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## EDITED HV

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## CORRIGENDA IN VOL. VII.

P. 201, line 13, for $K_{3}=\frac{(1+\sqrt{5})}{5} s_{0}+\frac{(1-\sqrt{5})}{5}\left(s_{0}-4 r_{0} t_{0}\right)$

$$
\text { read } K_{3}=\frac{(1+\sqrt{5})}{5} s_{0}+\frac{(1-\sqrt{5})}{5}\left(s_{0}^{2}-4 r_{0} t_{0}\right) \text {. }
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P. 201, last line, for homozygotes read heterozygotes.

## CORRIGENDA IN VOL. VIII.

P. 74, line 27 , for equally $3: 1$ read equally $1: 1$.
P. 79, last line but one, for ( $17-1$ ) read ( $17-13$ ).

Pl. II, fig. 5. The stem shews some brown pigment in the original drawing which has been lost in the reproduction.

## GENETIC STUDIES IN RABBITS.

## I. ON THE INHERITANCE OF WEIGHT.

By R. C. PUNNETTT, F.R.S., and the late Major P. G. Bailey, R.F.a.

(With Twelve text-figures.)

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## Introduction.

Several investigators have published data relating to the inheritance of weight in rabbits. The earliest experiments appear to be those of Huth ('87) which were undertaken with the idea of ascertaining whether continuous inbreeding through brother and sister mating led to any diminution of size. The results are not published in a form which allows of analysis, since the individual weights of the different animals, whether parents or progeny, are not given. Huth however came to the conclusion that inbreeding over six generations did not lead to any deterioration in size. More recently Castle ('09) took up the question of size inheritance in this species. He admits that his statistics are unsatisfactory as he was unable to keep many of his animals until the adult state was reached. Most of his comparisons were consequently
made at an age of 18 weeks, and this, as will appear later, is too early for trustworthy conclusions. Nor did he realize the marked sexual differences which may occur, and which must, as we shall explain later, be taken into account in work of this nature. He came to the conclusion that weight inheritance is blending in character, and that neither dominance nor segregation in the Mendelian sense is recognisable.

Castle's work was done before Nilsson-Ehle had put forward the well known hypothesis of multiple factors. More recently MacDowell ('14), in continuing Castle's experiments, has come to the conclusion that his data are all in accordance with this hypothesis. MacDowell's work is mainly concerned with skeletal measurements, and though periodical weighings of his animals were made he does not attach much significance to the results, pointing out various factors which tend to militate against accuracy.

Quite recently a few observations on the growth of rabbits have been published by Davies ('17) who states that when a small breed is crossed with a medium sized one the young approximate to the size of the smaller parent. But he admits that the cross was only made in one way using the animal of the smaller breed as the mother. He is inclined to consider that the reciprocal cross may give a different result, as he holds that larger size depends more upon the mother than upon the father.

We cannot yet pretend to know very much about the inheritance of weight in the rabbit. It is clear however that investigations of this nature in the mammal do not yield such clean-cut results as in birds (cf. Phillips ('12), Punnett and Bailey ('14)),' and it is evident that a great deal of laborious work must yet be done before we can understand a process of which the theoretical, as well as the economic, importance is so considerable. We do not therefore propose to discuss the matter from a general point of view until we are in possession of fuller and more complete data than those of which we may now proceed to give some account.

General Account. Our experiments were started in 1912. The breeds originally chosen were the Flemish ${ }^{1}$, one of the largest of rabbits, and a strain of mixed Himalayan-Dutch-Havana origin which had been formed in the course of some earlier experiments on coat colour. We shall refer to this as the Flemish-mixed cross. The three breeds which entered into this strain are all on the small side and on the whole differ

[^0] for us.
little from one another in primt of siza'. The atrain was chasen in account of its peculiar pattern, since it was hoperd, hy crossing it with a self-coloured race, to whtain data on the inheritaner of white marking on the coat. These experimentsare still in progross and how resulta will be presented in some future paper. In 199.5 a further wit of apm.ri ments was started using as parent races the Flominh and the Podish: the latter being the smallest breed of rabbite in domestication.

The work, so far as it has gome, is memessarily of a prediminary mature. We did not begin by crossing strains of uniform size a perint of the firm importance in work of this kind. Our reason for mot doing sid was of course the impossibility of finding them. The "pure" breeds of rabhite of which we have had experienee shew fluctuations of size, oftern cent siderable, which cannot be put down to ill health, alteration of conditions, and so forth : and we have little doubt that this is true for all reergnisend breeds. The student of gencties, like the chemist, often has tw prity his raw material as a preliminary to critical researeh. In the prewnt case this is a matter of some years. But while the standardisation of our material was proceeding we carried on the crossing experiments referred to above with a view to obtaining useful experience for more extensive and critical work in the future. That the results hitherto obtained are indecisive is no disappointment, having regard to the nature of the material and to the resources at our command. But in spite of the limitations of our data we believe that they will prove of sirvice in directing the attention of other workers along these lines to points hitherto unconsidered in connection with the inheritance of weight. On some of these it is hoped that further light will be thrown when the material now being worked up becomes available for crossing purpeses.
A. Flemish-mixed cross. The original Flemish $\delta^{1}(N 169)$ was mated with two does of the Himalayan-Dutch-Havana strain, $N^{\prime} 17$ and 1119, which weighed respectively 6 lbs .2 oz , and $6 \mathrm{lbs} .60 \%$ These $t$ wo dum were closely related to one another as is shewn by the accompanying pedigree (Fig. 1). To what extent the members of this strain of mixent origin varied in weight we are unable to say, since reeords bearing upen

[^1]this point were not kept while it was being formed ${ }^{1}$. The experiments involving i $N 19$ are less extensive and may be considered first. Six $F_{1}$ animals were reared (cf. Table II, p. 22) and, as shewn graphically in Fig. $2^{2}$, they were intermediate in size with the exception of one indi-


Fig. 1. Pedigree of the two does, $i N 17$ and $\& N 19$, used in the Flemish-mixed cross.


Fig. 2. Graphic representation of weight distribution in $F_{1}$ and $F_{2}$ generations from the Flemish-mixed cross, $+N 19 \times$ o $N 169$. The numbers above each of the columns separated by broken lines denote los. Each black circle represents an individual and is placed according to the weight of the individual in lbs. and oz. The record number of those rabbits which have been mated together is given, of. Tables I and II, pp. 21-22.
${ }^{1}$ Considerable numbers of animals involving these three breeds were reared by me between 1907 and 1912. I do not recall any marked differences in size. The great majority, if not all of them, were probably between 5 and $7 \frac{1}{2} \mathrm{lbs}$. R. C. P.
${ }^{5}$ Unless any statement to the contrary is made in Tables I-V each weight given is the maximum attained during the first twelve months (cf. p. 7).
vidual ( $\delta^{\circ} 0224$ ) which was of the salle weight as its mother. An $F_{8}$ generation (cf. Table 111, p. 23) was rated from two members of the $F_{1}$ family which were mearly of the same size. It consisted of 1 x individuals and exhibited the considerable mange of variation shewn in Fig. 日. Points of interest are, (1) that the average weoght is close the that of the origimal small parent ( $\mathrm{N}^{\circ} 19$ ) and considerably less than that of the $F_{1}$ generation, (b) that only one amimal attained the mean parental weight, and (c) that in several cases amimals wore produced which were much smaller than the original small parent ( $\mathrm{V}^{\prime} 19$ ). As compared with $\boldsymbol{F}_{1}$ the $\boldsymbol{F}_{2}$ generation shews a marked shifting towards smallor size. 'The numbers are ten small to draw any deduetion of value ats to there being an increase of variability in $F_{2}$ as compared with $F_{1}$.

The experiments with $\& N 17$ are more extensive and have beon carried through several generations. The $15 F_{1}^{\prime}$ animals reared shew a wide range of variation, some of them being nearly as smatl as their mother while others are considerably heavier than their father (ef. Table II, p. 22, and Figs 3). Four $F_{1}^{\prime}$ ammals involving three different matings were subsequently used to give an $F_{2}$ gelomation. These fom animals were all within 1 lb . of one another. The $F_{2}$ generation taken together exhibits great variability (cf. Fig. 3) extending some way beyond the range of the original parents on either side. Though the mean of the $F_{2}$ generation as compared with that of the $F_{1}$ generation is shifted towards the smaller size this is not so marked a phenomenon as in the preceding case. In this connection we shall have more to say later.

