·9999993			·9999993			·9999994			10·7
10·8			·9999994			·9999994			·9999994			·9999994			·9999995			10·8
10·9			·9999995			·9999995			·9999995			·9999995			·9999996			10·9
11·0			·9999996			·9999996			·9999996			·9999996			·9999996			11·0
11·1			·9999996			·9999996			·9999997			·9999997			·9999997			11·1
11·2			·9999997			·9999997			·9999997			·9999997			·9999997			11·2
11·3			·9999997			·9999997			·9999998			·9999998			·9999998			11·3
11·4			·9999998			·9999998			·9999998			·9999998			·9999998			11·4
11·5			·9999998			·9999998			·9999998			·9999998			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			·9999999			·9999999			·9999999			·9999999			·9999999			11·7
11·8			·9999999			·9999999			·9999999			·9999999			·9999999			11·8
11·9			·9999999			·9999999			·9999999			·9999999			·9999999			11·9
12·0			·9999999			·9999999			·9999999			·9999999			·9999999			12·0
12·1			·9999999			·9999999			·9999999			·9999999			1·0000000			12·1
12·2			1·0000000			1·0000000			1·0000000			1·0000000						

	$p = 4·0$			$p = 4·1$			$p = 4·2$			$p = 4·3$			$p = 4·4$			$p = 4·5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	0	·0000000	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0000000	·0
·1	·0000039	+951 —		·0000029	+779 —		·0000022	+836 —		·0000017	+518 —		·0000013	+428 —		·0000010	·1
·2	·0001029	+4484 +2834	+42 +1	·0000837	+3861 +2726	+36	·0000680	+3302 +2600	+29	·0000552	+2827 +2460	+24	·0000449	+2416 +2314	+20	·0000364	·2
·3	·0006503	+10861 +1732	+178 +4	·0005496	+9648 +1869	+152 +4	·0004640	+8568 +1935	+130 +4	·0003914	+7596 +1982	+111 +4	·0003301	+6723 +2000	+94 +4	·0002782	·3
·4	·0022828	+18960 +300	+443 +7	·0019803	+17304 +536	+389 +6	·0017168	+15769 +755	+340 +5	·0014872	+14547 +938	+299 +5	·0012876	+13030 +1096	+280 +5	·0011140	·4
·5	·0058103	+27349 −939	+826 +10	·0051414	+25496 −668	+740 +9	·0045465	+23725 −421	+661 +9	·0040177	+22036 −185	+592 +8	·0035481	+20403 +23	+528 +7	·0031313	·5
·6	·0120727	+34809 −1799	+1288 +9	·0108521	+33020 −1573	+1172 +8	·0097487	+31260 −1344	+1065 +8	·0087518	+29540 −1127	+970 +7	·0078519	+27884 −916	+882 +7	·0070402	·6
·7	·0218160	+40470 −2254	+1767 +8	·0198648	+38971 −2099	+1633 +8	·0180769	+37451 −1941	+1509 +8	·0164399	+35917 −1769	+1392 +7	·0149421	+34380 −1592	+1283 +7	·0135726	·7
·8	·0356063	+43877 −2362	+2216 +8	·0327746	+42823 −2285	+2073 +8	·0301502	+41701 −2188	+1939 +7	·0277197	+40525 −2088	+1811 +7	·0254703	+39304 −1980	+1692 +7	·0233901	·8
·9	·0537843	+44922 −2214	+2585 +5	·0499667	+44390 −2201	+2447 +5	·0463936	+43763 −2181	+2313 +6	·0430520	+43045 −2140	+2180 +6	·0399289	+42248 −2088	+2062 +5	·0370120	·9
1·0	·0764545	+43763 −1897	+2848 +3	·0715978	+43756 −1941	+2722 +3	·0670133	+43644 −1969	+2599 +3	·0626888	+43426 −1988	+2480 +4	·0586123	+43104 −1987	+2363 +4	·0547721	1·0
1·1	·1035000	+40687 −1491	+2989 +1	·0976045	+41181 −1569	+2883 +1	·0919974	+41556 −1635	+2778 +1	·0866681	+41817 −1686	+2674 +1	·0816061	+41973 −1738	+2571 +1	·0768013	1·1
1·2	·1346142	+36130 −1059	+3008 −1	·1277293	+37037 −1153	+2929 −1	·1211371	+37833 −1240	+2843 −1	·1148291	+38524 −1329	+2760 0	·1087972	+39104 −1392	+2676 0	·1030328	1·2
1·3	·1693414	+30514 −635	+2914 +1	·1615578	+31740 −741	+2859	·1540601	+32870 −838	+2801	·1468425	+33902 −924	+2738	·1398987	+34843 −1020	+2677	·1332226	1·3
1·4	·2071200	+24283 −266	+2727 −3	·1985603	+25702 −357	+2695	·1902701	+27069 −459	+2662	·1822461	+28358 −554	+2624	·1744845	+29562 −638	+2582	·1669811	1·4
1·5	·2473249	+17746 +63	+2465 −4	·2381330	+19307 −41	+2459	·2291870	+20809 −121	+2443	·2204853	+22256 −208	+2429	·2120265	+23643 −299	+2410	·2038087	1·5
1·6	·2893044	+11282 +303	+2153 −4	·2796364	+12871 +236	+2164	·2701848	+14428 +156	+2169	·2609501	+15948 +77	+2174	·2519328	+17425 +4	+2173	·2431328	1·6
1·7	·3324121	+5121 +488	+1811 −4	·3224269	+6670 +427	+1837	·3126254	+8203 +370	+1858	·3030097	+9717 +311	+1876	·2935816	+11211 +242	+1893	·2843428	1·7
1·8	·3760319	−552 +610	+1459 −3	·3658844	+898 +574	+1494	·3558863	+2348 +527	+1528	·3460410	+3797 +479	+1558	·3363515	+5239 +434	+1585	·3268205	1·8
1·9	·4195965	−5815 +688	+1109	·4094315	−4304 +659	+1156	·3993820	−2980 +631	+1195	·3894520	−1644 +598	+1233	·3796453	−299 +558	+1271	·3699657	1·9
2·0	·4625996	−9990 +716	+779	·4525482	−8845 +701	+829	·4425797	−7677 +685	+874	·4326986	−6487 +664	+917	·4229092	−5279 +643	+959	·4132157	2·0
2·1	·5046037	−13849 +707	+477	·4947804	−12885 +708	+526	·4850097	−11889 +700	+575	·4752965	−10866 +693	+619	·4656452	−9816 +682	+664	·4560603	2·1
2·2	·5452429	−16596 +676	+209	·5357441	−15817 +686	+255	·5262708	−15001 +688	+303	·5168278	−14152 +687	+348	·5074196	−13271 +683	+394	·4980508	2·2
2·3	·5842225	−18865 +631	−24	·5751261	−18263 +641	+21	·5660318	−17625 +651	+64	·5569439	−16951 +659	+109	·5478669	−16243 +665	+151	·5388050	2·3
2·4	·6213156	−20603 +572	−220	·6126818	−20088 +584	−177	·6040303	−19598 +599	−139	·5953649	−19091 +609	−96	·5866899	−18550 +619	−58	·5780091	2·4
2·5	·6563584	−21571 +503	−378	·6482307	−21269 +520	−340	·6400690	−20972 +533	−305	·6318768	−20622 +551	−267	·6236579	−20238 +566	−233	·6154157	2·5
2·6	·6892441	−22136 +427	−499	·6816507	−21990 +450	−468	·6740105	−21813 +467	−438	·6663265	−21602 +488	−404	·6586021	−21360 +503	−375	·6508402	2·6
2·7	·7199162	−22274 +360	−589	·7128717	−22245 +380	−565	·7057707	−22184 +397	−537	·6986160	−22098 +415	−510	·6914103	−21979 +433	−483	·6841563	2·7
2·8	·7483609	−22049 +294	−652	·7418682	−22115 +306	−630	·7353125	−22158 +331	−609	·7286959	−22175 +350	−587	·7220206	−22185 +366	−564	·7152889	2·8
2·9	·7746007	−21530 +232	−689	·7686532	−21677 +248	−672	·7626385	−21801 +264	−655	·7565583	−21904 +284	−637	·7504144	−21985 +302	−620	·7442085	2·9
3·0	·7986875	−20779 +178	−706	·7932705	−20986 +194	−691	·7877844	−21177 +208	−680	·7822303	−21349 +224	−665	·7766097	−21503 +238	−652	·7709239	3·0
3·1	·8206964	−19850 +128	−705	·8157892	−20105 +144	−694	·8108126	−20345 +157	−686	·8057674	−20570 +171	−675	·8006547	−20779 +182	−664	·7954756	3·1
3·2	·8407203	−18793 +85	−690	·8362974	−19080 +97	−682	·8318063	−19356 +109	−677	·8272475	−19620 +123	−669	·8226218	−19873 +134	−663	·8179298	3·2
3·3	·8588649	−17651 +47	−663	·8548976	−17958 +55	−659	·8508644	−18258 +68	−656	·8467656	−18550 +82	−652	·8426016	−18831 +89	−647	·8383729	3·3
3·4	·8752444	−16462 +20	−630	·8717020	−16781 +20	−629	·8680967	−17092 +36	−627	·8644287	−17398 +46	−624	·8606983	−17698 +54	−623	·8569056	3·4
3·5	·8899777	−15250 −8	−592	·8868283	−15571 −5	−591	·8836198	−15890 +6	−592	·8803520	−16202 +18	−591	·8770252	−16511 +25	−591	·8736393	3·5
3·6	·9031860	−14049 −23	−549	·9003975	−14368 −23	−551	·8975539	−14680 −14	−552	·8946551	−14993 −6	−553	·8917010	−15302 −1	−554	·8886915	3·6
3·7	·9149894	−12871 −40	−506	·9125301	−13178 −36	−508	·9100200	−13484 −34	−510	·9074589	−13790 −23	−512	·9048466	−14094 −24	−514	·9021829	3·7
3·8	·9255057	−11733 −53	−462	·9233449	−12026 −48	−464	·9211377	−12322 −45	−467	·9188837	−12616 −38	−470	·9165828	−12912 −40	−473	·9142345	3·8
3·9	·9348487	−10648 −60	−418	·9329571	−10927 −57	−422	·9310232	−11205 −56	−424	·9290469	−11486 −50	−427	·9270278	−11766 −53	−431	·9249656	3·9
4·0	·9431269	−9623 −64	−377	·9414766	−9883 −63	−381	·9397882	−10144 −62	−383	·9380615	−10407 −59	−386	·9362962	−10673 −60	−390	·9344918	4·0
4·1	·9504428	−8662 −68	−337	·9490078	−8902 −67	−340	·9475388	−9145 −67	−344	·9460354	−9390 −64	−347	·9444973	−9638 −66	−351	·9429241	4·1
4·2	·9568925	−7767 −72	−299	·9556488	−7988 −72	−302	·9543749	−8214 −68	−306	·9530703	−8441 −67	−310	·9517346	−8669 −67	−313	·9503676	4·2
4·3	·9625655	−6944 −68	−265	·9614910	−7146 −68	−269	·9603896	−7349 −71	−272	·9592611	−7559 −69	−275	·9581050	−7767 −69	−278	·9569211	4·3
4·4	·9675441	−6186 −67	−233	·9666186	−6389 −66	−237	·9656694	−6555 −68	−240	·9646962	−6740 −72	−243	·9636987	−6933 −72	−246	·9626766	4·4
4·5	·9719041	−5493 −65	−204	·9711093	−5658 −63	−208	·9702937	−5826 −66	−211	·9694571	−5998 −68	−214	·9685991	−6171 −68	−217	·9677194	4·5
4·6	·9757148	−4867 −60	−179	·9750342	−5015 −59	−182	·9743354	−5164 −62	−184	·9736182	−5316 −62	−186	·9728824	−5472 −66	−189	·9721276	4·6
4·7	·9790388	−4298 −55	−156	·9784576	−4429 −56	−157	·9778607	−4564 −58	−160	·9772477	−4700 −57	−163	·9766185	−4840 −63	−166	·9759727	4·7
4·8	·9819330	−3788 −50	−136	·9814381	−3904 −53	−136	·9809296	−4023 −55	−139	·9804072	−4145 −54	−142	·9798706	−4268 −59	−144	·9793197	4·8
4·9	·9844484	−3328 −47	−116	·9840282	−3432 −48	−118	·9835962	−3537 −50	−120	·9831522	−3644 −50	−122	·9826959	−3753 −56	−124	·9822272	4·9
5·0	·9866310	−2919 −45	−100	·9862751	−3008 −44	−101	·9859091	−3101 −46	−103	·9855328	−3197 −47	−105	·9851459	−3294 −50	−107	·9847483	5·0
5·1	·9885217	−2556 −40	−86	·9882212	−2636 −40	−88	·9879119	−2716 −42	−89	·9875937	−2797 −43	−90	·9872665	−2882 −48	−92	·9869301	5·1
5·2	·9901569	−2231 −36	−74	·9899037	−2299 −37	−74	·9896431	−2370 −39	−76	·9893749	−2443 −40	−78	·9890989	−2516 −41	−79	·9888151	5·2
5·3	·9915690	−1943 −32	−63	·9913563	−2003 −34	−63	·9911373	−2065 −36	−65	·9909118	−2128 −37	−66	·9906797	−2194 −37	−68	·9904408	5·3
5·4	·9927868	−1692 −28	−54	·9926086	−1743 −31	−54	·9924250	−1798 −33	−55	·9922359	−1850 −32	−56	·9920411	−1906 −33	−57	·9918407	5·4
5·5	·9938354	−1468 −26	−45	·9936866	−1514 −27	−47	·9935331	−1560 −30	−47	·9933750	−1608 −28	−48	·9932119	−1654 −30	−49	·9930441	5·5
5·6	·9947372	−1273 −24	−38	·9946132	−1311 −24	−40	·9944852	−1350 −27	−40	·9943533	−1391 −26	−41	·9942173	−1434 −27	−42	·9940772	5·6
5·7	·9955117	−1101 −22	−32	·9954087	−1135 −22	−34	·9953023	−1169 −24	−34	·9951925	−1202 −23	−34	·9950793	−1238 −24	−35	·9949626	5·7
5·8	·9961761	−953 −20	−28	·9960907	−980 −20	−28	·9960025	−1009 −22	−28	·9959115	−1040 −20	−29	·9958175	−1070 −22	−29	·9957206	5·8
5·9	·9967452	−820 −18	−25	·9966747	−845 −18	−24	·9966018	−870 −20	−24	·9965265	−896 −17	−25	·9964487	−922 −20	−26	·9963685	5·9
6·0	·9972323	−708 −16	−20	·9971742	−723 −16	−20	·9971141	−749 −18	−21	·9970519	−769 −16	−21	·9969877	−791 −17	−21	·9969215	6·0

	p = 4·5		p = 4·6			p = 4·7			p = 4·8			p = 4·9			p = 5·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	—		·0000000	—		·0000000	—		·0000000	—		·0000000	—		·0000000	—		·0
·1	+344		·0000008	+279		·0000006	+227		·0000004	+185		·0000003	+150		·0000002	+122		·1
·2	+2064 +2156	+16	·0000295	+1761 +1997	+13	·0000239	+1492 +1844	+12	·0000193	+1276 +1692	+10	·0000156	+1084 +1550	+8	·0000126	+920 +1415	+8	·2
·3	+6940 +1999	+60 +4	·0002343	+5240 +1960	+68 +4	·0001971	+4615 +1948	+59	·0001658	+4059 +1896	+48	·0001393	+3568 +1823	+42	·0001170	+3133 +1739	+35	·3
·4	+11815 +1226	+227 +5	·0009631	+10699 +1324	+196 +6	·0008318	+9679 +1384	+177 +4	·0007182	+8738 +1442	+152	·0006198	+7875 +1488	+133	·0005347	+7085 +1522	+112	·4
·5	+18916 +218	+473 +6	·0027618	+17489 +395	+421 +6	·0024344	+16127 +569	+374 +5	·0021444	+14860 +705	+334 +4	·0018878	+13670 +823	+297	·0016609	+12559 +921	+284	·5
·6	+26236 −703	+802 +6	·0063087	+24680 −505	+726 +6	·0056497	+23144 −328	+658 +6	·0050565	+21685 −150	+695 +5	·0045228	+20288 +13	+639 +4	·0040430	+18954 +162	+489 +4	·6
·7	+32651 −1423	+1186 +7	·0123216	+31333 −1249	+1088 +7	·0111794	+29833 −1071	+939 +6	·0101371	+28361 −905	+918 +6	·0091866	+26919 −741	+844 +5	·0083205	+25511 −680	+775 +5	·7
·8	+38044 −1655	+1579 +7	·0214678	+36767 −1726	+1469 +6	·0196924	+35451 −1598	+1368 +6	·0180538	+34132 −1460	+1271 +6	·0165423	+32809 −1321	+1183 +6	·0151491	+31468 −1186	+1100 +6	·8
·9	+41382 −2029	+1945 +5	·0342896	+40453 −1958	+1832 +5	·0317505	+39471 −1874	+1724 +5	·0293837	+38443 −1784	+1621 +5	·0271789	+37378 −1692	+1523 +6	·0251265	+36279 −1583	+1430 +5	·9
1·0	+42691 −1977	+2250 +4	·0511569	+42193 −1957	+2140 +4	·0477557	+41617 −1928	+2034 +4	·0445579	+40970 −1891	+1931 +4	·0415533	+40255 −1834	+1832 +4	·0387318	+39487 −1764	+1738 +4	1·0
1·1	+42023 −1772	+2469 +2	·0722434	+41978 −1797	+2371 +2	·0679226	+41835 −1809	+2273 +2	·0638291	+41806 −1808	+2177 +2	·0599532	+41298 −1808	+2084	·0562858	+40311 −1788	+1992	1·1
1·2	+39563 −1456	+2591 +1	·0975275	+39962 −1511	+2506 +1	·0922730	+40244 −1558	+2424 +1	·0872609	+40434 −1601	+2341 +1	·0824829	+40533 −1628	+2259	·0779309	+40547 −1652	+2178	1·2
1·3	+35687 −1100	+2613	·1268078	+36437 −1175	+2548	·1206478	+37095 −1244	+2483	·1147361	+37661 −1302	+2415	·1090659	+38140 −1360	+2350	·1036307	+38531 −1406	+2280	1·3
1·4	+30691 −730	+2641	·1597318	+31737 −813	+2496	·1527321	+32702 −892	+2450	·1459774	+33586 −970	+2402	·1394629	+34387 −1037	+2352	·1331836	+35109 −1103	+2300	1·4
1·5	+24965 −380	+2386	·1958295	+26224 −464	+2363	·1880866	+27417 −549	+2338	·1805773	+28541 −626	+2306	·1732986	+29597 −703	+2275	·1662474	+30584 −780	+2242	1·5
1·6	+18859 −76	+2168	·2345496	+20247 −166	+2184	·2261828	+21583 −227	+2153	·2180313	+22870 −306	+2142	·2100940	+24104 −387	+2129	·2023696	+25279 −455	+2110	1·6
1·7	+12677 +180	+1904	·2752944	+14114 +115	+1913	·2664373	+15522 +40	+1921	·2577723	+16893 −30	+1925	·2492998	+18224 −91	+1924	·2410197	+19519 −166	+1924	1·7
1·8	+6675 +376	+1811	·3174506	+8096 +321	+1633	·3082440	+9501 +266	+1852	·2992026	+10866 +213	+1668	·2903280	+12253 +145	+1683	·2816217	+13593 +86	+1625	1·8
1·9	+1048 +525	+1303	·3604164	+2399 +481	+1337	·3510008	+3746 +441	+1363	·3417215	+5092 +388	+1393	·3325815	+6427 +344	+1415	·3235830	+7753 +294	+1438	1·9
2·0	−4054 +615	+999	·4036221	−2817 +588	+1037	·3941322	−1568 +551	+1073	·3847496	−314 +521	+1107	·3754777	+945 +486	+1137	·3663196	+2207 +446	+1169	2·0
2·1	−8541 +665	+707	·4465461	−7445 +648	+742	·4371068	−6331 +634	+788	·4277463	−5199 +611	+826	·4184684	−4061 +582	+864	·4092769	−2893 +556	+898	2·1
2·2	−12363 +684	+436	·4887256	−11425 +676	+479	·4794483	−10460 +660	+521	·4702231	−9473 +649	+561	·4610540	−8465 +638	+600	·4519449	−7437 +622	+637	2·2
2·3	−15501 +664	+135	·5297626	−14729 +664	+236	·5207438	−13929 +670	+276	·5117526	−13098 +604	+317	·5027931	−12241 +658	+356	·4938692	−11359 +651	+395	2·3
2·4	−17975 +628	−18	·5693267	−17360 +638	+21	·5606464	−16728 +641	+62	·5519723	−16059 +648	+93	·5433081	−15359 +649	+137	·5346576	−14630 +647	+178	2·4
2·5	−19821 +583	−196	·6071539	−19368 +689	−159	·5988762	−18886 +599	−124	·5905861	−18372 +608	−88	·5822872	−17828 +618	−53	·5739830	−17254 +625	−18	2·5
2·6	−21084 +518	−340	·6430443	−20781 +534	−310	·6352174	−20445 +550	−278	·6273627	−20077 +558	−245	·6194835	−19679 +562	−213	·6115830	−19253 +582	−181	2·6
2·7	−21835 +456	−457	·6768566	−21658 +466	−428	·6695141	−21454 +482	−400	·6621316	−21221 +498	−372	·6547119	−20961 +516	−345	·6472577	−20670 +626	−315	2·7
2·8	−22130 +363	−641	·7085031	−22070 +400	−519	·7016654	−21981 +417	−493	·6947784	−21869 +437	−472	·6878442	−21727 +449	−446	·6808654	−21561 +467	−422	2·8
2·9	−22042 +317	−600	·7379426	−22077 +336	−680	·7316186	−22091 +355	−563	·7252383	−22078 +366	−642	·7188038	−22044 +386	−623	·7123170	−21985 +401	−501	2·9
3·0	−21637 +257	−637	·7651744	−21762 +274	−622	·7593627	−21846 +287	−608	·7534904	−21921 +305	−691	·7475590	−21975 +320	−575	·7415701	−22008 +336	−557	3·0
3·1	−20975 +202	−655	·7902310	−21152 +216	−642	·7849222	−21314 +231	−630	·7795504	−21459 +247	−619	·7741167	−21586 +262	−608	·7686224	−21695 +275	−693	3·1
3·2	−20111 +149	−654	·8131724	−20339 +161	−647	·8083503	−20551 +172	−637	·8034645	−20750 +189	−629	·7985158	−20935 +199	−619	·7935052	−21107 +219	−611	3·2
3·3	−19104 +107	−643	·8340799	−19363 +116	−636	·8297233	−19616 +128	−631	·8253036	−19857 +140	−625	·8208214	−20085 +150	−619	·8162773	−20300 +165	−610	3·3
3·4	−17990 +61	−620	·8530509	−18275 +76	−615	·8491347	−18553 +84	−614	·8451570	−18820 +94	−608	·8111185	−19061 +106	−606	·8370194	−19332 +119	−600	3·4
3·5	−16815 +32	−690	·8701944	−17113 +41	−588	·8666908	−17406 +48	−587	·8631284	−17693 +59	−585	·8595075	−17973 +69	−683	·8558283	−18245 +77	−680	3·5
3·6	−15608 +6	−554	·8856266	−15912 +13	−554	·8825063	−16211 +18	−555	·8793305	−16507 +27	−555	·8760992	−16796 +36	−654	·8728127	−17084 +43	−652	3·6
3·7	−14398 −17	−516	·8994676	−14698 −19	−517	·8967007	−14998 −7	−518	·8938819	−15294 −1	−519	·8910113	−15590 +6	−520	·8880887	−15880 +13	−521	3·7
3·8	−13205 −37	−478	·9118388	−13501 −26	−478	·9093953	−13792 −28	−479	·9069039	−14085 −23	−481	·9043644	−14375 −16	−482	·9017767	−14665 −11	−484	3·8
3·9	−12049 −50	−435	·9228599	−12330 −42	−437	·9207107	−12614 −44	−440	·9185174	−12896 −39	−442	·9162800	−13179 −34	−444	·9139982	−13461 −32	−447	3·9
4·0	−10939 −59	−393	·9326480	−11207 −55	−396	·9307647	−11477 −54	−400	·9288413	−11746 −52	−403	·9268777	−12017 −49	−406	·9248736	−12289 −46	−409	4·0
4·1	−9888 −63	−354	·9413154	−10130 −63	−357	·9396710	−10391 −62	−360	·9379906	−10648 −60	−364	·9362737	−10904 −59	−367	·9345201	−11161 −55	−370	4·1
4·2	−8900 −67	−317	·9489689	−9134 −66	−320	·9475382	−9370 −66	−324	·9460751	−9607 −66	−327	·9445793	−9847 −65	−330	·9430505	−10088 −63	−333	4·2
4·3	−7980 −69	−282	·9557090	−8195 −68	−285	·9544684	−8413 −69	−289	·9531989	−8632 −69	−292	·9519002	−8863 −69	−295	·9505721	−9078 −67	−299	4·3
4·4	−7127 −72	−249	·9616296	−7324 −71	−253	·9605573	−7522 −72	−256	·9594595	−7725 −71	−259	·9583358	−7030 −71	−262	·9571859	−8137 −69	−266	4·4
4·5	−6348 −68	−219	·9668178	−6524 −68	−222	·9658940	−6708 −68	−225	·9649476	−6889 −69	−228	·9639784	−7078 −68	−232	·9629860	−7264 −70	−235	4·5
4·6	−5631 −65	−192	·9713536	−5799 −66	−135	·9705601	−5966 −65	−198	·9697468	−6122 −67	−201	·9689134	−6290 −66	−204	·9680597	−6461 −70	−207	4·6
4·7	−4981 −62	−168	·9753102	−5126 −63	−170	·9746306	−5271 −62	−172	·9739338	−5421 −65	−175	·9732194	−5572 −64	−177	·9724873	−5728 −66	−180	4·7
4·8	−4395 −58	−146	·9787542	−4522 −60	−148	·9781740	−4654 −69	−150	·9775787	−4787 −62	−152	·9769682	−4924 −59	−155	·9763421	−5061 −64	−168	4·8
4·9	−3864 −34	−126	·9817460	−3980 −56	−128	·9812520	−4097 −54	−130	·9807449	−4215 −67	−132	·9802246	−4335 −68	−134	·9796908	−4458 −61	−136	4·9
5·0	−3393 −50	−109	·9843398	−3492 −53	−111	·9839203	−3594 −60	−112	·9834896	−3700 −53	−114	·9830475	−3808 −63	−116	·9825937	−3917 −58	−118	5·0
5·1	−2968 −48	−93	·9865844	−3057 −49	−95	·9862292	−3148 −47	−97	·9858643	−3240 −49	−98	·9854896	−3334 −50	−100	·9851049	−3430 −54	−103	5·1
5·2	−2593 −44	−80	·9885233	−2671 −43	−82	·9882233	−2749 −44	−83	·9879150	−2829 −45	−84	·9875983	−2911 −47	−85	·9872731	−2997 −48	−87	5·2
5·3	−2258 −40	−69	·9901951	−2325 −39	−70	·9899425	−2395 −41	−71	·9896828	−2467 −40	−72	·9894159	−2540 −44	−73	·9891416	−2612 −44	−74	5·3
5·4	−1965 −37	−58	·9916344	−2023 −36	−69	·9914222	−2063 −37	−60	·9912039	−2143 −37	−60	·9909795	−2205 −40	−62	·9907489	−2271 −40	−63	5·4
5·5	−1703 −34	−50	·9928714	−1755 −33	−50	·9926936	−1807 −33	−51	·9925107	−1861 −33	−52	·9923226	−1916 −35	−53	·9921291	−1970 −37	−54	5·5
5·6	−1477 −30	−43	·9939329	−1520 −29	−44	·9937843	−1564 −30	−44	·9936314	−1609 −30	−45	·9934741	−1657 −32	−45	·9933123	−1706 −33	−46	5·6
5·7	−1274 −26	−35	·9948424	−1312 −26	−36	·9947186	−1351 −26	−37	·9945912	−1392 −27	−37	·9944599	−1430 −29	−38	·9943249	−1472 −30	−38	5·7
5·8	−1101 −23	−30	·9956207	−1133 −23	−31	·9955178	−1167 −23	−31	·9954118	−1200 −25	−31	·9953027	−1237 −26	−32	·9951903	−1271 −26	−32	5·8
5·9	−949 −20	−26	·9962857	−976 −20	−28	·9962003	−1003 −21	−28	·9961124	−1032 −23	−26	·9960218	−1060 −24	−26	·9959286	−1092 −23	−27	5·9
6·0	−816 −18	−22	·9968531	−839 −18	−22	·9967825	−862 −20	−23	·9967098	−887 −20	−23	·9966349	−914 −22	−23	·9965577	−939 −20	−23	6·0

	$p = 4{\cdot}0$			$p = 4{\cdot}1$			$p = 4{\cdot}2$			$p = 4{\cdot}3$			$p = 4{\cdot}4$			$p = 4{\cdot}5$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9972323	−703 −16	−20	·9971742	−728 −16	−20	·9971141	−749 −18	−21	·9970519	−769 −18	−21	·9969877	−791 −17	−21	·9969215	6·0
6·1	·9976486	−808 −14	−17	·9976009	−625 −15	−17	·9975515	−643 −18	−17	·9975004	−662 −14	−17	·9974476	−682 −15	−17	·9973930	6·1
6·2	·9980041	−523 −12	−14	·9979651	−539 −13	−14	·9979246	−553 −14	−14	·9978827	−588 −12	−14	·9978393	−583 −14	−15	·9977945	6·2
6·3	·9983073	−443 −11	−12	·9982754	−463 −11	−11	·9982424	−474 −12	−12	·9982082	−488 −11	−12	·9981727	−501 −12	−13	·9981360	6·3
6·4	·9985656	−383 −10	−10	·9985397	−398 −10	−10	·9985128	−404 −10	−10	·9984849	−418 −10	−10	·9984560	−427 −11	−11	·9984261	6·4
6·5	·9987856	−330 −9	−9	·9987646	−333 −9	−8	·9987428	−345 −9	−8	·9987201	−356 −9	−8	·9986966	−365 −10	−9	·9986722	6·5
6·6	·9989726	−282 −7	−7	·9989556	−288 −8	−6	·9989380	−295 −8	−7	·9989197	−303 −3	−7	·9989007	−312 −9	−7	·9988809	6·6
6·7	·9991314	−239 −6	−6	·9991178	−244 −7	−5	·9991037	−253 −7	−6	·9990890	−259 −7	−6	·9990736	−266 −8	−6	·9990576	6·7
6·8	·9992663	−205 −5	−5	·9992554	−211 −8	−4	·9992441	−215 −8	−5	·9992322	−222 −6	−5	·9992199	−225 −7	−5	·9992070	6·8
6·9	·9993807	−175 −4	−4	·9993721	−180 −5	−4	·9993630	−183 −5	−4	·9993534	−189 −5	−4	·9993437	−191 −6	−5	·9993334	6·9
7·0	·9994776	−143 −4		·9994708	−153 −4		·9994636	−155 −4	−4	·9994561	−161 −4	−4	·9994482	−162 −5	−4	·9994400	7·0
7·1	·9995597	−127		·9995544	−131		·9995487	−132		·9995427	−137		·9995365	−138 −4		·9995300	7·1
7·2	·9996291	−107		·9996249	−111		·9996205	−112		·9996159	−117		·9996110	−118		·9996058	7·2
7·3	·9996878	−91		·9996846	−93		·9996811	−95		·9996774	−98		·9996736	−100		·9996695	7·3
7·4	·9997373	−77		·9997348	−77		·9997322	−80		·9997294	−82		·9997264	−84		·9997233	7·4
7·5	·9997792	−66		·9997773	−65		·9997753	−68		·9997732	−70		·9997709	−72		·9997684	7·5
7·6	·9998145	−56		·9998131	−55		·9998116	−58		·9998100	−59		·9998082	−60		·9998063	7·6
7·7	·9998442	−47		·9998432	−47		·9998421	−49		·9998409	−50		·9998395	−49		·9998381	7·7
7·8	·9998692	−39		·9998685	−40		·9998677	−40		·9998668	−42		·9998659	−41		·9998649	7·8
7·9	·9998903	−33		·9998898	−33		·9998893	−35		·9998886	−35		·9998879	−35		·9998871	7·9
8·0	·9999081	−28		·9999078	−28		·9999074	−29		·9999069	−29		·9999064	−30		·9999058	8·0
8·1	·9999230	−24		·9999228	−24		·9999226	−25		·9999223	−24		·9999219	−25		·9999215	8·1
8·2	·9999355	−20		·9999354	−20		·9999353	−20		·9999351	−20		·9999349	−22		·9999346	8·2
8·3	·9999460	−17		·9999460	−17		·9999460	−17		·9999459	−17		·9999457	−18		·9999456	8·3
8·4	·9999548	−14		·9999549	−15		·9999549	−14		·9999549	−15		·9999548	−15		·9999547	8·4
8·5	·9999622	−11		·9999623	−13		·9999624	−12		·9999624	−13		·9999624	−13		·9999624	8·5
8·6	·9999685	−9		·9999686	−11		·9999686	−10		·9999687	−11		·9999687	−10		·9999687	8·6
8·7	·9999736	−8		·9999737	−9		·9999738	−8		·9999739	−9		·9999740	−9		·9999740	8·7
8·8	·9999780	−7		·9999781	−7		·9999782	−7		·9999783	−7		·9999783	−8		·9999784	8·8
8·9	·9999816	−6		·9999818	−6		·9999819	−7		·9999820	−6		·9999820	−7		·9999821	8·9
9·0	·9999847	−5		·9999848	−5		·9999849	−6		·9999850	−5		·9999851	−6		·9999852	9·0
9·1	·9999872	−4		·9999873	−4		·9999874	−5		·9999875	−4		·9999876	−5		·9999877	9·1
9·2	·9999894			·9999895			·9999896			·9999896			·9999897			·9999898	9·2
9·3	·9999911			·9999912			·9999913			·9999914			·9999915			·9999916	9·3
9·4	·9999926			·9999927			·9999928			·9999929			·9999929			·9999930	9·4
9·5	·9999939			·9999940			·9999940			·9999941			·9999941			·9999942	9·5
9·6	·9999949			·9999950			·9999950			·9999951			·9999951			·9999952	9·6
9·7	·9999957			·9999958			·9999959			·9999960			·9999960			·9999961	9·7
9·8	·9999965			·9999966			·9999966			·9999967			·9999967			·9999967	9·8
9·9	·9999971			·9999972			·9999972			·9999972			·9999972			·9999972	9·9
10·0	·9999976			·9999977			·9999977			·9999977			·9999977			·9999977	10·0
10·1	·9999980			·9999981			·9999981			·9999981			·9999981			·9999982	10·1
10·2	·9999983			·9999984			·9999984			·9999985			·9999985			·9999985	10·2
10·3	·9999986			·9999987			·9999987			·9999987			·9999987			·9999987	10·3
10·4	·9999988			·9999989			·9999989			·9999989			·9999989			·9999989	10·4
10·5	·9999990			·9999991			·9999991			·9999991			·9999991			·9999991	10·5
10·6	·9999992			·9999992			·9999993			·9999993			·9999993			·9999993	10·6
10·7	·9999994			·9999994			·9999994			·9999994			·9999994			·9999994	10·7
10·8	·9999995			·9999995			·9999995			·9999995			·9999995			·9999995	10·8
10·9	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	10·9
11·0	·9999996			·9999996			·9999996			·9999997			·9999997			·9999997	11·0
11·1	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·1
11·2	·9999997			·9999997			·9999998			·9999998			·9999998			·9999998	11·2
11·3	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·3
11·4	·9999998			·9999998			·9999998			·9999998			·9999998			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·8
11·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·9
12·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·0
12·1	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·1

	$p = 4{\cdot}5$		$p = 4{\cdot}6$			$p = 4{\cdot}7$			$p = 4{\cdot}8$			$p = 4{\cdot}9$			$p = 5{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−815 −18	−22	·9968531	−839 −18	−22	·9967825	−862 −20	−23	·9967098	−887 −20	−23	·9966349	−914 −22	−23	·9965577	−939 −20	−23	6·0
6·1	−700 −16	−18	·9973366	−719 −16	−18	·9972785	−741 −18	−19	·9972185	−762 −18	−19	·9971566	−782 −20	−19	·9970929	−805 −18	−19	6·1
6·2	−600 −14	−15	·9977482	−618 −15	−15	·9977004	−635 −16	−15	·9976510	−652 −16	−15	·9976001	−671 −18	−16	·9975476	−689 −18	−16	6·2
6·3	−514 −12	−13	·9980980	−527 −13	−13	·9980588	−542 −14	−13	·9980183	−557 −14	−13	·9979765	−572 −18	−13	·9979334	−586 −14	−14	6·3
6·4	−440 −10	−11	·9983951	−452 −12	−11	·9983630	−463 −12	−11	·9983299	−476 −12	−11	·9982957	−489 −14	−11	·9982604	−500 −13	−12	6·4
6·5	−376 −9	−9	·9986470	−385 −11	−9	·9986209	−396 −10	−9	·9985939	−407 −11	−9	·9985660	−418 −12	−9	·9985371	−425 −12	−10	6·5
6·6	−320 −8	−7	·9988604	−328 −10	−7	·9988392	−338 −9	−7	·9988172	−345 −10	−7	·9987945	−356 −10	−8	·9987710	−382 −10	−8	6·6
6·7	−272 −7	−6	·9990410	−279 −9	−6	·9990238	−288 −8	−6	·9990060	−293 −9	−6	·9989876	−302 −8	−7	·9989685	−309 −0	−7	6·7
6·8	−230 −6	−5	·9991937	−237 −8	−5	·9991799	−242 −7	−5	·9991655	−251 −8	−6	·9991506	−255 −7	−8	·9991351	−263 −8	−6	6·8
6·9	−198 −5	−5	·9993227	−202 −7	−5	·9993115	−206 −6	−5	·9992999	−213 −7	−5	·9992879	−215 −6	−5	·9992755	−223 −6	−5	6·9
7·0	−166 −4	−4	·9994315	−171 −5	−4	·9994225	−174 −5	−4	·9994132	−179 −6	−5	·9994036	−182 −5	−5	·9993936	−188 −5	−5	7·0
7·1	−142 −4		·9995232	−145 −4		·9995161	−148 −4		·9995086	−152 −5	−4	·9995009	−155 −4	−4	·9994929	−158 −4	−4	7·1
7·2	−121		·9996004	−123		·9995947	−125		·9995888	−128 −4		·9995827	−131 −4		·9995763	−132 −4	−4	7·2
7·3	−102		·9996653	−104		·9996608	−104		·9996562	−108		·9996514	−112		·9996463	−112		7·3
7·4	−86		·9997200	−88		·9997165	−88		·9997128	−91		·9997089	−94		·9997049	−94		7·4
7·5	−72		·9997658	−75		·9997631	−75		·9997602	−78		·9997572	−78		·9997541	−80		7·5
7·6	−60		·9998043	−63		·9998022	−64		·9998000	−64		·9997977	−66		·9997952	−68		7·6
7·7	−50		·9998366	−53		·9998350	−54		·9998333	−55		·9998314	−54		·9998295	−56		7·7
7·8	−42		·9998637	−45		·9998624	−45		·9998611	−45		·9998597	−44		·9998582	−47		7·8
7·9	−35		·9998863	−37		·9998854	−38		·9998844	−37		·9998833	−37		·9998822	−40		7·9
8·0	−30		·9999052	−30		·9999045	−32		·9999038	−31		·9999030	−32		·9999022	−33		8·0
8·1	−26		·9999211	−24		·9999206	−27		·9999200	−26		·9999194	−27		·9999188	−27		8·1
8·2	−22		·9999343	−20		·9999340	−23		·9999336	−22		·9999332	−23		·9999327	−23		8·2
8·3	−19		·9999454	−17		·9999451	−19		·9999448	−19		·9999445	−20		·9999442	−19		8·3
8·4	−16		·9999546	−15		·9999544	−16		·9999542	−16		·9999540	−17		·9999538	−16		8·4
8·5	−14		·9999623	−13		·9999622	−13		·9999620	−13		·9999619	−14		·9999617	−13		8·5
8·6	−11		·9999687	−11		·9999686	−11		·9999685	−11		·9999684	−12		·9999683	−11		8·6
8·7	−9		·9999740	−9		·9999739	−9		·9999739	−9		·9999739	−10		·9999738	−9		8·7
8·8	−7		·9999784	−7		·9999784	−8		·9999784	−8		·9999784	−8		·9999784	−8		8·8
8·9	−6		·9999821	−5		·9999821	−6		·9999821	−7		·9999821	−7		·9999821	−7		8·9
9·0	−5		·9999852	−5		·9999852	−5		·9999852	−8		·9999853	−5		·9999853	−8		9·0
9·1	−4		·9999877	−4		·9999878	−4		·9999878	−5		·9999878	−4		·9999878	−4		9·1
9·2			·9999898			·9999899			·9999899			·9999899			·9999900			9·2
9·3			·9999916			·9999917			·9999917			·9999917			·9999917			9·3
9·4			·9999930			·9999931			·9999931			·9999932			·9999932			9·4
9·5			·9999942			·9999942			·9999943			·9999944			·9999944			9·5
9·6			·9999952			·9999952			·9999953			·9999954			·9999954			9·6
9·7			·9999961			·9999961			·9999961			·9999962			·9999962			9·7
9·8			·9999968			·9999968			·9999968			·9999968			·9999969			9·8
9·9			·9999973			·9999974			·9999974			·9999974			·9999974			9·9
10·0			·9999978			·9999978			·9999978			·9999979			·9999979			10·0
10·1			·9999982			·9999982			·9999982			·9999983			·9999983			10·1
10·2			·9999985			·9999985			·9999986			·9999986			·9999986			10·2
10·3			·9999988			·9999988			·9999988			·9999988			·9999988			10·3
10·4			·9999990			·9999990			·9999990			·9999990			·9999990			10·4
10·5			·9999992			·9999992			·9999992			·9999992			·9999992			10·5
10·6			·9999993			·9999994			·9999994			·9999994			·9999994			10·6
10·7			·9999994			·9999995			·9999995			·9999995			·9999995			10·7
10·8			·9999995			·9999996			·9999996			·9999996			·9999996			10·8
10·9			·9999996			·9999996			·9999996			·9999996			·9999997			10·9
11·0			·9999997			·9999997			·9999997			·9999997			·9999997			11·0
11·1			·9999997			·9999997			·9999998			·9999998			·9999998			11·1
11·2			·9999998			·9999998			·9999998			·9999998			·9999998			11·2
11·3			·9999998			·9999998			·9999998			·9999998			·9999998			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			·9999999			·9999999			·9999999			·9999999			·9999999			11·7
11·8			·9999999			·9999999			·9999999			·9999999			·9999999			11·8
11·9			·9999999			·9999999			·9999999			·9999999			1·0000000			11·9
12·0			·9999999			·9999999			·9999999			·9999999						
12·1			1·0000000			1·0000000			1·0000000			1·0000000						

	$p = 5{\cdot}0$			$p = 5{\cdot}2$			$p = 5{\cdot}4$			$p = 5{\cdot}6$			$p = 5{\cdot}8$			$p = 6{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0000000	·0
·1	·0000002	+122 —		·0000001	+80 —		·0000001	+52 —		·0000000	+35 —		·0000000	+22 —		·0000000	·1
·2	·0000126	+920 +1415	+24 +5	·0000082	+661 +1151	+16 +4	·0000054	+470 +950	+10	·0000035	+335 +761	+7	·0000022	+239 +600	+6	·0000015	·2
·3	·0001170	+3133 +1739	+142 +14	·0000824	+2393 +1605	+101 +11	·0000578	+1838 +1387	+72 +8	·0000405	+1396 +1216	+61 +6	·0000283	+1056 +1049	+36 +4	·0000197	·3
·4	·0005347	+7085 +1522	+457 +38	·0003969	+5730 +1487	+348 +26	·0002939	+4598 +1476	+262 +21	·0002171	+3672 +1393	+197 +16	·0001600	+2922 +1291	+148 +11	·0001177	·4
·5	·0016609	+12559 +921	+1060 +54	·0012834	+10554 +1034	+835 +46	·0009893	+8823 +1180	+656 +36	·0007609	+7341 +1234	+514 +32	·0005839	+6079 +1243	+403 +24	·0004471	·5
·6	·0040430	+18954 +162	+1958 +66	·0032253	+16472 +422	+1596 +64	·0025672	+14237 +636	+1298 +52	·0020388	+12244 +797	+1052 +44	·0016157	+10479 +915	+851 +37	·0012777	·6
·7	·0083205	+25511 −580	+3105 +74	·0068144	+22812 −284	+2604 +76	·0055688	+20285 −17	+2180 +64	·0045411	+17944 +216	+1819 +56	·0036954	+16794 +414	+1514 +48	·0030010	·7
·8	·0151491	+31488 −1186	+4402 +76	·0126846	+28868 −904	+3786 +76	·0105989	+26316 −639	+3248 +68	·0088378	+23860 −383	+2778 +61	·0073545	+21523 −157	+2368 +55	·0061080	·8
·9	·0251265	+36279 −1583	+5725 +73	·0214418	+34020 −1374	+5035 +69	·0182606	+31708 −1145	+4411 +68	·0155204	+29388 −916	+3855 +60	·0131659	+27095 −630	+3359 +57	·0111472	·9
1·0	·0387318	+39487 −1784	+6952 +67	·0336009	+37798 −1642	+6230 +56	·0290931	+35953 −1484	+5567 +56	·0251420	+34001 −1309	+4939 +53	·0216868	+31977 −1123	+4404 +49	·0186721	1·0
1·1	·0562858	+40911 −1788	+7973 +37	·0495398	+39934 −1736	+7272 +38	·0435211	+38718 −1651	+6612 +40	·0381636	+37303 −1540	+5992 +42	·0334054	+35736 −1412	+5415 +43	·0291887	1·1
1·2	·0779309	+40547 −1652	+8712 +17	·0694721	+40334 −1669	+8075 +22	·0618209	+39830 −1658	+7460 +26	·0549157	+39069 −1619	+6870 +27	·0486976	+38083 −1546	+6307 +30	·0431101	1·2
1·3	·1036307	+38531 −1406	+9126 0	·0934378	+39066 −1481	+8587 +3	·0841037	+39284 −1626	+8052 +8	·0755747	+39214 −1546	+7525 +12	·0677981	+38884 −1548	+7010 +14	·0607226	1·3
1·4	·1331836	+35109 −1103	+9202 −14	·1213100	+36315 −1226	+8784 −12	·1103149	+37212 −1313	+8354 −6	·1001551	+37814 −1382	+7917 −2	·0907870	+38137 −1425	+7478 +2	·0821666	1·4
1·5	·1662474	+30584 −780	+8962 −28	·1528137	+32343 −913	+8673 −23	·1402473	+33827 −1035	+8361 −19	·1285169	+35032 −1140	+8030 −14	·1175896	+35966 −1225	+7685 −10	·1074308	1·5
1·6	·2023696	+25279 −455	+8440 −34	·1875519	+27462 −602	+8282 −32	·1735624	+29407 −735	+8090 −27	·1603819	+31110 −859	+7872 −22	·1479887	+32568 −968	+7632 −19	·1363586	1·6
1·7	·2410197	+19519 −166	+7692 −38	·2250363	+21977 −303	+7653 −36	·2098182	+24252 −440	+7578 −32	·1953579	+26329 −566	+7470 −29	·1816446	+28203 −691	+7334 −25	·1686647	1·7
1·8	·2816217	+13593 +86	+6776 −40	·2647184	+16189 −37	+6840 −35	·2484992	+18657 −162	+6869 −34	·2329668	+20982 −290	+6863 −31	·2181208	+23147 −408	+6827 −29	·2039574	1·8
1·9	·3235830	+7753 +294	+5749 −35	·3060194	+10864 +185	+5900 −34	·2890459	+12900 +78	+6016 −33	·2726739	+15345 −34	+6098 −31	·2569117	+17683 −153	+6149 −30	·2417645	1·9
2·0	·3663196	+2207 +446	+4672 −32	·3483568	+4724 +367	+4887 −31	·3308826	+7221 +271	+5071 −30	·3139155	+9674 +176	+5223 −30	·2974709	+12067 +77	+5349 −29	·2815612	2·0
2·1	·4092769	−2893 +556	+3591 −27	·3911666	−649 +493	+3851 −27	·3734414	+1813 +429	+4084 −26	·3561245	+4179 +350	+4291 −26	·3392368	+6528 +268	+4472 −26	·3227964	2·1
2·2	·4519449	−7437 +622	+2548 −20	·4339215	−6329 +583	+2834 −21	·4161815	−3166 +532	+3093 −21	·3987514	−966 +476	+3342 −22	·3816555	+1257 +409	+3563 −23	·3649160	2·2
2·3	·4938692	−11559 +651	+1677 −14	·4761435	−9526 +628	+1872 −15	·4586050	−7613 +598	+2152 −16	·4412817	−5635 +563	+2415 −17	·4241999	−3605 +522	+2660 −18	·4073841	2·3
2·4	·5346576	−14630 +647	+700 −11	·5174129	−13095 +645	+990 −11	·5002672	−11462 +634	+1271 −12	·4832485	−9741 +611	+1540 −13	·4663838	−7945 +580	+1796 −13	·4496986	2·4
2·5	·5739830	−17254 +623	−71 −6	·5573728	−16019 +630	+206 −7	·5407832	−14677 +631	+476 −9	·5242412	−13236 +629	+739 −9	·5077732	−11705 +621	+994 −9	·4914045	2·5
2·6	·6115830	−19253 +582	−726 −4	·5957308	−18313 +602	−471 −4	·5798315	−17261 +613	−219 −4	·5639103	−16102 +617	+30 −5	·5479921	−14844 +616	+274 −6	·5321013	2·6
2·7	·6472577	−20670 +526	−1263	·6322575	−20006 +548	−1036	·6171537	−19230 +566	−808	·6019692	−18551 +589	−580	·5867266	−17367 +598	−355 −4	·5714486	2·7
2·8	·6808654	−21561 +467	−1687	·6667837	−21149 +497	−1491	·6525529	−20633 +526	−1290	·6381930	−20011 +542	−1088	·6237244	−19292 +567	−883	·6091672	2·8
2·9	·7123170	−21985 +401	−2007	·6991950	−21796 +432	−1842	·6858888	−21510 +459	−1669	·6724157	−21129 +488	−1496	·6587930	−20650 +517	−1317	·6450386	2·9
3·0	·7415701	−22008 +336	−2231	·7294267	−22011 +366	−2091	·7170737	−21928 +398	−1952	·7045255	−21759 +430	−1807	·6917966	−21501 +460	−1658	·6789021	3·0
3·1	·7686224	−21695 +275	−2371	·7574573	−21860 +310	−2284	·7460658	−21948 +336	−2149	·7344594	−21959 +363	−2029	·7226501	−21892 +389	−1905	·7106503	3·1
3·2	·7935052	−21107 +219	−2440	·7833019	−21399 +246	−2355	·7728631	−21632 +273	−2269	·7621974	−21796 +302	−2173	·7513144	−21894 +330	−2076	·7402238	3·2
3·3	·8162773	−20300 +165	−2444	·8070066	−20698 +194	−2386	·7974972	−21041 +217	−2321	·7877558	−21331 +246	−2250	·7777893	−21560 +269	−2174	·7676054	3·3
3·4	·8370194	−19332 +119	−2403	·8286415	−19803 +140	−2363	·8200272	−20233 +163	−2319	·8111811	−20618 +188	−2268	·8021082	−20957 +213	−2213	·7928139	3·4
3·5	·8558283	−18243 +77	−2321	·8482961	−18771 +98	−2299	·8405339	−19262 +117	−2272	·8325446	−19720 +140	−2239	·8243314	−20139 +162	−2202	·8158979	3·5
3·6	·8728127	−17084 +43	−2213	·8660736	−17638 +63	−2203	·8591144	−18174 +78	−2189	·8519361	−18680 +95	−2172	·8445407	−19159 +117	−2130	·8369301	3·6
3·7	·8880887	−15880 +13	−2089	·8820873	−16453 +30	−2083	·8758775	−17007 +41	−2081	·8694596	−17545 +56	−2077	·8628341	−18062 +75	−2067	·8560018	3·7
3·8	·9017767	−14665 −11	−1938	·8964557	−15238 −1	−1948	·8909399	−15802 +12	−1956	·8852286	−16354 +29	−1959	·8793213	−16890 +39	−1961	·8732180	3·8
3·9	·9139982	−13461 −32	−1785	·9093003	−14024 −24	−1803	·9044221	−14582 −12	−1818	·8993622	−15134 −1	−1828	·8941195	−15679 +10	−1838	·8886930	3·9
4·0	·9248736	−12289 −46	−1634	·9207425	−12831 −43	−1654	·9164461	−13376 −31	−1673	·9119824	−13918 −23	−1690	·9073498	−14456 −12	−1705	·9025467	4·0
4·1	·9345201	−11161 −55	−1480	·9309015	−11681 −55	−1503	·9271325	−12201 −46	−1526	·9232108	−12725 −39	−1548	·9191343	−13247 −30	−1567	·9149012	4·1
4·2	·9430505	−10088 −63	−1333	·9398926	−10576 −62	−1359	·9365988	−11071 −56	−1383	·9331667	−11569 −52	−1406	·9295941	−12072 −44	−1428	·9258786	4·2
4·3	·9505721	−9078 −67	−1193	·9478260	−9533 −67	−1218	·9449580	−9995 −63	−1243	·9419657	−10465 −62	−1268	·9388467	−10941 −55	−1291	·9355985	4·3
4·4	·9571859	−8137 −69	−1062	·9548061	−8557 −68	−1086	·9523177	−8986 −66	−1111	·9497182	−9425 −68	−1135	·9470052	−9867 −64	−1159	·9441763	4·4
4·5	·9629860	−7264 −70	−939	·9609305	−7649 −69	−963	·9587788	−8043 −71	−987	·9565284	−8446 −71	−1010	·9541770	−8858 −69	−1034	·9517222	4·5
4·6	·9680597	−6461 −70	−826	·9662900	−6810 −71	−848	·9644356	−7171 −71	−871	·9624940	−7540 −72	−894	·9604630	−7918 −73	−917	·9583404	4·6
4·7	·9724873	−5728 −66	−723	·9709685	−6045 −69	−744	·9693753	−6370 −68	−765	·9677056	−6706 −70	−787	·9659572	−7051 −71	−808	·9641279	4·7
4·8	·9763421	−5061 −64	−630	·9750425	−5344 −64	−649	·9736780	−5637 −66	−669	·9722466	−5940 −68	−689	·9707463	−6251 −69	−709	·9691752	4·8
4·9	·9796908	−4458 −61	−546	·9785821	−4712 −61	−564	·9774170	−4975 −64	−582	·9761936	−5246 −65	−600	·9749103	−5526 −67	−619	·9735651	4·9
5·0	·9825937	−3917 −58	−473	·9816505	−4141 −58	−488	·9806585	−4373 −61	−504	·9796161	−4615 −61	−520	·9785217	−4866 −64	−538	·9773735	5·0
5·1	·9851049	−3430 −54	−407	·9843048	−3628 −54	−421	·9834627	−3835 −57	−435	·9825771	−4050 −56	−450	·9816465	−4272 −60	−465	·9806694	5·1
5·2	·9872731	−2997 −48	−349	·9865963	−3172 −49	−361	·9858834	−3354 −53	−374	·9851331	−3543 −55	−387	·9843441	−3740 −55	−400	·9835150	5·2
5·3	·9891416	−2612 −44	−298	·9885706	−2764 −44	−309	·9879687	−2923 −50	−320	·9873348	−3089 −53	−332	·9866677	−3261 −50	−343	·9859663	5·3
5·4	·9907489	−2271 −40	−254	·9902685	−2406 −38	−264	·9897617	−2543 −46	−273	·9892276	−2688 −48	−283	·9886652	−2840 −46	−294	·9880734	5·4
5·5	·9921291	−1970 −37	−216	·9917259	−2084 −35	−224	·9913004	−2207 −42	−232	·9908516	−2333 −44	−241	·9903787	−2463 −43	−249	·9898807	5·5
5·6	·9933123	−1706 −33	−183	·9929749	−1806 −32	−190	·9926184	−1909 −39	−197	·9922423	−2019 −39	−204	·9918457	−2133 −40	−212	·9914279	5·6
5·7	·9943249	−1472 −30	−153	·9940433	−1560 −29	−161	·9937455	−1650 −35	−167	·9934311	−1744 −35	−173	·9930994	−1843 −37	−180	·9927497	5·7
5·8	·9951903	−1271 −26	−131	·9949557	−1343 −26	−135	·9947076	−1421 −30	−140	·9944455	−1503 −30	−146	·9941688	−1588 −33	−152	·9938769	5·8
5·9	·9959286	−1092 −23	−110	·9957338	−1156 −23	−114	·9955276	−1222 −27	−118	·9953096	−1291 −27	−123	·9950794	−1365 −30	−127	·9948364	5·9
6·0	·9965577	−939 −20	−93	·9963963	−992 −21	−96	·9962254	−1050 −24	−98	·9960446	−1110 −26	−103	·9958535	−1172 −27	−107	·9956517	6·0

	$p = 6·0$		$p = 6·2$			$p = 6·4$			$p = 6·6$			$p = 6·8$			$p = 7·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0000000	— —		·0
·1	+15 —		·0000000	+9 —		·0000000	+6 —		·0000000	+4 —		·0000000	+2 —		·0000000	+2 —		·1
·2	+187 +473		·0000009	+119 +380		·0000006	+83 +288		·0000004	+68 +231		·0000002	+41 +158		·0000002	+27 +133		·2
·3	+798 +885	+23	·0000137	+599 +746	+18	·0000095	+448 +623	+12	·0000066	+333 +518	+9	·0000045	+248 +423	+7	·0000031	+183 +339	+4	·3
·4	+2314 +1182	+110 +9	·0000864	+1825 +1064	+82 +7	·0000632	+1436 +939	+60 +5	·0000461	+1126 +820	+46 +4	·0000336	+878 +716	+36	·0000245	+682 +618	+26	·4
·5	+5012 +1217	+312 +18	·0003416	+4115 +1167	+244 +14	·0002605	+3363 +1107	+189 +12	·0001982	+2739 +1029	+146 +10	·0001505	+2223 +941	+113 +7	·0001141	+1797 +854	+86 +6	·5
·6	+8927 +995	+686 +31	·0010083	+7572 +1040	+552 +26	·0007941	+6337 +1050	+443 +21	·0006242	+5381 +1044	+354 +17	·0004897	+4509 +1018	+282 +14	·0003834	+3766 +972	+225 +11	·6
·7	+13837 +575	+1256 +41	·0024322	+12069 +700	+1039 +35	·0019674	+10481 +797	+858 +30	·0015883	+9067 +858	+706 +25	·0012798	+7813 +897	+580 +21	·0010293	+6707 +915	+475 +18	·7
·8	+19322 +50	+2014 +48	·0050630	+17260 +233	+1708 +44	·0041888	+15362 +389	+1445 +38	·0034591	+13611 +521	+1219 +31	·0028512	+12014 +619	+1026 +29	·0023459	+10563 +699	+861 +24	·8
·9	+24857 −475	+2919 +49	·0094204	+22696 −276	+2529 +48	·0079464	+20632 −86	+2185 +40	·0066910	+18676 +79	+1884 +37	·0056240	+16834 +236	+1619 +34	·0047188	+15118 +361	+1389 +31	·9
1·0	+29917 −829	+3901 +47	·0160474	+27856 −742	+3444 +46	·0137672	+25818 −554	+3034 +42	·0117905	+23820 −370	+2685 +39	·0100802	+21890 −209	+2335 +38	·0086035	+20034 −49	+2042 +32	1·0
1·1	+34048 −1268	+4880 +40	·0254600	+32274 −1109	+4384 +39	·0221696	+30446 −943	+3928 +38	·0192720	+28594 −785	+3510 +36	·0167254	+26737 −617	+3129 +35	·0144916	+24901 −462	+2782 +32	1·1
1·2	+36911 −1459	+5774 +30	·0381000	+35583 −1354	+5208 +31	·0336166	+34133 −1242	+4795 +30	·0296129	+32583 −1104	+4352 +30	·0260443	+30987 −968	+3940 +30	·0228698	+29306 −823	+3569 +29	1·2
1·3	+38315 −1527	+6512 +16	·0542983	+37538 −1468	+6029 +20	·0484769	+36578 −1391	+5567 +21	·0432121	+35468 −1311	+5128 +22	·0384599	+34229 −1213	+4708 +22	·0341786	+32886 −1102	+4313 +23	1·3
1·4	+38192 −1423	+7041 +4	·0742504	+38023 −1451	+6608 +9	·0669950	+37632 −1437	+6185 +11	·0603581	+37042 −1399	+5772 +13	·0542984	+36278 −1342	+5372 +15	·0487760	+35384 −1276	+4988 +16	1·4
1·5	+36646 −1317	+7331 −7	·0980050	+37061 −1339	+6970 −2	·0892763	+37249 −1366	+6607 0	·0812083	+37217 −1371	+6245 +4	·0737647	+36985 −1367	+5886 +6	·0669098	+36568 −1339	+5533 +7	1·5
1·6	+33783 −1054	+7372 −15	·1254657	+34758 −1141	+7097 −12	·1152825	+35501 −1207	+6810 −8	·1057802	+36021 −1258	+6515 −5	·0969295	+36326 −1286	+6214 −3	·0887002	+36429 −1302	+5911 −1	1·6
1·7	+29866 −805	+7174 −22	·1564022	+31314 −907	+6990 −18	·1448388	+32546 −991	+6789 −16	·1339542	+33567 −1067	+6572 −13	·1237268	+34379 −1128	+6342 −10	·1141335	+34990 −1181	+6101 −7	1·7
1·8	+25144 −626	+6761 −26	·1904701	+26963 −637	+6670 −23	·1776497	+28600 −747	+6555 −21	·1654849	+30046 −840	+6420 −18	·1539620	+31304 −928	+6266 −15	·1430658	+32370 −997	+6097 −13	1·8
1·9	+19896 −263	+6171 −28	·2272343	+21975 −377	+6165 −26	·2133206	+23907 −483	+6133 −23	·2000202	+25685 −587	+6078 −22	·1873276	+27301 −681	+6001 −19	·1752351	+28753 −774	+5905 −17	1·9
2·0	+14386 −30	+5444 −27	·2661960	+16610 −131	+5514 −26	·2513822	+18731 −238	+5567 −24	·2371240	+20737 −341	+5575 −23	·2234233	+22617 −444	+5571 −22	·2102797	+24362 −539	+5544 −19	2·0
2·1	+8844 +182	+4628 −25	·3068187	+11114 +84	+4758 −25	·2913169	+13319 −8	+4864 −24	·2763015	+15448 −102	+4948 −23	·2617807	+17489 −196	+5006 −22	·2477605	+19432 −292	+5044 −21	2·1
2·2	+3485 +338	+3763 −22	·3485528	+5702 +270	+3940 −22	·3325835	+7899 +184	+4095 −21	·3170238	+10057 +98	+4230 −21	·3018870	+12166 +9	+4343 −20	·2871845	+14210 −80	+4435 −20	2·2
2·3	−1636 +471	+2889 −19	·3908571	+560 +403	+3098 −18	·3746400	+2683 +343	+3289 −18	·3587518	+4764 +278	+3462 −18	·3432098	+6850 +202	+3617 −18	·3280295	+8908 +125	+3753 −18	2·3
2·4	−6086 +545	+2039 −14	·4332174	−4179 +513	+2267 −15	·4169628	−2230 +463	+2481 −15	·4009562	−258 +405	+2680 −15	·3852176	+1737 +348	+2863 −16	·3697653	+3731 +283	+3031 −16	2·4
2·5	−10091 +601	+1240 −9	·4751598	−8405 +569	+1474 −10	·4590626	−6660 +539	+1699 −11	·4431353	−4865 +505	+1912 −12	·4273991	−3028 +459	+2113 −12	·4118742	−1163 +412	+2301 −13	2·5
2·6	−13495 +612	+512 −7	·5162617	−12062 +606	+743 −7	·5004964	−10551 +588	+968 −8	·4848279	−8972 +564	+1184 −9	·4692778	−7334 +537	+1392 −9	·4538668	−5645 +503	+1590 −10	2·6
2·7	−16287 +607	−131 −4	·5561574	−15113 +605	+88 −4	·5408751	−13864 +604	+305 −5	·5256233	−12515 +590	+516 −5	·5104231	−11103 +581	+721 −7	·4952949	−9624 +559	+921 −7	2·7
2·8	−18472 +578	−682	·5945418	−17659 +592	−480	·5798684	−16553 +593	−279	·5651672	−15462 +593	−79 −4	·5504581	−14291 +598	+118 −4	·5357606	−13044 +588	+309 −4	2·8
2·9	−20079 +533	−1139	·6311703	−19413 +548	−956	·6172064	−18659 +568	−778	·6031649	−17816 +582	−594	·5890640	−16886 +584	−412	·5749219	−15878 +584	−232	2·9
3·0	−21153 +480	−1501	·6658575	−20719 +505	−1344	·6526785	−20197 +525	−1185	·6393810	−19588 +539	−1022	·6259813	−18897 +557	−860	·6124956	−18124 +572	−698	3·0
3·1	−21747 +422	−1777	·6984728	−21520 +449	−1644	·6861309	−21210 +468	−1507	·6736383	−20821 +493	−1368	·6610089	−20351 +513	−1226	·6482569	−19800 +528	−1082	3·1
3·2	−21919 +360	−1971	·7289361	−21872 +384	−1861	·7174623	−21765 +418	−1760	·7058135	−21581 +440	−1633	·6940014	−21292 +461	−1511	·6820382	−20950 +486	−1390	3·2
3·3	−21731 +298	−2093	·7572122	−21840 +328	−2007	·7466182	−21882 +348	−1917	·7358326	−21861 +377	−1822	·7248647	−21779 +404	−1723	·7137245	−21614 +427	−1621	3·3
3·4	−21245 +241	−2153	·7833043	−21480 +266	−2088	·7735859	−21681 +296	−2019	·7636656	−21784 +321	−1945	·7535508	−21848 +346	−1866	·7432494	−21851 +368	−1784	3·4
3·5	−20518 +186	−2161	·8072484	−20854 +211	−2114	·7983875	−21144 +234	−2064	·7893202	−21386 +258	−2008	·7800521	−21578 +281	−1949	·7705892	−21720 +311	−1885	3·5
3·6	−19605 +137	−2125	·8291071	−20017 +157	−2095	·8210747	−20393 +179	−2060	·8128362	−20730 +203	−2022	·8043956	−21027 +231	−1979	·7957570	−21278 +251	−1933	3·6
3·7	−18555 +93	−2055	·8489641	−19023 +114	−2038	·8417226	−19463 +133	−2018	·8342792	−19871 +158	−1994	·8266364	−20245 +175	−1966	·8187970	−20585 +197	−1935	3·7
3·8	−17412 +56	−1959	·8669188	−17915 +73	−1954	·8604242	−18396 +87	−1945	·8537351	−18854 +108	−1933	·8468527	−19288 +124	−1918	·8397785	−19693 +147	−1900	3·8
3·9	−16213 +25	−1844	·8830820	−16734 +38	−1848	·8772862	−17242 +52	−1849	·8713056	−17735 +68	−1847	·8651402	−18207 +83	−1842	·8587905	−18658 +101	−1836	3·9
4·0	−14992 0	−1718	·8975718	−15519 +10	−1728	·8924240	−16036 +21	−1737	·8871026	−16543 +34	−1743	·8816070	−17039 +47	−1746	·8759367	−17520 +63	−1747	4·0
4·1	−13771 −22	−1584	·9105097	−14292 −14	−1600	·9059582	−14809 −5	−1614	·9012453	−15320 +8	−1626	·8963699	−15824 +18	−1633	·8913309	−16319 +30	−1643	4·1
4·2	−12575 −40	−1448	·9220184	−13081 −34	−1467	·9180115	−13587 −26	−1485	·9138560	−14091 −17	−1501	·9095504	−14591 −7	−1516	·9050932	−15088 +1	−1529	4·2
4·3	−11421 −52	−1313	·9322190	−11904 −50	−1335	·9287061	−12391 −43	−1355	·9250576	−12879 −37	−1374	·9212718	−13369 −27	−1392	·9173467	−13856 −22	−1409	4·3
4·4	−10319 −60	−1182	·9412292	−10777 −60	−1205	·9381616	−11238 −54	−1227	·9349713	−11704 −52	−1247	·9316563	−12173 −44	−1267	·9282146	−12645 −41	−1286	4·4
4·5	−9277 −65	−1057	·9491617	−9704 −66	−1080	·9464933	−10139 −64	−1102	·9437146	−10580 −62	−1124	·9408235	−11024 −58	−1145	·9378180	−11475 −54	−1165	4·5
4·6	−8307 −69	−939	·9561238	−8701 −69	−961	·9538111	−9104 −69	−984	·9513999	−9513 −67	−1006	·9488883	−9932 −62	−1027	·9462739	−10353 −64	−1048	4·6
4·7	−7402 −73	−829	·9622158	−7767 −70	−851	·9602185	−8138 −72	−873	·9581339	−8517 −70	−894	·9559599	−8902 −68	−915	·9536945	−9298 −69	−936	4·7
4·8	−6574 −72	−729	·9675311	−6903 −73	−749	·9658121	−7241 −74	−769	·9640162	−7590 −73	−789	·9621413	−7946 −72	−810	·9601853	−8307 −72	−830	4·8
4·9	−5815 −69	−637	·9721561	−6112 −71	−656	·9706816	−6420 −72	−673	·9691395	−6734 −76	−694	·9675281	−7059 −75	−713	·9658454	−7392 −76	−732	4·9
5·0	−5125 −68	−554	·9761699	−5394 −67	−572	·9749091	−5670 −69	−589	·9735894	−5955 −74	−607	·9722090	−6247 −72	−624	·9707663	−6549 −73	−642	5·0
5·1	−4503 −62	−480	·9796443	−4741 −64	−496	·9785696	−4988 −66	−513	·9774438	−5243 −71	−528	·9762652	−5508 −70	−544	·9750323	−5778 −70	−560	5·1
5·2	−3943 −59	−414	·9826446	−4155 −61	−428	·9817313	−4374 −62	−442	·9807739	−4602 −66	−457	·9797708	−4838 −67	−472	·9787205	−5080 −67	−486	5·2
5·3	−3442 −55	−356	·9852294	−3630 −57	−368	·9844556	−3824 −58	−381	·9836438	−4028 −62	−394	·9827926	−4233 −62	−407	·9819007	−4449 −64	−420	5·3
5·4	−2998 −50	−304	·9874512	−3161 −53	−315	·9867975	−3332 −55	−327	·9861111	−3508 −53	−337	·9853911	−3694 −58	−349	·9846360	−3885 −59	−362	5·4
5·5	−2601 −45	−259	·9893569	−2745 −50	−269	·9888062	−2895 −51	−279	·9882276	−3051 −50	−289	·9876202	−3213 −53	−299	·9869828	−3380 −55	−310	5·5
5·6	−2254 −41	−220	·9909881	−2379 −46	−228	·9905254	−2509 −47	−237	·9900390	−2644 −46	−246	·9895280	−2786 −50	−255	·9889916	−2933 −51	−264	5·6
5·7	−1946 −37	−187	·9923814	−2054 −41	−194	·9919937	−2167 −43	−201	·9915860	−2288 −42	−209	·9911573	−2408 −46	−216	·9907071	−2537 −46	−225	5·7
5·8	−1677 −34	−157	·9935693	−1771 −38	−164	·9932453	−1868 −37	−170	·9929044	−1970 −39	−176	·9925458	−2077 −41	−183	·9921689	−2187 −42	−190	5·8
5·9	−1442 −30	−133	·9945801	−1522 −32	−138	·9943101	−1606 −32	−143	·9940258	−1694 −35	−149	·9937266	−1788 −37	−154	·9934120	−1882 −38	−160	5·9
6·0	−1238 −27	−111	·9954387	−1305 −27	−116	·9952143	−1379 −28	−120	·9949778	−1453 −32	−125	·9947288	−1532 −33	−130	·9944669	−1615 −34	−135	6·0

	$p = 5{\cdot}0$			$p = 5{\cdot}2$			$p = 5{\cdot}4$			$p = 5{\cdot}6$			$p = 5{\cdot}8$			$p = 6{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9965577	−939 −20	−93	·9963963	−992 −21	−96	·9962254	−1050 −24	−99	·9960446	−1110 −25	−103	·9958535	−1172 −27	−107	·9956517	6·0
6·1	·9970929	−805 −18	−77	·9969596	−852 −20	−80	·9968182	−898 −22	−83	·9966686	−949 −23	−86	·9965104	−1002 −24	−90	·9963432	6·1
6·2	·9975476	−689 −16	−65	·9974377	−727 −18	−67	·9973212	−769 −20	−69	·9971977	−812 −20	−72	·9970671	−858 −22	−75	·9969289	6·2
6·3	·9979334	−588 −14	−54	·9978431	−621 −16	−56	·9977473	−657 −18	−58	·9976456	−692 −19	−60	·9975380	−730 −20	−62	·9974242	6·3
6·4	·9982604	−500 −13	−45	·9981864	−531 −14	−46	·9981077	−558 −16	−48	·9980243	−591 −18	−50	·9979359	−623 −17	−52	·9978423	6·4
6·5	·9985371	−425 −12	−37	·9984766	−453 −13	−39	·9984123	−477 −14	−40	·9983439	−501 −15	−41	·9982715	−529 −14	−43	·9981947	6·5
6·6	·9987710	−362 −10	−31	·9987217	−383 −11	−32	·9986692	−403 −12	−33	·9986134	−428 −11	−34	·9985542	−449 −12	−35	·9984914	6·6
6·7	·9989685	−309 −9	−26	·9989285	−326 −9	−26	·9988858	−341 −10	−27	·9988403	−361 −10	−28	·9987920	−381 −10	−29	·9987408	6·7
6·8	·9991351	−263 −8	−22	·9991027	−276 −8	−22	·9990680	−290 −9	−23	·9990311	−306 −8	−23	·9989918	−321 −9	−24	·9989501	6·8
6·9	·9992755	−223 −6	−18	·9992493	−234 −7	−18	·9992212	−245 −7	−19	·9991913	−258 −7	−19	·9991595	−270 −8	−20	·9991257	6·9
7·0	·9993936	−188 −5	−16	·9993725	−198 −6	−15	·9993499	−208 −6	−16	·9993257	−218 −6	−16	·9993000	−229 −7	−16	·9992726	7·0
7·1	·9994929	−158 −4	−12	·9994760	−167 −5	−12	·9994578	−175 −5	−13	·9994383	−183 −5	−13	·9994176	−193 −6	−13	·9993955	7·1
7·2	·9995763	−132 −4	−10	·9995628	−141 −4	−10	·9995482	−147 −4	−11	·9995326	−155 −4	−11	·9995159	−162 −5	−11	·9994981	7·2
7·3	·9996463	−112	−8	·9996355	−119	−8	·9996239	−124 −4	−9	·9996114	−130 −4	−9	·9995980	−138 −4	−9	·9995838	7·3
7·4	·9997049	−94	−7	·9996964	−100	−7	·9996872	−105	−7	·9996772	−109 −3	−7	·9996665	−114 −4	−7	·9996551	7·4
7·5	·9997541	−80	−6	·9997473	−83	−6	·9997400	−88	−6	·9997321	−91	−6	·9997236	−96	−6	·9997145	7·5
7·6	·9997952	−68	−5	·9997899	−70	−5	·9997841	−73	−5	·9997779	−77	−5	·9997711	−80	−5	·9997639	7·6
7·7	·9998295	−56	−4	·9998254	−59	−4	·9998209	−61	−4	·9998160	−65	−4	·9998106	−66	−4	·9998049	7·7
7·8	·9998582	−47		·9998550	−49		·9998515	−51		·9998476	−55		·9998435	−56		·9998389	7·8
7·9	·9998822	−40		·9998797	−41		·9998770	−43		·9998740	−46		·9998707	−47		·9998671	7·9
8·0	·9999022	−33		·9999003	−35		·9998982	−36		·9998958	−38		·9998933	−39		·9998905	8·0
8·1	·9999188	−27		·9999174	−29		·9999158	−30		·9999140	−32		·9999120	−32		·9999098	8·1
8·2	·9999327	−23		·9999316	−24		·9999304	−25		·9999290	−27		·9999275	−27		·9999258	8·2
8·3	·9999442	−19		·9999434	−20		·9999425	−21		·9999415	−23		·9999403	−22		·9999390	8·3
8·4	·9999538	−16		·9999532	−17		·9999525	−17		·9999517	−19		·9999509	−18		·9999499	8·4
8·5	·9999617	−13		·9999613	−14		·9999608	−14		·9999602	−16		·9999596	−15		·9999589	8·5
8·6	·9999683	−11		·9999681	−12		·9999677	−12		·9999673	−14		·9999668	−12		·9999663	8·6
8·7	·9999738	−9		·9999737	−10		·9999734	−10		·9999731	−12		·9999728	−10		·9999723	8·7
8·8	·9999784	−8		·9999782	−8		·9999781	−8		·9999779	−10		·9999776	−8		·9999773	8·8
8·9	·9999821	−7		·9999821	−6		·9999820	−7		·9999818	−8		·9999817	−7		·9999815	8·9
9·0	·9999853	−6		·9999852	−5		·9999852	−6		·9999851	−7		·9999850	−6		·9999848	9·0
9·1	·9999878	−4		·9999878	−4		·9999878	−4		·9999878	−6		·9999877	−5		·9999876	9·1
9·2	·9999900			·9999900			·9999900			·9999900	−4		·9999899	−4		·9999899	9·2
9·3	·9999917			·9999918			·9999918			·9999918			·9999918			·9999917	9·3
9·4	·9999932			·9999932			·9999933			·9999933			·9999933			·9999932	9·4
9·5	·9999944			·9999944			·9999945			·9999945			·9999945			·9999945	9·5
9·6	·9999954			·9999954			·9999955			·9999955			·9999955			·9999955	9·6
9·7	·9999962			·9999963			·9999963			·9999963			·9999963			·9999963	9·7
9·8	·9999969			·9999969			·9999970			·9999970			·9999970			·9999970	9·8
9·9	·9999974			·9999975			·9999975			·9999975			·9999976			·9999976	9·9
10·0	·9999979			·9999979			·9999980			·9999980			·9999980			·9999980	10·0
10·1	·9999983			·9999983			·9999983			·9999984			·9999984			·9999984	10·1
10·2	·9999986			·9999986			·9999986			·9999987			·9999987			·9999987	10·2
10·3	·9999988			·9999989			·9999989			·9999989			·9999989			·9999989	10·3
10·4	·9999990			·9999991			·9999991			·9999991			·9999991			·9999991	10·4
10·5	·9999992			·9999992			·9999993			·9999993			·9999993			·9999993	10·5
10·6	·9999994			·9999994			·9999994			·9999994			·9999994			·9999994	10·6
10·7	·9999995			·9999995			·9999995			·9999995			·9999995			·9999995	10·7
10·8	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	10·8
10·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	10·9
11·0	·9999997			·9999997			·9999997			·9999997			·9999998			·9999998	11·0
11·1	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·1
11·2	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·2
11·3	·9999998			·9999998			·9999999			·9999999			·9999999			·9999999	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			1·0000000	11·8
11·9	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000				

	$p = 6·0$		$p = 6·2$			$p = 6·4$			$p = 6·6$			$p = 6·8$			$p = 7·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−1236 −27	−111	·9954387	−1305 −27	−116	·9952143	−1379 −29	−120	·9949778	−1453 −32	−125	·9947288	−1532 −33	−130	·9944669	−1615 −34	−135	6·0
6·1	−1058 −24	−93	·9961668	−1119 −24	−97	·9959806	−1178 −26	−101	·9957845	−1245 −29	−105	·9955778	−1311 −28	−109	·9953603	−1382 −30	−113	6·1
6·2	−904 −22	−78	·9967830	−953 −22	−61	·9966291	−1008 −23	−84	·9964667	−1061 −25	−87	·9962957	−1121 −24	−91	·9961155	−1160 −27	−05	6·2
6·3	−772 −20	−66	·9973039	−815 −20	−67	·9971768	−857 −20	−70	·9970428	−905 −21	−73	·9969015	−963 −22	−76	·9967527	−1005 −23	−79	6·3
6·4	−667 −17	−54	·9977433	−692 −18	−56	·9976388	−731 −18	−68	·9975284	−776 −19	−61	·9974120	−811 −26	−63	·9972894	−855 −26	−66	6·4
6·5	−657 −15	−46	·9981135	−688 −16	−46	·9980277	−620 −16	−48	·9979370	−662 −17	−66	·9978414	−688 −18	−52	·9977406	−725 −13	−54	6·5
6·6	−473 −13	−37	·9984249	−496 −14	−38	·9983546	−624 −14	−40	·9982804	−654 −15	−41	·9982020	−583 −15	−43	·9981193	−614 −16	−45	6·6
6·7	−401 −11	−31	·9986865	−421 −12	−32	·9986291	−444 −12	−33	·9985684	−467 −13	−34	·9985043	−493 −13	−36	·9984366	−517 −14	−37	6·7
6·8	−339 −10	−26	·9989060	−356 −10	−26	·9988592	−376 −10	−27	·9988097	−395 −11	−28	·9987574	−416 −11	−29	·9987022	−440 −12	−30	6·8
6·9	−287 −8	−21	·9990898	−361 −8	−21	·9990517	−317 −9	−22	·9990115	−332 −10	−23	·9989689	−350 −10	−24	·9989240	−369 −11	−25	6·9
7·0	−242 −7	−17	·9992435	−263 −7	−16	·9992127	−267 −8	−18	·9991801	−260 −0	−19	·9991455	−294 −9	−20	·9991090	−309 −10	−21	7·0
7·1	−203 −6	−14	·9993720	−213 −6	−14	·9993471	−224 −7	−15	·9993207	−235 −7	−16	·9992927	−247 −7	−16	·9992631	−259 −8	−17	7·1
7·2	−171 −5	−12	·9994792	−178 −6	−12	·9994591	−187 −6	−13	·9994378	−197 −6	−13	·9994152	−267 −6	−14	·9993913	−217 −7	−14	7·2
7·3	−145 −4	−9	·9995686	−150 −6	−16	·9995524	−166 −6	−10	·9995352	−164 −6	−10	·9995170	−172 −6	−11	·9994978	−162 −5	−11	7·3
7·4	−122 −4	−8	·9996429	−125 −4	−8	·9996300	−131 −5	−8	·9996162	−137 −5	−9	·9996016	−143 −4	−9	·9995861	−152 −6	−9	7·4
7·5	−102	−6	·9997048	−104 −4	−7	·9996944	−109 −4	−7	·9996834	−115 −4	−7	·9996717	−120 −4	−7	·9996592	−127 −4	−7	7·5
7·6	−84	−5	·9997561	−86	−6	·9997479	−92	−6	·9997391	−96	−6	·9997297	−100	−6	·9997198	−106	−6	7·6
7·7	−70	−4	·9997988	−72	−4	·9997922	−77	−4	·9997852	−80	−4	·9997777	−83	−5	·9997698	−87	−5	7·7
7·8	−68		·9998341	−61		·9998289	−64		·9998233	−66	−4	·9998174	−69	−4	·9998111	−72	−4	7·8
7·9	−48		·9998633	−61		·9998592	−63		·9998548	−55		·9998501	−57		·9998451	−59		7·9
8·0	−40		·9998875	−42		·9998843	−44		·9998808	−46		·9998771	−47		·9998732	−49		8·0
8·1	−33		·9999075	−35		·9999050	−37		·9999022	−38		·9998993	−39		·9998962	−40		8·1
8·2	−26		·9999240	−29		·9999220	−31		·9999199	−32		·9999176	−33		·9999152	−34		8·2
8·3	−23		·9999376	−24		·9999361	−26		·9999344	−26		·9999326	−27		·9999307	−28		8·3
8·4	−19		·9999488	−20		·9999476	−21		·9999463	−21		·9999450	−23		·9999435	−24		8·4
8·5	−16		·9999580	−16		·9999571	−17		·9999561	−17		·9999551	−19		·9999539	−20		8·5
8·6	−14		·9999656	−13		·9999649	−14		·9999642	−14		·9999634	−16		·9999625	−17		8·6
8·7	−10		·9999719	−11		·9999713	−12		·9999708	−12		·9999701	−13		·9999694	−14		8·7
8·8	−8		·9999770	−9		·9999766	−10		·9999762	−10		·9999757	−11		·9999752	−12		8·8
8·9	−7		·9999812	−8		·9999809	−8		·9999806	−8		·9999802	−9		·9999798	−10		8·9
9·0	−6		·9999846	−6		·9999844	−6		·9999842	−7		·9999839	−7		·9999836	−8		9·0
9·1	−5		·9999875	−6		·9999873	−5		·9999871	−5		·9999869	−6		·9999867	−6		9·1
9·2	−4		·9999898	−4		·9999897	−4		·9999895	−4		·9999894	−6		·9999892	−4		9·2
9·3			·9999917			·9999916			·9999915			·9999914	−4		·9999913	−4		9·3
9·4			·9999932			·9999932			·9999931			·9999930			·9999929			9·4
9·5			·9999945			·9999944			·9999944			·9999943			·9999943			9·5
9·6			·9999955			·9999955			·9999955			·9999954			·9999954			9·6
9·7			·9999963			·9999963			·9999963			·9999963			·9999963			9·7
9·8			·9999970			·9999970			·9999970			·9999970			·9999970			9·8
9·9			·9999976			·9999976			·9999976			·9999976			·9999976			9·9
10·0			·9999980			·9999980			·9999980			·9999980			·9999980			10·0
10·1			·9999984			·9999984			·9999984			·9999984			·9999984			10·1
10·2			·9999987			·9999987			·9999987			·9999987			·9999987			10·2
10·3			·9999990			·9999990			·9999990			·9999990			·9999990			10·3
10·4			·9999992			·9999992			·9999992			·9999992			·9999992			10·4
10·5			·9999993			·9999993			·9999993			·9999993			·9999993			10·5
10·6			·9999994			·9999995			·9999995			·9999995			·9999995			10·6
10·7			·9999995			·9999996			·9999996			·9999996			·9999996			10·7
10·8			·9999996			·9999996			·9999997			·9999997			·9999997			10·8
10·9			·9999997			·9999997			·9999997			·9999997			·9999997			10·9
11·0			·9999998			·9999998			·9999998			·9999998			·9999998			11·0
11·1			·9999998			·9999998			·9999998			·9999998			·9999998			11·1
11·2			·9999998			·9999998			·9999999			·9999999			·9999999			11·2
11·3			·9999999			·9999999			·9999999			·9999999			·9999999			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			·9999999			·9999999			·9999999			·9999999			1·0000000			11·7
11·8			1·0000000			1·0000000			1·0000000			1·0000000						
11·9																		

	$p = 7·0$			$p = 7·2$			$p = 7·4$			$p = 7·6$			$p = 7·8$			$p = 8·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000																·0
·1	·0000000	+2		·0000000	+1		·0000000	+1		·0000000	0		·0000000	0		·0000000	·1
·2	·0000002	+27 +133		·0000001	+20 +97		·0000001	+14 +72		·0000000	+11 +50		·0000000	+8 +36		·0000000	·2
·3	·0000031	+185 +339	+4	·0000022	+136 +275		·0000016	+99 +224		·0000011	+72 +181		·0000008	+52 +146		·0000005	·3
·4	·0000245	+682 +618	+25	·0000179	+527 +531	+18	·0000130	+408 +446	+13	·0000094	+314 +375	+9	·0000068	+242 +310	+7	·0000049	·4
·5	·0001141	+1797 +854	+86 +8	·0000863	+1449 +763	+68 +6	·0000652	+1163 +682	+51 +4	·0000491	+931 +602	+39	·0000370	+742 +531	+30	·0000277	·5
·6	·0003834	+3766 +972	+225 +11	·0002996	+3134 +919	+179 +9	·0002337	+2600 +854	+142 +8	·0001819	+2150 +787	+112 +6	·0001414	+1773 +715	+88 +6	·0001097	·6
·7	·0010293	+6707 +915	+475 +18	·0008263	+5738 +910	+389 +16	·0006622	+4891 +895	+317 +13	·0005297	+4156 +865	+258 +10	·0004231	+3519 +829	+209 +9	·0003373	·7
·8	·0023459	+10563 +699	+861 +24	·0019268	+9252 +761	+722 +22	·0015798	+8077 +797	+603 +18	·0012931	+7027 +817	+503 +16	·0010567	+6094 +821	+418 +13	·0008621	·8
·9	·0047188	+15118 +361	+1389 +31	·0039525	+13527 +466	+1189 +28	·0033051	+12060 +554	+1015 +23	·0027592	+10716 +623	+864 +21	·0022997	+9490 +672	+735 +18	·0019136	·9
1·0	·0086035	+20034 −49	+2042 +32	·0073309	+18268 +90	+1780 +30	·0062364	+16597 +214	+1549 +27	·0052968	+15026 +324	+1345 +23	·0044917	+13558 +419	+1165 +21	·0038030	1·0
1·1	·0144916	+24901 −462	+2782 +33	·0125361	+23099 −308	+2468 +31	·0108274	+21348 −163	+2184 +29	·0093370	+19661 −32	+1928 +26	·0080395	+18045 +88	+1699 +24	·0069118	1·1
1·2	·0228698	+29306 −825	+3559 +29	·0200512	+27622 −680	+3206 +29	·0175532	+25936 −539	+2881 +27	·0153433	+24264 −402	+2584 +25	·0133918	+22620 −269	+2312 +24	·0116714	1·2
1·3	·0341786	+32886 −1102	+4313 +23	·0303285	+31465 −988	+3941 +24	·0268726	+29985 −867	+3593 +23	·0237760	+28465 −739	+3268 +22	·0210061	+26926 −615	+2965 +22	·0185328	1·3
1·4	·0487760	+35364 −1276	+4988 +18	·0437523	+34320 −1194	+4618 +17	·0391905	+33167 −1100	+4266 +18	·0350552	+31927 −1001	+3931 +18	·0313130	+30617 −894	+3614 +19	·0279322	1·4
1·5	·0669098	+36566 −1339	+5533 +7	·0606081	+35981 −1297	+5187 +10	·0548251	+35249 −1245	+4850 +11	·0495271	+34388 −1184	+4525 +12	·0446816	+33414 −1108	+4211 +13	·0402573	1·5
1·6	·0887002	+36429 −1302	+5911 −1	·0810620	+36345 −1305	+5607 +2	·0739846	+36086 −1290	+5306 +4	·0674378	+35665 −1253	+5007 +6	·0613916	+35103 −1214	+4714 +7	·0558169	1·6
1·7	·1141335	+34990 −1181	+6101 −7	·1051504	+35404 −1212	+5854 −6	·0967527	+35633 −1232	+5601 −3	·0889150	+35689 −1247	+5346 −2	·0816119	+35578 −1241	+5088 +1	·0748176	1·7
1·8	·1430658	+32370 −997	+6097 −13	·1327792	+33251 −1062	+5915 −11	·1230841	+33948 −1114	+5721 −10	·1139611	+34466 −1149	+5519 −7	·1053900	+34812 −1171	+5310 −6	·0973498	1·8
1·9	·1752351	+28753 −774	+5905 −17	·1637331	+30036 −856	+5792 −16	·1528103	+31149 −925	+5663 −13	·1424538	+32094 −987	+5521 −11	·1326493	+32875 −1045	+5367 −10	·1233817	1·9
2·0	·2102797	+24362 −539	+5544 −19	·1976906	+25965 −624	+5500 −18	·1856514	+27425 −713	+5437 −17	·1741559	+28735 −792	+5357 −15	·1631961	+29893 −861	+5263 −13	·1527625	2·0
2·1	·2477605	+19432 −292	+5044 −21	·2342446	+21270 −396	+5062 −20	·2212350	+22988 −484	+5061 −18	·2087315	+24584 −570	+5042 −17	·1967322	+26050 −647	+5006 −15	·1852333	2·1
2·2	·2871845	+14210 −80	+4435 −20	·2729256	+16179 −161	+4508 −19	·2591174	+18067 −249	+4562 −18	·2457655	+19863 −339	+4598 −17	·2328733	+21560 −428	+4617 −16	·2204429	2·2
2·3	·3280295	+8908 +125	+3753 −18	·3132245	+10927 +42	+3871 −16	·2988065	+12897 −45	+3971 −17	·2847858	+14803 −122	+4055 −17	·2711704	+16642 −207	+4121 −16	·2579672	2·3
2·4	·3697653	+3731 +283	+3031 −16	·3546161	+5717 +215	+3183 −16	·3397853	+7682 +148	+3320 −16	·3252864	+9621 +67	+3442 −15	·3111317	+11517 −3	+3547 −15	·2973317	2·4
2·5	·4118742	−1163 +412	+2301 −13	·3965794	+722 +358	+2477 −13	·3815323	+2615 +300	+2639 −13	·3667491	+4506 +243	+2789 −13	·3522447	+6389 +170	+2925 −13	·3380329	2·5
2·6	·4538668	−5645 +503	+1590 −10	·4386149	−3915 +464	+1779 −10	·4235408	−2152 +418	+1957 −10	·4086624	−366 +366	+2125 −11	·3939966	+1431 +319	+2282 −11	·3795589	2·6
2·7	·4952949	−9624 +559	+921 −7	·4802589	−8088 +534	+1113 −7	·4653341	−6501 +504	+1298 −8	·4505391	−4872 +471	+1476 −6	·4358916	−3208 +430	+1644 −9	·4214084	2·7
2·8	·5357606	−13044 +588	+309 −4	·5210941	−11727 +576	+498 −5	·5064773	−10346 +560	+681 −5	·4919286	−8907 +536	+859 −5	·4774658	−7417 +507	+1032 −8	·4631062	2·8
2·9	·5749219	−15876 +584	−232	·5607566	−14790 +584	−54	·5465859	−13631 +576	+122	·5324274	−12406 +568	+294	·5182983	−11119 +556	+463 −4	·5042155	2·9
3·0	·6124956	−18124 +572	−698	·5989401	−17269 +575	−532	·5853314	−16340 +582	−371	·5716856	−15337 +580	−209	·5580189	−14265 +576	−48	·5443474	3·0
3·1	·6482569	−19800 +526	−1082	·6353967	−19173 +546	−936	·6224429	−18467 +553	−790	·6094101	−17688 +565	−643	·5963130	−16835 +566	−494	·5831665	3·1
3·2	·6820382	−20950 +486	−1390	·6699360	−20531 +501	−1262	·6577077	−20041 +524	−1135	·6453658	−19474 +533	−1003	·6329236	−18839 +552	−874	·6203940	3·2
3·3	·7137245	−21614 +427	−1621	·7024222	−21388 +452	−1515	·6909684	−21091 +469	−1405	·6793741	−20727 +491	−1294	·6676503	−20291 +502	−1180	·6558086	3·3
3·4	·7432494	−21851 +368	−1764	·7327696	−21793 +391	−1698	·7221200	−21672 +415	−1608	·7113097	−21489 +440	−1515	·7003479	−21241 +462	−1419	·6892441	3·4
3·5	·7705892	−21720 +311	−1885	·7609377	−21807 +337	−1818	·7511044	−21838 +360	−1747	·7410964	−21811 +379	−1671	·7309214	−21729 +405	−1593	·7205870	3·5
3·6	·7957570	−21278 +251	−1933	·7869251	−21484 +273	−1883	·7779050	−21644 +300	−1828	·7687020	−21754 +325	−1770	·7593220	−21812 +344	−1709	·7497711	3·6
3·7	·8187970	−20585 +197	−1935	·8107641	−20888 +221	−1899	·8025412	−21150 +240	−1861	·7941322	−21372 +263	−1818	·7855414	−21551 +288	−1773	·7767733	3·7
3·8	·8397785	−19695 +147	−1900	·8325143	−20071 +166	−1878	·8250624	−20416 +189	−1852	·8174252	−20727 +211	−1824	·8096057	−21002 +231	−1792	·8016070	3·8
3·9	·8587905	−18658 +101	−1835	·8522574	−19088 +120	−1824	·8455420	−19493 +139	−1811	·8386455	−19871 +156	−1793	·8315698	−20222 +179	−1773	·8243167	3·9
4·0	·8759367	−17520 +63	−1747	·8700917	−17985 +60	−1745	·8640723	−18432 +96	−1741	·8578787	−18859 +112	−1734	·8515117	−19263 +130	−1724	·8449722	4·0
4·1	·8913309	−16319 +30	−1643	·8861276	−16802 +43	−1649	·8807594	−17275 +57	−1652	·8752260	−17733 +73	−1653	·8695273	−18176 +90	−1651	·8636633	4·1
4·2	·9050932	−15088 +1	−1529	·9004831	−15579 +13	−1540	·8957190	−16061 +22	−1549	·8908000	−16536 +38	−1557	·8857253	−16999 +47	−1562	·8804944	4·2
4·3	·9173467	−13856 −22	−1409	·9132808	−14343 −10	−1424	·9090725	−14825 −6	−1437	·9047204	−15302 +8	−1450	·9002234	−15775 +19	−1460	·8955804	4·3
4·4	·9282146	−12646 −41	−1286	·9246442	−13117 −37	−1304	·9209435	−13592 −28	−1321	·9171106	−14064 −16	−1336	·9131440	−14532 −8	−1351	·9090424	4·4
4·5	·9378180	−11475 −54	−1165	·9346959	−11928 −47	−1185	·9314553	−12382 −44	−1203	·9280944	−12840 −36	−1222	·9246114	−13299 −28	−1238	·9210045	4·5
4·6	·9462739	−10353 −64	−1048	·9435548	−10782 −57	−1068	·9407289	−11216 −54	−1088	·9377942	−11652 −54	−1107	·9347489	−12094 −44	−1125	·9315910	4·6
4·7	·9536945	−9298 −69	−936	·9513355	−9698 −66	−956	·9488809	−10104 −63	−975	·9463288	−10518 −62	−998	·9436770	−10933 −57	−1015	·9409239	4·7
4·8	·9601853	−8307 −72	−830	·9581464	−8679 −68	−850	·9560225	−9057 −67	−870	·9538116	−9441 −68	−889	·9515118	−9833 −68	−908	·9491212	4·8
4·9	·9658454	−7392 −75	−732	·9640894	−7731 −70	−751	·9622584	−8080 −70	−770	·9603503	−8435 −72	−789	·9583633	−8796 −72	−808	·9562956	4·9
5·0	·9707663	−6549 −73	−642	·9692593	−6859 −72	−660	·9676863	−7175 −72	−678	·9660455	−7500 −74	−696	·9643352	−7833 −74	−714	·9625535	5·0
5·1	·9750323	−5778 −70	−566	·9737433	−6057 −73	−577	·9723967	−6345 −74	−593	·9709907	−6640 −76	−610	·9695238	−6944 −75	−627	·9679941	5·1
5·2	·9787205	−5080 −67	−496	·9776216	−5330 −71	−502	·9764726	−5589 −71	−517	·9752719	−5855 −72	−532	·9740180	−6128 −74	−549	·9727093	5·2
5·3	·9819007	−4449 −64	−426	·9809669	−4674 −67	−434	·9799896	−4904 −68	−448	·9789676	−5142 −70	−462	·9778994	−5388 −70	−476	·9767836	5·3
5·4	·9846360	−3885 −59	−362	·9838448	−4082 −63	−374	·9830162	−4287 −66	−385	·9821491	−4500 −66	−399	·9812420	−4718 −68	−412	·9802938	5·4
5·5	·9869828	−3380 −55	−310	·9863145	−3555 −60	−320	·9856141	−3735 −61	−332	·9848806	−3922 −63	−343	·9841128	−4116 −64	−354	·9833096	5·5
5·6	·9889916	−2933 −51	−264	·9884287	−3085 −55	−274	·9878385	−3245 −55	−283	·9872199	−3410 −58	−293	·9865720	−3581 −59	−304	·9858937	5·6
5·7	·9907071	−2537 −48	−226	·9902344	−2671 −50	−233	·9897384	−2809 −50	−241	·9892182	−2952 −54	−250	·9886731	−3102 −56	−259	·9881021	5·7
5·8	·9921689	−2187 −42	−190	·9917730	−2302 −48	−197	·9913574	−2423 −47	−205	·9909213	−2550 −49	−212	·9904640	−2680 −51	−220	·9899847	5·8
5·9	·9934120	−1882 −38	−160	·9930814	−1983 −41	−167	·9927341	−2088 −42	−173	·9923694	−2195 −45	−180	·9919869	−2309 −45	−186	·9915857	5·9
6·0	·9944669	−1615 −34	−135	·9941915	−1701 −37	−140	·9939020	−1790 −38	−145	·9935980	−1886 −39	−151	·9932789	−1983 −41	−157	·9929440	6·0

	$p = 8·0$		$p = 8·2$			$p = 8·4$			$p = 8·6$			$p = 8·8$			$p = 9·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0																		·0
·1	0		·0000000	0		·0000000	0		·0000000	0		·0000000	0		·0000000	0		·1
·2	+5 +29		·0000000	+4 +19		·0000000	+3 +13		·0000000	+2 +10		·0000000	+1 +9		·0000000	+1 +5		·2
·3	+32 +111		·0000004	+27 +92		·0000003	+19 +74		·0000002	+14 +57		·0000001	+11 +41		·0000001	+7 +33		·3
·4	+184 +263	+6	·0000035	+142 +212	+4	·0000025	+103 +171		·0000018	+83 +139		·0000013	+62 +117		·0000009	+48 +91		·4
·5	+592 +458	+23	·0000208	+469 +397	+17	·0000156	+370 +344	+13	·0000117	+291 +296	+10	·0000087	+230 +247	+6	·0000065	+180 +211	+6	·5
·6	+1456 +652	+70 +4	·0000850	+1103 +584	+55	·0000657	+975 +520	+43	·0000507	+795 +439	+34	·0000391	+645 +408	+26	·0000301	+523 +358	+20	·6
·7	+2972 +779	+169 +8	·0002685	+2301 +733	+137 +6	·0002133	+2100 +678	+112 +5	·0001692	+1758 +624	+89 +4	·0001340	+1468 +569	+72	·0001060	+1222 +317	+57	·7
·8	+5267 +817	+346 +12	·0007021	+4342 +790	+288 +10	·0005709	+3903 +705	+238 +8	·0004635	+3343 +730	+196 +7	·0003757	+2860 +687	+162 +5	·0003041	+2438 +645	+133 +5	·8
·9	+8379 +703	+622 +18	·0015899	+7373 +730	+527 +13	·0013188	+6471 +735	+445 +12	·0010923	+5662 +734	+378 +10	·0009034	+4939 +729	+316 +9	·0007460	+4299 +707	+265 +8	·9
1·0	+12194 +499	+1006 +20	·0032150	+10934 +559	+868 +18	·0027138	+9774 +810	+748 +15	·0022873	+8713 +644	+642 +14	·0019250	+7747 +639	+550 +12	·0016178	+6867 +675	+471 +11	1·0
1·1	+16508 +196	+1494 +22	·0059335	+15054 +292	+1310 +20	·0050862	+13687 +372	+1147 +18	·0043536	+12408 +439	+1002 +16	·0037213	+11214 +505	+874 +15	·0031763	+10110 +546	+761 +14	1·1
1·2	+21018 −148	+2064 +22	·0101574	+19466 −33	+1839 +21	·0088273	+17972 +76	+1634 +20	·0076607	+16542 +177	+1450 +18	·0066390	+15188 +253	+1284 +17	·0057458	+13899 +333	+1135 +14	1·2
1·3	+25380 −485	+2683 +21	·0163279	+23845 −362	+2426 +21	·0143656	+22333 −231	+2187 +19	·0126220	+20853 −144	+1968 +18	·0110753	+19411 −34	+1767 +17	·0097052	+18021 +53	+1584 +16	1·3
1·4	+29257 −789	+3306 +18	·0248829	+27882 −682	+3035 +18	·0221372	+26443 −552	+2772 +18	·0196686	+25020 −432	+2527 +17	·0174527	+23602 −346	+2299 +16	·0154667	+22198 −238	+2087 +16	1·4
1·5	+32345 −1022	+3911 +13	·0362241	+31197 −925	+3623 +14	·0325531	+29991 −838	+3330 +14	·0292172	+28735 −738	+3091 +14	·0261903	+27447 −639	+2846 +14	·0234480	+26137 −538	+2615 +14	1·5
1·6	+34411 −1162	+4428 +8	·0506850	+33607 −1107	+4150 +9	·0459681	+32701 −1030	+3881 +10	·0416393	+31712 −952	+3621 +10	·0376726	+30653 −871	+3372 +11	·0340430	+29538 −786	+3134 +11	1·6
1·7	+35315 −1222	+4832 +2	·0685066	+34310 −1187	+4578 +4	·0626532	+34381 −1133	+4327 +5	·0572326	+33737 −1108	+4081 +6	·0522202	+32988 −1044	+3841 +7	·0475918	+32153 −983	+3608 +7	1·7
1·8	+34937 −1190	+5098 −3	·0898192	+35026 −1195	+4878 −2	·0827764	+34908 −1182	+4659 0	·0761996	+34654 −1158	+4440 +1	·0700666	+34279 −1138	+4222 +2	·0643559	+33785 −1094	+4005 +3	1·8
1·9	+33489 −1081	+5204 −8	·1146344	+33947 −1111	+5033 −6	·1063904	+34253 −1135	+4855 −5	·0986320	+34413 −1148	+4673 −3	·0913409	+34432 −1141	+4487 −2	·0844985	+34323 −1134	+4299 −1	1·9
2·0	+30900 −923	+5164 −12	·1428443	+31737 −980	+5036 −11	·1334297	+32463 −1020	+4906 −9	·1245057	+33024 −1054	+4768 −7	·1160584	+33444 −1082	+4623 −6	·1080734	+33727 −1100	+4471 −5	2·0
2·1	+27388 −729	+4954 −13	·1742299	+28587 −791	+4889 −12	·1637153	+29653 −837	+4811 −11	·1536818	+30581 −912	+4721 −10	·1441203	+31374 −960	+4621 −8	·1350210	+32031 −997	+4511 −7	2·1
2·2	+23147 −504	+4619 −15	·2084742	+24828 −589	+4606 −14	·1969662	+25988 −661	+4578 −13	·1859160	+27226 −727	+4538 −12	·1753196	+28344 −789	+4485 −11	·1651717	+29338 −843	+4420 −10	2·2
2·3	+18402 −290	+4171 −15	·2451811	+20076 −369	+4208 −15	·2328157	+21636 −447	+4226 −14	·2208728	+23144 −526	+4232 −13	·2093533	+24325 −595	+4225 −12	·1982562	+25802 −665	+4206 −11	2·3
2·4	+13367 −84	+3639 −15	·2838956	+15137 −158	+3715 −14	·2708310	+16863 −236	+3777 −14	·2581440	+18536 −311	+3826 −14	·2458395	+20111 −387	+3860 −13	·2339209	+21601 −459	+3882 −12	2·4
2·5	+8248 +106	+3048 −13	·3241258	+10080 +32	+3168 −13	·3105346	+11672 −40	+3254 −13	·2972688	+13617 −109	+3338 −13	·2843368	+15310 −184	+3409 −12	·2717457	+16941 −234	+3468 −12	2·5
2·6	+3235 +261	+2428 −11	·3653640	+5035 +200	+2563 −11	·3514254	+6821 +141	+2686 −11	·3377553	+8589 +69	+2708 −11	·3243651	+10325 +7	+2898 −11	·3112646	+12027 −63	+2988 −11	2·6
2·7	−1517 +384	+1804 −9	·4071057	+130 +340	+1965 −9	·3929983	+1911 +283	+2096 −9	·3791007	+3630 +235	+2229 −10	·3654259	+5347 +173	+2351 −10	·3519862	+7050 +113	+2464 −10	2·7
2·8	−5885 +479	+1198 −7	·4488664	−4315 +441	+1357 −7	·4347623	−2718 +402	+1509 −7	·4208091	−1094 +356	+1654 −8	·4070214	+543 +311	+1791 −8	·3934128	+2186 +262	+1920 −8	2·8
2·9	−9774 +535	+623 −5	·4901956	−8379 +512	+790 −5	·4762547	−6941 +486	+943 −5	·4624081	−5482 +455	+1096 −6	·4486711	−3952 +421	+1239 −6	·4350580	−2410 +383	+1377 −6	2·9
3·0	−13128 +568	+110	·5306869	−11931 +555	+266	·5170530	−10678 +538	+416	·5034609	−9375 +520	+568 −4	·4899256	−8025 +493	+713 −4	·4764616	−6635 +463	+853 −4	3·0
3·1	−15916 +575	−349	·5699851	−14928 +571	−202	·5567835	−13877 +563	−57	·5435762	−12788 +553	+87	·5303776	−11605 +543	+227	·5172017	−10391 +528	+365	3·1
3·2	−18129 +551	−739	·6077905	−17354 +559	−607	·5951263	−16313 +565	−474	·5824147	−15608 +565	−340	·5696691	−14642 +560	−208	·5569027	−13619 +553	−77	3·2
3·3	−19791 +527	−1064	·6438605	−19221 +533	−946	·6318178	−18564 +548	−827	·6196924	−17883 +554	−706	·6074964	−17119 +568	−586	·5952418	−16234 +559	−465	3·3
3·4	−20926 +473	−1320	·6780084	−20543 +493	−1219	·6666509	−20109 +510	−1115	·6551818	−19604 +521	−1010	·6436118	−19088 +535	−903	·6319515	−18410 +545	−795	3·4
3·5	−21388 +431	−1512	·7101014	−21387 +450	−1427	·6994731	−21124 +464	−1340	·6887108	−20804 +485	−1250	·6778234	−20422 +497	−1158	·6668202	−19981 +509	−1064	3·5
3·6	−21319 +365	−1644	·7400558	−21772 +393	−1576	·7301829	−21675 +415	−1505	·7201594	−21519 +431	−1431	·7099928	−21309 +452	−1355	·6996908	−21043 +470	−1276	3·6
3·7	−21685 +311	−1724	·7678328	−21773 +333	−1671	·7587252	−21811 +350	−1616	·7494561	−21803 +375	−1556	·7400313	−21744 +396	−1495	·7304571	−21635 +416	−1431	3·7
3·8	−21240 +253	−1757	·7934326	−21439 +277	−1718	·7850864	−21697 +300	−1677	·7765725	−21712 +321	−1632	·7678954	−21783 +338	−1584	·7590599	−21811 +362	−1534	3·8
3·9	−20542 +200	−1750	·8168885	−20828 +220	−1725	·8092879	−21082 +284	−1696	·8015177	−21300 +259	−1664	·7935812	−21484 +287	−1630	·7854816	−21825 +303	−1592	3·9
4·0	−19644 +146	−1712	·8382616	−20002 +170	−1697	·8313812	−20330 +188	−1679	·8243329	−20631 +209	−1659	·8171186	−20898 +222	−1636	·8097408	−21136 +244	−1610	4·0
4·1	−18600 +103	−1648	·8576345	−19004 +120	−1643	·8514415	−19390 +137	−1634	·8450850	−19751 +154	−1623	·8385662	−20030 +175	−1610	·8318864	−20403 +194	−1594	4·1
4·2	−17451 +64	−1566	·8751070	−17890 +80	−1567	·8695628	−18313 +94	−1566	·8638620	−18720 +110	−1564	·8580048	−19107 +127	−1559	·8519917	−19474 +144	−1552	4·2
4·3	−16240 +30	−1469	·8907905	−16696 +44	−1476	·8858528	−17140 +53	−1482	·8807670	−17574 +83	−1486	·8755327	−17997 +84	−1487	·8701496	−18403 +97	−1488	4·3
4·4	−14999 +2	−1364	·9048044	−15461 +14	−1576	·9004288	−15917 +22	−1386	·8959146	−16365 +54	−1394	·8912609	−16803 +43	−1402	·8864672	−17236 +59	−1408	4·4
4·5	−13756 −22	−1254	·9172722	−14212 −12	−1269	·9134131	−14668 −5	−1282	·9094257	−15119 +3	−1295	·9053088	−15566 +16	−1306	·9010613	−16005 +24	−1316	4·5
4·6	−12536 −40	−1143	·9283188	−12980 −33	−1160	·9249306	−13424 −28	−1176	·9214249	−13868 −23	−1191	·9178001	−14311 −10	−1205	·9140549	−14754 −2	−1218	4·6
4·7	−11356 −53	−1033	·9380674	−11781 −49	−1051	·9351057	−12208 −46	−1069	·9320373	−12640 −38	−1085	·9288603	−13071 −32	−1101	·9255731	−13501 −27	−1116	4·7
4·8	−10229 −63	−927	·9466379	−10631 −59	−946	·9440600	−11038 −58	−964	·9413857	−11446 −54	−981	·9386134	−11860 −48	−998	·9357412	−12277 −44	−1015	4·8
4·9	−9183 −69	−826	·9541453	−9340 −67	−844	·9519105	−9921 −66	−862	·9495895	−10308 −64	−880	·9471805	−10700 −60	−898	·9446816	−11094 −58	−915	4·9
5·0	−8173 −73	−731	·9606987	−8520 −72	−749	·9587689	−8878 −72	−767	·9567625	−9234 −69	−764	·9546776	−9598 −70	−802	·9525126	−9971 −66	−818	5·0
5·1	−7254 −74	−644	·9664001	−7572 −75	−661	·9647400	−7897 −75	−677	·9630121	−8227 −78	−694	·9612149	−8566 −74	−711	·9593465	−8909 −74	−727	5·1
5·2	−6409 −76	−563	·9713443	−6697 −78	−579	·9699214	−6993 −80	−595	·9684390	−7297 −78	−611	·9668956	−7607 −77	−626	·9652895	−7925 −76	−642	5·2
5·3	−5641 −72	−490	·9756188	−5902 −73	−505	·9744035	−6169 −78	−519	·9731362	−6443 −75	−534	·9718156	−6725 −78	−549	·9704400	−7013 −78	−564	5·3
5·4	−4944 −70	−425	·9793031	−5176 −70	−438	·9782687	−5417 −73	−451	·9771891	−5664 −74	−464	·9760631	−5918 −75	−476	·9748892	−6178 −76	−492	5·4
5·5	−4317 −67	−366	·9824698	−4525 −68	−378	·9815922	−4738 −69	−390	·9806756	−4959 −69	−402	·9797188	−5186 −73	−414	·9787206	−5421 −73	−427	5·5
5·6	−3757 −62	−314	·9851840	−3940 −62	−324	·9844419	−4130 −64	−335	·9836662	−4325 −68	−346	·9828559	−4527 −69	−358	·9820099	−4738 −71	−369	5·6
5·7	−3258 −57	−268	·9875042	−3419 −59	−278	·9868786	−3586 −61	−287	·9862243	−3759 −62	−297	·9855403	−3938 −64	−307	·9848256	−4122 −67	−317	5·7
5·8	−2816 −53	−228	·9894825	−2957 −54	−236	·9889567	−3103 −56	−245	·9884065	−3255 −56	−253	·9878309	−3412 −60	−262	·9872291	−3576 −62	−271	5·8
5·9	−2427 −47	−193	·9911651	−2549 −50	−200	·9907245	−2676 −52	−206	·9902632	−2809 −53	−215	·9897803	−2946 −56	−223	·9892751	−3098 −58	−231	5·9
6·0	−2085 −42	−163	·9925928	−2191 −45	−169	·9922247	−2302 −47	−176	·9918390	−2416 −53	−182	·9914351	−2536 −50	−189	·9910123	−2660 −52	−196	6·0

	$p = 7·0$			$p = 7·2$			$p = 7·4$			$p = 7·6$			$p = 7·8$			$p = 8·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9944669	−1615 −34	−135	·9941915	−1701 −37	−140	·9939020	−1790 −38	−146	·9935980	−1685 −39	−151	·9932789	−1983 −41	−157	·9929440	6·0
6·1	·9953603	−1382 −30	−113	·9951315	−1456 −32	−118	·9948909	−1534 −33	−122	·9946381	−1614 −35	−127	·9943726	−1699 −86	−132	·9940938	6·1
6·2	·9961155	−1180 −27	−95	·9959259	−1243 −28	−98	·9957264	−1309 −31	−102	·9955168	−1379 −30	−106	·9952964	−1449 −33	−111	·9950651	6·2
6·3	·9967527	−1005 −23	−79	·9965960	−1060 −25	−82	·9964310	−1115 −27	−85	·9962576	−1174 −28	−89	·9960753	−1237 −28	−92	·9958837	6·3
6·4	·9972894	−855 −20	−66	·9971601	−899 −22	−68	·9970241	−946 −24	−71	·9968810	−997 −25	−74	·9967305	−1051 −25	−77	·9965723	6·4
6·5	·9977406	−725 −18	−54	·9976343	−764 −19	−57	·9975224	−805 −20	−59	·9974046	−845 −22	−61	·9972806	−890 −24	−64	·9971504	6·5
6·6	·9981193	−614 −16	−45	·9980321	−646 −18	−47	·9979402	−679 −18	−49	·9978435	−715 −19	−51	·9977417	−753 −21	−53	·9976347	6·6
6·7	·9984366	−517 −14	−37	·9983653	−546 −16	−39	·9982901	−575 −15	−40	·9982109	−605 −16	−42	·9981275	−637 −16	−44	·9980398	6·7
6·8	·9987022	−440 −12	−30	·9986439	−459 −14	−32	·9985825	−484 −14	−33	·9985178	−509 −14	−34	·9984496	−537 −14	−36	·9983779	6·8
6·9	·9989240	−369 −11	−25	·9988766	−388 −12	−26	·9988265	−407 −12	−27	·9987738	−428 −12	−28	·9987182	−451 −13	−30	·9986597	6·9
7·0	·9991090	−309 −10	−21	·9990705	−325 −11	−21	·9990298	−342 −10	−22	·9989869	−359 −10	−23	·9989417	−378 −11	−24	·9988941	7·0
7·1	·9992631	−259 −8	−17	·9992319	−272 −10	−17	·9991989	−286 −9	−18	·9991641	−301 −9	−19	·9991274	−316 −10	−20	·9990888	7·1
7·2	·9993913	−217 −7	−14	·9993661	−229 −9	−14	·9993394	−240 −8	−15	·9993112	−252 −8	−15	·9992815	−264 −9	−16	·9992502	7·2
7·3	·9994978	−182 −5	−11	·9994774	−191 −8	−12	·9994559	−200 −7	−12	·9994331	−210 −6	−12	·9994092	−221 −7	−13	·9993839	7·3
7·4	·9995861	−152 −5	−9	·9995697	−159 −7	−9	·9995524	−167 −6	−10	·9995341	−176 −5	−10	·9995148	−165 −5	−11	·9994944	7·4
7·5	·9996592	−127 −4	−7	·9996461	−132 −6	−8	·9996322	−139 −5	−8	·9996175	−146 −4	−8	·9996020	−154 −4	−9	·9995856	7·5
7·6	·9997198	−106	−6	·9997093	−110 −4	−6	·9996981	−115 −4	−6	·9996863	−120 −4	−7	·9996739	−127 −4	−7	·9996608	7·6
7·7	·9997698	−87	−5	·9997614	−91	−5	·9997525	−95	−5	·9997431	−99	−6	·9997331	−104	−6	·9997226	7·7
7·8	·9998111	−72	−4	·9998044	−76	−4	·9997973	−79	−4	·9997898	−83	−4	·9997819	−87	−4	·9997735	7·8
7·9	·9998451	−59		·9998398	−63		·9998342	−66		·9998282	−69	−4	·9998219	−72	−4	·9998152	7·9
8·0	·9998732	−49		·9998690	−53		·9998645	−55		·9998598	−58		·9998547	−59		·9998494	8·0
8·1	·9998962	−40		·9998929	−44		·9998894	−45		·9998856	−47		·9998817	−49		·9998775	8·1
8·2	·9999152	−34		·9999126	−36		·9999098	−37		·9999068	−38		·9999037	−40		·9999004	8·2
8·3	·9999307	−28		·9999287	−29		·9999265	−30		·9999242	−31		·9999217	−33		·9999191	8·3
8·4	·9999435	−24		·9999419	−24		·9999402	−25		·9999383	−25		·9999364	−27		·9999343	8·4
8·5	·9999539	−20		·9999527	−20		·9999513	−20		·9999499	−21		·9999484	−22		·9999468	8·5
8·6	·9999625	−17		·9999615	−16		·9999605	−17		·9999594	−18		·9999582	−18		·9999569	8·6
8·7	·9999694	−14		·9999687	−13		·9999679	−14		·9999670	−14		·9999661	−14		·9999651	8·7
8·8	·9999752	−12		·9999746	−11		·9999740	−12		·9999733	−12		·9999726	−11		·9999718	8·8
8·9	·9999798	−10		·9999794	−9		·9999789	−10		·9999784	−10		·9999778	−9		·9999773	8·9
9·0	·9999836	−8		·9999833	−6		·9999829	−8		·9999825	−8		·9999821	−8		·9999816	9·0
9·1	·9999867	−8		·9999864	−6		·9999862	−7		·9999859	−7		·9999856	−7		·9999852	9·1
9·2	·9999892	−4		·9999890	−5		·9999888	−5		·9999886	−5		·9999884	−6		·9999881	9·2
9·3	·9999913	−4		·9999911	−4		·9999910	−4		·9999908	−4		·9999906	−4		·9999904	9·3
9·4	·9999929			·9999928			·9999927			·9999926	−4		·9999924	−4		·9999923	9·4
9·5	·9999943			·9999942			·9999941			·9999940			·9999939			·9999938	9·5
9·6	·9999954			·9999953			·9999953			·9999952			·9999951			·9999950	9·6
9·7	·9999963			·9999962			·9999962			·9999961			·9999961			·9999960	9·7
9·8	·9999970			·9999970			·9999969			·9999969			·9999969			·9999968	9·8
9·9	·9999976			·9999976			·9999975			·9999975			·9999975			·9999974	9·9
10·0	·9999980			·9999980			·9999980			·9999980			·9999980			·9999980	10·0
10·1	·9999984			·9999984			·9999984			·9999984			·9999984			·9999984	10·1
10·2	·9999987			·9999987			·9999987			·9999987			·9999987			·9999987	10·2
10·3	·9999990			·9999990			·9999990			·9999990			·9999990			·9999990	10·3
10·4	·9999992			·9999992			·9999992			·9999992			·9999992			·9999992	10·4
10·5	·9999993			·9999993			·9999993			·9999993			·9999993			·9999993	10·5
10·6	·9999995			·9999995			·9999995			·9999995			·9999995			·9999995	10·6
10·7	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	10·7
10·8	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	10·8
10·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	10·9
11·0	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·0
11·1	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·1
11·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·2
11·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	11·7

	$p=8·0$		$p=8·2$			$p=8·4$			$p=8·6$			$p=8·8$			$p=9·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−2085 −42	−163	·9925928	−2191 −45	−169	·9922247	−2302 −47	−175	·9918390	−2416 −50	−182	·9914351	−2536 −50	−169	·9910123	−2680 −52	−196	6·0
6·1	−1785 −38	−137	·9938014	−1878 −40	−143	·9934947	−1975 −43	−148	·9931732	−2073 −43	−154	·9928363	−2178 −45	−160	·9924835	−2283 −48	−165	6·1
6·2	−1527 −34	−115	·9948222	−1605 −35	−120	·9945674	−1687 −37	−124	·9943001	−1772 −40	−129	·9940199	−1860 −41	−134	·9937264	−1954 −42	−139	6·2
6·3	−1300 −31	−96	·9956825	−1367 −32	−100	·9954714	−1438 −33	−104	·9952498	−1511 −35	−108	·9950175	−1589 −36	−112	·9947739	−1667 −38	−117	6·3
6·4	−1105 −28	−80	·9964061	−1163 −27	−83	·9962316	−1222 −30	−87	·9960484	−1285 −31	−90	·9958562	−1349 −33	−94	·9956547	−1418 −35	−97	6·4
6·5	−938 −24	−66	·9970134	−986 −24	−69	·9968696	−1037 −26	−72	·9967185	−1090 −26	−75	·9965600	−1146 −29	−78	·9963937	−1204 −32	−81	6·5
6·6	−792 −21	−55	·9975221	−833 −22	−57	·9974039	−877 −23	−60	·9972796	−921 −24	−62	·9971492	−989 −28	−65	·9970123	−1018 −27	−67	6·6
6·7	−670 −18	−45	·9979475	−703 −20	−47	·9978505	−740 −20	−49	·9977486	−779 −21	−51	·9976415	−818 −21	−53	·9975291	−859 −24	−56	6·7
6·8	−563 −15	−37	·9983024	−592 −17	−39	·9982231	−623 −16	−41	·9981397	−655 −18	−42	·9980520	−688 −19	−44	·9979600	−724 −19	−46	6·8
6·9	−474 −13	−31	·9985981	−498 −14	−32	·9985334	−524 −15	−33	·9984653	−551 −18	−35	·9983937	−579 −16	−36	·9983185	−603 −16	−36	6·9
7·0	−397 −12	−25	·9988440	−418 −11	−26	·9987913	−436 −13	−27	·9987358	−461 −14	−28	·9986775	−484 −13	−30	·9986163	−510 −13	−31	7·0
7·1	−333 −10	−21	·9990481	−349 −10	−21	·9990053	−367 −12	−22	·9989602	−385 −12	−23	·9989129	−408 −11	−24	·9988631	−428 −13	−25	7·1
7·2	−279 −9	−17	·9992173	−292 −9	−17	·9991826	−307 −10	−18	·9991461	−323 −10	−19	·9991077	−339 −10	−20	·9990673	−355 −12	−21	7·2
7·3	−232 −8	−14	·9993573	−244 −7	−14	·9993292	−257 −8	−15	·9992997	−268 −9	−15	·9992686	−282 −9	−16	·9992360	−296 −9	−17	7·3
7·4	−193 −7	−11	·9994729	−203 −6	−12	·9994503	−215 −7	−12	·9994265	−223 −8	−12	·9994014	−234 −8	−13	·9993751	−248 −8	−14	7·4
7·5	−160 −6	−9	·9995683	−168 −6	−9	·9995501	−178 −8	−10	·9995310	−186 −7	−10	·9995108	−194 −7	−11	·9994896	−204 −7	−11	7·5
7·6	−133 −5	−7	·9996469	−139 −5	−7	·9996323	−146 −5	−8	·9996169	−153 −6	−8	·9996007	−161 −6	−9	·9995837	−169 −6	−9	7·6
7·7	−110 −4	−6	·9997115	−115 −4	−6	·9996998	−120 −4	−6	·9996875	−127 −5	−7	·9996745	−133 −5	−7	·9996609	−140 −5	−7	7·7
7·8	−91	−5	·9997646	−95	−5	·9997553	−100 −4	−5	·9997454	−105 −4	−5	·9997351	−109 −4	−5	·9997241	−115 −4	−5	7·8
7·9	−75	−4	·9998082	−79	−4	·9998007	−82	−4	·9997929	−87	−4	·9997846	−90	−4	·9997759	−93	−5	7·9
8·0	−61		·9998438	−65		·9998379	−66		·9998317	−71		·9998251	−74	−4	·9998182	−79	−4	8·0
8·1	−51		·9998730	−53		·9998683	−56		·9998634	−59		·9998581	−60		·9998526	−64		8·1
8·2	−42		·9998969	−44		·9998931	−46		·9998892	−49		·9998851	−50		·9998807	−52		8·2
8·3	−35		·9999163	−36		·9999134	−38		·9999103	−40		·9999070	−41		·9999036	−45		8·3
8·4	−28		·9999322	−30		·9999299	−31		·9999274	−32		·9999248	−33		·9999221	−36		8·4
8·5	−23		·9999451	−24		·9999433	−25		·9999413	−25		·9999393	−27		·9999372	−29		8·5
8·6	−19		·9999556	−20		·9999542	−20		·9999527	−22		·9999511	−22		·9999494	−23		8·6
8·7	−15		·9999641	−16		·9999630	−16		·9999618	−18		·9999606	−18		·9999593	−19		8·7
8·8	−12		·9999710	−13		·9999702	−14		·9999692	−14		·9999683	−15		·9999673	−16		8·8
8·9	−10		·9999766	−11		·9999760	−11		·9999752	−12		·9999745	−12		·9999737	−12		8·9
9·0	−8		·9999812	−9		·9999807	−10		·9999801	−10		·9999795	−9		·9999789	−10		9·0
9·1	−7		·9999848	−7		·9999844	−8		·9999840	−8		·9999836	−8		·9999831	−8		9·1
9·2	−6		·9999878	−5		·9999875	−6		·9999872	−7		·9999868	−6		·9999865	−7		9·2
9·3	−5		·9999902	−5		·9999900	−6		·9999897	−5		·9999895	−6		·9999892	−6		9·3
9·4	−4		·9999921	−4		·9999919	−4		·9999918	−4		·9999916	−4		·9999913	−4		9·4
9·5			·9999937			·9999935			·9999934			·9999933			·9999931			9·5
9·6			·9999949			·9999948			·9999947			·9999946			·9999945			9·6
9·7			·9999959			·9999959			·9999958			·9999957			·9999956			9·7
9·8			·9999968			·9999967			·9999966			·9999966			·9999965			9·8
9·9			·9999974			·9999974			·9999973			·9999973			·9999972			9·9
10·0			·9999979			·9999979			·9999979			·9999978			·9999978			10·0
10·1			·9999983			·9999983			·9999983			·9999983			·9999982			10·1
10·2			·9999987			·9999987			·9999986			·9999986			·9999986			10·2
10·3			·9999989			·9999989			·9999989			·9999989			·9999989			10·3
10·4			·9999992			·9999991			·9999991			·9999991			·9999991			10·4
10·5			·9999993			·9999993			·9999993			·9999993			·9999993			10·5
10·6			·9999995			·9999995			·9999995			·9999995			·9999994			10·6
10·7			·9999996			·9999996			·9999996			·9999996			·9999996			10·7
10·8			·9999997			·9999997			·9999997			·9999997			·9999997			10·8
10·9			·9999997			·9999997			·9999997			·9999997			·9999997			10·9
11·0			·9999998			·9999998			·9999998			·9999998			·9999998			11·0
11·1			·9999998			·9999998			·9999998			·9999998			·9999998			11·1
11·2			·9999999			·9999999			·9999999			·9999999			·9999999			11·2
11·3			·9999999			·9999999			·9999999			·9999999			·9999999			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			11·7

	$p=9{\cdot}0$			$p=9{\cdot}2$			$p=9{\cdot}4$			$p=9{\cdot}6$			$p=9{\cdot}8$			$p=10{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·1	·0000000	0			0												·1
·2	·0000000	+1 +5		·0000000	+1 +3		·0000000	0		·0000000	0 +4		·0000000	0 +3		·0000000	·2
·3	·0000001	+7 +35		·0000001	+5 +26		·0000000	+5 +16		·0000000	+4 +10		·0000000	+3 +8		·0000000	·3
·4	·0000009	+48 +91		·0000007	+35 +77		·0000005	+26 +63		·0000004	+18 +56		·0000003	+14 +42		·0000002	·4
·5	·0000065	+180 +211	+6	·0000048	+142 +174	+4	·0000036	+110 +148		·0000026	+88 +116		·0000020	+67 +100		·0000014	·5
·6	·0000301	+523 +356	+20	·0000231	+423 +310	+16	·0000177	+342 +266	+12	·0000136	+274 +234	+10	·0000104	+220 +201	+7	·0000079	·6
·7	·0001060	+1222 +517	+57	·0000837	+1014 +469	+46	·0000660	+840 +421	+37	·0000520	+694 +374	+29	·0000408	+574 +327	+23	·0000321	·7
·8	·0003041	+2438 +646	+133 +5	·0002457	+2074 +598	+109 +4	·0001983	+1759 +553	+89	·0001598	+1488 +510	+73	·0001286	+1255 +470	+60	·0001033	·8
·9	·0007460	+4299 +707	+265 +8	·0006151	+3732 +681	+222 +6	·0005065	+3231 +652	+186 +5	·0004164	+2792 +614	+155 +4	·0003419	+2406 +577	+130 +4	·0002804	·9
1·0	·0016178	+6867 +675	+471 +11	·0013577	+6071 +689	+402 +10	·0011378	+5355 +672	+343 +9	·0009522	+4710 +665	+292 +8	·0007958	+4134 +646	+246 +7	·0006642	1·0
1·1	·0031763	+10110 +546	+751 +14	·0027074	+9090 +579	+661 +12	·0023046	+8151 +606	+573 +10	·0019590	+7293 +615	+496 +9	·0016631	+6508 +622	+429 +8	·0014101	1·1
1·2	·0057458	+13899 +333	+1135 +14	·0049661	+12688 +396	+1001 +14	·0042865	+11553 +448	+882 +13	·0036951	+10491 +497	+775 +12	·0031812	+9504 +533	+680 +11	·0027352	1·2
1·3	·0097052	+18021 +55	+1584 +16	·0084936	+16682 +147	+1417 +15	·0074237	+15403 +224	+1265 +14	·0064803	+14186 +290	+1128 +13	·0056497	+13033 +347	+1004 +12	·0049195	1·3
1·4	·0154667	+22198 −238	+2087 +16	·0136893	+20823 −148	+1891 +16	·0121012	+19477 −52	+1711 +15	·0106841	+18171 +36	+1545 +14	·0094215	+16909 +119	+1392 +13	·0082981	1·4
1·5	·0234480	+26137 −538	+2615 +14	·0209673	+24816 −431	+2398 +14	·0187264	+23499 −337	+2196 +13	·0167050	+22192 −244	+2006 +13	·0148842	+20904 −156	+1830 +12	·0132465	1·5
1·6	·0340430	+29538 −786	+3134 +11	·0307269	+28378 −701	+2907 +11	·0277015	+27184 −607	+2691 +11	·0249451	+25969 −516	+2486 +12	·0224373	+24743 −428	+2293 +11	·0201589	1·6
1·7	·0475918	+32153 −983	+3608 +7	·0433243	+31239 −909	+3382 +8	·0393950	+30262 −838	+3164 +9	·0357821	+29230 −759	+2955 +9	·0324647	+28154 −675	+2754 +9	·0294226	1·7
1·8	·0643559	+33785 −1094	+4005 +3	·0590456	+33191 −1052	+3793 +4	·0541147	+32502 −995	+3584 +5	·0495421	+31732 −935	+3380 +5	·0453075	+30892 −874	+3182 +6	·0413911	1·8
1·9	·0844985	+34323 −1134	+4299 −1	·0780860	+34091 −1113	+4111 0	·0720846	+33747 −1083	+3922 +1	·0664753	+33299 −1056	+3734 +2	·0612395	+32756 −1014	+3549 +3	·0563586	1·9
2·0	·1080734	+33727 −1100	+4471 −5	·1005355	+33878 −1108	+4315 −4	·0934292	+33903 −1104	+4156 −3	·0867384	+33810 −1091	+3994 −1	·0804471	+33606 −1073	+3831 −1	·0745388	2·0
2·1	·1350210	+32031 −997	+4511 −7	·1263728	+32557 −1026	+4395 −7	·1181641	+32955 −1048	+4272 −6	·1103825	+33230 −1067	+4142 −4	·1030153	+33383 −1069	+4009 −3	·0960489	2·1
2·2	·1651717	+29338 −843	+4420 −10	·1554658	+30210 −896	+4346 −9	·1461945	+30959 −941	+4263 −8	·1373496	+31583 −968	+4172 −7	·1289218	+32091 −1002	+4073 −6	·1209014	2·2
2·3	·1982562	+25802 −665	+4206 −11	·1875798	+26967 −721	+4175 −11	·1773208	+28022 −776	+4133 −10	·1674750	+28968 −835	+4081 −9	·1580374	+29797 −874	+4020 −8	·1490018	2·3
2·4	·2339209	+21601 −459	+3882 −12	·2223905	+23003 −534	+3892 −12	·2112493	+24309 −597	+3890 −11	·2004972	+25517 −653	+3878 −10	·1901327	+26629 −715	+3855 −9	·1801538	2·4
2·5	·2717457	+16941 −254	+3468 −12	·2595015	+18505 −322	+3515 −11	·2476087	+19999 −398	+3551 −11	·2360711	+21413 −464	+3575 −11	·2248909	+22746 −528	+3589 −10	·2140696	2·5
2·6	·3112646	+12027 −63	+2988 −11	·2984630	+13685 −133	+3066 −11	·2859680	+15291 −194	+3134 −11	·2737863	+16845 −267	+3190 −11	·2619237	+18335 −338	+3237 −10	·2503847	2·6
2·7	·3519862	+7050 +113	+2464 −10	·3387930	+8732 +53	+2567 −10	·3258564	+10389 −15	+2661 −10	·3131860	+12010 −78	+2744 −10	·3007900	+13591 −137	+2818 −9	·2886758	2·7
2·8	·3934128	+2186 +262	+1920 −8	·3799962	+3832 +209	+2041 −8	·3667837	+5472 +155	+2154 −9	·3537867	+7099 +99	+2256 −8	·3410154	+8710 +33	+2354 −8	·3284797	2·8
2·9	·4350580	−2416 +383	+1377 −6	·4215826	−859 +338	+1510 −7	·4082582	+710 +292	+1635 −7	·3950973	+2287 +241	+1754 −6	·3821118	+3862 +197	+1865 −6	·3693128	2·9
3·0	·4764616	−6635 +463	+855 −4	·4630831	−5212 +434	+991 −5	·4498037	−3760 +403	+1123 −5	·4366366	−2284 +366	+1249 −5	·4235944	−789 +321	+1371 −5	·4106893	3·0
3·1	·5172017	−10391 +528	+356	·5040624	−9131 +509	+501	·4909732	−7827 +478	+635	·4779475	−6489 +454	+763	·4649981	−5119 +426	+888	·4521375	3·1
3·2	·5569027	−13619 +558	−77	·5441286	−12541 +540	+55	·5313600	−11416 +535	+181	·5186095	−10240 +511	+309	·5058899	−9023 +489	+433	·4932136	3·2
3·3	·5952418	−16294 +559	−466	·5829407	−15411 +560	−344	·5706052	−14470 +548	−223	·5582475	−13480 +549	−103	·5458794	−12438 +538	+15	·5335128	3·3
3·4	·6319515	−18410 +545	−795	·6202117	−17721 +548	−686	·6084034	−16976 +558	−576	·5965375	−16171 +550	−466	·5846251	−15315 +552	−355	·5726771	3·4
3·5	·6668202	−19981 +509	−1064	·6557106	−19483 +525	−969	·6445040	−18924 +529	−872	·6332104	−18312 +544	−773	·6218393	−17640 +545	−674	·6104009	3·5
3·6	·6996908	−21043 +470	−1276	·6892612	−20720 +482	−1194	·6787122	−20343 +500	−1111	·6680521	−19909 +511	−1025	·6572895	−19420 +520	−938	·6464331	3·6
3·7	·7304571	−21635 +416	−1431	·7207398	−21475 +439	−1364	·7108861	−21262 +456	−1294	·7009029	−20995 +468	−1222	·6907977	−20680 +489	−1148	·6805775	3·7
3·8	·7590599	−21811 +362	−1534	·7500709	−21791 +388	−1481	·7409338	−21725 +397	−1425	·7316542	−21613 +420	−1367	·7222379	−21451 +435	−1306	·7126910	3·8
3·9	·7854816	−21625 +303	−1592	·7772229	−21729 +307	−1552	·7688090	−21791 +347	−1509	·7602442	−21811 +366	−1464	·7515330	−21787 +384	−1416	·7426803	3·9
4·0	·8097408	−21136 +244	−1610	·8022020	−21340 +273	−1582	·7945051	−21510 +286	−1551	·7866531	−21643 +306	−1517	·7786494	−21739 +328	−1481	·7704977	4·0
4·1	·8318864	−20403 +194	−1594	·8250471	−20688 +216	−1576	·8180502	−20943 +231	−1556	·8108977	−21169 +251	−1523	·8035919	−21363 +269	−1506	·7961354	4·1
4·2	·8519917	−19474 +144	−1552	·8458234	−19820 +158	−1543	·8395010	−20145 +180	−1531	·8330254	−20444 +198	−1517	·8263981	−20718 +218	−1501	·8196207	4·2
4·3	·8701496	−18403 +97	−1488	·8646177	−18794 +115	−1486	·8589373	−19167 +130	−1482	·8531087	−19521 +145	−1476	·8471325	−19855 +162	−1468	·8410096	4·3
4·4	·8864672	−17235 +59	−1408	·8815326	−17653 +72	−1411	·8764569	−18059 +85	−1414	·8712399	−18453 +100	−1414	·8658814	−18830 +117	−1413	·8603816	4·4
4·5	·9010613	−16005 +24	−1316	·8966822	−16440 +37	−1325	·8921706	−16866 +50	−1332	·8875258	−17281 +60	−1338	·8827473	−17688 +74	−1342	·8778346	4·5
4·6	·9140549	−14754 −2	−1218	·9101878	−15190 +5	−1230	·9061977	−15623 +17	−1241	·9020836	−16052 +27	−1251	·8978444	−16472 +39	−1259	·8934793	4·6
4·7	·9255731	−13501 −27	−1116	·9221744	−13934 −19	−1131	·9186625	−14363 −11	−1144	·9150362	−14791 −2	−1156	·9112943	−15217 +9	−1169	·9074355	4·7
4·8	·9357412	−12277 −44	−1015	·9327676	−12694 −36	−1030	·9296910	−13115 −32	−1046	·9265097	−13534 −26	−1060	·9232225	−13953 −19	−1074	·9198279	4·8
4·9	·9446816	−11094 −58	−915	·9420914	−11495 −49	−931	·9394080	−11897 −47	−947	·9366298	−12301 −44	−953	·9337554	−12709 −37	−968	·9307831	4·9
5·0	·9525126	−9971 −66	−818	·9502657	−10346 −62	−835	·9479353	−10726 −60	−852	·9455198	−11113 −59	−868	·9430174	−11500 −52	−884	·9404267	5·0
5·1	·9593465	−8909 −74	−727	·9574054	−9260 −73	−734	·9553900	−9617 −69	−760	·9532985	−9977 −67	−776	·9511294	−10344 −66	−792	·9488811	5·1
5·2	·9652895	−7925 −76	−642	·9636191	−8247 −75	−658	·9618830	−8577 −74	−674	·9600795	−8914 −73	−689	·9582070	−9254 −70	−705	·9562640	5·2
5·3	·9704400	−7013 −78	−564	·9690081	−7309 −76	−579	·9675183	−7610 −76	−594	·9659691	−7918 −76	−609	·9643592	−8234 −74	−623	·9626869	5·3
5·4	·9748892	−6178 −78	−492	·9736662	−6446 −78	−506	·9723926	−6722 −77	−520	·9710669	−7001 −78	−534	·9696880	−7289 −78	−548	·9682543	5·4
5·5	·9787206	−5421 −73	−427	·9776797	−5662 −75	−440	·9765947	−5907 −78	−453	·9754646	−6164 −76	−465	·9742879	−6423 −79	−478	·9730634	5·5
5·6	·9820099	−4736 −71	−369	·9811270	−4951 −71	−380	·9802061	−5174 −72	−392	·9792459	−5399 −75	−404	·9782455	−5635 −75	−416	·9772034	5·6
5·7	·9848256	−4122 −67	−317	·9840792	−4312 −70	−327	·9833001	−4509 −69	−337	·9824873	−4714 −72	−348	·9816396	−4921 −78	−359	·9807560	5·7
5·8	·9872291	−3575 −62	−271	·9866002	−3744 −62	−280	·9859432	−3916 −66	−290	·9852573	−4095 −67	−299	·9845416	−4282 −66	−309	·9837949	5·8
5·9	·9892751	−3088 −58	−231	·9887468	−3235 −59	−239	·9881947	−3389 −62	−247	·9876178	−3547 −62	−256	·9870154	−3710 −64	−264	·9863866	5·9
6·0	·9910123	−2660 −52	−196	·9905699	−2788 −54	−203	·9901073	−2922 −55	−210	·9896236	−3060 −58	−217	·9891182	−3202 −61	−225	·9885904	6·0

	$p = 10{\cdot}0$		$p = 10{\cdot}2$			$p = 10{\cdot}4$			$p = 10{\cdot}6$			$p = 10{\cdot}8$			$p = 11{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·1																		·1
·2	0 +2		·0000000	0 +1		·0000000	+1		·0000000	+1		·0000000			·0000000			·2
·3	+2 +8		·0000000	+1 +7		·0000000	+1 +4		·0000000	+1 +2		·0000000	+4		·0000000	+3		·3
·4	+10 +35		·0000001	+9 +23		·0000001	+6 +20		·0000001	+4 +17		·0000000	+4 +11		·0000000	+3 +8		·4
·5	+53 +81		·0000011	+40 +89		·0000008	+31 +67		·0000006	+24 +46		·0000004	+19 +36		·0000003	+14 +32		·5
·6	+177 +169	+6	·0000061	+140 +148	+4	·0000046	+113 +121		·0000035	+90 +103		·0000027	+70 +91		·0000020	+57 +71		·6
·7	+470 +298	+19	·0000251	+388 +253	+15	·0000197	+318 +227	+12	·0000154	+259 +195	+9	·0000120	+212 +160	+7	·0000094	+171 +149	+6	·7
·8	+1069 +419	+46	·0000829	+889 +383	+39	·0000664	+748 +342	+32	·0000532	+633 +310	+26	·0000425	+520 +278	+21	·0000339	+434 +243	+17	·8
·9	+2067 +548	+108 +4	·0002296	+1773 +506	+90	·0001877	+1518 +488	+74	·0001533	+1297 +428	+62	·0001250	+1106 +369	+51	·0001018	+940 +359	+42	·9
1·0	+3621 +617	+210 +6	·0005536	+3163 +594	+178 +5	·0004608	+2758 +561	+151 +4	·0003831	+2399 +531	+127 +4	·0003181	+2081 +504	+107	·0002638	+1805 +482	+90	1·0
1·1	+5792 +629	+370 +8	·0011939	+5147 +614	+318 +7	·0010097	+4559 +611	+274 +8	·0008528	+4032 +593	+235 +5	·0007193	+3560 +566	+201 +4	·0006061	+3132 +553	+172 +4	1·1
1·2	+8692 +551	+696 +10	·0023489	+7745 +578	+531 +9	·0020145	+6971 +578	+455 +9	·0017257	+6253 +582	+396 +7	·0014765	+5603 +584	+345 +6	·0012617	+5012 +572	+300 +6	1·2
1·3	+11943 +404	+891 +11	·0042784	+10921 +441	+791 +10	·0037164	+9961 +482	+700 +9	·0032244	+9068 +510	+619 +9	·0027942	+8234 +530	+548 +8	·0024185	+7464 +541	+481 +7	1·3
1·4	+15608 +187	+1253 +12	·0073000	+14538 +253	+1125 +11	·0064144	+13433 +309	+1009 +10	·0056297	+12384 +359	+903 +10	·0049353	+11393 +393	+807 +9	·0043217	+10457 +433	+721 +8	1·4
1·5	+19840 −69	+1668 +12	·0117754	+18408 +12	+1515 +11	·0104557	+17214 +83	+1374 +11	·0092734	+16061 +149	+1245 +10	·0082157	+14950 +216	+1126 +10	·0072706	+13888 +284	+1017 +9	1·5
1·6	+23513 −338	+2112 +11	·0180916	+22290 −254	+1941 +11	·0162184	+21078 −188	+1781 +10	·0145232	+19887 −90	+1631 +10	·0129911	+18723 −21	+1492 +10	·0116083	+17583 +67	+1362 +9	1·6
1·7	+27048 −593	+2562 +10	·0266368	+25918 −510	+2380 +10	·0240889	+24774 −428	+2206 +10	·0217617	+23623 −345	+2042 +9	·0196387	+22473 −262	+1887 +9	·0177043	+21335 −196	+1741 +9	1·7
1·8	+29990 −806	+2990 +6	·0377738	+29036 −733	+2804 +7	·0344368	+28042 −661	+2626 +7	·0313625	+27014 −587	+2454 +7	·0285336	+25962 −515	+2290 +7	·0259338	+24891 −430	+2134 +8	1·8
1·9	+32127 −965	+3387 +3	·0518144	+31421 −908	+3187 +4	·0475889	+30649 −850	+3013 +5	·0436647	+29818 −783	+2842 +5	·0400247	+28938 −718	+2677 +5	·0366524	+28017 −654	+2518 +6	1·9
2·0	+33299 −1047	+3667 +1	·0689971	+32898 −1020	+3503 +1	·0638059	+32406 −977	+3341 +2	·0589487	+31837 −937	+3181 +3	·0544096	+31194 −884	+3023 +3	·0501727	+30489 −832	+2867 +3	2·0
2·1	+33424 −1070	+3871 −2	·0894696	+33355 −1056	+3732 −1	·0832635	+33186 −1044	+3590 −1	·0774164	+32919 −1016	+3447 0	·0719139	+32566 −992	+3304 +1	·0667419	+32129 −966	+3161 +1	2·1
2·2	+32479 −1018	+3968 −6	·1132776	+32756 −1033	+3858 −5	·1060397	+32922 −1038	+3743 −4	·0991760	+32985 −1039	+3625 −3	·0926748	+32948 −1027	+3504 −2	·0865240	+32813 −1013	+3380 −1	2·2
2·3	+30516 −916	+3951 −7	·1403612	+31124 −949	+3874 −7	·1321081	+31622 −975	+3791 −6	·1242341	+32012 −990	+3702 −5	·1167303	+32299 −1004	+3608 −4	·1095874	+32484 −1007	+3510 −3	2·3
2·4	+27638 −767	+3823 −9	·1705572	+28543 −809	+3782 −8	·1613387	+29347 −851	+3732 −8	·1524934	+30049 −891	+3676 −7	·1440157	+30648 −920	+3612 −6	·1358992	+31148 −949	+3542 −5	2·4
2·5	+23993 −688	+3692 −9	·2036075	+25153 −651	+3688 −9	·1935040	+26221 −703	+3671 −9	·1837576	+27193 −749	+3647 −8	·1743659	+28077 −798	+3615 −7	·1653258	+28863 −831	+3576 −7	2·5
2·6	+19760 −399	+3273 −10	·2391731	+21112 −458	+3299 −9	·2282914	+22390 −516	+3317 −9	·2177413	+23592 −579	+3325 −9	·2075238	+24710 −628	+3325 −9	·1976387	+25747 −681	+3316 −8	2·6
2·7	+15129 −204	+2883 −9	·2768499	+16613 −268	+2938 −9	·2653178	+18043 −335	+2984 −9	·2540842	+19410 −392	+3022 −8	·2431527	+20715 −456	+3051 −8	·2325263	+21950 −513	+3071 −8	2·7
2·8	+10292 −22	+2442 −8	·3161880	+11848 −85	+2521 −8	·3041485	+13361 −141	+2592 −8	·2923681	+14836 −204	+2654 −8	·2808531	+16264 −264	+2708 −8	·2696089	+17640 −320	+2754 −8	2·8
2·9	+5434 +141	+1969 −8	·3567107	+6994 +87	+2067 −8	·3443153	+8538 +27	+2157 −6	·3321356	+10058 −28	+2240 −6	·3201799	+11549 −83	+2313 −6	·3084555	+13010 −145	+2384 −6	2·9
3·0	+717 +279	+1438 −6	·3979328	+2229 +235	+1596 −4	·3853359	+3742 +188	+1699 −4	·3729089	+5262 +134	+1797 −4	·3606616	+6751 +82	+1889 −4	·3486031	+8233 +29	+1972 −4	3·0
3·1	−3721 +390	+1009	·4393778	−2301 +349	+1126	·4267307	−866 +312	+1233	·4142074	+580 +274	+1344	·4018184	+2035 +227	+1447	·3895742	+3489 +184	+1542	3·1
3·2	−7769 +468	+554	·4805927	−6482 +448	+669	·4680389	−5162 +414	+788	·4555639	−3818 +379	+898	·4431787	−2454 +348	+1007	·4308942	−1073 +305	+1110	3·2
3·3	−11349 +524	+133	·5211594	−10215 +501	+243	·5088309	−9044 +484	+362	·4965386	−7837 +464	+473	·4842936	−6597 +437	+582	·4721069	−5330 +412	+689	3·3
3·4	−14405 +545	−246	·5607046	−13447 +540	−136	·5487185	−12442 +529	−27	·5367296	−11392 +512	+80	·5247488	−10303 +497	+187	·5127866	−9175 +474	+291	3·4
3·5	−16916 +549	−574	·5989051	−16139 +549	−474	·5873619	−15311 +547	−373	·5757814	−14435 +544	−272	·5651737	−13512 +535	−172	·5525488	−12546 +528	−72	3·5
3·6	−18878 +531	−850	·6354917	−18282 +537	−760	·6244742	−17633 +540	−670	·6133897	−16934 +543	−579	·6022474	−16186 +544	−487	·5910564	−15389 +533	−395	3·6
3·7	−20309 +498	−1073	·6702501	−19888 +512	−995	·6598232	−19415 +522	−916	·6493046	−18890 +527	−835	·6387025	−18316 +534	−754	·6280251	−17694 +541	−671	3·7
3·8	−21242 +456	−1243	·7030197	−20982 +468	−1178	·6932307	−20675 +484	−1111	·6833305	−20319 +500	−1042	·6733260	−19912 +507	−972	·6632244	−19458 +516	−900	3·8
3·9	−21719 +399	−1366	·7336911	−21608 +420	−1313	·7245707	−21451 +436	−1257	·7153245	−21248 +450	−1201	·7059583	−21001 +470	−1142	·6964779	−20706 +483	−1081	3·9
4·0	−21797 +351	−1442	·7622017	−21814 +368	−1401	·7537656	−21791 +387	−1358	·7451937	−21727 +406	−1313	·7364905	−21620 +420	−1265	·7276608	−21471 +436	−1216	4·0
4·1	−21524 +287	−1480	·7885309	−21662 +308	−1450	·7807814	−21744 +328	−1417	·7728902	−21800 +346	−1383	·7648607	−21818 +365	−1348	·7566966	−21800 +384	−1307	4·1
4·2	−20964 +235	−1483	·8126949	−21182 +255	−1463	·8056228	−21369 +269	−1441	·7984067	−21527 +291	−1415	·7910491	−21654 +310	−1390	·7835524	−21745 +328	−1360	4·2
4·3	−20169 +184	−1459	·8347407	−20457 +198	−1447	·8283273	−20726 +223	−1433	·8217705	−20963 +234	−1417	·8150721	−21177 +254	−1399	·8082337	−21362 +268	−1380	4·3
4·4	−19190 +128	−1411	·8547408	−19536 +152	−1406	·8489593	−19858 +169	−1399	·8430380	−20155 +185	−1391	·8369774	−20446 +199	−1381	·8307788	−20707 +216	−1370	4·4
4·5	−18083 +91	−1345	·8727873	−18463 +100	−1346	·8676055	−18832 +122	−1348	·8622890	−19182 +130	−1344	·8568381	−19518 +149	−1341	·8512532	−19836 +166	−1338	4·5
4·6	−16885 +43	−1267	·8889875	−17290 +63	−1272	·8843685	−17684 +73	−1277	·8796218	−18069 +87	−1280	·8747470	−18441 +103	−1283	·8697440	−18799 +123	−1284	4·6
4·7	−15636 +18	−1179	·9034587	−16053 +29	−1189	·8993631	−16464 +39	−1197	·8951477	−16865 +50	−1205	·8908118	−17259 +61	−1211	·8863549	−17643 +73	−1217	4·7
4·8	−14372 −9	−1087	·9163246	−14789 0	−1099	·9127113	−15201 +9	−1111	·9089871	−15612 +18	−1121	·9051507	−16018 +26	−1131	·9012013	−16417 +37	−1139	4·8
4·9	−13116 −32	−993	·9277116	−13625 −24	−1006	·9245394	−13933 −17	−1020	·9212653	−14341 −11	−1033	·9178878	−14745 −1	−1044	·9144060	−15149 +8	−1058	4·9
5·0	−11832 −47	−893	·9377461	−12285 −43	−914	·9349742	−12683 −38	−928	·9321094	−13079 −33	−942	·9291504	−13478 −24	−956	·9260958	−13875 −19	−968	5·0
5·1	−10715 −62	−808	·9465521	−11091 −55	−823	·9441407	−11467 −53	−838	·9416456	−11850 −50	−853	·9390652	−12233 −45	−867	·9363981	−12618 −40	−881	5·1
5·2	−9600 −70	−720	·9542490	−9952 −66	−736	·9521605	−10310 −63	−751	·9499968	−10668 −64	−766	·9477567	−11034 −59	−780	·9454386	−11403 −56	−794	5·2
5·3	−8556 −74	−638	·9609507	−8880 −76	−653	·9591493	−9212 −74	−667	·9572812	−9561 −70	−682	·9553448	−9892 −68	−696	·9533388	−10239 −66	−711	5·3
5·4	−7563 −77	−562	·9667644	−7884 −77	−576	·9652169	−8189 −77	−589	·9636105	−8501 −75	−604	·9619437	−8819 −75	−618	·9602151	−9141 −73	−632	5·4
5·5	−6691 −78	−491	·9717897	−6963 −79	−505	·9704656	−7244 −78	−518	·9690897	−7529 −78	−531	·9676607	−7820 −77	−544	·9661773	−8113 −77	−557	5·5
5·6	−5874 −79	−427	·9761187	−6123 −77	−440	·9749899	−6374 −79	−452	·9738160	−6634 −79	−464	·9725957	−6900 −79	−477	·9713277	−7170 −80	−489	5·6
5·7	−5137 −74	−370	·9798354	−5357 −75	−381	·9788768	−5586 −76	−392	·9778789	−5818 −78	−403	·9768407	−6057 −79	−414	·9757611	−6304 −79	−426	5·7
5·8	−4472 −69	−318	·9830164	−4669 −73	−328	·9822051	−4872 −73	−338	·9813600	−5082 −76	−348	·9804800	−5297 −76	−359	·9795641	−5517 −77	−369	5·8
5·9	−3879 −66	−273	·9857305	−4054 −68	−282	·9850462	−4232 −70	−291	·9843329	−4417 −71	−300	·9835896	−4606 −73	−309	·9828154	−4804 −74	−318	5·9
6·0	−3362 −61	−233	·9880392	−3504 −62	−240	·9874641	−3653 −64	−248	·9868641	−3827 −66	−257	·9862384	−3994 −69	−265	·9855863	−4169 −70	−273	6·0

	$p = 9{\cdot}0$			$p = 9{\cdot}2$			$p = 9{\cdot}4$			$p = 9{\cdot}6$			$p = 9{\cdot}8$			$p = 10{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9910123	−2660 −62	−196	·9905699	−2768 −54	−203	·9901073	−2922 −55	−210	·9896236	−3060 −58	−217	·9891182	−3202 −61	−225	·9885904	6·0
6·1	·9924835	−2283 −43	−165	·9921142	−2396 −46	−171	·9917277	−2511 −50	−178	·9913234	−2631 −53	−184	·9909008	−2757 −54	−191	·9904590	6·1
6·2	·9937264	−1954 −42	−139	·9934189	−2050 −44	−144	·9930970	−2159 −46	−150	·9927601	−2254 −46	−155	·9924077	−2362 −49	−161	·9920392	6·2
6·3	·9947739	−1667 −38	−117	·9945186	−1749 −41	−121	·9942513	−1836 −42	−126	·9939714	−1926 −42	−131	·9936784	−2019 −44	−135	·9933719	6·3
6·4	·9956547	−1419 −35	−97	·9954434	−1490 −36	−101	·9952220	−1563 −37	−105	·9949901	−1641 −37	−109	·9947472	−1720 −40	−113	·9944930	6·4
6·5	·9963937	−1204 −32	−81	·9962192	−1263 −33	−84	·9960364	−1327 −32	−87	·9958447	−1381 −34	−91	·9956440	−1401 −36	−95	·9954338	6·5
6·6	·9970123	−1016 −27	−67	·9968687	−1070 −27	−70	·9967181	−1124 −29	−73	·9965602	−1180 −30	−76	·9963947	−1237 −32	−79	·9962214	6·6
6·7	·9975291	−859 −24	−56	·9974112	−903 −24	−58	·9972874	−947 −26	−60	·9971577	−995 −26	−63	·9970217	−1046 −27	−65	·9968791	6·7
6·8	·9979600	−724 −19	−46	·9978634	−760 −21	−48	·9977620	−799 −23	−50	·9976557	−839 −23	−52	·9975441	−879 −24	−54	·9974272	6·8
6·9	·9983185	−608 −18	−38	·9982396	−639 −19	−39	·9981567	−670 −19	−41	·9980698	−704 −20	−43	·9979786	−740 −21	−44	·9978829	6·9
7·0	·9986163	−510 −13	−31	·9985519	−534 −17	−32	·9984844	−562 −17	−34	·9984135	−590 −17	−35	·9983391	−620 −19	−36	·9982610	7·0
7·1	·9988631	−426 −15	−25	·9988108	−449 −14	−26	·9987559	−470 −14	−27	·9986982	−494 −15	−29	·9986376	−517 −16	−30	·9985741	7·1
7·2	·9990673	−355 −12	−21	·9990249	−373 −12	−21	·9989803	−392 −12	−22	·9989335	−412 −13	−23	·9988844	−432 −13	−24	·9988328	7·2
7·3	·9992360	−296 −9	−17	·9992017	−311 −11	−17	·9991656	−327 −10	−18	·9991277	−342 −11	−19	·9990879	−360 −11	−20	·9990461	7·3
7·4	·9993751	−246 −8	−14	·9993474	−256 −9	−14	·9993182	−271 −9	−15	·9992876	−284 −10	−15	·9992555	−299 −10	−16	·9992218	7·4
7·5	·9994896	−204 −7	−11	·9994673	−213 −8	−11	·9994438	−225 −8	−12	·9994191	−236 −8	−13	·9993932	−247 −9	−13	·9993660	7·5
7·6	·9995837	−169 −6	−9	·9995657	−177 −6	−9	·9995469	−186 −7	−10	·9995271	−196 −5	−10	·9995062	−204 −7	−11	·9994844	7·6
7·7	·9996609	−140 −5	−7	·9996465	−147 −5	−8	·9996314	−154 −6	−8	·9996155	−161 −6	−8	·9995988	−169 −6	−8	·9995812	7·7
7·8	·9997241	−115 −4	−5	·9997126	−121 −4	−6	·9997005	−126 −6	−6	·9996878	−132 −4	−7	·9996745	−139 −6	−7	·9996604	7·8
7·9	·9997759	−95	−5	·9997667	−100	−5	·9997571	−105 −4	−5	·9997469	−109 −4	−5	·9997362	−114 −4	−5	·9997250	7·9
8·0	·9998182	−78	−4	·9998108	−82	−4	·9998032	−86	−4	·9997951	−90	−4	·9997866	−94	−4	·9997776	8·0
8·1	·9998526	−64		·9998468	−67		·9998407	−69		·9998343	−73		·9998275	−76		·9998204	8·1
8·2	·9998807	−52		·9998761	−55		·9998713	−58		·9998662	−60		·9998608	−62		·9998552	8·2
8·3	·9999036	−43		·9998999	−44		·9998961	−47		·9998921	−49		·9998878	−51		·9998834	8·3
8·4	·9999221	−35		·9999193	−37		·9999162	−37		·9999131	−40		·9999097	−42		·9999062	8·4
8·5	·9999372	−29		·9999349	−30		·9999326	−31		·9999301	−33		·9999274	−34		·9999247	8·5
8·6	·9999494	−23		·9999476	−24		·9999458	−26		·9999438	−26		·9999417	−27		·9999395	8·6
8·7	·9999593	−19		·9999579	−20		·9999564	−21		·9999549	−21		·9999533	−22		·9999516	8·7
8·8	·9999673	−16		·9999662	−16		·9999650	−17		·9999638	−17		·9999626	−18		·9999612	8·8
8·9	·9999737	−12		·9999729	−13		·9999720	−14		·9999710	−14		·9999700	−14		·9999690	8·9
9·0	·9999789	−10		·9999782	−10		·9999776	−12		·9999768	−12		·9999761	−12		·9999752	9·0
9·1	·9999831	−8		·9999826	−8		·9999820	−9		·9999815	−10		·9999809	−10		·9999803	9·1
9·2	·9999865	−7		·9999861	−7		·9999857	−7		·9999852	−8		·9999847	−7		·9999843	9·2
9·3	·9999892	−6		·9999889	−6		·9999885	−5		·9999882	−6		·9999878	−6		·9999875	9·3
9·4	·9999913	−4		·9999911	−4		·9999909	−5		·9999906	−5		·9999903	−5		·9999900	9·4
9·5	·9999931			·9999929	−4		·9999927	−4		·9999925	−4		·9999923	−4		·9999921	9·5
9·6	·9999945			·9999943			·9999942			·9999941			·9999939			·9999937	9·6
9·7	·9999956			·9999955			·9999954			·9999953			·9999952			·9999950	9·7
9·8	·9999965			·9999964			·9999963			·9999963			·9999962			·9999961	9·8
9·9	·9999972			·9999972			·9999971			·9999970			·9999970			·9999969	9·9
10·0	·9999978			·9999977			·9999977			·9999976			·9999976			·9999975	10·0
10·1	·9999982			·9999982			·9999982			·9999981			·9999981			·9999981	10·1
10·2	·9999986			·9999986			·9999986			·9999985			·9999985			·9999985	10·2
10·3	·9999989			·9999989			·9999989			·9999988			·9999988			·9999988	10·3
10·4	·9999991			·9999991			·9999991			·9999991			·9999991			·9999990	10·4
10·5	·9999993			·9999993			·9999993			·9999993			·9999993			·9999992	10·5
10·6	·9999994			·9999994			·9999994			·9999994			·9999994			·9999994	10·6
10·7	·9999996			·9999996			·9999996			·9999995			·9999995			·9999995	10·7
10·8	·9999997			·9999997			·9999997			·9999996			·9999996			·9999996	10·8
10·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	10·9
11·0	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·0
11·1	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·1
11·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·2
11·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	11·7

	p = 10·0		p = 10·2			p = 10·4			p = 10·6			p = 10·8			p = 11·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−3352 −61	−233	·9880392	−3504 −62	−240	·9874641	−3663 −64	−248	·9868641	−3827 −66	−257	·9862384	−3994 −69	−265	·9855863	−4169 −70	−273	6·0
6·1	−2884 −58	−197	·9899975	−3018 −58	−204	·9895157	−3158 −59	−211	·9890126	−3299 −61	−219	·9884878	−3449 −63	−226	·9879403	−3601 −65	−233	6·1
6·2	−2475 −51	−167	·9916540	−2591 −53	−173	·9912515	−2711 −58	−179	·9908312	−2837 −57	−185	·9903923	−2966 −56	−192	·9899342	−3099 −60	−196	6·2
6·3	−2116 −46	−140	·9930514	−2217 −43	−146	·9927162	−2320 −50	−151	·9923661	−2430 −52	−156	·9920002	−2541 −53	−162	·9916182	−2658 −55	−168	6·3
6·4	−1803 −42	−116	·9942271	−1890 −43	−122	·9939489	−1981 −44	−127	·9936580	−2072 −47	−132	·9933540	−2178 −48	−136	·9930364	−2271 −50	−141	6·4
6·5	−1532 −37	−98	·9952138	−1607 −38	−102	·9949835	−1683 −41	−106	·9947427	−1765 −41	−110	·9944908	−1847 −43	−114	·9942275	−1933 −45	−118	6·5
6·6	−1299 −33	−82	·9960398	−1360 −35	−85	·9958498	−1427 −35	−88	·9956509	−1495 −38	−92	·9954429	−1567 −38	−95	·9952253	−1641 −40	−99	6·6
6·7	−1096 −28	−68	·9967298	−1151 −30	−71	·9965734	−1207 −30	−73	·9964096	−1264 −34	−76	·9962383	−1326 −34	−79	·9960590	−1389 −35	−82	6·7
6·8	−924 −25	−56	·9973047	−969 −26	−58	·9971763	−1016 −27	−61	·9970419	−1067 −29	−63	·9969011	−1117 −30	−66	·9967538	−1171 −31	−68	6·8
6·9	−776 −22	−46	·9977827	−815 −23	−48	·9976776	−855 −24	−50	·9975675	−896 −24	−52	·9974522	−940 −25	−54	·9973315	−985 −27	−56	6·9
7·0	−655 −19	−38	·9981792	−682 −20	−40	·9980934	−715 −21	−41	·9980035	−751 −21	−43	·9979093	−787 −22	−45	·9978107	−827 −23	−46	7·0
7·1	−544 −17	−31	·9985075	−571 −17	−33	·9984376	−599 −18	−34	·9983644	−629 −19	−35	·9982877	−659 −20	−37	·9982072	−690 −21	−38	7·1
7·2	−454 −14	−25	·9987787	−476 −15	−27	·9987219	−499 −16	−28	·9986624	−523 −17	−29	·9986001	−550 −17	−30	·9985347	−575 −18	−31	7·2
7·3	−376 −12	−21	·9990023	−396 −13	−22	·9989563	−415 −14	−22	·9989081	−435 −14	−23	·9988576	−458 −15	−24	·9988046	−480 −15	−25	7·3
7·4	−315 −10	−17	·9991863	−328 −11	−17	·9991492	−343 −11	−18	·9991102	−362 −12	−19	·9990693	−380 −12	−20	·9990264	−398 −13	−21	7·4
7·5	−259 −9	−14	·9993375	−273 −9	−14	·9993075	−286 −9	−15	·9992761	−300 −10	−15	·9992431	−314 −10	−16	·9992085	−329 −11	−17	7·5
7·6	−215 −8	−11	·9994614	−225 −8	−12	·9994373	−236 −8	−12	·9994120	−248 −9	−12	·9993855	−260 −9	−13	·9993576	−272 −10	−14	7·6
7·7	−177 −6	−9	·9995628	−185 −6	−9	·9995435	−195 −6	−10	·9995232	−204 −8	−10	·9995019	−214 −8	−11	·9994795	−225 −8	−11	7·7
7·8	−146 −5	−7	·9996457	−153 −5	−7	·9996302	−160 −6	−8	·9996139	−167 −7	−8	·9995969	−176 −6	−8	·9995790	−185 −7	−9	7·8
7·9	−120 −4	−6	·9997132	−124 −4	−6	·9997009	−131 −5	−6	·9996879	−138 −6	−6	·9996742	−144 −6	−7	·9996599	−151 −6	−7	7·9
8·0	−98	−5	·9997683	−103	−5	·9997584	−108 −4	−5	·9997480	−113 −5	−5	·9997372	−118 −5	−5	·9997258	−124 −5	−6	8·0
8·1	−80	−4	·9998130	−85	−4	·9998051	−88 −4	−4	·9997969	−92 −4	−4	·9997883	−97 −4	−4	·9997792	−101 −4	−5	8·1
8·2	−66		·9998493	−69		·9998431	−72		·9998365	−75		·9998297	−79	−4	·9998225	−83	−4	8·2
8·3	−54		·9998787	−56		·9998738	−59		·9998686	−61		·9998632	−64		·9998575	−67		8·3
8·4	−44		·9999025	−46		·9998986	−48		·9998945	−50		·9998902	−52		·9998857	−54		8·4
8·5	−36		·9999217	−37		·9999187	−39		·9999155	−41		·9999121	−42		·9999085	−44		8·5
8·6	−27		·9999372	−30		·9999348	−32		·9999323	−33		·9999297	−34		·9999269	−36		8·6
8·7	−23		·9999498	−25		·9999479	−26		·9999459	−27		·9999438	−28		·9999416	−29		8·7
8·8	−19		·9999598	−20		·9999583	−20		·9999568	−22		·9999551	−22		·9999534	−23		8·8
8·9	−16		·9999679	−16		·9999667	−16		·9999655	−17		·9999643	−19		·9999629	−19		8·9
9·0	−12		·9999744	−13		·9999735	−14		·9999725	−14		·9999715	−14		·9999705	−15		9·0
9·1	−10		·9999796	−10		·9999789	−11		·9999781	−11		·9999774	−12		·9999766	−13		9·1
9·2	−8		·9999837	−8		·9999832	−9		·9999826	−9		·9999820	−10		·9999814	−10		9·2
9·3	−7		·9999871	−7		·9999867	−7		·9999862	−7		·9999857	−8		·9999853	−9		9·3
9·4	−5		·9999897	−6		·9999894	−5		·9999891	−6		·9999887	−6		·9999883	−6		9·4
9·5	−5		·9999919	−5		·9999916	−4		·9999913	−5		·9999911	−5		·9999908	−5		9·5
9·6	−4		·9999935	−4		·9999933			·9999931	−4		·9999929	−4		·9999927	−4		9·6
9·7			·9999949			·9999947			·9999946			·9999944			·9999942			9·7
9·8			·9999960			·9999958			·9999957			·9999956			·9999955			9·8
9·9			·9999968			·9999967			·9999966			·9999965			·9999964			9·9
10·0			·9999975			·9999974			·9999973			·9999973			·9999972			10·0
10·1			·9999980			·9999980			·9999979			·9999978			·9999978			10·1
10·2			·9999984			·9999984			·9999984			·9999983			·9999983			10·2
10·3			·9999988			·9999987			·9999987			·9999987			·9999986			10·3
10·4			·9999990			·9999990			·9999990			·9999990			·9999989			10·4
10·5			·9999992			·9999992			·9999992			·9999992			·9999992			10·5
10·6			·9999994			·9999994			·9999994			·9999994			·9999993			10·6
10·7			·9999995			·9999995			·9999995			·9999995			·9999995			10·7
10·8			·9999996			·9999996			·9999996			·9999996			·9999996			10·8
10·9			·9999997			·9999997			·9999997			·9999997			·9999997			10·9
11·0			·9999998			·9999998			·9999998			·9999998			·9999998			11·0
11·1			·9999998			·9999998			·9999998			·9999998			·9999998			11·1
11·2			·9999999			·9999999			·9999999			·9999999			·9999999			11·2
11·3			·9999999			·9999999			·9999999			·9999999			·9999999			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			11·7