It was our original intention to breed an $F_{3}$ generation from a pair of the heaviest $F_{2}$ animals as well as from a pair of the lightest. Consideration of space however compelled us to restrict ourselves to the latter part of the programme. An $F_{3}$ generation of 23 was rearel from two of the smaller $F_{2}$ animals ( $0 O 187$ and $\delta 0192$ ). As compared with their parents the mean of this generation again shews some shifting to the left in Fig. 3. At this point it was decided to try the effects of continuous inbreeding from the smallest of the $F_{3}$ generation in order to ascertain whether a fairly true-breeding strain of small size could eventually be extracted. It is hoped to expand this part of the experiment in the near future and to test the effects of close inbreeding with considerably larger numbers.
B. Flemish-Polish cross. A small Polish buck weighing ? lbs. was successfully mated with two Flemish doess. In one case the doe. ( (1) 1:3x) was more than three times as heavy as the Polish buck. A single pair of $\boldsymbol{F}_{1}$ animals was reared and proved to be nearly intermediate in size

between the parents (ef. 'Table V', p.e. and Fig. t). 'Two littors were bred from this pair giving II $F_{2}^{\prime}$ animals in all. 'The average wize of these was distinctly leses than that of the paronts, but, athough the variability was considerable, nothing was pranherel approaching the small size of the grandfather. Iossibly this may be due merely to the smatl number of $\boldsymbol{F}_{2}$ animals reared.

From the wher Flemish doe ( $(120$ ) 3 ) the mmbere atre greater. 'The four $F_{1}$ animals were closely intermediate in size betwern the parent
 were reared to maturity. The results are closely comparable with those obtained from the other Flemish-Polish mating. There is considerabld. variability in $F_{2}$ though very few individuals reached the $F_{1}$ size and only one exceeded it, and that but slightly. Noindividual shews any approach to the large size of the Flemish. Some shewed a fairly elose approach to the small size of the Polish grandfather, and it seens not unlikely that with larger numbers amimals of this extreme small size might have reappeared in $F_{2}$.

Taking all of the experiments together the chiof point of interest about them is, unquestionably, the failure of the larger form tor rappar in $F_{2}$ in certain of the crosses. It is marked in the Flemish-Polish crosses and evident in the $F_{2}$ family from $\mathcal{N}^{\prime} 19$. (On the other hand it does not seem to occur in the other $F_{2}$ generation from the Flemishmixed cross, viz. that from N17. The non-appearance of an expected class in $F_{g}$ has occasionally been recorded for sundry characters, but the only instance which we can recall in connection with size is that of East's Nicotiond crosses ('17), where, from the cross between N. Langsdorftio and $N$. clate, the small corolla length was recovered in $F_{2}^{\prime}$ without difficulty while nothing approaching the long corolla of $N$. alat, reappeared. With this brief account of the crossing experiments we may now proceed to discuss various points to which they have given rise.

The Growth C'urve. We have already stated that the weight recorded in our tables is the maximum weight attained by the animal during the first twelve months of life ${ }^{1}$. Gencrally seaking, a rabbit grows rapidly during the first half year of its existence, after which the monthly increment gradually becomes smaller. Somewhere between 7 and 10 months in the smaller breeds a maximum weight is reached, after which there is usually some decline, connected probably with the fulfilment of sexual maturity. Later on an increase in weight is again
${ }^{1}$ With some few exceptions: where growth was slow and maturity delayed. These are noted in Tables I-V, pp. 21--2.).



Fig. 5. (iraphic representation of weight distribution in $F_{1}$ and $F_{2}$ generations from Flemish-Polish cross, \& () 203 $\times 3$ Polish. For further details as to exact weights, see Table V, p. 25.
noticeable in most cases, and frequently the weight eventually attained is greater than the maximum registered before the age of 12 months. This later increase is more marked in does than in bucks, and is probably connected with the deposition of fat. The general features of the growth curve are illustrated in Fig. 6, which shows graphically the rate


Fig. 6. Growth curves of $3 F_{1}$ animals from Flemish-Polish cross. The curve for $8 P 117$ is almost identical with that for $8 P 116$ and has been omitted for clearness. The black dots on the two female curves indicate the ages at which litters were produced.
of growth of three $F_{1}$ animals from the Flemish-Polish cross (cf. Table V , p. 25). In the large breed to which our experience has been limited, the Flemish, growth is relatively slower and the curve is consequently more drawn out. In the case of the four animals whose growth is shewn on Fig. 7 the maximum weight, prior to cessation of growth, was not attained until an age of $14-15$ months was reached, and it was also noticed that these animals were very slow in arriving at sexual maturity. Nevertheless the usual decline in weight subsequently set in, and in this respect the heavier breed conforms to the type of the curve exhibited by the lighter animals of Fig. 6. It would be of interest to learn whether a rise in weight occurs later in life, but owing to lack of space we have been unable to keep the animals long enough to test this point. It will be noticed from Figs. 6 and 7 that at seven months the $\boldsymbol{F}_{1}$ animals


Fig. 7. Growth curves for 4 Flemish rabbits. (Cf. Table I, p. 21.)
were markedly heavier than the Flemish. Their early growth was much more rapid and their sexual maturity much earlier. The Flemish animals which provided the data for Fig. 7 had been inbred for several generations. (cf. Fig. 12, p. 20), and it is not impossible that inbreeding may be connected with slow growth and delayed sexual maturity. Early maturity is not necessarily connected with small size as is shewn
graphically by the record of three Polish mbbits in Fig. 8 . The of (e) $x \underset{y}{c})$ was over 10 monthe old before any decline of weight set in, while meither of the $\delta \delta^{2}$ attaned their full weight matil 11 and 12 monthe respece tively. Here again sexmal maturity was late. 'Though the dow was rum with the buck several times earlier it was not until she was 11 momths old that she produced a litter. It is worthy of mote that these amimats are the protuct of certainly two generations of brother $x$ sister mating. Whether the inbeeding extended further back wer are mable |w sily.


Fig. 8. Growth curves for 3 Polish rabbits.
A further point of interest concerns the grow th of the $F_{2}$ animals from one of the Flemish-Polish crosses, viz. that from the Flemish of (1203). Growth curves were made for all of these animals and it was found that the period in which maximum growth was reached before the temporary decline set in varied from 8-13 months. The distribution of these animals over the different periods is shewn in Fig. 9. In no case was maturity reached as early as in the $F_{1}$ parents, while in several cases it was delayed until the age of 13 months (cf. Fig. 10). As might have been expected the smaller $F_{2}$ animals mature on the whole carlier than the larger ones. The average weight for those maturing at $\&$ months is 4 lbs. $2 \frac{1}{2}$ oz. and this increases fairly regularly, having regard to the paucity of numbers, up to the average weight of $5 \mathrm{lbs} .1 \frac{1}{2}$ oz. for those maturing at $1: 3$ months. Nevertheless a consideration of average weights does not in this case tell the whole story. Fairly large $F_{2}$ anmals may
mature early, e.g. $Q 75$ which reached 4 lbs 8 oz . in 8 months; while on the other hand a small rabbit may mature late, e.g. $Q 13$ which took 12 months to reach the weight of 3 lbs .12 oz .

That early maturity is to some extent independent of size is an inference borne out by the results of the Flemish-mixed cross. The distribution of the ages of maturity in relation to weight for three


Fig. 9. Growth curves for $3 F_{2}$ animals from Flemish-Polish cross. (Cf. Table V, p. 25.)


Fig. 10. Shewing distribution of weight in relation to age of maturity in $F_{2}$ animals from FlemishPolish cross. (Cf. Table V, p. 25.)
genemtions is shown in Fig. 11. Norecorde wore kept of the maturity age of the mixed strain which was nsed. . 178 and .1 I! had their firal litters at 11 and 10 monthes respertionly: while where dow in the sullor. stain first litured at ! 11 months. 'The asorag' maturity ago of the strain was probably $\mathbf{2}-3$ monthe carlier that that of the Filumish. 'The $F_{1}$ mimals are motable later in maturing than those from the FFominh. Polish cross, though three of them were distincely in : whanee of the reat.


Fig. 11. Shewing distribution of weight in relation to age of maturity in $F_{1}, F_{2}$, and $F_{3}$ animals of Flemish-mixed cross. (Cf. Tables II-IV, pp. 22-24.)
The $F_{2}$ generation, which was raised from among the later maturing of the $F_{1}$ animals, shews considerable scatter, maturity in some cases being attained as early as 8 months, while in others it is fully as late as in the Flemish (cf. Fig. 11). The curve appears to be a bimodal one, but the small numbers and the necessarily rough mothod of classification
hardly warrant us in attaching much significance to this feature. Greater interest attaches to the fact that the maturity age here is less dependent upon weight than in the case of the Flemish-Polish cross. It is true that the group of lowest average weight ( 6 lbs .3 oz .) matured early and that the heaviest group ( 7 lbs .12 oz .) matured late, but apart from these groups there is no tendency in earlier maturity being associated with lower weight. An association of increased weight with later maturity is rather more marked in the case of the $F_{3}$ generation, but the fewer numbers together with the smaller range of variation both detract from its significance.

The possibility that weight might be affected by such features as size of litter, age of doe, and season of birth naturally occurred to us, but examination of our records from this point of view has not led to any positive result. In this respect we agree with MacDowell ('14, pp. 27-28) and we do not think it necessary to go more fully into an analysis of our data in this connection. Castle ('09, p. 39) considers that variation in size is to some extent dependent upon variation in the quality of food. Davies ('17) on the other hand holds that, provided the food supply is adequate, size is a matter of heredity. Our general impression is that the last-named author is right, but we recognise that the point can only be definitely settled by definite experiment. We have endeavoured to keep our animals as far as possible under uniform conditions throughout the year. The hutches are all in a large shed free from draughts and warmed in very cold weather. Until quite recently the animals have always had a liberal allowance of oats together with such green food, roots, etc. as the season affords. They are bedded on sawdust and hay and we have hitherto been very free from sickness-a feature which is at once brought out by the growth curves (cf. McDowell, '14, p. 43).

On the whole our experience suggests the following tentative conclusions with regard to rate of growth and maturity.
(1) The growth curve normally shews a steady rise, gradually flattening with age. About the period of sexual maturity it usually receives a definite check. As a rule this is temporary and the animal subsequently becomes somewhat heavier than it was at maturity ${ }^{1}$.
(2) Though animals belonging to large breeds may mature more slowly than those belonging to small breeds it does not follow that age

[^2]of maturity is closely correlated with size. 'The wery small I'olinh mahio matures slowly-probably a genel deal more slowly that a lager firm such as the Dutch.
(3) Size and carly maturity are (1) sombe exte.nt |tamsmitled imle. pendently. Farly maturing large amimals as woll as late matmring -mall ones may oceur togrother in the same $F^{\prime}$ family after a coose
 maturity in $F_{1}$. In other cases this doses not appear to be trole.

The data taken together suggest that eaty matmity may depent upon some factor, or factors, independent of size, though probably a larger rabbit would mature later than a smaller one where both wow similarly constituted with regard to the specific gemetic factors $\quad 1$ gen which onset of maturity depended. The present datat are far too stomber for positive inference, and we do not pretend that they offer mome than an indication of a profitable line of enguiry for the future.

## SEXUAL IIfferences.

A. Muture Weight. It is well known that in many animals the male is normally the heavier of the two sexes when mature. This is probably true of the majority of mammals, and there is experimental evidence that it is also true for certain birds ${ }^{1}$. It is not, however, tru. for rabbits. Our data shew that in some cases the areage weight of bucks and does from a given pair of rabbits is approximately epual: in other cases the average weight of the doe is markedly greater than that of the buck. In no case which has come under our notice does the buck certainly exhibit the marked preponderance which may occur in the dow. The position may be indicated by the following abstract (Table A) if the data contained in Tables $I-V$.

The figures shew that on the whole there is no marked difference. between the sexes in the Flemish. Indeed they shew an actual enpuality for the whole of the animals recorded. This equality is however to be discounted by the fact that a larger proportion of males than of females belongs to the earlier generation when the weights for both sexes were considerably higher (ef. Table I, p. 21). For the later generations (onsidered apart the average weight of the femakes is rather higher than that of the males. We are inclined to the view that our original Flemish were of mixed constitution with regard to weight factors (what ever these may be) and that the preponderance of weight among the

[^3]
males in the earlier generation is accidental. In later generations, though the numbers are small, the weights generally shew less fluctuation and the females are consistently heavier ${ }^{1}$.

When we come to the Flemish-mixed $F_{1}$ generation the figures are striking. The does average nearly $1 \frac{1}{2} \mathrm{lbs}$. more than the bucks. In view of the small number of the former it is not unlikely that this difference would have been diminished had larger numbers been bred. Nevertheless it is too substantial not to be regarded as having some significance. The $F_{2}$ generation is of much interest. In two out of the four matings, viz. $O 39 \times 041$ and $0223 \times 0222$, the sexes average the same weight, in one ( $N 230 \times 041$ ) the bucks average rather more than the does, while in the remaining one ( $N 230 \times N 233$ ) the average weight of the does is very markedly greater than that of the bucks. The only $\boldsymbol{F}_{3}$ mating was from two animals, $\& 0187$ and $\delta 0192$, both derived from the $F_{2}$ generation ex $N 230 \times N 233 . \quad 23 F_{4}$ animals were raised, and here again the average weight of the does was markedly greater than that of the bucks.

In the case of the Flemish-Polish crosses the same phenomenon of greater average weight among the does was noticed in the $F_{2}$ generation ex $i+0138 \times \sigma^{7}$ Polish, while in that from $i+0203 \times$ Polish the average weight of the two sexes was nearly equal. It is possibly of significance that in the former cross the Flemish doe ( 0138 ) was a large one, and in the latter a small one ( 0 203).

Evidently we must recognise that in the rabbit a factor, or factors, are to be found which bring about an increase of size in the doe as

[^4]compared with the buck. That this factor (or factors) may be pransmitted by the buck appears probable from the resulte whtainol frum \& $N$ 230. With two brothers of almost exactly the matme weight, Ne 23:3 and $O+1$, she gave in one case a family in which the prepunderame of weight was rather on the side of the bucks and in the wther case a fanily in which the does were markedly heavier. That the factor (or factors) may also be transmitted by the doe is indicated by the resultes of the Flemish-Polish crosses. With the same Polish of the havier Flomish doe ( 0138 ) gave rise to an $F_{2}$ gemeration where the marked diserepancy in weight between the sexes appeared, while with a lighter Flomish of (0203) the $F_{2}$ generation shewed little difference in the average weight of the bucks and does. So far as they go, the data suggest the uperattion of a factor which leads to an increase in the weight of the doe that contains it, though not at all, or only to a slight extent, in that of the buck. Much more work however must be done before we can arriw at certainty on this point, but there seems little doubt but that it is a complication which must be borne in mind in work dealing with the: inheritance of weight in this species, and possibly of others also.
B. Rate of Grouth. A marked difference in the rate of growth between the two sexes has long been recognised in man where statistics bearing upon the point are more plentiful than in other animals. Ip to about 13 years of age the female grows rather more rapidly than the male. After this point the male overtakes the female and eventually becomes markedly heavier ${ }^{1}$. This differential growth is probably connected with the earlier onset of puberty in the female sex. Our records allow of some examination of this point in the rabbit, and we have prepared the following brief abstract (Table B) from the data given in 'Tables II-I'

TABLE B.

${ }^{1}$ According to Darwin (Descent of Man, 1891, p. 283) a similar differential sex krowth is found in the Scotch deer-hound.
= Under this heading the figure in front of the decimal point denotes pounds while the figure or figures after it denote ounces-e.g. $3 \cdot 12$ is to be read as 3 lbs .12 oz .