	$p=11{\cdot}0$			$p=11{\cdot}2$			$p=11{\cdot}4$			$p=11{\cdot}6$			$p=11{\cdot}8$			$p=12{\cdot}0$	
u	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	u
·2	·0000000																·2
·3	·0000000																·3
·4	·0000000	+5 +5 +8		·0000000	+2 +2 +7		·0000000	+2 +2 +4		·0000000	+1 +1 +5		·0000000	+1 +1 +3		·0000000	·4
·5	·0000003	+14 +32		·0000002	+11 +25		·0000002	+8 +21		·0000001	+7 +14		·0000001	+5 +12		·0000001	·5
·6	·0000020	+57 +71		·0000015	+45 +60		·0000012	+35 +51		·0000009	+27 +45		·0000007	+21 +38		·0000005	·6
·7	·0000094	+171 +149	+8	·0000073	+139 +128	+4	·0000057	+113 +109		·0000044	+92 +91		·0000034	+73 +75		·0000026	·7
·8	·0000339	+434 +243	+17	·0000270	+361 +215	+14	·0000215	+300 +189	+11	·0000171	+246 +166	+9	·0000136	+205 +147	+7	·0000108	·8
·9	·0001018	+940 +359	+42	·0000828	+798 +325	+35	·0000673	+678 +293	+28	·0000546	+572 +262	+23	·0000443	+482 +237	+19	·0000358	·9
1·0	·0002638	+1805 +462	+90	·0002184	+1560 +432	+76	·0001807	+1345 +403	+63	·0001493	+1158 +372	+53	·0001232	+996 +339	+44	·0001015	1·0
1·1	·0006061	+3132 +553	+172 +4	·0005100	+2754 +522	+147	·0004286	+2417 +490	+125	·0003598	+2118 +463	+107	·0003017	+1849 +435	+91	·0002527	1·1
1·2	·0012617	+5012 +572	+300 +8	·0010770	+4476 +565	+260 +5	·0009182	+3979 +554	+225 +4	·0007819	+3537 +532	+195 +4	·0006651	+3137 +512	+168	·0005651	1·2
1·3	·0024185	+7464 +541	+481 +7	·0020910	+6751 +548	+423 +6	·0018057	+6095 +547	+372 +6	·0015577	+5490 +548	+326 +5	·0013422	+4937 +546	+285 +5	·0011552	1·3
1·4	·0043217	+10457 +438	+721 +8	·0037801	+9586 +464	+642 +7	·0033027	+8758 +487	+571 +7	·0028825	+7991 +502	+508 +6	·0025130	+7277 +513	+456 +6	·0021885	1·4
1·5	·0072706	+13888 +264	+1017 +9	·0064272	+12873 +315	+917 +8	·0056755	+11968 +358	+826 +8	·0050064	+10994 +393	+742 +7	·0044115	+10136 +424	+666 +7	·0038832	1·5
1·6	·0116083	+17583 +57	+1362 +9	·0103616	+16491 +118	+1242 +9	·0092391	+15416 +175	+1130 +9	·0082297	+14390 +228	+1028 +8	·0073230	+13407 +273	+932 +8	·0065096	1·6
1·7	·0177043	+21336 −198	+1741 +9	·0159441	+20207 −120	+1604 +9	·0143443	+19099 −51	+1475 +8	·0128920	+18014 +17	+1355 +8	·0115752	+16957 +79	+1242 +7	·0103826	1·7
1·8	·0259338	+24891 −430	+2154 +8	·0235473	+23613 −356	+1985 +7	·0213594	+22731 −290	+1844 +7	·0193557	+21655 −215	+1709 +7	·0175231	+20596 −145	+1583 +7	·0158487	1·8
1·9	·0366524	+28017 −654	+2518 +8	·0335318	+27063 −588	+2363 +8	·0306476	+26083 −519	+2215 +8	·0279849	+25083 −447	+2073 +8	·0255296	+24070 −375	+1937 +8	·0232680	1·9
2·0	·0501727	+30489 −832	+2887 +3	·0462226	+29727 −775	+2716 +5	·0425441	+28918 −713	+2568 +4	·0391224	+28064 −651	+2425 +4	·0359431	+27179 −589	+2286 +5	·0329924	2·0
2·1	·0667419	+32129 −956	+3161 +1	·0618861	+31816 −914	+3020 +1	·0573322	+31036 −879	+2886 +2	·0530663	+30394 −819	+2742 +2	·0490745	+29699 −776	+2606 +3	·0453434	2·1
2·2	·0865240	+32813 −1013	+3380 −1	·0807112	+32591 −992	+3258 0	·0752239	+32288 −968	+3136 0	·0700496	+31965 −941	+3004 +1	·0651758	+31449 −898	+2879 +1	·0605899	2·2
2·3	·1095874	+32484 −1007	+3516 −3	·1027954	+32574 −1011	+3408 −3	·0963442	+32579 −1004	+3303 −2	·0902234	+32475 −983	+3198 −2	·0844220	+32301 −973	+3087 −1	·0789294	2·3
2·4	·1358992	+31148 −949	+3542 −5	·1281370	+31546 −961	+3467 −5	·1207215	+31656 −975	+3388 −4	·1136447	+32062 −988	+3308 −3	·1068983	+32160 −963	+3216 −3	·1004734	2·4
2·5	·1653258	+28863 −831	+3476 −7	·1566332	+29557 −868	+3430 −6	·1482838	+30155 −895	+3378 −8	·1402722	+30661 −917	+3321 −5	·1325926	+31078 −935	+3257 −5	·1252388	2·5
2·6	·1976387	+25747 −681	+3318 −8	·1880851	+26700 −791	+3300 −7	·1788616	+27565 −772	+3277 −8	·1699658	+28343 −808	+3246 −6	·1613945	+29037 −847	+3216 −6	·1531443	2·6
2·7	·2325263	+21950 −513	+3071 −8	·2222070	+23112 −561	+3089 −7	·2121959	+24203 −615	+3088 −8	·2024937	+25217 −665	+3085 −6	·1931001	+26151 −703	+3076 −8	·1840140	2·7
2·8	·2696089	+17640 −320	+2754 −8	·2586401	+18963 −384	+2793 −8	·2479505	+20226 −440	+2823 −7	·2375433	+21426 −491	+2847 −7	·2274208	+22562 −547	+2863 −7	·2175846	2·8
2·9	·3084555	+13010 −145	+2384 −6	·2969695	+14436 −198	+2442 −8	·2857277	+15809 −254	+2496 −6	·2747355	+17144 −316	+2544 −8	·2639977	+18426 −387	+2582 −6	·2535181	2·9
3·0	·3486031	+8235 +29	+1972 −4	·3367419	+9699 −26	+2051 −4	·3250858	+11158 −82	+2124 −4	·3136421	+12548 −132	+2188 −4	·3024172	+13923 −192	+2249 −4	·2914172	3·0
3·1	·3895742	+3489 +184	+1542	·3774842	+4942 +133	+1635	·3655577	+6385 +85	+1721	·3538033	+7816 +32	+1801	·3422290	+9228 −15	+1875	·3308422	3·1
3·2	·4308942	−1073 +305	+1116	·4187207	+318 +269	+1209	·4066681	+1717 +226	+1306	·3947461	+3118 +183	+1395	·3829636	+4518 +134	+1482	·3713293	3·2
3·3	·4721069	−5330 +412	+689	·4599890	−4037 +376	+792	·4479502	−2725 +343	+892	·4360007	−1397 +306	+988	·4241500	−58 +270	+1082	·4124074	3·3
3·4	·5127866	−9175 +474	+291	·5008536	−8016 +458	+394	·4889598	−6824 +433	+494	·4771156	−5606 +407	+593	·4653306	−4364 +376	+689	·4536144	3·4
3·5	·5525488	−12546 +528	−72	·5409166	−11537 +511	+26	·5292870	−10496 +493	+124	·5176699	−9408 +474	+221	·5060748	−8294 +436	+316	·4945112	3·5
3·6	·5910564	−15389 +538	−395	·5798259	−14547 +534	−303	·5685652	−13663 +531	−211	·5572834	−12736 +522	−119	·5459896	−11768 +505	−28	·5346931	3·6
3·7	·6280251	−17694 +541	−671	·6172805	−17023 +543	−588	·6064771	−16305 +540	−504	·5956233	−15542 +536	−420	·5847276	−14737 +533	−335	·5737983	3·7
3·8	·6632244	−19458 +518	−900	·6530328	−18956 +523	−827	·6427585	−18407 +530	−752	·6324090	−17812 +535	−677	·6219919	−17173 +541	−600	·6115146	3·8
3·9	·6964779	−20706 +483	−1081	·6868895	−20366 +497	−1018	·6771992	−19979 +506	−954	·6674135	−19547 +518	−889	·6575389	−19068 +517	−822	·6475822	3·9
4·0	·7276608	−21471 +436	−1216	·7187096	−21279 +450	−1164	·7096420	−21645 +467	−1110	·7004633	−20768 +477	−1056	·6911791	−20446 +484	−998	·6817950	4·0
4·1	·7566966	−21800 +384	−1307	·7484018	−21742 +401	−1266	·7399803	−21644 +415	−1224	·7314365	−21508 +434	−1179	·7227747	−21336 +446	−1132	·7139997	4·1
4·2	·7835524	−21745 +328	−1366	·7759198	−21864 +348	−1330	·7681542	−21828 +367	−1297	·7602589	−21818 +384	−1262	·7522373	−21766 +398	−1225	·7440933	4·2
4·3	·8082337	−21362 +288	−1390	·8012574	−21518 +286	−1359	·7941453	−21645 +307	−1334	·7868997	−21740 +323	−1309	·7795233	−21804 +344	−1281	·7720188	4·3
4·4	·8307788	−20707 +216	−1370	·8244432	−20944 +236	−1356	·8179719	−21155 +253	−1341	·8113665	−21339 +263	−1323	·8046289	−21499 +288	−1305	·7977607	4·4
4·5	·8512532	−19836 +166	−1336	·8455346	−20134 +181	−1329	·8396830	−20412 +197	−1321	·8336994	−20676 +216	−1311	·8275846	−20903 +231	−1300	·8213399	4·5
4·6	·8697440	−18799 +123	−1284	·8646126	−19143 +131	−1282	·8593529	−19472 +149	−1280	·8539653	−19785 +165	−1277	·8484500	−20080 +180	−1271	·8428075	4·6
4·7	·8863549	−17645 +73	−1217	·8817763	−18021 +90	−1220	·8770756	−18384 +101	−1223	·8722527	−18735 +118	−1224	·8673074	−19074 +132	−1225	·8622396	4·7
4·8	·9012013	−16417 +37	−1139	·8971379	−16869 +51	−1147	·8929599	−17195 +61	−1153	·8886666	−17575 +74	−1159	·8842574	−17941 +89	−1163	·8797318	4·8
4·9	·9144060	−15142 +8	−1058	·9108186	−15549 +17	−1068	·9071247	−15943 +27	−1075	·9033232	−16335 +38	−1084	·8994133	−16719 +49	−1092	·8953943	4·9
5·0	·9260958	−13875 −19	−968	·9229444	−14272 −10	−980	·9196950	−14668 −3	−992	·9163463	−15061 +8	−1003	·9128973	−15451 +16	−1013	·9093470	5·0
5·1	·9363981	−12613 −40	−871	·9336430	−13006 −33	−894	·9307985	−13393 −26	−907	·9278633	−13782 −18	−919	·9248362	−14170 −11	−931	·9217159	5·1
5·2	·9454386	−11403 −56	−794	·9430410	−11773 −50	−808	·9405627	−12148 −46	−822	·9380021	−12522 −39	−835	·9353581	−12899 −32	−848	·9326293	5·2
5·3	·9533388	−10239 −66	−711	·9512617	−10590 −62	−725	·9491121	−10943 −60	−739	·9468887	−11302 −57	−752	·9445901	−11664 −51	−768	·9422149	5·3
5·4	·9602151	−9141 −73	−632	·9584234	−9469 −72	−645	·9565672	−9803 −69	−659	·9546451	−10140 −67	−672	·9526557	−10481 −63	−688	·9505977	5·4
5·5	·9661773	−8118 −77	−557	·9646382	−8421 −77	−571	·9630420	−8728 −75	−584	·9613875	−9043 −73	−597	·9596732	−9360 −74	−610	·9578980	5·5
5·6	·9713277	−7170 −86	−489	·9700109	−7448 −79	−501	·9686440	−7732 −78	−514	·9672256	−8019 −79	−526	·9657547	−8314 −77	−539	·9642299	5·6
5·7	·9757611	−6304 −79	−426	·9746388	−6555 −80	−438	·9734728	−6812 −79	−449	·9722618	−7075 −80	−461	·9710048	−7345 −79	−473	·9697005	5·7
5·8	·9795641	−5517 −77	−369	·9786112	−5742 −78	−380	·9776204	−5975 −79	−391	·9765905	−6213 −80	−401	·9755204	−6455 −81	−412	·9744092	5·8
5·9	·9828154	−4804 −74	−318	·9820094	−5008 −75	−328	·9811705	−5214 −78	−338	·9802979	−5427 −79	−348	·9793905	−5648 −80	−357	·9784474	5·9
6·0	·9855863	−4169 −79	−273	·9849068	−4346 −72	−282	·9841992	−4532 −73	−290	·9834626	−4723 −74	−299	·9826960	−4918 −75	−308	·9818986	6·0

	$p = 12{\cdot}0$		$p = 12{\cdot}2$			$p = 12{\cdot}4$			$p = 12{\cdot}6$			$p = 12{\cdot}8$			$p = 13{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_v^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·2																		·2
·3																		·3
·4	+1 +1		·0000000			·0000000			·0000000			·0000000			·0000000			·4
·5	+3 +12		·0000000	+4 +4		·0000000	+3 +4		·0000000	+2 +4		·0000000	+2 +1		·0000000	+1 +4		·5
·6	+17 +30		·0000004	+12 +29		·0000003	+10 +22		·0000002	+8 +17		·0000002	+5 +15		·0000001	+5 +11		·6
·7	+61 +63		·0000020	+49 +54		·0000016	+39 +46		·0000012	+31 +41		·0000009	+26 +30		·0000007	+20 +28		·7
·8	+168 +132	+6	·0000085	+140 +110		·0000068	+114 +98		·0000053	+95 +81		·0000042	+77 +73		·0000033	+63 +63		·8
·9	+407 +203	+16	·0000290	+341 +199	+13	·0000234	+287 +167	+11	·0000189	+240 +143	+9	·0000152	+201 +130	+7	·0000122	+169 +111	+6	·9
1·0	+855 +309	+37	·0000836	+732 +281	+31	·0000687	+627 +252	+26	·0000565	+534 +230	+21	·0000463	+453 +208	+18	·0000380	+386 +190	+16	1·0
1·1	+1612 +408	+77	·0002114	+1404 +378	+60	·0001767	+1219 +354	+55	·0001475	+1068 +325	+47	·0001229	+917 +298	+40	·0001024	+793 +278	+33	1·1
1·2	+2777 +490	+145	·0004796	+2454 +467	+125	·0004066	+2165 +440	+107	·0003443	+1907 +415	+92	·0002912	+1677 +388	+79	·0002461	+1478 +338	+68	1·2
1·3	+4432 +527	+250 +4	·0009932	+3971 +513	+218 +4	·0008530	+3551 +499	+190	·0007318	+3171 +478	+166	·0006272	+2825 +462	+144	·0005370	+2501 +478	+125	1·3
1·4	+6614 +521	+399 +5	·0019039	+6001 +521	+353 +5	·0016545	+5436 +516	+312 +4	·0014364	+4918 +514	+276 +4	·0012457	+4436 +501	+242 +4	·0010792	+4002 +465	+213	1·4
1·5	+9317 +446	+697 +7	·0034147	+8852 +468	+585 +6	·0029996	+7837 +480	+478 +8	·0026323	+7160 +487	+426 +5	·0023077	+6546 +493	+380 +5	·0020210	+5968 +499	+339 +4	1·5
1·6	+12466 +316	+845 +7	·0057807	+11571 +348	+765 +7	·0051284	+10718 +383	+691 +6	·0045451	+9912 +409	+624 +6	·0040243	+9150 +430	+562 +5	·0035596	+8433 +445	+506 +5	1·6
1·7	+15931 +186	+1138 +7	·0093038	+14938 +190	+1040 +7	·0083290	+13982 +235	+950 +7	·0074491	+13064 +275	+866 +6	·0066559	+12184 +312	+789 +8	·0059415	+11343 +347	+717 +6	1·7
1·8	+19532 −82	+1464 +7	·0143207	+18495 −18	+1351 +7	·0129278	+17481 +39	+1246 +7	·0116595	+16491 +96	+1147 +8	·0105059	+15530 +148	+1054 +8	·0094577	+14600 +182	+968 +8	1·8
1·9	+23051 −304	+1808 +6	·0211871	+22034 −243	+1684 +6	·0192747	+21019 −176	+1567 +6	·0175190	+20014 −116	+1458 +6	·0159089	+19022 −56	+1351 +6	·0144339	+18048 +3	+1252 +5	1·9
2·0	+26266 −526	+2151 +5	·0302569	+26330 −458	+2022 +5	·0277235	+24381 −394	+1898 +5	·0253799	+23421 −327	+1778 +6	·0232141	+22438 −267	+1664 +5	·0212147	+21495 −206	+1556 +5	2·0
2·1	+28955 −714	+2474 +3	·0418597	+28170 −659	+2344 +3	·0386104	+27349 −598	+2218 +4	·0355829	+26501 −543	+2096 +4	·0327651	+25627 −477	+1978 +4	·0301450	+24738 −421	+1864 +4	2·1
2·2	+30930 −880	+2755 +2	·0562795	+30351 −815	+2632 +2	·0522322	+29719 −768	+2610 +2	·0484360	+29038 −713	+2391 +2	·0448788	+28319 −669	+2274 +2	·0415491	+27560 −609	+2180 +3	2·2
2·3	+32045 −946	+2976 +0	·0737344	+31717 −920	+2866 +0	·0688259	+31321 −888	+2765 +0	·0641929	+30862 −856	+2644 +1	·0598244	+30342 −807	+2534 +1	·0557092	+29773 −768	+2425 +2	2·3
2·4	+32214 −982	+3124 −3	·0943610	+32163 −968	+3031 −2	·0885517	+32034 −953	+2936 −2	·0830360	+31830 −931	+2840 −1	·0778042	+31558 −913	+2741 0	·0728466	+31218 −882	+2643 0	2·4
2·5	+31401 −948	+3190 −4	·1182039	+31841 −958	+3118 −4	·1114809	+31794 −958	+3043 −3	·1050621	+31867 −957	+2964 −3	·0989398	+31861 −947	+2883 −2	·0931058	+31781 −937	+2800 −2	2·5
2·6	+29642 −874	+3168 −5	·1452109	+30161 −896	+3120 −5	·1375895	+30598 −915	+3068 −4	·1302749	+30947 −927	+3011 −4	·1232615	+31217 −937	+2951 −4	·1165431	+31407 −938	+2886 −3	2·6
2·7	+27009 −747	+3060 −8	·1752340	+27785 −781	+3038 −6	·1667577	+28483 −817	+3010 −6	·1585824	+29100 −846	+2977 −5	·1507049	+29636 −887	+2938 −5	·1431211	+30095 −890	+2895 −4	2·7
2·8	+23629 −593	+2872 −7	·2080356	+24628 −643	+2875 −8	·1987742	+25653 −780	+2872 −6	·1897999	+26407 −720	+2862 −6	·1811119	+27186 −759	+2847 −5	·1727086	+27803 −786	+2827 −5	2·8
2·9	+19656 −424	+2615 −6	·2433000	+20828 −471	+2642 −5	·2333460	+21943 −627	+2660 −5	·2236581	+22994 −572	+2665 −5	·2142377	+23981 −614	+2681 −5	·2050854	+24906 −662	+2685 −4	2·9
3·0	+16259 −241	+2300 −4	·2806472	+18557 −302	+2340 −4	·2701121	+17806 −349	+2387 −4	·2598157	+19009 −408	+2423 −4	·2497616	+20100 −454	+2452 −4	·2399527	+21255 −496	+2473	3·0
3·1	+10621 −78	+1947	·3196501	+11984 −119	+2008	·3086588	+13320 −175	+2067	·2978742	+14621 −226	+2119	·2873015	+15885 −276	+2167	·2769455	+17109 −331	+2208	3·1
3·2	+5910 +90	+1564	·3598514	+7292 +41	+1640	·3485375	+8669 −7	+1712	·3373948	+10007 −67	+1782	·3264299	+11334 −111	+1842	·3156492	+12632 −157	+1897	3·2
3·3	+1289 +230	+1171	·4007819	+2641 +185	+1256	·3892821	+3991 +142	+1338	·3779161	+5336 +99	+1416	·3666917	+6672 +57	+1480	·3556161	+7998 +6	+1538	3·3
3·4	−3102 +344	+782	·4419765	−1825 +311	+872	·4304258	−535 +274	+960	·4189710	+764 +235	+1044	·4076207	+2067 +193	+1125	·3963828	+3370 +157	+1202	3·4
3·5	−7149 +429	+409	·4829886	−5980 +408	+500	·4715160	−4787 +380	+590	·4601023	−3573 +347	+677	·4487564	−2345 +319	+762	·4374865	−1101 +278	+844	3·5
3·6	−10767 +498	+62	·5234027	−9727 +470	+151	·5121275	−8859 +553	+239	·5008763	−7563 +434	+326	·4896576	−6438 +404	+411	·4784801	−5294 +385	+495	3·6
3·7	−13880 +524	−250	·5628441	−13004 +521	−166	·5518731	−12078 +404	−82	·5408940	−11119 +492	+1	·5299150	−10127 +478	+84	·5189443	−9102 +453	+166	3·7
3·8	−16487 +537	−624	·6009851	−15760 +534	−446	·5904109	−14993 +535	−369	·5797998	−14183 +522	−291	·5691597	−13338 +517	−213	·5584983	−12457 +509	−136	3·8
3·9	−18548 +528	−754	·6375501	−17982 +530	−685	·6274494	−17373 +530	−616	·6172873	−16725 +538	−545	·6070706	−16032 +529	−474	·5968066	−15303 +528	−402	3·9
4·0	−20081 +593	−941	·6723169	−19674 +514	−881	·6627506	−19223 +520	−820	·6531023	−18729 +520	−768	·6433783	−18197 +531	−695	·6335846	−17621 +530	−631	4·0
4·1	−21111 +460	−1084	·7051163	−20852 +473	−1034	·6961295	−20558 +487	−983	·6870444	−20213 +500	−930	·6778663	−19831 +508	−876	·6686005	−19409 +516	−820	4·1
4·2	−21681 +415	−1187	·7358305	−21557 +429	−1147	·7274531	−21398 +443	−1105	·7189652	−21197 +458	−1062	·7103712	−20959 +470	−1016	·7016755	−20682 +480	−970	4·2
4·3	−21836 +364	−1253	·7643890	−21633 +380	−1221	·7566371	−21798 +398	−1188	·7487663	−21723 +408	−1154	·7407802	−21617 +427	−1118	·7326823	−21475 +443	−1080	4·3
4·4	−21627 +302	−1284	·7907642	−21728 +322	−1261	·7836415	−21800 +340	−1237	·7763951	−21841 +359	−1211	·7690275	−21848 +369	−1184	·7615416	−21825 +385	−1155	4·4
4·5	−21116 +250	−1287	·8149665	−21303 +268	−1272	·8084659	−21464 +281	−1255	·8018398	−21600 +299	−1237	·7950900	−21710 +322	−1218	·7882184	−21790 +338	−1197	4·5
4·6	−20356 +195	−1265	·8370385	−20611 +212	−1257	·8311439	−20847 +230	−1247	·8251245	−21060 +245	−1236	·8189815	−21250 +259	−1224	·8127162	−21417 +275	−1210	4·6
4·7	−19399 +145	−1224	·8570494	−19707 +159	−1221	·8517372	−20000 +176	−1217	·8463032	−20275 +192	−1212	·8407480	−20531 +206	−1207	·8350723	−20769 +224	−1198	4·7
4·8	−18297 +99	−1167	·8750896	−18644 +110	−1169	·8703305	−18977 +123	−1170	·8654544	−19298 +140	−1170	·8604614	−19608 +155	−1168	·8553515	−19897 +173	−1166	4·8
4·9	−17098 +57	−1099	·8912654	−17487 +68	−1104	·8870261	−17829 +83	−1109	·8826758	−18181 +95	−1113	·8782142	−18522 +108	−1116	·8736410	−18852 +119	−1118	4·9
5·0	−15838 +23	−1023	·9056945	−16222 +33	−1032	·9019388	−16599 +45	−1039	·8980791	−16969 +56	−1046	·8941148	−17332 +84	−1053	·8900453	−17690 +80	−1058	5·0
5·1	−14555 −4	−942	·9185014	−14939 +3	−953	·9151916	−15320 +10	−963	·9117855	−15700 +21	−973	·9082822	−16077 +31	−981	·9046806	−16445 +42	−990	5·1
5·2	−13278 −27	−860	·9298144	−13656 −20	−872	·9269124	−14033 −15	−884	·9239219	−14412 −7	−895	·9208419	−14786 0	−905	·9176714	−15161 +8	−916	5·2
5·3	−12028 −47	−779	·9397618	−12393 −39	−791	·9372297	−12762 −35	−804	·9346171	−13130 −31	−816	·9319230	−13500 −27	−827	·9291461	−13869 −18	−839	5·3
5·4	−10825 −62	−699	·9484699	−11175 −54	−712	·9462708	−11525 −55	−725	·9439993	−11880 −50	−737	·9416541	−12237 −48	−750	·9392339	−12595 −39	−762	5·4
5·5	−9684 −72	−623	·9560605	−10011 −68	−636	·9541594	−10343 −68	−648	·9521935	−10678 −64	−661	·9501615	−11017 −63	−673	·9480622	−11360 −55	−686	5·5
5·6	−8613 −78	−551	·9626500	−8918 −75	−564	·9610137	−9227 −72	−576	·9593199	−9541 −72	−588	·9575672	−9859 −70	−600	·9557545	−10180 −68	−612	5·6
5·7	−7619 −81	−484	·9683477	−7898 −81	−496	·9669453	−8183 −78	−508	·9654922	−8474 −77	−520	·9639870	−8788 −76	−531	·9624288	−9069 −78	−543	5·7
5·8	−6705 −83	−423	·9732556	−6959 −82	−434	·9720586	−7219 −83	−445	·9708171	−7484 −81	−456	·9695300	−7758 −80	−467	·9681962	−8032 −80	−478	5·8
5·9	−5670 −84	−367	·9774676	−6102 −79	−378	·9764500	−6338 −80	−388	·9753936	−6578 −82	−398	·9742974	−6824 −83	−408	·9731604	−7075 −82	−419	5·9
6·0	−5119 −82	−317	·9810694	−5323 −76	−326	·9802076	−5534 −79	−336	·9793123	−5752 −80	−345	·9783824	−5973 −81	−353	·9774171	−6201 −81	−364	6·0

	$p = 11{\cdot}0$			$p = 11{\cdot}2$			$p = 11{\cdot}4$			$p = 11{\cdot}6$			$p = 11{\cdot}8$			$p = 12{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·0	·9855863	−4169 −70	−273	·9849068	−4346 −72	−282	·9841992	−4532 −73	−290	·9834626	−4723 −74	−299	·9826960	−4918 −75	−308	·9818986	6·0
6·1	·9879403	−3601 −65	−233	·9873696	−3760 −67	−241	·9867747	−3922 −68	−249	·9861550	−4089 −70	−256	·9855097	−4262 −71	−264	·9848379	6·1
6·2	·9899342	−3099 −60	−198	·9894564	−3238 −62	−205	·9889580	−3380 −64	−212	·9884385	−3527 −66	−219	·9878972	−3680 −67	−226	·9873333	6·2
6·3	·9916182	−2658 −55	−168	·9912194	−2777 −56	−174	·9908033	−2903 −59	−179	·9903693	−3032 −60	−186	·9899167	−3165 −62	−192	·9894449	6·3
6·4	·9930364	−2271 −50	−141	·9927047	−2376 −51	−146	·9923583	−2482 −53	−151	·9919969	−2595 −55	−157	·9916197	−2710 −57	−162	·9912264	6·4
6·5	·9942275	−1933 −45	−118	·9939524	−2022 −46	−123	·9936651	−2117 −48	−127	·9933650	−2213 −50	−132	·9930517	−2313 −52	−136	·9927248	6·5
6·6	·9952253	−1641 −40	−99	·9949979	−1719 −42	−103	·9947602	−1793 −42	−106	·9945118	−1861 −45	−110	·9942524	−1967 −46	−114	·9939816	6·6
6·7	·9960590	−1389 −36	−82	·9958715	−1454 −37	−86	·9956754	−1522 −38	−89	·9954705	−1594 −40	−92	·9952564	−1666 −41	−96	·9950327	6·7
6·8	·9967538	−1171 −31	−68	·9965997	−1228 −33	−71	·9964384	−1285 −34	−74	·9962698	−1345 −35	−76	·9960936	−1406 −36	−79	·9959094	6·8
6·9	·9973315	−985 −27	−56	·9972051	−1031 −29	−59	·9970729	−1081 −30	−61	·9969346	−1133 −31	−63	·9967900	−1186 −32	−66	·9966388	6·9
7·0	·9978107	−827 −25	−46	·9977074	−867 −25	−48	·9975993	−908 −28	−50	·9974861	−960 −27	−52	·9973678	−996 −28	−54	·9972440	7·0
7·1	·9982072	−690 −21	−38	·9981230	−724 −21	−40	·9980349	−760 −22	−41	·9979426	−797 −23	−43	·9978460	−834 −24	−45	·9977449	7·1
7·2	·9985347	−576 −16	−31	·9984662	−604 −18	−32	·9983945	−633 −20	−34	·9983194	−663 −20	−35	·9982408	−695 −21	−37	·9981586	7·2
7·3	·9988046	−480 −15	−25	·9987490	−505 −16	−26	·9986908	−527 −17	−28	·9986299	−553 −18	−29	·9985661	−579 −18	−30	·9984993	7·3
7·4	·9990264	−398 −13	−21	·9989815	−417 −14	−21	·9989344	−437 −14	−22	·9988851	−459 −15	−23	·9988335	−482 −15	−24	·9987794	7·4
7·5	·9992085	−329 −11	−17	·9991723	−346 −12	−17	·9991343	−363 −12	−18	·9990944	−379 −12	−19	·9990527	−398 −13	−20	·9990090	7·5
7·6	·9993576	−272 −10	−14	·9993284	−285 −10	−14	·9992978	−299 −11	−15	·9992658	−314 −11	−15	·9992322	−326 −12	−16	·9991970	7·6
7·7	·9994795	−225 −8	−11	·9994561	−236 −8	−11	·9994315	−246 −9	−12	·9994058	−259 −9	−12	·9993788	−271 −11	−13	·9993505	7·7
7·8	·9995790	−185 −7	−9	·9995602	−194 −7	−9	·9995405	−203 −7	−9	·9995198	−212 −8	−10	·9994982	−223 −9	−10	·9994755	7·8
7·9	·9996599	−151 −6	−7	·9996449	−159 −6	−7	·9996292	−167 −6	−8	·9996127	−175 −7	−8	·9995954	−183 −7	−8	·9995773	7·9
8·0	·9997258	−124 −5	−6	·9997138	−130 −5	−6	·9997012	−136 −5	−6	·9996881	−144 −5	−6	·9996743	−150 −6	−7	·9996598	8·0
8·1	·9997792	−101 −4	−5	·9997697	−106 −4	−5	·9997597	−111 −5	−5	·9997492	−117 −5	−5	·9997382	−123 −5	−5	·9997267	8·1
8·2	·9998225	−83	−4	·9998149	−87	−4	·9998070	−91 −4	−4	·9997987	−95 −4	−4	·9997899	−99 −4	−4	·9997808	8·2
8·3	·9998575	−67		·9998515	−70		·9998452	−74		·9998386	−77		·9998317	−81 −4		·9998245	8·3
8·4	·9998857	−54		·9998810	−57		·9998760	−60		·9998708	−63		·9998654	−66		·9998596	8·4
8·5	·9999085	−44		·9999048	−47		·9999009	−49		·9998968	−52		·9998925	−55		·9998879	8·5
8·6	·9999269	−36		·9999239	−38		·9999208	−39		·9999176	−41		·9999142	−43		·9999107	8·6
8·7	·9999416	−29		·9999393	−30		·9999369	−32		·9999343	−33		·9999317	−35		·9999289	8·7
8·8	·9999534	−23		·9999516	−24		·9999497	−26		·9999477	−27		·9999457	−28		·9999435	8·8
8·9	·9999629	−19		·9999615	−20		·9999600	−20		·9999585	−22		·9999568	−23		·9999551	8·9
9·0	·9999705	−15		·9999694	−16		·9999682	−16		·9999670	−17		·9999658	−18		·9999644	9·0
9·1	·9999766	−13		·9999757	−13		·9999748	−13		·9999739	−14		·9999729	−15		·9999718	9·1
9·2	·9999814	−10		·9999807	−10		·9999800	−10		·9999793	−11		·9999785	−12		·9999777	9·2
9·3	·9999853	−9		·9999847	−8		·9999842	−9		·9999836	−9		·9999830	−9		·9999824	9·3
9·4	·9999883	−6		·9999879	−6		·9999875	−7		·9999871	−7		·9999866	−7		·9999861	9·4
9·5	·9999908	−5		·9999905	−5		·9999901	−5		·9999898	−6		·9999895	−5		·9999891	9·5
9·6	·9999927	−4		·9999925	−4		·9999922	−4		·9999920	−5		·9999917	−5		·9999914	9·6
9·7	·9999942			·9999941			·9999939	−4		·9999937	−4		·9999935	−4		·9999933	9·7
9·8	·9999955			·9999953			·9999952			·9999950			·9999949			·9999947	9·8
9·9	·9999964			·9999963			·9999962			·9999961			·9999960			·9999958	9·9
10·0	·9999972			·9999971			·9999970			·9999969			·9999968			·9999967	10·0
10·1	·9999978			·9999977			·9999977			·9999976			·9999975			·9999975	10·1
10·2	·9999983			·9999982			·9999982			·9999981			·9999981			·9999980	10·2
10·3	·9999986			·9999986			·9999986			·9999985			·9999985			·9999984	10·3
10·4	·9999989			·9999989			·9999989			·9999989			·9999988			·9999988	10·4
10·5	·9999992			·9999992			·9999991			·9999991			·9999991			·9999991	10·5
10·6	·9999993			·9999993			·9999993			·9999993			·9999993			·9999993	10·6
10·7	·9999995			·9999995			·9999995			·9999995			·9999994			·9999994	10·7
10·8	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	10·8
10·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	10·9
11·0	·9999998			·9999998			·9999998			·9999998			·9999997			·9999997	11·0
11·1	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·1
11·2	·9999999			·9999998			·9999998			·9999998			·9999998			·9999998	11·2
11·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	11·7

	$p = 12·0$		$p = 12·2$			$p = 12·4$			$p = 12·6$			$p = 12·8$			$p = 13·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	−5119 −82	−317	·9810694	−5323 −75	−328	·9802076	−5534 −79	−338	·9793123	−5752 −80	−345	·9783824	−5973 −81	−363	·9774171	−6201 −81	−364	6·0
6·1	−4439 −79	−272	·9841389	−4823 −71	−281	·9834118	−4812 −78	−289	·9826558	−5005 −77	−298	·9818701	−5205 −76	−306	·9810537	−5408 −79	−316	6·1
6·2	−5838 −75	−235	·9867461	−4000 −68	−240	·9861348	−4163 −72	−248	·9854988	−4338 −74	−253	·9848373	−4512 −75	−263	·9841495	−4694 −78	−271	6·2
6·3	−3301 −70	−198	·9889533	−8442 −81	−205	·9884413	−8690 −67	−211	·9879082	−3741 −66	−218	·9873533	−3897 −69	−225	·9867759	−4038 −72	−232	6·3
6·4	−2831 −64	−168	·9908163	−2955 −57	−175	·9903888	−3082 −61	−179	·9899435	−3214 −63	−185	·9894796	−3349 −65	−191	·9889967	−3491 −66	−197	6·4
6·5	−2418 −57	−141	·9923838	−2524 −53	−148	·9920281	−2834 −57	−151	·9916574	−2750 −58	−156	·9912710	−2889 −61	−162	·9908684	−2990 −62	−187	6·5
6·6	−2057 −51	−118	·9936989	−2149 −40	−123	·9934040	−2246 −51	−127	·9930963	−2344 −53	−132	·9927755	−2447 −53	−136	·9924411	−2554 −56	−141	6·6
6·7	−1744 −46	−99	·9947991	−1823 −46	−103	·9945553	−1906 −43	−106	·9943008	−1991 −47	−110	·9940353	−2079 −50	−114	·9937584	−2171 −50	−118	6·7
6·8	−1473 −41	−82	·9957170	−1642 −41	−83	·9955160	−1611 −41	−89	·9953062	−1683 −42	−92	·9950872	−1761 −44	−95	·9948586	−1839 −46	−99	6·8
6·9	−1242 −36	−88	·9964807	−1296 −36	−71	·9963156	−1359 −38	−74	·9961431	−1421 −38	−77	·9959630	−1488 −38	−79	·9957749	−1553 −40	−82	6·9
7·0	−1043 −31	−56	·9971146	−1093 −35	−59	·9969793	−1143 −32	−81	·9968379	−1193 −33	−63	·9966902	−1250 −34	−66	·9965359	−1308 −38	−88	7·0
7·1	−872 −27	−48	·9976392	−913 −30	−48	·9975287	−956 −28	−50	·9974132	−1002 −23	−62	·9972924	−1047 −30	−54	·9971663	−1097 −31	−68	7·1
7·2	−730 −24	−38	·9980725	−764 −24	−40	·9979825	−800 −24	−41	·9978883	−837 −25	−43	·9977899	−877 −26	−45	·9976870	−918 −27	−48	7·2
7·3	−806 −22	−81	·9984294	−835 −19	−32	·9983563	−866 −20	−34	·9982797	−696 −22	−33	·9981997	−729 −22	−38	·9981161	−764 −23	−37	7·3
7·4	−505 −18	−25	·9987228	−529 −16	−26	·9986635	−553 −18	−27	·9986015	−530 −19	−29	·9985366	−807 −20	−30	·9984688	−635 −20	−31	7·4
7·5	−418 −15	−21	·9989633	−437 −15	−21	·9989154	−458 −18	−22	·9988653	−480 −16	−23	·9988128	−502 −17	−24	·9987580	−628 −18	−25	7·5
7·6	−345 −13	−17	·9991601	−361 −13	−17	·9991215	−378 −13	−18	·9990811	−398 −13	−19	·9990388	−415 −14	−20	·9989946	−435 −15	−20	7·6
7·7	−285 −10	−13	·9993208	−297 −11	−14	·9992898	−312 −11	−14	·9992573	−827 −12	−15	·9992233	−343 −12	−13	·9991877	−358 −13	−16	7·7
7·8	−232 −8	−11	·9994518	−246 −9	−11	·9994269	−257 −9	−12	·9994008	−268 −10	−12	·9993735	−281 −11	−13	·9993450	−295 −10	−13	7·8
7·9	−193 −7	−9	·9995582	−200 −7	−9	·9995383	−209 −8	−9	·9995175	−221 −8	−10	·9994956	−230 −9	−10	·9994728	−242 −9	−11	7·9
8·0	−156 −6	−7	·9996446	−184 −6	−7	·9996288	−173 −6	−8	·9996121	−180 −7	−8	·9995947	−190 −7	−8	·9995764	−107 −8	−9	8·0
8·1	−128 −6	−6	·9997146	−134 −5	−6	·9997020	−140 −5	−6	·9996887	−147 −6	−6	·9996748	−163 −6	−8	·9996603	−162 −8	−7	8·1
8·2	−104 −4	−4	·9997712	−109 −4	−5	·9997612	−115 −4	−5	·9997506	−119 −4	−5	·9997396	−126 −5	−6	·9997280	−131 −5	−3	8·2
8·3	−86		·9998169	−90	−4	·9998089	−93	−4	·9998006	−99	−4	·9997918	−102 −4	−4	·9997826	−106 −4	−4	8·3
8·4	−88		·9998536	−71		·9998473	−75		·9998407	−78		·9998338	−82		·9998266	−87		8·4
8·5	−56		·9998832	−59		·9998782	−61		·9998730	−64		·9998676	−68		·9998619	−71		8·5
8·6	−46		·9999069	−46		·9999030	−49		·9998989	−51		·9998946	−53		·9998901	−63		8·6
8·7	−36		·9999260	−38		·9999229	−40		·9999197	−43		·9999163	−44		·9999128	−47		8·7
8·8	−30		·9999412	−31		·9999388	−32		·9999362	−32		·9999336	−35		·9999308	−36		8·8
8·9	−23		·9999533	−24		·9999515	−26		·9999495	−28		·9999474	−28		·9999452	−29		8·9
9·0	−19		·9999630	−19		·9999616	−21		·9999600	−21		·9999584	−22		·9999567	−24		9·0
9·1	−15		·9999708	−15		·9999696	−18		·9999684	−17		·9999672	−19		·9999658	−18		9·1
9·2	−12		·9999769	−12		·9999760	−13		·9999751	−14		·9999741	−14		·9999731	−15		9·2
9·3	−10		·9999818	−10		·9999811	−10		·9999804	−12		·9999796	−11		·9999788	−12		9·3
9·4	−8		·9999856	−8		·9999851	−8		·9999845	−8		·9999840	−9		·9999833	−10		9·4
9·5	−6		·9999887	−7		·9999883	−8		·9999878	−7		·9999874	−7		·9999869	−8		9·5
9·6	−5		·9999911	−5		·9999908	−5		·9999905	−6		·9999901	−6		·9999897	−6		9·6
9·7	−4		·9999930	−4		·9999928	−4		·9999925	−5		·9999923	−5		·9999920	−5		9·7
9·8			·9999945			·9999943			·9999941			·9999939	−4		·9999937	−4		9·8
9·9			·9999957			·9999956			·9999954			·9999953			·9999951			9·9
10·0			·9999966			·9999965			·9999964			·9999963			·9999962			10·0
10·1			·9999974			·9999973			·9999972			·9999971			·9999970			10·1
10·2			·9999980			·9999979			·9999978			·9999978			·9999977			10·2
10·3			·9999984			·9999984			·9999983			·9999983			·9999982			10·3
10·4			·9999988			·9999987			·9999987			·9999986			·9999986			10·4
10·5			·9999990			·9999990			·9999990			·9999990			·9999989			10·5
10·6			·9999993			·9999992			·9999992			·9999992			·9999992			10·6
10·7			·9999994			·9999994			·9999994			·9999994			·9999994			10·7
10·8			·9999995			·9999995			·9999995			·9999995			·9999995			10·8
10·9			·9999997			·9999996			·9999996			·9999996			·9999996			10·9
11·0			·9999997			·9999997			·9999997			·9999997			·9999997			11·0
11·1			·9999998			·9999998			·9999998			·9999998			·9999998			11·1
11·2			·9999998			·9999998			·9999998			·9999998			·9999998			11·2
11·3			·9999999			·9999999			·9999999			·9999999			·9999998			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			11·7

	$p = 13{\cdot}0$			$p = 13{\cdot}2$			$p = 13{\cdot}4$			$p = 13{\cdot}6$			$p = 13{\cdot}8$			$p = 14{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·4	·0000000																·4
·5	·0000000	+1 +4		·0000000	+1 +2		·0000000	+1 +1		·0000000	+1 +1		·0000000	0 +1		·0000000	·5
·6	·0000001	+5 +11		·0000001	+4 +8		·0000001	+3 +7		·0000001	+2 +8		·0000000	+2 +1		·0000000	·6
·7	·0000007	+20 +28		·0000006	+15 +26		·0000005	+12 +21		·0000004	+9 +19		·0000003	+7 +17		·0000002	·7
·8	·0000033	+63 +63		·0000026	+52 +52		·0000021	+42 +45		·0000016	+36 +37		·0000013	+28 +31		·0000010	·8
·9	·0000122	+169 +111	+6	·0000098	+141 +98	+5	·0000079	+117 +97	+4	·0000063	+98 +74		·0000051	+80 +69		·0000041	·9
1·0	·0000380	+386 +190	+15	·0000311	+328 +169	+12	·0000254	+279 +149	+10	·0000208	+235 +138	+8	·0000169	+201 +113	+7	·0000138	1·0
1·1	·0001024	+793 +278	+33	·0000852	+684 +250	+28	·0000708	+590 +227	+24	·0000588	+508 +204	+20	·0000488	+435 +190	+17	·0000404	1·1
1·2	·0002461	+1478 +338	+68	·0002077	+1290 +337	+58	·0001752	+1128 +314	+50	·0001476	+985 +292	+42	·0001242	+859 +268	+36	·0001044	1·2
1·3	·0005370	+2501 +478	+125	·0004592	+2233 +419	+109	·0003924	+1980 +396	+94	·0003349	+1754 +371	+81	·0002855	+1551 +348	+70	·0002432	1·3
1·4	·0010792	+4002 +465	+213	·0009340	+3595 +473	+187	·0008076	+3228 +460	+163	·0006976	+2894 +449	+144	·0006019	+2582 +421	+126	·0005189	1·4
1·5	·0020210	+5968 +499	+339 +4	·0017683	+5490 +494	+301 +4	·0015456	+4938 +481	+267 +4	·0013497	+4477 +476	+237	·0011775	+4054 +469	+210	·0010263	1·5
1·6	·0035596	+8438 +445	+506 +5	·0031456	+7769 +456	+455 +5	·0027772	+7125 +471	+409 +4	·0024495	+6538 +469	+366 +4	·0021585	+5985 +468	+328 +4	·0019004	1·6
1·7	·0059415	+11349 +347	+717 +6	·0052988	+10644 +372	+651 +5	·0047213	+9785 +391	+591 +5	·0042029	+9064 +415	+535 +5	·0037380	+8384 +429	+484 +4	·0033215	1·7
1·8	·0094577	+14600 +189	+968 +6	·0085064	+13701 +239	+888 +6	·0076439	+12836 +279	+813 +6	·0068627	+12007 +303	+744 +5	·0061559	+11212 +335	+680 +6	·0055170	1·8
1·9	·0144339	+18046 +3	+1252 +5	·0130841	+17091 +56	+1158 +6	·0118501	+16160 +102	+1070 +6	·0107232	+15263 +160	+988 +5	·0096950	+14375 +190	+911 +5	·0087580	1·9
2·0	·0212147	+21496 −206	+1556 +5	·0193709	+20597 −149	+1452 +5	·0176723	+19586 −88	+1353 +5	·0161090	+18649 −35	+1260 +5	·0146716	+17728 +14	+1171 +5	·0133514	2·0
2·1	·0301450	+24738 −421	+1864 +4	·0277114	+23834 −358	+1764 +4	·0254531	+22924 −302	+1648 +5	·0233597	+22010 −245	+1547 +4	·0214210	+21085 −183	+1450 +4	·0196273	2·1
2·2	·0415491	+27560 −609	+2160 +3	·0384353	+26773 −556	+2048	·0355263	+25960 −498	+1940	·0328114	+25126 −439	+1836	·0302799	+24279 −389	+1734	·0279219	2·2
2·3	·0557092	+29779 −768	+2426 +2	·0518365	+29156 −721	+2317	·0481955	+28498 −677	+2212	·0447757	+27803 −629	+2108	·0415667	+27074 −573	+2006	·0385583	2·3
2·4	·0728466	+31218 −882	+2643 0	·0681533	+30818 −852	+2544	·0637145	+30359 −809	+2446	·0595203	+29851 −772	+2348	·0555609	+29296 −732	+2251	·0518266	2·4
2·5	·0931058	+31781 −937	+2800 −2	·0875519	+31828 −918	+2715	·0822694	+31411 −902	+2629	·0772500	+31127 −873	+2542	·0724847	+30786 −846	+2454	·0679648	2·5
2·6	·1165431	+31407 −938	+2886 −3	·1101133	+31622 −942	+2819	·1039654	+31581 −933	+2749	·0980924	+31530 −925	+2676	·0924871	+31430 −910	+2602	·0871419	2·6
2·7	·1431211	+30095 −890	+2895 −4	·1358269	+30474 −899	+2848	·1288175	+30778 −911	+2797	·1220878	+31008 −918	+2743	·1156325	+31184 −918	+2685	·1094456	2·7
2·8	·1727086	+27893 −786	+2827 −5	·1645879	+28527 −829	+2801	·1567474	+29084 −843	+2771	·1491840	+29568 −863	+2737	·1418943	+29980 −882	+2698	·1348744	2·8
2·9	·2050854	+24905 −662	+2685 −4	·1962016	+25758 −692	+2679	·1875857	+26547 −733	+2672	·1792370	+27265 −762	+2658	·1711541	+27914 −788	+2638	·1633350	2·9
3·0	·2399527	+21265 −496	+2473	·2303911	+22297 −549	+2492	·2210787	+23277 −588	+2502	·2120165	+24200 −631	+2510	·2032053	+25060 −668	+2511	·1946452	3·0
3·1	·2769455	+17109 −331	+2208	·2668103	+18237 −375	+2243	·2568994	+19421 −428	+2275	·2472160	+20504 −471	+2299	·2377625	+21538 −518	+2322	·2285412	3·1
3·2	·3156492	+12632 −167	+1897	·3050582	+13902 −210	+1950	·2946622	+15137 −256	+1997	·2844659	+16337 −307	+2039	·2744735	+17497 −353	+2077	·2646888	3·2
3·3	·3556161	+7898 +6	+1558	·3446963	+9307 −40	+1623	·3339387	+10597 −89	+1683	·3233495	+11863 −136	+1739	·3129342	+13103 −183	+1790	·3026979	3·3
3·4	·3963828	+3370 +167	+1202	·3852651	+4872 +118	+1278	·3742749	+5968 +68	+1346	·3634194	+7254 +23	+1413	·3527052	+8528 −20	+1475	·3421385	3·4
3·5	·4374865	−1101 +278	+844	·4263011	+150 +244	+923	·4152079	+1407 +209	+1000	·4042147	+2668 +169	+1073	·3933288	+3929 +125	+1144	·3825573	3·5
3·6	·4784801	−5294 +385	+495	·4673521	−4128 +354	+576	·4562816	−2946 +322	+656	·4452768	−1749 +290	+733	·4343453	−543 +258	+808	·4234946	3·6
3·7	·5189443	−9102 +463	+166	·5079903	−8062 +438	+246	·4970608	−6975 +413	+326	·4861640	−5876 +388	+403	·4753075	−4767 +384	+480	·4644990	3·7
3·8	·5584983	−12457 +509	−136	·5478233	−11540 +494	−58	·5371425	−10592 +478	+18	·5264636	−9615 +465	+94	·5157940	−8607 +437	+170	·5051414	3·8
3·9	·5968066	−15303 +528	−402	·5865023	−14534 +521	−331	·5761650	−13731 +518	−259	·5658017	−12889 +499	−187	·5554198	−12020 +500	−116	·5450262	3·9
4·0	·6335846	−17621 +530	−631	·6237279	−17007 +539	−567	·6138144	−16352 +528	−502	·6038509	−15664 +534	−436	·5938436	−14933 +517	−379	·5837994	4·0
4·1	·6686005	−19409 +515	−820	·6592528	−18948 +522	−764	·6498286	−18447 +529	−707	·6403337	−17905 +525	−648	·6307741	−17329 +534	−599	·6211555	4·1
4·2	·7016755	−20682 +480	−970	·7928829	−20367 +491	−922	·7839981	−20013 +498	−873	·7750260	−19621 +508	−822	·7659717	−19191 +513	−771	·6568404	4·2
4·3	·7326823	−21475 +443	−1080	·7244763	−21295 +453	−1041	·7161663	−21081 +469	−1000	·7077562	−20829 +479	−958	·7992502	−20540 +488	−915	·6906528	4·3
4·4	·7615416	−21825 +385	−1155	·7539402	−21770 +404	−1124	·7462264	−21680 +416	−1092	·7384035	−21558 +432	−1058	·7304747	−21401 +445	−1023	·7224437	4·4
4·5	·7882184	−21790 +338	−1187	·7812271	−21841 +352	−1174	·7741185	−21863 +368	−1149	·7668950	−21855 +383	−1124	·7595591	−21817 +401	−1096	·7521136	4·5
4·6	·8127162	−21417 +275	−1210	·8063299	−21560 +293	−1194	·7998243	−21678 +312	−1177	·7932010	−21769 +328	−1158	·7864618	−21832 +330	−1138	·7796089	4·6
4·7	·8350723	−20789 +224	−1198	·8292767	−20986 +241	−1188	·8233623	−21181 +254	−1178	·8173301	−21355 +271	−1166	·8111813	−21507 +291	−1153	·8049172	4·7
4·8	·8553515	−19897 +173	−1166	·8501249	−20171 +184	−1162	·8447822	−20430 +202	−1157	·8393237	−20670 +216	−1151	·8337501	−20891 +229	−1144	·8280622	4·8
4·9	·8736410	−18852 +119	−1118	·8689560	−19172 +137	−1119	·8641591	−19477 +149	−1119	·8592503	−19769 +166	−1117	·8542298	−20046 +182	−1115	·8490978	4·9
5·0	·8900453	−17690 +80	−1058	·8858699	−18036 +89	−1063	·8815883	−18376 +104	−1066	·8772000	−18702 +116	−1069	·8727049	−19019 +128	−1071	·8681027	5·0
5·1	·9046806	−16445 +42	−990	·9009802	−16811 +54	−997	·8971800	−17163 +63	−1004	·8932795	−17520 +79	−1009	·8892781	−17864 +86	−1014	·8851753	5·1
5·2	·9176714	−15161 +8	−916	·9144094	−15532 +14	−925	·9110549	−15901 +29	−934	·9076070	−16265 +37	−942	·9040649	−16623 +45	−949	·9004279	5·2
5·3	·9291461	−13869 −18	−839	·9262854	−14299 −7	−850	·9233397	−14606 −4	−860	·9203080	−14972 +5	−870	·9171894	−15337 +14	−879	·9139828	5·3
5·4	·9392339	−12595 −39	−762	·9367375	−12953 −32	−773	·9341639	−13315 −32	−784	·9315118	−13676 −22	−795	·9287802	−14037 −14	−806	·9259680	5·4
5·5	·9480622	−11360 −55	−686	·9458943	−11706 −56	−698	·9436566	−12051 −50	−709	·9413480	−12401 −43	−721	·9389673	−12751 −39	−732	·9365134	5·5
5·6	·9557545	−10180 −68	−612	·9538805	−10505 −69	−624	·9519442	−10837 −61	−636	·9499441	−11168 −57	−648	·9478793	−11505 −54	−660	·9457485	5·6
5·7	·9624288	−9069 −76	−543	·9608162	−9374 −73	−555	·9591481	−9681 −71	−566	·9574234	−9998 −72	−578	·9556408	−10310 −67	−590	·9537994	5·7
5·8	·9681962	−8032 −80	−478	·9668145	−8313 −78	−490	·9653839	−8599 −78	−501	·9639031	−8888 −79	−512	·9623713	−9185 −75	−523	·9607871	5·8
5·9	·9731604	−7075 −83	−419	·9719815	−7332 −82	−429	·9707598	−7595 −82	−440	·9694940	−7862 −81	−450	·9681833	−8134 −79	−461	·9668264	5·9
6·0	·9774171	−6201 −81	−364	·9764153	−6433 −83	−374	·9753762	−6670 −84	−384	·9742987	−6913 −83	−393	·9731819	−7181 −83	−403	·9720248	6·0
6·1	·9810537	−5408 −79	−315	·9802058	−5617 −80	−324	·9793256	−5832 −81	−333	·9784121	−6051 −82	−342	·9774644	−6274 −84	−350	·9764817	6·1
6·2	·9841495	−4694 −76	−271	·9834346	−4880 −77	−270	·9826918	−5070 −78	−287	·9819204	−5287 −78	−295	·9811195	−5470 −80	−303	·9802882	6·2
6·3	·9867759	−4056 −72	−232	·9861754	−4222 −73	−239	·9855510	−4392 −74	−246	·9849020	−4565 −78	−253	·9842276	−4742 −78	−261	·9835273	6·3
6·4	·9889967	−3491 −66	−197	·9884940	−3834 −68	−203	·9879710	−3783 −70	−210	·9874271	−3938 −71	−216	·9868615	−4097 −73	−223	·9862736	6·4
6·5	·9908684	−2990 −62	−167	·9904492	−3118 64	−172	·9900127	−3249 −65	−178	·9895584	−3383 −67	−184	·9890857	−3521 −69	−190	·9885941	6·5

	$p = 14{\cdot}0$		$p = 14{\cdot}2$			$p = 14{\cdot}4$			$p = 14{\cdot}6$			$p = 14{\cdot}8$			$p = 15{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·4																		·4
·5	0 +1		·0000000	0 +1		·0000000	0 +1		·0000000	0 +1		·0000000	0 +1		·0000000			·5
·6	+2 +4		·0000000	+1 +3		·0000000	+1 +2		·0000000	+1 +2		·0000000	+1 +1		·0000000	0 +1		·6
·7	+6 +13		·0000001	+6 +9		·0000001	+4 +8		·0000001	+3 +7		·0000001	+2 +6		·0000000	+2 +3		·7
·8	+23 +26		·0000008	+17 +25		·0000006	+15 +19		·0000005	+12 +16		·0000004	+9 +10		·0000003	+7 +14		·8
·9	+66 +60		·0000032	+56 +47		·0000026	+45 +45		·0000021	+37 +39		·0000016	+32 +29		·0000013	+26 +25		·9
1·0	+169 +102	+6	·0000112	+142 +93	+6	·0000091	+120 +79	+4	·0000074	+101 +69		·0000060	+84 +62		·0000049	+70 +53		1·0
1·1	+374 +169	+14	·0000334	+321 +150	+12	·0000276	+274 +138	+10	·0000228	+234 +124	+8	·0000188	+200 +108	+7	·0000155	+171 +94	+6	1·1
1·2	+748 +247	+31	·0000877	+650 +227	+26	·0000735	+566 +203	+22	·0000616	+491 +184	+19	·0000516	+424 +171	+16	·0000432	+366 +168	+13	1·2
1·3	+1369 +327	+61	·0002070	+1206 +307	+62	·0001760	+1061 +287	+45	·0001495	+932 +267	+39	·0001268	+819 +244	+33	·0001075	+718 +224	+29	1·3
1·4	+2317 +402	+110	·0004469	+2069 +378	+96	·0003846	+1843 +360	+84	·0003306	+1640 +341	+73	·0002839	+1458 +320	+64	·0002436	+1294 +300	+56	1·4
1·5	+3667 +453	+186	·0008937	+3310 +444	+164	·0007775	+2985 +426	+145	·0006757	+2689 +405	+128	·0005868	+2417 +389	+112	·0005091	+2170 +371	+99	1·5
1·6	+5470 +471	+294	·0016715	+4995 +460	+262	·0014689	+4553 +453	+234	·0012897	+4143 +448	+209	·0011314	+3765 +437	+186	·0009916	+3417 +425	+165	1·6
1·7	+7744 +437	+438 +4	·0029488	+7140 +449	+395 +4	·0026156	+6574 +454	+356	·0023180	+6045 +452	+321	·0020525	+5550 +450	+288	·0018158	+5069 +444	+260	1·7
1·8	+10455 +358	+620 +5	·0049401	+9734 +377	+565 +4	·0044197	+9049 +394	+614 +4	·0039508	+8399 +409	+468	·0035286	+7765 +419	+424	·0031489	+7205 +423	+385	1·8
1·9	+13524 +232	+889 +5	·0079048	+12705 +266	+771 +4	·0071287	+11918 +294	+706 +5	·0064235	+11162 +322	+650 +4	·0057832	+10439 +347	+595	·0052025	+9740 +363	+545	1·9
2·0	+16825 +61	+1088 +5	·0121400	+15942 +107	+1009 +4	·0110295	+15081 +153	+934 +6	·0100124	+14247 +189	+866 +5	·0090817	+13440 +220	+799 +4	·0082310	+12668 +255	+736	2·0
2·1	+20187 −131	+1358 +4	·0179694	+19286 −79	+1269 +4	·0164384	+18397 −30	+1186 +4	·0150260	+17621 +19	+1106 +4	·0137242	+16661 +67	+1030 +4	·0125253	+15822 +106	+959 +4	2·1
2·2	+23418 −330	+1636	·0257274	+22551 −273	+1541	·0236870	+21683 −223	+1450	·0217917	+20814 −179	+1364	·0200328	+19949 −119	+1280	·0184018	+19092 −70	+1201	2·2
2·3	+26319 −521	+1907	·0357405	+25543 −472	+1810	·0331039	+24746 −416	+1716	·0306388	+23937 −363	+1620	·0283363	+23118 −318	+1537	·0261875	+22292 −261	+1453	2·3
2·4	+28699 −690	+2156	·0483079	+28063 −642	+2061	·0449954	+27394 −596	+1968	·0418796	+26697 −648	+1877	·0389516	+25974 −497	+1788	·0362024	+25281 −447	+1702	2·4
2·5	+30389 −813	+2366	·0636816	+29941 −778	+2279	·0596263	+29447 −743	+2191	·0557901	+28909 −702	+2104	·0521643	+28333 −659	+2019	·0487404	+27723 −618	+1934	2·5
2·6	+31266 −892	+2526	·0820494	+31041 −873	+2449	·0772019	+30757 −855	+2372	·0725915	+30419 −815	+2293	·0682103	+30033 −789	+2214	·0640507	+29597 −751	+2136	2·6
2·7	+31251 −918	+2625	·1035213	+31268 −906	+2562	·0978532	+31222 −899	+2498	·0924348	+31114 −866	+2431	·0872596	+30944 −865	+2363	·0823207	+30720 −846	+2294	2·7
2·8	+30318 −889	+2656	·1281200	+30589 −903	+2610	·1216267	+30788 −901	+2561	·1153895	+30921 −899	+2510	·1094033	+30990 −897	+2456	·1036627	+30997 −902	+2400	2·8
2·9	+28496 −816	+2617	·1557776	+29007 −833	+2568	·1484790	+29458 −857	+2559	·1414363	+29829 −869	+2524	·1346460	+30139 −878	+2487	·1281044	+30382 −879	+2444	2·9
3·0	+25858 −704	+2506	·1863359	+26592 −737	+2500	·1782766	+27261 −761	+2487	·1704660	+27868 −790	+2472	·1629026	+28410 −813	+2451	·1555843	+28888 −833	+2428	3·0
3·1	+22516 −559	+2336	·2195534	+23440 −598	+2346	·2108003	+24308 −638	+2363	·2022825	+25117 −670	+2355	·1940002	+25868 −702	+2351	·1859530	+26561 −734	+2347	3·1
3·2	+18615 −399	+2106	·2551149	+19690 −447	+2136	·2457548	+20717 −489	+2160	·2366107	+21696 −632	+2160	·2276846	+22624 −571	+2193	·2189778	+23500 −606	+2204	3·2
3·3	+14315 −233	+1838	·2926454	+15493 −276	+1861	·2827810	+16637 −324	+1919	·2731085	+17743 −368	+1954	·2636314	+18809 −411	+1984	·2543526	+19834 −467	+2010	3·3
3·4	+9782 −64	+1534	·3317252	+11020 −115	+1689	·3214709	+12233 −157	+1641	·3113806	+13429 −204	+1688	·3014591	+14583 −252	+1731	·2917108	+15711 −293	+1771	3·4
3·5	+5186 +83	+1211	·3719070	+6432 +46	+1275	·3613841	+7672 −1	+1336	·3509949	+18897 −44	+1394	·3407451	+10105 −85	+1448	·3306401	+11295 −132	+1498	3·5
3·6	+671 +223	+881	·4127320	+1890 +185	+951	·4020645	+3110 +147	+1019	·3914989	+4328 +108	+1083	·3810416	+5542 +66	+1146	·3706989	+6747 +28	+1204	3·6
3·7	−3620 +335	+555	·4537460	−2467 +300	+626	·4430559	−1305 +270	+699	·4324357	−138 +236	+766	·4218923	+1045 +201	+834	·4114324	+2227 +162	+900	3·7
3·8	−7576 +416	+244	·4945133	−6524 +393	+317	·4839168	−5450 +374	+388	·4733592	−4866 +347	+459	·4628475	−3261 +320	+528	·4523886	−2191 +292	+595	3·8
3·9	−11116 +486	−44	·5346282	−10188 +456	+26	·5242327	−9221 +446	+96	·5138469	−8236 +427	+165	·5034776	−7227 +405	+234	·4931317	−6107 +379	+302	3·9
4·0	−14171 +514	−304	·5737248	−13374 +504	−238	·5636265	−12547 +600	−171	·5535110	−11667 +486	−105	·5433850	−10798 +469	−39	·5332551	−9864 +457	+26	4·0
4·1	−16712 +628	−529	·6114840	−16061 +629	−469	·6017656	−15373 +620	−408	·5920064	−14652 +514	−347	·5822126	−13900 +511	−286	·5723901	−13114 +499	−224	4·1
4·2	−18725 +623	−718	·6476371	−18219 +622	−665	·6383674	−17679 +626	−611	·6290366	−17103 +631	−556	·6196502	−16491 +528	−500	·6102137	−15843 +525	−444	4·2
4·3	−20215 +495	−871	·6819683	−19865 +507	−825	·6732013	−19457 +511	−778	·6643565	−19023 +518	−730	·6554387	−18554 +517	−681	·6464528	−18051 +520	−632	4·3
4·4	−21210 +468	−987	·7143140	−20984 +469	−946	·7060895	−20724 +481	−909	·7977741	−20430 +494	−869	·6893718	−20100 +500	−827	·6808868	−19737 +510	−786	4·4
4·5	−21747 +416	−1068	·7445613	−21644 +426	−1037	·7369053	−21610 +438	−1006	·7291487	−21343 +448	−973	·7212949	−21146 +466	−939	·7133471	−20913 +475	−903	4·5
4·6	−21868 +355	−1117	·7726442	−21878 +375	−1094	·7655701	−21853 +392	−1070	·7583890	−21808 +406	−1043	·7511034	−21727 +416	−1018	·7437161	−21618 +433	−990	4·6
4·7	−21634 +301	−1136	·7985393	−21787 +321	−1122	·7920491	−21814 +334	−1105	·7854485	−21867 +358	−1086	·7787392	−21822 +367	−1066	·7719233	−21890 +380	−1045	4·7
4·8	−21094 +247	−1136	·8222607	−21275 +262	−1125	·8163467	−21436 +281	−1114	·8103213	−21678 +292	−1102	·8041858	−21690 +312	−1088	·7979415	−21782 +326	−1073	4·8
4·9	−20307 +197	−1112	·8438546	−20661 +211	−1107	·8385007	−20777 +222	−1101	·8330368	−20987 +241	−1094	·8274634	−21176 +264	−1086	·8217815	−21346 +268	−1077	4·9
5·0	−19323 +147	−1071	·8633934	−19616 +165	−1071	·8585770	−19696 +170	−1070	·8536536	−20160 +186	−1068	·8486234	−20406 +199	−1064	·8434869	−20649 +216	−1061	5·0
5·1	−18200 +100	−1018	·8809706	−18526 +113	−1022	·8766637	−18841 +122	−1024	·8722544	−19146 +139	−1026	·8677426	−19441 +148	−1027	·8631281	−19722 +166	−1027	5·1
5·2	−16977 +57	−956	·8966952	−17323 +63	−962	·8928663	−17664 +77	−968	·8889407	−17999 +96	−972	·8849177	−18321 +99	−977	·8807971	−18636 +118	−980	5·2
5·3	−15697 +19	−866	·9106875	−16057 +26	−896	·9073025	−16410 +43	−904	·9038271	−16757 +66	−911	·9002607	−17102 +58	−916	·8966025	−17440 +76	−924	5·3
5·4	−14398 −9	−816	·9230741	−14755 −3	−826	·9200977	−15113 +7	−835	·9170378	−15469 +20	−844	·9138935	−15821 +21	−852	·9106639	−16169 +36	−860	5·4
5·5	−13103 −34	−743	·9339852	−13456 −27	−754	·9313816	−13809 −20	−764	·9287016	−14161 −10	−774	·9259442	−14513 −9	−784	·9231084	−14864 +4	−793	5·5
5·6	−11842 −58	−671	·9435507	−12184 −46	−682	·9412846	−12526 −40	−693	·9389493	−12870 −36	−704	·9365436	−13214 −30	−714	·9340665	−13559 −20	−724	5·6
5·7	−10632 −65	−601	·9518978	−10954 −60	−612	·9499351	−11281 −55	−623	·9479100	−11600 −64	−634	·9458216	−11941 −48	−646	·9436687	−12274 −41	−655	5·7
5·8	−9484 −73	−534	·9591495	−9787 −71	−546	·9574575	−10095 −67	−556	·9557098	−10405 −66	−567	·9539055	−10719 −63	−577	·9520435	−11037 −58	−588	5·8
5·9	−8409 −79	−471	·9654225	−8691 −76	−482	·9639704	−8976 −76	−492	·9624691	−9267 −74	−503	·9609175	−9560 −75	−513	·9593146	−9858 −71	−523	5·9
6·0	−7416 −83	−418	·9708264	−7673 −83	−423	·9695857	−7936 −81	−433	·9683017	−8203 −80	−443	·9669735	−8476 −80	−452	·9655999	−8752 −77	−462	6·0
6·1	−6504 −84	−360	·9754630	−6738 −84	−369	·9744074	−6977 −88	−378	·9733140	−7221 −83	−388	·9721819	−7479 −84	−397	·9710100	−7728 −81	−405	6·1
6·2	−5674 −88	−311	·9794258	−5885 −83	−320	·9785314	−6101 −84	−328	·9776042	−6322 −84	−337	·9766433	−6547 −87	−346	·9756478	−6778 −84	−354	6·2
6·3	−4926 −80	−266	·9828001	−5116 −79	−276	·9820453	−5309 −81	−283	·9812622	−5507 −82	−291	·9804500	−5711 −83	−299	·9796078	−5917 −83	−306	6·3
6·4	−4258 −76	−230	·9856628	−4426 −76	−236	·9850283	−4596 −78	−243	·9843695	−4774 −79	−250	·9836856	−4958 −79	−258	·9829761	−5140 −80	−266	6·4
6·5	−3665 −70	−196	·9880829	−3811 −71	−202	·9875515	−3962 −78	−206	·9869994	−4117 −76	−214	·9864259	−4276 −76	−220	·9858304	−4443 −76	−227	6·5

	$p = 13{\cdot}0$			$p = 13{\cdot}2$			$p = 13{\cdot}4$			$p = 13{\cdot}6$			$p = 13{\cdot}8$			$p = 14{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·5	·9908684	−2990 −62	−167	·9904492	−3118 −64	−172	·9900127	−3249 −65	−176	·9895584	−3363 −67	−184	·9890857	−3521 −68	−190	·9885941	6·5
6·6	·9924411	−2554 −56	−141	·9920926	−2663 −57	−146	·9917295	−2776 −59	−150	·9913514	−2892 −61	−155	·9909578	−3014 −63	−160	·9905481	6·6
6·7	·9937584	−2171 −50	−116	·9934697	−2266 −52	−122	·9931687	−2363 −54	−126	·9928552	−2467 −55	−131	·9925285	−2571 −57	−135	·9921883	6·7
6·8	·9948586	−1839 −46	−98	·9946202	−1920 −47	−102	·9943716	−2006 −48	−106	·9941123	−2091 −50	−110	·9938421	−2182 −51	−114	·9935606	6·8
6·9	·9957749	−1553 −40	−82	·9955787	−1623 −41	−85	·9953739	−1695 −43	−88	·9951603	−1770 −45	−92	·9949375	−1847 −46	−95	·9947053	6·9
7·0	·9965359	−1306 −36	−68	·9963749	−1366 −37	−71	·9962067	−1426 −38	−73	·9960313	−1491 −40	−76	·9958482	−1557 −41	−79	·9956573	7·0
7·1	·9971663	−1097 −31	−56	·9970345	−1146 −32	−58	·9968969	−1199 −33	−61	·9967532	−1253 −35	−63	·9966032	−1306 −37	−65	·9964467	7·1
7·2	·9976870	−916 −27	−46	·9975795	−959 −28	−48	·9974672	−1003 −28	−50	·9973498	−1047 −31	−52	·9972274	−1095 −31	−54	·9970995	7·2
7·3	·9981161	−764 −23	−37	·9980286	−799 −25	−39	·9979372	−835 −25	−41	·9978417	−875 −27	−43	·9977420	−915 −27	−44	·9976378	7·3
7·4	·9984688	−635 −20	−31	·9983978	−654 −22	−32	·9983237	−696 −22	−33	·9982461	−727 −23	−35	·9981651	−760 −24	−36	·9980805	7·4
7·5	·9987580	−526 −18	−25	·9987006	−551 −17	−26	·9986406	−577 −19	−27	·9985778	−603 −20	−28	·9985122	−631 −21	−29	·9984437	7·5
7·6	·9989946	−435 −15	−20	·9989483	−456 −15	−21	·9988998	−475 −17	−22	·9988492	−499 −17	−23	·9987962	−522 −16	−24	·9987409	7·6
7·7	·9991877	−356 −13	−16	·9991504	−374 −13	−17	·9991115	−394 −14	−18	·9990707	−412 −15	−18	·9990280	−430 −15	−19	·9989834	7·7
7·8	·9993450	−295 −10	−13	·9993151	−310 −11	−14	·9992838	−323 −11	−14	·9992510	−337 −12	−15	·9992168	−355 −13	−16	·9991810	7·8
7·9	·9994728	−242 −9	−11	·9994488	−252 −10	−11	·9994238	−265 −9	−12	·9993976	−279 −10	−12	·9993701	−290 −11	−13	·9993414	7·9
8·0	·9995764	−197 −8	−9	·9995573	−207 −9	−9	·9995373	−217 −8	−9	·9995163	−228 −9	−10	·9994944	−237 −10	−10	·9994715	8·0
8·1	·9996603	−162 −6	−7	·9996451	−170 −7	−7	·9996291	−176 −7	−7	·9996124	−185 −6	−8	·9995950	−195 −6	−8	·9995767	8·1
8·2	·9997280	−131 −5	−6	·9997159	−136 −5	−6	·9997033	−145 −6	−6	·9996900	−151 −6	−6	·9996761	−157 −7	−6	·9996616	8·2
8·3	·9997826	−106 −4	−4	·9997731	−113 −4	−4	·9997630	−117 −5	−5	·9997525	−123 −5	−5	·9997415	−129 −6	−5	·9997299	8·3
8·4	·9998266	−87		·9998190	−91	−4	·9998110	−94 −4	−4	·9998027	−99 −4	−4	·9997940	−103 −5	−4	·9997849	8·4
8·5	·9998619	−71		·9998559	−72		·9998496	−77		·9998430	−80 −4		·9998362	−84 −4		·9998290	8·5
8·6	·9998901	−55		·9998854	−59		·9998805	−62		·9998753	−65		·9998700	−69		·9998642	8·6
8·7	·9999128	−47		·9999091	−49		·9999052	−50		·9999011	−52		·9998969	−54		·9998924	8·7
8·8	·9999308	−36		·9999279	−37		·9999249	−40		·9999217	−42		·9999184	−44		·9999149	8·8
8·9	·9999452	−29		·9999430	−32		·9999406	−32		·9999381	−34		·9999355	−35		·9999328	8·9
9·0	·9999567	−24		·9999549	−23		·9999531	−26		·9999511	−26		·9999491	−28		·9999470	9·0
9·1	·9999658	−18		·9999645	−21		·9999630	−20		·9999615	−22		·9999599	−22		·9999582	9·1
9·2	·9999731	−15		·9999720	−15		·9999709	−17		·9999697	−17		·9999685	−19		·9999672	9·2
9·3	·9999788	−12		·9999780	−13		·9999771	−13		·9999762	−14		·9999752	−14		·9999742	9·3
9·4	·9999833	−10		·9999827	−10		·9999820	−10		·9999813	−11		·9999806	−11		·9999798	9·4
9·5	·9999869	−8		·9999864	−8		·9999859	−8		·9999854	−9		·9999848	−9		·9999842	9·5
9·6	·9999897	−6		·9999894	−7		·9999890	−7		·9999885	−6		·9999881	−7		·9999876	9·6
9·7	·9999920	−5		·9999917	−6		·9999914	−5		·9999910	−5		·9999907	−6		·9999904	9·7
9·8	·9999937	−4		·9999935	−4		·9999933	−4		·9999930	−4		·9999928	−5		·9999925	9·8
9·9	·9999951			·9999949			·9999947			·9999946	−4		·9999944	−4		·9999941	9·9
10·0	·9999962			·9999960			·9999959			·9999958			·9999956			·9999954	10·0
10·1	·9999970			·9999969			·9999968			·9999967			·9999966			·9999965	10·1
10·2	·9999977			·9999976			·9999975			·9999974			·9999974			·9999973	10·2
10·3	·9999982			·9999981			·9999981			·9999980			·9999979			·9999979	10·3
10·4	·9999986			·9999986			·9999985			·9999985			·9999984			·9999984	10·4
10·5	·9999989			·9999989			·9999988			·9999988			·9999988			·9999987	10·5
10·6	·9999992			·9999991			·9999991			·9999991			·9999991			·9999990	10·6
10·7	·9999994			·9999993			·9999993			·9999993			·9999993			·9999992	10·7
10·8	·9999995			·9999995			·9999995			·9999995			·9999994			·9999994	10·8
10·9	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	10·9
11·0	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·0
11·1	·9999998			·9999998			·9999998			·9999998			·9999997			·9999997	11·1
11·2	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·2
11·3	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	11·7
11·8																	11·8

	p = 14·0		p = 14·2			p = 14·4			p = 14·6			p = 14·8			p = 15·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·5	−3666 −70	−196	·9880829	−3611 −71	−262	·9875515	−3962 −73	−208	·9869994	−4117 −76	−214	·9864259	−4276 −75	−220	·9858304	−4443 −76	−227	6·5
6·6	−3136 −66	−166	·9901219	−3268 −65	−171	·9896785	−3400 −67	−176	·9892176	−3636 −71	−182	·9887384	−3678 −70	−188	·9882404	−3821 −71	−192	6·6
6·7	−2679 −69	−146	·9918341	−2790 −66	−144	·9914655	−2906 −60	−149	·9910820	−3024 −65	−154	·9906831	−3147 −65	−159	·9902683	−3274 −88	−164	6·7
6·8	−2276 −54	−117	·9932673	−2372 −58	−121	·9929619	−2472 −54	−125	·9926440	−2576 −59	−129	·9923131	−2682 −59	−134	·9919688	−2792 −61	−136	6·8
6·9	−1927 −49	−98	·9944633	−2011 −51	−101	·9942111	−2096 −49	−106	·9939484	−2184 −54	−108	·9936749	−2277 −63	−112	·9933901	−2371 −65	−116	6·9
7·0	−1626 −44	−82	·9954582	−1696 −47	−85	·9952507	−1771 −44	−67	·9950344	−1647 −49	−91	·9948090	−1925 −49	−94	·9945743	−2007 −49	−96	7·0
7·1	−1366 −38	−68	·9962835	−1428 −42	−70	·9961132	−1489 −40	−73	·9959357	−1654 −44	−75	·9957506	−1621 −45	−78	·9955578	−1892 −44	−62	7·1
7·2	−1146 −34	−56	·9969660	−1195 −38	−58	·9968268	−1249 −36	−60	·9966816	−1305 −39	−62	·9965301	−1362 −41	−64	·9963721	−1419 −46	−66	7·2
7·3	−958 −30	−46	·9975290	−996 −34	−46	·9974155	−1643 −32	−56	·9972970	−1089 −36	−51	·9971734	−1137 −37	−53	·9970445	−1188 −38	−55	7·3
7·4	−795 −27	−38	·9979922	−833 −30	−30	·9978999	−870 −29	−41	·9978035	−908 −31	−42	·9977030	−949 −32	−44	·9975981	−992 −32	−46	7·4
7·5	−660 −24	−31	·9983721	−690 −27	−32	·9982973	−721 −26	−33	·9982192	−755 −27	−35	·9981377	−769 −27	−36	·9980525	−623 −27	−36	7·5
7·6	−547 −22	−25	·9986830	−571 −24	−26	·9986226	−698 −23	−27	·9985594	−824 −25	−28	·9984935	−653 −23	−29	·9984246	−882 −23	−30	7·6
7·7	−449 −19	−20	·9989368	−471 −20	−21	·9988881	−492 −18	−22	·9988372	−616 −23	−23	·9987840	−538 −19	−24	·9987285	−564 −19	−25	7·7
7·8	−372 −14	−16	·9991435	−388 −15	−17	·9991044	−407 −14	−16	·9990634	−424 −20	−18	·9990207	−445 −18	−19	·9989760	−464 −16	−20	7·8
7·9	−303 −11	−13	·9993114	−318 −12	−14	·9992800	−332 −12	−14	·9992472	−348 −15	−16	·9992129	−364 −13	−16	·9991771	−381 −14	−17	7·9
8·0	−249 −10	−11	·9994475	−260 −10	−11	·9994224	−272 −11	−12	·9993962	−286 −12	−12	·9993687	−297 −11	−12	·9993401	−312 −12	−14	8·0
8·1	−203 −8	−8	·9995576	−213 −8	−9	·9995376	−223 −9	−9	·9995166	−232 −10	−9	·9994948	−245 −9	−10	·9994719	−255 −10	−11	8·1
8·2	−166 −7	−7	·9996464	−173 −7	−7	·9996305	−162 −7	−7	·9996138	−190 −8	−8	·9995964	−198 −6	−8	·9995782	−207 −9	−6	8·2
8·3	−133 −8	−6	·9997179	−141 −6	−6	·9997052	−146 −6	−6	·9996920	−153 −8	−6	·9996782	−161 −7	−6	·9996638	−169 −8	−7	8·3
8·4	−109 −5	−4	·9997753	−113 −6	−4	·9997653	−119 −6	−5	·9997549	−125 −5	−6	·9997439	−130 −6	−5	·9997325	−136 −6	−6	8·4
8·5	−89 −4		·9998214	−92 −4		·9998135	−96 −4	−4	·9998053	−161 −4	−4	·9997966	−105 −6	−4	·9997876	−111 −4	−6	8·5
8·6	−71		·9998583	−75		·9998521	−77		·9998456	−82		·9998388	−86		·9998316	−88	−4	8·6
8·7	−67		·9998877	−69		·9998828	−61		·9998777	−66		·9998724	−68		·9998668	−72		8·7
8·8	−46		·9999112	−46		·9999074	−60		·9999034	−63		·9998992	−56		·9998948	−67		8·8
8·9	−37		·9999299	−39		·9999269	−41		·9999238	−42		·9999205	−44		·9999171	−45		8·9
9·0	−30		·9999447	−31		·9999424	−33		·9999400	−34		·9999374	−36		·9999347	−36		9·0
9·1	−24		·9999565	−25		·9999547	−26		·9999528	−27		·9999508	−26		·9999487	−29		9·1
9·2	−19		·9999658	−19		·9999644	−20		·9999629	−21		·9999614	−23		·9999598	−24		9·2
9·3	−15		·9999732	−16		·9999721	−16		·9999709	−16		·9999697	−17		·9999685	−16		9·3
9·4	−12		·9999790	−12		·9999781	−12		·9999773	−13		·9999763	−14		·9999754	−16		9·4
9·5	−10		·9999836	−10		·9999829	−10		·9999822	−10		·9999815	−11		·9999808	−12		9·5
9·6	−6		·9999872	−6		·9999867	−8		·9999861	−8		·9999856	−9		·9999850	−9		9·6
9·7	−6		·9999900	−6		·9999896	−6		·9999892	−7		·9999888	−7		·9999883	−7		9·7
9·8	−6		·9999922	−5		·9999919	−5		·9999916	−5		·9999913	−6		·9999909	−5		9·8
9·9	−4		·9999939	−4		·9999937	−4		·9999935	−4		·9999932	−4		·9999930	−4		9·9
10·0			·9999953			·9999951			·9999949			·9999947			·9999945			10·0
10·1			·9999963			·9999962			·9999961			·9999959			·9999958			10·1
10·2			·9999972			·9999971			·9999970			·9999968			·9999967			10·2
10·3			·9999978			·9999977			·9999976			·9999976			·9999975			10·3
10·4			·9999983			·9999982			·9999982			·9999981			·9999981			10·4
10·5			·9999987			·9999986			·9999986			·9999986			·9999985			10·5
10·6			·9999990			·9999990			·9999989			·9999989			·9999988			10·6
10·7			·9999992			·9999992			·9999992			·9999991			·9999991			10·7
10·8			·9999994			·9999994			·9999994			·9999993			·9999993			10·8
10·9			·9999995			·9999995			·9999995			·9999995			·9999995			10·9
11·0			·9999996			·9999996			·9999996			·9999996			·9999996			11·0
11·1			·9999997			·9999997			·9999997			·9999997			·9999997			11·1
11·2			·9999998			·9999998			·9999998			·9999998			·9999998			11·2
11·3			·9999998			·9999998			·9999998			·9999998			·9999998			11·3
11·4			·9999999			·9999999			·9999999			·9999999			·9999999			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			1·0000000			1·0000000			1·0000000			1·0000000			·9999999			11·7
11·8															1·0000000			11·8

	$p = 15{\cdot}0$			$p = 15{\cdot}2$			$p = 15{\cdot}4$			$p = 15{\cdot}6$			$p = 15{\cdot}8$			$p = 16{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·5	·0000000																·5
·6	·0000000	0 +1															·6
·7	·0000000	+2 +3		·0000000	+2 +2		·0000000	+2 +1		·0000000	+1 +2		·0000000	+1 +1		·0000000	·7
·8	·0000003	+7 +14		·0000002	+6 +10		·0000002	+4 +7		·0000001	+5 +5		·0000001	+3 +6		·0000001	·8
·9	·0000013	+26 +25		·0000010	+22 +20		·0000008	+18 +17		·0000007	+15 +21		·0000005	+12 +13		·0000004	·9
1·0	·0000049	+70 +66		·0000040	+58 +51		·0000032	+49 +43		·0000026	+42 +32		·0000021	+34 +32		·0000017	1·0
1·1	·0000155	+171 +94	+6	·0000128	+145 +85	+4	·0000105	+123 +76	+4	·0000087	+103 +72		·0000071	+86 +61		·0000058	1·1
1·2	·0000432	+368 +158	+13	·0000361	+317 +139	+11	·0000301	+273 +127	+10	·0000251	+236 +111	+8	·0000209	+203 +100	+7	·0000174	1·2
1·3	·0001075	+718 +224	+29	·0000911	+628 +207	+23	·0000770	+550 +187	+22	·0000651	+480 +172	+18	·0000550	+418 +163	+15	·0000464	1·3
1·4	·0002436	+1294 +300	+56	·0002089	+1146 +282	+47	·0001789	+1014 +264	+42	·0001531	+896 +246	+38	·0001309	+791 +228	+31	·0001118	1·4
1·5	·0005091	+2170 +371	+99	·0004413	+1940 +352	+87	·0003822	+1742 +334	+76	·0003307	+1558 +314	+67	·0002859	+1392 +294	+59	·0002470	1·5
1·6	·0009916	+3417 +425	+165	·0008683	+3098 +408	+147	·0007597	+2804 +393	+130	·0006641	+2534 +379	+116	·0005801	+2287 +364	+101	·0005062	1·6
1·7	·0018158	+5069 +444	+260	·0016051	+4668 +452	+232	·0014176	+4259 +433	+208	·0012509	+3880 +419	+188	·0011030	+3546 +412	+168	·0009717	1·7
1·8	·0031489	+7205 +423	+385	·0028077	+6660 +420	+349	·0025014	+6147 +432	+316	·0022267	+5685 +436	+285	·0019805	+5217 +426	+259	·0017602	1·8
1·9	·0052025	+9749 +366	+546	·0046763	+9092 +381	+498	·0041999	+8467 +396	+453	·0037690	+7876 +401	+416	·0033797	+7318 +417	+378	·0030281	1·9
2·0	·0082310	+12658 +256	+738	·0074541	+11906 +285	+680	·0067451	+11183 +306	+626	·0060989	+10488 +331	+577	·0055102	+9826 +343	+529	·0049746	2·0
2·1	·0125253	+15822 +106	+959 +4	·0114224	+15003 +143	+891	·0104086	+14205 +183	+828	·0094776	+13431 +217	+767	·0086233	+12682 +250	+711	·0078401	2·1
2·2	·0184018	+19092 -70	+1201	·0168910	+18244 -21	+1124	·0154926	+17410 +19	+1052	·0141994	+16591 +59	+984	·0130046	+15788 +97	+919	·0119017	2·2
2·3	·0261875	+22292 -261	+1453	·0241840	+21464 -218	+1371	·0223176	+20634 -158	+1291	·0205803	+19810 -118	+1217	·0189647	+18991 -86	+1144	·0174635	2·3
2·4	·0362024	+25231 -447	+1702	·0336234	+24471 -397	+1616	·0312060	+23700 -353	+1536	·0289422	+22916 -298	+1456	·0268239	+22128 -261	+1378	·0248434	2·4
2·5	·0487404	+27723 -618	+1934	·0455099	+27081 -570	+1850	·0424644	+26413 -522	+1768	·0395957	+25724 -481	+1689	·0368959	+25014 -434	+1609	·0343570	2·5
2·6	·0640507	+29597 -751	+2135	·0601045	+29121 -719	+2058	·0563641	+28604 -681	+1979	·0528216	+28051 -639	+1902	·0494693	+27466 -596	+1826	·0462995	2·6
2·7	·0823207	+30720 -846	+2294	·0776112	+30442 -821	+2225	·0731242	+30114 -794	+2154	·0688526	+29739 -762	+2083	·0647893	+29322 -732	+2013	·0609273	2·7
2·8	·1036627	+30997 -892	+2400	·0981621	+30942 -877	+2342	·0928957	+30830 -861	+2282	·0878575	+30665 -849	+2222	·0830415	+30446 -826	+2160	·0784415	2·8
2·9	·1281044	+30382 -879	+2444	·1218072	+30565 -887	+2402	·1157502	+30685 -888	+2356	·1099289	+30742 -876	+2308	·1043383	+30744 -872	+2258	·0989735	2·9
3·0	·1555843	+28888 -833	+2428	·1485088	+29301 -845	+2400	·1416732	+29652 -854	+2369	·1350745	+29943 -867	+2336	·1287095	+30170 -863	+2300	·1225743	3·0
3·1	·1859530	+26561 -734	+2347	·1781405	+27192 -768	+2334	·1705614	+27765 -785	+2321	·1632144	+28277 -804	+2303	·1560977	+28731 -827	+2283	·1492093	3·1
3·2	·2189778	+23500 -605	+2204	·2104914	+24326 -643	+2211	·2022261	+25093 -673	+2212	·1941820	+25807 -702	+2211	·1863590	+26465 -726	+2205	·1787565	3·2
3·3	·2543526	+19834 -457	+2010	·2452748	+20818 -494	+2031 -4	·2364001	+21748 -537	+2049 -4	·2277303	+22635 -575	+2063 -4	·2192668	+23473 -610	+2075 -4	·2110106	3·3
3·4	·2917108	+15711 -298	+1771	·2821395	+16807 -338	+1806 -4	·2727489	+17866 -378	+1838 -4	·2635421	+18888 -419	+1866 -4	·2545219	+19871 -462	+1891 -4	·2456908	3·4
3·5	·3306401	+11295 -132	+1498	·3206849	+12463 -177	+1546	·3108843	+13606 -221	+1590	·3012427	+14722 -266	+1630	·2917641	+15807 -304	+1667	·2824522	3·5
3·6	·3706989	+6747 +28	+1204	·3604766	+7942 -13	+1261	·3503803	+9125 -57	+1314	·3404155	+10290 -96	+1364	·3305870	+11439 -144	+1411	·3208997	3·6
3·7	·4114324	+2227 +162	+900	·4010625	+3408 +127	+962	·3907888	+4587 +90	+1022	·3806173	+5762 +48	+1079	·3705538	+6927 +13	+1134	·3606036	3·7
3·8	·4523886	-2131 +292	+595	·4419892	-999 +256	+661	·4316560	+139 +223	+726	·4213953	+1282 +190	+787	·4112133	+2426 +152	+847	·4011159	3·8
3·9	·4931317	-6197 +379	+302	·4828160	-5160 +357	+368	·4725371	-4086 +331	+433	·4623015	-3008 +303	+497	·4521156	-1918 +278	+559	·4419856	3·9
4·0	·5332551	-9884 +457	+26	·5231278	-8944 +440	+91	·5130096	-7980 +418	+155	·5029069	-6993 +396	+219	·4928260	-5990 +370	+281	·4827733	4·0
4·1	·5723901	-13114 +498	-224	·5625452	-12298 +485	-163	·5526841	-11456 +477	-102	·5428128	-10586 +463	-41	·5329374	-9691 +449	+20	·5230640	4·1
4·2	·6102137	-15846 +525	-444	·6007328	-15167 +522	-445	·5912130	-14455 +511	-386	·5816601	-13714 +504	-331	·5720797	-12943 +493	-275	·5624776	4·2
4·3	·6464528	-18051 +520	-632	·6374037	-17514 +524	-582	·6282964	-16943 +526	-531	·6191360	-16338 +522	-479	·6099277	-15702 +519	-427	·6006767	4·3
4·4	·6808868	-19737 +510	-786	·6723232	-19337 +510	-741	·6636855	-18905 +514	-697	·6549781	-18440 +519	-652	·6462055	-17942 +523	-608	·6373724	4·4
4·5	·7133471	-20913 +475	-903	·7053090	-20650 +486	-867	·6971841	-20353 +496	-830	·6889762	-20023 +503	-791	·6806891	-19659 +506	-752	·6723269	4·5
4·6	·7437161	-21618 +435	-990	·7362298	-21477 +449	-960	·7286474	-21306 +458	-930	·7209720	-21103 +466	-898	·7132068	-20870 +478	-866	·7053550	4·6
4·7	·7719233	-21890 +380	-1045	·7650029	-21861 -395	-1023	·7579801	-21803 +408	-999	·7508575	-21717 +419	-974	·7436375	-21603 +433	-948	·7363227	4·7
4·8	·7979415	-21782 +328	-1073	·7915899	-21850 +343	-1057	·7851325	-21892 +355	-1040	·7785713	-21912 +368	-1021	·7719079	-21903 +380	-1001	·7651444	4·8
4·9	·8217815	-21346 +268	-1077	·8159919	-21496 +281	-1066	·8100957	-21626 +302	-1055	·8040939	-21731 +319	-1042	·7979880	-21817 +333	-1028	·7917792	4·9
5·0	·8434869	-20642 +216	-1061	·8382443	-20858 +239	-1055	·8328963	-21058 +248	-1048	·8274434	-21238 +262	-1041	·8218864	-21398 +271	-1032	·8162263	5·0
5·1	·8631281	-19722 +166	-1027	·8584109	-19990 +189	-1025	·8535911	-20242 +188	-1023	·8486691	-20483 +206	-1020	·8436450	-20708 +225	-1017	·8385192	5·1
5·2	·8807971	-18636 +118	-980	·8765785	-18942 +124	-982	·8722617	-19238 +140	-984	·8678465	-19522 +153	-985	·8633328	-19793 +162	-985	·8587207	5·2
5·3	·8966025	-17440 +75	-924	·8928519	-17770 +78	-929	·8890085	-18094 +97	-933	·8850717	-18408 +106	-937	·8810413	-18716 +123	-940	·8769168	5·3
5·4	·9106639	-16169 +38	-860	·9073483	-16514 +41	-868	·9039459	-16853 +69	-874	·9004561	-17186 +84	-881	·8968782	-17516 +72	-886	·8932118	5·4
5·5	·9231084	-14864 +4	-793	·9201933	-15213 +11	-802	·9171980	-15560 +23	-810	·9141217	-15904 +28	-818	·9109635	-16244 +37	-826	·9077228	5·5
5·6	·9340665	-13559 -20	-724	·9315170	-13904 -14	-734	·9288941	-14248 -8	-743	·9261969	-14592 -4	-752	·9234244	-14935 +6	-761	·9205758	5·6
5·7	·9436687	-12274 -41	-656	·9414503	-12609 -34	-665	·9391654	-12947 -33	-676	·9368129	-13284 -28	-685	·9343918	-13621 -24	-695	·9319013	5·7
5·8	·9520435	-11037 -58	-588	·9501227	-11357 -50	-598	·9481420	-11679 -63	-609	·9461005	-12004 -49	-619	·9439971	-12331 -44	-629	·9418308	5·8
5·9	·9593146	-9858 -71	-523	·9576594	-10160 -63	-534	·9559507	-10464 -68	-544	·9541877	-10778 -63	-554	·9523693	-11085 -67	-564	·9504944	5·9
6·0	·9655999	-8752 -77	-462	·9641801	-9032 -78	-473	·9627130	-9317 -75	-483	·9611976	-9605 -74	-493	·9596330	-9890 -70	-502	·9580182	6·0
6·1	·9710100	-7723 -81	-405	·9697976	-7982 -83	-416	·9685436	-8245 -80	-425	·9672470	-8511 -80	-435	·9659071	-8788 -77	-444	·9645227	6·1
6·2	·9756478	-6778 -84	-354	·9746169	-7012 -89	-363	·9735497	-7252 -88	-372	·9724453	-7497 -84	-381	·9713029	-7747 -82	-390	·9701214	6·2
6·3	·9796078	-5917 -83	-306	·9787350	-6131 -80	-315	·9778306	-6347 -84	-323	·9768939	-6569 -86	-331	·9759240	-6798 -88	-340	·9749202	6·3
6·4	·9829761	-5140 -80	-266	·9822400	-5328 -80	-272	·9814768	-5524 -80	-279	·9806856	-5722 -87	-287	·9798658	-5927 -83	-294	·9790165	6·4
6·5	·9858304	-4448 -76	-227	·9852122	-4612 -75	-233	·9845706	-4784 -76	-240	·9839051	-4962 -84	-247	·9832149	-5144 -80	-253	·9824993	6·5

	p = 16·0		p = 16·2			p = 16·4			p = 16·6			p = 16·8			p = 17·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·5																		·5
·6																		·6
·7	+1 +1		·0000000	0 +1		·0000000			·0000000			·0000000			·0000000			·7
·8	+2 +5		·0000001	+1 +4		·0000000	+3 +3		·0000000	+2 +1		·0000000	+2 +1		·0000000	+1 +2		·8
·9	+10 +11		·0000003	+9 +16		·0000003	+5 +10		·0000002	+5 +8		·0000002	+3 +4		·0000001	+4 +5		·9
1·0	+29 +27		·0000014	+23 +28		·0000011	+20 +19		·0000009	+16 +18		·0000007	+14 +13		·0000006	+10 +17		1·0
1·1	+75 +53		·0000048	+63 +46		·0000039	+54 +39		·0000032	+45 +35		·0000026	+38 +31		·0000021	+33 +23		1·1
1·2	+174 +91	+8	·0000145	+149 +82	+6	·0000121	+127 +75	+4	·0000100	+109 +66		·0000083	+93 +59		·0000069	+79 +54		1·2
1·3	+364 +144	+13	·0000391	+317 +129	+12	·0000330	+275 +117	+9	·0000277	+239 +105	+8	·0000233	+207 +95	+7	·0000196	+179 +86	+6	1·3
1·4	+698 +208	+27	·0000954	+614 +195	+23	·0000814	+540 +179	+20	·0000693	+474 +166	+18	·0000590	+416 +151	+15	·0000502	+365 +136	+12	1·4
1·5	+1240 +281	+50	·0002131	+1106 +259	+46	·0001838	+984 +241	+38	·0001583	+875 +223	+35	·0001363	+776 +209	+30	·0001173	+687 +196	+25	1·5
1·6	+2063 +344	+91	·0004414	+1857 +329	+80	·0003846	+1669 +313	+70	·0003348	+1499 +298	+62	·0002912	+1345 +280	+55	·0002531	+1205 +264	+50	1·6
1·7	+3230 +397	+150	·0008554	+2937 +388	+133	·0007523	+2669 +369	+120	·0006612	+2421 +355	+105	·0005806	+2194 +340	+94	·0005094	+1987 +321	+84	1·7
1·8	+4794 +428	+232	·0015631	+4403 +418	+209	·0013869	+4038 +408	+190	·0012297	+3698 +399	+169	·0010894	+3383 +387	+153	·0009644	+3090 +379	+136	1·8
1·9	+6786 +412	+344	·0027111	+6285 +419	+313	·0024253	+5815 +419	+285	·0021680	+5374 +415	+258	·0019365	+4959 +415	+234	·0017284	+4572 +406	+212	1·9
2·0	+9190 +387	+487	·0044876	+8586 +378	+446	·0040452	+8011 +389	+409	·0036437	+7465 +398	+373	·0032795	+6950 +396	+343	·0029496	+6460 +402	+312	2·0
2·1	+11961 +278	+658	·0071227	+11265 +294	+609	·0064662	+10596 +313	+562	·0058659	+9954 +330	+519	·0053175	+9337 +353	+477	0048168	+8750 +363	+440	2·1
2·2	+15002 +138	+856	·0108843	+14238 +171	+798	·0099468	+13494 +205	+742	·0090835	+12773 +234	+690	·0082892	+12077 +254	+641	·0075590	+11403 +280	+595	2·2
2·3	+18181 −23	+1074	·0160697	+17382 +20	+1009	·0147768	+16597 +56	+945	·0135784	+15826 +95	+888	·0124686	+15071 +132	+827	·0114415	+14336 +161	+775	2·3
2·4	+21337 −204	+1304	·0229933	+20546 −160	+1233	·0212665	+19756 −111	+1162	·0196559	+18974 −74	+1098	·0181551	+18197 −30	+1033	·0167576	+17430 +11	+973	2·4
2·5	+24289 −388	+1534	·0319715	+23550 −338	+1458	·0297318	+22804 −297	+1387	·0276308	+22048 −242	+1315	·0256613	+21293 −204	+1249	·0238167	+20535 −160	+1183	2·5
2·6	+26853 −553	+1760	·0433047	+26216 −513	+1678	·0404775	+25555 −463	+1602	·0378105	+24880 −429	+1533	·0352968	+24185 −377	+1462	·0329293	+23480 −334	+1394	2·6
2·7	+28864 −697	+1941	·0572595	+28369 −659	+1872	·0537787	+27843 −626	+1801	·0504782	+27283 −579	+1732	·0473508	+26700 −535	+1664	·0443899	+26091 −502	+1597	2·7
2·8	+30178 −804	+2097	·0740512	+29863 −776	+2033	·0698642	+29505 −747	+1970	·0658742	+29107 −719	+1906	·0620748	+28670 −682	+1842	·0584596	+28200 −650	+1776	2·8
2·9	+30688 −856	+2206	·0938292	+30581 −846	+2153	·0889002	+30420 −825	+2097	·0841809	+30212 −805	+2042	·0796658	+29958 −785	+1986	·0753493	+29659 −757	+1928	2·9
3·0	+30342 −874	+2281	·1166653	+30453 −868	+2219	·1109782	+30510 −866	+2177	·1055088	+30512 −859	+2132	·1002526	+30461 −846	+2085	·0952049	+30361 −834	+2038	3·0
3·1	+29122 −833	+2258	·1425467	+29457 −846	+2231	·1361072	+29734 −853	+2202	·1298879	+29953 −853	+2169	·1238855	+30118 −854	+2135	·1180966	+30229 −852	+2099	3·1
3·2	+27069 −755	+2198	·1713738	+27615 −774	+2185	·1642096	+28105 −791	+2169	·1572623	+28541 −811	+2152	·1505302	+28921 −826	+2131	·1440112	+29245 −834	+2107	3·2
3·3	+24261 −641	+2086 −4	·2029624	+24999 −674	+2083	·1951225	+25685 −704	+2082	·1874908	+26318 −727	+2079	·1800670	+26898 −747	+2072	·1728503	+27427 −769	+2062	3·3
3·4	+20812 −502	+1912 −4	·2370509	+21709 −538	+1929	·2286039	+22561 −571	+1942	·2203511	+23368 −605	+1953	·2122936	+24128 −636	+1960	·2044321	+24840 −665	+1964	3·4
3·5	+16861 −346	+1700	·2733103	+17881 −385	+1730	·2643414	+18866 −426	+1757	·2555482	+19813 −464	+1780	·2469330	+20722 −505	+1800	·2384979	+21588 −536	+1817	3·5
3·6	+12564 −183	+1455	·3113578	+13668 −229	+1498	·3019655	+14745 −269	+1534	·2927266	+15794 −311	+1568	·2836446	+16811 −345	+1600	·2747225	+17800 −391	+1629	3·6
3·7	+8084 −30	+1186	·3507721	+9226 −67	+1238	·3410641	+10355 −111	+1283	·3314844	+11464 −150	+1327	·3220373	+12555 −194	+1368	·3127271	+13621 −229	+1406	3·7
3·8	+3574 +116	+905	·3911090	+4717 +78	+960	·3811981	+5854 +42	+1014	·3713886	+6984 +5	+1065	·3616855	+8105 −35	+1113	·3520938	+9213 −75	+1160	3·8
3·9	−820 +244	+620	·4319176	+286 +211	+679	·4219176	+1395 +180	+737	·4119912	+2509 +141	+793	·4021442	+3620 +108	+847	·3923818	+4730 +70	+899	3·9
4·0	−4970 +349	+343	·4727548	−3934 +324	+403	·4627766	−2884 +293	+463	·4528447	−1825 +267	+521	·4429649	−757 +236	+577	·4331428	+317 +207	+633	4·0
4·1	−8771 +427	+80	·5131986	−7830 +406	+140	·5033472	−6870 +386	+199	·4935157	−5892 +364	+257	·4837099	−4898 +341	+314	·4739355	−3889 +312	+371	4·1
4·2	−12145 +485	−218	·5528594	−11320 +473	−161	·5432308	−10470 +459	−104	·5335975	−9595 +441	−47	·5239651	−8698 +421	+9	·5143393	−7783 +406	+65	4·2
4·3	−15034 +491	−375	·5913882	−14337 +505	−322	·5820675	−13611 +498	−269	·5727198	−12857 +488	−217	·5633505	−12077 +478	−164	·5539648	−11271 +464	−111	4·3
4·4	−17412 +526	−559	·6284833	−16849 +525	−512	·6195430	−16254 +520	−464	·6105564	−15631 +518	−416	·6015282	−14978 +513	−367	·5924632	−14295 +504	−316	4·4
4·5	−19264 +512	−712	·6638935	−18836 +514	−670	·6553931	−18377 +517	−628	·6468299	−17887 +519	−586	·6382081	−17366 +520	−542	·6295321	−16815 +520	−498	4·5
4·6	−20604 +484	−832	·6974201	−20309 +495	−797	·6894055	−19983 +506	−761	·6813147	−19624 +510	−725	·6731514	−19234 +512	−687	·6649195	−18815 +517	−649	4·6
4·7	−21460 +447	−921	·7289158	−21287 +458	−893	·7214196	−21083 +463	−863	·7138371	−20851 +474	−833	·7061713	−20590 +487	−802	·6984254	−20298 +492	−769	4·7
4·8	−21869 +401	−981	·7582828	−21807 +411	−959	·7513254	−21720 +429	−936	·7442744	−21604 +440	−911	·7371322	−21459 +446	−886	·7299015	−21289 +462	−860	4·8
4·9	−21877 +343	−1014	·7854691	−21916 +363	−998	·7790592	−21928 +372	−980	·7725513	−21917 +387	−962	·7659472	−21882 +405	−943	·7592487	−21818 +411	−923	4·9
5·0	−21542 +293	−1023	·8104638	−21662 +302	−1012	·8046002	−21764 +320	−1001	·7986365	−21843 +333	−988	·7925740	−21900 +346	−974	·7864141	−21936 +366	−959	5·0
5·1	−20914 +232	−1012	·8332923	−21106 +250	−1006	·8279648	−21280 +265	−999	·8225374	−21436 +281	−991	·8170108	−21572 +294	−983	·8113859	−21688 +303	−973	5·1
5·2	−20054 +183	−984	·8540102	−20300 +195	−982	·8492014	−20531 +208	−980	·8442947	−20748 +221	−976	·8392904	−20950 +236	−972	·8341889	−21137 +256	−967	5·2
5·3	−19011 +128	−943	·8726981	−19299 +145	−944	·8683849	−19574 +155	−945	·8639772	−19839 +170	−945	·8594750	−20092 +185	−945	·8548782	−20330 +193	−944	5·3
5·4	−17840 +89	−891	·8894561	−18153 +95	−896	·8856110	−18462 +111	−900	·8816758	−18760 +122	−903	·8776504	−19049 +131	−905	·8735345	−19330 +148	−907	5·4
5·5	−16580 +45	−833	·9043988	−16912 +56	−839	·9009909	−17239 +66	−845	·8974984	−17559 +74	−851	·8939209	−17875 +89	−856	·8902578	−18182 +97	−860	5·5
5·6	−15275 +10	−770	·9176503	−15615 +21	−778	·9146469	−15950 +28	−785	·9115651	−16284 +40	−793	·9084039	−16612 +47	−799	·9051629	−16937 +57	−806	5·6
5·7	−13960 −14	−704	·9293403	−14297 −10	−713	·9267079	−14633 −4	−722	·9240034	−14969 +4	−731	·9212257	−15302 +11	−739	·9183743	−15635 +21	−746	5·7
5·8	−12659 −40	−639	·9396006	−12989 −32	−648	·9373056	−13320 −15	−658	·9349448	−13650 −21	−667	·9325173	−13981 −14	−676	·9300222	−14310 −10	−684	5·8
5·9	−11398 −56	−574	·9485620	−11713 −56	−584	·9465713	−12032 −50	−594	·9445212	−12352 −45	−603	·9424108	−12674 −40	−613	·9402391	−12997 −33	−622	5·9
6·0	−10193 −70	−512	·9563521	−10493 −63	−522	·9546338	−10794 −64	−532	·9528624	−11099 −60	−541	·9510369	−11407 −55	−551	·9491563	−11717 −51	−560	6·0
6·1	−9058 −76	−453	·9630929	−9336 −78	−463	·9616169	−9619 −72	−472	·9600937	−9906 −72	−482	·9585223	−10195 −88	−491	·9569018	−10488 −65	−500	6·1
6·2	−7999 −85	−399	·9689001	−8257 −80	−408	·9676381	−8520 −80	−418	·9663344	−8785 −80	−426	·9649882	−9055 −77	−434	·9635985	−9329 −75	−443	6·2
6·3	−7025 −86	−349	·9738816	−7260 −84	−356	·9728073	−7499 −84	−365	·9716966	−7743 −84	−373	·9705486	−7992 −84	−382	·9693623	−8243 −86	−390	6·3
6·4	−6135 −83	−302	·9781371	−6349 −87	−310	·9772266	−6565 −88	−317	·9762845	−6788 −85	−325	·9753098	−7013 −85	−333	·9743018	−7244 −83	−341	6·4
6·5	−5330 −88	−260	·9817577	−5519 −88	−267	·9809894	−5718 −84	−274	·9801936	−5914 −84	−282	·9793697	−6119 −87	−289	·9785169	−6328 −88	−296	6·5

	$p = 15·0$			$p = 15·2$			$p = 15·4$			$p = 15·6$			$p = 15·8$			$p = 16·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·5	·9858304	−4443 −76	−227	·9852122	−4612 −75	−233	·9845706	−4784 −76	−240	·9839051	−4962 −84	−247	·9832149	−5144 −80	−253	·9824993	6·5
6·6	·9882404	−3821 −71	−192	·9877232	−3971 −70	−199	·9871860	−4123 −71	−205	·9866284	−4281 −80	−211	·9860496	−4441 −76	−217	·9854491	6·6
6·7	·9902683	−3274 −66	−164	·9898371	−3403 −65	−169	·9893891	−3539 −66	−174	·9889236	−3676 −75	−179	·9884402	−3819 −68	−185	·9879382	6·7
6·8	·9919688	−2792 −61	−138	·9916107	−2906 −60	−143	·9912383	−3021 −61	−147	·9908512	−3142 −68	−152	·9904489	−3265 −63	−157	·9900310	6·8
6·9	·9933901	−2371 −55	−116	·9930937	−2469 −55	−120	·9927854	−2571 −56	−124	·9924646	−2675 −61	−128	·9921311	−2784 −57	−132	·9917843	6·9
7·0	·9945743	−2007 −49	−98	·9943298	−2091 −50	−100	·9940754	−2179 −51	−104	·9938105	−2268 −55	−107	·9935349	−2360 −52	−111	·9932483	7·0
7·1	·9955578	−1692 −44	−82	·9953568	−1763 −48	−84	·9951475	−1836 −46	−86	·9949296	−1915 −49	−89	·9947027	−1994 −48	−93	·9944666	7·1
7·2	·9963721	−1419 −40	−66	·9962075	−1481 −41	−69	·9960360	−1546 −41	−72	·9958572	−1610 −44	−74	·9956711	−1680 −40	−77	·9954772	7·2
7·3	·9970445	−1188 −36	−55	·9969101	−1241 −36	−57	·9967699	−1294 −37	−59	·9966238	−1350 −36	−61	·9964715	−1406 −35	−64	·9963129	7·3
7·4	·9975981	−992 −32	−46	·9974886	−1034 −32	−47	·9973744	−1079 −33	−49	·9972554	−1127 −32	−51	·9971313	−1177 −31	−52	·9970019	7·4
7·5	·9980525	−823 −27	−36	·9979637	−861 −28	−39	·9978710	−899 −29	−40	·9977743	−939 −29	−42	·9976734	−979 −27	−43	·9975682	7·5
7·6	·9984246	−682 −23	−30	·9983527	−712 −24	−31	·9982777	−745 −25	−33	·9981993	−777 −25	−34	·9981176	−812 −23	−35	·9980324	7·6
7·7	·9987285	−564 −19	−25	·9986705	−590 −20	−26	·9986099	−616 −22	−27	·9985466	−643 −21	−28	·9984806	−671 −20	−29	·9984118	7·7
7·8	·9989760	−464 −18	−20	·9989293	−485 −18	−21	·9988805	−506 −19	−22	·9988296	−530 −18	−22	·9987765	−555 −17	−23	·9987210	7·8
7·9	·9991771	−381 −14	−17	·9991396	−398 −16	−17	·9991005	−417 −16	−17	·9990596	−435 −14	−18	·9990169	−454 −14	−19	·9989724	7·9
8·0	·9993401	−312 −12	−14	·9993101	−327 −12	−13	·9992788	−342 −13	−14	·9992461	−358 −12	−15	·9992119	−374 −11	−15	·9991762	8·0
8·1	·9994719	−255 −10	−11	·9994479	−265 −11	−11	·9994229	−278 −11	−11	·9993968	−291 −10	−12	·9993695	−304 −9	−12	·9993410	8·1
8·2	·9995782	−207 −9	−8	·9995592	−218 −10	−9	·9995392	−226 −10	−9	·9995184	−237 −8	−9	·9994967	−248 −8	−10	·9994740	8·2
8·3	·9996638	−169 −8	−7	·9996487	−177 −8	−7	·9996329	−186 −9	−7	·9996163	−193 −7	−7	·9995991	−203 −7	−8	·9995810	8·3
8·4	·9997325	−136 −6	−6	·9997205	−142 −7	−6	·9997080	−149 −7	−6	·9996949	−156 −6	−6	·9996812	−162 −6	−6	·9996669	8·4
8·5	·9997876	−111 −4	−5	·9997781	−115 −6	−4	·9997682	−120 −6	−5	·9997579	−127 −5	−5	·9997471	−133 −5	−5	·9997358	8·5
8·6	·9998316	−88	−4	·9998242	−94 −4		·9998164	−98 −4	−4	·9998082	−101 −4	−4	·9997997	−106 −5	−4	·9997908	8·6
8·7	·9998668	−72		·9998609	−74		·9998548	−78		·9998484	−82 −4		·9998417	−86 −4		·9998347	8·7
8·8	·9998948	−57		·9998902	−60		·9998854	−63		·9998804	−66		·9998751	−68		·9998696	8·8
8·9	·9999171	−46		·9999135	−49		·9999097	−50		·9999058	−53		·9999017	−56		·9998973	8·9
9·0	·9999347	−36		·9999319	−38		·9999290	−41		·9999259	−42		·9999227	−44		·9999193	9·0
9·1	·9999487	−29		·9999465	−30		·9999442	−31		·9999418	−33		·9999393	−34		·9999367	9·1
9·2	·9999598	−24		·9999581	−25		·9999563	−26		·9999544	−27		·9999525	−29		·9999504	9·2
9·3	·9999685	−18		·9999672	−20		·9999658	−20		·9999643	−20		·9999628	−21		·9999613	9·3
9·4	·9999754	−15		·9999743	−14		·9999733	−17		·9999722	−18		·9999710	−18		·9999698	9·4
9·5	·9999808	−12		·9999800	−13		·9999791	−11		·9999783	−13		·9999774	−14		·9999764	9·5
9·6	·9999850	−9		·9999844	−9		·9999838	−11		·9999831	−10		·9999824	−11		·9999817	9·6
9·7	·9999883	−7		·9999879	−8		·9999874	−8		·9999869	−9		·9999863	−8		·9999858	9·7
9·8	·9999909	−5		·9999906	−6		·9999902	−6		·9999898	−6		·9999894	−7		·9999890	9·8
9·9	·9999930	−4		·9999927	−5		·9999924	−5		·9999921	−5		·9999918	−6		·9999915	9·9
10·0	·9999945			·9999943	−4		·9999941	−4		·9999939	−4		·9999936	−5		·9999934	10·0
10·1	·9999958			·9999956			·9999954			·9999953			·9999951	−4		·9999949	10·1
10·2	·9999967			·9999966			·9999965			·9999964			·9999962			·9999961	10·2
10·3	·9999975			·9999974			·9999973			·9999972			·9999971			·9999970	10·3
10·4	·9999981			·9999980			·9999979			·9999978			·9999978			·9999977	10·4
10·5	·9999985			·9999984			·9999984			·9999983			·9999983			·9999982	10·5
10·6	·9999988			·9999988			·9999988			·9999987			·9999987			·9999986	10·6
10·7	·9999991			·9999991			·9999991			·9999990			·9999990			·9999989	10·7
10·8	·9999993			·9999993			·9999993			·9999993			·9999992			·9999992	10·8
10·9	·9999995			·9999995			·9999994			·9999994			·9999994			·9999994	10·9
11·0	·9999996			·9999996			·9999996			·9999996			·9999995			·9999995	11·0
11·1	·9999997			·9999997			·9999997			·9999997			·9999997			·9999996	11·1
11·2	·9999998			·9999998			·9999998			·9999997			·9999997			·9999997	11·2
11·3	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·3
11·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999998	11·4
11·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·7
11·8	1·0000000			1·0000000			1·0000000			1·0000000			·9999999			·9999999	11·8
11·9													1·0000000			1·0000000	11·9

	p = 16·0		p = 16·2			p = 16·4			p = 16·6			p = 16·8			p = 17·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·5	−5330 −88	−260	·9817577	−5519 −86	−267	·9809894	−5716 −84	−274	·9801936	−5914 −84	−282	·9793697	−6119 −87	−289	·9785169	−6328 −86	−296	6·5
6·6	−4607 −79	−223	·9848264	−4778 −84	−230	·9841806	−4951 −81	−236	·9835113	−5130 −82	−242	·9828177	−5312 −84	−249	·9820992	−5497 −88	−256	6·6
6·7	−3963 −75	−190	·9874173	−4113 −79	−196	·9868767	−4267 −77	−202	·9863160	−4425 −78	−207	·9857345	−4585 −81	−213	·9851318	−4754 −82	−219	6·7
6·8	−3395 −69	−161	·9895969	−3526 −72	−166	·9891461	−3660 −72	−171	·9886782	−3799 −73	−177	·9881927	−3942 −76	−182	·9876890	−4086 −78	−187	6·8
6·9	−2893 −62	−136	·9914239	−3007 −65	−141	·9910495	−3126 −66	−145	·9906605	−3246 −66	−149	·9902567	−3372 −69	−154	·9898374	−3500 −70	−159	6·9
7·0	−2457 −57	−114	·9929502	−2556 −59	−118	·9926403	−2658 −60	−122	·9923182	−2764 −63	−126	·9919835	−2871 −63	−130	·9916358	−2983 −64	−134	7·0
7·1	−2077 −52	−96	·9942209	−2162 −52	−99	·9939653	−2249 −55	−102	·9936995	−2340 −58	−106	·9934232	−2435 −58	−109	·9931359	−2530 −60	−112	7·1
7·2	−1749 −46	−80	·9952754	−1822 −47	−82	·9950654	−1898 −49	−85	·9948468	−1975 −52	−88	·9946194	−2054 −53	−91	·9943830	−2133 −55	−94	7·2
7·3	−1457 −41	−66	·9961477	−1529 −42	−68	·9959757	−1593 −44	−71	·9957966	−1660 −46	−73	·9956102	−1729 −48	−76	·9954162	−1799 −49	−78	7·3
7·4	−1227 −36	−54	·9968671	−1279 −37	−56	·9967267	−1334 −39	−58	·9965804	−1390 −39	−60	·9964281	−1448 −42	−63	·9962695	−1508 −43	−65	7·4
7·5	−1021 −30	−45	·9974586	−1066 −32	−46	·9973443	−1111 −35	−48	·9972252	−1158 −34	−50	·9971012	−1208 −37	−52	·9969720	−1259 −36	−53	7·5
7·6	−848 −27	−37	·9979435	−885 −28	−38	·9978508	−923 −30	−39	·9977542	−964 −29	−41	·9976535	−1005 −33	−42	·9975486	−1048 −33	−44	7·6
7·7	−702 −24	−30	·9983399	−732 −24	−31	·9982650	−765 −25	−32	·9981868	−798 −25	−33	·9981053	−832 −29	−35	·9980204	−869 −29	−36	7·7
7·8	−576 −20	−24	·9986631	−605 −20	−25	·9986027	−631 −21	−26	·9985396	−656 −21	−27	·9984739	−688 −25	−28	·9984053	−717 −25	−29	7·8
7·9	−476 −18	−20	·9989258	−498 −16	−20	·9988773	−519 −16	−21	·9988266	−543 −18	−22	·9987737	−568 −21	−23	·9987185	−590 −22	−24	7·9
8·0	−390 −14	−16	·9991389	−408 −14	−16	·9991000	−428 −15	−17	·9990593	−444 −16	−18	·9990169	−464 −16	−18	·9989727	−486 −19	−19	8·0
8·1	−316 −11	−13	·9993112	−333 −12	−13	·9992801	−348 −12	−14	·9992476	−363 −14	−14	·9992137	−380 −15	−15	·9991783	−396 −16	−15	8·1
8·2	−260 −9	−10	·9994502	−271 −10	−11	·9994254	−283 −10	−11	·9993996	−297 −12	−11	·9993725	−310 −12	−12	·9993443	−324 −14	−12	8·2
8·3	−211 −6	−8	·9995621	−220 −9	−8	·9995424	−230 −8	−9	·9995219	−242 −10	−9	·9995003	−251 −11	−10	·9994779	−263 −11	−10	8·3
8·4	−170 −7	−6	·9996520	−179 −8	−7	·9996364	−186 −7	−7	·9996200	−194 −9	−7	·9996030	−205 −10	−8	·9995852	−214 −9	−8	8·4
8·5	−139 −6	−5	·9997240	−145 −7	−5	·9997116	−151 −6	−6	·9996987	−158 −7	−6	·9996852	−165 −9	−6	·9996711	−172 −7	−6	8·5
8·6	−111 −5	−4	·9997815	−116 −6	−4	·9997717	−121 −5	−4	·9997616	−128 −6	−5	·9997509	−133 −7	−5	·9997398	−139 −6	−5	8·6
8·7	−90 −4		·9998274	−94 −4		·9998197	−99 −4		·9998117	−102 −5	−4	·9998033	−107 −5	−4	·9997946	−113 −5	−4	8·7
8·8	−72		·9998639	−76		·9998578	−78 −4		·9998516	−83 −4		·9998450	−86 −5		·9998381	−89 −4		8·8
8·9	−57		·9998928	−60		·9998881	−63		·9998832	−65		·9998781	−69 −4		·9998727	−72 −4		8·9
9·0	−46		·9999158	−48		·9999121	−50		·9999083	−53		·9999043	−55		·9999001	−58		9·0
9·1	−37		·9999340	−39		·9999311	−40		·9999281	−41		·9999250	−44		·9999217	−45		9·1
9·2	−28		·9999483	−30		·9999461	−32		·9999438	−34		·9999413	−34		·9999388	−37		9·2
9·3	−24		·9999596	−24		·9999579	−26		·9999561	−27		·9999542	−28		·9999522	−28		9·3
9·4	−19		·9999685	−19		·9999671	−19		·9999657	−20		·9999643	−22		·9999628	−24		9·4
9·5	−15		·9999755	−16		·9999744	−16		·9999733	−16		·9999722	−17		·9999710	−17		9·5
9·6	−12		·9999809	−11		·9999801	−12		·9999793	−14		·9999784	−13		·9999775	−14		9·6
9·7	−9		·9999852	−10		·9999846	−11		·9999839	−11		·9999833	−10		·9999826	−12		9·7
9·8	−7		·9999885	−7		·9999880	−7		·9999876	−9		·9999870	−8		·9999865	−8		9·8
9·9	−6		·9999911	−6		·9999907	−5		·9999904	−6		·9999900	−7		·9999896	−7		9·9
10·0	−4		·9999931	−4		·9999929	−4		·9999926	−5		·9999923	−6		·9999920	−6		10·0
10·1	−4		·9999947	−4		·9999945	−4		·9999943	−4		·9999940	−4		·9999938	−4		10·1
10·2			·9999959			·9999958			·9999956			·9999954			·9999952	−4		10·2
10·3			·9999969			·9999967			·9999966			·9999965			·9999963			10·3
10·4			·9999976			·9999975			·9999974			·9999973			·9999972			10·4
10·5			·9999981			·9999981			·9999980			·9999979			·9999979			10·5
10·6			·9999986			·9999985			·9999985			·9999984			·9999984			10·6
10·7			·9999989			·9999989			·9999988			·9999988			·9999987			10·7
10·8			·9999992			·9999991			·9999991			·9999991			·9999990			10·8
10·9			·9999994			·9999993			·9999993			·9999993			·9999993			10·9
11·0			·9999995			·9999995			·9999995			·9999995			·9999994			11·0
11·1			·9999996			·9999996			·9999996			·9999996			·9999996			11·1
11·2			·9999997			·9999997			·9999997			·9999997			·9999997			11·2
11·3			·9999998			·9999998			·9999998			·9999998			·9999998			11·3
11·4			·9999998			·9999998			·9999998			·9999998			·9999998			11·4
11·5			·9999999			·9999999			·9999999			·9999999			·9999999			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			·9999999			·9999999			·9999999			·9999999			·9999999			11·7
11·8			·9999999			·9999999			·9999999			·9999999			·9999999			11·8
11·9			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			11·9

u	$p = 17{\cdot}0$			$p = 17{\cdot}2$		
	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4
·7	·0000000					
·8	·0000000	+1 +2		·0000000	+1 +1	
·9	·0000001	+4 +5		·0000001	+3 +3	
1·0	·0000006	+10 +17		·0000005	+8 +15	
1·1	·0000021	+33 +23		·0000017	+28 +20	
1·2	·0000069	+79 +54		·0000057	+68 +45	
1·3	·0000196	+179 +86	+6	·0000165	+153 +83	+5
1·4	·0000502	+365 +136	+12	·0000426	+321 +119	+12
1·5	·0001173	+687 +196	+25	·0001008	+608 +183	+22
1·6	·0002531	+1203 +264	+50	·0002198	+1078 +248	+42
1·7	·0005094	+1987 +321	+64	·0004466	+1796 +307	+75
1·8	·0009644	+3090 +379	+136	·0008530	+2821 +353	+124
1·9	·0017284	+4572 +406	+212	·0015415	+4209 +401	+192
2·0	·0029496	+6460 +402	+312	·0026509	+5998 +403	+286
2·1	·0048168	+8750 +383	+440	·0043601	+8190 +372	+406
2·2	·0075590	+11403 +280	+595	·0068883	+10754 +301	+552
2·3	·0114415	+14336 +151	+775	·0104919	+13619 +191	+723
2·4	·0167576	+17430 +11	+973	·0154574	+16675 +47	+914
2·5	·0238167	+20535 −150	+1183	·0220904	+19778 −115	+1118
2·6	·0329293	+23480 −334	+1394	·0307012	+22766 −292	+1327
2·7	·0443899	+26091 −502	+1597	·0415886	+25452 −460	+1530
2·8	·0584596	+28200 −650	+1778	·0550222	+27698 −624	+1715
2·9	·0753493	+29659 −757	+1928	·0712256	+29310 −700	+1870
3·0	·0952049	+30381 −834	+2038	·0903610	+30222 −847	+1988
3·1	·1180966	+30229 −852	+2099	·1125176	+30287 −836	+2060
3·2	·1440112	+29245 −834	+2107	·1377029	+29516 −843	+2082
3·3	·1728503	+27427 −769	+2062	·1658398	+27902 −784	+2049
3·4	·2044321	+24840 −885	+1964	·1967669	+25504 −682	+1964
3·5	·2384979	+21588 −536	+18.7	·2302444	+22424 −602	+1831
3·6	·2747225	+17800 −391	+1629	·2659633	+18742 −394	+1654
3·7	·3127271	+13521 −229	+1405	·3035574	+14665 −285	+1442
3·8	·3520938	+9213 −75	+1160	·3426181	+10305 −110	+1204
3·9	·3923818	+4730 +70	+899	·3827093	+5834 +83	+949
4·0	·4331428	+317 +207	+633	·4233839	+1396 +173	+686
4·1	·4739355	−3889 +312	+371	·4641981	−2869 +288	+426
4·2	·5143393	−7783 +406	+65	·5047254	−6846 +380	+176
4·3	·5539648	−11271 +484	−111	·5445681	−10443 +454	−58
4·4	·5924632	−14295 +504	−318	·5833665	−13588 +495	−269
4·5	·6295321	−16815 +520	−498	·6208063	−16234 +516	−454
4·6	·6649195	−18815 +517	−649	·6566227	−18368 +522	−610
4·7	·6984254	−20298 +492	−769	·6906025	−19975 +497	−736
4·8	·7299015	−21289 +482	−860	·7225847	−21089 +472	−833
4·9	·7592487	−21818 +411	−923	·7524580	−21730 +423	−901
5·0	·7864141	−21936 +366	−959	·7801582	−21948 +380	−944
5·1	·8113859	−21688 +303	−973	·8056638	−21788 +320	−962
5·2	·8341889	−21137 +256	−967	·8289907	−21304 +264	−961
5·3	·8548782	−20330 +193	−944	·8501872	−20558 +213	−941
5·4	·8735345	−19330 +148	−907	·8693279	−19599 +167	−908
5·5	·8902578	−18182 +97	−860	·8865087	−18483 +109	−864
5·6	·9051629	−16937 +57	−806	·9018412	−17258 +86	−811
5·7	·9183743	−15635 +21	−746	·9154481	−15953 +29	−754
5·8	·9300222	−14310 −10	−684	·9274587	−14641 −3	−623
5·9	·9402391	−12997 −33	−622	·9380052	−13320 −30	−631
6·0	·9491563	−11717 −51	−560	·9472197	−12029 −51	−569
6·1	·9569018	−10488 −65	−600	·9552313	−10784 −67	−509
6·2	·9635985	−9329 −75	−443	·9621645	−9506 −77	−452
6·3	·9693623	−8243 −80	−390	·9681371	−8500 −83	−399
6·4	·9743018	−7244 −83	−341	·9732597	−7478 −84	−349
6·5	·9785169	−6328 −86	−290	·9776345	−6541 −85	−303

u	$p = 17{\cdot}4$			$p = 17{\cdot}6$		
	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4
·7						
·8	·0000000	+1 +1		·0000000	+1 +1	
·9	·0000001	+2 +4		·0000001	+2 +3	
1·0	·0000004	+7 +11		·0000003	+7 +6	
1·1	·0000014	+23 +19		·0000012	+18 +21	
1·2	·0000047	+56 +40		·0000039	+50 +32	
1·3	·0000138	+133 +71	+4	·0000116	+114 +87	
1·4	·0000362	+279 +114	+9	·0000307	+245 +98	+8
1·5	·0000865	+539 +155	+19	·0000743	+474 +159	+17
1·6	·0001907	+984 +232	+37	·0001653	+862 +212	+33
1·7	·0003913	+1621 +293	+65	·0003425	+1462 +279	+59
1·8	·0007540	+2571 +350	+109	·0006659	+2341 +335	+99
1·9	·0013738	+3871 +392	+173	·0012234	+3558 +383	+157
2·0	·0023807	+5563 +402	+260	·0021365	+5154 +396	+237
2·1	·0039439	+7657 +378	+371	·0035650	+7148 +389	+342
2·2	·0062728	+10129 +321	+510	·0057083	+9531 +332	+472
2·3	·0096146	+12922 +218	+674	·0088047	+12246 +246	+628
2·4	·0142486	+15933 +82	+859	·0131257	+15206 +114	+606
2·5	·0204759	+19026 −73	+1059	·0189673	+18260 −34	+999
2·6	·0286058	+22046 −251	+1265	·0266369	+21320 −206	+1201
2·7	·0389403	+24815 −418	+1465	·0364385	+24154 −377	+1402
2·8	·0517563	+27188 −573	+1631	·0486555	+26811 −538	+1591
2·9	·0672889	+28944 −705	+1614	·0635336	+28530 −671	+1754
3·0	·0857159	+30017 −795	+1938	·0812647	+29778 −772	+1888
3·1	·1071446	+30295 −841	+2020	·1019736	+30254 −833	+1979
3·2	·1316028	+29732 −844	+2032	·1257079	+29897 −843	+2022
3·3	·1590342	+28325 −798	+2033	·1524319	+28897 −812	+2015
3·4	·1892981	+26120 −719	+1962	·1820256	+26685 −739	+1957
3·5	·2221740	+23196 −602	+1841	·2142878	+23934 −631	+1849
3·6	·2573695	+19670 −462	+1677	·2489434	+20552 −501	+1696
3·7	·2945320	+15682 −311	+1475	·2856542	+16559 −345	+1505
3·8	·3332627	+11383 −154	+1245	·3240319	+12441 −195	+1284
3·9	·3731317	+6930 0	+997	·3636537	+8018 −38	+1042
4·0	·4136937	+2477 +137	+739	·4040773	+3557 +104	+769
4·1	·4545034	−1839 +260	+480	·4448566	−800 +230	+533
4·2	·4951292	−5895 +362	+230	·4855559	−4927 +336	+283
4·3	·5351655	−9589 +431	−5	·5257625	−8718 +419	+47
4·4	·5742429	−12852 +471	−220	·5650973	−12090 +474	−170
4·5	·6120351	−15624 +510	−409	·6032231	−14983 +509	−364
4·6	·6482649	−17856 +522	−570	·6398501	−17377 +520	−530
4·7	·6827061	−19526 +505	−702	·6747394	−19248 +511	−667
4·8	·7151847	−20861 +479	−805	·7077041	−20604 +486	−776
4·9	·7455772	−21617 +439	−679	·7386084	−21476 +450	−856
5·0	·7738080	−21934 +388	−927	·7673651	−21898 +400	−909
5·1	·7998454	−21863 +335	−951	·7939320	−21920 +352	−938
5·2	·8236965	−21457 +282	−954	·8183069	−21590 +295	−946
5·3	·8454019	−20789 +224	−938	·8405228	−20955 +234	−935
5·4	·8650304	−19857 +169	−909	·8606422	−20108 +180	−908
5·5	·8826732	−16776 +118	−667	·8787510	−19055 +131	−870
5·6	·8984384	−17570 +75	−817	·8949540	−17879 +88	−822
5·7	·9124466	−16289 +38	−761	·9093691	−16612 +49	−767
5·8	·9248259	−14970 +7	−701	·9221230	−16298 +14	−702
5·9	·9357082	−13644 −20	−640	·9333473	−13968 −16	−648
6·0	·9452261	−12341 −44	−578	·9431748	−12657 −39	−537
6·1	·9535099	−11085 −66	−518	·9517366	−11385 −57	−527
6·2	·9606852	−9885 −76	−461	·9591599	−10170 −70	−470
6·3	·9668720	−8751 −80	−407	·9655662	−9025 −79	−416
6·4	·9721827	−7717 −86	−357	·9710700	−7959 −85	−365
6·5	·9767217	−6757 −88	−311	·9757779	−6979 −86	−318

$p = 17{\cdot}8$			$p = 18{\cdot}0$	u
$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	
				·7
·0000000	+1 +1		·0000000	·8
·0000001	+2 +2		·0000000	·9
·0000002	+6 +4		·0000002	1·0
·0000009	+16 +16		·0000008	1·1
·0000032	+42 +30		·0000027	1·2
·0000097	+98 +60		·0000081	1·3
·0000260	+214 +88	+7	·0000221	1·4
·0000637	+418 +147	+15	·0000545	1·5
·0001432	+759 +197	+29	·0001240	1·6
·0002996	+1317 +262	+52	·0002619	1·7
·0005877	+2129 +321	+88	·0005183	1·8
·0010887	+3263 +371	+141	·0009681	1·9
·0019160	+4768 +395	+215	·0017170	2·0
·0032201	+6868 +389	+313	·0029066	2·1
·0051910	+8957 +346	+437	·0047174	2·2
·0080576	+11392 +287	+584	·0073689	2·3
·0120834	+14494 +147	+755	·0111166	2·4
·0175586	+17543 +1	+943	·0162442	2·5
·0247881	+20593 −162	+1141	·0230534	2·6
·0340769	+23481 −339	+1340	·0318493	2·7
·0457138	+26030 −494	+1527	·0429248	2·8
·0599537	+28085 −640	+1697	·0565435	2·9
·0770021	+29500 −752	+1835	·0729232	3·0
·0970005	+30163 −814	+1935	·0922209	3·1
·1200152	+30012 −843	+1991	·1145216	3·2
·1460311	+29018 −824	+1995	·1398299	3·3
·1749488	+27200 −754	+1949	·1680668	3·4
·2065865	+24628 −863	+1854	·1990706	3·5
·2406870	+21393 −529	+1713	·2326018	3·6
·2769268	+17629 −387	+1533	·2683527	3·7
·3149295	+13478 −233	+1321	·3059592	3·8
·3542800	+9094 −96	+1086	·3450149	3·9
·3945399	+4834 +71	+838	·3850862	4·0
·4352632	+245 +197	+585	·4257283	4·1
·4760110	−3947 +313	+336	·4664996	4·2
·5163641	−7826 +401	+99	·5069755	4·3
·5559346	−11304 +459	−121	·5467599	4·4
·5943747	−14325 +505	−318	·5854944	4·5
·6313823	−16839 +517	−489	·6228656	4·6
·6667060	−18838 +512	−632	·6586095	4·7
·7001461	−20321 +498	−746	·6925134	4·8
·7315541	−21308 +457	−832	·7244166	4·9
·7608313	−21838 +414	−891	·7542084	5·0
·7879247	−21954 +366	−925	·7818249	5·1
·8128227	−21704 +306	−937	·8072449	5·2
·8355503	−21148 +252	−930	·8304848	5·3
·8561631	−20340 +199	−907	·8515932	5·4
·8747419	−19333 +145	−872	·8706455	5·5
·8913874	−18181 +100	−826	·8877381	5·6
·9062148	−16929 +55	−773	·9029832	5·7
·9193493	−15622 +23	−716	·9165039	5·8
·9309216	−14292 −11	−656	·9284303	5·9
·9410647	−12973 −34	−596	·9388951	6·0
·9499105	−11688 −54	−536	·9480309	6·1
·9575875	−10457 −67	−479	·9559672	6·2
·9642188	−9293 −77	−424	·9628290	6·3
·9699208	−8206 −82	−378	·9687343	6·4
·9748022	−7205 −88	−326	·9737939	6·5

	$p = 18{\cdot}0$		$p = 18{\cdot}2$			$p = 18{\cdot}4$			$p = 18{\cdot}6$			$p = 18{\cdot}8$			$p = 19{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·7																		·7
·8			·0000000			·0000000			·0000000			·0000000			·0000000			·8
·9	+2 +0		·0000000	+2 +2		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000			·9
1·0	+4 +7		·0000002	+4 +6		·0000001	+3 +4		·0000001	+2 +3		·0000001	+2 +3		·0000001	+2 +3		1·0
1·1	+13 +13		·0000006	+12 +11		·0000005	+9 +11		·0000004	+8 +10		·0000003	+8 +8		·0000003	+5 +7		1·1
1·2	+35 +29		·0000022	+30 +25		·0000018	+26 +19		·0000015	+23 +14		·0000012	+18 +17		·0000010	+16 +13		1·2
1·3	+86 +47		·0000068	+73 +45		·0000057	+62 +42		·0000047	+54 +37		·0000039	+47 +29		·0000033	+39 +27		1·3
1·4	+184 +99	+6	·0000187	+161 +77	+5	·0000158	+140 +69	+4	·0000133	+122 +62	+4	·0000113	+105 +57		·0000095	+92 +51		1·4
1·5	+371 +116	+13	·0000467	+326 +117	+11	·0000399	+287 +107	+10	·0000341	+252 +98	+8	·0000292	+220 +92	+7	·0000249	+193 +83	+6	1·5
1·6	+684 +188	+25	·0001073	+608 +176	+21	·0000927	+541 +162	+19	·0000801	+480 +150	+17	·0000691	+427 +135	+15	·0000596	+378 +125	+13	1·6
1·7	+1185 +248	+45	·0002287	+1066 +231	+41	·0001996	+957 +218	+36	·0001741	+858 +205	+31	·0001517	+769 +192	+28	·0001321	+688 +180	+25	1·7
1·8	+1934 +308	+78	·0004567	+1755 +295	+71	·0004022	+1591 +279	+62	·0003539	+1441 +263	+56	·0003112	+1303 +251	+49	·0002734	+1178 +235	+43	1·8
1·9	+2991 +359	+127	·0008602	+2739 +345	+116	·0007639	+2504 +334	+102	·0006778	+2287 +324	+93	·0006010	+2088 +307	+83	·0005325	+1903 +296	+75	1·9
2·0	+4407 +389	+196	·0015376	+4068 +384	+178	·0013760	+3751 +377	+160	·0012304	+3457 +364	+148	·0010996	+3180 +357	+131	·0009819	+2924 +344	+121	2·0
2·1	+6212 +386	+287	·0026218	+5781 +389	+262	·0023632	+5375 +385	+241	·0021287	+4991 +382	+226	·0019162	+4629 +379	+200	·0017237	+4289 +375	+183	2·1
2·2	+8407 +370	+403	·0042841	+7883 +368	+371	·0038879	+7384 +373	+343	·0035261	+6907 +381	+316	·0031957	+6457 +379	+290	·0028944	+6029 +377	+267	2·2
2·3	+10962 +282	+545	·0067347	+10353 +300	+508	·0061510	+9766 +319	+468	·0056142	+9204 +329	+433	·0051209	+8664 +342	+404	·0046680	+8146 +355	+373	2·3
2·4	+13799 +186	+708	·0102206	+13123 +206	+661	·0093907	+12467 +227	+619	·0086227	+11830 +250	+578	·0079125	+11213 +270	+539	·0072562	+10618 +283	+503	2·4
2·5	+16818 +34	+890	·0150188	+16099 +69	+837	·0138771	+15395 +104	+788	·0128142	+14706 +133	+741	·0118254	+14032 +160	+696	·0109062	+13373 +192	+652	2·5
2·6	+19867 −122	+1082	·0214269	+19144 −82	+1026	·0199030	+18427 −49	+972	·0184763	+17715 −11	+919	·0171415	+17011 +27	+868	·0158935	+16320 +53	+822	2·6
2·7	+22796 −293	+1278	·0297494	+22107 −255	+1220	·0277716	+21410 −209	+1161	·0259099	+20713 −171	+1105	·0241587	+20017 −137	+1053	·0225128	+19320 −96	+999	2·7
2·8	+25432 −458	+1468	·0402826	+24815 −417	+1408	·0377812	+24184 −379	+1350	·0354148	+23540 −339	+1292	·0331776	+22886 −298	+1237	·0310641	+22224 −257	+1181	2·8
2·9	+27610 −608	+1640	·0532973	+27106 −571	+1581	·0502092	+26579 −537	+1526	·0472737	+26028 −498	+1469	·0444851	+25457 −458	+1413	·0418378	+24871 −425	+1359	2·9
3·0	+29180 −726	+1784	·0690226	+28826 −695	+1731	·0652951	+28437 −663	+1678	·0617354	+28018 −634	+1626	·0583383	+27570 −606	+1574	·0550986	+27093 −567	+1520	3·0
3·1	+30030 −804	+1892	·0876305	+29851 −782	+1846	·0832247	+29632 −763	+1800	·0789989	+29374 −742	+1754	·0749485	+29077 −712	+1706	·0710687	+28748 −691	+1659	3·1
3·2	+30076 −836	+1955	·1092235	+30094 −832	+1921	·1041175	+30064 −822	+1883	·0991998	+29988 −805	+1843	·0944664	+29872 −796	+1806	·0899136	+29712 −775	+1764	3·2
3·3	+29286 −827	+1972	·1338259	+29505 −831	+1947	·1280167	+29674 −830	+1921	·1223995	+29797 −833	+1892	·1169715	+29871 −824	+1862	·1117297	+29901 −819	+1830	3·3
3·4	+27669 −778	+1939	·1613788	+28085 −788	+1926	·1548833	+28454 −801	+1910	·1485789	+28773 −807	+1893	·1424637	+29046 −817	+1873	·1365359	+29271 −822	+1852	3·4
3·5	+25274 −682	+1856	·1917402	+25877 −709	+1855	·1845953	+26433 −731	+1852	·1776356	+26942 −749	+1848	·1708605	+27404 −764	+1838	·1642692	+27819 −776	+1827	3·5
3·6	+22197 −564	+1727	·2246893	+22960 −593	+1738	·2169506	+23681 −620	+1746	·2093865	+24362 −651	+1750	·2019977	+24998 −674	+1755	·1947844	+25591 −695	+1756	3·6
3·7	+18556 −423	+1558	·2599344	+19450 −461	+1580	·2516740	+20309 −494	+1599	·2435736	+21131 −523	+1616	·2356347	+21918 −556	+1630	·2278587	+22668 −590	+1641	3·7
3·8	+14492 −272	+1355	·2971245	+15479 −303	+1387	·2884283	+16443 −344	+1416	·2798738	+17377 −380	+1442	·2714635	+18282 −415	+1466	·2631998	+19155 −445	+1488	3·8
3·9	+10156 −112	+1128	·3358625	+11205 −157	+1167	·3268269	+12233 −191	+1204	·3179117	+13243 −229	+1239	·3091205	+14231 −266	+1272	·3004564	+15197 −306	+1302	3·9
4·0	+5708 +32	+885	·3757210	+6774 −1	+930	·3664488	+7832 −38	+973	·3572739	+8880 −76	+1015	·3482006	+9914 −111	+1054	·3392327	+10933 −143	+1092	4·0
4·1	+1292 +170	+635	·4162569	+2342 +139	+684	·4068539	+3393 +104	+732	·3975241	+4441 +72	+778	·3882721	+5486 +35	+822	·3791023	+6526 −5	+865	4·1
4·2	−2954 +283	+388	·4570270	−1951 +254	+439	·4475983	−942 +228	+488	·4382184	+74 +197	+537	·4288922	+1093 +170	+584	·4196245	+2114 +141	+631	4·2
4·3	−6915 +377	+150	·4976020	−5990 +359	+201	·4882485	−5049 +334	+251	·4789201	−4096 +311	+300	·4696216	−3130 +282	+349	·4603581	−2157 +258	+398	4·3
4·4	−10499 +450	−72	·5375780	−9670 +432	−23	·5283938	−8822 +417	+26	·5192122	−7955 +399	+74	·5100380	−7071 +380	+122	·5008760	−6170 +356	+170	4·4
4·5	−13633 +494	−272	·5765870	−12918 +486	−226	·5676569	−12178 +473	−180	·5587088	−11415 +458	−134	·5497473	−10632 +447	−88	·5407769	−9827 +432	−43	4·5
4·6	−16273 +513	−448	·6143042	−15680 +508	−406	·6057022	−15061 +505	−364	·5970639	−14417 +503	−321	·5883934	−13746 +492	−279	·5796951	−13052 +483	−236	4·6
4·7	−18400 +520	−595	·6504534	−17934 +523	−559	·6422414	−17439 +521	−521	·6339773	−16916 +514	−483	·6256649	−16368 +514	−445	·6173081	−15794 +512	−408	4·7
4·8	−20007 +500	−715	·6848092	−19665 +503	−683	·6770367	−19296 +507	−651	·6691991	−18901 +517	−618	·6612996	−18476 +516	−585	·6533417	−18024 +515	−550	4·8
4·9	−21114 +468	−806	·7171985	−20893 +477	−780	·7099024	−20646 +488	−754	·7025308	−20369 +490	−726	·6950867	−20068 +500	−697	·6875729	−19739 +505	−668	4·9
5·0	−21753 +427	−871	·7474985	−21644 +441	−850	·7407035	−21508 +449	−829	·7338256	−21347 +459	−807	·7268670	−21160 +467	−783	·7198302	−20949 +479	−759	5·0
5·1	−21965 +376	−910	·7756341	−21954 +386	−895	·7693538	−21921 +401	−879	·7629857	−21866 +417	−862	·7565313	−21785 +426	−844	·7499926	−21680 +433	−825	5·1
5·2	−21801 +322	−927	·8015743	−21878 +339	−917	·7958120	−21933 +348	−905	·7899592	−21968 +359	−893	·7840171	−21984 +376	−880	·7779870	−21978 +392	−866	5·2
5·3	−21315 +268	−925	·8253267	−21463 +278	−918	·8200769	−21597 +298	−911	·8147359	−21711 +309	−904	·8093045	−21807 +321	−895	·8037836	−21884 +332	−885	5·3
5·4	−20561 +210	−906	·8469328	−20770 +226	−903	·8421821	−20963 +233	−900	·8373415	−21145 +254	−896	·8324112	−21309 +266	−891	·8273918	−21458 +280	−886	5·4
5·5	−19597 +158	−873	·8664619	−19851 +169	−874	·8621910	−20096 +189	−874	·8578326	−20325 +194	−873	·8533870	−20545 +210	−872	·8488542	−20752 +225	−870	5·5
5·6	−18475 +109	−830	·8840059	−18763 +124	−833	·8801903	−19040 +130	−836	·8762912	−19311 +147	−838	·8723083	−19571 +156	−840	·8682414	−19821 +167	−841	5·6
5·7	−17244 +65	−779	·8996736	−17551 +76	−784	·8962856	−17854 +89	−789	·8928187	−18150 +97	−794	·8892725	−18441 +112	−797	·8856465	−18723 +122	−801	5·7
5·8	−15943 +26	−723	·9135862	−16263 +37	−730	·9105955	−16579 +44	−736	·9075312	−16892 +56	−742	·9043926	−17199 +63	−748	·9011793	−17503 +74	−753	5·8
5·9	−14616 −1	−664	·9258725	−14938 +5	−672	·9232475	−15260 +17	−680	·9205545	−15578 +21	−687	·9177928	−15894 +28	−694	·9149618	−16209 +40	−700	5·9
6·0	−13290 −31	−605	·9366650	−13608 −24	−613	·9343735	−13924 −13	−621	·9320200	−14243 −11	−629	·9296036	−14561 −2	−637	·9271234	−14875 −1	−644	6·0
6·1	−11995 −55	−545	·9460967	−12302 −42	−554	·9441071	−12611 −36	−562	·9420612	−12919 −37	−571	·9399583	−13230 −31	−579	·9377975	−13542 −23	−587	6·1
6·2	−10745 −69	−488	·9542982	−11038 −65	−496	·9525796	−11334 −59	−505	·9508105	−11632 −52	−513	·9489900	−11930 −52	−522	·9471174	−12232 −46	−530	6·2
6·3	−9563 −73	−433	·9613959	−9839 −72	−441	·9599187	−10116 −73	−450	·9583966	−10397 −69	−458	·9568287	−10682 −64	−466	·9552141	−10968 −62	−475	6·3
6·4	−8457 −82	−381	·9675097	−8712 −82	−389	·9662462	−8971 −79	−397	·9649430	−9233 −77	−405	·9635992	−9498 −77	−413	·9622140	−9766 −76	−422	6·4
6·5	−7434 −85	−333	·9727523	−7667 −83	−341	·9716766	−7904 −84	−349	·9705661	−8146 −85	−356	·9694199	−8391 −84	−364	·9682373	−8640 −82	−372	6·5

	$p = 17{\cdot}0$			$p = 17{\cdot}2$			$p = 17{\cdot}4$			$p = 17{\cdot}6$			$p = 17{\cdot}8$			$p = 18{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·5	·9785169	−6326 −86	−296	·9776345	−6541 −85	−303	·9767217	−6757 −88	−311	·9757779	−6979 −86	−318	·9748022	−7205 −86	−328	·9737939	6·5
6·6	·9820992	−5497 −88	−256	·9813552	−5689 −85	−262	·9805850	−5885 −86	−269	·9797879	−6085 −84	−270	·9789631	−6287 −89	−283	·9781101	6·6
6·7	·9851318	−4764 −82	−219	·9845070	−4922 −82	−225	·9838598	−5097 −84	−231	·9831894	−5274 −80	−238	·9824953	−5468 −85	−244	·9817768	6·7
6·8	·9876890	−4088 −78	−187	·9871666	−4240 −78	−192	·9866249	−4393 −80	−198	·9860635	−4552 −78	−203	·9854817	−4713 −81	−209	·9848791	6·8
6·9	·9898374	−3500 −70	−159	·9894022	−3631 −73	−163	·9889507	−3767 −75	−168	·9884824	−3906 −72	−173	·9879968	−4050 −77	−176	·9874934	6·9
7·0	·9916358	−2963 −64	−134	·9912747	−3096 −66	−138	·9908998	−3218 −69	−142	·9905107	−3338 −68	−147	·9901069	−3462 −72	−151	·9896881	7·0
7·1	·9931359	−2530 −60	−112	·9928374	−2630 −63	−116	·9925273	−2733 −62	−120	·9922052	−2838 −63	−123	·9918708	−2947 −66	−127	·9915237	7·1
7·2	·9943830	−2139 −55	−94	·9941371	−2224 −58	−97	·9938815	−2312 −57	−100	·9936159	−2403 −59	−104	·9933400	−2499 −59	−107	·9930533	7·2
7·3	·9954162	−1799 −49	−78	·9952144	−1873 −52	−81	·9950045	−1948 −52	−84	·9947863	−2027 −54	−86	·9945594	−2107 −54	−89	·9943236	7·3
7·4	·9962695	−1508 −43	−65	·9961044	−1570 −47	−67	·9959327	−1638 −47	−69	·9957540	−1702 −49	−72	·9955681	−1770 −49	−74	·9953748	7·4
7·5	·9969720	−1259 −38	−53	·9968374	−1312 −42	−55	·9966973	−1366 −42	−57	·9965515	−1422 −46	−59	·9963998	−1482 −43	−61	·9962419	7·5
7·6	·9975486	−1048 −33	−44	·9974392	−1092 −37	−45	·9973253	−1137 −39	−47	·9972068	−1185 −36	−49	·9970833	−1235 −36	−50	·9969548	7·6
7·7	·9980204	−859 −29	−36	·9979318	−906 −33	−37	·9978396	−948 −33	−39	·9977434	−993 −31	−40	·9976433	−1026 −32	−41	·9975391	7·7
7·8	·9984053	−717 −25	−29	·9983338	−748 −27	−30	·9982593	−780 −28	−31	·9981817	−816 −27	−33	·9981007	−849 −28	−34	·9980164	7·8
7·9	·9987185	−590 −22	−24	·9986610	−617 −23	−25	·9986010	−644 −24	−26	·9985384	−670 −24	−27	·9984732	−700 −24	−28	·9984053	7·9
8·0	·9989727	−486 −19	−19	·9989265	−508 −20	−20	·9988783	−528 −21	−21	·9988281	−552 −21	−21	·9987757	−576 −22	−22	·9987211	8·0
8·1	·9991783	−396 −16	−15	·9991414	−416 −16	−16	·9991028	−433 −17	−17	·9990626	−452 −18	−17	·9990206	−471 −19	−18	·9989769	8·1
8·2	·9993443	−324 −14	−12	·9993148	−333 −13	−13	·9992840	−352 −15	−13	·9992519	−369 −16	−14	·9992184	−386 −18	−14	·9991835	8·2
8·3	·9994779	−263 −11	−10	·9994544	−274 −11	−10	·9994300	−289 −12	−10	·9994044	−300 −13	−11	·9993777	−313 −13	−11	·9993499	8·3
8·4	·9995852	−214 −8	−8	·9995666	−224 −9	−8	·9995471	−232 −10	−9	·9995269	−244 −11	−9	·9995057	−256 −11	−9	·9994836	8·4
8·5	·9996711	−172 −7	−6	·9996564	−180 −8	−7	·9996410	−189 −7	−7	·9996250	−197 −9	−7	·9996082	−206 −10	−7	·9995907	8·5
8·6	·9997398	−139 −6	−5	·9997282	−146 −6	−6	·9997160	−151 −8	−6	·9997034	−159 −8	−6	·9996901	−165 −8	−6	·9996763	8·6
8·7	·9997946	−113 −5	−4	·9997854	−117 −5	−4	·9997759	−124 −5	−4	·9997659	−129 −8	−5	·9997555	−135 −6	−5	·9997446	8·7
8·8	·9998381	−89 −4		·9998309	−93 −5		·9998234	−97 −4		·9998156	−103 −6	−4	·9998074	−107 −5	−4	·9997989	8·8
8·9	·9998727	−72 −4		·9998671	−76 −4		·9998612	−79		·9998550	−81		·9998486	−85 −4		·9998419	8·9
9·0	·9999001	−56		·9998957	−60		·9998911	−63		·9998863	−66		·9998813	−69		·9998760	9·0
9·1	·9999217	−45		·9999183	−48		·9999147	−50		·9999110	−53		·9999071	−55		·9999030	9·1
9·2	·9999388	−37		·9999361	−38		·9999333	−39		·9999304	−41		·9999274	−43		·9999242	9·2
9·3	·9999522	−28		·9999501	−29		·9999480	−32		·9999457	−32		·9999434	−35		·9999409	9·3
9·4	·9999628	−24		·9999612	−24		·9999595	−25		·9999578	−27		·9999559	−26		·9999540	9·4
9·5	·9999710	−17		·9999698	−19		·9999685	−19		·9999672	−21		·9999658	−21		·9999643	9·5
9·6	·9999775	−14		·9999766	−15		·9999756	−15		·9999745	−13		·9999734	−16		·9999723	9·6
9·7	·9999826	−12		·9999818	−11		·9999811	−12		·9999803	−11		·9999794	−13		·9999786	9·7
9·8	·9999865	−8		·9999859	−9		·9999854	−10		·9999848	−9		·9999841	−11		·9999834	9·8
9·9	·9999896	−7		·9999891	−7		·9999887	−8		·9999882	−7		·9999877	−9		·9999872	9·9
10·0	·9999920	−6		·9999916	−6		·9999913	−6		·9999909	−6		·9999906	−8		·9999902	10·0
10·1	·9999938	−4		·9999936	−5		·9999933	−5		·9999930	−5		·9999927	−6		·9999924	10·1
10·2	·9999952	−4		·9999950	−4		·9999948	−4		·9999946	−4		·9999944	−4		·9999942	10·2
10·3	·9999963			·9999962			·9999960			·9999959			·9999957			·9999956	10·3
10·4	·9999972			·9999971			·9999970			·9999969			·9999967			·9999966	10·4
10·5	·9999979			·9999978			·9999977			·9999976			·9999975			·9999974	10·5
10·6	·9999984			·9999983			·9999982			·9999982			·9999981			·9999980	10·6
10·7	·9999987			·9999987			·9999986			·9999986			·9999985			·9999985	10·7
10·8	·9999990			·9999990			·9999990			·9999989			·9999989			·9999989	10·8
10·9	·9999993			·9999992			·9999992			·9999992			·9999992			·9999991	10·9
11·0	·9999994			·9999994			·9999994			·9999994			·9999994			·9999993	11·0
11·1	·9999996			·9999996			·9999996			·9999995			·9999995			·9999995	11·1
11·2	·9999997			·9999997			·9999997			·9999996			·9999996			·9999996	11·2
11·3	·9999998			·9999997			·9999997			·9999997			·9999997			·9999997	11·3
11·4	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·4
11·5	·9999999			·9999999			·9999999			·9999998			·9999998			·9999998	11·5
11·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·6
11·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·8
11·9	1·0000000			1·0000000			1·0000000			1·0000000			·9999999			·9999999	11·9
12·0													1·0000000			1·0000000	12·0