Journ. of Gen. viII
(pp. 22-25). The average weights at 4 months and at 12 months ${ }^{1}$ are given separately for the two sexes from matings in which 12 or more offspring were reared. It is evident that up to the age of 4 months there is little difference between the sexes. Where the sexes eventually attain approximately the same weight (e.g. ex $0223 \times O 222$ ), or where the male is slightly heavier (e.g. ex $N 230 \times 041$ ), the weight of the female at 4 months is below that of the male. Where, as in most of the other cases, the female eventually reaches a markedly higher weight she is rather heavier at 4 months. But in all cases the growth subsequent to 4 months is greater in the female than in the male. This is brought out in the last column which shows the proportion of the weight at 4 months that is added between 4 and 12 months. In every mating this proportion is higher in the case of the does.

A point of interest brought out in Table $B$ is that the greater the weight to which the animals eventually attain the greater appears to be the proportional increment added after 4 months, for there is not much difference at 4 months between the larger and the smaller animals in the Flemish-mixed series of experiments. The data, so far as they go, suggest that it might be more economical to breed a larger number of smaller rabbits for killing at about 4 months than to rear a smaller number of larger ones. The latter would have to be kept more than twice as long to gain the advantage of their greater size, and even then the total weight would be less than double that of an equal number of smaller ones killed at 4 months.

The results of the Flemish-Polish cross offer an interesting contrast to those of the Flemish-mixed cross. Though the $F_{2}$ animals are all on the small side they are on the whole late in maturing (cf. p. 11). There is practically no difference between the sexes either at 4 months or at maturity which occurs at various ages between 8 and 12 months This applies only to the $F_{2}$ animals from $+O 203$. Full records of the smaller $F_{2}$ generation ex $\circ 0138$ are not available.

One further point of difference in growth between the sexes is brought out by an examination of the $F_{2}$ records. It concerns the extent to which the heavier and lighter animals in such a mixture can be distinguished at a relatively early age; or, to put it in another way, how far the animals heavier at maturity give evidence of this at the age

[^5]of 4 months. For testing this point the available records consint of $25 \delta \delta^{\circ}$ and 36 of belonging to the $F_{2}$ generation of the Filomish. mixed cross, together with $1+\delta \delta$ and 20 of of the $f_{2}$ g.m.ration from the Flemish-Polish cross. Both of $\delta$ and $q$ \& in ench cas. hav.

TABLE:

been divided into two roughly equal groups, whe containing the lighter and the other the heavier animals. For each group the average weights at 4 and 12 months respectively are shown in Table ('. The wault shews that $\delta \delta$ which are lighter at maturity are also markedly lighter at 4 months, but that all the $q$ o $\dot{q}$, heavier as well as lighter, are indistinguishable in size at the carlier age. This result is strengthened by the fact that it is equally true for the Flemish-mixed and the FlomishPolish animals. For the same class of material the bucks which are destined to become heavier start to outstrip the lighter ones at an carlier age than is the case for the does.

Inbreeding. In so far as our limited experience goes close inbreeding appears to lead to diminution in weight ${ }^{1}$, and perhaps also to some delay in the age of maturity. Decrease in weight is most marked in the cas.

[^6]of the Flemish as is shewn graphically in Fig. 12. No doubt our original material was heterogeneous with regard to the genetic factors that


Fig. 12. Graphic representation of weight distribution in Flemish animals.
(Cf. Table I, p. 21.)
govern size, but even so the rapid diminution can hardly be accounted for by mere sifting out of genetic factors. Our experience with the Polish, though even more limited, agrees with that of the Flemish. Experiments are now in progress to ascertain the effects of continued inbreeding on weight both in these two breeds and in an extracted strain of small size from the Flemish-mixed cross (cf. Table IV, p. 24). It is hoped also in this way to obtain homogeneous material which, by a system of reciprocal crosses, can be used to elucidate the mode of transmission of size.

The experiments of which an account is given above form part of a series of investigations on heredity in rabbits for which the means have been provided out of the Fund controlled by the Development Commission.

## 

 Institusion of Hisaliongton，Ithen．
Dabwis，（ ：The theariel of Man．こud kidition，In！日l．
 191\％．
Dosalonson，H．H．The Riof．Philmelphia，191s．
 alufa．＂cienctice，1917．

Kisa，H．D）．stutios an Inloreding．I．The affecte in inhroeding on the growth

 Inatitution of Wirshimpton， 1914.

Punaftr，R．（＂．and Pandil．P．（i．＂On Inheritance of Weight in Poultry，＂otmin． of fienefics， 1914.

## TABLE I．

Throughout the Tables the figure before the decimal point denotes pounds and that after the decimal point denotes ounces－c．g．$\& 2$ represents $\times 1$ bs． 2 O o．

Flemish．

|  | Weight | Weight at 4 months |  | Weight | Weight at <br> 4 months |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3N169 | 8．3 | － | \％O 105 | $9 \cdot 10$ | $-1$ |  |
| 80134 | $8 \cdot 10$ | $5 \cdot 5$ | \＆（）136 | 9－15 | $5 \cdot 7$ |  |
| 80135 | $8 \cdot 12$ | 5． | \＆（） 138 | $9 \cdot 9{ }^{(1)}$ | $6 \cdot 3$ |  |
| 80137 | 8． 3 | 5． 8 | 8 O203 | 7－13 | $5 \cdot 5$ |  |
| \％O139 | 9． 9 | $5 \cdot 11$ | － | － | － |  |
| \％O201 | $7 \cdot 13$ | $4 \cdot 10$ | － | － | －－ |  |
| \＆ 0202 | $9 \cdot 6$ | $4 \cdot 15$ | － | － | － |  |
| ¢ 0204 | ¢． 9 | $5 \cdot 4$ | －－－ | － | －－ |  |
| $\geq P 61$ | 7－3 | － | $\bigcirc P \quad 56$ | 7．15 | － | $6 \times 112103 \times 11201$ |
| $\geq 1{ }^{1} 62$ | $7 \cdot 0$ | － | \＆$P$ P 57 | 7．3 | － |  |
|  |  |  | $\begin{array}{ll} 8 P & 58 \\ ? & P \end{array}$ | $7 \cdot 13$ 7.11 | －－ |  |
| ？P 76 | 8． 1 | － | ： $1 \times 78$ | － 11 |  | （ex $11138 \cdot 1113: 9$ |
| ${ }^{8}$ P 78 | $7 \cdot 11$ | －－ | － | － |  |  |
| z $12.2 \%$ | （8．10（－） | － | － 1 ）2eti | 6；131－1 | － | －17it lil |
|  |  |  | － $1 \times 2 \pm$ | 7－120 |  |  |
|  |  |  | －P22x | $7 \cdot \%$ |  |  |

1）Weneht at $1: 3$ montla
－兰 Wrinht at 14 month－

## TABLE II.

$F_{1}$ generation from Flemish Cross.

|  | Weight | Maturity age in months | $\begin{aligned} & \text { Weight } \\ & \text { at } \\ & 4 \text { months } \end{aligned}$ |  | $\underset{\text { Maturity }}{\substack{\text { age in } \\ \text { months }}}$ | $\begin{aligned} & \text { Weight } \\ & \text { at } \\ & 4 \text { months } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{8}$ N 227 | $6 \cdot 8$ | 11 | 4. 5 | ¢ $N 230$ | $8 \cdot 3 \quad 11$ | $4 \cdot 14$ |
| ${ }^{\text {o }}$ N 228 | 7. 4 | 12 | 4. 8 | ¢ $O \quad 37$ | $9 \cdot 4 \quad 11$ | 4. 0 |
| ${ }^{\text {\% }}$ N 229 | 7. 0 | 12 | 4. 4 | ¢ $O \quad 39$ | $8 \cdot 6 \quad 9$ | 4. 6 |
| ठ N 231 | 6. 7 | 12 | 4. 0 | $\bigcirc \bigcirc \quad 40$ | $9 \cdot 7 \quad 11$ | 4. 0 |
| ${ }^{\text {\% }}$ N 232 | 6. 6 | 12 | 4-3 |  |  |  |
| \% $N 233$ | 7. 8 | 11 | 4. 0 |  |  |  |
| \% O 34 | 7. 6 | 9 | 4. 4 |  |  |  |
| \% O 35 | 7. 7. | 11 | $3 \cdot 10$ |  |  |  |
| \%) $0 \quad 36$ | 7. 9 | 11 | 4. 5 |  |  |  |
| \%) $O \quad 38$ | 8. 3 | - | 4-3 |  |  |  |
| $8^{7} O \quad 41$ | 7-9 | - | 4. 2 |  |  |  |
| $\%^{8} N 235$ | 8. 3 | 11 | $4 \cdot 13$ | $\bigcirc 0223$ | $7 \cdot 14^{(4)}$ - | $5 \cdot 4$ |
| ช' $N 237$ | 7•6 | 12 | $4 \cdot 10$ |  |  |  |
| \% $N 238$ | 7-10 | 11 | 4. 6 |  |  |  |
| \% 0222 | $7 \cdot 10{ }^{(3)}$ | ) - | 4. 8 |  |  |  |
| ठ $O 224$ | $6 \cdot 6$ | 9 | $4 \cdot 10$ |  |  |  |

(3) Weight at 21 months. Weight at 9 months was $=7 \cdot 3$.
(4) Weight at 21 months. Weight at 6 months $=6 \cdot 14$.
(5) Weight $=6 \cdot 2$.
(6) Weight $=6 \cdot 6$.

TABICE III.
F, grneration from Fromish arose

(7) Weight at $10 \frac{1}{2}$ months: (ef. brother, whas, whowe weikht did not chande betwern 102-12 months.
(8) Weight at 14 months.

## TABLE IV.

$F_{3}$ generation from Flemish cross.

|  | Weight | $\begin{gathered} \text { Maturity } \\ \text { age in } \\ \text { months } \end{gathered}$ | $\begin{gathered} \text { Weight } \\ \text { at } \\ 4 \text { months } \end{gathered}$ |  | Weight | Maturity age in months | $\begin{aligned} & \text { Weight } \\ & \text { at } \\ & \text { 4 months } \end{aligned}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{\circ} \mathrm{P} \quad 90$ | 5. 9 | 12 | - | ¢ $P 88$ | $5 \cdot 9$ | 12 | - |  |
| ${ }_{\text {ठ }}$ P 94 | $6 \cdot 1$ | 11 | - | ¢ $P 88$ | $5 \cdot 13$ | 12 | - |  |
| $\delta^{8} P 121$ | $6 \cdot 0$ | 11 | 3•13 | ${ }_{\ddagger} P \quad 91$ | $5 \cdot 9$ | 11 | - |  |
| ${ }_{8} P^{\prime} 122$, | $6 \cdot 4$ | 11 | 3. 7 | 아 92 | $6 \cdot 13$ | 12 | - |  |
| ${ }_{\text {\% P }}$ P 123 | $5 \cdot 5$ | 11 | - | ¢ P 93 | $5 \cdot 14$ | 12 | - |  |
| ${ }_{\text {\% }} P 124$ | 5•15 | 11 | - | \& P 120 | $6 \cdot 15$ | 12 | $3 \cdot 4$ |  |
| ${ }^{\circ} \mathrm{P}$ P 120 | $4 \cdot 14$ | 11 | - | ¢ P 189 | $4 \cdot 15$ | 11 | $4 \cdot 4$ |  |
| ${ }^{\circ} \mathrm{P} P 126$ | $4 \cdot 13$ | 12 | - | $\bigcirc$ ¢ P 190 | 6. 7 | 9 | $4 \cdot 4$ | ex $0187 \times O 192$ |
| ${ }_{6}{ }^{\circ} \mathrm{P} 192$ | 5. 3 | 9 | $3 \cdot 15$ | ¢ P 191 | 6. 2 | 9 | $4 \cdot 6$ |  |
| ${ }^{\text {or P }}$ P 193 | $5 \cdot 3$ | 10 | $3 \cdot 11$ |  |  |  |  |  |
| ${ }_{6}$ P 194 | $4 \cdot 12$ | 9 | 3. 7 |  |  |  |  |  |
| ${ }_{8}{ }^{\text {\% P }} 195$ | $5 \cdot 3$ | 9 | 4. 3 |  |  |  |  |  |
| ${ }_{8}$ P 196 | $4 \cdot 12$ | 11 | $3 \cdot 6$ |  |  |  |  |  |
| ठ P 197 | $4 \cdot 13$ | 10 | 3•13 |  |  |  |  |  |

$F_{4}$ generation from Flemish cross.

| ${ }_{\text {〕 }} P 233$ | Weight | Weight at 4 months |  | Weight | Weight at 4 months |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | $5 \cdot 2$ | $3 \cdot 0$ | ¢ P 234 | $5 \cdot 6$ | $3 \cdot 1\}$ ex P $189 \times$ P 196 |
| $F_{5}$ generation from Flemish cross. |  |  |  |  |  |
|  | Weight | Weight at 4 months |  | Weight | Weight at 4 months |
| ठ Q 79 | - | $2 \cdot 8$ | ¢ Q 78 | Weigh | $2 \cdot 14$ ) |
| ${ }^{\circ} \mathrm{Q} 80$ | - | $2 \cdot 14$ | \& $Q 81$ | - | 2.7 $\}$ ex $\operatorname{Pr234\times P233}$ |

TABIEF V.
Flemish-lolinh crons.

|  | Weight | Weight at 4 months |  | Weight | Weight at 4 monetho |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }_{8} P 116$ | $4 \cdot 13$ | $4 \cdot 2$ | 8 P 115 | $5 \cdot 9$ | 8.1.51 | (1)203 - 1 |
| \& P117 | $5 \cdot 2$ | $4 \cdot 1$ | 8 P11N | $5 \cdot \mathrm{~d}$ | $3 \cdot 121$ | . |
| $8(1215$ | $6 \cdot 7^{(9)}$ | - | $8(190$ | (i.14 ${ }^{(9)}$ |  |  |


(9) Weight at $10 \frac{1}{2}$ months.
(10) Weight at 13 months $=5 \cdot 14$.

$$
\begin{array}{llll}
,, & 14 & , & =5 \cdot 11 \\
" & 15 & , & =5 \cdot 10
\end{array}
$$

# NOTE ON THE ORIGIN OF A MUTATION IN THE SWEET PEA 

By R. C. PUNNETT, F.R.S.

(With One Text-figure.)

Many instances of the sudden appearance of new forms in plants and animals have been recorded in recent years, and speculation has been rife as to the moment at which they may be regarded as having originated. Perhaps the view most favoured is that the new form taken its origin from some abnormal division during the formation of the gametes. Nevertheless there are biologists who have placed on record their opinion that it may occur at some other stage in the life-history of the form that exhibits the new character ${ }^{1}$. The principal difticulty in coming to any decision on this point is that in almost all cases on record the new character has not been first observed in accurately pedigreed stock. After observation it has frequently been made the subject of careful experiments in order to test its genetic nature, but this of course does not help us with the problem of its origin. Even in Dros, phila, with its century of mutants, there does not appear to be a cas. where the new form can be traced backwards through definite individuals for several generations. For this reason I have thought it worth placing on record the following facts in connection with the appearane of a new form of sweet pea in pedigree cultures. The form in question is the so-called "cretin," already described by Mr Bateson and myself in an earlier number of this Journal ${ }^{2}$. It is a monstrous form of which the chief characteristic is the straight stigma protruding through the

[^7]cleft keel (cf. Fig. 1). The standard and wings are generally smaller than in the normal flower and fail to expand fully, but in these respects a good deal of variation is to be found. The cretin is however always characterised by one other feature; it is invariably sterile on the female side. The fact that this peculiar form appeared as a single individual in a pedigree culture has already been recorded. Data have also been given to shew that it behaves as a simple recessive to the normal form ${ }^{1}$. There arises the question whether the evidence is consonant with the view that the original mutation occurred in the maturation divisions of the germ cells, or at some other stage. To attempt to answer it involves a consideration of all the details connected with the coming of the


Fig. 1. Two flowers of the original cretin plant, No. 14618/1907. Flowers of other cretins are figured on Pl. XL, Journ. Gen. Vol. I. 1911.
cretin, in so far as they are known, together with those of its subsequent behaviour.