	$p = 18{\cdot}0$		$p = 18{\cdot}2$			$p = 18{\cdot}4$			$p = 18{\cdot}6$			$p = 18{\cdot}8$			$p = 19{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·5	−7434 −85	−333	·9727523	−7667 −85	−341	·9716766	−7904 −84	−349	·9705661	−8146 −85	−356	·9694199	−8391 −84	−364	·9682373	−8640 −83	−373	6·5
6·6	−6495 −88	−290	·9772282	−6708 −86	−297	·9763166	−6924 −87	−304	·9753746	−7144 −87	−311	·9744015	−7368 −87	−318	·9733966	−7596 −87	−325	6·6
6·7	−5644 −88	−250	·9810333	−5835 −87	−257	·9802642	−6030 −88	−263	·9794687	−6228 −89	−270	·9786463	−6432 −87	−276	·9777963	−6639 −87	−283	6·7
6·8	−4830 −83	−215	·9842549	−5049 −85	−220	·9836088	−5224 −86	−226	·9829400	−5402 −85	−232	·9822479	−5582 −88	−238	·9815321	−5789 −86	−244	6·8
6·9	−4196 −77	−183	·9869716	−4348 −80	−188	·9864310	−4499 −83	−194	·9858711	−4658 −80	−199	·9852913	−4821 −82	−204	·9846910	−4985 −82	−210	6·9
7·0	−3591 −72	−155	·9892537	−3724 −75	−160	·9888033	−3860 −78	−165	·9883364	−3998 −76	−169	·9878526	−4141 −78	−174	·9873514	−4288 −76	−179	7·0
7·1	−3060 −68	−131	·9911634	−3174 −69	−135	·9907896	−3292 −73	−139	·9904019	−3415 −69	−143	·9899998	−3539 −73	−148	·9895830	−3667 −77	−152	7·1
7·2	−2593 −61	−110	·9927557	−2694 −63	−114	·9924467	−2797 −68	−117	·9921259	−2901 −63	−121	·9917931	−3011 −67	−124	·9914479	−3123 −68	−128	7·2
7·3	−2191 −55	−92	·9940786	−2278 −57	−95	·9938241	−2364 −62	−98	·9935598	−2456 −57	−101	·9932853	−2549 −62	−104	·9930005	−2647 −61	−108	7·3
7·4	−1841 −50	−77	·9951739	−1916 −60	−79	·9949651	−1991 −55	−83	·9947481	−2070 −52	−84	·9945226	−2160 −56	−87	·9942884	−2232 −55	−90	7·4
7·5	−1542 −44	−63	·9960777	−1604 −44	−66	·9959070	−1670 −49	−68	·9957294	−1735 −48	−70	·9955449	−1806 −49	−72	·9953531	−1878 −50	−75	7·5
7·6	−1286 −39	−52	·9968211	−1340 −39	−54	·9966819	−1393 −43	−56	·9965372	−1451 −40	−58	·9963867	−1509 −44	−60	·9962302	−1570 −45	−62	7·6
7·7	−1070 −34	−43	·9974305	−1113 −34	−44	·9973175	−1159 −37	−46	·9971999	−1207 −35	−48	·9970776	−1257 −37	−49	·9969503	−1307 −40	−51	7·7
7·8	−884 −29	−35	·9979286	−923 −29	−36	·9978372	−962 −32	−38	·9977419	−1001 −33	−39	·9976428	−1042 −33	−40	·9975397	−1086 −34	−42	7·8
7·9	−731 −25	−29	·9983344	−760 −25	−30	·9982607	−794 −28	−31	·9981838	−827 −28	−32	·9981038	−862 −28	−33	·9980205	−898 −29	−34	7·9
8·0	−600 −22	3 −2 9	·9986642	−627 −21	−24	·9986048	−652 −23	−25	·9985430	−681 −23	−26	·9984786	−710 −24	−27	·9984115	−739 −26	−28	8·0
8·1	−492 −18	−1 6	·9989313	−514 −18	−19	·9988837	−536 −19	−20	·9988341	−558 −20	−21	·9987824	−582 −22	−22	·9987286	−607 −23	−23	8·1
8·2	−402 −15	−1 2	·9991470	−419 −16	−16	·9991090	−457 −16	−16	·9990694	−457 −17	−17	·9990280	−476 −19	−18	·9989850	−498 −20	−18	8·2
8·3	−327 −12	−1 0	·9993208	−341 −13	−12	·9992906	−358 −15	−13	·9992590	−373 −14	−13	·9992260	−389 −16	−14	·9991916	−404 −17	−14	8·3
8·4	−266 −10	−1	·9994605	−278 −10	−10	·9994364	−289 −11	−10	·9994113	−302 −12	−11	·9993851	−315 −13	−11	·9993578	−330 −14	−12	8·4
8·5	−215 −9	−8	·9995724	−224 −8	−8	·9995533	−234 −10	−8	·9995334	−244 −10	−9	·9995127	−257 −11	−9	·9994910	−267 −12	−9	8·5
8·6	−173 −8	−6	·9996619	−182 −7	−6	·9996468	−190 −8	−7	·9996311	−199 −7	−7	·9996146	−205 −9	−7	·9995975	−215 −11	−7	8·6
8·7	−140 −6	−5	·9997332	−148 −6	−5	·9997213	−153 −7	−5	·9997089	−159 −6	−5	·9996960	−167 −7	−6	·9996825	−175 −10	−6	8·7
8·8	−113 −5	−4	·9997899	−117 −5	−4	·9997806	−123 −6	−4	·9997708	−127 −5	−4	·9997607	−134 −6	−4	·9997500	−138 −9	−5	8·8
8·9	−89 −4		·9998349	−93 −4		·9998276	−98 −5		·9998200	−103 −4		·9998120	−107 −5	−4	·9998037	−113 −7	−4	8·9
9·0	−71		·9998706	−76		·9998648	−77 −4		·9998589	−82 −4		·9998526	−85 −4		·9998461	−89 −5		9·0
9·1	−58		·9998987	−59		·9998943	−60		·9998896	−65		·9998847	−68 −4		·9998796	−70 −4		9·1
9·2	−45		·9999209	−48		·9999174	−49		·9999138	−52		·9999100	−54		·9999061	−56		9·2
9·3	−36		·9999383	−37		·9999356	−38		·9999328	−40		·9999299	−43		·9999268	−44		9·3
9·4	−28		·9999520	−30		·9999499	−31		·9999478	−33		·9999455	−34		·9999431	−35		9·4
9·5	−23		·9999627	−23		·9999611	−25		·9999595	−26		·9999577	−27		·9999559	−29		9·5
9·6	−18		·9999711	−18		·9999699	−20		·9999686	−20		·9999672	−20		·9999658	−21		9·6
9·7	−14		·9999777	−14		·9999767	−15		·9999757	−16		·9999747	−17		·9999736	−18		9·7
9·8	−10		·9999827	−10		·9999820	−12		·9999812	−12		·9999805	−14		·9999796	−13		9·8
9·9	−8		·9999867	−9		·9999861	−9		·9999856	−10		·9999849	−10		·9999843	−11		9·9
10·0	−7		·9999898	−7		·9999893	−7		·9999889	−7		·9999884	−8		·9999879	−8		10·0
10·1	−5		·9999921	−5		·9999918	−6		·9999915	−6		·9999911	−6		·9999907	−6		10·1
10·2	−4		·9999940	−4		·9999937	−4		·9999935	−6		·9999932	−6		·9999929	−5		10·2
10·3	−4		·9999954			·9999952	−4		·9999949	−5		·9999947	−4		·9999946	−4		10·3
10·4			·9999965			·9999963			·9999962	−4		·9999960			·9999959	−4		10·4
10·5			·9999973			·9999972			·9999971			·9999970			·9999968			10·5
10·6			·9999979			·9999979			·9999978			·9999977			·9999976			10·6
10·7			·9999984			·9999984			·9999983			·9999982			·9999982			10·7
10·8			·9999988			·9999988			·9999987			·9999987			·9999986			10·8
10·9			·9999991			·9999991			·9999990			·9999990			·9999989			10·9
11·0			·9999993			·9999993			·9999993			·9999992			·9999992			11·0
11·1			·9999995			·9999995			·9999994			·9999994			·9999994			11·1
11·2			·9999996			·9999996			·9999996			·9999996			·9999995			11·2
11·3			·9999997			·9999997			·9999997			·9999997			·9999997			11·3
11·4			·9999998			·9999998			·9999998			·9999997			·9999997			11·4
11·5			·9999998			·9999998			·9999998			·9999998			·9999998			11·5
11·6			·9999999			·9999999			·9999999			·9999999			·9999999			11·6
11·7			·9999999			·9999999			·9999999			·9999999			·9999999			11·7
11·8			·9999999			·9999999			·9999999			·9999999			·9999999			11·8
11·9			·9999999			·9999999			·9999999			·9999999			·9999999			11·9
12·0			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·0

u	$p = 19·0$			$p = 19·2$			$p = 19·4$			$p = 19·6$			$p = 19·8$			$p = 20·0$	u
	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	
·8	·0000000																·8
·9	·0000000			·0000000			·0000000			·0000000			·0000000			·0000000	·9
1·0	·0000001	+2 +3		·0000000	+2 +2		·0000000	+2 +2		·0000000	+1 +1		·0000000	+1 +1		·0000000	1·0
1·1	·0000003	+5 +7		·0000002	+4 +6		·0000002	+3 +5		·0000001	+4 +4		·0000001	+3 +3		·0000001	1·1
1·2	·0000010	+16 +13		·0000008	+13 +12		·0000007	+11 +10		·0000006	+8 +10		·0000005	+7 +9		·0000004	1·2
1·3	·0000033	+39 +27		·0000027	+34 +24		·0000023	+29 +21		·0000019	+25 +19		·0000016	+21 +17		·0000013	1·3
1·4	·0000095	+92 +51		·0000080	+79 +46		·0000068	+68 +41		·0000057	+59 +34		·0000048	+51 +30		·0000040	1·4
1·5	·0000249	+193 +83	+6	·0000212	+170 +73	+6	·0000181	+148 +69	+4	·0000154	+130 +63	+4	·0000131	+114 +55		·0000111	1·5
1·6	·0000596	+378 +135	+13	·0000514	+334 +117	+11	·0000442	+297 +103	+10	·0000381	+261 +97	+8	·0000328	+229 +83	+7	·0000281	1·6
1·7	·0001321	+688 +180	+25	·0001150	+615 +167	+21	·0001000	+549 +157	+19	·0000869	+490 +143	+16	·0000754	+438 +131	+15	·0000654	1·7
1·8	·0002734	+1178 +235	+46	·0002401	+1063 +223	+39	·0002107	+958 +210	+34	·0001847	+864 +195	+31	·0001618	+778 +182	+28	·0001417	1·8
1·9	·0005325	+1903 +296	+75	·0004715	+1734 +279	+67	·0004172	+1577 +268	+60	·0003689	+1433 +256	+54	·0003260	+1300 +246	+48	·0002878	1·9
2·0	·0009819	+2924 +344	+121	·0008763	+2684 +337	+109	·0007814	+2464 +320	+98	·0006964	+2258 +308	+88	·0006202	+2068 +293	+80	·0005520	2·0
2·1	·0017237	+4289 +375	+183	·0015495	+3971 +365	+167	·0013920	+3671 +361	+152	·0012497	+3391 +352	+138	·0011212	+3129 +344	+125	·0010052	2·1
2·2	·0028944	+6029 +377	+267	·0026198	+5623 +377	+245	·0023697	+5239 +374	+225	·0021421	+4876 +371	+206	·0019351	+4534 +366	+189	·0017470	2·2
2·3	·0046680	+8146 +355	+373	·0042524	+7652 +361	+345	·0038713	+7181 +365	+319	·0035221	+6732 +369	+295	·0032024	+6305 +369	+272	·0029099	2·3
2·4	·0072562	+10618 +283	+503	·0066502	+10042 +303	+468	·0060910	+9488 +317	+435	·0055753	+8957 +325	+406	·0051002	+8445 +337	+376	·0046627	2·4
2·5	·0109062	+13373 +192	+652	·0100522	+12735 +208	+613	·0092595	+12112 +232	+574	·0085242	+11507 +254	+536	·0078425	+10922 +272	+502	·0072110	2·5
2·6	·0158935	+16320 +53	+822	·0147277	+15636 +91	+773	·0136392	+14968 +116	+730	·0126238	+14311 +146	+686	·0116770	+13671 +168	+647	·0107950	2·6
2·7	·0225128	+19320 −96	+999	·0209668	+18628 −62	+949	·0195157	+17940 −24	+899	·0181545	+17261 +6	+853	·0168786	+16588 +42	+808	·0156835	2·7
2·8	·0310641	+22224 −257	+1181	·0290687	+21558 −220	+1129	·0271862	+20888 −183	+1076	·0254113	+20217 −145	+1026	·0237390	+19547 −111	+978	·0221645	2·8
2·9	·0418378	+24871 −425	+1359	·0393264	+24268 −384	+1305	·0369455	+23653 −345	+1252	·0346898	+23028 −308	+1200	·0325541	+22395 −271	+1150	·0305334	2·9
3·0	·0550986	+27093 −567	+1520	·0520109	+26594 −535	+1469	·0490701	+26073 −502	+1418	·0462711	+25531 −464	+1366	·0436087	+24972 −427	+1315	·0410778	3·0
3·1	·0710687	+28748 −691	+1659	·0673548	+28385 −663	+1611	·0638020	+27991 −631	+1563	·0604055	+27570 −603	+1515	·0571605	+27122 −570	+1467	·0540622	3·1
3·2	·0899136	+29712 −775	+1784	·0855372	+29513 −754	+1722	·0813330	+29278 −736	+1681	·0772969	+29006 −711	+1637	·0734245	+28702 −690	+1595	·0697116	3·2
3·3	·1117297	+29901 −819	+1836	·1066709	+29887 −813	+1797	·1017918	+29829 −799	+1762	·0970889	+29731 −787	+1727	·0925587	+29592 −768	+1690	·0881975	3·3
3·4	·1365359	+29271 −822	+1852	·1307933	+29448 −819	+1828	·1252335	+29581 −820	+1803	·1198540	+29669 −816	+1776	·1146521	+29714 −810	+1748	·1096250	3·4
3·5	·1642692	+27819 −776	+1827	·1578605	+28190 −791	+1814	·1516333	+28513 −798	+1799	·1455860	+28791 −802	+1783	·1397169	+29026 −810	+1765	·1340243	3·5
3·6	·1947844	+25591 −695	+1756	·1877467	+26141 −716	+1754	·1808844	+26647 −734	+1750	·1741971	+27111 −756	+1744	·1676843	+27528 −766	+1736	·1613451	3·6
3·7	·2278587	+22668 −590	+1641	·2202470	+23376 −613	+1651	·2128002	+24047 −641	+1657	·2055193	+24675 −660	+1662	·1984045	+25264 −682	+1664	·1914561	3·7
3·8	·2631998	+19155 −445	+1488	·2550849	+19998 −484	+1507	·2471207	+20806 −515	+1524	·2393090	+21579 −545	+1539	·2316511	+22318 −577	+1551	·2241484	3·8
3·9	·3004564	+15197 −306	+1302	·2919226	+16136 −335	+1330	·2835218	+17050 −369	+1356	·2752566	+17938 −407	+1380	·2671295	+18795 −438	+1402	·2591425	3·9
4·0	·3392327	+10933 −143	+1092	·3303739	+11939 −187	+1127	·3216279	+12925 −225	+1161	·3129980	+13890 −257	+1192	·3044874	+14834 −291	+1222	·2960989	4·0
4·1	·3791023	+6526 −5	+865	·3700191	+7555 −35	+906	·3610265	+8575 −67	+945	·3521284	+9585 −104	+983	·3433287	+10582 −143	+1019	·3346309	4·1
4·2	·4196245	+2114 +141	+631	·4104198	+3136 +109	+675	·4012826	+4158 +72	+719	·3922173	+5176 +37	+761	·3832282	+6187 +9	+802	·3743192	4·2
4·3	·4603581	−2157 +258	+396	·4511341	−1174 +228	+443	·4419545	−187 +203	+489	·4328238	+804 +177	+534	·4237464	+1801 +139	+577	·4147268	4·3
4·4	·5008760	−6170 +356	+170	·4917310	−5256 +334	+217	·4826077	−4329 +308	+263	·4735107	−3391 +282	+309	·4644447	−2446 +263	+354	·4554139	4·4
4·5	·5407769	−9827 +432	−43	·5318023	−9004 +418	+3	·5228280	−8163 +403	+48	·5138585	−7304 +382	+93	·5048984	−6430 +360	+138	·4959520	4·5
4·6	·5796951	−13052 +483	−236	·5709732	−12334 +470	−193	·5622320	−11594 +456	−150	·5534759	−10835 +447	−107	·5447091	−10054 +429	−64	·5359359	4·6
4·7	·6173081	−15794 +512	−408	·6089107	−15194 +507	−367	·6004766	−14569 +501	−327	·5920098	−13919 +489	−287	·5835144	−13249 +487	−247	·5749942	4·7
4·8	·6533417	−18024 +515	−550	·6453288	−17547 +517	−516	·6372643	−17043 +517	−480	·6291518	−16514 +518	−444	·6209948	−15957 +507	−408	·6127971	4·8
4·9	·6875729	−19739 +505	−668	·6799922	−19383 +509	−638	·6723477	−19000 +510	−608	·6646424	−18591 +511	−576	·6568795	−18158 +518	−545	·6490621	4·9
5·0	·7198302	−20949 +479	−769	·7127173	−20710 +485	−735	·7055311	−20447 +493	−709	·6982739	−20157 +498	−683	·6909484	−19841 +501	−656	·6835574	5·0
5·1	·7499926	−21680 +432	−826	·7433714	−21552 +444	−805	·7366698	−21401 +458	−784	·7298897	−21225 +469	−763	·7230332	−21023 +477	−741	·7161027	5·1
5·2	·7779870	−21978 +392	−866	·7718703	−21950 +405	−851	·7656684	−21897 +410	−835	·7593830	−21824 +422	−819	·7530157	−21728 +432	−802	·7465683	5·2
5·3	·8037836	−21884 +332	−885	·7981742	−21943 +346	−876	·7924773	−21983 +363	−864	·7866939	−22001 +373	−852	·7808254	−22001 +389	−839	·7748729	5·3
5·4	·8273918	−21458 +280	−886	·8222838	−21590 +292	−880	·8170879	−21706 +305	−873	·8118047	−21805 +350	−866	·8064350	−21885 +331	−856	·8009797	5·4
5·5	·8488542	−20752 +225	−870	·8442344	−20945 +238	−867	·8395279	−21124 +251	−864	·8347350	−21289 +265	−860	·8298561	−21438 +276	−855	·8248917	5·5
5·6	·8682414	−19821 +167	−841	·8640905	−20062 +182	−841	·8598555	−20291 +194	−841	·8555364	−20508 +205	−840	·8511334	−20715 +222	−838	·8466465	5·6
5·7	·8856465	−18723 +122	−801	·8819404	−18997 +131	−804	·8781540	−19264 +144	−806	·8742870	−19522 +157	−808	·8703392	−19770 +167	−809	·8663105	5·7
5·8	·9011793	−17503 +74	−753	·8978906	−17801 +86	−758	·8945261	−18093 +96	−762	·8910854	−18379 +107	−766	·8875680	−18658 +120	−770	·8839736	5·8
5·9	·9149618	−16209 +40	−700	·9120607	−16519 +46	−707	·9090889	−16826 +55	−713	·9060459	−17129 +64	−718	·9029310	−17426 +69	−723	·8997439	5·9
6·0	·9271234	−14875 −1	−644	·9245789	−15191 +8	−652	·9219691	−15504 +17	−659	·9192935	−15815 +25	−665	·9165514	−16125 +37	−672	·9137420	6·0
6·1	·9377975	−13542 −23	−587	·9355780	−13854 −17	−595	·9332989	−14165 −12	−603	·9309596	−14476 −6	−610	·9285593	−14787 +2	−618	·9260972	6·1
6·2	·9471174	−12232 −46	−529	·9451917	−12534 −42	−538	·9432122	−12838 −36	−546	·9411781	−13143 −30	−554	·9390885	−13447 −29	−562	·9369428	6·2
6·3	·9552141	−10968 −62	−475	·9535520	−11256 −60	−483	·9518417	−11547 −57	−491	·9500823	−11840 −54	−499	·9482730	−12136 −45	−507	·9464130	6·3
6·4	·9622140	−9766 −76	−422	·9607867	−10038 −73	−430	·9593165	−10313 −71	−438	·9578025	−10591 −66	−446	·9562439	−10870 −67	−453	·9546400	6·4
6·5	·9682373	−8640 −82	−372	·9670176	−8893 −80	−379	·9657600	−9150 −75	−387	·9644636	−9408 −78	−395	·9631278	−9671 −74	−402	·9617518	6·5

	$p = 20·0$		$p = 20·2$			$p = 20·4$			$p = 20·6$			$p = 20·8$			$p = 21·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·8																		·8
·9			·0000000			·0000000			·0000000			·0000000			·0000000			·9
1·0	+1 0		·0000000			·0000000			·0000000			·0000000			·0000000			1·0
1·1	+2 +3		·0000001	+2 +3		·0000001	+2 +2		·0000000	+2 +2		·0000000	+1 +1		·0000000	+1 +1		1·1
1·2	+6 +8		·0000003	+6 +6		·0000003	+4 +5		·0000002	+3 +4		·0000002	+3 +4		·0000001	+3 +3		1·2
1·3	+18 +14		·0000011	+15 +13		·0000009	+13 +12		·0000007	+12 +9		·0000006	+10 +8		·0000005	+8 +8		1·3
1·4	+44 +29		·0000034	+38 +25		·0000028	+33 +22		·0000024	+27 +21		·0000020	+24 +18		·0000017	+20 +16		1·4
1·5	+99 +49		·0000095	+85 +46		·0000080	+75 +46		·0000068	+66 +37		·0000058	+56 +34		·0000049	+49 +29		1·5
1·6	+203 +83	+6	·0000241	+180 +73	+6	·0000207	+158 +68	+5	·0000178	+138 +60	+4	·0000152	+122 +55		·0000130	+107 +51		1·6
1·7	+390 +121	+13	·0000567	+347 +113	+12	·0000492	+307 +107	+9	·0000426	+273 +99	+8	·0000368	+243 +88	+8	·0000318	+216 +79	+7	1·7
1·8	+698 +175	+24	·0001240	+627 +162	+21	·0001084	+564 +148	+19	·0000947	+506 +138	+17	·0000827	+432 +136	+15	·0000722	+404 +122	+12	1·8
1·9	+1181 +226	+43	·0002540	+1069 +218	+38	·0002240	+967 +206	+34	·0001974	+875 +195	+30	·0001738	+791 +182	+27	·0001530	+714 +170	+24	1·9
2·0	+1896 +287	+71	·0004909	+1729 +268	+65	·0004363	+1579 +254	+59	·0003876	+1439 +245	+52	·0003440	+1312 +231	+47	·0003052	+1194 +220	+42	2·0
2·1	+2886 +329	+115	·0009007	+2657 +323	+103	·0008065	+2445 +312	+94	·0007217	+2248 +299	+85	·0006454	+2064 +289	+77	·0005768	+1894 +278	+69	2·1
2·2	+4211 +353	+175	·0015762	+3908 +354	+158	·0014212	+3623 +347	+144	·0012806	+3356 +338	+132	·0011532	+3105 +331	+120	·0010378	+2872 +317	+110	2·2
2·3	+5899 +368	+251	·0026425	+5513 +369	+231	·0023982	+5188 +365	+212	·0021751	+4862 +364	+195	·0019715	+4477 +354	+181	·0017860	+4157 +354	+164	2·3
2·4	+7955 +346	+349	·0042601	+7487 +356	+324	·0038900	+7038 +357	+299	·0035498	+6612 +355	+279	·0032375	+6203 +352	+257	·0029509	+5816 +359	+237	2·4
2·5	+10357 +286	+469	·0066264	+9811 +300	+438	·0060856	+9285 +311	+409	·0055857	+8777 +325	+380	·0051238	+8291 +330	+355	·0046974	+7824 +337	+330	2·5
2·6	+13045 +192	+608	·0099738	+12435 +215	+571	·0092097	+11843 +233	+537	·0084993	+11287 +252	+503	·0078392	+10709 +269	+472	·0072263	+10159 +283	+441	2·6
2·7	+15923 +74	+763	·0145647	+15274 +101	+722	·0135181	+14634 +131	+681	·0125396	+14009 +152	+644	·0116255	+13398 +176	+607	·0107721	+12797 +200	+571	2·7
2·8	+18879 −78	+936	·0206830	+18214 −42	+884	·0192899	+17556 −13	+846	·0179808	+16903 +22	+797	·0167514	+16259 +52	+756	·0155976	+15625 +78	+717	2·8
2·9	+21755 −231	+1100	·0286227	+21112 −197	+1053	·0268173	+20485 −159	+1004	·0251123	+19819 −127	+959	·0235032	+19174 −94	+915	·0219856	+18531 −60	+872	2·9
3·0	+24460 −395	+1267	·0386736	+23813 −356	+1218	·0363912	+23215 −319	+1169	·0342257	+22568 −280	+1122	·0321724	+21995 −243	+1076	·0302267	+21577 −210	+1032	3·0
3·1	+26556 −535	+1419	·0511058	+26158 −505	+1372	·0482866	+25646 −472	+1326	·0455999	+25117 −441	+1279	·0430411	+24571 −404	+1232	·0406055	+24013 −371	+1188	3·1
3·2	+28365 −664	+1551	·0661538	+27998 −633	+1506	·0627466	+27665 −606	+1454	·0594858	+27185 −573	+1419	·0563669	+26743 −545	+1376	·0533856	+26278 −511	+1331	3·2
3·3	+29416 −749	+1653	·0840016	+29205 −734	+1615	·0799671	+28958 −709	+1576	·0760902	+28880 −688	+1537	·0723670	+28376 −662	+1497	·0687935	+28032 −638	+1457	3·3
3·4	+29718 −805	+1719	·1047699	+29678 −786	+1688	·1000834	+29602 −780	+1656	·0955626	+29487 −767	+1623	·0912041	+29335 −749	+1589	·0870046	+29148 −730	+1555	3·4
3·5	+29215 −816	+1744	·1285060	+29363 −817	+1722	·1231599	+29468 −809	+1698	·1179837	+29527 −799	+1673	·1129747	+29551 −797	+1647	·1081305	+29534 −787	+1626	3·5
3·6	+27902 −776	+1725	·1551784	+28233 −784	+1713	·1491830	+28521 −791	+1699	·1433575	+28788 −806	+1683	·1377004	+28976 −797	+1666	·1322098	+29133 −799	+1647	3·6
3·7	+25813 −706	+1664	·1846741	+26319 −722	+1662	·1780582	+26785 −740	+1657	·1716081	+27209 −754	+1651	·1653231	+27592 −769	+1643	·1592024	+27933 −777	+1633	3·7
3·8	+23018 −660	+1551	·2168017	+23683 −628	+1569	·2096119	+24309 −651	+1574	·2025796	+24895 −676	+1578	·1957050	+25445 −688	+1579	·1889883	+25958 −709	+1579	3·8
3·9	+19623 −472	+1421	·2512976	+20419 −502	+1438	·2435965	+21182 −529	+1453	·2360407	+21913 −560	+1466	·2286314	+22616 −589	+1477	·2213698	+23276 −609	+1485	3·9
4·0	+15758 −326	+1249	·2878354	+16653 −359	+1275	·2796993	+17526 −397	+1298	·2716931	+18370 −427	+1319	·2638188	+19186 −458	+1339	·2560783	+19975 −488	+1356	4·0
4·1	+11563 −177	+1053	·3260385	+12528 −214	+1086	·3175547	+13473 −244	+1116	·3091825	+14406 −279	+1145	·3009248	+15306 −315	+1172	·2927843	+16187 −346	+1197	4·1
4·2	+7193 −28	+841	·3654944	+8189 −66	+879	·3567574	+9176 −98	+915	·3481119	+10151 −132	+949	·3395614	+11111 −164	+982	·3311090	+12058 −200	+1014	4·2
4·3	+2795 +113	+630	·4057692	+3790 +80	+681	·3968777	+4781 +51	+701	·3880564	+5770 +15	+746	·3793091	+6752 −19	+778	·3706395	+7726 −53	+814	4·3
4·4	−1490 +233	+398	·4464230	−529 +203	+441	·4374763	+437 +177	+484	·4285779	+1404 +152	+525	·4197320	+2374 +122	+566	·4109426	+3345 +88	+605	4·4
4·5	−5542 +338	+182	·4870239	−4642 +315	+226	·4781184	−3736 +286	+269	·4692398	−2816 +263	+311	·4603923	−1862 +246	+353	·4515802	−948 +215	+394	4·5
4·6	−9256 +416	−21	·5271606	−8440 +399	+21	·5183875	−7609 +387	+64	·5096207	−6761 +365	+106	·5008644	−5898 +338	+147	·4921230	−5026 +320	+188	4·6
4·7	−12554 +473	−207	·5664533	−11859 +464	−167	·5578957	−11101 +443	−127	·5493255	−10347 +433	−86	·5407467	−9575 +426	−46	·5321632	−8784 +404	−6	4·7
4·8	−15379 +507	−372	·6045621	−14774 +498	−335	·5962938	−14150 +498	−298	·5879956	−13500 +486	−260	·5796714	−12828 +489	−223	·5713250	−12138 +463	−185	4·8
4·9	−17697 +515	−512	·6411935	−17213 +518	−486	·6332769	−16701 +509	−446	·6253157	−16167 +506	−412	·6173133	−15611 +509	−378	·6092730	−15029 +499	−344	4·9
5·0	−19500 +506	−628	·6761036	−19134 +516	−606	·6685899	−18743 +514	−571	·6610191	−18328 +526	−541	·6533941	−17885 +513	−511	·6457181	−17421 +516	−481	5·0
5·1	−20797 +484	−718	·7091003	−20543 +487	−695	·7020286	−20271 +497	−670	·6948897	−19969 +496	−645	·6876864	−19646 +506	−620	·6804211	−19297 +509	−593	5·1
5·2	−21510 +445	−784	·7400425	−21469 +459	−765	·7334402	−21362 +465	−745	·7267634	−21114 +475	−725	·7200141	−20901 +481	−704	·7131944	−20664 +485	−682	5·2
5·3	−21978 +398	−826	·7688378	−21954 +407	−812	·7627216	−21888 +411	−797	·7565257	−21784 +432	−781	·7502517	−21675 +446	−764	·7439013	−21548 +455	−747	5·3
5·4	−21948 +346	−847	·7954397	−21992 +358	−837	·7898160	−22019 +376	−826	·7841096	−22022 +382	−816	·7783218	−22009 +397	−803	·7724536	−21973 +405	−790	5·4
5·5	−21572 +288	−856	·8198424	−21692 +308	−844	·8147087	−21794 +317	−837	·8094913	−21878 +328	−829	·8041910	−21946 +341	−821	·7988086	−21998 +358	−812	5·5
5·6	−20908 +235	−836	·8420759	−21088 +243	−834	·8374220	−21252 +256	−830	·8326852	−21466 +275	−826	·8278656	−21542 +285	−822	·8229640	−21666 +300	−818	5·6
5·7	−20009 +182	−816	·8622008	−20237 +193	−816	·8580101	−20454 +208	−809	·8537385	−20659 +217	−809	·8493860	−20853 +231	−807	·8449528	−21033 +242	−805	5·7
5·8	−18928 +125	−773	·8803020	−19193 +140	−775	·8765528	−19448 +150	−777	·8727259	−19695 +163	−779	·8688211	−19933 +176	−780	·8648383	−20151 +188	−781	5·8
5·9	−17722 +87	−728	·8964839	−18009 +92	−733	·8931507	−18292 +104	−737	·8897438	−18568 +106	−740	·8862629	−18837 +126	−743	·8827077	−19099 +138	−746	5·9
6·0	−16429 +46	−678	·9108649	−16733 +54	−684	·9079194	−17032 +64	−689	·9049049	−17325 +78	−694	·9018210	−17615 +78	−699	·8986672	−17901 +91	−704	6·0
6·1	−15098 +9	−625	·9235726	−15403 +14	−631	·9209849	−15708 +18	−638	·9183335	−16014 +33	−644	·9156176	−16315 +41	−650	·9128366	−16612 +46	−656	6·1
6·2	−13754 −20	−570	·9347400	−14059 −15	−577	·9324796	−14366 −3	−584	·9301607	−14670 0	−591	·9277827	−14974 +6	−598	·9253448	−15277 +12	−605	6·2
6·3	−12432 −43	−515	·9445015	−12730 −37	−523	·9425377	−13027 −38	−530	·9405209	−13328 −33	−538	·9384504	−13627 −24	−545	·9363253	−13927 −17	−552	6·3
6·4	−11152 −63	−461	·9529900	−11438 −59	−469	·9512931	−11726 −51	−477	·9495485	−12015 −46	−484	·9477554	−12304 −46	−492	·9459131	−12596 −40	−499	6·4
6·5	−9938 −71	−410	·9603347	−10265 −71	−418	·9588759	−10476 −70	−425	·9573746	−10750 −68	−433	·9558300	−11027 −63	−440	·9542413	−11303 −58	−448	6·5

	$p = 19·0$			$p = 19·2$			$p = 19·4$			$p = 19·6$			$p = 19·8$			$p = 20·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·5	·9682373	−8640 −82	−379	·9670176	−8893 −80	−379	·9657600	−9150 −76	−387	·9644636	−9408 −78	−395	·9631278	−9671 −74	−402	·9617518	6·5
6·6	·9733966	−7598 −87	−325	·9723592	−7828 −88	−332	·9712885	−8062 −81	−340	·9701839	−8303 −86	−347	·9690446	−8546 −83	−354	·9678698	6·6
6·7	·9777963	−6639 −87	−283	·9769180	−6849 −90	−289	·9760108	−7066 −85	−296	·9750739	−7283 −87	−303	·9741068	−7506 −89	−310	·9731086	6·7
6·8	·9815321	−5769 −88	−244	·9807919	−5960 −88	−250	·9800266	−6133 −87	−257	·9792356	−6360 −89	−263	·9784184	−6561 −92	−269	·9775743	6·8
6·9	·9846910	−4985 −83	−210	·9840698	−5164 −83	−215	·9834271	−5328 −88	−221	·9827623	−5506 −86	−226	·9820749	−5688 −88	−232	·9813642	6·9
7·0	·9873514	−4288 −78	−178	·9868323	−4438 −77	−184	·9862948	−4591 −84	−189	·9857384	−4748 −83	−194	·9851626	−4908 −83	−199	·9845669	7·0
7·1	·9895830	−3667 −77	−152	·9891510	−3799 −72	−156	·9887034	−3936 −79	−161	·9882397	−4073 −80	−165	·9877595	−4216 −79	−170	·9872623	7·1
7·2	·9914479	−3123 −68	−128	·9910898	−3258 −68	−132	·9907185	−3335 −74	−136	·9903337	−3478 −76	−140	·9899348	−3601 −74	−144	·9895216	7·2
7·3	·9930005	−2647 −61	−108	·9927048	−2745 −63	−111	·9923981	−2849 −68	−114	·9920799	−2953 −70	−118	·9917500	−3063 −68	−121	·9914079	7·3
7·4	·9942884	−2232 −53	−90	·9940453	−2320 −58	−93	·9937928	−2407 −62	−95	·9935308	−2498 −64	−99	·9932589	−2591 −63	−102	·9929768	7·4
7·5	·9953531	−1876 −60	−76	·9951538	−1949 −63	−77	·9949468	−2025 −57	−80	·9947319	−2104 −58	−82	·9945087	−2184 −58	−85	·9942770	7·5
7·6	·9962302	−1579 −46	−62	·9960674	−1631 −48	−64	·9958983	−1695 −52	−66	·9957226	−1762 −51	−68	·9955401	−1831 −52	−71	·9953505	7·6
7·7	·9969503	−1307 −40	−51	·9968179	−1361 −44	−53	·9966803	−1417 −47	−55	·9965371	−1471 −43	−56	·9963884	−1530 −46	−58	·9962338	7·7
7·8	·9975397	−1088 −34	−42	·9974323	−1130 −39	−43	·9973206	−1176 −42	−45	·9972045	−1224 −40	−46	·9970837	−1272 −40	−48	·9969581	7·8
7·9	·9980205	−898 −29	−34	·9979337	−934 −33	−35	·9978434	−973 −33	−37	·9977495	−1015 −35	−38	·9976518	−1056 −36	−39	·9975501	7·9
8·0	·9984115	−739 −28	−28	·9983417	−772 −30	−29	·9982689	−803 −33	−30	·9981932	−837 −29	−31	·9981143	−869 −30	−32	·9980323	8·0
8·1	·9987286	−607 −23	−23	·9986725	−632 −26	−23	·9986141	−660 −28	−24	·9985532	−687 −25	−25	·9984899	−717 −26	−26	·9984239	8·1
8·2	·9989850	−498 −20	−18	·9989401	−519 −22	−19	·9988933	−540 −24	−20	·9988445	−562 −23	−20	·9987938	−587 −22	−21	·9987409	8·2
8·3	·9991916	−404 −17	−14	·9991558	−422 −18	−15	·9991185	−441 −20	−16	·9990796	−461 −20	−16	·9990390	−479 −19	−17	·9989968	8·3
8·4	·9993578	−330 −14	−12	·9993293	−344 −14	−12	·9992996	−359 −16	−13	·9992686	−374 −16	−13	·9992363	−390 −16	−14	·9992027	8·4
8·5	·9994910	−267 −12	−9	·9994684	−279 −12	−10	·9994448	−290 −12	−10	·9994202	−303 −13	−10	·9993946	−317 −13	−11	·9993679	8·5
8·6	·9995975	−215 −11	−7	·9995796	−224 −10	−8	·9995610	−236 −10	−8	·9995415	−246 −11	−8	·9995212	−256 −11	−9	·9995001	8·6
8·7	·9996825	−175 −10	−6	·9996684	−182 −8	−6	·9996536	−188 −8	−6	·9996383	−198 −8	−7	·9996223	−207 −9	−7	·9996056	8·7
8·8	·9997500	−138 −9	−5	·9997390	−148 −7	−5	·9997274	−153 −7	−5	·9997153	−159 −7	−5	·9997027	−168 −8	−5	·9996896	8·8
8·9	·9998037	−113 −7	−4	·9997950	−117 −5	−4	·9997859	−122 −5	−4	·9997764	−127 −6	−4	·9997665	−132 −7	−4	·9997562	8·9
9·0	·9998461	−89 −5		·9998393	−93 −4		·9998322	−97 −5		·9998248	−102 −6		·9998171	−107 −6		·9998090	9·0
9·1	·9998796	−70 −4		·9998743	−74 −4		·9998688	−78 −4		·9998630	−81 −4		·9998570	−85 −4		·9998507	9·1
9·2	·9999061	−56		·9999019	−59		·9998976	−61		·9998931	−64		·9998884	−67		·9998835	9·2
9·3	·9999268	−44		·9999236	−47		·9999203	−50		·9999168	−52		·9999131	−55		·9999093	9·3
9·4	·9999431	−35		·9999406	−37		·9999380	−38		·9999353	−40		·9999325	−42		·9999295	9·4
9·5	·9999559	−29		·9999539	−29		·9999519	−30		·9999498	−31		·9999477	−34		·9999454	9·5
9·6	·9999658	−21		·9999643	−23		·9999628	−24		·9999612	−25		·9999595	−26		·9999577	9·6
9·7	·9999736	−18		·9999724	−18		·9999713	−20		·9999700	−19		·9999687	−20		·9999674	9·7
9·8	·9999796	−13		·9999787	−14		·9999778	−15		·9999769	−16		·9999759	−17		·9999749	9·8
9·9	·9999843	−11		·9999836	−11		·9999829	−11		·9999822	−12		·9999814	−14		·9999807	9·9
10·0	·9999879	−8		·9999874	−8		·9999869	−9		·9999863	−9		·9999858	−11		·9999851	10·0
10·1	·9999907	−6		·9999904	−6		·9999899	−7		·9999895	−7		·9999891	−8		·9999886	10·1
10·2	·9999929	−5		·9999926	−5		·9999923	−6		·9999920	−6		·9999916	−6		·9999913	10·2
10·3	·9999946	−4		·9999943	−4		·9999941	−4		·9999939	−5		·9999936	−5		·9999933	10·3
10·4	·9999959	−4		·9999957			·9999955			·9999953			·9999951	−4		·9999949	10·4
10·5	·9999968			·9999967			·9999966			·9999964			·9999963			·9999961	10·5
10·6	·9999976			·9999975			·9999974			·9999973			·9999972			·9999971	10·6
10·7	·9999982			·9999981			·9999980			·9999979			·9999979			·9999978	10·7
10·8	·9999986			·9999986			·9999985			·9999984			·9999984			·9999983	10·8
10·9	·9999989			·9999989			·9999989			·9999988			·9999988			·9999987	10·9
11·0	·9999992			·9999992			·9999991			·9999991			·9999991			·9999990	11·0
11·1	·9999994			·9999994			·9999994			·9999993			·9999993			·9999993	11·1
11·2	·9999995			·9999995			·9999995			·9999995			·9999995			·9999995	11·2
11·3	·9999997			·9999996			·9999996			·9999996			·9999996			·9999996	11·3
11·4	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·4
11·5	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·5
11·6	·9999999			·9999999			·9999999			·9999998			·9999998			·9999998	11·6
11·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·8
11·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·9
12·0	1·0000000			1·0000000			1·0000000			·9999999			·9999999			·9999999	12·0
12·1										1·0000000			1·0000000			1·0000000	12·1

	$p = 20{\cdot}0$		$p = 20{\cdot}2$			$p = 20{\cdot}4$			$p = 20{\cdot}6$			$p = 20{\cdot}8$			$p = 21{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·5	−9938 −71	−410	·9603347	−10205 −71	−418	·9588759	−10476 −70	−425	·9573746	−10750 −68	−433	·9558300	−11027 −63	−440	·9542413	−11305 −58	−448	6·5
6·6	−8782 −84	−362	·9666589	−9043 −81	−369	·9654111	−9296 −79	−376	·9641257	−9553 −76	−384	·9628019	−9813 −72	−391	·9614390	−10075 −72	−398	6·6
6·7	−7731 −87	−317	·9720788	−7961 −87	−324	·9710167	−8195 −86	−330	·9699215	−8432 −85	−337	·9687925	−8671 −80	−344	·9676292	−8917 −82	−351	6·7
6·8	−6758 −88	−275	·9767026	−6987 −88	−282	·9758028	−7180 −87	−288	·9748741	−7396 −89	−295	·9739160	−7618 −88	−301	·9729277	−7840 −80	−308	6·8
6·9	−5872 −88	−238	·9806297	−6060 −88	−244	·9798709	−6253 −80	−250	·9790871	−6448 −89	−258	·9782777	−6648 −92	−262	·9774422	−6853 −80	−268	6·9
7·0	−5073 −86	−204	·9839508	−5242 −88	−210	·9833137	−5415 −88	−215	·9826552	−5591 −85	−220	·9819746	−5770 −88	−226	·9812714	−5953 −90	−231	7·0
7·1	−4381 −81	−174	·9867477	−4511 −82	−179	·9862152	−4664 −82	−184	·9856642	−4813 −82	−189	·9850945	−4980 −84	−194	·9845053	−5143 −87	−199	7·1
7·2	−3730 −75	−148	·9890935	−3860 −78	−152	·9886503	−3995 −78	−156	·9881914	−4134 −79	−161	·9877164	−4274 −81	−163	·9872249	−4418 −81	−170	7·2
7·3	−3174 −70	−125	·9910533	−3288 −71	−129	·9906859	−3406 −75	−132	·9903052	−3526 −76	−136	·9899109	−3649 −78	−140	·9895027	−3778 −73	−144	7·3
7·4	−2687 −64	−105	·9926843	−2788 −65	−108	·9923809	−2889 −67	−111	·9920664	−2993 −71	−115	·9917405	−3102 −72	−118	·9914027	−3211 −65	−121	7·4
7·5	−2267 −58	−88	·9940365	−2351 −60	−90	·9937870	−2439 −61	−93	·9935283	−2531 −64	−96	·9932599	−2623 −66	−99	·9929816	−2719 −61	−102	7·5
7·6	−1902 −52	−73	·9951536	−1975 −53	−75	·9949492	−2050 −55	−78	·9947371	−2128 −57	−80	·9945170	−2208 −59	−83	·9942886	−2291 −58	−85	7·6
7·7	−1590 −46	−60	·9960732	−1652 −47	−62	·9959064	−1717 −48	−64	·9957331	−1782 −50	−66	·9955533	−1851 −53	−69	·9953665	−1920 −51	−71	7·7
7·8	−1323 −40	−50	·9968276	−1377 −41	−51	·9966919	−1430 −43	−53	·9965509	−1486 −45	−55	·9964045	−1544 −46	−57	·9962524	−1604 −48	−58	7·8
7·9	−1098 −34	−41	·9974443	−1141 −37	−42	·9973344	−1187 −38	−43	·9972201	−1235 −40	−45	·9971013	−1283 −41	−47	·9969779	−1334 −41	−48	7·9
8·0	−906 −30	−33	·9979469	−943 −32	−34	·9978582	−982 −32	−36	·9977658	−1021 −35	−37	·9976698	−1063 −38	−38	·9975700	−1105 −36	−39	8·0
8·1	−748 −27	−27	·9983552	−777 −27	−28	·9982838	−802 −28	−29	·9982094	−842 −31	−30	·9981320	−875 −31	−31	·9980516	−911 −31	−32	8·1
8·2	−611 −23	−22	·9986858	−637 −23	−23	·9986285	−653 −24	−23	·9985688	−690 −27	−24	·9985067	−719 −27	−25	·9984421	−749 −27	−26	8·2
8·3	−500 −19	−18	·9989527	−520 −20	−18	·9989069	−543 −20	−19	·9988592	−566 −23	−20	·9988095	−590 −24	−20	·9987577	−612 −23	−21	8·3
8·4	−407 −16	−14	·9991676	−425 −16	−15	·9991310	−441 −17	−15	·9990930	−461 −20	−16	·9990533	−479 −21	−16	·9990121	−501 −20	−17	8·4
8·5	−330 −14	−11	·9993400	−344 −14	−12	·9993110	−360 −15	−12	·9992807	−373 −17	−13	·9992492	−390 −16	−13	·9992164	−407 −16	−14	8·5
8·6	−267 −11	−9	·9994780	−278 −12	−9	·9994550	−290 −13	−10	·9994311	−304 −13	−10	·9994061	−317 −15	−11	·9993800	−329 −14	−11	8·6
8·7	−215 −10	−7	·9995882	−226 −10	−7	·9995700	−235 −11	−8	·9995511	−245 −10	−8	·9995313	−255 −11	−8	·9995107	−266 −12	−9	8·7
8·8	−174 −8	−6	·9996758	−180 −8	−6	·9996615	−188 −8	−6	·9996466	−196 −9	−6	·9996310	−205 −9	−7	·9996148	−214 −10	−7	8·8
8·9	−138 −6	−4	·9997454	−145 −7	−5	·9997342	−152 −7	−5	·9997225	−158 −8	−5	·9997102	−164 −8	−6	·9996975	−172 −8	−5	8·9
9·0	−111 −5	−4	·9998005	−115 −6	−4	·9997917	−120 −6	−4	·9997826	−127 −6	−4	·9997730	−133 −6	−4	·9997630	−138 −7	−4	9·0
9·1	−89 −5		·9998441	−93 −5		·9998372	−97 −4		·9998300	−100 −5		·9998225	−104 −5		·9998147	−109 −5		9·1
9·2	−70 −4		·9998784	−74 −4		·9998730	−76 −4		·9998674	−80 −4		·9998616	−84 −4		·9998555	−87 −4		9·2
9·3	−56		·9999053	−57		·9999012	−62		·9998968	−63		·9998923	−66		·9998876	−70 −4		9·3
9·4	−43		·9999265	−47		·9999232	−47		·9999199	−51		·9999164	−53		·9999127	−54		9·4
9·5	−36		·9999430	−36		·9999405	−38		·9999379	−39		·9999352	−41		·9999324	−43		9·5
9·6	−26		·9999559	−28		·9999540	−30		·9999520	−32		·9999499	−33		·9999477	−34		9·6
9·7	−22		·9999660	−23		·9999645	−24		·9999629	−23		·9999613	−25		·9999596	−27		9·7
9·8	−17		·9999738	−18		·9999726	−17		·9999715	−20		·9999702	−20		·9999689	−21		9·8
9·9	−14		·9999798	−13		·9999790	−15		·9999781	−15		·9999771	−18		·9999761	−16		9·9
10·0	−9		·9999845	−11		·9999839	−12		·9999832	−12		·9999824	−11		·9999817	−13		10·0
10·1	−8		·9999881	−8		·9999876	−8		·9999871	−9		·9999866	−9		·9999860	−10		10·1
10·2	−7		·9999909	−6		·9999905	−6		·9999901	−7		·9999897	−7		·9999893	−8		10·2
10·3	−4		·9999931	−5		·9999928	−5		·9999925	−6		·9999922	−6		·9999918	−8		10·3
10·4	−4		·9999947	−4		·9999945	−4		·9999943	−5		·9999940	−5		·9999938	−5		10·4
10·5			·9999960			·9999958			·9999956	−4		·9999955	−4		·9999953	−4		10·5
10·6			·9999969			·9999968			·9999967			·9999966			·9999964			10·6
10·7			·9999977			·9999976			·9999975			·9999974			·9999973			10·7
10·8			·9999983			·9999982			·9999981			·9999980			·9999979			10·8
10·9			·9999987			·9999986			·9999986			·9999985			·9999984			10·9
11·0			·9999990			·9999990			·9999989			·9999989			·9999988			11·0
11·1			·9999993			·9999992			·9999992			·9999992			·9999991			11·1
11·2			·9999994			·9999994			·9999994			·9999994			·9999993			11·2
11·3			·9999996			·9999996			·9999995			·9999995			·9999995			11·3
11·4			·9999997			·9999997			·9999997			·9999996			·9999996			11·4
11·5			·9999998			·9999998			·9999997			·9999997			·9999997			11·5
11·6			·9999998			·9999998			·9999998			·9999998			·9999998			11·6
11·7			·9999999			·9999999			·9999999			·9999998			·9999998			11·7
11·8			·9999999			·9999999			·9999999			·9999999			·9999999			11·8
11·9			·9999999			·9999999			·9999999			·9999999			·9999999			11·9
12·0			·9999999			·9999999			·9999999			·9999999			·9999999			12·0
12·1			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·1

	$p = 21·0$			$p = 21·2$			$p = 21·4$			$p = 21·6$			$p = 21·8$			$p = 22·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·9	·0000000																·9
1·0	·0000000																1·0
1·1	·0000000	+1 +1		·0000000	+1 +1		·0000000	+1		·0000000			·0000000			·0000000	1·1
1·2	·0000001	+3 +3		·0000001	+2 +2		·0000001	+2 +2		·0000001	+2 +2		·0000001	+1 +2		·0000000	1·2
1·3	·0000005	+8 +8		·0000004	+7 +7		·0000003	+7 +5		·0000003	+5 +5		·0000002	+5 +4		·0000002	1·3
1·4	·0000017	+20 +16		·0000014	+17 +14		·0000012	+14 +12		·0000010	+13 +12		·0000008	+11 +9		·0000007	1·4
1·5	·0000049	+49 +29		·0000041	+43 +25		·0000035	+37 +25		·0000030	+31 +21		·0000025	+28 +17		·0000021	1·5
1·6	·0000130	+107 +51		·0000111	+94 +43		·0000095	+83 +41		·0000081	+73 +38		·0000070	+62 +33		·0000059	1·6
1·7	·0000318	+216 +79	+7	·0000275	+190 +77	+7	·0000238	+167 +67	+6	·0000205	+149 +60	+5	·0000177	+132 +58	+4	·0000152	1·7
1·8	·0000722	+404 +122	+12	·0000629	+362 +111	+11	·0000548	+324 +104	+10	·0000478	+288 +98	+9	·0000416	+257 +87	+8	·0000362	1·8
1·9	·0001530	+714 +170	+24	·0001345	+645 +156	+22	·0001182	+581 +147	+20	·0001039	+522 +140	+17	·0000912	+470 +129	+15	·0000800	1·9
2·0	·0003052	+1194 +220	+42	·0002706	+1084 +210	+35	·0002397	+986 +200	+33	·0002122	+897 +183	+30	·0001878	+812 +178	+27	·0001661	2·0
2·1	·0005768	+1894 +278	+69	·0005151	+1738 +252	+64	·0004598	+1591 +251	+57	·0004102	+1455 +243	+50	·0003656	+1332 +227	+48	·0003258	2·1
2·2	·0010378	+2872 +317	+110	·0009334	+2652 +310	+100	·0008390	+2447 +301	+91	·0007537	+2256 +290	+84	·0006766	+2079 +277	+78	·0006071	2·2
2·3	·0017860	+4167 +354	+164	·0016169	+3876 +349	+151	·0014629	+3604 +337	+139	·0013228	+3347 +328	+128	·0011955	+3103 +327	+115	·0010797	2·3
2·4	·0029509	+5816 +359	+237	·0026880	+5449 +353	+221	·0024472	+5098 +355	+202	·0022266	+4766 +353	+187	·0020247	+4454 +341	+173	·0018401	2·4
2·5	·0046974	+7824 +337	+330	·0043040	+7375 +347	+307	·0039413	+6947 +347	+284	·0036070	+6538 +349	+266	·0032993	+6146 +354	+245	·0030161	2·5
2·6	·0072263	+10169 +283	+441	·0066575	+9648 +293	+414	·0061301	+9143 +310	+385	·0056412	+8659 +316	+362	·0051885	+8192 +325	+337	·0047694	2·6
2·7	·0107721	+12797 +200	+571	·0099758	+12214 +220	+537	·0092332	+11649 +231	+507	·0085413	+11096 +254	+475	·0078969	+10563 +264	+447	·0072972	2·7
2·8	·0155976	+15625 +78	+717	·0145155	+15000 +107	+678	·0135012	+14386 +136	+641	·0125510	+13787 +154	+608	·0116616	+13198 +180	+572	·0108294	2·8
2·9	·0219856	+18531 −60	+872	·0205552	+17893 −31	+830	·0192078	+17259 +1	+790	·0179394	+16632 +31	+751	·0167461	+16013 +58	+712	·0156240	2·9
3·0	·0302267	+21377 −210	+1032	·0283842	+20755 −179	+986	·0266403	+20133 −145	+948	·0249910	+19508 −108	+909	·0234319	+18886 −78	+862	·0219590	3·0
3·1	·0406055	+24013 −371	+1188	·0382887	+23442 −334	+1149	·0360861	+22862 −297	+1099	·0339934	+22276 −268	+1056	·0320063	+21683 −236	+1014	·0301206	3·1
3·2	·0533856	+26278 −511	+1331	·0505374	+25795 −481	+1289	·0478181	+25294 −451	+1248	·0452234	+24776 −414	+1203	·0427490	+24244 −378	+1160	·0403906	3·2
3·3	·0687935	+28032 −638	+1457	·0653656	+27667 −611	+1417	·0620795	+27275 −579	+1377	·0589310	+26862 −553	+1338	·0559161	+26427 −523	+1298	·0530309	3·3
3·4	·0870046	+29148 −730	+1555	·0829605	+28928 −709	+1520	·0790684	+28678 −693	+1484	·0753248	+28395 −665	+1448	·0717259	+28087 −646	+1412	·0682683	3·4
3·5	·1081305	+29534 −787	+1620	·1034482	+29480 −777	+1591	·0989251	+29388 −760	+1561	·0945581	+29263 −749	+1532	·0903444	+29101 −727	+1501	·0862806	3·5
3·6	·1322098	+29133 −799	+1647	·1268839	+29255 −798	+1626	·1217206	+29338 −798	+1604	·1167177	+29382 −789	+1581	·1118730	+29388 −781	+1557	·1071840	3·6
3·7	·1592024	+27933 −777	+1638	·1532451	+28232 −781	+1622	·1474499	+28492 −786	+1608	·1418155	+28712 −790	+1593	·1363404	+28894 −795	+1577	·1310231	3·7
3·8	·1889883	+25956 −709	+1579	·1824295	+26428 −728	+1576	·1760284	+26860 −743	+1572	·1697845	+27252 −753	+1568	·1636972	+27605 −761	+1563	·1577657	3·8
3·9	·2213698	+23270 −609	+1486	·2142567	+23896 −633	+1492	·2072929	+24485 −653	+1497	·2004787	+25039 −678	+1500	·1938145	+25555 −694	+1501	·1873003	3·9
4·0	·2560783	+19975 −488	+1356	·2484735	+20731 −518	+1372	·2410059	+21457 −548	+1385	·2336768	+22150 −572	+1397	·2264873	+22811 −596	+1406	·2194385	4·0
4·1	·2927843	+16187 −346	+1197	·2847634	+17048 −380	+1220	·2768646	+17881 −407	+1241	·2690899	+18689 −438	+1261	·2614412	+19471 −472	+1278	·2539204	4·1
4·2	·3311090	+12058 −200	+1014	·3227581	+12985 −233	+1043	·3145114	+13898 −269	+1071	·3063719	+14790 −304	+1098	·2983422	+15659 −330	+1122	·2904247	4·2
4·3	·3706395	+7726 −53	+814	·3620513	+8692 −82	+849	·3535480	+9646 −117	+881	·3451329	+10587 −146	+914	·3368091	+11517 −184	+944	·3285798	4·3
4·4	·4109426	+3345 +88	+605	·4022137	+4313 +58	+643	·3935492	+5277 +27	+680	·3849526	+6238 −8	+718	·3764277	+7191 −39	+751	·3679779	4·4
4·5	·4515802	−948 +215	+394	·4428074	−8 +188	+434	·4340781	+935 +161	+474	·4253961	+1881 +131	+512	·4167654	+2826 +105	+550	·4081896	4·5
4·6	·4921230	−5026 +320	+188	·4834003	−4141 +296	+229	·4747005	−3246 +270	+269	·4660277	−2345 +250	+309	·4573857	−1434 +219	+348	·4487785	4·6
4·7	·5321632	−8784 +404	−6	·5235791	−7978 +387	+33	·5149983	−7157 +370	+73	·5064248	−6321 +346	+112	·4978626	−5475 +329	+151	·4893154	4·7
4·8	·5713250	−12138 +463	−185	·5629601	−11428 +453	−147	·5545804	−10698 +438	−110	·5461898	−9951 +425	−72	·5377920	−9187 +409	−34	·5293907	4·8
4·9	·6092730	−15029 +499	−344	·6011983	−14425 +496	−309	·5930927	−13801 +485	−274	·5849597	−13156 +477	−239	·5768027	−12490 +467	−204	·5686253	4·9
5·0	·6457181	−17421 +518	−481	·6379940	−16932 +514	−450	·6302249	−16419 +509	−418	·6224140	−15884 +506	−386	·6145644	−15326 +500	−354	·6066795	5·0
5·1	·6804211	−19297 +509	−593	·6730965	−18925 +514	−567	·6657152	−18528 +518	−539	·6582799	−18106 +513	−511	·6507935	−17662 +514	−483	·6432589	5·1
5·2	·7131944	−20664 +485	−682	·7063065	−20404 +491	−660	·6993527	−20121 +497	−637	·6923352	−19815 +506	−613	·6852564	−19484 +506	−589	·6781187	5·2
5·3	·7439013	−21546 +455	−747	·7374761	−21392 +461	−729	·7309781	−21217 +470	−710	·7244090	−21018 +473	−691	·7177709	−20800 +487	−671	·7110656	5·3
5·4	·7724536	−21973 +405	−790	·7665065	−21919 +418	−776	·7604818	−21843 +427	−762	·7543810	−21748 +441	−747	·7482054	−21629 +446	−731	·7419568	5·4
5·5	·7988086	−21996 +358	−819	·7933450	−22028 +365	−809	·7878012	−22042 +378	−792	·7821782	−22037 +390	−781	·7764770	−22012 +401	−769	·7706990	5·5
5·6	·8229640	−21666 +300	−816	·8179807	−21772 +315	−810	·8129164	−21863 +327	−804	·8077717	−21936 +336	−796	·8025474	−21994 +350	−788	·7972443	5·6
5·7	·8449528	−21033 +242	−805	·8404392	−21203 +257	−802	·8358453	−21357 +266	−799	·8311716	−21499 +282	−795	·8264184	−21626 +293	−790	·8215861	5·7
5·8	·8648383	−20161 +188	−781	·8607774	−20377 +192	−781	·8566385	−20585 +214	−780	·8524216	−20780 +224	−779	·8481268	−20965 +241	−777	·8437542	5·8
5·9	·8827077	−19099 +138	−746	·8790779	−19354 +148	−748	·8753732	−19599 +159	−750	·8715936	−19837 +173	−752	·8677387	−20063 +178	−753	·8638087	5·9
6·0	·8986672	−17901 +91	−704	·8954430	−18180 +99	−708	·8921480	−18454 +111	−712	·8887819	−18721 +119	−715	·8853443	−18983 +135	−718	·8818348	6·0
6·1	·9128366	−16612 +46	−656	·9099901	−16907 +56	−662	·9070774	−17198 +64	−667	·9040981	−17486 +78	−671	·9010516	−17768 +86	−676	·8979375	6·1
6·2	·9253448	−15277 +12	−605	·9228465	−15578 +21	−611	·9202870	−15878 +32	−618	·9176657	−16173 +34	−624	·9149821	−16467 +42	−629	·9122356	6·2
6·3	·9363253	−13927 −17	−552	·9341451	−14228 −10	−559	·9319088	−14526 −9	−566	·9296160	−14826 +2	−573	·9272659	−15124 +9	−579	·9248579	6·3
6·4	·9459131	−12596 −40	−499	·9440209	−12888 −39	−507	·9420780	−13183 −28	−514	·9400837	−13477 −25	−521	·9380373	−13772 −18	−528	·9359381	6·4
6·5	·9542413	−11305 −58	−448	·9526079	−11587 −53	−455	·9509289	−11888 −54	−463	·9492037	−12155 −48	−470	·9474315	−12438 −46	−477	·9456117	6·5

	$p = 22·0$		$p = 22·2$			$p = 22·4$			$p = 22·6$			$p = 22·8$			$p = 23·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^9 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·9																		·9
1·0																		1·0
1·1			·0000000			·0000000			·0000000			·0000000			·0000000			1·1
1·2	+2 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 0		·0000000			·0000000			1·2
1·3	+3 +4		·0000002	+3 +3		·0000001	+3 +3		·0000001	+2 +2		·0000001	+2 +2		·0000001	+1 +2		1·3
1·4	+9 +9		·0000006	+8 +7		·0000005	+6 +7		·0000004	+6 +5		·0000003	+6 +5		·0000003	+4 +5		1·4
1·5	+24 +16		·0000018	+21 +15		·0000015	+18 +13		·0000013	+15 +12		·0000011	+12 +11		·0000009	+12 +8		1·5
1·6	+55 +30		·0000051	+47 +27		·0000043	+42 +24		·0000037	+36 +23		·0000031	+32 +20		·0000027	+27 +18		1·6
1·7	+117 +52	+4	·0000131	+103 +48		·0000113	+90 +43		·0000097	+80 +37		·0000083	+71 +32		·0000072	+61 +33		1·7
1·8	+228 +81	+7	·0000314	+204 +74	+7	·0000273	+181 +69	+6	·0000237	+161 +63	+5	·0000206	+142 +60	+4	·0000178	+128 +49	+4	1·8
1·9	+423 +119	+13	·0000701	+380 +110	+12	·0000614	+341 +102	+11	·0000538	+305 +96	+10	·0000471	+273 +89	+9	·0000412	+244 +84	+8	1·9
2·0	+736 +167	+24	·0001468	+666 +158	+21	·0001296	+603 +147	+19	·0001144	+545 +138	+17	·0001009	+493 +127	+15	·0000890	+444 +121	+14	2·0
2·1	+1216 +217	+41	·0002901	+1110 +205	+37	·0002581	+1012 +196	+34	·0002295	+923 +183	+31	·0002040	+840 +174	+27	·0001812	+765 +160	+24	2·1
2·2	+1913 +268	+68	·0005444	+1759 +258	+61	·0004878	+1617 +244	+57	·0004369	+1484 +235	+51	·0003911	+1361 +224	+46	·0003499	+1246 +219	+41	2·2
2·3	+2878 +313	+106	·0009746	+2666 +301	+98	·0008792	+2466 +295	+89	·0007927	+2280 +285	+81	·0007143	+2106 +276	+74	·0006432	+1946 +259	+68	2·3
2·4	+4156 +339	+159	·0016714	+3874 +338	+145	·0015172	+3610 +329	+135	·0013765	+3361 +320	+123	·0012481	+3127 +310	+114	·0011311	+2905 +306	+104	2·4
2·5	+5773 +355	+227	·0027556	+5420 +348	+211	·0025162	+5083 +345	+198	·0022964	+4762 +344	+180	·0020946	+4458 +340	+167	·0019095	+4170 +334	+154	2·5
2·6	+7745 +327	+313	·0043818	+7314 +335	+294	·0040235	+6901 +341	+273	·0036925	+6507 +340	+254	·0033869	+6129 +343	+238	·0031049	+5769 +343	+219	2·6
2·7	+10044 +281	+419	·0067394	+9543 +293	+393	·0062209	+9060 +300	+369	·0057393	+8592 +313	+344	·0052921	+8143 +318	+323	·0048772	+7711 +322	+302	2·7
2·8	+12624 +200	+541	·0100513	+12065 +216	+511	·0093243	+11519 +235	+480	·0086453	+10990 +247	+453	·0080116	+10475 +263	+427	·0074206	+9975 +278	+400	2·8
2·9	+15404 +82	+678	·0145697	+14803 +110	+642	·0135796	+14213 +135	+608	·0126503	+13635 +158	+576	·0117786	+13070 +175	+546	·0109615	+12517 +193	+516	2·9
3·0	+18268 −44	+823	·0205684	+17651 −16	+784	·0192562	+17042 +9	+748	·0180188	+16438 +37	+712	·0168526	+15840 +69	+677	·0157541	+15252 +94	+643	3·0
3·1	+21084 −199	+973	·0283322	+20483 −167	+932	·0266370	+19880 −131	+893	·0250311	+19278 −101	+854	·0235106	+18679 −76	+818	·0220719	+18081 −46	+782	3·1
3·2	+23703 −351	+1120	·0381443	+23148 −313	+1079	·0360058	+22587 −284	+1038	·0339712	+22017 −249	+999	·0320365	+21442 −215	+960	·0301978	+20864 −185	+923	3·2
3·3	+25971 −490	+1256	·0502712	+25500 −464	+1216	·0476333	+25010 −430	+1177	·0451130	+24507 −399	+1138	·0427066	+23990 −366	+1099	·0404101	+23462 −332	+1061	3·3
3·4	+27749 −618	+1375	·0649481	+27388 −590	+1338	·0617618	+27003 −562	+1301	·0587055	+26598 −536	+1264	·0557757	+26172 −508	+1227	·0529686	+25728 −479	+1191	3·4
3·5	+28911 −716	+1469	·0823638	+28686 −691	+1437	·0785906	+28434 −672	+1404	·0749578	+28153 −648	+1370	·0714620	+27846 −623	+1337	·0680999	+27515 −600	+1303	3·5
3·6	+29357 −768	+1532	·1026481	+29293 −761	+1506	·0982628	+29193 −746	+1478	·0940254	+29060 −731	+1450	·0899329	+28897 −716	+1422	·0859827	+28702 −696	+1393	3·6
3·7	+29035 −793	+1559	·1258617	+29139 −790	+1540	·1208543	+29206 −785	+1520	·1159990	+29236 −776	+1499	·1112935	+29232 −770	+1476	·1067357	+29193 −759	+1453	3·7
3·8	+27920 −769	+1549	·1519892	+28195 −773	+1538	·1463664	+28434 −780	+1526	·1408962	+28636 −787	+1512	·1355773	+28797 −780	+1497	·1304080	+28925 −782	+1481	3·8
3·9	+26036 −715	+1500	·1809362	+26478 −729	+1498	·1747219	+26882 −738	+1494	·1686570	+27249 −746	+1488	·1627408	+27582 −762	+1481	·1569728	+27875 −765	+1472	3·9
4·0	+23437 −614	+1414	·2125310	+24032 −639	+1420	·2057656	+24592 −663	+1425	·1991427	+25116 −680	+1427	·1926625	+25605 −694	+1428	·1863251	+26060 −712	+1427	4·0
4·1	+20224 −503	+1294	·2465290	+20947 −529	+1308	·2392685	+21639 −550	+1321	·2321400	+22303 −579	+1331	·2251447	+22934 −603	+1340	·2182834	+23533 −623	+1347	4·1
4·2	+16508 −362	+1145	·2826217	+17333 −391	+1166	·2749353	+18136 −427	+1186	·2673676	+18911 −452	+1204	·2599203	+19660 −478	+1220	·2525950	+20383 −506	+1235	4·2
4·3	+12430 −216	+973	·3204477	+13328 −252	+1000	·3124157	+14206 −278	+1026	·3044863	+15067 −313	+1051	·2966619	+15908 −345	+1073	·2889449	+16727 −376	+1095	4·3
4·4	+8136 −70	+784	·3596065	+9071 −98	+816	·3513167	+9998 −137	+847	·3431117	+10910 −165	+877	·3349943	+11811 −201	+906	·3269675	+12695 −230	+932	4·4
4·5	+3772 +72	+588	·3996724	+4716 +37	+622	·3912175	+5653 +13	+656	·3828281	+6588 −23	+690	·3745078	+7513 −49	+722	·3662596	+8433 −85	+753	4·5
4·6	−520 +196	+388	·4402099	+398 +172	+423	·4316836	+1321 +140	+460	·4232033	+2243 +114	+498	·4147726	+3166 +84	+531	·4063950	+4086 +60	+565	4·6
4·7	−4616 +305	+189	·4807872	−3748 +282	+227	·4722818	−2871 +259	+265	·4638028	−1988 +237	+302	·4553540	−1097 +210	+338	·4469390	−201 +180	+374	4·7
4·8	−8407 +394	+3	·5209897	−7612 +376	+40	·5125928	−6804 +358	+77	·5042035	−5982 +334	+114	·4958257	−5150 +314	+150	·4874629	−4308 +294	+186	4·8
4·9	−11804 +453	−169	·5604310	−11100 +440	−133	·5522234	−10379 +428	−98	·5440060	−9642 +416	−63	·5357824	−8889 +401	−27	·5275560	−8121 +384	+8	4·9
5·0	−14748 +496	−322	·5987623	−14148 +490	−289	·5908161	−13526 +478	−257	·5828443	−12886 +469	−224	·5748502	−12227 +458	−190	·5668370	−11550 +448	−157	5·0
5·1	−17196 +515	−454	·6356788	−16706 +510	−425	·6280562	−16195 +509	−395	·6203940	−15661 +503	−366	·6126953	−15107 +499	−335	·6049630	−14531 +489	−305	5·1
5·2	−19129 +505	−564	·6709247	−18754 +512	−539	·6636768	−18355 +514	−513	·6563776	−17933 +513	−486	·6490297	−17488 +511	−460	·6416359	−17023 +512	−433	5·2
5·3	−20557 +495	−651	·7042952	−20290 +496	−629	·6974619	−20001 +498	−608	·6905679	−19692 +507	−585	·6836153	−19358 +508	−562	·6766065	−19003 +521	−539	5·3
5·4	−21490 +454	−715	·7356367	−21330 +464	−697	·7292469	−21149 +475	−680	·7227890	−20944 +478	−661	·7162651	−20720 +488	−643	·7096768	−20472 +491	−623	5·4
5·5	−21969 +413	−757	·7648452	−21906 +428	−744	·7589170	−21822 +433	−730	·7529157	−21718 +443	−716	·7468429	−21594 +451	−701	·7406999	−21450 +462	−686	5·5
5·6	−22035 +364	−780	·7918631	−22056 +370	−771	·7864049	−22062 +386	−761	·7808706	−22049 +398	−750	·7752613	−22017 +408	−739	·7695780	−21966 +417	−728	5·6
5·7	−21737 +303	−785	·8166754	−21836 +321	−779	·8116866	−21916 +329	−773	·8066206	−21982 +341	−766	·8014780	−22032 +355	−759	·7962595	−22065 +367	−750	5·7
5·8	−21136 +251	−775	·8393041	−21295 +263	−773	·8347767	−21441 +276	−769	·8301724	−21574 +290	−766	·8254915	−21692 +300	−761	·8207345	−21797 +314	−757	5·8
5·9	−20284 +198	−753	·8598033	−20491 +206	−753	·8557227	−20690 +220	−752	·8515668	−20876 +230	−751	·8473358	−21052 +244	−750	·8430298	−21215 +254	−748	5·9
6·0	−19234 +138	−720	·8782534	−19481 +154	−722	·8745997	−19719 +166	−724	·8708736	−19948 +177	−725	·8670749	−20168 +189	−726	·8632036	−20379 +202	−727	6·0
6·1	−18046 +100	−680	·8947554	−18317 +106	−684	·8915048	−18582 +114	−686	·8881856	−18843 +128	−691	·8847972	−19095 +136	−693	·8813395	−19341 +147	−696	6·1
6·2	−16758 +49	−635	·9094257	−17047 +61	−640	·9065517	−17331 +72	−645	·9036133	−17610 +78	−649	·9006100	−17886 +90	−653	·8975413	−18156 +99	−657	6·2
6·3	−15421 +18	−586	·9223913	−15716 +28	−592	·9198655	−16008 +30	−598	·9172800	−16299 +40	−603	·9146342	−16587 +48	−609	·9119275	−16872 +57	−614	6·3
6·4	−14066 −15	−535	·9337853	−14359 −13	−542	·9315785	−14655 0	−548	·9293168	−14948 +6	−554	·9269997	−15240 +12	−561	·9246265	−15531 +20	−567	6·4
6·5	−12726 −39	−484	·9437434	−13015 −30	−491	·9418260	−13302 −31	−498	·9398588	−13591 −28	−505	·9378412	−13881 −19	−511	·9357724	−14170 −14	−518	6·5

	$p = 21{\cdot}0$			$p = 21{\cdot}2$			$p = 21{\cdot}4$			$p = 21{\cdot}6$			$p = 21{\cdot}8$			$p = 22{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
6·5	·9542413	−11305 −58	−448	·9526079	−11587 −53	−455	·9509289	−11868 −54	−463	·9492037	−12153 −48	−470	·9474315	−12438 −46	−477	·9456117	6·5
6·6	·9614390	−10075 −72	−398	·9600362	−10339 −72	−405	·9585930	−10608 −69	−413	·9571084	−10877 −67	−420	·9555819	−11150 −62	−427	·9540127	6·6
6·7	·9676292	−8917 −82	−351	·9664306	−9163 −83	−358	·9651963	−9414 −77	−365	·9639254	−9668 −75	−372	·9626173	−9924 −74	−379	·9612712	6·7
6·8	·9729277	−7840 −90	−308	·9719087	−8070 −89	−314	·9708582	−8300 −85	−321	·9697756	−8534 −85	−328	·9686603	−8772 −83	−334	·9675115	6·8
6·9	·9774422	−6855 −90	−268	·9765798	−7058 −85	−274	·9756901	−7270 −90	−280	·9747724	−7484 −89	−286	·9738261	−7703 −88	−292	·9728506	6·9
7·0	·9812714	−5953 −90	−231	·9805451	−6141 −88	−237	·9797950	−6330 −90	−243	·9790208	−6526 −90	−248	·9782217	−6724 −90	−254	·9773971	7·0
7·1	·9845053	−5143 −87	−199	·9838963	−5310 −86	−204	·9832669	−5482 −87	−209	·9826166	−5655 −88	−214	·9819449	−5832 −90	−219	·9812513	7·1
7·2	·9872249	−4418 −81	−170	·9867165	−4567 −83	−174	·9861906	−4717 −85	−179	·9856469	−4873 −86	−183	·9850849	−5032 −88	−188	·9845041	7·2
7·3	·9895027	−3778 −73	−144	·9890800	−3907 −78	−148	·9886426	−4041 −80	−152	·9881899	−4177 −81	−156	·9877217	−4317 −82	−160	·9872374	7·3
7·4	·9914027	−3211 −65	−121	·9910528	−3325 −74	−125	·9906905	−3443 −74	−128	·9903152	−3561 −76	−132	·9899268	−3684 −76	−136	·9895248	7·4
7·5	·9929816	−2719 −61	−102	·9926931	−2817 −67	−105	·9923941	−2917 −68	−108	·9920844	−3023 −69	−111	·9917635	−3129 −71	−114	·9914312	7·5
7·6	·9942886	−2291 −56	−85	·9940517	−2378 −60	−88	·9938060	−2463 −62	−90	·9935513	−2552 −63	−93	·9932873	−2645 −65	−95	·9930137	7·6
7·7	·9953665	−1920 −51	−71	·9951727	−1993 −54	−73	·9949716	−2068 −55	−75	·9947630	−2145 −57	−78	·9945466	−2223 −58	−80	·9943223	7·7
7·8	·9962524	−1604 −46	−58	·9960944	−1665 −48	−60	·9959304	−1728 −49	−62	·9957602	−1794 −51	−64	·9955836	−1863 −52	−66	·9954003	7·8
7·9	·9969779	−1334 −41	−48	·9968496	−1388 −42	−50	·9967164	−1441 −44	−51	·9965780	−1495 −45	−53	·9964343	−1552 −46	−55	·9962852	7·9
8·0	·9975700	−1105 −36	−39	·9974662	−1149 −35	−41	·9973583	−1193 −38	−42	·9972463	−1241 −39	−44	·9971298	−1289 −41	−45	·9970089	8·0
8·1	·9980516	−911 −31	−32	·9979679	−947 −30	−33	·9978809	−986 −33	−34	·9977905	−1025 −35	−36	·9976965	−1066 −35	−37	·9975988	8·1
8·2	·9984421	−749 −27	−26	·9983749	−780 −25	−27	·9983049	−810 −28	−28	·9982322	−843 −30	−29	·9981566	−875 −30	−30	·9980779	8·2
8·3	·9987577	−612 −23	−21	·9987039	−638 −22	−22	·9986479	−666 −25	−23	·9985896	−692 −26	−23	·9985289	−719 −26	−24	·9984658	8·3
8·4	·9990121	−501 −20	−17	·9989691	−521 −19	−18	·9989243	−541 −21	−18	·9988778	−565 −23	−19	·9988293	−588 −22	−20	·9987789	8·4
8·5	·9992164	−407 −18	−14	·9991822	−424 −17	−14	·9991466	−443 −17	−15	·9991095	−460 −18	−15	·9990709	−479 −19	−16	·9990307	8·5
8·6	·9993800	−329 −14	−11	·9993529	−343 −15	−11	·9993246	−357 −15	−12	·9992952	−373 −15	−12	·9992646	−389 −16	−13	·9992326	8·6
8·7	·9995107	−268 −12	−8	·9994893	−278 −13	−9	·9994669	−289 −13	−9	·9994436	−301 −12	−10	·9994194	−314 −13	−10	·9993941	8·7
8·8	·9996148	−214 −10	−7	·9995979	−223 −10	−7	·9995803	−234 −10	−7	·9995619	−243 −11	−8	·9995428	−254 −11	−8	·9995228	8·8
8·9	·9996975	−172 −8	−6	·9996842	−179 −8	−6	·9996703	−186 −9	−6	·9996559	−195 −9	−6	·9996408	−203 −9	−6	·9996251	8·9
9·0	·9997630	−138 −7	−4	·9997526	−144 −6	−4	·9997417	−150 −7	−5	·9997304	−157 −7	−6	·9997186	−164 −8	−5	·9997062	9·0
9·1	·9998147	−109 −5		·9998066	−114 −6		·9997981	−120 −6	−4	·9997892	−124 −6	−4	·9997800	−130 −7	−4	·9997704	9·1
9·2	·9998555	−87 −4		·9998492	−91 −5		·9998425	−94 −4		·9998356	−99 −5		·9998284	−103 −5		·9998209	9·2
9·3	·9998876	−70 −4		·9998826	−71 −4		·9998775	−76 −4		·9998721	−79 −4		·9998665	−82 −4		·9998607	9·3
9·4	·9999127	−54		·9999089	−57		·9999049	−60		·9999007	−62 −4		·9998964	−66 −4		·9998918	9·4
9·5	·9999324	−43		·9999294	−45		·9999263	−47		·9999231	−50		·9999197	−50		·9999162	9·5
9·6	·9999477	−34		·9999454	−35		·9999430	−36		·9999405	−38		·9999380	−42		·9999352	9·6
9·7	·9999596	−27		·9999579	−27		·9999561	−30		·9999541	−30		·9999521	−30		·9999501	9·7
9·8	·9999689	−21		·9999676	−22		·9999662	−23		·9999647	−24		·9999632	−26		·9999616	9·8
9·9	·9999761	−16		·9999751	−17		·9999740	−17		·9999729	−19		·9999717	−19		·9999705	9·9
10·0	·9999817	−13		·9999809	−13		·9999801	−14		·9999792	−14		·9999783	−15		·9999774	10·0
10·1	·9999860	−10		·9999854	−11		·9999848	−11		·9999841	−12		·9999834	−12		·9999827	10·1
10·2	·9999893	−8		·9999888	−9		·9999884	−9		·9999879	−10		·9999873	−9		·9999868	10·2
10·3	·9999918	−6		·9999915	−7		·9999911	−8		·9999907	−8		·9999903	−7		·9999899	10·3
10·4	·9999938	−5		·9999935	−6		·9999932	−5		·9999930	−6		·9999927	−6		·9999923	10·4
10·5	·9999953	−4		·9999951	−5		·9999949	−4		·9999947	−5		·9999944	−4		·9999942	10·5
10·6	·9999964			·9999963	−4		·9999961			·9999959			·9999958			·9999956	10·6
10·7	·9999973			·9999972			·9999971			·9999969			·9999968			·9999967	10·7
10·8	·9999979			·9999979			·9999978			·9999977			·9999976			·9999975	10·8
10·9	·9999984			·9999984			·9999983			·9999982			·9999982			·9999981	10·9
11·0	·9999988			·9999988			·9999987			·9999987			·9999986			·9999986	11·0
11·1	·9999991			·9999991			·9999990			·9999990			·9999990			·9999989	11·1
11·2	·9999993			·9999993			·9999993			·9999993			·9999992			·9999992	11·2
11·3	·9999995			·9999995			·9999995			·9999994			·9999994			·9999994	11·3
11·4	·9999996			·9999996			·9999996			·9999996			·9999996			·9999995	11·4
11·5	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·5
11·6	·9999998			·9999998			·9999998			·9999998			·9999998			·9999997	11·6
11·7	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·7
11·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·8
11·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·9
12·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·0
12·1	1·0000000			·9999999			·9999999			·9999999			·9999999			·9999999	12·1
12·2				1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·2

u	$p = 22{\cdot}0$		$p = 22{\cdot}2$			$p = 22{\cdot}4$			$p = 22{\cdot}6$			$p = 22{\cdot}8$			$p = 23{\cdot}0$			u
	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	
6·5	−12726 −39	−484	·9437434	−13015 −30	−491	·9418260	−13302 −31	−498	·9398588	−13591 −26	−505	·9378412	−13881 −19	−511	·9357724	−14170 −14	−516	6·5
6·6	−11425 −58	−434	·9524000	−11700 −57	−441	·9507433	−11986 −50	−448	·9490417	−12260 −45	−455	·9472946	−12541 −42	−462	·9455013	−12823 −36	−469	6·6
6·7	−10182 −73	−386	·9598866	−10445 −70	−393	·9584626	−10706 −68	−400	·9569986	−10974 −66	−407	·9554939	−11242 −60	−414	·9539479	−11514 −56	−420	6·7
6·8	−9012 −83	−341	·9663287	−9257 −79	−346	·9651111	−9504 −79	−354	·9638581	−9754 −75	−361	·9625690	−10007 −76	−367	·9612431	−10261 −73	−374	6·8
6·9	−7926 −67	−299	·9718451	−8146 −66	−305	·9708092	−8377 −63	−311	·9697422	−8609 −65	−318	·9686434	−8843 −64	−324	·9675122	−9061 −63	−330	6·9
7·0	−6923 −90	−260	·9765467	−7130 −89	−266	·9756696	−7338 −89	−272	·9747654	−7549 −90	−277	·9738335	−7766 −89	−283	·9728732	−7984 −87	−289	7·0
7·1	−6014 −89	−224	·9805353	−6200 −89	−230	·9797962	−6367 −90	−235	·9790337	−6580 −91	−241	·9782470	−6774 −90	−246	·9774358	−6974 −91	−252	7·1
7·2	−5195 −86	−193	·9839039	−5356 −88	−198	·9832841	−5529 −89	−202	·9826440	−5701 −89	−207	·9819831	−5876 −90	−212	·9813010	−6055 −90	−217	7·2
7·3	−4459 −83	−164	·9867367	−4606 −86	−169	·9862191	−4753 −86	−173	·9856842	−4909 −87	−178	·9851316	−5067 −87	−182	·9845607	−5227 −88	−187	7·3
7·4	−3810 −76	−140	·9891089	−3940 −80	−143	·9886786	−4073 −80	−147	·9882335	−4206 −81	−151	·9877734	−4345 −83	−155	·9872977	−4485 −84	−159	7·4
7·5	−3239 −72	−118	·9910871	−3351 −73	−121	·9907308	−3463 −74	−124	·9903622	−3585 −76	−128	·9899807	−3705 −78	−131	·9895862	−3831 −79	−135	7·5
7·6	−2739 −66	−99	·9927302	−2837 −67	−102	·9924365	−2937 −68	−105	·9921324	−3039 −70	−108	·9918175	−3145 −72	−111	·9914916	−3253 −74	−114	7·6
7·7	−2306 −60	−82	·9940896	−2388 −61	−85	·9938485	−2475 −63	−87	·9935987	−2564 −64	−90	·9933398	−2655 −65	−93	·9930717	−2749 −66	−95	7·7
7·8	−1931 −54	−68	·9952102	−2004 −55	−71	·9950130	−2077 −56	−73	·9948086	−2154 −56	−75	·9945966	−2232 −59	−77	·9943769	−2311 −60	−80	7·8
7·9	−1612 −47	−57	·9961304	−1672 −49	−58	·9959698	−1736 −50	−60	·9958031	−1799 −51	−62	·9956302	−1866 −53	−64	·9954510	−1936 −53	−66	7·9
8·0	−1336 −42	−46	·9968834	−1391 −43	−48	·9967530	−1443 −45	−50	·9966177	−1499 −45	−51	·9964772	−1555 −46	−53	·9963315	−1613 −46	−55	8·0
8·1	−1106 −36	−38	·9974973	−1150 −37	−39	·9973919	−1195 −38	−41	·9972824	−1241 −40	−42	·9971687	−1289 −41	−43	·9970507	−1338 −43	−45	8·1
8·2	−912 −32	−31	·9979962	−949 −32	−32	·9979113	−987 −32	−33	·9978230	−1025 −35	−34	·9977313	−1064 −36	−35	·9976361	−1106 −36	−37	8·2
8·3	−748 −27	−25	·9984002	−776 −28	−26	·9983320	−809 −29	−27	·9982611	−841 −30	−28	·9981875	−876 −30	−29	·9981109	−910 −31	−30	8·3
8·4	−613 −23	−20	·9987264	−637 −24	−21	·9986718	−663 −25	−22	·9986151	−690 −25	−23	·9985561	−717 −26	−23	·9984947	−745 −27	−24	8·4
8·5	−499 −20	−16	·9989889	−520 −21	−17	·9989453	−540 −22	−18	·9989001	−563 −22	−18	·9988530	−586 −23	−19	·9988040	−609 −23	−20	8·5
8·6	−404 −17	−13	·9991994	−421 −17	−14	·9991648	−439 −18	−14	·9991288	−457 −18	−15	·9990913	−475 −20	−15	·9990524	−496 −20	−16	8·6
8·7	−328 −13	−10	·9993678	−342 −14	−11	·9993404	−356 −14	−11	·9993118	−370 −15	−12	·9992821	−385 −15	−12	·9992512	−401 −17	−13	8·7
8·8	−264 −11	−8	·9995020	−274 −12	−9	·9994804	−287 −12	−9	·9994578	−298 −13	−9	·9994344	−312 −13	−10	·9994099	−324 −14	−10	8·8
8·9	−212 −10	−7	·9996088	−222 −10	−7	·9995917	−230 −10	−7	·9995740	−241 −10	−7	·9995555	−251 −11	−8	·9995362	−261 −12	−8	8·9
9·0	−169 −8	−5	·9996934	−177 −6	−5	·9996800	−185 −6	−6	·9996661	−193 −9	−6	·9996515	−200 −10	−6	·9996364	−209 −10	−6	9·0
9·1	−137 −6	−4	·9997603	−141 −7	−4	·9997498	−147 −7	−4	·9997389	−153 −8	−5	·9997275	−160 −6	−5	·9997157	−168 −8	−5	9·1
9·2	−107 −5		·9998131	−113 −6		·9998049	−116 −6		·9997964	−123 −6	−4	·9997875	−129 −6	−4	·9997782	−136 −6	−4	9·2
9·3	−87 −4		·9998546	−90 −5		·9998482	−93 −5		·9998416	−96 −4		·9998346	−101 −4		·9998274	−106 −5		9·3
9·4	−67 −4		·9998871	−71 −4		·9998822	−75 −4		·9998770	−77 −4		·9998716	−80 −4		·9998660	−83 −4		9·4
9·5	−54		·9999125	−55		·9999087	−57		·9999047	−60		·9999006	−64		·9998963	−68		9·5
9·6	−41		·9999324	−44		·9999295	−47		·9999264	−49		·9999232	−50		·9999198	−51		9·6
9·7	−34		·9999479	−35		·9999456	−35		·9999432	−37		·9999408	−40		·9999382	−41		9·7
9·8	−26		·9999599	−27		·9999582	−29		·9999563	−29		·9999544	−30		·9999525	−33		9·8
9·9	−20		·9999692	−21		·9999679	−22		·9999665	−24		·9999650	−24		·9999635	−24		9·9
10·0	−16		·9999764	−18		·9999754	−17		·9999743	−17		·9999732	−19		·9999721	−21		10·0
10·1	−12		·9999820	−13		·9999812	−14		·9999804	−14		·9999795	−14		·9999786	−18		10·1
10·2	−10		·9999862	−10		·9999856	−9		·9999850	−11		·9999844	−12		·9999837	−12		10·2
10·3	−7		·9999895	−8		·9999891	−7		·9999886	−9		·9999881	−10		·9999876	−9		10·3
10·4	−5		·9999920	−6		·9999917	−6		·9999913	−7		·9999910	−8		·9999906	−7		10·4
10·5	−5		·9999939	−4		·9999937	−5		·9999934	−5		·9999931	−8		·9999929	−6		10·5
10·6	−4		·9999954	−4		·9999952	−4		·9999950	−4		·9999948	−4		·9999946	−4		10·6
10·7			·9999965			·9999964			·9999962			·9999961			·9999959			10·7
10·8			·9999974			·9999973			·9999972			·9999970			·9999969			10·8
10·9			·9999980			·9999979			·9999979			·9999978			·9999977			10·9
11·0			·9999985			·9999984			·9999984			·9999983			·9999983			11·0
11·1			·9999989			·9999988			·9999988			·9999987			·9999987			11·1
11·2			·9999992			·9999991			·9999991			·9999991			·9999990			11·2
11·3			·9999994			·9999994			·9999993			·9999993			·9999993			11·3
11·4			·9999995			·9999995			·9999995			·9999995			·9999995			11·4
11·5			·9999996			·9999996			·9999996			·9999996			·9999996			11·5
11·6			·9999997			·9999997			·9999997			·9999997			·9999997			11·6
11·7			·9999998			·9999998			·9999998			·9999998			·9999998			11·7
11·8			·9999999			·9999998			·9999998			·9999998			·9999998			11·8
11·9			·9999999			·9999999			·9999999			·9999999			·9999999			11·9
12·0			·9999999			·9999999			·9999999			·9999999			·9999999			12·0
12·1			·9999999			·9999999			·9999999			·9999999			·9999999			12·1
12·2			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·2

	$p = 23{\cdot}0$			$p = 23{\cdot}2$			$p = 23{\cdot}4$			$p = 23{\cdot}6$			$p = 23{\cdot}8$			$p = 24{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·1	·0000000																1·1
1·2	·0000000			·0000000			·0000000			·0000000			·0000000			·0000000	1·2
1·3	·0000001	+1 +2		·0000001	+1 +2		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	1·3
1·4	·0000003	+4 +5		·0000002	+5 +4		·0000002	+3 +4		·0000002	+2 +3		·0000001	+2 +3		·0000001	1·4
1·5	·0000009	+12 +8		·0000008	+9 +8		·0000006	+9 +7		·0000005	+6 +6		·0000004	+7 +6		·0000004	1·5
1·6	·0000027	+27 +18		·0000023	+24 +16		·0000019	+21 +13		·0000016	+18 +12		·0000014	+15 +12		·0000012	1·6
1·7	·0000072	+81 +33		·0000062	+58 +29		·0000053	+47 +26		·0000045	+42 +22		·0000039	+36 +21		·0000033	1·7
1·8	·0000178	+128 +49	+4	·0000154	+114 +46	+4	·0000134	+99 +45		·0000116	+87 +43		·0000100	+78 +36		·0000087	1·8
1·9	·0000412	+244 +84	+8	·0000360	+218 +78	+7	·0000314	+196 +68	+6	·0000274	+175 +68	+6	·0000239	+156 +59	+5	·0000209	1·9
2·0	·0000890	+444 +121	+14	·0000784	+401 +110	+12	·0000690	+361 +105	+11	·0000607	+326 +94	+10	·0000534	+293 +88	+9	·0000469	2·0
2·1	·0001812	+785 +160	+24	·0001609	+694 +155	+22	·0001427	+631 +144	+20	·0001266	+571 +140	+17	·0001122	+518 +130	+15	·0000993	2·1
2·2	·0003499	+1246 +219	+41	·0003128	+1142 +205	+38	·0002795	+1045 +194	+34	·0002496	+956 +181	+31	·0002228	+873 +173	+27	·0001987	2·2
2·3	·0006432	+1948 +259	+68	·0005789	+1795 +259	+62	·0005208	+1658 +242	+56	·0004682	+1522 +233	+51	·0004207	+1401 +220	+46	·0003778	2·3
2·4	·0011311	+2906 +306	+104	·0010245	+2707 +278	+95	·0009274	+2508 +286	+87	·0008390	+2321 +276	+81	·0007587	+2149 +270	+72	·0006856	2·4
2·5	·0019095	+4170 +334	+154	·0017398	+3897 +340	+142	·0015843	+3639 +325	+131	·0014419	+3396 +317	+121	·0013116	+3167 +307	+112	·0011924	2·5
2·6	·0031049	+5769 +343	+219	·0028448	+5427 +337	+204	·0026051	+5100 +335	+190	·0023844	+4768 +333	+175	·0021812	+4492 +330	+163	·0019943	2·6
2·7	·0048772	+7711 +322	+302	·0044925	+7294 +332	+281	·0041359	+6896 +332	+264	·0038057	+6518 +336	+246	·0035000	+6147 +337	+229	·0032172	2·7
2·8	·0074206	+9975 +278	+400	·0068696	+9498 +283	+377	·0063563	+9024 +299	+353	·0058783	+8574 +308	+332	·0054335	+8139 +311	+312	·0050199	2·8
2·9	·0109615	+12517 +193	+516	·0101960	+11975 +219	+488	·0094791	+11451 +227	+461	·0088083	+10938 +246	+434	·0081809	+10440 +251	+410	·0075945	2·9
3·0	·0157541	+15252 +94	+643	·0147199	+14676 +108	+613	·0137470	+14105 +138	+580	·0128321	+13548 +155	+551	·0119723	+13002 +172	+523	·0111648	3·0
3·1	·0220719	+18081 −46	+782	·0207114	+17483 −11	+745	·0194254	+16897 +12	+713	·0182107	+16313 +40	+679	·0170639	+15738 +67	+646	·0159817	3·1
3·2	·0301978	+20864 −185	+923	·0284514	+20288 −155	+885	·0267935	+19701 −124	+850	·0252206	+19118 −92	+814	·0237291	+18537 −63	+779	·0223155	3·2
3·3	·0404101	+23462 −332	+1061	·0382197	+22926 −302	+1024	·0361317	+22381 −271	+987	·0341423	+21831 −245	+950	·0322480	+21275 −213	+915	·0304452	3·3
3·4	·0529686	+25728 −479	+1191	·0502806	+25267 −449	+1154	·0477080	+24790 −415	+1118	·0452471	+24301 −384	+1082	·0428944	+23800 −354	+1046	·0406463	3·4
3·5	·0680999	+27516 −600	+1303	·0648682	+27159 −571	+1269	·0617633	+26784 −549	+1235	·0587820	+26387 −522	+1201	·0559208	+25971 −491	+1167	·0531763	3·5
3·6	·0859827	+28702 −696	+1393	·0821717	+28480 −681	+1363	·0784970	+28229 −658	+1333	·0749556	+27951 −632	+1302	·0715443	+27651 −613	+1271	·0682602	3·6
3·7	·1067357	+29193 −759	+1433	·1023232	+29120 −748	+1429	·0980536	+29016 −730	+1404	·0939243	+28883 −720	+1378	·0899329	+28718 −702	+1352	·0860767	3·7
3·8	·1304080	+28925 −782	+1481	·1253867	+29017 −781	+1468	·1205118	+29078 −775	+1444	·1157813	+29095 −767	+1425	·1111933	+29088 −755	+1404	·1067457	3·8
3·9	·1569728	+27675 −765	+1472	·1513519	+28138 −770	+1462	·1458773	+28355 −776	+1451	·1405478	+28540 −778	+1438	·1353620	+28698 −779	+1424	·1303187	3·9
4·0	·1863251	+26060 −712	+1427	·1801304	+26479 −725	+1425	·1740783	+26862 −734	+1421	·1681683	+27212 −749	+1416	·1624000	+27524 −751	+1410	·1567726	4·0
4·1	·2182834	+23538 −628	+1347	·2115568	+24100 −648	+1353	·2049655	+24635 −668	+1357	·1985100	+25185 −676	+1360	·1921904	+25604 −696	+1361	·1860069	4·1
4·2	·2525950	+20383 −506	+1235	·2453932	+21078 −538	+1248	·2383162	+21745 −560	+1260	·2313652	+22382 −585	+1270	·2245412	+22968 −604	+1280	·2178450	4·2
4·3	·2889449	+16727 −376	+1095	·2813374	+17523 −404	+1115	·2738414	+18295 −430	+1133	·2664586	+19044 −458	+1150	·2591908	+19768 −488	+1165	·2520395	4·3
4·4	·3269675	+12695 −230	+932	·3190339	+13564 −264	+958	·3111961	+14415 −295	+982	·3034564	+15248 −326	+1004	·2958172	+16060 −351	+1026	·2882805	4·4
4·5	·3662596	+8433 −85	+758	·3580868	+9341 −111	+783	·3499923	+10240 −144	+812	·3419790	+11126 −174	+840	·3340496	+12001 −210	+866	·3262069	4·5
4·6	·4063950	+4086 +60	+565	·3980738	+5007 +22	+598	·3898125	+5921 −6	+630	·3816142	+6830 −33	+662	·3734821	+7732 −65	+692	·3654192	4·6
4·7	·4469390	−201 +180	+374	·4385615	+695 +161	+409	·4302248	+1596 +132	+443	·4219324	+2499 +99	+477	·4136878	+3398 +76	+510	·4054941	4·7
4·8	·4874629	−4308 +294	+186	·4791187	−3456 +269	+222	·4707967	−2597 +246	+257	·4625005	−1733 +227	+292	·4542333	−860 +196	+326	·4459988	4·8
4·9	·5275560	−8121 +384	+8	·5193303	−7338 +364	+43	·5111089	−6544 +347	+77	·5028953	−5738 +326	+112	·4946928	−4922 +309	+146	·4865049	4·9
5·0	·5668370	−11550 +448	−157	·5588081	−10856 +437	−124	·5507667	−10144 +421	−91	·5427163	−9417 +406	−58	·5346601	−8675 +388	−24	·5266015	5·0
5·1	·6049630	−14531 +489	−305	·5972003	−13937 +483	−274	·5894101	−13823 +476	−243	·5815956	−12690 +465	−212	·5737599	−12040 +456	−181	·5659061	5·1
5·2	·6416359	−17023 +512	−438	·6341988	−16635 +508	−405	·6267212	−16026 +502	−377	·6192059	−15498 +501	−349	·6116557	−14949 +495	−321	·6040734	5·2
5·3	·6766065	−19003 +521	−539	·6695438	−18625 +511	−513	·6624297	−18227 +514	−491	·6552664	−17805 +509	−466	·6480566	−17365 +507	−441	·6408028	5·3
5·4	·7096768	−20472 +491	−623	·7030263	−20204 +498	−603	·6963155	−19914 +502	−582	·6895464	−19608 +509	−561	·6827212	−19270 +512	−540	·6758420	5·4
5·5	·7406999	−21450 +462	−686	·7344884	−21285 +469	−670	·7282099	−21099 +477	−653	·7218661	−20892 +482	−635	·7154588	−20665 +490	−618	·7089897	5·5
5·6	·7695780	−21966 +417	−728	·7638220	−21897 +429	−715	·7579944	−21807 +435	−702	·7520966	−21699 +446	−689	·7461299	−21570 +451	−675	·7400958	5·6
5·7	·7962595	−22065 +367	−750	·7909659	−22080 +377	−742	·7855982	−22080 +393	−732	·7801572	−22060 +401	−723	·7746440	−22024 +415	−712	·7690595	5·7
5·8	·8207345	−21797 +314	−757	·8159018	−21886 +323	−751	·8109940	−21960 +334	−743	·8060118	−22020 +348	−738	·8009557	−22063 +358	−731	·7958265	5·8
5·9	·8430298	−21215 +254	−748	·8386491	−21367 +268	−745	·8341938	−21506 +282	−742	·8296644	−21632 +294	−736	·8250611	−21744 +306	−734	·8203843	5·9
6·0	·8632036	−20879 +202	−727	·8592597	−20560 +213	−727	·8552430	−20770 +224	−726	·8511538	−20950 +236	−725	·8469921	−21119 +248	−724	·8427580	6·0
6·1	·8813395	−19341 +147	−696	·8778123	−19580 +159	−698	·8742152	−19810 +169	−699	·8705482	−20032 +180	−701	·8668112	−20246 +193	−701	·8630040	6·1
6·2	·8975413	−18156 +99	−657	·8944069	−18421 +109	−661	·8912064	−18681 +121	−664	·8879394	−18934 +132	−667	·8846057	−19180 +141	−670	·8812050	6·2
6·3	·9119275	−16872 +57	−614	·9091594	−17158 +66	−619	·9063295	−17431 +75	−623	·9034372	−17704 +83	−628	·9004822	−17978 +93	−632	·8974640	6·3
6·4	·9246265	−15531 +20	−567	·9221966	−15819 +24	−572	·9197095	−16106 +32	−578	·9171646	−16391 +41	−583	·9145614	−16673 +49	−588	·9118993	6·4
6·5	·9357724	−14170 −14	−516	·9336519	−14461 −3	−524	·9314789	−14749 +3	−530	·9292529	−15037 +10	−536	·9269733	−15324 +17	−542	·9246394	6·5
6·6	·9455013	−12823 −38	−469	·9436611	−13103 −38	−475	·9417734	−13389 −32	−482	·9398375	−13673 −27	−488	·9378528	−13958 −20	−495	·9358186	6·6
6·7	·9539479	−11514 −56	−420	·9523598	−11786 −63	−427	·9507290	−12061 −45	−434	·9490548	−12336 −42	−440	·9473365	−12612 −39	−447	·9455736	6·7
6·8	·9612431	−10261 −73	−374	·9598799	−10520 −67	−381	·9584785	−10778 −71	−387	·9570385	−11041 −67	−394	·9555590	−11305 −64	−400	·9540396	6·8
6·9	·9675122	−9081 −83	−330	·9663480	−9321 −81	−337	·9651502	−9566 −77	−343	·9639181	−9815 −78	−349	·9626510	−10062 −74	−356	·9613484	6·9
7·0	·9728732	−7984 −87	−289	·9718840	−8206 −86	−295	·9708653	−8431 −86	−301	·9698164	−8658 −84	−307	·9687368	−8890 −85	−313	·9676259	7·0

u	p = 24·0		p = 24·2			p = 24·4			p = 24·6			p = 24·8			p = 25·0			u
	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
1·1																		1·1
1·2			·0000000			·0000000			·0000000			·0000000			·0000000			1·2
1·3	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1		·0000000			·0000000			1·3
1·4	+2 +3		·0000001	+1 +2		·0000001	+1 +2		·0000001	+1 +2		·0000000	+1 +1		·0000000	+2 0		1·4
1·5	+6 +6		·0000003	+5 +5		·0000003	+3 +4		·0000002	+4 +3		·0000002	+3 +3		·0000002	+3 +1		1·5
1·6	+13 +10		·0000010	+11 +9		·0000008	+11 +7		·0000007	+9 +6		·0000006	+8 +8		·0000005	+7 +5		1·6
1·7	+33 +18		·0000028	+29 +16		·0000024	+25 +15		·0000021	+21 +14		·0000018	+18 +12		·0000015	+18 +12		1·7
1·8	+68 +35		·0000075	+60 +30		·0000065	+52 +27		·0000056	+47 +25		·0000048	+42 +23		·0000041	+37 +19		1·8
1·9	+138 +56	+4	·0000182	+123 +49	+4	·0000158	+111 +46		·0000138	+98 +41		·0000120	+88 +38		·0000104	+77 +36		1·9
2·0	+264 +80	+8	·0000412	+237 +78	+7	·0000362	+212 +70	+6	·0000318	+190 +66	+5	·0000278	+172 +58	+5	·0000244	+153 +54	+4	2·0
2·1	+470 +121	+14	·0000879	+426 +110	+13	·0000778	+384 +108	+11	·0000688	+348 +97	+10	·0000608	+313 +95	+9	·0000537	+283 +86	+8	2·1
2·2	+797 +183	+25	·0001772	+726 +167	+22	·0001578	+664 +141	+20	·0001406	+603 +138	+18	·0001251	+550 +125	+16	·0001113	+499 +122	+14	2·2
2·3	+1287 +213	+42	·0003391	+1183 +200	+38	·0003042	+1085 +195	+34	·0002727	+996 +182	+31	·0002444	+912 +176	+28	·0002188	+837 +181	+26	2·3
2·4	+1990 +258	+67	·0006193	+1840 +251	+61	·0005591	+1701 +236	+55	·0005044	+1571 +229	+51	·0004549	+1450 +217	+48	·0004100	+1336 +213	+42	2·4
2·5	+2951 +298	+102	·0010835	+2748 +287	+95	·0009841	+2555 +282	+87	·0008932	+2375 +274	+80	·0008104	+2205 +268	+73	·0007348	+2048 +252	+68	2·5
2·6	+4210 +329	+151	·0018225	+3948 +325	+139	·0016646	+3691 +318	+128	·0015195	+3453 +306	+119	·0013864	+3228 +298	+110	·0012644	+3012 +300	+100	2·6
2·7	+5798 +333	+214	·0029558	+5463 +333	+198	·0027142	+5145 +328	+185	·0024911	+4839 +331	+172	·0022852	+4549 +329	+159	·0020952	+4278 +315	+149	2·7
2·8	+7719 +317	+291	·0046354	+7316 +320	+273	·0042783	+6927 +327	+256	·0039466	+6556 +325	+240	·0036389	+6190 +325	+224	·0033536	+5855 +333	+208	2·8
2·9	+9957 +271	+385	·0070466	+9489 +282	+364	·0065351	+9036 +289	+341	·0060577	+8598 +297	+322	·0056125	+8174 +308	+303	·0051975	+7767 +306	+284	2·9
3·0	+12466 +194	+494	·0104067	+11944 +209	+469	·0096955	+11434 +228	+443	·0090286	+10937 +242	+418	·0084035	+10453 +252	+397	·0078181	+9985 +268	+373	3·0
3·1	+15169 +87	+616	·0149612	+14608 +114	+586	·0139993	+14058 +134	+558	·0130932	+13518 +151	+529	·0122400	+12988 +171	+504	·0114372	+12469 +189	+478	3·1
3·2	+17959 −35	+748	·0209765	+17386 −14	+714	·0197089	+16816 +13	+683	·0185096	+16250 +42	+650	·0173753	+15692 +66	+622	·0163032	+15142 +86	+593	3·2
3·3	+20714 −180	+880	·0287304	+20156 −145	+845	·0271001	+19587 −118	+812	·0255510	+19024 −91	+779	·0240798	+18462 −65	+747	·0226834	+17901 −35	+716	3·3
3·4	+23289 −325	+1011	·0384993	+22789 −296	+978	·0364500	+22240 −263	+942	·0344948	+21707 −235	+908	·0326305	+21187 −202	+875	·0308537	+20625 −175	+843	3·4
3·5	+25539 −463	+1133	·0505451	+25092 −437	+1099	·0480239	+24636 −408	+1066	·0456093	+24165 −377	+1033	·0432979	+23670 −346	+1000	·0410865	+23174 −319	+967	3·5
3·6	+27328 −588	+1240	·0651001	+26978 −558	+1209	·0620608	+26612 −534	+1177	·0591393	+26226 −508	+1146	·0563323	+25823 −482	+1114	·0536367	+25404 −455	+1083	3·6
3·7	+28525 −684	+1325	·0823529	+28306 −668	+1297	·0787589	+28080 −647	+1270	·0752919	+27789 −625	+1241	·0719490	+27494 −598	+1213	·0687273	+27179 −577	+1184	3·7
3·8	+29040 −746	+1383	·1024363	+28966 −735	+1360	·0982630	+28861 −721	+1337	·0942234	+28727 −705	+1314	·0903151	+28567 −695	+1289	·0865358	+28377 −673	+1264	3·8
3·9	+28809 −774	+1409	·1254163	+28891 −767	+1392	·1206532	+28941 −762	+1378	·1160276	+28960 −759	+1358	·1115379	+28946 −746	+1339	·1071820	+28902 −740	+1319	3·9
4·0	+27804 −761	+1402	·1512854	+28042 −769	+1393	·1459375	+28250 −771	+1382	·1407278	+28434 −766	+1371	·1356552	+28577 −766	+1358	·1307184	+28687 −782	+1344	4·0
4·1	+26038 −708	+1360	·1799594	+26438 −717	+1358	·1740477	+26806 −729	+1355	·1682714	+27142 −745	+1350	·1626302	+27443 −752	+1344	·1571235	+27710 −757	+1337	4·1
4·2	+23564 −625	+1285	·2112772	+24110 −646	+1290	·2048385	+24624 −663	+1294	·1985292	+25106 −673	+1297	·1923495	+25557 −691	+1298	·1862996	+25970 −703	+1297	4·2
4·3	+20465 −512	+1179	·2450060	+21136 −537	+1191	·2380917	+21779 −561	+1202	·2312975	+22395 −587	+1211	·2246245	+22980 −603	+1219	·2180733	+23539 −627	+1228	4·3
4·4	+16854 −384	+1046	·2808484	+17625 −412	+1064	·2735228	+18373 −438	+1081	·2663053	+19098 −463	+1097	·2591975	+19800 −493	+1112	·2522009	+20475 −513	+1125	4·4
4·5	+12839 −238	+891	·3184533	+13702 −268	+915	·3107912	+14529 −300	+938	·3032229	+15338 −331	+959	·2957505	+16127 −356	+979	·2883760	+16898 −388	+998	4·5
4·6	+8626 −95	+721	·3574284	+9511 −127	+749	·3495125	+10385 −155	+778	·3416743	+11247 −184	+802	·3339162	+12098 −217	+827	·3262409	+12933 −244	+851	4·6
4·7	+4298 +44	+542	·3973546	+5193 +19	+573	·3892723	+6086 −14	+603	·3812504	+6972 −43	+632	·3732917	+7852 −74	+661	·3653991	+8724 −105	+688	4·7
4·8	+14 +175	+359	·4378001	+894 +144	+392	·4296407	+1773 +120	+427	·4215237	+2654 +92	+456	·4134524	+3532 +69	+487	·4054297	+4410 +41	+517	4·8
4·9	−4095 +284	+186	·4783350	−3261 +262	+213	·4701864	−2420 +241	+246	·4620624	−1572 +216	+279	·4539663	−710 +188	+311	·4459013	+137 +163	+342	4·9
5·0	−7920 +372	+9	·5185438	−7154 +361	+41	·5104901	−6372 +335	+74	·5024439	−5582 +318	+106	·4944083	−4782 +300	+139	·4863866	−3973 +280	+170	5·0
5·1	−11373 +447	−150	·5580372	−10686 +424	−119	·5501566	−9989 +420	−87	·5422672	−9274 +402	−56	·5343721	−8545 +383	−25	·5264746	−7803 +366	+6	5·1
5·2	−14379 +483	−292	·5964620	−13794 +484	−263	·5888242	−13186 +466	−234	·5811631	−12564 +462	−205	·5734814	−11923 +450	−176	·5657823	−11267 +441	−146	5·2
5·3	−16902 +510	−415	·6335074	−16418 +503	−389	·6261732	−15917 +507	−363	·6188026	−15392 +494	−336	·6113984	−14851 +491	−309	·6039633	−14290 +481	−282	5·3
5·4	−18915 +512	−518	·6689110	−18539 +513	−495	·6619305	−18141 +507	−472	·6549029	−17726 +513	−449	·6478303	−17288 +508	−426	·6407153	−16832 +516	−401	5·4
5·5	−20418 +493	−599	·7024607	−20147 +498	−580	·6958737	−19858 +506	−561	·6892306	−19547 +506	−541	·6825334	−19217 +512	−521	·6757841	−18864 +509	−500	5·5
5·6	−21424 +465	−660	·7339957	−21257 +478	−645	·7278311	−21069 +477	−629	·7216036	−20862 +486	−618	·7153148	−20634 +489	−598	·7089665	−20387 +495	−578	5·6
5·7	−21967 +418	−701	·7634050	−21894 +429	−689	·7576816	−21803 +441	−677	·7518904	−21691 +446	−664	·7460328	−21562 +456	−651	·7401102	−21415 +468	−637	5·7
5·8	−22092 +376	−724	·7906249	−22102 +384	−715	·7853518	−22098 +394	−706	·7800081	−22074 +407	−697	·7745946	−22034 +417	−687	·7691124	−21975 +421	−677	5·8
5·9	−21841 +313	−730	·8156346	−21928 +328	−725	·8108124	−21995 +339	−719	·8059184	−22050 +350	−713	·8009530	−22089 +361	−706	·7959171	−22114 +377	−699	5·9
6·0	−21277 +263	−722	·8384517	−21422 +274	−719	·8340735	−21555 +285	−716	·8296237	−21676 +299	−713	·8251025	−21783 +309	−709	·8205104	−21876 +318	−705	6·0
6·1	−20450 +203	−702	·8591266	−20644 +213	−702	·8551791	−20830 +229	−701	·8511614	−21003 +236	−700	·8470737	−21168 +253	−699	·8429161	−21320 +263	−697	6·1
6·2	−19420 +153	−672	·8777371	−19653 +166	−674	·8742017	−19878 +172	−676	·8705988	−20094 +189	−677	·8669281	−20300 +194	−678	·8631898	−20501 +211	−678	6·2
6·3	−18237 +102	−635	·8943823	−18496 +111	−639	·8912367	−18750 +124	−642	·8880268	−18996 +130	−645	·8847525	−19238 +144	−646	·8814134	−19471 +161	−650	6·3
6·4	−16952 +58	−593	·9091779	−17228 +69	−598	·9063967	−17500 +77	−602	·9035552	−17768 +88	−607	·9006531	−18032 +98	−611	·8976899	−18290 +108	−614	6·4
6·5	−15609 +24	−548	·9222507	−15891 +28	−553	·9198067	−16173 +35	−559	·9173068	−16452 +42	−564	·9147505	−16728 +48	−569	·9121374	−17003 +60	−574	6·5
6·6	−14242 −15	−501	·9337344	−14528 −3	−507	·9315994	−14811 +2	−513	·9294132	−15094 +9	−519	·9271751	−15376 +18	−524	·9248845	−15658 +24	−530	6·6
6·7	−12890 −34	−453	·9437653	−13168 −32	−460	·9419110	−13447 −26	−466	·9400102	−13727 −20	−472	·9380621	−14006 −17	−478	·9360662	−14285 −12	−484	6·7
6·8	−11572 −59	−407	·9524794	−11840 −54	−413	·9508779	−12109 −62	−420	·9492345	−12380 −48	−426	·9475485	−12653 −41	−432	·9458193	−12928 −37	−438	6·8
6·9	−10313 −70	−362	·9600095	−10568 −70	−368	·9586339	−10823 −65	−375	·9572208	−11081 −62	−381	·9557696	−11340 −60	−387	·9542797	−11604 −54	−393	6·9
7·0	−9124 −85	−319	·9664830	−9362 −80	−326	·9653076	−9602 −78	−332	·9640990	−9844 −78	−338	·9628567	−10091 −75	−344	·9615799	−10336 −75	−350	7·0

	$p = 23{\cdot}0$			$p = 23{\cdot}2$			$p = 23{\cdot}4$			$p = 23{\cdot}6$			$p = 23{\cdot}8$			$p = 24{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
7·0	·9728732	−7984 −87	−289	·9718840	−8206 −88	−295	·9708653	−8431 −86	−301	·9698164	−8658 −84	−307	·9687368	−8890 −85	−313	·9676259	7·0
7·1	·9774358	−6974 −91	−252	·9765994	−7176 −91	−257	·9757373	−7382 −89	−263	·9748489	−7592 −89	−268	·9739336	−7803 −90	−274	·9729910	7·1
7·2	·9813010	−6055 −90	−217	·9805972	−6238 −90	−223	·9798711	−6424 −91	−228	·9791222	−6613 −92	−233	·9783501	−6807 −91	−238	·9775541	7·2
7·3	·9845607	−5227 −88	−187	·9839712	−5390 −89	−191	·9833625	−5557 −90	−196	·9827342	−5726 −90	−201	·9820859	−5900 −92	−205	·9814170	7·3
7·4	·9872977	−4485 −84	−159	·9868062	−4631 −86	−163	·9862982	−4778 −87	−168	·9857736	−4931 −88	−172	·9852317	−5084 −89	−176	·9846723	7·4
7·5	·9895862	−3831 −79	−135	·9891781	−3958 −80	−139	·9887561	−4088 −81	−142	·9883199	−4221 −83	−146	·9878691	−4358 −84	−150	·9874033	7·5
7·6	·9914916	−3253 −74	−114	·9911542	−3363 −75	−117	·9908052	−3478 −75	−120	·9904441	−3594 −77	−124	·9900707	−3714 −78	−127	·9896845	7·6
7·7	·9930717	−2749 −66	−95	·9927940	−2845 −68	−98	·9925065	−2944 −69	−101	·9922089	−3046 −70	−104	·9919009	−3150 −72	−107	·9915822	7·7
7·8	·9943769	−2311 −60	−80	·9941493	−2395 −62	−82	·9939134	−2479 −64	−84	·9936691	−2567 −65	−87	·9934161	−2656 −66	−90	·9931542	7·8
7·9	·9954510	−1936 −53	−66	·9952651	−2006 −56	−68	·9950724	−2080 −57	−70	·9948726	−2153 −60	−72	·9946657	−2231 −59	−75	·9944513	7·9
8·0	·9963315	−1613 −48	−55	·9961803	−1674 −49	−56	·9960234	−1734 −50	−58	·9958608	−1799 −51	−60	·9956922	−1865 −52	−62	·9955173	8·0
8·1	·9970507	−1338 −43	−45	·9969281	−1388 −44	−46	·9968010	−1442 −45	−48	·9966691	−1496 −46	−49	·9965322	−1550 −47	−51	·9963902	8·1
8·2	·9976361	−1106 −36	−37	·9975371	−1148 −38	−38	·9974344	−1191 −39	−39	·9973278	−1237 −40	−40	·9972172	−1285 −42	−42	·9971023	8·2
8·3	·9981109	−910 −31	−30	·9980313	−948 −32	−31	·9979487	−983 −33	−32	·9978628	−1020 −35	−33	·9977737	−1060 −36	−34	·9976811	8·3
8·4	·9984947	−745 −27	−24	·9984309	−775 −28	−25	·9983647	−806 −29	−26	·9982958	−838 −29	−27	·9982242	−869 −31	−28	·9981499	8·4
8·5	·9988040	−609 −23	−20	·9987530	−633 −24	−20	·9987001	−659 −25	−21	·9986450	−685 −25	−22	·9985878	−713 −26	−22	·9985283	8·5
8·6	·9990524	−496 −20	−16	·9990118	−516 −21	−16	·9989696	−536 −22	−17	·9989257	−557 −23	−17	·9988801	−579 −23	−18	·9988327	8·6
8·7	·9992512	−401 −17	−13	·9992190	−417 −18	−13	·9991855	−434 −18	−14	·9991507	−453 −19	−14	·9991145	−472 −20	−15	·9990768	8·7
8·8	·9994099	−324 −14	−10	·9993845	−339 −14	−10	·9993580	−352 −15	−11	·9993304	−366 −15	−11	·9993017	−380 −17	−12	·9992719	8·8
8·9	·9995362	−261 −12	−8	·9995161	−271 −12	−8	·9994953	−284 −13	−9	·9994735	−295 −13	−9	·9994509	−308 −14	−9	·9994273	8·9
9·0	·9996364	−209 −10	−6	·9996206	−218 −10	−6	·9996042	−226 −11	−7	·9995871	−237 −10	−7	·9995693	−246 −11	−7	·9995508	9·0
9·1	·9997157	−168 −8	−5	·9997033	−174 −8	−5	·9996905	−183 −8	−5	·9996770	−189 −9	−6	·9996631	−198 −9	−6	·9996485	9·1
9·2	·9997782	−133 −6	−4	·9997686	−140 −7	−4	·9997585	−144 −7	−4	·9997480	−151 −8	−4	·9997371	−157 −8	−5	·9997257	9·2
9·3	·9998274	−106 −5		·9998199	−110 −6		·9998121	−116 −6		·9998039	−120 −6		·9997954	−126 −6	−4	·9997865	9·3
9·4	·9998660	−83 −4		·9998602	−88 −5		·9998541	−91 −5		·9998478	−96 −5		·9998411	−98 −5		·9998343	9·4
9·5	·9998963	−68		·9998917	−59 −4		·9998870	−72 −5		·9998821	−75 −4		·9998770	−80 −5		·9998716	9·5
9·6	·9999198	−51		·9999163	−54		·9999127	−57 −4		·9999089	−59 −4		·9999049	−61 −4		·9999008	9·6
9·7	·9999382	−41		·9999355	−43		·9999327	−45		·9999298	−47		·9999267	−49		·9999235	9·7
9·8	·9999525	−33		·9999504	−34		·9999482	−34		·9999460	−36		·9999436	−37		·9999412	9·8
9·9	·9999635	−24		·9999619	−26		·9999603	−28		·9999586	−29		·9999568	−30		·9999549	9·9
10·0	·9999721	−21		·9999708	−20		·9999696	−21		·9999683	−22		·9999669	−23		·9999655	10·0
10·1	·9999786	−16		·9999777	−16		·9999768	−17		·9999758	−18		·9999747	−18		·9999736	10·1
10·2	·9999837	−12		·9999830	−12		·9999823	−13		·9999815	−13		·9999807	−14		·9999799	10·2
10·3	·9999876	−9		·9999871	−10		·9999865	−10		·9999859	−10		·9999853	−10		·9999847	10·3
10·4	·9999906	−7		·9999902	−7		·9999898	−8		·9999893	−3		·9999889	−9		·9999884	10·4
10·5	·9999929	−6		·9999926	−6		·9999922	−6		·9999919	−6		·9999916	−7		·9999912	10·5
10·6	·9999946	−4		·9999944	−5		·9999941	−5		·9999939	−5		·9999936	−6		·9999933	10·6
10·7	·9999959			·9999957	−4		·9999956	−4		·9999954	−4		·9999952	−4		·9999950	10·7
10·8	·9999969			·9999968			·9999967			·9999965			·9999964			·9999962	10·8
10·9	·9999977			·9999976			·9999975			·9999974			·9999973			·9999972	10·9
11·0	·9999983			·9999982			·9999981			·9999980			·9999980			·9999979	11·0
11·1	·9999987			·9999986			·9999986			·9999985			·9999985			·9999984	11·1
11·2	·9999990			·9999990			·9999989			·9999989			·9999989			·9999988	11·2
11·3	·9999993			·9999992			·9999992			·9999992			·9999991			·9999991	11·3
11·4	·9999995			·9999994			·9999994			·9999994			·9999994			·9999993	11·4
11·5	·9999996			·9999996			·9999996			·9999995			·9999995			·9999995	11·5
11·6	·9999997			·9999997			·9999997			·9999997			·9999996			·9999996	11·6
11·7	·9999998			·9999998			·9999998			·9999997			·9999997			·9999997	11·7
11·8	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·8
11·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	11·9
12·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·0
12·1	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·1
12·2	1·0000000			·9999999			·9999999			·9999999			·9999999			·9999999	12·2
12·3				1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·3
12·4																	12·4

	$p = 24{\cdot}0$		$p = 24{\cdot}2$			$p = 24{\cdot}4$			$p = 24{\cdot}6$			$p = 24{\cdot}8$			$p = 25{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
7·0	−9124 −85	−319	·9664830	−9382 −80	−326	·9653076	−9602 −78	−332	·9640990	−9844 −76	−338	·9628567	−10091 −75	−344	·9615799	−10336 −75	−350	7·0
7·1	−8020 −89	−280	·9720203	−8238 −88	−286	·9710211	−8459 −87	−291	·9699928	−8685 −84	−297	·9689347	−8911 −85	−303	·9678464	−9143 −82	−309	7·1
7·2	−7002 −92	−243	·9767338	−7201 −90	−249	·9758887	−7405 −90	−254	·9750181	−7610 −90	−259	·9741216	−7820 −90	−265	·9731986	−8032 −89	−270	7·2
7·3	−6078 −93	−210	·9807272	−6258 −92	−215	·9800158	−6441 −92	−220	·9792824	−6626 −92	−225	·9785265	−6818 −91	−230	·9777476	−7010 −93	−235	7·3
7·4	−5243 −90	−180	·9840948	−5403 −90	−185	·9834988	−5567 −91	−189	·9828839	−5735 −92	−194	·9822496	−5905 −92	−198	·9815955	−6081 −90	−203	7·4
7·5	−4498 −85	−154	·9869221	−4640 −87	−158	·9864251	−4788 −88	−162	·9859119	−4934 −89	−166	·9853822	−5087 −88	−170	·9848355	−5242 −88	−174	7·5
7·6	−3835 −80	−130	·9892854	−3962 −81	−134	·9888728	−4090 −82	−137	·9884465	−4222 −83	−141	·9880061	−4357 −84	−143	·9875512	−4493 −85	−148	7·6
7·7	−3257 −73	−110	·9912525	−3366 −75	−113	·9909115	−3478 −76	−116	·9905589	−3593 −77	−118	·9901943	−3709 −79	−122	·9898176	−3831 −79	−126	7·7
7·8	−2749 −67	−92	·9928830	−2843 −69	−95	·9926024	−2941 −70	−97	·9923120	−3041 −72	−100	·9920116	−3144 −73	−103	·9917009	−3248 −76	−106	7·8
7·9	−2311 −61	−77	·9942292	−2392 −62	−79	·9939992	−2476 −63	−81	·9937610	−2561 −65	−84	·9935145	−2649 −67	−86	·9932594	−2741 −65	−89	7·9
8·0	−1931 −54	−64	·9953362	−2002 −55	−66	·9951484	−2072 −57	−68	·9949539	−2146 −58	−70	·9947525	−2223 −60	−72	·9945438	−2289 −60	−74	8·0
8·1	−1608 −48	−53	·9962430	−1666 −50	−54	·9960904	−1729 −51	−56	·9959322	−1792 −51	−58	·9957682	−1865 −53	−59	·9955983	−1922 −54	−61	8·1
8·2	−1333 −43	−43	·9969832	−1384 −44	−45	·9968595	−1433 −45	−46	·9967313	−1486 −46	−47	·9965984	−1542 −47	−49	·9964605	−1599 −48	−50	8·2
8·3	−1100 −37	−35	·9975850	−1141 −38	−36	·9974853	−1188 −39	−38	·9973818	−1230 −40	−39	·9972744	−1275 −42	−40	·9971630	−1322 −43	−41	8·3
8·4	−904 −32	−28	·9980727	−939 −33	−30	·9979925	−974 −34	−31	·9979093	−1012 −35	−32	·9978229	−1051 −36	−33	·9977332	−1090 −37	−34	8·4
8·5	−740 −27	−23	·9984665	−769 −28	−24	·9984023	−798 −29	−25	·9983356	−830 −30	−26	·9982663	−861 −31	−27	·9981944	−895 −32	−27	8·5
8·6	−603 −23	−18	·9987834	−627 −24	−19	·9987322	−653 −25	−20	·9986789	−677 −26	−21	·9986236	−703 −27	−21	·9985661	−731 −29	−22	8·6
8·7	−490 −20	−15	·9990376	−510 −21	−16	·9989968	−529 −22	−16	·9989545	−552 −23	−17	·9989104	−572 −23	−17	·9988647	−598 −24	−18	8·7
8·8	−397 −17	−12	·9992408	−412 −18	−12	·9992085	−430 −19	−13	·9991749	−446 −19	−13	·9991400	−465 −19	−14	·9991037	−483 −21	−14	8·8
8·9	−319 −14	−10	·9994028	−333 −14	−10	·9993772	−346 −16	−10	·9993507	−361 −18	−11	·9993231	−375 −18	−11	·9992944	−391 −17	−11	8·9
9·0	−258 −12	−7	·9995315	−268 −12	−8	·9995114	−280 −13	−8	·9994904	−289 −13	−8	·9994687	−302 −13	−9	·9994460	−313 −14	−8	9·0
9·1	−205 −10	−6	·9996334	−214 −10	−6	·9996176	−223 −10	−6	·9996012	−233 −10	−7	·9995841	−242 −11	−7	·9995663	−252 −12	−7	9·1
9·2	−164 −8	−5	·9997139	−171 −8	−5	·9997015	−177 −9	−5	·9996887	−185 −8	−5	·9996753	−193 −9	−6	·9996614	−202 −9	−6	9·2
9·3	−130 −7	−4	·9997773	−136 −7	−4	·9997677	−143 −7	−4	·9997576	−147 −7	−4	·9997472	−155 −7	−4	·9997363	−160 −8	−4	9·3
9·4	−105 −7		·9998271	−109 −6		·9998196	−113 −6		·9998118	−116 −6		·9998036	−121 −8		·9997952	−128 −6		9·4
9·5	−81 −5		·9998660	−84 −5		·9998602	−88 −5		·9998542	−93 −5		·9998479	−96 −5		·9998413	−100 −5		9·5
9·6	−65 −4		·9998965	−68 −4		·9998920	−70 −4		·9998873	−73 −4		·9998824	−76 −4		·9998774	−80 −4		9·6
9·7	−50		·9999202	−53		·9999168	−56		·9999131	−57 −4		·9999094	−61 −4		·9999055	−63 −4		9·7
9·8	−40		·9999386	−41		·9999360	−43		·9999332	−45		·9999303	−47		·9999273	−49		9·8
9·9	−31		·9999529	−32		·9999509	−34		·9999487	−34		·9999465	−36		·9999442	−38		9·9
10·0	−25		·9999640	−26		·9999624	−28		·9999608	−29		·9999591	−30		·9999573	−30		10·0
10·1	−19		·9999725	−20		·9999713	−21		·9999700	−20		·9999687	−21		·9999674	−24		10·1
10·2	−15		·9999790	−15		·9999781	−16		·9999772	−16		·9999762	−17		·9999751	−17		10·2
10·3	−12		·9999840	−12		·9999833	−13		·9999826	−13		·9999819	−13		·9999811	−14		10·3
10·4	−9		·9999879	−10		·9999874	−11		·9999868	−10		·9999863	−11		·9999857	−12		10·4
10·5	−7		·9999908	−8		·9999904	−8		·9999900	−8		·9999896	−9		·9999891	−9		10·5
10·6	−6		·9999931	−6		·9999928	−7		·9999925	−6		·9999921	−7		·9999918	−7		10·6
10·7	−5		·9999948	−5		·9999945	−5		·9999943	−5		·9999941	−5		·9999938	−5		10·7
10·8	−4		·9999961	−4		·9999959	−4		·9999957	−4		·9999955	−4		·9999953	−4		10·8
10·9			·9999970			·9999969			·9999968			·9999966			·9999965			10·9
11·0			·9999978			·9999977			·9999976			·9999975			·9999974			11·0
11·1			·9999983			·9999983			·9999982			·9999981			·9999980			11·1
11·2			·9999988			·9999987			·9999987			·9999986			·9999985			11·2
11·3			·9999991			·9999990			·9999990			·9999990			·9999989			11·3
11·4			·9999993			·9999993			·9999993			·9999992			·9999992			11·4
11·5			·9999995			·9999995			·9999994			·9999994			·9999994			11·5
11·6			·9999996			·9999996			·9999996			·9999996			·9999996			11·6
11·7			·9999997			·9999997			·9999997			·9999997			·9999997			11·7
11·8			·9999998			·9999998			·9999998			·9999998			·9999998			11·8
11·9			·9999998			·9999998			·9999998			·9999998			·9999998			11·9
12·0			·9999999			·9999999			·9999999			·9999999			·9999999			12·0
12·1			·9999999			·9999999			·9999999			·9999999			·9999999			12·1
12·2			·9999999			·9999999			·9999999			·9999999			·9999999			12·2
12·3			1·0000000			1·0000000			1·0000000			·9999999			·9999999			12·3
12·4												1·0000000			1·0000000			12·4

	$p=25\cdot0$			$p=25\cdot2$			$p=25\cdot4$			$p=25\cdot6$			$p=25\cdot8$			$p=26\cdot0$	
u	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	u
1·2	·0000000																1·2
1·3	·0000000																1·3
1·4	·0000000	+2 0		·0000000	+1 0		·0000000	+1 +1		·0000000			·0000000			·0000000	1·4
1·5	·0000002	+3 +1		·0000001	+2 +2		·0000001	+2 +3		·0000001	+2 +2		·0000001	+1 +1		·0000001	1·5
1·6	·0000005	+7 +5		·0000004	+6 +4		·0000004	+4 +5		·0000003	+4 +4		·0000003	+4 +4		·0000002	1·6
1·7	·0000015	+16 +12		·0000013	+14 +10		·0000011	+13 +9		·0000009	+11 +7		·0000008	+10 +7		·0000007	1·7
1·8	·0000041	+37 +19		·0000036	+32 +18		·0000031	+28 +17		·0000026	+25 +15		·0000023	+21 +13		·0000019	1·8
1·9	·0000104	+77 +36		·0000091	+68 +33		·0000079	+60 +30		·0000068	+54 +26		·0000059	+48 +24		·0000051	1·9
2·0	·0000244	+153 +54	+4	·0000214	+137 +49		·0000187	+123 +44		·0000164	+109 +43		·0000143	+98 +38		·0000125	2·0
2·1	·0000537	+283 +86	+8	·0000474	+255 +82	+7	·0000418	+230 +75	+6	·0000369	+207 +69	+6	·0000325	+186 +65	+6	·0000286	2·1
2·2	·0001113	+499 +122	+14	·0000989	+455 +109	+13	·0000879	+412 +106	+12	·0000781	+374 +99	+10	·0000693	+339 +93	+9	·0000615	2·2
2·3	·0002188	+837 +161	+26	·0001959	+764 +160	+23	·0001752	+700 +147	+21	·0001567	+640 +137	+19	·0001400	+585 +127	+17	·0001251	2·3
2·4	·0004100	+1336 +213	+42	·0003693	+1233 +196	+38	·0003325	+1135 +188	+35	·0002993	+1043 +183	+32	·0002692	+958 +178	+29	·0002420	2·4
2·5	·0007348	+2048 +252	+68	·0006660	+1897 +252	+61	·0006033	+1758 +242	+56	·0005462	+1629 +229	+51	·0004942	+1509 +214	+47	·0004470	2·5
2·6	·0012644	+3012 +300	+100	·0011524	+2813 +284	+94	·0010499	+2623 +276	+86	·0009560	+2444 +269	+80	·0008701	+2274 +267	+73	·0007914	2·6
2·7	·0020952	+4276 +315	+149	·0019201	+4013 +315	+138	·0017588	+3764 +311	+128	·0016102	+3528 +306	+118	·0014734	+3306 +294	+110	·0013476	2·7
2·8	·0033536	+5855 +333	+208	·0030891	+5528 +330	+195	·0028441	+5216 +325	+182	·0026172	+4918 +321	+169	·0024073	+4632 +322	+158	·0022131	2·8
2·9	·0051975	+7767 +306	+284	·0048109	+7373 +312	+266	·0044510	+6993 +319	+250	·0041160	+6629 +321	+234	·0038044	+6280 +319	+219	·0035147	2·9
3·0	·0078181	+9985 +266	+373	·0072700	+9530 +275	+353	·0067572	+9089 +282	+332	·0062777	+8661 +290	+313	·0058295	+8247 +299	+295	·0054108	3·0
3·1	·0114372	+12469 +189	+478	·0106821	+11962 +204	+453	·0099723	+11467 +219	+429	·0093055	+10983 +236	+407	·0086793	+10513 +247	+385	·0080916	3·1
3·2	·0163032	+15142 +86	+593	·0152904	+14598 +112	+565	·0143341	+14064 +132	+538	·0134316	+13541 +146	+512	·0125804	+13026 +164	+487	·0117780	3·2
3·3	·0226834	+17901 −35	+716	·0213585	+17346 −14	+686	·0201023	+16793 +12	+658	·0189118	+16245 +38	+628	·0177841	+15703 +63	+600	·0167164	3·3
3·4	·0308537	+20625 −175	+843	·0291612	+20080 −145	+811	·0275498	+19534 −116	+780	·0260165	+18987 −87	+750	·0245581	+18443 −65	+720	·0231717	3·4
3·5	·0410865	+23174 −319	+967	·0389719	+22669 −288	+935	·0369507	+22159 −263	+903	·0350199	+21642 −235	+872	·0331764	+21118 −200	+841	·0314170	3·5
3·6	·0536367	+25404 −455	+1083	·0510495	+24970 −428	+1052	·0485675	+24521 −396	+1021	·0461875	+24062 −369	+990	·0439065	+23593 −346	+960	·0417215	3·6
3·7	·0687273	+27179 −577	+1184	·0656241	+26843 −554	+1165	·0626364	+26487 −529	+1126	·0597613	+26113 −503	+1097	·0569959	+25722 −474	+1068	·0543373	3·7
3·8	·0865358	+28377 −673	+1264	·0828830	+28162 −654	+1239	·0793540	+27924 −637	+1213	·0759464	+27661 −614	+1187	·0726575	+27377 −594	+1161	·0694848	3·8
3·9	·1071820	+28902 −740	+1319	·1029581	+28827 −724	+1299	·0988640	+28724 −709	+1277	·0948976	+28595 −698	+1256	·0910568	+28438 −681	+1233	·0873394	3·9
4·0	·1307184	+28687 −762	+1344	·1259159	+28768 −766	+1329	·1212464	+28815 −760	+1314	·1167083	+28831 −750	+1297	·1122999	+28818 −743	+1280	·1080195	4·0
4·1	·1571235	+27710 −757	+1337	·1517505	+27943 −753	+1329	·1465103	+28146 −757	+1319	·1414021	+28317 −760	+1309	·1364248	+28455 −756	+1297	·1315772	4·1
4·2	·1862996	+25976 −703	+1297	·1803794	+26365 −721	+1296	·1745888	+26720 −729	+1293	·1689276	+27043 −736	+1289	·1633952	+27336 −746	+1284	·1579913	4·2
4·3	·2180733	+23539 −627	+1226	·2116448	+24066 −641	+1231	·2053393	+24565 −660	+1235	·1991574	+25033 −675	+1237	·1930992	+25471 −688	+1239	·1871649	4·3
4·4	·2522009	+20475 −513	+1125	·2453168	+21126 −539	+1136	·2385463	+21750 −560	+1147	·2318905	+22348 −583	+1156	·2253503	+22918 −602	+1164	·2189265	4·4
4·5	·2883760	+16898 −388	+998	·2811014	+17647 −414	+1017	·2739283	+18375 −442	+1032	·2668584	+19080 −465	+1047	·2598932	+19763 −493	+1061	·2530341	4·5
4·6	·3262409	+12933 −244	+851	·3186507	+13754 −278	+873	·3111478	+14558 −303	+895	·3037343	+15347 −336	+915	·2964124	+16115 −359	+934	·2891839	4·6
4·7	·3653991	+8724 −105	+688	·3575754	+9585 −129	+716	·3498231	+10438 −161	+740	·3421449	+11278 −187	+765	·3345431	+12108 −221	+788	·3270202	4·7
4·8	·4054297	+4410 +41	+517	·3974586	+5287 −6	+546	·3895422	+6157 −20	+574	·3816833	+7022 −50	+602	·3738846	+7880 −75	+630	·3661488	4·8
4·9	·4459013	+137 +163	+342	·4378705	+995 +141	+378	·4298770	+1856 +113	+403	·4219239	+2716 +89	+433	·4140141	+3577 +57	+462	·4061506	4·9
5·0	·4863866	−3973 +280	+170	·4783819	−3156 +258	+202	·4703974	−2332 +234	+233	·4624361	−1501 +206	+264	·4545013	−669 +189	+294	·4465958	5·0
5·1	·5264746	−7803 +366	+6	·5185777	−7049 +347	+37	·5106846	−6286 +333	+68	·5027982	−5512 +318	+98	·4949216	−4726 +291	+129	·4870579	5·1
5·2	·5657823	−11267 +441	−146	·5580686	−10595 +429	−116	·5503432	−9907 +412	−87	·5426091	−9205 +394	−58	·5348693	−8492 +384	−28	·5271266	5·2
5·3	·6039633	−14290 +481	−282	·5965000	−13712 +474	−255	·5890111	−13116 +466	−229	·5814995	−12504 +458	−200	·5739678	−11874 +444	−172	·5664189	5·3
5·4	·6407153	−16832 +510	−401	·6335602	−16355 +505	−376	·6263674	−15859 +500	−352	·6191395	−15345 +497	−326	·6118789	−14812 +491	−301	·6045881	5·4
5·5	·6757841	−18864 +509	−500	·6689849	−18493 +511	−478	·6621378	−18102 +514	−457	·6552450	−17689 +507	−435	·6483088	−17259 +507	−412	·6413313	5·5
5·6	·7089665	−20387 +495	−578	·7025603	−20120 +502	−560	·6960980	−19831 +499	−542	·6895816	−19526 +510	−523	·6830128	−19199 +511	−504	·6763935	5·6
5·7	·7401102	−21415 +468	−637	·7341237	−21245 +468	−623	·7280751	−21061 +484	−608	·7219656	−20853 +482	−592	·7157969	−20628 +489	−577	·7095705	5·7
5·8	·7691124	−21975 +421	−677	·7635626	−21902 +438	−666	·7579461	−21807 +439	−654	·7522643	−21698 +455	−642	·7465182	−21568 +460	−630	·7407091	5·8
5·9	·7959171	−22114 +377	−699	·7908113	−22121 +383	−691	·7856364	−22114 +398	−683	·7803932	−22088 +402	−674	·7750827	−22048 +415	−666	·7697056	5·9
6·0	·8205104	−21876 +318	−705	·8158479	−21957 +331	−700	·8111153	−22023 +342	−696	·8063133	−22076 +358	−689	·8014424	−22113 +368	−683	·7965031	6·0
6·1	·8429161	−21320 +263	−697	·8386888	−21462 +279	−695	·8343919	−21590 +287	−692	·8300258	−21706 +296	−689	·8255908	−21810 +307	−686	·8210872	6·1
6·2	·8631898	−20501 +211	−678	·8593835	−20688 +214	−678	·8555095	−20870 +232	−678	·8515677	−21040 +244	−677	·8475582	−21200 +257	−676	·8434811	6·2
6·3	·8814134	−19471 +151	−650	·8780094	−19700 +168	−652	·8745401	−19918 +174	−653	·8710056	−20130 +185	−654	·8674056	−20333 +195	−655	·8637401	6·3
6·4	·8976899	−18290 +106	−614	·8946653	−18544 +116	−618	·8915789	−18792 +126	−621	·8884305	−19035 +137	−623	·8852197	−19271 +147	−626	·8819463	6·4
6·5	·9121374	−17003 +60	−574	·9094668	−17272 +65	−578	·9067385	−17540 +77	−582	·9039519	−17803 +87	−586	·9011067	−18062 +97	−590	·8982025	6·5
6·6	·9248845	−15656 +24	−530	·9225411	−15935 +33	−535	·9201441	−16211 +38	−540	·9176930	−16484 +43	−545	·9151875	−16756 +52	−550	·9126270	6·6
6·7	·9360662	−14285 −12	−484	·9340219	−14565 −4	−490	·9319286	−14844 +3	−496	·9297857	−15122 +11	−501	·9275927	−15398 +15	−507	·9253491	6·7
6·8	·9458193	−12926 −37	−438	·9440462	−13199 −35	−444	·9422287	−13474 −27	−450	·9403662	−13749 −23	−456	·9384581	−14025 −14	−462	·9365037	6·8
6·9	·9542797	−11604 −54	−393	·9527506	−11868 −58	−399	·9511814	−12131 −52	−405	·9495718	−12399 −43	−411	·9479210	−12666 −41	−417	·9462285	6·9
7·0	·9615799	−10336 −75	−350	·9602682	−10595 −70	−356	·9589210	−10840 −63	−362	·9575375	−11092 −67	−368	·9561173	−11348 −64	−374	·9546597	7·0

u	p = 26·0		p = 26·2			p = 26·4			p = 26·6			p = 26·8			p = 27·0			u
	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	
1·2																		1·2
1·3																		1·3
1·4			·0000000			·0000000			·0000000			·0000000			·0000000			1·4
1·5	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 0		·0000000	+1 0		·0000000			1·5
1·6	+4 +3		·0000002	+3 +2		·0000002	+2 +2		·0000001	+2 +2		·0000001	+2 +1		·0000001	+2 +1		1·6
1·7	+7 +6		·0000006	+7 +6		·0000005	+6 +5		·0000004	+5 +5		·0000004	+4 +4		·0000003	+4 +4		1·7
1·8	+20 +12		·0000017	+16 +11		·0000014	+16 +9		·0000012	+13 +8		·0000011	+11 +8		·0000009	+10 +7		1·8
1·9	+42 +22		·0000044	+36 +19		·0000039	+31 +16		·0000033	+29 +16		·0000029	+26 +16		·0000025	+22 +14		1·9
2·0	+87 +36		·0000109	+78 +33		·0000095	+71 +30		·0000083	+62 +27		·0000073	+54 +25		·0000063	+49 +23		2·0
2·1	+168 +58	+5	·0000252	+150 +54	+4	·0000222	+134 +51	+4	·0000195	+121 +45		·0000171	+110 +40		·0000150	+98 +37		2·1
2·2	+307 +87	+9	·0000545	+279 +80	+8	·0000483	+252 +74	+7	·0000428	+228 +70	+6	·0000379	+205 +66	+5	·0000335	+185 +62	+5	2·2
2·3	+533 +122	+15	·0001117	+485 +118	+14	·0000996	+443 +109	+12	·0000889	+402 +105	+11	·0000792	+367 +96	+10	·0000705	+335 +88	+8	2·3
2·4	+881 +165	+26	·0002174	+810 +153	+24	·0001952	+743 +146	+22	·0001752	+682 +136	+20	·0001572	+624 +131	+18	·0001410	+570 +128	+16	2·4
2·5	+1394 +221	+43	·0004041	+1288 +203	+39	·0003651	+1189 +195	+36	·0003297	+1098 +184	+33	·0002976	+1012 +177	+30	·0002685	+933 +166	+27	2·5
2·6	+2118 +251	+66	·0007196	+1969 +243	+62	·0006539	+1830 +233	+57	·0005940	+1698 +228	+52	·0005392	+1577 +215	+48	·0004893	+1461 +212	+44	2·6
2·7	+3093 +293	+102	·0012320	+2893 +285	+94	·0011257	+2704 +278	+87	·0010281	+2526 +269	+80	·0009385	+2357 +264	+74	·0008562	+2201 +248	+66	2·7
2·8	+4361 +316	+147	·0020337	+4102 +312	+137	·0018679	+3856 +307	+127	·0017148	+3623 +299	+118	·0015735	+3401 +293	+110	·0014432	+3189 +292	+102	2·8
2·9	+5945 +318	+205	·0032456	+5623 +319	+192	·0029957	+5315 +317	+180	·0027638	+5019 +319	+168	·0025486	+4738 +315	+157	·0023491	+4469 +311	+146	2·9
3·0	+7847 +307	+278	·0050198	+7463 +307	+261	·0046550	+7091 +312	+246	·0043147	+6734 +313	+231	·0039975	+6390 +313	+217	·0037019	+6060 +312	+203	3·0
3·1	+10056 +255	+364	·0075403	+9610 +271	+344	·0070234	+9179 +278	+325	·0065390	+8762 +281	+307	·0060854	+8355 +294	+290	·0056607	+7963 +300	+273	3·1
3·2	+12520 +185	+463	·0110218	+12028 +194	+440	·0103097	+11545 +209	+416	·0096395	+11071 +231	+397	·0090088	+10614 +235	+376	·0084158	+10166 +247	+356	3·2
3·3	+15169 +82	+573	·0157061	+14640 +107	+548	·0147505	+14120 +129	+522	·0138471	+13611 +141	+498	·0129936	+13108 +163	+474	·0121875	+12616 +178	+452	3·3
3·4	+17900 −39	+691	·0218544	+17359 −12	+663	·0206033	+16824 +8	+635	·0194158	+16292 +32	+609	·0182892	+15765 +54	+583	·0172208	+15244 +78	+557	3·4
3·5	+20592 −171	+811	·0297386	+20066 −149	+782	·0281385	+19536 −120	+753	·0266137	+19005 −90	+724	·0251613	+18476 −64	+697	·0237785	+17950 −44	+669	3·5
3·6	+23113 −317	+928	·0396294	+22624 −285	+899	·0376273	+22128 −256	+870	·0357121	+21628 −231	+841	·0338810	+21123 −206	+812	·0321312	+20612 −173	+784	3·6
3·7	+25317 −450	+1039	·0517826	+24897 −425	+1010	·0493289	+24464 −397	+981	·0469733	+24020 −371	+953	·0447130	+23564 −340	+924	·0425451	+23101 −318	+896	3·7
3·8	+27071 −570	+1134	·0664255	+26745 −543	+1108	·0634769	+26403 −524	+1081	·0606365	+26041 −496	+1054	·0579014	+25665 −474	+1027	·0552691	+25272 −444	+1000	3·8
3·9	+28255 −663	+1210	·0837429	+28050 −651	+1187	·0802652	+27818 −626	+1163	·0769038	+27566 −608	+1139	·0736563	+27292 −585	+1115	·0705203	+26999 −567	+1090	3·9
4·0	+28776 −733	+1262	·1038653	+28704 −716	+1243	·0998353	+28607 −706	+1223	·0959277	+28483 −692	+1203	·0921404	+28334 −679	+1183	·0884714	+28159 −658	+1162	4·0
4·1	+28564 −757	+1283	·1268581	+28642 −755	+1271	·1222661	+28690 −750	+1257	·1177999	+28708 −742	+1242	·1134579	+28697 −731	+1226	·1092384	+28661 −727	+1209	4·1
4·2	+27595 −746	+1278	·1527151	+27825 −752	+1270	·1475659	+28023 −753	+1262	·1425429	+28191 −754	+1252	·1376451	+28329 −753	+1242	·1328715	+28436 −746	+1231	4·2
4·3	+25880 −705	+1239	·1813546	+26256 −711	+1238	·1756680	+26603 −720	+1236	·1701050	+26920 −729	+1232	·1646652	+27208 −740	+1228	·1593482	+27465 −747	+1222	4·3
4·4	+23460 −616	+1170	·2126197	+23976 −642	+1175	·2064304	+24463 −661	+1179	·2003591	+24920 −673	+1182	·1944061	+25347 −681	+1184	·1885714	+25747 −693	+1185	4·4
4·5	+20422 −519	+1073	·2462824	+21054 −535	+1085	·2396391	+21662 −553	+1095	·2331052	+22247 −579	+1103	·2266817	+22805 −600	+1111	·2203693	+23336 −618	+1118	4·5
4·6	+16865 −385	+952	·2820505	+17597 −416	+969	·2750140	+18308 −445	+984	·2680760	+18995 −464	+999	·2612378	+19663 −492	+1012	·2545008	+20307 −515	+1024	4·6
4·7	+12923 −249	+811	·3195783	+13724 −277	+832	·3122197	+14509 −304	+853	·3049463	+15279 −335	+872	·2977602	+16029 −356	+890	·2906630	+16763 −384	+907	4·7
4·8	+8732 −107	+655	·3584785	+9574 −135	+680	·3508763	+10406 −162	+704	·3433445	+11228 −191	+728	·3358855	+12039 −225	+750	·3285015	+12835 −249	+772	4·8
4·9	+4434 +33	+491	·3983361	+5289 +6	+518	·3905735	+6141 −26	+546	·3828655	+6986 −52	+572	·3752147	+7824 −75	+597	·3676235	+8658 −109	+622	4·9
5·0	+169 +162	+324	·4387226	+1010 +134	+353	·4308848	+1850 +113	+381	·4230851	+2692 +86	+410	·4153263	+3534 +56	+437	·4076113	+4372 +34	+464	5·0
5·1	−3934 +273	+159	·4792101	−3135 +254	+188	·4713811	−2328 +229	+218	·4635739	−1516 +205	+247	·4557913	−700 +184	+276	·4480363	+120 +156	+304	5·1
5·2	−7764 +363	+1	·5193841	−7026 +346	+30	·5116446	−6277 +329	+59	·5039111	−5519 +312	+86	·4961863	−4750 +288	+117	·4884733	−3976 +274	+145	5·2
5·3	−11231 +438	−145	·5588555	−10571 +424	−117	·5512804	−9897 +406	−89	·5436964	−9210 +394	−61	·5361063	−8512 +384	−34	·5285127	−7798 +360	−6	5·3
5·4	−14260 +479	−276	·5972698	−13692 +471	−250	·5899265	−13109 +468	−224	·5825607	−12507 +455	−198	·5751751	−11890 +441	−172	·5677723	−11260 +435	−146	5·4
5·5	−16810 +508	−390	·6343149	−16342 +506	−367	·6272617	−15853 +495	−343	·6201743	−15349 +493	−320	·6130549	−14827 +489	−296	·6059059	−14287 +479	−272	5·5
5·6	−18852 +510	−485	·6697258	−18486 +509	−465	·6630116	−18102 +513	−444	·6562530	−17698 +511	−423	·6494520	−17275 +508	−403	·6426108	−16835 +509	−381	5·6
5·7	−20384 +495	−560	·7032881	−20121 +502	−543	·6969513	−19838 +504	−526	·6905619	−19536 +507	−509	·6841216	−19215 +508	−491	·6776322	−18874 +505	−472	5·7
5·8	−21421 +468	−617	·7348383	−21254 +471	−603	·7289072	−21070 +479	−589	·7229172	−20867 +483	−575	·7168697	−20647 +493	−560	·7107662	−20408 +500	−543	5·8
5·9	−21990 +425	−655	·7642631	−21916 +436	−644	·7587561	−21823 +443	−634	·7531858	−21715 +456	−623	·7475531	−21586 +457	−611	·7418594	−21442 +465	−599	5·9
6·0	−22134 +376	−676	·7914963	−22140 +383	−669	·7864227	−22133 +398	−661	·7812829	−22107 +403	−653	·7760779	−22068 +418	−644	·7708084	−22011 +427	−635	6·0
6·1	−21902 +321	−682	·8165155	−21981 +336	−677	·8118760	−22045 +346	−672	·8071693	−22096 +360	−667	·8023959	−22132 +367	−661	·7975563	−22153 +375	−655	6·1
6·2	−21349 +268	−674	·8393366	−21486 +276	−672	·8351248	−21611 +284	−670	·8308461	−21726 +297	−667	·8265007	−21829 +311	−664	·8220889	−21920 +326	−660	6·2
6·3	−20528 +207	−656	·8600091	−20715 +222	−656	·8562125	−20893 +238	−656	·8523503	−21059 +246	−655	·8484226	−21215 +254	−654	·8444295	−21361 +263	−652	6·3
6·4	−19500 +155	−628	·8786101	−19722 +163	−630	·8752109	−19937 +171	−632	·8717486	−20146 +185	−633	·8682230	−20347 +200	−634	·8646340	−20539 +212	−634	6·4
6·5	−18317 +110	−594	·8952389	−18566 +119	−597	·8922156	−18810 +136	−600	·8891323	−19048 +139	−603	·8859887	−19279 +144	−605	·8827846	−19505 +155	−607	6·5
6·6	−17024 +56	−554	·9100111	−17291 +69	−559	·9073393	−17547 +65	−563	·9046112	−17811 +85	−567	·9018265	−18067 +99	−570	·8989847	−18316 +105	−574	6·6
6·7	−15675 +26	−512	·9230542	−15947 +29	−517	·9207077	−16219 +42	−522	·9183090	−16489 +45	−527	·9158576	−16756 +52	−531	·9133532	−17022 +64	−536	6·7
6·8	−14296 −15	−466	·9345026	−14574 −3	−473	·9324542	−14849 +6	−479	·9303579	−15122 +11	−484	·9282131	−15393 +14	−489	·9260195	−15664 +20	−494	6·8
6·9	−12936 −32	−428	·9444936	−13204 −32	−429	·9427158	−13473 −30	−435	·9408946	−13744 −24	−440	·9390293	−14016 −12	−446	·9371194	−14286 −8	−452	6·9
7·0	−11606 −60	−379	·9531642	−11866 −54	−386	·9516301	−12127 −50	−391	·9500569	−12390 −42	−397	·9484439	−12651 −46	−403	·9467907	−12916 −39	−408	7·0

	$p = 25{\cdot}0$			$p = 25{\cdot}2$			$p = 25{\cdot}4$			$p = 25{\cdot}6$			$p = 25{\cdot}8$			$p = 26{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
7·0	·9615799	−10338 −75	−356	·9602682	−10585 −70	−356	·9589210	−10846 −63	−362	·9575375	−11092 −67	−368	·9561173	−11348 −64	−374	·9546597	7·0
7·1	·9678464	−9143 −82	−309	·9667273	−9378 −80	−314	·9655766	−9612 −75	−320	·9643940	−9852 −75	−326	·9631788	−10094 −70	−332	·9619303	7·1
7·2	·9731986	−8032 −89	−276	·9722486	−8247 −89	−276	·9712710	−8466 −85	−281	·9702653	−8687 −85	−287	·9692309	−8910 −80	−292	·9681673	7·2
7·3	·9777476	−7010 −93	−236	·9769452	−7206 −93	−246	·9761188	−7406 −90	−245	·9752679	−7608 −91	−250	·9743920	−7815 −89	−255	·9734905	7·3
7·4	·9815955	−6081 −90	−203	·9809212	−6258 −91	−207	·9802260	−6438 −92	−212	·9795097	−6623 −92	−217	·9787716	−6809 −92	−221	·9780114	7·4
7·5	·9848355	−5242 −88	−174	·9842714	−5461 −89	−178	·9836894	−5582 −91	−182	·9830892	−5726 −92	−187	·9824703	−5894 −93	−191	·9818324	7·5
7·6	·9875512	−4493 −85	−148	·9870815	−4633 −86	−152	·9865966	−4778 −89	−156	·9860961	−4924 −89	−160	·9855796	−5074 −89	−164	·9850468	7·6
7·7	·9898176	−3831 −79	−126	·9894283	−3955 −80	−129	·9890260	−4080 −83	−132	·9886106	−4210 −84	−136	·9881815	−4341 −85	−139	·9877386	7·7
7·8	·9917009	−3248 −78	−106	·9913796	−3355 −74	−109	·9910474	−3465 −78	−112	·9907041	−3578 −78	−115	·9903493	−3695 −79	−118	·9899827	7·8
7·9	·9932594	−2741 −65	−89	·9929954	−2834 −68	−91	·9927223	−2930 −69	−94	·9924398	−3028 −72	−96	·9921476	−3127 −74	−99	·9918456	7·9
8·0	·9945438	−2299 −60	−74	·9943278	−2380 −63	−76	·9941042	−2462 −64	−78	·9938727	−2546 −66	−80	·9936332	−2633 −68	−83	·9933855	8·0
8·1	·9955983	−1922 −54	−61	·9954222	−1989 −56	−63	·9952399	−2066 −58	−65	·9950510	−2132 −59	−67	·9948555	−2207 −60	−69	·9946531	8·1
8·2	·9964605	−1599 −48	−50	·9963177	−1657 −49	−52	·9961696	−1716 −52	−54	·9960161	−1777 −52	−55	·9958571	−1839 −53	−57	·9956925	8·2
8·3	·9971630	−1322 −43	−41	·9970475	−1371 −44	−43	·9969277	−1421 −46	−44	·9968035	−1474 −46	−45	·9966748	−1528 −47	−47	·9965413	8·3
8·4	·9977332	−1090 −37	−34	·9976402	−1132 −38	−35	·9975437	−1175 −39	−36	·9974435	−1217 −40	−37	·9973397	−1263 −42	−38	·9972320	8·4
8·5	·9981944	−895 −32	−27	·9981197	−928 −34	−28	·9980422	−963 −34	−29	·9979618	−1000 −36	−30	·9978783	−1037 −36	−31	·9977918	8·5
8·6	·9985661	−731 −29	−22	·9985064	−760 −29	−23	·9984444	−789 −29	−24	·9983801	−820 −30	−25	·9983132	−850 −32	−25	·9982439	8·6
8·7	·9988647	−596 −24	−18	·9988171	−619 −24	−18	·9987677	−643 −25	−19	·9987164	−668 −25	−20	·9986631	−695 −26	−20	·9986077	8·7
8·8	·9991037	−483 −21	−14	·9990659	−502 −21	−15	·9990267	−523 −20	−15	·9989859	−543 −22	−16	·9989435	−563 −22	−16	·9988995	8·8
8·9	·9992944	−391 −17	−11	·9992645	−406 −17	−12	·9992334	−421 −18	−12	·9992011	−438 −19	−13	·9991676	−457 −19	−13	·9991327	8·9
9·0	·9994460	−313 −14	−9	·9994225	−327 −14	−10	·9993980	−341 −15	−10	·9993725	−354 −15	−10	·9993460	−368 −15	−10	·9993184	9·0
9·1	·9995663	−252 −12	−7	·9995478	−262 −12	−8	·9995285	−272 −13	−8	·9995085	−284 −13	−8	·9994876	−295 −13	−8	·9994659	9·1
9·2	·9996614	−202 −9	−8	·9996469	−210 −10	−8	·9996318	−219 −12	−6	·9996161	−228 −11	−6	·9995997	−237 −11	−7	·9995827	9·2
9·3	·9997363	−160 −8	−4	·9997250	−167 −9	−5	·9997132	−174 −10	−5	·9997009	−181 −9	−5	·9996881	−189 −9	−5	·9996748	9·3
9·4	·9997952	−128 −6		·9997864	−133 −7	−4	·9997772	−139 −8	−4	·9997676	−144 −7	−4	·9997576	−149 −7	−4	·9997473	9·4
9·5	·9998413	−100 −5		·9998345	−105 −6		·9998273	−109 −7		·9998199	−114 −6		·9998122	−120 −6		·9998041	9·5
9·6	·9998774	−80 −4		·9998721	−83 −5		·9998665	−86 −5		·9998608	−90 −5		·9998548	−94 −6		·9998486	9·6
9·7	·9999055	−63 −4		·9999014	−66 −4		·9998971	−68 −4		·9998927	−72 −4		·9998880	−75 −4		·9998832	9·7
9·8	·9999273	−49		·9999241	−50		·9999209	−54		·9999174	−56		·9999139	−59		·9999102	9·8
9·9	·9999442	−38		·9999418	−41		·9999393	−42		·9999367	−43		·9999339	−45		·9999311	9·9
10·0	·9999573	−30		·9999554	−30		·9999535	−31		·9999515	−33		·9999494	−35		·9999472	10·0
10·1	·9999674	−24		·9999660	−24		·9999645	−26		·9999630	−27		·9999614	−28		·9999597	10·1
10·2	·9999751	−17		·9999741	−19		·9999729	−19		·9999718	−21		·9999706	−22		·9999693	10·2
10·3	·9999811	−14		·9999803	−14		·9999794	−15		·9999785	−15		·9999776	−16		·9999767	10·3
10·4	·9999857	−12		·9999850	−10		·9999844	−12		·9999837	−12		·9999830	−12		·9999823	10·4
10·5	·9999891	−9		·9999887	−8		·9999882	−9		·9999877	−10		·9999872	−10		·9999866	10·5
10·6	·9999918	−7		·9999914	−8		·9999911	−7		·9999907	−7		·9999903	−7		·9999899	10·6
10·7	·9999938	−5		·9999935	−5		·9999933	−6		·9999930	−6		·9999927	−6		·9999924	10·7
10·8	·9999953	−4		·9999951	−4		·9999949	−4		·9999947	−4		·9999945	−4		·9999943	10·8
10·9	·9999965			·9999964			·9999962			·9999960			·9999959	−4		·9999957	10·9
11·0	·9999974			·9999973			·9999972			·9999970			·9999969			·9999968	11·0
11·1	·9999980			·9999980			·9999979			·9999978			·9999977			·9999976	11·1
11·2	·9999985			·9999985			·9999984			·9999983			·9999983			·9999982	11·2
11·3	·9999989			·9999989			·9999988			·9999988			·9999987			·9999987	11·3
11·4	·9999992			·9999992			·9999991			·9999991			·9999990			·9999990	11·4
11·5	·9999994			·9999994			·9999993			·9999993			·9999993			·9999993	11·5
11·6	·9999996			·9999995			·9999995			·9999995			·9999995			·9999995	11·6
11·7	·9999997			·9999997			·9999996			·9999996			·9999996			·9999996	11·7
11·8	·9999998			·9999997			·9999997			·9999997			·9999997			·9999997	11·8
11·9	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	11·9
12·0	·9999999			·9999999			·9999999			·9999999			·9999998			·9999998	12·0
12·1	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·1
12·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·2
12·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·3
12·4	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·4
12·5																	12·5

	$p = 26{\cdot}0$		$p = 26{\cdot}2$			$p = 26{\cdot}4$			$p = 26{\cdot}6$			$p = 26{\cdot}8$			$p = 27{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
7·0	−11606 −60	−379	·9531642	−11866 −54	−386	·9516301	−12127 −50	−391	·9500569	−12390 −42	−397	·9484439	−12651 −46	−403	·9467907	−12918 −39	−408	7·0
7·1	−10336 −72	−337	·9606482	−10582 −70	−343	·9593317	−10831 −68	−349	·9579802	−11078 −67	−355	·9565934	−11333 −59	−360	·9551704	−11585 −57	−366	7·1
7·2	−9138 −83	−298	·9670740	−9368 −81	−303	·9659502	−9598 −83	−309	·9647957	−9835 −76	−314	·9636096	−10071 −75	−320	·9623916	−10311 −70	−326	7·2
7·3	−8023 −90	−261	·9725630	−8235 −89	−266	·9716089	−8431 −90	−271	·9706276	−8667 −88	−276	·9696187	−8887 −87	−282	·9685817	−9111 −83	−287	7·3
7·4	−6999 −92	−226	·9772285	−7192 −92	−231	·9764225	−7386 −92	−236	·9755928	−7586 −91	−241	·9747391	−7790 −91	−246	·9738607	−7994 −91	−251	7·4
7·5	−6066 −93	−195	·9811748	−6239 −93	−200	·9804973	−6417 −94	−204	·9797994	−6599 −93	−209	·9790805	−6781 −92	−213	·9783403	−6968 −93	−218	7·5
7·6	−5226 −90	−168	·9844972	−5383 −91	−172	·9839304	−5540 −93	−176	·9833461	−5702 −94	−180	·9827438	−5868 −92	−184	·9821231	−6035 −94	−188	7·6
7·7	−4477 −86	−143	·9872813	−4613 −88	−146	·9868095	−4756 −89	−150	·9863226	−4899 −90	−154	·9858203	−5044 −91	−157	·9853024	−5196 −92	−161	7·7
7·8	−3812 −81	−121	·9896041	−3935 −82	−124	·9892130	−4058 −83	−127	·9888092	−4164 −84	−130	·9883924	−4315 −86	−134	·9879621	−4445 −87	−137	7·8
7·9	−3230 −75	−102	·9915334	−3335 −78	−104	·9912107	−3443 −78	−107	·9908774	−3555 −78	−110	·9905330	−3668 −79	−113	·9901773	−3785 −80	−116	7·9
8·0	−2723 −68	−85	·9931292	−2814 −70	−87	·9928641	−2907 −70	−90	·9925901	−3003 −72	−92	·9923068	−3101 −73	−95	·9920140	−3201 −74	−98	8·0
8·1	−2282 −62	−71	·9944436	−2361 −63	−73	·9942268	−2442 −64	−75	·9940025	−2524 −66	−77	·9937705	−2609 −67	−79	·9935306	−2697 −68	−82	8·1
8·2	−1906 −55	−59	·9955219	−1971 −56	−60	·9953453	−2040 −58	−62	·9951625	−2111 −59	−64	·9949733	−2184 −61	−66	·9947775	−2258 −62	−68	8·2
8·3	−1581 −49	−48	·9964031	−1640 −50	−50	·9962598	−1698 −52	−51	·9961114	−1757 −53	−53	·9959577	−1818 −55	−55	·9957986	−1882 −56	−56	8·3
8·4	−1309 −43	−40	·9971203	−1356 −44	−41	·9970045	−1404 −45	−42	·9968846	−1456 −46	−43	·9967603	−1509 −48	−45	·9966315	−1562 −49	−46	8·4
8·5	−1077 −37	−32	·9977019	−1116 −38	−33	·9976088	−1159 −39	−34	·9975122	−1201 −40	−36	·9974120	−1244 −41	−37	·9973082	−1290 −43	−38	8·5
8·6	−883 −32	−26	·9981719	−917 −33	−27	·9980972	−951 −34	−28	·9980197	−986 −35	−29	·9979393	−1023 −36	−30	·9978559	−1060 −37	−31	8·6
8·7	−720 −27	−21	·9985502	−748 −28	−22	·9984905	−776 −30	−23	·9984286	−806 −30	−23	·9983643	−836 −31	−24	·9982976	−867 −32	−25	8·7
8·8	−586 −23	−17	·9988537	−608 −24	−18	·9988062	−631 −25	−18	·9987569	−656 −26	−19	·9987057	−681 −27	−19	·9986526	−703 −28	−20	8·8
8·9	−475 −20	−14	·9990964	−493 −21	−14	·9990588	−514 −20	−15	·9990196	−532 −22	−15	·9989790	−554 −23	−16	·9989368	−575 −24	−16	8·9
9·0	−382 −17	−11	·9992898	−398 −17	−11	·9992600	−413 −17	−12	·9992291	−430 −18	−12	·9991969	−446 −19	−13	·9991635	−463 −20	−13	9·0
9·1	−307 −14	−9	·9994434	−320 −14	−9	·9994199	−332 −14	−9	·9993956	−347 −15	−10	·9993702	−360 −16	−10	·9993439	−375 −16	−10	9·1
9·2	−247 −12	−7	·9995650	−256 −12	−7	·9995466	−267 −12	−7	·9995274	−276 −12	−8	·9995075	−288 −13	−8	·9994868	−299 −13	−8	9·2
9·3	−196 −9	−5	·9996610	−205 −10	−6	·9996466	−213 −9	−6	·9996316	−222 −10	−6	·9996160	−231 −11	−6	·9995998	−241 −11	−6	9·3
9·4	−157 −7	−4	·9997365	−163 −8	−5	·9997253	−170 −8	−5	·9997136	−177 −8	−5	·9997014	−184 −9	−5	·9996887	−190 −9	−5	9·4
9·5	−123 −6		·9997957	−129 −7		·9997870	−134 −7	−4	·9997779	−140 −7	−4	·9997684	−145 −8	−4	·9997586	−152 −8	−4	9·5
9·6	−99 −5		·9998420	−101 −6		·9998353	−106 −6		·9998282	−110 −6		·9998209	−116 −6		·9998133	−121 −7		9·6
9·7	−76 −5		·9998782	−81 −4		·9998730	−84 −5		·9998675	−87 −5		·9998618	−90 −5		·9998559	−94 −5		9·7
9·8	−61 −4		·9999063	−62 −4		·9999023	−66 −4		·9998981	−69 −4		·9998937	−72 −4		·9998891	−74 −4		9·8
9·9	−48		·9999282	−51		·9999250	−53		·9999218	−54		·9999184	−56		·9999149	−59		9·9
10·0	−36		·9999450	−38		·9999426	−41		·9999401	−41		·9999375	−43		·9999348	−45		10·0
10·1	−29		·9999580	−30		·9999561	−30		·9999543	−33		·9999523	−34		·9999502	−35		10·1
10·2	−22		·9999680	−23		·9999666	−25		·9999652	−26		·9999637	−27		·9999621	−28		10·2
10·3	−18		·9999757	−19		·9999746	−19		·9999735	−19		·9999724	−20		·9999712	−22		10·3
10·4	−13		·9999815	−13		·9999807	−14		·9999799	−15		·9999791	−15		·9999781	−16		10·4
10·5	−10		·9999860	−11		·9999854	−11		·9999848	−12		·9999841	−12		·9999835	−13		10·5
10·6	−8		·9999894	−8		·9999890	−9		·9999885	−10		·9999880	−9		·9999875	−11		10·6
10·7	−6		·9999920	−6		·9999917	−6		·9999914	−8		·9999910	−8		·9999906	−8		10·7
10·8	−5		·9999940	−5		·9999938	−5		·9999935	−6		·9999932	−6		·9999929	−6		10·8
10·9	−4		·9999955	−4		·9999953	−4		·9999951	−4		·9999949	−4		·9999947	−5		10·9
11·0			·9999966			·9999965			·9999963			·9999962			·9999960			11·0
11·1			·9999975			·9999974			·9999973			·9999972			·9999970			11·1
11·2			·9999981			·9999980			·9999980			·9999979			·9999978			11·2
11·3			·9999986			·9999985			·9999985			·9999984			·9999984			11·3
11·4			·9999990			·9999989			·9999989			·9999988			·9999988			11·4
11·5			·9999992			·9999992			·9999992			·9999991			·9999991			11·5
11·6			·9999994			·9999994			·9999994			·9999994			·9999993			11·6
11·7			·9999996			·9999996			·9999995			·9999995			·9999995			11·7
11·8			·9999997			·9999997			·9999997			·9999997			·9999996			11·8
11·9			·9999998			·9999998			·9999998			·9999997			·9999997			11·9
12·0			·9999998			·9999998			·9999998			·9999998			·9999998			12·0
12·1			·9999999			·9999999			·9999999			·9999999			·9999999			12·1
12·2			·9999999			·9999999			·9999999			·9999999			·9999999			12·2
12·3			·9999999			·9999999			·9999999			·9999999			·9999999			12·3
12·4			·9999999			·9999999			·9999999			·9999999			·9999999			12·4
12·5			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·5

	$p = 27·0$			$p = 27·2$			$p = 27·4$			$p = 27·6$			$p = 27·8$			$p = 28·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·4	·0000000																1·4
1·5	·0000000			·0000000	+1 +1		·0000000	+1		·0000000	+1		·0000000			·0000000	1·5
1·6	·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000000	+1 +1		·0000000	1·6
1·7	·0000003	+4 +4		·0000003	+3 +3		·0000002	+4 +2		·0000002	+3 +2		·0000002	+2 +2		·0000001	1·7
1·8	·0000009	+10 +7		·0000008	+8 +6		·0000007	+7 +5		·0000006	+6 +5		·0000005	+6 +5		·0000004	1·8
1·9	·0000025	+22 +14		·0000022	+19 +15		·0000019	+17 +10		·0000016	+16 +9		·0000014	+13 +8		·0000012	1·9
2·0	·0000063	+49 +23		·0000055	+44 +21		·0000048	+39 +19		·0000042	+34 +18		·0000036	+31 +16		·0000032	2·0
2·1	·0000150	+98 +37		·0000132	+87 +54		·0000116	+78 +33		·0000102	+69 +30		·0000089	+62 +27		·0000078	2·1
2·2	·0000335	+185 +62	+5	·0000296	+168 +58	+4	·0000262	+151 +52	+4	·0000231	+137 +48	+4	·0000204	+123 +44		·0000180	2·2
2·3	·0000705	+335 +88	+9	·0000628	+303 +82	+8	·0000559	+276 +76	+7	·0000497	+250 +73	+7	·0000442	+227 +67	+6	·0000393	2·3
2·4	·0001410	+570 +125	+16	·0001263	+523 +117	+15	·0001132	+477 +113	+13	·0001013	+437 +102	+12	·0000907	+398 +99	+11	·0000811	2·4
2·5	·0002685	+935 +186	+27	·0002421	+859 +159	+26	·0002182	+791 +149	+23	·0001966	+726 +146	+21	·0001770	+668 +136	+19	·0001593	2·5
2·6	·0004893	+1481 +212	+44	·0004438	+1354 +201	+40	·0004023	+1254 +193	+37	·0003645	+1161 +182	+34	·0003301	+1074 +174	+31	·0002989	2·6
2·7	·0008562	+2201 +248	+68	·0007809	+2050 +245	+63	·0007118	+1910 +236	+58	·0006485	+1778 +229	+54	·0005906	+1654 +220	+49	·0005376	2·7
2·8	·0014432	+3169 +292	+102	·0013230	+2991 +281	+94	·0012123	+2802 +274	+87	·0011103	+2624 +264	+81	·0010165	+2454 +260	+75	·0009301	2·8
2·9	·0023491	+4469 +311	+146	·0021642	+4218 +306	+136	·0019930	+3968 +303	+127	·0018345	+3734 +302	+116	·0016878	+3514 +292	+110	·0015521	2·9
3·0	·0037019	+6060 +312	+208	·0034267	+5741 +317	+191	·0031705	+5437 +313	+178	·0029321	+5148 +309	+167	·0027105	+4866 +309	+156	·0025045	3·0
3·1	·0056607	+7983 +300	+273	·0052633	+7586 +298	+257	·0048917	+7219 +307	+243	·0045443	+6867 +308	+228	·0042198	+6527 +310	+215	·0039167	3·1
3·2	·0084158	+10166 +247	+356	·0078585	+9729 +262	+336	·0073348	+9308 +264	+319	·0068432	+8896 +276	+302	·0063818	+8498 +281	+286	·0059490	3·2
3·3	·0121875	+12616 +178	+452	·0114266	+12134 +192	+430	·0107087	+11861 +211	+409	·0100317	+11201 +219	+388	·0093936	+10750 +234	+369	·0087924	3·3
3·4	·0172208	+15244 +78	+557	·0162081	+14731 +96	+533	·0152487	+14225 +113	+509	·0143403	+13725 +137	+486	·0134804	+13236 +161	+464	·0126670	3·4
3·5	·0237785	+17950 −44	+669	·0224627	+17424 −16	+643	·0212112	+16902 +9	+617	·0200214	+16386 +25	+592	·0188908	+15873 +46	+568	·0178170	3·5
3·6	·0321312	+20612 −173	+784	·0304597	+20101 −160	+756	·0288639	+19583 −126	+729	·0273411	+19072 −94	+703	·0258885	+18558 −69	+677	·0245036	3·6
3·7	·0425451	+23101 −318	+896	·0404668	+22628 −298	+868	·0384754	+22143 −259	+841	·0365680	+21884 −236	+814	·0347420	+21174 −210	+787	·0329947	3·7
3·8	·0552691	+25272 −444	+1000	·0527367	+24887 −420	+978	·0503017	+24449 −394	+946	·0479613	+24020 −368	+920	·0457129	+23580 −340	+898	·0435538	3·8
3·9	·0705203	+26999 −567	+1090	·0674933	+26686 −542	+1065	·0645729	+26356 −521	+1041	·0617566	+26008 −496	+1016	·0590418	+25648 −473	+991	·0564261	3·9
4·0	·0884714	+28159 −658	+1162	·0849185	+27963 −646	+1140	·0814797	+27742 −623	+1118	·0781527	+27501 −605	+1096	·0749353	+27239 −584	+1074	·0718252	4·0
4·1	·1092384	+28681 −727	+1209	·1051400	+28594 −708	+1192	·1011607	+28505 −702	+1174	·0972989	+28389 −668	+1156	·0935527	+28248 −671	+1137	·0899202	4·1
4·2	·1328715	+28438 −746	+1231	·1282209	+28517 −750	+1216	·1236922	+28566 −738	+1205	·1192840	+28589 −732	+1192	·1149949	+28588 −728	+1177	·1108236	4·2
4·3	·1593482	+27465 −747	+1222	·1541535	+27690 −743	+1216	·1490803	+27889 −751	+1208	·1441280	+28057 −751	+1206	·1392957	+28196 −749	+1191	·1345824	4·3
4·4	·1885714	+26747 −693	+1165	·1828551	+26120 −710	+1184	·1772573	+26461 −716	+1182	·1717777	+26774 −725	+1179	·1664161	+27057 −727	+1176	·1611720	4·4
4·5	·2203693	+23330 −618	+1118	·2141687	+23840 −634	+1123	·2080804	+24317 −648	+1127	·2021048	+24768 −667	+1130	·1962422	+25191 −681	+1132	·1904929	4·5
4·6	·2545008	+20807 −515	+1024	·2478663	+20926 −532	+1035	·2413352	+21524 −563	+1045	·2349087	+22095 −572	+1054	·2285874	+22644 −594	+1061	·2223724	4·6
4·7	·2906630	+16783 −394	+907	·2836565	+17480 −417	+923	·2767424	+18174 −437	+938	·2699221	+18850 −466	+952	·2631970	+19503 −486	+965	·2565685	4·7
4·8	·3285015	+12835 −249	+772	·3211947	+13617 −272	+792	·3139670	+14387 −305	+811	·3068205	+15139 −328	+830	·2997569	+15876 −356	+847	·2927781	4·8
4·9	·3676235	+8858 −109	+622	·3600946	+9482 −188	+646	·3526303	+10296 −161	+669	·3452328	+11100 −192	+691	·3379044	+11898 −219	+712	·3306472	4·9
5·0	·4076113	+4372 +34	+464	·3999427	+5268 +8	+490	·3923231	+6042 −25	+516	·3847551	+6869 −49	+541	·3772412	+7691 −78	+566	·3697838	5·0
5·1	·4480363	+120 +156	+364	·4403116	+942 +132	+331	·4326201	+1764 +111	+358	·4249643	+2589 +81	+385	·4173471	+3411 +58	+411	·4097710	5·1
5·2	·4884733	−3976 +274	+145	·4807747	−3192 +249	+173	·4730935	−2409 +227	+201	·4654324	−1610 +209	+228	·4577941	−811 +184	+255	·4501814	5·2
5·3	·5285127	−7796 +360	−6	·5209186	−7077 +348	+21	·5133266	−6343 +328	+49	·5057395	−5600 +307	+76	·4981600	−4849 +289	+103	·4905909	5·3
5·4	·5677723	−11260 +436	−146	·5603548	−10618 +417	−120	·5529254	−9955 +408	−94	·5454866	−9283 +395	−67	·5380410	−8598 +379	−41	·5305913	5·4
5·5	·6059059	−14287 +479	−272	·5987297	−13732 +477	−248	·5915287	−13169 +466	−223	·5843054	−12571 +455	−199	·5770622	−11968 +444	−174	·5698016	5·5
5·6	·6426108	−16835 +509	−381	·6357314	−16374 +498	−359	·6288161	−15897 +493	−337	·6218671	−15404 +492	−315	·6148866	−14894 +489	−293	·6078768	5·6
5·7	·6776322	−18874 +506	−472	·6710957	−18518 +514	−455	·6645138	−18142 +516	−434	·6578884	−17745 +509	−415	·6512216	−17331 +503	−395	·6445154	5·7
5·8	·7107662	−20408 +500	−545	·7046082	−20148 +497	−529	·6983973	−19871 +499	−513	·6921352	−19577 +505	−496	·6858235	−19265 +512	−479	·6794638	5·8
5·9	·7418594	−21442 +465	−599	·7361059	−21281 +476	−586	·7302937	−21101 +483	−573	·7244243	−20904 +490	−559	·7184989	−20687 +490	−545	·7125189	5·9
6·0	·7708084	−22011 +427	−635	·7654755	−21938 +435	−625	·7600800	−21843 +442	−615	·7546230	−21741 +447	−605	·7491056	−21619 +458	−594	·7435287	6·0
6·1	·7975563	−22153 +375	−655	·7926513	−22160 +385	−648	·7876815	−22153 +397	−641	·7826476	−22131 +411	−633	·7775504	−22095 +421	−625	·7723906	6·1
6·2	·8220889	−21920 +326	−660	·8176111	−21997 +337	−656	·8130677	−22061 +348	−651	·8084591	−22110 +353	−646	·8037859	−22148 +360	−641	·7990487	6·2
6·3	·8444295	−21361 +263	−652	·8403712	−21497 +275	−651	·8362478	−21621 +284	−649	·8320596	−21736 +301	−646	·8278068	−21839 +316	−645	·8234896	6·3
6·4	·8646340	−20539 +212	−634	·8609816	−20722 +223	−634	·8572658	−20897 +236	−634	·8534865	−21061 +243	−634	·8496438	−21216 +254	−633	·8457378	6·4
6·5	·8827846	−19505 +165	−607	·8795198	−19724 +163	−609	·8761941	−19937 +175	−611	·8728073	−20143 +159	−612	·8693592	−20339 +195	−613	·8658499	6·5
6·6	·8989847	−18318 +105	−574	·8960856	−18563 +120	−577	·8931287	−18802 +126	−580	·8901138	−19066 +93	−583	·8870407	−19287 +149	−585	·8839090	6·6
6·7	·9133532	−17022 +64	−536	·9107951	−17282 +67	−540	·9081831	−17541 +79	−544	·9055167	−17796 +59	−548	·9027955	−18046 +95	−551	·9000192	6·7
6·8	·9260195	−15664 +20	−494	·9237764	−15934 +32	−498	·9214834	−16201 +55	−504	·9191400	−16467 +44	−509	·9167457	−16730 +51	−513	·9143002	6·8
6·9	·9371194	−14286 −8	−452	·9351643	−14554 −9	−457	·9331636	−14828 +4	−462	·9311166	−15094 +7	−467	·9290229	−15383 +18	−472	·9268820	6·9
7·0	·9467907	−12916 −39	−403	·9450967	−13183 −27	−414	·9433612	−13447 −28	−419	·9415838	−13714 −19	−425	·9397638	−13978 −21	−430	·9379009	7·0

u	$p = 28{\cdot}0$		$p = 28{\cdot}2$			$p = 28{\cdot}4$			$p = 28{\cdot}6$			$p = 28{\cdot}8$			$p = 29{\cdot}0$			u
	δ^2_u δ^4_u	δ^2_p δ^4_p	$I\,(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I\,(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I\,(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I\,(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I\,(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	
1·4																		1·4
1·5			·0000000			·0000000			·0000000			·0000000			·0000000			1·5
1·6	+1 +1		·0000000	+1 0		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000			1·6
1·7	+2 +2		·0000001	+2 +2		·0000001	+1 +1		·0000001	+1 +2		·0000001	+1 +1		·0000001	+1 +1		1·7
1·8	+5 +4		·0000004	+3 +4		·0000003	+4 +3		·0000003	+3 +3		·0000002	+3 +2		·0000002	+3 +2		1·8
1·9	+12 +8		·0000010	+11 +7		·0000009	+9 +7		·0000008	+8 +6		·0000007	+6 +5		·0000006	+6 +5		1·9
2·0	+26 +14		·0000027	+24 +13		·0000024	+21 +12		·0000021	+18 +11		·0000018	+17 +10		·0000016	+14 +9		2·0
2·1	+56 +25		·0000068	+50 +23		·0000060	+44 +21		·0000052	+41 +19		·0000046	+35 +18		·0000040	+32 +16		2·1
2·2	+111 +42		·0000159	+99 +38		·0000140	+90 +34		·0000124	+79 +30		·0000109	+73 +29		·0000096	+64 +28		2·2
2·3	+205 +62	+5	·0000349	+186 +59	+5	·0000310	+168 +55	+4	·0000275	+153 +52	+4	·0000244	+138 +46		·0000216	+125 +42		2·3
2·4	+364 +93	+10	·0000725	+332 +85	+9	·0000648	+302 +83	+8	·0000579	+275 +76	+7	·0000517	+250 +73	+6	·0000461	+228 +66	+6	2·4
2·5	+614 +127	+17	·0001433	+563 +122	+16	·0001288	+518 +110	+14	·0001158	+474 +107	+13	·0001040	+434 +102	+12	·0000934	+397 +96	+11	2·5
2·6	+991 +170	+29	·0002704	+916 +160	+26	·0002446	+844 +158	+24	·0002211	+780 +144	+22	·0001997	+720 +135	+20	·0001804	+662 +132	+18	2·6
2·7	+1538 +210	+45	·0004891	+1429 +203	+42	·0004448	+1328 +189	+38	·0004044	+1230 +189	+35	·0003674	+1141 +186	+32	·0003336	+1059 +167	+30	2·7
2·8	+2295 +252	+69	·0008507	+2145 +242	+64	·0007778	+2001 +241	+59	·0007107	+1669 +227	+55	·0006492	+1742 +222	+51	·0005927	+1623 +217	+47	2·8
2·9	+3304 +285	+103	·0014268	+3103 +282	+95	·0013109	+2915 +270	+89	·0012039	+2735 +265	+82	·0011052	+2565 +256	+76	·0010141	+2404 +248	+71	2·9
3·0	+4598 +309	+146	·0023132	+4343 +303	+137	·0021355	+4099 +301	+128	·0019706	+3856 +298	+119	·0018177	+3644 +293	+111	·0016759	+3433 +287	+104	3·0
3·1	+6201 +307	+202	·0036339	+5886 +309	+190	·0033700	+5584 +308	+178	·0031239	+5295 +303	+167	·0028946	+5016 +304	+157	·0026810	+4749 +308	+147	3·1
3·2	+8111 +291	+270	·0055432	+7738 +294	+255	·0051629	+7377 +298	+241	·0048067	+7027 +305	+227	·0044731	+6692 +303	+214	·0041610	+6368 +303	+202	3·2
3·3	+10312 +241	+351	·0082263	+9884 +253	+333	·0076935	+9466 +260	+315	·0071922	+9064 +267	+299	·0067208	+8671 +275	+283	·0062778	+8290 +281	+268	3·3
3·4	+12754 +170	+442	·0118978	+12283 +181	+422	·0111709	+11819 +201	+402	·0104841	+11368 +209	+383	·0098356	+10925 +224	+364	·0092236	+10493 +235	+346	3·4
3·5	+15366 +67	+544	·0167976	+14863 +94	+521	·0158302	+14371 +104	+498	·0149128	+13881 +130	+477	·0140429	+13403 +142	+456	·0132187	+12931 +159	+435	3·5
3·6	+18045 −44	+631	·0231837	+17537 −30	+626	·0219266	+17027 +1	+602	·0207296	+16524 +18	+578	·0195905	+16023 +42	+555	·0185069	+15528 +62	+533	3·6
3·7	+20660 −163	+760	·0313235	+20181 −149	+735	·0297257	+19664 −130	+709	·0281988	+19185 −105	+684	·0267404	+18685 −60	+660	·0253479	+18167 −58	+636	3·7
3·8	+23132 −316	+867	·0414814	+22676 −292	+841	·0394932	+22211 −261	+815	·0375865	+21741 −229	+796	·0357588	+21267 −211	+765	·0340076	+20788 −184	+746	3·8
3·9	+25268 −445	+965	·0539069	+24679 −424	+941	·0514818	+24477 −402	+916	·0491483	+24068 −365	+891	·0469039	+23638 −347	+866	·0447461	+23205 −323	+842	3·9
4·0	+26959 −566	+1051	·0688203	+26658 −540	+1026	·0659181	+26341 −515	+1005	·0631163	+26010 −491	+982	·0604128	+25662 −476	+958	·0578051	+25299 −447	+935	4·0
4·1	+28064 −655	+1118	·0863995	+27697 −637	+1098	·0829885	+27690 −623	+1078	·0796853	+27461 −603	+1057	·0764879	+27211 −576	+1036	·0733940	+26946 −566	+1015	4·1
4·2	+28554 −716	+1162	·1067684	+28499 −711	+1156	·1028279	+28416 −695	+1130	·0990004	+28309 −661	+1113	·0952841	+28182 −676	+1096	·0916775	+28027 −651	+1077	4·2
4·3	+28309 −743	+1181	·1299872	+28390 −746	+1169	·1255089	+28447 −739	+1158	·1211464	+28476 −731	+1145	·1168985	+28477 −716	+1132	·1127637	+28457 −716	+1118	4·3
4·4	+27313 −732	+1171	·1560450	+27641 −739	+1166	·1510346	+27789 −738	+1159	·1461400	+27912 −745	+1151	·1413606	+28056 −746	+1143	·1366956	+28171 −739	+1134	4·4
4·5	+25566 −693	+1134	·1848569	+25953 −702	+1133	·1793342	+26293 −712	+1139	·1739248	+26603 −713	+1130	·1686283	+26889 −723	+1127	·1634446	+27146 −729	+1123	4·5
4·6	+23166 −611	+1068	·2162641	+23663 −628	+1073	·2102631	+24135 −645	+1078	·2043699	+24561 −662	+1081	·1985849	+24999 −672	+1084	·1929082	+25392 −684	+1085	4·6
4·7	+20135 −509	+977	·2500376	+20746 −529	+988	·2436055	+21332 −548	+997	·2372731	+21897 −670	+1006	·2310414	+22437 −587	+1014	·2249110	+22954 −605	+1021	4·7
4·8	+16593 −380	+864	·2858856	+17296 −410	+879	·2790811	+17981 −435	+894	·2723660	+18643 −454	+907	·2657416	+19298 −481	+920	·2592092	+19911 −503	+932	4·8
4·9	+12875 −249	+733	·3234634	+13441 −271	+752	·3163548	+14195 −298	+771	·3093232	+14935 −327	+789	·3023706	+15658 −351	+806	·2954985	+16365 −374	+822	4·9
5·0	+8506 −105	+589	·3623853	+9318 −133	+611	·3550480	+10111 −161	+633	·3477739	+10900 −188	+653	·3405654	+11677 −213	+675	·3334243	+12445 −244	+695	5·0
5·1	+4232 +33	+437	·4022385	+5052 +4	+462	·3947523	+5866 −19	+486	·3873146	+6677 −46	+510	·3799279	+7463 −75	+533	·3725946	+8281 −106	+556	5·1
5·2	−9 +139	+282	·4425969	+795 +137	+308	·4350432	+1602 +109	+384	·4275230	+2408 +84	+360	·4200387	+3214 +60	+384	·4125930	+4017 +88	+409	5·2
5·3	−4091 +272	+130	·4830348	−3325 +249	+157	·4754943	−2553 +229	+183	·4679722	−1777 +210	+209	·4604709	−995 +186	+235	·4529931	−209 +169	+260	5·3
5·4	−7001 +360	−15	·5231402	−7196 +349	+11	·5156901	−6479 +331	+87	·5082437	−5752 +309	+63	·5008036	−5018 +291	+88	·4933723	−4276 +274	+114	5·4
5·5	−11351 +435	−149	·5625260	−10718 +417	−125	·5552380	−10074 +404	−100	·5479400	−9418 +394	−75	·5406345	−8736 +382	−50	·5333239	−8069 +363	−26	5·5
5·6	−14366 +479	−270	·6008400	−13623 +474	−247	·5937785	−13265 +468	−224	·5866945	−12690 +456	−201	·5795904	−12100 +440	−178	·5724686	−11499 +434	−154	5·6
5·7	−16902 +503	−375	·6377717	−16454 +501	−354	·6309925	−15988 +495	−334	·6241800	−15506 +489	−313	·6173363	−15010 +492	−291	·6104634	−14495 +481	−270	5·7
5·8	−18938 +511	−462	·6730580	−18684 +512	−444	·6666077	−18216 +510	−426	·6601149	−17833 +515	−408	·6535812	−17428 +502	−389	·6470087	−17010 +505	−370	5·8
5·9	−20453 +494	−531	·7064859	−20202 +498	−516	·7004013	−19934 +504	−501	·6942665	−19645 +499	−485	·6880833	−19344 +513	−469	·6818530	−19020 +506	−453	5·9
6·0	−21479 +467	−582	·7378936	−21321 +470	−571	·7322015	−21147 +477	−558	·7264536	−20958 +490	−546	·7206510	−20747 +466	−533	·7147953	−20524 +500	−519	6·0
6·1	−22038 +425	−617	·7671692	−21970 +440	−608	·7618870	−21884 +447	−598	·7565449	−21781 +450	−589	·7511440	−21664 +461	−578	·7456852	−21528 +461	−568	6·1
6·2	−22172 +379	−635	·7942478	−22179 +383	−629	·7893841	−22174 +394	−622	·7844581	−22164 +404	−615	·7794706	−22120 +415	−608	·7744223	−22071 +428	−600	6·2
6·3	−21927 +321	−640	·8191085	−22003 +334	−636	·8146638	−22070 +346	−632	·8101559	−22123 +358	−627	·8055852	−22161 +366	−622	·8009523	−22186 +374	−617	6·3
6·4	−21361 +265	−632	·8417687	−21497 +278	−630	·8377365	−21621 +288	−628	·8336414	−21734 +298	−626	·8294837	−21836 +309	−624	·8252637	−21927 +320	−621	6·4
6·5	−20530 +210	−614	·8622792	−20711 +220	−614	·8586471	−20884 +231	−614	·8549535	−21047 +241	−614	·8511986	−21202 +252	−613	·8473824	−21348 +266	−612	6·5
6·6	−19489 +156	−587	·8807186	−19703 +164	−589	·8774693	−19916 +177	−591	·8741609	−20119 +186	−592	·8707933	−20316 +200	−593	·8673663	−20503 +207	−594	6·6
6·7	−18292 +103	−555	·8971875	−18535 +115	−538	·8942999	−18771 +122	−561	·8913564	−19005 +137	−563	·8883564	−19230 +143	−566	·8852999	−19451 +162	−568	6·7
6·8	−16992 +63	−517	·9118029	−17250 +72	−521	·9092534	−17504 +76	−525	·9066514	−17754 +83	−529	·9039965	−18002 +94	−533	·9012884	−18247 +107	−536	6·8
6·9	−15629 +20	−477	·9246933	−15893 +23	−482	·9224565	−16153 +38	−487	·9201710	−16420 +43	−491	·9178364	−16660 +52	−496	·9154522	−16936 +56	−500	6·9
7·0	−14246 −9	−436	·9359944	−14513 +1	−441	·9340437	−14776 −2	−446	·9320486	−15043 +11	−451	·9300083	−15306 +13	−456	·9279224	−15569 +22	−461	7·0

	p = 27·0			p = 27·2			p = 27·4			p = 27·6			p = 27·8			p = 28·0	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
7·0	·9467907	−12916 −39	−408	·9450967	−13183 −27	−414	·9433612	−13447 −26	−419	·9415838	−13714 −19	−425	·9397638	−13878 −21	−430	·9379009	7·0
7·1	·9551704	−11685 −57	−366	·9537108	−11839 −57	−372	·9522141	−12096 −52	−377	·9506796	−12353 −51	−383	·9491069	−12614 −40	−388	·9474952	7·1
7·2	·9623916	−10311 −79	−326	·9611410	−10552 −72	−331	·9598574	−10797 −66	−336	·9585401	−11043 −62	−342	·9571886	−11290 −62	−347	·9558023	7·2
7·3	·9685817	−9111 −83	−287	·9675160	−9337 −81	−299	·9664210	−9564 −82	−296	·9652963	−9795 −78	−303	·9641413	−10028 −76	−308	·9629555	7·3
7·4	·9738607	−7994 −81	−251	·9729573	−8203 −86	−256	·9720282	−8413 −89	−261	·9710730	−8626 −90	−266	·9700912	−8642 −89	−271	·9690823	7·4
7·5	·9783403	−6968 −93	−218	·9775783	−7157 −92	−223	·9767941	−7351 −91	−227	·9759871	−7547 −91	−232	·9751569	−7745 −91	−237	·9743030	7·5
7·6	·9821231	−6035 −94	−188	·9814836	−6208 −94	−192	·9808249	−6380 −94	−197	·9801465	−6556 −93	−201	·9794481	−6737 −93	−205	·9787291	7·6
7·7	·9853024	−5196 −92	−161	·9847683	−5346 −92	−165	·9842177	−5503 −93	−169	·9836503	−5663 −93	−173	·9830656	−5824 −93	−177	·9824632	7·7
7·8	·9879621	−4445 −87	−137	·9875182	−4582 −88	−141	·9870602	−4720 −89	−144	·9865878	−4860 −80	−147	·9861007	−5004 −90	−151	·9855984	7·8
7·9	·9901773	−3785 −60	−116	·9898099	−3901 −82	−119	·9894307	−4023 −63	−122	·9890393	−4147 −64	−125	·9886354	−4275 −65	−128	·9882186	7·9
8·0	·9920140	−3201 −74	−98	·9917115	−3306 −76	−100	·9913989	−3411 −77	−103	·9910761	−3520 −79	−106	·9907426	−3629 −80	−108	·9903984	8·0
8·1	·9935306	−2697 −68	−82	·9932825	−2786 −70	−84	·9930260	−2878 −71	−86	·9927609	−2971 −73	−88	·9924869	−3068 −74	−91	·9922038	8·1
8·2	·9947775	−2258 −62	−68	·9945749	−2334 −64	−70	·9943653	−2412 −65	−72	·9941486	−2494 −67	−74	·9939244	−2576 −68	−76	·9936927	8·2
8·3	·9957986	−1882 −56	−56	·9956339	−1948 −58	−58	·9954634	−2016 −59	−60	·9952869	−2084 −61	−61	·9951043	−2155 −62	−63	·9949154	8·3
8·4	·9966315	−1562 −49	−46	·9964981	−1617 −51	−48	·9963599	−1673 −52	−49	·9962168	−1732 −54	−51	·9960687	−1793 −55	−52	·9959154	8·4
8·5	·9973082	−1200 −43	−38	·9972006	−1336 −44	−39	·9970891	−1385 −45	−40	·9969735	−1433 −46	−42	·9968538	−1483 −48	−43	·9967299	8·5
8·6	·9978559	−1060 −37	−31	·9977695	−1100 −38	−32	·9976798	−1139 −39	−33	·9975869	−1181 −40	−34	·9974906	−1224 −42	−35	·9973908	8·6
8·7	·9982976	−867 −32	−25	·9982284	−899 −33	−26	·9981566	−933 −34	−27	·9980822	−968 −35	−28	·9980050	−1004 −36	−28	·9979250	8·7
8·8	·9986526	−708 −28	−20	·9985974	−735 −28	−21	·9985401	−762 −29	−22	·9984807	−791 −30	−22	·9984190	−819 −31	−23	·9983551	8·8
8·9	·9989368	−575 −24	−16	·9988929	−596 −24	−17	·9988474	−619 −26	−17	·9988001	−642 −25	−18	·9987511	−667 −26	−19	·9987002	8·9
9·0	·9991635	−463 −20	−13	·9991288	−482 −20	−13	·9990928	−501 −21	−14	·9990553	−520 −21	−14	·9990165	−541 −22	−16	·9989761	9·0
9·1	·9993439	−375 −16	−10	·9993165	−389 −17	−11	·9992881	−405 −17	−11	·9992585	−420 −18	−12	·9992278	−436 −18	−12	·9991959	9·1
9·2	·9994868	−290 −13	−8	·9994653	−312 −14	−9	·9994429	−323 −15	−9	·9994197	−338 −15	−8	·9993955	−350 −15	−9	·9993704	9·2
9·3	·9995998	−241 −11	−6	·9995829	−249 −12	−7	·9995654	−260 −12	−7	·9995471	−269 −12	−7	·9995282	−281 −13	−7	·9995085	9·3
9·4	·9996887	−190 −9	−6	·9996756	−200 −10	−5	·9996619	−207 −10	−6	·9996476	−216 −11	−6	·9996328	−224 −11	−6	·9996174	9·4
9·5	·9997586	−152 −8	−4	·9997483	−157 −9	−4	·9997377	−165 −9	−4	·9997266	−172 −9	−4	·9997150	−178 −9	−5	·9997030	9·5
9·6	·9998133	−121 −7		·9998053	−125 −8		·9997970	−129 −8		·9997884	−136 −7		·9997794	−141 −7	−4	·9997701	9·6
9·7	·9998559	−94 −5		·9998498	−99 −6		·9998434	−104 −8		·9998367	−107 −6		·9998297	−111 −6		·9998225	9·7
9·8	·9998891	−74 −4		·9998844	−77 −4		·9998794	−79 −6		·9998743	−84 −5		·9998689	−87 −6		·9998634	9·8
9·9	·9999149	−59		·9999113	−61 −4		·9999075	−63 −4		·9999035	−66 −4		·9998994	−70 −4		·9998951	9·9
10·0	·9999348	−43		·9999321	−46		·9999291	−48		·9999261	−52		·9999229	−53		·9999196	10·0
10·1	·9999502	−35		·9999481	−36		·9999459	−39		·9999435	−39		·9999411	−41		·9999386	10·1
10·2	·9999621	−28		·9999605	−30		·9999588	−30		·9999570	−32		·9999552	−34		·9999532	10·2
10·3	·9999712	−22		·9999699	−21		·9999687	−24		·9999673	−24		·9999659	−25		·9999644	10·3
10·4	·9999781	−18		·9999772	−17		·9999762	−17		·9999752	−19		·9999741	−19		·9999730	10·4
10·5	·9999835	−14		·9999828	−14		·9999820	−14		·9999812	−14		·9999804	−15		·9999796	10·5
10·6	·9999875	−11		·9999870	−10		·9999864	−11		·9999858	−11		·9999852	−12		·9999846	10·6
10·7	·9999906	−8		·9999902	−8		·9999898	−9		·9999893	−8		·9999889	−10		·9999884	10·7
10·8	·9999929	−6		·9999926	−6		·9999923	−7		·9999920	−7		·9999916	−8		·9999913	10·8
10·9	·9999947	−5		·9999945	−5		·9999942	−5		·9999940	−6		·9999937	−7		·9999935	10·9
11·0	·9999960			·9999959	−4		·9999957	−4		·9999955	−4		·9999953	−6		·9999951	11·0
11·1	·9999970			·9999969			·9999968			·9999966			·9999965	−4		·9999964	11·1
11·2	·9999978			·9999977			·9999976			·9999975			·9999974			·9999973	11·2
11·3	·9999984			·9999983			·9999982			·9999981			·9999981			·9999980	11·3
11·4	·9999988			·9999987			·9999987			·9999986			·9999986			·9999985	11·4
11·5	·9999991			·9999991			·9999990			·9999990			·9999989			·9999989	11·5
11·6	·9999993			·9999993			·9999993			·9999992			·9999992			·9999992	11·6
11·7	·9999995			·9999995			·9999995			·9999994			·9999994			·9999994	11·7
11·8	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	11·8
11·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	11·9
12·0	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·0
12·1	·9999999			·9999999			·9999998			·9999998			·9999998			·9999998	12·1
12·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·2
12·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·3
12·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·4
12·5	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			·9999999	12·5
12·6																1·0000000	12·6

	$p = 28{\cdot}0$		$p = 28{\cdot}2$			$p = 28{\cdot}4$			$p = 28{\cdot}6$			$p = 28{\cdot}8$			$p = 29{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
7·0	−14245 −9	−436	·9359944	−14513 +1	−441	·9340437	−14778 −2	−446	·9320486	−15043 +11	−451	·9300083	−15306 +13	−456	·9279224	−15569 +22	−461	7·0
7·1	−12872 −41	−394	·9458442	−13132 −40	−399	·9441533	−13395 −28	−405	·9424219	−13655 −29	−410	·9406496	−13919 −17	−415	·9388357	−14180 −13	−420	7·1
7·2	−11539 −53	−353	·9543808	−11791 −50	−358	·9529234	−12042 −51	−364	·9514297	−12296 −45	−369	·9498990	−12549 −46	−374	·9483310	−12806 −37	−379	7·2
7·3	−10264 −72	−313	·9617383	−10500 −74	−319	·9604893	−10740 −69	−324	·9592079	−10982 −65	−329	·9578935	−11225 −61	−334	·9565457	−11469 −62	−340	7·3
7·4	−9061 −88	−276	·9680458	−9283 −84	−281	·9669812	−9507 −84	−286	·9658879	−9733 −82	−291	·9647655	−9962 −79	−296	·9636135	−10194 −74	−302	7·4
7·5	−7946 −90	−241	·9734250	−8150 −89	−246	·9725224	−8358 −88	−251	·9715946	−8568 −88	−256	·9706413	−8779 −87	−261	·9696619	−8993 −87	−266	7·5
7·6	−6920 −92	−210	·9779892	−7107 −92	−214	·9772278	−7294 −92	−218	·9764447	−7487 −92	−223	·9756392	−7681 −92	−227	·9748110	−7878 −91	−232	7·6
7·7	−5989 −93	−181	·9818427	−6155 −93	−185	·9812038	−6326 −95	−189	·9805461	−6500 −95	−193	·9798690	−6676 −95	−197	·9791723	−6857 −94	−201	7·7
7·8	−5150 −91	−155	·9850807	−5300 −92	−158	·9845472	−5453 −93	−162	·9839975	−5608 −93	−166	·9834312	−5767 −93	−169	·9828479	−5926 −95	−173	7·8
7·9	−4404 −87	−131	·9877887	−4537 −86	−135	·9873453	−4672 −89	−138	·9868881	−4809 −90	−141	·9864167	−4949 −91	−145	·9859309	−5093 −91	−148	7·9
8·0	−3744 −81	−111	·9900430	−3859 −83	−114	·9896762	−3977 −84	−117	·9892978	−4100 −85	−120	·9889073	−4223 −86	−123	·9885046	−4350 −87	−126	8·0
8·1	−3183 −75	−93	·9919114	−3266 −77	−96	·9916094	−3370 −78	−98	·9912975	−3474 −79	−101	·9909756	−3584 −80	−104	·9906433	−3694 −82	−106	8·1
8·2	−2662 −70	−78	·9934532	−2750 −71	−80	·9932056	−2838 −73	−82	·9929498	−2931 −74	−85	·9926855	−3023 −75	−87	·9924126	−3120 −75	−89	8·2
8·3	−2227 −64	−65	·9947200	−2301 −65	−67	·9945180	−2379 −68	−69	·9943090	−2456 −67	−71	·9940931	−2539 −69	−72	·9938699	−2621 −68	−74	8·3
8·4	−1855 −57	−54	·9957567	−1919 −58	−55	·9955925	−1984 −59	−57	·9954226	−2051 −60	−58	·9952468	−2118 −61	−60	·9950651	−2190 −62	−62	8·4
8·5	−1536 −49	−44	·9966015	−1589 −50	−45	·9964686	−1644 −51	−47	·9963311	−1703 −52	−48	·9961887	−1762 −53	−50	·9960413	−1821 −55	−51	8·5
8·6	−1267 −43	−36	·9972874	−1313 −44	−37	·9971803	−1360 −45	−38	·9970693	−1406 −46	−39	·9969544	−1456 −47	−41	·9968354	−1507 −48	−42	8·6
8·7	−1041 −38	−29	·9978420	−1078 −39	−30	·9977560	−1117 −40	−31	·9976669	−1158 −41	−32	·9975745	−1198 −42	−33	·9974788	−1241 −43	−34	8·7
8·8	−850 −32	−24	·9982888	−882 −33	−25	·9982200	−914 −34	−25	·9981487	−947 −35	−26	·9980748	−983 −36	−27	·9979981	−1017 −38	−28	8·8
8·9	−692 −27	−19	·9986474	−718 −28	−20	·9985926	−745 −29	−20	·9985358	−773 −30	−21	·9984768	−801 −30	−22	·9984157	−831 −31	−22	8·9
9·0	−561 −22	−15	·9989342	−582 −23	−16	·9988907	−604 −24	−16	·9988456	−627 −25	−17	·9987987	−650 −26	−18	·9987502	−676 −27	−18	9·0
9·1	−453 −19	−12	·9991628	−471 −20	−13	·9991284	−489 −21	−13	·9990927	−507 −21	−14	·9990556	−527 −22	−14	·9990171	−543 −23	−15	9·1
9·2	−364 −16	−10	·9993443	−378 −16	−10	·9993172	−393 −17	−11	·9992891	−409 −18	−11	·9992598	−424 −18	−11	·9992295	−441 −19	−12	9·2
9·3	−292 −13	−8	·9994880	−303 −14	−8	·9994667	−315 −14	−8	·9994446	−327 −15	−9	·9994216	−340 −16	−9	·9993978	−354 −16	−9	9·3
9·4	−235 −11	−6	·9996014	−243 −12	−6	·9995847	−252 −12	−7	·9995674	−262 −12	−7	·9995494	−272 −13	−7	·9995307	−282 −14	−7	9·4
9·5	−185 −9	−5	·9996905	−192 −9	−5	·9996775	−200 −10	−5	·9996640	−208 −10	−5	·9996500	−217 −10	−6	·9996354	−226 −11	−6	9·5
9·6	−147 −8	−4	·9997604	−153 −8	−4	·9997503	−159 −8	−4	·9997398	−166 −8	−4	·9997289	−172 −9	−4	·9997175	−178 −9	−5	9·6
9·7	−115 −7		·9998150	−120 −7		·9998072	−126 −7		·9997990	−130 −7		·9997906	−136 −8		·9997818	−142 −7	−4	9·7
9·8	−92 −5		·9998576	−96 −5		·9998515	−98 −5		·9998452	−103 −6		·9998387	−107 −6		·9998319	−112 −6		9·8
9·9	−72 −4		·9998906	−74 −4		·9998860	−79 −4		·9998811	−81 −5		·9998761	−85 −5		·9998708	−87 −5		9·9
10·0	−55 −4		·9999162	−58 −4		·9999126	−59 −4		·9999089	−63 −4		·9999050	−66 −4		·9999010	−69 −4		10·0
10·1	−44		·9999360	−46		·9999333	−49		·9999304	−49		·9999274	−51		·9999243	−53		10·1
10·2	−34		·9999512	−35		·9999491	−36		·9999470	−39		·9999447	−41		·9999423	−41		10·2
10·3	−26		·9999629	−27		·9999613	−28		·9999597	−30		·9999579	−30		·9999562	−34		10·3
10·4	−20		·9999719	−22		·9999707	−23		·9999694	−22		·9999681	−24		·9999667	−24		10·4
10·5	−16		·9999787	−16		·9999778	−18		·9999769	−19		·9999759	−19		·9999748	−19		10·5
10·6	−12		·9999839	−12		·9999833	−14		·9999825	−13		·9999818	−14		·9999810	−15		10·6
10·7	−9		·9999879	−10		·9999874	−10		·9999868	−10		·9999863	−11		·9999857	−11		10·7
10·8	−7		·9999909	−7		·9999905	−7		·9999901	−8		·9999897	−8		·9999893	−10		10·8
10·9	−6		·9999932	−6		·9999929	−6		·9999926	−6		·9999923	−7		9999919	−8		10·9
11·0	−5		·9999949	−4		·9999947	−5		·9999945	−5		·9999942	−6		·9999940	−6		11·0
11·1	−4		·9999962	−4		·9999960	−4		·9999959	−4		·9999957	−4		·9999955	−5		11·1
11·2			·9999972			·9999970			·9999969			·9999968			·9999967	−4		11·2
11·3			·9999979			·9999978			·9999977			·9999976			·9999975			11·3
11·4			·9999984			·9999984			·9999983			·9999982			·9999982			11·4
11·5			·9999988			·9999988			·9999987			·9999987			·9999986			11·5
11·6			·9999991			·9999991			·9999991			·9999990			·9999990			11·6
11·7			·9999994			·9999993			·9999993			·9999993			·9999993			11·7
11·8			·9999995			·9999995			·9999995			·9999995			·9999995			11·8
11·9			·9999997			·9999996			·9999996			·9999996			·9999996			11·9
12·0			·9999998			·9999997			·9999997			·9999997			·9999997			12·0
12·1			·9999998			·9999998			·9999998			·9999998			·9999998			12·1
12·2			·9999999			·9999999			·9999999			·9999998			·9999998			12·2
12·3			·9999999			·9999999			·9999999			·9999999			·9999999			12·3
12·4			·9999999			·9999999			·9999999			·9999999			·9999999			12·4
12·5			·9999999			·9999999			·9999999			·9999999			·9999999			12·5
12·6			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·6

	$p = 29\cdot0$			$p = 29\cdot2$			$p = 29\cdot4$			$p = 29\cdot6$			$p = 29\cdot8$			$p = 30\cdot0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·5	·0000000																1·5
1·6	·0000000			·0000000			·0000000			·0000000			·0000000			·0000000	1·6
1·7	·0000001	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	+1 0		·0000000	0 +1		·0000000	1·7
1·8	·0000002	+3 +2		·0000002	+2 +2		·0000001	+2 +2		·0000001	+2 +2		·0000001	+2 +1		·0000001	1·8
1·9	·0000006	+6 +5		·0000005	+6 +4		·0000004	+5 +4		·0000004	+4 +4		·0000003	+4 +3		·0000003	1·9
2·0	·0000016	+14 +9		·0000014	+12 +8		·0000012	+10 +7		·0000010	+10 +6		·0000009	+8 +6		·0000008	2·0
2·1	·0000040	+32 +16		·0000035	+28 +15		·0000030	+26 +13		·0000027	+21 +12		·0000023	+20 +11		·0000020	2·1
2·2	·0000096	+64 +28		·0000084	+58 +25		·0000074	+52 +22		·0000065	+47 +21		·0000057	+42 +18		·0000050	2·2
2·3	·0000216	+125 +42		·0000191	+113 +39		·0000170	+100 +38		·0000150	+91 +35		·0000133	+82 +33		·0000117	2·3
2·4	·0000461	+228 +66	+6	·0000411	+207 +62	+5	·0000366	+190 +57	+5	·0000326	+172 +53	+4	·0000291	+155 +50	+4	·0000259	2·4
2·5	·0000934	+397 +96	+11	·0000838	+363 +92	+9	·0000752	+331 +86	+9	·0000674	+303 +79	+8	·0000604	+278 +72	+7	·0000541	2·5
2·6	·0001804	+662 +132	+18	·0001628	+611 +120	+16	·0001469	+562 +117	+15	·0001325	+516 +111	+14	·0001195	+473 +109	+12	·0001076	2·6
2·7	·0003336	+1059 +167	+30	·0003029	+979 +166	+27	·0002748	+909 +152	+25	·0002492	+839 +149	+23	·0002259	+777 +136	+21	·0002047	2·7
2·8	·0005927	+1623 +217	+47	·0005409	+1513 +203	+43	·0004934	+1408 +199	+40	·0004498	+1311 +186	+37	·0004100	+1217 +185	+34	·0003735	2·8
2·9	·0010141	+2404 +248	+71	·0009302	+2250 +246	+66	·0008528	+2106 +238	+61	·0007815	+1969 +234	+56	·0007158	+1842 +222	+52	·0006554	2·9
3·0	·0016759	+3433 +287	+104	·0015445	+3233 +278	+97	·0014228	+3042 +272	+90	·0013101	+2861 +263	+84	·0012058	+2689 +257	+78	·0011094	3·0
3·1	·0026810	+4749 +303	+147	·0024821	+4494 +300	+138	·0022970	+4250 +296	+129	·0021248	+4016 +295	+121	·0019647	+3793 +290	+113	·0018159	3·1
3·2	·0041610	+6368 +303	+202	·0038691	+6055 +305	+190	·0035962	+5754 +305	+179	·0033411	+5466 +300	+166	·0031029	+5187 +303	+158	·0028805	3·2
3·3	·0062778	+8290 +281	+268	·0058616	+7921 +285	+254	·0054708	+7563 +290	+240	·0051040	+7216 +298	+227	·0047598	+6884 +292	+214	·0044371	3·3
3·4	·0092236	+10493 +235	+346	·0086462	+10072 +245	+329	·0081017	+9662 +254	+313	·0075885	+9264 +256	+297	·0071051	+8873 +273	+282	·0066498	3·4
3·5	·0132187	+12931 +159	+435	·0124380	+12468 +174	+416	·0116988	+12015 +186	+397	·0109994	+11568 +206	+378	·0103377	+11135 +210	+361	·0097122	3·5
3·6	·0185069	+15528 +62	+533	·0174766	+15038 +82	+511	·0164974	+14554 +101	+490	·0155671	+14078 +115	+469	·0146838	+13607 +136	+449	·0138454	3·6
3·7	·0253479	+18187 −58	+636	·0240190	+17690 −36	+612	·0227514	+17194 −11	+589	·0215426	+16703 +10	+567	·0203906	+16215 +28	+545	·0192932	3·7
3·8	·0340076	+20788 −184	+740	·0323304	+20306 −158	+716	·0307248	+19823 −136	+692	·0291884	+19338 −113	+669	·0277189	+18851 −85	+645	·0263139	3·8
3·9	·0447461	+23205 −323	+842	·0426724	+22764 −297	+817	·0406805	+22316 −272	+793	·0387680	+21860 −243	+769	·0369323	+21402 −223	+746	·0351713	3·9
4·0	·0578051	+25299 −447	+935	·0552908	+24925 −427	+912	·0528678	+24537 −400	+888	·0505336	+24139 −377	+865	·0482859	+23730 −349	+842	·0461225	4·0
4·1	·0733940	+26946 −566	+1015	·0704017	+26659 −538	+994	·0675088	+26358 −521	+973	·0647131	+26041 −500	+951	·0620125	+25709 −481	+929	·0594049	4·1
4·2	·0916775	+28027 −651	+1077	·0881785	+27855 −643	+1059	·0847856	+27658 −619	+1041	·0814967	+27443 −602	+1022	·0783100	+27208 −580	+1003	·0752235	4·2
4·3	·1127637	+28457 −716	+1118	·1087408	+28408 −700	+1104	·1048282	+28339 −696	+1089	·1010246	+28243 −681	+1074	·0973283	+28126 −669	+1058	·0937378	4·3
4·4	·1366956	+28171 −739	+1154	·1321439	+28261 −737	+1124	·1277047	+28324 −730	+1114	·1233768	+28362 −725	+1102	·1191592	+28375 −719	+1091	·1150506	4·4
4·5	·1634446	+27146 −729	+1120	·1583731	+27377 −735	+1118	·1534136	+27579 −736	+1115	·1485652	+27756 −738	+1106	·1438276	+27905 −737	+1090	·1391998	4·5
4·6	·1929082	+25392 −684	+1065	·1873400	+25758 −693	+1068	·1818804	+26098 −703	+1065	·1765292	+26412 −712	+1084	·1712865	+26698 −715	+1081	·1661518	4·6
4·7	·2249110	+22954 −605	+1021	·2188827	+23446 −621	+1026	·2129570	+23914 −637	+1031	·2071344	+24356 −648	+1035	·2014152	+24776 −667	+1038	·1957999	4·7
4·8	·2592092	+19911 −503	+932	·2527700	+20513 −525	+942	·2464250	+21093 −543	+952	·2401752	+21652 −565	+961	·2340215	+22187 −580	+969	·2279646	4·8
4·9	·2954985	+16365 −374	+822	·2887086	+17055 −398	+837	·2820023	+17729 −425	+851	·2753812	+18383 −448	+864	·2688465	+19018 −469	+876	·2623994	4·9
5·0	·3334243	+12445 −244	+695	·3263527	+13199 −269	+714	·3193525	+13940 −295	+732	·3124255	+14666 −317	+749	·3055733	+15380 −348	+765	·2987977	5·0
5·1	·3725946	+8281 −100	+555	·3653167	+9074 −130	+577	·3580967	+9856 −153	+598	·3509364	+10632 −185	+619	·3438381	+11394 −202	+638	·3368035	5·1
5·2	·4125930	+4017 +38	+409	·4051881	+4819 +14	+433	·3978265	+5619 −16	+456	·3905105	+6413 −37	+479	·3832423	+7206 −74	+501	·3760243	5·2
5·3	·4529931	−209 +159	+260	·4455414	+578 +135	+285	·4381182	+1366 +115	+310	·4307259	+2157 +86	+334	·4233671	+2944 +71	+358	·4160440	5·3
5·4	·4933723	−4276 +274	+114	·4859525	−3528 +256	+139	·4785465	−2772 +232	+164	·4711570	−2013 +214	+189	·4637863	−1247 +186	+213	·4564370	5·4
5·5	·5333239	−8069 +363	−26	·5260108	−7378 +345	−1	·5186976	−6678 +330	+24	·5113868	−5969 +312	+48	·5040808	−5252 +297	+73	·4967820	5·5
5·6	·5724686	−11499 +434	−154	·5653313	−10883 +423	−131	·5581809	−10254 +409	−106	·5510197	−9613 +397	−84	·5438501	−8960 +381	−61	·5366745	5·6
5·7	·6104634	−14495 +481	−270	·6035635	−13965 +473	−248	·5966388	−13421 +467	−227	·5896913	−12860 +453	−205	·5827234	−12287 +445	−183	·5757372	5·7
5·8	·6470087	−17010 +505	−370	·6403992	−16574 +501	−351	·6337546	−16121 +495	−331	·6270769	−15654 +496	−311	·6203680	−15169 +489	−292	·6136299	5·8
5·9	·6818530	−19020 +506	−453	·6755775	−18682 +510	−437	·6692583	−18326 +511	−420	·6628971	−17952 +507	−402	·6564957	−17562 +506	−385	·6500558	5·9
6·0	·7147953	−20524 +500	−519	·7088876	−20280 +500	−505	·7029294	−20020 +503	−491	·6969221	−19743 +507	−476	·6908672	−19449 +508	−461	·6847661	6·0
6·1	·7456852	−21528 +461	−568	·7401697	−21378 +470	−557	·7345985	−21211 +477	−545	·7289728	−21027 +481	−533	·7232938	−20828 +489	−521	·7175626	6·1
6·2	·7744223	−22071 +428	−600	·7693140	−22006 +436	−592	·7641465	−21925 +442	−583	·7589208	−21830 +452	−574	·7536376	−21718 +458	−564	·7482980	6·2
6·3	·8009523	−22186 +374	−617	·7962577	−22198 +384	−611	·7915020	−22197 +396	−605	·7866858	−22181 +404	−599	·7818096	−22150 +411	−592	·7768743	6·3
6·4	·8252637	−21927 +320	−621	·8209816	−22006 +331	−617	·8166378	−22073 +341	−614	·8122327	−22128 +353	−609	·8077666	−22171 +367	−605	·8032400	6·4
6·5	·8473824	−21348 +266	−612	·8435049	−21483 +277	−611	·8395663	−21608 +288	−609	·8355668	−21722 +297	−607	·8315065	−21825 +305	−605	·8273857	6·5
6·6	·8673663	−20503 +207	−594	·8638799	−20683 +216	−595	·8603340	−20855 +227	−595	·8567287	−21019 +240	−595	·8530639	−21174 +251	−594	·8493396	6·6
6·7	·8852999	−19451 +152	−568	·8821866	−19667 +166	−570	·8790162	−19875 +176	−572	·8757887	−20076 +183	−573	·8725039	−20272 +196	−574	·8691616	6·7
6·8	·9012884	−18247 +107	−538	·8985266	−18485 +112	−539	·8957109	−18719 +119	−542	·8928411	−18950 +132	−545	·8899167	−19174 +141	−547	·8869377	6·8
6·9	·9154522	−16936 +56	−500	·9130181	−17191 +67	−504	·9105337	−17444 +79	−507	·9079985	−17692 +87	−511	·9054121	−17935 +90	−514	·9027744	6·9
7·0	·9279224	−15569 +22	−461	·9257905	−15830 +26	−465	·9236121	−16090 +32	−470	·9213867	−16347 +36	−474	·9191140	−16606 +53	−478	·9167934	7·0
7·1	·9388357	−14180 −15	−420	·9369799	−14443 −6	−423	·9350815	−14704 0	−430	·9331402	−14966 +9	−435	·9311553	−15224 +7	−439	·9291266	7·1
7·2	·9483310	−12806 −37	−379	·9467250	−13062 −34	−385	·9450805	−13318 −33	−390	·9433971	−13576 −27	−395	·9416742	−13835 −17	−400	·9399113	7·2
7·3	·9565457	−11469 −62	−340	·9551639	−11715 −59	−345	·9537477	−11965 −49	−350	·9522964	−12213 −48	−355	·9508096	−12463 −46	−360	·9492868	7·3
7·4	·9636135	−10194 −74	−302	·9624313	−10427 −72	−306	·9612184	−10661 −75	−312	·9599744	−10898 −71	−317	·9586987	−11137 −66	−322	·9573909	7·4
7·5	·9696619	−8993 −87	−266	·9686560	−9211 −83	−270	·9676230	−9450 −83	−275	·9665626	−9654 −61	−280	·9654741	−9678 −78	−285	·9643571	7·5

	p = 30·0		p = 30·2			p = 30·4			p = 30·6			p = 30·8			p = 31·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^9 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^9 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
1·5																		1·5
1·6			·0000000			·0000000			·0000000			·0000000			·0000000			1·6
1·7	+1 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			1·7
1·8	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000000	+1 +1		·0000000	+1 +1		1·8
1·9	+3 +3		·0000002	+3 +2		·0000002	+3 +2		·0000002	+2 +2		·0000001	+2 +2		·0000001	+2 +2		1·9
2·0	+7 +6		·0000007	+7 +6		·0000006	+6 +6		·0000005	+6 +4		·0000004	+5 +3		·0000004	+4 +3		2·0
2·1	+18 +10		·0000018	+15 +9		·0000015	+15 +8		·0000013	+13 +7		·0000012	+10 +7		·0000010	+9 +6		2·1
2·2	+37 +16		·0000044	+34 +15		·0000039	+29 +14		·0000034	+26 +13		·0000030	+24 +11		·0000026	+21 +11		2·2
2·3	+75 +27		·0000104	+66 +27		·0000092	+60 +25		·0000081	+54 +23		·0000072	+48 +23		·0000063	+44 +18		2·3
2·4	+140 +48	+4	·0000230	+126 +44		·0000205	+115 +42		·0000182	+105 +38		·0000162	+95 +35		·0000144	+85 +33		2·4
2·5	+253 +70	+6	·0000484	+231 +65	+6	·0000433	+212 +57	+6	·0000388	+191 +57	+6	·0000347	+174 +53	+4	·0000310	+159 +49	+4	2·5
2·6	+436 +98	+11	·0000969	+400 +93	+10	·0000873	+366 +90	+9	·0000785	+337 +81	+8	·0000706	+309 +76	+8	·0000635	+282 +74	+7	2·6
2·7	+717 +133	+19	·0001854	+662 +126	+18	·0001679	+610 +122	+16	·0001519	+563 +116	+16	·0001374	+519 +109	+13	·0001242	+479 +100	+12	2·7
2·8	+1131 +176	+31	·0003401	+1050 +169	+29	·0003095	+976 +157	+26	·0002816	+905 +151	+24	·0002561	+838 +147	+22	·0002328	+776 +142	+20	2·8
2·9	+1721 +214	+48	·0005998	+1607 +206	+45	·0005487	+1499 +202	+41	·0005018	+1398 +193	+38	·0004586	+1304 +183	+35	·0004190	+1215 +174	+33	2·9
3·0	+2526 +252	+73	·0010202	+2370 +246	+66	·0009378	+2224 +236	+63	·0008618	+2084 +232	+59	·0007915	+1953 +224	+54	·0007267	+1828 +220	+50	3·0
3·1	+3581 +283	+106	·0016776	+3379 +277	+99	·0015493	+3185 +274	+92	·0014302	+3002 +265	+86	·0013197	+2826 +263	+80	·0012172	+2661 +252	+75	3·1
3·2	+4920 +302	+149	·0026729	+4666 +297	+139	·0024793	+4420 +293	+131	·0022988	+4185 +291	+123	·0021305	+3962 +282	+115	·0019738	+3746 +283	+108	3·2
3·3	+6561 +295	+202	·0041347	+6248 +300	+191	·0038513	+5948 +300	+180	·0035859	+5659 +300	+170	·0033375	+5380 +302	+160	·0031050	+5114 +295	+151	3·3
3·4	+8497 +275	+267	·0062213	+8131 +279	+254	·0058181	+7776 +284	+240	·0054389	+7433 +286	+228	·0050825	+7100 +287	+215	·0047476	+6777 +294	+204	3·4
3·5	+10708 +227	+344	·0091210	+10293 +236	+327	·0085625	+9888 +244	+311	·0080352	+9492 +255	+296	·0075375	+9107 +263	+282	·0070679	+8734 +265	+266	3·5
3·6	+13146 +145	+430	·0130500	+12691 +161	+411	·0122957	+12244 +176	+393	·0115807	+11806 +189	+376	·0109032	+11377 +201	+358	·0102616	+10956 +215	+342	3·6
3·7	+15729 +55	+524	·0182481	+15250 +74	+503	·0172533	+14776 +93	+483	·0163068	+14309 +107	+463	·0154066	+13848 +123	+444	·0145509	+13393 +139	+425	3·7
3·8	+18367 -67	+623	·0249712	+17883 -47	+601	·0236885	+17401 -24	+579	·0224638	+16919 +1	+558	·0212948	+16442 +21	+537	·0201795	+15969 +39	+517	3·8
3·9	+20938 -197	+723	·0334826	+20469 -167	+700	·0318638	+20000 -146	+677	·0303127	+19530 -126	+655	·0288272	+19057 -102	+633	·0274050	+18584 -78	+612	3·9
4·0	+23312 -324	+819	·0440409	+22888 -304	+797	·0420391	+22454 -277	+774	·0401146	+22015 -252	+752	·0382653	+21570 -227	+730	·0364889	+21121 -203	+707	4·0
4·1	+25362 -455	+908	·0568880	+25003 -432	+886	·0544598	+24631 -406	+864	·0521180	+24248 -383	+843	·0498604	+23856 -361	+821	·0476849	+23455 -339	+799	4·1
4·2	+26957 -567	+983	·0722354	+26686 -544	+963	·0693436	+26400 -525	+944	·0665462	+26098 -504	+924	·0638411	+25781 -481	+903	·0612264	+25450 -458	+883	4·2
4·3	+27985 -649	+1041	·0902514	+27825 -637	+1024	·0868674	+27644 -619	+1007	·0835842	+27444 -606	+990	·0803999	+27225 -587	+972	·0773129	+26987 -567	+954	4·3
4·4	+28364 -715	+1076	·1110499	+28327 -702	+1066	·1071556	+28269 -696	+1051	·1033666	+28185 -677	+1037	·0996812	+28082 -668	+1023	·0960981	+27957 -656	+1008	4·4
4·5	+28028 -731	+1091	·1346811	+28127 -732	+1082	·1302707	+28199 -726	+1073	·1259675	+28249 -727	+1063	·1217707	+28271 -716	+1052	·1176790	+28271 -707	+1041	4·5
4·6	+26961 -728	+1078	·1611250	+27195 -728	+1074	·1562057	+27403 -729	+1069	·1513933	+27586 -729	+1064	·1466873	+27744 -730	+1058	·1420870	+27878 -733	+1051	4·6
4·7	+25166 -670	+1040	·1902884	+25535 -688	+1040	·1848810	+25878 -697	+1041	·1795777	+26194 -702	+1040	·1743783	+26487 -713	+1038	·1692828	+26752 -713	+1036	4·7
4·8	+22701 -609	+975	·2220053	+23190 -615	+981	·2161441	+23656 -628	+986	·2103815	+24100 -647	+990	·2047180	+24517 -653	+994	·1991538	+24913 -669	+996	4·8
4·9	+19638 -494	+888	·2560412	+20230 -512	+899	·2497728	+20806 -534	+908	·2435953	+21359 -548	+917	·2375094	+21894 -573	+925	·2315161	+22405 -589	+932	4·9
5·0	+16075 -365	+781	·2921001	+16758 -395	+795	·2854821	+17422 -417	+809	·2789450	+18070 -443	+822	·2724902	+18698 -461	+835	·2661189	+19308 -481	+846	5·0
5·1	+12150 -236	+658	·3298348	+12891 -258	+676	·3229336	+13621 -284	+693	·3161017	+14338 -309	+710	·3093408	+15041 -334	+726	·3026525	+15730 -360	+741	5·1
5·2	+7989 -95	+523	·3688586	+8766 -121	+544	·3617472	+9536 -147	+564	·3546922	+10297 -171	+583	·3476955	+11050 -199	+602	·3407591	+11792 -223	+621	5·2
5·3	+3733 +43	+381	·4087590	+4520 +16	+404	·4015144	+5304 -8	+426	·3943124	+6085 -37	+448	·3871552	+6860 -59	+469	·3800449	+7631 -86	+490	5·3
5·4	-480 +168	+238	·4491114	+292 +141	+261	·4418120	+1064 +119	+286	·4345411	+1836 +101	+308	·4273009	+2611 +73	+331	·4200938	+3384 +49	+353	5·4
5·5	-4525 +272	+97	·4894930	-3795 +259	+121	·4822160	-3057 +240	+144	·4749534	-2312 +213	+168	·4677077	-1565 +195	+191	·4604811	-814 +175	+214	5·5
5·6	-8296 +371	-37	·5294951	-7623 +351	-14	·5223143	-6938 +330	+9	·5151345	-6247 +320	+33	·5079580	-5546 +300	+56	·5007870	-4837 +280	+78	5·6
5·7	-11700 +434	-161	·5687349	-11100 +424	-139	·5617188	-10469 +417	-117	·5546909	-9862 +396	-94	·5476537	-9227 +386	-72	·5406092	-8580 +372	-50	5·7
5·8	-14666 +480	-271	·6068647	-14153 +473	-251	·6000744	-13623 +464	-231	·5932611	-13081 +461	-210	·5864267	-12522 +448	-189	·5795734	-11951 +437	-168	5·8
5·9	-17156 +506	-367	·6435792	-16733 +503	-349	·6370677	-16293 +496	-331	·6305232	-15839 +492	-312	·6239475	-15369 +487	-293	·6173425	-14885 +486	-274	5·9
6·0	-19138 +509	-448	·6786204	-18810 +509	-431	·6724317	-18467 +513	-414	·6662014	-18105 +510	-398	·6599314	-17729 +509	-382	·6536231	-17334 +502	-365	6·0
6·1	-20611 +493	-509	·7117806	-20378 +497	-496	·7059490	-20128 +500	-482	·7000691	-19861 +501	-469	·6941424	-19578 +504	-455	·6881703	-19281 +511	-440	6·1
6·2	-21591 +465	-555	·7429030	-21449 +474	-544	·7374535	-21289 +476	-534	·7319507	-21116 +487	-523	·7263956	-20925 +492	-511	·7207894	-20717 +490	-499	6·2
6·3	-22106 +421	-585	·7718805	-22046 +427	-577	·7668291	-21974 +441	-569	·7617207	-21884 +444	-560	·7565563	-21780 +451	-552	·7513368	-21663 +465	-542	6·3
6·4	-22200 +376	-600	·7986534	-22216 +386	-595	·7940073	-22218 +393	-589	·7893023	-22208 +406	-583	·7845390	-22184 +414	-577	·7797179	-22144 +417	-570	6·4
6·5	-21918 +317	-603	·8232047	-22000 +329	-600	·8189637	-22069 +337	-596	·8146631	-22127 +346	-593	·8103033	-22174 +360	-588	·8058846	-22208 +371	-584	6·5
6·6	-21319 +261	-594	·8455560	-21455 +270	-593	·8417132	-21583 +286	-591	·8378112	-21700 +299	-590	·8338502	-21804 +302	-588	·8298305	-21901 +317	-585	6·6
6·7	-20459 +205	-575	·8657618	-20640 +219	-576	·8623044	-20811 +224	-576	·8587893	-20974 +232	-576	·8552167	-21132 +251	-578	·8515863	-21277 +255	-576	6·7
6·8	-19394 +152	-549	·8839036	-19606 +156	-552	·8808145	-19815 +174	-553	·8776700	-20016 +184	-555	·8744700	-20209 +188	-556	·8712144	-20398 +204	-557	6·8
6·9	-18177 +102	-516	·9000848	-18414 +112	-521	·8973431	-18645 +115	-524	·8945491	-18874 +127	-527	·8917024	-19098 +140	-529	·8888027	-19315 +146	-531	6·9
7·0	-16858 +54	-482	·9144246	-17110 +63	-486	·9120072	-17360 +77	-490	·9095408	-17605 +82	-494	·9070250	-17847 +90	-497	·9044595	-18086 +99	-500	7·0
7·1	-15486 +20	-444	·9270534	-15743 +26	-449	·9249353	-15998 +28	-453	·9227720	-16254 +39	-457	·9205629	-16506 +42	-461	·9183077	-16758 +53	-466	7·1
7·2	-14092 -15	-405	·9381079	-14350 -9	-410	·9362636	-14608 -2	-414	·9343778	-14864 0	-419	·9324502	-15123 +15	-424	·9304801	-15377 +16	-428	7·2
7·3	-12714 -43	-365	·9477274	-12966 -38	-370	·9461311	-13220 -32	-375	·9444972	-13474 -26	-380	·9428252	-13725 -29	-385	·9411148	-13981 -16	-390	7·3
7·4	-11379 -59	-327	·9560503	-11620 -59	-332	·9546766	-11864 -54	-337	·9532692	-12108 -54	-342	·9518277	-12356 -43	-346	·9503514	-12601 -46	-351	7·4
7·5	-10103 -76	-290	·9632112	-10333 -73	-295	·9620357	-10562 -72	-300	·9608304	-10796 -68	-304	·9595946	-11030 -67	-309	·9583279	-11267 -61	-314	7·5

	$p = 29{\cdot}0$			$p = 29{\cdot}2$			$p = 29{\cdot}4$			$p = 29{\cdot}6$			$p = 29{\cdot}8$			$p = 30{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
7·5	·9696619	−8993 −67	−266	·9686560	−9211 −63	−270	·9676230	−9430 −83	−275	·9665626	−9654 −81	−280	·9654741	−9876 −76	−285	·9643571	7·5
7·6	·9748110	−7876 −91	−232	·9739596	−8073 −90	−236	·9730846	−8282 −89	−241	·9721854	−8488 −88	−246	·9712617	−8694 −88	−256	·9703130	7·6
7·7	·9791723	−6857 −94	−201	·9784554	−7536 −93	−205	·9777180	−7223 −94	−210	·9769596	−7410 −94	−214	·9761799	−7601 −93	−218	·9753783	7·7
7·8	·9828479	−5928 −95	−178	·9822474	−6091 −95	−177	·9816291	−6257 −95	−181	·9809928	−6428 −95	−185	·9803380	−6601 −95	−189	·9796643	7·8
7·9	·9859309	−5093 −91	−148	·9854303	−5239 −92	−151	·9849145	−5389 −93	−155	·9843832	−5540 −94	−159	·9838360	−5694 −94	−162	·9832726	7·9
8·0	·9885046	−4356 −87	−126	·9880893	−4466 −88	−129	·9876610	−4610 −89	−132	·9872196	−4746 −90	−135	·9867646	−4882 −91	−139	·9862958	8·0
8·1	·9906433	−3694 −82	−106	·9903003	−3806 −83	−109	·9899465	−3924 −84	−112	·9895814	−4046 −85	−114	·9892050	−4163 −88	−117	·9888167	8·1
8·2	·9924126	−3126 −75	−89	·9921307	−3219 −77	−91	·9918396	−3318 −76	−94	·9915392	−3423 −79	−97	·9912291	−3528 −80	−99	·9909091	8·2
8·3	·9938699	−2621 −68	−74	·9936392	−2705 −69	−77	·9934009	−2793 −71	−79	·9931547	−2881 −73	−81	·9929004	−2972 −75	−83	·9926379	8·3
8·4	·9950651	−2190 −62	−62	·9948772	−2263 −63	−64	·9946829	−2337 −64	−65	·9944821	−2414 −65	−67	·9942745	−2492 −67	−69	·9940601	8·4
8·5	·9960413	−1821 −55	−51	·9958889	−1883 −58	−53	·9957312	−1947 −57	−54	·9955681	−2012 −58	−56	·9953994	−2079 −60	−57	·9952250	8·5
8·6	·9968354	−1507 −48	−42	·9967123	−1559 −50	−43	·9965848	−1513 −51	−44	·9964529	−1668 −52	−46	·9963164	−1725 −53	−47	·9961752	8·6
8·7	·9974788	−1241 −43	−34	·9973798	−1288 −43	−35	·9972771	−1329 −45	−36	·9971709	−1377 −48	−38	·9970609	−1425 −47	−39	·9969470	8·7
8·8	·9979981	−1017 −36	−28	·9979187	−1053 −38	−29	·9978365	−1093 −39	−30	·9977512	−1130 −40	−31	·9976629	−1170 −41	−32	·9975715	8·8
8·9	·9984157	−831 −31	−22	·9983523	−862 −32	−23	·9982866	−892 −33	−24	·9982185	−925 −34	−25	·9981479	−959 −35	−26	·9980747	8·9
9·0	·9987502	−676 −27	−18	·9986997	−699 −28	−19	·9986475	−726 −28	−19	·9985933	−753 −29	−20	·9985370	−779 −30	−21	·9984788	9·0
9·1	·9990171	−545 −23	−15	·9989772	−568 −23	−15	·9989358	−589 −24	−16	·9988928	−616 −25	−16	·9988482	−634 −26	−17	·9988019	9·1
9·2	·9992295	−441 −19	−12	·9991979	−455 −20	−12	·9991652	−474 −21	−12	·9991313	−493 −21	−13	·9990960	−511 −22	−13	·9990594	9·2
9·3	·9993978	−354 −18	−9	·9993730	−368 −18	−10	·9993472	−381 −17	−10	·9993205	−398 −18	−10	·9992927	−411 −19	−10	·9992639	9·3
9·4	·9995307	−282 −14	−7	·9995113	−294 −14	−6	·9994911	−306 −14	−8	·9994701	−317 −15	−8	·9994483	−329 −16	−8	·9994257	9·4
9·5	·9996354	−226 −11	−6	·9996202	−234 −12	−6	·9996044	−243 −12	−6	·9995880	−253 −12	−6	·9995710	−263 −13	−7	·9995533	9·5
9·6	·9997175	−178 −9	−5	·9997057	−188 −10	−5	·9996934	−193 −10	−5	·9996806	−200 −10	−5	·9996674	−210 −10	−5	·9996536	9·6
9·7	·9997818	−142 −7	−4	·9997726	−147 −8	−4	·9997631	−154 −8	−4	·9997532	−161 −8	−4	·9997428	−164 −8	−4	·9997321	9·7
9·8	·9998319	−112 −6		·9998248	−116 −6		·9998174	−120 −6		·9998097	−124 −7		·9998018	−132 −7		·9997935	9·8
9·9	·9998708	−87 −5		·9998654	−92 −5		·9998597	−96 −5		·9998538	−100 −6		·9998476	−102 −6		·9998412	9·9
10·0	·9999010	−69 −4		·9998968	−71 −4		·9998924	−73 −4		·9998879	−77 −4		·9998832	−81 −4		·9998782	10·0
10·1	·9999243	−53		·9999211	−55		·9999178	−59 −4		·9999143	−60 −4		·9999107	−63 −4		·9999069	10·1
10·2	·9999423	−41		·9999399	−44		·9999373	−45		·9999347	−48		·9999319	−49		·9999290	10·2
10·3	·9999562	−34		·9999543	−34		·9999523	−35		·9999503	−36		·9999482	−38		·9999460	10·3
10·4	·9999667	−24		·9999653	−25		·9999638	−27		·9999623	−28		·9999607	−29		·9999590	10·4
10·5	·9999748	−19		·9999738	−21		·9999726	−20		·9999715	−22		·9999703	−24		·9999690	10·5
10·6	·9999810	−15		·9999802	−15		·9999794	−17		·9999785	−17		·9999775	−16		·9999766	10·6
10·7	·9999857	−11		·9999851	−12		·9999845	−13		·9999838	−13		·9999831	−14		·9999824	10·7
10·8	·9999893	−10		·9999888	−9		·9999883	−10		·9999878	−10		·9999873	−10		·9999868	10·8
10·9	·9999919	−8		·9999916	−7		·9999912	−8		·9999909	−8		·9999905	−8		·9999901	10·9
11·0	·9999940	−6		·9999937	−5		·9999935	−7		·9999932	−6		·9999929	−5		·9999926	11·0
11·1	·9999955	−5		·9999953	−4		·9999951	−5		·9999949	−5		·9999947	−5		·9999945	11·1
11·2	·9999967	−4		·9999965	−4		·9999964	−4		·9999962	−4		·9999960	−4		·9999959	11·2
11·3	·9999975			·9999974			·9999973			·9999972			·9999971			·9999969	11·3
11·4	·9999982			·9999981			·9999980			·9999979			·9999978			·9999977	11·4
11·5	·9999986			·9999986			·9999985			·9999985			·9999984			·9999983	11·5
11·6	·9999990			·9999989			·9999989			·9999989			·9999988			·9999988	11·6
11·7	·9999993			·9999992			·9999992			·9999992			·9999991			·9999991	11·7
11·8	·9999995			·9999994			·9999994			·9999994			·9999994			·9999993	11·8
11·9	·9999996			·9999996			·9999996			·9999995			·9999995			·9999995	11·9
12·0	·9999997			·9999997			·9999997			·9999997			·9999997			·9999996	12·0
12·1	·9999998			·9999998			·9999998			·9999998			·9999998			·9999997	12·1
12·2	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·2
12·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·3
12·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·4
12·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·5
12·6	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			·9999999	12·6
12·7																1·0000000	12·7

	p = 30·0		p = 30·2			p = 30·4			p = 30·6			p = 30·8			p = 31·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
7·5	-10103 -78	-290	·9632112	-10333 -73	-295	·9620357	-10562 -72	-300	·9608304	-10798 -68	-304	·9595946	-11030 -67	-309	·9583279	-11267 -61	-314	7·5
7·6	-8908 -87	-255	·9693388	-9119 -88	-260	·9683386	-9335 -83	-264	·9673120	-9552 -81	-269	·9662585	-9771 -80	-274	·9651777	-9984 -79	-278	7·6
7·7	-7793 -93	-222	·9745545	-7989 -93	-227	·9737080	-8188 -93	-231	·9728384	-8389 -92	-236	·9719453	-8594 -89	-240	·9710281	-8800 -87	-244	7·7
7·8	-6776 -94	-193	·9789713	-6954 -94	-197	·9782586	-7134 -95	-201	·9775259	-7319 -94	-205	·9767727	-7505 -93	-209	·9759985	-7693 -92	-213	7·8
7·9	-5853 -94	-168	·9826927	-6012 -95	-170	·9820958	-6178 -95	-173	·9814815	-6340 -96	-177	·9808496	-6508 -95	-181	·9801996	-6681 -98	-184	7·9
8·0	-5022 -92	-142	·9858129	-5168 -92	-145	·9853154	-5311 -93	-148	·9848031	-5460 -93	-152	·9842756	-5611 -93	-155	·9837326	-5764 -94	-159	8·0
8·1	-4285 -87	-120	·9884165	-4412 -88	-123	·9880039	-4540 -89	-126	·9875787	-4672 -90	-129	·9871405	-4804 -91	-132	·9866892	-4942 -91	-135	8·1
8·2	-3636 -81	-102	·9905789	-3745 -83	-104	·9902384	-3859 -84	-107	·9898871	-3979 -85	-109	·9895250	-4092 -83	-112	·9891516	-4211 -87	-115	8·2
8·3	-3060 -76	-85	·9923668	-3162 -77	-87	·9920870	-3258 -78	-90	·9917983	-3381 -79	-92	·9915003	-3482 -80	-94	·9911929	-3567 -81	-97	8·3
8·4	-2573 -67	-71	·9938385	-2663 -70	-73	·9936097	-2740 -70	-75	·9933734	-2827 -72	-77	·9931294	-2916 -74	-79	·9928775	-3007 -74	-81	8·4
8·5	-2147 -62	-59	·9950447	-2218 -63	-60	·9948584	-2291 -64	-62	·9946658	-2364 -66	-64	·9944669	-2441 -67	-66	·9942614	-2519 -68	-67	8·5
8·6	-1784 -54	-48	·9960291	-1844 -55	-50	·9958780	-1904 -57	-51	·9957218	-1968 -58	-53	·9955603	-2032 -59	-54	·9953934	-2099 -60	-56	8·6
8·7	-1473 -48	-40	·9968291	-1523 -49	-41	·9967072	-1577 -50	-42	·9965810	-1630 -51	-44	·9964505	-1683 -52	-45	·9963155	-1741 -54	-46	8·7
8·8	-1213 -42	-33	·9974768	-1255 -43	-34	·9973787	-1297 -44	-35	·9972772	-1343 -45	-36	·9971722	-1390 -46	-37	·9970635	-1437 -47	-38	8·8
8·9	-991 -36	-26	·9979990	-1028 -37	-27	·9979205	-1065 -38	-28	·9978391	-1101 -40	-29	·9977549	-1139 -42	-30	·9976678	-1181 -43	-31	8·9
9·0	-810 -31	-21	·9984184	-838 -32	-22	·9983558	-868 -33	-23	·9982909	-901 -34	-23	·9982237	-933 -35	-24	·9981540	-964 -36	-25	9·0
9·1	-658 -27	-17	·9987540	-681 -27	-18	·9987042	-705 -29	-18	·9986526	-730 -29	-19	·9985992	-757 -30	-19	·9985438	-785 -31	-20	9·1
9·2	-530 -23	-14	·9990215	-550 -24	-14	·9989821	-570 -24	-15	·9989413	-592 -24	-15	·9988990	-614 -25	-16	·9988551	-637 -25	-16	9·2
9·3	-427 -19	-11	·9992340	-443 -19	-11	·9992030	-460 -20	-12	·9991708	-478 -21	-12	·9991374	-495 -22	-13	·9991027	-513 -22	-13	9·3
9·4	-342 -16	-9	·9994022	-355 -18	-9	·9993779	-370 -18	-9	·9993525	-382 -17	-19	·9993263	-398 -18	-10	·9992990	-412 -19	-10	9·4
9·5	-273 -14	-7	·9995349	-283 -14	-7	·9995158	-293 -14	-7	·9994960	-306 -15	-8	·9994754	-317 -15	-8	·9994541	-331 -15	-8	9·5
9·6	-218 -11	-5	·9996393	-227 -11	-6	·9996244	-236 -12	-6	·9996089	-244 -12	-6	·9995928	-253 -13	-6	·9995761	-262 -13	-6	9·6
9·7	-171 -9	-4	·9997210	-179 -8	-4	·9997094	-185 -9	-5	·9996974	-194 -9	-5	·9996849	-202 -10	-5	·9996719	-209 -10	-5	9·7
9·8	-137 -7		·9997848	-141 -7		·9997759	-148 -7	-4	·9997665	-152 -8	-4	·9997568	-158 -8	-4	·9997468	-166 -8	-4	9·8
9·9	-107 -8		·9998345	-111 -8		·9998276	-115 -8		·9998204	-121 -7		·9998129	-125 -7		·9998051	-129 -7		9·9
10·0	-83 -4		·9998731	-87 -5		·9998678	-91 -5		·9998622	-94 -6		·9998565	-99 -6		·9998505	-103 -6		10·0
10·1	-66 -4		·9999030	-66 -4		·9998989	-71 -4		·9998946	-74 -4		·9998902	-77 -5		·9998856	-80 -5		10·1
10·2	-51		·9999260	-53		·9999229	-56		·9999196	-58		·9999162	-60 -4		·9999127	-63 -4		10·2
10·3	-40		·9999437	-41		·9999413	-42		·9999388	-44		·9999362	-46		·9999335	-47		10·3
10·4	-30		·9999573	-32		·9999555	-34		·9999536	-35		·9999516	-36		·9999496	-39		10·4
10·5	-24		·9999677	-25		·9999663	-25		·9999649	-27		·9999634	-29		·9999618	-28		10·5
10·6	-18		·9999756	-19		·9999746	-21		·9999735	-21		·9999723	-20		·9999712	-23		10·6
10·7	-14		·9999816	-14		·9999808	-14		·9999800	-15		·9999792	-16		·9999783	-17		10·7
10·8	-11		·9999862	-11		·9999856	-12		·9999850	-12		·9999843	-14		·9999837	-13		10·8
10·9	-8		·9999897	-9		·9999892	-9		·9999888	-10		·9999883	-11		·9999878	-10		10·9
11·0	-6		·9999923	-7		·9999919	-7		·9999916	-8		·9999912	-9		·9999909	-8		11·0
11·1	-5		·9999942	-6		·9999940	-6		·9999937	-7		·9999935	-7		·9999932	-7		11·1
11·2	-4		·9999957	-5		·9999955	-5		·9999953	-5		·9999951	-6		·9999949	-5		11·2
11·3			·9999968	-4		·9999967	-4		·9999965	-4		·9999964	-4		·9999962	-4		11·3
11·4			·9999976			·9999975			·9999974			·9999973			·9999972			11·4
11·5			·9999983			·9999982			·9999981			·9999980			·9999979			11·5
11·6			·9999987			·9999987			·9999986			·9999985			·9999985			11·6
11·7			·9999991			·9999990			·9999990			·9999989			·9999989			11·7
11·8			·9999993			·9999993			·9999992			·9999992			·9999992			11·8
11·9			·9999995			·9999995			·9999994			·9999994			·9999994			11·9
12·0			·9999996			·9999996			·9999996			·9999996			·9999996			12·0
12·1			·9999997			·9999997			·9999997			·9999997			·9999997			12·1
12·2			·9999998			·9999998			·9999998			·9999998			·9999998			12·2
12·3			·9999999			·9999999			·9999998			·9999998			·9999998			12·3
12·4			·9999999			·9999999			·9999999			·9999999			·9999999			12·4
12·5			·9999999			·9999999			·9999999			·9999999			·9999999			12·5
12·6			·9999999			·9999999			·9999999			·9999999			·9999999			12·6
12·7			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			12·7

	$p = 31{\cdot}0$			$p = 31{\cdot}2$			$p = 31{\cdot}4$			$p = 31{\cdot}6$			$p = 31{\cdot}8$			$p = 32{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·6	·0000000																1·6
1·7	·0000000																1·7
1·8	·0000000	+1 +1		·0000000	0 0		·0000000	+1 0		·0000000	0 0		·0000000	0 0		·0000000	1·8
1·9	·0000001	+2 +2		·0000001	+2 +1		·0000001	+1 0		·0000001	+1 +1		·0000001	+1 +1		·0000000	1·9
2·0	·0000004	+4 +3		·0000003	+4 +2		·0000003	+3 +2		·0000002	+4 +3		·0000002	+3 +2		·0000002	2·0
2·1	·0000010	+9 +6		·0000009	+8 +6		·0000008	+7 +6		·0000007	+6 +5		·0000006	+5 +4		·0000005	2·1
2·2	·0000026	+21 +11		·0000023	+19 +11		·0000020	+17 +10		·0000018	+14 +8		·0000015	+14 +8		·0000013	2·2
2·3	·0000063	+44 +18		·0000056	+39 +19		·0000049	+35 +18		·0000043	+32 +14		·0000038	+28 +13		·0000034	2·3
2·4	·0000144	+85 +33		·0000128	+77 +29		·0000113	+70 +26		·0000100	+64 +25		·0000089	+57 +26		·0000079	2·4
2·5	·0000310	+159 +49	+4	·0000277	+145 +47	+4	·0000247	+132 +44		·0000221	+118 +41		·0000197	+108 +35		·0000175	2·5
2·6	·0000635	+282 +74	+7	·0000571	+258 +68	+6	·0000513	+235 +65	+6	·0000460	+217 +59	+6	·0000413	+198 +58	+6	·0000371	2·6
2·7	·0001242	+479 +100	+12	·0001123	+440 +98	+11	·0001014	+408 +89	+10	·0000916	+372 +88	+9	·0000827	+341 +83	+8	·0000746	2·7
2·8	·0002328	+776 +142	+20	·0002115	+720 +130	+19	·0001921	+666 +129	+17	·0001744	+616 +118	+16	·0001582	+571 +108	+14	·0001435	2·8
2·9	·0004190	+1215 +174	+33	·0003827	+1130 +172	+30	·0003493	+1053 +159	+28	·0003188	+978 +157	+25	·0002908	+908 +164	+24	·0002651	2·9
3·0	·0007267	+1828 +220	+50	·0006669	+1712 +208	+47	·0006118	+1600 +206	+43	·0005610	+1497 +194	+40	·0005142	+1399 +186	+37	·0004711	3·0
3·1	·0012172	+2681 +252	+75	·0011223	+2502 +250	+70	·0010343	+2353 +240	+65	·0009529	+2210 +238	+60	·0008775	+2075 +231	+56	·0008077	3·1
3·2	·0019738	+3746 +283	+106	·0018279	+3542 +274	+101	·0016921	+3346 +270	+95	·0015658	+3159 +265	+89	·0014483	+2982 +257	+83	·0013392	3·2
3·3	·0031050	+5114 +295	+151	·0028877	+4858 +296	+142	·0026845	+4609 +295	+133	·0024946	+4373 +290	+125	·0023173	+4146 +286	+116	·0021517	3·3
3·4	·0047476	+6777 +294	+204	·0044331	+6466 +295	+192	·0041378	+6167 +291	+182	·0038607	+5877 +292	+172	·0036009	+5596 +297	+162	·0033572	3·4
3·5	·0070679	+8734 +265	+268	·0066251	+8371 +269	+254	·0062078	+8016 +279	+241	·0058145	+7673 +284	+229	·0054441	+7343 +280	+217	·0050955	3·5
3·6	·0102616	+10958 +215	+342	·0096542	+10546 +226	+328	·0090794	+10144 +234	+311	·0085356	+9759 +241	+296	·0080216	+9370 +253	+282	·0075357	3·6
3·7	·0145509	+13393 +139	+425	·0137378	+12945 +155	+406	·0129654	+12508 +167	+390	·0122320	+12074 +181	+374	·0115361	+11650 +192	+357	·0108758	3·7
3·8	·0201795	+15969 +39	+517	·0191159	+15500 +57	+497	·0181020	+15036 +77	+476	·0171358	+14576 +95	+459	·0162156	+14129 +112	+441	·0153394	3·8
3·9	·0274050	+18584 −78	+612	·0260440	+18112 −56	+591	·0247421	+17641 −36	+570	·0234972	+17171 −11	+550	·0223073	+16706 +5	+530	·0211705	3·9
4·0	·0364889	+21121 −203	+707	·0347833	+20668 −180	+686	·0331463	+20212 −158	+665	·0315757	+19765 −136	+644	·0300696	+19296 −112	+623	·0286257	4·0
4·1	·0476849	+23465 −339	+799	·0455894	+23044 −312	+778	·0435717	+22627 −290	+757	·0416297	+22203 −266	+736	·0397614	+21772 −240	+715	·0379645	4·1
4·2	·0612264	+25450 −458	+883	·0586999	+25108 −439	+863	·0562598	+24752 −414	+843	·0539040	+24386 −390	+822	·0516304	+24009 −368	+802	·0494370	4·2
4·3	·0773129	+26967 −567	+954	·0743212	+26733 −547	+938	·0714231	+26463 −529	+917	·0686168	+26177 −509	+899	·0659003	+25878 −492	+880	·0632718	4·3
4·4	·0960981	+27957 −666	+1008	·0926158	+27811 −642	+992	·0892327	+27645 −625	+976	·0859473	+27480 −609	+960	·0827580	+27256 −586	+944	·0796630	4·4
4·5	·1176790	+28271 −707	+1041	·1136915	+28247 −697	+1029	·1098068	+28202 −691	+1017	·1060238	+28134 −679	+1004	·1023412	+28046 −674	+991	·0987577	4·5
4·6	·1420870	+27878 −733	+1051	·1375919	+27988 −731	+1043	·1332011	+28068 −722	+1036	·1289137	+28129 −722	+1026	·1247290	+28168 −708	+1016	·1206458	4·6
4·7	·1692828	+26762 −713	+1038	·1642909	+26994 −719	+1033	·1594022	+27212 −727	+1029	·1546165	+27402 −722	+1024	·1499331	+27572 −731	+1019	·1453517	4·7
4·8	·1991538	+24913 −669	+996	·1936893	+25283 −678	+996	·1883245	+25629 −685	+996	·1830595	+25953 −700	+998	·1778944	+26250 −702	+997	·1728290	4·8
4·9	·2315161	+22405 −589	+932	·2256160	+22894 −604	+938	·2198097	+23381 −620	+944	·2140978	+23804 −629	+949	·2084807	+24228 −645	+952	·2029587	4·9
5·0	·2661189	+19308 −481	+846	·2598321	+19901 −505	+857	·2536310	+20473 −524	+866	·2475165	+21026 −548	+875	·2414896	+21557 −580	+883	·2355510	5·0
5·1	·3026525	+15730 −360	+741	·2960383	+16403 −382	+755	·2894996	+17061 −406	+769	·2830378	+17702 −426	+782	·2766542	+18328 −453	+794	·2703501	5·1
5·2	·3407591	+11792 −225	+621	·3338848	+12523 −247	+636	·3270743	+13243 −271	+656	·3203293	+13952 −299	+672	·3136516	+14646 −320	+687	·3070426	5·2
5·3	·3800449	+7631 −86	+490	·3729836	+8398 −114	+510	·3659733	+9154 −141	+530	·3590160	+9903 −164	+548	·3521136	+10644 −189	+567	·3452679	5·3
5·4	·4200938	+3384 +49	+353	·4129220	+4155 +27	+375	·4057877	+4924 +8	+396	·3986930	+5690 −21	+417	·3916400	+6453 −43	+437	·3846307	5·4
5·5	·4604811	−314 +175	+214	·4532759	−69 +161	+237	·4460945	+697 +130	+259	·4389390	+1456 +103	+282	·4318117	+2214 +82	+303	·4247147	5·5
5·6	·5007870	−4837 +280	+79	·4936239	−4122 +262	+102	·4864710	−3400 +240	+124	·4793306	−2675 +228	+147	·4722048	−1943 +203	+169	·4650959	5·6
5·7	·5406092	−8580 +372	−50	·5335597	−7923 +357	−26	·5265075	−7257 +344	−6	·5194547	−6580 +329	+17	·5124036	−5897 +308	+39	·5053563	5·7
5·8	·5795734	−11951 +437	−166	·5727032	−11367 +426	−147	·5658183	−10770 +411	−126	·5589208	−10183 +403	−106	·5520127	−9543 +388	−84	·5450962	5·8
5·9	·6173425	−14885 +486	−274	·6107100	−14385 +477	−255	·6040521	−13872 +473	−236	·5973706	−13343 +460	−218	·5906675	−12803 +457	−196	·5839447	5·9
6·0	·6536231	−17334 +502	−365	·6472783	−16926 +502	−348	·6408987	−16501 +496	−331	·6344861	−16063 +498	−313	·6280420	−15606 +486	−296	·6215684	6·0
6·1	·6881703	−19261 +511	−440	·6821540	−18986 +509	−426	·6760952	−18634 +511	−411	·6699953	−18285 +504	−396	·6638559	−17924 +511	−380	·6576784	6·1
6·2	·7207894	−20717 +490	−499	·7151332	−20495 +498	−487	·7094283	−20256 +500	−476	·7036760	−20003 +508	−462	·6978774	−19731 +503	−449	·6920339	6·2
6·3	·7513368	−21663 +465	−542	·7460629	−21527 +466	−533	·7407358	−21378 +473	−523	·7353564	−21215 +477	−513	·7299258	−21036 +490	−502	·7244448	6·3
6·4	·7797179	−22144 +417	−570	·7748399	−22094 +432	−563	·7699055	−22027 +438	−556	·7649155	−21946 +446	−548	·7598707	−21849 +447	−540	·7547720	6·4
6·5	·8058846	−22206 +371	−584	·8014075	−22229 +380	−579	·7968725	−22238 +391	−574	·7922800	−22233 +399	−569	·7876307	−22216 +411	−563	·7829250	6·5
6·6	·8298305	−21901 +317	−585	·8257522	−21984 +322	−583	·8216157	−22058 +333	−580	·8174212	−22121 +345	−576	·8131691	−22172 +354	−573	·8088596	6·6
6·7	·8515863	−21277 +255	−576	·8478985	−21417 +273	−575	·8441531	−21548 +281	−574	·8403503	−21684 +291	−572	·8364903	−21774 +304	−571	·8325731	6·7
6·8	·8712144	−20398 +204	−557	·8679031	−20577 +206	−558	·8645360	−20751 +223	−558	·8611130	−20916 +233	−559	·8576341	−21072 +240	−559	·8540994	6·8
6·9	·8888027	−19315 +146	−531	·8858500	−19529 +181	−534	·8828438	−19734 +164	−535	·8797841	−19935 +175	−537	·8766707	−20130 +187	−538	·8735035	6·9
7·0	·9044595	−18086 +99	−500	·9018440	−18320 +104	−503	·8991782	−18558 +120	−506	·8964617	−18779 +127	−509	·8936943	−19001 +135	−512	·8908757	7·0
7·1	·9183077	−16758 +53	−465	·9160060	−17007 +62	−469	·9136573	−17252 +68	−473	·9112614	−17496 +76	−476	·9088178	−17737 +87	−480	·9063262	7·1
7·2	·9304801	−15377 +16	−428	·9284673	−15632 +23	−432	·9264112	−15886 +29	−437	·9243115	−16137 +33	−441	·9221676	−16388 +39	−445	·9199793	7·2
7·3	·9411148	−13981 −16	−390	·9393654	−14234 −14	−394	·9375766	−14489 −5	−399	·9357479	−14743 +2	−403	·9338788	−14996 +8	−408	·9319689	7·3
7·4	·9503514	−12601 −46	−351	·9488401	−12850 −39	−356	·9472931	−13098 −37	−361	·9457100	−13347 −33	−366	·9440904	−13596 −25	−370	·9424337	7·4
7·5	·9583279	−11267 −61	−314	·9570298	−11506 −57	−319	·9556998	−11744 −54	−323	·9543374	−11984 −52	−328	·9529422	−12225 −51	−333	·9515138	7·5

	p = 32·0		p = 32·2			p = 32·4			p = 32·6			p = 32·8			p = 33·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
1·6																		1·6
1·7																		1·7
1·8			·0000000			·0000000			·0000000			·0000000			·0000000			1·8
1·9	+1 +1		·0000000	+1 +1		·0000000	+1 +1		·0000000	0 0		·0000000	+1 0		·0000000	0 0		1·9
2·0	+2 +2		·0000001	+2 +2		·0000001	+2 +1		·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		2·0
2·1	+5 +4		·0000004	+5 +4		·0000004	+3 +3		·0000003	+4 +3		·0000003	+8 +2		·0000002	+3 +2		2·1
2·2	+13 +7		·0000012	+9 +6		·0000010	+10 +6		·0000009	+8 +6		·0000008	+7 +5		·0000007	+6 +4		2·2
2·3	+24 +13		·0000029	+24 +10		·0000026	+20 +10		·0000023	+18 +9		·0000020	+16 +9		·0000018	+14 +7		2·3
2·4	+51 +21		·0000070	+45 +20		·0000062	+41 +18		·0000055	+37 +16		·0000048	+34 +14		·0000043	+30 +13		2·4
2·5	+100 +32		·0000156	+90 +32		·0000139	+82 +30		·0000124	+74 +27		·0000110	+87 +25		·0000098	+61 +23		2·5
2·6	+179 +55	+4	·0000332	+164 +50	+4	·0000298	+149 +47		·0000267	+136 +46		·0000239	+124 +39		·0000214	+113 +37		2·6
2·7	+314 +78	+6	·0000672	+290 +71	+7	·0000606	+266 +65	+6	·0000546	+244 +80	+6	·0000492	+223 +62	+5	·0000443	+204 +56	+5	2·7
2·8	+527 +104	+13	·0001302	+484 +104	+12	·0001180	+447 +100	+11	·0001069	+412 +96	+10	·0000968	+380 +87	+9	·0000876	+351 +81	+8	2·8
2·9	+844 +143	+22	·0002416	+783 +133	+20	·0002201	+728 +123	+18	·0002004	+678 +110	+17	·0001824	+627 +113	+15	·0001660	+580 +110	+14	2·9
3·0	+1308 +181	+34	·0004315	+1218 +177	+32	·0003950	+1137 +157	+29	·0003615	+1050 +164	+27	·0003307	+986 +160	+25	·0003024	+919 +149	+23	3·0
3·1	+1949 +216	+52	·0007432	+1828 +212	+49	·0006836	+1713 +208	+45	·0006285	+1606 +197	+42	·0005776	+1505 +187	+39	·0005307	+1407 +188	+38	3·1
3·2	+2810 +259	+77	·0012377	+2650 +249	+72	·0011435	+2497 +241	+67	·0010561	+2330 +239	+63	·0009750	+2211 +234	+59	·0008997	+2061 +223	+55	3·2
3·3	+3930 +276	+111	·0019972	+3721 +278	+104	·0018531	+3522 +273	+98	·0017187	+3333 +265	+91	·0015935	+3131 +261	+66	·0014768	+2978 +258	+80	3·3
3·4	+5328 +293	+153	·0031288	+5070 +288	+144	·0029149	+4820 +290	+138	·0027146	+4581 +268	+128	·0025271	+4352 +281	+121	·0023517	+4131 +279	+114	3·4
3·5	+7019 +289	+205	·0047674	+8707 +293	+193	·0044587	+6408 +287	+185	·0041686	+8115 +294	+175	·0038959	+5834 +294	+165	·0036397	+5563 +293	+156	3·5
3·6	+8999 +258	+269	·0070767	+8637 +261	+256	·0066433	+8283 +273	+243	·0062341	+7943 +270	+231	·0058481	+7610 +278	+219	·0054840	+7288 +278	+208	3·6
3·7	+11235 +204	+341	·0102497	+10828 +216	+328	·0096562	+10431 +221	+312	·0090939	+10041 +235	+297	·0085613	+9662 +241	+284	·0080571	+9291 +230	+270	3·7
3·8	+13875 +128	+423	·0145055	+13235 +139	+406	·0137122	+12800 +158	+389	·0129578	+12374 +168	+373	·0122407	+11955 +181	+357	·0115593	+11544 +191	+342	3·8
3·9	+16241 +29	+511	·0200848	+15781 +47	+492	·0190482	+15327 +60	+474	·0180591	+14875 +81	+458	·0171156	+14429 +97	+438	·0162159	+13988 +115	+421	3·9
4·0	+18838 −94	+603	·0272422	+18374 −67	+573	·0259169	+17914 −44	+563	·0246479	+17457 −28	+544	·0234334	+17000 −8	+525	·0222713	+18547 +11	+507	4·0
4·1	+21337 −215	+694	·0362370	+20900 −198	+874	·0345770	+20457 −173	+654	·0329824	+20011 −146	+634	·0314512	+19565 −127	+615	·0299814	+19117 −104	+393	4·1
4·2	+23623 −345	+782	·0473218	+23228 −318	+762	·0452828	+22827 −299	+742	·0433180	+22419 −280	+722	·0414255	+22003 −253	+703	·0396032	+21383 −232	+583	4·2
4·3	+25564 −470	+861	·0607294	+25238 −452	+842	·0582713	+24896 −428	+823	·0558955	+24547 −399	+804	·0536001	+24188 −381	+785	·0513833	+23817 −355	+766	4·3
4·4	+27035 −572	+927	·0766608	+26706 −549	+910	·0737496	+26543 −533	+893	·0709277	+26276 −520	+678	·0681935	+25992 −498	+859	·0655451	+25696 −481	+641	4·4
4·5	+27934 −655	+977	·0952718	+27805 −646	+963	·0918822	+27855 −530	+948	·0885875	+27485 −610	+933	·0853861	+27298 −592	+918	·0822765	+27094 −575	+903	4·5
4·6	+28178 −708	+1006	·1166633	+28168 −698	+995	·1127803	+28137 −890	+984	·1089958	+28084 −690	+973	·1053085	+28012 −875	+961	·1017173	+27917 −880	+948	4·6
4·7	+27714 −726	+1013	·1408716	+27833 −723	+1006	·1364921	+27929 −721	+909	·1322125	+28003 −721	+991	·1280321	+28051 −709	+983	·1239498	+28060 −707	+974	4·7
4·8	+26524 −706	+998	·1678632	+28775 −717	+993	·1629968	+27000 −717	+990	·1582295	+27201 −716	+967	·1535608	+27381 −723	+982	·1489903	+27536 −721	+977	4·8
4·9	+24525 −560	+935	·1975323	+25000 −665	+937	·1922015	+25354 −681	+958	·1869666	+25683 −589	+959	·1818276	+25966 −893	+939	·1767844	+26271 −701	+958	4·9
5·0	+22068 −578	+801	·2297014	+22560 −598	+697	·2239416	+23027 −606	+903	·2182720	+23478 −824	+908	·2126932	+23902 −639	+912	·2072056	+24303 −848	+913	5·0
5·1	+16934 −472	+803	·2641265	+19522 −489	+818	·2579844	+20094 −513	+826	·2519250	+20645 −530	+835	·2459490	+21177 −545	+843	·2400573	+21891 −568	+851	5·1
5·2	+15328 −344	+702	·3005038	+15995 −369	+718	·2940366	+16648 −393	+730	·2876425	+17284 −413	+743	·2813225	+17907 −440	+755	·2750781	+18511 −459	+786	5·2
5·3	+11378 −216	+585	·3384806	+12099 −241	+802	·3317536	+12809 −261	+819	·3250884	+13510 −286	+834	·3184867	+14197 −308	+850	·3119500	+14872 −331	+684	5·3
5·4	+7212 −74	+458	·3776673	+7962 −95	+477	·3707515	+8700 −124	+406	·3638853	+9446 −148	+514	·3570706	+10179 −173	+532	·3503091	+10902 −199	+550	5·4
5·5	+2972 +60	+325	·4176502	+3730 +33	+348	·4106203	+4485 +11	+366	·4036270	+5238 −14	+387	·3966724	+5988 −40	+406	·3897584	+6733 −62	+428	5·5
5·6	−1208 +183	+191	·4580061	−469 +157	+213	·4509376	+272 +138	+234	·4438925	+1014 +118	+255	·4368730	+1757 +96	+278	·4298810	+2502 +72	+297	5·6
5·7	−5205 +286	+60	·4983151	−4507 +274	+62	·4912821	−3803 +254	+104	·4842594	−3092 +232	+123	·4772493	−2376 +208	+146	·4702538	−1857 +189	+168	5·7
5·8	−8914 +375	−53	·5381734	−8275 +364	−42	·5312463	−7524 +343	−21	·5243171	−6966 +330	0	·5173880	−6301 +319	+21	·5104609	−5627 +302	+42	5·8
5·9	−12248 +445	−177	·5772042	−11679 +428	−157	·5704481	−11102 +424	−137	·5636782	−10510 +407	−117	·5568966	−9907 +391	−97	·5501053	−9295 +379	−77	5·9
6·0	−15137 +481	−278	·6150671	−14853 +480	−280	·6085397	−14158 +466	−241	·6019883	−13647 +467	−224	·5954145	−13122 +457	−204	·5888202	−12584 +447	−186	6·0
6·1	−17545 +507	−384	·6514645	−17151 +504	−348	·6452157	−16742 +502	−332	·6389337	−16317 +494	−318	·6326202	−15880 +495	−299	·6262767	−15426 +486	−282	6·1
6·2	−19448 +510	−436	·6861468	−19143 +508	−422	·6802175	−18826 +510	−408	·6742474	−18493 +511	−394	·6682379	−18143 +504	−370	·6621906	−17782 +510	−353	6·2
6·3	−20637 +486	−491	·7189148	−20627 +494	−460	·7133367	−20400 +496	−488	·7077118	−20156 +499	−457	·7020413	−19902 +508	−444	·6963263	−19626 +502	−432	6·3
6·4	−21742 +463	−531	·7496201	−21617 +467	−523	·7444159	−21478 +474	−513	·7391604	−21324 +480	−504	·7338545	−21155 +484	−494	·7284992	−20972 +492	−484	6·4
6·5	−22184 +415	−557	·7781637	−22140 +425	−550	·7733473	−22082 +433	−544	·7684766	−22010 +440	−538	·7635522	−21924 +446	−529	·7585749	−21824 +452	−521	6·5
6·6	−22211 +368	−569	·8044933	−22238 +375	−565	·8000705	−22253 +385	−560	·7955918	−22256 +395	−555	·7910575	−22247 +408	−550	·7864682	−22224 +417	−544	6·6
6·7	−21672 +311	−589	·8285991	−21951 +322	−587	·8245684	−22039 +331	−564	·8204814	−22107 +342	−581	·8163381	−22162 +348	−558	·8121391	−22207 +357	−554	6·7
6·8	−21222 +253	−559	·8505088	−21362 +263	−558	·8468624	−21494 +275	−557	·8431603	−21618 +284	−556	·8394025	−21729 +296	−555	·8355893	−21833 +308	−553	6·8
6·9	−20319 +199	−540	·8702823	−20500 +208	−541	·8670070	−20674 +218	−541	·8636776	−20641 +229	−542	·8602940	−21000 +238	−542	·8568562	−21151 +247	−542	6·9
7·0	−19217 +141	−514	·8880058	−19430 +153	−516	·8850842	−19638 +181	−518	·8821108	−19837 +171	−520	·8790855	−20033 +182	−521	·8760080	−20222 +192	−523	7·0
7·1	−17974 +96	−483	·9037863	−18207 +103	−486	·9011978	−18437 +112	−489	·8985603	−18862 +120	−492	·8958737	−18884 +130	−495	·8931376	−19101 +140	−497	7·1
7·2	−18835 +48	−449	·9177461	−16881 +56	−453	·9154677	−17128 +66	−456	·9131436	−17367 +73	−480	·9107735	−17805 +81	−453	·9083571	−17840 +87	−466	7·2
7·3	−15248 +14	−412	·9300178	−15499 +18	−418	·9280250	−15749 +24	−421	·9259902	−15999 +33	−425	·9239128	−16245 +35	−429	·9217926	−18492 +48	−433	7·3
7·4	−13647 −24	−375	·9407396	−14099 −13	−379	·9390074	−14348 −10	−384	·9372369	−14598 −5	−388	·9354276	−14849 +8	−393	·9335789	−15098 +5	−397	7·4
7·5	−12470 −45	−338	·9500515	−12712 −42	−342	·9485550	−12957 −66	−347	·9470238	−13202 −33	−352	·9454575	−13447 −82	−358	·9438556	−13695 −21	−360	7·5

	$p = 31·0$			$p = 31·2$			$p = 31·4$			$p = 31·6$			$p = 31·8$			$p = 32·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
7·5	·9583279	−11267 −61	−314	·9570298	−11505 −57	−319	·9556998	−11744 −54	−323	·9543374	−11984 −52	−328	·9529422	−12226 −51	−333	·9515138	7·5
7·6	·9651777	−9994 −79	−278	·9640690	−10217 −78	−283	·9629321	−10444 −73	−287	·9617664	−10673 −70	−292	·9605715	−10903 −67	−297	·9593469	7·6
7·7	·9710281	−8800 −87	−244	·9700865	−9009 −85	−249	·9691200	−9220 −83	−253	·9681281	−9432 −82	−258	·9671105	−9648 −82	−262	·9660667	7·7
7·8	·9759985	−7693 −92	−213	·9752031	−7885 −92	−217	·9743859	−8079 −94	−221	·9735466	−8277 −89	−228	·9726847	−8476 −89	−230	·9717998	7·8
7·9	·9801996	−6681 −95	−184	·9795312	−6856 −93	−188	·9788439	−7032 −94	−192	·9781374	−7211 −92	−196	·9774113	−7393 −93	−200	·9766652	7·9
8·0	·9837326	−5764 −94	−159	·9831737	−5919 −94	−162	·9825987	−6080 −93	−166	·9820071	−6242 −93	−169	·9813986	−6406 −95	−173	·9807728	8·0
8·1	·9866892	−4942 −91	−135	·9862243	−5081 −91	−138	·9857455	−5221 −93	−142	·9852526	−5366 −94	−145	·9847453	−5514 −94	−148	·9842231	8·1
8·2	·9891516	−4211 −87	−115	·9887668	−4334 −87	−118	·9883702	−4460 −88	−120	·9879615	−4587 −88	−123	·9875406	−4718 −89	−128	·9871070	8·2
8·3	·9911929	−3567 −81	−97	·9908759	−3676 −82	−99	·9905489	−3785 −84	−102	·9902117	−3897 −85	−104	·9898641	−4010 −86	−107	·9895059	8·3
8·4	·9928775	−3007 −74	−81	·9926174	−3098 −75	−83	·9923491	−3194 −77	−85	·9920722	−3291 −78	−87	·9917866	−3391 −79	−90	·9914920	8·4
8·5	·9942614	−2519 −68	−67	·9940491	−2599 −69	−69	·9938299	−2680 −70	−71	·9936036	−2765 −71	−73	·9933700	−2851 −73	−75	·9931289	8·5
8·6	·9953934	−2099 −60	−56	·9952209	−2168 −62	−57	·9950427	−2239 −63	−59	·9948585	−2310 −65	−61	·9946683	−2384 −68	−62	·9944718	8·6
8·7	·9963155	−1741 −54	−46	·9961759	−1799 −56	−47	·9960316	−1859 −57	−49	·9958824	−1920 −58	−50	·9957282	−1983 −59	−51	·9955688	8·7
8·8	·9970635	−1437 −47	−38	·9969510	−1486 −48	−39	·9968346	−1535 −49	−40	·9967143	−1588 −51	−41	·9965898	−1641 −52	−42	·9964611	8·8
8·9	·9976678	−1181 −43	−31	·9975775	−1221 −43	−32	·9974841	−1264 −44	−33	·9973874	−1307 −45	−34	·9972873	−1351 −48	−35	·9971838	8·9
9·0	·9981540	−964 −36	−25	·9980819	−999 −37	−26	·9980072	−1034 −39	−26	·9979298	−1070 −40	−27	·9978497	−1107 −41	−28	·9977668	9·0
9·1	·9985438	−785 −31	−20	·9984864	−814 −32	−21	·9984269	−843 −33	−21	·9983652	−872 −34	−22	·9983014	−904 −35	−23	·9982353	9·1
9·2	·9988551	−637 −25	−16	·9988095	−659 −26	−17	·9987623	−683 −27	−17	·9987134	−708 −28	−18	·9986627	−733 −29	−18	·9986102	9·2
9·3	·9991027	−513 −22	−13	·9990667	−532 −23	−13	·9990294	−551 −24	−14	·9989908	−573 −24	−14	·9989507	−594 −23	−15	·9989091	9·3
9·4	·9992990	−412 −19	−10	·9992707	−428 −20	−11	·9992414	−446 −20	−11	·9992109	−461 −19	−11	·9991793	−478 −20	−12	·9991465	9·4
9·5	·9994541	−331 −15	−8	·9994319	−343 −16	−8	·9994088	−354 −16	−8	·9993849	−368 −16	−9	·9993601	−382 −17	−8	·9993344	9·5
9·6	·9995761	−262 −13	−6	·9995588	−273 −13	−7	·9995408	−284 −13	−7	·9995221	−295 −14	−7	·9995027	−306 −14	−7	·9994826	9·6
9·7	·9996719	−209 −10	−5	·9996584	−217 −10	−5	·9996444	−226 −10	−5	·9996298	−234 −11	−6	·9996147	−243 −11	−6	·9995990	9·7
9·8	·9997468	−166 −8	−4	·9997363	−172 −8	−4	·9997254	−178 −8	−4	·9997141	−185 −9	−4	·9997024	−193 −9	−4	·9996902	9·8
9·9	·9998051	−129 −7		·9997970	−135 −7		·9997886	−141 −7		·9997799	−147 −7		·9997708	−152 −8	−4	·9997613	9·9
10·0	·9998505	−103 −8		·9998442	−106 −6		·9998377	−110 −8		·9998310	−115 −6		·9998240	−120 −7		·9998167	10·0
10·1	·9998856	−80 −5		·9998808	−84 −5		·9998758	−87 −5		·9998706	−90 −5		·9998652	−93 −5		·9998596	10·1
10·2	·9999127	−63 −4		·9999090	−65 −4		·9999052	−68 −4		·9999012	−70 −4		·9998971	−74 −4		·9998928	10·2
10·3	·9999335	−47		·9999307	−50		·9999278	−52		·9999248	−55		·9999216	−56		·9999183	10·3
10·4	·9999496	−39		·9999474	−39		·9999452	−41		·9999429	−42		·9999405	−45		·9999380	10·4
10·5	·9999618	−28		·9999602	−31		·9999585	−31		·9999568	−34		·9999549	−34		·9999530	10·5
10·6	·9999712	−23		·9999699	−22		·9999687	−25		·9999673	−24		·9999659	−26		·9999645	10·6
10·7	·9999783	−17		·9999774	−19		·9999764	−18		·9999754	−20		·9999743	−20		·9999732	10·7
10·8	·9999837	−13		·9999830	−14		·9999823	−15		·9999815	−15		·9999807	−16		·9999799	10·8
10·9	·9999878	−10		·9999872	−11		·9999867	−11		·9999861	−11		·9999855	−12		·9999849	10·9
11·0	·9999909	−8		·9999905	−9		·9999900	−8		·9999896	−8		·9999892	−10		·9999887	11·0
11·1	·9999932	−7		·9999929	−7		·9999926	−7		·9999923	−8		·9999919	−8		·9999916	11·1
11·2	·9999949	−5		·9999947	−6		·9999945	−5		·9999942	−5		·9999940	−6		·9999937	11·2
11·3	·9999962	−4		·9999961	−4		·9999959	−4		·9999957	−4		·9999955	−5		·9999953	11·3
11·4	·9999972			·9999971			·9999970			·9999968			·9999967	−4		·9999965	11·4
11·5	·9999979			·9999978			·9999978			·9999977			·9999975			·9999974	11·5
11·6	·9999985			·9999984			·9999983			·9999983			·9999982			·9999981	11·6
11·7	·9999989			·9999988			·9999988			·9999987			·9999987			·9999986	11·7
11·8	·9999992			·9999991			·9999991			·9999991			·9999990			·9999990	11·8
11·9	·9999994			·9999994			·9999993			·9999993			·9999993			·9999992	11·9
12·0	·9999996			·9999995			·9999995			·9999995			·9999995			·9999994	12·0
12·1	·9999997			·9999997			·9999996			·9999996			·9999996			·9999996	12·1
12·2	·9999998			·9999997			·9999997			·9999997			·9999997			·9999997	12·2
12·3	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·3
12·4	·9999999			·9999999			·9999999			·9999998			·9999998			·9999998	12·4
12·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·5
12·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·6
12·7	1·0000000			1·0000000			·9999999			·9999999			·9999999			·9999999	12·7
12·8							1·0000000			1·0000000			·9999999			·9999999	12·8
12·9													1·0000000			·9999999	12·9
13·0																1·0000000	13·0

	$p = 32{\cdot}0$		$p = 32{\cdot}2$			$p = 32{\cdot}4$			$p = 32{\cdot}6$			$p = 32{\cdot}8$			$p = 33{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
7·5	−12470 −45	−338	·9500515	−12712 −42	−342	·9485550	−12957 −36	−347	·9470238	−13202 −33	−352	·9454575	−13447 −32	−356	·9438556	−13695 −21	−360	7·5
7·6	−11133 −64	−301	·9580922	−11367 −63	−306	·9568069	−11602 −60	−311	·9554905	−11836 −55	−315	·9541427	−12077 −50	−320	·9527628	−12315 −46	−324	7·6
7·7	−9857 −76	−267	·9649962	−10067 −77	−271	·9638986	−10309 −75	−276	·9627734	−10533 −74	−280	·9616202	−10757 −71	−285	·9604385	−10984 −72	−289	7·7
7·8	−8677 −91	−234	·9708915	−8861 −90	−238	·9699594	−9068 −87	−243	·9690030	−9296 −85	−247	·9680220	−9509 −83	−251	·9670158	−9729 −82	−256	7·8
7·9	−7576 −94	−204	·9758987	−7765 −93	−208	·9751114	−7954 −92	−212	·9743030	−8148 −92	−216	·9734729	−8341 −92	−220	·9726209	−8539 −91	−224	7·9
8·0	−6573 −96	−176	·9801294	−6744 −95	−180	·9794680	−6916 −95	−184	·9787882	−7090 −96	−187	·9780897	−7266 −95	−191	·9773721	−7446 −95	−195	8·0
8·1	−5664 −95	−151	·9836857	−5815 −94	−155	·9831330	−5972 −94	−158	·9825644	−6129 −95	−161	·9819797	−6290 −96	−165	·9813785	−6453 −96	−168	8·1
8·2	−4850 −92	−129	·9866605	−4986 −93	−132	·9862008	−5122 −94	−135	·9857277	−5264 −94	−138	·9852407	−5407 −95	−141	·9847396	−5552 −95	−144	8·2
8·3	−4126 −88	−109	·9891367	−4246 −88	−112	·9887564	−4370 −89	−115	·9883646	−4493 −90	−117	·9879610	−4619 −92	−120	·9875455	−4750 −93	−123	8·3
8·4	−3492 −81	−92	·9911883	−3598 −82	−94	·9908750	−3702 −83	−96	·9905522	−3813 −84	−99	·9902194	−3924 −86	−101	·9898764	−4035 −87	−104	8·4
8·5	−2940 −74	−77	·9928801	−3029 −76	−79	·9926234	−3123 −77	−81	·9923585	−3215 −78	−83	·9920854	−3312 −79	−85	·9918038	−3412 −80	−87	8·5
8·6	−2459 −67	−64	·9942690	−2537 −69	−66	·9940595	−2615 −70	−68	·9938433	−2697 −71	−69	·9936202	−2781 −72	−71	·9933900	−2866 −73	−73	8·6
8·7	−2047 −61	−53	·9954042	−2114 −62	−54	·9952341	−2182 −63	−56	·9950584	−2252 −64	−57	·9948769	−2321 −65	−59	·9946896	−2395 −67	−61	8·7
8·8	−1696 −53	−43	·9963280	−1750 −55	−45	·9961905	−1809 −56	−46	·9960483	−1867 −58	−47	·9959015	−1930 −59	−49	·9957497	−1991 −60	−50	8·8
8·9	−1397 −47	−35	·9970768	−1446 −48	−37	·9969660	−1492 −50	−38	·9968515	−1543 −51	−39	·9967331	−1593 −52	−40	·9966107	−1646 −53	−41	8·9
9·0	−1145 −42	−29	·9976810	−1184 −43	−30	·9975923	−1227 −44	−31	·9975004	−1266 −44	−32	·9974054	−1311 −46	−33	·9973071	−1355 −47	−34	9·0
9·1	−936 −36	−23	·9981668	−966 −37	−24	·9980959	−1001 −38	−25	·9980225	−1036 −38	−26	·9979466	−1073 −39	−26	·9978680	−1110 −40	−27	9·1
9·2	−760 −31	−19	·9985558	−788 −32	−19	·9984994	−816 −33	−20	·9984410	−844 −33	−21	·9983805	−873 −34	−21	·9983179	−903 −35	−22	9·2
9·3	−615 −25	−15	·9988660	−636 −26	−16	·9988213	−659 −27	−16	·9987751	−684 −28	−17	·9987271	−708 −29	−17	·9986775	−734 −29	−18	9·3
9·4	−495 −21	−12	·9991126	−515 −22	−13	·9990773	−533 −22	−13	·9990408	−552 −23	−13	·9990029	−572 −24	−14	·9989637	−593 −25	−14	9·4
9·5	−397 −18	−10	·9993077	−411 −18	−10	·9992800	−427 −19	−10	·9992513	−443 −20	−10	·9992215	−460 −20	−11	·9991906	−476 −21	−11	9·5
9·6	−318 −15	−8	·9994617	−330 −16	−8	·9994400	−342 −16	−8	·9994175	−355 −17	−8	·9993941	−367 −17	−9	·9993699	−382 −17	−9	9·6
9·7	−252 −12	−6	·9995827	−262 −12	−6	·9995658	−273 −13	−6	·9995482	−282 −14	−7	·9995300	−294 −14	−7	·9995110	−303 −15	−7	9·7
9·8	−201 −10	−5	·9996775	−208 −10	−5	·9996643	−215 −11	−5	·9996507	−225 −11	−5	·9996365	−233 −12	−5	·9996218	−243 −12	−6	9·8
9·9	−157 −8	−4	·9997515	−164 −8	−4	·9997413	−171 −8	−4	·9997307	−176 −9	−4	·9997197	−183 −10	−4	·9997083	−191 −10	−4	9·9
10·0	−125 −7		·9998091	−129 −7		·9998012	−134 −8		·9997931	−141 −8		·9997846	−146 −8		·9997757	−150 −9		10·0
10·1	−97 −5		·9998538	−102 −6		·9998477	−105 −6		·9998414	−109 −6		·9998349	−114 −7		·9998281	−119 −7		10·1
10·2	−77 −4		·9998883	−79 −4		·9998837	−83 −4		·9998788	−86 −5		·9998738	−89 −5		·9998686	−93 −5		10·2
10·3	−56		·9999149	−61 −4		·9999114	−64 −4		·9999077	−67 −4		·9999038	−68 −4		·9998998	−71 −4		10·3
10·4	−47		·9999354	−49		·9999327	−50		·9999299	−52		·9999269	−54		·9999239	−57		10·4
10·5	−35		·9999510	−36		·9999490	−38		·9999469	−41		·9999446	−41		·9999423	−43		10·5
10·6	−28		·9999630	−29		·9999615	−31		·9999598	−30		·9999582	−33		·9999564	−34		10·6
10·7	−20		·9999721	−22		·9999709	−21		·9999697	−24		·9999685	−25		·9999671	−25		10·7
10·8	−16		·9999790	−16		·9999782	−16		·9999772	−18		·9999763	−19		·9999753	−20		10·8
10·9	−12		·9999843	−12		·9999836	−13		·9999829	−14		·9999822	−14		·9999815	−15		10·9
11·0	−9		·9999882	−9		·9999877	−11		·9999872	−10		·9999867	−11		·9999862	−12		11·0
11·1	−6		·9999912	−7		·9999909	−9		·9999905	−8		·9999901	−9		·9999897	−9		11·1
11·2	−8		·9999935	−6		·9999932	−7		·9999929	−6		·9999926	−6		·9999923	−6		11·2
11·3	−4		·9999951	−5		·9999949	−6		·9999947	−5		·9999945	−5		·9999943	−5		11·3
11·4			·9999964	−4		·9999962	−4		·9999961	−4		·9999959	−4		·9999958	−4		11·4
11·5			·9999973			·9999972			·9999971			·9999970			·9999969			11·5
11·6			·9999980			·9999979			·9999979			·9999978			·9999977			11·6
11·7			·9999985			·9999985			·9999984			·9999984			·9999983			11·7
11·8			·9999989			·9999989			·9999988			·9999988			·9999988			11·8
11·9			·9999992			·9999992			·9999991			·9999991			·9999991			11·9
12·0			·9999994			·9999994			·9999994			·9999994			·9999993			12·0
12·1			·9999996			·9999995			·9999995			·9999995			·9999995			12·1
12·2			·9999997			·9999997			·9999997			·9999997			·9999996			12·2
12·3			·9999998			·9999998			·9999997			·9999997			·9999997			12·3
12·4			·9999998			·9999998			·9999998			·9999998			·9999998			12·4
12·5			·9999999			·9999999			·9999999			·9999999			·9999999			12·5
12·6			·9999999			·9999999			·9999999			·9999999			·9999999			12·6
12·7			·9999999			·9999999			·9999999			·9999999			·9999999			12·7
12·8			·9999999			·9999999			·9999999			·9999999			1·0000000			12·8
12·9			·9999999			·9999999			·9999999			·9999999						12·9
13·0			1·0000000			1·0000000			1·0000000			1·0000000						13·0

573
524
49

548

	$p = 33{\cdot}0$			$p = 33{\cdot}2$			$p = 33{\cdot}4$			$p = 33{\cdot}6$			$p = 33{\cdot}8$			$p = 34{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·8	·0000000																1·8
1·9	·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000	1·9
2·0	·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000000	+1 0		·0000000	2·0
2·1	·0000002	+3 +2		·0000002	+3 +2		·0000002	+2 +2		·0000002	+2 +2		·0000001	+2 +1		·0000001	2·1
2·2	·0000007	+8 +4		·0000006	+5 +4		·0000005	+6 +4		·0000004	+5 +3		·0000004	+3 +3		·0000003	2·2
2·3	·0000018	+14 +7		·0000015	+14 +7		·0000014	+10 +6		·0000012	+10 +6		·0000010	+10 +5		·0000009	2·3
2·4	·0000043	+30 +13		·0000038	+26 +13		·0000033	+26 +11		·0000030	+21 +10		·0000026	+19 +11		·0000023	2·4
2·5	·0000098	+61 +23		·0000087	+55 +22		·0000078	+48 +21		·0000069	+45 +18		·0000061	+41 +17		·0000054	2·5
2·6	·0000214	+113 +37		·0000191	+104 +83		·0000171	+95 +31		·0000153	+85 +80		·0000137	+77 +27		·0000122	2·6
2·7	·0000443	+204 +38	+5	·0000399	+186 +55	+4	·0000359	+170 +52	+4	·0000322	+157 +45		·0000290	+143 +43		·0000260	2·7
2·8	·0000876	+351 +81	+8	·0000793	+323 +77	+8	·0000717	+298 +70	+7	·0000648	+274 +67	+8	·0000586	+251 +66	+8	·0000529	2·8
2·9	·0001660	+580 +110	+14	·0001510	+537 +104	+13	·0001373	+496 +103	+12	·0001248	+458 +99	+11	·0001133	+425 +89	+10	·0001029	2·9
3·0	·0003024	+919 +149	+23	·0002764	+855 +145	+21	·0002525	+797 +132	+20	·0002306	+741 +127	+18	·0002105	+688 +124	+17	·0001921	3·0
3·1	·0005307	+1407 +188	+38	·0004873	+1318 +174	+34	·0004474	+1230 +178	+31	·0004105	+1151 +164	+29	·0003765	+1075 +158	+27	·0003452	3·1
3·2	·0008997	+2081 +223	+53	·0008300	+1955 +221	+51	·0007653	+1839 +208	+48	·0007055	+1725 +206	+44	·0006500	+1820 +197	+41	·0005987	3·2
3·3	·0014768	+2878 +258	+80	·0013682	+2813 +248	+75	·0012671	+2664 +248	+70	·0011730	+2505 +238	+66	·0010855	+2362 +233	+62	·0010041	3·3
3·4	·0023517	+4131 +279	+114	·0021877	+3919 +278	+107	·0020343	+3717 +272	+101	·0018910	+3528 +268	+94	·0017572	+3337 +262	+89	·0016322	3·4
3·5	·0036397	+5563 +293	+158	·0033991	+5303 +287	+147	·0031732	+5052 +284	+139	·0029613	+4809 +286	+132	·0027626	+4374 +285	+124	·0025763	3·5
3·6	·0054840	+7288 +278	+208	·0051408	+6974 +286	+198	·0048173	+6671 +290	+188	·0045125	+6380 +285	+178	·0042256	+6096 +288	+169	·0039555	3·6
3·7	·0080571	+9281 +250	+270	·0075799	+8931 +258	+258	·0071285	+8580 +253	+248	·0067017	+8236 +266	+234	·0062982	+7904 +269	+222	·0059170	3·7
3·8	·0115593	+11544 +191	+342	·0109121	+11141 +202	+327	·0102977	+10744 +218	+313	·0097145	+10358 +225	+299	·0091612	+9981 +230	+286	·0086365	3·8
3·9	·0162159	+13988 +115	+421	·0153584	+13553 +131	+405	·0145413	+13128 +141	+388	·0137631	+12705 +163	+378	·0130223	+12288 +173	+358	·0123172	3·9
4·0	·0222713	+16547 +11	+507	·0211600	+16096 +30	+489	·0200975	+15649 +48	+471	·0190822	+15205 +67	+454	·0181122	+14768 +77	+437	·0171860	4·0
4·1	·0299814	+19117 −104	+595	·0285712	+18669 −85	+576	·0272186	+16220 −62	+558	·0259218	+17772 −41	+539	·0246789	+17325 −18	+521	·0234881	4·1
4·2	·0396032	+21583 −232	+683	·0378493	+21157 −205	+864	·0361617	+20729 −185	+645	·0345386	+20298 −165	+626	·0329781	+19864 −144	+808	·0314784	4·2
4·3	·0513833	+23817 −355	+766	·0492431	+23440 −338	+748	·0471777	+23063 −314	+729	·0451852	+22659 −290	+710	·0432637	+22259 −268	+892	·0414114	4·3
4·4	·0655451	+25696 −481	+641	·0629809	+25385 −455	+823	·0604990	+25063 −434	+806	·0580977	+24730 −414	+768	·0557752	+24386 −391	+770	·0535297	4·4
4·5	·0822765	+27094 −575	+903	·0792572	+26875 −568	+887	·0763266	+26639 −543	+872	·0734832	+26387 −525	+655	·0707253	+26122 −508	+839	·0680514	4·5
4·6	·1017173	+27917 −660	+948	·0982210	+27802 −643	+935	·0948181	+27870 −832	+922	·0915074	+27519 −617	+908	·0882876	+27350 −608	+894	·0851572	4·6
4·7	·1239498	+28080 −707	+974	·1199650	+28086 −702	+964	·1160766	+28069 −890	+954	·1122835	+28034 −686	+944	·1085849	+27975 −670	+933	·1049795	4·7
4·8	·1489903	+27538 −721	+977	·1445176	+27868 −719	+972	·1401420	+27778 −719	+965	·1358630	+27863 −710	+958	·1316797	+27930 −712	+951	·1275916	4·8
4·9	·1767844	+26271 −701	+958	·1718370	+26531 −707	+958	·1669852	+26768 −712	+954	·1622288	+26982 −718	+951	·1575675	+27173 −717	+947	·1530010	4·9
5·0	·2072056	+24305 −648	+915	·2018095	+24687 −659	+918	·1965052	+25046 −687	+920	·1912928	+25385 −681	+921	·1861726	+25699 −685	+922	·1811445	5·0
5·1	·2400573	+21691 −566	+851	·2342507	+22184 −583	+857	·2285298	+22657 −600	+863	·2228953	+23107 −607	+869	·2173476	+23540 −627	+873	·2118872	5·1
5·2	·2750781	+18511 −459	+766	·2689103	+19098 −477	+777	·2628201	+19668 −495	+786	·2568085	+20222 −520	+796	·2508766	+20754 −530	+804	·2450250	5·2
5·3	·3119500	+14872 −831	+864	·3054797	+15535 −357	+878	·2990772	+18184 −381	+691	·2927439	+16817 −399	+704	·2864810	+17438 −429	+716	·2802898	5·3
5·4	·3503091	+10902 −199	+550	·3436026	+11815 −221	+568	·3369527	+12319 −246	+582	·3303610	+13013 −272	+596	·3238292	+13693 −288	+613	·3173586	5·4
5·5	·3897584	+6783 −62	+428	·3828870	+7474 −88	+444	·3760601	+8208 −110	+463	·3692794	+8937 −133	+481	·3625467	+9660 −163	+498	·3558639	5·5
5·6	·4298810	+2502 +72	+297	·4229188	+3245 +49	+317	·4159883	+3987 +25	+337	·4090915	+4726 +4	+358	·4022302	+5464 −20	+373	·3954065	5·6
5·7	·4702538	−1657 +189	+168	·4632751	−935 +171	+188	·4563152	−209 +149	+209	·4493762	+519 +130	+229	·4424601	+1248 +103	+249	·4355690	5·7
5·8	·5104609	−5627 +302	+42	·5035379	−4944 +280	+62	·4966212	−4268 +261	+83	·4897128	−3562 +238	+103	·4828148	−2865 +227	+124	·4759291	5·8
5·9	·5501053	−9295 +378	−77	·5433063	−8873 +387	−57	·5365016	−8042 +356	−37	·5296932	−7401 +340	−17	·5228830	−6751 +322	+3	·5160731	5·9
6·0	·5888202	−12584 +447	−166	·5822074	−12033 +438	−167	·5755778	−11472 +423	−148	·5689335	−10900 +414	−130	·5622761	−10315 +401	−110	·5556078	6·0
6·1	·6262767	−15426 +486	−282	·6199050	−14959 +480	−263	·6135068	−14479 +476	−243	·6070838	−13985 +469	−231	·6006377	−13478 +461	−213	·5941703	6·1
6·2	·6621906	−17782 +510	−363	·6561067	−17403 +506	−349	·6499879	−17010 +603	−334	·6438356	−16801 +496	−319	·6376515	−18130 +495	−303	·6314371	6·2
6·3	·6963263	−19628 +502	−432	·6905681	−19341 +507	−419	·6847680	−19038 +507	−408	·6789273	−18721 +511	−393	·6730473	−18387 +506	−379	·6671294	6·3
6·4	·7284992	−20972 +492	−484	·7230954	−20772 +491	−474	·7176443	−20559 +497	−463	·7121469	−20330 +498	−452	·7066044	−20088 +506	−440	·7010178	6·4
6·5	·7585749	−21824 +452	−521	·7535455	−21712 +466	−518	·7484647	−21583 +489	−505	·7433335	−21441 +476	−496	·7381527	−21284 +480	−487	·7329232	6·5
6·6	·7864682	−22224 +417	−544	·7818244	−22188 +418	−539	·7771268	−22188 +430	−532	·7723760	−22078 +438	−526	·7675726	−22000 +444	−519	·7627174	6·6
6·7	·8121391	−22207 +357	−554	·8078847	−22242 +371	−551	·8035751	−22263 +377	−347	·7992109	−22273 +386	−542	·7947925	−22272 +398	−537	·7903204	6·7
6·8	·8355893	−21833 +308	−553	·8317208	−21927 +318	−551	·8277971	−22011 +330	−549	·8238185	−22084 +340	−547	·8197852	−22148 +348	−544	·8156976	6·8
6·9	·8568562	−21151 +247	−542	·8533642	−21294 +256	−542	·8498180	−21429 +267	−541	·8462177	−21555 +276	−540	·8425633	−21672 +288	−539	·8388550	6·9
7·0	·8760080	−20222 +192	−523	·8728782	−20405 +204	−524	·8696960	−20580 +211	−525	·8664614	−20750 +225	−526	·8631742	−20912 +235	−528	·8598344	7·0
7·1	·8931376	−19101 +140	−497	·8903517	−19312 +147	−499	·8875160	−19520 +159	−501	·8846301	−19720 +163	−503	·8816939	−19917 +175	−505	·8787072	7·1
7·2	·9083571	−17840 +87	−466	·9058940	−18072 +96	−470	·9033840	−18301 +108	−473	·9008268	−18527 +118	−475	·8982219	−18747 +124	−478	·8955693	7·2
7·3	·9217926	−16492 +48	−433	·9196291	−16736 +55	−436	·9174219	−16977 +61	−440	·9151708	−17216 +66	−444	·9128752	−17453 +76	−447	·9105350	7·3
7·4	·9335789	−15096 +5	−397	·9316906	−15345 +13	−401	·9297621	−15592 +19	−405	·9277932	−15839 +28	−409	·9257832	−16093 +32	−413	·9237320	7·4
7·5	·9438556	−13695 −21	−360	·9422176	−13941 −18	−365	·9405431	−14188 −11	−369	·9388317	−14434 −7	−374	·9370829	−14681 +1	−378	·9352963	7·5

	p = 34·0		p = 34·2			p = 34·4			p = 34·6			p = 34·8			p = 35·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
1·8																		1·8
1·9			·0000000			·0000000			·0000000			·0000000			·0000000			1·9
2·0	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		2·0
2·1	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		2·1
2·2	+4 +2		·0000003	+3 +3		·0000003	+2 +3		·0000002	+3 +2		·0000002	+2 +2		·0000002	+2 +2		2·2
2·3	+8 +5		·0000008	+7 +5		·0000007	+7 +6		·0000006	+6 +4		·0000005	+6 +3		·0000005	+4 +4		2·3
2·4	+17 +10		·0000020	+16 +8		·0000018	+14 +6		·0000016	+12 +6		·0000014	+11 +6		·0000012	+11 +6		2·4
2·5	+37 +16		·0000048	+33 +14		·0000043	+29 +14		·0000038	+27 +13		·0000034	+23 +12		·0000030	+21 +10		2·5
2·6	+70 +25		·0000109	+64 +24		·0000097	+59 +22		·0000087	+52 +22		·0000077	+49 +18		·0000069	+44 +16		2·6
2·7	+131 +40		·0000234	+119 +38		·0000210	+108 +36		·0000188	+100 +34		·0000169	+90 +31		·0000152	+81 +29		2·7
2·8	+231 +62	+5	·0000478	+212 +58	+5	·0000431	+196 +50	+4	·0000389	+179 +50	+4	·0000351	+164 +48	+4	·0000316	+152 +45		2·8
2·9	+392 +85	+9	·0000934	+363 +78	+8	·0000848	+333 +78	+8	·0000769	+306 +74	+7	·0000697	+284 +69	+6	·0000632	+261 +65	+6	2·9
3·0	+639 +118	+15	·0001753	+592 +116	+14	·0001598	+551 +105	+13	·0001457	+511 +99	+12	·0001327	+474 +94	+11	·0001209	+439 +90	+10	3·0
3·1	+1004 +150	+25	·0003164	+937 +143	+23	·0002899	+874 +137	+21	·0002656	+813 +136	+20	·0002431	+758 +129	+18	·0002225	+706 +122	+17	3·1
3·2	+1519 +193	+38	·0005512	+1425 +185	+36	·0005074	+1334 +182	+33	·0004668	+1251 +170	+31	·0004293	+1171 +164	+28	·0003947	+1095 +161	+27	3·2
3·3	+2227 +225	+58	·0009285	+2098 +219	+54	·0008583	+1976 +210	+50	·0007931	+1859 +207	+47	·0007326	+1748 +202	+44	·0006764	+1645 +191	+41	3·3
3·4	+3160 +258	+83	·0015156	+2990 +254	+78	·0014068	+2826 +250	+73	·0013053	+2674 +243	+69	·0012107	+2527 +236	+64	·0011226	+2386 +232	+60	3·4
3·5	+4351 +281	+117	·0024017	+4136 +276	+110	·0022381	+3930 +271	+104	·0020849	+3732 +267	+98	·0019415	+3542 +263	+92	·0018074	+3359 +261	+87	3·5
3·6	+5823 +285	+160	·0037014	+5558 +288	+151	·0034624	+5303 +286	+143	·0032377	+5057 +286	+135	·0030265	+4820 +284	+128	·0028281	+4593 +278	+121	3·6
3·7	+7580 +276	+212	·0055569	+7266 +271	+201	·0052170	+6962 +279	+191	·0048962	+6667 +280	+182	·0045935	+6382 +278	+172	·0043081	+6105 +280	+164	3·7
3·8	+9612 +237	+273	·0081392	+9249 +253	+261	·0076678	+8900 +251	+249	·0072214	+8557 +257	+237	·0067987	+8222 +266	+226	·0063986	+7897 +271	+216	3·8
3·9	+11881 +183	+343	·0116464	+11483 +186	+329	·0110086	+11089 +202	+315	·0104023	+10704 +212	+302	·0098261	+10328 +219	+289	·0092788	+9960 +226	+276	3·9
4·0	+14333 +97	+421	·0163019	+13903 +117	+405	·0154583	+13480 +130	+389	·0146536	+13063 +144	+374	·0138863	+12653 +154	+359	·0131550	+12249 +166	+345	4·0
4·1	+16882 −4	+504	·0223477	+16440 +14	+486	·0212560	+16001 +31	+470	·0202112	+15566 +46	+453	·0192118	+15132 +70	+437	·0182561	+14704 +96	+421	4·1
4·2	+19427 −119	+589	·0300375	+18991 −100	+571	·0286538	+18553 −77	+553	·0273254	+18115 −54	+536	·0260505	+17681 −43	+519	·0248276	+17245 −22	+502	4·2
4·3	+21853 −245	+673	·0396264	+21442 −222	+655	·0379069	+21028 −203	+637	·0362511	+20610 −183	+619	·0346573	+20187 −156	+602	·0331236	+19764 −137	+584	4·3
4·4	+24034 −374	+752	·0513595	+23671 −350	+735	·0492628	+23300 −327	+717	·0472378	+22922 −305	+700	·0452828	+22537 −284	+682	·0433960	+22146 −261	+665	4·4
4·5	+25841 −483	+823	·0654597	+25550 −468	+807	·0629487	+25245 −446	+790	·0605167	+24929 −426	+773	·0581620	+24603 −406	+757	·0558830	+24267 −388	+740	4·5
4·6	+27165 −591	+880	·0821149	+26961 −569	+866	·0791591	+26744 −556	+851	·0762885	+26510 −536	+836	·0735015	+26263 −520	+821	·0707967	+26000 −496	+806	4·6
4·7	+27898 −658	+921	·1014662	+27803 −651	+910	·0980439	+27685 −630	+898	·0947113	+27555 −625	+885	·0914673	+27403 −607	+872	·0883104	+27237 −597	+859	4·7
4·8	+27973 −707	+943	·1235978	+27994 −697	+934	·1196974	+27996 −696	+926	·1158896	+27975 −680	+916	·1121734	+27936 −673	+906	·1085478	+27877 −662	+896	4·8
4·9	+27341 −717	+945	·1485288	+27488 −720	+939	·1441505	+27611 −715	+933	·1398654	+27715 −718	+927	·1356731	+27796 −715	+921	·1315729	+27855 −709	+914	4·9
5·0	+25992 −692	+921	·1762086	+26262 −696	+920	·1713647	+26511 −703	+919	·1666127	+26737 −704	+917	·1619524	+26941 −705	+914	·1573835	+27124 −708	+911	5·0
5·1	+23951 −640	+877	·2065146	+24340 −650	+880	·2012300	+24708 −660	+883	·1960337	+25055 −671	+885	·1909258	+25381 −680	+886	·1859065	+25685 −686	+886	5·1
5·2	+21270 −549	+812	·2392546	+21768 −570	+819	·2335661	+22245 −584	+826	·2279602	+22702 −596	+831	·2224373	+23141 −612	+833	·2169980	+23560 −628	+840	5·2
5·3	+18040 −445	+728	·2741714	+18626 −460	+738	·2681267	+19198 −482	+748	·2621569	+19753 −504	+757	·2562629	+20289 −520	+766	·2504455	+20807 −533	+774	5·3
5·4	+14365 −317	+627	·3109508	+15024 −343	+641	·3046071	+15669 −365	+654	·2983289	+16300 −385	+667	·2921174	+16917 −405	+679	·2859737	+17521 −429	+690	5·4
5·5	+10373 −182	+516	·3492326	+11079 −207	+531	·3426544	+11775 −228	+547	·3361309	+12462 −251	+562	·3296636	+13140 −278	+577	·3232540	+13806 −300	+591	5·5
5·6	+6199 −49	+394	·3886223	+6927 −68	+412	·3818792	+7653 −97	+430	·3751791	+8373 −122	+447	·3685238	+9085 −142	+464	·3619149	+9791 −166	+481	5·6
5·7	+1976 +86	+269	·4287047	+2707 +59	+288	·4218693	+3434 +43	+307	·4150646	+4162 +16	+326	·4082925	+4888 −8	+345	·4015549	+5610 −29	+363	5·7
5·8	−2161 +205	+144	·4690578	−1454 +185	+164	·4622028	−742 +159	+184	·4553663	−31 +142	+203	·4485500	+683 +124	+222	·4417559	+1400 +98	+241	5·8
5·9	−6093 +303	+23	·5092655	−5430 +291	+42	·5024621	−4759 +274	+62	·4956649	−4082 +256	+82	·4888758	−3398 +231	+101	·4820969	−2712 +216	+120	5·9
6·0	−9722 +394	−91	·5489302	−9115 +373	−78	·5422455	−8502 +362	−53	·5355553	−7877 +343	−34	·5288618	−7248 +338	−16	·5221667	−6608 +320	+4	6·0
6·1	−12957 +447	−196	·5876834	−12427 +445	−178	·5811787	−11883 +433	−160	·5746580	−11329 +427	−142	·5681230	−10760 +405	−124	·5615757	−10184 +396	−106	6·1
6·2	−15745 +494	−287	·6251939	−15294 +483	−271	·6189236	−14831 +478	−255	·6126278	−14354 +468	−238	·6063082	−13867 +468	−222	·5999663	−13364 +455	−205	6·2
6·3	−18039 +503	−365	·6611750	−17678 +505	−351	·6551854	−17301 +502	−337	·6491622	−16911 +501	−322	·6431067	−16506 +495	−308	·6370205	−16089 +496	−293	6·3
6·4	−19830 +509	−429	·6953883	−19557 +510	−417	·6897171	−19269 +510	−405	·6840055	−18967 +510	−392	·6782546	−18650 +510	−379	·6724658	−18318 +505	−367	6·4
6·5	−21112 +482	−478	·7276459	−20926 +485	−468	·7223219	−20727 +492	−458	·7169521	−20513 +497	−448	·7115375	−20284 +499	−437	·7060793	−20042 +505	−426	6·5
6·6	−21912 +454	−512	·7578109	−21810 +463	−504	·7528540	−21693 +467	−496	·7478474	−21562 +470	−489	·7427920	−21419 +479	−480	·7376886	−21261 +482	−472	6·6
6·7	−22258 +406	−533	·7857949	−22231 +414	−527	·7812168	−22192 +422	−522	·7765865	−22141 +434	−516	·7719046	−22075 +437	−509	·7671718	−21998 +447	−503	6·7
6·8	−22198 +358	−541	·8115558	−22238 +365	−538	·8073604	−22269 +378	−534	·8031115	−22286 +382	−530	·7988097	−22294 +395	−526	·7944552	−22288 +402	−521	6·8
6·9	−21780 +296	−538	·8350929	−21880 +310	−537	·8312771	−21968 +316	−535	·8274079	−22049 +332	−533	·8234854	−22118 +340	−530	·8195098	−22176 +347	−527	6·9
7·0	−21066 +245	−526	·8564420	−21212 +252	−526	·8529970	−21351 +265	−526	·8494994	−21480 +269	−525	·8459493	−21602 +279	−524	·8423468	−21717 +294	−524	7·0
7·1	−20107 +184	−506	·8756699	−20292 +197	−508	·8725818	−20469 +203	−509	·8694429	−20642 +218	−509	·8662530	−20807 +230	−510	·8630121	−20964 +237	−510	7·1
7·2	−18964 +134	−481	·8928686	−19175 +139	−483	·8901197	−19384 +153	−485	·8873222	−19586 +161	−487	·8844760	−19782 +166	−489	·8815810	−19974 +176	−490	7·2
7·3	−17687 +83	−450	·9081498	−17919 +95	−453	·9057192	−18146 +100	−456	·9032429	−18369 +105	−459	·9007208	−18591 +118	−462	·8981525	−18808 +128	−464	7·3
7·4	−16327 +41	−417	·9216391	−16568 +45	−421	·9195041	−16808 +54	−424	·9173267	−17047 +66	−428	·9151065	−17282 +73	−431	·9128432	−17514 +76	−434	7·4
7·5	−14926 +5	−382	·9334716	−15172 +18	−386	·9316082	−15416 +18	−390	·9297058	−15659 +22	−394	·9277640	−15900 +24	−398	·9257825	−16142 +34	−401	7·5

	$p=33·0$			$p=33·2$			$p=33·4$			$p=33·6$			$p=33·8$			$p=34·0$	
u	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	u
7·5	·9438556	−13695 −21	−350	·9422176	−13941 −18	−355	·9405431	−14188 −11	−359	·9388317	−14434 −7	−374	·9370829	−14681 +1	−378	·9352963	7·5
7·6	·9527628	−12315 −48	−324	·9513505	−12555 −44	−329	·9499053	−12795 −42	−333	·9484268	−13036 −38	−338	·9469145	−13278 −34	−342	·9453680	7·6
7·7	·9604385	−10984 −72	−289	·9592279	−11213 −66	−293	·9579880	−11444 −61	−298	·9567183	−11676 −57	−302	·9554183	−11909 −54	−307	·9540876	7·7
7·8	·9670158	−9722 −82	−256	·9659840	−9936 −78	−260	·9649263	−10154 −77	−264	·9638422	−10373 −75	−268	·9627312	−10594 −73	−273	·9615930	7·8
7·9	·9726209	−8539 −81	−224	·9717465	−8740 −90	−228	·9708492	−8940 −88	−232	·9699288	−9145 −88	−236	·9689847	−9352 −84	−240	·9680166	7·9
8·0	·9773721	−7448 −95	−193	·9766350	−7631 −95	−199	·9758781	−7818 −95	−202	·9751009	−8005 −93	−206	·9743030	−8194 −94	−210	·9734842	8·0
8·1	·9813785	−6453 −96	−168	·9807604	−6617 −96	−172	·9801252	−6785 −96	−175	·9794725	−6956 −95	−179	·9788019	−7130 −96	−182	·9781131	8·1
8·2	·9847396	−5552 −95	−144	·9842241	−5702 −96	−147	·9836938	−5852 −96	−151	·9831485	−6006 −97	−154	·9825878	−6162 −98	−157	·9820114	8·2
8·3	·9875455	−4750 −93	−123	·9871176	−4880 −93	−126	·9866772	−5014 −95	−129	·9862239	−5150 −95	−132	·9857575	−5289 −96	−134	·9852777	8·3
8·4	·9898764	−4035 −87	−104	·9895231	−4152 −88	−106	·9891592	−4272 −89	−109	·9887843	−4392 −89	−111	·9883983	−4515 −90	−114	·9880008	8·4
8·5	·9918038	−3412 −80	−87	·9915134	−3512 −81	−90	·9912140	−3614 −82	−92	·9909055	−3720 −83	−94	·9905876	−3828 −84	−96	·9902600	8·5
8·6	·9933900	−2866 −73	−73	·9931525	−2954 −74	−75	·9929074	−3043 −76	−77	·9926547	−3134 −77	−79	·9923941	−3227 −79	−81	·9921254	8·6
8·7	·9946896	−2395 −67	−61	·9944962	−2470 −68	−62	·9942965	−2545 −69	−64	·9940905	−2625 −71	−66	·9938779	−2706 −72	−67	·9936586	8·7
8·8	·9957497	−1991 −60	−50	·9955929	−2054 −62	−52	·9954310	−2121 −62	−53	·9952638	−2188 −64	−54	·9950911	−2256 −64	−56	·9949129	8·8
8·9	·9966107	−1646 −53	−41	·9964842	−1701 −55	−42	·9963534	−1755 −56	−44	·9962183	−1812 −57	−45	·9960787	−1870 −57	−46	·9959346	8·9
9·0	·9973071	−1355 −47	−34	·9972054	−1400 −48	−35	·9971003	−1447 −49	−36	·9969916	−1495 −50	−37	·9968793	−1546 −51	−38	·9967631	9·0
9·1	·9978680	−1110 −40	−27	·9977866	−1147 −41	−28	·9977025	−1187 −42	−29	·9976154	−1226 −43	−30	·9975253	−1268 −45	−31	·9974322	9·1
9·2	·9983179	−908 −35	−22	·9982531	−936 −35	−23	·9981860	−968 −36	−23	·9981166	−1002 −37	−24	·9980447	−1037 −38	−25	·9979703	9·2
9·3	·9986775	−734 −29	−18	·9986260	−759 −30	−18	·9985727	−785 −31	−19	·9985176	−814 −31	−19	·9984604	−841 −33	−20	·9984013	9·3
9·4	·9989637	−593 −25	−14	·9989230	−614 −26	−15	·9988809	−637 −27	−15	·9988372	−658 −27	−16	·9987920	−683 −28	−16	·9987451	9·4
9·5	·9991906	−478 −21	−11	·9991586	−494 −22	−12	·9991254	−512 −22	−12	·9990910	−531 −23	−12	·9990553	−549 −24	−13	·9990184	9·5
9·6	·9993699	−382 −17	−9	·9993448	−396 −19	−9	·9993187	−410 −19	−10	·9992917	−425 −20	−10	·9992637	−441 −20	−10	·9992347	9·6
9·7	·9995110	−303 −15	−7	·9994914	−315 −15	−7	·9994710	−327 −16	−8	·9994499	−339 −17	−8	·9994280	−352 −17	−8	·9994052	9·7
9·8	·9996218	−243 −12	−6	·9996065	−252 −13	−6	·9995906	−261 −13	−6	·9995742	−272 −13	−6	·9995571	−281 −14	−6	·9995393	9·8
9·9	·9997083	−191 −10	−4	·9996964	−197 −11	−5	·9996841	−206 −11	−5	·9996713	−212 −10	−5	·9996581	−222 −11	−5	·9996443	9·9
10·0	·9997757	−150 −8		·9997666	−158 −9	−4	·9997570	−162 −9	−4	·9997472	−171 −9	−4	·9997369	−178 −9	−4	·9997262	10·0
10·1	·9998281	−119 −7		·9998210	−122 −7		·9998137	−129 −7		·9998060	−131 −7		·9997981	−137 −8		·9997899	10·1
10·2	·9998686	−93 −5		·9998632	−97 −5		·9998575	−99 −6		·9998517	−103 −6		·9998456	−109 −6		·9998393	10·2
10·3	·9998998	−71 −4		·9998957	−75 −4		·9998914	−79 −4		·9998869	−81 −5		·9998822	−83 −5		·9998774	10·3
10·4	·9999239	−57		·9999207	−58 −4		·9999174	−60 −4		·9999140	−63 −4		·9999105	−67 −4		·9999068	10·4
10·5	·9999423	−43		·9999399	−45		·9999374	−47		·9999348	−49		·9999321	−50		·9999293	10·5
10·6	·9999564	−34		·9999546	−35		·9999527	−37		·9999507	−38		·9999487	−40		·9999465	10·6
10·7	·9999671	−26		·9999658	−27		·9999643	−27		·9999628	−28		·9999613	−30		·9999597	10·7
10·8	·9999753	−20		·9999743	−21		·9999732	−22		·9999721	−24		·9999709	−25		·9999697	10·8
10·9	·9999815	−15		·9999807	−15		·9999799	−16		·9999790	−16		·9999782	−18		·9999772	10·9
11·0	·9999862	−12		·9999856	−13		·9999850	−13		·9999843	−13		·9999837	−14		·9999830	11·0
11·1	·9999897	−9		·9999892	−10		·9999888	−10		·9999883	−10		·9999878	−11		·9999873	11·1
11·2	·9999923	−6		·9999920	−8		·9999917	−8		·9999913	−8		·9999910	−9		·9999906	11·2
11·3	·9999943	−5		·9999940	−6		·9999938	−6		·9999935	−6		·9999933	−7		·9999930	11·3
11·4	·9999958	−4		·9999956	−5		·9999954	−5		·9999952	−5		·9999950	−5		·9999948	11·4
11·5	·9999969			·9999967	−4		·9999966	−4		·9999965	−4		·9999963	−4		·9999962	11·5
11·6	·9999977			·9999976			·9999975			·9999974			·9999973			·9999972	11·6
11·7	·9999983			·9999982			·9999982			·9999981			·9999980			·9999979	11·7
11·8	·9999988			·9999987			·9999987			·9999986			·9999986			·9999985	11·8
11·9	·9999991			·9999990			·9999990			·9999990			·9999989			·9999989	11·9
12·0	·9999993			·9999993			·9999993			·9999993			·9999992			·9999992	12·0
12·1	·9999995			·9999995			·9999995			·9999995			·9999994			·9999994	12·1
12·2	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	12·2
12·3	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	12·3
12·4	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·4
12·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·5
12·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·6
12·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·7
12·8	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	12·8
12·9																	12·9

u	p = 34·0		p = 34·2			p = 34·4			p = 34·6			p = 34·8			p = 35·0			u
	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	
7·5	−14926 +5	−362	·9334716	−15172 +13	−380	·9316082	−15416 +18	−390	·9297058	−15659 +22	−394	·9277640	−15900 +24	−398	·9257825	−16142 +34	−401	7·5
7·6	−13521 −26	−346	·9437869	−13763 −25	−351	·9421707	−14006 −19	−355	·9405190	−14249 −14	−359	·9388315	−14494 −1	−363	·9371076	−14736 +2	−367	7·6
7·7	−12142 −54	−311	·9527259	−12379 −46	−316	·9513326	−12615 −44	−320	·9499073	−12853 −37	−324	·9484496	−13089 −40	−328	·9469591	−13328 −34	−333	7·7
7·8	−10818 −69	−277	·9604270	−11041 −67	−281	·9592330	−11268 −62	−286	·9580103	−11494 −63	−290	·9567588	−11724 −56	−294	·9554778	−11954 −62	−298	7·8
7·9	−9560 −82	−244	·9670240	−9770 −85	−249	·9660066	−9983 −81	−253	·9649639	−10196 −77	−257	·9638956	−10415 −75	−261	·9628011	−10633 −72	−265	7·9
8·0	−8367 −92	−214	·9726440	−8574 −91	−218	·9717819	−8779 −90	−222	·9708977	−8980 −89	−226	·9699909	−9181 −88	−230	·9690611	−9384 −86	−234	8·0
8·1	−7306 −96	−186	·9774056	−7482 −95	−190	·9766793	−7666 −94	−193	·9759335	−7847 −94	−197	·9751681	−8032 −94	−201	·9743827	−8221 −93	−204	8·1
8·2	−6320 −98	−160	·9814190	−6483 −97	−164	·9808101	−6644 −96	−167	·9801846	−6811 −96	−170	·9795421	−6981 −96	−174	·9788822	−7152 −96	−177	8·2
8·3	−5432 −96	−137	·9847841	−5575 −96	−140	·9842765	−5723 −96	−143	·9837546	−5873 −97	−146	·9832180	−6023 −98	−149	·9826665	−6178 −98	−153	8·3
8·4	−4639 −91	−117	·9875917	−4767 −92	−119	·9871706	−4897 −93	−122	·9867373	−5029 −95	−125	·9862916	−5165 −96	−128	·9858330	−5301 −97	−130	8·4
8·5	−3938 −86	−99	·9899226	−4050 −87	−101	·9895750	−4164 −89	−103	·9892171	−4280 −90	−106	·9888487	−4400 −91	−108	·9884694	−4522 −92	−111	8·5
8·6	−3322 −80	−83	·9918485	−3421 −81	−85	·9915630	−3520 −82	−87	·9912689	−3624 −83	−89	·9909658	−3727 −84	−91	·9906536	−3833 −85	−93	8·6
8·7	−2789 −74	−69	·9934323	−2872 −75	−71	·9931990	−2960 −76	−73	·9929583	−3046 −77	−75	·9927102	−3136 −78	−77	·9924545	−3229 −79	−78	8·7
8·8	−2326 −65	−57	·9947289	−2399 −67	−59	·9945390	−2472 −69	−60	·9943431	−2548 −70	−62	·9941410	−2627 −72	−64	·9939325	−2705 −73	−65	8·8
8·9	−1932 −58	−47	·9957856	−1992 −60	−49	·9956318	−2055 −61	−50	·9954731	−2121 −62	−51	·9953091	−2186 −63	−53	·9951400	−2255 −65	−54	8·9
9·0	−1594 −52	−39	·9966431	−1647 −53	−40	·9965191	−1701 −54	−41	·9963910	−1755 −56	−42	·9962586	−1810 −58	−43	·9961220	−1869 −59	−44	9·0
9·1	−1310 −46	−32	·9973359	−1353 −47	−33	·9972363	−1397 −48	−34	·9971334	−1444 −49	−35	·9970271	−1493 −51	−36	·9969171	−1539 −52	−36	9·1
9·2	−1071 −39	−26	·9978934	−1108 −40	−26	·9978138	−1146 −42	−27	·9977314	−1183 −43	−28	·9976463	−1222 −44	−29	·9975583	−1264 −45	−30	9·2
9·3	−872 −34	−21	·9983401	−902 −34	−21	·9982767	−932 −35	−22	·9982111	−965 −36	−23	·9981433	−998 −37	−23	·9980731	−1031 −38	−24	9·3
9·4	−705 −29	−17	·9986966	−730 −30	−17	·9986464	−757 −30	−18	·9985943	−782 −31	−18	·9985405	−810 −32	−19	·9984848	−839 −33	−19	9·4
9·5	−570 −24	−13	·9989801	−591 −25	−14	·9989404	−611 −26	−14	·9988993	−633 −27	−15	·9988567	−654 −28	−16	·9988126	−676 −29	−16	9·5
9·6	−458 −21	−10	·9992045	−472 −22	−11	·9991733	−490 −23	−11	·9991410	−508 −23	−12	·9991075	−527 −24	−12	·9990728	−547 −25	−12	9·6
9·7	−364 −18	−8	·9993817	−380 −18	−9	·9993572	−393 −19	−9	·9993319	−408 −19	−9	·9993056	−422 −20	−10	·9992783	−436 −21	−10	9·7
9·8	−291 −14	−7	·9995209	−301 −15	−7	·9995018	−313 −15	−7	·9994820	−324 −16	−7	·9994615	−337 −17	−8	·9994402	−349 −18	−8	9·8
9·9	−231 −11	−5	·9996300	−240 −12	−5	·9996151	−248 −12	−6	·9995997	−257 −13	−6	·9995837	−266 −14	−6	·9995672	−278 −15	−6	9·9
10·0	−182 −10	−4	·9997151	−189 −10	−4	·9997036	−196 −10	−4	·9996917	−206 −10	−5	·9996793	−213 −11	−5	·9996664	−219 −11	−5	10·0
10·1	−143 −8		·9997813	−148 −8		·9997725	−156 −8		·9997632	−160 −8	−4	·9997536	−165 −9	−4	·9997437	−173 −9	−4	10·1
10·2	−113 −7		·9998327	−118 −7		·9998258	−120 −7		·9998187	−126 −7		·9998114	−132 −7		·9998037	−136 −8		10·2
10·3	−87 −6		·9998723	−90 −6		·9998671	−95 −6		·9998616	−98 −6		·9998560	−102 −6		·9998501	−106 −7		10·3
10·4	−69 −4		·9999029	−72 −4		·9998989	−74 −4		·9998947	−77 −5		·9998904	−80 −5		·9998859	−83 −5		10·4
10·5	−53		·9999263	−54 −4		·9999233	−57 −4		·9999201	−59 −4		·9999168	−62 −4		·9999134	−65 −4		10·5
10·6	−40		·9999443	−43		·9999420	−45		·9999396	−47		·9999370	−47		·9999344	−49		10·6
10·7	−32		·9999580	−33		·9999562	−33		·9999544	−36		·9999525	−38		·9999505	−39		10·7
10·8	−25		·9999684	−26		·9999671	−27		·9999657	−28		·9999642	−27		·9999628	−31		10·8
10·9	−17		·9999763	−19		·9999753	−20		·9999742	−20		·9999732	−23		·9999720	−24		10·9
11·0	−15		·9999823	−15		·9999815	−15		·9999807	−16		·9999799	−16		·9999791	−18		11·0
11·1	−12		·9999868	−11		·9999862	−12		·9999856	−12		·9999850	−13		·9999844	−13		11·1
11·2	−9		·9999902	−9		·9999897	−9		·9999893	−9		·9999888	−9		·9999884	−10		11·2
11·3	−7		·9999927	−6		·9999924	−6		·9999921	−7		·9999917	−7		·9999914	−7		11·3
11·4	−5		·9999946	−5		·9999944	−6		·9999941	−5		·9999939	−6		·9999936	−5		11·4
11·5	−4		·9999960	−4		·9999958	−4		·9999956	−4		·9999955	−4		·9999953	−4		11·5
11·6			·9999971			·9999969			·9999968			·9999967			·9999965			11·6
11·7			·9999978			·9999978			·9999977			·9999975			·9999974			11·7
11·8			·9999984			·9999984			·9999983			·9999982			·9999981			11·8
11·9			·9999989			·9999988			·9999987			·9999987			·9999986			11·9
12·0			·9999992			·9999991			·9999991			·9999990			·9999990			12·0
12·1			·9999994			·9999994			·9999993			·9999993			·9999993			12·1
12·2			·9999996			·9999995			·9999995			·9999995			·9999995			12·2
12·3			·9999997			·9999997			·9999997			·9999996			·9999996			12·3
12·4			·9999998			·9999998			·9999997			·9999997			·9999997			12·4
12·5			·9999999			·9999998			·9999998			·9999998			·9999998			12·5
12·6			·9999999			·9999999			·9999999			·9999999			·9999998			12·6
12·7			·9999999			·9999999			·9999999			·9999999			·9999999			12·7
12·8			1·0000000			1·0000000			1·0000000			1·0000000			·9999999			12·8
12·9															1·0000000			12·9