In 1903 a cross was made between two white sweet peas, Blanche Burpee (long pollen) and Emily Henderson (round pollen)2. From 3 purple $F_{1}$ plants three large $F_{2}$ families were raised in 1905. From one of these $F_{2}$ families, No. 309 containing 187 plants, the seed of 29 individuals was saved to give an $\boldsymbol{F}_{3}$ generation. These 29 families were raised in 1906 and resulted in 2083 individuals all of which were normal

[^8]
 these 14 plants there resulted an $r_{0}$ gemeration of 111 imdiviluals ul



TABIAE 1.

|  |  | $\begin{aligned} & \text { xin of } \\ & \text { plant } \\ & \text { in } \\ & \text { fanfily } \end{aligned}$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3091 | 301 | 159 |  |  |  |  |  |  |
| -- * | 30: | 121 |  |  |  |  |  |  |
| -. 4 | 303 | 60 | $\cdots$ |  |  |  |  |  |
| - ${ }^{1}$ | 362 | (i) |  |  |  |  |  |  |
| -7 | 304 | 181 | $304^{6}$ | 146 | $52{ }^{\circ}$ | 14;1 | 111 | 1 |
| - - | 363 | 35 | . | 117 | $18 ;$ |  | $11 . \%$ | fi |
| -: | 30.5 | 126 | - | $14 \times$ | $\cdots$ | 111 | 1110 | $24 ;$ |
| 10 | 306 | (il | 1 " | $14!1$ | N3 | 11 | 117 | [i] |
| 11 | 307 | 67 | 11 | 1.01 |  | $1:$ | 114 | 16.4 |
| -1.3 | 36.5 | 68 | - 12 | 1.51 | $1 \because \checkmark$ | 1. | $11!9$ | $\because$ |
| _-1. | $30 \times$ | $5!$ | 14 | 152 | 16: | 14 | 1.00 | $\because$ |
| - ${ }^{16}$ | 368 | 26 | $1:$ | 153 | $\because 42$ | -1. | 1:1 | 1 |
| --1: | 369 | $8 \cdot$ | . 1 - | 1.54 | 91 | -1: | 1.5 | 27 |
| - | 309 | 2.5 | - $1: 1$ | 1.5 | 30 |  |  |  |
| - ${ }^{19}$ | 370 | 21 | -- | 15\% | 23 |  | Total | 19.) |
| -20 | 380 | 24 | - \% | 1.77 | $9{ }^{\prime \prime}$ |  |  |  |
| -21 | 310 | 54 | -.. | 158 | 29 |  |  |  |
| - | 381 | 20 | -20 | 1.59 | 48 |  |  |  |
| -23 | 371 | 62 |  | Tutal | 1118 |  |  |  |
| -24 | 311 | 20 |  |  |  |  |  |  |
| -2i | 372 | 191 |  |  |  |  |  |  |
| - | 373 | 25 |  |  |  |  |  |  |
| $\ldots$ | 374 | 193 |  |  |  |  |  |  |
| - | 375 | 57 |  |  |  |  |  |  |
| -_30 | 313 | 75 |  |  |  |  |  |  |
| -31 | 382 | 39 |  |  |  |  |  |  |
| -32 | 376 | 49 |  |  |  |  |  |  |
| -33 | 377 | 57 |  |  |  |  |  |  |
| -30 | 386 | 57 |  |  |  |  |  |  |
|  | Total | 2083 |  |  |  |  |  |  |

* Family in which the cretin appeared. The record number of the cretin was $1 \mathrm{ff}^{\mathrm{i}^{4}}$. Further details as to the nature of the $F_{2}, F_{3}$, and $F_{4}$ families will be fund in Report 1 V to the Ecolution Committee of the Roygul Somicty. pp. 1t, 15.
$F_{3}$ plant $30 \mathbf{t}^{6}$; 1906. This family of 52 was numbered 146 in 1907 . The appearance of the cretin led to the saving uf send from momal individuals of this family, but since many of them had been pulled up before
the cretin was discovered the numbers saved were fewer than could have been wished. For various reasons the sowing of these seeds was postponed until 1912. They germinated poorly and the $\boldsymbol{F}_{5}$ families from 9 plants consisted of but 195 individuals (cf. Table I). No cretin however was found among them. Seed was collected from the four plants Nos. 145-148 and sown in 1913. The 135 plants which resulted were all normal. The series of experiments was not continued beyond the $\boldsymbol{F}_{6}$ generation.

The cretin then had its origin in a single seed of the $F_{3}$ plant No. $304^{6} / 1906$ and was the only case of its kind in a family of 52 plants. None of the 13 sister plants of $304^{6}$ produced a cretin among a progeny of over 1000 , nor did such a plant appear in the large $F_{3}$ generation of 2083 individuals of which $304^{6}$ was a member. Though the $F_{5}$ generation raised from the sister plants of the cretin was not large, yet four of the families were certainly of sufficient size to have produced cretins had they been heterozygous for this simple recessive character. The evidence taken together renders it unlikely that the origin of the cretin was due to the meeting of two germ cells which had each lost the normal factor. Were the mutation of germinal origin we should be inclined to place its occurrence in the parent plant of $304^{6}$, viz. in the $F_{2}$ plant $309^{7}$, and we should have expected cretins to form about $25 \%$ 。 of the family in which they first appeared. Again we should have looked for their further appearance in some of the $F_{5}^{\prime}$ families grown from sister plants of the cretin itself. We are led therefore to suppose that the appearance of this peculiar form is due to a change in the individual at some stage after fertilisation whereby the factor for the normal flower was either dropped out or altered during the somatic divisions.

It has been assumed that the cretin always behaves as a simple recessive, and some evidence has already been published in support of this assumption. More extended experience during the past few years has served to confirm this view. Crosses between cretins and normals of various families have been carried to the $F_{2}$ and $F_{3}$ generations and in no case is there any reason for supposing that the cretin behaves otherwise than as a simple recessive. A brief summary of the results is given in Table II. Over a period of seven years 80 families have been bred in which cretins occurred. Out of 5520 plants recorded in these families 4198 were normal and 1322 were cretins-a proportion not far removed from the expected ratio $3: 1$. There is therefore no reason for supposing that the difference between the cretin and the normal is other
than that of a single factor, and this, taken in conjunction with the cir cumstances under which it made its appatatoer, suppurt- the whew that the original plant arose, not through the umboll of two getme eqtan whith

TABIRE 11.

| Yimar nhesh <br> grow <br> 10 | $\begin{aligned} & \text { your } \\ & \text { plant- } \end{aligned}$ | $\begin{aligned} & \text { Ko ur } \\ & \text { normal } \end{aligned}$ | $\begin{aligned} & \text { No "ir } \\ & \text { ircitinn } \end{aligned}$ | $\begin{aligned} & \text { \.1. .1, } \\ & \text { fallilio. } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: |
| $1910{ }^{1}$ | 6.40 | INTi | 151 | $!$ |
| $1912^{2}$ | +1.7 | S\% | 22: | 13 |
| 1913 ${ }^{\text {\% }}$ | 1026 | 751 | 270 | 21 |
| 1914 | 711 | S6\% | $14!$ | 2 |
| 191\% | 14.5 | 1124 | 3311 | 2.7 |
| 1916 | $\times 7.3$ | (ix) | 193 | 11 |
| Totals | 5520 | 419\% | 1322 | (1) |
| E.rpectution |  | 11 1/1 | 13301 |  |

had lost the normal factor, but through some radical alteration in the zygote after union between two mormal gametos had alroady taken place.

[^9]ON HYBRIMLATTON OF SOME SMECIEN

By 心. IKENO, F.MIか.
(With Plate I and One Toxt-figure.)
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## Introduction.

The well-known work of Max Wichura on the hybridisation of Sali.x ${ }^{2}$ will ever remain the master-piece of investigations of such kind. but as its publication dates back to more than fifty years agn, and as since then no extensive researches on the hybrids of this genus have ever been undertaken by any one, except some experiment:- made hy Kerner von Marilaun for comparing the date of first flowering of parent:

[^10]Journ. of Gen. viII
and hybrids ${ }^{1}$, it would not be without interest to study them from the standpoint of modern genetical science. Thus very often the view has been expressed that hybrids between various species of this genus always breed true in later generations. The objects of my experiments, which were begun in 1910 and continued till now, were to ascertain, first whether segregation of characters takes place, and secondly whether in this process, if it occurs, the Mendelian ratio can be detected. As stated below, since willows come to flowering only in their third year or even still later, the completion of the work will naturally require a very large number of years, and if I continue it, I must necessarily leave a very large space of my experiment-garden occupied by hundreds of plants for a long duration of time. Thus, some inconclusive results contained in this paper could not be brought to a definite end without the cultivation of a considerably larger number of plants, perhaps ten times as many as those already raised. This is quite impossible for the present author, who has only a small piece of land at his disposal and has yet to perform there much other work. So it was decided to discontinue the experiments on Salix, except as regards certain points, and to publish the results so far obtained. Although, as above noticed, the breeding experiments dealt with in this paper were commenced in 1910 they contain many imperfections, and are very far from being complete, so that this paper may be perhaps regarded as a sort of preliminary communication.