	$p = 35{\cdot}0$			$p = 35{\cdot}2$			$p = 35{\cdot}4$			$p = 35{\cdot}6$			$p = 35{\cdot}8$			$p = 36{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
1·9	·0000000																1·9
2·0	·0000000	0 0		·0000000			·0000000			·0000000			·0000000			·0000000	2·0
2·1	·0000001	+1 +1		·0000000	+1 +1		·0000000	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	2·1
2·2	·0000002	+2 +2		·0000001	+2 +1		·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	2·2
2·3	·0000005	+4 +4		·0000004	+4 +2		·0000004	+3 +3		·0000003	+3 +3		·0000003	+2 +2		·0000002	2·3
2·4	·0000012	+11 +6		·0000011	+8 +5		·0000009	+8 +6		·0000008	+8 +5		·0000007	+7 +4		·0000006	2·4
2·5	·0000030	+21 +10		·0000026	+20 +9		·0000023	+18 +10		·0000021	+15 +10		·0000018	+14 +7		·0000016	2·5
2·6	·0000069	+44 +16		·0000061	+40 +17		·0000055	+35 +17		·0000049	+32 +17		·0000043	+30 +13		·0000039	2·6
2·7	·0000152	+81 +29		·0000136	+74 +27		·0000122	+68 +28		·0000109	+62 +24		·0000098	+55 +21		·0000087	2·7
2·8	·0000316	+152 +45		·0000285	+138 +40		·0000257	+126 +39		·0000231	+116 +34		·0000208	+107 +34		·0000187	2·8
2·9	·0000632	+261 +65	+6	·0000572	+242 +60	+5	·0000518	+223 +56	+5	·0000469	+204 +57	+4	·0000425	+187 +50	+4	·0000384	2·9
3·0	·0001209	+439 +90	+10	·0001101	+406 +88	+9	·0001002	+375 +85	+9	·0000911	+349 +73	+8	·0000829	+322 +73	+7	·0000754	3·0
3·1	·0002225	+706 +122	+17	·0002036	+656 +120	+16	·0001861	+612 +109	+14	·0001702	+567 +111	+13	·0001555	+528 +102	+12	·0001420	3·1
3·2	·0003947	+1095 +161	+27	·0003627	+1026 +148	+25	·0003332	+958 +147	+23	·0003060	+896 +136	+21	·0002809	+836 +134	+20	·0002578	3·2
3·3	·0006764	+1645 +191	+41	·0006244	+1544 +191	+38	·0005761	+1451 +181	+35	·0005314	+1361 +179	+33	·0004899	+1278 +170	+31	·0004516	3·3
3·4	·0011226	+2386 +232	+60	·0010405	+2253 +223	+57	·0009641	+2125 +220	+53	·0008929	+2005 +211	+50	·0008267	+1890 +206	+48	·0007652	3·4
3·5	·0018074	+3359 +261	+87	·0016819	+3185 +257	+82	·0015646	+3019 +249	+77	·0014549	+2860 +244	+72	·0013525	+2707 +240	+68	·0012568	3·5
3·6	·0028281	+4593 +278	+121	·0026418	+4374 +273	+114	·0024670	+4162 +273	+108	·0023029	+3959 +270	+102	·0021490	+3764 +266	+96	·0020047	3·6
3·7	·0043081	+6105 +280	+164	·0040391	+5836 +285	+155	·0037856	+5578 +282	+147	·0035468	+5328 +281	+140	·0033219	+5087 +280	+132	·0031103	3·7
3·8	·0063986	+7897 +271	+216	·0060200	+7583 +289	+205	·0056620	+7276 +273	+196	·0053235	+6978 +275	+186	·0050035	+6690 +275	+177	·0047013	3·8
3·9	·0092788	+9960 +226	+276	·0087592	+9599 +235	+264	·0082660	+9247 +242	+252	·0077980	+8903 +251	+241	·0073541	+8568 +256	+230	·0069333	3·9
4·0	·0131550	+12249 +186	+345	·0124583	+11850 +182	+331	·0117947	+11460 +191	+318	·0111628	+11079 +195	+305	·0105615	+10702 +209	+292	·0099895	4·0
4·1	·0182561	+14704 +96	+421	·0173424	+14283 +95	+406	·0164694	+13864 +113	+391	·0156355	+13450 +131	+376	·0148391	+13045 +157	+362	·0140790	4·1
4·2	·0248276	+17245 −22	+502	·0236548	+16811 0	+486	·0225305	+16381 +14	+469	·0214532	+15952 +32	+453	·0204212	+15525 +58	+438	·0194329	4·2
4·3	·0331236	+19764 −137	+584	·0316483	+19339 −117	+567	·0302297	+18912 −94	+550	·0288661	+18486 −78	+533	·0275558	+18061 −63	+517	·0262972	4·3
4·4	·0433960	+22146 −261	+665	·0415757	+21750 −241	+648	·0398201	+21349 −220	+630	·0381276	+20944 −198	+614	·0364965	+20534 −172	+597	·0349250	4·4
4·5	·0558830	+24267 −388	+740	·0536781	+23920 −364	+724	·0515454	+23566 −343	+707	·0494835	+23204 −323	+690	·0474906	+22835 −304	+674	·0455651	4·5
4·6	·0707967	+26000 −496	+806	·0681725	+25726 −479	+791	·0656273	+25440 −461	+775	·0631598	+25141 −440	+760	·0607682	+24832 −420	+744	·0584510	4·6
4·7	·0883104	+27237 −597	+859	·0852395	+27053 −580	+846	·0822532	+26853 −563	+832	·0793502	+26638 −543	+819	·0765290	+26409 −527	+806	·0737883	4·7
4·8	·1085478	+27877 −662	+898	·1050118	+27800 −654	+885	·1015644	+27703 −641	+874	·0982044	+27590 −632	+863	·0949307	+27459 −621	+851	·0917422	4·8
4·9	·1315729	+27855 −709	+914	·1275641	+27893 −700	+906	·1236459	+27912 −695	+898	·1198176	+27910 −686	+890	·1160783	+27888 −674	+881	·1124271	4·9
5·0	·1573835	+27124 −708	+911	·1529057	+27286 −712	+907	·1485186	+27426 −706	+903	·1442218	+27544 −708	+898	·1400147	+27643 −711	+892	·1358968	5·0
5·1	·1859065	+25685 −686	+888	·1809759	+25987 −690	+886	·1761339	+26228 −694	+885	·1713804	+26470 −705	+884	·1667154	+26687 −701	+882	·1621386	5·1
5·2	·2169980	+23560 −628	+840	·2116428	+23958 −640	+844	·2063720	+24336 −652	+847	·2011860	+24691 −654	+849	·1960848	+25030 −670	+851	·1910688	5·2
5·3	·2504455	+20807 −533	+774	·2447055	+21309 −551	+782	·2390437	+21792 −567	+789	·2334607	+22258 −587	+794	·2279572	+22703 −598	+800	·2225337	5·3
5·4	·2859737	+17521 −429	+690	·2798991	+18109 −449	+701	·2738946	+18681 −466	+711	·2679612	+19238 −485	+721	·2620999	+19778 −505	+729	·2563115	5·4
5·5	·3232540	+13806 −300	+591	·3169036	+14460 −321	+605	·3106136	+15104 −348	+618	·3043855	+15733 −367	+630	·2982204	+16350 −388	+643	·2921195	5·5
5·6	·3619149	+9791 −168	+481	·3553541	+10490 −191	+497	·3488430	+11179 −209	+512	·3423831	+11861 −234	+527	·3359759	+12534 −259	+542	·3296229	5·6
5·7	·4015549	+5610 −29	+363	·3948536	+6329 −52	+380	·3881903	+7045 −80	+398	·3815668	+7755 −102	+413	·3749848	+8459 −123	+431	·3684459	5·7
5·8	·4417559	+1400 +98	+241	·4349860	+2116 +76	+260	·4282421	+2831 +58	+279	·4215260	+3547 +30	+297	·4148396	+4261 +8	+315	·4081847	5·8
5·9	·4820969	−2712 +216	+120	·4753300	−2021 +193	+140	·4685770	−1325 +174	+158	·4618399	−629 +162	+177	·4551205	+71 +139	+196	·4484206	5·9
6·0	·5221667	−6608 +320	+4	·5154719	−5960 +301	+22	·5087794	−5307 +288	+41	·5020909	−4645 +264	+60	·4954085	−3980 +249	+78	·4887338	6·0
6·1	·5615757	−10184 +396	−106	·5550178	−9598 +385	−88	·5484511	−9001 +369	−70	·5418774	−8397 +360	−52	·5352985	−7782 +342	−34	·5287162	6·1
6·2	·5999663	−13364 +455	−205	·5936039	−12851 +448	−189	·5872227	−12326 +439	−172	·5808242	−11789 +428	−155	·5744103	−11242 +420	−138	·5679826	6·2
6·3	·6370205	−16089 +498	−298	·6309049	−15656 +488	−278	·6247617	−15212 +485	−262	·6185921	−14753 +476	−247	·6123979	−14282 +467	−231	·6061806	6·3
6·4	·6724658	−18318 +505	−367	·6666403	−17973 +505	−353	·6607795	−17613 +501	−340	·6548847	−17241 +502	−326	·6489573	−16855 +502	−312	·6429986	6·4
6·5	·7060793	−20042 +506	−426	·7005784	−19785 +508	−415	·6950360	−19513 +509	−404	·6894532	−19227 +510	−392	·6838312	−18926 +506	−380	·6781712	6·5
6·6	·7376886	−21261 +482	−472	·7325380	−21089 +488	−463	·7273412	−20904 +493	−453	·7220990	−20703 +492	−444	·7168125	−20491 +501	−434	·7114826	6·6
6·7	·7671718	−21998 +447	−503	·7623887	−21907 +454	−496	·7575560	−21802 +456	−489	·7526745	−21687 +469	−481	·7477447	−21555 +471	−474	·7427676	6·7
6·8	·7944552	−22288 +402	−521	·7900487	−22271 +409	−518	·7855906	−22244 +423	−511	·7810813	−22202 +428	−506	·7765214	−22148 +434	−500	·7719115	6·8
6·9	·8195098	−22176 +347	−527	·8154816	−22226 +360	−525	·8114008	−22263 +367	−522	·8072679	−22289 +375	−518	·8030833	−22307 +387	−514	·7988471	6·9
7·0	·8423468	−21717 +294	−524	·8386919	−21821 +305	−522	·8349847	−21915 +309	−521	·8312256	−22003 +325	−519	·8274145	−22079 +335	−517	·8235516	7·0
7·1	·8630121	−20964 +237	−510	·8597201	−21113 +243	−511	·8563771	−21258 +261	−511	·8529830	−21392 +266	−510	·8495378	−21518 +274	−510	·8460416	7·1
7·2	·8815810	−19974 +178	−490	·8786370	−20162 +181	−492	·8756437	−20340 +193	−493	·8726012	−20515 +206	−494	·8695093	−20683 +217	−495	·8663679	7·2
7·3	·8981525	−18808 +128	−464	·8955377	−19020 +136	−467	·8928763	−19229 +147	−469	·8901679	−19432 +155	−471	·8874125	−19631 +164	−473	·8846097	7·3
7·4	·9128432	−17514 +78	−434	·9105364	−17743 +83	−437	·9081860	−17971 +93	−440	·9057914	−18194 +99	−443	·9033526	−18415 +109	−446	·9008691	7·4
7·5	·9257825	−16142 +34	−401	·9237608	−16383 +47	−405	·9216986	−16620 +56	−409	·9195955	−16857 +61	−412	·9174512	−17090 +66	−416	·9152653	7·5

	p = 36·0		p = 36·2			p = 36·4			p = 36·6			p = 36·8			p = 37·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
1·9																		1·9
2·0			·0000000			·0000000			·0000000			·0000000			·0000000			2·0
2·1	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			2·1
2·2	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 0		·0000000	+1 0		·0000000	+1 0		2·2
2·3	+3 +2		·0000002	+3 +2		·0000002	+2 +2		·0000002	+2 +1		·0000001	+2 +1		·0000001	+1 +1		2·3
2·4	+5 +4		·0000006	+4 +3		·0000005	+5 +3		·0000004	+4 +3		·0000004	+3 +2		·0000003	+3 +2		2·4
2·5	+13 +6		·0000014	+12 +6		·0000013	+10 +6		·0000011	+9 +6		·0000010	+8 +5		·0000009	+7 +4		2·5
2·6	+25 +12		·0000034	+24 +13		·0000031	+21 +9		·0000027	+19 +9		·0000024	+18 +8		·0000021	+17 +8		2·6
2·7	+52 +21		·0000078	+47 +18		·0000070	+43 +15		·0000062	+39 +14		·0000056	+34 +13		·0000050	+31 +14		2·7
2·8	+97 +31		·0000169	+87 +28		·0000152	+80 +27		·0000136	+74 +27		·0000122	+68 +24		·0000110	+61 +22		2·8
2·9	+173 +49	+4	·0000347	+160 +45		·0000314	+146 +42		·0000284	+133 +40		·0000256	+123 +37		·0000231	+113 +34		2·9
3·0	+296 +70	+7	·0000685	+274 +67	+6	·0000622	+254 +63	+6	·0000565	+234 +57	+5	·0000513	+215 +56	+5	·0000465	+199 +53	+4	3·0
3·1	+492 +95	+11	·0001297	+456 +93	+10	·0001184	+423 +87	+10	·0001080	+393 +81	+8	·0000985	+364 +77	+8	·0000898	+337 +72	+7	3·1
3·2	+780 +129	+18	·0002365	+728 +120	+17	·0002168	+680 +115	+15	·0001988	+632 +116	+14	·0001821	+590 +107	+13	·0001668	+550 +102	+12	3·2
3·3	+1198 +164	+28	·0004161	+1123 +160	+27	·0003832	+1052 +154	+25	·0003528	+987 +141	+23	·0003247	+923 +139	+21	·0002988	+862 +138	+20	3·3
3·4	+1780 +201	+43	·0007080	+1677 +191	+40	·0006548	+1578 +187	+38	·0006055	+1483 +187	+35	·0005596	+1395 +179	+33	·0005170	+1313 +166	+31	3·4
3·5	+2563 +231	+64	·0011676	+2422 +233	+60	·0010842	+2291 +223	+56	·0010065	+2166 +212	+53	·0009340	+2046 +208	+49	·0008665	+1930 +206	+46	3·5
3·6	+3577 +263	+91	·0018694	+3399 +255	+85	·0017427	+3226 +254	+80	·0016241	+3061 +250	+76	·0015130	+2903 +247	+71	·0014090	+2753 +239	+67	3·6
3·7	+4854 +279	+125	·0029111	+4631 +274	+119	·0027238	+4415 +271	+112	·0025478	+4206 +272	+106	·0023823	+4007 +264	+100	·0022268	+3815 +261	+95	3·7
3·8	+6410 +276	+168	·0044159	+6137 +283	+160	·0041464	+5875 +281	+152	·0038921	+5623 +273	+144	·0036523	+5375 +280	+137	·0034261	+5138 +277	+130	3·8
3·9	+8242 +259	+220	·0065344	+7925 +260	+210	·0061565	+7616 +263	+200	·0057987	+7313 +274	+191	·0054598	+7023 +269	+182	·0051392	+6738 +274	+173	3·9
4·0	+10333 +220	+280	·0094454	+9973 +228	+268	·0089282	+9620 +236	+257	·0084366	+9277 +237	+246	·0079696	+8940 +246	+235	·0075261	+8612 +250	+225	4·0
4·1	+12644 +149	+348	·0133537	+12249 +161	+335	·0126619	+11860 +174	+322	·0120022	+11478 +187	+309	·0113734	+11103 +196	+297	·0107742	+10736 +204	+284	4·1
4·2	+15104 +71	+422	·0184869	+14686 +87	+408	·0175816	+14274 +98	+393	·0167156	+13866 +110	+379	·0158875	+13462 +126	+365	·0150959	+13064 +139	+352	4·2
4·3	+17635 −43	+500	·0250887	+17210 −24	+485	·0239287	+16786 −3	+469	·0228156	+16364 +18	+454	·0217478	+15947 +31	+439	·0207240	+15531 +49	+424	4·3
4·4	+20123 −153	+580	·0334115	+19710 −133	+564	·0319544	+19295 −114	+548	·0305520	+18880 −97	+532	·0292028	+18463 −76	+516	·0279052	+18047 −60	+500	4·4
4·5	+22458 −279	+657	·0437053	+22077 −261	+641	·0419096	+21690 −238	+625	·0401764	+21299 −219	+609	·0385041	+20903 −197	+593	·0368911	+20503 −172	+577	4·5
4·6	+24514 −404	+729	·0562068	+24183 −377	+713	·0540338	+23847 −362	+698	·0519307	+23499 −336	+682	·0498957	+23146 −317	+666	·0479273	+22787 −301	+651	4·6
4·7	+26166 −508	+791	·0711266	+25912 −496	+776	·0685427	+25642 −472	+762	·0660349	+25363 −457	+748	·0636019	+25072 −438	+733	·0612422	+24770 −417	+718	4·7
4·8	+27310 −606	+840	·0886376	+27145 −588	+827	·0856158	+26965 −575	+815	·0826754	+26770 −559	+802	·0798153	+26560 −542	+789	·0770341	+26336 −523	+776	4·8
4·9	+27848 −665	+872	·1088631	+27790 −659	+863	·1053854	+27713 −648	+853	·1019929	+27618 −634	+842	·0986847	+27506 −622	+832	·0954596	+27379 −614	+821	4·9
5·0	+27721 −710	+886	·1318676	+27776 −699	+880	·1279263	+27813 −693	+873	·1240722	+27832 −692	+865	·1203047	+27830 −684	+858	·1166230	+27808 −671	+850	5·0
5·1	+26884 −700	+880	·1576497	+27063 −709	+877	·1532485	+27220 −711	+873	·1489347	+27354 −705	+869	·1447077	+27470 −708	+864	·1405672	+27566 −706	+859	5·1
5·2	+25347 −681	+853	·1861381	+25641 −681	+853	·1812927	+25916 −687	+853	·1765326	+26171 −694	+853	·1718577	+26406 −698	+851	·1672680	+26619 −699	+850	5·2
5·3	+23129 −609	+805	·2171906	+23538 −627	+809	·2119285	+23925 −635	+812	·2067476	+24294 −646	+815	·2016483	+24642 −653	+818	·1966307	+24973 −667	+820	5·3
5·4	+20302 −521	+738	·2505969	+20808 −534	+746	·2449568	+21299 −555	+752	·2393920	+21771 −571	+759	·2339031	+22225 −586	+765	·2284907	+22660 −596	+770	5·4
5·5	+16954 −410	+654	·2860840	+17544 −433	+665	·2801150	+18118 −448	+675	·2742135	+18677 −464	+685	·2683804	+19222 −483	+694	·2626167	+19751 −502	+702	5·5
5·6	+13196 −280	+556	·3233255	+13847 −300	+569	·3170850	+14489 −327	+582	·3109027	+15119 −352	+595	·3047799	+15736 −373	+607	·2987178	+16340 −393	+618	5·6
5·7	+9158 −149	+447	·3619517	+9850 −173	+463	·3555039	+10533 −192	+478	·3491038	+11209 −212	+493	·3427530	+11877 −235	+507	·3364529	+12536 −257	+521	5·7
5·8	+4971 −11	+332	·4015629	+5680 −34	+349	·3949761	+6385 −57	+366	·3884258	+7087 −83	+383	·3819138	+7783 −105	+399	·3754416	+8475 −130	+414	5·8
5·9	+773 +117	+214	·4417421	+1476 +95	+232	·4350868	+2180 +71	+250	·4284565	+2882 +52	+267	·4218529	+3584 +30	+284	·4152778	+4284 +9	+302	5·9
6·0	−3308 +229	+97	·4820689	−2633 +211	+115	·4754155	−1954 +194	+133	·4687754	−1271 +173	+151	·4621504	−585 +152	+169	·4555424	+102 +132	+187	6·0
6·1	−7160 +328	−15	·5221324	−6531 +314	+2	·5155488	−5894 +296	+20	·5089672	−5251 +280	+38	·5023894	−4602 +264	+56	·4958172	−3948 +249	+74	6·1
6·2	−10684 +408	−121	·5615428	−10115 +394	−103	·5550927	−9538 +384	−86	·5486339	−8951 +371	−69	·5421682	−8355 +356	−52	·5356972	−7749 +337	−35	6·2
6·3	−13800 +462	−216	·5999417	−13305 +454	−200	·5936828	−12798 +444	−184	·5874055	−12280 +434	−168	·5811115	−11752 +426	−152	·5748023	−11213 +417	−135	6·3
6·4	−16454 +496	−299	·6370101	−16041 +492	−284	·6309931	−15614 +486	−270	·6249491	−15175 +482	−256	·6188796	−14723 +475	−241	·6127861	−14260 +469	−226	6·4
6·5	−18612 +508	−368	·6724744	−18285 +508	−356	·6667420	−17944 +508	−343	·6609752	−17588 +503	−330	·6551754	−17219 +499	−318	·6493439	−16838 +497	−304	6·5
6·6	−20264 +505	−424	·7061102	−20021 +502	−414	·7006965	−19766 +505	−403	·6952425	−19498 +509	−392	·6897493	−19216 +512	−381	·6842179	−18919 +511	−370	6·6
6·7	−21411 +475	−466	·7377439	−21255 +486	−458	·7326744	−21083 +487	−449	·7275600	−20899 +492	−440	·7224016	−20701 +494	−431	·7172000	−20489 +496	−423	6·7
6·8	−22083 +444	−494	·7672521	−22003 +446	−488	·7625440	−21913 +456	−482	·7577876	−21808 +459	−475	·7529838	−21692 +468	−468	·7481332	−21563 +476	−461	6·8
6·9	−22311 +394	−510	·7945600	−22305 +405	−506	·7902223	−22287 +412	−502	·7858344	−22258 +424	−497	·7813968	−22215 +427	−492	·7769101	−22162 +437	−486	6·9
7·0	−22145 +342	−515	·8196374	−22202 +351	−512	·8156719	−22249 +362	−510	·8116554	−22284 +367	−506	·8075883	−22311 +382	−503	·8034708	−22324 +384	−500	7·0
7·1	−21637 +284	−509	·8424946	−21748 +295	−508	·8388966	−21849 +304	−507	·8352480	−21943 +316	−506	·8315487	−22025 +319	−504	·8277991	−22102 +338	−502	7·1
7·2	−20845 +229	−495	·8631770	−20999 +238	−496	·8599364	−21145 +244	−495	·8566463	−21286 +257	−496	·8533066	−21420 +273	−496	·8499172	−21542 +273	−495	7·2
7·3	−19824 +171	−475	·8817595	−20012 +179	−476	·8788617	−20197 +196	−478	·8759160	−20372 +199	−479	·8729225	−20542 +204	−480	·8698811	−20709 +221	−481	7·3
7·4	−18632 +119	−449	·8983408	−18846 +131	−451	·8957673	−19053 +132	−454	·8931485	−19259 +146	−456	·8904842	−19460 +158	−458	·8877741	−19655 +164	−459	7·4
7·5	−17321 +71	−419	·9130375	−17549 +75	−422	·9107676	−17777 +89	−425	·9084551	−18000 +95	−428	·9060999	−18220 +101	−431	·9037016	−18437 +110	−433	7·5

	$p=35{\cdot}0$			$p=35{\cdot}2$			$p=35{\cdot}4$			$p=35{\cdot}6$			$p=35{\cdot}8$			$p=36{\cdot}0$	
u	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u,p)$	u
7·5	·9257825	−16142 +34	−401	·9237608	−16383 +47	−405	·9216986	−16620 +50	−409	·9195955	−16857 +61	−412	·9174512	−17090 +66	−416	·9152653	7·5
7·6	·9371076	−14736 +2	−367	·9353469	−14976 0	−371	·9335492	−15219 +11	−375	·9317139	−15459 +15	−379	·9298408	−15698 +21	−383	·9279294	7·6
7·7	·9469591	−13328 −34	−333	·9454354	−13569 −23	−337	·9438779	−13807 −29	−341	·9422864	−14046 −19	−345	·9406605	−14287 −9	−349	·9389996	7·7
7·8	·9554778	−11954 −62	−298	·9541670	−12185 −61	−302	·9528259	−12417 −47	−307	·9514543	−12652 −38	−311	·9500515	−12884 −41	−315	·9486172	7·8
7·9	·9628011	−10633 −72	−265	·9616801	−10852 −72	−269	·9605322	−11074 −67	−273	·9593570	−11296 −69	−277	·9581541	−11522 −59	−281	·9569230	7·9
8·0	·9690611	−9384 −86	−234	·9681080	−9591 −81	−238	·9671311	−9798 −83	−242	·9661301	−10008 −76	−245	·9651045	−10219 −80	−249	·9640540	8·0
8·1	·9743827	−8221 −93	−204	·9735768	−8411 −93	−208	·9727502	−8605 −91	−212	·9719023	−8798 −88	−215	·9710330	−8997 −87	−219	·9701417	8·1
8·2	·9788822	−7162 −96	−177	·9782045	−7325 −97	−181	·9775088	−7500 −96	−184	·9767947	−7680 −95	−187	·9760618	−7859 −96	−191	·9753098	8·2
8·3	·9826665	−6178 −98	−153	·9820997	−6335 −99	−156	·9815174	−6495 −97	−159	·9809191	−6655 −98	−162	·9803047	−6820 −97	−165	·9796737	8·3
8·4	·9858330	−5301 −97	−130	·9853614	−5441 −98	−133	·9848765	−5583 −97	−136	·9843780	−5729 −98	−139	·9838656	−5877 −97	−142	·9833389	8·4
8·5	·9884694	−4522 −92	−111	·9880790	−4648 −93	−113	·9876773	−4772 −93	−116	·9872640	−4900 −94	−119	·9868388	−5030 −96	−121	·9864016	8·5
8·6	·9906536	−3833 −85	−93	·9903320	−3941 −87	−96	·9900009	−4052 −87	−98	·9896600	−4165 −88	−100	·9893090	−4280 −90	−103	·9889478	8·6
8·7	·9924545	−3229 −79	−78	·9921909	−3323 −81	−80	·9919193	−3419 −82	−82	·9916395	−3518 −82	−84	·9913512	−3619 −84	−86	·9910543	8·7
8·8	·9939325	−2705 −73	−65	·9937175	−2787 −74	−67	·9934958	−2871 −76	−69	·9932672	−2956 −76	−71	·9930315	−3042 −77	−72	·9927887	8·8
8·9	·9951400	−2255 −66	−54	·9949654	−2325 −67	−56	·9947852	−2395 −68	−57	·9945993	−2467 −69	−59	·9944076	−2542 −70	−60	·9942099	8·9
9·0	·9961220	−1869 −59	−44	·9959808	−1928 −60	−46	·9958351	−1987 −60	−47	·9956847	−2050 −62	−48	·9955295	−2115 −63	−50	·9953692	9·0
9·1	·9969171	−1539 −52	−36	·9968036	−1591 −53	−37	·9966863	−1643 −53	−39	·9965651	−1695 −55	−40	·9964399	−1747 −56	−41	·9963107	9·1
9·2	·9975583	−1264 −45	−30	·9974673	−1305 −46	−31	·9973732	−1347 −47	−31	·9972760	−1391 −48	−32	·9971756	−1438 −50	−33	·9970718	9·2
9·3	·9980731	−1031 −38	−24	·9980005	−1066 −40	−25	·9979254	−1102 −41	−26	·9978478	−1139 −41	−26	·9977675	−1176 −44	−27	·9976846	9·3
9·4	·9984848	−839 −33	−19	·9984271	−867 −34	−20	·9983674	−896 −35	−20	·9983057	−927 −35	−21	·9982418	−958 −37	−22	·9981758	9·4
9·5	·9988126	−678 −29	−16	·9987670	−701 −29	−16	·9987198	−726 −30	−17	·9986709	−751 −30	−17	·9986203	−778 −31	−18	·9985679	9·5
9·6	·9990728	−547 −25	−12	·9990368	−566 −24	−13	·9989996	−585 −26	−13	·9989610	−605 −26	−14	·9989210	−625 −27	−14	·9988797	9·6
9·7	·9992783	−436 −21	−10	·9992501	−453 −21	−10	·9992209	−470 −23	−11	·9991906	−487 −21	−11	·9991592	−504 −22	−11	·9991266	9·7
9·8	·9994402	−349 −18	−8	·9994181	−361 −17	−8	·9993952	−374 −19	−8	·9993715	−388 −18	−9	·9993469	−403 −16	−9	·9993215	9·8
9·9	·9995672	−278 −15	−6	·9995500	−288 −14	−6	·9995321	−298 −15	−7	·9995136	−308 −16	−7	·9994945	−320 −16	−7	·9994746	9·9
10·0	·9996664	−219 −11	−5	·9996531	−228 −12	−5	·9996392	−238 −12	−5	·9996249	−248 −13	−5	·9996100	−258 −13	−5	·9995945	10·0
10·1	·9997437	−173 −9	−4	·9997334	−180 −9	−4	·9997227	−187 −10	−4	·9997116	−194 −10	−4	·9997000	−200 −11	−4	·9996881	10·1
10·2	·9998037	−136 −8		·9997957	−140 −8		·9997875	−146 −8		·9997789	−151 −8		·9997700	−156 −9		·9997608	10·2
10·3	·9998501	−106 −7		·9998440	−111 −7		·9998377	−116 −7		·9998311	−120 −7		·9998242	−123 −7		·9998171	10·3
10·4	·9998859	−83 −5		·9998812	−86 −5		·9998763	−88 −6		·9998713	−92 −5		·9998661	−97 −5		·9998606	10·4
10·5	·9999134	−65 −4		·9999098	−67 −4		·9999061	−70 −4		·9999023	−73 −4		·9998983	−75 −5		·9998941	10·5
10·6	·9999344	−49		·9999317	−51		·9999289	−54		·9999260	−56 −4		·9999230	−59 −4		·9999198	10·6
10·7	·9999505	−38		·9999485	−41		·9999463	−41		·9999441	−43		·9999418	−44		·9999394	10·7
10·8	·9999628	−31		·9999612	−30		·9999596	−32		·9999579	−33		·9999562	−35		·9999544	10·8
10·9	·9999720	−24		·9999709	−24		·9999697	−25		·9999684	−26		·9999671	−28		·9999657	10·9
11·0	·9999791	−18		·9999782	−18		·9999773	−19		·9999763	−20		·9999754	−21		·9999743	11·0
11·1	·9999844	−13		·9999837	−13		·9999830	−14		·9999823	−15		·9999816	−16		·9999808	11·1
11·2	·9999884	−10		·9999879	−10		·9999874	−10		·9999868	−11		·9999863	−11		·9999857	11·2
11·3	·9999914	−7		·9999910	−7		·9999906	−7		·9999902	−8		·9999898	−9		·9999894	11·3
11·4	·9999936	−5		·9999933	−6		·9999930	−5		·9999928	−6		·9999925	−7		·9999921	11·4
11·5	·9999953	−4		·9999951	−5		·9999949	−4		·9999946	−5		·9999944	−5		·9999942	11·5
11·6	·9999965			·9999964	−4		·9999962			·9999961	−4		·9999959	−4		·9999957	11·6
11·7	·9999974			·9999973			·9999972			·9999971			·9999970			·9999969	11·7
11·8	·9999981			·9999980			·9999979			·9999979			·9999978			·9999977	11·8
11·9	·9999986			·9999986			·9999985			·9999985			·9999984			·9999983	11·9
12·0	·9999990			·9999989			·9999989			·9999989			·9999988			·9999988	12·0
12·1	·9999993			·9999992			·9999992			·9999992			·9999991			·9999991	12·1
12·2	·9999995			·9999994			·9999994			·9999994			·9999994			·9999994	12·2
12·3	·9999996			·9999996			·9999996			·9999996			·9999996			·9999995	12·3
12·4	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	12·4
12·5	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·5
12·6	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·6
12·7	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·7
12·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·8
12·9	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			·9999999	12·9
13·0																1·0000000	13·0
13·1																	13·1

	p = 36·0		p = 36·2			p = 36·4			p = 36·6			p = 36·8			p = 37·0			
u	δ^2_u δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u δ^4_u	δ^2_p δ^4_p	u
7·5	−17321 +71	−419	·9130375	−17549 +75	−422	·9107676	−17777 +89	−425	·9084551	−18000 +95	−428	·9060999	−18220 +101	−431	·9037016	−18437 +110	−433	7·5
7·6	−15939 +31	−386	·9259793	−16177 +41	−390	·9239902	−16412 +44	−394	·9219617	−16648 +50	−397	·9198936	−16879 +59	−400	·9177854	−17109 +65	−404	7·6
7·7	−14526 −5	−353	·9373034	−14764 −4	−357	·9355716	−15003 +3	−361	·9338037	−15242 +13	−364	·9319994	−15479 +17	−368	·9301583	−15718 +25	−372	7·7
7·8	−13118 −37	−319	·9471511	−13355 −28	−323	·9456527	−13591 −22	−327	·9441215	−13825 −25	−331	·9425573	−14062 −18	−335	·9409596	−14298 −12	−339	7·8
7·9	−11748 −58	−286	·9556633	−11974 −56	−290	·9543747	−12201 −55	−294	·9530568	−12433 −43	−298	·9517090	−12661 −45	−302	·9503311	−12892 −40	−306	7·9
8·0	−10433 −75	−253	·9629781	−10648 −72	−257	·9618766	−10867 −69	−261	·9607488	−11084 −89	−265	·9595946	−11305 −83	−269	·9584134	−11525 −81	−273	8·0
8·1	−9106 −85	−223	·9692281	−9397 −85	−227	·9682918	−9599 −83	−231	·9673324	−9804 −82	−234	·9663497	−10012 −79	−238	·9653431	−10221 −76	−242	8·1
8·2	−8042 −95	−195	·9745384	−8229 −95	−198	·9737471	−8415 −92	−202	·9729356	−8606 −92	−205	·9721036	−8798 −91	−209	·9712507	−8992 −90	−213	8·2
8·3	−6987 −99	−169	·9790258	−7154 −97	−172	·9783608	−7327 −97	−175	·9776782	−7500 −98	−179	·9769777	−7675 −97	−182	·9762591	−7854 −95	−185	8·3
8·4	−6025 −97	−145	·9827978	−6179 −98	−148	·9822418	−6332 −99	−151	·9816708	−6490 −98	−154	·9810843	−6650 −98	−157	·9804821	−6811 −100	−160	8·4
8·5	−5185 −95	−124	·9859519	−5299 −94	−126	·9854896	−5438 −98	−129	·9850144	−5578 −97	−132	·9845259	−5720 −97	−135	·9840240	−5865 −98	−138	8·5
8·6	−4397 −91	−105	·9885761	−4517 −91	−107	·9881936	−4639 −93	−110	·9878002	−4763 −94	−112	·9873955	−4890 −93	−115	·9869794	−5020 −94	−117	8·6
8·7	−3721 −88	−88	·9907486	−3827 −88	−91	·9904337	−3933 −88	−93	·9901097	−4043 −88	−95	·9897761	−4154 −89	−97	·9894328	−4267 −90	−99	8·7
8·8	−3132 −78	−74	·9925384	−3222 −80	−76	·9922805	−3315 −81	−78	·9920149	−3410 −82	−80	·9917413	−3507 −83	−82	·9914595	−3606 −84	−84	8·8
8·9	−2619 −72	−62	·9940060	−2697 −73	−63	·9937958	−2777 −74	−65	·9935791	−2858 −76	−66	·9933558	−2943 −77	−68	·9931256	−3028 −79	−70	8·9
9·0	−2178 −64	−51	·9952039	−2245 −66	−52	·9950334	−2315 −67	−54	·9948575	−2385 −69	−55	·9946760	−2458 −70	−56	·9944889	−2529 −71	−58	9·0
9·1	−1804 −57	−42	·9961773	−1861 −58	−43	·9960395	−1917 −59	−44	·9958974	−1978 −61	−46	·9957506	−2038 −62	−47	·9955993	−2102 −63	−48	9·1
9·2	−1483 −50	−34	·9969646	−1531 −52	−35	·9968539	−1582 −52	−36	·9967395	−1631 −53	−37	·9966214	−1683 −54	−38	·9964995	−1738 −56	−39	9·2
9·3	−1215 −44	−28	·9975988	−1256 −45	−29	·9975101	−1295 −46	−29	·9974185	−1338 −47	−30	·9973239	−1382 −48	−31	·9972261	−1425 −49	−32	9·3
9·4	−991 −38	−23	·9981074	−1023 −38	−23	·9980368	−1059 −40	−24	·9979637	−1093 −41	−25	·9978882	−1129 −42	−25	·9978102	−1167 −43	−26	9·4
9·5	−803 −32	−18	·9985137	−831 −33	−19	·9984576	−858 −34	−19	·9983996	−888 −35	−20	·9983396	−918 −36	−20	·9982776	−949 −35	−21	9·5
9·6	−649 −28	−15	·9988369	−671 −28	−15	·9987926	−695 −29	−16	·9987467	−718 −30	−16	·9986992	−742 −30	−16	·9986501	−768 −31	−17	9·6
9·7	−520 −23	−12	·9990930	−540 −24	−12	·9990581	−559 −24	−13	·9990220	−579 −25	−13	·9989846	−600 −26	−13	·9989458	−619 −27	−14	9·7
9·8	−418 −19	−9	·9992951	−432 −20	−10	·9992677	−447 −20	−10	·9992394	−463 −21	−10	·9992100	−479 −22	−10	·9991796	−496 −23	−11	9·8
9·9	−332 −16	−7	·9994540	−344 −16	−8	·9994326	−356 −17	−8	·9994105	−370 −18	−8	·9993876	−384 −19	−8	·9993638	−398 −19	−9	9·9
10·0	−263 −14	−6	·9995785	−274 −14	−6	·9995619	−284 −14	−6	·9995446	−293 −15	−6	·9995268	−305 −15	−7	·9995082	−314 −16	−7	10·0
10·1	−209 −11	−4	·9996756	−215 −11	−5	·9996628	−224 −11	−5	·9996494	−233 −12	−5	·9996355	−240 −13	−5	·9996212	−251 −13	−5	10·1
10·2	−164 −9	−4	·9997512	−170 −9	−4	·9997413	−177 −9	−4	·9997309	−182 −10	−4	·9997202	−190 −10	−4	·9997091	−195 −10	−4	10·2
10·3	−128 −8		·9998098	−134 −8		·9998021	−138 −8		·9997942	−145 −8		·9997859	−149 −8		·9997774	−156 −8		10·3
10·4	−100 −6		·9998550	−104 −6		·9998491	−108 −7		·9998430	−111 −7		·9998367	−117 −7		·9998301	−120 −7		10·4
10·5	−78 −5		·9998898	−81 −5		·9998853	−84 −6		·9998807	−88 −5		·9998758	−91 −6		·9998708	−95 −6		10·5
10·6	−60 −4		·9999165	−63 −4		·9999131	−66 −4		·9999095	−68 −4		·9999058	−70 −5		·9999020	−73 −5		10·6
10·7	−46		·9999369	−48		·9999343	−50		·9999316	−52 −4		·9999288	−54 −4		·9999259	−56 −4		10·7
10·8	−36		·9999525	−38		·9999505	−39		·9999485	−41		·9999464	−43		·9999442	−45		10·8
10·9	−27		·9999643	−28		·9999628	−29		·9999613	−31		·9999597	−32		·9999580	−33		10·9
11·0	−21		·9999733	−22		·9999722	−23		·9999710	−24		·9999698	−25		·9999685	−26		11·0
11·1	−16		·9999800	−17		·9999792	−18		·9999783	−17		·9999774	−19		·9999765	−20		11·1
11·2	−12		·9999851	−13		·9999845	−13		·9999839	−14		·9999832	−14		·9999825	−15		11·2
11·3	−9		·9999889	−10		·9999885	−10		·9999880	−11		·9999875	−10		·9999870	−11		11·3
11·4	−7		·9999918	−7		·9999915	−8		·9999911	−8		·9999907	−8		·9999904	−9		11·4
11·5	−5		·9999939	−5		·9999937	−6		·9999934	−6		·9999931	−6		·9999929	−6		11·5
11·6	−4		·9999955	−4		·9999954	−4		·9999952	−4		·9999950	−5		·9999947	−4		11·6
11·7			·9999967			·9999966			·9999964	−4		·9999963	−4		·9999961	−4		11·7
11·8			·9999976			·9999975			·9999974			·9999973			·9999972			11·8
11·9			·9999982			·9999982			·9999981			·9999980			·9999979			11·9
12·0			·9999987			·9999987			·9999986			·9999985			·9999985			12·0
12·1			·9999991			·9999990			·9999990			·9999990			·9999989			12·1
12·2			·9999993			·9999993			·9999993			·9999992			·9999992			12·2
12·3			·9999995			·9999995			·9999995			·9999994			·9999994			12·3
12·4			·9999996			·9999996			·9999996			·9999996			·9999996			12·4
12·5			·9999997			·9999997			·9999997			·9999997			·9999997			12·5
12·6			·9999998			·9999998			·9999998			·9999998			·9999998			12·6
12·7			·9999999			·9999999			·9999999			·9999998			·9999998			12·7
12·8			·9999999			·9999999			·9999999			·9999999			·9999999			12·8
12·9			·9999999			·9999999			·9999999			·9999999			·9999999			12·9
13·0			1·0000000			1·0000000			1·0000000			1·0000000			·9999999			13·0
13·1															1·0000000			13·1

	$p = 37{\cdot}0$			$p = 37{\cdot}2$			$p = 37{\cdot}4$			$p = 37{\cdot}6$			$p = 37{\cdot}8$			$p = 38{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
2·0	·0000000																2·0
2·1	·0000000																2·1
2·2	·0000000	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	0 0		·0000000	0 0		·0000000	2·2
2·3	·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	2·3
2·4	·0000003	+3 +2		·0000003	+3 +2		·0000003	+2 +2		·0000002	+3 +2		·0000002	+2 +2		·0000002	2·4
2·5	·0000009	+7 +4		·0000008	+6 +4		·0000007	+6 +4		·0000006	+5 +3		·0000005	+5 +3		·0000005	2·5
2·6	·0000021	+17 +8		·0000019	+14 +8		·0000017	+13 +7		·0000015	+11 +6		·0000013	+11 +5		·0000012	2·6
2·7	·0000050	+31 +14		·0000044	+30 +12		·0000040	+25 +12		·0000035	+24 +11		·0000032	+26 +16		·0000028	2·7
2·8	·0000110	+61 +22		·0000099	+55 +20		·0000089	+56 +19		·0000079	+47 +18		·0000071	+43 +17		·0000064	2·8
2·9	·0000231	+113 +34		·0000209	+103 +33		·0000188	+96 +26		·0000170	+88 +28		·0000153	+79 +28		·0000138	2·9
3·0	·0000465	+199 +53	+4	·0000422	+184 +48	+4	·0000383	+168 +46	+4	·0000347	+156 +42		·0000314	+144 +39		·0000285	3·0
3·1	·0000898	+337 +72	+7	·0000819	+312 +71	+7	·0000746	+290 +68	+6	·0000680	+267 +64	+6	·0000619	+247 +60	+5	·0000563	3·1
3·2	·0001668	+550 +102	+12	·0001528	+511 +88	+11	·0001399	+474 +94	+10	·0001280	+442 +89	+10	·0001171	+410 +87	+9	·0001070	3·2
3·3	·0002988	+862 +138	+20	·0002748	+808 +127	+18	·0002526	+755 +120	+17	·0002322	+706 +116	+16	·0002133	+666 +109	+15	·0001959	3·3
3·4	·0005170	+1313 +166	+31	·0004776	+1232 +165	+29	·0004409	+1157 +161	+27	·0004070	+1086 +153	+25	·0003755	+1019 +148	+23	·0003464	3·4
3·5	·0008665	+1930 +206	+46	·0008036	+1821 +200	+43	·0007449	+1719 +189	+40	·0006904	+1619 +189	+38	·0006396	+1526 +181	+36	·0005923	3·5
3·6	·0014090	+2753 +239	+67	·0013117	+2610 +231	+63	·0012208	+2470 +232	+59	·0011357	+2341 +219	+56	·0010563	+2214 +218	+52	·0009821	3·6
3·7	·0022268	+3815 +261	+95	·0020808	+3630 +253	+89	·0019437	+3453 +252	+84	·0018151	+3282 +251	+79	·0016944	+3120 +242	+75	·0015813	3·7
3·8	·0034261	+5138 +277	+130	·0032129	+4968 +278	+123	·0030119	+4688 +274	+117	·0028227	+4474 +275	+110	·0026445	+4268 +272	+105	·0024767	3·8
3·9	·0051392	+6738 +274	+173	·0048358	+6464 +272	+165	·0045489	+6197 +273	+157	·0042777	+5939 +276	+149	·0040214	+5688 +273	+142	·0037793	3·9
4·0	·0075261	+8619 +250	+225	·0071051	+8292 +254	+215	·0067056	+7879 +260	+205	·0063266	+7674 +258	+196	·0059671	+7381 +261	+187	·0056264	4·0
4·1	·0107742	+10736 +264	+284	·0102036	+16374 +216	+273	·0096602	+10021 +223	+262	·0091429	+9677 +225	+251	·0086508	+9335 +244	+246	·0081826	4·1
4·2	·0150959	+13664 +139	+352	·0143395	+12672 +156	+339	·0136169	+12286 +160	+326	·0129269	+11905 +174	+313	·0122682	+11533 +175	+301	·0116397	4·2
4·3	·0207240	+15531 +49	+424	·0197426	+15120 +61	+410	·0188022	+14711 +79	+396	·0179014	+14367 +92	+382	·0170388	+13906 +113	+369	·0162131	4·3
4·4	·0279052	+18047 −60	+500	·0266577	+17629 −34	+485	·0254586	+18215 −19	+470	·0243066	+16801 0	+455	·0232000	+16392 +8	+441	·0221376	4·4
4·5	·0368911	+20503 −172	+577	·0353357	+20104 −160	+561	·0338365	+19700 −139	+546	·0323919	+19295 −126	+531	·0310004	+18887 −95	+518	·0296604	4·5
4·6	·0479273	+22787 −301	+651	·0460241	+22419 −276	+635	·0441844	+22046 −261	+620	·0424067	+21669 −234	+605	·0406895	+21287 −215	+590	·0390312	4·6
4·7	·0612422	+24770 −417	+718	·0589544	+24458 −397	+704	·0567369	+24141 −387	+689	·0545884	+23809 −366	+675	·0525073	+23472 −340	+660	·0504922	4·7
4·8	·0770341	+26335 −523	+776	·0743305	+26100 −567	+763	·0717033	+25849 −482	+750	·0691510	+25589 −471	+738	·0666723	+25317 −454	+723	·0642659	4·8
4·9	·0954596	+27379 −614	+821	·0923166	+27235 −602	+810	·0892546	+27075 −588	+798	·0862725	+26898 −567	+787	·0833690	+26708 −551	+775	·0805429	4·9
5·0	·1166230	+27808 −671	+849	·1130262	+27768 −658	+841	·1095134	+27713 −654	+832	·1060838	+27646 −649	+823	·1027365	+27548 −635	+813	·0994705	5·0
5·1	·1405672	+27566 −705	+859	·1365126	+27643 −706	+854	·1325435	+27697 −695	+848	·1286591	+27733 −685	+841	·1248588	+27753 −685	+834	·1211420	5·1
5·2	·1672680	+26619 −699	+850	·1627633	+26812 −699	+847	·1583433	+26986 −703	+845	·1540077	+27141 −707	+841	·1497564	+27273 −700	+838	·1455888	5·2
5·3	·1966307	+24973 −667	+820	·1916952	+25282 −674	+821	·1868417	+25572 −680	+822	·1820704	+25842 −686	+822	·1773813	+26093 −694	+821	·1727744	5·3
5·4	·2284907	+22660 −596	+770	·2231553	+23078 −610	+775	·2178973	+23478 −624	+779	·2127173	+23867 −630	+782	·2076155	+24219 −641	+785	·2025922	5·4
5·5	·2626167	+19751 −562	+702	·2569232	+20264 −519	+710	·2513007	+20760 −533	+717	·2457499	+21242 −557	+724	·2402716	+21704 −568	+730	·2348663	5·5
5·6	·2987178	+16340 −393	+618	·2927175	+16931 −412	+629	·2867801	+17509 −434	+639	·2809067	+18070 −443	+649	·2750981	+18621 −467	+658	·2693554	5·6
5·7	·3364529	+12536 −257	+521	·3302049	+13186 −282	+534	·3240104	+13824 −300	+547	·3178705	+14455 −331	+560	·3117867	+15671 −348	+572	·3057600	5·7
5·8	·3754416	+8475 −130	+414	·3690109	+9159 −149	+430	·3626231	+9839 −177	+444	·3562798	+10509 −193	+459	·3499824	+11173 −216	+473	·3437323	5·8
5·9	·4152778	+4284 +9	+302	·4087328	+4983 −16	+318	·4022197	+5677 −32	+335	·3957400	+6370 −58	+331	·3892954	+7059 −83	+366	·3828874	5·9
6·0	·4555424	+102 +132	+187	·4489530	+791 +114	+204	·4423840	+1483 +86	+221	·4358372	+2173 +67	+238	·4293143	+2862 +50	+255	·4228168	6·0
6·1	·4958172	−3948 +249	+74	·4892523	−3287 +226	+91	·4826966	−2625 +214	+109	·4761517	−1957 +194	+126	·4696194	−1285 +170	+143	·4631014	6·1
6·2	·5356972	−7749 +337	−35	·5292229	−7139 +327	−18	·5227467	−6519 +309	0	·5162705	−5893 +293	+17	·5097960	−5262 +281	+33	·5033248	6·2
6·3	·5748023	−11213 +417	−135	·5684796	−10664 +406	−119	·5621449	−10104 +392	−103	·5558000	−9536 +381	−86	·5494464	−8958 +365	−70	·5430858	6·3
6·4	·6127861	−14256 +459	−226	·6066699	−13783 +458	−211	·6005327	−13297 +454	−196	·5943759	−12798 +443	−181	·5882010	−12289 +436	−165	·5820096	6·4
6·5	·6493439	−16838 +497	−304	·6434819	−16444 +496	−291	·6375908	−16036 +490	−277	·6316720	−15617 +488	−264	·6257267	−15184 +481	−250	·6197565	6·5
6·6	·6842179	−18919 +511	−370	·6786495	−18609 +510	−358	·6730453	−18285 +507	−347	·6674064	−17948 +504	−335	·6617340	−17598 +501	−323	·6560294	6·6
6·7	·7172000	−20489 +496	−422	·7119563	−20264 +499	−412	·7066713	−20027 +504	−403	·7013460	−19776 +506	−393	·6959815	−19511 +510	−382	·6905787	6·7
6·8	·7481332	−21563 +475	−461	·7432365	−21426 +479	−453	·7382946	−21285 +486	−445	·7333081	−21096 +489	−437	·7282779	20914 +491	−429	·7232048	6·8
6·9	·7769101	−22162 +437	−486	·7723748	−22007 +446	−481	·7677914	−22017 +448	−475	·7631606	−21928 +458	−469	·7584829	−21826 +464	−462	·7537590	6·9
7·0	·8034708	−22324 +384	−500	·7993034	−22328 +392	−498	·7950865	−22323 +408	−492	·7908203	−22304 +413	−488	·7865053	−22274 +426	−483	·7821421	7·0
7·1	·8277991	−22102 +338	−502	·8239992	−22167 +347	−500	·8201493	−22221 +350	−498	·8162496	−22267 +362	−495	·8123003	−22302 +370	−492	·8083019	7·1
7·2	·8499172	−21542 +273	−495	·8464783	−21659 +284	−495	·8429900	−21769 +300	−494	·8394522	−21868 +306	−493	·8358651	−21960 +317	−492	·8322289	7·2
7·3	·8698811	−20769 +221	−481	·8667915	−20867 +230	−481	·8636538	−21017 +233	−482	·8604680	−21163 +245	−482	·8572339	−21361 +257	−482	·8539517	7·3
7·4	·8877741	−19655 +164	−459	·8850180	−19845 +172	−461	·8822159	−20032 +186	−463	·8793675	−20212 +196	−464	·8764726	−20385 +199	−465	·8735313	7·4
7·5	·9037016	−18437 +110	−433	·9012600	−18651 +118	−436	·8987748	−18861 +128	−438	·8962458	−19066 +133	−440	·8936728	−19270 +149	−442	·8910555	7·5
7·6	·9177854	−17109 +85	−464	·9156369	−17338 +74	−407	·9134476	−17562 +77	−410	·9112175	−17787 +81	−415	·9089460	−18006 +93	−416	·9066330	7·6
7·7	·9301583	−15716 +26	−372	·9282800	−15951 +30	−375	·9263642	−16188 +40	−379	·9244105	−16417 +41	−382	·9224186	−16649 +52	−385	·9203882	7·7
7·8	·9409596	−14298 −12	−339	·9393280	−14534 −6	−343	·9376622	−14776 −1	−346	·9359618	−15006 +7	−350	·9342263	−15240 +16	−354	·9324555	7·8
7·9	·9503311	−12892 −40	−306	·9489226	−13123 −37	−310	·9474832	−13355 −33	−313	·9460125	−13588 −18	−317	·9445100	−13821 −22	−321	·9429754	7·9
8·0	·9584134	−11526 −61	−273	·9572049	−11749 −56	−277	·9559687	−11973 −53	−281	·9547044	−12198 −48	−285	·9534116	−12424 −45	−289	·9520899	8·0

	p = 38·0		p = 38·2			p = 38·4			p = 38·6			p = 38·8			p = 39·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·0																		2·0
2·1																		2·1
2·2	0 0		·0000000	0 0		·0000000			·0000000			·0000000			·0000000			2·2
2·3	+1 +1		·0000000	+0 +1		·0000000	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	0 0		2·3
2·4	+2 +1		·0000001	+2 +1		·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		2·4
2·5	+4 +3		·0000004	+4 +2		·0000004	+3 +2		·0000003	+3 +2		·0000003	+2 +2		·0000002	+3 +2		2·5
2·6	+9 +6		·0000010	+9 +4		·0000009	+7 +4		·0000008	+7 +4		·0000007	+7 +3		·0000006	+8 +3		2·6
2·7	+20 +9		·0000025	+17 +9		·0000022	+16 +8		·0000020	+14 +7		·0000018	+12 +7		·0000016	+11 +6		2·7
2·8	+38 +16		·0000057	+35 +15		·0000051	+32 +14		·0000046	+29 +13		·0000041	+27 +12		·0000037	+24 +11		2·8
2·9	+73 +24		·0000124	+67 +22		·0000112	+60 +21		·0000101	+55 +20		·0000091	+50 +19		·0000082	+46 +17		2·9
3·0	+131 +38		·0000258	+120 +36		·0000233	+112 +32		·0000211	+103 +30		·0000191	+94 +29		·0000173	+86 +28		3·0
3·1	+229 +58	+5	·0000512	+212 +52	+4	·0000466	+195 +51	+4	·0000424	+180 +48	+4	·0000385	+167 +43		·0000350	+154 +40		3·1
3·2	+382 +81	+8	·0000978	+355 +78	+8	·0000894	+329 +73	+7	·0000817	+305 +69	+6	·0000746	+283 +65	+6	·0000681	+262 +63	+5	3·2
3·3	+618 +104	+14	·0001799	+574 +103	+13	·0001651	+536 +95	+12	·0001515	+499 +94	+11	·0001390	+464 +92	+10	·0001274	+433 +88	+9	3·3
3·4	+954 +147	+22	·0003194	+895 +138	+20	·0002944	+838 +135	+18	·0002712	+787 +122	+17	·0002498	+737 +116	+16	·0002300	+690 +110	+15	3·4
3·5	+1439 +170	+33	·0005484	+1354 +167	+31	·0005075	+1275 +159	+29	·0004696	+1197 +162	+27	·0004343	+1126 +154	+25	·0004016	+1057 +152	+24	3·5
3·6	+2094 +213	+49	·0009128	+1980 +207	+46	·0008481	+1871 +202	+43	·0007877	+1769 +190	+40	·0007314	+1669 +189	+38	·0006789	+1576 +180	+36	3·6
3·7	+2962 +242	+71	·0014752	+2813 +234	+67	·0013758	+2669 +231	+63	·0012827	+2531 +229	+59	·0011954	+2401 +220	+56	·0011138	+2275 +217	+52	3·7
3·8	+4072 +263	+99	·0023189	+3880 +264	+94	·0021704	+3698 +258	+89	·0020308	+3522 +251	+84	·0018995	+3353 +248	+79	·0017762	+3191 +241	+75	3·8
3·9	+5445 +273	+135	·0035506	+5211 +271	+128	·0033348	+4983 +274	+121	·0031311	+4764 +273	+115	·0029389	+4553 +269	+110	·0027577	+4348 +271	+104	3·9
4·0	+7091 +272	+178	·0053034	+6813 +270	+170	·0049975	+6542 +269	+162	·0047078	+6279 +268	+154	·0044336	+6022 +272	+147	·0041740	+5776 +266	+140	4·0
4·1	+9009 +236	+230	·0077375	+8685 +245	+220	·0073144	+8370 +250	+211	·0069124	+8062 +256	+201	·0065305	+7763 +258	+193	·0061679	+7470 +266	+184	4·1
4·2	+11163 +194	+289	·0110401	+10802 +203	+278	·0104683	+10448 +212	+267	·0099232	+10101 +219	+256	·0094037	+9762 +224	+246	·0089088	+9430 +226	+236	4·2
4·3	+13511 +124	+355	·0154229	+13122 +134	+343	·0146670	+12738 +143	+330	·0139441	+12359 +158	+316	·0132531	+11985 +169	+306	·0125927	+11618 +178	+295	4·3
4·4	+15983 +25	+427	·0211179	+15576 +43	+413	·0201395	+15171 +65	+399	·0192009	+14773 +74	+380	·0183010	+14377 +88	+373	·0174384	+13984 +106	+360	4·4
4·5	+18480 −75	+501	·0283705	+18073 −57	+486	·0271291	+17669 −47	+462	·0259350	+17261 −21	+457	·0247866	+16857 −5	+444	·0236825	+16456 +6	+430	4·5
4·6	+20902 −197	+575	·0374304	+20513 −177	+560	·0358856	+20120 −153	+545	·0343952	+19728 −141	+530	·0329579	+19332 −121	+516	·0315722	+18934 −97	+501	4·6
4·7	+23127 −319	+645	·0485416	+22778 −300	+631	·0466541	+22418 −279	+616	·0448282	+22054 −255	+601	·0430624	+21686 −235	+587	·0413553	+21315 −220	+573	4·7
4·8	+25033 −433	+709	·0619304	+24739 −412	+693	·0596644	+24437 −397	+681	·0574666	+24125 −379	+666	·0553355	+23805 −360	+654	·0532699	+23476 −338	+640	4·8
4·9	+26506 −540	+763	·0777931	+26290 −527	+750	·0751184	+26059 −505	+738	·0725175	+25817 −487	+726	·0699891	+25564 −471	+713	·0675321	+25299 −453	+700	4·9
5·0	+27439 −619	+803	·0962848	+27314 −603	+793	·0931783	+27176 −595	+762	·0901501	+27022 −582	+772	·0871991	+26852 −565	+761	·0843242	+26669 −550	+750	5·0
5·1	+27753 −679	+827	·1175079	+27735 −673	+820	·1139558	+27698 −660	+812	·1104849	+27645 −652	+803	·1070943	+27575 −642	+796	·1037832	+27489 −633	+786	5·1
5·2	+27388 −701	+834	·1415045	+27483 −697	+829	·1375031	+27560 −697	+824	·1335842	+27616 −689	+818	·1297470	+27656 −687	+812	·1259911	+27676 −678	+808	5·2
5·3	+26322 −693	+821	·1682494	+26534 −698	+819	·1638064	+26725 −699	+817	·1594451	+26898 −703	+815	·1551653	+27050 −700	+812	·1509666	+27185 −702	+808	5·3
5·4	+24563 −654	+788	·1976477	+24887 −663	+790	·1927822	+25191 −667	+791	·1879958	+25477 −674	+792	·1832886	+25744 −681	+799	·1786606	+25992 −686	+792	5·4
5·5	+22150 −582	+738	·2295347	+22577 −591	+741	·2242771	+22990 −611	+746	·2190942	+23382 −619	+750	·2139863	+23757 −630	+754	·2089538	+24113 −638	+757	5·5
5·6	+19155 −483	+667	·2636794	+19676 −506	+675	·2580710	+20178 −515	+683	·2525308	+20668 −537	+690	·2470597	+21140 −551	+697	·2416583	+21596 −586	+703	5·6
5·7	+15577 −371	+583	·2997917	+16269 −388	+594	·2938827	+16851 −411	+604	·2880342	+17417 −424	+614	·2822471	+17972 −445	+624	·2765224	+18513 −464	+633	5·7
5·8	+11828 −236	+487	·3375309	+12478 −262	+500	·3313795	+13113 −281	+513	·3252793	+13742 −306	+525	·3192317	+14359 −323	+537	·3132378	+14966 −348	+549	5·8
5·9	+7743 −106	+382	·3765177	+8421 −127	+397	·3701876	+9094 −150	+411	·3638986	+9761 −172	+426	·3576522	+10421 −195	+440	·3514498	+11073 −215	+453	5·9
6·0	+3552 +27	+272	·4163466	+4239 +7	+288	·4099051	+4925 −14	+304	·4034940	+5606 −38	+319	·3971148	+6288 −57	+335	·3907691	+6965 −69	+350	6·0
6·1	−612 +152	+160	·4565994	+64 +132	+177	·4501151	+742 +108	+193	·4436502	+1419 +90	+210	·4372062	+2098 +68	+226	·4307849	+2775 +51	+242	6·1
6·2	−4624 +264	+51	·4968586	−3979 +242	+67	·4903993	−3333 +230	+84	·4839483	−2680 +210	+101	·4775074	−2024 +190	+117	·4710782	−1364 +168	+134	6·2
6·3	−8372 +351	−54	·5367199	−7780 +342	−37	·5303502	−7178 +325	−21	·5239784	−6569 +308	−6	·5176062	−5956 +296	+12	·5112351	−5335 +283	+26	6·3
6·4	−11769 +426	−150	·5758032	−11239 +416	−135	·5695833	−10698 +402	−119	·5633516	−10150 +394	−103	·5571094	−9590 +377	−88	·5508585	−9023 +363	−72	6·4
6·5	−14740 +475	−236	·6137626	−14283 +466	−222	·6077466	−13816 +460	−206	·6017098	−13337 +451	−193	·5956536	−12847 +443	−179	·5895796	−12348 +438	−164	6·5
6·6	−17236 +500	−310	·6502937	−16861 +499	−296	·6445283	−16474 +497	−285	·6387343	−16073 +491	−272	·6329131	−15661 +488	−259	·6270659	−15235 +477	−246	6·6
6·7	−19232 +509	−372	·6851387	−18940 +507	−361	·6796626	−18635 +506	−350	·6741515	−18318 +507	−339	·6686065	−17987 +503	−328	·6630287	−17645 +506	−316	6·7
6·8	−20719 +495	−420	·7180897	−20512 +501	−411	·7129334	−20290 +501	−409	·7077369	−20056 +504	−393	·7025012	−19810 +508	−384	·6972270	−19549 +503	−374	6·8
6·9	−21711 +470	−456	·7489895	−21583 +473	−448	·7441752	−21444 +482	−441	·7393167	−21290 +483	−434	·7344149	−21125 +487	−427	·7294704	−20948 +495	−418	6·9
7·0	−22233 +427	−478	·7777310	−22181 +437	−473	·7732726	−22116 +441	−468	·7687675	−22041 +451	−462	·7642161	−21953 +456	−457	·7596190	−21852 +460	−450	7·0
7·1	−22328 +381	−489	·8042544	−22342 +387	−486	·8001584	−22347 +398	−483	·7960142	−22341 +406	−479	·7918220	−22323 +412	−475	·7875824	−22296 +424	−470	7·1
7·2	−22042 +324	−490	·8285436	−22116 +333	−488	·8248095	−22180 +343	−486	·8210268	−22236 +351	−484	·8171956	−22281 +363	−482	·8133162	−22316 +368	−479	7·2
7·3	−21432 +288	−482	·8506212	−21555 +277	−482	·8472426	−21670 +286	−481	·8438159	−21778 +298	−480	·8403411	−21876 +303	−479	·8368184	−21968 +317	−478	7·3
7·4	−20554 +209	−468	·8705433	−20717 +220	−467	·8675087	−20874 +230	−466	·8644272	−21023 +237	−468	·8612990	−21168 +252	−469	·8581238	−21303 +256	−469	7·4
7·5	−19467 +157	−444	·8883937	−19659 +182	−446	·8856874	−19848 +174	−448	·8829362	−20031 +183	−450	·8801401	−20208 +188	−451	·8772989	−20382 +203	−452	7·5
7·6	−18223 +100	−418	·9042782	−18439 +115	−421	·9018813	−18648 +117	−423	·8994421	−18856 +128	−426	·8969604	−19060 +138	−426	·8944358	−19258 +141	−430	7·6
7·7	−16879 +81	−389	·9183188	−17104 +60	−392	·9162104	−17331 +74	−395	·9140624	−17553 +78	−398	·9118747	−17774 +88	−401	·9096469	−17993 +101	−403	7·7
7·8	−15474 +15	−357	·9306490	−15709 +28	−361	·9288064	−15940 +29	−364	·9269274	−16172 +40	−367	·9250116	−16400 +41	−371	·9230587	−16627 +44	−374	7·8
7·9	−14054 −18	−325	·9414083	−14288 −15	−329	·9398084	−14520 −5	−332	·9381752	−14751 −5	−336	·9365085	−14985 +7	−340	·9348078	−15217 +14	−343	7·9
8·0	−12650 −43	−293	·9507390	−12878 −37	−296	·9493584	−13105 −37	−300	·9479479	−13335 −29	−304	·9465069	−13563 −29	−308	·9450352	−13793 −24	−311	8·0

	$p = 37{\cdot}0$			$p = 37{\cdot}2$			$p = 37{\cdot}4$			$p = 37{\cdot}6$			$p = 37{\cdot}8$			$p = 38{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
8·0	·9584134	−11526 −61	−273	·9572049	−11749 −58	−277	·9559687	−11973 −53	−281	·9547044	−12198 −48	−285	·9534116	−12424 −45	−289	·9520899	8·0
8·1	·9653431	−10221 −76	−242	·9643123	−10431 −76	−248	·9632569	−10643 −73	−250	·9621765	−10856 −73	−253	·9610708	−11071 −70	−257	·9599394	8·1
8·2	·9712507	−8992 −90	−213	·9703766	−9189 −88	−218	·9694808	−9388 −85	−220	·9685630	−9588 −85	−223	·9676229	−9791 −82	−227	·9666600	8·2
8·3	·9762591	−7854 −95	−185	·9755220	−8036 −94	−189	·9747659	−8216 −95	−192	·9739907	−8402 −92	−195	·9731959	−8589 −92	−199	·9723812	8·3
8·4	·9804821	−6811 −100	−160	·9798639	−6974 −98	−163	·9792294	−7143 −98	−167	·9785782	−7311 −97	−170	·9779100	−7482 −97	−173	·9772245	8·4
8·5	·9840240	−5865 −98	−138	·9835084	−6014 −99	−140	·9829786	−6162 −99	−143	·9824346	−6315 −99	−146	·9818759	−6469 −99	−149	·9813024	8·5
8·6	·9869794	−5020 −94	−117	·9865515	−5150 −96	−120	·9861116	−5284 −98	−122	·9856595	−5420 −97	−125	·9851949	−5559 −97	−128	·9847175	8·6
8·7	·9894328	−4267 −90	−99	·9890796	−4383 −91	−102	·9887162	−4501 −92	−104	·9883424	−4621 −93	−106	·9879580	−4743 −94	−108	·9875628	8·7
8·8	·9914595	−3606 −84	−84	·9911694	−3707 −85	−86	·9908707	−3810 −86	−88	·9905632	−3914 −88	−90	·9902468	−4022 −89	−92	·9899213	8·8
8·9	·9931256	−3028 −79	−70	·9928885	−3116 −79	−72	·9926442	−3205 −81	−73	·9923926	−3298 −81	−75	·9921334	−3390 −83	−77	·9918666	8·9
9·0	·9944889	−2529 −71	−58	·9942960	−2604 −72	−60	·9940972	−2682 −73	−61	·9938922	−2760 −74	−63	·9936810	−2841 −75	−64	·9934634	9·0
9·1	·9955993	−2102 −63	−48	·9954431	−2166 −65	−49	·9952820	−2231 −66	−50	·9951158	−2297 −67	−52	·9949445	−2367 −68	−53	·9947679	9·1
9·2	·9964995	−1736 −56	−39	·9963736	−1789 −57	−40	·9962437	−1845 −58	−41	·9961097	−1902 −60	−43	·9959713	−1961 −61	−44	·9958286	9·2
9·3	·9972261	−1425 −49	−32	·9971252	−1473 −50	−33	·9970209	−1519 −51	−34	·9969132	−1568 −53	−35	·9968020	−1616 −54	−36	·9966873	9·3
9·4	·9978102	−1167 −43	−26	·9977295	−1204 −44	−27	·9976462	−1244 −45	−28	·9975601	−1284 −46	−28	·9974711	−1325 −47	−29	·9973792	9·4
9·5	·9982776	−949 −38	−21	·9982134	−980 −38	−22	·9981471	−1012 −39	−22	·9980786	−1047 −39	−23	·9980077	−1081 −40	−24	·9979345	9·5
9·6	·9986501	−768 −31	−17	·9985993	−794 −32	−17	·9985468	−822 −33	−18	·9984924	−848 −34	−18	·9984362	−877 −35	−19	·9983781	9·6
9·7	·9989458	−619 −27	−14	·9989058	−641 −27	−14	·9988643	−662 −28	−14	·9988214	−686 −29	−15	·9987770	−709 −30	−15	·9987311	9·7
9·8	·9991796	−496 −23	−11	·9991482	−514 −23	−11	·9991156	−533 −24	−11	·9990818	−550 −25	−12	·9990469	−569 −26	−12	·9990108	9·8
9·9	·9993638	−396 −19	−9	·9993392	−411 −20	−9	·9993136	−424 −20	−9	·9992872	−440 −21	−9	·9992599	−457 −21	−10	·9992315	9·9
10·0	·9995082	−314 −18	−7	·9994891	−327 −16	−7	·9994692	−340 −17	−7	·9994486	−352 −17	−7	·9994272	−363 −18	−8	·9994051	10·0
10·1	·9996212	−251 −13	−5	·9996063	−259 −13	−5	·9995908	−268 −13	−6	·9995748	−278 −14	−6	·9995582	−288 −15	−6	·9995410	10·1
10·2	·9997091	−196 −10	−4	·9996976	−204 −11	−4	·9996856	−211 −11	−4	·9996732	−219 −11	−5	·9996604	−228 −12	−5	·9996471	10·2
10·3	·9997774	−158 −8		·9997685	−160 −9		·9997593	−166 −9	−4	·9997497	−173 −9	−4	·9997398	−179 −10	−4	·9997295	10·3
10·4	·9998301	−120 −7		·9998233	−125 −7		·9998162	−130 −8		·9998089	−136 −8		·9998013	−141 −8		·9997934	10·4
10·5	·9998708	−95 −6		·9998656	−99 −6		·9998601	−101 −7		·9998545	−105 −7		·9998487	−109 −6		·9998426	10·5
10·6	·9999020	−73 −5		·9998980	−75 −6		·9998939	−80 −5		·9998896	−83 −5		·9998852	−86 −5		·9998805	10·6
10·7	·9999259	−58 −4		·9999229	−59 −4		·9999197	−60 −4		·9999165	−64 −4		·9999131	−66 −4		·9999096	10·7
10·8	·9999442	−45		·9999419	−46		·9999395	−48		·9999370	−49		·9999344	−50		·9999318	10·8
10·9	·9999580	−33		·9999563	−35		·9999545	−36		·9999526	−37		·9999507	−39		·9999487	10·9
11·0	·9999685	−25		·9999672	−27		·9999659	−28		·9999645	−30		·9999630	−30		·9999615	11·0
11·1	·9999765	−20		·9999755	−20		·9999745	−21		·9999734	−22		·9999723	−22		·9999712	11·1
11·2	·9999825	−15		·9999817	−15		·9999810	−16		·9999802	−17		·9999794	−18		·9999785	11·2
11·3	·9999870	−11		·9999864	−11		·9999859	−13		·9999853	−13		·9999847	−14		·9999840	11·3
11·4	·9999904	−9		·9999899	−9		·9999895	−9		·9999891	−10		·9999886	−10		·9999882	11·4
11·5	·9999929	−6		·9999926	−7		·9999922	−7		·9999919	−7		·9999916	−8		·9999912	11·5
11·6	·9999947	−4		·9999945	−5		·9999943	−5		·9999940	−5		·9999938	−6		·9999935	11·6
11·7	·9999961	−4		·9999960	−4		·9999958	−4		·9999956	−4		·9999954	−4		·9999952	11·7
11·8	·9999972			·9999970			·9999969			·9999968			·9999966			·9999965	11·8
11·9	·9999979			·9999978			·9999977			·9999976			·9999975			·9999974	11·9
12·0	·9999985			·9999984			·9999983			·9999983			·9999982			·9999981	12·0
12·1	·9999989			·9999988			·9999988			·9999987			·9999987			·9999986	12·1
12·2	·9999992			·9999992			·9999991			·9999991			·9999991			·9999990	12·2
12·3	·9999994			·9999994			·9999994			·9999993			·9999993			·9999993	12·3
12·4	·9999996			·9999996			·9999995			·9999995			·9999995			·9999995	12·4
12·5	·9999997			·9999997			·9999997			·9999996			·9999996			·9999996	12·5
12·6	·9999998			·9999998			·9999998			·9999997			·9999997			·9999997	12·6
12·7	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·7
12·8	·9999999			·9999999			·9999999			·9999999			·9999999			·9999998	12·8
12·9	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	12·9
13·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·0
13·1	1·0000000			1·0000000			1·0000000			·9999999			·9999999			·9999999	13·1
13·2										1·0000000			1·0000000			1·0000000	13·2

u	p = 38·0			p = 38·2				p = 38·4				p = 38·6				p = 38·8				p = 39·0				u
	δ^2_u	δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u	δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u	δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u	δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u	δ^4_u	δ^2_p δ^4_p	I (u, p)	δ^2_u	δ^4_u	δ^2_p δ^4_p	
8·0	−12660	−43	−293	·9507390	−12878	−37	−296	·9493584	−13105	−37	−300	·9479479	−13335	−29	−304	·9465069	−13563	−29	−308	·9450352	−13793	−24	−311	8·0
8·1	−11289	−68	−261	·9587819	−11507	−64	−265	·9575979	−11727	−59	−269	·9563871	−11948	−56	−272	·9551490	−12170	−51	−276	·9538833	−12393	−46	−280	8·1
8·2	−9994	−80	−231	·9656741	−10200	−78	−235	·9646647	−10408	−75	−238	·9636315	−10617	−73	−242	·9625741	−10827	−70	−246	·9614921	−11039	−70	−249	8·2
8·3	−8779	−91	−202	·9715463	−8971	−89	−206	·9706907	−9163	−89	−209	·9698142	−9358	−88	−213	·9689165	−9557	−86	−218	·9679970	−9755	−84	−223	8·3
8·4	−7654	−96	−176	·9765214	−7829	−96	−179	·9758004	−8009	−95	−183	·9750611	−8189	−94	−186	·9743032	−8370	−94	−189	·9735264	−8556	−92	−193	8·4
8·5	−6628	−99	−153	·9807136	−6783	−99	−156	·9801092	−6947	−98	−158	·9794891	−7111	−98	−161	·9788529	−7278	−98	−164	·9782002	−7446	−97	−167	8·5
8·6	−5698	−98	−130	·9842270	−5840	−98	−133	·9837233	−5987	−99	−136	·9832060	−6135	−99	−139	·9826748	−6284	−99	−141	·9821295	−6435	−99	−144	8·6
8·7	−4868	−96	−111	·9871564	−4995	−96	−113	·9867387	−5123	−97	−116	·9863094	−5254	−97	−118	·9858683	−5388	−98	−121	·9854151	−5525	−99	−123	8·7
8·8	−4132	−91	−94	·9895863	−4243	−91	−96	·9892418	−4358	−91	−98	·9888874	−4473	−93	−100	·9885230	−4591	−93	−102	·9881483	−4711	−95	−105	8·8
8·9	−3485	−84	−79	·9915919	−3583	−85	−81	·9913091	−3682	−86	−83	·9910181	−3784	−87	−84	·9907186	−3887	−88	−87	·9904104	−3992	−89	−88	8·9
9·0	−2923	−77	−66	·9932392	−3007	−78	−67	·9930082	−3092	−79	−69	·9927704	−3181	−80	−71	·9925255	−3271	−81	−72	·9922733	−3362	−82	−74	9·0
9·1	−2438	−70	−54	·9945858	−2510	−70	−56	·9943981	−2584	−72	−57	·9942046	−2658	−73	−59	·9940053	−2736	−74	−60	·9938000	−2815	−75	−62	9·1
9·2	−2020	−62	−45	·9956814	−2082	−63	−46	·9955296	−2145	−66	−47	·9953730	−2210	−65	−49	·9952116	−2276	−66	−50	·9950452	−2343	−68	−51	9·2
9·3	−1668	−55	−37	·9965688	−1718	−56	−38	·9964466	−1772	−58	−39	·9963204	−1826	−58	−40	·9961903	−1882	−60	−41	·9960561	−1940	−61	−42	9·3
9·4	−1368	−48	−30	·9972844	−1412	−49	−31	·9971864	−1456	−51	−32	·9970852	−1501	−51	−33	·9969808	−1548	−53	−34	·9968730	−1596	−54	−34	9·4
9·5	−1117	−42	−24	·9978588	−1152	−43	−25	·9977806	−1189	−44	−26	·9976999	−1229	−45	−26	·9976165	−1268	−46	−27	·9975303	−1308	−47	−28	9·5
9·6	−906	−36	−20	·9983180	−936	−37	−20	·9982559	−968	−38	−21	·9981917	−999	−39	−22	·9981254	−1032	−40	−22	·9980568	−1065	−41	−23	9·6
9·7	−733	−30	−16	·9986836	−758	−31	−16	·9986344	−782	−32	−17	·9985836	−809	−33	−17	·9985311	−836	−34	−18	·9984768	−865	−35	−18	9·7
9·8	−598	−25	−13	·9989734	−616	−26	−13	·9989347	−632	−27	−13	·9988946	−652	−28	−14	·9988532	−674	−29	−14	·9988103	−696	−30	−15	9·8
9·9	−471	−22	−10	·9992022	−488	−22	−10	·9991718	−504	−23	−10	·9991404	−523	−24	−11	·9991079	−542	−25	−11	·9990742	−560	−25	−12	9·9
10·0	−377	−18	−8	·9993822	−390	−19	−8	·9993585	−405	−19	−8	·9993339	−418	−20	−9	·9993084	−431	−20	−9	·9992821	−448	−20	−9	10·0
10·1	−298	−15	−6	·9995232	−310	−16	−6	·9995047	−320	−18	−7	·9994856	−332	−18	−7	·9994658	−345	−18	−7	·9994452	−355	−17	−7	10·1
10·2	−237	−12	−5	·9996332	−244	−13	−5	·9996189	−253	−13	−5	·9996041	−263	−13	−5	·9995887	−272	−14	−6	·9995728	−283	−15	−6	10·2
10·3	−185	−10	−4	·9997188	−193	−10	−4	·9997078	−201	−11	−4	·9996963	−207	−11	−4	·9996844	−214	−12	−4	·9996721	−222	−12	−5	10·3
10·4	−147	−8		·9997851	−151	−8		·9997766	−156	−9		·9997678	−163	−9		·9997587	−170	−10		·9997492	−178	−10	−4	10·4
10·5	−113	−7		·9998363	−118	−7		·9998298	−123	−7		·9998230	−126	−8		·9998160	−131	−8		·9998087	−138	−8		10·5
10·6	−88	−6		·9998757	−92	−6		·9998707	−96	−5		·9998656	−100	−6		·9998602	−103	−6		·9998546	−108	−6		10·6
10·7	−69	−4		·9999059	−71	−5		·9999021	−74	−5		·9998982	−77	−5		·9998941	−80	−5		·9998899	−84	−6		10·7
10·8	−53			·9999290	−55	−4		·9999261	−57	−4		·9999231	−59	−4		·9999200	−61	−4		·9999168	−63	−4		10·8
10·9	−41			·9999466	−43			·9999444	−44			·9999421	−46			·9999398	−48			·9999374	−50			10·9
11·0	−31			·9999599	−32			·9999583	−34			·9999566	−36			·9999548	−38			·9999530	−38			11·0
11·1	−24			·9999700	−25			·9999688	−26			·9999675	−26			·9999662	−28			·9999648	−29			11·1
11·2	−18			·9999776	−18			·9999767	−19			·9999758	−21			·9999748	−22			·9999737	−22			11·2
11·3	−13			·9999834	−15			·9999827	−16			·9999820	−16			·9999812	−15			·9999804	−16			11·3
11·4	−11			·9999877	−11			·9999871	−11			·9999866	−11			·9999861	−13			·9999855	−13			11·4
11·5	−8			·9999909	−8			·9999905	−8			·9999901	−9			·9999897	−9			·9999892	−10			11·5
11·6	−6			·9999933	−6			·9999930	−6			·9999927	−7			·9999924	−7			·9999921	−7			11·6
11·7	−4			·9999950	−4			·9999948	−5			·9999946	−5			·9999944	−6			·9999942	−6			11·7
11·8	−4			·9999964	−4			·9999962	−4			·9999961	−4			·9999959	−4			·9999957	−4			11·8
11·9				·9999973				·9999972				·9999971				·9999970				·9999969				11·9
12·0				·9999981				·9999980				·9999979				·9999978				·9999977				12·0
12·1				·9999986				·9999985				·9999985				·9999984				·9999983				12·1
12·2				·9999990				·9999989				·9999989				·9999988				·9999988				12·2
12·3				·9999993				·9999992				·9999992				·9999992				·9999991				12·3
12·4				·9999995				·9999994				·9999994				·9999994				·9999994				12·4
12·5				·9999996				·9999996				·9999996				·9999996				·9999995				12·5
12·6				·9999997				·9999997				·9999997				·9999997				·9999997				12·6
12·7				·9999998				·9999998				·9999998				·9999998				·9999998				12·7
12·8				·9999998				·9999998				·9999998				·9999998				·9999998				12·8
12·9				·9999999				·9999999				·9999999				·9999999				·9999999				12·9
13·0				·9999999				·9999999				·9999999				·9999999				·9999999				13·0
13·1				·9999999				·9999999				·9999999				·9999999				·9999999				13·1
13·2				1·0000000				1·0000000				1·0000000				1·0000000				1·0000000				13·2

	p = 39·0			p = 39·2			p = 39·4			p = 39·6			p = 39·8			p = 40·0	
u	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	u
2·2	·0000000																2·2
2·3	·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	2·3
2·4	·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000000	+1 0		·0000000	2·4
2·5	·0000002	+3 +2		·0000002	+3 +2		·0000002	+2 +1		·0000002	+2 +1		·0000001	+2 +1		·0000001	2·5
2·6	·0000006	+6 +3		·0000006	+5 +3		·0000005	+4 +4		·0000004	+4 +2		·0000004	+3 +3		·0000004	2·6
2·7	·0000016	+11 +6		·0000014	+11 +6		·0000012	+10 +6		·0000011	+6 +5		·0000010	+7 +5		·0000009	2·7
2·8	·0000037	+24 +11		·0000033	+21 +10		·0000029	+22 +10		·0000026	+16 +8		·0000023	+17 +8		·0000021	2·8
2·9	·0000082	+46 +17		·0000073	+43 +15		·0000066	+36 +13		·0000059	+35 +15		·0000053	+32 +13		·0000048	2·9
3·0	·0000173	+86 +28		·0000156	+79 +26		·0000141	+73 +22		·0000127	+67 +21		·0000115	+61 +20		·0000104	3·0
3·1	·0000350	+154 +40		·0000318	+141 +41		·0000289	+130 +38		·0000262	+120 +35		·0000238	+110 +34		·0000216	3·1
3·2	·0000681	+262 +63	+5	·0000621	+244 +56	+5	·0000567	+225 +56	+5	·0000517	+208 +53	+4	·0000471	+193 +49	+4	·0000429	3·2
3·3	·0001274	+433 +86	+9	·0001168	+403 +81	+9	·0001070	+376 +74	+8	·0000980	+349 +74	+7	·0000897	+325 +69	+7	·0000821	3·3
3·4	·0002300	+690 +110	+15	·0002118	+643 +113	+14	·0001949	+601 +109	+13	·0001792	+564 +96	+12	·0001648	+526 +94	+11	·0001515	3·4
3·5	·0004016	+1057 +152	+24	·0003711	+996 +136	+22	·0003429	+935 +132	+20	·0003168	+875 +136	+19	·0002925	+821 +130	+18	·0002700	3·5
3·6	·0006789	+1576 +180	+36	·0006300	+1485 +182	+33	·0005844	+1401 +174	+31	·0005419	+1322 +162	+29	·0005023	+1246 +156	+27	·0004655	3·6
3·7	·0011138	+2275 +217	+52	·0010374	+2156 +207	+49	·0009660	+2041 +203	+46	·0008992	+1931 +201	+43	·0008367	+1827 +195	+41	·0007783	3·7
3·8	·0017762	+3191 +241	+75	·0016604	+3034 +241	+71	·0015517	+2884 +237	+67	·0014496	+2741 +231	+63	·0013538	+2603 +228	+59	·0012640	3·8
3·9	·0027577	+4348 +271	+104	·0025868	+4153 +263	+98	·0024258	+3964 +258	+93	·0022741	+3782 +254	+88	·0021312	+3607 +249	+84	·0019968	3·9
4·0	·0041740	+5776 +266	+140	·0039285	+5535 +269	+133	·0036963	+5302 +272	+127	·0034768	+5077 +271	+121	·0032693	+4860 +268	+115	·0030733	4·0
4·1	·0061679	+7470 +266	+184	·0058237	+7186 +268	+176	·0054970	+6912 +263	+168	·0051872	+6643 +265	+160	·0048934	+6381 +270	+153	·0046148	4·1
4·2	·0089088	+9430 +228	+236	·0084375	+9105 +242	+226	·0079889	+8785 +244	+217	·0075619	+8474 +250	+208	·0071556	+8172 +250	+199	·0067692	4·2
4·3	·0125927	+11618 +178	+295	·0119618	+11256 +192	+284	·0113593	+10902 +196	+273	·0107840	+10555 +201	+262	·0102350	+10213 +210	+252	·0097112	4·3
4·4	·0174384	+13984 +106	+360	·0166117	+13599 +111	+348	·0158199	+13215 +129	+338	·0150616	+12837 +142	+324	·0143357	+12464 +156	+312	·0136409	4·4
4·5	·0236825	+16456 +6	+430	·0226215	+16053 +31	+416	·0216020	+15657 +40	+403	·0206229	+15261 +58	+390	·0196828	+14871 +66	+377	·0187804	4·5
4·6	·0315722	+18934 -97	+501	·0302366	+18538 -85	+488	·0289498	+18139 -62	+474	·0277103	+17743 -49	+460	·0265169	+17344 -25	+447	·0253681	4·6
4·7	·0413553	+21315 -220	+573	·0397055	+20938 -197	+558	·0381115	+20559 -180	+544	·0365720	+20176 -158	+530	·0350856	+19792 -142	+517	·0336508	4·7
4·8	·0532699	+23476 -338	+640	·0512682	+23141 -320	+626	·0493291	+22799 -299	+612	·0474513	+22451 -281	+599	·0456334	+22098 -262	+585	·0438740	4·8
4·9	·0675321	+25299 -453	+700	·0651450	+25024 -424	+687	·0628266	+24740 -418	+674	·0605757	+24445 -396	+662	·0583910	+24142 -378	+648	·0562710	4·9
5·0	·0843242	+26669 -550	+750	·0815242	+26473 -546	+738	·0787981	+26263 -518	+727	·0761446	+26043 -508	+716	·0735628	+25808 -487	+704	·0710512	5·0
5·1	·1037832	+27489 -633	+786	·1005507	+27386 -620	+777	·0973959	+27268 -609	+767	·0943178	+27133 -589	+757	·0913154	+26987 -581	+748	·0883878	5·1
5·2	·1259911	+27676 -678	+806	·1223158	+27679 -672	+799	·1187205	+27664 -664	+792	·1152043	+27634 -661	+785	·1117667	+27585 -649	+777	·1084068	5·2
5·3	·1509666	+27185 -702	+808	·1468488	+27300 -700	+805	·1428115	+27396 -696	+800	·1388542	+27474 -692	+796	·1349765	+27534 -688	+791	·1311778	5·3
5·4	·1786606	+25992 -686	+792	·1741118	+26221 -690	+791	·1696421	+26432 -695	+790	·1652515	+26622 -694	+789	·1609397	+26795 -696	+786	·1567066	5·4
5·5	·2089538	+24113 -638	+757	·2039969	+24452 -647	+759	·1991159	+24773 -657	+761	·1943110	+25076 -666	+762	·1895824	+25360 -673	+764	·1849302	5·5
5·6	·2416583	+21596 -566	+703	·2363272	+22036 -582	+709	·2310670	+22457 -589	+714	·2258781	+22864 -605	+718	·2207611	+23252 -615	+722	·2157163	5·6
5·7	·2765224	+18513 -464	+633	·2708611	+19038 -478	+641	·2652638	+19552 -502	+649	·2597316	+20047 -513	+657	·2542650	+20529 -529	+664	·2488648	5·7
5·8	·3132378	+14966 -346	+549	·3072988	+15562 -368	+568	·3014158	+16145 -384	+578	·2955898	+16717 -405	+585	·2898218	+17277 -425	+590	·2841128	5·8
5·9	·3514498	+11073 -215	+453	·3452927	+11718 -237	+466	·3391823	+12354 -259	+479	·3331197	+12982 -281	+491	·3271063	+13600 -302	+503	·3211432	5·9
6·0	·3907691	+6965 -82	+350	·3844584	+7637 -104	+365	·3781842	+8304 -126	+379	·3719478	+8966 -147	+393	·3657508	+9621 -167	+407	·3595944	6·0
6·1	·4307849	+2775 +51	+242	·4243878	+3452 +31	+258	·4180165	+4128 +10	+273	·4116725	+4803 -15	+289	·4053574	+5475 -38	+304	·3990727	6·1
6·2	·4710782	-1364 +168	+134	·4646624	-702 +148	+150	·4582616	-38 +127	+166	·4518775	+625 +114	+182	·4455115	+1291 +95	+198	·4391652	6·2
6·3	·5112351	-5335 +283	+28	·5048668	-4708 +265	+44	·4985029	-4077 +252	+60	·4921450	-3439 +228	+76	·4857947	-2798 +209	+92	·4794536	6·3
6·4	·5508585	-9023 +363	-72	·5446004	-8449 +354	-57	·5383365	-7864 +323	-41	·5320686	-7275 +324	-26	·5257981	-6678 +311	-10	·5195266	6·4
6·5	·5895796	-12348 +438	-164	·5834891	-11836 +423	-150	·5773837	-11328 +441	-135	·5712647	-10787 +406	-120	·5651337	-10247 +391	-105	·5589922	6·5
6·6	·6270659	-15235 +477	-246	·6211942	-14800 +475	-233	·6152991	-14351 +453	-219	·6093821	-13893 +459	-206	·6034446	-13425 +456	-192	·5974878	6·6
6·7	·6630287	-17645 +506	-316	·6574193	-17289 +501	-304	·6517794	-16921 +499	-293	·6461102	-16540 +494	-280	·6404130	-16147 +486	-268	·6346890	6·7
6·8	·6972270	-19549 +505	-374	·6919155	-19277 +509	-364	·6865676	-18992 +511	-354	·6811843	-18693 +508	-343	·6757667	-18383 +511	-333	·6703158	6·8
6·9	·7294704	-20948 +495	-418	·7244840	-20756 +494	-410	·7194566	-20552 +495	-402	·7143891	-20338 +503	-393	·7092821	-20108 +501	-385	·7041367	6·9
7·0	·7596190	-21852 +460	-450	·7549769	-21741 +471	-444	·7502904	-21617 +476	-438	·7455601	-21480 +479	-431	·7407867	-21332 +486	-424	·7359709	7·0
7·1	·7875824	-22296 +424	-470	·7832957	-22255 +425	-466	·7789625	-22206 +437	-461	·7745831	-22143 +441	-456	·7701581	-22070 +448	-451	·7656880	7·1
7·2	·8133162	-22316 +368	-479	·8093890	-22344 +384	-476	·8054140	-22358 +386	-473	·8013918	-22365 +398	-470	·7973225	-22360 +406	-466	·7932066	7·2
7·3	·8368184	-21968 +317	-478	·8332479	-22049 +320	-477	·8296297	-22124 +335	-475	·8259640	-22189 +344	-474	·8222509	-22244 +351	-472	·8184907	7·3
7·4	·8581238	-21303 +256	-469	·8549019	-21434 +271	-469	·8516330	-21555 +277	-468	·8483173	-21669 +284	-468	·8449549	-21777 +296	-467	·8415457	7·4
7·5	·8772989	-20382 +203	-452	·8744125	-20548 +208	-453	·8714808	-20709 +217	-454	·8685037	-20865 +230	-455	·8654812	-21014 +238	-456	·8624131	7·5
7·6	·8944358	-19258 +141	-430	·8918683	-19454 +154	-432	·8892577	-19646 +165	-434	·8866036	-19831 +170	-435	·8839061	-20013 +181	-437	·8811649	7·6
7·7	·9096469	-17993 +101	-403	·9073787	-18206 +103	-406	·9050700	-18418 +111	-408	·9027204	-18627 +121	-411	·9003297	-18831 +127	-413	·8978977	7·7
7·8	·9230587	-16627 +44	-374	·9210685	-16855 +56	-377	·9190405	-17079 +62	-380	·9169745	-17302 +71	-383	·9148702	-17522 +78	-386	·9127273	7·8
7·9	·9348078	-15217 +14	-343	·9330728	-15448 +19	-347	·9313031	-15678 +25	-350	·9294984	-15906 +28	-353	·9276585	-16135 +36	-356	·9257829	7·9
8·0	·9450352	-13793 -24	-311	·9435323	-14022 -20	-315	·9419979	-14252 -14	-319	·9404317	-14482 -8	-322	·9388333	-14712 -1	-326	·9372023	8·0

	$p = 40{\cdot}0$		$p = 40{\cdot}2$			$p = 40{\cdot}4$			$p = 40{\cdot}6$			$p = 40{\cdot}8$			$p = 41{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·2																		2·2
2·3	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			2·3
2·4	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		2·4
2·5	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		2·5
2·6	+3 +2		·0000003	+3 +2		·0000003	+2 +2		·0000002	+3 +1		·0000002	+2 +2		·0000002	+2 +1		2·6
2·7	+6 +5		·0000008	+6 +4		·0000007	+6 +4		·0000006	+6 +2		·0000005	+5 +3		·0000005	+4 +2		2·7
2·8	+15 +8		·0000019	+13 +7		·0000017	+11 +7		·0000015	+10 +6		·0000013	+10 +5		·0000012	+9 +5		2·8
2·9	+29 +12		·0000043	+27 +12		·0000038	+25 +10		·0000035	+21 +11		·0000031	+20 +8		·0000028	+18 +9		2·9
3·0	+56 +18		·0000094	+50 +18		·0000084	+47 +17		·0000076	+43 +15		·0000069	+38 +18		·0000062	+36 +14		3·0
3·1	+101 +33		·0000195	+95 +25		·0000177	+86 +28		·0000160	+80 +24		·0000145	+74 +22		·0000132	+66 +23		3·1
3·2	+179 +45	+4	·0000391	+165 +45		·0000356	+153 +39		·0000324	+141 +39		·0000295	+130 +37		·0000268	+121 +32		3·2
3·3	+302 +66	+8	·0000752	+280 +62	+8	·0000688	+259 +63	+5	·0000629	+241 +57	+5	·0000575	+224 +53	+4	·0000525	+208 +51	+4	3·3
3·4	+491 +90	+10	·0001393	+457 +90	+10	·0001279	+428 +80	+9	·0001175	+398 +80	+8	·0001079	+371 +76	+8	·0000990	+348 +71	+7	3·4
3·5	+770 +124	+16	·0002491	+724 +112	+16	·0002298	+677 +113	+14	·0002119	+636 +105	+13	·0001954	+594 +101	+12	·0001801	+555 +100	+11	3·5
3·6	+1173 +153	+26	·0004313	+1103 +152	+24	·0003994	+1039 +142	+22	·0003698	+977 +139	+21	·0003423	+918 +135	+20	·0003167	+864 +125	+18	3·6
3·7	+1729 +186	+39	·0007238	+1634 +181	+36	·0006729	+1543 +179	+34	·0006254	+1457 +174	+32	·0005810	+1377 +184	+30	·0005397	+1298 +164	+28	3·7
3·8	+2471 +224	+56	·0011797	+2346 +217	+53	·0011007	+2226 +210	+50	·0010267	+2111 +204	+47	·0009574	+2000 +203	+44	·0008925	+1898 +193	+41	3·8
3·9	+3437 +247	+79	·0018702	+3275 +243	+75	·0017511	+3119 +238	+71	·0016391	+2969 +238	+67	·0015338	+2826 +228	+63	·0014349	+2687 +227	+60	3·9
4·0	+4650 +266	+109	·0028882	+4447 +264	+104	·0027134	+4251 +262	+98	·0025484	+4063 +257	+93	·0023928	+3880 +256	+88	·0022460	+3705 +251	+84	4·0
4·1	+6129 +268	+146	·0043509	+5883 +268	+139	·0041008	+5645 +267	+133	·0038640	+5414 +267	+126	·0036398	+5190 +268	+120	·0034276	+4974 +265	+114	4·1
4·2	+7876 +254	+190	·0064019	+7587 +256	+182	·0060527	+7306 +262	+174	·0057210	+7032 +264	+168	·0054058	+6768 +259	+160	·0051066	+6508 +265	+152	4·2
4·3	+9877 +220	+242	·0092116	+9550 +223	+232	·0087352	+9229 +229	+223	·0082812	+8914 +236	+214	·0078486	+8605 +247	+205	·0074364	+8307 +245	+197	4·3
4·4	+12098 +163	+301	·0129763	+11736 +176	+290	·0123406	+11381 +183	+279	·0117328	+11032 +191	+268	·0111519	+10689 +198	+259	·0105969	+10351 +208	+249	4·4
4·5	+14482 +84	+365	·0179146	+14098 +95	+353	·0170841	+13718 +115	+341	·0162876	+13341 +124	+330	·0155241	+12971 +131	+318	·0147925	+12603 +147	+307	4·5
4·6	+16950 −13	+433	·0242627	+16568 +6	+420	·0231992	+16164 +17	+407	·0221765	+15774 +35	+395	·0211934	+15384 +56	+383	·0202484	+15002 +62	+371	4·6
4·7	+19495 −122	+503	·0322663	+19018 −106	+490	·0309307	+18629 −84	+476	·0296428	+18240 −67	+463	·0284011	+17853 −56	+450	·0272045	+17463 −33	+437	4·7
4·8	+21738 −239	+571	·0421717	+21376 −218	+558	·0405251	+21010 −205	+544	·0389331	+20639 −184	+531	·0373941	+20266 −164	+518	·0359069	+19891 −147	+505	4·8
4·9	+23832 −352	+635	·0542146	+23514 −336	+622	·0522205	+23186 −320	+609	·0502873	+22854 −303	+596	·0484137	+22515 −282	+583	·0465984	+22172 −265	+570	4·9
5·0	+25564 −472	+692	·0686089	+25307 −441	+680	·0662345	+25042 −438	+668	·0639269	+24766 −418	+656	·0616848	+24482 −403	+643	·0595071	+24188 −383	+631	5·0
5·1	+26824 −564	+737	·0855339	+26649 −551	+727	·0827527	+26460 −533	+716	·0800431	+26260 −521	+706	·0774041	+26046 −503	+695	·0748346	+25821 −487	+684	5·1
5·2	+27520 −638	+769	·1051238	+27440 −629	+761	·1019169	+27345 −622	+752	·0987853	+27233 −607	+744	·0957280	+27107 −594	+734	·0927442	+26967 −581	+725	5·2
5·3	+27578 −688	+785	·1274577	+27602 −680	+780	·1238156	+27608 −668	+773	·1202508	+27599 −663	+767	·1167626	+27574 −657	+760	·1133505	+27532 −649	+753	5·3
5·4	+26948 −689	+784	·1525518	+27084 −693	+781	·1484751	+27203 −693	+777	·1444762	+27302 −693	+774	·1405546	+27384 −689	+770	·1367100	+27448 −684	+765	5·4
5·5	+25625 −678	+764	·1803543	+25873 −685	+764	·1758549	+26101 −686	+764	·1714318	+26312 −688	+763	·1670850	+26505 −693	+761	·1628143	+26680 −694	+760	5·5
5·6	+23624 −628	+726	·2107441	+23977 −634	+729	·2058448	+24314 −645	+732	·2010186	+24634 −657	+734	·1962659	+24933 −657	+735	·1915866	+25218 −667	+737	5·6
5·7	+20995 −542	+670	·2435316	+21447 −561	+676	·2382661	+21882 −574	+682	·2330688	+22298 −581	+687	·2279401	+22704 −601	+692	·2228807	+23089 −610	+696	5·7
5·8	+17824 −445	+599	·2784638	+18356 −456	+608	·2728756	+18876 −478	+616	·2673489	+19383 −499	+624	·2618847	+19874 −512	+631	·2564837	+20350 −526	+638	5·8
5·9	+14208 −321	+515	·3152316	+14807 −346	+526	·3093727	+15392 −359	+537	·3035673	+15968 −378	+547	·2978167	+16532 −397	+557	·2921217	+17085 −417	+566	5·9
6·0	+10271 −192	+420	·3534801	+10912 −209	+433	·3474090	+11549 −238	+446	·3413825	+12175 −256	+458	·3354019	+12793 −276	+470	·3294682	+13403 −298	+482	6·0
6·1	+6142 −54	+318	·3928198	+6808 −79	+333	·3866002	+7468 −95	+347	·3804152	+8126 −122	+361	·3742664	+8778 −146	+374	·3681550	+9423 −164	+388	6·1
6·2	+1959 +70	+213	·4328403	+2625 +52	+228	·4265382	+3292 +26	+244	·4202605	+3955 +12	+258	·4140087	+4617 −6	+273	·4077841	+5279 −32	+288	6·2
6·3	−2154 +193	+108	·4731233	−1506 +171	+123	·4668054	−856 +160	+139	·4605013	−204 +133	+154	·4542127	+450 +112	+169	·4479411	+1103 +98	+185	6·3
6·4	−6074 +294	+6	·5132557	−5466 +284	+21	·5069868	−4848 +258	+37	·5007217	−4230 +249	+52	·4944617	−3605 +232	+67	·4882084	−2978 +211	+82	6·4
6·5	−9700 +382	−91	·5528415	−9142 +364	−76	·5466834	−8580 +359	−61	·5405191	−8007 +341	−46	·5343502	−7428 +328	−31	·5281782	−6842 +314	−16	6·5
6·6	−12944 +444	−178	·5915131	−12454 +438	−165	·5855220	−11953 +425	−151	·5795158	−11443 +416	−137	·5734959	−10923 +404	−123	·5674638	−10395 +393	−109	6·6
6·7	−15744 +485	−256	·6289393	−15328 +479	−244	·6231653	−14901 +474	−231	·6173682	−14463 +468	−218	·6115493	−14014 +461	−205	·6057099	−13555 +455	−192	6·7
6·8	−18059 +507	−322	·6648327	−17723 +504	−311	·6593185	−17375 +501	−300	·6537743	−17015 +498	−289	·6482013	−16644 +496	−277	·6426005	−16260 +490	−266	6·8
6·9	−19867 +504	−376	·6989538	−19614 +507	−366	·6937342	−19348 +509	−357	·6884789	−19069 +508	−347	·6831889	−18778 +507	−338	·6778651	−18475 +508	−327	6·9
7·0	−21171 +490	−417	·7311135	−20998 +493	−409	·7262151	−20812 +494	−401	·7212766	−20615 +499	−394	·7162987	−20408 +502	−386	·7112822	−20182 +502	−377	7·0
7·1	−21985 +454	−446	·7611734	−21889 +461	−440	·7566148	−21782 +471	−434	·7520128	−21662 +475	−428	·7473680	−21530 +479	−421	·7426811	−21387 +485	−415	7·1
7·2	−22345 +414	−463	·7890444	−22319 +421	−459	·7848363	−22281 +424	−454	·7805828	−22234 +433	−450	·7762843	−22176 +441	−445	·7719413	−22107 +448	−441	7·2
7·3	−22291 +361	−469	·8146835	−22328 +371	−467	·8108297	−22356 +381	−464	·8069294	−22373 +387	−461	·8029830	−22381 +395	−458	·7989908	−22379 +404	−455	7·3
7·4	−21876 +305	−466	·8380898	−21966 +311	−465	·8345875	−22050 +322	−464	·8310387	−22125 +333	−463	·8274436	−22191 +343	−461	·8238024	−22247 +348	−459	7·4
7·5	−21156 +246	−456	·8592995	−21293 +259	−456	·8561403	−21422 +268	−456	·8529355	−21544 +277	−456	·8496851	−21658 +284	−455	·8463893	−21767 +298	−455	7·5
7·6	−20190 +192	−438	·8783799	−20361 +199	−439	·8755509	−20526 +206	−440	·8726779	−20686 +215	−441	·8697608	−20841 +226	−442	·8667995	−20989 +233	−443	7·6
7·7	−19032 +134	−415	·8954242	−19230 +144	−417	·8929089	−19424 +154	−419	·8903517	−19613 +163	−421	·8877524	−19798 +171	−423	·8851108	−19978 +180	−424	7·7
7·8	−17740 +86	−389	·9105455	−17955 +93	−392	·9083245	−18167 +101	−394	·9060642	−18377 +108	−396	·9037642	−18584 +118	−399	·9014243	−18787 +126	−401	7·8
7·9	−16362 +43	−360	·9238713	−16587 +49	−363	·9219234	−16811 +56	−366	·9199390	−17033 +64	−369	·9179176	−17252 +69	−372	·9158591	−17470 +78	−375	7·9
8·0	−14941 +5	−329	·9355384	−15170 +10	−332	·9338412	−15397 +15	−336	·9321105	−15625 +21	−339	·9303458	−15851 +26	−342	·9285469	−16077 +35	−346	8·0

	$p = 39{\cdot}0$			$p = 39{\cdot}2$			$p = 39{\cdot}4$			$p = 39{\cdot}6$			$p = 39{\cdot}8$			$p = 40{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
8·0	·9450352	−13793 −24	−311	·9435323	−14022 −20	−316	·9419979	−14252 −14	−319	·9404317	−14482 −8	−322	·9388333	−14712 −1	−326	·9372023	8·0
8·1	·9538833	−12393 −46	−280	·9525896	−12617 −48	−283	·9512675	−12840 −41	−287	·9499168	−13066 −35	−291	·9485369	−13290 −34	−294	·9471276	8·1
8·2	·9614921	−11039 −70	−249	·9603852	−11252 −67	−253	·9592531	−11469 −62	−256	·9580953	−11686 −59	−260	·9569115	−11903 −66	−264	·9557013	8·2
8·3	·9679970	−9755 −84	−220	·9670556	−9957 −81	−224	·9660918	−10159 −79	−227	·9651053	−10363 −79	−231	·9640958	−10570 −74	−234	·9630628	8·3
8·4	·9735264	−8556 −92	−193	·9727303	−8741 −90	−196	·9719146	−8930 −90	−199	·9710790	−9120 −88	−203	·9702231	−9312 −88	−206	·9693466	8·4
8·5	·9782002	−7446 −97	−167	·9775309	−7618 −96	−170	·9768444	−7789 −97	−173	·9761407	−7966 −96	−177	·9754192	−8142 −95	−180	·9746798	8·5
8·6	·9821295	−6436 −99	−144	·9815697	−6591 −98	−147	·9809953	−6746 −99	−150	·9804058	−6904 −99	−153	·9798011	−7066 −99	−156	·9791808	8·6
8·7	·9854151	−5525 −99	−123	·9849496	−5661 −100	−126	·9844714	−5802 −101	−129	·9839805	−5947 −99	−131	·9834764	−6092 −98	−134	·9829589	8·7
8·8	·9881483	−4711 −93	−105	·9877632	−4834 −94	−107	·9873673	−4958 −96	−110	·9869605	−5084 −96	−112	·9865425	−5213 −97	−114	·9861131	8·8
8·9	·9904104	−3992 −89	−88	·9900934	−4099 −89	−90	·9897674	−4210 −90	−93	·9894321	−4322 −92	−95	·9890873	−4435 −93	−97	·9887328	8·9
9·0	·9922733	−3362 −82	−74	·9920137	−3456 −85	−76	·9917465	−3550 −84	−78	·9914715	−3647 −87	−80	·9911886	−3747 −88	−82	·9908976	9·0
9·1	·9938000	−2815 −75	−62	·9935884	−2896 −77	−64	·9933706	−2979 −78	−65	·9931462	−3062 −81	−67	·9929152	−3148 −80	−68	·9926774	9·1
9·2	·9950452	−2343 −68	−51	·9948736	−2412 −69	−53	·9946968	−2482 −72	−54	·9945147	−2556 −71	−55	·9943270	−2630 −73	−57	·9941336	9·2
9·3	·9960561	−1940 −61	−42	·9959176	−1998 −62	−43	·9957748	−2058 −64	−44	·9956276	−2119 −64	−46	·9954758	−2182 −65	−47	·9953194	9·3
9·4	·9968730	−1596 −54	−34	·9967618	−1646 −56	−35	·9966470	−1697 −56	−36	·9965286	−1749 −57	−37	·9964064	−1802 −59	−38	·9962804	9·4
9·5	·9975303	−1308 −47	−28	·9974414	−1350 −48	−29	·9973495	−1392 −49	−30	·9972547	−1436 −50	−31	·9971568	−1480 −51	−31	·9970558	9·5
9·6	·9980568	−1065 −41	−23	·9979860	−1100 −42	−23	·9979128	−1135 −42	−24	·9978372	−1171 −44	−25	·9977592	−1210 −46	−25	·9976786	9·6
9·7	·9984768	−866 −35	−18	·9984206	−892 −35	−19	·9983626	−922 −36	−20	·9983026	−952 −38	−20	·9982406	−982 −38	−21	·9981766	9·7
9·8	·9988103	−696 −30	−15	·9987660	−720 −30	−15	·9987202	−745 −32	−16	·9986728	−770 −32	−16	·9986238	−795 −33	−17	·9985732	9·8
9·9	·9990742	−560 −25	−12	·9990394	−580 −26	−12	·9990033	−598 −27	−13	·9989660	−618 −27	−13	·9989275	−641 −26	−13	·9988876	9·9
10·0	·9992821	−446 −20	−9	·9992548	−462 −23	−10	·9992266	−480 −22	−10	·9991974	−497 −22	−10	·9991671	−512 −23	−10	·9991358	10·0
10·1	·9994452	−355 −17	−7	·9994240	−369 −19	−8	·9994019	−381 −18	−8	·9993791	−394 −19	−8	·9993555	−408 −20	−8	·9993311	10·1
10·2	·9995728	−283 −13	−6	·9995563	−293 −13	−6	·9995391	−302 −15	−6	·9995214	−314 −16	−6	·9995031	−326 −16	−7	·9994840	10·2
10·3	·9996721	−222 −12	−5	·9996593	−230 −11	−5	·9996461	−240 −13	−5	·9996323	−247 −14	−5	·9996181	−256 −12	−5	·9996034	10·3
10·4	·9997492	−176 −10	−4	·9997393	−181 −9	−4	·9997291	−188 −10	−4	·9997185	−195 −11	−4	·9997075	−202 −10	−4	·9996962	10·4
10·5	·9998087	−136 −8		·9998012	−143 −8		·9997933	−147 −9		·9997852	−153 −9		·9997767	−157 −8		·9997680	10·5
10·6	·9998546	−106 −6		·9998488	−110 −6		·9998428	−114 −7		·9998366	−119 −8		·9998302	−123 −7		·9998234	10·6
10·7	·9998899	−84 −5		·9998854	−86 −5		·9998809	−90 −5		·9998761	−92 −6		·9998712	−96 −6		·9998661	10·7
10·8	·9999168	−63 −4		·9999135	−66 −4		·9999100	−69 −4		·9999064	−73 −4		·9999026	−74 −5		·9998987	10·8
10·9	·9999374	−50		·9999348	−50		·9999322	−53		·9999294	−54		·9999266	−57 −4		·9999236	10·9
11·0	·9999530	−38		·9999511	−40		·9999491	−41		·9999470	−43		·9999449	−45		·9999426	11·0
11·1	·9999648	−29		·9999634	−31		·9999619	−32		·9999603	−32		·9999587	−34		·9999570	11·1
11·2	·9999737	−22		·9999726	−22		·9999715	−23		·9999704	−26		·9999691	−26		·9999679	11·2
11·3	·9999804	−16		·9999796	−17		·9999788	−18		·9999779	−18		·9999770	−20		·9999761	11·3
11·4	·9999855	−13		·9999849	−14		·9999843	−13		·9999836	−14		·9999829	−14		·9999822	11·4
11·5	·9999892	−10		·9999888	−10		·9999883	−9		·9999879	−11		·9999874	−12		·9999868	11·5
11·6	·9999921	−7		·9999917	−7		·9999914	−8		·9999910	−8		·9999907	−9		·9999903	11·6
11·7	·9999942	−6		·9999939	−6		·9999937	−6		·9999934	−7		·9999931	−7		·9999928	11·7
11·8	·9999957	−4		·9999955	−4		·9999954	−5		·9999952	−6		·9999950	−5		·9999947	11·8
11·9	·9999969			·9999967			·9999966	−4		·9999964	−4		·9999963	−4		·9999961	11·9
12·0	·9999977			·9999976			·9999975			·9999974			·9999973			·9999972	12·0
12·1	·9999983			·9999983			·9999982			·9999981			·9999980			·9999979	12·1
12·2	·9999988			·9999987			·9999987			·9999986			·9999986			·9999985	12·2
12·3	·9999991			·9999991			·9999990			·9999990			·9999990			·9999989	12·3
12·4	·9999994			·9999993			·9999993			·9999993			·9999993			·9999992	12·4
12·5	·9999995			·9999995			·9999995			·9999995			·9999995			·9999994	12·5
12·6	·9999997			·9999997			·9999996			·9999996			·9999996			·9999996	12·6
12·7	·9999998			·9999997			·9999997			·9999997			·9999997			·9999997	12·7
12·8	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·8
12·9	·9999999			·9999999			·9999999			·9999999			·9999998			·9999998	12·9
13·0	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·0
13·1	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·1
13·2	1·0000000			1·0000000			1·0000000			·9999999			·9999999			·9999999	13·2
13·3										1·0000000			1·0000000			1·0000000	13·3

	$p = 40·0$		$p = 40·2$			$p = 40·4$			$p = 40·6$			$p = 40·8$			$p = 41·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·0	-14941 +5	-329	·9355384	-16170 +10	-332	·9338412	-16397 +16	-336	·9321105	-16625 +21	-339	·9303458	-16851 +26	-342	·9285469	-18077 +36	-346	8·0
8·1	-13518 -28	-298	·9456885	-13742 -26	-301	·9442193	-13971 -17	-305	·9427195	-14196 -15	-308	·9411889	-14424 -7	-312	·9396270	-14649 -4	-316	8·1
8·2	-12122 -62	-267	·9544644	-12342 -48	-271	·9532003	-12560 -48	-274	·9519089	-12783 -41	-278	·9505896	-13004 -38	-282	·9492422	-13228 -32	-285	8·2
8·3	-10777 -73	-238	·9620061	-10986 -69	-241	·9609253	-11197 -67	-245	·9598200	-11408 -64	-248	·9586899	-11622 -61	-252	·9575346	-11835 -52	-256	8·3
8·4	-9506 -86	-209	·9684492	-9702 -86	-213	·9675306	-9901 -81	-216	·9665903	-10101 -80	-220	·9656280	-10301 -78	-223	·9646435	-10503 -76	-226	8·4
8·5	-8322 -95	-183	·9739221	-8503 -94	-186	·9731458	-8686 -92	-189	·9723505	-8870 -92	-193	·9715360	-9058 -91	-196	·9707019	-9247 -90	-199	8·5
8·6	-7229 -98	-159	·9785447	-7398 -97	-162	·9778924	-7563 -99	-165	·9772237	-7734 -96	-168	·9765382	-7906 -96	-171	·9758356	-8080 -96	-174	8·6
8·7	-6239 -98	-137	·9824277	-6386 -101	-139	·9818827	-6539 -100	-142	·9813235	-6693 -100	-145	·9807498	-6849 -99	-147	·9801613	-7007 -98	-150	8·7
8·8	-5346 -98	-117	·9856721	-5480 -97	-119	·9852191	-5614 -98	-121	·9847540	-5762 -99	-124	·9842765	-5892 -99	-126	·9837863	-6034 -101	-129	8·8
8·9	-4549 -96	-99	·9883685	-4667 -95	-101	·9879941	-4789 -94	-103	·9876093	-4910 -97	-105	·9872140	-5034 -98	-108	·9868079	-5161 -97	-110	8·9
9·0	-3850 -88	-83	·9905982	-3953 -90	-85	·9902902	-4057 -91	-87	·9899736	-4165 -91	-89	·9896481	-4275 -93	-91	·9893134	-4386 -93	-93	9·0
9·1	-3236 -80	-70	·9924326	-3326 -83	-72	·9921806	-3417 -85	-73	·9919214	-3511 -84	-75	·9916547	-3606 -87	-77	·9913803	-3703 -88	-78	9·1
9·2	-2704 -74	-58	·9939344	-2781 -77	-59	·9937293	-2860 -78	-61	·9935181	-2941 -78	-62	·9933007	-3023 -80	-64	·9930769	-3108 -80	-66	9·2
9·3	-2248 -67	-48	·9951581	-2313 -68	-49	·9949920	-2382 -66	-50	·9948207	-2449 -71	-52	·9946444	-2521 -72	-53	·9944627	-2593 -72	-54	9·3
9·4	-1858 -61	-39	·9961505	-1913 -60	-40	·9960165	-1969 -63	-41	·9958784	-2029 -63	-43	·9957360	-2089 -64	-44	·9955892	-2150 -66	-45	9·4
9·5	-1526 -52	-32	·9969516	-1573 -54	-33	·9968441	-1622 -55	-34	·9967332	-1672 -56	-35	·9966187	-1721 -56	-36	·9965007	-1773 -59	-37	9·5
9·6	-1243 -45	-26	·9975954	-1287 -47	-27	·9975095	-1328 -48	-28	·9974208	-1368 -49	-29	·9973293	-1412 -50	-29	·9972349	-1456 -51	-30	9·6
9·7	-1014 -39	-21	·9981105	-1048 -40	-22	·9980421	-1080 -41	-22	·9979716	-1116 -42	-23	·9978987	-1150 -44	-24	·9978235	-1187 -45	-24	9·7
9·8	-822 -34	-17	·9985208	-848 -34	-17	·9984667	-876 -34	-18	·9984108	-904 -36	-19	·9983531	-935 -38	-19	·9982934	-964 -38	-20	9·8
9·9	-662 -29	-14	·9988463	-683 -29	-14	·9988037	-707 -29	-15	·9987596	-731 -30	-15	·9987140	-754 -32	-15	·9986669	-779 -32	-16	9·9
10·0	-529 -24	-11	·9991035	-549 -25	-11	·9990700	-567 -26	-12	·9990353	-585 -27	-12	·9989995	-605 -27	-12	·9989625	-626 -27	-13	10·0
10·1	-424 -20	-9	·9993058	-437 -20	-9	·9992796	-452 -21	-9	·9992525	-468 -23	-10	·9992245	-485 -22	-10	·9991955	-501 -23	-10	10·1
10·2	-335 -17	-7	·9994644	-349 -17	-7	·9994440	-361 -18	-7	·9994229	-374 -19	-8	·9994010	-386 -19	-8	·9993784	-399 -19	-8	10·2
10·3	-263 -14	-6	·9995881	-274 -14	-6	·9995723	-284 -16	-6	·9995559	-294 -15	-6	·9995390	-306 -16	-6	·9995214	-316 -16	-6	10·3
10·4	-210 -11	-4	·9996844	-218 -12	-4	·9996722	-226 -12	-4	·9996595	-233 -12	-5	·9996464	-241 -13	-5	·9996328	-250 -14	-5	10·4
10·5	-164 -10		·9997589	-169 -10		·9997495	-176 -10		·9997398	-183 -10	-4	·9997297	-189 -11	-4	·9997192	-196 -11	-4	10·5
10·6	-127 -8		·9998165	-133 -8		·9998093	-138 -9		·9998018	-143 -8		·9997941	-149 -9		·9997860	-153 -9		10·6
10·7	-101 -6		·9998608	-104 -6		·9998553	-108 -7		·9998495	-111 -7		·9998436	-115 -7		·9998375	-120 -8		10·7
10·8	-77 -5		·9998947	-80 -5		·9998905	-83 -6		·9998861	-86 -6		·9998816	-89 -6		·9998770	-94 -6		10·8
10·9	-59 -4		·9999206	-62 -4		·9999174	-64 -4		·9999141	-67 -5		·9999107	-70 -4		·9999071	-71 -5		10·9
11·0	-46		·9999403	-47		·9999379	-49 -4		·9999354	-51 -4		·9999328	-53 -4		·9999301	-55 -4		11·0
11·1	-35		·9999553	-38		·9999535	-39		·9999516	-40		·9999496	-40		·9999476	-43		11·1
11·2	-27		·9999666	-27		·9999652	-28		·9999638	-30		·9999624	-32		·9999608	-32		11·2
11·3	-21		·9999751	-21		·9999741	-22		·9999730	-22		·9999719	-24		·9999708	-23		11·3
11·4	-15		·9999815	-16		·9999808	-18		·9999800	-18		·9999791	-18		·9999783	-19		11·4
11·5	-11		·9999863	-12		·9999857	-12		·9999852	-14		·9999845	-13		·9999839	-14		11·5
11·6	-9		·9999899	-9		·9999895	-10		·9999890	-9		·9999886	-11		·9999881	-11		11·6
11·7	-7		·9999925	-6		·9999922	-8		·9999919	-7		·9999916	-8		·9999912	-8		11·7
11·8	-5		·9999945	-5		·9999943	-6		·9999941	-6		·9999938	-6		·9999936	-6		11·8
11·9	-4		·9999960	-4		·9999958	-4		·9999956	-4		·9999955	-4		·9999953	-4		11·9
12·0			·9999971			·9999969			·9999968			·9999967			·9999966	-4		12·0
12·1			·9999979			·9999978			·9999977			·9999976			·9999975			12·1
12·2			·9999984			·9999984			·9999983			·9999982			·9999982			12·2
12·3			·9999989			·9999988			·9999988			·9999987			·9999987			12·3
12·4			·9999992			·9999992			·9999991			·9999991			·9999990			12·4
12·5			·9999994			·9999994			·9999994			·9999993			·9999993			12·5
12·6			·9999996			·9999996			·9999995			·9999995			·9999995			12·6
12·7			·9999997			·9999997			·9999997			·9999997			·9999996			12·7
12·8			·9999998			·9999998			·9999998			·9999998			·9999997			12·8
12·9			·9999998			·9999998			·9999998			·9999998			·9999998			12·9
13·0			·9999999			·9999999			·9999999			·9999999			·9999999			13·0
13·1			·9999999			·9999999			·9999999			·9999999			·9999999			13·1
13·2			·9999999			·9999999			·9999999			·9999999			·9999999			13·2
13·3			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			13·3

	$p = 41·0$			$p = 41·2$			$p = 41·4$			$p = 41·6$			$p = 41·8$			$p = 42·0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
2·3	·0000000																2·3
2·4	·0000000	0 0		·0000000	0 0		·0000000			·0000000			·0000000			·0000000	2·4
2·5	·0000001	+1 +1		·0000001	+1 +1		·0000000	0 0		·0000000	+1 +1		·0000000	+1 0		·0000000	2·5
2·6	·0000002	+2 +1		·0000002	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	2·6
2·7	·0000005	+4 +2		·0000004	+4 +2		·0000004	+3 +2		·0000003	+3 +2		·0000003	+2 +1		·0000003	2·7
2·8	·0000012	+9 +5		·0000011	+7 +5		·0000009	+8 +3		·0000008	+7 +4		·0000007	+6 +3		·0000007	2·8
2·9	·0000028	+18 +9		·0000025	+17 +7		·0000022	+15 +7		·0000020	+13 +6		·0000018	+12 +6		·0000016	2·9
3·0	·0000062	+36 +14		·0000056	+32 +13		·0000050	+30 +11		·0000045	+28 +10		·0000041	+24 +11		·0000036	3·0
3·1	·0000132	+66 +23		·0000119	+62 +19		·0000108	+56 +20		·0000098	+51 +19		·0000088	+46 +17		·0000080	3·1
3·2	·0000268	+121 +32		·0000244	+111 +32		·0000222	+102 +31		·0000202	+94 +29		·0000183	+87 +26		·0000166	3·2
3·3	·0000525	+206 +51	+4	·0000480	+192 +50	+4	·0000438	+179 +44		·0000400	+166 +41		·0000365	+153 +41		·0000333	3·3
3·4	·0000990	+346 +71	+7	·0000908	+323 +66	+7	·0000833	+300 +65	+6	·0000764	+279 +62	+6	·0000700	+260 +57	+5	·0000642	3·4
3·5	·0001801	+555 +100	+11	·0001659	+519 +95	+11	·0001528	+486 +89	+10	·0001407	+454 +86	+9	·0001295	+424 +83	+9	·0001191	3·5
3·6	·0003167	+864 +125	+18	·0002929	+812 +122	+17	·0002709	+761 +120	+16	·0002504	+715 +113	+15	·0002314	+671 +107	+14	·0002138	3·6
3·7	·0005397	+1296 +154	+28	·0005011	+1224 +157	+26	·0004651	+1156 +148	+24	·0004316	+1089 +143	+23	·0004004	+1025 +143	+22	·0003713	3·7
3·8	·0008925	+1896 +193	+41	·0008317	+1796 +188	+39	·0007749	+1699 +186	+37	·0007217	+1608 +180	+35	·0006719	+1522 +172	+32	·0006254	3·8
3·9	·0014349	+2687 +227	+60	·0013419	+2555 +222	+56	·0012546	+2428 +217	+53	·0011726	+2307 +211	+50	·0010956	+2191 +205	+47	·0010234	3·9
4·0	·0022460	+3705 +251	+84	·0021076	+3536 +247	+80	·0019771	+3374 +242	+75	·0018542	+3217 +239	+71	·0017384	+3066 +237	+68	·0016294	4·0
4·1	·0034276	+4974 +265	+114	·0032269	+4764 +265	+108	·0030370	+4562 +262	+103	·0028575	+4366 +261	+98	·0026878	+4178 +254	+93	·0025275	4·1
4·2	·0051066	+6506 +255	+152	·0048226	+6257 +263	+145	·0045531	+6012 +265	+138	·0042974	+5776 +262	+132	·0040550	+5544 +268	+126	·0038252	4·2
4·3	·0074364	+8307 +245	+197	·0070440	+8013 +252	+189	·0066704	+7727 +256	+181	·0063149	+7448 +259	+173	·0059766	+7178 +256	+166	·0056549	4·3
4·4	·0105969	+10351 +208	+249	·0100667	+10021 +213	+239	·0095604	+9698 +216	+230	·0090772	+9379 +226	+221	·0086160	+9068 +233	+212	·0081760	4·4
4·5	·0147925	+12603 +147	+307	·0140915	+12242 +158	+296	·0134202	+11885 +171	+286	·0127774	+11536 +176	+276	·0121622	+11191 +184	+265	·0115735	4·5
4·6	·0202484	+15002 +62	+371	·0193405	+14621 +75	+359	·0184685	+14243 +89	+347	·0176312	+13869 +102	+336	·0168275	+13498 +118	+325	·0160562	4·6
4·7	·0272045	+17463 −33	+437	·0260516	+17075 −15	+425	·0249411	+16690 −3	+412	·0238719	+16304 +17	+400	·0228426	+15923 +27	+388	·0218522	4·7
4·8	·0359069	+19891 −147	+505	·0344702	+19514 −130	+492	·0330827	+19134 −108	+479	·0317430	+18756 −96	+466	·0304500	+18375 −75	+454	·0292024	4·8
4·9	·0465984	+22172 −265	+570	·0448402	+21823 −246	+558	·0431377	+21470 −229	+545	·0414897	+21112 −206	+532	·0398949	+20752 −182	+519	·0383520	4·9
5·0	·0595071	+24188 −383	+631	·0573925	+23886 −363	+619	·0553397	+23577 −344	+607	·0533476	+23262 −330	+594	·0514150	+22937 −303	+582	·0495405	5·0
5·1	·0748346	+25821 −487	+684	·0723334	+25586 −473	+673	·0698994	+25340 −456	+661	·0675317	+25082 −435	+650	·0652288	+24819 −427	+638	·0629899	5·1
5·2	·0927442	+26967 −581	+725	·0898329	+26818 −566	+716	·0869931	+26647 −555	+706	·0842240	+26467 −540	+696	·0815245	+26274 −521	+686	·0788935	5·2
5·3	·1133505	+27532 −649	+753	·1100137	+27474 −639	+746	·1067515	+27399 −623	+738	·1035630	+27312 −618	+730	·1004476	+27208 −606	+722	·0974043	5·3
5·4	·1367100	+27446 −684	+765	·1329419	+27496 −683	+760	·1292498	+27526 −677	+755	·1256332	+27539 −669	+749	·1220915	+27536 −662	+743	·1186241	5·4
5·5	·1628143	+26680 −694	+760	·1586197	+26835 −689	+758	·1545007	+26976 −694	+755	·1504573	+27097 −692	+752	·1464890	+27202 −692	+749	·1425956	5·5
5·6	·1915866	+25218 −667	+737	·1869810	+25485 −677	+737	·1824492	+25732 −679	+737	·1779911	+25963 −683	+737	·1736067	+26176 −684	+737	·1692960	5·6
5·7	·2228807	+23089 −610	+696	·2178908	+23458 −618	+699	·2129709	+23809 −627	+702	·2081212	+24146 −636	+705	·2033420	+24466 −649	+707	·1986336	5·7
5·8	·2564837	+20350 −526	+638	·2511464	+20813 −543	+645	·2458737	+21259 −555	+651	·2406659	+21693 −571	+656	·2355239	+22107 −579	+661	·2304479	5·8
5·9	·2921217	+17085 −417	+566	·2864833	+17525 −434	+575	·2809024	+18154 −457	+584	·2753799	+18667 −471	+592	·2699165	+19169 −489	+599	·2645131	5·9
6·0	·3294682	+13403 −298	+482	·3235827	+14003 −319	+493	·3177465	+14592 −335	+503	·3119606	+15172 −356	+514	·3062260	+15742 −375	+524	·3005438	6·0
6·1	·3681550	+9423 −164	+388	·3620824	+10062 −184	+400	·3560498	+10695 −205	+413	·3500585	+11321 −226	+425	·3441097	+11940 −250	+437	·3382046	6·1
6·2	·4077841	+5279 −32	+288	·4015883	+5937 −53	+302	·3954226	+6593 −78	+316	·3892885	+7244 −99	+329	·3831874	+7888 −112	+343	·3771204	6·2
6·3	·4479411	+1103 +98	+185	·4416879	+1759 +76	+200	·4354547	+2413 +61	+214	·4292429	+3068 +39	+229	·4230539	+3724 +11	+243	·4168893	6·3
6·4	·4882084	−2975 +211	+82	·4819634	−2343 +195	+98	·4757281	−1706 +172	+112	·4695041	−1069 +159	+127	·4632928	−429 +143	+142	·4570957	6·4
6·5	·5281782	−6842 +314	−16	·5220046	−6250 +299	−1	·5158309	−5653 +286	+13	·5096584	−5047 +264	+28	·5034888	−4439 +250	+43	·4973235	6·5
6·6	·5674638	−10395 +393	−109	·5614208	−9858 +382	−94	·5553684	−9312 +366	−80	·5493080	−8761 +361	−66	·5432409	−8199 +343	−52	·5371687	6·6
6·7	·6057099	−13555 +455	−192	·5998512	−13084 +444	−179	·5939747	−12605 +439	−166	·5880815	−12114 +424	−153	·5821731	−11616 +418	−139	·5762507	6·7
6·8	·6426005	−16260 +490	−266	·6369732	−15866 +488	−253	·6313205	−15459 +480	−242	·6256436	−15043 +479	−230	·6199436	−14615 +473	−218	·6142220	6·8
6·9	·6778651	−18475 +508	−327	·6725086	−18160 +507	−317	·6671204	−17833 +506	−307	·6617014	−17493 +501	−296	·6562528	−17141 +494	−286	·6507757	6·9
7·0	·7112822	−20182 +502	−377	·7062280	−19947 +502	−369	·7011370	−19701 +505	−360	·6960099	−19442 +506	−351	·6908478	−19173 +512	−342	·6856514	7·0
7·1	·7426811	−21387 +485	−415	·7379527	−21232 +491	−408	·7331835	−21064 +492	−401	·7283742	−20885 +496	−394	·7235255	−20693 +496	−386	·7186382	7·1
7·2	·7719413	−22107 +446	−441	·7675542	−22026 +453	−435	·7631236	−21935 +463	−430	·7586500	−21832 +468	−425	·7541339	−21717 +473	−419	·7495760	7·2
7·3	·7989908	−22379 +404	−455	·7949531	−22367 +412	−452	·7908702	−22343 +415	−448	·7867426	−22311 +425	−444	·7825706	−22266 +434	−440	·7783546	7·3
7·4	·8238024	−22247 +348	−459	·8201153	−22296 +360	−457	·8163825	−22336 +371	−455	·8126041	−22363 +377	−453	·8087805	−22385 +383	−450	·8049119	7·4
7·5	·8463893	−21767 +298	−455	·8430479	−21865 +301	−454	·8396612	−21958 +312	−453	·8362291	−22042 +322	−452	·8327519	−22119 +333	−451	·8292295	7·5
7·6	·8667995	−20989 +233	−443	·8637940	−21133 +248	−443	·8607441	−21258 +263	−443	·8576499	−21397 +262	−443	·8545114	−21520 +272	−443	·8513285	7·6
7·7	·8851108	−19978 +180	−424	·8824268	−20153 +187	−426	·8797002	−20323 +196	−427	·8769310	−20490 +205	−428	·8741189	−20649 +216	−429	·8712640	7·7
7·8	·9014243	−18787 +126	−401	·8990443	−18985 +133	−403	·8966240	−19188 +143	−405	·8941631	−19374 +147	−407	·8916615	−19562 +160	−409	·8891191	7·8
7·9	·9158591	−17470 +76	−375	·9137632	−17687 +88	−377	·9116295	−17899 +93	−380	·9094578	−18109 +93	−382	·9072479	−18317 +106	−385	·9049996	7·9
8·0	·9285469	−16077 +35	−346	·9267134	−16300 +39	−349	·9248451	−16524 +47	−352	·9229416	−16746 +49	−355	·9210026	−16965 +61	−358	·9190278	8·0

	$p = 42·0$		$p = 42·2$			$p = 42·4$			$p = 42·6$			$p = 42·8$			$p = 43·0$			
u	δ_u^2 δ_u^4	δ_p^9 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I\,(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·3																		2·3
2·4			·0000000			·0000000			·0000000			·0000000			·0000000			2·4
2·5	+1 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		2·5
2·6	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 0		2·6
2·7	+2 +2		·0000002	+3 +1		·0000002	+2 +1		·0000002	+2 +2		·0000002	+2 +1		·0000001	+2 +1		2·7
2·8	+5 +3		·0000006	+5 +3		·0000005	+5 +2		·0000005	+3 +3		·0000004	+3 +2		·0000004	+3 +2		2·8
2·9	+11 +6		·0000014	+10 +6		·0000013	+9 +4		·0000011	+10 +6		·0000010	+8 +4		·0000009	+7 +4		2·9
3·0	+24 +9		·0000033	+20 +9		·0000030	+18 +7		·0000027	+16 +7		·0000024	+16 +7		·0000021	+15 +6		3·0
3·1	+42 +15		·0000072	+40 +16		·0000065	+37 +13		·0000059	+33 +14		·0000053	+31 +11		·0000048	+27 +11		3·1
3·2	+81 +26		·0000151	+74 +23		·0000137	+68 +23		·0000124	+63 +20		·0000113	+57 +20		·0000102	+54 +17		3·2
3·3	+142 +38		·0000304	+131 +35		·0000277	+121 +34		·0000252	+113 +29		·0000230	+104 +31		·0000210	+94 +29		3·3
3·4	+240 +59	+5	·0000588	+224 +65	+4	·0000538	+209 +51	+4	·0000493	+192 +52	+4	·0000451	+179 +44		·0000412	+168 +40		3·4
3·5	+398 +72	+8	·0001096	+370 +74	+7	·0001008	+345 +69	+7	·0000926	+323 +64	+6	·0000851	+301 +63	+6	·0000782	+280 +61	+5	3·5
3·6	+628 +108	+13	·0001974	+590 +100	+12	·0001823	+552 +98	+11	·0001682	+518 +92	+10	·0001552	+485 +88	+10	·0001432	+453 +86	+9	3·6
3·7	+966 +135	+20	·0003442	+910 +129	+19	·0003190	+857 +122	+18	·0002956	+805 +121	+16	·0002738	+757 +116	+15	·0002535	+712 +110	+14	3·7
3·8	+1439 +168	+30	·0005820	+1359 +166	+29	·0005414	+1284 +161	+27	·0005035	+1213 +153	+25	·0004681	+1145 +149	+24	·0004350	+1081 +143	+22	3·8
3·9	+2080 +200	+45	·0009557	+1974 +193	+42	·0008922	+1872 +189	+40	·0008327	+1774 +187	+37	·0007769	+1682 +179	+35	·0007246	+1593 +176	+33	3·9
4·0	+2921 +234	+64	·0015268	+2782 +229	+61	·0014302	+2649 +223	+57	·0013393	+2522 +216	+54	·0012539	+2398 +216	+51	·0011735	+2281 +208	+48	4·0
4·1	+3996 +249	+89	·0023761	+3819 +250	+84	·0022331	+3649 +248	+80	·0020981	+3486 +243	+76	·0019707	+3329 +238	+72	·0018505	+3177 +235	+68	4·1
4·2	+5320 +270	+120	·0036073	+5106 +262	+114	·0034009	+4897 +260	+109	·0032055	+4693 +262	+104	·0030204	+4498 +257	+99	·0028452	+4308 +256	+94	4·2
4·3	+6914 +256	+158	·0053491	+6655 +263	+152	·0050584	+6405 +262	+145	·0047822	+6162 +260	+139	·0045199	+5924 +265	+132	·0042707	+5696 +262	+126	4·3
4·4	+8764 +238	+204	·0077564	+8467 +239	+196	·0073564	+8175 +247	+187	·0069751	+7891 +252	+180	·0066118	+7616 +250	+172	·0062657	+7344 +256	+165	4·4
4·5	+10852 +193	+256	·0110104	+10518 +204	+246	·0104719	+10192 +207	+237	·0099571	+9872 +211	+228	·0094652	+9556 +222	+220	·0089951	+9249 +223	+211	4·5
4·6	+13133 +128	+314	·0153162	+12773 +137	+303	·0146066	+12416 +161	+293	·0139263	+12064 +163	+283	·0132742	+11719 +169	+273	·0126494	+11377 +182	+263	4·6
4·7	+15542 +43	+376	·0208993	+15165 +56	+364	·0199829	+14791 +68	+353	·0191019	+14419 +82	+342	·0182551	+14051 +96	+331	·0174414	+13687 +106	+320	4·7
4·8	+17994 −57	+441	·0279989	+17613 −38	+429	·0268383	+17234 −24	+417	·0257194	+16856 −10	+406	·0246411	+16478 +8	+394	·0236021	+16103 +21	+382	4·8
4·9	+20389 −176	+507	·0368598	+20023 −159	+494	·0354171	+19658 −136	+482	·0340225	+19283 −117	+470	·0326749	+18913 −104	+458	·0313731	+18540 −83	+446	4·9
5·0	+22609 −287	+570	·0477230	+22274 −265	+557	·0459612	+21936 −251	+545	·0442539	+21593 −235	+533	·0426000	+21244 −213	+521	·0409981	+20894 −199	+509	5·0
5·1	+24542 −403	+627	·0608136	+24260 −381	+616	·0586989	+23968 −371	+604	·0566446	+23668 −360	+592	·0546495	+23362 −333	+581	·0527125	+23049 −304	+569	5·1
5·2	+26072 −512	+676	·0763302	+25865 −510	+666	·0738334	+25629 −475	+655	·0714021	+25393 −461	+644	·0690352	+25147 −444	+634	·0667318	+24880 −436	+623	5·2
5·3	+27090 −591	+713	·0944323	+26960 −573	+705	·0915308	+26815 −568	+696	·0886989	+26657 −553	+687	·0859356	+26488 −543	+677	·0832401	+26306 −529	+668	5·3
5·4	+27517 −653	+737	·1152304	+27482 −645	+731	·1119097	+27433 −640	+724	·1086614	+27368 −631	+716	·1054848	+27286 −614	+709	·1023790	+27193 −606	+701	5·4
5·5	+27289 −689	+746	·1387767	+27359 −686	+741	·1350319	+27411 −678	+736	·1313607	+27448 −673	+731	·1277626	+27470 −673	+726	·1242372	+27474 −664	+721	5·5
5·6	+26372 −688	+736	·1650589	+26550 −689	+734	·1608952	+26711 −690	+733	·1568048	+26855 −691	+730	·1527874	+26981 −686	+728	·1488428	+27091 −685	+725	5·6
5·7	+24767 −653	+709	·1939961	+25052 −660	+711	·1894296	+25321 −669	+712	·1849344	+25571 −672	+712	·1805103	+25806 −680	+712	·1761575	+26023 −684	+712	5·7
5·8	+22509 −596	+666	·2254385	+22894 −607	+670	·2204961	+23262 −614	+674	·2156211	+23615 −624	+677	·2108138	+23951 −632	+680	·2060745	+24271 −639	+682	5·8
5·9	+19655 −500	+607	·2591703	+20129 −517	+613	·2538888	+20589 −534	+620	·2486693	+21035 −552	+626	·2435124	+21464 −561	+631	·2384186	+21880 −576	+636	5·9
6·0	+16301 −397	+533	·2949150	+16847 −418	+542	·2893404	+17382 −430	+551	·2838210	+17903 −441	+559	·2783574	+18416 −466	+566	·2729507	+18913 −481	+575	6·0
6·1	+12550 −268	+449	·3323444	+13152 −289	+460	·3265302	+13745 −310	+471	·3207630	+14330 −335	+481	·3150440	+14903 −348	+491	·3093741	+15466 −365	+501	6·1
6·2	+8531 −137	+356	·3710890	+9168 −159	+366	·3650945	+9798 −178	+381	·3591380	+10422 −196	+393	·3532208	+11040 −218	+405	·3473440	+11652 −241	+416	6·2
6·3	+4376 −5	+257	·4107504	+5025 −24	+271	·4046386	+5673 −46	+284	·3985552	+6318 −67	+298	·3925016	+6960 −89	+311	·3864791	+7598 −112	+324	6·3
6·4	+214 +121	+167	·4509143	+858 +98	+171	·4447500	+1502 +81	+186	·4386042	+2147 +60	+199	·4324784	+2781 +40	+214	·4263740	+3432 +28	+227	6·4
6·5	−3826 +234	+56	·4911640	−3210 +221	+72	·4850116	−2588 +201	+87	·4788679	−1964 +184	+101	·4727343	−1338 +169	+116	·4666121	−706 +142	+129	6·5
6·6	−7632 +331	−38	·5310927	−7057 +314	−23	·5250144	−6477 +301	−9	·5189352	−5891 +287	+6	·5128564	−5298 +268	+19	·5067796	−4702 +256	+33	6·6
6·7	−11107 +406	−126	·5703157	−10590 +397	−112	·5643695	−10066 +387	−99	·5584134	−9531 +373	−85	·5524487	−8990 +363	−72	·5464769	−8442 +351	−56	6·7
6·8	−14176 +465	−206	·6084797	−13726 +455	−193	·6027181	−13266 +445	−181	·5969385	−12798 +440	−168	·5911420	−12319 +429	−156	·5853300	−11831 +419	−143	6·8
6·9	−16780 +495	−276	·6452711	−16407 +494	−264	·6397401	−16022 +489	−253	·6341838	−15626 +481	−241	·6286034	−15219 +479	−230	·6230000	−14801 +471	−218	6·9
7·0	−18889 +508	−333	·6804218	−18594 +505	−323	·6751599	−18289 +508	−313	·6698666	−17971 +507	−304	·6645429	−17640 +500	−294	·6591899	−17300 +501	−284	7·0
7·1	−20490 +498	−379	·7137131	−20276 +504	−371	·7087508	−20048 +502	−363	·7037523	−19810 +506	−354	·6987184	−19561 +511	−346	·6936498	−19298 +508	−337	7·1
7·2	−21692 +481	−413	·7449768	−21454 +483	−407	·7403369	−21305 +489	−400	·7356570	−21143 +488	−394	·7309378	−20971 +491	−387	·7261799	−20788 +497	−380	7·2
7·3	−22218 +437	−436	·7740951	−22148 +446	−431	·7697925	−22073 +451	−426	·7654474	−21988 +462	−421	·7610601	−21890 +466	−416	·7566312	−21781 +470	−410	7·3
7·4	−22397 +396	−447	·8009986	−22399 +402	−444	·7970408	−22390 +410	−441	·7930390	−22371 +417	−438	·7889934	−22343 +425	−434	·7849044	−22304 +433	−430	7·4
7·5	−22186 +340	−449	·8256622	−22245 +348	−448	·8220501	−22295 +357	−446	·8183935	−22337 +366	−444	·8146924	−22369 +372	−442	·8109472	−22394 +378	−439	7·5
7·6	−21635 +281	−443	·8481013	−21744 +292	−443	·8448299	−21847 +302	−442	·8415143	−21941 +312	−441	·8381545	−22028 +319	−441	·8347506	−22100 +324	−440	7·6
7·7	−20804 +224	−430	·8683660	−20952 +235	−430	·8654250	−21093 +240	−431	·8624410	−21231 +253	−431	·8594138	−21361 +261	−431	·8563434	−21484 +267	−432	7·7
7·8	−19746 +168	−411	·8865355	−19925 +174	−412	·8839108	−20102 +186	−414	·8812446	−20260 +195	−415	·8785370	−20435 +203	−416	·8757878	−20596 +210	−417	7·8
7·9	−18523 +117	−387	·9027125	−18726 +124	−389	·9003864	−18921 +133	−391	·8980213	−19118 +142	−394	·8956167	−19307 +146	−395	·8931727	−19496 +160	−397	7·9
8·0	−17181 +67	−360	·9170170	−17397 +75	−363	·9149699	−17612 +82	−366	·9128862	−17822 +91	−369	·9107657	−18033 +97	−371	·9086080	−18237 +111	−373	8·0

	$p=41\cdot 0$			$p=41\cdot 2$			$p=41\cdot 4$			$p=41\cdot 6$			$p=41\cdot 8$			$p=42\cdot 0$	
u	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^9_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	u
8·0	·9285469	−16077 +36	−346	·9267134	−16300 +39	−349	·9248451	−16524 +47	−352	·9229416	−16748 +49	−355	·9210026	−16965 +61	−358	·9190278	8·0
8·1	·9396270	−14649 −4	−316	·9380336	−14876 0	−319	·9364083	−15101 +6	−323	·9347508	−15326 +8	−326	·9330608	−15552 +20	−329	·9313379	8·1
8·2	·9492422	−13228 −32	−286	·9478662	−13450 −29	−289	·9464614	−13673 −26	−292	·9450274	−13897 −26	−295	·9435638	−14119 −17	−299	·9420704	8·2
8·3	·9575346	−11835 −59	−256	·9563538	−12051 −55	−259	·9551472	−12266 −51	−262	·9539143	−12485 −51	−265	·9526549	−12704 −43	−268	·9513686	8·3
8·4	·9646435	−10506 −75	−226	·9636363	−10709 −75	−229	·9626062	−10915 −72	−233	·9615527	−11122 −73	−236	·9604756	−11330 −66	−240	·9593745	8·4
8·5	·9707019	−9247 −90	−199	·9698479	−9438 −89	−202	·9689737	−9631 −88	−205	·9680789	−9826 −88	−209	·9671633	−10023 −86	−212	·9662264	8·5
8·6	·9758356	−8080 −95	−174	·9751157	−8256 −94	−177	·9743781	−8434 −96	−180	·9736225	−8614 −95	−183	·9728487	−8796 −92	−186	·9720563	8·6
8·7	·9801613	−7007 −98	−150	·9795579	−7168 −99	−153	·9789391	−7330 −98	−156	·9783047	−7494 −98	−159	·9776545	−7661 −99	−162	·9769882	8·7
8·8	·9837863	−6034 −101	−129	·9832833	−6178 −100	−132	·9827671	−6326 −99	−134	·9822375	−6475 −99	−137	·9816942	−6626 −100	−139	·9811369	8·8
8·9	·9868079	−5161 −97	−110	·9863909	−5291 −98	−112	·9859625	−5420 −100	−115	·9855228	−5554 −99	−117	·9850713	−5688 −99	−119	·9846079	8·9
9·0	·9893134	−4388 −93	−93	·9889694	−4498 −94	−95	·9886159	−4614 −95	−97	·9882527	−4732 −96	−99	·9878796	−4852 −97	−101	·9874963	9·0
9·1	·9913803	−3703 −88	−78	·9910981	−3803 −88	−80	·9908079	−3905 −88	−82	·9905094	−4006 −91	−84	·9902027	−4112 −91	−86	·9898873	9·1
9·2	·9930769	−3108 −80	−66	·9928465	−3193 −82	−67	·9926094	−3280 −83	−69	·9923655	−3371 −84	−70	·9921146	−3463 −84	−72	·9918564	9·2
9·3	·9944627	−2593 −72	−54	·9942756	−2667 −74	−56	·9940829	−2743 −75	−57	·9938845	−2819 −76	−58	·9936802	−2897 −78	−60	·9934700	9·3
9·4	·9955892	−2150 −66	−45	·9954380	−2213 −66	−46	·9952821	−2277 −67	−47	·9951216	−2344 −68	−48	·9949561	−2410 −70	−50	·9947858	9·4
9·5	·9965007	−1773 −59	−37	·9963791	−1828 −57	−38	·9962536	−1882 −61	−39	·9961243	−1938 −61	−40	·9959910	−1996 −63	−41	·9958536	9·5
9·6	·9972349	−1456 −51	−30	·9971374	−1499 −52	−31	·9970369	−1545 −54	−32	·9969332	−1592 −55	−33	·9968263	−1641 −56	−34	·9967160	9·6
9·7	·9978235	−1187 −45	−24	·9977458	−1224 −46	−25	·9976657	−1264 −46	−26	·9975829	−1302 −48	−26	·9974975	−1342 −49	−27	·9974094	9·7
9·8	·9982934	−964 −38	−20	·9982318	−996 −40	−20	·9981681	−1020 −39	−21	·9981024	−1060 −41	−21	·9980345	−1093 −42	−22	·9979644	9·8
9·9	·9986669	−779 −32	−16	·9986182	−804 −33	−16	·9985679	−831 −34	−17	·9985159	−858 −35	−17	·9984622	−886 −36	−18	·9984067	9·9
10·0	·9989625	−626 −27	−13	·9989242	−647 −28	−13	·9988846	−669 −30	−13	·9988436	−690 −30	−14	·9988013	−713 −30	−14	·9987576	10·0
10·1	·9991955	−501 −23	−10	·9991655	−518 −24	−10	·9991344	−534 −26	−11	·9991023	−553 −25	−11	·9990691	−572 −26	−11	·9990348	10·1
10·2	·9993784	−399 −19	−8	·9993550	−413 −19	−8	·9993308	−428 −20	−9	·9993057	−442 −20	−9	·9992797	−456 −22	−9	·9992529	10·2
10·3	·9995214	−316 −16	−6	·9995032	−327 −17	−6	·9994844	−339 −16	−7	·9994649	−351 −17	−7	·9994447	−363 −18	−7	·9994238	10·3
10·4	·9996328	−250 −14	−5	·9996187	−258 −14	−5	·9996041	−267 −15	−5	·9995890	−276 −16	−5	·9995734	−287 −13	−6	·9995572	10·4
10·5	·9997192	−196 −11	−4	·9997084	−204 −11	−4	·9996971	−211 −11	−4	·9996855	−219 −12	−4	·9996734	−226 −12	−4	·9996609	10·5
10·6	·9997860	−153 −9		·9997777	−159 −9		·9997690	−164 −9		·9997601	−171 −10		·9997508	−177 −10		·9997412	10·6
10·7	·9998375	−120 −8		·9998311	−124 −7		·9998245	−130 −7		·9998176	−133 −8		·9998105	−138 −8		·9998032	10·7
10·8	·9998770	−94 −6		·9998721	−97 −6		·9998670	−99 −6		·9998618	−104 −6		·9998564	−108 −6		·9998508	10·8
10·9	·9999071	−71 −5		·9999034	−74 −5		·9998996	−77 −5		·9998956	−80 −5		·9998915	−83 −5		·9998872	10·9
11·0	·9999301	−55 −4		·9999273	−57 −4		·9999244	−59 −4		·9999214	−62 −4		·9999183	−64 −4		·9999151	11·0
11·1	·9999476	−43		·9999455	−45		·9999433	−46		·9999410	−47		·9999387	−50		·9999362	11·1
11·2	·9999608	−32		·9999592	−34		·9999576	−35		·9999559	−37		·9999541	−37		·9999523	11·2
11·3	·9999708	−25		·9999696	−26		·9999684	−27		·9999671	−28		·9999658	−30		·9999644	11·3
11·4	·9999783	−19		·9999774	−19		·9999765	−20		·9999755	−20		·9999745	−21		·9999735	11·4
11·5	·9999839	−14		·9999833	−15		·9999826	−16		·9999819	−17		·9999811	−17		·9999804	11·5
11·6	·9999881	−11		·9999876	−11		·9999871	−11		·9999866	−12		·9999860	−13		·9999855	11·6
11·7	·9999912	−8		·9999909	−9		·9999905	−9		·9999901	−9		·9999897	−9		·9999893	11·7
11·8	·9999936	−6		·9999933	−7		·9999930	−6		·9999927	−7		·9999924	−7		·9999921	11·8
11·9	·9999953	−4		·9999951	−5		·9999949	−5		·9999947	−5		·9999944	−5		·9999942	11·9
12·0	·9999966	−4		·9999963	−4		·9999963	−4		·9999961	−4		·9999959	−4		·9999958	12·0
12·1	·9999975			·9999974			·9999973			·9999972			·9999970			·9999969	12·1
12·2	·9999982			·9999981			·9999980			·9999979			·9999978			·9999977	12·2
12·3	·9999987			·9999986			·9999986			·9999985			·9999984			·9999984	12·3
12·4	·9999990			·9999990			·9999990			·9999989			·9999989			·9999988	12·4
12·5	·9999993			·9999993			·9999993			·9999992			·9999992			·9999992	12·5
12·6	·9999995			·9999995			·9999995			·9999994			·9999994			·9999994	12·6
12·7	·9999996			·9999996			·9999996			·9999996			·9999996			·9999996	12·7
12·8	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	12·8
12·9	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	12·9
13·0	·9999999			·9999999			·9999999			·9999998			·9999998			·9999998	13·0
13·1	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·1
13·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·2
13·3	1·0000000			·9999999			·9999999			·9999999			·9999999			·9999999	13·3
13·4				1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	13·4
13·5																	13·5

	p = 42·0		p = 42·2			p = 42·4			p = 42·6			p = 42·8			p = 43·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^9 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·0	−17181 +67	−360	·9170170	−17397 +75	−363	·9149699	−17612 +82	−366	·9128862	−17822 +91	−369	·9107657	−18033 +97	−371	·9086080	−18237 +111	−373	8·0
8·1	−15776 +24	−332	·9295818	−15998 +30	−335	·9277922	−16219 +36	−338	·9259689	−16441 +44	−341	·9241114	−16659 +50	−344	·9222196	−16877 +62	−347	8·1
8·2	−14343 −12	−302	·9405468	−14568 −4	−305	·9389926	−14791 +1	−308	·9374075	−15013 +3	−312	·9357912	−15235 +9	−315	·9341435	−15458 +17	−318	8·2
8·3	−12923 −39	−272	·9500550	−13141 −35	−275	·9487139	−13362 −30	−279	·9473448	−13582 −29	−283	·9459475	−13803 −24	−286	·9445216	−14023 −18	−289	8·3
8·4	−11540 −62	−243	·9582491	−11751 −60	−247	·9570990	−11963 −57	−250	·9559239	−12178 −53	−253	·9547235	−12391 −50	−257	·9534974	−12606 −46	−260	8·4
8·5	−10220 −80	−215	·9652681	−10421 −77	−218	·9642878	−10621 −75	−222	·9632854	−10824 −72	−225	·9622604	−11027 −73	−229	·9612126	−11232 −70	−232	8·5
8·6	−8980 −91	−189	·9712450	−9166 −90	−192	·9704145	−9354 −88	−195	·9695645	−9544 −87	−198	·9686946	−9735 −88	−202	·9678046	−9929 −82	−205	8·6
8·7	−7832 −98	−164	·9763053	−8001 −96	−167	·9756058	−8173 −95	−170	·9748892	−8349 −97	−173	·9741553	−8527 −98	−176	·9734037	−8704 −93	−179	8·7
8·8	−6777 −100	−142	·9805655	−6934 −99	−145	·9799796	−7090 −100	−147	·9793790	−7251 −100	−150	·9787633	−7412 −99	−153	·9781324	−7577 −97	−156	8·8
8·9	−5826 −101	−122	·9841323	−5965 −101	−124	·9836444	−6108 −100	−127	·9831437	−6250 −100	−129	·9826301	−6396 −102	−132	·9821034	−6544 −102	−134	8·9
9·0	−4974 −97	−194	·9871026	−5097 −98	−106	·9866984	−5223 −99	−108	·9862834	−5352 −98	−110	·9858573	−5482 −99	−112	·9854200	−5613 −100	−115	9·0
9·1	−4219 −92	−88	·9895632	−4329 −93	−89	·9892301	−4439 −94	−91	·9888879	−4552 −95	−93	·9885363	−4666 −95	−95	·9881753	−4785 −96	−97	9·1
9·2	−3565 −86	−73	·9915909	−3649 −87	−75	·9913179	−3747 −88	−77	·9910372	−3845 −89	−79	·9907487	−3948 −90	−81	·9904521	−4049 −90	−82	9·2
9·3	−2978 −79	−61	·9932537	−3062 −80	−63	·9930310	−3144 −81	−64	·9928020	−3231 −83	−66	·9925663	−3316 −84	−67	·9923240	−3407 −85	−69	9·3
9·4	−2480 −71	−51	·9946103	−2549 −73	−52	·9944297	−2623 −74	−53	·9942437	−2695 −75	−55	·9940523	−2773 −76	−56	·9938552	−2847 −78	−57	9·4
9·5	−2054 −64	−42	·9957120	−2114 −65	−43	·9955661	−2174 −67	−44	·9954159	−2238 −68	−45	·9952611	−2301 −70	−46	·9951017	−2388 −70	−47	9·5
9·6	−1690 −57	−34	·9966023	−1741 −57	−35	·9964851	−1793 −59	−36	·9963643	−1846 −60	−37	·9962397	−1899 −62	−38	·9961114	−1950 −62	−39	9·6
9·7	−1384 −49	−28	·9973185	−1426 −51	−29	·9972248	−1470 −51	−29	·9971281	−1515 −52	−30	·9970284	−1562 −54	−31	·9969255	−1607 −55	−32	9·7
9·8	−1127 −43	−23	·9978921	−1163 −44	−23	·9978175	−1200 −45	−24	·9977404	−1235 −46	−25	·9976609	−1273 −48	−25	·9975789	−1313 −48	−26	9·8
9·9	−914 −37	−18	·9983494	−943 −38	−19	·9982902	−972 −39	−19	·9982292	−1005 −40	−20	·9981661	−1036 −40	−20	·9981010	−1089 −41	−21	9·9
10·0	−737 −31	−15	·9987124	−761 −32	−15	·9986657	−785 −33	−16	·9986175	−811 −34	−16	·9985677	−837 −34	−16	·9985162	−863 −35	−17	10·0
10·1	−591 −27	−12	·9989993	−610 −27	−12	·9989627	−632 −28	−13	·9989247	−651 −29	−13	·9988856	−674 −29	−13	·9988451	−698 −30	−13	10·1
10·2	−472 −23	−9	·9992252	−489 −23	−9	·9991965	−504 −23	−10	·9991668	−522 −24	−10	·9991361	−538 −25	−10	·9991044	−556 −25	−11	10·2
10·3	−375 −19	−7	·9994022	−387 −19	−7	·9993799	−402 −19	−8	·9993567	−414 −20	−8	·9993328	−429 −21	−8	·9993081	−445 −21	−9	10·3
10·4	−297 −15	−6	·9995405	−308 −16	−6	·9995231	−317 −16	−6	·9995052	−330 −17	−6	·9994866	−341 −17	−7	·9994673	−351 −18	−7	10·4
10·5	−234 −13	−5	·9996480	−243 −13	−5	·9996346	−252 −14	−5	·9996207	−260 −13	−5	·9996063	−268 −14	−5	·9995914	−278 −16	−6	10·5
10·6	−183 −11	−4	·9997312	−189 −11	−4	·9997209	−198 −12	−4	·9997102	−203 −11	−4	·9996992	−212 −12	−4	·9996877	−219 −13	−4	10·6
10·7	−144 −9		·9997955	−149 −8		·9997876	−154 −9		·9997794	−160 −10		·9997709	−165 −10		·9997621	−171 −10		10·7
10·8	−112 −7		·9998449	−115 −7		·9998389	−120 −7		·9998326	−124 −8		·9998261	−128 −8		·9998194	−134 −7		10·8
10·9	−85 −6		·9998828	−90 −6		·9998782	−93 −6		·9998734	−96 −6		·9998685	−100 −6		·9998634	−105 −6		10·9
11·0	−66 −4		·9999117	−69 −5		·9999082	−71 −5		·9999046	−75 −4		·9999009	−78 −5		·9998970	−81 −5		11·0
11·1	−50		·9999337	−54		·9999311	−56 −4		·9999283	−57 −4		·9999255	−59 −4		·9999225	−62 −4		11·1
11·2	−39		·9999503	−41		·9999484	−42		·9999463	−44		·9999442	−46		·9999420	−48		11·2
11·3	−31		·9999630	−32		·9999615	−33		·9999599	−33		·9999583	−34		·9999566	−36		11·3
11·4	−23		·9999724	−23		·9999713	−24		·9999702	−26		·9999690	−27		·9999677	−28		11·4
11·5	−18		·9999796	−19		·9999787	−18		·9999779	−20		·9999770	−21		·9999760	−21		11·5
11·6	−13		·9999849	−15		·9999843	−15		·9999836	−14		·9999829	−15		·9999823	−16		11·6
11·7	−10		·9999888	−11		·9999884	−11		·9999879	−11		·9999874	−11		·9999869	−12		11·7
11·8	−7		·9999918	−8		·9999915	−8		·9999911	−8		·9999907	−8		·9999904	−9		11·8
11·9	−6		·9999940	−6		·9999937	−6		·9999935	−7		·9999932	−7		·9999929	−7		11·9
12·0	−4		·9999956	−4		·9999954	−4		·9999952	−5		·9999950	−5		·9999948	−5		12·0
12·1			·9999968	−4		·9999967	−4		·9999965	−4		·9999964	−4		·9999962	−4		12·1
12·2			·9999976			·9999976			·9999975			·9999974			·9999973			12·2
12·3			·9999983			·9999982			·9999982			·9999981			·9999980			12·3
12·4			·9999988			·9999987			·9999987			·9999986			·9999986			12·4
12·5			·9999991			·9999991			·9999990			·9999990			·9999990			12·5
12·6			·9999994			·9999993			·9999993			·9999993			·9999992			12·6
12·7			·9999995			·9999995			·9999995			·9999995			·9999995			12·7
12·8			·9999997			·9999996			·9999996			·9999996			·9999996			12·8
12·9			·9999998			·9999997			·9999997			·9999997			·9999997			12·9
13·0			·9999998			·9999998			·9999998			·9999998			·9999998			13·0
13·1			·9999999			·9999999			·9999999			·9999999			·9999999			13·1
13·2			·9999999			·9999999			·9999999			·9999999			·9999999			13·2
13·3			·9999999			·9999999			·9999999			·9999999			·9999999			13·3
13·4			·9999999			·9999999			·9999999			·9999999			·9999999			13·4
13·5			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			13·5

	$p = 43{\cdot}0$			$p = 43{\cdot}2$			$p = 43{\cdot}4$			$p = 43{\cdot}6$			$p = 43{\cdot}8$			$p = 44{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
2·4	·0000000																2·4
2·5	·0000000	0 0		·0000000			·0000000			·0000000			·0000000			·0000000	2·5
2·6	·0000001	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	+1 0		·0000000	0 0		·0000000	2·6
2·7	·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	2·7
2·8	·0000004	+3 +2		·0000003	+3 +1		·0000003	+2 +2		·0000003	+2 +2		·0000002	+3 +2		·0000002	2·8
2·9	·0000009	+7 +4		·0000008	+6 +4		·0000007	+6 +3		·0000007	+4 +3		·0000006	+4 +3		·0000005	2·9
3·0	·0000021	+15 +6		·0000019	+13 +6		·0000017	+12 +5		·0000015	+12 +5		·0000014	+10 +6		·0000012	3·0
3·1	·0000048	+27 +11		·0000043	+26 +10		·0000039	+23 +10		·0000035	+21 +7		·0000032	+19 +9		·0000028	3·1
3·2	·0000102	+54 +17		·0000093	+48 +17		·0000084	+45 +16		·0000076	+41 +16		·0000069	+38 +13		·0000062	3·2
3·3	·0000210	+94 +29		·0000191	+88 +27		·0000174	+81 +26		·0000158	+75 +24		·0000144	+69 +22		·0000131	3·3
3·4	·0000412	+168 +40		·0000377	+155 +39		·0000345	+144 +35		·0000315	+133 +36		·0000288	+123 +34		·0000263	3·4
3·5	·0000782	+280 +61	+6	·0000718	+261 +58	+5	·0000660	+242 +58	+5	·0000605	+227 +49	+4	·0000555	+211 +48	+4	·0000510	3·5
3·6	·0001432	+453 +86	+9	·0001320	+425 +79	+8	·0001217	+398 +73	+8	·0001122	+370 +77	+7	·0001033	+347 +70	+7	·0000952	3·6
3·7	·0002535	+712 +110	+14	·0002347	+668 +109	+13	·0002172	+627 +106	+13	·0002009	+590 +97	+12	·0001858	+553 +95	+11	·0001718	3·7
3·8	·0004350	+1081 +143	+22	·0004042	+1020 +136	+21	·0003754	+962 +132	+19	·0003486	+907 +127	+18	·0003236	+854 +124	+17	·0003003	3·8
3·9	·0007246	+1593 +176	+33	·0006757	+1508 +173	+31	·0006298	+1429 +164	+29	·0005870	+1351 +161	+28	·0005468	+1279 +153	+26	·0005093	3·9
4·0	·0011735	+2281 +208	+48	·0010980	+2169 +201	+46	·0010271	+2059 +200	+43	·0009605	+1956 +196	+41	·0008979	+1857 +192	+38	·0008392	4·0
4·1	·0018505	+3177 +235	+68	·0017372	+3031 +231	+65	·0016303	+2892 +225	+62	·0015296	+2757 +219	+58	·0014347	+2627 +215	+55	·0013454	4·1
4·2	·0028452	+4308 +256	+94	·0026795	+4124 +256	+90	·0025227	+3947 +253	+85	·0023744	+3777 +248	+81	·0022342	+3612 +246	+77	·0021017	4·2
4·3	·0042707	+5695 +262	+126	·0040342	+5473 +258	+121	·0038098	+5256 +259	+115	·0035969	+5045 +262	+110	·0033949	+4843 +257	+105	·0032035	4·3
4·4	·0062657	+7344 +256	+165	·0059362	+7080 +260	+158	·0056225	+6824 +258	+152	·0053239	+6575 +256	+145	·0050399	+6331 +259	+139	·0047698	4·4
4·5	·0089951	+9249 +223	+211	·0085462	+8947 +229	+203	·0081176	+8650 +238	+195	·0077084	+8361 +243	+187	·0073180	+8078 +247	+180	·0069455	4·5
4·6	·0126494	+11377 +182	+263	·0120509	+11043 +185	+254	·0114777	+10714 +192	+244	·0109290	+10390 +199	+236	·0104039	+10072 +205	+227	·0099015	4·6
4·7	·0174414	+13687 +106	+320	·0166598	+13324 +126	+310	·0159092	+12970 +132	+300	·0151886	+12618 +144	+290	·0144970	+12271 +155	+280	·0138334	4·7
4·8	·0236021	+16103 +21	+382	·0226013	+15731 +30	+371	·0216377	+15358 +50	+360	·0207100	+14990 +61	+349	·0198172	+14625 +73	+338	·0189583	4·8
4·9	·0313731	+18540 −83	+446	·0301158	+18168 −66	+434	·0289020	+17796 −52	+422	·0277304	+17423 −33	+411	·0265999	+17052 −18	+400	·0255093	4·9
5·0	·0409981	+20894 −199	+509	·0394471	+20539 −179	+497	·0379459	+20182 −162	+485	·0364931	+19823 −146	+474	·0350878	+19461 −127	+462	·0337286	5·0
5·1	·0527125	+23049 −304	+569	·0508323	+22731 −297	+557	·0490080	+22406 −276	+546	·0472381	+22077 −259	+534	·0455218	+21743 −243	+523	·0438577	5·1
5·2	·0667318	+24890 −435	+623	·0644906	+24626 −411	+612	·0623107	+24352 −391	+601	·0601908	+24072 −377	+590	·0581301	+23782 −356	+579	·0561272	5·2
5·3	·0832401	+26306 −529	+668	·0806115	+26110 −508	+659	·0780486	+25907 −498	+649	·0755507	+25690 −480	+639	·0731166	+25465 −467	+629	·0707455	5·3
5·4	·1023790	+27193 −606	+701	·0993434	+27086 −599	+694	·0963772	+26964 −586	+686	·0934796	+26828 −571	+677	·0906496	+26681 −558	+669	·0878866	5·4
5·5	·1242372	+27474 −664	+721	·1207839	+27463 −656	+716	·1174022	+27435 −644	+709	·1140913	+27395 −639	+703	·1108507	+27339 −630	+696	·1076798	5·5
5·6	·1488428	+27091 −685	+726	·1449707	+27184 −682	+722	·1411707	+27262 −683	+718	·1374425	+27323 −680	+714	·1337857	+27367 −674	+710	·1301999	5·6
5·7	·1761575	+26023 −684	+712	·1718759	+26223 −687	+711	·1676654	+26406 −687	+710	·1635260	+26571 −684	+709	·1594574	+26721 −685	+707	·1554595	5·7
5·8	·2060745	+24271 −639	+682	·2014034	+24575 −647	+684	·1968007	+24863 −653	+686	·1922666	+25135 −664	+687	·1878012	+25390 −670	+688	·1834047	5·8
5·9	·2384186	+21880 −576	+636	·2333884	+22280 −587	+641	·2284223	+22665 −598	+645	·2235207	+23035 −609	+649	·2186840	+23389 −618	+652	·2139125	5·9
6·0	·2729507	+18913 −481	+575	·2676014	+19398 −497	+582	·2623104	+19869 −512	+589	·2570783	+20326 −525	+595	·2519057	+20770 −539	+601	·2467932	6·0
6·1	·3093741	+15465 −365	+501	·3037542	+16019 −385	+510	·2981854	+16561 −403	+519	·2926685	+17092 −420	+528	·2872044	+17612 −440	+536	·2817938	6·1
6·2	·3473440	+11652 −241	+416	·3415089	+12255 −262	+427	·3357165	+12850 −281	+438	·3299679	+13438 −304	+449	·3242643	+14014 −317	+459	·3186065	6·2
6·3	·3864791	+7598 −112	+324	·3804891	+8229 −126	+336	·3745326	+8858 −149	+349	·3686111	+9480 −168	+361	·3627256	+10099 −195	+373	·3568774	6·3
6·4	·4263740	+3432 +28	+227	·4202922	+4077 −2	+241	·4142345	+4717 −20	+254	·4082023	+5354 −37	+267	·4021968	+5989 −55	+280	·3962192	6·4
6·5	·4666121	−706 +142	+129	·4605030	−77 +131	+143	·4544081	+556 +110	+157	·4483289	+1191 +86	+171	·4422669	+1824 +68	+184	·4362233	6·5
6·6	·5067796	−4702 +256	+33	·5007061	−4100 +237	+47	·4946373	−3495 +223	+61	·4885746	−2886 +209	+75	·4825194	−2273 +191	+89	·4764730	6·6
6·7	·5464769	−8442 +351	−58	·5404992	−7886 +338	−45	·5345170	−7323 +322	−31	·5285317	−6754 +306	−18	·5225446	−6179 +291	−4	·5165571	6·7
6·8	·5853300	−11831 +419	−143	·5795037	−11334 +408	−130	·5736644	−10829 +399	−117	·5678134	−10316 +390	−104	·5619519	−9794 +378	−91	·5560813	6·8
6·9	·6230000	−14801 +471	−218	·6173748	−14374 +467	−207	·6117289	−13936 +459	−195	·6060635	−13488 +451	−183	·6003798	−13031 +444	−171	·5946789	6·9
7·0	·6591899	−17300 +501	−284	·6538085	−16947 +496	−273	·6483998	−16584 +494	−263	·6429648	−16209 +488	−252	·6375046	−15824 +483	−242	·6320202	7·0
7·1	·6936498	−19298 +508	−337	·6885475	−19024 +508	−329	·6834123	−18738 +505	−320	·6782452	−18442 +506	−310	·6730470	−18134 +506	−301	·6678187	7·1
7·2	·7261799	−20788 +497	−380	·7213841	−20593 +500	−373	·7165510	−20387 +505	−365	·7116814	−20169 +508	−357	·7067760	−19938 +505	−350	·7018357	7·2
7·3	·7566312	−21781 +470	−410	·7521614	−21662 +476	−405	·7476510	−21531 +479	−399	·7431007	−21388 +480	−393	·7385112	−21237 +491	−387	·7338830	7·3
7·4	·7849044	−22304 +433	−430	·7807725	−22255 +439	−426	·7765979	−22196 +447	−422	·7723812	−22127 +456	−417	·7681227	−22045 +455	−413	·7638230	7·4
7·5	·8109472	−22394 +378	−439	·8071581	−22409 +387	−437	·8033252	−22414 +394	−434	·7994490	−22410 +401	−431	·7955297	−22398 +416	−428	·7915676	7·5
7·6	·8347506	−22106 +334	−440	·8313028	−22176 +342	−436	·8278111	−22238 +351	−437	·8242758	−22292 +360	−435	·8206969	−22335 +360	−433	·8170748	7·6
7·7	·8563434	−21484 +267	−432	·8532299	−21601 +279	−431	·8500732	−21711 +284	−431	·8468734	−21814 +293	−431	·8436306	−21912 +309	−430	·8403447	7·7
7·8	·8757878	−20595 +210	−417	·8729969	−20750 +220	−418	·8701642	−20900 +232	−419	·8672896	−21043 +240	−419	·8643731	−21180 +246	−420	·8614146	7·8
7·9	·8931727	−19496 +160	−397	·8906889	−19679 +168	−399	·8881652	−19857 +173	−400	·8856015	−20032 +182	−402	·8829976	−20202 +191	−403	·8803534	7·9
8·0	·9086080	−18237 +111	−373	·9064130	−18440 +112	−376	·9041805	−18641 +118	−378	·9019102	−18839 +128	−380	·8996019	−19033 +137	−382	·8972554	8·0
8·1	·9222196	−16877 +62	−347	·9202931	−17093 +63	−349	·9183317	−17307 +73	−352	·9163350	−17518 +79	−355	·9143029	−17727 +84	−357	·9122351	8·1
8·2	·9341435	−15458 +17	−318	·9324639	−15679 +24	−321	·9307522	−15900 +30	−324	·9290080	−16118 +33	−327	·9272312	−16338 +41	−330	·9254212	8·2
8·3	·9445216	−14023 −18	−289	·9430668	−14244 −9	−292	·9415827	−14463 −10	−296	·9400692	−14686 −2	−299	·9385257	−14905 +3	−302	·9369521	8·3
8·4	·9534974	−12606 −46	−260	·9522453	−12821 −36	−263	·9509669	−13038 −36	−266	·9496618	−13254 −33	−270	·9483297	−13471 −26	−273	·9469703	8·4
8·5	·9612126	−11232 −70	−232	·9601417	−11440 −60	−235	·9590473	−11648 −56	−238	·9579290	−11856 −58	−241	·9567866	−12067 −65	−245	·9556197	8·5

	$p = 44{\cdot}0$		$p = 44{\cdot}2$			$p = 44{\cdot}4$			$p = 44{\cdot}6$			$p = 44{\cdot}8$			$p = 45{\cdot}0$			
u	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	u
2·4																		2·4
2·5			·0000000			·0000000			·0000000			·0000000			·0000000			2·5
2·6	0 0		·0000000	0 0		·0000000			·0000000			·0000000			·0000000			2·6
2·7	+1 +1		·0000001	+1 0		·0000001	0 0		·0000001	0 0		·0000000	+1 0		·0000000	0 0		2·7
2·8	+2 +1		·0000002	+2 +2		·0000002	+1 +1		·0000001	+1 +1		·0000001	+2 +1		·0000001	+1 +1		2·8
2·9	+4 +2		·0000005	+3 +3		·0000004	+3 +2		·0000004	+3 +2		·0000003	+3 +2		·0000003	+2 +2		2·9
3·0	+9 +4		·0000011	+9 +4		·0000010	+7 +4		·0000009	+7 +3		·0000008	+6 +3		·0000007	+6 +3		3·0
3·1	+18 +7		·0000026	+15 +6		·0000023	+15 +5		·0000021	+13 +5		·0000019	+12 +6		·0000017	+11 +6		3·1
3·2	+35 +13		·0000056	+33 +11		·0000051	+29 +11		·0000046	+27 +10		·0000042	+24 +10		·0000038	+22 +9		3·2
3·3	+63 +21		·0000119	+58 +19		·0000108	+54 +19		·0000098	+50 +18		·0000089	+47 +15		·0000081	+43 +14		3·3
3·4	+115 +31		·0000240	+106 +30		·0000219	+96 +28		·0000200	+91 +27		·0000183	+83 +27		·0000167	+76 +25		3·4
3·5	+195 +47	+4	·0000467	+182 +45		·0000428	+170 +40		·0000393	+156 +41		·0000360	+146 +37		·0000329	+137 +35		3·5
3·6	+324 +67	+6	·0000876	+303 +62	+6	·0000807	+281 +64	+5	·0000742	+265 +54	+5	·0000683	+246 +54	+4	·0000628	+229 +52	+4	3·6
3·7	+519 +91	+10	·0001588	+486 +89	+9	·0001467	+457 +80	+9	·0001356	+426 +83	+8	·0001252	+400 +78	+8	·0001156	+375 +71	+7	3·7
3·8	+805 +118	+16	·0002786	+755 +113	+15	·0002584	+713 +111	+14	·0002396	+672 +103	+13	·0002221	+632 +98	+12	·0002059	+592 +100	+11	3·8
3·9	+1209 +150	+24	·0004742	+1143 +144	+23	·0004414	+1060 +139	+22	·0004108	+1019 +137	+20	·0003822	+962 +133	+19	·0003554	+910 +122	+18	3·9
4·0	+1763 +164	+36	·0007841	+1672 +182	+34	·0007324	+1586 +176	+32	·0006839	+1504 +169	+30	·0006385	+1423 +165	+29	·0005959	+1349 +164	+27	4·0
4·1	+2501 +216	+52	·0012612	+2363 +206	+49	·0011820	+2268 +202	+47	·0011074	+2158 +199	+44	·0010373	+2053 +193	+42	·0009713	+1953 +187	+39	4·1
4·2	+3455 +236	+73	·0019766	+3300 +235	+69	·0018584	+3152 +236	+66	·0017467	+3011 +229	+63	·0016414	+2874 +225	+59	·0015420	+2741 +223	+56	4·2
4·3	+4645 +259	+100	·0030220	+4455 +258	+95	·0028500	+4272 +248	+91	·0026871	+4093 +246	+86	·0025329	+3920 +247	+82	·0023868	+3755 +240	+78	4·3
4·4	+6094 +260	+133	·0045129	+5865 +257	+127	·0042688	+5640 +262	+122	·0040368	+5423 +261	+116	·0038164	+5213 +258	+111	·0036071	+5008 +260	+106	4·4
4·5	+7803 +247	+172	·0065903	+7532 +255	+166	·0062516	+7270 +254	+159	·0059288	+7014 +253	+152	·0056212	+6764 +266	+146	·0053282	+6521 +264	+140	4·5
4·6	+9759 +215	+219	·0094209	+9464 +216	+210	·0089614	+9154 +221	+203	·0085222	+8858 +233	+195	·0081024	+8571 +234	+187	·0077014	+8288 +243	+180	4·6
4·7	+11930 +160	+271	·0131969	+11692 +173	+262	·0125866	+11269 +184	+252	·0120014	+10935 +183	+244	·0114407	+10612 +196	+235	·0109034	+10298 +197	+226	4·7
4·8	+14261 +91	+326	·0181321	+13903 +99	+316	·0173377	+13548 +110	+308	·0165741	+13195 +127	+298	·0158402	+12849 +133	+288	·0151352	+12505 +146	+279	4·8
4·9	+16683 −7	+386	·0244576	+16313 +12	+377	·0234436	+15947 +23	+367	·0224663	+15582 +36	+356	·0215246	+15219 +51	+346	·0206175	+14866 +67	+335	4·9
5·0	+19096 −109	+450	·0324144	+18735 −94	+439	·0311442	+18363 −72	+428	·0299167	+18005 −58	+417	·0287309	+17640 −41	+406	·0275856	+17278 −33	+396	5·0
5·1	+21404 −222	+511	·0422447	+21063 −207	+500	·0406817	+20719 −193	+489	·0391676	+20370 −174	+477	·0377012	+20020 −159	+466	·0362815	+19665 −134	+455	5·1
5·2	+23488 −544	+568	·0541813	+23184 −322	+557	·0522911	+22874 −296	+547	·0504555	+22561 −286	+536	·0486735	+22241 −266	+525	·0469439	+21918 −252	+514	5·2
5·3	+25228 −447	+619	·0684363	+24983 −432	+609	·0661879	+24731 −423	+599	·0639995	+24467 −402	+589	·0618699	+24196 −383	+578	·0597981	+23919 −369	+566	5·3
5·4	+26521 −645	+660	·0851896	+26350 −533	+651	·0825578	+26165 −513	+643	·0799902	+25971 −499	+634	·0774859	+25768 −490	+624	·0750442	+25551 −469	+615	5·4
5·5	+27269 −622	+690	·1045779	+27184 −610	+683	·1015442	+27086 −599	+675	·0985780	+26976 −591	+668	·0956787	+26850 −573	+660	·0928454	+26714 −565	+652	5·5
5·6	+27395 −665	+705	·1266846	+27408 −659	+700	·1232392	+27406 −658	+696	·1198634	+27390 −647	+690	·1165565	+27359 −642	+684	·1133180	+27312 −629	+678	5·6
5·7	+26856 −691	+705	·1515321	+26978 −669	+702	·1476750	+27072 −681	+699	·1438878	+27157 −680	+696	·1401702	+27226 −676	+693	·1365218	+27281 −677	+689	5·7
5·8	+25626 −667	+688	·1790769	+25849 −674	+666	·1748180	+26056 −680	+688	·1706279	+26244 −682	+687	·1665065	+26417 −664	+686	·1624537	+26573 −680	+685	5·8
5·9	+23729 −633	+655	·2092066	+24061 −638	+666	·2045665	+24368 −645	+660	·1999924	+24649 −650	+662	·1954845	+24924 −654	+664	·1910429	+25185 −665	+665	5·9
6·0	+21199 −548	+607	·2417414	+21615 −563	+612	·2367508	+22016 −578	+616	·2318218	+22404 −591	+621	·2269549	+22777 −606	+625	·2221506	+23132 −610	+628	6·0
6·1	+18121 −461	+644	·2764377	+18616 −475	+551	·2711367	+19099 −491	+556	·2658916	+19568 −502	+565	·2607030	+20024 −512	+572	·2555715	+20469 −530	+577	6·1
6·2	+14582 −334	+469	·3129956	+15142 −356	+478	·3074325	+16691 −378	+487	·3019182	+16230 −393	+496	·2964535	+16759 −414	+505	·2910393	+17276 −430	+513	6·2
6·3	+10709 −213	+364	·3510677	+11312 −231	+396	·3452974	+11910 −254	+406	·3395678	+12499 −272	+417	·3338799	+13080 −289	+427	·3282347	+13663 −309	+437	6·3
6·4	+6623 −81	+293	·3902710	+7261 −96	+305	·3843533	+7876 −116	+317	·3784673	+8496 −189	+330	·3726143	+9112 −162	+341	·3667954	+9721 −179	+353	6·4
6·5	+2456 +55	+198	·4301994	+3092 +27	+211	·4241967	+3724 +7	+224	·4182164	+4354 −9	+237	·4122599	+4982 −26	+250	·4063282	+5610 −60	+263	6·5
6·6	−1656 +169	+102	·4704370	−1040 +156	+116	·4644125	−420 +140	+129	·4584009	+203 +117	+143	·4524037	+826 +97	+156	·4464220	+1449 +80	+169	6·6
6·7	−5599 +276	+9	·5105706	−5014 +260	+23	·5045863	−4424 +244	+36	·4986057	−3831 +232	+50	·4926301	−3233 +216	+63	·4866607	−2632 +199	+76	6·7
6·8	−9266 +370	−78	·5502028	−8728 +364	−66	·5443177	−8164 +341	−53	·5384274	−7638 +326	−40	·5325332	−7077 +313	−27	·5266362	−6514 +297	−14	6·8
6·9	−12563 +432	−159	·5889622	−12088 +426	−147	·5832307	−11603 +416	−135	·5774858	−11110 +406	−123	·5717286	−10608 +394	−110	·5659603	−10099 +386	−98	6·9
7·0	−15428 +476	−231	·6265128	−15022 +472	−220	·6209834	−14606 +466	−209	·6154332	−14181 +463	−198	·6098632	−13745 +466	−186	·6042745	−13296 +443	−175	7·0
7·1	−17815 +505	−292	·6625612	−17484 +501	−282	·6572755	−17143 +500	−272	·6519625	−16789 +491	−262	·6466233	−16426 +488	−252	·6412589	−16054 +488	−240	7·1
7·2	−19697 +506	−342	·6968612	−19445 +510	−334	·6918533	−19180 +506	−325	·6868129	−18906 +511	−317	·6817408	−18619 +508	−308	·6766379	−18322 +508	−299	7·2
7·3	−21073 +496	−380	·7292167	−20896 +493	−374	·7245131	−20711 +502	−367	·7197727	−20512 +501	−360	·7149964	−20304 +506	−353	·7101847	−20082 +503	−346	7·3
7·4	−21054 +461	−408	·7594826	−21854 +471	−403	·7551018	−21740 +470	−397	·7506813	−21617 +476	−392	·7462216	−21433 +480	−386	·7417233	−21339 +487	−381	7·4
7·5	−22374 +421	−424	·7875631	−22341 +426	−421	·7835165	−22299 +439	−417	·7794282	−22246 +445	−413	·7752985	−22182 +450	−409	·7711280	−22109 +456	−404	7·5
7·6	−22373 +372	−431	·8134095	−22400 +378	−420	·8097013	−22419 +386	−427	·8059505	−22430 +395	−424	·8021572	−22431 +403	−422	·7983218	−22423 +411	−419	7·6
7·7	−22000 +316	−429	·8370159	−22081 +324	−426	·8336442	−22154 +332	−427	·8302298	−22219 +338	−426	·8267728	−22277 +348	−425	·8232733	−22326 +357	−423	7·7
7·8	−21811 +254	−426	·8584142	−21438 +266	−420	·8553717	−21667 +277	−420	·8522872	−21670 +289	−420	·8491607	−21776 +296	−420	·8459922	−21874 +302	−419	7·8
7·9	−20368 +200	−404	·8776687	−20527 +206	−405	·8749435	−20683 +217	−406	·8721776	−20832 +222	−407	·8693711	−20978 +235	−408	·8665237	−21116 +243	−408	7·9
8·0	−19223 +147	−384	·8948705	−19410 +153	−366	·8924470	−19592 +169	−387	·8899848	−19772 +170	−389	·8874837	−19946 +176	−390	·8849436	−20118 +186	−392	8·0
8·1	−17936 +96	−360	·9101313	−18140 +101	−362	·9079913	−18343 +108	−364	·9058148	−18542 +118	−366	·9036017	−18738 +124	−369	·9013517	−18930 +129	−371	8·1
8·2	−16552 +46	−333	·9235781	−16770 +54	−336	·9217013	−16983 +62	−339	·9197906	−17194 +65	−341	·9178459	−17406 +76	−344	·9158668	−17614 +74	−346	8·2
8·3	−15127 +8	−305	·9353479	−15344 +12	−308	·9337130	−15564 +20	−311	·9320470	−15783 +26	−314	·9303495	−15998 +30	−317	·9286205	−16215 +37	−320	8·3
8·4	−13688 −23	−276	·9455833	−13907 −19	−279	·9441683	−14124 −16	−283	·9427251	−14342 −10	−286	·9412533	−14560 −7	−289	·9397527	−14779 +1	−292	8·4
8·5	−12277 −51	−246	·9544280	−12466 −48	−251	·9532112	−12701 −45	−254	·9519690	−12914 −41	−258	·9507011	−13129 −35	−261	·9494070	−13341 −32	−264	8·5

	$p = 43{\cdot}0$			$p = 43{\cdot}2$			$p = 43{\cdot}4$			$p = 43{\cdot}6$			$p = 43{\cdot}8$			$p = 44{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
8·5	·9612126	−11282 −70	−232	·9601417	−11440 −60	−235	·9590473	−11648 −58	−238	·9579290	−11856 −58	−241	·9567866	−12067 −55	−245	·9556197	8·5
8·6	·9678046	−9929 −82	−205	·9668941	−10122 −79	−208	·9659629	−10319 −79	−211	·9650106	−10517 −76	−214	·9640368	−10715 −75	−217	·9630414	8·6
8·7	·9734037	−8704 −93	−179	·9726343	−8887 −91	−182	·9718466	−9068 −92	−185	·9710405	−9254 −89	−188	·9702155	−9440 −87	−191	·9693714	8·7
8·8	·9781324	−7577 −97	−156	·9774858	−7740 −98	−158	·9768235	−7909 −97	−161	·9761450	−8077 −98	−164	·9754502	−8250 −97	−167	·9747386	8·8
8·9	·9821034	−6344 −102	−134	·9815633	6695 −102	−137	·9810095	−6847 −100	−139	·9804418	−7002 −100	−142	·9798599	−7158 −106	−144	·9792635	8·9
9·0	·9854200	−5613 −100	−116	·9849713	−5749 −99	−117	·9845108	−5883 −101	−119	·9840384	−6023 −101	−122	·9835538	−6183 −102	−124	·9830568	9·0
9·1	·9881753	−4785 −98	−97	·9878044	−4902 −97	−99	·9874236	−5023 −97	−101	·9870327	−5148 −97	−104	·9866314	−5273 −99	−106	·9862195	9·1
9·2	·9904521	−4049 −90	−83	·9901473	−4163 −92	−84	·9898341	−4262 −92	−86	·9895122	−4368 −94	−88	·9891817	−4480 −96	−90	·9888421	9·2
9·3	·9923240	−3407 −85	−69	·9920747	−3497 −88	−71	·9918184	−3589 −87	−72	·9915549	−3685 −89	−74	·9912840	−3780 −90	−75	·9910056	9·3
9·4	·9938552	−2847 −78	−57	·9936524	−2926 −79	−59	·9934438	−3007 −81	−60	·9932291	−3088 −81	−62	·9930083	−3172 −83	−63	·9927812	9·4
9·5	·9951017	−2368 −70	−47	·9949375	−2434 −71	−48	·9947685	−2503 −72	−50	·9945945	−2573 −73	−51	·9944154	−2645 −74	−52	·9942311	9·5
9·6	·9961114	−1956 −62	−39	·9959792	−2014 −64	−40	·9958429	−2071 −64	−41	·9957026	−2131 −66	−42	·9955580	−2191 −67	−43	·9954092	9·6
9·7	·9969255	−1607 −55	−32	·9968195	−1663 −56	−33	·9967102	−1704 −58	−34	·9965976	−1755 −58	−34	·9964815	−1807 −59	−35	·9963618	9·7
9·8	·9975789	−1313 −48	−26	·9974943	−1363 −50	−27	·9974071	−1396 −50	−27	·9973171	−1438 −52	−28	·9972243	−1481 −52	−29	·9971286	9·8
9·9	·9981010	−1069 −41	−21	·9980338	−1102 −42	−22	·9979644	−1135 −43	−22	·9978928	−1170 −44	−23	·9978190	−1207 −45	−23	·9977428	9·9
10·0	·9985162	−863 −35	−17	·9984631	−892 −36	−17	·9984082	−920 −37	−18	·9983515	−940 −38	−18	·9982930	−978 −40	−19	·9982327	10·0
10·1	·9988451	−696 −30	−13	·9988032	−717 −31	−14	·9987600	−741 −32	−14	·9987153	−764 −33	−15	·9986692	−789 −34	−15	·9986216	10·1
10·2	·9991044	−558 −25	−11	·9990716	−575 −26	−11	·9990377	−594 −27	−11	·9990027	−616 −27	−12	·9989665	−635 −28	−12	·9989290	10·2
10·3	·9993081	−445 −21	−9	·9992825	−459 −21	−9	·9992560	−474 −22	−9	·9992286	−490 −23	−9	·9992003	−506 −23	−10	·9991710	10·3
10·4	·9994673	−351 −18	−7	·9994474	−364 −17	−7	·9994269	−377 −18	−7	·9994056	−383 −20	−7	·9993835	−402 −19	−8	·9993607	10·4
10·5	·9995914	−278 −16	−5	·9995760	−287 −15	−6	·9995601	−298 −15	−6	·9995436	−309 −17	−6	·9995265	−319 −17	−8	·9995088	10·5
10·6	·9996877	−210 −13	−4	·9996758	−228 −13	−4	·9996635	−234 −12	−5	·9996508	−243 −14	−6	·9996376	−251 −14	−6	·9996240	10·6
10·7	·9997621	−171 −10		·9997530	−177 −11		·9997435	−183 −10		·9997337	−190 −12	−4	·9997236	−197 −11	−4	·9997131	10·7
10·8	·9998194	−134 −7		·9998124	−138 −9		·9998052	−144 −8		·9997977	−148 −10		·9997899	−154 −9		·9997819	10·8
10·9	·9998634	−105 −6		·9998580	−107 −7		·9998525	−112 −7		·9998468	−116 −8		·9998409	−119 −8		·9998348	10·9
11·0	·9998970	−81 −5		·9998929	−83 −6		·9998887	−86 −6		·9998844	−90 −7		·9998799	−93 −8		·9998752	11·0
11·1	·9999225	−62 −4		·9999195	−64 −5		·9999163	−66 −5		·9999130	−69 −5		·9999096	−72 −5		·9999061	11·1
11·2	·9999420	−48		·9999397	−49		·9999373	−51 −4		·9999348	−53 −4		·9999322	−55 −4		·9999296	11·2
11·3	·9999566	−38		·9999549	−37		·9999531	−39		·9999513	−41		·9999493	−42		·9999473	11·3
11·4	·9999677	−29		·9999664	−28		·9999651	−30		·9999637	−31		·9999622	−32		·9999607	11·4
11·5	·9999760	−21		·9999751	−22		·9999741	−23		·9999730	−23		·9999719	−24		·9999708	11·5
11·6	·9999823	−16		·9999815	−16		·9999808	−17		·9999800	−17		·9999792	−18		·9999784	11·6
11·7	·9999869	−12		·9999864	−12		·9999858	−13		·9999853	−14		·9999847	−14		·9999840	11·7
11·8	·9999904	−9		·9999900	−9		·9999896	−10		·9999891	−10		·9999887	−11		·9999882	11·8
11·9	·9999929	−7		·9999926	−7		·9999923	−8		·9999920	−8		·9999917	−8		·9999914	11·9
12·0	·9999948	−5		·9999946	−5		·9999944	−6		·9999942	−6		·9999939	−6		·9999937	12·0
12·1	·9999962	−4		·9999961	−4		·9999959	−4		·9999957	−4		·9999956	−5		·9999954	12·1
12·2	·9999973			·9999971			·9999970			·9999969			·9999968			·9999966	12·2
12·3	·9999980			·9999979			·9999978			·9999978			·9999977			·9999976	12·3
12·4	·9999986			·9999985			·9999984			·9999984			·9999983			·9999982	12·4
12·5	·9999990			·9999989			·9999989			·9999988			·9999988			·9999987	12·5
12·6	·9999992			·9999992			·9999992			·9999992			·9999991			·9999991	12·6
12·7	·9999995			·9999994			·9999994			·9999994			·9999994			·9999994	12·7
12·8	·9999996			·9999996			·9999996			·9999996			·9999995			·9999995	12·8
12·9	·9999997			·9999997			·9999997			·9999997			·9999997			·9999997	12·9
13·0	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	13·0
13·1	·9999999			·9999999			·9999999			·9999999			·9999998			·9999998	13·1
13·2	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·2
13·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·3
13·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·4
13·5	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	13·5
13·6																	13·6

	p = 44·0		p = 44·2			p = 44·4			p = 44·6			p = 44·8			p = 45·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·5	-12277 -51	-248	·9544280	-12488 -48	-251	·9532112	-12761 -45	-254	·9519690	-12914 -41	-258	·9507011	-13129 -35	-261	·9494070	-13341 -32	-254	8·5
8·6	-10917 -70	-226	·9620239	-11120 -68	-223	·9609840	-11322 -66	-227	·9599215	-11527 -62	-230	·9588360	-11732 -59	-233	·9577272	-11936 -58	-236	8·6
8·7	-9626 -85	-194	·9685078	-9816 -83	-197	·9676246	-16006 -82	-266	·9667213	-16201 -80	-263	·9657977	-16395 -79	-266	·9648535	-10591 -78	-296	8·7
8·8	-8423 -95	-170	·9740101	-8600 -92	-173	·9732643	-8776 -94	-175	·9725010	-8956 -93	-178	·9717199	-9187 -90	-181	·9709207	-9321 -87	-184	8·8
8·9	-7316 -100	-147	·9786524	-7475 -99	-136	·9780264	-7638 -99	-152	·9773851	-7802 -99	-155	·9767284	-7969 -98	-158	·9760558	-8136 -97	-161	8·9
9·0	-6306 -103	-126	·9825472	-6452 -103	-129	·9820247	-6666 -100	-131	·9814890	-6746 -106	-134	·9809400	-6899 -100	-136	·9803773	-7652 -102	-139	9·0
9·1	-5401 -99	-108	·9857968	-3530 -162	-116	·9853630	-5859 -101	-112	·9849181	-5794 -101	-115	·9844617	-3929 -102	-117	·9839936	-6067 -100	-119	9·1
9·2	-4591 -95	-92	·9884934	-4705 -97	-94	·9881354	-4823 -98	-96	·9877678	-4640 -98	-97	·9873905	-5061 -98	-96	·9870032	-5183 -99	-101	9·2
9·3	-3879 -61	-77	·9907195	-3980 -90	-79	·9904255	-4681 -91	-81	·9901235	-4188 -92	-82	·9898132	-4291 -94	-84	·9894945	-4398 -96	-86	9·3
9·4	-3257 -83	-64	·9925476	-3343 -84	-68	·9923075	-3433 -85	-87	·9920606	-3523 -86	-69	·9918068	-3615 -87	-76	·9915460	-3710 -88	-72	9·4
9·5	-2718 -75	-54	·9940414	-2793 -78	-55	·9938462	-2868 -79	-56	·9936454	-2946 -80	-57	·9934389	-3626 -81	-59	·9932265	-3107 -81	-60	9·5
9·6	-2255 -59	-44	·9952559	-2318 -70	-45	·9950981	-2384 -71	-48	·9949356	-2450 -72	-48	·9947684	-2518 -73	-49	·9945963	-2588 -74	-50	9·6
9·7	-1858 -51	-36	·9962386	-1914 -62	-87	·9961116	-1959 -83	-38	·9959808	-2026 -84	-39	·9958461	-2084 -65	-46	·9957073	-2142 -67	-41	9·7
9·8	-1526 -53	-30	·9970299	-1570 -55	-36	·9969282	-1616 -56	-31	·9968234	-1664 -57	-32	·9967154	-1713 -58	-33	·9966041	-1763 -60	-34	9·8
9·9	-1243 -46	-24	·9976642	-1281 -47	-25	·9975832	-1321 -48	-25	·9974996	-1361 -49	-26	·9974134	-1401 -51	-27	·9973246	-1444 -51	-27	9·9
10·0	-1610 -40	-19	·9981704	-1042 -41	-20	·9981061	-1074 -42	-26	·9980397	-1106 -43	-21	·9979713	-1141 -43	-22	·9979007	-1176 -44	-22	10·0
10·1	-815 -34	-15	·9985724	-841 -35	-16	·9985216	-856 -37	-16	·9984692	-895 -37	-17	·9984151	-923 -37	-17	·9983592	-951 -38	-18	10·1
10·2	-554 -29	-12	·9988904	-675 -30	-13	·9988505	-699 -29	-13	·9988092	-720 -31	-14	·9987666	-742 -32	-14	·9987226	-766 -33	-14	10·2
10·3	-523 -25	-10	·9991408	-540 -26	-10	·9991095	-557 -23	-10	·9990772	-578 -27	-11	·9990439	-596 -27	-11	·9990094	-615 -28	-11	10·3
10·4	-416 -21	-8	·9993372	-430 -21	-8	·9993128	-445 -21	-8	·9992876	-459 -22	-9	·9992616	-475 -23	-9	·9992346	-490 -23	-9	10·4
10·5	-329 -17	-6	·9994905	-341 -17	-6	·9994716	-352 -18	-6	·9994521	-365 -18	-7	·9994318	-376 -19	-7	·9994109	-390 -18	-7	10·5
10·6	-260 -13	-5	·9996098	-269 -14	-5	·9995952	-278 -15	-5	·9995801	-288 -15	-5	·9995644	-267 -18	-5	·9995482	-368 -14	-6	10·6
10·7	-204 -11	-4	·9997022	-210 -12	-4	·9996910	-219 -12	-4	·9996793	-225 -13	-4	·9996673	-234 -13	-4	·9996548	-244 -11	-4	10·7
10·8	-159 -9		·9997736	-165 -9		·9997649	-171 -10		·9997560	-177 -10		·9997467	-183 -10		·9997371	-191 -9		10·8
10·9	-124 -8		·9998284	-128 -8		·9998218	-133 -9		·9998150	-138 -8		·9998079	-142 -8		·9998005	-147 -8		10·9
11·0	-96 -6		·9998704	-99 -7		·9998654	-104 -7		·9998601	-167 -7		·9998548	-111 -7		·9998492	-115 -7		11·0
11·1	-75 -4		·9999024	-78 -6		·9998986	-80 -5		·9998947	-83 -5		·9998906	-68 -5		·9998863	-88 -6		11·1
11·2	-57 -4		·9999268	-60 -4		·9999239	-61 -4		·9999209	-64 -4		·9999178	-63 -4		·9999146	-67 -5		11·2
11·3	-43		·9999452	-45		·9999431	-47		·9999408	-47		·9999385	-50		·9999361	-52 -4		11·3
11·4	-33		·9999592	-35		·9999575	-38		·9999559	-36		·9999541	-38		·9999523	-40		11·4
11·5	-25		·9999697	-27		·9999684	-27		·9999672	-29		·9999659	-36		·9999645	-30		11·5
11·6	-19		·9999775	-20		·9999766	-21		·9999757	-22		·9999747	-23		·9999737	-23		11·6
11·7	-14		·9999834	-15		·9999827	-16		·9999820	-16		·9999813	-17		·9999805	-17		11·7
11·8	-10		·9999878	-11		·9999873	-12		·9999868	-12		·9999862	-12		·9999857	-13		11·8
11·9	-8		·9999910	-8		·9999907	-9		·9999903	-8		·9999899	-9		·9999895	-10		11·9
12·0	-6		·9999934	-6		·9999932	-7		·9999929	-7		·9999926	-7		·9999923	-8		12·0
12·1	-5		·9999952	-5		·9999950	-3		·9999948	-5		·9999946	-5		·9999944	-6		12·1
12·2			·9999965	-4		·9999964	-4		·9999962	-4		·9999961	-4		·9999959	-4		12·2
12·3			·9999975			·9999974			·9999973			·9999971			·9999970			12·3
12·4			·9999982			·9999981			·9999980			·9999979			·9999978			12·4
12·5			·9999987			·9999986			·9999986			·9999985			·9999984			12·5
12·6			·9999990			·9999990			·9999990			·9999989			·9999989			12·6
12·7			·9999993			·9999993			·9999993			·9999992			·9999992			12·7
12·8			·9999995			·9999995			·9999995			·9999994			·9999994			12·8
12·9			·9999997			·9999996			·9999996			·9999996			·9999996			12·9
13·0			·9999998			·9999997			·9999997			·9999997			·9999997			13·0
13·1			·9999998			·9999998			·9999998			·9999998			·9999998			13·1
13·2			·9999999			·9999999			·9999999			·9999999			·9999999			13·2
13·3			·9999999			·9999999			·9999999			·9999999			·9999999			13·3
13·4			·9999999			·9999999			·9999999			·9999999			·9999999			13·4
13·5			1·0000000			1·0000000			1·0000000			1·0000000			·9999999			13·5
13·6															1·0000000			13·6

u	$p = 45{\cdot}0$			$p = 45{\cdot}2$			$p = 45{\cdot}4$			$p = 45{\cdot}6$			$p = 45{\cdot}8$			$p = 46{\cdot}0$	u
	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	
2·5	·0000000																2·5
2·6	·0000000																2·6
2·7	·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			·0000000	2·7
2·8	·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	0 0		·0000001	0 +1		·0000001	2·8
2·9	·0000003	+2 +2		·0000003	+2 +2		·0000002	+2 +1		·0000002	+2 +1		·0000002	+2 +1		·0000002	2·9
3·0	·0000007	+6 +3		·0000006	+5 +3		·0000006	+4 +3		·0000005	+4 +2		·0000005	+3 +2		·0000004	3·0
3·1	·0000017	+11 +5		·0000015	+11 +4		·0000014	+9 +5		·0000012	+9 +4		·0000011	+8 +4		·0000010	3·1
3·2	·0000038	+22 +9		·0000034	+21 +8		·0000031	+19 +7		·0000028	+17 +8		·0000025	+17 +7		·0000023	3·2
3·3	·0000081	+43 +14		·0000074	+33 +14		·0000067	+35 +13		·0000061	+32 +13		·0000055	+28 +12		·0000050	3·3
3·4	·0000167	+76 +25		·0000152	+72 +22		·0000138	+67 +20		·0000126	+62 +19		·0000115	+57 +19		·0000105	3·4
3·5	·0000329	+137 +35		·0000302	+125 +35		·0000276	+117 +31		·0000253	+108 +28		·0000231	+101 +27		·0000211	3·5
3·6	·0000628	+229 +53	+4	·0000577	+215 +48	+4	·0000531	+198 +47	+4	·0000488	+185 +46		·0000448	+172 +42		·0000411	3·6
3·7	·0001156	+375 +71	+7	·0001067	+350 +70	+6	·0000984	+329 +65	+6	·0000908	+308 +61	+6	·0000837	+283 +60	+5	·0000772	3·7
3·8	·0002059	+592 +100	+11	·0001907	+558 +92	+11	·0001766	+524 +89	+10	·0001636	+491 +87	+9	·0001514	+461 +83	+9	·0001401	3·8
3·9	·0003554	+910 +122	+18	·0003305	+857 +122	+17	·0003072	+808 +118	+16	·0002855	+762 +113	+15	·0002652	+718 +109	+14	·0002463	3·9
4·0	·0005959	+1349 +164	+27	·0005560	+1278 +157	+25	·0005186	+1210 +151	+24	·0004836	+1148 +143	+22	·0004508	+1084 +139	+21	·0004202	4·0
4·1	·0009713	+1953 +187	+39	·0009093	+1856 +181	+37	·0008510	+1763 +178	+35	·0007963	+1673 +178	+33	·0007448	+1589 +172	+31	·0006965	4·1
4·2	·0015420	+2741 +223	+56	·0014482	+2618 +220	+53	·0013597	+2494 +213	+50	·0012763	+2378 +206	+48	·0011977	+2266 +200	+46	·0011237	4·2
4·3	·0023868	+3755 +240	+78	·0022486	+3594 +237	+74	·0021178	+3438 +237	+71	·0019941	+3289 +232	+67	·0018772	+3143 +234	+64	·0017666	4·3
4·4	·0036071	+5008 +260	+106	·0034084	+4810 +257	+101	·0032197	+4619 +253	+96	·0030408	+4432 +254	+92	·0028710	+4254 +244	+88	·0027100	4·4
4·5	·0053282	+6521 +254	+140	·0050492	+6283 +258	+134	·0047835	+6053 +257	+128	·0045307	+5829 +256	+123	·0042902	+5609 +262	+117	·0040614	4·5
4·6	·0077014	+8288 +243	+180	·0073183	+8014 +242	+173	·0069526	+7744 +247	+166	·0066035	+7481 +250	+160	·0062703	+7226 +246	+153	·0059525	4·6
4·7	·0109034	+10298 +197	+226	·0103888	+9987 +207	+218	·0098961	+9682 +213	+210	·0094244	+9383 +219	+203	·0089730	+9089 +229	+195	·0085410	4·7
4·8	·0151352	+12505 +146	+279	·0144580	+12167 +154	+270	·0138078	+11833 +163	+261	·0131836	+11504 +172	+252	·0125846	+11181 +175	+243	·0120100	4·8
4·9	·0206175	+14858 +67	+335	·0197439	+14501 +78	+325	·0189028	+14147 +90	+315	·0180932	+13797 +100	+306	·0173143	+13448 +117	+296	·0165649	4·9
5·0	·0275856	+17278 −33	+395	·0264799	+16913 −13	+384	·0254125	+16551 +2	+374	·0243825	+16190 +17	+363	·0233888	+15832 +27	+353	·0224305	5·0
5·1	·0362815	+19668 −134	+455	·0349072	+19312 −121	+444	·0335773	+18957 −107	+433	·0322908	+18600 −90	+422	·0310465	+18243 −73	+412	·0298434	5·1
5·2	·0469439	+21918 −252	+514	·0452657	+21590 −240	+503	·0436378	+21256 −214	+492	·0420591	+20920 −197	+481	·0405285	+20581 −180	+470	·0390449	5·2
5·3	·0597981	+23919 −369	+568	·0577832	+23632 −343	+558	·0558239	+23341 −333	+547	·0539194	+23043 −324	+537	·0520686	+22739 −299	+526	·0502704	5·3
5·4	·0750442	+25551 −469	+615	·0726639	+25327 −457	+606	·0703441	+25093 −440	+596	·0680840	+24850 −424	+587	·0658826	+24598 −407	+577	·0637388	5·4
5·5	·0928454	+26714 −565	+652	·0900773	+26565 −550	+644	·0873736	+26405 −539	+636	·0847336	+26233 −525	+628	·0821564	+26050 −510	+619	·0796411	5·5
5·6	·1133180	+27312 −639	+678	·1101472	+27253 −623	+672	·1070436	+27178 −610	+665	·1040065	+27091 −600	+658	·1010352	+26992 −593	+651	·0981291	5·6
5·7	·1365218	+27281 −677	+689	·1329424	+27318 −669	+685	·1294314	+27341 −664	+680	·1259885	+27349 −658	+676	·1226132	+27341 −647	+671	·1193049	5·7
5·8	·1624537	+26573 −680	+685	·1584694	+26714 −681	+683	·1545533	+26840 −683	+681	·1507054	+26949 −681	+678	·1469253	+27043 −680	+676	·1432128	5·8
5·9	·1910429	+25183 −668	+665	·1866678	+25429 −671	+665	·1823592	+25656 −671	+666	·1781172	+25868 −674	+666	·1739417	+26065 −678	+666	·1698328	5·9
6·0	·2221506	+23132 −610	+628	·2174091	+23473 −616	+632	·2127307	+23801 −629	+635	·2081158	+24118 −638	+637	·2035646	+24409 −644	+639	·1990773	6·0
6·1	·2555715	+20469 −530	+577	·2504977	+20901 −548	+583	·2454823	+21317 −558	+588	·2405257	+21720 −570	+593	·2356284	+22109 −582	+596	·2307908	6·1
6·2	·2910393	+17276 −430	+513	·2856764	+17781 −443	+521	·2803656	+18275 −460	+528	·2751076	+18757 −475	+535	·2699031	+19227 −490	+542	·2647528	6·2
6·3	·3282347	+13653 −309	+437	·3226332	+14218 −330	+447	·3170764	+14773 −348	+456	·3115652	+15319 −367	+465	·3061005	+15855 −384	+474	·3006832	6·3
6·4	·3667954	+9721 −179	+353	·3610118	+10326 −199	+364	·3552645	+10923 −219	+375	·3495547	+11514 −237	+385	·3438834	+12099 −260	+396	·3382517	6·4
6·5	·4063282	+5610 −50	+262	·4004229	+6233 −69	+275	·3945449	+6854 −89	+286	·3886956	+7472 −112	+298	·3828762	+8083 −126	+310	·3770878	6·5
6·6	·4464220	+1449 +80	+169	·4404573	+2072 +63	+182	·4345107	+2698 +43	+195	·4285837	+3318 +25	+207	·4226773	+3941 +2	+220	·4167930	6·6
6·7	·4866607	−2632 +199	+76	·4806989	−2026 +178	+89	·4747461	−1419 +159	+102	·4688036	−811 +143	+115	·4628725	−199 +124	+128	·4569543	6·7
6·8	·5266362	−6514 +297	−14	·5207379	−5946 +283	−1	·5148396	−5375 +273	+12	·5089424	−4795 +253	+25	·5030478	−4215 +244	+38	·4971569	6·8
6·9	·5659603	−10099 +386	−98	·5601823	−9583 +377	−86	·5543956	−9056 +356	−73	·5486017	−8526 +348	−61	·5428016	−7987 +332	−48	·5369967	6·9
7·0	·6042745	−13298 +443	−175	·5986684	−12843 +433	−163	·5930460	−12381 +431	−152	·5874084	−11909 +422	−140	·5817567	−11427 +409	−129	·5760922	7·0
7·1	·6412589	−16054 +488	−242	·6358702	−15670 +484	−232	·6304583	−15275 +475	−222	·6250242	−14870 +467	−211	·6195691	−14456 +467	−200	·6140938	7·1
7·2	·6766379	−18322 +503	−299	·6715050	−18013 +505	−291	·6663431	−17694 +505	−281	·6611530	−17364 +503	−272	·6559357	−17022 +495	−263	·6506921	7·2
7·3	·7101847	−20082 +503	−346	·7053385	−19851 +505	−338	·7004585	−19608 +504	−330	·6955454	−19355 +507	−323	·6906001	−19091 +509	−315	·6856233	7·3
7·4	·7417233	−21339 +487	−381	·7371869	−21184 +493	−375	·7326131	−21018 +498	−368	·7280023	−20839 +498	−362	·7233554	−20651 +500	−356	·7186729	7·4
7·5	·7711280	−22109 +456	−404	·7669169	−22024 +459	−400	·7626659	−21930 +463	−396	·7583753	−21827 +474	−391	·7540456	−21711 +478	−386	·7496774	7·5
7·6	·7983218	−22423 +411	−419	·7944445	−22405 +417	−416	·7905257	−22379 +427	−412	·7865656	−22341 +429	−409	·7825647	−22296 +440	−405	·7785232	7·6
7·7	·8232733	−22326 +357	−423	·8197316	−22369 +368	−421	·8161476	−22400 +374	−419	·8125218	−22426 +385	−417	·8088542	−22441 +391	−415	·8051451	7·7
7·8	·8459922	−21874 +309	−419	·8427818	−21965 +311	−419	·8395295	−22050 +320	−418	·8362354	−22126 +328	−417	·8328996	−22195 +335	−416	·8295222	7·8
7·9	·8665237	−21116 +243	−408	·8636355	−21250 +252	−409	·8607064	−21377 +261	−409	·8577364	−21498 +269	−409	·8547255	−21614 +281	−409	·8516736	7·9
8·0	·8849436	−20118 +188	−392	·8823642	−20282 +195	−393	·8797456	−20444 +204	−394	·8770876	−20601 +213	−395	·8743900	−20752 +221	−396	·8716528	8·0
8·1	·9013517	−18930 +129	−371	·8990647	−19122 +140	−373	·8967404	−19308 +148	−375	·8943787	−19491 +157	−376	·8919793	−19669 +162	−378	·8895422	8·1
8·2	·9158668	−17614 +74	−348	·9138530	−17819 +86	−349	·9118044	−18023 +95	−351	·9097207	−18224 +103	−353	·9076017	−18424 +112	−356	·9054471	8·2
8·3	·9286205	−16215 +37	−320	·9268594	−16430 +35	−322	·9250661	−16644 +51	−325	·9232403	−16856 +59	−328	·9213817	−17066 +63	−330	·9194900	8·3
8·4	·9397527	−14779 +1	−292	·9382228	−14996 −4	−295	·9366634	−15212 +10	−298	·9350743	−15428 +22	−301	·9334551	−15644 +20	−304	·9318056	8·4
8·5	·9494070	−13341 −32	−264	·9480866	−13558 −39	−267	·9467395	−13771 −25	−270	·9453655	−13988 −10	−273	·9439641	−14203 −14	−276	·9425351	8·5

	p = 46·0		p = 46·2			p = 46·4			p = 46·6			p = 46·8			p = 47·0			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·5																		2·5
2·6																		2·6
2·7			·0000000			·0000000			·0000000			·0000000			·0000000			2·7
2·8	0 0		·0000001	0 +1		·0000000	+1 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		2·8
2·9	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+2 +1		2·9
3·0	+4 +2		·0000004	+3 +2		·0000003	+3 +2		·0000003	+2 +2		·0000003	+2 +2		·0000002	+3 +1		3·0
3·1	+7 +3		·0000009	+6 +3		·0000008	+5 +3		·0000007	+6 +3		·0000006	+6 +3		·0000006	+4 +2		3·1
3·2	+14 +5		·0000020	+14 +5		·0000018	+13 +5		·0000017	+10 +5		·0000015	+9 +5		·0000014	+8 +5		3·2
3·3	+28 +9		·0000045	+25 +9		·0000041	+23 +9		·0000037	+22 +8		·0000033	+21 +8		·0000030	+19 +8		3·3
3·4	+51 +13		·0000095	+48 +16		·0000087	+44 +15		·0000079	+40 +14		·0000072	+36 +13		·0000065	+35 +12		3·4
3·5	+94 +21		·0000193	+86 +26		·0000177	+79 +24		·0000161	+75 +23		·0000147	+70 +20		·0000135	+62 +19		3·5
3·6	+161 +39		·0000377	+150 +37		·0000346	+140 +36		·0000318	+129 +34		·0000292	+119 +34		·0000267	+113 +30		3·6
3·7	+268 +59	+5	·0000711	+251 +54	+5	·0000655	+235 +50	+4	·0000604	+218 +48	+4	·0000556	+204 +49	+4	·0000512	+190 +45		3·7
3·8	+433 +79	+8	·0001296	+406 +76	+8	·0001199	+380 +72	+7	·0001108	+358 +69	+7	·0001024	+335 +65	+6	·0000947	+313 +63	+6	3·8
3·9	+677 +103	+13	·0002287	+637 +100	+12	·0002123	+600 +98	+11	·0001970	+564 +93	+10	·0001827	+531 +90	+10	·0001695	+499 +87	+9	3·9
4·0	+1024 +138	+20	·0003915	+968 +133	+18	·0003647	+915 +127	+17	·0003396	+864 +124	+16	·0003161	+817 +118	+15	·0002942	+772 +109	+14	4·0
4·1	+1509 +163	+30	·0006511	+1432 +158	+28	·0006086	+1357 +156	+26	·0005686	+1288 +147	+25	·0005312	+1219 +148	+23	·0004961	+1154 +146	+22	4·1
4·2	+2157 +200	+43	·0010539	+2054 +196	+41	·0009882	+1956 +188	+38	·0009264	+1859 +189	+36	·0008682	+1769 +180	+34	·0008134	+1683 +175	+32	4·2
4·3	+3005 +227	+61	·0016621	+2871 +223	+58	·0015634	+2742 +219	+55	·0014701	+2619 +211	+52	·0013821	+2499 +210	+49	·0012990	+2384 +206	+47	4·3
4·4	+4080 +242	+84	·0025574	+3911 +240	+80	·0024128	+3747 +241	+76	·0022757	+3590 +239	+72	·0021459	+3439 +231	+69	·0020230	+3291 +231	+66	4·4
4·5	+5397 +260	+112	·0038438	+5191 +260	+107	·0036369	+4993 +253	+103	·0034403	+4800 +248	+98	·0032536	+4610 +254	+94	·0030761	+4429 +249	+89	4·5
4·6	+6974 +264	+147	·0056493	+6731 +252	+141	·0053603	+6492 +257	+135	·0050848	+6258 +263	+130	·0048223	+6035 +254	+124	·0045721	+5816 +254	+119	4·6
4·7	+8815 +243	+188	·0081279	+8523 +231	+181	·0077329	+8248 +233	+174	·0073553	+7979 +235	+167	·0069945	+7714 +245	+161	·0066497	+7457 +246	+153	4·7
4·8	+10859 +204	+236	·0114588	+10546 +197	+227	·0109303	+10237 +206	+219	·0104236	+9935 +209	+211	·0099381	+9638 +211	+204	·0094730	+9344 +221	+196	4·8
4·9	+13107 +118	+287	·0158443	+12768 +133	+278	·0151514	+12431 +143	+269	·0144854	+12100 +152	+260	·0138455	+11778 +163	+252	·0132307	+11452 +168	+243	4·9
5·0	+15473 +47	+343	·0215064	+15119 +57	+333	·0206156	+14768 +66	+323	·0197572	+14417 +83	+314	·0189302	+14071 +92	+305	·0181336	+13728 +103	+295	5·0
5·1	+17886 -59	+401	·0286804	+17529 -43	+391	·0275566	+17170 -21	+381	·0264707	+16817 -16	+371	·0254220	+16461 +3	+361	·0244093	+16107 +19	+351	5·1
5·2	+20240 -65	+460	·0376073	+19896 -148	+449	·0362146	+19551 -133	+439	·0348659	+19201 -111	+428	·0335599	+18854 -100	+418	·0322957	+18506 -86	+408	5·2
5·3	+22429 -279	+516	·0485238	+22115 -263	+506	·0468277	+21797 -247	+495	·0451812	+21474 -230	+485	·0435832	+21147 -211	+475	·0420326	+20817 -193	+464	5·3
5·4	+24339 -392	+567	·0616518	+24071 -373	+557	·0596205	+23796 -355	+548	·0576439	+23517 -344	+538	·0557212	+23229 -327	+528	·0538512	+22936 -311	+518	5·4
5·5	+25857 -497	+611	·0771869	+25654 -485	+602	·0747929	+25440 -467	+593	·0724583	+25216 -447	+584	·0701821	+24984 -430	+575	·0679634	+24744 -415	+566	5·5
5·6	+26878 -578	+644	·0952874	+26752 -563	+637	·0925093	+26617 -558	+630	·0897943	+26468 -546	+622	·0871414	+26309 -536	+614	·0845500	+26137 -519	+606	5·6
5·7	+27321 -643	+663	·1160631	+27287 -638	+660	·1128874	+27236 -622	+654	·1097771	+27174 -614	+648	·1067316	+27098 -601	+642	·1037503	+27011 -596	+636	5·7
5·8	+27121 -676	+673	·1395675	+27184 -671	+669	·1359891	+27233 -670	+665	·1324773	+27268 -664	+662	·1290316	+27286 -662	+657	·1256517	+27289 -650	+653	5·8
5·9	+26245 -679	+664	·1657903	+26410 -680	+663	·1618141	+26560 -682	+662	·1579041	+26694 -681	+660	·1540602	+26812 -678	+658	·1502820	+26917 -681	+656	5·9
6·0	+24690 -650	+641	·1946541	+24956 -658	+642	·1902951	+25205 -659	+643	·1860003	+25441 -666	+644	·1817700	+25660 -669	+644	·1776040	+25864 -670	+644	6·0
6·1	+22485 -598	+602	·2260135	+22844 -602	+605	·2212966	+23191 -615	+609	·2166406	+23522 -621	+612	·2120458	+23839 -630	+614	·2075124	+24141 -637	+617	6·1
6·2	+19684 -502	+548	·2596573	+20130 -519	+554	·2546172	+20562 -531	+560	·2496331	+20982 -548	+565	·2447055	+21388 -560	+570	·2398349	+21781 -574	+575	6·2
6·3	+16381 -402	+482	·2953141	+16897 -420	+490	·2899940	+17402 -438	+498	·2847238	+17894 -449	+505	·2795040	+18377 -466	+512	·2743355	+18847 -478	+519	6·3
6·4	+12676 -280	+406	·3326606	+13244 -296	+415	·3271110	+13804 -312	+425	·3216039	+14357 -334	+434	·3161402	+14900 -351	+443	·3107208	+15435 -372	+452	6·4
6·5	+8691 -145	+322	·3713315	+9295 -167	+332	·3656084	+9894 -190	+343	·3599197	+10486 -207	+354	·3542664	+11072 -226	+365	·3486496	+11651 -244	+375	6·5
6·6	+4561 -18	+232	·4109319	+5179 -37	+244	·4050952	+5794 -54	+256	·3992841	+6408 -78	+268	·3934998	+7018 -99	+279	·3877435	+7623 -116	+291	6·6
6·7	+413 +107	+141	·4510502	+1026 +89	+154	·4451614	+1640 +69	+166	·4392893	+2252 +56	+178	·4334350	+2865 +38	+191	·4275997	+3479 +15	+203	6·7
6·8	-3628 +226	+51	·4912711	-3038 +209	+63	·4853916	-2445 +193	+76	·4795197	-1848 +172	+89	·4736567	-1250 +155	+101	·4678038	-650 +139	+113	6·8
6·9	-7443 +319	-36	·5311882	-6893 +307	-24	·5253773	-6337 +292	-11	·5195653	-5776 +278	+1	·5137534	-5210 +263	+13	·5079429	-4640 +248	+26	6·9
7·0	-10939 +402	-117	·5704160	-10441 +387	-105	·5647293	-9937 +378	-93	·5590333	-9426 +368	-82	·5533291	-8907 +355	-70	·5476180	-8382 +344	-58	7·0
7·1	-14083 +456	-190	·6085997	-13602 +454	-179	·6030876	-13159 +443	-168	·5975587	-12708 +434	-157	·5920141	-12249 +427	-146	·5864549	-11780 +414	-135	7·1
7·2	-16671 +493	-253	·6454232	-16309 +488	-244	·6401300	-15938 +485	-234	·6348133	-15556 +480	-224	·6294742	-15164 +474	-214	·6241138	-14764 +472	-204	7·2
7·3	-18816 +510	-306	·6806158	-18528 +504	-298	·6755786	-18232 +505	-290	·6705123	-17924 +503	-281	·6654179	-17605 +498	-272	·6602963	-17276 +494	-264	7·3
7·4	-20451 +499	-359	·7139556	-20248 +508	-342	·7092040	-20021 +507	-335	·7044189	-19789 +507	-328	·6996011	-19548 +513	-320	·6947512	-19294 +511	-313	7·4
7·5	-21587 +484	-380	·7452711	-21460 +484	-375	·7408273	-21303 +487	-369	·7363466	-21147 +493	-364	·7318295	-20978 +491	-358	·7272767	-20801 +498	-352	7·5
7·6	-22239 +443	-401	·7744416	-22173 +450	-397	·7703203	-22098 +458	-393	·7661596	-22012 +464	-389	·7619601	-21917 +472	-384	·7577221	-21810 +474	-380	7·6
7·7	-22448 +400	-413	·8013948	-22446 +408	-410	·7976035	-22436 +415	-407	·7937714	-22413 +418	-404	·7898990	-22384 +426	-401	·7859865	-22345 +433	-398	7·7
7·8	-22257 +344	-416	·8261034	-22311 +352	-413	·8226432	-22357 +360	-412	·8191419	-22396 +371	-410	·8155995	-22425 +378	-406	·8120164	-22447 +387	-406	7·8
7·9	-21722 +289	-409	·8485809	-21825 +298	-409	·8454472	-21919 +307	-408	·8422728	-22008 +317	-408	·8390575	-22088 +323	-407	·8358016	-22162 +331	-406	7·9
8·0	-20898 +229	-397	·8688759	-21038 +236	-398	·8660593	-21174 +246	-398	·8632029	-21303 +253	-398	·8603067	-21428 +264	-399	·8573706	-21546 +274	-399	8·0
8·1	-19845 +173	-379	·8870671	-20016 +175	-381	·8845540	-20183 +190	-382	·8820027	-20345 +196	-383	·8794131	-20504 +209	-384	·8767850	-20656 +215	-385	8·1
8·2	-18620 +120	-358	·9032567	-18812 +126	-360	·9010304	-19002 +135	-362	·8987680	-19193 +147	-363	·8964691	-19370 +148	-365	·8941338	-19551 +159	-367	8·2
8·3	-17273 +70	-333	·9175651	-17482 +80	-335	·9156066	-17686 +83	-338	·9136144	-17890 +94	-340	·9115881	-18091 +100	-343	·9095275	-18287 +105	-345	8·3
8·4	-15861 +26	-306	·9301253	-16073 +35	-309	·9284142	-16287 +41	-312	·9266718	-16497 +50	-315	·9248980	-16708 +53	-317	·9230925	-16918 +56	-320	8·4
8·5	-14417 -7	-279	·9410782	-14633 -2	-282	·9395931	-14848 +2	-285	·9380795	-15063 +13	-288	·9365371	-15278 +10	-291	·9349657	-15491 +18	-294	8·5

	$p = 45{\cdot}0$			$p = 45{\cdot}2$			$p = 45{\cdot}4$			$p = 45{\cdot}6$			$p = 45{\cdot}8$			$p = 46{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
8·5	·9494070	−13341 −32	−264	·9480866	−13536 −39	−267	·9467395	−13771 −25	−270	·9453655	−13986 −10	−273	·9439641	−14203 −14	−276	·9425351	8·5
8·6	·9577272	−11939 −68	−236	·9565948	−12147 −82	−239	·9554385	−12356 −49	−242	·9542579	−12563 −39	−245	·9530528	−12773 −45	−248	·9518229	8·6
8·7	·9648535	−10591 −76	−209	·9638883	−10766 −60	−212	·9629019	−10986 −70	−215	·9618940	−11188 −58	−218	·9608642	−11389 −66	−222	·9598122	8·7
8·8	·9709207	−9321 −87	−184	·9701030	−9505 −88	−187	·9692667	−9692 −84	−190	·9684113	−9876 −74	−193	·9675367	−10067 −84	−196	·9666425	8·8
8·9	·9760558	−8136 −97	−161	·9753672	−8307 −96	−163	·9746623	−8478 −98	−166	·9739408	−8653 −86	−169	·9732025	−8830 −85	−172	·9724470	8·9
9·0	·9803773	−7052 −102	−139	·9798007	−7206 −100	−141	·9792101	−7365 −99	−144	·9786050	−7523 −98	−146	·9779853	−7688 −102	−149	·9773508	9·0
9·1	·9839936	−6067 −100	−119	·9835136	−6207 −102	−121	·9830214	−6347 −102	−124	·9825169	−6491 −103	−126	·9819998	−6637 −104	−128	·9814699	9·1
9·2	·9870032	−5183 −99	−101	·9866058	−5307 −100	−104	·9861980	−5433 −99	−106	·9857797	−5562 −101	−108	·9853506	−5692 −100	−110	·9849106	9·2
9·3	·9894945	−4398 −96	−86	·9891673	−4509 −96	−88	·9888313	−4621 −95	−89	·9884863	−4734 −97	−91	·9881322	−4849 −96	−93	·9877688	9·3
9·4	·9915460	−3710 −86	−72	·9912779	−3804 −89	−74	·9910025	−3902 −90	−76	·9907195	−4000 −92	−77	·9904289	−4103 −92	−79	·9901304	9·4
9·5	·9932265	−3107 −81	−60	·9930081	−3190 −83	−62	·9927835	−3274 −85	−63	·9925527	−3362 −85	−64	·9923153	−3448 −87	−66	·9920714	9·5
9·6	·9945963	−2588 −74	−50	·9944193	−2660 −75	−51	·9942371	−2732 −77	−52	·9940497	−2806 −77	−54	·9938569	−2882 −79	−55	·9936586	9·6
9·7	·9957073	−2142 −67	−41	·9955645	−2202 −68	−42	·9954175	−2265 −68	−43	·9952661	−2328 −70	−44	·9951103	−2393 −70	−45	·9949500	9·7
9·8	·9966041	−1763 −60	−34	·9964895	−1815 −60	−35	·9963714	−1866 −61	−35	·9962497	−1921 −63	−36	·9961244	−1976 −64	−37	·9959954	9·8
9·9	·9973246	−1444 −51	−27	·9972330	−1487 −52	−28	·9971385	−1529 −54	−29	·9970412	−1574 −56	−30	·9969410	−1622 −56	−30	·9968377	9·9
10·0	·9979007	−1176 −44	−22	·9978278	−1210 −46	−23	·9977527	−1248 −47	−24	·9976753	−1287 −47	−24	·9975954	−1324 −49	−25	·9975131	10·0
10·1	·9983592	−951 −36	−18	·9983016	−982 −40	−18	·9982421	−1012 −40	−19	·9981807	−1042 −41	−19	·9981174	−1075 −42	−20	·9980521	10·1
10·2	·9987226	−766 −33	−14	·9986772	−791 −35	−15	·9986303	−816 −34	−15	·9985819	−842 −35	−15	·9985319	−867 −36	−16	·9984804	10·2
10·3	·9990094	−615 −28	−11	·9989737	−634 −29	−12	·9989369	−654 −29	−12	·9988989	−676 −30	−12	·9988597	−699 −30	−13	·9988191	10·3
10·4	·9992346	−490 −23	−9	·9992068	−507 −24	−9	·9991781	−524 −25	−9	·9991483	−540 −25	−10	·9991176	−557 −26	−10	·9990859	10·4
10·5	·9994109	−390 −18	−7	·9993892	−402 −19	−7	·9993669	−416 −21	−7	·9993437	−429 −21	−8	·9993198	−443 −21	−8	·9992951	10·5
10·6	·9995482	−308 −14	−6	·9995315	−320 −15	−6	·9995141	−328 −19	−6	·9994962	−340 −16	−6	·9994776	−351 −18	−6	·9994585	10·6
10·7	·9996548	−244 −11	−4	·9996418	−250 −13	−5	·9996285	−261 −17	−5	·9996146	−267 −15	−5	·9996003	−277 −15	−5	·9995855	10·7
10·8	·9997371	−191 −9		·9997272	−198 −11	−4	·9997169	−203 −14	−4	·9997063	−211 −11	−4	·9996953	−218 −12	−4	·9996838	10·8
10·9	·9998005	−147 −6		·9997929	−152 −6		·9997851	−159 −11		·9997769	−164 −9		·9997685	−170 −9		·9997597	10·9
11·0	·9998492	−115 −7		·9998434	−119 −8		·9998374	−124 −7		·9998312	−128 −8		·9998247	−132 −8		·9998180	11·0
11·1	·9998863	−88 −6		·9998819	−92 −6		·9998774	−98 −8		·9998726	−96 −7		·9998677	−102 −7		·9998627	11·1
11·2	·9999146	−67 −5		·9999113	−72 −4		·9999078	−72 −5		·9999043	−77 −5		·9999006	−79 −6		·9998967	11·2
11·3	·9999361	−52 −4		·9999336	−55 −4		·9999310	−57 −4		·9999283	−59 −4		·9999255	−61 −4		·9999226	11·3
11·4	·9999523	−40		·9999504	−41		·9999485	−44		·9999464	−44		·9999443	−46		·9999422	11·4
11·5	·9999645	−30		·9999631	−31		·9999616	−32		·9999601	−34		·9999585	−33		·9999569	11·5
11·6	·9999737	−23		·9999726	−24		·9999715	−24		·9999704	−26		·9999692	−27		·9999680	11·6
11·7	·9999805	−17		·9999798	−19		·9999790	−19		·9999781	−20		·9999772	−20		·9999763	11·7
11·8	·9999857	−13		·9999851	−14		·9999845	−14		·9999839	−15		·9999832	−16		·9999825	11·8
11·9	·9999895	−10		·9999890	−10		·9999886	−11		·9999881	−10		·9999876	−11		·9999871	11·9
12·0	·9999923	−8		·9999920	−8		·9999916	−8		·9999913	−8		·9999909	−8		·9999906	12·0
12·1	·9999944	−6		·9999941	−6		·9999939	−6		·9999936	−6		·9999934	−6		·9999931	12·1
12·2	·9999959	−4		·9999957	−4		·9999955	−4		·9999954	−4		·9999952	−4		·9999950	12·2
12·3	·9999970			·9999969			·9999968			·9999966			·9999965			·9999963	12·3
12·4	·9999978			·9999978			·9999977			·9999976			·9999975			·9999974	12·4
12·5	·9999984			·9999984			·9999983			·9999982			·9999981			·9999981	12·5
12·6	·9999989			·9999988			·9999988			·9999987			·9999987			·9999986	12·6
12·7	·9999992			·9999992			·9999991			·9999991			·9999990			·9999990	12·7
12·8	·9999994			·9999994			·9999994			·9999993			·9999993			·9999993	12·8
12·9	·9999996			·9999996			·9999995			·9999995			·9999995			·9999995	12·9
13·0	·9999997			·9999997			·9999997			·9999997			·9999997			·9999996	13·0
13·1	·9999998			·9999998			·9999998			·9999997			·9999997			·9999997	13·1
13·2	·9999999			·9999998			·9999998			·9999998			·9999998			·9999998	13·2
13·3	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·3
13·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·4
13·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·5
13·6	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000	13·6

	$p = 46{\cdot}0$		$p = 46{\cdot}2$			$p = 46{\cdot}4$			$p = 46{\cdot}6$			$p = 46{\cdot}8$			$p = 47{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·5	-14417 -7	-279	·9410782	-14633 -2	-282	·9395931	-14848 +2	-285	·9380795	-15063 +13	-288	·9365371	-16276 +10	-291	·9349657	-15491 +18	-294	8·5
8·6	-12985 -35	-251	·9505678	-13190 -33	-255	·9492872	-13406 -32	-258	·9479809	-13619 -19	-261	·9466486	-13832 -23	-264	·9452898	-14043 -20	-266	8·6
8·7	-11590 -60	-225	·9587378	-11793 -01	-228	·9576407	-11999 -66	-231	·9565204	-12203 -47	-234	·9553769	-12410 -48	-237	·9542096	-12616 -48	-240	8·7
8·8	-10258 -60	-199	·9657285	-10452 -76	-202	·9647943	-10646 -75	-204	·9638396	-10640 -69	-206	·9628642	-11036 -70	-210	·9618678	-11235 -68	-213	8·8
8·9	-9007 -91	-174	·9716740	-9185 -69	-177	·9708834	-9866 -88	-180	·9700748	-9650 -66	-183	·9692479	-9783 -85	-185	·9684025	-9919 -85	-188	8·9
9·0	-7847 -97	-152	·9767010	-8011 -98	-164	·9760359	-8179 -94	-167	·9753550	-8346 -97	-159	·9746583	-8518 -94	-162	·9739453	-8689 -95	-165	9·0
9·1	-6784 -104	-131	·9809269	-6936 -100	-133	·9803705	-7085 -102	-138	·9798006	-7239 -102	-136	·9792169	-7394 -102	-140	·9786192	-7653 -99	-143	9·1
9·2	-5825 -102	-112	·9844593	-6959 -102	-114	·9839966	-6096 -102	-116	·9835223	-6234 -101	-118	·9830361	-6374 -102	-121	·9825378	-6515 -102	-123	9·2
9·3	-4966 -96	-95	·9873958	-5085 -99	-97	·9870131	-5205 -100	-99	·9866206	-5330 -99	-101	·9862179	-5455 -100	-103	·9858049	-5582 -102	-105	9·3
9·4	-4201 -93	-80	·9898238	-4310 -95	-82	·9895091	-4418 -96	-84	·9891859	-4523 -97	-86	·9888542	-4635 -97	-87	·9885138	-4749 -98	-89	9·4
9·5	-3538 -87	-67	·9918208	-3630 -88	-69	·9915633	-3723 -89	-71	·9912987	-3816 -90	-72	·9910270	-3916 -92	-73	·9907478	-4012 -92	-75	9·5
9·6	-2958 -81	-56	·9934548	-3036 -80	-57	·9932452	-3118 -82	-59	·9930297	-3200 -84	-60	·9928082	-3283 -85	-62	·9925806	-3370 -85	-63	9·6
9·7	-2460 -72	-46	·9947850	-2626 -74	-47	·9946153	-2596 -75	-49	·9944407	-2666 -76	-50	·9942611	-2738 -77	-51	·9940764	-2811 -78	-52	9·7
9·8	-2031 -64	-38	·9958626	-2090 -65	-39	·9957258	-2147 -66	-40	·9955851	-2206 -68	-41	·9954402	-2269 -70	-42	·9952911	-2331 -71	-43	9·8
9·9	-1669 -57	-31	·9967312	-1716 -69	-32	·9966216	-1767 -59	-33	·9965087	-1617 -61	-34	·9963924	-1869 -61	-34	·9962727	-1923 -63	-35	9·9
10·0	-1364 -50	-25	·9974282	-1405 -50	-26	·9973407	-1445 -53	-27	·9972506	-1489 -52	-28	·9971577	-1634 -54	-28	·9970620	-1578 -55	-29	10·0
10·1	-1107 -44	-20	·9979847	-1140 -44	-21	·9979153	-1176 -46	-22	·9978436	-1210 -46	-22	·9977698	-1243 -47	-23	·9976937	-1285 -48	-23	10·1
10·2	-896 -37	-16	·9984272	-924 -38	-17	·9983723	-952 -39	-17	·9983156	-981 -40	-16	·9982572	-1011 -42	-18	·9981969	-1041 -41	-19	10·2
10·3	-719 -31	-13	·9987773	-742 -32	-14	·9987341	-768 -33	-14	·9986895	-790 -34	-14	·9986435	-815 -34	-15	·9985960	-841 -30	-15	10·3
10·4	-576 -26	-10	·9990532	-595 -27	-11	·9990193	-613 -26	-11	·9989844	-634 -28	-11	·9989483	-654 -29	-12	·9989110	-674 -30	-12	10·4
10·5	-456 -22	-6	·9992696	-474 -22	-9	·9992432	-490 -23	-9	·9992159	-605 -24	-9	·9991877	-521 -25	-9	·9991586	-538 -25	-10	10·5
10·6	-364 -18	-6	·9994386	-375 -19	-7	·9994181	-387 -19	-7	·9993969	-400 -20	-7	·9993750	-414 -21	-7	·9993524	-428 -21	-8	10·6
10·7	-287 -15	-5	·9995701	-295 -16	-5	·9995543	-307 -16	-6	·9995379	-317 -16	-6	·9995209	-327 -17	-8	·9995034	-338 -18	-6	10·7
10·8	-224 -13	-4	·9996721	-233 -13	-4	·9996598	-240 -14	-4	·9996472	-249 -14	-4	·9996341	-257 -14	-6	·9996206	-266 -15	-5	10·8
10·9	-176 -11		·9997507	-183 -10		·9997413	-186 -11		·9997316	-194 -11		·9997216	-202 -11	-4	·9997112	-208 -12	-4	10·9
11·0	-187 -8		·9998111	-142 -8		·9998040	-147 -9		·9997966	-162 -8		·9997889	-157 -9		·9997810	-163 -9		11·0
11·1	-107 -8		·9998574	-110 -7		·9998520	-114 -7		·9998463	-118 -7		·9998405	-121 -8		·9998345	-127 -7		11·1
11·2	-82 -6		·9998927	-85 -6		·9998886	-88 -6		·9998843	-91 -6		·9998799	-94 -7		·9998753	-97 -6		11·2
11·3	-64 -4		·9999196	-65 -4		·9999164	-67 -5		·9999132	-70 -5		·9999099	-73 -5		·9999064	-75 -5		11·3
11·4	-49		·9999399	-50		·9999376	-52 -4		·9999351	-54 -4		·9999326	-56 -4		·9999300	-66		11·4
11·5	-37		·9999552	-36		·9999535	-40		·9999516	-41		·9999498	-43		·9999478	-44		11·5
11·6	-28		·9999668	-29		·9999654	-30		·9999641	-30		·9999627	-83		·9999612	-33		11·6
11·7	-21		·9999754	-22		·9999744	-23		·9999734	-23		·9999723	-24		·9999713	-25		11·7
11·8	-16		·9999818	-16		·9999811	-17		·9999804	-18		·9999796	-18		·9999788	-19		11·8
11·9	-12		·9999866	-12		·9999861	-13		·9999855	-13		·9999850	-14		·9999844	-15		11·9
12·0	-9		·9999902	-10		·9999898	-10		·9999894	-10		·9999890	-11		·9999885	-12		12·0
12·1	-7		·9999928	-8		·9999925	-8		·9999922	-7		·9999919	-8		·9999916	-8		12·1
12·2	-5		·9999948	-8		·9999946	-7		·9999943	-6		·9999941	-6		·9999939	-6		12·2
12·3	-4		·9999962	-4		·9999960	-4		·9999959	-4		·9999957	-4		·9999955	-4		12·3
12·4			·9999973			·9999971			·9999970			·9999969			·9999968			12·4
12·5			·9999980			·9999979			·9999978			·9999978			·9999977			12·5
12·6			·9999986			·9999985			·9999984			·9999984			·9999983			12·6
12·7			·9999990			·9999989			·9999989			·9999988			·9999988			12·7
12·8			·9999993			·9999992			·9999992			·9999992			·9999991			12·8
12·9			·9999995			·9999994			·9999994			·9999994			·9999994			12·9
13·0			·9999996			·9999996			·9999996			·9999996			·9999996			13·0
13·1			·9999997			·9999997			·9999997			·9999997			·9999997			13·1
13·2			·9999998			·9999998			·9999998			·9999998			·9999998			13·2
13·3			·9999999			·9999999			·9999998			·9999998			·9999998			13·3
13·4			·9999999			·9999999			·9999999			·9999999			·9999999			13·4
13·5			·9999999			·9999999			·9999999			·9999999			·9999999			13·5
13·6			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			13·6

103
75
28

9906

u	p = 47·0			p = 47·2			p = 47·4			p = 47·6			p = 47·8			p = 48·0	u
	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	u
2·7	·0000000																2·7
2·8	·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000	2·8
2·9	·0000001	+2 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000000	2·9
3·0	·0000002	+9 +1		·0000002	+2 +1		·0000002	+2 +1		·0000002	+1 +1		·0000001	+2 +1		·0000001	3·0
3·1	·0000006	+4 +2		·0000005	+4 +2		·0000005	+3 +2		·0000004	+3 +2		·0000004	+3 +2		·0000003	3·1
3·2	·0000014	+8 +5		·0000012	+8 +4		·0000011	+8 +3		·0000010	+6 +3		·0000009	+5 +3		·0000008	3·2
3·3	·0000030	+19 +8		·0000027	+17 +7		·0000025	+15 +7		·0000022	+15 +6		·0000020	+13 +6		·0000018	3·3
3·4	·0000065	+35 +12		·0000059	+32 +11		·0000054	+29 +10		·0000049	+26 +10		·0000044	+25 +10		·0000040	3·4
3·5	·0000135	+62 +19		·0000123	+58 +19		·0000112	+55 +16		·0000102	+51 +18		·0000093	+46 +15		·0000085	3·5
3·6	·0000267	+113 +30		·0000245	+104 +29		·0000225	+95 +29		·0000206	+89 +26		·0000188	+84 +24		·0000173	3·6
3·7	·0000512	+190 +45		·0000471	+178 +41		·0000433	+167 +38		·0000399	+154 +38		·0000367	+142 +38		·0000337	3·7
3·8	·0000947	+313 +63	+6	·0000875	+293 +50	+5	·0000808	+274 +59	+5	·0000746	+257 +54	+5	·0000688	+242 +55	+4	·0000635	3·8
3·9	·0001695	+499 +67	+9	·0001572	+469 +63	+9	·0001457	+441 +78	+8	·0001350	+414 +76	+7	·0001251	+388 +76	+7	·0001158	3·9
4·0	·0002942	+772 +108	+14	·0002738	+727 +110	+14	·0002547	+686 +105	+13	·0002368	+648 +88	+12	·0002202	+610 +98	+11	·0002047	4·0
4·1	·0004961	+1154 +146	+22	·0004631	+1095 +136	+21	·0004323	+1038 +133	+19	·0004034	+979 +134	+16	·0003763	+927 +127	+17	·0003510	4·1
4·2	·0008134	+1663 +175	+32	·0007619	+1599 +170	+31	·0007135	+1519 +166	+29	·0006679	+1444 +157	+27	·0006251	+1371 +163	+26	·0005850	4·2
4·3	·0012990	+2384 +206	+47	·0012206	+2273 +203	+44	·0011466	+2168 +198	+42	·0010768	+2068 +194	+46	·0010110	+1988 +190	+38	·0009490	4·3
4·4	·0020230	+3291 +231	+66	·0019066	+3151 +223	+62	·0017965	+3013 +224	+59	·0016923	+2882 +217	+58	·0015937	+2755 +215	+54	·0015006	4·4
4·5	·0030761	+4429 +248	+69	·0029077	+4251 +230	+85	·0027477	+4089 +243	+82	·0025960	+3915 +245	+78	·0024519	+3757 +236	+74	·0023154	4·5
4·6	·0045721	+5818 +254	+119	·0043339	+5603 +252	+114	·0041071	+5394 +255	+109	·0038912	+5193 +251	+104	·0036858	+4995 +256	+100	·0034903	4·6
4·7	·0066497	+7457 +246	+155	·0063204	+7205 +251	+146	·0060059	+6961 +249	+143	·0057057	+6722 +251	+137	·0054192	+6489 +250	+131	·0051459	4·7
4·8	·0094730	+9344 +221	+196	·0090274	+9059 +221	+189	·0086008	+8777 +229	+182	·0081924	+8502 +232	+175	·0078015	+8233 +238	+169	·0074275	4·8
4·9	·0132307	+11462 +188	+243	·0126403	+11134 +179	+235	·0120734	+10822 +185	+227	·0115293	+10514 +193	+220	·0110071	+10211 +203	+212	·0105061	4·9
5·0	·0181336	+13728 +103	+295	·0173666	+13388 +114	+286	·0166282	+13052 +124	+276	·0159176	+12719 +136	+269	·0152338	+12392 +140	+261	·0145762	5·0
5·1	·0244093	+16107 +19	+351	·0234317	+15756 +50	+341	·0224882	+15406 +44	+332	·0215778	+15060 +52	+322	·0206997	+14713 +72	+313	·0198529	5·1
5·2	·0322957	+18505 −86	+408	·0310724	+18154 −67	+398	·0298888	+17804 −53	+388	·0287440	+17453 −34	+378	·0276369	+17106 −28	+368	·0265668	5·2
5·3	·0420326	+20817 −193	+484	·0405285	+20485 −160	+454	·0390698	+20149 −161	+444	·0376555	+19812 −146	+434	·0362847	+19471 −124	+424	·0349562	5·3
5·4	·0538512	+22935 −311	+516	·0520331	+22636 −296	+508	·0502657	+22333 −275	+496	·0485482	+22023 −261	+488	·0468796	+21712 −246	+479	·0452589	5·4
5·5	·0679634	+24744 −415	+566	·0658013	+24497 −402	+557	·0636949	+24242 −389	+546	·0616434	+23977 −366	+539	·0596457	+23707 −349	+528	·0577009	5·5
5·6	·0845500	+26137 −519	+606	·0820192	+25956 −506	+598	·0795483	+25752 −484	+590	·0771363	+25583 −478	+582	·0747825	+25353 −454	+574	·0724861	5·6
5·7	·1037503	+27011 −596	+636	·1008327	+26909 −582	+629	·0979779	+26796 −578	+623	·0951855	+26671 −559	+616	·0924546	+26535 −548	+609	·0897845	5·7
5·8	·1256517	+27289 −630	+653	·1223371	+27286 −646	+648	·1190873	+27256 −638	+643	·1159018	+27220 −631	+638	·1127802	+27169 −621	+633	·1097218	5·8
5·9	·1502820	+26917 −681	+656	·1465695	+27005 −678	+653	·1429223	+27378 −671	+656	·1393401	+27138 −669	+647	·1358227	+27182 −663	+644	·1323696	5·9
6·0	·1776040	+25664 −670	+644	·1735024	+26054 −675	+644	·1694651	+26229 −679	+643	·1654922	+26387 −678	+642	·1615834	+26532 −681	+646	·1577387	6·0
6·1	·2075124	+24141 −637	+617	·2030407	+24428 −643	+619	·1986308	+24731 −649	+620	·1942830	+24958 −653	+621	·1899973	+25201 −657	+622	·1857738	6·1
6·2	·2398349	+21781 −574	+575	·2350218	+22159 −582	+579	·2302666	+22524 −594	+583	·2255696	+22876 −606	+586	·2209313	+23213 −615	+589	·2163519	6·2
6·3	·2743355	+18847 −478	+519	·2692188	+19306 −499	+526	·2641548	+19753 −508	+531	·2591438	+20188 −521	+537	·2541866	+20610 −535	+542	·2492836	6·3
6·4	·3107208	+15435 −372	+459	·3053466	+15958 −364	+460	·3000183	+16474 −405	+466	·2947368	+16979 −424	+475	·2895029	+17472 −436	+483	·2843172	6·4
6·5	·3486496	+11651 −244	+375	·3430702	+12224 −287	+385	·3375292	+12780 −285	+394	·3320277	+13348 −298	+403	·3265664	+13898 −324	+412	·3211464	6·5
6·6	·3877435	+7623 −116	+291	·3820162	+8223 −132	+302	·3763191	+8821 −151	+313	·3706532	+9415 −177	+323	·3650197	+10003 −168	+333	·3594195	6·6
6·7	·4275997	+3479 +15	+203	·4217847	+4090 −5	+214	·4159911	+4701 −27	+226	·4102202	+5307 −40	+238	·4044730	+5914 −66	+249	·3987508	6·7
6·8	·4678038	−850 +138	+113	·4619622	−48 +20	+126	·4561332	+554 +106	+136	·4503179	+1159 +84	+150	·4445177	+1762 +70	+162	·4387336	6·8
6·9	·5079429	−4640 +248	+26	·5021349	−4068 +235	+38	·4963307	−3487 +218	+50	·4905315	−2905 +200	+62	·4847386	−2320 +181	+74	·4789531	6·9
7·0	·5476180	−8382 +344	−58	·5419010	−7849 +327	−46	·5361795	−7312 +316	−34	·5304546	−6769 +303	−22	·5247275	−6221 +292	−10	·5189993	7·0
7·1	·5864549	−11780 +414	−135	·5808822	−11308 +408	−124	·5752971	−10821 +396	−113	·5697008	−10330 +388	−101	·5640943	−9830 +373	−90	·5584788	7·1
7·2	·6241138	−14784 +472	−204	·6187329	−14363 +464	−194	·6133326	−13932 +453	−184	·6079140	−13503 +446	−173	·6024781	−13066 +440	−163	·5970259	7·2
7·3	·6602963	−17276 +494	−264	·6551483	−16937 +490	−255	·6499749	−16590 +494	−245	·6447769	−16230 +486	−236	·6395553	−15862 +484	−227	·6343110	7·3
7·4	·6947512	−19294 +511	−313	·6898700	−19031 +514	−305	·6849582	−18754 +504	−297	·6800168	−18471 +510	−289	·6750463	−18174 +504	−281	·6700478	7·4
7·5	·7272767	−20801 +498	−352	·7226886	−20611 +497	−343	·7180661	−20414 +506	−339	·7134096	−20202 +502	−332	·7087199	−19982 +506	−326	·7039977	7·5
7·6	·7577221	−21810 +474	−380	·7534461	−21694 +480	−375	·7491326	−21568 +478	−370	·7447822	−21431 +489	−365	·7403953	−21284 +492	−359	·7359725	7·6
7·7	·7859865	−22345 +433	−396	·7820342	−22297 +440	−394	·7780425	−22240 +451	−390	·7740117	−22171 +451	−387	·7699423	−22094 +457	−382	·7658347	7·7
7·8	·8120164	−22447 +387	−405	·8083926	−22450 +395	−404	·8047284	−22453 +397	−401	·8010241	−22460 +410	−399	·7972799	−22447 +418	−396	·7934961	7·8
7·9	·8358016	−22182 +331	−406	·8325050	−22228 +339	−405	·8291680	−22289 +353	−404	·8257905	−22339 +356	−403	·8223728	−22382 +354	−401	·8189150	7·9
8·0	·8573706	−21546 +274	−399	·8543946	−21656 +282	−389	·8513787	−21762 +288	−399	·8483230	−21862 +301	−398	·8452275	−21935 +308	−396	·8420922	8·0
8·1	·8767850	−20656 +216	−385	·8741184	−20804 +224	−386	·8714132	−20947 +233	−387	·8686693	−21084 +243	−387	·8658867	−21215 +250	−386	·8630653	8·1
8·2	·8941338	−19551 +159	−367	·8917618	−19727 +168	−366	·8893530	−19898 +175	−370	·8869072	−20068 +185	−371	·8844243	−20232 +195	−372	·8819041	8·2
8·3	·9095275	−18287 +105	−345	·9074325	−18432 +113	−347	·9053029	−18676 +122	−349	·9031383	−18864 +127	−351	·9009387	−19051 +137	−353	·8987039	8·3
8·4	·9230925	−16918 +58	−320	·9212550	−17127 +56	−322	·9193852	−17331 +72	−325	·9174830	−17536 +81	−327	·9155480	−17738 +82	−329	·9135801	8·4
8·5	·9349657	−15491 +18	−294	·9333648	−15701 +22	−296	·9317344	−15915 +28	−299	·9300741	−16126 +36	−302	·9283835	−16335 +35	−304	·9266626	8·5

	$p = 48·0$		$p = 48·2$			$p = 48·4$			$p = 48·6$			$p = 48·8$			$p = 49·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·7																		2·7
2·8	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			·0000000			2·8
2·9	+1 +1		·0000000	+1 +1		·0000000	+1 0		·0000000	0 0		·0000000	0 0		·0000000	+0 +0		2·9
3·0	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 0		3·0
3·1	+3 +2		·0000003	+2 +2		·0000003	+2 +2		·0000002	+2 +1		·0000002	+2 +1		·0000002	+2 +1		3·1
3·2	+5 +3		·0000007	+6 +2		·0000006	+5 +2		·0000006	+4 +2		·0000005	+4 +2		·0000005	+3 +3		3·2
3·3	+12 +5		·0000017	+11 +4		·0000015	+9 +4		·0000014	+8 +4		·0000012	+8 +4		·0000011	+8 +4		3·3
3·4	+23 +9		·0000037	+19 +9		·0000033	+20 +8		·0000030	+18 +7		·0000027	+17 +7		·0000025	+14 +6		3·4
3·5	+43 +13		·0000078	+40 +13		·0000071	+36 +13		·0000064	+34 +12		·0000059	+30 +11		·0000053	+30 +8		3·5
3·6	+76 +20		·0000158	+72 +20		·0000145	+66 +20		·0000132	+61 +19		·0000121	+57 +17		·0000111	+51 +17		3·6
3·7	+134 +37		·0000310	+124 +32		·0000285	+118 +31		·0000261	+108 +29		·0000240	+100 +28		·0000220	+94 +27		3·7
3·8	+225 +53	+4	·0000586	+211 +47	+4	·0000541	+198 +45		·0000498	+184 +41		·0000459	+172 +40		·0000423	+180 +40		3·8
3·9	+368 +67	+6	·0001073	+342 +67	+8	·0000993	+322 +61	+6	·0000919	+301 +61	+5	·0000850	+282 +69	+5	·0000786	+265 +65	+5	3·9
4·0	+574 +94	+10	·0001902	+541 +90	+10	·0001767	+609 +88	+9	·0001641	+479 +85	+8	·0001523	+452 +78	+8	·0001414	+425 +74	+8	4·0
4·1	+877 +120	+16	·0003272	+830 +114	+16	·0003050	+784 +112	+14	·0002842	+742 +105	+13	·0002648	+699 +106	+13	·0002467	+659 +105	+12	4·1
4·2	+1300 +153	+24	·0005472	+1233 +150	+23	·0005117	+1171 +141	+22	·0004785	+1108 +144	+21	·0004472	+1052 +133	+19	·0004179	+998 +124	+18	4·2
4·3	+1876 +180	+36	·0008905	+1786 +178	+34	·0008355	+1699 +174	+32	·0007836	+1618 +164	+30	·0007348	+1538 +164	+29	·0006889	+1461 +164	+ 27	4·3
4·4	+2632 +213	+51	·0014124	+2515 +206	+48	·0013292	+2401 +205	+46	·0012505	+2292 +203	+44	·0011762	+2188 +195	+41	·0011060	+2088 +189	+39	4·4
4·5	+3601 +237	+71	·0021858	+3452 +234	+67	·0020630	+3308 +228	+64	·0019466	+3169 +223	+61	·0018364	+3033 +224	+58	·0017319	+2904 +218	+55	4·5
4·6	+4807 +247	+96	·0033044	+4621 +250	+91	·0031276	+4443 +246	+87	·0029596	+4269 +244	+83	·0027999	+4102 +238	+80	·0026482	+3938 +239	+76	4·6
4·7	+6260 +257	+126	·0048851	+6040 +252	+121	·0046365	+5824 +253	+116	·0043995	+5619 +256	+111	·0041736	+5409 +256	+107	·0039583	+5211 +253	+102	4·7
4·8	+7970 +235	+163	·0070698	+7711 +241	+156	·0067278	+7458 +245	+151	·0064007	+7213 +243	+145	·0060882	+6972 +244	+139	·0057895	+6737 +247	+134	4·8
4·9	+9916 +208	+205	·0100256	+9623 +212	+198	·0095649	+9337 +215	+191	·0091232	+9056 +220	+184	·0087000	+8779 +229	+177	·0082944	+8510 +229	+171	4·9
5·0	+12066 +155	+252	·0139437	+11747 +160	+244	·0133357	+11431 +170	+236	·0127513	+11119 +181	+228	·0121897	+10815 +179	+221	·0116503	+ 0512 +192	+214	5·0
5·1	+14372 +77	+304	·0190365	+14031 +94	+295	·0182496	+13695 +104	+286	·0174913	+13363 +111	+278	·0167609	+13032 +126	+270	·0160574	+12706 +125	+261	5·1
5·2	+16755 −5	+359	·0255324	+16409 +3	+349	·0245330	+16063 +16	+340	·0235676	+15718 +30	+331	·0226353	+15376 +42	+322	·0217351	+15036 +53	+313	5·2
5·3	+19133 −118	+414	·0336692	+18790 −96	+405	·0324227	+18447 −82	+395	·0312157	+18103 −64	+385	·0300472	+17760 −50	+376	·0289163	+17417 −36	+366	5·3
5·4	+21393 −221	+469	·0436850	+21075 −206	+459	·0421571	+20742 −189	+450	·0406741	+20424 −178	+440	·0392351	+20095 −161	+430	·0378392	+19763 −142	+421	5·4
5·5	+23432 −339	+520	·0558081	+23150 −324	+511	·0539664	+22862 −308	+501	·0521749	+22567 −286	+492	·0504325	+22269 −270	+483	·0487384	+21967 −257	+473	5·5
5·6	+25132 −443	+565	·0702462	+24903 −426	+556	·0680619	+24667 −410	+548	·0659324	+24424 −399	+539	·0638568	+24173 −384	+530	·0618343	+23914 −366	+522	5·6
5·7	+26389 −541	+601	·0871746	+26231 −530	+594	·0846241	+26062 −516	+586	·0821323	+25882 −498	+579	·0796984	+25693 −484	+571	·0773216	+25496 −470	+563	5·7
5·8	+27105 −608	+627	·1067261	+27029 −597	+621	·1037925	+26941 −588	+615	·1009204	+26842 −582	+609	·0981093	+26729 −568	+603	·0953584	+26606 −553	+596	5·8
5·9	+27215 −661	+640	·1289805	+27230 −656	+638	·1256550	+27232 −649	+632	·1223927	+27220 −638	+627	·1191931	+27197 −633	+623	·1160558	+27159 −625	+618	5·9
6·0	+26860 −677	+639	·1539579	+26773 −671	+637	·1502407	+26874 −674	+635	·1465870	+26960 −674	+632	·1429966	+27030 −668	+630	·1394691	+27087 −664	+626	6·0
6·1	+25430 −664	+623	·1816126	+25645 −673	+623	·1775138	+25842 −670	+623	·1734773	+26026 −673	+623	·1695031	+26195 −674	+622	·1655911	+26351 −679	+621	6·1
6·2	+23536 −623	+592	·2118318	+23844 −627	+595	·2073711	+24140 −639	+597	·2029702	+24419 −641	+599	·1986291	+24686 −650	+601	·1943482	+24936 −650	+602	6·2
6·3	+21019 −546	+548	·2444354	+21416 −560	+552	·2396424	+21799 −570	+557	·2349050	+22171 −586	+561	·2302237	+22527 −592	+564	·2255989	+22871 −604	+568	6·3
6·4	+17956 −454	+490	·2791806	+18428 −470	+497	·2740936	+18888 −481	+503	·2690569	+19337 −493	+509	·2640710	+19776 −511	+515	·2591367	+20202 −525	+520	6·4
6·5	+14439 −340	+421	·3157686	+14970 −353	+430	·3104336	+15496 −378	+438	·3051425	+16010 −395	+446	·2998959	+16514 −408	+443	·2946947	+17008 −421	+461	6·5
6·6	+10582 −210	+344	·3538536	+11159 −233	+354	·3483232	+11726 −245	+363	·3428291	+12288 −263	+373	·3373722	+12844 −286	+382	·3319535	+13393 −308	+391	6·6
6·7	+6515 −81	+260	·3930545	+7116 −101	+271	·3873854	+7711 −123	+282	·3817445	+8303 −144	+293	·3761329	+8889 −159	+303	·3705516	+9470 −173	+313	6·7
6·8	+2387 +49	+174	·4329669	+2970 +31	+185	·4272187	+3573 +22	+197	·4214902	+4174 −4	+208	·4157825	+4775 −28	+219	·4100967	+5374 −50	+230	6·8
6·9	−1733 +166	+86	·4731763	−1144 +160	+98	·4674093	−543 +114	+110	·4616533	+41 +113	+122	·4559096	+635 +102	+134	·4501792	+1228 +83	+146	6·9
7·0	−5667 +277	+2	·5132713	−5108 +260	+14	·5075446	−4545 +254	+25	·5018205	−3979 +230	+37	·4961000	−3407 +208	+49	·4903845	−2835 +196	+60	7·0
7·1	−9324 +361	−79	·5528555	−8812 +351	−67	·5472254	−8293 +338	−56	·5415898	−7769 +328	−45	·5359497	−7239 +318	−33	·5303063	−6702 +300	−22	7·1
7·2	−12620 +433	−152	·5915585	−12166 +423	−142	·5860769	−11703 +416	−131	·5805822	−11231 +401	−120	·5750755	−10753 +391	−110	·5695579	−10269 +385	−99	7·2
7·3	−15483 +477	−217	·6290450	−15095 +471	−208	·6237581	−14697 +463	−198	·6184515	−14292 +462	−188	·6131260	−13876 +453	−179	·6077826	−13451 +444	−169	7·3
7·4	−17889 +504	−273	·6650219	−17554 +504	−265	·6599696	−17228 +502	−256	·6548916	−16891 +495	−243	·6497889	−16546 +494	−239	·6446622	−16189 +486	−230	7·4
7·5	−19751 +507	−319	·6992436	−19509 +505	−312	·6944583	−19257 +506	−304	·6896426	−18995 +506	−297	·6847972	−18722 +503	−289	·6799229	−18441 +507	−282	7·5
7·6	−21126 +493	−354	·7315143	−20969 +499	−348	·7270213	−20781 +501	−342	·7224941	−20593 +503	−336	·7179333	−20395 +507	−330	·7133395	−20186 +506	−324	7·6
7·7	−22008 +465	−378	·7616891	−21910 +467	−374	·7575062	−21804 +473	−370	·7532863	−21688 +480	−365	·7490299	−21561 +482	−360	·7447375	−21425 +488	−355	7·7
7·8	−22425 +424	−393	·7896729	−22394 +432	−390	·7858107	−22354 +439	−387	·7819097	−22303 +440	−384	·7779704	−22245 +449	−380	·7739930	−22176 +452	−377	7·8
7·9	−22417 +372	−399	·8154173	−22446 +380	−398	·8118798	−22465 +387	−396	·8083028	−22478 +400	−394	·8046864	−22480 +404	−391	·8010309	−22475 +413	−389	7·9
8·0	−22041 +318	−397	·8389171	−22118 +325	−396	·8357024	−22190 +333	−396	·8324481	−22253 +337	−395	·8291544	−22311 +349	−394	·8258213	−22361 +358	−392	8·0
8·1	−21343 +259	−388	·8602051	−21465 +267	−389	·8573060	−21580 +277	−389	·8543681	−21691 +289	−389	·8513913	−21793 +294	−388	·8483756	−21889 +301	−388	8·1
8·2	−20390 +199	−374	·8793466	−20545 +209	−375	·8767516	−20698 +218	−376	·8741190	−20839 +234	−376	·8714489	−20981 +238	−377	·8687410	−21118 +243	−378	8·2
8·3	−19236 +146	−354	·8964336	−19416 +153	−356	·8941276	−19591 +159	−358	·8917860	−19766 +178	−359	·8894084	−19934 +172	−361	·8869948	−20100 +185	−362	8·3
8·4	−17937 +96	−332	·9115790	−18134 +99	−334	·9095445	−18330 +107	−336	·9074764	−18522 +126	−338	·9053745	−18712 +126	−340	·9032386	−18899 +130	−342	8·4
8·5	−16544 +55	−307	·9249110	−16753 +63	−309	·9231284	−16959 +61	−312	·9213146	−17163 +76	−314	·9194694	−17367 +74	−317	·9175925	−17568 +80	−319	8·5

	$p = 47{\cdot}0$			$p = 47{\cdot}2$			$p = 47{\cdot}4$			$p = 47{\cdot}6$			$p = 47{\cdot}8$			$p = 48{\cdot}0$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
8·5	·9349657	−16491 +16	−294	·9333648	−15701 +32	−296	·9317344	−16916 +26	−299	·9300741	−16126 +38	−302	·9283835	−16336 +35	−304	·9266626	8·5
8·6	·9452898	−14043 −20	−266	·9439045	−14258 −14	−269	·9424921	−14468 −8	−272	·9410526	−14681 −2	−275	·9395855	−14894 −4	−278	·9380907	8·6
8·7	·9542096	−12616 −48	−240	·9530184	−12823 −41	−243	·9518030	−13033 −38	−245	·9505630	−13241 −29	−249	·9492981	−13449 −27	−251	·9480082	8·7
8·8	·9618678	−11235 −68	−213	·9608500	−11433 −65	−216	·9598106	−11633 −62	−219	·9587493	−11834 −52	−222	·9576658	−12037 −51	−225	·9565597	8·8
8·9	·9684025	−9919 −86	−188	·9675383	−10107 −86	−191	·9666549	−10295 −80	−194	·9657522	−10486 −72	−197	·9648298	−10678 −72	−199	·9638874	8·9
9·0	·9739453	−8689 −95	−165	·9732159	−8854 −93	−187	·9724697	−9039 −91	−170	·9717065	−9216 −84	−173	·9709260	−9394 −87	−176	·9701280	9·0
9·1	·9786192	−7553 −09	−143	·9780071	−7710 −99	−146	·9773806	−7873 −99	−148	·9767392	−8036 −96	−150	·9760828	−8201 −97	−153	·9754111	9·1
9·2	·9825378	−8515 −102	−123	·9820273	−6661 −102	−125	·9815042	−6806 −103	−128	·9809683	−6954 −102	−130	·9804195	−7105 −101	−133	·9798574	9·2
9·3	·9858049	−5582 −102	−105	·9853814	−5711 −100	−107	·9849472	−5842 −101	−109	·9845020	−5975 −103	−111	·9840457	−6109 −103	−113	·9835781	9·3
9·4	·9885138	−4749 −96	−89	·9881644	−4862 −99	−91	·9878060	−4979 −99	−93	·9874382	−6096 −99	−95	·9870610	−6916 −101	−97	·9866742	9·4
9·5	·9907478	−4012 −92	−76	·9904612	−4113 −93	−77	·9901669	−4214 −94	−78	·9898648	−4319 −95	−80	·9895547	−4426 −95	−82	·9892364	9·5
9·6	·9925806	−3370 −85	−63	·9923467	−3457 −87	−64	·9921064	−3546 −86	−66	·9918595	−3636 −88	−67	·9916058	−3726 −90	−69	·9913454	9·6
9·7	·9940764	−2611 −78	−52	·9938865	−2685 −80	−53	·9936913	−2963 −80	−55	·9934906	−3041 −82	−68	·9932843	−3121 −82	−57	·9930722	9·7
9·8	·9952911	−2331 −71	−43	·9951378	−2397 −71	−44	·9949799	−2450 −73	−45	·9948176	−2527 −74	−46	·9946507	−2597 −75	−47	·9944790	9·8
9·9	·9962727	−1923 −63	−35	·9961494	−1976 −64	−36	·9960225	−2033 −65	−37	·9958919	−2090 −56	−38	·9957574	−2146 −57	−39	·9956191	9·9
10·0	·9970620	−1576 −55	−29	·9969634	−1622 −56	−30	·9968618	−1568 −58	−30	·9967572	−1715 −59	−31	·9966495	−1765 −50	−32	·9965386	10·0
10·1	·9976937	−1285 −48	−23	·9976152	−1323 −49	−24	·9975343	−1352 −50	−25	·9974510	−1403 −51	−25	·9973651	−1443 −52	−26	·9972766	10·1
10·2	·9981969	−1041 −41	−19	·9981347	−1073 −43	−20	·9980706	−1105 −43	−20	·9980045	−1138 −44	−20	·9979364	−1174 −46	−21	·9978661	10·2
10·3	·9985960	−841 −36	−16	·9985469	−856 −37	−16	·9984964	−894 −37	−16	·9984442	−921 −38	−16	·9983903	−947 −39	−17	·9983348	10·3
10·4	·9989110	−674 −30	−12	·9988725	−696 −29	−12	·9988328	−717 −32	−13	·9987918	−740 −33	−13	·9987495	−764 −33	−14	·9987058	10·4
10·5	·9991586	−536 −25	−10	·9991285	−555 −23	−10	·9990975	−574 −27	−10	·9990654	−592 −28	−10	·9990323	−811 −27	−11	·9989981	10·5
10·6	·9993524	−426 −21	−8	·9993290	−442 −18	−8	·9993048	−456 −23	−8	·9992798	−470 −23	−8	·9992540	−485 −23	−9	·9992274	10·6
10·7	·9995034	−338 −18	−6	·9994853	−350 −15	−6	·9994665	−350 −19	−6	·9994472	−374 −18	−7	·9994272	−387 −19	−7	·9994065	10·7
10·8	·9996206	−266 −15	−6	·9996066	−274 −12	−5	·9995922	−285 −15	−5	·9995772	−293 −15	−5	·9995617	−303 −18	−5	·9995458	10·8
10·9	·9997112	−208 −12	−4	·9997005	−217 −10	−4	·9996894	−224 −12	−4	·9996779	−232 −12	−4	·9996660	−239 −13	−4	·9996536	10·9
11·0	·9997810	−163 −9		·9997727	−157 −8		·9997642	−174 −10		·9997554	−180 −10		·9997463	−186 −11		·9997369	11·0
11·1	·9998345	−127 −7		·9998282	−132 −6		·9998217	−135 −8		·9998150	−141 −8		·9998080	−145 −9		·9998008	11·1
11·2	·9998753	−97 −6		·9998706	−102 −5		·9998656	−104 −7		·9998605	−108 −7		·9998552	−113 −8		·9998498	11·2
11·3	·9999064	−75 −5		·9999028	−78 −5		·9998991	−80 −6		·9998952	−83 −6		·9998912	−87 −7		·9998871	11·3
11·4	·9999300	−58		·9999273	−59 −4		·9999245	−62 −4		·9999215	−64 −4		·9999185	−66 −6		·9999154	11·4
11·5	·9999478	−44		·9999458	−46		·9999437	−48		·9999415	−51		·9999392	−51 −5		·9999368	11·5
11·6	·9999612	−33		·9999597	−35		·9999581	−36		·9999565	−39		·9999548	−39		·9999530	11·6
11·7	·9999713	−25		·9999701	−28		·9999689	−27		·9999677	−28		·9999665	−30		·9999651	11·7
11·8	·9999788	−19		·9999779	−19		·9999771	−21		·9999762	−23		·9999752	−23		·9999742	11·8
11·9	·9999844	−15		·9999838	−15		·9999831	−18		·9999824	−16		·9999817	−17		·9999810	11·9
12·0	·9999885	−12		·9999881	−12		·9999876	−13		·9999871	−12		·9999866	−13		·9999860	12·0
12·1	·9999916	−8		·9999913	−9		·9999909	−9		·9999906	−9		·9999902	−10		·9999898	12·1
12·2	·9999939	−8		·9999936	−7		·9999934	−7		·9999931	−7		·9999928	−7		·9999925	12·2
12·3	·9999955	−4		·9999954	−5		·9999952	−5		·9999950	−5		·9999948	−6		·9999946	12·3
12·4	·9999968			·9999966	−4		·9999965	−4		·9999964	−4		·9999962	−6		·9999961	12·4
12·5	·9999977			·9999976			·9999975			·9999974			·9999973			·9999971	12·5
12·6	·9999983			·9999983			·9999982			·9999981			·9999980			·9999979	12·6
12·7	·9999988			·9999987			·9999987			·9999986			·9999986			·9999985	12·7
12·8	·9999991			·9999991			·9999991			·9999990			·9999990			·9999989	12·8
12·9	·9999994			·9999994			·9999993			·9999993			·9999993			·9999992	12·9
13·0	·9999996			·9999995			·9999995			·9999995			·9999995			·9999994	13·0
13·1	·9999997			·9999997			·9999997			·9999996			·9999996			·9999996	13·1
13·2	·9999998			·9999998			·9999998			·9999997			·9999997			·9999997	13·2
13·3	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998	13·3
13·4	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·4
13·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999	13·5
13·6	1·0000000			1·0000000			·9999999			·9999999			·9999999			·9999999	13·6
13·7							1·0000000			1·0000000			1·0000000			1·0000000	13·7

	$p = 48·0$		$p = 48·2$			$p = 48·4$			$p = 48·6$			$p = 48·8$			$p = 49·0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·5	−16544 +55	−307	·9249110	−16768 +63	−309	·9231284	−16969 +61	−312	·9213146	−17163 +76	−314	·9194694	−17367 +74	−317	·9175925	−17588 +80	−319	8·5
8·6	−15106 +18	−281	·9365677	−15318 +8	−284	·9350164	−15527 +18	−286	·9334365	−15738 +28	−289	·9318276	−15948 +28	−291	·9301896	−16154 +34	−294	8·6
8·7	−13660 −15	−254	·9466928	−13870 −24	−257	·9453517	−14080 −18	−260	·9439846	−14289 −11	−263	·9425912	−14499 −9	−266	·9411713	−14710 −1	−269	8·7
8·8	12238 −43	−228	·9554309	−12442 −53	−231	·9542790	−12646 −48	−234	·9531038	−12852 −42	−237	·9519049	−13058 −38	−239	·9506820	−13263 −31	−242	8·8
8·9	−10871 −82	−202	·9629248	−11065 −70	−205	·9619417	−11261 −60	−208	·9609378	−11457 −65	−211	·9599128	−11655 −62	−214	·9588664	−11854 −50	−216	8·9
9·0	−9575 −80	−178	·9693122	−9757 −84	−181	·9684783	−9941 −79	−184	·9676261	−10127 −81	−186	·9667552	−10318 −81	−189	·9658654	−10501 −74	−192	9·0
9·1	−8368 −95	−155	·9747239	−8537 −93	−158	·9740208	−8706 −97	−161	·9733017	−8878 −94	−163	·9725663	−9052 −92	−166	·9718143	−9227 −88	−168	9·1
9·2	−7256 −102	−134	·9792819	−7410 −101	−137	·9786927	−7567 −100	−139	·9780895	−7723 −100	−142	·9774722	−7883 −98	−144	·9768405	−8045 −98	−146	9·2
9·3	−6246 −103	−116	·9830989	−6385 −104	−118	·9826079	−6525 −102	−120	·9821050	−6669 −102	−122	·9815898	−6812 −102	−124	·9810622	−6958 −103	−126	9·3
9·4	−5339 −100	−98	·9862774	−5482 −101	−100	·9858706	−5588 −102	−102	·9854536	−5715 −102	−104	·9850262	−5846 −103	−106	·9845881	−5977 −103	−108	9·4
9·5	−4532 −96	−83	·9889097	−4641 −97	−85	·9885745	−4752 −98	−87	·9882307	−4865 −98	−89	·9878780	−4980 −98	−90	·9875163	−5097 −100	−92	9·5
9·6	−3822 −92	−70	·9910779	−3917 −91	−71	·9908032	−4014 −93	−73	·9905213	−4114 −94	−75	·9902318	−4213 −94	−76	·9899348	−4316 −95	−78	9·6
9·7	−3200 −84	−58	·9928544	−3285 −85	−60	·9926305	−3368 −86	−61	·9924005	−3454 −88	−63	·9921643	−3543 −88	−64	·9919217	−3632 −89	−65	9·7
9·8	−2667 −78	−48	·9943024	−2738 −78	−50	·9941209	−2810 −78	−51	·9939343	−2884 −80	−52	·9937425	−2959 −82	−53	·9935454	−3038 −82	−54	9·8
9·9	−2208 −88	−40	·9954768	−2287 −70	−41	·9953303	−2328 −71	−42	·9951797	−2391 −72	−43	·9950248	−2456 −73	−44	·9948655	−2523 −74	−45	9·9
10·0	−1815 −81	−33	·9964245	−1867 −62	−34	·9963069	−1919 −63	−34	·9961860	−1974 −64	−35	·9960615	−2028 −65	−36	·9959333	−2082 −66	−37	10·0
10·1	−1485 −53	−27	·9971855	−1528 −55	−27	·9970916	−1572 −56	−28	·9969949	−1616 −57	−29	·9968954	−1663 −57	−30	·9967929	−1711 −58	−30	10·1
10·2	−1208 −46	−22	·9977937	−1243 −47	−22	·9977191	−1280 −48	−23	·9976422	−1318 −50	−23	·9975630	−1358 −51	−24	·9974814	−1398 −52	−25	10·2
10·3	−977 −40	−17	·9982776	−1008 −41	−18	·9982186	−1038 −42	−18	·9981577	−1069 −43	−19	·9980950	−1102 −43	−19	·9980303	−1134 −45	−20	10·3
10·4	−787 −34	−14	·9986607	−810 −35	−14	·9986143	−836 −36	−15	·9985663	−862 −37	−15	·9985168	−887 −38	−16	·9984658	−914 −38	−16	10·4
10·5	−630 −29	−11	·9989628	−651 −28	−11	·9989264	−671 −31	−12	·9988887	−691 −30	−12	·9988499	−713 −32	−13	·9988099	−736 −32	−13	10·5
10·6	−502 −24	−9	·9991998	−517 −25	−9	·9991714	−534 −27	−9	·9991420	−551 −28	−10	·9991117	−569 −27	−10	·9990804	−587 −27	−10	10·6
10·7	−398 −20	−7	·9993851	−412 −21	−7	·9993630	−424 −22	−7	·9993402	−439 −21	−8	·9993166	−453 −22	−8	·9992922	−467 −23	−8	10·7
10·8	−315 −17	−6	·9995292	−324 −18	−6	·9995121	−336 −18	−6	·9994945	−347 −18	−6	·9994762	−357 −18	−6	·9994573	−369 −19	−6	10·8
10·9	−246 −13	−4	·9996409	−255 −14	−4	·9996277	−264 −15	−4	·9996141	−271 −15	−5	·9996001	−282 −15	−5	·9995855	−291 −16	−5	10·9
11·0	−193 −11		·9997271	−199 −11		·9997170	−207 −12		·9997066	−214 −12	−4	·9996957	−220 −13	−4	·9996846	−229 −13	−4	11·0
11·1	−150 −9		·9997934	−156 −9		·9997856	−161 −9		·9997777	−166 −10		·9997694	−173 −10		·9997608	−177 −10		11·1
11·2	−117 −7		·9998441	−120 −8		·9998382	−124 −8		·9998321	−128 −9		·9998258	−134 −8		·9998193	−138 −9		11·2
11·3	−90 −6		·9998828	−93 −6		·9998783	−96 −6		·9998737	−100 −7		·9998689	−104 −6		·9998640	−107 −7		11·3
11·4	−69 −5		·9999122	−71 −5		·9999088	−74 −5		·9999053	−77 −5		·9999017	−80 −5		·9998980	−82 −5		11·4
11·5	−53		·9999344	−54 −4		·9999319	−57 −4		·9999292	−58 −4		·9999265	−61 −4		·9999237	−63 −4		11·5
11·6	−40		·9999512	−42		·9999493	−43		·9999473	−45		·9999453	−47		·9999432	−49		11·6
11·7	−30		·9999638	−32		·9999624	−33		·9999609	−34		·9999594	−36		·9999578	−37		11·7
11·8	−23		·9999732	−23		·9999722	−25		·9999711	−26		·9999699	−27		·9999688	−28		11·8
11·9	−18		·9999803	−18		·9999795	−19		·9999787	−20		·9999778	−20		·9999770	−21		11·9
12·0	−13		·9999855	−13		·9999849	−14		·9999843	−15		·9999837	−15		·9999831	−16		12·0
12·1	−10		·9999894	−10		·9999889	−10		·9999885	−11		·9999881	−12		·9999876	−12		12·1
12·2	−7		·9999922	−8		·9999919	−8		·9999916	−8		·9999913	−9		·9999909	−9		12·2
12·3	−5		·9999943	−6		·9999941	−6		·9999939	−6		·9999936	−6		·9999934	−7		12·3
12·4	−4		·9999959	−4		·9999957	−4		·9999956	−5		·9999954	−5		·9999952	−5		12·4
12·5			·9999970			·9999969			·9999968	−4		·9999967	−4		·9999965	−4		12·5
12·6			·9999979			·9999978			·9999977			·9999976			·9999975			12·6
12·7			·9999984			·9999984			·9999983			·9999983			·9999982			12·7
12·8			·9999989			·9999988			·9999988			·9999987			·9999987			12·8
12·9			·9999992			·9999992			·9999991			·9999991			·9999991			12·9
13·0			·9999994			·9999994			·9999994			·9999994			·9999993			13·0
13·1			·9999996			·9999996			·9999996			·9999995			·9999995			13·1
13·2			·9999997			·9999997			·9999997			·9999997			·9999997			13·2
13·3			·9999998			·9999998			·9999998			·9999998			·9999998			13·3
13·4			·9999999			·9999998			·9999998			·9999998			·9999998			13·4
13·5			·9999999			·9999999			·9999999			·9999999			·9999999			13·5
13·6			·9999999			·9999999			·9999999			·9999999			·9999999			13·6
13·7			1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			13·7

	$p = 49{\cdot}0$			$p = 49{\cdot}2$			$p = 49{\cdot}4$			$p = 49{\cdot}6$			$p = 49{\cdot}8$			$p = 50{\cdot}0$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
2·8	·0000000																		2·8
2·9	·0000000	0 0		·0000000	0 0		·0000000	0 0		·0000000			·0000000			·0000000			2·9
3·0	·0000001	+1 0		·0000001	+1 +1		·0000001	+1 +1		·0000000	0 0		·0000000	+1 0		·0000000	+1 0		3·0
3·1	·0000002	+2 +1		·0000002	+1 +1		·0000002	+1 +1		·0000001	+1 +1		·0000001	+1 +1		·0000001	+1 +1		3·1
3·2	·0000005	+3 +3		·0000004	+4 +2		·0000004	+3 +2		·0000003	+3 +2		·0000003	+2 +2		·0000003	+2 +2		3·2
3·3	·0000011	+8 +4		·0000010	+6 +3		·0000009	+6 +3		·0000008	+5 +3		·0000007	+6 +3		·0000007	+4 +3		3·3
3·4	·0000025	+14 +6		·0000022	+15 +5		·0000020	+13 +5		·0000018	+12 +5		·0000017	+10 +4		·0000015	+10 +4		3·4
3·5	·0000053	+30 +8		·0000049	+25 +10		·0000044	+24 +9		·0000040	+22 +8		·0000037	+20 +7		·0000033	+19 +7		3·5
3·6	·0000111	+51 +17		·0000101	+49 +17		·0000092	+45 +15		·0000084	+42 +14		·0000077	+39 +13		·0000070	+36 +12		3·6
3·7	·0000220	+94 +27		·0000202	+87 +24		·0000185	+81 +22		·0000170	+75 +22		·0000156	+69 +22		·0000143	+64 +19		3·7
3·8	·0000423	+160 +40		·0000390	+149 +38		·0000359	+139 +35		·0000331	+129 +33		·0000304	+122 +32		·0000280	+113 +28		3·8
3·9	·0000786	+265 +55	+6	·0000727	+248 +53	+4	·0000672	+232 +51	+4	·0000621	+218 +47	+4	·0000574	+203 +44	+4	·0000530	+190 +44		3·9
4·0	·0001414	+425 +74	+8	·0001312	+400 +71	+7	·0001217	+376 +68	+7	·0001129	+353 +66	+6	·0001047	+332 +63	+6	·0000970	+312 +60	+5	4·0
4·1	·0002467	+659 +105	+12	·0002297	+622 +100	+11	·0002138	+588 +94	+10	·0001990	+554 +92	+10	·0001852	+523 +85	+9	·0001722	+493 +83	+9	4·1
4·2	·0004179	+998 +124	+18	·0003904	+945 +122	+17	·0003647	+894 +120	+16	·0003405	+847 +114	+15	·0003179	+799 +117	+14	·0002967	+757 +110	+13	4·2
4·3	·0006889	+1461 +164	+27	·0006456	+1390 +155	+26	·0006050	+1320 +152	+24	·0005667	+1254 +148	+23	·0005307	+1192 +139	+22	·0004969	+1131 +136	+21	4·3
4·4	·0011060	+2088 +189	+38	·0010398	+1990 +190	+37	·0009773	+1898 +182	+35	·0009183	+1809 +178	+33	·0008626	+1724 +174	+32	·0008102	+1641 +171	+30	4·4
4·5	·0017319	+2904 +218	+53	·0016330	+2780 +209	+53	·0015394	+2658 +210	+50	·0014508	+2542 +204	+46	·0013669	+2430 +201	+45	·0012876	+2322 +197	+43	4·5
4·6	·0026482	+3938 +239	+76	·0025042	+3779 +241	+73	·0023673	+3628 +233	+69	·0022375	+3479 +234	+66	·0021142	+3337 +228	+63	·0019972	+3200 +223	+60	4·6
4·7	·0039583	+5211 +253	+102	·0037533	+5019 +248	+98	·0035580	+4831 +250	+94	·0033721	+4650 +245	+90	·0031952	+4472 +247	+86	·0030268	+4301 +245	+82	4·7
4·8	·0057895	+6737 +247	+134	·0055043	+6507 +250	+126	·0052318	+6284 +249	+123	·0049717	+6066 +249	+118	·0047234	+5854 +248	+113	·0044865	+5647 +248	+108	4·8
4·9	·0082944	+8510 +229	+171	·0079060	+8245 +233	+165	·0075340	+7986 +235	+159	·0071779	+7731 +243	+153	·0068370	+7484 +242	+147	·0065109	+7241 +235	+141	4·9
5·0	·0116503	+10512 +192	+214	·0111322	+10216 +197	+206	·0106347	+9923 +207	+199	·0101572	+9639 +205	+193	·0096990	+9356 +215	+186	·0092594	+9080 +218	+179	5·0
5·1	·0160574	+12706 +128	+261	·0153800	+12384 +144	+253	·0147279	+12067 +149	+245	·0141004	+11752 +161	+238	·0134966	+11443 +167	+230	·0129159	+11137 +178	+222	5·1
5·2	·0217351	+15035 +53	+313	·0208662	+14696 +67	+304	·0200277	+14360 +80	+296	·0192188	+14026 +93	+287	·0184385	+13697 +100	+279	·0176861	+13370 +111	+271	5·2
5·3	·0289163	+17417 −36	+366	·0278220	+17075 −23	+357	·0267635	+16733 −10	+348	·0257398	+16393 0	+339	·0247501	+16051 +21	+330	·0237933	+15714 +31	+322	5·3
5·4	·0378392	+19763 −142	+421	·0364853	+19431 −129	+411	·0351726	+19096 −110	+402	·0339001	+18760 −92	+393	·0326668	+18426 −85	+383	·0314719	+18089 −68	+373	5·4
5·5	·0487384	+21967 −257	+473	·0470917	+21658 −235	+464	·0454913	+21349 −225	+455	·0439364	+21035 −210	+446	·0424261	+20716 −187	+436	·0409594	+20396 −173	+426	5·5
5·6	·0618343	+23914 −366	+522	·0598639	+23650 −354	+513	·0579449	+23377 −333	+504	·0560762	+23100 −316	+495	·0542570	+22819 −307	+486	·0524865	+22530 −286	+477	5·6
5·7	·0773216	+25495 −470	+563	·0750011	+25288 −455	+555	·0727362	+25072 −439	+547	·0705260	+24849 −428	+539	·0683698	+24615 −405	+531	·0662666	+24378 −398	+523	5·7
5·8	·0953584	+26606 −558	+596	·0926671	+26471 −544	+589	·0900347	+26328 −539	+582	·0874607	+26170 −519	+576	·0849441	+26006 −513	+568	·0824845	+25828 −491	+560	5·8
5·9	·1160558	+27159 −625	+616	·1129802	+27110 −620	+613	·1099660	+27045 −603	+607	·1070124	+26972 −600	+602	·1041190	+26884 −585	+596	·1012852	+26787 −580	+601	5·9
6·0	·1394691	+27087 −664	+628	·1360043	+27129 −658	+623	·1326018	+27159 −657	+620	·1292613	+27174 −647	+616	·1259823	+27177 −645	+612	·1227646	+27166 −638	+606	6·0
6·1	·1655911	+26351 −679	+621	·1617413	+26490 −676	+620	·1579535	+26616 −675	+619	·1542276	+26727 −673	+617	·1505633	+26825 −673	+615	·1469606	+26907 −667	+613	6·1
6·2	·1943482	+24936 −650	+602	·1901273	+25175 −659	+603	·1859668	+25398 −663	+603	·1818666	+25607 −667	+604	·1778268	+25800 −666	+604	·1738473	+25981 −670	+604	6·2
6·3	·2255989	+22871 −604	+568	·2210308	+23201 −612	+571	·2165199	+23517 −620	+574	·2120663	+23820 −628	+576	·2076703	+24109 −636	+578	·2033321	+24385 −645	+580	6·3
6·4	·2591367	+20202 −525	+520	·2542544	+20615 −535	+525	·2494247	+21016 −547	+530	·2446480	+21405 −559	+535	·2399247	+21782 −571	+530	·2352554	+22144 −577	+544	6·4
6·5	·2946947	+17008 −421	+461	·2895395	+17494 −442	+468	·2844311	+17968 −456	+474	·2793702	+18431 −470	+481	·2743573	+18884 −486	+487	·2693931	+19326 −502	+493	6·5
6·6	·3319535	+13393 −308	+391	·3265740	+13931 −320	+400	·3212343	+14464 −341	+408	·3159355	+14987 −358	+416	·3106783	+15500 −370	+424	·3054634	+16006 −388	+432	6·6
6·7	·3705516	+9470 −173	+313	·3650016	+10048 −196	+323	·3594839	+10619 −212	+333	·3539995	+11185 −231	+342	·3485493	+11746 −256	+351	·3431343	+12298 −271	+360	6·7
6·8	·4100967	+5374 −50	+230	·4044340	+5969 −67	+241	·3987954	+6562 −87	+252	·3931820	+7152 −108	+263	·3875949	+7736 −119	+273	·3820350	+8319 −142	+283	6·8
6·9	·4501792	+1228 +83	+145	·4444633	+1823 +65	+157	·4387631	+2418 +45	+168	·4330797	+3011 +31	+179	·4274141	+3607 +4	+190	·4217676	+4198 −10	+201	6·9
7·0	·4903845	−2835 +196	+60	·4846749	−2258 +177	+72	·4789726	−1681 +166	+83	·4732785	−1099 +146	+95	·4675940	−518 +134	+106	·4619200	+67 +114	+117	7·0
7·1	·5303063	−6702 +300	−22	·5246607	−6162 +291	−10	·5190140	−5614 +271	+1	·5133674	−5063 +255	+12	·5077221	−4509 +242	+23	·5020791	−3950 +225	+34	7·1
7·2	·5695579	−10269 +385	−99	·5640303	−9775 +369	−88	·5584940	−9276 +359	−77	·5529500	−8772 +353	−66	·5473993	−8258 +333	−55	·5418432	−7742 +326	−44	7·2
7·3	·6077826	−13451 +444	−169	·6024224	−13019 +439	−159	·5970464	−12579 +432	−149	·5916554	−12128 +418	−138	·5862507	−11674 +417	−128	·5808331	−11208 +401	−118	7·3
7·4	·6446622	−16189 +486	−230	·6395126	−15824 +480	−221	·6343409	−15450 +476	−212	·6291480	−15068 +477	−203	·6239347	−14673 +462	−194	·6187022	−14273 +461	−185	7·4
7·5	·6799229	−18441 +507	−282	·6750204	−18149 +508	−274	·6700904	−17845 +503	−266	·6651338	−17531 +495	−258	·6601514	−17210 +499	−250	·6551440	−16877 +492	−242	7·5
7·6	·7133395	−20186 +506	−324	·7087133	−19966 +504	−317	·7040554	−19737 +506	−310	·6993665	−19499 +511	−304	·6946471	−19248 +505	−297	·6898981	−18989 +507	−290	7·6
7·7	·7447375	−21425 +488	−355	·7404096	−21279 +493	−350	·7360467	−21123 +497	−345	·7316493	−20956 +497	−339	·7272180	−20781 +505	−334	·7227533	−20594 +506	−326	7·7
7·8	·7739930	−22176 +452	−377	·7699780	−22099 +459	−373	·7659257	−22012 +463	−369	·7618365	−21916 +471	−365	·7577108	−21809 +472	−360	·7535491	−21693 +475	−356	7·8
7·9	·8010309	−22475 +413	−389	·7973365	−22460 +417	−386	·7936035	−22438 +428	−384	·7898321	−22405 +430	−381	·7860227	−22365 +439	−378	·7821756	−22317 +449	−376	7·9
8·0	·8258213	−22361 +358	−392	·8224490	−22404 +368	−391	·8190375	−22436 +370	−389	·8155872	−22464 +383	−388	·8120981	−22482 +388	−386	·8085704	−22492 +394	−384	8·0
8·1	·8483756	−21889 +301	−388	·8453211	−21979 +311	−388	·8422279	−22064 +321	−387	·8390959	−22140 +330	−387	·8359253	−22211 +337	−386	·8327160	−22273 +345	−385	8·1
8·2	·8687410	−21116 +243	−376	·8659953	−21246 +251	−378	·8632119	−21371 +261	−378	·8603906	−21490 +269	−379	·8575314	−21603 +277	−379	·8546343	−21711 +294	−379	8·2
8·3	·8869948	−20100 +185	−362	·8845449	−20261 +197	−363	·8820588	−20417 +197	−364	·8795363	−20571 +211	−365	·8769772	−20718 +218	−366	·8743815	−20861 +227	−367	8·3
8·4	·9032386	−18899 +130	−342	·9010684	−19082 +144	−344	·8988640	−19265 +147	−345	·8966249	−19441 +153	−347	·8943512	−19616 +163	−349	·8920426	−19787 +170	−351	8·4
8·5	·9175925	−17568 +80	−319	·9156837	−17766 +91	−321	·9137427	−17963 +95	−323	·9117694	−18158 +101	−326	·9097636	−18350 +108	−328	·9077250	−18541 +116	−330	8·5

	$p = 49{\cdot}0$			$p = 49{\cdot}2$			$p = 49{\cdot}4$			$p = 49{\cdot}6$			$p = 49{\cdot}8$			$p = 50{\cdot}0$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
8·5	·9175925	−17568 +80	−319	·9156837	−17768 +91	−321	·9137427	−17963 +95	−323	·9117694	−18168 +101	−326	·9097636	−18350 +108	−328	·9077250	−18541 +116	−330	8·5
8·6	·9301896	−16164 +34	−294	·9285222	−16362 +41	−297	·9268251	−16569 +45	−299	·9250981	−16774 +57	−302	·9233409	−16979 +61	−304	·9215533	−17179 +66	−306	8·6
8·7	·9411713	−14710 −1	−269	·9397245	−14919 +1	−271	·9382506	−15127 +7	−274	·9367494	−15337 +18	−276	·9352205	−15544 +18	−279	·9336637	−15763 +25	−282	8·7
8·8	·9506820	−13263 −31	−242	·9494349	−13459 −31	−245	·9481634	−13678 −25	−248	·9468670	−13884 −16	−251	·9455456	−14092 −16	−254	·9441988	−14298 −13	−257	8·8
8·9	·9588664	−11864 −50	−216	·9577984	−12054 −54	−219	·9567084	−12253 −54	−222	·9555962	−12466 −48	−225	·9544615	−12656 −46	−228	·9533041	−12860 −41	−231	8·9
9·0	·9658654	−10501 −74	−192	·9649565	−10691 −74	−194	·9640281	−10882 −73	−197	·9630799	−11073 −70	−200	·9621118	−11267 −69	−203	·9611234	−11461 −66	−206	9·0
9·1	·9718143	−9227 −88	−168	·9710455	−9404 −91	−171	·9702596	−9583 −89	−174	·9694563	−9764 −85	−176	·9686354	−9943 −87	−179	·9677966	−10128 −81	−182	9·1
9·2	·9768405	−8045 −96	−146	·9761941	−8207 −98	−149	·9755328	−8372 −98	−152	·9748563	−8537 −98	−154	·9741645	−8706 −95	−157	·9734570	−8876 −94	−160	9·2
9·3	·9810622	−6958 −103	−126	·9805220	−7106 −101	−129	·9799688	−7267 −103	−131	·9794026	−7410 −101	−134	·9788230	−7564 −101	−136	·9782298	−7719 −102	−139	9·3
9·4	·9845881	−5977 −103	−108	·9841391	−6109 −103	−110	·9836791	−6245 −103	−112	·9832079	−6363 −102	−116	·9827251	−6520 −103	−117	·9822307	−6661 −103	−119	9·4
9·5	·9875163	−5097 −100	−92	·9871453	−5216 −100	−94	·9867649	−5335 −100	−96	·9863749	−5457 −102	−98	·9859752	−5583 −101	−100	·9855655	−5709 −101	−102	9·5
9·6	·9899348	−4316 −95	−78	·9896299	−4420 −97	−80	·9893172	−4528 −97	−81	·9889962	−4634 −99	−83	·9886670	−4743 −99	−85	·9883294	−4856 −99	−87	9·6
9·7	·9919217	−3632 −89	−65	·9916725	−3723 −91	−67	·9914167	−3816 −92	−68	·9911541	−3911 −91	−70	·9908845	−4007 −94	−71	·9906077	−4103 −94	−73	9·7
9·8	·9935454	−3036 −62	−54	·9933428	−3114 −63	−56	·9931347	−3194 −64	−57	·9929209	−3276 −65	−58	·9927013	−3359 −66	−59	·9924757	−3445 −67	−60	9·8
9·9	·9948655	−2523 −74	−45	·9947017	−2591 −75	−46	·9945333	−2660 −76	−47	·9943601	−2729 −78	−48	·9941822	−2801 −78	−49	·9939992	−2873 −80	−50	9·9
10·0	·9959333	−2082 −66	−37	·9958015	−2140 −68	−38	·9956659	−2198 −66	−39	·9955264	−2258 −70	−40	·9953830	−2320 −71	−41	·9952354	−2382 −72	−42	10·0
10·1	·9967929	−1711 −58	−30	·9966873	−1758 −60	−31	·9965787	−1806 −63	−32	·9964669	−1859 −62	−33	·9963518	−1909 −63	−33	·9962334	−1963 −64	−34	10·1
10·2	·9974814	−1396 −52	−25	·9973973	−1437 −53	−25	·9973107	−1478 −55	−26	·9972215	−1520 −56	−27	·9971297	−1564 −57	−27	·9970351	−1608 −57	−28	10·2
10·3	·9980303	−1134 −45	−20	·9979636	−1167 −46	−20	·9978949	−1201 −47	−21	·9978241	−1236 −48	−22	·9977512	−1273 −49	−22	·9976760	−1309 −49	−23	10·3
10·4	·9984658	−914 −38	−16	·9984132	−942 −39	−16	·9983590	−972 −40	−17	·9983031	−1002 −40	−17	·9982454	−1030 −42	−18	·9981860	−1062 −43	−18	10·4
10·5	·9988099	−736 −32	−13	·9987686	−759 −33	−13	·9987259	−780 −34	−13	·9986819	−804 −36	−14	·9986366	−830 −36	−14	·9985898	−855 −38	−15	10·5
10·6	·9990804	−587 −27	−10	·9990481	−606 −28	−10	·9990148	−626 −29	−11	·9989803	−644 −30	−11	·9989448	−664 −30	−11	·9989081	−684 −32	−12	10·6
10·7	·9992922	−467 −23	−8	·9992671	−483 −23	−8	·9992411	−497 −23	−9	·9992143	−514 −26	−9	·9991866	−530 −25	−9	·9991580	−547 −26	−9	10·7
10·8	·9994573	−369 −19	−6	·9994378	−380 −19	−6	·9994177	−394 −19	−7	·9993969	−407 −20	−7	·9993754	−420 −20	−7	·9993532	−434 −21	−7	10·8
10·9	·9995855	−291 −16	−6	·9995705	−301 −16	−5	·9995549	−310 −17	−5	·9995388	−320 −17	−6	·9995222	−331 −16	−6	·9995050	−341 −18	−6	10·9
11·0	·9996846	−229 −13	−4	·9996730	−236 −13	−4	·9996611	−246 −14	−4	·9996487	−252 −14	−5	·9996359	−260 −13	−5	·9996227	−270 −15	−5	11·0
11·1	·9997608	−177 −10		·9997520	−184 −10		·9997428	−189 −10		·9997334	−197 −11	−4	·9997236	−204 −11	−4	·9997134	−210 −13	−4	11·1
11·2	·9998193	−138 −9		·9998126	−143 −8		·9998056	−148 −8		·9997984	−153 −9		·9997909	−159 −9		·9997832	−164 −10		11·2
11·3	·9998640	−107 −7		·9998589	−111 −7		·9998536	−115 −7		·9998481	−118 −8		·9998424	−124 −7		·9998365	−128 −8		11·3
11·4	·9998980	−82 −5		·9998941	−85 −6		·9998901	−88 −6		·9998859	−91 −6		·9998816	−95 −6		·9998772	−98 −7		11·4
11·5	·9999237	−63 −4		·9999208	−65 −5		·9999178	−68 −5		·9999147	−71 −6		·9999114	−72 −6		·9999080	−75 −5		11·5
11·6	·9999432	−49		·9999410	−50		·9999387	−52 −4		·9999364	−54 −4		·9999339	−55 −4		·9999314	−58 −4		11·6
11·7	·9999578	−37		·9999562	−38		·9999545	−39		·9999527	−40		·9999509	−42		·9999490	−45		11·7
11·8	·9999688	−28		·9999676	−29		·9999663	−29		·9999650	−31		·9999636	−32		·9999622	−35		11·8
11·9	·9999770	−21		·9999761	−22		·9999751	−23		·9999742	−24		·9999732	−25		·9999721	−27		11·9
12·0	·9999831	−16		·9999824	−16		·9999817	−17		·9999810	−17		·9999802	−18		·9999794	−20		12·0
12·1	·9999876	−12		·9999871	−12		·9999866	−13		·9999861	−13		·9999855	−13		·9999849	−14		12·1
12·2	·9999909	−9		·9999906	−9		·9999902	−9		·9999898	−10		·9999894	−10		·9999890	−10		12·2
12·3	·9999934	−7		·9999931	−7		·9999929	−7		·9999926	−8		·9999923	−8		·9999920	−8		12·3
12·4	·9999952	−5		·9999950	−5		·9999948	−5		·9999946	−6		·9999944	−6		·9999942	−6		12·4
12·5	·9999965	−4		·9999964	−4		·9999962	−4		·9999961	−4		·9999959	−5		·9999958	−4		12·5
12·6	·9999975			·9999974			·9999973			·9999972			·9999971	−4		·9999969	−4		12·6
12·7	·9999982			·9999981			·9999981			·9999980			·9999979			·9999978			12·7
12·8	·9999987			·9999986			·9999986			·9999985			·9999985			·9999984			12·8
12·9	·9999991			·9999990			·9999990			·9999990			·9999989			·9999989			12·9
13·0	·9999993			·9999993			·9999993			·9999993			·9999992			·9999992			13·0
13·1	·9999995			·9999995			·9999995			·9999995			·9999995			·9999994			13·1
13·2	·9999997			·9999997			·9999996			·9999996			·9999996			·9999996			13·2
13·3	·9999998			·9999998			·9999997			·9999997			·9999997			·9999997			13·3
13·4	·9999998			·9999998			·9999998			·9999998			·9999998			·9999998			13·4
13·5	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999			13·5
13·6	·9999999			·9999999			·9999999			·9999999			·9999999			·9999999			13·6
13·7	1·0000000			1·0000000			1·0000000			1·0000000			1·0000000			·9999999			13·7
13·8																1·0000000			13·8

TABLE II

THE $I(u, p)$ FUNCTION FOR NEGATIVE VALUES OF THE ARGUMENT p

	$p = -1·0$			$p = -0·95$			$p = -0·90$			$p = -0·85$			$p = -0·80$			$p = -0·75$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000		*	·0000000		*	·0000000		*	·0000000		*	·0000000		*	·0000000	·0
·1	1·0000000			·8485479	−8195444		·7420263	−6910053		·6548311	−5866582		·5807252	−4992023		·5165553	·1
·2				·8775514	−119598 −8245587		·7930473	−204963 −6588208		·7230040	−263591 −5452462		·6622481	−306950 −4816972		·6083388	·2
·3				·8945950	−50143 −47100		·8235720	−88081 −78569		·7646178	−117062 −98717		·7130760	−138649 −110373		·6668282	·3
·4				·9066244	−27888 −12194		·8452886	−49768 −20726		·7945254	−67230 −26568		·7500190	−81121 −30367		·7098510	·4
·5				·9158650	−17828 −4633		·8620284	−32181 −7986		·8177090	−44006 −10294		·7788499	−53760 −11944		·7436779	·5
·6				·9233228	−12400 −2158		·8755501	−22580 −3760		·8364921	−31164 −5004		·8023048	−38443 −5606		·7713307	·6
·7				·9295407	−9130 −1144		·8868138	−16739 −2012		·8521587	−23272 −2674		·8219154	−28932 −3164		·7945233	·7
·8				·9348455	−7004 −663		·8964036	−12910 −1178		·8654981	−18054 −1577		·8386327	−22588 −1684		·8143319	·8
·9				·9394500	−5543 −413		·9047024	−10259 −735		·8770322	−14413 −993		·8530917	−18121 −1196		·8314816	·9
1·0				·9435002	−4494 −270		·9119753	−8343 −488		·8871249	−11767 −659		·8657385	−14834 −799		·8464864	1·0
1·1				·9471009	−3716 −174		·9184137	−6915 −332		·8960410	−9780 −455		·8769000	−12388 −555		·8597254	1·1
1·2				·9503301	−3122 −130		·9241607	−5820 −237		·9039792	−8247 −325		·8868230	−10471 −396		·8714869	1·2
1·3				·9532471	−2658 −95		·9293257	−4960 −173		·9110926	−7041 −238		·8956988	−8956 −294		·8819956	1·3
1·4				·9558983	−2289 −70		·9339946	−4274 −129		·9175019	−6072 −179		·9036791	−7736 −222		·8914305	1·4
1·5				·9583206	−1991 −54		·9382362	−3716 −99		·9233040	−5283 −137		·9108859	−6736 −171		·8999365	1·5
1·6				·9605437	−1746 −41		·9421061	−3258 −77		·9285778	−4631 −107		·9174192	−5908 −134		·9076325	1·6
1·7				·9625922	−1543 −33		·9456503	−2876 −60		·9333885	−4087 −85		·9233616	−5214 −107		·9146176	1·7
1·8				·9644865	−1372 −26		·9489069	−2554 −48		·9377905	−3627 −68		·9287827	−4627 −86		·9209749	1·8
1·9				·9662436	−1227 −21		·9519081	−2281 −39		·9418298	−3236 −55		·9337412	−4128 −70		·9267752	1·9
2·0				·9678779	−1103 −17		·9546813	−2046 −32		·9455455	−2900 −46		·9382871	−3694 −58		·9320789	2·0
2·1				·9694019	−997 −14		·9572498	−1844 −26		·9489712	−2610 −37		·9424636	−3321 −48		·9369380	2·1
2·2				·9708263	−904 −12		·9596339	−1669 −22		·9521359	−2357 −32		·9463080	−2998 −40		·9413979	2·2
2·3				·9721602	−829 −10		·9618512	−1515 −19		·9550649	−2136 −26		·9498530	−2710 −34		·9454981	2·3
2·4				·9734119	−752 −8		·9639169	−1380 −16		·9577804	−1941 −23		·9531269	−2459 −29		·9492730	2·4
2·5				·9745883	−689 −7		·9658447	−1261 −13		·9603018	−1769 −19		·9561550	−2237 −25		·9527533	2·5
2·6				·9756958	−634 −6		·9676463	−1155 −11		·9626462	−1616 −17		·9589594	−2040 −21		·9559660	2·6
2·7				·9767400	−584 −5		·9693325	−1061 −9		·9648290	−1480 −14		·9615598	−1864 −19		·9589350	2·7
2·8				·9777257	−539 −4		·9709126	−976 −9		·9668638	−1358 −13		·9639739	−1706 −16		·9616819	2·8
2·9				·9786575	−500 −4		·9723950	−901 −8		·9687628	−1249 −11		·9662173	−1565 −14		·9642256	2·9
3·0				·9795393	−464		·9737874	−832 −7		·9705368	−1151 −10		·9683042	−1438 −12		·9665836	3·0
3·1				·9803747	−431		·9750966	−771 −7		·9721957	−1062 −8		·9702474	−1323 −11		·9687711	3·1
3·2				·9811670	−402		·9763287	−715 −6		·9737484	−981 −8		·9720581	−1220 −10		·9708022	3·2
3·3				·9819191	−375		·9774894	−664 −5		·9752030	−908 −6		·9737469	−1126 −8		·9726894	3·3
3·4				·9826337	−351		·9785837	−618 −5		·9765667	−842 −6		·9753232	−1040 −7		·9744443	3·4
3·5				·9833132	−328		·9796161	−575 −4		·9778462	−782 −5		·9767955	−962 −7		·9760771	3·5
3·6				·9839599	−308		·9805911	−537		·9790475	−726 −5		·9781715	−891 −6		·9775974	3·6
3·7				·9845758	−289		·9815124	−501		·9801763	−675 −4		·9794584	−826 −6		·9790137	3·7
3·8				·9851629	−272		·9823835	−469		·9812375	−629 −4		·9806628	−767 −6		·9803339	3·8
3·9				·9857227	−258		·9832078	−439		·9822357	−586		·9817904	−712 −5		·9815651	3·9
4·0				·9862571	−241		·9839882	−411		·9831754	−547		·9828468	−662 −4		·9827140	4·0
4·1				·9867673	−227		·9847274	−386		·9840604	−511		·9838370	−616 −4		·9837865	4·1
4·2				·9872548	−214		·9854281	−362		·9848942	−478		·9847657	−574		·9847883	4·2
4·3				·9877209	−203		·9860926	−340		·9856803	−447		·9856369	−538		·9857243	4·3
4·4				·9881667	−192		·9867231	−320		·9864218	−418		·9864547	−499		·9865993	4·4
4·5				·9885934	−182		·9873216	−301		·9871214	−392		·9872226	−463		·9874175	4·5
4·6				·9890019	−172		·9878899	−284		·9877818	−367		·9879440	−434		·9881830	4·6
4·7				·9893931	−163		·9884299	−267		·9884055	−343		·9886219	−406		·9888993	4·7
4·8				·9897681	−155		·9889432	−252		·9889948	−323		·9892592	−380		·9895699	4·8
4·9				·9901276	−147		·9894313	−238		·9895518	−304		·9898586	−355		·9901979	4·9
5·0				·9904724	−140		·9898955	−225		·9900783	−285		·9904225	−332		·9907863	5·0
5·1				·9908033	−133		·9903373	−212		·9905763	−268		·9909532	−311		·9913375	5·1
5·2				·9911208	−126		·9907578	−201		·9910475	−252		·9914528	−291		·9918543	5·2
5·3				·9914257	−120		·9911583	−190		·9914934	−238		·9919232	−273		·9923388	5·3
5·4				·9917186	−115		·9915397	−180		·9919156	−224		·9923663	−256		·9927932	5·4
5·5				·9920000	−109		·9919032	−170		·9923154	−211		·9927838	−240		·9932195	5·5
5·6				·9922704	−104		·9922496	−161		·9926941	−199		·9931773	−225		·9936195	5·6
5·7				·9925304	−100		·9925799	−153		·9930529	−187		·9935482	−212		·9939949	5·7
5·8				·9927805	−95		·9928949	−145		·9933930	−177		·9938979	−199		·9943473	5·8
5·9				·9930211	−91		·9931954	−138		·9937154	−167		·9942278	−187		·9946783	5·9
6·0				·9932526	−87		·9934822	−131		·9940211	−157		·9945390	−176		·9949891	6·0

* Interpolation by p-differences inadequate

u	p = −0·75		p = −0·70			p = −0·65			p = −0·60			p = −0·55			p = −0·50			u
	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	I (u, p)	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0
·1	−4247718 —	+79862 +6045	·4603716	−3668865 —	+86416 +3495	·4108289	−3057832 —	+56453 +2218	·3669314	−2581247 —	+48715 +1508	·3279055	−2188521 —	+42494 +1081	·2931279	−1810908 —	+37338 +808	·1
·2	−332942 −3786499	+54971 +4924	·5598567	−346575 −3081184	+45066 +2729	·5158746	−356287 −2529283	+38457 +1657	·4757381	−348008 −2064086	+33572 +1076	·4389589	−335457 −1672275	+29763 +734	·4051560	−320611 −1342861	+26686 +524	·2
·3	−154665 −115571	+41039 +4392	·6246843	−165449 −115847	+33531 +2392	·5858935	−171065 −112420	+28413 +1425	·5499440	−174855 −106277	+24721 +907	·5164667	−174668 −98221	+21937 +605	·4851830	−171865 −88901	+19758 +418	·3
·4	−91959 −32488	+32839 +4637	·6729670	−100176 −33276	+26336 +2175	·6387159	−106083 −33608	+21996 +1285	·6066644	−109979 −31905	+18947 +808	·5765076	−112160 −30156	+16706 +536	·5480215	−112860 −27821	+15006 +371	·4
·5	−61741 −13079	+27267 +3763	·7112327	−68167 −13603	+21428 +2012	·6809300	−75209 −13702	+17596 +1181	·6523869	−77608 −13457	+14847 +739	·6253386	−79688 −12924	+13038 +486	·5995940	−81356 −12173	+11816 +329	·5
·6	−44602 −6377	+23251 +3535	·7426817	−49767 −6712	+17906 +1878	·7158232	−54037 −6847	+14438 +1097	·6904086	−57494 −6808	+12688 +684	·6662007	−60202 −6632	+10381 +448	·6430309	−62225 −6334	+9143 +364	·6
·7	−33840 −3511	+20228 +3337	·7691540	−38079 −3738	+15280 +1763	·7453127	−41712 −3853	+12095 +1024	·7226809	−44788 −3877	+9934 +637	·7010426	−47348 −3818	+8410 +416	·6802453	−49428 −3689	+7302 +283	·7
·8	−26589 −2161	+17873 +3160	·7918184	−30127 −2265	+13261 +1661	·7706310	−33240 −2357	+10309 +960	·7504744	−35959 −2396	+8317 +595	·7311496	−38312 −2384	+6920 +388	·7125169	−40320 −2331	+5811 +265	·8
·9	−21449 −1359	+15986 +3000	·8114701	−24440 −1481	+11687 +1568	·7926253	−27125 −1534	+8818 +903	·7746720	−29528 −1572	+7067 +558	·7574254	−31660 −1581	+5776 +362	·7407565	−33543 −1550	+4847 +246	·9
1·0	−17658 −908	+14435 +2853	·8286778	−20214 −990	+10379 +1483	·8119071	−22544 −1048	+7806 +850	·7959170	−24865 −1083	+6083 +524	·7805352	−26589 −1098	+4884 +338	·7656418	−28326 −1097	+4023 +229	1·0
1·1	−14775 −638	+13133 +2716	·8438641	−16978 −697	+9317 +1404	·8289345	−19011 −743	+6906 +861	·8146955	−20867 −775	+5298 +492	·8009861	−22616 −792	+4178 +316	·7876945	−24208 −796	+3377 +214	1·1
1·2	−12527 −459	+12018 +2589	·8573526	−14439 −507	+8425 +1331	·8440608	−16221 −544	+6162 +756	·8313853	−17884 −572	+4656 +463	·8191753	−19438 −589	+3612 +297	·8073266	−20882 −596	+2865 +202	1·2
1·3	−10738 −341	+11049 +2469	·8693973	−12407 −379	+7662 +1263	·8575651	−13976 −409	+5538 +714	·8462867	−15453 −430	+4127 +438	·8354210	−16844 −449	+3152 +278	·8248705	−18154 −462	+2458 +186	1·3
1·4	−9290 −259	+10193 +2356	·8802012	−10764 −289	+6899 +1196	·8696718	−12188 −314	+5064 +674	·8596428	−13452 −337	+3684 +410	·8499822	−14701 −349	+2773 +261	·8405990	−15888 −356	+2122 +178	1·4
1·5	−8100 −200	+9427 +2248	·8899298	−9390 −225	+6418 +1138	·8805646	−10817 −248	+4542 +838	·8716537	−11788 −263	+3308 +385	·8630734	−12807 −277	+2456 +245	·8547387	−13977 −289	+1851 +161	1·5
1·6	−7116 −158	+8735 +2146	·8987194	−8251 −178	+5895 +1081	·8903957	−9341 −198	+4137 +602	·8824858	−10386 −209	+2981 +363	·8748739	−11389 −222	+2187 +229	·8674807	−12355 −234	+1624 +150	1·6
1·7	−6277 −126	+8103 +2050	·9066838	−7290 −143	+5427 +1028	·8992927	−8260 −158	+3777 +569	·8922793	−9193 −170	+2696 +342	·8855354	−10096 −171	+1958 +215	·8789872	−10987 −187	+1430 +147	1·7
1·8	−5571 −102	+7522 +1957	·9139193	−6472 −116	+5000 +974	·9073638	−7337 −129	+3453 +538	·9011535	−8173 −140	+2443 +321	·8951875	−8981 −150	+1755 +201	·8893970	−9766 −159	+1268 +131	1·8
1·9	−4966 −83	+6984 +1868	·9205077	−5770 −95	+4608 +825	·9147011	−6543 −108	+3159 +508	·9092104	−7290 −118	+2217 +303	·9039415	−8017 −123	+1577 +188	·8988302	−8724 −134	+1128 +122	1·9
2·0	−4445 −69	+6484 +1783	·9265191	−5163 −79	+4248 +878	·9213841	−5835 −86	+2891 +479	·9165383	−6528 −97	+2013 +284	·9118937	−7178 −105	+1416 +176	·9073910	−7818 −109	+1000 +118	2·0
2·1	−3993 −58	+6017 +1701	·9320142	−4636 −66	+3914 +833	·9274817	−5256 −74	+2644 +452	·9232136	−5858 −82	+1826 +267	·9191281	−6444 −89	+1276 +165	·9151702	−7017 −93	+890 +108	2·1
2·2	−3598 −48	+5578 +1623	·9370457	−4174 −58	+3602 +790	·9330537	−4731 −63	+2415 +427	·9293031	−5270 −70	+1655 +250	·9257181	−5798 −76	+1146 +154	·9222477	−6315 −80	+780 +100	2·2
2·3	−3252 −41	+5166 +1548	·9416598	−3776 −48	+3310 +749	·9381526	−4269 −54	+2263 +402	·9348656	−4755 −59	+1497 +238	·9317283	−5228 −65	+1027 +143	·9286937	−5693 −70	+700 +94	2·3
2·4	−2946 −35	+4778 +1475	·9458969	−3412 −41	+3037 +716	·9428245	−3861 −46	+2004 +378	·9399526	−4298 −51	+1356 +220	·9372157	−4724 −56	+917 +133	·9345704	−5141 −61	+617 +87	2·4
2·5	−2676 −30	+4412 +1408	·9497929	−3065 −35	+2780 +672	·9471104	−3498 −40	+1819 +356	·9446098	−3891 −44	+1214 +206	·9422307	−4275 −49	+818 +124	·9399330	−4651 −52	+546 +83	2·5
2·6	−2436 −26	+4067 +1339	·9533793	−2814 −31	+2538 +638	·9510464	−3177 −35	+1645 +335	·9488779	−3530 −39	+1086 +193	·9468182	−3875 −43	+721 +115	·9448305	−4213 −45	+471 +74	2·6
2·7	−2222 −23	+3740 +1275	·9566843	−2563 −28	+2310 +601	·9546646	−2890 −30	+1482 +314	·9527930	−3208 −34	+967 +180	·9510182	−3517 −37	+633 +107	·9493067	−3822 −39	+406 +69	2·7
2·8	−2031 −20	+3432 +1213	·9597330	−2338 −23	+2008 +577	·9579937	−2633 −27	+1328 +295	·9563873	−2918 −30	+856 +168	·9548665	−3197 −33	+551 +100	·9534007	−3470 −35	+345 +63	2·8
2·9	−1859 −17	+3146 +1152	·9625479	−2136 −20	+1894 +546	·9610597	−2402 −23	+1184 +278	·9596898	−2659 −26	+751 +156	·9583951	−2910 −29	+474 +92	·9571477	−3155 −31	+289 +56	2·9
3·0	−1704 −15	+2864 +1095	·9651493	−1955 −18	+1764 +504	·9638854	−2194 −21	+1049 +259	·9627264	−2426 −23	+653 +145	·9616327	−2651 −26	+402 +85	·9605792	−2871 −27	+238 +52	3·0
3·1	−1564 −13	+2603 +1039	·9675551	−1791 −15	+1525 +475	·9664916	−2007 −18	+922 +242	·9655204	−2216 −20	+561 +135	·9646052	−2418 −23	+335 +78	·9637236	−2616 −24	+187 +48	3·1
3·2	−1438 −12	+2357 +985	·9697819	−1643 −14	+1358 +447	·9688972	−1838 −16	+803 +226	·9680928	−2024 −18	+475 +124	·9673360	−2207 −20	+272 +72	·9666064	−2385 −22	+141 +44	3·2
3·3	−1324 −11	+2124 +934	·9718443	−1509 −12	+1198 +420	·9711190	−1685 −14	+691 +210	·9704628	−1854 −16	+395 +115	·9698460	−2017 −18	+214 +66	·9692507	−2175 −20	+98 +40	3·3
3·4	−1220 −9	+1905 +884	·9737558	−1388 −11	+1049 +394	·9731723	−1546 −13	+587 +196	·9726474	−1698 −14	+320 +106	·9721544	−1844 −16	+139 +59	·9716775	−1988 −17	+58 +38	3·4
3·5	−1126 −8	+1698 +836	·9755286	−1277 −10	+969 +369	·9750709	−1420 −11	+489 +181	·9746622	−1558 −12	+250 +98	·9742784	−1688 −14	+109 +54	·9739055	−1815 −15	+21 +32	3·5
3·6	−1040 −8	+1504 +790	·9771736	−1177 −9	+778 +345	·9768276	−1305 −10	+398 +168	·9765214	−1429 −11	+185 +89	·9762336	−1546 −13	+62 +49	·9759520	−1660 −14	−13 +29	3·6
3·7	−961 −7	+1320 +745	·9787009	−1085 −8	+655 +322	·9784537	−1201 −9	+312 +155	·9782377	−1310 −10	+124 +82	·9780342	−1417 −12	+18 +44	·9778325	−1519 −13	−44 +26	3·7
3·8	−889 −6	+1148 +702	·9801198	−1001 −7	+541 +300	·9799597	−1106 −8	+238 +142	·9798230	−1205 −9	+68 +75	·9796931	−1299 −11	−29 +39	·9795611	−1391 −12	−72 +23	3·8
3·9	−824 −6	+986 +661	·9814384	−925 −6	+433 +279	·9813551	−1019 −7	+160 +131	·9812878	−1108 −8	+17 +67	·9812221	−1192 −9	−59 +35	·9811506	−1274 −10	−100 +19	3·9
4·0	−763 −5	+835 +621	·9826646	−855 −6	+334 +260	·9826486	−940 −7	+92 +119	·9826418	−1019 −8	−31 +61	·9826319	−1095 −9	−93 +36	·9826127	−1167 −9	−124 +16	4·0
4·1	−708 −5	+693 +583	·9838053	−791 −5	+241 +240	·9838482	−867 −6	+29 +109	·9838939	−938 −7	−75 +55	·9839322	−1006 −8	−124 +26	·9839581	−1071 −8	−146 +14	4·1
4·2	−657 −4	+566 +546	·9848669	−732 −5	+155 +222	·9849610	−800 −6	−28 +98	·9850522	−864 −6	−115 +49	·9851319	−924 −7	−152 +23	·9851964	−981 −7	−166 +12	4·2
4·3	−610 −4	+436 +511	·9858553	−678 −4	+75 +204	·9859939	−739 −5	−83 +89	·9861241	−797 −5	−151 +43	·9862392	−856 −6	−177 +20	·9863366	−902 −7	−183 +10	4·3
4·4	−567	+321 +478	·9867760	−628 −4	+1 +187	·9869527	−683 −5	−131 +80	·9871163	−734 −5	−185 +38	·9872615	−782 −6	−206 +17	·9873866	−827 −6	−199 +8	4·4
4·5	−528	+213 +444	·9876337	−583	−87 +168	·9878433	−632 −4	−177 +71	·9880351	−677 −5	−215 +39	·9882055	−720 −5	−221 +14	·9883539	−760 −6	−213 +5	4·5
4·6	−491	+113 +412	·9884333	−540	−130 +156	·9886706	−585 −4	−217 +63	·9888862	−626 −4	−242 +28	·9890776	−663 −5	−239 +10	·9892452	−699 −5	−226 +4	4·6
4·7	−457	+21 +382	·9891787	−502	−187 +141	·9894395	−541	−254 +55	·9896748	−578 −4	−266 +23	·9898834	−611 −4	−255 +8	·9900666	−641 −5	−236 +3	4·7
4·8	−426	−85 +353	·9898741	−486	−240 +127	·9901542	−501	−288 +48	·9904056	−533	−288 +18	·9906282	−563 −4	−269 +5	·9908239	−590 −4	−245 +1	4·8
4·9	−397	−144 +325	·9905228	−433	−288 +113	·9908188	−464	−318 +41	·9910831	−492	−307 +15	·9913167	−519 −4	−281 +2	·9915222	−544 −4	−253 −1	4·9
5·0	−370	−218 +299	·9911282	−402	−332 +100	·9914370	−430	−345 +34	·9917114	−456	−324 +11	·9919534	−478	−292 0	·9921661	−498	−259 −3	5·0
5·1	−345	−255 +273	·9916934	−374	−371 +88	·9920122	−399	−369 +28	·9922941	−421	−338 +8	·9925422	−441	−301 −2	·9927602	−460	−265 −4	5·1
5·2	−322	−346 +249	·9922212	−348	−407 +77	·9925474	−370	−390 +21	·9928347	−389	−351 +5	·9930869	−407	−308 −4	·9933083	−423	−269 −5	5·2
5·3	−301	−403 +225	·9927141	−324	−438 +66	·9930457	−344	−408 +16	·9933364	−361	−361 +1	·9935909	−378	−314 −5	·9938141	−390	−271 −6	5·3
5·4	−281	−454 +203	·9931747	−302	−467 +56	·9935095	−319	−424 +11	·9938020	−334	−370 −1	·9940574	−347	−318 −7	·9942809	−358	−273 −7	5·4
5·5	−263	−500 +182	·9936051	−281	−492 +46	·9939415	−296	−438 +8	·9942342	−309	−377 −4	·9944891	−320	−321 −9	·9947119	−331	−274 −8	5·5
5·6	−246	−543 +161	·9940074	−262	−514 +37	·9943439	−276	−449 +1	·9946355	−285	−383 −7	·9948888	−298	−324 −10	·9951098	−305	−274 −8	5·6
5·7	−230	−580 +142	·9943835	−244	−534 +28	·9947188	−255	−459 −3	·9950083	−266	−387 −9	·9952590	−273	−325 −11	·9954772	−280	−273 −9	5·7
5·8	−215	−614 +123	·9947353	−227	−556 +19	·9950682	−237	−467 −7	·9953545	−245	−389 −11	·9956018	−253	−325 −12	·9958166	−259	−272 −10	5·8
5·9	−201	−645 +105	·9950643	−212	−564 +11	·9953938	−221	−473 −11	·9956762	−229	−391 −13	·9959193	−234	−324 −13	·9961301	−239	−270 −10	5·9
6·0	−188	−671 +88	·9953721	−198	−578 +4	·9956974	−205	−477 −15	·9959750	−210	−392 −15	·9962135	−216	−322 −14	·9964197	−220	−267 −11	6·0

	$p = -0{\cdot}95$			$p = -0{\cdot}90$			$p = -0{\cdot}85$			$p = -0{\cdot}80$			$p = -0{\cdot}75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
6·0	·9932526	−87	*	·9934822	−131	*	·9940211	−157	*	·9945390	−176	*	·9949891	−168	−671 +88	6·0
6·1	·9934754	−83		·9937559	−124		·9943110	−149		·9948326	−164		·9952811	−176	−695 +72	6·1
6·2	·9936899	−79		·9940171	−118		·9945861	−141		·9951098	−156		·9955555	−165	−715 +57	6·2
6·3	·9938965	−76		·9942666	−112		·9948472	−133		·9953714	−146		·9958133	−155	−733 +42	6·3
6·4	·9940955	−73		·9945049	−106		·9950949	−126		·9956184	−137		·9960557	−146	−748 +29	6·4
6·5	·9942872	−70		·9947326	−101		·9953301	−119		·9958517	−129		·9962835	−130	−760 +16	6·5
6·6	·9944720	−67		·9949501	−96		·9955534	−112		·9960721	−122		·9964978	−126	−770 +3	6·6
6·7	·9946501	−64		·9951580	−92		·9957655	−106		·9962803	−115		·9966993	−120	−778 −9	6·7
6·8	·9948218	−61		·9953568	−87		·9959670	−101		·9964770	−108		·9968888	−112	−784 −20	6·8
6·9	·9949874	−59		·9955468	−83		·9961583	−95		·9966629	−102		·9970672	−105	−787 −30	6·9
7·0	·9951471	−56		·9957285	−79		·9963402	−90		·9968386	−96		·9972349	−99	−790 −40	7·0
7·1	·9953012	−54		·9959024	−75		·9965131	−85		·9970047	−90		·9973929	−93	−790 −50	7·1
7·2	·9954498	−52		·9960687	−72		·9966774	−81		·9971618	−85		·9975415	−87	−789 −59	7·2
7·3	·9955933	−50		·9962278	−68		·9968336	−77		·9973104	−80		·9976814	−82	−787 −66	7·3
7·4	·9957318	−48		·9963800	−65		·9969821	−73		·9974509	−76		·9978131	−77	−783 −74	7·4
7·5	·9958655	−46		·9965258	−62		·9971234	−69		·9975838	−72		·9979372	−72	−779 −81	7·5
7·6	·9959945	−44		·9966653	−59		·9972577	−65		·9977096	−68		·9980540	−68	−773 −87	7·6
7·7	·9961192	−43		·9967989	−57		·9973855	−62		·9978286	−64		·9981640	−64	−766 −94	7·7
7·8	·9962396	−41		·9969268	−54		·9975072	−59		·9979412	−60		·9982677	−60	−759 −100	7·8
7·9	·9963560	−39		·9970494	−52		·9976229	−56		·9980478	−57		·9983653	−56	−750 −105	7·9
8·0	·9964684	−38		·9971667	−49		·9977330	−53		·9981487	−54		·9984573	−53	−741 −110	8·0
8·1	·9965770	−36		·9972792	−47		·9978378	−50		·9982442	−51		·9985440	−50	−731 −116	8·1
8·2	·9966819	−35		·9973869	−45		·9979376	−48		·9983347	−48		·9986257	−47	−721 −121	8·2
8·3	·9967834	−34		·9974902	−43		·9980327	−45		·9984203	−45		·9987028	−44	−710 −124	8·3
8·4	·9968815	−32		·9975891	−41		·9981231	−43		·9985014	−43		·9987754	−42	−699 −127	8·4
8·5	·9969763	−31		·9976840	−39		·9982093	−41		·9985783	−40		·9988438	−39	−688 −130	8·5
8·6	·9970681	−30		·9977749	−38		·9982914	−39		·9986511	−38		·9989084	−37	−676 −133	8·6
8·7	·9971568	−29		·9978621	−36		·9983695	−37		·9987200	−36		·9989692	−35	−663 −136	8·7
8·8	·9972426	−28		·9979457	−34		·9984440	−35		·9987854	−34		·9990266	−33	−651 −138	8·8
8·9	·9973256	−27		·9980258	−33		·9985149	−33		·9988473	−32		·9990808	−31	−638 −140	8·9
9·0	·9974059	−26		·9981027	−31		·9985826	−32		·9989060	−31		·9991318	−29	−625 −141	9·0
9·1	·9974836	−25		·9981765	−30		·9986470	−30		·9989616	−29		·9991800	−27	−613 −143	9·1
9·2	·9975588	−24		·9982473	−29		·9987084	−29		·9990143	−27		·9992254	−26	−600 −144	9·2
9·3	·9976316	−23		·9983151	−27		·9987669	−27		·9990643	−26		·9992683	−24	−587 −145	9·3
9·4	·9977020	−23		·9983803	−26		·9988227	−26		·9991117	−24		·9993088	−23	−573 −146	9·4
9·5	·9977702	−22		·9984428	−25		·9988759	−25		·9991566	−23		·9993469	−21	−560 −146	9·5
9·6	·9978362	−21		·9985028	−24		·9989266	−24		·9991992	−22		·9993830	−20	−547 −147	9·6
9·7	·9979002	−20		·9985604	−23		·9989750	−22		·9992396	−21		·9994170	−19	−534 −147	9·7
9·8	·9979621	−20		·9986157	−22		·9990211	−21		·9992779	−20		·9994491	−18	−521 −148	9·8
9·9	·9980220	−19		·9986687	−21		·9990650	−20		·9993143	−19		·9994794	−17	−508 −148	9·9
10·0	·9980801	−18		·9987197	−20		·9991070	−19		·9993488	−18		·9995080	−16	−496 −148	10·0
10·1	·9981363	−16		·9987686	−19		·9991470	−18		·9993815	−17		·9995350	−15	−483 −148	10·1
10·2	·9981908	−17		·9988156	−19		·9991852	−18		·9994125	−16		·9995605	−14	−470 −148	10·2
10·3	·9982436	−16		·9988607	−18		·9992216	−17		·9994419	−15		·9995846	−13	−458 −147	10·3
10·4	·9982948	−16		·9989040	−17		·9992563	−16		·9994699	−14		·9996073	−13	−446 −146	10·4
10·5	·9983443	−15		·9989457	−16		·9992895	−15		·9994964	−14		·9996288	−12	−434 −145	10·5
10·6	·9983924	−16		·9989856	−16		·9993211	−14		·9995215	−13		·9996491	−11	−422 −144	10·6
10·7	·9984389	−14		·9990241	−15		·9993513	−14		·9995454	−12		·9996682	−11	−410 −143	10·7
10·8	·9984840	−14		·9990610	−14		·9993801	−13		·9995681	−12		·9996863	−10	−399 −142	10·8
10·9	·9985278	−13		·9990964	−14		·9994076	−13		·9995896	−11		·9997034	−9	−388 −141	10·9
11·0	·9985702	−13		·9991305	−13		·9994339	−12		·9996100	−10		·9997195	−9	−377 −139	11·0
11·1	·9986113	−13		·9991632	−13		·9994589	−11		·9996294	−10		·9997348	−8	−366 −138	11·1
11·2	·9986511	−12		·9991947	−12		·9994828	−11		·9996478	−9		·9997492	−8	−355 −137	11·2
11·3	·9986897	−12		·9992249	−12		·9995057	−10		·9996652	−9		·9997628	−7	−345 −135	11·3
11·4	·9987272	−11		·9992540	−11		·9995275	−10		·9996818	−8		·9997757	−7	−334 −134	11·4
11·5	·9987636	−11		·9992819	−11		·9995483	−9		·9996976	−8		·9997879	−7	−324 −132	11·5
11·6	·9987988	−11		·9993088	−10		·9995682	−9		·9997125	−8		·9997994	−6	−315 −130	11·6
11·7	·9988330	−10		·9993346	−10		·9995872	−9		·9997267	−7		·9998102	−6	−305 −129	11·7
11·8	·9988661	−10		·9993595	−10		·9996053	−8		·9997402	−7		·9998205	−6	−296 −127	11·8
11·9	·9988983	−10		·9993833	−9		·9996226	−8		·9997531	−6		·9998302	−5	−287 −125	11·9
12·0	·9989295	−9		·9994063	−9		·9996392	−7		·9997652	−6		·9998394	−5	−278 −123	12·0

* Interpolation by p-differences inadequate.

u	$p = -0{\cdot}70$			$p = -0{\cdot}65$			$p = -0{\cdot}60$			$p = -0{\cdot}55$			$p = -0{\cdot}50$			u
	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	
6·0	·9953721	−196	−576 +4	·9956974	−205	−477 −15	·9959750	−210	−392 −15	·9962135	−216	−323 −14	·9964197	−220	−267 −11	6·0
6·1	·9956601	−185	−586 −2	·9959804	−191	−479 −19	·9962528	−196	−391 −16	·9964861	−200	−320 −15	·9966873	−203	−264 −11	6·1
6·2	·9959296	−172	−594 −9	·9962444	−178	−481 −23	·9965110	−181	−390 −18	·9967387	−185	−317 −16	·9969346	−187	−261 −12	6·2
6·3	·9961819	−161	−599 −16	·9964906	−165	−482 −24	·9967511	−169	−388 −20	·9969728	−171	−314 −17	·9971632	−174	−257 −12	6·3
6·4	·9964181	−150	−604 −22	·9967202	−154	−481 −27	·9969743	−157	−385 −21	·9971898	−158	−310 −18	·9973744	−160	−252 −12	6·4
6·5	·9966393	−140	−606 −27	·9969345	−143	−479 −30	·9971818	−145	−381 −22	·9973911	−148	−305 −18	·9975698	−148	−248 −13	6·5
6·6	·9968465	−131	−607 −32	·9971345	−133	−476 −32	·9973749	−135	−377 −23	·9975776	−136	−300 −19	·9977504	−136	−243 −13	6·6
6·7	·9970405	−123	−607 −36	·9973211	−124	−472 −34	·9975545	−125	−372 −24	·9977507	−125	−295 −19	·9979174	−126	−238 −13	6·7
6·8	·9972223	−115	−605 −41	·9974953	−116	−468 −36	·9977215	−115	−367 −25	·9979111	−116	−289 −19	·9980718	−116	−232 −13	6·8
6·9	·9973927	−107	−603 −45	·9976580	−108	−463 −38	·9978770	−107	−361 −26	·9980600	−108	−283 −20	·9982146	−106	−227 −13	6·9
7·0	·9975523	−100	−599 −49	·9978098	−100	−457 −39	·9980216	−99	−354 −27	·9981981	−100	−277 −20	·9983468	−98	−221 −14	7·0
7·1	·9977020	−94	−594 −53	·9979516	−94	−450 −41	·9981563	−92	−347 −27	·9983262	−92	−271 −20	·9984690	−91	−215 −14	7·1
7·2	·9978422	−88	−589 −56	·9980841	−87	−443 −42	·9982816	−86	−340 −28	·9984451	−86	−264 −20	·9985821	−85	−209 −14	7·2
7·3	·9979737	−82	−582 −59	·9982078	−81	−436 −43	·9983983	−81	−333 −28	·9985554	−79	−257 −21	·9986867	−78	−204 −14	7·3
7·4	·9980970	−77	−575 −62	·9983234	−76	−429 −44	·9985069	−75	−326 −28	·9986578	−74	−251 −21	·9987835	−71	−198 −14	7·4
7·5	·9982127	−72	−568 −64	·9984314	−71	−421 −45	·9986080	−69	−318 −29	·9987528	−68	−245 −21	·9988732	−66	−192 −14	7·5
7·6	·9983211	−67	−560 −66	·9985323	−66	−413 −46	·9987022	−65	−310 −29	·9988410	−63	−238 −21	·9989561	−61	−186 −14	7·6
7·7	·9984228	−63	−551 −68	·9986266	−62	−404 −46	·9987899	−60	−303 −29	·9989229	−59	−231 −21	·9990329	−56	−180 −14	7·7
7·8	·9985183	−59	−542 −70	·9987147	−58	−395 −47	·9988716	−56	−295 −29	·9989990	−54	−224 −21	·9991039	−52	−174 −13	7·8
7·9	·9986078	−55	−532 −72	·9987971	−54	−387 −47	·9989477	−52	−288 −29	·9990696	−50	−217 −21	·9991697	−49	−168 −13	7·9
8·0	·9986918	−52	−523 −74	·9988741	−50	−378 −47	·9990186	−49	−280 −29	·9991352	−47	−210 −20	·9992306	−45	−163 −13	8·0
8·1	·9987707	−48	−513 −75	·9989461	−47	−368 −48	·9990847	−46	−272 −29	·9991961	−43	−204 −20	·9992870	−41	−157 −13	8·1
8·2	·9988447	−45	−502 −78	·9990134	−44	−359 −48	·9991462	−43	−264 −29	·9992526	−40	−197 −20	·9993393	−38	−151 −13	8·2
8·3	·9989142	−43	−492 −77	·9990764	−41	−350 −48	·9992036	−40	−256 −29	·9993052	−37	−191 −20	·9993876	−35	−146 −12	8·3
8·4	·9989794	−40	−481 −76	·9991353	−38	−341 −48	·9992570	−37	−249 −28	·9993540	−35	−185 −20	·9994324	−33	−141 −12	8·4
8·5	·9990406	−37	−471 −78	·9991903	−36	−332 −48	·9993069	−34	−241 −28	·9993993	−32	−178 −19	·9994739	−31	−135 −12	8·5
8·6	·9990981	−35	−460 −79	·9992418	−33	−323 −48	·9993533	−31	−234 −28	·9994414	−30	−172 −19	·9995123	−28	−130 −12	8·6
8·7	·9991521	−33	−449 −79	·9992900	−31	−314 −47	·9993966	−29	−227 −28	·9994806	−28	−166 −19	·9995479	−26	−125 −12	8·7
8·8	·9992028	−31	−438 −79	·9993351	−29	−305 −47	·9994370	−28	−219 −28	·9995169	−26	−160 −18	·9995809	−24	−120 −12	8·8
8·9	·9992504	−29	−427 −80	·9993773	−27	−296 −47	·9994746	−26	−212 −27	·9995507	−24	−154 −18	·9996115	−23	−115 −11	8·9
9·0	·9992951	−27	−416 −80	·9994167	−25	−287 −47	·9995097	−24	−204 −27	·9995822	−22	−149 −18	·9996398	−21	−111 −11	9·0
9·1	·9993371	−25	−406 −80	·9994537	−24	−278 −46	·9995424	−22	−197 −27	·9996113	−21	−143 −18	·9996660	−19	−107 −11	9·1
9·2	·9993766	−24	−395 −79	·9994882	−23	−270 −46	·9995729	−21	−191 −26	·9996385	−19	−138 −18	·9996903	−18	−102 −11	9·2
9·3	·9994136	−22	−384 −79	·9995206	−21	−261 −46	·9996013	−19	−184 −26	·9996637	−18	−132 −17	·9997128	−17	−97 −11	9·3
9·4	·9994485	−21	−374 −79	·9995508	−19	−253 −45	·9996279	−18	−178 −25	·9996872	−16	−127 −17	·9997337	−16	−93 −10	9·4
9·5	·9994812	−20	−363 −79	·9995792	−18	−245 −45	·9996526	−17	−171 −25	·9997090	−15	−122 −17	·9997530	−15	−89 −10	9·5
9·6	·9995120	−19	−353 −78	·9996057	−17	−237 −44	·9996757	−16	−165 −25	·9997292	−14	−118 −16	·9997710	−14	−86 −10	9·6
9·7	·9995409	−17	−343 −76	·9996305	−16	−229 −44	·9996973	−15	−159 −24	·9997481	−13	−113 −16	·9997876	−12	−83 −9	9·7
9·8	·9995681	−16	−333 −77	·9996538	−15	−222 −43	·9997173	−14	−153 −23	·9997656	−12	−108 −16	·9998030	−11	−79 −9	9·8
9·9	·9995936	−15	−323 −77	·9996756	−14	−214 −43	·9997361	−13	−147 −23	·9997819	−11	−104 −16	·9998173	−11	−75 −9	9·9
10·0	·9996176	−14	−313 −76	·9996959	−13	−207 −43	·9997536	−12	−142 −23	·9997970	−11	−100 −15	·9998305	−10	−72 −9	10·0
10·1	·9996402	−14	−304 −75	·9997150	−12	−199 −42	·9997699	−11	−137 −22	·9998111	−10	−96 −15	·9998428	−10	−69 −8	10·1
10·2	·9996614	−13	−295 −74	·9997329	−11	−193 −41	·9997851	−10	−132 −21	·9998242	−9	−92 −15	·9998541	−8	−66 −8	10·2
10·3	·9996814	−12	−286 −73	·9997497	−11	−186 −40	·9997993	−9	−126 −21	·9998364	−9	−88 −14	·9998647	−8	−63 −8	10·3
10·4	·9997001	−11	−276 −72	·9997653	−10	−179 −39	·9998126	−9	−121 −21	·9998477	−8	−84 −13	·9998745	−7	−60 −8	10·4
10·5	·9997178	−11	−267 −71	·9997800	−9	−173 −39	·9998250	−8	−116 −20	·9998583	−7	−80 −13	·9998835	−7	−57 −8	10·5
10·6	·9997344	−10	−259 −70	·9997938	−9	−167 −38	·9998365	−8	−111 −20	·9998681	−7	−77 −13	·9998920	−6	−55 −8	10·6
10·7	·9997500	−10	−251 −69	·9998067	−8	−161 −37	·9998473	−7	−107 −20	·9998772	−6	−74 −12	·9998998	−6	−52 −7	10·7
10·8	·9997647	−9	−243 −68	·9998188	−8	−155 −37	·9998574	−7	−103 −19	·9998857	−6	−71 −12	·9999070	−5	−50 −7	10·8
10·9	·9997785	−9	−235 −67	·9998301	−7	−149 −36	·9998668	−6	−99 −19	·9998936	−6	−68 −12	·9999137	−5	−48 −6	10·9
11·0	·9997914	−8	−227 −66	·9998407	−7	−143 −35	·9998756	−6	−95 −18	·9999010	−5	−65 −11	·9999199	−5	−45 −6	11·0
11·1	·9998037	−8	−219 −65	·9998506	−6	−138 −34	·9998838	−6	−91 −17	·9999078	−5	−62 −11	·9999257	−4	−43 −6	11·1
11·2	·9998152	−7	−212 −64	·9998599	−6	−133 −34	·9998914	−5	−87 −17	·9999142	−4	−59 −11	·9999310	−4	−41 −6	11·2
11·3	·9998260	−7	−205 −63	·9998686	−6	−128 −33	·9998986	−5	−84 −17	·9999201	−4	−56 −10	·9999360	−4	−39 −6	11·3
11·4	·9998361	−5	−198 −62	·9998768	−5	−123 −32	·9999052	−5	−80 −16	·9999256	−4	−54 −10	·9999406	−4	−37 −5	11·4
11·5	·9998457	−6	−191 −61	·9998845	−5	−118 −32	·9999114	−4	−77 −16	·9999307	−4	−51 −10	·9999449		−35 −5	11·5
11·6	·9998547	−6	−184 −60	·9998917	−5	−113 −31	·9999173	−4	−74 −15	·9999355		−49 −10	·9999488		−34 −5	11·6
11·7	·9998632	−5	−177 −59	·9998984	−4	−109 −30	·9999227	−4	−71 −15	·9999399		−47 −9	·9999525		−33 −5	11·7
11·8	·9998712	−5	−171 −58	·9999047	−4	−105 −29	·9999278	−4	−68 −14	·9999441		−45 −9	·9999559		−31 −5	11·8
11·9	·9998787	−5	−165 −57	·9999106	−4	−101 −29	·9999325		−65 −14	·9999479		−43 −9	·9999591		−30 −5	11·9
12·0	·9998857	−4	−159 −56	·9999162		−97 −28	·9999369		−62 −14	·9999515		−41 −9	·9999620		−28 −4	12·0

	$p = -0{\cdot}95$			$p = -0{\cdot}90$			$p = -0{\cdot}85$			$p = -0{\cdot}80$			$p = -0{\cdot}75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
12·0	·9989295	−9	*	·9994063	−9	*	·9996392	−7	*	·9997652	−6	*	·9998394	−5	−278 −123	12·0
12·1	·9989598	−9		·9994284	−8		·9996550	−7		·9997768	−5		·9998480	−5	−269 −122	12·1
12·2	·9989891	−9		·9994496	−8		·9996701	−7		·9997878	−5		·9998562	−4	−260 −120	12·2
12·3	·9990176	−8		·9994700	−8		·9996845	−6		·9997982	−5		·9998640	−4	−252 −118	12·3
12·4	·9990453	−8		·9994896	−8		·9996983	−6		·9998081	−5		·9998713	−4	−244 −116	12·4
12·5	·9990721	−8		·9995085	−7		·9997115	−6		·9998176	−4		·9998782	−4	−236 −114	12·5
12·6	·9990981	−8		·9995267	−7		·9997240	−6		·9998265	−4		·9998848	−4	−228 −112	12·6
12·7	·9991234	−7		·9995442	−7		·9997361	−5		·9998350	−4		·9998910		−221 −110	12·7
12·8	·9991480	−7		·9995610	−6		·9997475	−5		·9998431	−4		·9998968		−214 −108	12·8
12·9	·9991718	−7		·9995772	−6		·9997585	−5		·9998508	−4		·9999024		−207 −106	12·9
13·0	·9991949	−7		·9995927	−6		·9997690	−5		·9998581	−4		·9999076		−200 −105	13·0
13·1	·9992173	−7		·9996077	−6		·9997790	−4		·9998650			·9999126		−193 −103	13·1
13·2	·9992391	−6		·9996221	−5		·9997886	−4		·9998716			·9999172		−187 −101	13·2
13·3	·9992602	−6		·9996360	−5		·9997978	−4		·9998779			·9999217		−181 −99	13·3
13·4	·9992808	−6		·9996493	−5		·9998065	−4		·9998838			·9999259		−175 −97	13·4
13·5	·9993007	−6		·9996622	−5		·9998149	−4		·9998895			·9999298		−168 −96	13·5
13·6	·9993201	−6		·9996745	−5		·9998229	−4		·9998949			·9999336		−162 −94	13·6
13·7	·9993389	−5		·9996864	−4		·9998306			·9999000			·9999371		−157 −92	13·7
13·8	·9993571	−5		·9996979	−4		·9998379			·9999048			·9999405		−152 −90	13·8
13·9	·9993749	−5		·9997089	−4		·9998449			·9999095			·9999437		−147 −88	13·9
14·0	·9993921	−5		·9997195	−4		·9998515			·9999139			·9999467		−142 −86	14·0
14·1	·9994088	−5		·9997297	−4		·9998579			·9999180			·9999495		−137 −84	14·1
14·2	·9994251	−5		·9997396	−4		·9998641			·9999220			·9999522		−132 −82	14·2
14·3	·9994409	−5		·9997490	−4		·9998699			·9999258			·9999547		−127 −81	14·3
14·4	·9994562	−4		·9997582			·9998755			·9999294			·9999572		−124 −80	14·4
14·5	·9994711	−4		·9997669			·9998808			·9999328			·9999594		−118 −79	14·5
14·6	·9994855	−4		·9997754			·9998859			·9999361			·9999616		−114 −77	14·6
14·7	·9994996	−4		·9997835			·9998908			·9999392			·9999636		−110 −76	14·7
14·8	·9995133	−4		·9997914			·9998955			·9999421			·9999656		−106 −73	14·8
14·9	·9995265	−4		·9997989			·9999000			·9999449			·9999674		−102 −71	14·9
15·0	·9995394	−4		·9998062			·9999043			·9999476			·9999691		−99 −69	15·0
15·1	·9995520	−4		·9998132			·9999084			·9999501			·9999708		−95 −68	15·1
15·2	·9995641			·9998199			·9999123			·9999525			·9999723		−92 −66	15·2
15·3	·9995760			·9998264			·9999160			·9999548			·9999738		−88 −64	15·3
15·4	·9995875			·9998327			·9999196			·9999570			·9999752		−85 −63	15·4
15·5	·9995986			·9998387			·9999230			·9999590			·9999765		−82 −61	15·5
15·6	·9996095			·9998445			·9999263			·9999610			·9999777		−79 −60	15·6
15·7	·9996201			·9998501			·9999295			·9999629			·9999789		−76 −58	15·7
15·8	·9996303			·9998554			·9999325			·9999647			·9999800		−73 −57	15·8
15·9	·9996403			·9998606			·9999353			·9999664			·9999811		−71 −56	15·9
16·0	·9996500			·9998656			·9999381			·9999680			·9999821		−68 −55	16·0
16·1	·9996594			·9998704			·9999407			·9999695			·9999830		−66 −53	16·1
16·2	·9996686			·9998751			·9999432			·9999710			·9999839		−63 −52	16·2
16·3	·9996775			·9998796			·9999456			·9999724			·9999848		−61 −50	16·3
16·4	·9996861			·9998839			·9999479			·9999737			·9999856		−59 −49	16·4
16·5	·9996946			·9998880			·9999502			·9999750			·9999863		−56 −48	16·5
16·6	·9997027			·9998920			·9999523			·9999762			·9999870		−54 −46	16·6
16·7	·9997107			·9998959			·9999543			·9999773			·9999877		−52 −45	16·7
16·8	·9997184			·9998996			·9999562			·9999784			·9999884		−50 −44	16·8
16·9	·9997260			·9999031			·9999581			·9999794			·9999890		−48 −43	16·9
17·0	·9997333			·9999066			·9999598			·9999804			·9999896		−47 −42	17·0
17·1	·9997404			·9999099			·9999615			·9999813			·9999901		−45 −41	17·1
17·2	·9997473			·9999131			·9999632			·9999822			·9999906		−43 −40	17·2
17·3	·9997541			·9999162			·9999647			·9999831			·9999911		−41 −39	17·3
17·4	·9997606			·9999192			·9999662			·9999839			·9999916		−40 −38	17·4
17·5	·9997670			·9999221			·9999676			·9999846			·9999920		−38 −37	17·5
17·6	·9997732			·9999248			·9999690			·9999854			·9999924		−37 −36	17·6
17·7	·9997792			·9999275			·9999703			·9999861			·9999928		−36 −35	17·7
17·8	·9997850			·9999301			·9999716			·9999867			·9999932		−34 −34	17·8
17·9	·9997907			·9999325			·9999728			·9999874			·9999936		−33 −33	17·9
18·0	·9997963			·9999349			·9999739			·9999880			·9999939		−32 −32	18·0

* Interpolation by p-differences inadequate.