## I. Methods of Investigations.

Flowers of various species of Salix open in Tôkyô generally at the end of February and at the beginning of March, though in some, such as S. Caprea, S. triandra var. nipponica, they open only at the end of April.

For the experiments of hybridisation male branches were cut off and brought to a warm room, a few days before the opening of flowers, and placed with their bases in a bottle full of water. When some flowers began to open and to shed pollen I collected the latter in a Petri dish by rubbing inflorescences with a hair pencil. As several days are wanted for the opening of all flowers in one branch I repeated the process every day till all flowers opened and began to shrivel. The Petri dish with pollen was preserved in a cold, dark place. Pollen-

[^11]grains will remain effective for a very long time, as Wichura han already indicated'.

Branches with female infloreserences wore cholowed in a papu-r hag two or three days before their flowers began to opell. Whoth this lowk place the inflorescences were rubbed with a hair-pendil conred with pollen, and this proeess was repeated for several days till all "pe.1.0. flowern had been dusted with it. The paper hag was removed when the protruding stigmas of all flowers had shrivelled and there was mo more danger of contamination by undesired pullen. If hybridisation suroceds the stigmas shrivel after two or three days, and the waries begin fo swell gradually; but if not, the stigmas remain perfectly fresh for many days, and the catkins finally fall off. Fruits are generally ripe in May: Seeds were sown in a pot immediately after their collection, because, as Wichura has already shown, they very soon lose their gommating power. Seeds begin to germinate after two or three days, and sodedings grow fairly rapidly. In March of the next year they are transerted from the pot to the earth. Many of them come to Hower in their third year but sometimes much later.

## II. Breeding Experiments.

Though the hybridisations between several species of Salix cultivated in our Botanical Garden in Komaba near Tôkyô were performed with success ${ }^{3}$, I shall deal here chiefly with that between Sulix purpurea var. multinervis (below designated simply as S. multinervis, Japanese name $=$ Inukoriyanagi) and $S$. grucilistyla (Japanese name $=$ Nekoyanagi)4.

These two species grow wild in the vicinity of Tôkyo and in 1910 I found one female plant of $S$. multinervis and one male of S. grocilistyla cultivated in our Botanical Garden which had some time previously been transplanted from their respective natural localities. In that year I effected the hybridisation between these two plants. a process which seems to take place with great difficulty, because though I hawe dusted many female catkins with protruding stigmas repeatedly with an

[^12]abundant quantity of pollen, the large majority of ovaries did not come to maturity, and I got only a few good seeds, which have given rise to fourteen $F_{1}$-individuals. In 1911 the same hybridisation was repeated on the same female tree used in 1910, and I got almost fifty seedlings. The result of the latter hybridisation was entirely different from that in 1910, as described later in this paper (p. 51 ff .). The reciprocal hybridisation was not done in 1910, for the female plant of S. gracilistyla was not then available in our Botanical Garden. That year however I brought some branches of its female plant from a wild growing locality, some twenty miles away from Tôkyô; they were cultivated as cuttings, and came to flowering in 1912. One of these female individuals was hybridised in 1912 with the male plant of S. multinervis. This hybridisation failed, and no ripe seeds were obtained. In 1918 the two reciprocal hybridisations were repeated, and as I was able to obtain a certain number of seedlings from one of them, S. multinervis $q \times$ S. gracilistyla ${ }^{\circ}$, my experiments will, as far as possible, be continued on these plants. The other, S. gracilistyla $i \times S$ multinervis $\delta^{\prime \prime}$, failed again; it seems to be well-nigh impossible ${ }^{1}$.

## A. Results of the Hybridisations done in 1910.

The fourteen individuals obtained as the result of the hybridisation performed in 1910 begau to flower in 1912, and were found to consist of ten females and four males which show clearly the hybrid nature in their vegetative organs as well as in their catkins.

The corresponding characters of the two parents and the $F_{1}$ plants dealt with in this paper are as follows:
S. multinervis. Stem and branches erect. Leaves glabrous on both surfaces ${ }^{2}$, without stipules (cf. Text-fig. 1B). Catkin, either male or female, sparingly hairy (Plate I, fig. $2 \delta-\%$ ). Stigma bright scarletcoloured.
S. gracilistyla. Stem and branches spreading. Leaves hairy on the lower surface, especially along mid- and side-veins, stipulate (cf.

[^13]Text-fig. 1 A). Catkin, either male or fomake, dans-ly cosered with long gray hairs (Plate I, fig. $1 \delta-\not \subset$ ). Stignai green.
$\boldsymbol{F}_{1}$ plant. Stem and branchew epreading. Lataes glabrous in beth surfaces, either with or withom stipules. (atkin, mostly densmy hairy as in the one parent (Plate 1, fige $3 \sigma^{\circ} \mathrm{f}$ ). .or sparingly was in the other (Plate I, fig. $+\delta-\&$ ) acooding twindividuals. Stigma searle. coloured.


Below I will compare with each other the characters above enumerated in the $P^{-}, F_{1}$ - and $F_{2}$-generations respectively.
(a) Habit of Ntem.
S. multinervis has an erect stem with its branches directed upwards, as is usual in many trees, while in S. gracilistyla the stem ramifies near to the base into many slender branches, which are directed horizontally, and often lie upon the ground. This fact canses a great difference in the habit of the two species: the former is erect and high, while the latter is low; but as in the latter the branches spread horizontally in all directions it comes to necupy a much larger pace of ground than
the former. All $F_{1}$ plants are at first exactly similar to S. gracilistyla in this respect, so that the spreading habit may then be considered to be dominant to the erect, but as the tree becomes older many branches which are directed upwards are produced as in S. multinervis, thus these older plants have become intermediate between the two parents. From these $F_{1}$ plants I obtained 442 in the $F_{2}$ generation, of which 224 are spreading and 218 erect. The fact that the erect habit is a pure recessive character against the spreading has been also proven in the following way: I fertilised an extracted erect $F_{2}$ plant by the original erect parent ( $=S$. multinervis), and found the offspring, numbering 89 in all, to be erect without exception. The segregation of the characters under consideration in $F_{2}$ generation has thus been clearly shewn, but the ratio of the two kinds of plants is very different from what we might have expected had this segregation taken place in the usual Mendelian fashion.

## (b) Hairiness of Leaves.

In S. multinervis the leaves are quite glabrous on both surfaces, whilst in S. gracilistyla they are at first hairy on both surfaces, and throughout their life on the lower, being more or less densely covered with long gray hairs, especially along the veins. Leaves of $F_{1}$ plants resemble the former entirely in this respect, because they are perfectly glabrous on both surfaces, so that the non-hairiness may be considered to be dominant to the hairiness ${ }^{1}$. In the $F_{2}$ generation I got 425 plants in all, of which 351 have perfectly glabrous leaves like the one parent, and 74 leaves more or less hairy underneath like the other. It may here be remarked that among the hairy leaves the degree of hairiness is very different in different individuals, and that I was unable to find even a single plant which is so densely hairy as in the one parent, S. gracilistyla. This is perhaps due to the fact that we have here a large number of factors concerned in the hair-production, and it seems not unlikely that the cultivation of a much larger number of $F_{2}$ plants may give rise to a certain number of such leaves which are as hairy as in S. gracilistyla.