	$p=-0{\cdot}70$			$p=-0{\cdot}65$			$p=-0{\cdot}60$			$p=-0{\cdot}55$			$p=-0{\cdot}50$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
12·0	·9998857	-4	-159 -55	·9999162		-97 -28	·9999369		-62 -14	·9999515		-41 -9	·9999620		-26 -4	12·0
12·1	·9998924	-4	-154 -54	·9999214		-93 -27	·9999411		-59 -13	·9999548		-39 -8	·9999648		-26 -4	12·1
12·2	·9998986	-4	-148 -53	·9999262		-89 -26	·9999449		-56 -13	·9999579		-37 -8	·9999673		-25 -4	12·2
12·3	·9999045	-4	-143 -52	·9999308		-86 -26	·9999485		-54 -12	·9999608		-35 -8	·9999696		-24 -4	12·3
12·4	·9999101		-138 -51	·9999351		-82 -25	·9999519		-52 -12	·9999635		-33 -8	·9999718		-22 -4	12·4
12·5	·9999153		-133 -50	·9999391		-79 -24	·9999550		-49 -12	·9999660		-32 -7	·9999738		-21 -4	12·5
12·6	·9999202		-128 -49	·9999429		-76 -24	·9999580		-47 -11	·9999683		-30 -7	·9999757		-20	12·6
12·7	·9999248		-123 -48	·9999464		-72 -23	·9999607		-45 -11	·9999705		-29 -7	·9999774		-19	12·7
12·8	·9999292		-118 -47	·9999497		-69 -23	·9999633		-43 -11	·9999725		-27 -7	·9999791		-18	12·8
12·9	·9999333		-114 -46	·9999528		-67 -22	·9999657		-41 -10	·9999744		-26 -7	·9999806		-17	12·9
13·0	·9999371		-110 -44	·9999557		-64 -22	·9999679		-40 -10	·9999762		-25 -6	·9999819		-16	13·0
13·1	·9999408		-106 -43	·9999585		-61 -21	·9999700		-38 -9	·9999778		-24 -6	·9999832		-16	13·1
13·2	·9999442		-102 -42	·9999610		-59 -20	·9999720		-36 -9	·9999793		-22 -6	·9999844		-15	13·2
13·3	·9999474		-98 -41	·9999634		-56 -20	·9999738		-34 -9	·9999807		-21 -6	·9999856		-14	13·3
13·4	·9999505		-94 -40	·9999657		-54 -19	·9999755		-33 -8	·9999821		-20 -6	·9999866		-13	13·4
13·5	·9999533		-91 -39	·9999678		-51 -19	·9999771		-31 -8	·9999833		-19 -6	·9999875		-13	13·5
13·6	·9999560		-87 -38	·9999698		-49 -18	·9999786		-30 -8	·9999844		-18 -6	·9999884		-12	13·6
13·7	·9999586		-84 -37	·9999716		-47 -18	·9999800		-29 -8	·9999855		-17 -5	·9999893		-12	13·7
13·8	·9999609		-80 -36	·9999734		-45 -17	·9999813		-27 -7	·9999865		-16 -5	·9999900		-11	13·8
13·9	·9999632		-77 -36	·9999750		-43 -17	·9999825		-26 -7	·9999874		-15 -5	·9999907		-10	13·9
14·0	·9999653		-74 -35	·9999765		-41 -16	·9999836		-25 -7	·9999883		-15 -5	·9999914		-10	14·0
14·1	·9999673		-71 -34	·9999780		-40 -16	·9999847		-24 -6	·9999891		-14 -5	·9999920		-9	14·1
14·2	·9999692		-69 -33	·9999793		-38 -16	·9999857		-22 -6	·9999898		-13 -5	·9999926		-9	14·2
14·3	·9999710		-66 -32	·9999806		-36 -15	·9999866		-21 -6	·9999905		-13 -4	·9999931		-8	14·3
14·4	·9999726		-62 -31	·9999818		-35 -14	·9999875		-21 -6	·9999912		-12 -4	·9999936		-8	14·4
14·5	·9999742		-61 -29	·9999829		-33 -14	·9999883		-20 -6	·9999918		-12 -4	·9999941		-7	14·5
14·6	·9999757		-58 -28	·9999840		-32 -13	·9999891		-19 -5	·9999923		-11 -4	·9999945		-7	14·6
14·7	·9999771		-56 -28	·9999849		-30 -13	·9999898		-18 -5	·9999928		-10 -4	·9999949		-7	14·7
14·8	·9999784		-54 -27	·9999859		-28 -13	·9999904		-17 -5	·9999933		-10	·9999952		-6	14·8
14·9	·9999796		-51 -27	·9999867		-27 -12	·9999911		-16 -5	·9999938		-9	·9999956		-6	14·9
15·0	·9999808		-49 -26	·9999875		-26 -12	·9999916		-15 -5	·9999942		-9	·9999959		-6	15·0
15·1	·9999819		-47 -25	·9999883		-25 -12	·9999922		-15 -5	·9999946		-8	·9999962		-5	15·1
15·2	·9999829		-45 -25	·9999890		-24 -11	·9999927		-14 -5	·9999950		-8	·9999965		-5	15·2
15·3	·9999839		-44 -24	·9999897		-23 -11	·9999932		-13 -4	·9999953		-8	·9999967		-5	15·3
15·4	·9999848		-42 -23	·9999903		-22 -11	·9999936		-13 -4	·9999956		-7	·9999969		-5	15·4
15·5	·9999857		-40 -23	·9999909		-21 -10	·9999940		-12 -4	·9999959		-7	·9999972		-4	15·5
15·6	·9999865		-38 -22	·9999915		-20 -10	·9999944		-12 -4	·9999962		-7	·9999974		-4	15·6
15·7	·9999873		-37 -21	·9999920		-19 -10	·9999948		-11	·9999965		-6	·9999975		-4	15·7
15·8	·9999880		-35 -21	·9999925		-18 -9	·9999951		-11	·9999967		-6	·9999977		-4	15·8
15·9	·9999887		-34 -20	·9999929		-17 -9	·9999954		-10	·9999969		-5	·9999979			15·9
16·0	·9999893		-33 -20	·9999934		-17 -9	·9999957		-10	·9999971		-5	·9999980			16·0
16·1	·9999900		-31 -19	·9999938		-16 -9	·9999960		-9	·9999973		-5	·9999982			16·1
16·2	·9999905		-30 -19	·9999941		-16 -8	·9999963		-9	·9999975		-5	·9999983			16·2
16·3	·9999911		-29 -18	·9999945		-15 -8	·9999965		-8	·9999977		-4	·9999984			16·3
16·4	·9999916		-27 -16	·9999948		-14 -8	·9999967		-8	·9999978		-4	·9999985			16·4
16·5	·9999921		-26 -17	·9999952		-14 -8	·9999969		-7	·9999980		-4	·9999986			16·5
16·6	·9999925		-25 -17	·9999954		-13 -7	·9999971		-7	·9999981		-4	·9999987			16·6
16·7	·9999929		-24 -16	·9999957		-12 -7	·9999973		-7	·9999982			·9999988			16·7
16·8	·9999933		-23 -15	·9999960		-12 -7	·9999975		-6	·9999984			·9999989			16·8
16·9	·9999937		-22 -15	·9999962		-11 -7	·9999977		-6	·9999985			·9999990			16·9
17·0	·9999941		-21 -14	·9999965		-11 -6	·9999978		-6	·9999986			·9999991			17·0
17·1	·9999944		-20 -14	·9999967		-10 -6	·9999979		-6	·9999987			·9999991			17·1
17·2	·9999947		-19 -13	·9999969		-10 -6	·9999981		-5	·9999988			·9999992			17·2
17·3	·9999950		-19 -13	·9999971		-9 -6	·9999982		-6	·9999988			·9999992			17·3
17·4	·9999953		-18 -12	·9999972		-9 -6	·9999983		-6	·9999989			·9999993			17·4
17·5	·9999956		-17 -12	·9999974		-8 -5	·9999984		-5	·9999990			·9999993			17·5
17·6	·9999958		-16 -11	·9999976		-8 -5	·9999985		-4	·9999991			·9999994			17·6
17·7	·9999961		-16 -11	·9999977		-7 -5	·9999986		-4	·9999991			·9999994			17·7
17·8	·9999963		-16 -11	·9999979		-7 -5	·9999987		-4	·9999992			·9999995			17·8
17·9	·9999965		-14 -10	·9999980		-7 -5	·9999988		-4	·9999992			·9999995			17·9
18·0	·9999967		-14 -10	·9999981		-6 -5	·9999989		-4	·9999993			·9999995			18·0

	$p = -0{\cdot}95$			$p = -0{\cdot}90$			$p = -0{\cdot}85$			$p = -0{\cdot}80$			$p = -0{\cdot}75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
18·0	·9997963		*	·9999349		*	·9999739		*	·9999880		*	·9999939		−32 −32	18·0
18·1	·9998017			·9999372			·9999750			·9999885			·9999942		−30 −31	18·1
18·2	·9998069			·9999394			·9999760			·9999891			·9999945		−29 −30	18·2
18·3	·9998120			·9999416			·9999771			·9999896			·9999948		−26 −29	18·3
18·4	·9998170			·9999436			·9999780			·9999901			·9999951		−27 −26	18·4
18·5	·9998218			·9999456			·9999789			·9999906			·9999953		−26 −28	18·5
18·6	·9998265			·9999475			·9999798			·9999910			·9999956		−25 −27	18·6
18·7	·9998311			·9999494			·9999807			·9999914			·9999958		−24 −26	18·7
18·8	·9998355			·9999512			·9999815			·9999918			·9999960		−23 −25	18·8
18·9	·9998398			·9999529			·9999823			·9999922			·9999962		−22 −25	18·9
19·0	·9998440			·9999545			·9999830			·9999926			·9999964		−21 −24	19·0
19·1	·9998481			·9999561			·9999837			·9999930			·9999966		−20 −23	19·1
19·2	·9998521			·9999577			·9999844			·9999933			·9999968		−20 −23	19·2
19·3	·9998560			·9999592			·9999850			·9999936			·9999970		−19 −22	19·3
19·4	·9998598			·9999606			·9999857			·9999939			·9999971		−18 −21	19·4
19·5	·9998634			·9999620			·9999863			·9999942			·9999973		−17 −21	19·5
19·6	·9998670			·9999633			·9999868			·9999945			·9999974		−17 −20	19·6
19·7	·9998705			·9999646			·9999874			·9999947			·9999976		−16 −20	19·7
19·8	·9998739			·9999658			·9999879			·9999950			·9999977		−13 −19	19·8
19·9	·9998772			·9999670			·9999884			·9999952			·9999978		−15 −19	19·9
20·0	·9998804			·9999682			·9999889			·9999954			·9999979		−14 −18	20·0
20·1	·9998835			·9999693			·9999894			·9999957			·9999980		−14 −18	20·1
20·2	·9998865			·9999704			·9999898			·9999959			·9999981		−13 −17	20·2
20·3	·9998895			·9999714			·9999902			·9999961			·9999982		−13 −16	20·3
20·4	·9998924			·9999724			·9999906			·9999962			·9999983		−12 −16	20·4
20·5	·9998952			·9999734			·9999910			·9999964			·9999984		−12 −15	20·5
20·6	·9998979			·9999743			·9999914			·9999966			·9999985		−11 −15	20·6
20·7	·9999005			·9999752			·9999918			·9999967			·9999986		−11 −14	20·7
20·8	·9999031			·9999761			·9999921			·9999969			·9999986		−15 −14	20·8
20·9	·9999056			·9999769			·9999924			·9999970			·9999987		−10 −13	20·9
21·0	·9999081			·9999777			·9999927			·9999972			·9999988		−9 −13	21·0
21·1	·9999105			·9999785			·9999930			·9999973			·9999988		−9 −13	21·1
21·2	·9999128			·9999792			·9999933			·9999974			·9999989		−9 −12	21·2
21·3	·9999150			·9999799			·9999936			·9999976			·9999990		−8 −12	21·3
21·4	·9999172			·9999806			·9999939			·9999977			·9999990		−6 −12	21·4
21·5	·9999194			·9999813			·9999941			·9999978			·9999991		−8 −11	21·5
21·6	·9999215			·9999820			·9999944			·9999979			·9999991		−7 −11	21·6
21·7	·9999235			·9999826			·9999946			·9999980			·9999992		−7 −10	21·7
21·8	·9999255			·9999832			·9999948			·9999981			·9999992		−7 −10	21·8
21·9	·9999274			·9999838			·9999950			·9999982			·9999992		−7 −10	21·9
22·0	·9999292			·9999843			·9999952			·9999983			·9999993		−5 −9	22·0
22·1	·9999311			·9999849			·9999954			·9999983			·9999993		−5 −9	22·1
22·2	·9999328			·9999854			·9999956			·9999984			·9999994		−6 −9	22·2
22·3	·9999346			·9999859			·9999958			·9999985			·9999994		−6 −9	22·3
22·4	·9999363			·9999864			·9999960			·9999986			·9999994		−5 −8	22·4
22·5	·9999379			·9999869			·9999962			·9999986			·9999995		−5 −8	22·5
22·6	·9999395			·9999873			·9999963			·9999987			·9999995		−5 −8	22·6
22·7	·9999410			·9999878			·9999965			·9999988			·9999995		−5 −8	22·7
22·8	·9999426			·9999882			·9999966			·9999988			·9999995		−5 −7	22·8
22·9	·9999440			·9999886			·9999967			·9999989			·9999996		−4 −7	22·9
23·0	·9999455			·9999890			·9999969			·9999989			·9999996		−4 −7	23·0
23·1	·9999469			·9999894			·9999970			·9999990			·9999996		−4 −7	23·1
23·2	·9999482			·9999897			·9999971			·9999990			·9999996		−4 −5	23·2
23·3	·9999495			·9999901			·9999973			·9999991			·9999996		−4 −8	23·3
23·4	·9999508			·9999904			·9999974			·9999991			·9999997		−4 −5	23·4
23·5	·9999521			·9999908			·9999975			·9999991			·9999997		−6	23·5
23·6	·9999533			·9999911			·9999976			·9999992			·9999997		−6	23·6
23·7	·9999545			·9999914			·9999977			·9999992			·9999997		−5	23·7
23·8	·9999557			·9999917			·9999978			·9999993			·9999997		−5	23·8
23·9	·9999568			·9999920			·9999979			·9999993			·9999997		−5	23·9
24·0	·9999579			·9999922			·9999980			·9999993			·9999998		−5	24·0

* Interpolation by p-differences inadequate.

	$p = -0{\cdot}70$			$p = -0{\cdot}65$			$p = -0{\cdot}60$			$p = -0{\cdot}55$			$p = -0{\cdot}50$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
18·0	·9999967		−14 −10	·9999981		−6 −5	·9999989		−4	·9999993			·9999995			18·0
18·1	·9999969		−13 −10	·9999982		−6 −5	·9999990			·9999993			·9999996			18·1
18·2	·9999971		−13 −10	·9999983		−6 −4	·9999990			·9999994			·9999996			18·2
18·3	·9999972		−12 −9	·9999984		−6 −4	·9999991			·9999994			·9999996			18·3
18·4	·9999974		−12 −9	·9999985		−5 −4	·9999991			·9999995			·9999997			18·4
18·5	·9999975		−11 −9	·9999986		−5 −4	·9999992			·9999995			·9999997			18·5
18·6	·9999977		−11 −9	·9999987		−5 −4	·9999993			·9999995			·9999997			18·6
18·7	·9999978		−10 −8	·9999988		−5 −4	·9999993			·9999996			·9999997			18·7
18·8	·9999979		−10 −8	·9999989		−4 −4	·9999993			·9999996			·9999997			18·8
18·9	·9999980		−9 −8	·9999989		−4 −4	·9999994			·9999996			·9999998			18·9
19·0	·9999982		−9 −8	·9999990		−4	·9999994			·9999996			·9999998			19·0
19·1	·9999983		−8 −7	·9999990		−4	·9999995			·9999997			·9999998			19·1
19·2	·9999984		−8 −7	·9999991		−4	·9999995			·9999997			·9999998			19·2
19·3	·9999985		−8 −7	·9999992			·9999995			·9999997			·9999998			19·3
19·4	·9999985		−7 −6	·9999992			·9999996			·9999997			·9999998			19·4
19·5	·9999986		−7 −6	·9999993			·9999996			·9999998			·9999998			19·5
19·6	·9999987		−7 −6	·9999993			·9999996			·9999998			·9999999			19·6
19·7	·9999988		−7 −6	·9999993			·9999996			·9999998			·9999999			19·7
19·8	·9999988		−6 −6	·9999994			·9999997			·9999998			·9999999			19·8
19·9	·9999989		−6 −6	·9999994			·9999997			·9999998			·9999999			19·9
20·0	·9999990		−5 −6	·9999995			·9999997			·9999998			·9999999			20·0
20·1	·9999990		−5 −5	·9999995			·9999997			·9999998			·9999999			20·1
20·2	·9999991		−5 −5	·9999995			·9999998			·9999998			·9999999			20·2
20·3	·9999991		−5 −5	·9999996			·9999998			·9999999			·9999999			20·3
20·4	·9999992		−5 −5	·9999996			·9999998			·9999999			·9999999			20·4
20·5	·9999992		−4 −5	·9999996			·9999998			·9999999			·9999999			20·5
20·6	·9999993		−4 −5	·9999996			·9999998			·9999999			·9999999			20·6
20·7	·9999993		−4 −5	·9999996			·9999998			·9999999			·9999999			20·7
20·8	·9999994		−4 −4	·9999997			·9999998			·9999999			·9999999			20·8
20·9	·9999994		−4 −4	·9999997			·9999998			·9999999			·9999999			20·9
21·0	·9999994		−4 −4	·9999997			·9999999			·9999999			·9999999			21·0
21·1	·9999995		−4	·9999997			·9999999			·9999999			·9999999			21·1
21·2	·9999995		−4	·9999997			·9999999			·9999999			1·0000000			21·2
21·3	·9999995		−4	·9999998			·9999999			·9999999						21·3
21·4	·9999995		−4	·9999998			·9999999			·9999999						21·4
21·5	·9999996			·9999998			·9999999			·9999999						21·5
21·6	·9999996			·9999998			·9999999			·9999999						21·6
21·7	·9999996			·9999998			·9999999			·9999999						21·7
21·8	·9999996			·9999998			·9999999			·9999999						21·8
21·9	·9999997			·9999998			·9999999			1·0000000						21·9
22·0	·9999997			·9999998			·9999999									22·0
22·1	·9999997			·9999999			·9999999									22·1
22·2	·9999997			·9999999			·9999999									22·2
22·3	·9999997			·9999999			·9999999									22·3
22·4	·9999997			·9999999			1·0000000									22·4
22·5	·9999998			·9999999												22·5
22·6	·9999998			·9999999												22·6
22·7	·9999998			·9999999												22·7
22·8	·9999998			·9999999												22·8
22·9	·9999998			·9999999												22·9
23·0	·9999998			·9999999												23·0
23·1	·9999998			·9999999												23·1
23·2	·9999998			·9999999												23·2
23·3	·9999999			·9999999												23·3
23·4	·9999999			·9999999												23·4
23·5	·9999999			·9999999												23·5
23·6	·9999999			·9999999												23·6
23·7	·9999999			·9999999												23·7
23·8	·9999999			·9999999												23·8
23·9	·9999999			1·0000000												23·9
24·0	·9999999															

	$p = -0·95$			$p = -0·90$			$p = -0·85$			$p = -0·80$			$p = -0·75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
24·0	·9999579		*	·9999922		*	·9999980		*	·9999993		*	·9999998		-5	24·0
24·1	·9999590			·9999925			·9999980			·9999994			·9999998		-5	24·1
24·2	·9999600			·9999928			·9999981			·9999994			·9999998		-4	24·2
24·3	·9999610			·9999930			·9999982			·9999994			·9999998		-4	24·3
24·4	·9999620			·9999932			·9999983			·9999994			·9999998		-4	24·4
24·5	·9999630			·9999935			·9999983			·9999995			·9999998		-4	24·5
24·6	·9999639			·9999937			·9999984			·9999995			·9999998		-4	24·6
24·7	·9999648			·9999939			·9999985			·9999995			·9999998		-4	24·7
24·8	·9999657			·9999941			·9999985			·9999995			·9999998		-4	24·8
24·9	·9999666			·9999943			·9999986			·9999996			·9999998			24·9
25·0	·9999675			·9999945			·9999987			·9999996			·9999999			25·0
25·1	·9999683			·9999947			·9999987			·9999996			·9999999			25·1
25·2	·9999691			·9999949			·9999988			·9999996			·9999999			25·2
25·3	·9999699			·9999951			·9999988			·9999996			·9999999			25·3
25·4	·9999706			·9999952			·9999989			·9999997			·9999999			25·4
25·5	·9999714			·9999954			·9999989			·9999997			·9999999			25·5
25·6	·9999721			·9999956			·9999990			·9999997			·9999999			25·6
25·7	·9999728			·9999957			·9999990			·9999997			·9999999			25·7
25·8	·9999735			·9999959			·9999990			·9999997			·9999999			25·8
25·9	·9999742			·9999960			·9999991			·9999997			·9999999			25·9
26·0	·9999748			·9999961			·9999991			·9999998			·9999999			26·0
26·1	·9999755			·9999963			·9999992			·9999998			·9999999			26·1
26·2	·9999761			·9999964			·9999992			·9999998			·9999999			26·2
26·3	·9999767			·9999965			·9999992			·9999998			·9999999			26·3
26·4	·9999773			·9999966			·9999993			·9999998			·9999999			26·4
26·5	·9999778			·9999967			·9999993			·9999998			·9999999			26·5
26·6	·9999784			·9999969			·9999993			·9999998			·9999999			26·6
26·7	·9999789			·9999970			·9999993			·9999998			·9999999			26·7
26·8	·9999795			·9999971			·9999994			·9999998			·9999999			26·8
26·9	·9999800			·9999972			·9999994			·9999998			·9999999			26·9
27·0	·9999805			·9999973			·9999994			·9999999			1·0000000			27·0
27·1	·9999810			·9999974			·9999994			·9999999						
27·2	·9999815			·9999974			·9999995			·9999999						
27·3	·9999819			·9999975			·9999995			·9999999						
27·4	·9999824			·9999976			·9999995			·9999999						
27·5	·9999828			·9999977			·9999995			·9999999						
27·6	·9999833			·9999978			·9999996			·9999999						
27·7	·9999837			·9999978			·9999996			·9999999						
27·8	·9999841			·9999979			·9999996			·9999999						
27·9	·9999845			·9999980			·9999996			·9999999						
28·0	·9999849			·9999981			·9999996			·9999999						
28·1	·9999852			·9999981			·9999996			·9999999						
28·2	·9999856			·9999982			·9999997			·9999999						
28·3	·9999860			·9999982			·9999997			·9999999						
28·4	·9999863			·9999983			·9999997			·9999999						
28·5	·9999867			·9999984			·9999997			·9999999						
28·6	·9999870			·9999984			·9999997			·9999999						
28·7	·9999873			·9999985			·9999997			·9999999						
28·8	·9999876			·9999985			·9999997			·9999999						
28·9	·9999880			·9999986			·9999997			·9999999						
29·0	·9999883			·9999986			·9999998			·9999999						
29·1	·9999885			·9999987			·9999998			1·0000000						
29·2	·9999888			·9999987			·9999998									
29·3	·9999891			·9999988			·9999998									
29·4	·9999894			·9999988			·9999998									
29·5	·9999896			·9999988			·9999998									
29·6	·9999899			·9999989			·9999998									
29·7	·9999902			·9999989			·9999998									
29·8	·9999904			·9999990			·9999998									
29·9	·9999906			·9999990			·9999998									
30·0	·9999909			·9999990			·9999998									

* Interpolation by p-differences inadequate.

	$p = -0{\cdot}70$			$p = -0{\cdot}65$			$p = -0{\cdot}60$			$p = -0{\cdot}55$			$p = -0{\cdot}50$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
24·0	·9999999															
24·1	·9999999															
24·2	·9999999															
24·3	·9999999															
24·4	·9999999															
24·5	·9999999															
24·6	·9999999															
24·7	·9999999															
24·8	·9999999															
24·9	·9999999															
25·0	·9999999															
25·1	·9999999															
25·2	1·0000000															

	$p = -0\cdot95$			$p = -0\cdot90$			$p = -0\cdot85$			$p = -0\cdot80$			$p = -0\cdot75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
30·0	·9999909			·9999990			·9999998									30·0
30·1	·9999911			·9999991			·9999998									30·1
30·2	·9999913			·9999991			·9999999									30·2
30·3	·9999915			·9999991			·9999999									30·3
30·4	·9999917			·9999991			·9999999									30·4
30·5	·9999920			·9999992			·9999999									30·5
30·6	·9999922			·9999992			·9999999									30·6
30·7	·9999923			·9999992			·9999999									30·7
30·8	·9999925			·9999993			·9999999									30·8
30·9	·9999927			·9999993			·9999999									30·9
31·0	·9999929			·9999993			·9999999									31·0
31·1	·9999931			·9999993			·9999999									31·1
31·2	·9999932			·9999993			·9999999									31·2
31·3	·9999934			·9999994			·9999999									31·3
31·4	·9999936			·9999994			·9999999									31·4
31·5	·9999937			·9999994			·9999999									31·5
31·6	·9999939			·9999994			·9999999									31·6
31·7	·9999940			·9999994			·9999999									31·7
31·8	·9999942			·9999995			·9999999									31·8
31·9	·9999943			·9999995			·9999999									31·9
32·0	·9999945			·9999995			·9999999									32·0
32·1	·9999946			·9999995			·9999999									32·1
32·2	·9999947			·9999995			·9999999									32·2
32·3	·9999949			·9999995			·9999999									32·3
32·4	·9999950			·9999996			·9999999									32·4
32·5	·9999951			·9999996			·9999999									32·5
32·6	·9999952			·9999996			·9999999									32·6
32·7	·9999954			·9999996			1·0000000									32·7
32·8	·9999955			·9999996												
32·9	·9999956			·9999996												
33·0	·9999957			·9999996												
33·1	·9999958			·9999997												
33·2	·9999959			·9999997												
33·3	·9999960			·9999997												
33·4	·9999961			·9999997												
33·5	·9999962			·9999997												
33·6	·9999963			·9999997												
33·7	·9999964			·9999997												
33·8	·9999965			·9999997												
33·9	·9999966			·9999997												
34·0	·9999966			·9999997												
34·1	·9999967			·9999998												
34·2	·9999968			·9999998												
34·3	·9999969			·9999998												
34·4	·9999970			·9999998												
34·5	·9999970			·9999998												
34·6	·9999971			·9999998												
34·7	·9999972			·9999998												
34·8	·9999973			·9999998												
34·9	·9999973			·9999998												
35·0	·9999974			·9999998												
35·1	·9999974			·9999998												
35·2	·9999975			·9999998												
35·3	·9999976			·9999998												
35·4	·9999976			·9999998												
35·5	·9999977			·9999998												
35·6	·9999977			·9999998												
35·7	·9999978			·9999998												
35·8	·9999979			·9999999												
35·9	·9999979			·9999999												
36·0	·9999980			·9999999												

	$p = -0·95$			$p = -0·90$			$p = -0·85$			$p = -0·80$			$p = -0·75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
36·0	·9999980			·9999999												36·0
36·1	·9999980			·9999999												36·1
36·2	·9999981			·9999999												36·2
36·3	·9999981			·9999999												36·3
36·4	·9999982			·9999999												36·4
36·5	·9999982			·9999999												36·5
36·6	·9999982			·9999999												36·6
36·7	·9999983			·9999999												36·7
36·8	·9999983			·9999999												36·8
36·9	·9999984			·9999999												36·9
37·0	·9999984			·9999999												37·0
37·1	·9999984			·9999999												37·1
37·2	·9999985			·9999999												37·2
37·3	·9999985			·9999999												37·3
37·4	·9999986			·9999999												37·4
37·5	·9999986			·9999999												37·5
37·6	·9999986			·9999999												37·6
37·7	·9999987			·9999999												37·7
37·8	·9999987			·9999999												37·8
37·9	·9999987			·9999999												37·9
38·0	·9999988			·9999999												38·0
38·1	·9999988			·9999999												38·1
38·2	·9999988			·9999999												38·2
38·3	·9999988			·9999999												38·3
38·4	·9999989			·9999999												38·4
38·5	·9999989			·9999999												38·5
38·6	·9999989			·9999999												38·6
38·7	·9999990			·9999999												38·7
38·8	·9999990			·9999999												38·8
38·9	·9999990			·9999999												38·9
39·0	·9999990			·9999999												39·0
39·1	·9999990			1·0000000												39·1
39·2	·9999991															
39·3	·9999991															
39·4	·9999991															
39·5	·9999991															
39·6	·9999992															
39·7	·9999992															
39·8	·9999992															
39·9	·9999992															
40·0	·9999992															
40·1	·9999993															
40·2	·9999993															
40·3	·9999993															
40·4	·9999993															
40·5	·9999993															
40·6	·9999993															
40·7	·9999994															
40·8	·9999994															
40·9	·9999994															
41·0	·9999994															
41·1	·9999994															
41·2	·9999994															
41·3	·9999994															
41·4	·9999995															
41·5	·9999995															
41·6	·9999995															
41·7	·9999995															
41·8	·9999995															
41·9	·9999995															
42·0	·9999995															

	$p = -0{\cdot}95$			$p = -0{\cdot}90$			$p = -0{\cdot}85$			$p = -0{\cdot}80$			$p = -0{\cdot}75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
42·0	·9999995															
42·1	·9999995															
42·2	·9999996															
42·3	·9999996															
42·4	·9999996															
42·5	·9999996															
42·6	·9999996															
42·7	·9999996															
42·8	·9999996															
42·9	·9999996															
43·0	·9999996															
43·1	·9999996															
43·2	·9999997															
43·3	·9999997															
43·4	·9999997															
43·5	·9999997															
43·6	·9999997															
43·7	·9999997															
43·8	·9999997															
43·9	·9999997															
44·0	·9999997															
44·1	·9999997															
44·2	·9999997															
44·3	·9999997															
44·4	·9999997															
44·5	·9999997															
44·6	·9999998															
44·7	·9999998															
44·8	·9999998															
44·9	·9999998															
45·0	·9999998															
45·1	·9999998															
45·2	·9999998															
45·3	·9999998															
45·4	·9999998															
45·5	·9999998															
45·6	·9999998															
45·7	·9999998															
45·8	·9999998															
45·9	·9999998															
46·0	·9999998															
46·1	·9999998															
46·2	·9999998															
46·3	·9999998															
46·4	·9999998															
46·5	·9999998															
46·6	·9999998															
46·7	·9999999															
46·8	·9999999															
46·9	·9999999															
47·0	·9999999															
47·1	·9999999															
47·2	·9999999															
47·3	·9999999															
47·4	·9999999															
47·5	·9999999															
47·6	·9999999															
47·7	·9999999															
47·8	·9999999															
47·9	·9999999															
48·0	·9999999															

	$p = -0{\cdot}95$			$p = -0{\cdot}90$			$p = -0{\cdot}85$			$p = -0{\cdot}80$			$p = -0{\cdot}75$			
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
48·0	·9999999															
48·1	·9999999															
48·2	·9999999															
48·3	·9999999															
48·4	·9999999															
48·5	·9999999															
48·6	·9999999															
48·7	·9999999															
48·8	·9999999															
48·9	·9999999															
49·0	·9999999															
49·1	·9999999															
49·2	·9999999															
49·3	·9999999															
49·4	·9999999															
49·5	·9999999															
49·6	·9999999															
49·7	·9999999															
49·8	·9999999															
49·9	·9999999															
50·0	·9999999															
50·1	·9999999															
50·2	·9999999															
50·3	·9999999															
50·4	·9999999															
50·5	·9999999															
50·6	·9999999															
50·7	·9999999															
50·8	·9999999															
50·9	·9999999															
51·0	·9999999															
51·1	·9999999															
51·2	·9999999															
51·3	1·0000000															

	$p=-0{\cdot}50$			$p=-0{\cdot}45$			$p=-0{\cdot}40$			$p=-0{\cdot}35$			$p=-0{\cdot}30$			$p=-0{\cdot}25$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
·0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	— —	0 0	·0000000	·0
·1	·2931279	−1810998 —	+37336 +806	·2620839	−1501461 —	+32995 +625	·2343394	−1233781 —	+29279 +502	·2095228	−1002692 —	+26065 +465	·1873127	−803642 —	+23256 +338	·1674282	·1
·2	·4051560	−320011 −1342361	+26686 +524	·3740217	−300843 −1066705	+24133 +387	·3453007	−278956 −836057	+21967 +290	·3187764	−255169 −635307	+20091 +232	·2942612	−230202 −485792	+18447 +181	·2715907	·2
·3	·4851830	−171685 −86901	+19758 +416	·4558751	−166930 −78831	+17898 +303	·4283670	−160176 −68438	+16541 +221	·4025130	−151953 −58056	+15305 +168	·3781895	−142554 −47947	+14238 +129	·3552898	·3
·4	·5480215	−112660 −27921	+15000 +371	·5210354	−111848 −25345	+13664 +255	·4954157	−109840 −22539	+12564 +193	·4710543	−106793 −19600	+11694 +139	·4478624	−102853 −16607	+10943 +106	·4257647	·4
·5	·5995940	−81356 −12173	+11616 +329	·5750110	−82111 −11243	+10524 +233	·5514804	−82043 −10176	+9663 +172	·5289163	−81233 −9023	+8976 +123	·5072500	−79759 −7806	+8416 +93	·4864247	·5
·6	·6430309	−62225 −6334	+9143 +304	·6207754	−63617 −5934	+8209 +214	·5993408	−64424 −5460	+7489 +154	·5786551	−64696 −4920	+6923 +113	·5586617	−64473 −4335	+6470 +84	·5393153	·6
·7	·6802453	−49428 −3688	+7302 +283	·6601782	−51057 −3504	+6477 +197	·6407588	−52265 −3268	+5848 +142	·6219243	−53079 −2991	+5363 +104	·6036261	−53522 −2663	+4983 +77	·5858262	·7
·8	·7125169	−40320 −2331	+5911 +265	·6944753	−42001 −2240	+5166 +182	·6769503	−43374 −2115	+4603 +134	·6598856	−44453 −1964	+4174 +97	·6432383	−45254 −1768	+3840 +72	·6269750	·8
·9	·7407565	−33543 −1560	+4847 +246	·7245723	−35185 −1517	+4163 +172	·7088044	−36598 −1451	+3651 +124	·6934016	−37791 −1364	+3203 +89	·6783251	−38774 −1260	+2962 +68	·6635448	·9
1·0	·7656418	−28326 −1097	+4023 +229	·7511507	−29886 −1075	+3391 +159	·7369987	−31273 −1038	+2918 +117	·7231385	−32494 −990	+2562 +82	·7095345	−33554 −930	+2287 +65	·6961592	1·0
1·1	·7876945	−24206 −796	+3377 +214	·7747406	−25661 −790	+2790 +149	·7620657	−26986 −773	+2352 +108	·7496260	−26166 −743	+2022 +77	·7373885	−29264 −705	+1766 +60	·7253276	1·1
1·2	·8073266	−20882 −596	+2865 +202	·7957644	−22226 −597	+2319 +138	·7844341	−23472 −589	+1911 +101	·7732949	−24622 −574	+1604 +71	·7623161	−25678 −551	+1366 +56	·7514739	1·2
1·3	·8248705	−18154 −462	+2456 +186	·8145656	−19388 −463	+1946 +130	·8044553	−20547 −458	+1566 +93	·7945016	−21632 −453	+1279 +66	·7846758	−22645 −442	+1059 +52	·7749559	1·3
1·4	·8405990	−15868 −355	+2122 +178	·8314280	−17013 −365	+1648 +121	·8224218	−18081 −369	+1295 +87	·8135451	−19095 −364	+1026 +62	·8047710	−20053 −357	+820 +47	·7960789	1·4
1·5	·8547387	−13977 −288	+1851 +161	·8465891	−15003 −294	+1407 +112	·8385802	−15984 −297	+1078 +82	·8306791	−16922 −298	+829 +58	·8228609	−17818 −296	+636 +43	·8151063	1·5
1·6	·8674807	−12355 −234	+1624 +150	·8602499	−13286 −239	+1211 +104	·8531402	−14184 −242	+904 +77	·8461209	−15047 −246	+674 +54	·8391690	−15879 −245	+493 +40	·8322664	1·6
1·7	·8789872	−10967 −187	+1430 +147	·8725820	−11808 −197	+1050 +97	·8662818	−12626 −204	+765 +71	·8600581	−13418 −206	+548 +50	·8538892	−14183 −209	+384 +37	·8477587	1·7
1·8	·8893970	−9766 −159	+1268 +131	·8837333	−10530 −165	+912 +90	·8781608	−11272 −172	+650 +65	·8726533	−11996 −174	+451 +46	·8671909	−12700 −176	+297 +34	·8617582	1·8
1·9	·8988302	−8724 −134	+1126 +122	·8938315	−9415 −139	+708 +84	·8889126	−10090 −144	+553 +60	·8840490	−10748 −148	+372 +42	·8792226	−11392 −152	+228 +31	·8744190	1·9
2·0	·9073910	−7816 −109	+1000 +116	·9029883	−8438 −118	+698 +76	·8986554	−9048 −123	+474 +55	·8943700	−9648 −127	+305 +39	·8901151	−10236 −131	+175 +28	·8858776	2·0
2·1	·9151702	−7017 −93	+890 +106	·9113013	−7580 −101	+611 +72	·9074934	−8131 −106	+406 +51	·9037262	−8675 −110	+251 +36	·8999840	−9208 −114	+132 +27	·8962550	2·1
2·2	·9222477	−6315 −80	+790 +100	·9188562	−6622 −87	+535 +67	·9155183	−7322 −91	+346 +47	·9122149	−7812 −95	+205 +33	·9089320	−8299 −99	+96 +25	·9056588	2·2
2·3	·9286937	−5693 −70	+700 +94	·9257291	−6150 −75	+466 +62	·9228110	−6599 −79	+294 +43	·9199224	−7045 −83	+165 +30	·9170503	−7483 −87	+67 +22	·9141849	2·3
2·4	·9345704	−5141 −61	+617 +87	·9319869	−5553 −65	+404 +57	·9294438	−5959 −69	+246 +39	·9269254	−6360 −73	+131 +28	·9244202	−6758 −76	+42 +20	·9219192	2·4
2·5	·9399330	−4651 −52	+540 +83	·9376895	−5021 −57	+347 +52	·9354807	−5387 −60	+206 +36	·9332925	−5749 −64	+105 +26	·9311143	−6107 −67	+21 +16	·9289382	2·5
2·6	·9448305	−4213 −45	+471 +74	·9428899	−4546 −50	+295 +47	·9409789	−4876 −52	+168 +34	·9390846	−5201 −56	+74 +23	·9371976	−5526 −60	+2 +17	·9353109	2·6
2·7	·9493067	−3822 −39	+406 +69	·9476357	−4121 −44	+247 +44	·9459895	−4417 −47	+133 +30	·9443566	−4710 −50	+49 +21	·9427285	−5001 −53	−14 +15	·9410990	2·7
2·8	·9534007	−3470 −35	+345 +63	·9519694	−3740 −39	+203 +41	·9505584	−4003 −42	+101 +28	·9491575	−4269 −44	+26 +19	·9477592	−4531 −47	−29 +13	·9463580	2·8
2·9	·9571477	−3155 −31	+289 +56	·9559292	−3397 −34	+161 +37	·9547268	−3635 −37	+71 +25	·9535315	−3872 −39	+5 +17	·9523368	−4107 −42	−43 +12	·9511378	2·9
3·0	·9605792	−2871 −27	+236 +52	·9595493	−3088 −30	+123 +34	·9585317	−3304 −33	+42 +22	·9575183	−3515 −35	−13 +15	·9565036	−3727 −37	−55 +11	·9554834	3·0
3·1	·9637236	−2616 −24	+187 +48	·9628606	−2810 −27	+87 +31	·9620062	−3001 −29	+17 +20	·9611537	−3193 −31	−32 +14	·9602979	−3361 −33	−67 +10	·9594354	3·1
3·2	·9666064	−2385 −22	+141 +44	·9658908	−2559 −24	+53 +28	·9651806	−2732 −26	−7 +18	·9644697	−2901 −28	−48 +12	·9637540	−3078 −30	−76 +8	·9630305	3·2
3·3	·9692507	−2175 −20	+98 +40	·9686652	−2332 −22	+22 +25	·9680818	−2485 −23	−29 +16	·9674956	−2638 −25	−64 +10	·9669030	−2791 −27	−86 +7	·9663017	3·3
3·4	·9716775	−1986 −17	+58 +36	·9712063	−2127 −19	−7 +22	·9707345	−2265 −21	−50 +14	·9702577	−2400 −23	−78 +8	·9697731	−2534 −24	−97 +6	·9692788	3·4
3·5	·9739055	−1815 −15	+21 +32	·9735348	−1941 −17	−33 +20	·9731607	−2064 −19	−69 +13	·9727797	−2185 −20	−91 +8	·9723896	−2307 −22	−106 +5	·9719889	3·5
3·6	·9759520	−1660 −14	−13 +29	·9756692	−1772 −16	−56 +17	·9753805	−1881 −17	−86 +11	·9750832	−1990 −18	−103 +7	·9747756	−2096 −20	−114 +4	·9744566	3·6
3·7	·9778325	−1519 −13	−44 +26	·9776264	−1619 −14	−81 +15	·9774122	−1717 −15	−102 +9	·9771877	−1813 −16	−115 +6	·9769518	−1909 −16	−121 +3	·9767038	3·7
3·8	·9795611	−1391 −12	−72 +23	·9794217	−1482 −13	−102 +13	·9792722	−1567 −14	−117 +8	·9791110	−1652 −15	−125 +4	·9789372	−1737 −16	−128 +3	·9787507	3·8
3·9	·9811506	−1274 −10	−100 +19	·9810691	−1353 −11	−121 +11	·9809755	−1430 −12	−130 +7	·9808689	−1507 −13	−134 +3	·9807489	−1582 −14	−134 +2	·9806156	3·9
4·0	·9826127	−1167 −9	−124 +16	·9825812	−1238 −10	−138 +8	·9825358	−1306 −11	−143 +4	·9824762	−1374 −12	−142 +3	·9824024	−1441 −13	−139 +1	·9823147	4·0
4·1	·9839581	−1071 −8	−146 +14	·9839694	−1133 −9	−153 +7	·9839655	−1195 −10	−153 +3	·9839461	−1254 −11	−150 +2	·9839119	−1312 −12	−144 +1	·9838632	4·1
4·2	·9851964	−981 −7	−166 +12	·9852444	−1036 −8	−167 +5	·9852757	−1092 −9	−163 +3	·9852906	−1144 −10	−156 +1	·9852900	−1197 −11	−148 0	·9852747	4·2
4·3	·9863366	−902 −7	−183 +10	·9864156	−950 −8	−179 +4	·9864767	−997 −8	−171 +2	·9865207	−1043 −9	−161 0	·9865485	−1091 −10	−151 0	·9865613	4·3
4·4	·9873866	−827 −6	−199 +8	·9874918	−871 −7	−190 +3	·9875780	−914 −8	−179 +1	·9876463	−954 −6	−166 0	·9876980	−993 −9	−154 0	·9877343	4·4
4·5	·9883539	−760 −6	−213 +5	·9884809	−798 −6	−200 +2	·9885879	−835 −7	−185 0	·9886765	−872 −7	−170 −1	·9887480	−908 −8	−156 −1	·9888040	4·5
4·6	·9892452	−699 −5	−226 +4	·9893901	−732 −6	−208 +1	·9895143	−765 −6	−190 −1	·9896195	−796 −7	−173 −1	·9897073	−827 −7	−157 −1	·9897795	4·6
4·7	·9900666	−641 −5	−236 +3	·9902262	−672 −5	−215 0	·9903642	−700 −6	−195 −1	·9904829	−728 −6	−175 −2	·9905839	−755 −7	−156 −2	·9906692	4·7
4·8	·9908239	−590 −4	−245 +1	·9909951	−616 −5	−221 −1	·9911441	−641 −5	−198 −2	·9912734	−665 −5	−177 −2	·9913850	−689 −6	−159 −2	·9914807	4·8
4·9	·9915222	−544 −4	−253 −1	·9917023	−566 −4	−225 −2	·9918599	−587 −5	−200 −3	·9919975	−608 −5	−178 −3	·9921172	−629 −6	−159 −2	·9922211	4·9
5·0	·9921661	−498	−259 −3	·9923530	−519 −4	−229 −3	·9925170	−539 −4	−202 −3	·9926607	−556 −5	−179 −3	·9927866	−574 −5	−159 −3	·9928966	5·0
5·1	·9927602	−460	−265 −4	·9929518	−477 −4	−232 −4	·9931202	−493 −4	−203 −4	·9932683	−509 −4	−179 −3	·9933985	−524 −5	−158 −3	·9935130	5·1
5·2	·9933083	−423	−269 −5	·9935029	−433	−233 −4	·9936741	−452	−204 −4	·9938249	−466 −4	−178 −4	·9939580	−478 −4	−156 −3	·9940754	5·2
5·3	·9938141	−390	−271 −6	·9940101	−402	−235 −5	·9941828	−415	−203 −5	·9943351	−426	−177 −4	·9944697	−436	−153 −3	·9945888	5·3
5·4	·9942809	−358	−273 −7	·9944772	−370	−235 −6	·9946500	−380	−202 −5	·9948026	−390	−176 −4	·9949376	−399	−153 −4	·9950573	5·4
5·5	·9947119	−331	−274 −6	·9949072	−340	−234 −7	·9950792	−348	−201 −6	·9952311	−357	−174 −5	·9953656	−365	−151 −4	·9954850	5·5
5·6	·9951098	−306	−274 −8	·9953033	−313	−233 −8	·9954735	−319	−199 −6	·9956239	−326	−171 −5	·9957570	−334	−148 −4	·9958754	5·6
5·7	·9954772	−280	−273 −9	·9956681	−287	−231 −8	·9958359	−294	−197 −6	·9959840	−299	−169 −5	·9961152	−304	−146 −4	·9962318	5·7
5·8	·9958166	−259	−272 −10	·9960042	−264	−229 −8	·9961689	−269	−194 −7	·9963142	−274	−166 −5	·9964429	−279	−143 −4	·9965573	5·8
5·9	·9961301	−238	−270 −10	·9963138	−243	−226 −9	·9964750	−248	−191 −7	·9966169	−251	−163 −5	·9967427	−255	−140 −4	·9968544	5·9
6·0	·9964197	−226	−267 −11	·9965992	−224	−223 −9	·9967563	−227	−188 −7	·9968946	−230	−159 −6	·9970170	−232	−136 −4	·9971258	6·0

	$p = -0{\cdot}25$		$p = -0{\cdot}20$			$p = -0{\cdot}15$			$p = -0{\cdot}10$			$p = -0{\cdot}05$			$p = 0{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
·0	— —	0 0	·0000000	— —	0 0	·0000000	— —	9 0	·0000000	— —	0 0	·0000000	— —	0 9	·0000000	— —	9 9	·0
·1	−632657 —	+20766 +267	·1496222	−486253 —	+18601 +244	·1336763	−361387 —	+18861 +212	·1193965	−255361 —	+14933 +168	·1066100	−165774 —	+13390 +163	·0951626	−99560 —	+12810 +143	·1
·2	−204633 −355634	+16984 +163	·2506186	−178949 −249609	+15674 +123	·2312139	−153650 −164059	+14487 +107	·2132579	−128753 −95643	+13497 +92	·1966426	−104818 −42176	+12419 +89	·1812692	−81940 −824	+11612 +71	·2
·3	−132243 −38296	+13300 +192	·3337201	−121249 −29264	+12462 +82	·3133966	−109772 −20934	+11709 +68	·2942440	−97896 −13385	+11020 +65	·2761934	−86036 −6724	+10390 +47	·2591818	−74144 −741	+9804 +41	·3
·4	−98149 −15838	+10297 +81	·4046967	−92803 −10748	+9734 +63	·3846021	−86928 −7388	+9230 +60	·3654305	−60624 −5346	+8779 +40	·3471368	−73932 −2872	+8369 +33	·3296800	−87089 −678	+7969 +27	·4
·5	−77893 −6569	+7936 +69	·4663930	−75103 −6305	+7634 +64	·4471147	−72952 −4066	+7182 +41	·4285546	−63598 −2861	+6875 +33	·4106820	−84798 −1704	+8590 +26	·3934693	−69702 −613	+8349 +21	·5
·6	−63797 −3720	+8101 +64	·5205790	−62708 −3064	+6794 +46	·5024221	−81242 −2439	+5537 +37	·4848189	−59433 −1799	+5317 +29	·4677474	−57316 −1165	+5125 +23	·4511884	−54928 −546	+4956 +18	·6
·7	−53621 −2346	+4679 +58	·5684942	−53397 −1990	+4432 +48	·5516054	−62671 −1824	+4233 +33	·5351399	−52087 −1247	+4068 +28	·5190810	−51003 −871	+3926 +20	·5034147	−49700 −493	+3807 +17	·7
·8	−46790 −1826	+3660 +55	·6110697	−48078 −1384	+3371 +42	·5955015	−46124 −1160	+3209 +32	·5802542	−45948 −926	+3074 +25	·5653143	−46559 −691	+2968 +19	·5506710	−44979 −456	+2878 +18	·8
·9	−39654 −1143	+2731 +50	·6490376	−40139 −1012	+2549 +49	·6347853	−40538 −872	+2407 +38	·6207737	−40757 −725	+2296 +23	·6069917	−40606 −568	+2206 +18	·5934303	−40690 −410	+2137 +15	·9
1·0	−34486 −856	+2077 +46	·6829916	−35214 −776	+1913 +38	·6700153	−35823 −681	+1765 +28	·6572175	−36291 −631	+1888 +22	·6445885	−38621 −478	+1611 +17	·6321206	−36820 −364	+1552 +14	1·0
1·1	−30222 −681	+1675 +42	·7134242	−31984 −603	+1421 +36	·7016629	−31789 −647	+1398 +25	·6900322	−32496 −432	+1217 +21	·6785232	−32914 −409	+1147 +10	·6671289	−33314 −337	+1095 +13	1·1
1·2	−26644 −523	+1167 +40	·7407504	−27517 −493	+1946 +33	·7301315	−28304 −449	+937 +24	·7196063	−29003 −404	+855 +20	·7091666	−29616 −355	+789 +15	·6988058	−30145 −390	+741 +12	1·2
1·3	−23589 −423	+889 +36	·7653249	−24483 −398	+767 +31	·7557696	−25267 −375	+858 +22	·7462801	−26004 −344	+577 +19	·7368483	−26673 −310	+517 +14	·7274682	−27276 −273	+471 +12	1·3
1·4	−20967 −348	+683 +35	·7874531	−21807 −335	+636 +30	·7788811	−22604 −317	+444 +20	·7703535	−23349 −296	+368 +19	·7618627	−24041 −273	+311 +13	·7534030	−24680 −247	+287 +11	1 4
1·5	−18673 −296	+489 +33	·8074006	−19486 −261	+373 +27	·7997322	−20259 −271	+282 +19	·7920920	−20990 −268	+213 +18	·7844731	−21681 −242	+158 +12	·7768698	−22331 −225	+115 +10	1·5
1·6	−16678 −244	+367 +30	·8253995	−17446 −242	+247 +24	·8185573	−18184 −234	+164 +16	·8117315	−18869 −226	+96 +16	·8049153	−19684 −215	+44 +11	·7981035	−20207 −201	+32 +9	1·6
1·7	−14926 −206	+258 +27	·8416538	−15646 −204	+163 +22	·8355642	−16342 −203	+76 +16	·8294821	−17014 −198	+11 +14	·8234011	−17661 −191	−36 +19	·8173165	−18284 −182	−77 +9	1·7
1·8	−13366 −178	+178 +25	·8563433	−14664 −179	+83 +20	·8509367	−14794 −177	+12 +16	·8455313	−15336 −174	−69 +12	·8401209	−16949 −171	−94 +9	·8347011	−16543 −166	−132 +8	1·8
1·9	−12022 −154	+120 +23	·8696274	−12639 −155	+32 +18	·8648390	−13242 −156	−36 +14	·8600470	−13832 −163	−91 +11	·8552459	−14407 −153	−134 +9	·8504314	−14970 −147	−169 +7	1·9
2·0	−10812 −134	+74 +21	·8816476	−11379 −138	−8 +17	·8774170	−11936 −137	−69 +13	·8731795	−12482 −137	−119 +16	·8689301	−13919 −137	−160 +8	·8646647	−13544 −139	−192 +7	2·0
2·1	−9736 −117	+39 +19	·8925299	−10256 −119	−34 +16	·8888014	−19766 −121	−91 +11	·8850638	−11269 −122	−136 +9	·8813125	−11767 −123	−175 +7	·8775436	−12257 −128	−296 +6	2·1
2·2	−8776 −102	+12 +17	·9023867	−9249 −105	−65 +16	·8991093	−9718 −107	−197 +19	·8958212	−10181 −106	−149 +8	·8925182	−10637 −110	−133 +7	·8891968	−11068 −117	−211 +6	2·2
2·3	−7919 −90	−9 +18	·9113186	−8349 −93	−69 +13	·9084454	−8778 −95	−116 +9	·9055605	−9209 −96	−166 +7	·9026601	−9819 −99	−185 +6	·8997412	−19036 −99	−219 +6	2·3
2·4	−7162 −79	−28 +14	·9194155	−7642 −82	−89 +12	·9169038	−7930 −86	−123 +8	·9143798	−8315 −88	−157 +6	·9118402	−8699 −89	−185 +5	·9092820	−9078 −94	−267 +4	2·4
2·5	−6464 −70	−40 +13	·9267582	−6819 −73	−89 +11	·9245692	−7170 −76	−126 +7	·9223676	−7519 −78	−157 +8	·9201504	−7868 −80	−161 +4	·9179150	−8218 −84	−201 +4	2·5
2·6	−5846 −62	−62 +11	·9334190	−6165 −65	−95 +10	·9315177	−6484 −68	−128 +6	·9296035	−6803 −71	−165 +6	·9276738	−7118 −72	−177 +4	·9257264	−7433 −77	−194	2·6
2·7	−5291 −56	−62 +10	·9394633	−5579 −66	−100 +8	·9378176	−5897 −61	−129 +5	·9361591	−6163 −64	−152 +5	·9344853	−6440 −65	−171	·9327945	−6727 −69	−186	2·7
2·8	−4792 −50	−71 +9	·9449497	−5053 −62	−104 +8	·9435309	−5319 −54	−129 +6	·9420994	−5579 −57	−149 +4	·9406529	−5826 −59	−168	·9391899	−6083 −62	−178	2·8
2·9	−4342 −44	−79 +8	·9499308	−4574 −46	−107 +7	·9487132	−4808 −49	−126 +4	·9474827	−5040 −50	−145 +4	·9462377	−5274 −53	−169	·9449768	−5506 −63	−170	2·9
3·0	−3936 −49	−87 +7	·9544545	−4145 −41	−110 +6	·9534146	−4356 −44	−128 +4	·9523620	−4566 −46	−142	·9512951	−4773 −46	−153	·9502129	−4982 −43	−181	3·0
3·1	−3579 −36	−93 +6	·9585637	−3758 −37	−113 +6	·9576806	−3945 −39	−127	·9567848	−4132 −41	−139	·9558752	−4329 −43	−147	·9549508	−4509 −44	−154	3·1
3·2	−3239 −32	−99 +6	·9622971	−3497 −34	−115 +5	·9615521	−3676 −36	−127	·9607944	−3742 −37	−136	·9600232	−3911 −39	−142	·9592378	−4080 −49	−147	3·2
3·3	−2940 −29	−105 +4	·9656898	−3091 −30	−118 +4	·9650661	−3240 −32	−126	·9644298	−3391 −33	−133	·9637802	−3541 −35	−138	·9631168	−3691 −37	−141	3·3
3·4	−2679 −26	−111 +4	·9687734	−2603 −27	−120	·9682560	−2936 −28	−128	·9677261	−3072 −39	−130	·9671831	−3208 −32	−133	·9666267	−3340 −33	−135	3·4
3·5	−2426 −23	−116 +3	·9715767	−2545 −24	−122	·9711522	−2664 −26	−126	·9707152	−2782 −27	−128	·9702654	−2902 −29	−129	·9698026	−3022 −31	−130	3·5
3·6	−2294 −21	−120 +2	·9741255	−2310 −22	−124	·9737821	−2418 −24	−125	·9734261	−2523 −24	−126	·9730575	−2628 −26	−126	·9726763	−2735 −29	−125	3·6
3·7	−2003 −19	−124 +2	·9764433	−2097 −20	−128	·9761703	−2192 −21	−126	·9758847	−2285 −22	−124	·9755867	−2380 −23	−123	·9752765	−2475 −27	−121	3·7
3·8	−1821 −17	−128 +1	·9785514	−1905 −16	−127	·9783394	−1986 −19	−125	·9781148	−2072 −29	−122	·9778780	−2155 −21	−120	·9776292	−2238 −25	−117	3·8
3·9	−1656 −15	−132 +1	·9804690	−1739 −16	−129	·9803096	−1804 −17	−126	·9801377	−1876 −18	−121	·9799538	−1952 −19	−117	·9797581	−2026 −22	−113	3·9
4·0	−1507 −14	−135 0	·9822136	−1573 −16	−136	·9820994	−1637 −16	−124	·9819728	−1702 −17	−129	·9818343	−1768 −18	−114	·9816844	−1834 −20	−109	4·0
4·1	−1371 −13	−137 0	·9838009	−1428 −14	−131	·9837255	−1488 −14	−124	·9836377	−1644 −16	−116	·9835381	−1601 −16	−112	·9834273	−1658 −18	−106	4·1
4·2	−1248 −11	−139 0	·9852454	−1299 −12	−131	·9852029	−1349 −13	−123	·9851482	−1400 −13	−116	·9850818	−1450 −14	−110	·9850044	−1591 −16	−104	4·2
4·3	−1136 −19	−140 −1	·9865600	−1181 −11	−133	·9865455	−1225 −12	−123	·9865187	−1269 −12	−115	·9864805	−1314 −13	−108	·9864314	−1357 −15	−101	4·3
4·4	−1034 −9	−142 −1	·9877565	−1073 −10	−132	·9877655	−1119 −11	−122	·9877623	−1162 −11	−113	·9877478	−1190 −12	−108	·9877227	−1239 −13	−99	4·4
4·5	−942 −8	−143 −1	·9888457	−976 −9	−132	·9888743	−1010 −10	−121	·9888907	−1043 −10	−112	·9888960	−1078 −11	−194	·9888910	−1111 −12	−96	4·5
4·6	−858 −8	−143 −2	·9898373	−886 −8	−131	·9898820	−917 −9	−119	·9899148	−948 −9	−110	·9899365	−977 −10	−101	·9899482	−1007 −11	−93	4·6
4·7	−781 −7	−143 −2	·9907401	−807 −8	−130	·9907980	−833 −8	−118	·9908441	−859 −9	−106	·9908794	−835 −9	−99	·9909017	−910 −19	−81	4·7
4·8	−712 −6	−143 −2	·9915622	−735 −7	−129	·9916307	−767 −7	−117	·9916875	−779 −8	−196	·9917337	−801 −8	−97	·9917703	−823 −9	−69	4·8
4·9	−649 −6	−142 −2	·9923108	−669 −6	−128	·9923876	−868 −6	−115	·9924530	−707 −7	−104	·9925080	−726 −7	−85	·9925534	−743 −8	−87	4·9
5·0	−591 −6	−141 −3	·9929925	−607 −6	−126	·9930758	−625 −6	−113	·9931478	−641 −6	−102	·9932096	−658 −6	−93	·9932621	−675 −7	−64	5·0
5·1	−539 −6	−140 −3	·9936135	−554 −6	−125	·9937015	−568 −6	−111	·9937785	−583 −6	−190	·9938454	−596 −8	−90	·9939033	−611 −7	−82	5·1
5·2	−491 −4	−138 −3	·9941791	−504 −4	−123	·9942704	−516 −5	−109	·9943509	−528 −5	−98	·9944216	−540 −6	−88	·9944834	−551 −6	−80	5·2
5·3	−448 −4	−138 −3	·9946943	−458 −4	−121	·9947877	−469 −4	−107	·9948705	−479 −5	−96	·9949437	−489 −5	−66	·9950084	−500 −5	−77	5·3
5·4	−408	−134 −3	·9951637	−418 −4	−118	·9952582	−426 −4	−104	·9953422	−434 −4	−93	·9954170	−443 −4	−63	·9954834	−452 −4	−75	5·4
5·5	−373	−131 −3	·9955913	−366	−116	·9956860	−387 −4	−102	·9957705	−398 −4	−91	·9958459	−402 −4	−61	·9959132	−409 −4	−72	5·5
5·6	−340	−129 −4	·9959809	−346	−113	·9960750	−352	−99	·9961592	−357	−66	·9962346	−364 −4	−79	·9963021	−370 −4	−70	5·6
5·7	−310	−126 −4	·9963359	−316	−111	·9964289	−320	−97	·9965122	−326	−80	·9965869	−330	−76	·9966540	−335	−68	5·7
5·8	−283	−123 −4	·9966594	−287	−108	·9967507	−291	−94	·9968326	−295	−63	·9969062	−299	−74	·9969724	−302	−66	5·8
5·9	−258	−120 −4	·9969542	−262	−105	·9970434	−265	−91	·9971235	−267	−61	·9971956	−271	−71	·9972606	−275	−63	5·9
6·0	−235	−117 −4	·9972228	−237	−102	·9973097	−241	−69	·9973877	−244	−78	·9974579	−248	−89	·9975213	−249	−81	6·0

	$p=-0{\cdot}50$			$p=-0{\cdot}45$			$p=-0{\cdot}40$			$p=-0{\cdot}35$			$p=-0{\cdot}30$			$p=-0{\cdot}25$	
u	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	u
6·0	·9964197	−225	−267 −11	·9965992	−224	−223 −9	·9967563	−227	−188 −7	·9968946	−230	−159 −6	·9970170	−232	−136 −4	·9971258	6·0
6·1	·9966873	−203	−264 −11	·9968621	−206	−220 −9	·9970149	−208	−184 −7	·9971493	−211	−156 −6	·9972681	−213	−133 −5	·9973736	6·1
6·2	·9969346	−187	−261 −12	·9971045	−190	−216 −9	·9972527	−191	−181 −7	·9973829	−193	−152 −6	·9974979	−196	−130 −6	·9975999	6·2
6·3	·9971632	−174	−257 −12	·9973279	−174	−212 −9	·9974714	−177	−177 −7	·9975972	−177	−149 −6	·9977082	−177	−126 −5	·9978066	6·3
6·4	·9973744	−160	−252 −12	·9975338	−161	−206 −10	·9976724	−160	−173 −7	·9977938	−162	−145 −6	·9979007	−164	−122 −5	·9979954	6·4
6·5	·9975698	−148	−248 −13	·9977237	−148	−203 −10	·9978574	−149	−168 −7	·9979742	−149	−141 −6	·9980770	−150	−119 −5	·9981679	6·5
6·6	·9977504	−136	−243 −13	·9978988	−136	−198 −10	·9980275	−137	−164 −7	·9981397	−136	−136 −6	·9982383	−137	−115 −5	·9983254	6·6
6·7	·9979174	−126	−238 −13	·9980603	−125	−193 −10	·9981839	−124	−159 −7	·9982916	−125	−132 −6	·9983861	−126	−111 −5	·9984694	6·7
6·8	·9980718	−116	−232 −13	·9982092	−116	−188 −10	·9983279	−116	−155 −7	·9984310	−116	−128 −6	·9985213	−116	−108 −5	·9986009	6·8
6·9	·9982146	−106	−227 −13	·9983466	−106	−183 −10	·9984603	−106	−150 −7	·9985589	−105	−124 −6	·9986452	−105	−104 −5	·9987210	6·9
7·0	·9983468	−98	−221 −14	·9984734	−98	−178 −10	·9985821	−98	−146 −7	·9986764	−98	−120 −6	·9987586	−95	−100 −5	·9988308	7·0
7·1	·9984690	−91	−215 −14	·9985903	−90	−173 −10	·9986943	−90	−141 −7	·9987842	−88	−116 −6	·9988625	−86	−96 −5	·9989311	7·1
7·2	·9985821	−85	−209 −14	·9986982	−83	−168 −10	·9987974	−83	−136 −7	·9988831	−81	−112 −6	·9989576	−78	−93 −5	·9990228	7·2
7·3	·9986867	−78	−204 −14	·9987977	−77	−162 −10	·9988924	−76	−132 −7	·9989740	−74	−108 −6	·9990447	−73	−89 −5	·9991066	7·3
7·4	·9987835	−71	−198 −14	·9988896	−71	−157 −10	·9989798	−69	−127 −7	·9990574	−68	−104 −6	·9991246	−67	−86 −6	·9991832	7·4
7·5	·9988732	−66	−192 −14	·9989743	−65	−152 −10	·9990603	−64	−123 −7	·9991340	−63	−100 −5	·9991977	−61	−82 −4	·9992531	7·5
7·6	·9989561	−61	−186 −14	·9990526	−60	−147 −10	·9991343	−58	−118 −7	·9992043	−57	−96 −5	·9992646	−57	−79 −4	·9993171	7·6
7·7	·9990329	−58	−180 −14	·9991248	−56	−142 −10	·9992025	−54	−114 −7	·9992689	−53	−92 −6	·9993260	−51	−76 −4	·9993756	7·7
7·8	·9991039	−52	−174 −13	·9991915	−51	−137 −8	·9992653	−50	−109 −7	·9993282	−48	−88 −5	·9993822	−47	−72	·9994290	7·8
7·9	·9991697	−49	−168 −13	·9992530	−47	−132 −8	·9993231	−46	−105 −6	·9993826	−44	−85 −6	·9994337	−43	−69	·9994778	7·9
8·0	·9992306	−46	−163 −13	·9993098	−44	−127 −9	·9993763	−42	−101 −6	·9994327	−41	−81 −5	·9994809	−39	−66	·9995225	8·0
8·1	·9992870	−41	−157 −13	·9993623	−40	−123 −9	·9994253	−39	−97 −6	·9994786	−37	−78 −4	·9995241	−36	−64	·9995633	8·1
8·2	·9993393	−38	−151 −13	·9994107	−37	−118 −9	·9994704	−36	−93 −6	·9995208	−34	−75 −4	·9995638	−33	−61	·9996006	8·2
8·3	·9993876	−36	−146 −12	·9994555	−34	−113 −9	·9995120	−33	−89 −5	·9995596	−32	−71 −4	·9996001	−30	−58	·9996348	8·3
8·4	·9994324	−33	−141 −12	·9994968	−32	−109 −8	·9995503	−31	−86 −5	·9995952	−29	−68 −4	·9996333	−28	−55	·9996659	8·4
8·5	·9994739	−31	−135 −12	·9995350	−29	−105 −8	·9995855	−28	−82 −5	·9996279	−27	−65 −4	·9996638	−26	−52	·9996945	8·5
8·6	·9995123	−28	−130 −12	·9995702	−27	−100 −8	·9996180	−26	−79 −5	·9996580	−24	−62 −4	·9996918	−23	−50	·9997205	8·6
8·7	·9995479	−26	−125 −12	·9996027	−25	−96 −8	·9996479	−24	−75 −5	·9996856	−22	−59 −4	·9997174	−21	−48	·9997444	8·7
8·8	·9995809	−24	−120 −12	·9996328	−23	−92 −8	·9996755	−22	−72 −5	·9997110	−20	−57 −4	·9997409	−20	−45	·9997662	8·8
8·9	·9996115	−23	−115 −11	·9996606	−21	−88 −8	·9997009	−21	−68 −4	·9997343	−18	−54 −4	·9997624	−18	−43	·9997861	8·9
9·0	·9996398	−21	−111 −11	·9996863	−20	−84 −8	·9997243	−19	−66 −4	·9997558	−17	−51 −4	·9997821	−16	−41	·9998044	9·0
9·1	·9996660	−19	−107 −11	·9997100	−18	−81 −7	·9997458	−17	−63 −4	·9997755	−16	−49 −4	·9998002	−15	−39	·9998210	9·1
9·2	·9996903	−18	−102 −11	·9997319	−17	−77 −7	·9997657	−16	−60 −4	·9997936	−15	−46	·9998168	−14	−37	·9998363	9·2
9·3	·9997128	−17	−97 −11	·9997521	−16	−74 −7	·9997840	−14	−57 −4	·9998102	−13	−44	·9998320	−13	−35	·9998502	9·3
9·4	·9997337	−16	−93 −10	·9997708	−14	−71 −6	·9998009	−13	−54 −4	·9998255	−12	−42	·9998459	−12	−33	·9998630	9·4
9·5	·9997530	−15	−89 −10	·9997881	−13	−68 −5	·9998164	−12	−51 −4	·9998395	−11	−40	·9998587	−11	−31	·9998747	9·5
9·6	·9997710	−14	−86 −10	·9998041	−12	−65 −6	·9998307	−11	−49 −4	·9998525	−10	−38	·9998704	−10	−29	·9998853	9·6
9·7	·9997876	−12	−83 −9	·9998188	−11	−62 −6	·9998439	−10	−47 −4	·9998643	−10	−36	·9998811	−9	−28	·9998951	9·7
9·8	·9998030	−11	−79 −9	·9998325	−10	−59 −6	·9998561	−10	−44 −4	·9998752	−9	−34	·9998910	−8	−26	·9999040	9·8
9·9	·9998173	−11	−76 −9	·9998451	−10	−56 −6	·9998673	−9	−42 −4	·9998853	−8	−32	·9999000	−7	−25	·9999122	9·9
10·0	·9998305	−10	−72 −9	·9998567	−9	−54 −6	·9998776	−8	−40 −4	·9998945	−7	−31	·9999083	−7	−24	·9999196	10·0
10·1	·9998428	−10	−69 −8	·9998675	−8	−51 −5	·9998872	−7	−38 −4	·9999030	−7	−29	·9999159	−6	−23	·9999265	10·1
10·2	·9998541	−8	−66 −8	·9998775	−8	−49 −5	·9998959	−7	−37	·9999108	−6	−28	·9999228	−6	−22	·9999327	10·2
10·3	·9998647	−8	−63 −8	·9998867	−7	−46 −5	·9999040	−6	−35	·9999179	−6	−26	·9999292	−5	−20	·9999384	10·3
10·4	·9998745	−7	−60 −8	·9998952	−6	−44 −5	·9999115	−6	−33	·9999245	−5	−25	·9999351	−5	−19	·9999437	10·4
10·5	·9998835	−7	−57 −8	·9999031	−6	−42 −5	·9999184	−5	−31	·9999306	−5	−24	·9999404	−5	−18	·9999485	10·5
10·6	·9998920	−6	−55 −8	·9999103	−5	−40 −5	·9999247	−6	−30	·9999361	−4	−22	·9999453	−4	−17	·9999528	10·6
10·7	·9998998	−6	−52 −7	·9999171	−6	−38 −5	·9999306	−5	−28	·9999413	−4	−21	·9999499	−4	−16	·9999568	10·7
10·8	·9999070	−6	−50 −7	·9999233	−5	−36 −5	·9999360	−4	−27	·9999460	−4	−20	·9999540		−15	·9999605	10·8
10·9	·9999137	−6	−48 −6	·9999290	−4	−34 −5	·9999409	−4	−25	·9999503		−19	·9999578		−14	·9999639	10·9
11·0	·9999199	−5	−45 −6	·9999343	−4	−33 −4	·9999455	−4	−24	·9999543		−18	·9999613		−14	·9999669	11·0
11·1	·9999257	−4	−43 −6	·9999393	−4	−31 −4	·9999497		−23	·9999580		−17	·9999645		−13	·9999697	11·1
11·2	·9999310	−4	−41 −6	·9999438		−29 −4	·9999536		−22	·9999613		−16	·9999674		−12	·9999723	11·2
11·3	·9999360	−4	−39 −6	·9999480		−28 −4	·9999572		−20	·9999644		−15	·9999701		−11	·9999747	11·3
11·4	·9999406	−4	−37 −5	·9999519		−26 −4	·9999605		−19	·9999673		−14	·9999726		−10	·9999768	11·4
11·5	·9999449		−35 −5	·9999555		−24	·9999636		−18	·9999699		−13	·9999748		−10	·9999788	11·5
11·6	·9999488		−34 −5	·9999588		−23	·9999664		−17	·9999723		−12	·9999769		−9	·9999806	11·6
11·7	·9999525		−33 −5	·9999619		−22	·9999690		−16	·9999745		−12	·9999788		−9	·9999822	11·7
11·8	·9999559		−31 −5	·9999647		−21	·9999714		−15	·9999765		−11	·9999806		−8	·9999837	11·8
11·9	·9999591		−30 −5	·9999674		−20	·9999736		−14	·9999784		−11	·9999822		−8	·9999851	11·9
12·0	·9999620		−28 −4	·9999698		−19	·9999757		−13	·9999801		−10	·9999836		−7	·9999864	12·0

	$p = -0·25$		$p = -0·20$			$p = -0·15$			$p = -0·10$			$p = -0·05$			$p = 0·0$			
u	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	$I(u, p)$	δ^2_u δ^4_u	δ^2_p δ^4_p	u
6·0	−235	−117 −4	·9972228	−237	−102	·9973097	−241	−89	·9973877	−244	−78	·9974579	−246	−69	·9975212	−249	−61	6·0
6·1	−215	−114 −4	·9974677	−217	−99	·9975519	−219	−86	·9976275	−220	−75	·9976956	−223	−66	·9977571	−223	−58	6·1
6·2	−196	−111 −4	·9976909	−198	−96	·9977722	−199	−83	·9978453	−201	−73	·9979111	−202	−64	·9979706	−204	−56	6·2
6·3	−179	−107 −4	·9978943	−180	−93	·9979727	−181	−80	·9980430	−181	−70	·9981064	−183	−61	·9981637	−184	−54	6·3
6·4	−163	−104 −4	·9980797	−164	−90	·9981550	−164	−77	·9982226	−165	−67	·9982835	−166	−59	·9983384	−165	−52	6·4
6·5	−149	−101 −4	·9982487	−149	−87	·9983209	−150	−74	·9983857	−151	−65	·9984439	−150	−57	·9984966	−152	−50	6·5
6·6	−136	−97 −4	·9984028	−136	−84	·9984719	−136	−72	·9985337	−135	−62	·9985894	−136	−54	·9986396	−135	−48	6·6
6·7	−124	−94 −4	·9985433	−124	−81	·9986092	−124	−69	·9986682	−124	−60	·9987212	−123	−52	·9987691	−124	−45	6·7
6·8	−114	−90 −4	·9986714	−113	−78	·9987342	−113	−66	·9987903	−112	−57	·9988408	−112	−50	·9988862	−111	−43	6·8
6·9	−104	−86 −4	·9987882	−103	−75	·9988479	−102	−63	·9989012	−102	−55	·9989491	−101	−48	·9989922	−101	−41	6·9
7·0	−95	−84 −4	·9988947	−93	−72	·9989513	−93	−61	·9990019	−92	−52	·9990473	−92	−45	·9990881	−91	−40	7·0
7·1	−86	−81 −4	·9989918	−86	−69	·9990455	−85	−58	·9990934	−84	−50	·9991363	−83	−43	·9991749	−83	−38	7·1
7·2	−79	−78 −4	·9990803	−79	−66	·9991312	−77	−56	·9991765	−77	−48	·9992170	−75	−41	·9992534	−74	−36	7·2
7·3	−72	−74 −4	·9991610	−71	−63	·9992091	−70	−53	·9992519	−69	−46	·9992902	−68	−39	·9993245	−68	−34	7·3
7·4	−66	−71 −4	·9992346	−65	−60	·9992801	−64	−51	·9993204	−63	−43	·9993565	−62	−37	·9993887	−60	−32	7·4
7·5	−60	−68	·9993018	−59	−58	·9993447	−58	−48	·9993827	−57	−41	·9994166	−56	−36	·9994469	−54	−31	7·5
7·6	−55	−65	·9993630	−54	−55	·9994034	−52	−46	·9994392	−52	−39	·9994711	−51	−34	·9994995	−49	−29	7·6
7·7	−50	−63	·9994189	−49	−53	·9994569	−48	−44	·9994906	−47	−37	·9995205	−46	−32	·9995472	−46	−27	7·7
7·8	−46	−60	·9994698	−45	−50	·9995056	−44	−42	·9995372	−43	−35	·9995653	−42	−30	·9995903	−41	−26	7·8
7·9	−42	−57	·9995163	−41	−48	·9995499	−40	−40	·9995796	−39	−34	·9996059	−38	−29	·9996293	−38	−25	7·9
8·0	−39	−54	·9995587	−38	−46	·9995902	−36	−39	·9996181	−36	−33	·9996427	−34	−27	·9996645	−35	−23	8·0
8·1	−35	−52	·9995973	−34	−44	·9996270	−33	−36	·9996530	−32	−31	·9996760	−31	−26	·9996965	−32	−22	8·1
8·2	−32	−49	·9996326	−31	−41	·9996604	−30	−34	·9996848	−29	−29	·9997063	−28	−25	·9997253	−29	−21	8·2
8·3	−29	−47	·9996647	−28	−39	·9996908	−27	−32	·9997136	−27	−27	·9997337	−26	−23	·9997515	−26	−20	8·3
8·4	−27	−45	·9996941	−26	−37	·9997185	−25	−31	·9997398	−24	−26	·9997586	−23	−22	·9997751	−24	−19	8·4
8·5	−24	−43	·9997208	−23	−35	·9997437	−23	−29	·9997636	−22	−23	·9997811	−21	−21	·9997965	−22	−17	8·5
8·6	−22	−40	·9997453	−21	−34	·9997666	−21	−28	·9997852	−20	−23	·9998015	−19	−19	·9998159	−20	−16	8·6
8·7	−20	−38	·9997675	−19	−32	·9997875	−19	−26	·9998049	−18	−22	·9998201	−17	−18	·9998334	−17	−15	8·7
8·8	−19	−36	·9997879	−18	−30	·9998065	−17	−23	·9998227	−17	−21	·9998369	−16	−17	·9998493	−15	−15	8·8
8·9	−17	−34	·9998064	−16	−28	·9998238	−16	−23	·9998389	−15	−19	·9998521	−14	−16	·9998636	−13	−14	8·9
9·0	−16	−32	·9998233	−14	−27	·9998396	−14	−22	·9998536	−13	−18	·9998659	−13	−15	·9998766	−11	−13	9·0
9·1	−14	−31	·9998388	−14	−26	·9998539	−13	−21	·9998670	−12	−17	·9998784	−12	−14	·9998883	−10	−12	9·1
9·2	−13	−29	·9998529	−13	−24	·9998670	−12	−19	·9998792	−11	−16	·9998898	−11	−13	·9998990	−10	−12	9·2
9·3	−12	−27	·9998657	−11	−23	·9998789	−11	−18	·9998902	−10	−15	·9999000	−10	−12	·9999086	−9	−11	9·3
9·4	−11	−26	·9998774	−10	−22	·9998897	−10	−17	·9999003	−9	−14	·9999094	−9	−12	·9999173	−9	−10	9·4
9·5	−10	−24	·9998881	−9	−20	·9998996	−9	−16	·9999094	−8	−13	·9999178	−8	−11	·9999251	−7	−10	9·5
9·6	−9	−23	·9998979	−9	−19	·9999085	−8	−15	·9999177	−7	−12	·9999255	−7	−11	·9999323	−6	−9	9·6
9·7	−8	−22	·9999068	−8	−18	·9999167	−7	−14	·9999252	−7	−12	·9999324	−7	−10	·9999387	−5	−8	9·7
9·8	−8	−21	·9999150	−7	−17	·9999242	−7	−13	·9999320	−6	−11	·9999387	−6	−10	·9999445	−4	−8	9·8
9·9	−7	−20	·9999224	−6	−16	·9999309	−6	−12	·9999382	−6	−10	·9999445	−5	−9	·9999498	−4	−7	9·9
10·0	−6	−19	·9999291	−6	−15	·9999371	−6	−12	·9999439	−5	−10	·9999496	−5	−8	·9999546	−4	−7	10·0
10·1	−6	−18	·9999353	−5	−15	·9999427	−5	−11	·9999490	−5	−9	·9999543	−4	−8	·9999589	−4	−6	10·1
10·2	−5	−17	·9999410	−5	−14	·9999478	−5	−11	·9999537	−4	−9	·9999586	−4	−7	·9999628		−6	10·2
10·3	−5	−16	·9999461	−4	−13	·9999525	−4	−10	·9999579		−8	·9999625		−7	·9999664		−6	10·3
10·4	−4	−15	·9999508	−4	−12	·9999567	−4	−9	·9999617		−8	·9999660		−6	·9999696		−5	10·4
10·5	−4	−14	·9999551	−4	−11	·9999606		−9	·9999652		−7	·9999691		−6	·9999725		−5	10·5
10·6	−4	−13	·9999590		−11	·9999641		−8	·9999684		−7	·9999720		−6	·9999751		−4	10·6
10·7		−12	·9999626		−10	·9999673		−8	·9999713		−6	·9999746		−5	·9999775		−4	10·7
10·8		−12	·9999658		−10	·9999702		−7	·9999739		−6	·9999770		−5	·9999796		−4	10·8
10·9		−11	·9999688		−9	·9999729		−7	·9999763		−6	·9999791		−5	·9999815		−4	10·9
11·0		−10	·9999715		−9	·9999753		−6	·9999784		−5	·9999811		−4	·9999833			11·0
11·1		−10	·9999740		−8	·9999775		−6	·9999804		−5	·9999828		−4	·9999849			11·1
11·2		−9	·9999763		−7	·9999795		−6	·9999822		−4	·9999844			·9999863			11·2
11·3		−9	·9999783		−7	·9999813		−5	·9999838		−4	·9999859			·9999876			11·3
11·4		−8	·9999802		−7	·9999830		−5	·9999853		−4	·9999872			·9999888			11·4
11·5		−8	·9999820		−6	·9999845		−4	·9999866			·9999884			·9999898			11·5
11·6		−7	·9999835		−6	·9999859		−4	·9999879			·9999895			·9999908			11·6
11·7		−7	·9999850		−5	·9999872		−4	·9999890			·9999905			·9999917			11·7
11·8		−6	·9999863		−6	·9999883		−4	·9999900			·9999914			·9999925			11·8
11·9		−6	·9999875		−5	·9999893			·9999909			·9999922			·9999932			11·9
12·0		−5	·9999886		−4	·9999903			·9999917			·9999929			·9999939			12·0

	$p = -0·50$			$p = -0·45$			$p = -0·40$			$p = -0·35$			$p = -0·30$			$p = -0·25$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
12·0	·9999620		−28 −4	·9999698		−19	·9999757		−13	·9999801		−10	·9999836		−7	·9999864	12·0
12·1	·9999648		−26 −4	·9999721		−18	·9999776		−13	·9999817		−10	·9999850		−7	·9999875	12·1
12·2	·9999673		−25 −4	·9999742		−17	·9999793		−12	·9999832		−9	·9999862		−7	·9999886	12·2
12·3	·9999696		−24 −4	·9999761		−16	·9999809		−12	·9999845		−9	·9999873		−6	·9999895	12·3
12·4	·9999718		−22 −4	·9999779		−15	·9999824		−11	·9999858		−6	·9999884		−6	·9999904	12·4
12·5	·9999738		−21 −4	·9999795		−14	·9999837		−10	·9999869		−8	·9999893		−5	·9999912	12·5
12·6	·9999757		−20	·9999810		−14	·9999850		−10	·9999880		−7	·9999902		−5	·9999920	12·6
12·7	·9999774		−19	·9999825		−13	·9999861		−9	·9999889		−7	·9999910		−5	·9999927	12·7
12·8	·9999791		−18	·9999838		−12	·9999872		−9	·9999898		−6	·9999918		−4	·9999933	12·8
12·9	·9999806		−17	·9999850		−12	·9999882		−8	·9999906		−6	·9999924		−4	·9999938	12·9
13·0	·9999819		−16	·9999861		−11	·9999891		−8	·9999914		−6	·9999931		−4	·9999944	13·0
13·1	·9999832		−15	·9999871		−11	·9999900		−7	·9999920		−5	·9999936		−4	·9999948	13·1
13·2	·9999844		−15	·9999881		−10	·9999907		−7	·9999927		−5	·9999942			·9999953	13·2
13·3	·9999856		−14	·9999890		−10	·9999914		−7	·9999933		−5	·9999946			·9999957	13·3
13·4	·9999866		−13	·9999898		−0	·9999921		−6	·9999938		−4	·9999951			·9999960	13·4
13·5	·9999875		−13	·9999905		−9	·9999927		−8	·9999943		−4	·9999955			·9999964	13·5
13·6	·9999884		−12	·9999912		−8	·9999933		−5	·9999948		−4	·9999959			·9999967	13·6
13·7	·9999893		−12	·9999919		−8	·9999938		−5	·9999952		−4	·9999962			·9999970	13·7
13·8	·9999900		−11	·9999925		−7	·9999943		−5	·9999956			·9999965			·9999972	13·8
13·9	·9999907		−10	·9999931		−7	·9999947		−5	·9999959			·9999968			·9999975	13·9
14·0	·9999914		−10	·9999936		−6	·9999951		−4	·9999962			·9999971			·9999977	14·0
14·1	·9999920		−9	·9999940		−6	·9999955		−4	·9999965			·9999973			·9999979	14·1
14·2	·9999926		−9	·9999945		−8	·9999958		−4	·9999968			·9999975			·9999980	14·2
14·3	·9999931		−8	·9999949		−5	·9999962		−4	·9999971			·9999977			·9999982	14·3
14·4	·9999936		−8	·9999953		−5	·9999965		−4	·9999973			·9999979			·9999984	14·4
14·5	·9999941		−7	·9999956		−5	·9999967			·9999975			·9999981			·9999985	14·5
14·6	·9999945		−7	·9999960		−4	·9999970			·9999977			·9999982			·9999986	14·6
14·7	·9999949		−7	·9999963		−4	·9999972			·9999979			·9999984			·9999987	14·7
14·8	·9999952		−6	·9999965		−4	·9999974			·9999981			·9999985			·9999988	14·8
14·9	·9999956		−6	·9999968		−4	·9999976			·9999982			·9999986			·9999989	14·9
15·0	·9999959		−6	·9999970			·9999978			·9999984			·9999988			·9999990	15·0
15·1	·9999962		−5	·9999972			·9999980			·9999985			·9999989			·9999991	15·1
15·2	·9999965		−5	·9999974			·9999981			·9999986			·9999989			·9999992	15·2
15·3	·9999967		−5	·9999976			·9999983			·9999987			·9999990			·9999993	15·3
15·4	·9999969		−5	·9999978			·9999984			·9999988			·9999991			·9999993	15·4
15·5	·9999972		−4	·9999980			·9999985			·9999989			·9999992			·9999994	15·5
15·6	·9999974		−4	·9999981			·9999986			·9999990			·9999993			·9999994	15·6
15·7	·9999975		−4	·9999983			·9999987			·9999991			·9999993			·9999995	15·7
15·8	·9999977		−4	·9999984			·9999988			·9999992			·9999994			·9999995	15·8
15·9	·9999979			·9999985			·9999989			·9999992			·9999994			·9999996	15·9
16·0	·9999980			·9999986			·9999990			·9999993			·9999995			·9999996	16·0
16·1	·9999982			·9999987			·9999991			·9999993			·9999995			·9999996	16·1
16·2	·9999983			·9999988			·9999992			·9999994			·9999996			·9999997	16·2
16·3	·9999984			·9999989			·9999992			·9999994			·9999996			·9999997	16·3
16·4	·9999985			·9999990			·9999993			·9999995			·9999996			·9999997	16·4
16·5	·9999986			·9999991			·9999993			·9999995			·9999997			·9999997	16·5
16·6	·9999987			·9999991			·9999994			·9999996			·9999997			·9999998	16·6
16·7	·9999988			·9999992			·9999994			·9999996			·9999997			·9999998	16·7
16·8	·9999989			·9999993			·9999995			·9999996			·9999997			·9999998	16·8
16·9	·9999990			·9999993			·9999995			·9999997			·9999998			·9999998	16·9
17·0	·9999991			·9999994			·9999996			·9999997			·9999998			·9999998	17·0
17·1	·9999991			·9999994			·9999996			·9999997			·9999998			·9999998	17·1
17·2	·9999992			·9999994			·9999996			·9999997			·9999998			·9999999	17·2
17·3	·9999992			·9999995			·9999997			·9999998			·9999998			·9999999	17·3
17·4	·9999993			·9999995			·9999997			·9999998			·9999998			·9999999	17·4
17·5	·9999993			·9999996			·9999997			·9999998			·9999999			·9999999	17·5
17·6	·9999994			·9999996			·9999997			·9999998			·9999999			·9999999	17·6
17·7	·9999994			·9999996			·9999997			·9999998			·9999999			·9999999	17·7
17·8	·9999995			·9999997			·9999998			·9999998			·9999999			·9999999	17·8
17·9	·9999995			·9999997			·9999998			·9999999			·9999999			·9999999	17·9
18·0	·9999995			·9999997			·9999998			·9999999			·9999999			·9999999	18·0

	$p=-0{\cdot}25$		$p=-0{\cdot}20$			$p=-0{\cdot}15$			$p=-0{\cdot}10$			$p=-0{\cdot}05$			$p=0{\cdot}0$			
u	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	u
12·0		-5	·9999886		-4	·9999903			·9999917			·9999929			·9999939			12·0
12·1		-5	·9999896		-4	·9999912			·9999925			·9999936			·9999944			12·1
12·2		-5	·9999905		-4	·9999919			·9999932			·9999942			·9999950			12·2
12·3		-4	·9999913		-4	·9999927			·9999938			·9999947			·9999954			12·3
12·4		-4	·9999921			·9999933			·9999944			·9999952			·9999959			12·4
12·5		-4	·9999927			·9999939			·9999949			·9999956			·9999963			12·5
12·6		-4	9999934			·9999945			·9999953			·9999960			·9999966			12·6
12·7			·9999940			·9999950			·9999958			·9999964			·9999969			12·7
12·8			·9999945			·9999954			·9999962			·9999968			·9999972			12·8
12·9			·9999950			·9999958			·9999965			·9999971			·9999975			12·9
13·0			·9999954			·9999962			·9999968			·9999973			·9999977			13·0
13·1			·9999958			·9999965			·9999971			·9999976			·9999980			13·1
13·2			·9999962			·9999968			·9999974			·9999978			·9999981			13·2
13·3			·9999965			·9999971			·9999976			·9999980			·9999983			13·3
13·4			·9999968			·9999974			·9999978			·9999982			·9999985			13·4
13·5			·9999971			·9999976			·9999980			·9999984			·9999986			13·5
13·6			·9999973			·9999978			·9999982			·9999985			·9999988			13·6
13·7			·9999976			·9999980			·9999984			·9999987			·9999989			13·7
13·8			·9999978			·9999982			·9999985			·9999988			·9999990			13·8
13·9			·9999980			·9999984			·9999987			·9999989			·9999991			13·9
14·0			·9999982			·9999985			·9999988			·9999990			·9999992			14·0
14·1			·9999983			·9999986			·9999989			·9999991			·9999992			14·1
14·2			·9999985			·9999988			·9999990			·9999992			·9999993			14·2
14·3			·9999986			·9999989			·9999991			·9999993			·9999994			14·3
14·4			·9999987			·9999990			·9999992			·9999993			·9999994			14·4
14·5			·9999988			·9999991			·9999992			·9999994			·9999995			14·5
14·6			·9999989			·9999991			·9999993			·9999994			·9999995			14·6
14·7			·9999990			·9999992			·9999994			·9999995			·9999996			14·7
14·8			·9999991			·9999993			·9999994			·9999995			·9999996			14·8
14·9			·9999992			·9999994			·9999995			·9999996			·9999997			14·9
15·0			·9999993			·9999994			·9999995			·9999996			·9999997			15·0
15·1			·9999993			·9999995			·9999996			·9999997			·9999997			15·1
15·2			·9999994			·9999995			·9999996			·9999997			·9999997			15·2
15·3			·9999994			·9999996			·9999997			·9999997			·9999998			15·3
15·4			·9999995			·9999996			·9999997			·9999997			·9999998			15·4
15·5			·9999995			·9999996			·9999997			·9999998			·9999998			15·5
15·6			·9999996			·9999997			·9999997			·9999998			·9999998			15·6
15·7			·9999996			·9999997			·9999998			·9999998			·9999998			15·7
15·8			·9999997			·9999997			·9999998			·9999998			·9999999			15·8
15·9			·9999997			·9999997			·9999998			·9999998			·9999999			15·9
16·0			·9999997			·9999998			·9999998			·9999999			·9999999			16·0
16·1			·9999997			·9999998			·9999998			·9999999			·9999999			16·1
16·2			·9999998			·9999998			·9999998			·9999999			·9999999			16·2
16·3			·9999998			·9999998			·9999999			·9999999			·9999999			16·3
16·4			·9999998			·9999998			·9999999			·9999999			·9999999			16·4
16·5			·9999998			·9999999			·9999999			·9999999			·9999999			16·5
16·6			·9999998			·9999999			·9999999			·9999999			·9999999			16·6
16·7			·9999999			·9999999			·9999999			·9999999			·9999999			16·7
16·8			·9999999			·9999999			·9999999			·9999999			·9999999			16·8
16·9			·9999999			·9999999			·9999999			·9999999			1·0000000			16·9
17·0			·9999999			·9999999			·9999999			·9999999						
17·1			·9999999			·9999999			·9999999			1·0000000						
17·2			·9999999			·9999999			·9999999									
17·3			·9999999			·9999999			1·0000000									
17·4			·9999999			·9999999												
17·5			·9999999			·9999999												
17·6			·9999999			1·0000000												
17·7			·9999999															
17·8			·9999999															
17·9			1·0000000															

	$p = -0{\cdot}50$			$p = -0{\cdot}45$			$p = -0{\cdot}40$			$p = -0{\cdot}35$			$p = -0{\cdot}30$			$p = -0{\cdot}25$	
u	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$I(u, p)$	u
18·0	·9999995			·9999997			·9999998			·9999999			·9999999			·9999999	18·0
18·1	·9999996			·9999997			·9999998			·9999999			·9999999			·9999999	18·1
18·2	·9999996			·9999997			·9999998			·9999999			·9999999			·9999999	18·2
18·3	·9999996			·9999998			·9999998			·9999999			·9999999			·9999999	18·3
18·4	·9999997			·9999998			·9999999			·9999999			·9999999			1·0000000	18·4
18·5	·9999997			·9999998			·9999999			·9999999			·9999999				
18·6	·9999997			·9999998			·9999999			·9999999			·9999999				
18·7	·9999997			·9999998			·9999999			·9999999			·9999999				
18·8	·9999997			·9999998			·9999999			·9999999			1·0000000				
18·9	·9999998			·9999999			·9999999			·9999999							
19·0	·9999998			·9999999			·9999999			·9999999							
19·1	·9999998			·9999999			·9999999			·9999999							
19·2	·9999998			·9999999			·9999999			·9999999							
19·3	·9999998			·9999999			·9999999			1·0000000							
19·4	·9999998			·9999999			·9999999										
19·5	·9999998			·9999999			·9999999										
19·6	·9999999			·9999999			·9999999										
19·7	·9999999			·9999999			1·0000000										
19·8	·9999999			·9999999													
19·9	·9999999			·9999999													
20·0	·9999999			·9999999													
20·1	·9999999			·9999999													
20·2	·9999999			·9999999													
20·3	·9999999			·9999999													
20·4	·9999999			1·0000000													
20·5	·9999999																
20·6	·9999999																
20·7	·9999999																
20·8	·9999999																
20·9	·9999999																
21·0	·9999999																
21·1	·9999999																
21·2	1·0000000																

TABLE III

AUXILIARY TABLE
VALUES OF THE FUNCTION LOG $I'(u, p)$ FOR $u = 0{\cdot}0$ TO $1{\cdot}5$ AND $p = -1{\cdot}0$ TO $10{\cdot}0$

$$I'(u, p) = I(u, p)/u^{p+1}$$

	$u = 0·0$			$u = 0·1$			$u = 0·2$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^9 δ_u^4	δ_p^2 δ_p^4	p
−1·00	·00000000	0 0		·00000000	0 0		·00000000	0 0		−1·00
− ·95	$\bar{1}$·97913639	+480 0	+1838635	$\bar{1}$·97867635	+474 0	+1306662	$\bar{1}$·97822105	+468 0	+1275401	− ·95
− ·90	$\bar{1}$·97165933	+1709 0	+412388 +736632	$\bar{1}$·97041932	+1681 0	+896760 +726406	$\bar{1}$·96919611	+1633 0	+381562 +716243	− ·90
− ·85	$\bar{1}$·96830615	+3437 0	+229758 +103539	$\bar{1}$·96612929	+3376 0	+218144 +100886	$\bar{1}$·96398619	+3314 0	+203846 +98288	− ·85
− ·80	$\bar{1}$·96718050	+5484 +1	+186657 +37998	$\bar{1}$·96397070	+5382 +1	+130473 +36748	$\bar{1}$·96081473	+5282 +1	+124478 +35541	− ·80
− ·75	$\bar{1}$·96742142	+7721 +1	+88357 +18142	$\bar{1}$·96311684	+7579 +1	+84551 +17448	$\bar{1}$·95888805	+7438 +1	+80851 +16765	− ·75
− ·70	$\bar{1}$·96854791	+10068 0	+58599 +9993	$\bar{1}$·96310852	+9876 +1	+56675 +9555	$\bar{1}$·95776788	+9697 +1	+53589 +9138	− ·70
− ·65	$\bar{1}$·97026039	+12422 0	+38638 +6031	$\bar{1}$·96366095	+12210 0	+37154 +5744	$\bar{1}$·95718360	+11998 0	+33655 +5453	− ·65
− ·60	$\bar{1}$·97235923	+14772 −2	+24704 +3885	$\bar{1}$·96458492	+14535 −2	+23977 +3681	$\bar{1}$·95695597	+14296 −2	+23208 +3495	− ·60
− ·55	$\bar{1}$·97470511	+17078 −5	+14657 +2619	$\bar{1}$·96574866	+16818 −4	+14481 +2478	$\bar{1}$·95696040	+16560 −4	+14242 +2337	− ·55
− ·50	$\bar{1}$·97719756	+19301 −7	+7229 +1831	$\bar{1}$·96705721	+19038 −7	+7463 +1724	$\bar{1}$·95710725	+18788 −6	+7615 +1633	− ·50
− ·45	$\bar{1}$·97976230	+21443 −10	+1632 +1326	$\bar{1}$·96844039	+21178 −9	+2169 +1248	$\bar{1}$·95733025	+20964 −9	+2621 +1168	− ·45
− ·40	$\bar{1}$·98234336	+23488 −13	−2645 +971	$\bar{1}$·96984526	+23229 −13	−1877 +908	$\bar{1}$·95757946	+22937 −12	−1207 +858	− ·40
− ·35	$\bar{1}$·98489797	+25432 −17	−5951 +731	$\bar{1}$·97123136	+25186 −16	−5015 +887	$\bar{1}$·95781660	+24923 −15	−4177 +647	− ·35
− ·30	$\bar{1}$·98739307	+27276 −20	−8526 +559	$\bar{1}$·97256731	+27043 −19	−7484 +526	$\bar{1}$·95801197	+26797 −18	−6500 +488	− ·30
− ·25	$\bar{1}$·98980291	+29005 −23	−10649 +428	$\bar{1}$·97382862	+28802 −22	−9390 +405	$\bar{1}$·95814234	+28577 −21	−8333 +386	− ·25
− ·20	$\bar{1}$·99210733	+30636 −26	−12130 +346	$\bar{1}$·97499603	+30463 −25	−10911 +316	$\bar{1}$·95818936	+30264 −24	−9780 +299	− ·20
− ·15	$\bar{1}$·99429045	+32166 −29	−13378 +268	$\bar{1}$·97605433	+32027 −28	−12118 +234	$\bar{1}$·95813848	+31860 −27	−10946 +235	− ·15
− ·10	$\bar{1}$·99633979	+33599 −31	−14360 +215	$\bar{1}$·97699147	+33498 −31	−13067 +199	$\bar{1}$·95797814	+33363 −31	−11867 +168	− ·10
− ·05	$\bar{1}$·99824553	+34939 −34	−15127 +171	$\bar{1}$·97779794	+34877 −34	−13819 +161	$\bar{1}$·95769913	+34763 −33	−12599 +152	− ·05
·00	·00000000	+36188 −36	−15725 +139	$\bar{1}$·97846622	+36170 −36	−14411 +131	$\bar{1}$·95729413	+36116 −36	−13186 +123	·00
·0	·00000000	+36188 −36	−62760 +2271	$\bar{1}$·97846622	+36170 −36	−57611 +2148	$\bar{1}$·95729413	+36116 −36	−52596 +2022	·0
·1	·00303262	+38435 −40	−66024 +1565	$\bar{1}$·97936585	+38509 −40	−60806 +1428	$\bar{1}$·95608418	+38548 −40	−55891 +1348	·1
·2	·00540500	+40375 −42	−67783 +1014	$\bar{1}$·97965743	+40543 −43	−62675 +979	$\bar{1}$·95431531	+40672 −44	−57838 +925	·2
·3	·00709955	+42040 −44	−68528 +689	$\bar{1}$·97932226	+42309 −45	−63573 +664	$\bar{1}$·95196805	+42532 −46	−58861 +638	·3
·4	·00810882	+43461 −44	−68584 +472	$\bar{1}$·97835136	+43829 −46	−63807 +457	$\bar{1}$·94903219	+44148 −47	−59248 +443	·4
·5	·00843224	+44667 −44	−68169 +322	$\bar{1}$·97674239	+45131 −46	−63584 +317	$\bar{1}$·94550384	+45548 −48	−59192 +311	·5
·6	·00807399	+45682 −43	−67431 +217	$\bar{1}$·97449759	+46239 −45	−63043 +221	$\bar{1}$·94138358	+46732 −48	−58825 +220	·6
·7	·00704142	+46529 −41	−66476 +144	$\bar{1}$·97162235	+47177 −44	−62282 +149	$\bar{1}$·93667506	+47781 −47	−58239 +151	·7
·8	·00534408	+47228 −38	−65377 +92	$\bar{1}$·96812430	+47963 −42	−61372 +98	$\bar{1}$·93138414	+48655 −45	−57502 +101	·8
·9	·00299298	+47797 −36	−64187 +53	$\bar{1}$·96401253	+48613 −39	−60368 +64	$\bar{1}$·92551822	+49396 −43	−56664 +70	·9
1·0	·00000000	+48252 −32	−62942 +27	$\bar{1}$·95929710	+49145 −37	−59296 +36	$\bar{1}$·91908565	+50001 −41	−55755 +42	1·0
1·1	$\bar{1}$·99637761	+48606 −28	−61669 +9	$\bar{1}$·95398872	+49571 −33	−58190 +17	$\bar{1}$·91209554	+50509 −38	−54804 +24	1·1
1·2	$\bar{1}$·99213852	+48872 −25	−60388 −6	$\bar{1}$·94809843	+49904 −30	−57068 +3	$\bar{1}$·90455738	+50906 −34	−53829 +10	1·2
1·3	$\bar{1}$·98729555	+49060 −21	−59113 −15	$\bar{1}$·94163746	+50154 −26	−55949 −7	$\bar{1}$·89648092	+51222 −31	−52844 0	1·3
1·4	$\bar{1}$·98186144	+49179 −18	−57853 −22	$\bar{1}$·93461708	+50332 −22	−54824 −14	$\bar{1}$·88787603	+51461 −27	−51859 −7	1·4
1·5	$\bar{1}$·97584880	+49239 −14	−56616 −27	$\bar{1}$·92704846	+50444 −19	−53719 −20	$\bar{1}$·87875255	+51630 −24	−50880 −13	1·5
1·6	$\bar{1}$·96927000	+49243 −10	−55406 −30	$\bar{1}$·91894264	+50499 −15	−52635 −23	$\bar{1}$·86912026	+51739 −20	−49916 −16	1·6
1·7	$\bar{1}$·96213715	+49205 −6	−54226 −32	$\bar{1}$·91031047	+50504 −11	−51573 −26	$\bar{1}$·85898883	+51792 −16	−48965 −19	1·7
1·8	$\bar{1}$·95446204	+49124 −2	−53078 −33	$\bar{1}$·90116257	+50464 −7	−50537 −27	$\bar{1}$·84836775	+51797 −13	−48035 −21	1·8
1·9	$\bar{1}$·94625615	+49007 +2	−51964 −34	$\bar{1}$·89150931	+50385 −3	−49528 −28	$\bar{1}$·83726631	+51759 −9	−47126 −22	1·9
2·0	$\bar{1}$·93753063	+48859 +5	−50883 −34	$\bar{1}$·88136077	+50270 0	−48346 −29	$\bar{1}$·82569361	+51683 −5	−46240 −23	2·0
2·1	$\bar{1}$·92829628	+48683 +8	−49837 −33	$\bar{1}$·87072676	+50126 +4	−47598 −28	$\bar{1}$·81365850	+51572 −1	−45377 −24	2·1
2·2	$\bar{1}$·91856356	+48483 +12	−48824 −33	$\bar{1}$·85961683	+49954 +7	−46668 −28	$\bar{1}$·80116963	+51432 +2	−44537 −24	2·2
2·3	$\bar{1}$·90834260	+48263 +15	−47844 −32	$\bar{1}$·84804021	+49758 +11	−45772 −28	$\bar{1}$·78823540	+51264 +6	−43720 −23	2·3
2·4	$\bar{1}$·89764319	+48024 +18	−46897 −31	$\bar{1}$·83600587	+49541 +14	−44903 −27	$\bar{1}$·77486396	+51073 +10	−42927 −23	2·4
2·5	$\bar{1}$·88647482	+47769 +21	−45980 −30	$\bar{1}$·82352251	+49307 +17	−44081 −26	$\bar{1}$·76106325	+50862 +13	−42157 −23	2·5
2·6	$\bar{1}$·87484665	+47501 +24	−45094 −30	$\bar{1}$·81059853	+49056 +20	−43245 −25	$\bar{1}$·74684097	+50631 +16	−41409 −23	2·6
2·7	$\bar{1}$·86276753	+47221 +27	−44238 −28	$\bar{1}$·79724211	+48792 +23	−42455 −25	$\bar{1}$·73220461	+50385 +19	−40664 −22	2·7
2·8	$\bar{1}$·85024603	+46931 +29	−43410 −27	$\bar{1}$·78346114	+48515 +26	−41690 −24	$\bar{1}$·71716139	+50125 +22	−39980 −20	2·8
2·9	$\bar{1}$·83729043	+46633 +32	−42609 −26	$\bar{1}$·76926327	+48228 +29	−40949 −23	$\bar{1}$·70171838	+49852 +24	−39297 −20	2·9
3·0	$\bar{1}$·82390874	+46326 +34	−41835 −25	$\bar{1}$·75465591	+47932 +31	−40231 −23	$\bar{1}$·68588240	+49569 +28	−38634 −19	3·0
3·1	$\bar{1}$·81010870	+46016 +37	−41085 −24	$\bar{1}$·73964624	+47629 +34	−39535 −21	$\bar{1}$·66966008	+49276 +30	−37991 −19	3·1
3·2	$\bar{1}$·79589781	+45700 +38	−40360 −23	$\bar{1}$·72424123	+47319 +36	−38861 −21	$\bar{1}$·65305784	+48975 +33	−37367 −18	3·2
3·3	$\bar{1}$·78128332	+45380 +41	−39658 −23	$\bar{1}$·70844760	+47005 +38	−38207 −21	$\bar{1}$·63608193	+48667 +36	−36761 −18	3·3
3·4	$\bar{1}$·76627225	+45056 +42	−38978 −22	$\bar{1}$·69227190	+46685 +40	−37574 −19	$\bar{1}$·61873841	+48354 +38	−36173 −17	3·4
3·5	$\bar{1}$·75087139	+44731 +44	−38320 −21	$\bar{1}$·67572046	+46362 +42	−36960 −19	$\bar{1}$·60103315	+48036 +40	−35602 −17	3·5
3·6	$\bar{1}$·73508733	+44404 +46	−37662 −20	$\bar{1}$·65879942	+46037 +44	−36364 −18	$\bar{1}$·58297188	+47714 +42	−35047 −16	3·6
3·7	$\bar{1}$·71892645	+44075 +47	−37064 −19	$\bar{1}$·64151475	+45710 +46	−35785 −17	$\bar{1}$·56456014	+47389 +44	−34508 −15	3·7
3·8	$\bar{1}$·70239493	+43746 +49	−36465 −18	$\bar{1}$·62387222	+45381 +47	−35224 −16	$\bar{1}$·54580331	+47062 +46	−33985 −15	3·8
3·9	$\bar{1}$·68549877	+43418 +50	−35883 −17	$\bar{1}$·60587745	+45051 +49	−34679 −16	$\bar{1}$·52670664	+46732 +48	−33478 −14	3·9
4·0	$\bar{1}$·66824376	+43089 +51	−35319 −17	$\bar{1}$·58753589	+44720 +50	−34150 −15	$\bar{1}$·50727521	+46401 +49	−32981 −13	4·0

	$u = 0·3$			$u = 0·4$			$u = 0·5$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
−1·00	·00000000	0 0		·00000000	0 0		·00000000	0 0		−1·00
− ·95	$\bar{1}$·97777042	+462 0	+1244860	$\bar{1}$·97732441	+456 0	+1216631	$\bar{1}$·97688296	+450 0	+1186888	− ·95
− ·90	$\bar{1}$·96798944	+1626 0	+366778 +706188	$\bar{1}$·96679903	+1599 0	+352513 +696167	$\bar{1}$·96562460	+1572 0	+338704 +686240	− ·90
− ·85	$\bar{1}$·96187622	+3263 0	+194858 +95730	$\bar{1}$·95979878	+3194 0	+186172 +93219	$\bar{1}$·95775328	+3136 0	+177780 +90760	− ·85
− ·80	$\bar{1}$·95771158	+5183 +1	+118670 +34371	$\bar{1}$·95466025	+5085 +1	+113050 +33229	$\bar{1}$·95165976	+4988 +1	+107616 +32116	− ·80
− ·75	$\bar{1}$·95473364	+7299 +1	+76853 +16106	$\bar{1}$·95065222	+7160 +1	+73157 +15480	$\bar{1}$·94664240	+7024 +2	+69568 +14674	− ·75
− ·70	$\bar{1}$·95252423	+9519 +1	+51142 +8742	$\bar{1}$·94737576	+9349 +1	+48744 +6351	$\bar{1}$·94232072	+9186 +1	+46394 +7981	− ·70
− ·65	$\bar{1}$·95082624	+11786 0	+34173 +5196	$\bar{1}$·94458674	+11574 0	+32683 +4953	$\bar{1}$·93846298	+11369 0	+31201 +4712	− ·65
− ·60	$\bar{1}$·94946998	+14066 −1	+22402 +3315	$\bar{1}$·94212454	+13814 −1	+21673 +3134	$\bar{1}$·93491725	+13571 −1	+20726 +2972	− ·60
− ·55	$\bar{1}$·94833774	+16298 −3	+13946 +2208	$\bar{1}$·93987807	+16033 −3	+13598 +2094	$\bar{1}$·93157872	+15765 −2	+13211 +1975	− ·55
− ·50	$\bar{1}$·94734496	+18491 −5	+7698 +1537	$\bar{1}$·93776758	+18210 −5	+7717 +1444	$\bar{1}$·92837230	+17923 −4	+7677 +1361	− ·50
− ·45	$\bar{1}$·94642916	+20620 −8	+2987 +1161	$\bar{1}$·93573426	+20328 −7	+3280 +1035	$\bar{1}$·92524265	+20030 −7	+3564 +974	− ·45
− ·40	$\bar{1}$·94554323	+22674 −11	−823 +803	$\bar{1}$·93373374	+22379 −10	−132 +755	$\bar{1}$·92214804	+22075 −9	+305 +705	− ·40
− ·35	$\bar{1}$·94465107	+24646 −14	−3430 +606	$\bar{1}$·93173200	+24355 −13	−2789 +585	$\bar{1}$·91905648	+24066 −12	−2189 +534	− ·35
− ·30	$\bar{1}$·94372461	+26332 −17	−5631 +458	$\bar{1}$·92970257	+26251 −16	−4851 +435	$\bar{1}$·91594303	+25953 −15	−4149 +399	− ·30
− ·25	$\bar{1}$·94274184	+28331 −20	−7374 +357	$\bar{1}$·92762463	+28064 −19	−5498 +327	$\bar{1}$·91278809	+27778 −18	−3716 +313	− ·25
− ·20	$\bar{1}$·94168533	+30041 −24	−8760 +280	$\bar{1}$·92548171	+29795 −23	+7816 +264	$\bar{1}$·90957605	+29526 −22	−6958 +243	− ·20
− ·15	$\bar{1}$·94054122	+31664 −27	−9866 +219	$\bar{1}$·92326061	+31443 −26	−8874 +207	$\bar{1}$·90629443	+31195 −25	−7963 +195	− ·15
− ·10	$\bar{1}$·93929845	+33261 −30	−10753 +176	$\bar{1}$·92095077	+33006 −29	−9723 +167	$\bar{1}$·90293318	+32786 −28	−8773 +156	− ·10
− ·05	$\bar{1}$·93794815	+34654 −33	−11464 +143	$\bar{1}$·91854370	+34494 −32	−10408 +133	$\bar{1}$·89948420	+34361 −31	−9433 +125	− ·05
·00	$\bar{1}$·93648321	+36026 −35	−12030 +116	$\bar{1}$·91603255	+35961 −35	−10959 +109	$\bar{1}$·89594089	+35740 −34	−9964 +102	·00
·0	$\bar{1}$·93648321	+36026 −35	−48005 +1899	$\bar{1}$·91603255	+35901 −35	−43728 +1781	$\bar{1}$·89594089	+35740 −34	−39755 +1686	·0
·1	$\bar{1}$·93318793	+38536 −40	−51274 +1372	$\bar{1}$·91067704	+38469 −40	−46947 +1196	$\bar{1}$·88855105	+38403 −40	−42902 +1131	·1
·2	$\bar{1}$·92937991	+40756 −44	−53271 +876	$\bar{1}$·90485207	+40795 −44	−48970 +827	$\bar{1}$·88073218	+40790 −44	−44929 +779	·2
·3	$\bar{1}$·92503917	+42710 −47	−54393 +607	$\bar{1}$·89853740	+42841 −48	−50165 +576	$\bar{1}$·87246402	+42923 −48	−46176 +545	·3
·4	$\bar{1}$·92015451	+44423 −49	−54967 +428	$\bar{1}$·89172107	+44646 −50	−50764 +408	$\bar{1}$·86373410	+44822 −51	−46879 +388	·4
·5	$\bar{1}$·91472078	+45918 −50	−54998 +303	$\bar{1}$·88439690	+46238 −52	−50998 +292	$\bar{1}$·85453539	+46505 −53	−47193 +281	·5
·6	$\bar{1}$·90873709	+47217 −50	−54782 +216	$\bar{1}$·87656277	+47631 −53	−50916 +212	$\bar{1}$·84486475	+47992 −53	−47227 +203	·6
·7	$\bar{1}$·90220557	+48339 −50	−54352 +152	$\bar{1}$·86821948	+48846 −53	−50624 +150	$\bar{1}$·83472184	+49300 −55	−47056 +148	·7
·8	$\bar{1}$·89513054	+49302 −49	−53770 +104	$\bar{1}$·85936995	+49900 −52	−50181 +106	$\bar{1}$·82410837	+50446 −56	−46737 +106	·8
·9	$\bar{1}$·88751780	+50123 −47	−53085 +74	$\bar{1}$·85001862	+50809 −51	−49633 +77	$\bar{1}$·81302752	+51444 −55	−46313 +79	·9
1·0	$\bar{1}$·87937422	+50817 −45	−52324 +48	$\bar{1}$·84017094	+51587 −49	−49006 +52	$\bar{1}$·80148354	+52308 −53	−45810 +55	1·0
1·1	$\bar{1}$·87070738	+51396 −43	−51517 +30	$\bar{1}$·82983319	+52247 −47	−48331 +35	$\bar{1}$·78948147	+53051 −52	−45252 +38	1·1
1·2	$\bar{1}$·86152539	+51873 −40	−50676 +16	$\bar{1}$·81901213	+52801 −44	−47619 +22	$\bar{1}$·77702689	+53685 −49	−44656 +26	1·2
1·3	$\bar{1}$·85183661	+52259 −36	−49824 +7	$\bar{1}$·80771488	+53260 −42	−46885 +12	$\bar{1}$·76412575	+54219 −46	−44033 +16	1·3
1·4	$\bar{1}$·84164959	+52663 −33	−48963 −1	$\bar{1}$·79594878	+53632 −39	−46146 +4	$\bar{1}$·75078429	+54663 −43	−43395 +9	1·4
1·5	$\bar{1}$·83097294	+52793 −29	−48103 −7	$\bar{1}$·78372127	+53927 −35	−45396 −1	$\bar{1}$·73700888	+55026 −40	−42748 +3	1·5
1·6	$\bar{1}$·81981527	+52958 −26	−47249 −10	$\bar{1}$·77103987	+54152 −31	−44642 −5	$\bar{1}$·72280599	+55313 −37	−42098 −1	1·6
1·7	$\bar{1}$·80818511	+53065 −22	−46406 −14	$\bar{1}$·75791204	+54315 −28	−43899 −9	$\bar{1}$·70818212	+55538 −33	−41449 −5	1·7
1·8	$\bar{1}$·79609089	+53118 −17	−45577 −16	$\bar{1}$·74434522	+54422 −24	−43165 −11	$\bar{1}$·69314377	+55701 −29	−40803 −7	1·8
1·9	$\bar{1}$·78354090	+53125 −13	−44764 −17	$\bar{1}$·73034675	+54478 −20	−42443 −13	$\bar{1}$·67769737	+55810 −26	−40168 −8	1·9
2·0	$\bar{1}$·77054327	+53090 −10	−43966 −19	$\bar{1}$·71592384	+54488 −16	−41733 −14	$\bar{1}$·66184929	+55869 −22	−39539 −11	2·0
2·1	$\bar{1}$·75710597	+53018 −6	−43190 −19	$\bar{1}$·70108361	+54457 −12	−41037 −14	$\bar{1}$·64560583	+55885 −18	−38921 −11	2·1
2·2	$\bar{1}$·74323676	+52912 −2	−42432 −19	$\bar{1}$·68583300	+54396 −9	−40356 −15	$\bar{1}$·62897315	+55860 −14	−38314 −12	2·2
2·3	$\bar{1}$·72894323	+52777 +1	−41692 −20	$\bar{1}$·67017883	+54291 −5	−39691 −16	$\bar{1}$·61195734	+55800 −11	−37719 −13	2·3
2·4	$\bar{1}$·71423278	+52615 +5	−40972 −19	$\bar{1}$·65412776	+54161 −1	−39041 −16	$\bar{1}$·59456434	+55707 −7	−37136 −13	2·4
2·5	$\bar{1}$·69911262	+52429 +8	−40272 −19	$\bar{1}$·63768627	+54006 +3	−38407 −16	$\bar{1}$·57679998	+55584 −3	−36568 −13	2·5
2·6	$\bar{1}$·68358973	+52223 +12	−39596 −19	$\bar{1}$·62086072	+53826 +6	−37788 −15	$\bar{1}$·55866996	+55436 +1	−36009 −13	2·6
2·7	$\bar{1}$·66767095	+51998 +15	−38927 −18	$\bar{1}$·60365728	+53626 +8	−37187 −15	$\bar{1}$·54017986	+55264 +4	−35464 −13	2·7
2·8	$\bar{1}$·65136289	+51757 +18	−38282 −18	$\bar{1}$·58608196	+53407 +12	−36599 −15	$\bar{1}$·52133510	+55070 +8	−34933 −13	2·8
2·9	$\bar{1}$·63467202	+51501 +21	−37656 −17	$\bar{1}$·56814066	+53172 +15	−36028 −15	$\bar{1}$·50214102	+54858 +11	−34414 −12	2·9
3·0	$\bar{1}$·61760458	+51233 +24	−37047 −17	$\bar{1}$·54983908	+52921 +19	−35471 −15	$\bar{1}$·48260279	+54628 +14	−33908 −12	3·0
3·1	$\bar{1}$·60016667	+50953 +27	−36456 −16	$\bar{1}$·53118279	+52657 +23	−34929 −14	$\bar{1}$·46272548	+54384 +17	−33415 −12	3·1
3·2	$\bar{1}$·58236420	+50664 +29	−35880 −16	$\bar{1}$·51217720	+52382 +26	−34402 −14	$\bar{1}$·44251402	+54126 +20	−32933 −12	3·2
3·3	$\bar{1}$·56420293	+50366 +32	−35321 −16	$\bar{1}$·49282760	+52097 +28	−33887 −14	$\bar{1}$·42197323	+53855 +24	−32463 −12	3·3
3·4	$\bar{1}$·54568846	+50061 +34	−34777 −15	$\bar{1}$·47313912	+51803 +31	−33387 −13	$\bar{1}$·40110781	+53575 +26	−32005 −11	3·4
3·5	$\bar{1}$·52682621	+49750 +37	−34248 −15	$\bar{1}$·45311677	+51501 +33	−32900 −13	$\bar{1}$·37992234	+53285 +29	−31558 −11	3·5
3·6	$\bar{1}$·50762148	+49434 +39	−33734 −14	$\bar{1}$·43276543	+51192 +36	−32425 −12	$\bar{1}$·35842129	+52986 +32	−31122 −11	3·6
3·7	$\bar{1}$·48807942	+49113 +41	−33234 −13	$\bar{1}$·41208983	+50878 +38	−31963 −12	$\bar{1}$·33660903	+52681 +34	−30696 −10	3·7
3·8	$\bar{1}$·46820502	+48789 +43	−32747 −13	$\bar{1}$·39109462	+50559 +40	−31512 −12	$\bar{1}$·31448980	+52359 +37	−30261 −10	3·8
3·9	$\bar{1}$·44800315	+48461 +45	−32273 −13	$\bar{1}$·36978428	+50235 +42	−31073 −11	$\bar{1}$·29206775	+52032 +39	−−29877 −10	3·9
4·0	$\bar{1}$·42747855	+48132 +47	−31812 −12	$\bar{1}$·34816321	+49909 +44	−30646 −10	$\bar{1}$·26934695	+51730 +41	−29481 −10	4·0

	$u = 0{\cdot}0$			$u = 0{\cdot}1$			$u = 0{\cdot}2$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
4·0	$\bar{1}$·66824376	+43089 +51	−35319 −17	$\bar{1}$·58753589	+44720 +50	−34156 −15	$\bar{1}$·50727521	+46401 +49	−32981 −13	4·0
4·1	$\bar{1}$·65063557	+42761 +53	−34772 −16	$\bar{1}$·56885282	+44390 +52	−33636 −15	$\bar{1}$·48751397	+46070 +50	−32500 −13	4·1
4·2	$\bar{1}$·63267965	+42435 +54	−34241 −15	$\bar{1}$·54983339	+44060 +53	−33137 −14	$\bar{1}$·46742774	+45738 +51	−32032 −13	4·2
4·3	$\bar{1}$·61438132	+42109 +55	−33725 −15	$\bar{1}$·53048260	+43731 +54	−32651 −13	$\bar{1}$·44702119	+45406 +53	−31576 −12	4·3
4·4	$\bar{1}$·59574575	+41788 +56	−33223 −14	$\bar{1}$·51080530	+43403 +55	−32179 −13	$\bar{1}$·42629888	+45075 +54	−31133 −12	4·4
4·5	$\bar{1}$·57677794	+41464 +56	−32736 −13	$\bar{1}$·49080621	+43076 +56	−31726 −12	$\bar{1}$·40526524	+44744 +55	−30701 −11	4·5
4·6	$\bar{1}$·55748277	+41144 +56	−32253 −13	$\bar{1}$·47048993	+42751 +57	−31272 −12	$\bar{1}$·38392459	+44414 +56	−30281 −11	4·6
4·7	$\bar{1}$·53786497	+40827 +56	−31802 −12	$\bar{1}$·44986092	+42427 +58	−30838 −11	$\bar{1}$·36228114	+44086 +57	−29871 −10	4·7
4·8	$\bar{1}$·51792915	+40512 +56	−31354 −12	$\bar{1}$·42892353	+42108 +59	−30414 −11	$\bar{1}$·34033896	+43759 +58	−29473 −10	4·8
4·9	$\bar{1}$·49767979	+40200 +58	−30918 −12	$\bar{1}$·40768199	+41787 +60	−30002 −11	$\bar{1}$·31810206	+43434 +59	−29084 −10	4·9
5·0	$\bar{1}$·47712125	+39890 +56	−30494 −11	$\bar{1}$·38614044	+41470 +61	−29600 −10	$\bar{1}$·29557432	+43110 +60	−28705 −9	5·0
5·1	$\bar{1}$·45625778	+39583 +57	−30086 −11	$\bar{1}$·36430288	+41155 +61	−29209 −10	$\bar{1}$·27275953	+42786 +61	−28336 −9	5·1
5·2	$\bar{1}$·43509351	+39278 +58	−29678 −10	$\bar{1}$·34217323	+40843 +62	−28828 −9	$\bar{1}$·24966138	+42470 +62	−27975 −9	5·2
5·3	$\bar{1}$·41363245	+38977 +59	−29286 −10	$\bar{1}$·31975530	+40534 +62	−28456 −9	$\bar{1}$·22628349	+42153 +62	−27623 −8	5·3
5·4	$\bar{1}$·39187854	+38678 +60	−28903 −9	$\bar{1}$·29705281	+40227 +62	−28093 −9	$\bar{1}$·20262936	+41839 +63	−27286 −8	5·4
5·5	$\bar{1}$·36983560	+38382 +61	−28531 −9	$\bar{1}$·27406940	+39924 +62	−27739 −9	$\bar{1}$·17870243	+41527 +64	−26945 −8	5·5
5·6	$\bar{1}$·34750734	+38089 +62	−28167 −9	$\bar{1}$·25080858	+39622 +62	−27394 −8	$\bar{1}$·15450605	+41218 +64	−26618 −8	5·6
5·7	$\bar{1}$·32489742	+37800 +62	−27813 −9	$\bar{1}$·22727383	+39324 +63	−27057 −8	$\bar{1}$·13004349	+40912 +64	−26298 −7	5·7
5·8	$\bar{1}$·30200936	+37514 +62	−27467 −8	$\bar{1}$·20346851	+39029 +63	−26728 −8	$\bar{1}$·10531795	+40608 +64	−25986 −7	5·8
5·9	$\bar{1}$·27884663	+37230 +62	−27136 −8	$\bar{1}$·17939590	+38737 +63	−26407 −7	$\bar{1}$·08033254	+40307 +65	−25681 −7	5·9
6·0	$\bar{1}$·25541260	+36950 +63	−26800 −8	$\bar{1}$·15505922	+38448 +64	−26093 −7	$\bar{1}$·05509032	+40010 +65	−25383 −7	6·0
6·1	$\bar{1}$·23171057	+36673 +62	−26479 −7	$\bar{1}$·13046161	+38161 +64	−25787 −7	$\bar{1}$·02959426	+39714 +66	−25092 −6	6·1
6·2	$\bar{1}$·20774376	+36400 +62	−26164 −7	$\bar{1}$·10560613	+37879 +64	−25487 −7	$\bar{1}$·00384728	+39422 +66	−24807 −6	6·2
6·3	$\bar{1}$·18351530	+36129 +62	−25857 −7	$\bar{1}$·08049577	+37599 +64	−25194 −6	$\bar{2}$·97785223	+39133 +66	−24528 −6	6·3
6·4	$\bar{1}$·15902827	+35861 +63	−25557 −7	$\bar{1}$·05513347	+37322 +64	−24908 −6	$\bar{2}$·95161190	+38847 +66	−24258 −6	6·4
6·5	$\bar{1}$·13428566	+35597 +62	−25264 −7	$\bar{1}$·02952209	+37048 +64	−24628 −6	$\bar{2}$·92512900	+38564 +66	−23986 −6	6·5
6·6	$\bar{1}$·10929042	+35336 +62	−24977 −7	$\bar{1}$·00366443	+36777 +64	−24354 −6	$\bar{2}$·89840621	+38283 +66	−23728 −5	6·6
6·7	$\bar{1}$·08404540	+35077 +63	−24697 −6	$\bar{2}$·97756322	+36509 +64	−24087 −6	$\bar{2}$·87144614	+38006 +66	−23473 −5	6·7
6·8	$\bar{1}$·05855340	+34821 +62	−24423 −6	$\bar{2}$·95122115	+36244 +64	−23824 −6	$\bar{2}$·84425134	+37732 +66	−23223 −5	6·8
6·9	$\bar{1}$·03281719	+34569 +63	−24164 −6	$\bar{2}$·92464083	+35983 +64	−23568 −5	$\bar{2}$·81682430	+37460 +66	−22978 −5	6·9
7·0	$\bar{1}$·00683942	+34320 +63	−23892 −5	$\bar{2}$·89782484	+35724 +64	−23316 −5	$\bar{2}$·78916750	+37192 +66	−22738 −5	7·0
7·1	$\bar{2}$·98062274	+34074 +61	−23635 −5	$\bar{2}$·87077568	+35468 +64	−23070 −5	$\bar{2}$·76128331	+36926 +67	−22503 −5	7·1
7·2	$\bar{2}$·95416971	+33830 +61	−23383 −5	$\bar{2}$·84349582	+35215 +64	−22829 −5	$\bar{2}$·73317409	+36664 +66	−22273 −5	7·2
7·3	$\bar{2}$·92748285	+33589 +61	−23137 −5	$\bar{2}$·81598767	+34965 +64	−22593 −5	$\bar{2}$·70484214	+36404 +66	−22047 −5	7·3
7·4	$\bar{2}$·90056462	+33352 +61	−22896 −5	$\bar{2}$·78825358	+34718 +64	−22362 −4	$\bar{2}$·67628973	+36148 +66	−21826 −4	7·4
7·5	$\bar{2}$·87341743	+33117 +61	−22659 −4	$\bar{2}$·76029587	+34474 +63	−22135 −4	$\bar{2}$·64751905	+35894 +66	−21609 −4	7·5
7·6	$\bar{2}$·84604365	+32885 +61	−22428 −4	$\bar{2}$·73211681	+34232 +63	−21913 −4	$\bar{2}$·61853229	+35643 +66	−21398 −4	7·6
7·7	$\bar{2}$·81844560	+32658 +61	−22200 −4	$\bar{2}$·70371862	+33994 +63	−21696 −4	$\bar{2}$·58933157	+35394 +66	−21188 −4	7·7
7·8	$\bar{2}$·79062554	+32436 +60	−21978 −4	$\bar{2}$·67510347	+33758 +63	−21482	$\bar{2}$·55991897	+35149 +65	−20983	7·8
7·9	$\bar{2}$·76258570	+32206 +60	−21760	$\bar{2}$·64627350	+33525 +62	−21272	$\bar{2}$·53029655	+34907 +65	−20782	7·9
8·0	$\bar{2}$·73432826	+31985 +60	−21546	$\bar{2}$·61723081	+33295 +62	−21067	$\bar{2}$·50046630	+34667 +65	−20585	8·0
8·1	$\bar{2}$·70585536	+31766 +60	−21336	$\bar{2}$·58797744	+33067 +62	−20865	$\bar{2}$·47043020	+34430 +65	−20392	8·1
8·2	$\bar{2}$·67716910	+31551 +60	−21130	$\bar{2}$·55851543	+32842 +62	−20668	$\bar{2}$·44019018	+34195 +65	−20202	8·2
8·3	$\bar{2}$·64827153	+31338 +59	−20929	$\bar{2}$·52884674	+32620 +62	−20479	$\bar{2}$·40974814	+33964 +64	−20016	8·3
8·4	$\bar{2}$·61916468	+31127 +59	−20736	$\bar{2}$·49897331	+32400 +61	−20283	$\bar{2}$·37910594	+33735 +64	−19833	8·4
8·5	$\bar{2}$·58985052	+30919 +59	−20536	$\bar{2}$·46889705	+32183 +61	−20098	$\bar{2}$·34826542	+33508 +64	−19653	8·5
8·6	$\bar{2}$·56033100	+30713 +58	−20345	$\bar{2}$·43861984	+31969 +61	−19912	$\bar{2}$·31722836	+33284 +64	−19477	8·6
8·7	$\bar{2}$·53060803	+30510 +58	−20158	$\bar{2}$·40814350	+31757 +61	−19732	$\bar{2}$·28599654	+33063 +64	−19303	8·7
8·8	$\bar{2}$·50068348	+30309 +58	−19974	$\bar{2}$·37746985	+31547 +60	−19555	$\bar{2}$·25457169	+32844 +63	−19133	8·8
8·9	$\bar{2}$·47055919	+30111 +57	−19793	$\bar{2}$·34660065	+31340 +60	−19381	$\bar{2}$·22295550	+32628 +63	−18968	8·9
9·0	$\bar{2}$·44023697	+29915 +57	−19616	$\bar{2}$·31553764	+31135 +60	−19210	$\bar{2}$·19114966	+32414 +62	−18801	9·0
9·1	$\bar{2}$·40971859	+29721 +57	−19442	$\bar{2}$·28428254	+30933 +59	−19041	$\bar{2}$·15915581	+32203 +62	−18639	9·1
9·2	$\bar{2}$·37900580	+29530 +57	−19270	$\bar{2}$·25283702	+30732 +59	−18876	$\bar{2}$·12697557	+31994 +62	−18480	9·2
9·3	$\bar{2}$·34810030	+29340 +56	−19102	$\bar{2}$·22120274	+30534 +59	−18714	$\bar{2}$·09461052	+31787 +62	−18324	9·3
9·4	$\bar{2}$·31700379	+29153 +56	−18936	$\bar{2}$·18938132	+30339 +59	−18554	$\bar{2}$·06206223	+31583 +62	−18170	9·4
9·5	$\bar{2}$·28571791	+28969 +56	−18774	$\bar{2}$·15737435	+30146 +58	−18398	$\bar{2}$·02933224	+31381 +61	−18019	9·5
9·6	$\bar{2}$·25424430	+28786 +55	−18614	$\bar{2}$·12518341	+29955 +58	−18243	$\bar{3}$·99642206	+31181 +61	−17871	9·6
9·7	$\bar{2}$·22258455	+28605 +55	−18457	$\bar{2}$·09281003	+29766 +58	−18091	$\bar{3}$·96333317	+30984 +61	−17724	9·7
9·8	$\bar{2}$·19074023	+28427 +54	−18302	$\bar{2}$·06025574	+29579 +58	−17942	$\bar{3}$·93006704	+30788 +60	−17581	9·8
9·9	$\bar{2}$·15871289	+28250 +54	−18156	$\bar{2}$·02752203	+29395 +57	−17795	$\bar{3}$·89662510	+30598 +60	−17439	9·9
10·0	$\bar{2}$·12650405	+28076 +54	−18001	$\bar{3}$·99461036	+29212 +57	−17651	$\bar{3}$·86300878	+30405 +60	−17299	10·0

	$u = 0\cdot3$			$u = 0\cdot4$			$u = 0\cdot5$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
4·0	$\bar{1}$·42747855	+48132 +47	−31813 −12	$\bar{1}$·34816321	+49909 +44	−30646 −10	$\bar{1}$·26934695	+51730 +41	−29481 −10	4·0
4·1	$\bar{1}$·40663582	+47800 +49	−31363 −12	$\bar{1}$·32623568	+49579 +46	−30228 −10	$\bar{1}$·24633132	+51405 +44	−29096 −9	4·1
4·2	$\bar{1}$·38547946	+47467 +51	−30926 −11	$\bar{1}$·30400586	+49248 +48	−29822 −10	$\bar{1}$·22302474	+51076 +46	−28719 −9	4·2
4·3	$\bar{1}$·36401384	+47134 +52	−30501 −11	$\bar{1}$·28147783	+48914 +50	−29426 −10	$\bar{1}$·19943097	+50744 +47	−28352 −9	4·3
4·4	$\bar{1}$·34224321	+46801 +54	−30086 −11	$\bar{1}$·25865554	+48580 +51	−29039 −10	$\bar{1}$·17555367	+50411 +49	−27993 −9	4·4
4·5	$\bar{1}$·32017171	+46467 +55	−29682 −10	$\bar{1}$·23554286	+48246 +53	−28662 −9	$\bar{1}$·15139645	+50076 +51	−27643 −8	4·5
4·6	$\bar{1}$·29780340	+46134 +56	−29288 −10	$\bar{1}$·21214355	+47910 +54	−28294 −9	$\bar{1}$·12696279	+49740 +53	−27300 −8	4·6
4·7	$\bar{1}$·27514221	+45801 +57	−28904 −9	$\bar{1}$·18846130	+47574 +56	−27935 −8	$\bar{1}$·10225614	+49403 +54	−26966 −7	4·7
4·8	$\bar{1}$·25219198	+45470 +58	−28529 −9	$\bar{1}$·16449971	+47239 +57	−27585 −8	$\bar{1}$·07727982	+49065 +56	−26639 −7	4·8
4·9	$\bar{1}$·22895646	+45140 +59	−28164 −9	$\bar{1}$·14026226	+46905 +58	−27243 −8	$\bar{1}$·05203711	+48728 +57	−26320 −7	4·9
5·0	$\bar{1}$·20543930	+44811 +60	−27807 −8	$\bar{1}$·11575239	+46571 +59	−26908 −8	$\bar{1}$·02653120	+48391 +58	−26008 −7	5·0
5·1	$\bar{1}$·18164407	+44484 +61	−27460 −8	$\bar{1}$·09097344	+46239 +60	−26582 −7	$\bar{1}$·00076521	+48055 +59	−25703 −7	5·1
5·2	$\bar{1}$·15757424	+44158 +61	−27120 −8	$\bar{1}$·06592867	+45908 +61	−26263 −7	$\bar{2}$·97474219	+47719 +61	−25404 −6	5·2
5·3	$\bar{1}$·13323321	+43836 +63	−26788 −8	$\bar{1}$·04062127	+45579 +62	−25951 −7	$\bar{2}$·94846513	+47385 +62	−25113 −6	5·3
5·4	$\bar{1}$·10862429	+43513 +63	−26464 −7	$\bar{1}$·01505436	+45251 +63	−25647 −7	$\bar{2}$·92193694	+47052 +63	−24827 −6	5·4
5·5	$\bar{1}$·08375074	+43194 +63	−26148 −7	$\bar{2}$·98923099	+44925 +64	−25349 −7	$\bar{2}$·89516049	+46720 +64	−24546 −6	5·5
5·6	$\bar{1}$·05861570	+42878 +64	−25839 −7	$\bar{2}$·96315412	+44601 +65	−25058 −6	$\bar{2}$·86813856	+46390 +64	−24274 −6	5·6
5·7	$\bar{1}$·03322227	+42563 +65	−25537 −7	$\bar{2}$·93682668	+44280 +65	−24773 −6	$\bar{2}$·84087389	+46061 +65	−24007 −6	5·7
5·8	$\bar{1}$·00757347	+42252 +65	−25242 −7	$\bar{2}$·91025151	+43960 +66	−24494 −6	$\bar{2}$·81336915	+45735 +66	−23745 −5	5·8
5·9	$\bar{2}$·98167225	+41943 +66	−24953 −6	$\bar{2}$·88343139	+43643 +67	−24222 −6	$\bar{2}$·78562696	+45411 +66	−23486 −5	5·9
6·0	$\bar{2}$·95552151	+41636 +66	−24671 −6	$\bar{2}$·85636906	+43329 +67	−23955 −6	$\bar{2}$·75764990	+45088 +67	−23237 −6	6·0
6·1	$\bar{2}$·92912406	+41332 +67	−24394 −6	$\bar{2}$·82906718	+43017 +67	−23694 −5	$\bar{2}$·72944046	+44768 +68	−22991 −5	6·1
6·2	$\bar{2}$·90248266	+41031 +67	−24124 −6	$\bar{2}$·80152835	+42707 +68	−23438 −5	$\bar{2}$·70100112	+44450 +69	−22760 −5	6·2
6·3	$\bar{2}$·87560003	+40733 +67	−23860 −6	$\bar{2}$·77375515	+42400 +68	−23188 −5	$\bar{2}$·67233427	+44135 +69	−22514 −5	6·3
6·4	$\bar{2}$·84847879	+40438 +67	−23601 −5	$\bar{2}$·74575006	+42096 +68	−22943 −5	$\bar{2}$·64344229	+43822 +70	−22282 −4	6·4
6·5	$\bar{2}$·82112155	+40146 +68	−23348 −6	$\bar{2}$·71751555	+41794 +69	−22703 −6	$\bar{2}$·61432749	+43512 +70	−22055 −4	6·5
6·6	$\bar{2}$·79353083	+39856 +68	−23099 −6	$\bar{2}$·68905400	+41496 +69	−22467 −6	$\bar{2}$·58499213	+43204 +70	−21833 −4	6·6
6·7	$\bar{2}$·76570912	+39569 +68	−22856 −6	$\bar{2}$·66036778	+41200 +69	−22237 −6	$\bar{2}$·55543844	+42899 +71	−21615 −4	6·7
6·8	$\bar{2}$·73765884	+39285 +68	−22618 −5	$\bar{2}$·63145919	+40906 +69	−22011 −6	$\bar{2}$·52566861	+42597 +71	−21401 −4	6·8
6·9	$\bar{2}$·70938238	+39004 +68	−22385 −4	$\bar{2}$·60233050	+40616 +70	−21790 −4	$\bar{2}$·49568477	+42297 +71	−21191 −4	6·9
7·0	$\bar{2}$·68088207	+38726 +68	−22157 −4	$\bar{2}$·57298390	+40328 +70	−21573 −4	$\bar{2}$·46548902	+42000 +71	−20985 −4	7·0
7·1	$\bar{2}$·65216019	+38451 +68	−21933 −4	$\bar{2}$·54342159	+40044 +70	−21359 −4	$\bar{2}$·43508342	+41706 +72	−20783 −4	7·1
7·2	$\bar{2}$·62321899	+38179 +68	−21713 −4	$\bar{2}$·51364568	+39762 +70	−21150 −4	$\bar{2}$·40446998	+41415 +72	−20585 −4	7·2
7·3	$\bar{2}$·59406065	+37910 +68	−21498 −4	$\bar{2}$·48365826	+39483 +70	−20946 −4	$\bar{2}$·37365070	+41126 +72	−20390 −4	7·3
7·4	$\bar{2}$·56468734	+37643 +68	−21286 −4	$\bar{2}$·45346139	+39207 +70	−20744 −4	$\bar{2}$·34262751	+40840 +72	−20199 −4	7·4
7·5	$\bar{2}$·53510117	+37380 +68	−21079 −4	$\bar{2}$·42305708	+38933 +70	−20547 −4	$\bar{2}$·31140233	+40557 +72	−20012 −4	7·5
7·6	$\bar{2}$·50530420	+37119 +68	−20876 −4	$\bar{2}$·39244730	+38663 +70	−20353 −4	$\bar{2}$·27997703	+40277 +72	−19828	7·6
7·7	$\bar{2}$·47529847	+36861 +67	−20677 −4	$\bar{2}$·36163398	+38396 +71	−20163	$\bar{2}$·24835345	+39999 +72	−19647	7·7
7·8	$\bar{2}$·44508597	+36606 +67	−20481	$\bar{2}$·33061903	+38130 +70	−19977	$\bar{2}$·21653340	+39724 +72	−19469	7·8
7·9	$\bar{2}$·41466866	+36354 +67	−20289	$\bar{2}$·29940432	+37868 +70	−19793	$\bar{2}$·18451865	+39452 +72	−19295	7·9
8·0	$\bar{2}$·38404846	+36104 +67	−20101	$\bar{2}$·26799167	+37609 +70	−19613	$\bar{2}$·15231096	+39183 +72	−19123	8·0
8·1	$\bar{2}$·35322725	+35858 +67	−19916	$\bar{2}$·23638288	+37352 +70	−19437	$\bar{2}$·11991203	+38917 +72	−18955	8·1
8·2	$\bar{2}$·32220689	+35614 +67	−19734	$\bar{2}$·20457973	+37099 +69	−19263	$\bar{2}$·08732356	+38653 +72	−18789	8·2
8·3	$\bar{2}$·29098918	+35372 +67	−19555	$\bar{2}$·17258395	+36847 +69	−19092	$\bar{2}$·05454719	+38392 +72	−18626	8·3
8·4	$\bar{2}$·25957593	+35134 +67	−19380	$\bar{2}$·14039724	+36599 +69	−18925	$\bar{2}$·02158455	+38134 +72	−18467	8·4
8·5	$\bar{2}$·22796887	+34897 +67	−19208	$\bar{2}$·10802129	+36353 +69	−18760	$\bar{3}$·98843725	+37878 +71	−18309	8·5
8·6	$\bar{2}$·19616973	+34664 +66	−19038	$\bar{2}$·07545774	+36110 +69	−18598	$\bar{3}$·95510686	+37625 +71	−18155	8·6
8·7	$\bar{2}$·16418021	+34433 +66	−18872	$\bar{2}$·04270822	+35870 +69	−18439	$\bar{3}$·92159492	+37376 +71	−18002	8·7
8·8	$\bar{2}$·13200197	+34205 +66	−18709	$\bar{2}$·00977430	+35632 +69	−18283	$\bar{3}$·88790296	+37127 +71	−17853	8·8
8·9	$\bar{2}$·09963664	+33980 +66	−18548	$\bar{3}$·97665757	+35397 +68	−18128	$\bar{3}$·85403247	+36882 +71	−17706	8·9
9·0	$\bar{2}$·06708582	+33757 +65	−18390	$\bar{3}$·94335955	+35164 +68	−17977	$\bar{3}$·81998492	+36639 +71	−17561	9·0
9·1	$\bar{2}$·03435111	+33536 +65	−18235	$\bar{3}$·90988177	+34934 +68	−17828	$\bar{3}$·78576177	+36399 +71	−17418	9·1
9·2	$\bar{2}$·00143405	+33318 +65	−18083	$\bar{3}$·87622571	+34706 +67	−17681	$\bar{3}$·75136444	+36162 +70	−17278	9·2
9·3	$\bar{3}$·96833617	+33102 +64	−17932	$\bar{3}$·84239285	+34481 +67	−17537	$\bar{3}$·71679433	+35927 +70	−17140	9·3
9·4	$\bar{3}$·93505898	+32886 +64	−17784	$\bar{3}$·80838461	+34258 +67	−17396	$\bar{3}$·68205282	+35695 +70	−17004	9·4
9·5	$\bar{3}$·90160394	+32678 +64	−17639	$\bar{3}$·77420242	+34038 +67	−17256	$\bar{3}$·64714127	+35465 +70	−16870	9·5
9·6	$\bar{3}$·86797252	+32469 +63	−17496	$\bar{3}$·73984767	+33820 +66	−17118	$\bar{3}$·61206103	+35237 +69	−16738	9·6
9·7	$\bar{3}$·83416614	+32263 +63	−17355	$\bar{3}$·70532175	+33604 +66	−16983	$\bar{3}$·57681339	+35012 +69	−16609	9·7
9·8	$\bar{3}$·80018622	+32060 +63	−17216	$\bar{3}$·67062599	+33391 +66	−16850	$\bar{3}$·54139967	+34790 +69	−16481	9·8
9·9	$\bar{3}$·76603414	+31856 +62	−17080	$\bar{3}$·63576174	+33180 +65	−16719	$\bar{3}$·50582114	+34569 +68	−16355	9·9
10·0	$\bar{3}$·73171126	+31657 +62	−16946	$\bar{3}$·60073030	+32971 +65	−16590	$\bar{3}$·47007906	+34351 +68	−16231	10·0

	$u = 0·5$			$u = 0·6$			$u = 0·7$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
−1·00	·00000000	0 0		·00000000	0 0		·00000000	0 0		−1·00
− ·95	Ī·97688296	+450 0	+1186888	Ī·97644601	+444 0	+1157388	Ī·97601349	+438 0	+1129686	− ·95
− ·90	Ī·96562460	+1572 0	+338704 +696240	Ī·96446588	+1546 0	+325339 +676384	Ī·96332263	+1520 0	+312402 +655615	− ·90
− ·85	Ī·95775328	+3136 0	+177780 +90780	Ī·95573914	+3078 0	+169676 +88351	Ī·95375579	+3022 0	+161854 +85987	− ·85
− ·80	Ī·95165976	+4988 +1	+107618 +32115	Ī·94870916	+4893 +1	+102384 +31034	Ī·94580749	+4799 +1	+97293 +29980	− ·80
− ·75	Ī·94664240	+7024 +2	+69588 +14874	Ī·94270282	+6887 +2	+66086 +14289	Ī·93883211	+6755 +2	+62712 +13727	− ·75
− ·70	Ī·94232072	+9166 +1	+46394 +7981	Ī·93735734	+8992 +1	+44097 +7627	Ī·93248387	+8818 +1	+41858 +7280	− ·70
− ·65	Ī·93846298	+11362 0	+31201 +4712	Ī·93245283	+11151 0	+29735 +4478	Ī·92655420	+10940 0	+28284 +4254	− ·65
− ·60	Ī·93491725	+13571 −1	+20720 +2972	Ī·92784567	+13328 0	+19851 +2821	Ī·92090737	+13084 0	+18974 +2669	− ·60
− ·55	Ī·93157872	+15785 −2	+13211 +1975	Ī·92343702	+15495 −2	+12788 +1860	Ī·91545028	+15223 −2	+12333 +1758	− ·55
− ·50	Ī·92837230	+17923 −4	+7677 +1381	Ī·91915625	+17632 −4	+7585 +1286	Ī·91011652	+17338 −3	+7450 +1207	− ·50
− ·45	Ī·92524265	+20030 −7	+3504 +974	Ī·91495133	+19724 −6	+3668 +910	Ī·90485726	+19413 −5	+3774 +858	− ·45
− ·40	Ī·92214804	+22075 −9	+305 +705	Ī·91078309	+21751 −8	+861 +665	Ī·89963574	+21438 −8	+958 +621	− ·40
− ·35	Ī·91905648	+24050 −12	−2189 +534	Ī·90662146	+23734 −11	−1681 +497	Ī·89442378	+23406 −10	−1241 +462	− ·35
− ·30	Ī·91594303	+25953 −15	−4149 +399	Ī·90244302	+25639 −14	−3528 +373	Ī·88919941	+25312 −13	−2978 +354	− ·30
− ·25	Ī·91278809	+27778 −18	−5710 +313	Ī·89822932	+27474 −17	−4998 +293	Ī·88394528	+27151 −16	−4357 +268	− ·25
− ·20	Ī·90957605	+29528 −22	−6958 +243	Ī·89396564	+29235 −21	−6177 +227	Ī·87864758	+28923 −20	−5470 +213	− ·20
− ·15	Ī·90629443	+31195 −25	−7963 +195	Ī·88964019	+30922 −24	−7129 +180	Ī·87329518	+30626 −23	−6370 +169	− ·15
− ·10	Ī·90293318	+32788 −28	−8773 +150	Ī·88524345	+32536 −27	−7901 +142	Ī·86787908	+32259 −26	−7101 +131	− ·10
− ·05	Ī·89948420	+34301 −31	−9433 +125	Ī·88076770	+34077 −30	−8531 +117	Ī·86239197	+33823 −29	−7701 +108	− ·05
− ·00	Ī·89594089	+35740 −34	−9984 +102	Ī·87620664	+35546 −33	−9042 +95	Ī·85682785	+35319 −32	−8191 +88	− ·00
·0	Ī·89594089	+35740 −34	−39755 +1568	Ī·87620664	+35548 −33	−36075 +1554	Ī·85682785	+35319 −32	−32674 +1447	·0
·1	Ī·88855105	+38403 −40	−42902 +1121	Ī·86680908	+38278 −39	−39133 +1049	Ī·84544987	+38111 −38	−35628 +977	·1
·2	Ī·88073218	+40790 −44	−44929 +779	Ī·85702019	+40741 −45	−41142 +730	Ī·83371562	+40648 −43	−37604 +682	·2
·3	Ī·87246402	+42923 −48	−46176 +545	Ī·84681988	+42958 −49	−42422 +513	Ī·82160532	+42944 −48	−38898 +482	·3
·4	Ī·86373410	+44822 −51	−46879 +388	Ī·83619535	+44945 −52	−43188 +387	Ī·80910605	+45018 −52	−39710 +347	·4
·5	Ī·85453539	+46505 −53	−47193 +281	Ī·82513894	+46719 −55	−43587 +268	Ī·79620968	+46879 −55	−40175 +254	·5
·6	Ī·84486475	+47992 −55	−47227 +205	Ī·81364666	+48299 −58	−43717 +197	Ī·78291156	+48549 −58	−40387 +188	·6
·7	Ī·83472184	+49300 −55	−47058 +148	Ī·80171721	+49700 −57	−43651 +144	Ī·76920957	+50041 −59	−40410 +139	·7
·8	Ī·82410837	+50446 −56	−46737 +106	Ī·78935124	+50936 −57	−43441 +105	Ī·75510348	+51369 −61	−40294 +102	·8
·9	Ī·81302752	+51444 −55	−46313 +79	Ī·77655086	+52024 −58	−43128 +79	Ī·74059445	+52547 −61	−40078 +78	·9
1·0	Ī·80148354	+52308 −53	−45810 +55	Ī·76331923	+52978 −57	−42732 +58	Ī·72568467	+53587 −60	−39779 +58	1·0
1·1	Ī·78948147	+53051 −52	−45252 +38	Ī·74966027	+53804 −58	−42282 +41	Ī·71037710	+54502 −60	−39425 +42	1·1
1·2	Ī·77702689	+53686 −49	−44655 +26	Ī·73557849	+54519 −53	−41790 +29	Ī·69467528	+55300 −58	−39028 +31	1·2
1·3	Ī·76412575	+54219 −46	−44033 +16	Ī·72107881	+55131 −51	−41270 +19	Ī·67858318	+55993 −56	−38601 +22	1·3
1·4	Ī·75078429	+54663 −43	−43395 +9	Ī·70616642	+55650 −49	−40731 +12	Ī·66210506	+56589 −54	−38151 +15	1·4
1·5	Ī·73700888	+55028 −40	−42748 +3	Ī·69084673	+56084 −46	−40179 +7	Ī·64524544	+57097 −51	−37687 +10	1·5
1·6	Ī·72280599	+55315 −37	−42098 −1	Ī·67512526	+56441 −43	−39620 +3	Ī·62800894	+57524 −49	−37212 +6	1·6
1·7	Ī·70818212	+55538 −33	−41449 −5	Ī·65900758	+56728 −40	−39059 −1	Ī·61040033	+57878 −45	−36732 +2	1·7
1·8	Ī·69314377	+55701 −29	−40805 −7	Ī·64249933	+56951 −37	−38498 −4	Ī·59242439	+58165 −42	−36249 0	1·8
1·9	Ī·67769737	+55810 −26	−40168 −8	Ī·62560609	+57118 −32	−37941 −5	Ī·57408596	+58390 −39	−35767 −2	1·9
2·0	Ī·66184929	+55869 −22	−39539 −11	Ī·60833343	+57229 −29	−37389 −7	Ī·55538986	+58560 −35	−35287 −4	2·0
2·1	Ī·64560583	+55885 −18	−38921 −11	Ī·59068689	+57294 −25	−36844 −8	Ī·53634089	+58678 −31	−34811 −5	2·1
2·2	Ī·62897315	+55860 −14	−38314 −12	Ī·57267190	+57318 −21	−36307 −9	Ī·51694381	+58750 −27	−34340 −6	2·2
2·3	Ī·61195734	+55800 −11	−37719 −13	Ī·55429384	+57298 −17	−35779 −9	Ī·49720333	+58780 −24	−33876 −7	2·3
2·4	Ī·59456434	+55707 −7	−37136 −13	Ī·53555799	+57245 −14	−35260 −10	Ī·47712410	+58771 −20	−33417 −7	2·4
2·5	Ī·57679998	+55584 −3	−36566 −13	Ī·51646954	+57180 −9	−34751 −10	Ī·45671070	+58728 −16	−32968 −8	2·5
2·6	Ī·55866996	+55438 +1	−36009 −13	Ī·49703357	+57046 −6	−34253 −10	Ī·43596764	+58650 −12	−32522 −8	2·6
2·7	Ī·54017986	+55284 +4	−35464 −13	Ī·47725508	+56905 −2	−33764 −11	Ī·41489936	+58545 −9	−32087 −8	2·7
2·8	Ī·52133510	+55070 +8	−34933 −13	Ī·45713895	+56741 +1	−33286 −11	Ī·39351020	+58414 −4	−31660 −9	2·8
2·9	Ī·50214102	+54858 +11	−34414 −12	Ī·43668996	+56555 +5	−32818 −10	Ī·37180445	+58258 −1	−31241 −9	2·9
3·0	Ī·48260279	+54628 +14	−33908 −12	Ī·41591279	+56360 +9	−32361 −10	Ī·34978629	+58081 +3	−30830 −8	3·0
3·1	Ī·46272548	+54384 +17	−33415 −12	Ī·39481201	+56128 +12	−31914 −10	Ī·32745982	+57884 +6	−30423 −8	3·1
3·2	Ī·44251402	+54128 +20	−32933 −12	Ī·37339210	+55890 +16	−31477 −10	Ī·30482908	+57670 +9	−30034 −8	3·2
3·3	Ī·42197323	+53855 +24	−32463 −12	Ī·35165742	+55638 +19	−31049 −10	Ī·28189799	+57439 +12	−29648 −8	3·3
3·4	Ī·40110781	+53575 +26	−32005 −11	Ī·32961225	+55374 +22	−30632 −10	Ī·25867042	+57194 +16	−29270 −8	3·4
3·5	Ī·37992234	+53285 +29	−31558 −11	Ī·30726076	+55093 +25	−30224 −10	Ī·23515015	+56938 +19	−28900 −8	3·5
3·6	Ī·35842129	+52986 +32	−31122 −11	Ī·28460702	+54812 +28	−29826 −9	Ī·21134087	+56668 +22	−28538 −8	3·6
3·7	Ī·33660903	+52681 +34	−30696 −10	Ī·26165503	+54518 +31	−29438 −9	Ī·18724621	+56388 +25	−28184 −8	3·7
3·8	Ī·31448980	+52369 +37	−30281 −10	Ī·23840867	+54216 +33	−29058 −9	Ī·16286971	+56097 +28	−27838 −8	3·8
3·9	Ī·29206775	+52052 +39	−29877 −10	Ī·21487175	+53908 +35	−28684 −9	Ī·13821483	+55799 +31	−27498 −7	3·9
4·0	Ī·26934695	+51730 +41	−29481 −10	Ī·19104799	+53593 +38	−28321 −8	Ī·11328497	+55494 +33	−27165 −7	4·0

	$u = 0{\cdot}8$			$u = 0{\cdot}9$			$u = 1{\cdot}0$			
p	log $I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	log $I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	log $I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
−1·00	·00000000	0 0		·00000000	0 0		·00000000	0 0		−1·00
− ·95	$\bar{1}$·97558535	+432 0	+1102389	$\bar{1}$·97516153	+428 0	+1076842	$\bar{1}$·97474197	+421 0	+1049912	− ·95
− ·90	$\bar{1}$·96219458	+1495 0	+299883 +658933	$\bar{1}$·96108148	+1479 0	+287773 +647532	$\bar{1}$·95998306	+1445 0	+276063 +637698	− ·90
− ·85	$\bar{1}$·95180264	+2968 0	+154311 +83660	$\bar{1}$·94987916	+2911 0	+147036 +81378	$\bar{1}$·94798478	+2858 +1	+140022 +79151	− ·85
− ·80	$\bar{1}$·94295381	+4706 +1	+92399 +28959	$\bar{1}$·94014720	+4615 +1	+87877 +27976	$\bar{1}$·93738672	+4525 +2	+83132 +27003	− ·80
− ·75	$\bar{1}$·93502895	+6622 +2	+59446 +13182	$\bar{1}$·93129201	+6491 +2	+56294 +12641	$\bar{1}$·92761998	+6362 +2	+53245 +12134	− ·75
− ·70	$\bar{1}$·92769859	+8648 +1	+39875 +6954	$\bar{1}$·92299976	+8476 +2	+37582 +6645	$\bar{1}$·91838569	+8307 +2	+35492 +6348	− ·70
− ·65	$\bar{1}$·92076496	+10731 0	+26858 +4059	$\bar{1}$·91508303	+10522 +1	+25456 +3851	$\bar{1}$·90950632	+10317 +1	+24082 +3656	− ·65
− ·60	$\bar{1}$·91409991	+12841 0	+18091 +2529	$\bar{1}$·90742085	+12597 +1	+17209 +2391	$\bar{1}$·90086777	+12355 +1	+16327 +2272	− ·60
− ·55	$\bar{1}$·90761577	+14959 −1	+11853 +1661	$\bar{1}$·89993076	+14675 −1	+11354 +1567	$\bar{1}$·89239249	+14403 0	+10844 +1465	− ·55
− ·50	$\bar{1}$·90125016	+17040 −2	+7276 +1133	$\bar{1}$·89255421	+16749 −2	+7066 +1068	$\bar{1}$·88402565	+16438 −1	+6826 +1014	− ·50
− ·45	$\bar{1}$·89495731	+19096 −4	+3832 +804	$\bar{1}$·88524832	+18774 −4	+3846 +751	$\bar{1}$·87572707	+18451 −3	+3822 +697	− ·45
− ·40	$\bar{1}$·88870278	+21108 −7	+1192 +583	$\bar{1}$·87798089	+20771 −6	+1377 +548	$\bar{1}$·86746671	+20429 −5	+1516 +515	− ·40
− ·35	$\bar{1}$·88246017	+23068 −9	−885 +433	$\bar{1}$·87072723	+22720 −8	−544 +399	$\bar{1}$·85922150	+22368 −7	−277 +373	− ·35
− ·30	$\bar{1}$·87620891	+24971 −12	−2489 +327	$\bar{1}$·86346813	+24618 −11	−2066 +311	$\bar{1}$·85097352	+24254 −10	−1696 +287	− ·30
− ·25	$\bar{1}$·86993276	+26802 −15	−3788 +251	$\bar{1}$·85618837	+26481 −14	−3277 +230	$\bar{1}$·84270858	+26082 −13	−2826 +216	− ·25
− ·20	$\bar{1}$·86361875	+28592 −18	−4832 +197	$\bar{1}$·84887584	+28243 −17	−4258 +184	$\bar{1}$·83441536	+27877 −16	−3745 +173	− ·20
− ·15	$\bar{1}$·85725642	+30307 −21	−5679 +155	$\bar{1}$·84152073	+29988 −20	−5055 +148	$\bar{1}$·82608469	+29609 −19	−4489 +131	− ·15
− ·10	$\bar{1}$·85083730	+31956 −25	−6371 +124	$\bar{1}$·83411507	+31628 −23	−5704 +110	$\bar{1}$·81770913	+31277 −22	−5102 +110	− ·10
− ·05	$\bar{1}$·84435447	+33549 −28	−6939 +100	$\bar{1}$·82665237	+33229 −26	−6243 +94	$\bar{1}$·80928255	+32892 −25	−5606 +85	− ·05
− ·00	$\bar{1}$·83780225	+35059 −31	−7406 +82	$\bar{1}$·81912724	+34769 −30	−6685 +76	$\bar{1}$·80079992	+34449 −28	−6025 +71	− ·00
·0	$\bar{1}$·83780225	+35059 −31	−29542 +1345	$\bar{1}$·81912724	+34769 −30	−26684 +1247	$\bar{1}$·80079992	+34449 −28	−24028 +1153	·0
·1	$\bar{1}$·82447178	+37908 −37	−32378 +909	$\bar{1}$·80387276	+37668 −38	−29374 +843	$\bar{1}$·78365042	+37391 −34	−26803 +760	·1
·2	$\bar{1}$·81081752	+40512 −42	−34306 +636	$\bar{1}$·78832454	+40332 −42	−31241 +599	$\bar{1}$·76623489	+40111 −40	−28399 +547	·2
·3	$\bar{1}$·79682021	+42883 −48	−35598 +450	$\bar{1}$·77246392	+42773 −47	−32517 +419	$\bar{1}$·74853537	+42617 −46	−29648 +382	·3
·4	$\bar{1}$·78246691	+45035 −52	−36449 +326	$\bar{1}$·75627812	+45002 −52	−33376 +304	$\bar{1}$·73053936	+44917 −51	−30609 +282	·4
·5	$\bar{1}$·76774921	+46984 −56	−36957 +249	$\bar{1}$·73975858	+47032 −56	−33929 +228	$\bar{1}$·71223826	+47024 −56	−31087 +210	·5
·6	$\bar{1}$·75266194	+48742 −59	−37234 +179	$\bar{1}$·72289974	+48876 −59	−34258 +169	$\bar{1}$·69362630	+48949 −60	−31456 +159	·6
·7	$\bar{1}$·73720234	+50323 −61	−37332 +134	$\bar{1}$·70569834	+50544 −62	−34417 +127	$\bar{1}$·67469978	+50703 −63	−31666 +120	·7
·8	$\bar{1}$·72136941	+51742 −63	−37297 +99	$\bar{1}$·68815276	+52051 −64	−34451 +95	$\bar{1}$·65545661	+52296 −66	−31786 +91	·8
·9	$\bar{1}$·70516351	+53009 −64	−37163 +77	$\bar{1}$·67026267	+53408 −65	−34389 +75	$\bar{1}$·63589590	+53741 −68	−31764 +71	·9
1·0	$\bar{1}$·68858599	+54138 −64	−36952 +57	$\bar{1}$·65202869	+54625 −66	−34252 +58	$\bar{1}$·61601764	+55046 −69	−31682 +55	1·0
1·1	$\bar{1}$·67163895	+55139 −65	−36684 +43	$\bar{1}$·63345219	+55714 −67	−34060 +43	$\bar{1}$·59582257	+56221 −70	−31555 +42	1·1
1·2	$\bar{1}$·65432507	+56022 −62	−36372 +32	$\bar{1}$·61453509	+56683 −66	−33824 +33	$\bar{1}$·57531193	+57277 −70	−31386 +33	1·2
1·3	$\bar{1}$·63664748	+56798 −61	−36028 +24	$\bar{1}$·59527975	+57542 −65	−33555 +25	$\bar{1}$·55448744	+58220 −69	−31183 +26	1·3
1·4	$\bar{1}$·61860959	+57474 −59	−35661 +18	$\bar{1}$·57568886	+58299 −64	−33281 +19	$\bar{1}$·53335112	+59060 −68	−30958 +20	1·4
1·5	$\bar{1}$·60021511	+58058 −57	−35275 +12	$\bar{1}$·55576536	+58963 −62	−32948 +14	$\bar{1}$·51190524	+59805 −67	−30707 +15	1·5
1·6	$\bar{1}$·58146787	+58569 −54	−34878 +8	$\bar{1}$·53551239	+59540 −60	−32621 +10	$\bar{1}$·49015230	+60480 −65	−30443 +12	1·6
1·7	$\bar{1}$·56237185	+58983 −52	−34472 +5	$\bar{1}$·51493321	+60037 −58	−32293 +7	$\bar{1}$·46809493	+61032 −63	−30168 +9	1·7
1·8	$\bar{1}$·54293111	+59337 −49	−34062 +2	$\bar{1}$·49403119	+60460 −55	−31939 +4	$\bar{1}$·44573588	+61529 −61	−29884 +6	1·8
1·9	$\bar{1}$·52314975	+59626 −45	−33649 +1	$\bar{1}$·47280979	+60818 −52	−31590 +3	$\bar{1}$·42307799	+61955 −58	−29594 +4	1·9
2·0	$\bar{1}$·50303189	+59856 −42	−33236 −2	$\bar{1}$·45127248	+61119 −49	−31239 +1	$\bar{1}$·40012416	+62315 −55	−29300 +3	2·0
2·1	$\bar{1}$·48258168	+60031 −38	−32824 −2	$\bar{1}$·42942277	+61346 −45	−30887 0	$\bar{1}$·37687733	+62616 −52	−29003 +2	2·1
2·2	$\bar{1}$·46180322	+60157 −35	−32415 −4	$\bar{1}$·40726420	+61529 −41	−30536 −2	$\bar{1}$·35334047	+62860 −49	−28705 0	2·2
2·3	$\bar{1}$·44070061	+60237 −31	−32010 −4	$\bar{1}$·38480026	+61684 −38	−30188 −2	$\bar{1}$·32951656	+63053 −46	−28406 −1	2·3
2·4	$\bar{1}$·41927790	+60276 −27	−31608 −5	$\bar{1}$·36203447	+61764 −34	−29838 −3	$\bar{1}$·30540859	+63199 −42	−28109 −1	2·4
2·5	$\bar{1}$·39753912	+60277 −23	−31212 −5	$\bar{1}$·33897030	+61804 −31	−29493 −3	$\bar{1}$·28101953	+63300 −38	−27812 −1	2·5
2·6	$\bar{1}$·37548821	+60243 −19	−30822 −6	$\bar{1}$·31561120	+61815 −27	−29152 −4	$\bar{1}$·25635235	+63361 −35	−27518 −2	2·6
2·7	$\bar{1}$·35312908	+60177 −15	−30438 −6	$\bar{1}$·29196057	+61792 −23	−28815 −4	$\bar{1}$·23140999	+63385 −31	−27225 −3	2·7
2·8	$\bar{1}$·33046559	+60081 −12	−30058 −7	$\bar{1}$·26802179	+61738 −19	−28483 −5	$\bar{1}$·20619537	+63374 −27	−26936 −4	2·8
2·9	$\bar{1}$·30750152	+59960 −8	−29686 −7	$\bar{1}$·24379819	+61654 −15	−28154 −5	$\bar{1}$·18071140	+63332 −23	−26650 −4	2·9
3·0	$\bar{1}$·28424060	+59814 −4	−29320 −7	$\bar{1}$·21929304	+61543 −12	−27831 −6	$\bar{1}$·15496092	+63269 −19	−26367 −4	3·0
3·1	$\bar{1}$·26068648	+59646 0	−28960 −7	$\bar{1}$·19450959	+61408 −8	−27513 −6	$\bar{1}$·12894678	+63162 −15	−26087 −4	3·1
3·2	$\bar{1}$·23684275	+59458 +3	−28606 −7	$\bar{1}$·16945101	+61251 −4	−27200 −5	$\bar{1}$·10267177	+63038 −12	−25811 −4	3·2
3·3	$\bar{1}$·21271295	+59252 +7	−28261 −7	$\bar{1}$·14412043	+61073 −1	−26891 −6	$\bar{1}$·07613865	+62892 −8	−25539 −5	3·3
3·4	$\bar{1}$·18830054	+59030 +10	−27922 −6	$\bar{1}$·11852095	+60877 +3	−26588 −5	$\bar{1}$·04935013	+62728 −5	−25271 −4	3·4
3·5	$\bar{1}$·16360890	+58793 +13	−27588 −6	$\bar{1}$·09265559	+60663 +7	−26290 −6	$\bar{1}$·02230890	+62540 −1	−25007 −4	3·5
3·6	$\bar{1}$·13864139	+58542 +17	−27262 −6	$\bar{1}$·06652732	+60434 +10	−25997 −5	$\bar{2}$·99501760	+62338 +3	−24746 −4	3·6
3·7	$\bar{1}$·11340126	+58279 +20	−26941 −6	$\bar{1}$·04013909	+60191 +13	−25709 −5	$\bar{2}$·96747884	+62117 +6	−24490 −4	3·7
3·8	$\bar{1}$·08789171	+58005 +23	−26627 −6	$\bar{1}$·01349376	+59936 +17	−25427 −6	$\bar{2}$·93969517	+61883 +10	−24238 −4	3·8
3·9	$\bar{1}$·06211590	+57721 +26	−26319 −6	$\bar{2}$·98659417	+59668 +20	−25149 −6	$\bar{2}$·91166913	+61636 +13	−23989 −4	3·9
4·0	$\bar{1}$·03607689	+57428 +29	−26018 −6	$\bar{2}$·95944308	+59391 +23	−24877 −5	$\bar{2}$·88340319	+61376 +16	−23745 −4	4·0

	$u = 0{\cdot}5$			$u = 0{\cdot}6$			$u = 0{\cdot}7$			
p	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
4·0	$\bar{1}$·26934695	+51730 +41	−29481 −10	$\bar{1}$·19104799	+53593 +38	−28321 −8	$\bar{1}$·11328497	+55494 +33	−27166 −7	4·0
4·1	$\bar{1}$·24633132	+51405 +44	−29096 −9	$\bar{1}$·16694102	+53273 +40	−27966 −8	$\bar{1}$·08808345	+55183 +36	−26841 −7	4·1
4·2	$\bar{1}$·22302474	+51076 +46	−28719 −9	$\bar{1}$·14255438	+52950 +42	−27619 −8	$\bar{1}$·06261351	+54866 +38	−26523 −6	4·2
4·3	$\bar{1}$·19943097	+50744 +47	−28352 −8	$\bar{1}$·11789155	+52622 +45	−27280 −8	$\bar{1}$·03687835	+54544 +41	−26211 −6	4·3
4·4	$\bar{1}$·17555367	+50411 +49	−27993 −9	$\bar{1}$·09295592	+52291 +48	−26948 −8	$\bar{1}$·01088107	+54218 +43	−25907 −6	4·4
4·5	$\bar{1}$·15139645	+50076 +51	−27643 −8	$\bar{1}$·06775080	+51958 48	−26624 −7	$\bar{2}$·98462472	+53888 +45	−25608 −6	4·5
4·6	$\bar{1}$·12696279	+49740 +53	−27309 −8	$\bar{1}$·04227943	+51622 +50	−26307 −7	$\bar{2}$·95811230	+53555 +47	−25318 −6	4·6
4·7	$\bar{1}$·10225614	+49403 +54	−26966 −7	$\bar{1}$·01654500	+51286 +51	−25997 −8	$\bar{2}$·93134671	+53220 +50	−25039 −6	4·7
4·8	$\bar{1}$·07727982	+49065 +56	−26639 −7	$\bar{2}$·99055059	+50947 +53	−25694 −6	$\bar{2}$·90433083	+52883 +51	−24749 −6	4·8
4·9	$\bar{1}$·05203711	+48728 +57	−26320 −7	$\bar{2}$·96429923	+50609 +55	−25397 −8	$\bar{2}$·87706745	+52544 +53	−24475 −5	4·9
5·0	$\bar{1}$·02653120	+48391 +58	−26008 −7	$\bar{2}$·93779391	+50269 +57	−25107 −6	$\bar{2}$·84955932	+52204 +54	−24206 −5	5·0
5·1	$\bar{1}$·00076521	+48055 +59	−25703 −7	$\bar{2}$·91103752	+49930 +58	−24823 −6	$\bar{2}$·82180913	+51864 +56	−23942 −5	5·1
5·2	$\bar{2}$·97474219	+47719 +61	−25404 −6	$\bar{2}$·88403290	+49591 +59	−24545 −8	$\bar{2}$·79381951	+51522 +58	−23686 −5	5·2
5·3	$\bar{2}$·94846513	+47386 +62	−25112 −6	$\bar{2}$·85678283	+49253 +61	−24272 −6	$\bar{2}$·76559305	+51181 +59	−23431 −5	5·3
5·4	$\bar{2}$·92193694	+47052 +62	−24827 −6	$\bar{2}$·82929004	+48915 +62	−24006 −6	$\bar{2}$·73713228	+50840 +60	−23184 −5	5·4
5·5	$\bar{2}$·89516049	+46720 +64	−24548 −6	$\bar{2}$·80155719	+48578 +63	−23745 −6	$\bar{2}$·70843967	+50499 +62	−22940 −5	5·5
5·6	$\bar{2}$·86813856	+46390 +64	−24274 −6	$\bar{2}$·77358689	+48242 +64	−23489 −6	$\bar{2}$·67951765	+50159 +63	−22702 −4	5·6
5·7	$\bar{2}$·84087389	+46061 +66	−24007 −5	$\bar{2}$·74538171	+47908 +65	−23238 −5	$\bar{2}$·65036861	+49820 +64	−22468 −4	5·7
5·8	$\bar{2}$·81336915	+45735 +66	−23746 −5	$\bar{2}$·71694414	+47576 +66	−22993 −6	$\bar{2}$·62099488	+49482 +66	−22240 −4	5·8
5·9	$\bar{2}$·78562696	+45411 +66	−23488 −5	$\bar{2}$·68827664	+47244 +67	−22752 −5	$\bar{2}$·59139876	+49145 +66	−22016 −4	5·9
6·0	$\bar{2}$·75764990	+45088 +67	−23237 −5	$\bar{2}$·65938162	+46915 +68	−22517 −6	$\bar{2}$·56158249	+48810 +67	−21784 −4	6·0
6·1	$\bar{2}$·72944046	+44768 +68	−22991 −6	$\bar{2}$·63026143	+46588 +68	−22286 −4	$\bar{2}$·53154827	+48476 +68	−21578 −4	6·1
6·2	$\bar{2}$·70100112	+44450 +69	−22750 −5	$\bar{2}$·60091838	+46265 +69	−22059 −4	$\bar{2}$·50129827	+48143 +69	−21366 −4	6·2
6·3	$\bar{2}$·67233427	+44135 +69	−22514 −5	$\bar{2}$·57135475	+45940 +69	−21837 −4	$\bar{2}$·47083462	+47813 +70	−21168 −4	6·3
6·4	$\bar{2}$·64344229	+43822 +70	−22282 −4	$\bar{2}$·54157274	+45619 +70	−21619 −4	$\bar{2}$·44015938	+47485 +71	−20953 −4	6·4
6·5	$\bar{2}$·61432749	+43512 +70	−22055 −4	$\bar{2}$·51157455	+45300 +71	−21405 −4	$\bar{2}$·40927461	+47159 +71	−20753 −4	6·5
6·6	$\bar{2}$·58499213	+43204 +70	−21833 −4	$\bar{2}$·48136230	+44984 +71	−21108 −4	$\bar{2}$·37818231	+46834 +72	−20556	6·6
6·7	$\bar{2}$·55543844	+42899 +71	−21615 −4	$\bar{2}$·45093810	+44670 +72	−20990 −4	$\bar{2}$·34688446	+46512 +72	−20362	6·7
6·8	$\bar{2}$·52566861	+42597 +71	−21401 −4	$\bar{2}$·42030400	+44359 +72	−20788 −4	$\bar{2}$·31538298	+46193 +73	−20172	6·8
6·9	$\bar{2}$·49568477	+42297 +71	−21191 −4	$\bar{2}$·38946202	+44050 +73	−20590 −4	$\bar{2}$·28367977	+45875 +73	−19986	6·9
7·0	$\bar{2}$·46548902	+42000 +71	−20986 −4	$\bar{2}$·35841414	+43744 +73	−20395	$\bar{2}$·25177671	+45560 +74	−19803	7·0
7·1	$\bar{2}$·43508342	+41706 +72	−20783 −4	$\bar{2}$·32716231	+43440 +73	−20204	$\bar{2}$·21967561	+45247 +74	−19623	7·1
7·2	$\bar{2}$·40446998	+41415 +72	−20585 −4	$\bar{2}$·29570844	+43140 +73	−20017	$\bar{2}$·18737829	+44937 +75	−19446	7·2
7·3	$\bar{2}$·37365070	+41126 +72	−20390 −4	$\bar{2}$·26405440	+42841 +74	−19833	$\bar{2}$·15488651	+44630 +75	−19272	7·3
7·4	$\bar{2}$·34262751	+40840 +72	−20199 −4	$\bar{2}$·23220203	+42548 +74	−19652	$\bar{2}$·12220201	+44325 +75	−19101	7·4
7·5	$\bar{2}$·31140233	+40557 +72	−20012 −4	$\bar{2}$·20015314	+42253 +74	−19474	$\bar{2}$·08932649	+44023 +75	−18933	7·5
7·6	$\bar{2}$·27997703	+40277 +72	−19828	$\bar{2}$·16790952	+41963 +74	−19299	$\bar{2}$·05626164	+43723 +76	−18768	7·6
7·7	$\bar{2}$·24835345	+39999 +72	−19647	$\bar{2}$·13547290	+41675 +74	−19128	$\bar{2}$·02300911	+43428 +76	−18606	7·7
7·8	$\bar{2}$·21653340	+39724 +72	−19469	$\bar{2}$·10284500	+41391 +74	−18959	$\bar{3}$·98957052	+43131 +78	−18448	7·8
7·9	$\bar{2}$·18451865	+39452 +72	−19296	$\bar{2}$·07002751	+41109 +74	−18793	$\bar{3}$·95594746	+42839 +77	−18290	7·9
8·0	$\bar{2}$·15231096	+39183 +72	−19123	$\bar{2}$·03702208	+40830 +74	−18631	$\bar{3}$·92214151	+42550 +77	−18135	8·0
8·1	$\bar{2}$·11991203	+38917 +72	−18955	$\bar{2}$·00383035	+40553 +74	−18470	$\bar{3}$·88815420	+42264 +77	−17983	8·1
8·2	$\bar{2}$·08732356	+38653 +72	−18789	$\bar{3}$·97045391	+40279 +74	−18318	$\bar{3}$·85398706	+41980 +77	−17834	8·2
8·3	$\bar{2}$·05454719	+38392 +72	−18626	$\bar{3}$·93689434	+40008 +74	−18158	$\bar{3}$·81964159	+41699 +77	−17687	8·3
8·4	$\bar{2}$·02158455	+38134 +72	−18467	$\bar{3}$·90315320	+39740 +74	−18006	$\bar{3}$·78511924	+41420 +77	−17542	8·4
8·5	$\bar{3}$·98843725	+37878 +71	−18309	$\bar{3}$·86923199	+39474 +74	−17856	$\bar{3}$·75042147	+41144 +76	−17400	8·5
8·6	$\bar{3}$·95510686	+37625 +71	−18155	$\bar{3}$·83513222	+39211 +74	−17709	$\bar{3}$·71554970	+40871 +76	−17260	8·6
8·7	$\bar{3}$·92159492	+37375 +71	−18002	$\bar{3}$·80085537	+38951 +74	−17564	$\bar{3}$·68050533	+40601 +76	−17122	8·7
8·8	$\bar{3}$·88790296	+37127 +71	−17853	$\bar{3}$·76640288	+38693 +74	−17421	$\bar{3}$·64528973	+40333 +76	−16986	8·8
8·9	$\bar{3}$·85403247	+36882 +71	−17708	$\bar{3}$·73177618	+38438 +73	−17280	$\bar{3}$·60990428	+40068 +76	−16853	8·9
9·0	$\bar{3}$·81998492	+36639 +71	−17561	$\bar{3}$·69697669	+38185 +73	−17142	$\bar{3}$·57435030	+39805 +76	−16721	9·0
9·1	$\bar{3}$·78576177	+36399 +71	−17416	$\bar{3}$·66200576	+37935 +73	−17006	$\bar{3}$·53862911	+39545 +76	−16591	9·1
9·2	$\bar{3}$·75136444	+36162 +70	−17278	$\bar{3}$·62686478	+37688 +73	−16872	$\bar{3}$·50274201	+39287 +76	−16464	9·2
9·3	$\bar{3}$·71679433	+35927 +70	−17140	$\bar{3}$·59155508	+37443 +73	−16740	$\bar{3}$·46669027	+39032 +76	−16338	9·3
9·4	$\bar{3}$·68205282	+35695 +70	−17004	$\bar{3}$·55607798	+37201 +72	−16610	$\bar{3}$·43047516	+38780 +75	−16214	9·4
9·5	$\bar{3}$·64714127	+35465 +70	−16870	$\bar{3}$·52043478	+36961 +72	−16482	$\bar{3}$·39409790	+38530 +76	−16092	9·5
9·6	$\bar{3}$·61206103	+35237 +69	−16738	$\bar{3}$·48462675	+36724 +72	−16356	$\bar{3}$·35755972	+38283 +76	−15972	9·6
9·7	$\bar{3}$·57681339	+35012 +69	−16609	$\bar{3}$·44865516	+36489 +72	−16232	$\bar{3}$·32086182	+38038 +75	−15853	9·7
9·8	$\bar{3}$·54139967	+34790 +69	−16481	$\bar{3}$·41252125	+36257 +72	−16110	$\bar{3}$·28400539	+37796 +75	−15737	9·8
9·9	$\bar{3}$·50582114	+34569 +66	−16356	$\bar{3}$·37622624	+36027 +72	−15990	$\bar{3}$·24699160	+37556 +74	−15621	9·9
10·0	$\bar{3}$·47007906	+34351 +68	−16231	$\bar{3}$·33977133	+35799 +71	−15871	$\bar{3}$·20982159	+37318 +74	−15508	10·0

	$u = 0·8$			$u = 0·9$			$u = 1·0$			
p	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log I'(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
4·0	$\bar{1}$·03607689	+57428 +29	−26018 −6	$\bar{2}$·95944308	+59391 +23	−24877 −5	$\bar{2}$·88340319	+61376 +16	−23746 −4	4·0
4·1	$\bar{1}$·00977770	+57128 +31	−25721 −6	$\bar{2}$·93204323	+59104 +26	−24609 −5	$\bar{2}$·85489980	+61106 +19	−23505 −4	4·1
4·2	$\bar{2}$·98322130	+56820 +34	−25431 −6	$\bar{2}$·90439729	+58808 +29	−24346 −4	$\bar{2}$·82616136	+60826 +22	−23268 −4	4·2
4·3	$\bar{2}$·95641058	+56508 +36	−25147 −5	$\bar{2}$·87650788	+58506 +32	−24088 −4	$\bar{2}$·79719024	+60536 +25	−23036 −4	4·3
4·4	$\bar{2}$·92934840	+56187 +39	−24868 −5	$\bar{2}$·84837760	+58196 +34	−23835 −4	$\bar{2}$·76798876	+60238 +29	−22807 −4	4·4
4·5	$\bar{2}$·90203753	+55863 +41	−24595 −5	$\bar{2}$·82000897	+57880 +37	−23586 −4	$\bar{2}$·73855921	+59934 +32	−22582 −4	4·5
4·6	$\bar{2}$·87448071	+55535 +44	−24327 −5	$\bar{2}$·79140448	+57559 +39	−23341 −4	$\bar{2}$·70890384	+59622 +34	−22361 −4	4·6
4·7	$\bar{2}$·84668063	+55204 +46	−24064 −5	$\bar{2}$·76256658	+57234 +41	−23101 −4	$\bar{2}$·67902487	+59305 +37	−22143 −4	4·7
4·8	$\bar{2}$·81863990	+54870 +48	−23806 −5	$\bar{2}$·73349766	+56904 +44	−22866 −4	$\bar{2}$·64892446	+58982 +40	−21929 −4	4·8
4·9	$\bar{2}$·79036110	+54532 +50	−23554 −5	$\bar{2}$·70420008	+56571 +46	−22635 −4	$\bar{2}$·61860477	+58655 +42	−21718 −4	4·9
5·0	$\bar{2}$·76184677	+54194 +52	−23306 −5	$\bar{2}$·67467616	+56235 +48	−22407 −4	$\bar{2}$·58806789	+58324 +44	−21512	5·0
5·1	$\bar{2}$·73309938	+53855 +54	−23063 −5	$\bar{2}$·64492816	+55896 +50	−22184 −4	$\bar{2}$·55731590	+57989 +46	−21308	5·1
5·2	$\bar{2}$·70412136	+53511 +55	−22824 −5	$\bar{2}$·61495831	+55556 +52	−21965 −4	$\bar{2}$·52635083	+57652 +48	−21108	5·2
5·3	$\bar{2}$·67491509	+53169 +57	−22590 −4	$\bar{2}$·58476882	+55213 +54	−21750 −4	$\bar{2}$·49517467	+57312 +51	−20911	5·3
5·4	$\bar{2}$·64548292	+52826 +59	−22361 −4	$\bar{2}$·55436182	+54870 +56	−21539 −4	$\bar{2}$·46378941	+56970 +52	−20717	5·4
5·5	$\bar{2}$·61582714	+52482 +60	−22136 −4	$\bar{2}$·52373943	+54525 +58	−21331 −4	$\bar{2}$·43219698	+56626 +54	−20527	5·5
5·6	$\bar{2}$·58595000	+52139 +61	−21915 −4	$\bar{2}$·49290374	+54180 +59	−21127 −4	$\bar{2}$·40039928	+56281 +56	−20339	5·6
5·7	$\bar{2}$·55585371	+51796 +62	−21698 −4	$\bar{2}$·46185677	+53835 +60	−20926	$\bar{2}$·36839819	+55934 +58	−20155	5·7
5·8	$\bar{2}$·52554044	+51454 +64	−21485 −4	$\bar{2}$·43060055	+53489 +62	−20730	$\bar{2}$·33619554	+55587 +59	−19974	5·8
5·9	$\bar{2}$·49501233	+51112 +65	−21276 −4	$\bar{2}$·39913702	+53144 +64	−20536	$\bar{2}$·30379315	+55240 +61	−19796	5·9
6·0	$\bar{2}$·46427146	+50771 +66	−21071 −4	$\bar{2}$·36746814	+52799 +65	−20346	$\bar{2}$·27119281	+54892 +63	−19620	6·0
6·1	$\bar{2}$·43331987	+50432 +67	−20869 −4	$\bar{2}$·33559580	+52455 +66	−20159	$\bar{2}$·23839627	+54544 +64	−19447	6·1
6·2	$\bar{2}$·40215960	+50094 +68	−20671 −4	$\bar{2}$·30352187	+52112 +67	−19975	$\bar{2}$·20540525	+54197 +66	−19278	6·2
6·3	$\bar{2}$·37079262	+49757 +69	−20477	$\bar{2}$·27124819	+51770 +68	−19794	$\bar{2}$·17222146	+53851 +67	−19110	6·3
6·4	$\bar{2}$·33922087	+49422 +70	−20286	$\bar{2}$·23877657	+51428 +70	−19617	$\bar{2}$·13884656	+53505 +68	−18946	6·4
6·5	$\bar{2}$·30744626	+49088 +71	−20098	$\bar{2}$·20610879	+51089 +70	−19442	$\bar{2}$·10528220	+53159 +69	−18784	6·5
6·6	$\bar{2}$·27547067	+48756 +71	−19914	$\bar{2}$·17324659	+50750 +72	−19270	$\bar{2}$·07153001	+52815 +70	−18625	6·6
6·7	$\bar{2}$·24329594	+48427 +72	−19733	$\bar{2}$·14019168	+50413 +72	−19101	$\bar{2}$·03759156	+52472 +71	−18466	6·7
6·8	$\bar{2}$·21092388	+48099 +73	−19555	$\bar{2}$·10694577	+50078 +73	−18936	$\bar{2}$·00346845	+52131 +72	−18315	6·8
6·9	$\bar{2}$·17835627	+47773 +74	−19380	$\bar{2}$·07351051	+49745 +74	−18771	$\bar{3}$·96916219	+51791 +73	−18161	6·9
7·0	$\bar{2}$·14559487	+47450 +74	−19208	$\bar{2}$·03988753	+49414 +75	−18611	$\bar{3}$·93467433	+51452 +74	−18011	7·0
7·1	$\bar{2}$·11264138	+47129 +75	−19039	$\bar{2}$·00607845	+49085 +75	−18452	$\bar{3}$·90000635	+51116 +75	−17864	7·1
7·2	$\bar{2}$·07949751	+46810 +75	−18873	$\bar{3}$·97208484	+48757 +76	−18297	$\bar{3}$·86515973	+50781 +76	−17719	7·2
7·3	$\bar{2}$·04616492	+46493 +76	−18709	$\bar{3}$·93790826	+48432 +76	−18143	$\bar{3}$·83013593	+50448 +76	−17576	7·3
7·4	$\bar{2}$·01264523	+46179 +77	−18548	$\bar{3}$·90355025	+48109 +76	−17993	$\bar{3}$·79493636	+50116 +77	−17435	7·4
7·5	$\bar{3}$·97894006	+45867 +77	−18390	$\bar{3}$·86901231	+47789 +77	−17844	$\bar{3}$·75956244	+49787 +78	−17296	7·5
7·6	$\bar{3}$·94505099	+45558 +77	−18235	$\bar{3}$·83429592	+47471 +77	−17698	$\bar{3}$·72401556	+49460 +79	−17160	7·6
7·7	$\bar{3}$·91097957	+45251 +77	−18082	$\bar{3}$·79940255	+47155 +78	−17555	$\bar{3}$·68829708	+49136 +79	−17025	7·7
7·8	$\bar{3}$·87672734	+44947 +77	−17931	$\bar{3}$·76433364	+46841 +79	−17413	$\bar{3}$·65240835	+48813 +79	−16892	7·8
7·9	$\bar{3}$·84229580	+44646 +77	−17783	$\bar{3}$·72909060	+46530 +79	−17274	$\bar{3}$·61635069	+48493 +80	−16762	7·9
8·0	$\bar{3}$·80768643	+44347 +77	−17637	$\bar{3}$·69367482	+46221 +79	−17136	$\bar{3}$·58012542	+48175 +80	−16633	8·0
8·1	$\bar{3}$·77290069	+44051 +77	−17493	$\bar{3}$·65808768	+45915 +80	−17001	$\bar{3}$·54373381	+47859 +80	−16506	8·1
8·2	$\bar{3}$·73794001	+43757 +78	−17352	$\bar{3}$·62233052	+45611 +80	−16868	$\bar{3}$·50717715	+47546 +80	−16381	8·2
8·3	$\bar{3}$·70280581	+43466 +78	−17213	$\bar{3}$·58640469	+45310 +80	−16737	$\bar{3}$·47045667	+47235 +81	−16258	8·3
8·4	$\bar{3}$·66749948	+43177 +78	−17076	$\bar{3}$·55031149	+45011 +80	−16607	$\bar{3}$·43357362	+46926 +82	−16136	8·4
8·5	$\bar{3}$·63202239	+42891 +78	−16941	$\bar{3}$·51405222	+44715 +80	−16480	$\bar{3}$·39652920	+46620 +82	−16016	8·5
8·6	$\bar{3}$·59637588	+42607 +79	−16809	$\bar{3}$·47762814	+44422 +80	−16355	$\bar{3}$·35932462	+46317 +82	−15898	8·6
8·7	$\bar{3}$·56056129	+42326 +79	−16678	$\bar{3}$·44104052	+44131 +80	−16231	$\bar{3}$·32196106	+46016 +82	−15782	8·7
8·8	$\bar{3}$·52457992	+42048 +79	−16549	$\bar{3}$·40429059	+43843 +80	−16109	$\bar{3}$·28443968	+45717 +82	−15667	8·8
8·9	$\bar{3}$·48843306	+41773 +78	−16422	$\bar{3}$·36737956	+43557 +81	−15989	$\bar{3}$·24676163	+45421 +82	−15554	8·9
9·0	$\bar{3}$·45212197	+41500 +78	−16297	$\bar{3}$·33030864	+43273 +81	−15871	$\bar{3}$·20892804	+45127 +82	−15442	9·0
9·1	$\bar{3}$·41564791	+41230 +78	−16174	$\bar{3}$·29307901	+42993 +81	−15754	$\bar{3}$·17094003	+44836 +82	−15332	9·1
9·2	$\bar{3}$·37901211	+40962 +78	−16053	$\bar{3}$·25569183	+42715 +81	−15639	$\bar{3}$·13279870	+44548 +82	−15223	9·2
9·3	$\bar{3}$·34221579	+40697 +78	−15933	$\bar{3}$·21814827	+42439 +81	−15526	$\bar{3}$·09450514	+44262 +82	−15116	9·3
9·4	$\bar{3}$·30526013	+40434 +78	−15815	$\bar{3}$·18044944	+42166 +81	−15414	$\bar{3}$·05606042	+43979 +82	−15010	9·4
9·5	$\bar{3}$·26814632	+40174 +78	−15699	$\bar{3}$·14259648	+41896 +81	−15304	$\bar{3}$·01746559	+43698 +82	−14906	9·5
9·6	$\bar{3}$·23087551	+39916 +78	−15585	$\bar{3}$·10459047	+41628 +80	−15196	$\bar{4}$·97872171	+43419 +82	−14803	9·6
9·7	$\bar{3}$·19344886	+39661 +77	−15472	$\bar{3}$·06643252	+41362 +80	−15088	$\bar{4}$·93982980	+43143 +83	−14702	9·7
9·8	$\bar{3}$·15586749	+39409 +77	−15360	$\bar{3}$·02812368	+41099 +80	−14982	$\bar{4}$·90079087	+42870 +83	−14601	9·8
9·9	$\bar{3}$·11813252	+39159 +77	−15251	$\bar{4}$·98966503	+40839 +80	−14878	$\bar{4}$·86160592	+42599 +82	−14503	9·9
10·0	$\bar{3}$·08024504	+38911 +77	−15143	$\bar{4}$·95105759	+40581 +80	−14775	$\bar{4}$·82227596	+42330 +82	−14405	10·0

p	u = 1·0					u = 1·1					u = 1·2					p
	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	
−1·00	·00000000	0	0			·00000000	0	0			·00000000	0	0			−1·00
− ·95	Ī·97474197	+421	0	+1049912		Ī·97432663	+415	0	+1024585		Ī·97391544	+410	0	+999649		− ·95
− ·90	Ī·95998306	+1443	0	+276063	+637808	Ī·95889911	+1421	0	+264740	+628370	Ī·95782937	+1397	0	+253793	+619022	− ·90
− ·85	Ī·94798478	+2856	+1	+140022	+79151	Ī·94611899	+2804	+1	+133265	+76963	Ī·94428123	+2752	+1	+126759	+74615	− ·85
− ·80	Ī·93738672	+4525	+2	+83132	+27003	Ī·93467152	+4437	+2	+78753	+25065	Ī·93200068	+4350	+1	+74541	+23148	− ·80
− ·75	Ī·92761998	+6362	+2	+53245	+12134	Ī·92401158	+6235	+2	+50306	+11636	Ī·92046554	+6110	+2	+47471	+11163	− ·75
− ·70	Ī·91838569	+8307	+2	+35492	+6343	Ī·91385470	+8141	+2	+33495	+6056	Ī·90940511	+7976	+2	+31564	+5774	− ·70
− ·65	Ī·90950632	+10317	+1	+24082	+3653	Ī·90403277	+10110	+1	+22740	+3470	Ī·89866032	+9907	+1	+21431	+3296	− ·65
− ·60	Ī·90086777	+12335	+1	+16327	+2272	Ī·89443824	+12113	+1	+15455	+2149	Ī·88812984	+11873	+1	+14594	+2031	− ·60
− ·55	Ī·89239249	+14403	0	+10644	+1465	Ī·88499826	+14127	0	+10319	+1383	Ī·87774530	+13858	+1	+9788	+1302	− ·55
− ·50	Ī·88402565	+16438	−1	+6826	+1014	Ī·87566147	+16134	−1	+6566	+947	Ī·86745864	+15830	0	+6284	+892	− ·50
− ·45	Ī·87572707	+18451	−3	+3822	+697	Ī·86639034	+18122	−3	+3780	+660	Ī·85723482	+17791	−2	+3672	+614	− ·45
− ·40	Ī·86746671	+20429	−5	+1515	+515	Ī·85715681	+20080	−5	+1614	+475	Ī·84704772	+19728	−4	+1674	+444	− ·40
− ·35	Ī·85922150	+22366	−7	−277	+373	Ī·84793942	+22001	−7	−57	+350	Ī·83687736	+21631	−6	+120	+328	− ·35
− ·30	Ī·85097352	+24254	−10	−1698	+287	Ī·83872146	+23860	−9	−1378	+266	Ī·82670820	+23497	−8	−1106	+246	− ·30
− ·25	Ī·84270858	+26082	−13	−2828	+215	Ī·82948972	+25712	−12	−2433	+202	Ī·81652798	+25320	−11	−2086	+185	− ·25
− ·20	Ī·83441536	+27877	−16	−3745	+173	Ī·82023365	+27495	−15	−3286	+156	Ī·80632690	+27099	−13	−2881	+148	− ·20
− ·15	Ī·82608469	+29609	−19	−4489	+131	Ī·81094472	+29226	−18	−3983	+126	Ī·79609701	+28830	−16	−3528	+114	− ·15
− ·10	Ī·81770913	+31277	−22	−5102	+110	Ī·80161596	+30905	−21	−4554	+97	Ī·78583184	+30511	−19	−4061	+91	− ·10
− ·05	Ī·80928255	+32892	−25	−5605	+85	Ī·79224166	+32529	−24	−5028	+80	Ī·77552606	+32144	−22	−4503	+74	− ·05
·00	Ī·80079992	+34449	−28	−6025	+71	Ī·78281708	+34100	−27	−5421	+63	Ī·76517525	+33725	−25	−4872	+59	− ·00
·0	Ī·80079992	+34449	−28	−24028	+1153	Ī·78281708	+34100	−27	−21620	+1065	Ī·76517525	+33725	−25	−19428	+982	·0
·1	Ī·78365042	+37391	−34	−26603	+780	Ī·76380199	+37081	−33	−24056	+719	Ī·74432437	+36737	−32	−21720	+681	·1
·2	Ī·76623489	+40111	−40	−28399	+547	Ī·74454635	+39850	−39	−25772	+505	Ī·72325630	+39549	−38	−23350	+465	·2
·3	Ī·74853537	+42617	−46	−29648	+369	Ī·72503298	+42414	−45	−26984	+359	Ī·70195473	+42166	−44	−24316	+330	·3
·4	Ī·73053936	+44917	−51	−30309	+282	Ī·70524977	+44781	−51	−27836	+261	Ī·68040799	+44594	−50	−25352	+241	·4
·5	Ī·71223826	+47024	−56	−31067	+210	Ī·68518820	+46861	−56	−28428	+195	Ī·65860774	+46842	−55	−25946	+180	·5
·6	Ī·69362630	+48949	−60	−31455	+159	Ī·66484234	+48963	−60	−28624	+148	Ī·63654802	+48918	−59	−26360	+137	·6
·7	Ī·67469978	+50703	−63	−31665	+120	Ī·64420825	+50798	−64	−29072	+112	Ī·61422471	+50830	−64	−26637	+105	·7
·8	Ī·65545661	+52298	−66	−31755	+91	Ī·62328343	+52476	−67	−29208	+86	Ī·59163502	+52589	−67	−26809	+80	·8
·9	Ī·63589590	+53741	−68	−31754	+71	Ī·60206654	+54006	−69	−29239	+66	Ī·56877724	+54202	−70	−26902	+64	·9
1·0	Ī·61601764	+55046	−69	−31662	+55	Ī·58055705	+55397	−71	−29241	+53	Ī·54565044	+55678	−73	−26930	+50	1·0
1·1	Ī·59582257	+56221	−70	−31555	+42	Ī·55875516	+56660	−72	−29171	+41	Ī·52225434	+57025	−75	−26906	+40	1·1
1·2	Ī·57531193	+57277	−70	−31388	+33	Ī·53666155	+57801	−73	−29060	+33	Ī·49858917	+58252	−76	−26846	+32	1·2
1·3	Ī·55448744	+58220	−69	−31183	+26	Ī·51427734	+58830	−73	−28915	+26	Ī·47465553	+59366	−76	−26752	+25	1·3
1·4	Ī·53335112	+59060	−66	−30955	+20	Ī·49160398	+59754	−73	−28745	+20	Ī·45045438	+60374	−77	−26633	+20	1·4
1·5	Ī·51190524	+59805	−67	−30707	+15	Ī·46864317	+60579	−72	−28555	+16	Ī·42598689	+61282	−76	−26493	+16	1·5
1·6	Ī·49015230	+60460	−65	−30443	+12	Ī·44539681	+61314	−71	−28346	+13	Ī·40125447	+62098	−75	−26337	+13	1·6
1·7	Ī·46809493	+61032	−63	−30168	+9	Ī·42186698	+61965	−69	−28128	+10	Ī·37625867	+62828	−74	−26168	+11	1·7
1·8	Ī·44573588	+61529	−61	−29884	+6	Ī·39805586	+62536	−67	−27899	+8	Ī·35100120	+63477	−73	−25988	+8	1·8
1·9	Ī·42307799	+61955	−58	−29594	+4	Ī·37396574	+63035	−65	−27663	+6	Ī·32548384	+64050	−71	−25800	+7	1·9
2·0	Ī·40012416	+62315	−55	−29300	+3	Ī·34959900	+63463	−62	−27421	+4	Ī·29970849	+64553	−69	−25605	+6	2·0
2·1	Ī·37687733	+62616	−52	−29003	+2	Ī·32495805	+63833	−59	−27174	+3	Ī·27367709	+64991	−66	−25404	+4	2·1
2·2	Ī·35334047	+62860	−49	−28705	0	Ī·30004535	+64142	−56	−26926	+2	Ī·24739164	+65367	−63	−25201	+3	2·2
2·3	Ī·32951656	+63053	−46	−28406	−1	Ī·27486340	+64397	−53	−26675	+1	Ī·22085419	+65687	−61	−24994	+2	2·3
2·4	Ī·30540859	+63199	−42	−28109	−1	Ī·24941469	+64601	−50	−26423	0	Ī·19406681	+65953	−57	−24785	+1	2·4
2·5	Ī·28101953	+63300	−38	−27812	−1	Ī·22370176	+64758	−46	−26172	0	Ī·16703157	+66170	−54	−24574	+1	2·5
2·6	Ī·25635235	+63361	−35	−27518	−2	Ī·19772711	+64873	−42	−25921	−1	Ī·13975059	+66342	−51	−24363	0	2·6
2·7	Ī·23140999	+63385	−31	−27225	−3	Ī·17149325	+64947	−39	−25670		Ī·11222599	+66470	−47	−24153		2·7
2·8	Ī·20619537	+63374	−27	−26936	−4	Ī·14500269	+64984	−34	−25422		Ī·08445985	+66560	−44	−23940		2·8
2·9	Ī·18071140	+63332	−23	−26650	−4	Ī·11825792	+64987	−32	−25174		Ī·05645431	+66611	−40	−23731		2·9
3·0	Ī·15496092	+63260	−19	−26367	−4	Ī·09126140	+64956	−28	−24929		Ī·02821146	+66629	−36	−23521		3·0
3·1	Ī·12894678	+63162	−15	−26087	−4	Ī·06401559	+64900	−24	−24687		2̄·99973340	+66614	−32	−23313		3·1
3·2	Ī·10267177	+63038	−12	−25811	−4	Ī·03652292	+64815	−20	−24446		2̄·97102221	+66571	−28	−23106		3·2
3·3	Ī·07613865	+62892	−8	−25539	−5	Ī·00878578	+64704	−17	−24208		2̄·94207996	+66500	−25	−22900		3·3
3·4	Ī·04935013	+62726	−5	−25271	−4	2̄·98080657	+64570	−13	−23974		2̄·91290871	+66404	−22	−22697		3·4
3·5	Ī·02230890	+62540	−1	−25007	−4	2̄·95258761	+64416	−9	−23741		2̄·88351048	+66283	−17	−22495		3·5
3·6	2̄·99501760	+62338	+3	−24746	−4	2̄·92413124	+64242	−5	−23512		2̄·85388730	+66142	−14	−22295		3·6
3·7	2̄·96747884	+62117	+6	−24490	−4	2̄·89543975	+64049	−1	−23286		2̄·82404116	+65980	−10	−22097		3·7
3·8	2̄·93969517	+61883	+10	−24238	−4	2̄·86651541	+63840	+2	−23062		2̄·79397406	+65800	−6	−21902		3·8
3·9	2̄·91166913	+61636	+13	−23989	−4	2̄·83736045	+63616	+6	−22842		2̄·76368793	+65602	−2	−21706		3·9
4·0	2̄·88340319	+61376	+16	−23745	−4	2̄·80797706	+63378	+9	−22625		2̄·73318472	+65389	+1	−21517		4·0

	$u = 1\cdot3$					$u = 1\cdot4$					$u = 1\cdot5$					
p	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	$\log I'(u, p)$	δ_u^2	δ_u^4	δ_p^2	δ_p^4	p
−1·00	·00000000	0	0			·00000000	0	0			·00000000	0	0			−1·00
− ·95	$\bar{1}$·97350835	+406	0	+975680		$\bar{1}$·97310530	+399	0	+952098		$\bar{1}$·97270625	+394	0	+929057		− ·95
− ·90	$\bar{1}$·95677360	+1874	0	+243214	+609768	$\bar{1}$·95573158	+1351	0	+232990	+600586	$\bar{1}$·95470307	+1329	0	+228116	+591500	− ·90
− ·85	$\bar{1}$·94247099	+2700	0	+120496	+72712	$\bar{1}$·94068776	+2651	0	+114470	+70648	$\bar{1}$·93893104	+2601	0	+108673	+68631	− ·85
− ·80	$\bar{1}$·92937334	+4264	+1	+70490	+24259	$\bar{1}$·92678864	+4160	+1	+66593	+23394	$\bar{1}$·92424574	+4007	+1	+62802	+22547	− ·80
− ·75	$\bar{1}$·91698059	+5986	+2	+44743	+10702	$\bar{1}$·91355550	+5864	+2	+42120	+10254	$\bar{1}$·91018906	+6744	+2	+39696	+9829	− ·75
− ·70	$\bar{1}$·90503527	+7813	+2	+29698	+6505	$\bar{1}$·90074356	+7651	+2	+27896	+6251	$\bar{1}$·89652836	+7493	+2	+26163	+4997	− ·70
− ·65	$\bar{1}$·89338693	+9704	+2	+20156	+3125	$\bar{1}$·88821058	+9605	+2	+18923	+2965	$\bar{1}$·88312929	+9307	+2	+17725	+2816	− ·65
− ·60	$\bar{1}$·88194017	+11634	+2	+13746	+1919	$\bar{1}$·87586683	+11397	+2	+12915	+1813	$\bar{1}$·86990747	+11161	+2	+12102	+1709	− ·60
− ·55	$\bar{1}$·87063087	+13660	+1	+9253	+1229	$\bar{1}$·86365223	+13307	+1	+8720	+1164	$\bar{1}$·85680667	+13036	+1	+8188	+1069	− ·55
− ·50	$\bar{1}$·85941410	+15526	0	+5989	+832	$\bar{1}$·85152483	+16221	+1	+5679	+783	$\bar{1}$·84378775	+14917	+1	+6383	+730	− ·50
− ·45	$\bar{1}$·84825722	+17459	−1	+3567	+576	$\bar{1}$·83945422	+17126	0	+3421	+537	$\bar{1}$·83082246	+17691	0	+3268	+601	− ·45
− ·40	$\bar{1}$·83713591	+19372	−2	+1701	+416	$\bar{1}$·82741782	+19013	−2	+1700	+387	$\bar{1}$·81788985	+16662	−1	+1674	+303	− ·40
− ·35	$\bar{1}$·82603161	+21256	−5	+260	+315	$\bar{1}$·81539842	+20875	−4	+366	+264	$\bar{1}$·80497398	+20491	−3	+443	+259	− ·35
− ·30	$\bar{1}$·81492991	+23106	−7	−876	+226	$\bar{1}$·80338268	+22708	−6	−684	+207	$\bar{1}$·79206254	+22304	−6	−529	+199	− ·30
− ·25	$\bar{1}$·80381945	+24916	−9	−1786	+175	$\bar{1}$·79136010	+24506	−8	−1527	+165	$\bar{1}$·77914581	+24087	−7	−1302	+143	− ·25
− ·20	$\bar{1}$·79269113	+26669	−12	−2521	+133	$\bar{1}$·77932225	+26268	−11	−2205	+120	$\bar{1}$·76621606	+26836	−9	−1932	+120	− ·20
− ·15	$\bar{1}$·78153760	+28417	−15	−3123	+107	$\bar{1}$·76726235	+27969	−13	−2763	+101	$\bar{1}$·75326699	+27649	−12	−2442	+85	− ·15
− ·10	$\bar{1}$·77035284	+30099	−16	−3618	+64	$\bar{1}$·75517482	+29669	−16	−3220	+74	$\bar{1}$·74029350	+29224	−14	−2867	+74	− ·10
− ·05	$\bar{1}$·75913190	+31735	−21	−4029	+68	$\bar{1}$·74305509	+31307	−19	−3603	+63	$\bar{1}$·72729134	+30659	−17	−3218	+56	− ·05
− ·00	$\bar{1}$·74787067	+33326	−24	−4373	+64	$\bar{1}$·73089933	+32901	−22	−3921	+49	$\bar{1}$·71425700	+32466	−20	−3784	+44	− ·00
·0	$\bar{1}$·74787067	+33323	−24	−17437	+902	$\bar{1}$·73089933	+32901	−22	−15636	+828	$\bar{1}$·71425700	+32465	−20	−14006	+757	·0
·1	$\bar{1}$·72521412	+36362	−30	−19584	+607	$\bar{1}$·70646749	+35956	−28	−17636	+656	$\bar{1}$·68808042	+35523	−26	−16866	+506	·1
·2	$\bar{1}$·70236175	+39210	−36	−21123	+426	$\bar{1}$·68185929	+38635	−34	−19081	+389	$\bar{1}$·66174519	+36426	−33	−17214	+354	·2
·3	$\bar{1}$·67929813	+41674	−42	−22237	+303	$\bar{1}$·65706027	+41639	−41	−20137	+277	$\bar{1}$·63523781	+41165	−39	−18209	+263	·3
·4	$\bar{1}$·65601215	+44367	−48	−23047	+221	$\bar{1}$·63205988	+44073	−47	−20916	+202	$\bar{1}$·60854834	+43741	−45	−18930	+184	·4
·5	$\bar{1}$·63249569	+46668	−64	−23636	+166	$\bar{1}$·60685033	+48440	−52	−21492	+152	$\bar{1}$·58166937	+46160	−61	−19508	+138	·5
·6	$\bar{1}$·60874288	+46813	−60	−24060	+126	$\bar{1}$·58142586	+46648	−56	−21917	+116	$\bar{1}$·55459532	+48427	−56	−19928	+106	·6
·7	$\bar{1}$·58474946	+50799	−64	−24356	+97	$\bar{1}$·55578221	+60704	−63	−22226	+89	$\bar{1}$·52732199	+60546	−61	−20242	+82	·7
·8	$\bar{1}$·56051249	+62634	−68	−24556	+74	$\bar{1}$·52991631	+62613	−67	−22445	+68	$\bar{1}$·49984625	+62623	−68	−20474	+63	·8
·9	$\bar{1}$·53602995	+64328	−71	−24661	+60	$\bar{1}$·50382595	+54382	−71	−22596	+66	$\bar{1}$·47216576	+64366	−71	−20643	+51	·9
1·0	$\bar{1}$·51130060	+66686	−74	−24747	+47	$\bar{1}$·47750962	+66020	−76	−22691	+44	$\bar{1}$·44427885	+66079	−75	−20761	+41	1·0
1·1	$\bar{1}$·48632378	+67317	−76	−24765	+38	$\bar{1}$·45096639	+67532	−77	−22742	+36	$\bar{1}$·41618432	+67670	−78	−20636	+33	1·1
1·2	$\bar{1}$·46109931	+68626	−78	−24745	+31	$\bar{1}$·42419573	+66925	−60	−22758	+29	$\bar{1}$·38788140	+69143	−61	−20863	+27	1·2
1·3	$\bar{1}$·43562739	+69828	−79	−24605	+25	$\bar{1}$·39719749	+60206	−82	−22744	+24	$\bar{1}$·35936966	+60506	−83	−20900	+23	1·3
1·4	$\bar{1}$·40990851	+60917	−80	−24620	+20	$\bar{1}$·36997181	+61380	−83	−22707	+20	$\bar{1}$·33064892	+61761	−85	−20894	+19	1·4
1·5	$\bar{1}$·38394343	+61909	−80	−24526	+16	$\bar{1}$·34251906	+62455	−84	−22650	+16	$\bar{1}$·30171924	+62918	−87	−20870	+16	1·5
1·6	$\bar{1}$·35773310	+82607	−80	−24413	+13	$\bar{1}$·31483981	+63435	−84	−22577	+13	$\bar{1}$·27258087	+63979	−87	−20830	+13	1·6
1·7	$\bar{1}$·33127864	+63617	−79	−24266	+11	$\bar{1}$·28693478	+64326	−84	−22491	+11	$\bar{1}$·24323419	+64952	−88	−20777	+11	1·7
1·8	$\bar{1}$·30458130	+64344	−78	−24162	+9	$\bar{1}$·25880485	+65134	−83	−22393	+9	$\bar{1}$·21367974	+65839	−88	−20713	+9	1·8
1·9	$\bar{1}$·27764244	+64995	−77	−24007	+7	$\bar{1}$·23045099	+65662	−82	−22286	+8	$\bar{1}$·18391815	+66647	−88	−20640	+8	1·9
2·0	$\bar{1}$·25046351	+65572	−76	−23854	+6	$\bar{1}$·20187426	+66516	−81	−22172	+7	$\bar{1}$·15395017	+67379	−87	−20556	+7	2·0
2·1	$\bar{1}$·22304604	+66062	−73	−23696	+6	$\bar{1}$·17307582	+67101	−80	−22050	+6	$\bar{1}$·12377660	+66040	−86	−20470	+6	2·1
2·2	$\bar{1}$·19539161	+86629	−71	−23632	+4	$\bar{1}$·14405687	+67620	−78	−21924	+6	$\bar{1}$·09339833	+68634	−84	−20378	+5	2·2
2·3	$\bar{1}$·16750186	+66916	−66	−23365	+3	$\bar{1}$·11481869	+68076	−76	−21793	+4	$\bar{1}$·06281630	+69164	−82	−20276	+5	2·3
2·4	$\bar{1}$·13937845	+87246	−66	−23195	+2	$\bar{1}$·08536258	+68478	−73	−21658	+3	$\bar{1}$·03203148	+69635	−80	−20174	+3	2·4
2·5	$\bar{1}$·11102309	+87326	−62	−23023	+2	$\bar{1}$·05568989	+68824	−70	−21520	+3	$\bar{1}$·00104493	+70049	−78	−20066	+3	2·5
2·6	$\bar{1}$·08243750	+67760	−68	−22849	+1	$\bar{1}$·02580200	+69119	−67	−21380	+2	$\bar{2}$·96985769	+70416	−75	−19958	+3	2·6
2·7	$\bar{1}$·05362342	+67946	−66	−22674		$\bar{2}$·99570032	+69366	−64	−21237		$\bar{2}$·93847088	+70722	−73	−19846		2·7
2·8	$\bar{1}$·02458261	+66090	−63	−22496		$\bar{2}$·96538626	+69569	−61	−21094		$\bar{2}$·90688561	+70987	−70	−19731		2·8
2·9	$\bar{2}$·99531682	+68195	−49	−22321		$\bar{2}$·93486127	+69730	−58	−20949		$\bar{2}$·87510302	+71208	−66	−19615		2·9
3·0	$\bar{2}$·96582781	+68263	−45	−22146		$\bar{2}$·90412679	+69852	−54	−20803		$\bar{2}$·84312428	+71367	−63	−19498		3·0
3·1	$\bar{2}$·93611736	+88296	−41	−21969		$\bar{2}$·87318428	+69938	−51	−20667		$\bar{2}$·81095057	+71528	−60	−19379		3·1
3·2	$\bar{2}$·90618721	+68298	−37	−21793		$\bar{2}$·84203520	+69968	−47	−20510		$\bar{2}$·77858307	+71632	−56	−19259		3·2
3·3	$\bar{2}$·87603914	+86270	−33	−21818		$\bar{2}$·81068102	+70008	−43	−20364		$\bar{2}$·74602298	+71702	−53	−19139		3·3
3·4	$\bar{2}$·84567488	+68216	−30	−21444		$\bar{2}$·77912321	+69997	−39	−20217		$\bar{2}$·71327150	+71739	−49	−19018		3·4
3·5	$\bar{2}$·81509618	+66134	−26	−21271		$\bar{2}$·74736322	+69958	−36	−20070		$\bar{2}$·68032985	+71747	−46	−18696		3·5
3·6	$\bar{2}$·78430477	+68026	−22	−21099		$\bar{2}$·71540253	+69893	−32	−19925		$\bar{2}$·64719923	+71726	−41	−18774		3·6
3·7	$\bar{2}$·75330238	+67901	−16	−20928		$\bar{2}$·68324260	+69604	−28	−19779		$\bar{2}$·61388087	+71679	−38	−18653		3·7
3·8	$\bar{2}$·72209070	+87753	−16	−20768		$\bar{2}$·65088488	+69692	−24	−19634		$\bar{2}$·58037598	+71607	−34	−18531		3·8
3·9	$\bar{2}$·69067144	+67586	−11	−20590		$\bar{2}$·61833081	+69569	−20	−19490		$\bar{2}$·54668577	+71612	−30	−18410		3·9
4·0	$\bar{2}$·65904627	+87402	−7	−20424		$\bar{2}$·58558183	+69407	−16	−19347		$\bar{2}$·51281147	+71396	−26	−18269		4·0

	$u = 1\cdot0$			$u = 1\cdot1$			$u = 1\cdot2$			
p	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	$\log \Gamma(u, p)$	δ_u^2 δ_u^4	δ_p^2 δ_p^4	p
4·0	$\bar{2}$·88340319	+61376 +16	−23745 −4	$\bar{2}$·80797706	+63378 +9	−22625	$\bar{2}$·73318472	+65389 +1	−21517	4·0
4·1	$\bar{2}$·85489980	+61106 +19	−23505 −4	$\bar{2}$·77836743	+63127 +13	−22411	$\bar{2}$·70246634	+65162 +5	−21328	4·1
4·2	$\bar{2}$·82616136	+60826 +22	−23268 −4	$\bar{2}$·74853369	+62865 +17	−22200	$\bar{2}$·67153467	+64921 +7	−21141	4·2
4·3	$\bar{2}$·79719024	+60536 +25	−23036 −4	$\bar{2}$·71847795	+62592 +19	−21991	$\bar{2}$·64039159	+64668 +11	−20957	4·3
4·4	$\bar{2}$·76798876	+60238 +29	−22807 −4	$\bar{2}$·68820230	+62310 +22	−21787	$\bar{2}$·60903894	+64403 +14	−20776	4·4
4·5	$\bar{2}$·73855921	+59934 +32	−22582 −4	$\bar{2}$·65770879	+62019 +24	−21586	$\bar{2}$·57747855	+64128 +19	−20595	4·5
4·6	$\bar{2}$·70890384	+59622 +34	−22361 −4	$\bar{2}$·62699942	+61719 +28	−21386	$\bar{2}$·54571219	+63844 +21	−20418	4·6
4·7	$\bar{2}$·67902487	+59305 +37	−22143 −4	$\bar{2}$·59607620	+61413 +31	−21190	$\bar{2}$·51374167	+63551 +24	−20243	4·7
4·8	$\bar{2}$·64892446	+58982 +40	−21929 −4	$\bar{2}$·56494109	+61100 +33	−20996	$\bar{2}$·48156871	+63251 +28	−20070	4·8
4·9	$\bar{2}$·61860477	+58655 +42	−21718 −4	$\bar{2}$·53359601	+60781 +36	−20806	$\bar{2}$·44919506	+62943 +30	−19899	4·9
5·0	$\bar{2}$·58806789	+58324 +44	−21512	$\bar{2}$·50204287	+60457 +39	−20619	$\bar{2}$·41662242	+62629 +33	−19731	5·0
5·1	$\bar{2}$·55731590	+57989 +46	−21308	$\bar{2}$·47028353	+60129 +41	−20434	$\bar{2}$·38385246	+62310 +36	−19566	5·1
5·2	$\bar{2}$·52635083	+57652 +48	−21108	$\bar{2}$·43831986	+59797 +44	−20253	$\bar{2}$·35088685	+61985 +38	−19401	5·2
5·3	$\bar{2}$·49517467	+57312 +51	−20911	$\bar{2}$·40615365	+59461 +45	−20074	$\bar{2}$·31772724	+61656 +41	−19240	5·3
5·4	$\bar{2}$·46378941	+56970 +52	−20717	$\bar{2}$·37378671	+59122 +48	−19898	$\bar{2}$·28437522	+61323 +43	−19080	5·4
5·5	$\bar{2}$·43219698	+56626 +54	−20527	$\bar{2}$·34122079	+58780 +50	−19724	$\bar{2}$·25083240	+60986 +46	−18923	5·5
5·6	$\bar{2}$·40039928	+56281 +56	−20339	$\bar{2}$·30845763	+58437 +52	−19553	$\bar{2}$·21710034	+60646 +48	−18768	5·6
5·7	$\bar{2}$·36839819	+55934 +58	−20155	$\bar{2}$·27549894	+58092 +54	−19384	$\bar{2}$·18318061	+60303 +50	−18616	5·7
5·8	$\bar{2}$·33619554	+55587 +59	−19974	$\bar{2}$·24234640	+57745 +56	−19218	$\bar{2}$·14907471	+59958 +52	−18466	5·8
5·9	$\bar{2}$·30379315	+55240 +61	−19796	$\bar{2}$·20900168	+57396 +58	−19055	$\bar{2}$·11478417	+59611 +54	−18316	5·9
6·0	$\bar{2}$·27119281	+54892 +63	−19620	$\bar{2}$·17546641	+57047 +60	−18894	$\bar{2}$·08031047	+59262 +56	−18169	6·0
6·1	$\bar{2}$·23839627	+54544 +64	−19447	$\bar{2}$·14174218	+56698 +62	−18736	$\bar{2}$·04565508	+58913 +58	−18026	6·1
6·2	$\bar{2}$·20540525	+54197 +66	−19278	$\bar{2}$·10783061	+56348 +63	−18580	$\bar{2}$·01081944	+58562 +60	−17882	6·2
6·3	$\bar{2}$·17222146	+53851 +67	−19110	$\bar{2}$·07373323	+55998 +65	−18426	$\bar{3}$·97580498	+58211 +62	−17741	6·3
6·4	$\bar{2}$·13884656	+53505 +68	−18946	$\bar{2}$·03945159	+55648 +66	−18274	$\bar{3}$·94061311	+57859 +63	−17602	6·4
6·5	$\bar{2}$·10528220	+53159 +69	−18784	$\bar{2}$·00498721	+55299 +67	−18125	$\bar{3}$·90524521	+57507 +65	−17466	6·5
6·6	$\bar{2}$·07153001	+52815 +70	−18625	$\bar{3}$·97034158	+54951 +69	−17978	$\bar{3}$·86970266	+57155 +66	−17330	6·6
6·7	$\bar{2}$·03759156	+52472 +71	−18468	$\bar{3}$·93551617	+54603 +70	−17833	$\bar{3}$·83398680	+56803 +68	−17197	6·7
6·8	$\bar{2}$·00346845	+52131 +72	−18313	$\bar{3}$·90051243	+54256 +71	−17690	$\bar{3}$·79809897	+56452 +69	−17066	6·8
6·9	$\bar{3}$·96916219	+51791 +73	−18161	$\bar{3}$·86533179	+53910 +72	−17549	$\bar{3}$·76204048	+56101 +70	−16936	6·9
7·0	$\bar{3}$·93467433	+51452 +74	−18011	$\bar{3}$·82997566	+53565 +73	−17411	$\bar{3}$·72581263	+55751 +71	−16808	7·0
7·1	$\bar{3}$·90000635	+51116 +75	−17864	$\bar{3}$·79444542	+53222 +74	−17274	$\bar{3}$·68941670	+55402 +72	−16682	7·1
7·2	$\bar{3}$·86515973	+50781 +76	−17719	$\bar{3}$·75874244	+52880 +76	−17139	$\bar{3}$·65285394	+55054 +74	−16558	7·2
7·3	$\bar{3}$·83013593	+50448 +76	−17576	$\bar{3}$·72286807	+52539 +77	−17007	$\bar{3}$·61612560	+54707 +74	−16435	7·3
7·4	$\bar{3}$·79493636	+50116 +77	−17435	$\bar{3}$·68682363	+52201 +77	−16876	$\bar{3}$·57923292	+54362 +76	−16314	7·4
7·5	$\bar{3}$·75956244	+49787 +78	−17296	$\bar{3}$·65061045	+51864 +77	−16746	$\bar{3}$·54217709	+54018 +77	−16194	7·5
7·6	$\bar{3}$·72401556	+49466 +79	−17160	$\bar{3}$·61422980	+51529 +78	−16619	$\bar{3}$·50495933	+53675 +78	−16076	7·6
7·7	$\bar{3}$·68829708	+49136 +79	−17025	$\bar{3}$·57768296	+51195 +79	−16493	$\bar{3}$·46758080	+53334 +78	−15960	7·7
7·8	$\bar{3}$·65240835	+48813 +79	−16892	$\bar{3}$·54097119	+50864 +80	−16370	$\bar{3}$·43004267	+52995 +79	−15845	7·8
7·9	$\bar{3}$·61635069	+48493 +80	−16762	$\bar{3}$·50409571	+50535 +80	−16248	$\bar{3}$·39234609	+52658 +80	−15732	7·9
8·0	$\bar{3}$·58012542	+48175 +80	−16633	$\bar{3}$·46705777	+50208 +81	−16127	$\bar{3}$·35449219	+52323 +81	−15620	8·0
8·1	$\bar{3}$·54373381	+47859 +80	−16506	$\bar{3}$·42985854	+49883 +81	−16009	$\bar{3}$·31648210	+51989 +81	−15509	8·1
8·2	$\bar{3}$·50717715	+47546 +80	−16381	$\bar{3}$·39249923	+49561 +81	−15892	$\bar{3}$·27831692	+51658 +82	−15400	8·2
8·3	$\bar{3}$·47045667	+47235 +81	−16258	$\bar{3}$·35498100	+49241 +82	−15776	$\bar{3}$·23999773	+51328 +83	−15293	8·3
8·4	$\bar{3}$·43357362	+46926 +82	−16136	$\bar{3}$·31730501	+48923 +82	−15662	$\bar{3}$·20152562	+51001 +83	−15186	8·4
8·5	$\bar{3}$·39652920	+46620 +82	−16016	$\bar{3}$·27947239	+48607 +83	−15550	$\bar{3}$·16290164	+50676 +84	−15082	8·5
8·6	$\bar{3}$·35932462	+46317 +82	−15898	$\bar{3}$·24148427	+48293 +83	−15440	$\bar{3}$·12412685	+50353 +84	−14978	8·6
8·7	$\bar{3}$·32196106	+46018 +82	−15782	$\bar{3}$·20334175	+47982 +83	−15330	$\bar{3}$·08520227	+50032 +86	−14876	8·7
8·8	$\bar{3}$·28443968	+45717 +82	−15667	$\bar{3}$·16504594	+47674 +83	−15222	$\bar{3}$·04612894	+49714 +86	−14775	8·8
8·9	$\bar{3}$·24676163	+45421 +82	−15554	$\bar{3}$·12659791	+47368 +84	−15116	$\bar{3}$·00690786	+49398 +85	−14675	8·9
9·0	$\bar{3}$·20892804	+45127 +82	−15442	$\bar{3}$·08799871	+47064 +84	−15011	$\bar{4}$·96754003	+49084 +86	−14577	9·0
9·1	$\bar{3}$·17094003	+44836 +82	−15332	$\bar{3}$·04924941	+46763 +84	−14907	$\bar{4}$·92802642	+48773 +86	−14480	9·1
9·2	$\bar{3}$·13279870	+44548 +82	−15223	$\bar{3}$·01035105	+46464 +85	−14805	$\bar{4}$·88836803	+48464 +86	−14384	9·2
9·3	$\bar{3}$·09450514	+44262 +82	−15116	$\bar{4}$·97130463	+46167 +85	−14704	$\bar{4}$·84856579	+48157 +88	−14289	9·3
9·4	$\bar{3}$·05606042	+43979 +82	−15010	$\bar{4}$·93211118	+45873 +85	−14604	$\bar{4}$·80862067	+47853 +87	−14195	9·4
9·5	$\bar{3}$·01746559	+43698 +82	−14906	$\bar{4}$·89277169	+45582 +85	−14506	$\bar{4}$·76853360	+47551 +87	−14103	9·5
9·6	$\bar{4}$·97872171	+43419 +82	−14803	$\bar{4}$·85328714	+45293 +86	−14409	$\bar{4}$·72830549	+47252 +87	−14012	9·6
9·7	$\bar{4}$·93982980	+43143 +83	−14702	$\bar{4}$·81365850	+45007 +85	−14312	$\bar{4}$·68793728	+46955 +87	−13921	9·7
9·8	$\bar{4}$·90079087	+42870 +83	−14601	$\bar{4}$·77388674	+44723 +86	−14218	$\bar{4}$·64742985	+46660 +87	−13832	9·8
9·9	$\bar{4}$·86160592	+42599 +82	−14503	$\bar{4}$·73397281	+44441 +86	−14124	$\bar{4}$·60678410	+46368 +87	−13744	9·9
10·0	$\bar{4}$·82227596	+42330 +82	−14405	$\bar{4}$·69391763	+44162 +85	−14032	$\bar{4}$·56600091	+46078 +87	−13657	10·0

	$u = 1{\cdot}3$			$u = 1{\cdot}4$			$u = 1{\cdot}5$			
p	$\log I'(u, p)$	δ_u^2	δ_u^4	$\log I'(u, p)$	δ_u^2	δ_u^4	$\log I'(u, p)$	δ_u^2	δ_u^4	p
			δ_p^2 δ_p^4			δ_p^2 δ_p^4			δ_p^2 δ_p^4	
4·0	$\bar{2}$·65904627	+67403	−7	$\bar{2}$·58558183	+69407	−16	$\bar{2}$·51281147	+71395	−26	4·0
			−20424			−19347			−18289	
4·1	$\bar{2}$·62721686	+67200	−4	$\bar{2}$·55263939	+69236	−13	$\bar{2}$·47875427	+71256	−23	4·1
			−20259			−19205			−18168	
4·2	$\bar{2}$·59518486	+66984	+1	$\bar{2}$·51950489	+69048	−9	$\bar{2}$·44451540	+71103	−19	4·2
			−20096			−19063			−18048	
4·3	$\bar{2}$·56295191	+66754	+4	$\bar{2}$·48617976	+68844	−5	$\bar{2}$·41009606	+70929	−15	4·3
			−19934			−18923			−17928	
4·4	$\bar{2}$·53051961	+66511	+7	$\bar{2}$·45266539	+68626	−2	$\bar{2}$·37549744	+70740	−11	4·4
			−19774			−18784			−17808	
4·5	$\bar{2}$·49788959	+66256	+10	$\bar{2}$·41896319	+68394	+2	$\bar{2}$·34072073	+70534	−8	4·5
			−19615			−18646			−17690	
4·6	$\bar{2}$·46506341	+65990	+14	$\bar{2}$·38507452	+68150	+5	$\bar{2}$·30576713	+70315	−4	4·6
			−19458			−18509			−17571	
4·7	$\bar{2}$·43204264	+65714	+17	$\bar{2}$·35100076	+67894	+9	$\bar{2}$·27063782	+70083	0	4·7
			−19303			−18373			−17454	
4·8	$\bar{2}$·39882884	+65429	+20	$\bar{2}$·31674326	+67628	+12	$\bar{2}$·23533396	+69838	+3	4·8
			−19150			−18239			−17337	
4·9	$\bar{2}$·36542354	+65135	+24	$\bar{2}$·28230338	+67351	+15	$\bar{2}$·19985673	+69582	+7	4·9
			−18998			−18106			−17222	
5·0	$\bar{2}$·33182826	+64834	+26	$\bar{2}$·24768244	+67066	+18	$\bar{2}$·16420729	+69315	+10	5·0
			−18849			−17973			−17106	
5·1	$\bar{2}$·29804448	+64526	+29	$\bar{2}$·21288177	+66772	+22	$\bar{2}$·12838677	+69039	+13	5·1
			−18701			−17843			−16992	
5·2	$\bar{2}$·26407370	+64212	+32	$\bar{2}$·17790267	+66471	+25	$\bar{2}$·09239634	+68754	+17	5·2
			−18554			−17713			−16878	
5·3	$\bar{2}$·22991738	+63892	+34	$\bar{2}$·14274644	+66162	+28	$\bar{2}$·05623712	+68460	+20	5·3
			−18410			−17585			−16766	
5·4	$\bar{2}$·19557696	+63566	+38	$\bar{2}$·10741436	+65847	+30	$\bar{2}$·01991023	+68159	+23	5·4
			−18267			−17458			−16655	
5·5	$\bar{2}$·16105386	+63236	+40	$\bar{2}$·07190769	+65527	+33	$\bar{3}$·98341679	+67851	+26	5·5
			−18126			−17332			−16544	
5·6	$\bar{2}$·12634951	+62902	+43	$\bar{2}$·03622771	+65202	+36	$\bar{3}$·94675791	+67537	+29	5·6
			−17986			−17208			−16434	
5·7	$\bar{2}$·09146530	+62565	+44	$\bar{2}$·00037564	+64871	+39	$\bar{3}$·90993469	+67216	+32	5·7
			−17849			−17085			−16326	
5·8	$\bar{2}$·05640260	+62224	+47	$\bar{3}$·96435272	+64537	+41	$\bar{3}$·87294821	+66891	+35	5·8
			−17713			−16963			−16218	
5·9	$\bar{2}$·02116277	+61880	+49	$\bar{3}$·92816017	+64198	+44	$\bar{3}$·83579956	+66561	+37	5·9
			−17578			−16843			−16111	
6·0	$\bar{3}$·98574717	+61534	+52	$\bar{3}$·89179920	+63857	+46	$\bar{3}$·79848980	+66226	+40	6·0
			−17446			−16724			−16005	
6·1	$\bar{3}$·95015710	+61186	+54	$\bar{3}$·85527098	+63512	+49	$\bar{3}$·76101998	+65888	+42	6·1
			−17314			−16606			−15900	
6·2	$\bar{3}$·91439390	+60836	+56	$\bar{3}$·81857671	+63165	+51	$\bar{3}$·72339117	+65546	+45	6·2
			−17185			−16489			−15796	
6·3	$\bar{3}$·87845884	+60485	+57	$\bar{3}$·78171754	+62816	+53	$\bar{3}$·68560441	+65201	+47	6·3
			−17057			−16374			−15693	
6·4	$\bar{3}$·84235321	+60132	+59	$\bar{3}$·74469464	+62465	+56	$\bar{3}$·64766071	+64853	+49	6·4
			−16931			−16260			−15591	
6·5	$\bar{3}$·80607828	+59779	+61	$\bar{3}$·70750914	+62112	+58	$\bar{3}$·60956111	+64503	+52	6·5
			−16808			−16147			−15489	
6·6	$\bar{3}$·76963529	+59425	+63	$\bar{3}$·67016216	+61758	+59	$\bar{3}$·57130662	+64151	+54	6·6
			−16686			−16036			−15389	
6·7	$\bar{3}$·73302547	+59071	+65	$\bar{3}$·63265483	+61403	+61	$\bar{3}$·53289823	+63797	+56	6·7
			−16561			−15925			−15290	
6·8	$\bar{3}$·69625003	+58716	+67	$\bar{3}$·59498825	+61047	+63	$\bar{3}$·49433695	+63441	+58	6·8
			−16441			−15816			−15192	
6·9	$\bar{3}$·65931019	+58362	+68	$\bar{3}$·55716351	+60691	+64	$\bar{3}$·45562374	+63085	+60	6·9
			−16322			−15708			−15094	
7·0	$\bar{3}$·62220712	+58008	+70	$\bar{3}$·51918168	+60335	+66	$\bar{3}$·41675959	+62727	+62	7·0
			−16206			−15602			−14998	
7·1	$\bar{3}$·58494199	+57655	+71	$\bar{3}$·48104384	+59978	+67	$\bar{3}$·37774546	+62369	+64	7·1
			−16089			−15496			−14903	
7·2	$\bar{3}$·54751598	+57302	+72	$\bar{3}$·44275103	+59622	+69	$\bar{3}$·33858231	+62011	+66	7·2
			−15975			−15392			−14808	
7·3	$\bar{3}$·50993021	+56950	+73	$\bar{3}$·40430431	+59266	+71	$\bar{3}$·29927107	+61652	+67	7·3
			−15862			−15289			−14715	
7·4	$\bar{3}$·47218581	+56599	+74	$\bar{3}$·36570470	+58910	+72	$\bar{3}$·25981268	+61293	+69	7·4
			−15751			−15187			−14622	
7·5	$\bar{3}$·43428391	+56249	+75	$\bar{3}$·32695322	+58554	+74	$\bar{3}$·22020807	+60934	+71	7·5
			−15641			−15086			−14531	
7·6	$\bar{3}$·39622560	+55900	+76	$\bar{3}$·28805088	+58200	+75	$\bar{3}$·18045815	+60576	+72	7·6
			−15532			−14986			−14440	
7·7	$\bar{3}$·35801197	+55552	+77	$\bar{3}$·24899867	+57847	+76	$\bar{3}$·14056384	+60218	+73	7·7
			−15424			−14888			−14350	
7·8	$\bar{3}$·31964410	+55206	+79	$\bar{3}$·20979759	+57495	+77	$\bar{3}$·10052602	+59860	+75	7·8
			−15318			−14790			−14261	
7·9	$\bar{3}$·28112304	+54861	+80	$\bar{3}$·17044861	+57143	+78	$\bar{3}$·06034560	+59504	+76	7·9
			−15214			−14694			−14173	
8·0	$\bar{3}$·24244985	+54518	+80	$\bar{3}$·13095268	+56793	+79	$\bar{3}$·02002345	+59148	+77	8·0
			−15110			−14599			−14086	
8·1	$\bar{3}$·20362555	+54176	+82	$\bar{3}$·09131077	+56445	+80	$\bar{4}$·97956043	+58793	+78	8·1
			−15008			−14504			−14000	
8·2	$\bar{3}$·16465118	+53837	+82	$\bar{3}$·05152382	+56098	+81	$\bar{4}$·93895743	+58440	+80	8·2
			−14907			−14411			−13914	
8·3	$\bar{3}$·12552775	+53499	+83	$\bar{3}$·01159275	+55752	+82	$\bar{4}$·89821527	+58087	+81	8·3
			−14807			−14319			−13830	
8·4	$\bar{3}$·08625624	+53163	+83	$\bar{4}$·97151849	+55408	+83	$\bar{4}$·85733482	+57736	+82	8·4
			−14708			−14228			−13746	
8·5	$\bar{3}$·04683765	+52829	+84	$\bar{4}$·93130195	+55066	+84	$\bar{4}$·81631691	+57387	+83	8·5
			−14611			−14138			−13663	
8·6	$\bar{3}$·00727295	+52497	+84	$\bar{4}$·89094403	+54726	+84	$\bar{4}$·77516237	+57038	+83	8·6
			−14514			−14049			−13581	
8·7	$\bar{4}$·96756311	+52167	+85	$\bar{4}$·85044563	+54387	+85	$\bar{4}$·73387201	+56692	+84	8·7
			−14418			−13961			−13500	
8·8	$\bar{4}$·92770908	+51839	+86	$\bar{4}$·80980761	+54050	+86	$\bar{4}$·69244665	+56347	+85	8·8
			−14325			−13874			−13420	
8·9	$\bar{4}$·88771179	+51514	+86	$\bar{4}$·76903087	+53716	+87	$\bar{4}$·65088709	+56004	+85	8·9
			−14232			−13787			−13341	
9·0	$\bar{4}$·84757218	+51190	+86	$\bar{4}$·72811624	+53383	+87	$\bar{4}$·60919413	+55663	+86	9·0
			−14141			−13702			−13262	
9·1	$\bar{4}$·80729117	+50869	+87	$\bar{4}$·68706460	+53052	+88	$\bar{4}$·56736855	+55323	+87	9·1
			−14050			−13618			−13184	
9·2	$\bar{4}$·76686965	+50550	+87	$\bar{4}$·64587677	+52724	+88	$\bar{4}$·52541113	+54986	+87	9·2
			−13960			−13535			−13107	
9·3	$\bar{4}$·72630853	+50233	+88	$\bar{4}$·60455360	+52397	+89	$\bar{4}$·48332265	+54650	+88	9·3
			−13872			−13452			−13031	
9·4	$\bar{4}$·68560870	+49919	+88	$\bar{4}$·56309591	+52073	+89	$\bar{4}$·44110386	+54316	+89	9·4
			−13784			−13371			−12955	
9·5	$\bar{4}$·64477102	+49607	+88	$\bar{4}$·52150452	+51751	+89	$\bar{4}$·39875552	+53984	+90	9·5
			−13698			−13290			−12880	
9·6	$\bar{4}$·60379637	+49297	+88	$\bar{4}$·47978022	+51431	+89	$\bar{4}$·35627838	+53655	+91	9·6
			−13612			−13210			−12806	
9·7	$\bar{4}$·56268560	+48990	+88	$\bar{4}$·43792382	+51114	+89	$\bar{4}$·31367318	+53327	+92	9·7
			−13527			−13131			−12733	
9·8	$\bar{4}$·52143956	+48685	+89	$\bar{4}$·39593612	+50798	+89	$\bar{4}$·27094066	+53001	+93	9·8
			−13444			−13053			−12660	
9·9	$\bar{4}$·48005908	+48383	+89	$\bar{4}$·35381788	+50485	+90	$\bar{4}$·22808153	+52678	+93	9·9
			−13361			−12976			−12589	
10·0	$\bar{4}$·43854499	+48083	+89	$\bar{4}$·31156988	+50175	+91	$\bar{4}$·18509652	+52358	+93	10·0
			−13279			−12899			−12517	

TABLE IV

CONSTANTS OF THE SKEW-CURVE $y = y_0 x^p e^{-x}$

$$\frac{1}{\sqrt{2\pi}} = \cdot 398,942,2804$$

$$\log \frac{1}{\sqrt{2\pi}} = \bar{1}\cdot 600,910,0658$$

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi=\frac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1=\frac{4}{p+1}$	$\beta_2=3+\frac{6}{p+1}$	p
–1·00	0·0000000	∞	– ∞	0·0000000	∞	∞	–1·00
– ·95	·2236068	4·4721359	–4·2485292	·0311788	80·0000	123·0000	– ·95
– ·90	·3162278	3·1622777	–2·8460499	·0898889	40·0000	63·0000	– ·90
– ·85	·3872983	2·5819889	–2·1946906	·1672555	26·6667	43·0000	– ·85
– ·80	·4472136	2·2360680	–1·7888544	·2591708	20·0000	33·0000	– ·80
– ·75	·5000000	2·0000000	–1·5000000	·3622545	16·0000	27·0000	– ·75
– ·70	·5477226	1·8257419	–1·2780193	·4732593	13·3333	23·0000	– ·70
– ·65	·5916079	1·6903085	–1·0987005	·5889091	11·4286	20·1429	– ·65
– ·60	·6324555	1·5811388	– ·9486833	·7058674	10·0000	18·0000	– ·60
– ·55	·6708203	1·4907120	– ·8198916	·8207550	8·8889	16·3333	– ·55
– ·50	·7071068	1·4142136	– ·7071068	·9301914	8·0000	15·0000	– ·50
– ·45	·7416198	1·3483997	– ·6067799	1·0308453	7·2727	13·9091	– ·45
– ·40	·7745967	1·2909945	– ·5163978	1·1194860	6·6667	13·0000	– ·40
– ·35	·8062257	1·2403473	– ·4341216	1·1930274	6·1538	12·2308	– ·35
– ·30	·8366600	1·1952286	– ·3585686	1·2485553	5·7143	11·5714	– ·30
– ·25	·8660254	1·1547005	– ·2886751	1·2833215	5·3333	11·0000	– ·25
– ·20	·8944272	1·1180340	– ·2236068	1·2946704	5·0000	10·5000	– 20
– ·15	·9219544	1·0846523	– ·1626978	1·2798123	4·7059	10·0588	– ·15
– ·10	·9486833	1·0540926	– ·1054093	1·2351618	4·4444	9·6667	– ·10
– ·05	·9746794	1·0259784	– ·0512989	1·1539273	4·2105	9·3158	– ·05
0·0	1·0000000	1·0000000	0·0000000	1·0000000	4·0000	9·0000	0·0
0·1	1·0488088	·9534626	·0953462	·7923667	3·6364	8 4545	0·1
0·2	1·0954451	·9128709	·1825742	·7079706	3·3333	8·0000	0·2
0·3	1·1401754	·8770580	·2631174	·6558423	3·0769	7·6154	0·3
0·4	1·1832160	·8451543	·3380617	·6196086	2·8571	7·2857	0·4
0·5	1·2247449	·8164966	·4082483	·5927048	2·6667	7·0000	0·5
0·6	1·2649111	·7905694	·4743417	·5718367	2·5000	6·7500	0·6
0·7	1·3038405	·7669650	·5368755	·5551313	2·3529	6·5294	0·7
0·8	1·3416408	·7453560	·5962848	·5414321	2·2222	6·3333	0·8
0·9	1·3784049	·7254763	·6529286	·5299815	2·1053	6·1579	0·9
1·0	1·4142136	·7071068	·7071068	·5202601	2·0000	6·0000	1·0
1·1	1·4491377	·6900656	·7590721	·5118990	1·9048	5·8571	1·1
1·2	1·4832397	·6741999	·8090398	·5046284	1·8182	5·7273	1·2
1·3	1·5165751	·6593805	·8571946	·4982460	1·7391	5·6087	1·3
1·4	1·5491933	·6454972	·9036961	·4925970	1·6667	5·5000	1·4
1·5	1·5811388	·6324555	·9486833	·4875610	1·6000	5·4000	1·5
1·6	1·6124516	·6201737	·9922779	·4830426	1·5385	5·3077	1·6
1·7	1·6431677	·6085806	1·0345871	·4789655	1·4815	5·2222	1·7
1·8	1·6733200	·5976143	1·0757057	·4752677	1·4286	5·1429	1·8
1·9	1·7029386	·5872202	1·1157184	·4718983	1·3793	5·0690	1·9
2·0	1·7320508	·5773503	1·1547005	·4688152	1·3333	5·0000	2·0
2·1	1·7606817	·5679618	1·1927198	·4659832	1·2903	4·9355	2·1
2·2	1·7888544	·5590170	1·2298374	·4633729	1·2500	4·8750	2·2
2·3	1·8165902	·5504819	1·2661083	·4609589	1·2121	4·8182	2·3
2·4	1·8439089	·5423261	1·3015827	·4587200	1·1765	4·7647	2·4
2·5	1·8708287	·5345225	1·3363062	·4566376	1·1429	4·7143	2·5
2·6	1·8973666	·5270463	1·3703203	·4546958	1·1111	4·6667	2·6
2·7	1·9235384	·5198752	1·4036632	·4528809	1·0811	4·6216	2·7
2·8	1·9493589	·5129892	1·4363697	·4511807	1·0526	4·5789	2·8
2·9	1·9748418	·5063697	1·4684721	·4495847	1·0256	4·5385	2·9
3·0	2·0000000	·5000000	1·5000000	·4480836	1·0000	4·5000	3·0
3·1	2·0248457	·4938648	1·5309809	·4466691	·9756	4·4634	3·1
3·2	2·0493902	·4879500	1·5614401	·4453340	·9524	4·4286	3·2
3·3	2·0736441	·4822428	1·5914013	·4440716	·9302	4·3953	3·3
3·4	2·0976177	·4767313	1·6208864	·4428763	·9091	4·3636	3·4
3·5	2·1213203	·4714045	1·6499158	·4417428	·8889	4·3333	3·5
3·6	2·1447611	·4662524	1·6785087	·4406664	·8696	4·3043	3·6
3·7	2·1679483	·4612656	1·7066827	·4396429	·8511	4·2766	3·7
3·8	2·1908902	·4564355	1·7344548	·4386685	·8333	4·2500	3·8
3·9	2·2135944	·4517540	1·7618404	·4377398	·8163	4·2245	3·9
4·0	2·2360680	·4472136	1·7888544	·4368535	·8000	4·2000	4·0

p	$\sqrt{p+1}$	$\dfrac{1}{\sqrt{p+1}}$	$\dfrac{p}{\sqrt{p+1}}$	$\chi = \dfrac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1 = \dfrac{4}{p+1}$	$\beta_2 = 3 + \dfrac{6}{p+1}$	p
4·0	2·2360680	·4472136	1·7888544	·4368535	·8000	4·2000	4·0
4·1	2·2583180	·4428074	1·8155105	·4360069	·7843	4·1765	4·1
4·2	2·2803508	·4385290	1·8418218	·4351973	·7692	4 1538	4·2
4·3	2·3021729	·4343722	1·8678007	·4344223	·7547	4·1321	4·3
4·4	2·3237900	·4303315	1·8934585	·4336799	·7407	4·1111	4·4
4·5	2·3452079	·4264014	1·9188064	·4329679	·7273	4·0909	4·5
4·6	2·3664319	·4225771	1·9438548	·4322846	·7143	4·0714	4·6
4·7	2·3874673	·4188539	1·9686134	·4316282	·7018	4·0526	4·7
4·8	2·4083189	·4152274	1·9930915	·4309971	·6897	4·0345	4·8
4·9	2·4289916	·4116935	2·0172981	·4303900	·6780	4·0169	4·9
5·0	2·4494897	·4082483	2·0412415	·4298055	·6667	4·0000	5·0
5·1	2·4698178	·4048882	2·0649296	·4292424	·6557	3·9836	5·1
5·2	2·4899799	·4016097	2·0883703	·4286994	·6452	3·9677	5·2
5·3	2·5099801	·3984095	2·1115705	·4281756	·6349	3·9524	5·3
5·4	2·5298221	·3952847	2·1345374	·4276699	·6250	3·9375	5·4
5·5	2·5495098	·3922323	2·1572775	·4271814	·6154	3·9231	5·5
5·6	2·5690465	·3892495	2·1797970	·4267093	·6061	3·9091	5·6
5·7	2·5884358	·3863337	2·2021021	·4262527	·5970	3·8955	5·7
5·8	2·6076810	·3834825	2·2241985	·4258109	·5882	3·8824	5·8
5·9	2·6267851	·3806935	2·2460916	·4253832	·5797	3·8696	5·9
6·0	2·6457513	·3779645	2·2677868	·4249689	·5714	3·8571	6·0
6·1	2·6645825	·3752933	2·2892892	·4245674	·5634	3·8451	6·1
6·2	2·6832816	·3726780	2·3106036	·4241781	·5556	3·8333	6·2
6·3	2·7018512	·3701166	2·3317346	·4238004	·5479	3·8219	6·3
6·4	2·7202941	·3676073	2·3526868	·4234339	·5405	3·8108	6·4
6·5	2·7386128	·3651484	2·3734644	·4230781	·5333	3·8000	6·5
6·6	2·7568098	·3627381	2·3940716	·4227324	·5263	3·7895	6·6
6·7	2·7748874	·3603750	2·4145124	·4223965	·5195	3·7792	6·7
6·8	2·7928480	·3580574	2·4347906	·4220700	·5128	3·7692	6·8
6·9	2·8106939	·3557840	2·4549098	·4217525	·5063	3·7595	6·9
7·0	2·8284271	·3535534	2·4748737	·4214435	·5000	3·7500	7·0
7·1	2·8460499	·3513642	2·4946857	·4211428	·4938	3·7407	7·1
7·2	2·8635642	·3492151	2·5143491	·4208501	·4878	3·7317	7·2
7·3	2·8809721	·3471051	2·5338670	·4205649	·4819	3·7229	7·3
7·4	2·8982753	·3450328	2·5532426	·4202871	·4762	3·7143	7·4
7·5	2·9154759	·3429972	2·5724788	·4200164	·4706	3·7059	7·5
7·6	2·9325757	·3409972	2·5915785	·4197524	·4651	3·6977	7·6
7·7	2·9495762	·3390318	2·6105445	·4194950	·4598	3·6897	7·7
7·8	2·9664794	·3370999	2·6293795	·4192439	·4545	3·6818	7·8
7·9	2·9832868	·3352008	2·6480860	·4189988	·4494	3·6742	7·9
8·0	3·0000000	·3333333	2·6666667	·4187596	·4444	3·6667	8·0
8·1	3·0166206	·3314968	2·6851239	·4185260	·4396	3·6593	8·1
8·2	3·0331502	·3296902	2·7034599	·4182979	·4348	3·6522	8·2
8·3	3·0495901	·3279129	2·7216772	·4180750	·4301	3·6452	8·3
8·4	3·0659419	·3261640	2·7397779	·4178572	·4255	3·6383	8·4
8·5	3·0822070	·3244428	2·7577642	·4176443	·4211	3·6316	8·5
8·6	3·0983867	·3227486	2·7756381	·4174362	·4167	3·6250	8·6
8·7	3·1144823	·3210806	2·7934017	·4172326	·4124	3·6186	8·7
8·8	3·1304952	·3194383	2·8110569	·4170335	·4082	3·6122	8·8
8·9	3·1464265	·3178209	2·8286057	·4168386	·4040	3·6061	8·9
9·0	3·1622777	·3162278	2·8460499	·4166479	·4000	3·6000	9·0
9·1	3·1780497	·3146584	2·8633913	·4164612	·3960	3·5941	9·1
9·2	3·1937439	·3131121	2·8806317	·4162785	·3922	3·5882	9·2
9·3	3·2093613	·3115885	2·8977728	·4160995	·3883	3·5825	9·3
9·4	3·2249031	·3100868	2·9148163	·4159241	·3846	3·5769	9·4
9·5	3·2403703	·3086067	2·9317636	·4157523	·3810	3·5714	9·5
9·6	3·2557641	·3071476	2·9486166	·4155840	·3774	3·5660	9·6
9·7	3·2710854	·3057089	2·9653765	·4154190	·3738	3·5607	9·7
9·8	3·2863353	·3042903	2·9820450	·4152572	·3704	3·5556	9·8
9·9	3·3015148	·3028913	2·9986235	·4150986	·3670	3·5505	9·9
10·0	3·3166248	·3015113	3·0151134	·4149430	·3636	3·5455	10·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi=\frac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1=\frac{4}{p+1}$	$\beta_2=3+\frac{6}{p+1}$	p
10·0	3·3166248	·3015113	3·0151134	·4149430	·3636	3·5455	10·0
10·1	3·3316662	·3001501	3·0315161	·4147904	·3604	3·5405	10·1
10·2	3·3466401	·2988072	3·0478330	·4146407	·3571	3·5357	10·2
10·3	3·3615473	·2974821	3·0640652	·4144938	·3540	3·5310	10·3
10·4	3·3763886	·2961744	3·0802142	·4143496	·3509	3·5263	10·4
10·5	3·3911650	·2948839	3·0962811	·4142081	·3478	3·5217	10·5
10·6	3·4058773	·2936101	3·1122672	·4140691	·3448	3·5172	10·6
10·7	3·4205263	·2923527	3·1281736	·4139327	·3419	3·5128	10·7
10·8	3·4351128	·2911113	3·1440016	·4137987	·3390	3·5085	10·8
10·9	3·4496377	·2898855	3·1597521	·4136671	·3361	3·5042	10·9
11·0	3·4641016	·2886751	3·1754265	·4135377	·3333	3·5000	11·0
11·1	3·4785054	·2874798	3·1910256	·4134107	·3306	3·4959	11·1
11·2	3·4928498	·2862992	3·2065507	·4132858	·3279	3·4918	11·2
11·3	3·5071356	·2851310	3·2220026	·4131630	·3252	3·4878	11·3
11·4	3·5213634	·2839809	3·2373825	·4130424	·3226	3·4839	11·4
11·5	3·5355339	·2828427	3·2526912	·4129238	·3200	3·4800	11·5
11·6	3·5496479	·2817181	3·2679298	·4128071	·3175	3·4762	11·6
11·7	3·5637059	·2806068	3·2830992	·4126924	·3150	3·4724	11·7
11·8	3·5777088	·2795085	3·2982003	·4125796	·3125	3·4687	11·8
11·9	3·5916570	·2784230	3·3132340	·4124686	·3101	3·4651	11·9
12·0	3·6055513	·2773501	3·3282012	·4123594	·3077	3·4615	12·0
12·1	3·6193922	·2762895	3·3431027	·4122519	·3053	3·4580	12·1
12·2	3·6331804	·2752409	3·3579395	·4121462	·3030	3·4545	12·2
12·3	3·6469165	·2742042	3·3727123	·4120421	·3008	3·4511	12·3
12·4	3·6606010	·2731792	3·3874219	·4119397	·2985	3·4478	12·4
12·5	3·6742346	·2721655	3·4020691	·4118388	·2963	3·4444	12·5
12·6	3·6878178	·2711631	3·4166547	·4117395	·2941	3·4412	12·6
12·7	3·7013511	·2701716	3·4311795	·4116417	·2920	3·4380	12·7
12·8	3·7148351	·2691910	3·4456442	·4115454	·2899	3·4348	12·8
12·9	3·7282704	·2682209	3·4600495	·4114506	·2878	3·4317	12·9
13·0	3·7416574	·2672612	3·4743961	·4113571	·2857	3·4286	13·0
13·1	3·7549967	·2663118	3·4886848	·4112651	·2837	3·4255	13·1
13·2	3·7682887	·2653724	3·5029163	·4111744	·2817	3·4225	13·2
13·3	3·7815341	·2644429	3·5170911	·4110850	·2797	3·4196	13·3
13·4	3·7947332	·2635231	3·5312101	·4109969	·2778	3·4167	13·4
13·5	3·8078866	·2626129	3·5452737	·4109101	·2759	3·4138	13·5
13·6	3·8209946	·2617120	3·5592827	·4108246	·2740	3·4110	13·6
13·7	3·8340579	·2608203	3·5732376	·4107402	·2721	3·4082	13·7
13·8	3·8470768	·2599376	3·5871392	·4106571	·2703	3·4054	13·8
13·9	3·8600518	·2590639	3·6009879	·4105751	·2685	3·4027	13·9
14·0	3·8729833	·2581989	3·6147845	·4104942	·2667	3·4000	14·0
14·1	3·8858718	·2573425	3·6285293	·4104145	·2649	3·3974	14·1
14·2	3·8987177	·2564946	3·6422232	·4103358	·2632	3·3947	14·2
14·3	3·9115214	·2556550	3·6558664	·4102583	·2614	3·3922	14·3
14·4	3·9242834	·2548236	3·6694598	·4101817	·2597	3·3896	14·4
14·5	3·9370039	·2540003	3·6830037	·4101062	·2581	3·3871	14·5
14·6	3·9496835	·2531848	3·6964987	·4100318	·2564	3·3846	14·6
14·7	3·9623226	·2523772	3·7099453	·4099583	·2548	3·3822	14·7
14·8	3·9749214	·2515773	3·7233441	·4098857	·2532	3·3797	14·8
14·9	3·9874804	·2507849	3·7366955	·4098141	·2516	3·3774	14·9
15·0	4·0000000	·2500000	3·7500000	·4097435	·2500	3·3750	15·0
15·1	4·0124805	·2492224	3·7632581	·4096737	·2484	3·3727	15·1
15·2	4·0249224	·2484520	3·7764704	·4096049	·2469	3·3704	15·2
15·3	4·0373258	·2476887	3·7896371	·4095369	·2454	3·3681	15·3
15·4	4·0496913	·2469324	3·8027590	·4094698	·2439	3·3659	15·4
15·5	4·0620192	·2461830	3·8158362	·4094036	·2424	3·3636	15·5
15·6	4·0743098	·2454403	3·8288694	·4093381	·2410	3·3614	15·6
15·7	4·0865633	·2447044	3·8418590	·4092735	·2395	3·3593	15·7
15·8	4·0987803	·2439750	3·8548053	·4092097	·2381	3·3571	15·8
15·9	4·1109610	·2432521	3·8677088	·4091467	·2367	3·3550	15·9
16·0	4·1231056	·2425356	3·8805700	·4090844	·2353	3·3529	16·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi = \frac{p^p e^{-p} \sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1 = \frac{4}{p+1}$	$\beta_2 = 3 + \frac{6}{p+1}$	p
16·0	4·1231056	·2425356	3·8805700	·4090844	·2353	3·3529	16·0
16·1	4·1352146	·2418254	3·8933892	·4090229	·2339	3·3509	16·1
16·2	4·1472883	·2411214	3·9061669	·4089621	·2326	3·3488	16·2
16·3	4·1593269	·2404235	3·9189033	·4089021	·2312	3·3468	16·3
16·4	4·1713307	·2397317	3·9315991	·4088427	·2299	3·3448	16·4
16·5	4·1833001	·2390457	3·9442544	·4087841	·2286	3·3429	16·5
16·6	4·1952354	·2383656	3·9568697	·4087262	·2273	3·3409	16·6
16·7	4·2071368	·2376913	3·9694454	·4086689	·2260	3·3390	16·7
16·8	4·2190046	·2370227	3·9819819	·4086123	·2247	3·3371	16·8
16·9	4·2308392	·2363597	3·9944794	·4085564	·2234	3·3352	16·9
17·0	4·2426407	·2357023	4·0069384	·4085011	·2222	3·3333	17·0
17·1	4·2544095	·2350502	4·0193592	·4084465	·2210	3·3315	17·1
17·2	4·2661458	·2344036	4·0317422	·4083924	·2198	3·3297	17·2
17·3	4·2778499	·2337623	4·0440876	·4083390	·2186	3·3278	17·3
17·4	4·2895221	·2331262	4·0563959	·4082862	·2174	3·3261	17·4
17·5	4·3011626	·2324953	4·0686674	·4082339	·2162	3·3243	17·5
17·6	4·3127717	·2318694	4·0809023	·4081823	·2151	3·3226	17·6
17·7	4·3243497	·2312486	4·0931010	·4081312	·2139	3·3209	17·7
17·8	4·3358967	·2306328	4·1052639	·4080807	·2128	3·3191	17·8
17·9	4·3474130	·2300219	4·1173912	·4080307	·2116	3·3175	17·9
18·0	4·3588989	·2294157	4·1294832	·4079813	·2105	3·3158	18·0
18·1	4·3703547	·2288144	4·1415403	·4079324	·2094	3·3141	18·1
18·2	4·3817805	·2282177	4·1535627	·4078840	·2083	3·3125	18·2
18·3	4·3931765	·2276257	4·1655508	·4078362	·2073	3·3109	18·3
18·4	4·4045431	·2270383	4·1775048	·4077888	·2062	3·3093	18·4
18·5	4·4158804	·2264554	4·1894250	·4077420	·2051	3·3077	18·5
18·6	4·4271887	·2258770	4·2013117	·4076957	·2041	3·3061	18·6
18·7	4·4384682	·2253030	4·2131652	·4076498	·2030	3·3046	18·7
18·8	4·4497191	·2247333	4·2249858	·4076044	·2020	3·3030	18·8
18·9	4·4609416	·2241679	4·2367737	·4075595	·2010	3·3015	18·9
19·0	4·4721360	·2236068	4·2485292	·4075151	·2000	3·3000	19·0
19·1	4·4833024	·2230499	4·2602525	·4074711	·1990	3·2985	19·1
19·2	4·4944410	·2224971	4·2719439	·4074275	·1980	3·2970	19·2
19·3	4·5055521	·2219484	4·2836037	·4073844	·1970	3·2956	19·3
19·4	4·5166359	·2214037	4·2952322	·4073418	·1961	3·2941	19·4
19·5	4·5276926	·2208631	4·3068295	·4072995	·1951	3·2927	19·5
19·6	4·5387223	·2203263	4·3183960	·4072577	·1942	3·2913	19·6
19·7	4·5497253	·2197935	4·3299318	·4072163	·1932	3·2899	19·7
19·8	4·5607017	·2192645	4·3414372	·4071754	·1923	3·2885	19·8
19·9	4·5716518	·2187393	4·3529125	·4071348	·1914	3·2871	19·9
20·0	4·5825757	·2182179	4·3643578	·4070946	·1905	3·2857	20·0
20·1	4·5934736	·2177002	4·3757735	·4070548	·1896	3·2844	20·1
20·2	4·6043458	·2171861	4·3871597	·4070154	·1887	3·2830	20·2
20·3	4·6151923	·2166757	4·3985166	·4069763	·1878	3·2817	20·3
20·4	4·6260134	·2161689	4·4098446	·4069377	·1869	3·2804	20·4
20·5	4·6368092	·2156655	4·4211437	·4068995	·1860	3·2791	20·5
20·6	4·6475800	·2151657	4·4324143	·4068615	·1852	3·2778	20·6
20·7	4·6583259	·2146694	4·4436565	·4068240	·1843	3·2765	20·7
20·8	4·6690470	·2141765	4·4548705	·4067868	·1835	3·2752	20·8
20·9	4·6797436	·2136869	4·4660567	·4067499	·1826	3·2740	20·9
21·0	4·6904158	·2132007	4·4772150	·4067134	·1818	3·2727	21·0
21·1	4·7010637	·2127178	4·4883459	·4066773	·1810	3·2715	21·1
21·2	4·7116876	·2122382	4·4994494	·4066414	·1802	3·2703	21·2
21·3	4·7222876	·2117618	4·5105258	·4066059	·1794	3·2691	21·3
21·4	4·7328638	·2112886	4·5215753	·4065708	·1786	3·2679	21·4
21·5	4·7434165	·2108185	4·5325980	·4065359	·1778	3·2667	21·5
21·6	4·7539457	·2103516	4·5435941	·4065014	·1770	3·2655	21·6
21·7	4·7644517	·2098877	4·5545640	·4064672	·1762	3·2643	21·7
21·8	4·7749346	·2094270	4·5655076	·4064332	·1754	3·2632	21·8
21·9	4·7853944	·2089692	4·5764253	·4063996	·1747	3·2620	21·9
22·0	4·7958315	·2085144	4·5873171	·4063663	·1739	3·2609	22·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi=\frac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1=\frac{4}{p+1}$	$\beta_2=3+\frac{6}{p+1}$	p
22·0	4·7958315	·2085144	4·5873171	·4063663	·1739	3·2609	22·0
22·1	4·8062459	·2080626	4·5981833	·4063333	·1732	3·2597	22·1
22·2	4·8166378	·2076137	4·6090241	·4063006	·1724	3·2586	22·2
22·3	4·8270074	·2071677	4·6198397	·4062682	·1717	3·2575	22·3
22·4	4·8373546	·2067246	4·6306301	·4062360	·1709	3·2564	22·4
22·5	4·8476799	·2062842	4·6413956	·4062041	·1702	3·2553	22·5
22·6	4·8579831	·2058467	4·6521364	·4061726	·1695	3·2542	22·6
22·7	4·8682646	·2054120	4·6628526	·4061412	·1688	3·2532	22·7
22·8	4·8785244	·2049800	4·6735444	·4061102	·1681	3·2521	22·8
22·9	4·8887626	·2045507	4·6842119	·4060794	·1674	3·2510	22·9
23·0	4·8989795	·2041241	4·6948553	·4060489	·1667	3·2500	23·0
23·1	4·9091751	·2037002	4·7054749	·4060187	·1660	3·2490	23·1
23·2	4·9193496	·2032789	4·7160706	·4059887	·1653	3·2479	23·2
23·3	4·9295030	·2028602	4·7266428	·4059589	·1646	3·2469	23·3
23·4	4·9396356	·2024441	4·7371915	·4059294	·1639	3·2459	23·4
23·5	4·9497475	·2020305	4·7477170	·4059002	·1633	3·2449	23·5
23·6	4·9598387	·2016195	4·7582192	·4058712	·1626	3·2439	23·6
23·7	4·9699095	·2012109	4·7686985	·4058424	·1619	3·2429	23·7
23·8	4·9799598	·2008048	4·7791550	·4058139	·1613	3·2419	23·8
23·9	4·9899900	·2004012	4·7895888	·4057856	·1606	3·2410	23·9
24·0	5·0000000	·2000000	4·8000000	·4057575	·1600	3·2400	24·0
24·1	5·0099900	·1996012	4·8103888	·4057297	·1594	3·2390	24·1
24·2	5·0199602	·1992048	4·8207554	·4057021	·1587	3·2381	24·2
24·3	5·0299105	·1988107	4·8310998	·4056747	·1581	3·2372	24·3
24·4	5·0398413	·1984189	4·8414223	·4056476	·1575	3·2362	24·4
24·5	5·0497525	·1980295	4·8517230	·4056206	·1569	3·2353	24·5
24·6	5·0596443	·1976424	4·8620018	·4055939	·1562	3·2344	24·6
24·7	5·0695167	·1972575	4·8722593	·4055674	·1556	3·2335	24·7
24·8	5·0793700	·1968748	4·8824952	·4055411	·1550	3·2326	24·8
24·9	5·0892043	·1964944	4·8927099	·4055150	·1544	3·2317	24·9
25·0	5·0990195	·1961161	4·9029034	·4054891	·1538	3·2308	25·0
25·1	5·1088159	·1957401	4·9130758	·4054634	·1533	3·2299	25·1
25·2	5·1185936	·1953662	4·9232274	·4054379	·1527	3·2290	25·2
25·3	5·1283526	·1949944	4·9333582	·4054126	·1521	3·2281	25·3
25·4	5·1380930	·1946247	4·9434683	·4053875	·1515	3·2273	25·4
25·5	5·1478151	·1942572	4·9535579	·4053626	·1509	3·2264	25·5
25·6	5·1575188	·1938917	4·9636271	·4053379	·1504	3·2256	25·6
25·7	5·1672043	·1935283	4·9736760	·4053134	·1498	3·2247	25·7
25·8	5·1768716	·1931669	4·9837048	·4052891	·1493	3·2239	25·8
25·9	5·1865210	·1928075	4·9937135	·4052650	·1487	3·2230	25·9
26·0	5·1961524	·1924501	5·0037023	·4052410	·1481	3·2222	26·0
26·1	5·2057660	·1920947	5·0136713	·4052172	·1476	3·2214	26·1
26·2	5·2153619	·1917412	5·0236207	·4051936	·1471	3·2206	26·2
26·3	5·2249402	·1913898	5·0335504	·4051702	·1465	3·2198	26·3
26·4	5·2345009	·1910402	5·0434608	·4051469	·1460	3·2190	26·4
26·5	5·2440442	·1906925	5·0533517	·4051239	·1455	3·2182	26·5
26·6	5·2535702	·1903467	5·0632235	·4051010	·1449	3·2174	26·6
26·7	5·2630789	·1900029	5·0730761	·4050782	·1444	3·2166	26·7
26·8	5·2725705	·1896608	5·0829097	·4050557	·1439	3·2158	26·8
26·9	5·2820451	·1893206	5·0927244	·4050333	·1434	3·2151	26·9
27·0	5·2915026	·1889822	5·1025204	·4050110	·1429	3·2143	27·0
27·1	5·3009433	·1886457	5·1122976	·4049890	·1423	3·2135	27·1
27·2	5·3103672	·1883109	5·1220563	·4049670	·1418	3·2128	27·2
27·3	5·3197744	·1879779	5·1317965	·4049453	·1413	3·2120	27·3
27·4	5·3291650	·1876467	5·1415184	·4049237	·1408	3·2113	27·4
27·5	5·3385391	·1873172	5·1512220	·4049022	·1404	3·2105	27·5
27·6	5·3478968	·1869894	5·1609074	·4048809	·1399	3·2098	27·6
27·7	5·3572381	·1866633	5·1705747	·4048598	·1394	3·2091	27·7
27·8	5·3665631	·1863390	5·1802241	·4048388	·1389	3·2083	27·8
27·9	5·3758720	·1860163	5·1898557	·4048180	·1384	3·2076	27·9
28·0	5·3851648	·1856953	5·1994695	·4047973	·1379	3·2069	28·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi = \frac{p^p e^{-p} \sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1 = \frac{4}{p+1}$	$\beta_2 = 3 + \frac{6}{p+1}$	p
28·0	5·3851648	·1856953	5·1994695	·4047973	·1379	3·2069	28·0
28·1	5·3944416	·1853760	5·2090656	·4047767	·1375	3·2062	28·1
28·2	5·4037024	·1850583	5·2186441	·4047563	·1370	3·2055	28·2
28·3	5·4129474	·1847422	5·2282052	·4047360	·1365	3·2048	28·3
28·4	5·4221767	·1844278	5·2377489	·4047159	·1361	3·2041	28·4
28·5	5·4313902	·1841149	5·2472753	·4046959	·1356	3·2034	28·5
28·6	5·4405882	·1838037	5·2567845	·4046761	·1351	3·2027	28·6
28·7	5·4497706	·1834940	5·2662767	·4046564	·1347	3·2020	28·7
28·8	5·4589376	·1831858	5·2757518	·4046368	·1342	3·2013	28·8
28·9	5·4680892	·1828792	5·2852100	·4046174	·1338	3·2007	28·9
29·0	5·4772256	·1825742	5·2946514	·4045980	·1333	3·2000	29·0
29·1	5·4863467	·1822707	5·3040760	·4045789	·1329	3·1993	29·1
29·2	5·4954527	·1819686	5·3134840	·4045598	·1325	3·1987	29·2
29·3	5·5045436	·1816681	5·3228755	·4045409	·1320	3·1980	29·3
29·4	5·5136195	·1813691	5·3322504	·4045221	·1316	3·1974	29·4
29·5	5·5226805	·1810715	5·3416090	·4045034	·1311	3·1967	29·5
29·6	5·5317267	·1807754	5·3509513	·4044849	·1307	3·1961	29·6
29·7	5·5407581	·1804807	5·3602774	·4044665	·1303	3·1954	29·7
29·8	5·5497748	·1801875	5·3695873	·4044482	·1299	3·1948	29·8
29·9	5·5587768	·1798957	5·3788812	·4044300	·1294	3·1942	29·9
30·0	5·5677644	·1796053	5·3881591	·4044119	·1290	3·1935	30·0
30·1	5·5767374	·1793163	5·3974211	·4043940	·1286	3·1929	30·1
30·2	5·5856960	·1790287	5·4066673	·4043762	·1282	3·1923	30·2
30·3	5·5946403	·1787425	5·4158978	·4043585	·1278	3·1917	30·3
30·4	5·6035703	·1784577	5·4251126	·4043409	·1274	3·1911	30·4
30·5	5·6124861	·1781742	5·4343119	·4043234	·1270	3·1905	30·5
30·6	5·6213877	·1778920	5·4434957	·4043060	·1266	3·1899	30·6
30·7	5·6302753	·1776112	5·4526641	·4042888	·1262	3·1893	30·7
30·8	5·6391489	·1773317	5·4618171	·4042716	·1258	3·1887	30·8
30·9	5·6480085	·1770536	5·4709549	·4042546	·1254	3·1881	30·9
31·0	5·6568542	·1767767	5·4800776	·4042377	·1250	3·1875	31·0
31·1	5·6656862	·1765011	5·4891851	·4042209	·1246	3·1869	31·1
31·2	5·6745044	·1762268	5·4982775	·4042042	·1242	3·1863	31·2
31·3	5·6833089	·1759538	5·5073551	·4041875	·1238	3·1858	31·3
31·4	5·6920998	·1756821	5·5164177	·4041711	·1235	3·1852	31·4
31·5	5·7008771	·1754116	5·5254655	·4041547	·1231	3·1846	31·5
31·6	5·7096410	·1751424	5·5344986	·4041384	·1227	3·1840	31·6
31·7	5·7183914	·1748744	5·5435170	·4041222	·1223	3·1835	31·7
31·8	5·7271284	·1746076	5·5525209	·4041061	·1220	3·1829	31·8
31·9	5·7358522	·1743420	5·5615101	·4040901	·1216	3·1824	31·9
32·0	5·7445626	·1740777	5·5704850	·4040742	·1212	3·1818	32·0
32·1	5·7532599	·1738145	5·5794454	·4040584	·1208	3·1813	32·1
32·2	5·7619441	·1735525	5·5883916	·4040427	·1205	3·1807	32·2
32·3	5·7706152	·1732917	5·5973235	·4040271	·1201	3·1802	32·3
32·4	5·7792733	·1730321	5·6062412	·4040116	·1198	3·1796	32·4
32·5	5·7879185	·1727737	5·6151448	·4039962	·1194	3·1791	32·5
32·6	5·7965507	·1725164	5·6240343	·4039809	·1190	3·1786	32·6
32·7	5·8051701	·1722602	5·6329099	·4039656	·1187	3·1780	32·7
32·8	5·8137767	·1720052	5·6417715	·4039505	·1183	3·1775	32·8
32·9	5·8223707	·1717513	5·6506193	·4039355	·1180	3·1770	32·9
33·0	5·8309519	·1714986	5·6594533	·4039205	·1176	3·1765	33·0
33·1	5·8395205	·1712469	5·6682736	·4039056	·1173	3·1760	33·1
33·2	5·8480766	·1709964	5·6770802	·4038909	·1170	3·1754	33·2
33·3	5·8566202	·1707469	5·6858732	·4038762	·1166	3·1749	33·3
33·4	5·8651513	·1704986	5·6946527	·4038616	·1163	3·1744	33·4
33·5	5·8736701	·1702513	5·7034188	·4038470	·1159	3·1739	33·5
33·6	5·8821765	·1700051	5·7121714	·4038326	·1156	3·1734	33·6
33·7	5·8906706	·1697600	5·7209106	·4038183	·1153	3·1729	33·7
33·8	5·8991525	·1695159	5·7296366	·4038040	·1149	3·1724	33·8
33·9	5·9076222	·1692728	5·7383494	·4037898	·1146	3·1719	33·9
34·0	5·9160798	·1690309	5·7470489	·4037758	·1143	3·1714	34·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi=\frac{p^p e^{-p}\sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1=\frac{4}{p+1}$	$\beta_2=3+\frac{6}{p+1}$	p
34·0	5·9160798	·1690309	5·7470489	·4037758	·1143	3·1714	34·0
34·1	5·9245253	·1687899	5·7557354	·4037617	·1140	3·1709	34·1
34·2	5·9329588	·1685500	5·7644088	·4037478	·1136	3·1705	34·2
34·3	5·9413803	·1683111	5·7730693	·4037339	·1133	3·1700	34·3
34·4	5·9497899	·1680732	5·7817167	·4037202	·1130	3·1695	34·4
34·5	5·9581876	·1678363	5·7903514	·4037065	·1127	3·1690	34·5
34·6	5·9665736	·1676004	5·7989732	·4036929	·1124	3·1685	34·6
34·7	5·9749477	·1673655	5·8075822	·4036793	·1120	3·1681	34·7
34·8	5·9833101	·1671316	5·8161786	·4036659	·1117	3·1676	34·8
34·9	5·9916609	·1668986	5·8247622	·4036525	·1114	3·1671	34·9
35·0	6·0000000	·1666667	5·8333333	·4036392	·1111	3·1667	35·0
35·1	6·0083276	·1664357	5·8418919	·4036259	·1108	3·1662	35·1
35·2	6·0166436	·1662056	5·8504380	·4036128	·1105	3·1657	35·2
35·3	6·0249481	·1659765	5·8589716	·4035997	·1102	3·1653	35·3
35·4	6·0332413	·1657484	5·8674929	·4035867	·1099	3·1648	35·4
35·5	6·0415230	·1655212	5·8760018	·4035737	·1096	3·1644	35·5
35·6	6·0497934	·1652949	5·8844985	·4035609	·1093	3·1639	35·6
35·7	6·0580525	·1650695	5·8929829	·4035481	·1090	3·1635	35·7
35·8	6·0663004	·1648451	5·9014552	·4035353	·1087	3·1630	35·8
35·9	6·0745370	·1646216	5·9099154	·4035227	·1084	3·1626	35·9
36·0	6·0827625	·1643990	5·9183635	·4035101	·1081	3·1622	36·0
36·1	6·0909769	·1641773	5·9267997	·4034976	·1078	3·1617	36·1
36·2	6·0991803	·1639565	5·9352238	·4034851	·1075	3·1613	36·2
36·3	6·1073726	·1637365	5·9436361	·4034727	·1072	3·1609	36·3
36·4	6·1155539	·1635175	5·9520365	·4034604	·1070	3·1604	36·4
36·5	6·1237244	·1632993	5·9604250	·4034482	·1067	3·1600	36·5
36·6	6·1318839	·1630820	5·9688019	·4034360	·1064	3·1596	36·6
36·7	6·1400326	·1628656	5·9771670	·4034239	·1061	3·1592	36·7
36·8	6·1481705	·1626500	5·9855204	·4034118	·1058	3·1587	36·8
36·9	6·1562976	·1624353	5·9938623	·4033998	·1055	3·1583	36·9
37·0	6·1644140	·1622214	6·0021926	·4033879	·1053	3·1579	37·0
37·1	6·1725197	·1620084	6·0105114	·4033761	·1050	3·1575	37·1
37·2	6·1806149	·1617962	6·0188187	·4033643	·1047	3·1571	37·2
37·3	6·1886994	·1615848	6·0271145	·4033525	·1044	3·1567	37·3
37·4	6·1967734	·1613743	6·0353990	·4033409	·1042	3·1562	37·4
37·5	6·2048368	·1611646	6·0436722	·4033293	·1039	3·1558	37·5
37·6	6·2128898	·1609557	6·0519341	·4033177	·1036	3·1554	37·6
37·7	6·2209324	·1607476	6·0601848	·4033062	·1034	3·1550	37·7
37·8	6·2289646	·1605403	6·0684243	·4032948	·1031	3·1546	37·8
37·9	6·2369865	·1603338	6·0766526	·4032834	·1028	3·1542	37·9
38·0	6·2449980	·1601282	6·0848698	·4032721	·1026	3·1538	38·0
38·1	6·2529993	·1599233	6·0930760	·4032608	·1023	3·1535	38·1
38·2	6·2609903	·1597191	6·1012712	·4032497	·1020	3·1531	38·2
38·3	6·2689712	·1595158	6·1094554	·4032385	·1018	3·1527	38·3
38·4	6·2769419	·1593132	6·1176287	·4032275	·1015	3·1523	38·4
38·5	6·2849025	·1591115	6·1257911	·4032164	·1013	3·1519	38·5
38·6	6·2928531	·1589104	6·1339427	·4032055	·1010	3·1515	38·6
38·7	6·3007936	·1587102	6·1420834	·4031946	·1008	3·1511	38·7
38·8	6·3087241	·1585107	6·1502135	·4031837	·1005	3·1508	38·8
38·9	6·3166447	·1583119	6·1583328	·4031729	·1003	3·1504	38·9
39·0	6·3245553	·1581139	6·1664414	·4031622	·1000	3·1500	39·0
39·1	6·3324561	·1579166	6·1745395	·4031515	·0998	3·1496	39·1
39·2	6·3403470	·1577201	6·1826269	·4031409	·0995	3·1493	39·2
39·3	6·3482281	·1575243	6·1907038	·4031303	·0993	3·1489	39·3
39·4	6·3560994	·1573292	6·1987702	·4031198	·0990	3·1485	39·4
39·5	6·3639610	·1571348	6·2068262	·4031093	·0988	3·1481	39·5
39·6	6·3718129	·1569412	6·2148717	·4030989	·0985	3·1478	39·6
39·7	6·3796552	·1567483	6·2229069	·4030885	·0983	3·1474	39·7
39·8	6·3874878	·1565561	6·2309317	·4030782	·0980	3·1471	39·8
39·9	6·3953108	·1563646	6·2389462	·4030679	·0978	3·1467	39·9
40·0	6·4031242	·1561738	6·2469505	·4030577	·0976	3·1463	40·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi = \frac{p^p e^{-p} \sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1 = \frac{4}{p+1}$	$\beta_2 = 3 + \frac{6}{p+1}$	p
40·0	6·4031242	·1561738	6·2469505	·4030577	·0976	3·1463	40·0
40·1	6·4109282	·1559837	6·2549445	·4030475	·0973	3·1460	40·1
40·2	6·4187226	·1557942	6·2629284	·4030374	·0971	3·1456	40·2
40·3	6·4265076	·1556055	6·2709021	·4030274	·0969	3·1453	40·3
40·4	6·4342832	·1554175	6·2788657	·4030173	·0966	3·1449	40·4
40·5	6·4420494	·1552301	6·2868193	·4030074	·0964	3·1446	40·5
40·6	6·4498062	·1550434	6·2947628	·4029975	·0962	3·1442	40·6
40·7	6·4575537	·1548574	6·3026963	·4029876	·0959	3·1439	40·7
40·8	6·4652919	·1546721	6·3106199	·4029778	·0957	3·1435	40·8
40·9	6·4730209	·1544874	6·3185336	·4029680	·0955	3·1432	40·9
41·0	6·4807407	·1543033	6·3264373	·4029583	·0952	3·1429	41·0
41·1	6·4884513	·1541200	6·3343313	·4029486	·0950	3·1425	41·1
41·2	6·4961527	·1539373	6·3422154	·4029390	·0948	3·1422	41·2
41·3	6·5038450	·1537552	6·3500898	·4029294	·0946	3·1418	41·3
41·4	6·5115282	·1535738	6·3579545	·4029198	·0943	3·1415	41·4
41·5	6·5192024	·1533930	6·3658094	·4029103	·0941	3·1412	41·5
41·6	6·5268675	·1532129	6·3736547	·4029009	·0939	3·1408	41·6
41·7	6·5345237	·1530333	6·3814903	·4028915	·0937	3·1405	41·7
41·8	6·5421709	·1528545	6·3893164	·4028821	·0935	3·1402	41·8
41·9	6·5498092	·1526762	6·3971330	·4028728	·0932	3·1399	41·9
42·0	6·5574385	·1524986	6·4049400	·4028635	·0930	3·1395	42·0
42·1	6·5650590	·1523216	6·4127375	·4028543	·0928	3·1392	42·1
42·2	6·5726707	·1521452	6·4205255	·4028451	·0926	3·1389	42·2
42·3	6·5802736	·1519694	6·4283042	·4028360	·0924	3·1386	42·3
42·4	6·5878676	·1517942	6·4360734	·4028269	·0922	3·1382	42·4
42·5	6·5954530	·1516196	6·4438334	·4028178	·0920	3·1379	42·5
42·6	6·6030296	·1514456	6·4515840	·4028088	·0917	3·1376	42·6
42·7	6·6105976	·1512723	6·4593253	·4027998	·0915	3·1373	42·7
42·8	6·6181568	·1510995	6·4670574	·4027909	·0913	3·1370	42·8
42·9	6·6257075	·1509273	6·4747802	·4027820	·0911	3·1367	42·9
43·0	6·6332496	·1507557	6·4824939	·4027732	·0909	3·1364	43·0
43·1	6·6407831	·1505847	6·4901984	·4027644	·0907	3·1361	43·1
43·2	6·6483081	·1504142	6·4978939	·4027556	·0905	3·1357	43·2
43·3	6·6558245	·1502443	6·5055802	·4027469	·0903	3·1354	43·3
43·4	6·6633325	·1500751	6·5132574	·4027382	·0901	3·1351	43·4
43·5	6·6708320	·1499063	6·5209257	·4027295	·0899	3·1348	43·5
43·6	6·6783231	·1497382	6·5285850	·4027209	·0897	3·1345	43·6
43·7	6·6858059	·1495706	6·5362353	·4027123	·0895	3·1342	43·7
43·8	6·6932802	·1494036	6·5438766	·4027038	·0893	3·1339	43·8
43·9	6·7007462	·1492371	6·5515091	·4026953	·0891	3·1336	43·9
44·0	6·7082039	·1490712	6·5591327	·4026869	·0889	3·1333	44·0
44·1	6·7156534	·1489058	6·5667475	·4026785	·0887	3·1330	44·1
44·2	6·7230945	·1487410	6·5743535	·4026701	·0885	3·1327	44·2
44·3	6·7305275	·1485768	6·5819507	·4026617	·0883	3·1325	44·3
44·4	6·7379522	·1484130	6·5895392	·4026534	·0881	3·1322	44·4
44·5	6·7453688	·1482499	6·5971189	·4026452	·0879	3·1319	44·5
44·6	6·7527772	·1480872	6·6046900	·4026369	·0877	3·1316	44·6
44·7	6·7601775	·1479251	6·6122524	·4026287	·0875	3·1313	44·7
44·8	6·7675697	·1477635	6·6198062	·4026206	·0873	3·1310	44·8
44·9	6·7749539	·1476025	6·6273514	·4026125	·0871	3·1307	44·9
45·0	6·7823300	·1474420	6·6348880	·4026044	·0870	3·1304	45·0
45·1	6·7896981	·1472820	6·6424161	·4025963	·0868	3·1301	45·1
45·2	6·7970582	·1471225	6·6499357	·4025883	·0866	3·1299	45·2
45·3	6·8044103	·1469635	6·6574468	·4025803	·0864	3·1296	45·3
45·4	6·8117545	·1468051	6·6649495	·4025724	·0862	3·1293	45·4
45·5	6·8190908	·1466471	6·6724437	·4025645	·0860	3·1290	45·5
45·6	6·8264193	·1464897	6·6799296	·4025566	·0858	3·1288	45·6
45·7	6·8337398	·1463328	6·6874071	·4025488	·0857	3·1285	45·7
45·8	6·8410526	·1461763	6·6948762	·4025410	·0855	3·1282	45·8
45·9	6·8483575	·1460204	6·7023371	·4025332	·0853	3·1279	45·9
46·0	6·8556546	·1458650	6·7097896	·4025254	·0851	3·1277	46·0

p	$\sqrt{p+1}$	$\frac{1}{\sqrt{p+1}}$	$\frac{p}{\sqrt{p+1}}$	$\chi = \frac{p^p e^{-p} \sqrt{p+1}}{\Gamma(p+1)}$	$\beta_1 = \frac{4}{p+1}$	$\beta_2 = 3 + \frac{6}{p+1}$	p
46·0	6·8556546	·1458650	6·7097896	·4025254	·0851	3·1277	46·0
46·1	6·8629440	·1457101	6·7172339	·4025177	·0849	3·1274	46·1
46·2	6·8702256	·1455556	6·7246700	·4025101	·0847	3·1271	46·2
46·3	6·8774995	·1454017	6·7320979	·4025024	·0846	3·1268	46·3
46·4	6·8847658	·1452482	6·7395176	·4024948	·0844	3·1266	46·4
46·5	6·8920244	·1450952	6·7469291	·4024872	·0842	3·1263	46·5
46·6	6·8992753	·1449428	6·7543326	·4024797	·0840	3·1261	46·6
46·7	6·9065187	·1447907	6·7617279	·4024722	·0839	3·1258	46·7
46·8	6·9137544	·1446392	6·7691152	·4024647	·0837	3·1255	46·8
46·9	6·9209826	·1444882	6·7764944	·4024573	·0835	3·1253	46·9
47·0	6·9282032	·1443376	6·7838657	·4024498	·0833	3·1250	47·0
47·1	6·9354164	·1441875	6·7912289	·4024425	·0832	3·1247	47·1
47·2	6·9426220	·1440378	6·7985842	·4024351	·0830	3·1245	47·2
47·3	6·9498201	·1438886	6·8059315	·4024278	·0828	3·1242	47 3
47·4	6·9570109	·1437399	6·8132710	·4024205	·0826	3·1240	47·4
47·5	6·9641941	·1435916	6·8206025	·4024132	·0825	3·1237	47·5
47·6	6·9713700	·1434438	6·8279262	·4024060	·0823	3·1235	47·6
47·7	6·9785385	·1432965	6·8352421	·4023988	·0821	3·1232	47·7
47·8	6·9856997	·1431496	6·8425501	·4023916	·0820	3·1230	47·8
47·9	6·9928535	·1430031	6·8498504	·4023845	·0818	3·1227	47·9
48·0	7·0000000	·1428571	6·8571429	·4023774	·0816	3·1224	48·0
48 1	7·0071392	·1427116	6·8644276	·4023703	·0815	3·1222	48·1
48·2	7·0142712	·1425665	6·8717047	·4023632	·0813	3·1220	48·2
48·3	7·0213959	·1424218	6·8789741	·4023562	·0811	3·1217	48·3
48·4	7·0285134	·1422776	6·8862358	·4023492	·0810	3·1215	48·4
48·5	7·0356236	·1421338	6·8934898	·4023422	·0808	3·1212	48·5
48·6	7·0427267	·1419905	6·9007363	·4023353	·0806	3·1210	48·6
48·7	7·0498227	·1418475	6·9079752	·4023284	·0805	3·1207	48·7
48·8	7·0569115	·1417051	6·9152065	·4023215	·0803	3·1205	48·8
48·9	7·0639932	·1415630	6·9224302	·4023146	·0802	3·1202	48·9
49·0	7·0710678	·1414214	6·9296464	·4023078	·0800	3·1200	49·0
49·1	7·0781353	·1412801	6·9368552	·4023010	·0798	3·1198	49·1
49·2	7·0851958	·1411394	6·9440565	·4022942	·0797	3·1195	49·2
49·3	7·0922493	·1409990	6·9512503	·4022875	·0795	3·1193	49·3
49·4	7·0992957	·1408590	6·9584367	4022808	·0794	3·1190	49·4
49·5	7·1063352	·1407195	6·9656157	4022741	·0792	3·1188	49·5
49·6	7·1133677	·1405804	6·9727873	·4022674	·0791	3·1186	49·6
49·7	7·1203932	·1404417	6·9799516	·4022608	·0789	3·1183	49·7
49·8	7·1274119	·1403034	6·9871085	·4022542	·0787	3·1181	49·8
49·9	7·1344236	·1401655	6·9942581	·4022476	·0786	3·1179	49·9
50·0	7·1414284	·1400280	7·0014004	·4022410	·0784	3·1176	50·0
50·1	7·1484264	·1398909	7·0085355	·4022345	·0783	3·1174	50·1

u	$p = -1{\cdot}00$	$p = -0{\cdot}99$	$p = -0{\cdot}98$	$p = -0{\cdot}97$	$p = -0{\cdot}96$	$p = -0{\cdot}95$	$p = -0{\cdot}94$	$p = -0{\cdot}93$	$p = -0{\cdot}92$	$p = -0{\cdot}91$	$p = -0{\cdot}90$	$p = -0{\cdot}89$	$p = -0{\cdot}88$	$p = -0{\cdot}87$	u
·0	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·0
·1	1·00000	·96035	·92846	·89979	·87332	·84855	·82516	·80294	·78176	·76148	·74203	·72332	·70529	·68789	·1
·2	1·00000	·96693	·94116	·91824	·89720	·87755	·85903	·84143	·82464	·80853	·79305	·77811	·76368	·74971	·2
·3	1·00000	·97077	·94857	·92902	·91118	·89460	·87900	·86420	·85009	·83658	·82357	·81103	·79890	·78714	·3
·4	1·00000	·97347	·95378	·93661	·92104	·90662	·89311	·88032	·86814	·85649	·84529	·83449	·82404	·81392	·4
·5	1·00000	·97555	·95779	·94245	·92861	·91587	·90395	·89271	·88203	·87183	·86203	·85259	·84347	·83463	·5
·6	1·00000	·97723	·96103	·94716	·93473	·92332	·91270	·90271	·89324	·88421	·87555	·86722	·85918	·85139	·6
·7	1·00000	·97865	·96374	·95109	·93983	·92954	·92000	·91105	·90258	·89452	·88681	·87941	·87231	·86536	·7
·8	1·00000	·97986	·96607	·95446	·94418	·93485	·92622	·91815	·91053	·90331	·89640	·88978	·88341	·87725	·8
·9	1·00000	·98092	·96809	·95739	·94797	·93945	·93161	·92430	·91742	·91091	·90470	·89876	·89305	·88753	·9
1·0	1·00000	·98186	·96988	·95997	·95130	·94350	·93635	·92970	·92347	·91758	·91198	·90662	·90148	·89654	1·0
1·1	1·00000	·98271	·97148	·96227	·95427	·94710	·94055	·93449	·92883	·92348	·91841	·91358	·90895	·90449	1·1
1·2	1·00000	·98347	·97292	·96434	·95693	·95033	·94432	·93878	·93362	·92876	·92416	·91979	·91560	·91159	1·2
1·3	1·00000	·98417	·97423	·96622	·95935	·95325	·94772	·94265	·93793	·93350	·92933	·92536	·92157	·91795	1·3
1·4	1·00000	·98481	·97543	·96794	·96154	·95590	·95081	·94615	·94183	·93780	·93399	·93039	·92696	·92368	1·4
1·5	1·00000	·98539	·97653	·96951	·96355	·95832	·95363	·94934	·94539	·94170	·93824	·93496	·93185	·92889	1·5
1·6	1·00000	·98594	·97755	·97095	·96540	·96054	·95621	·95226	·94864	·94526	·94211	·93913	·93631	·93362	1·6
1·7	1·00000	·98645	·97849	·97229	·96710	·96259	·95858	·95495	·95162	·94853	·94565	·94294	·94038	·93794	1·7
1·8	1·00000	·98692	·97937	·97353	·96868	·96449	·96077	·95742	·95436	·95154	·94891	·94644	·94411	·94190	1·8
1·9	1·00000	·98737	·98019	·97469	·97015	·96624	·96280	·95971	·95690	·95431	·95191	·94966	·94755	·94555	1·9
2·0	1·00000	·98778	·98096	·97577	·97152	·96788	·96469	·96183	·95925	·95688	·95468	·95263	·95071	·94890	2·0
2·1	1·00000	·98818	·98168	·97678	·97279	·96940	·96644	·96381	·96143	·95925	·95725	·95539	·95364	·95200	2·1
2·2	1·00000	·98855	·98236	·97773	·97399	·97083	·96808	·96565	·96346	·96146	·95963	·95794	·95635	·95487	2·2
2·3	1·00000	·98890	·98300	·97862	·97511	·97216	·96961	·96736	·96535	·96352	·96185	·96031	·95887	·95753	2·3
2·4	1·00000	·98923	·98360	·97947	·97617	·97341	·97104	·96897	·96711	·96544	·96392	·96251	·96121	·96000	2·4
2·5	1·00000	·98955	·98417	·98026	·97716	·97459	·97239	·97047	·96877	·96724	·96584	·96457	·96339	·96229	2·5
2·6	1·00000	·98985	·98471	·98101	·97810	·97570	·97365	·97188	·97032	·96891	·96765	·96649	·96542	·96443	2·6
2·7	1·00000	·99014	·98523	·98172	·97898	·97674	·97484	·97321	·97177	·97049	·96933	·96828	·96732	·96643	2·7
2·8	1·00000	·99041	·98572	·98239	·97982	·97773	·97597	·97446	·97313	·97196	·97091	·96996	·96909	·96829	2·8
2·9	1·00000	·99068	·98618	·98303	·98061	·97866	·97702	·97563	·97442	·97335	·97240	·97154	·97075	·97004	2·9
3·0	1·00000	·99093	·98663	·98364	·98137	·97954	·97802	·97674	·97563	·97465	·97379	·97301	·97231	·97167	3·0
3·1	1·00000	·99117	·98705	·98422	·98208	·98037	·97897	·97778	·97677	·97588	·97510	·97440	·97377	·97320	3·1
3·2	1·00000	·99140	·98745	·98477	·98276	·98117	·97986	·97877	·97784	·97704	·97633	·97570	·97514	·97463	3·2
3·3	1·00000	·99162	·98784	·98530	·98340	·98192	·98071	·97971	·97886	·97813	·97749	·97693	·97643	·97598	3·3
3·4	1·00000	·99183	·98821	·98580	·98402	·98263	·98152	·98059	·97982	·97916	·97858	·97808	·97764	·97724	3·4
3·5	1·00000	·99204	·98857	·98628	·98460	·98331	·98228	·98143	·98073	·98013	·97962	·97917	·97878	·97843	3·5
3·6	1·00000	·99223	·98891	·98674	·98516	·98396	·98300	·98223	·98159	·98105	·98059	·98020	·97985	·97955	3·6
3·7	1·00000	·99242	·98923	·98717	·98570	·98458	·98369	·98299	·98240	·98192	·98151	·98116	·98086	·98060	3·7
3·8	1·00000	·99260	·98955	·98759	·98621	·98516	·98435	·98370	·98318	·98274	·98238	·98208	·98182	·98160	3·8
3·9	1·00000	·99278	·98985	·98799	·98669	·98572	·98497	·98438	·98391	·98353	·98321	·98294	·98272	·98253	3·9
4·0	1·00000	·99295	·99014	·98838	·98716	·98626	·98557	·98503	·98461	·98427	·98399	·98376	·98357	·98341	4·0
4·1	1·00000	·99311	·99042	·98875	·98760	·98677	·98614	·98565	·98527	·98497	·98473	·98453	·98438	·98425	4·1
4·2	1·00000	·99327	·99068	·98910	·98803	·98725	·98668	·98624	·98590	·98564	·98543	·98526	·98514	·98503	4·2
4·3	1·00000	·99343	·99094	·98945	·98844	·98772	·98719	·98680	·98650	·98627	·98609	·98596	·98586	·98578	4·3
4·4	1·00000	·99358	·99119	·98977	·98883	·98817	·98768	·98733	·98707	·98687	·98672	·98661	·98654	·98648	4·4
4·5	1·00000	·99372	·99143	·99009	·98920	·98859	·98815	·98784	·98761	·98744	·98732	·98724	·98718	·98714	4·5
4·6	1·00000	·99386	·99166	·99039	·98956	·98900	·98860	·98832	·98812	·98799	·98789	·98783	·98779	·98777	4·6
4·7	1·00000	·99399	·99189	·99068	·98991	·98939	·98903	·98879	·98862	·98850	·98843	·98839	·98837	·98837	4·7
4·8	1·00000	·99412	·99210	·99096	·99024	·98977	·98944	·98923	·98908	·98899	·98894	·98892	·98892	·98893	4·8
4·9	1·00000	·99425	·99231	·99123	·99056	·99013	·98984	·98965	·98953	·98946	·98943	·98942	·98944	·98947	4·9
5·0	1·00000	·99437	·99251	·99149	·99087	·99047	·99021	99005	·98996	·98991	·98990	·98990	·98993	·98997	5·0
5·1	1·00000	·99449	·99271	·99174	·99116	·99080	·99057	·99044	·99037	·99034	·99034	·99036	·99040	·99045	5·1
5·2	1·00000	·99461	·99290	·99199	·99145	·99112	·99092	·99081	·99075	·99074	·99076	·99079	·99084	·99091	5·2
5·3	1·00000	·99472	·99308	·99222	·99172	·99143	·99125	·99116	·99112	·99113	·99116	·99121	·99127	·99134	5·3
5·4	1·00000	·99483	·99325	·99244	·99198	·99172	·99157	·99150	·99148	·99150	·99154	·99160	·99167	·99175	5·4
5·5	1·00000	·99494	·99343	·99266	·99224	·99200	·99187	·99182	·99182	·99185	·99190	·99197	·99205	·99213	5·5
5·6	1·00000	·99504	·99359	·99287	·99248	·99227	·99216	·99213	·99214	·99219	·99225	·99233	·99241	·99250	5·6
5·7	1·00000	·99514	·99375	·99307	·99272	·99253	·99244	·99243	·99245	·99251	·99258	·99266	·99276	·99285	5·7
5·8	1·00000	·99524	·99391	·99327	·99294	·99278	·99271	·99271	·99275	·99281	·99289	·99299	·99308	·99319	5·8
5·9	1·00000	·99533	·99406	·99346	·99316	·99302	·99297	·99298	·99303	·99311	·99320	·99329	·99340	·99350	5·9
6·0	1·00000	·99543	·99420	·99364	·99337	·99325	·99322	·99324	·99330	·99339	·99348	·99359	·99369	·99380	6·0

u	$p=-0{\cdot}87$	$p=-0{\cdot}86$	$p=-0{\cdot}85$	$p=-0{\cdot}84$	$p=-0{\cdot}83$	$p=-0{\cdot}82$	$p=-0{\cdot}81$	$p=-0{\cdot}80$	$p=-0{\cdot}79$	$p=-0{\cdot}78$	$p=-0{\cdot}77$	$p=-0{\cdot}76$	$p=-0{\cdot}75$	u
·0	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·00000	·0
·1	·68789	·67109	·65483	·63909	·62383	·60904	·59467	·58073	·56717	·55399	·54117	·52870	·51656	·1
·2	·74971	·73616	·72300	·71021	·69776	·68562	·67379	·66225	·65097	·63996	·62919	·61865	·60834	·2
·3	·78714	·77572	·76462	·75380	·74326	·73297	·72291	·71308	·70345	·69402	·68478	·67572	·66683	·3
·4	·81392	·80409	·79453	·78520	·77611	·76722	·75853	·75002	·74168	·73350	·72548	·71760	·70985	·4
·5	·83463	·82606	·81771	·80957	·80164	·79388	·78629	·77885	·77156	·76440	·75738	·75047	·74368	·5
·6	·85139	·84384	·83649	·82934	·82235	·81553	·80885	·80230	·79589	·78959	·78340	·77732	·77133	·6
·7	·86536	·85867	·85216	·84582	·83964	·83361	·82770	·82192	·81624	·81067	·80520	·79982	·79452	·7
·8	·87725	·87129	·86550	·85986	·85437	·84901	·84377	·83863	·83360	·82866	·82380	·81903	·81433	·8
·9	·88753	·88220	·87703	·87201	·86711	·86233	·85766	·85309	·84861	·84422	·83990	·83566	·83148	·9
1·0	·89654	·89176	·88712	·88263	·87825	·87412	·86981	·86574	·86175	·85783	·85398	·85013	·84649	1·0
1·1	·90449	·90020	·89604	·89201	·88809	·88427	·88054	·87690	·87333	·86984	·86641	·86304	·85973	1·1
1·2	·91159	·90772	·90398	·90035	·89684	·89342	·89008	·88682	·88364	·88051	·87745	·87444	·87149	1·2
1·3	·91795	·91446	·91109	·90784	·90468	·90161	·89862	·89570	·89285	·89006	·88732	·88463	·88200	1·3
1·4	·92368	·92054	·91750	·91457	·91173	·90897	·90629	·90368	·90113	·89863	·89618	·89379	·89143	1·4
1·5	·92889	·92604	·92330	·92066	·91811	·91563	·91323	·91089	·90860	·90637	·90418	·90204	·89994	1·5
1·6	·93362	·93105	·92858	·92620	·92390	·92168	·91952	·91742	·91537	·91337	·91142	·90951	·90763	1·6
1·7	·93794	·93562	·93339	·93124	·92918	·92718	·92524	·92336	·92153	·91974	·91800	·91629	·91462	1·7
1·8	·94190	·93980	·93779	·93586	·93400	·93221	·93047	·92878	·92714	·92555	·92399	·92247	·92097	1·8
1·9	·94555	·94364	·94183	·94009	·93842	·93681	·93525	·93374	·93228	·93085	·92946	·92810	·92678	1·9
2·0	·94890	·94718	·94555	·94398	·94248	·94103	·93964	·93829	·93698	·93571	·93447	·93326	·93208	2·0
2·1	·95200	·95045	·94897	·94756	·94621	·94492	·94367	·94246	·94127	·94016	·93906	·93799	·93694	2·1
2·2	·95487	·95347	·95214	·95087	·94966	·94850	·94738	·94631	·94527	·94426	·94328	·94233	·94140	2·2
2·3	·95753	·95626	·95506	·95398	·95284	·95181	·95081	·94985	·94893	·94803	·94716	·94632	·94550	2·3
2·4	·96000	·95886	·95778	·95676	·95579	·95487	·95398	·95313	·95231	·95151	·95074	·95000	·94927	2·4
2·5	·96229	·96127	·96030	·95939	·95852	·95770	·95691	·95615	·95543	·95473	·95405	·95339	·95275	2·5
2·6	·96443	·96351	·96265	·96183	·96106	·96033	·95963	·95896	·95832	·95770	·95710	·95653	·95597	2·6
2·7	·96643	·96560	·96483	·96409	·96342	·96277	·96215	·96156	·96099	·96045	·95993	·95942	·95894	2·7
2·8	·96829	·96755	·96686	·96622	·96561	·96504	·96449	·96397	·96348	·96300	·96255	·96210	·96168	2·8
2·9	·97004	·96938	·96876	·96819	·96765	·96715	·96667	·96622	·96578	·96537	·96497	·96459	·96423	2·9
3·0	·97167	·97108	·97054	·97003	·96956	·96912	·96870	·96830	·96793	·96757	·96722	·96690	·96658	3·0
3·1	·97320	·97268	·97220	·97175	·97134	·97095	·97059	·97025	·96992	·96962	·96932	·96904	·96877	3·1
3·2	·97463	·97417	·97375	·97336	·97300	·97266	·97235	·97206	·97178	·97152	·97127	·97103	·97080	3·2
3·3	·97598	·97558	·97520	·97486	·97455	·97426	·97400	·97375	·97351	·97329	·97308	·97288	·97269	3·3
3·4	·97724	·97689	·97657	·97627	·97601	·97576	·97553	·97532	·97513	·97494	·97477	·97460	·97444	3·4
3·5	·97843	·97812	·97785	·97760	·97737	·97716	·97697	·97680	·97663	·97648	·97634	·97620	·97608	3·5
3·6	·97955	·97928	·97905	·97884	·97865	·97847	·97832	·97817	·97804	·97792	·97780	·97770	·97760	3·6
3·7	·98060	·98038	·98018	·98000	·97984	·97970	·97957	·97946	·97935	·97926	·97917	·97909	·97901	3·7
3·8	·98160	·98140	·98124	·98109	·98096	·98085	·98075	·98066	·98058	·98051	·98045	·98039	·98033	3·8
3·9	·98253	·98237	·98224	·98212	·98202	·98193	·98186	·98179	·98173	·98168	·98164	·98160	·98157	3·9
4·0	·98341	·98328	·98318	·98308	·98301	·98294	·98289	·98285	·98281	·98278	·98275	·98273	·98271	4·0
4·1	·98425	·98414	·98406	·98399	·98394	·98390	·98386	·98384	·98382	·98380	·98379	·98379	·98379	4·1
4·2	·98503	·98496	·98489	·98485	·98481	·98479	·98477	·98477	·98476	·98476	·98477	·98478	·98479	4·2
4·3	·98578	·98572	·98568	·98565	·98564	·98563	·98563	·98564	·98564	·98566	·98568	·98570	·98572	4·3
4·4	·98648	·98644	·98642	·98641	·98641	·98642	·98644	·98645	·98648	·98651	·98653	·98657	·98660	4·4
4·5	·98714	·98713	·98712	·98713	·98714	·98716	·98719	·98722	·98726	·98730	·98733	·98738	·98742	4·5
4·6	·98777	·98777	·98778	·98780	·98783	·98786	·98790	·98794	·98799	·98804	·98808	·98813	·98818	4·6
4·7	·98837	·98838	·98841	·98844	·98848	·98852	·98857	·98862	·98868	·98873	·98879	·98884	·98890	4·7
4·8	·98893	·98896	·98899	·98904	·98909	·98914	·98920	·98926	·98932	·98938	·98944	·98951	·98957	4·8
4·9	·98947	·98950	·98955	·98961	·98966	·98973	·98979	·98986	·98993	·98999	·99006	·99013	·99020	4·9
5·0	·98997	·99002	·99008	·99014	·99021	·99028	·99035	·99042	·99050	·99057	·99064	·99071	·99079	5·0
5·1	·99045	·99051	·99058	·99065	·99072	·99080	·99088	·99095	·99103	·99111	·99119	·99126	·99134	5·1
5·2	·99091	·99097	·99105	·99113	·99121	·99129	·99137	·99145	·99154	·99162	·99170	·99178	·99185	5·2
5·3	·99134	·99141	·99149	·99158	·99166	·99175	·99184	·99192	·99201	·99209	·99218	·99226	·99234	5·3
5·4	·99175	·99183	·99192	·99200	·99210	·99219	·99228	·99237	·99245	·99254	·99263	·99271	·99279	5·4
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5·6	·99250	·99260	·99269	·99279	·99289	·99299	·99308	·99318	·99327	·99336	·99345	·99354	·99362	5·6
5·7	·99285	·99295	·99305	·99315	·99325	·99335	·99345	·99355	·99364	·99373	·99382	·99391	·99399	5·7
5·8	·99319	·99329	·99339	·99350	·99360	·99370	·99380	·99390	·99399	·99409	·99418	·99426	·99435	5·8
5·9	·99350	·99361	·99372	·99382	·99393	·99403	·99413	·99423	·99432	·99442	·99451	·99459	·99468	5·9
6·0	·99380	·99391	·99402	·99413	·99424	·99434	·99444	·99454	·99464	·99473	·99482	·99490	·99499	6·0

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