In respect to the character "hairiness of leaves" I will mention here the hybrid between S. multinervis and S. viminalis, The former has quite glabrous leaves as above stated, while the latter, which is found here as well as in Europe, has, as is well known, leaves very

[^14]densely covered muderneath with long hairs of silvery lustre. 'The $\boldsymbol{F}_{1}$ hybrids mate in either of the two reciprocal ways have leaves which are alwags hairy underneath but much less densely so than in s. miminalis. In the $\boldsymbol{F}_{\mathrm{g}}$ genemtion from s . multinervis * s. vimimulis I was able to get. only 76 plants in all. Of these 31 have leaves guite ghabrous ats in the one parent. whilst the remaining t5 were hairy in various degrees, and of the later one phant was fombed to passess leaves which were as densely hairy as in s. cimimelis.

The segregation of the character "hairiness" is aceordingly quite evident in both cases abowe described, but the proportion of dominants and recessives in $F_{2}^{\prime}$ is very different from the usual Mendelian ratio, and reminds us of the occurrence of a complex segregation.

Here may we be allowed to make a little digression. As stated above, the leaves of $F_{1}$ hybrids between s. multinervis and gracilistyla are wholly glabrous, whilst in hyrids between the former and S. viminalis they are hairy underneath though less densely so than in the latter, so that these hybrids may be regarded in this respect as intermediate between the two parents. The hairy condition is apparently recessive in the former case, and dominant (or strictly spaking intermediote) in the latter. How such different conditions may occur in spite of the fact that we have used the same species $S$. multinervis-one and the same tree in both cases-must of course remain a matter of conjecture so long as no extensive culture of several later generations of such hybrids has been made, but the following may be perhaps one of the probable explanations based on the presence-and-absence hypothesis. Let $\mathbf{H}$ represent the factor (or the factor-complex) for the hairy condition in $S$. gracilistyla and let I represent the inhibitory factor contained in S. multinervis, then we have S. gracilistyla $=\mathrm{HHii}$ and S. multinervis $=\mathrm{hh} I \mathrm{I}$, therefore $F_{1}=\mathrm{Hhli}$, and since the factor $I$ is able to suppress wholly the hair-producing action of H we have in the hybrid Hhli leaves which are entirely glabrous. Since in the hybrids between S. multinervis and viminalis leaves are hairy in contrast to those between the former and S. gracilistyla we are led to think that the factor (or the factor-complex) for the hairy condition in $S$. viminalis is different from that in S. gracilistyla. If we represent that factor by $\mathbf{H}^{1}$, then we have $S$. viminalis $=H^{1} \mathbf{H}^{1} \mathbf{i i}$, S. multinervis $=h^{1} h^{1} I I$, and $\boldsymbol{F}_{1}=\mathbf{H}^{1} \mathbf{h}^{1} \mathbf{l}$ i. The same inhibitory factor $\mathbf{I}$ which was responsible for the entire suppression of the hair-producing action of the factor $H$ in S. gracilistyle may be regarded as being less petent against $\mathbf{H}^{1}$ than against $H$ and able to prevent the action of $\mathbf{H}^{1}$ only partially, so that in
the hybrid $\mathbf{H}^{\mathbf{1}} \mathbf{h}^{1} \mathbf{l}$ i leaves are hairy, though less densely so than in the parent S. viminalis.
(c) Stipules.

Leaves of S. multinervis are exstipulate (cf. Text-fig. 1 B, p. 37), whereas those of S. gracilistyla are stipulate (cf. Text-fig. 1 A ). The $\boldsymbol{F}_{1}$ plants may be said to be a mosaic of the two parents respecting the behaviour of stipules, for each individual is always provided with both kinds of leaves, stipulate as well as exstipulate, and even in one branch those with stipules may alternate with those without them. The degree of their development is also very variable in different leaves, because they are sometimes very conspicuous (cf. Text-fig. $1 \mathrm{C}, \mathrm{p} .37$ ), sometimes very insignificant being represented by mere tiny scales; not rarely we have one unpaired stipule on one side of the leaf. In $\boldsymbol{F}_{2}$ plants we see generally the same behaviour of stipules as in $F_{1}$, for then they are provided both with stipulate and exstipulate leaves. Besides such plants we have some $\boldsymbol{F}_{2}$ individuals where we could yet find no stipulate leaves, i.e. where all leaves are exstipulate exclusively ${ }^{1}$. Thus of 232 plants examined we have 170 with both kinds of leaves and 62 with exstipulate leaves only. The latter plants are already six to seven years old, and are pretty advanced in their growth, for many of them are more than 1 metre, and some even $1 \frac{1}{2}$ metre high, and are provided with a large number of branches. One might therefore be led to conclude that they really lack stipules, and are the segregates in a Mendelian sense, but I think that such a definite conclusion may yet be considered as too hasty, because I have many times experienced the fact that plants which were at first provided with exstipulate leaves only, were later found to produce some leaves which are clearly stipulate. Thus it is not unlikely that the 62 plants referred to above, in which exstipulate leaves were exclusively found so far, may in future bear some stipulate ones. And if the latter alternative really holds good, then perhaps we have here a case of the so-called "blending inheritance" or "constant intermediate inheritance" where the behaviour of stipules in $F_{1}$, which is intermediate between that of the two parents, always repeats itself throughout later generations. But if, on the contrary, it be proved beyond all doubt that in $F_{2}$ we have a certain number of plants with exstipulate leaves exclusively, the segregation of the characters "stipulate" and "exstipulate" may be

[^15]considered to take place, and then we have to deal with "altermate" instead of "blending inheritance." It will be seen however from what was stated above that we are umable as yot to prove the oecurrence. of either the one or the other kind of inheritance. Wio may also, here remark that so long as any one, wishing to prowe the segregation of the allelomorphic characters under consideration, takes plants with exstipulate leaves for the standard, or to borrow the word of Nilssom-Ehle, for the "amalysert," he would never be able to arrive at a definite" comclusion, owing to the pessibility that plants which were at first provided with exstipulate leaves only might later develop some stipulate ones. If, on the contrary, we could find in $F_{2}$ even one plant with all its leaves provided with stipules like the one parent S. gracilistyla it would be possible to reach safer conclusions as to the occurrence of segregation of the allelomorphs under consideration. But not even one single such plant has been obtained till now. Probably the problem will not be definitely solved without breeding experiments conducted on a far larger scale than was possible for the present author. In short, my experiments have not been able to prove the segregation of the characters "stipulate" and "exstipulate."

## (d) Colour of Stigma.

In S. multinervis the stigma is bright scarlet, while in S. gracilistylu it is green. In $F_{1}$ plants it is scarlet as in the former. In $F_{z}$ the segregation of the two opposite characters is quite evident. Thus we have 115 and 16 plants with scarlet and green stigmas respectively, while 7 plants have greenish-red stigmas. If we add those with scarlet and greenish-red stigmas together, we have 122 red and 16 green, i.e. almost 8 red: 1 green. The segregation of allelomorphic characters "red" and "green" is thus clear, but as in other characters hitherto enumerated the usual Mendelian ratio cannot be detected.

## (e) Character of Catkins.

In S. gracilistyla the catkin, either male or female, is long and broadly cylindrical, and very densely covered with long gray hairs (Plate I, fig. 1, $\delta-\$$ ), whereas in $S$. multinervis it is much shorter and narrower, and very sparingly hairy (Plate I, fig. 2, $\delta^{7}-q$ ). The chief difference between the catkins of these two species lies thus in the degree of hairiness: in the one they are densely hairy, while in the other they are sparingly so. The distinction between the two in this

[^16]respect is sharp, and there is never found any transitional form between the two.

In $F_{1}$ I have obtained two sorts of individuals: one of them has its catkins densely covered with long gray hairs as in the one parent S. gracilistyla (below designated as plants of $G$-type from the word gracilistyla) (Plate I, fig. 3, $\delta^{\top}-O$ ), whereas the other has its catkins resembling those of S. multinervis, i.e. sparingly hairy (designated below as plants of $M$-type from the word "multinervis") (Plate I, fig. 4, $\left.\delta^{\top}-q\right)$. The distinction between the two types of catkins is generally as sharp as between those of the two original parents, though in respect to the male catkins the distinction between the two types is sometimes difficult to be made out.

Let us first describe the results obtained in the $F_{1}$ and $F_{2}$ generations. As above stated (p. 36) I had only $14 F_{1}$ individuals, which may be classed as follows :


Not one single male plant of $M$-type was obtained in $F_{1}$, but a few plants belonging to this category appeared in $F_{2}$ as stated below.

The following crosses among the $F_{1}$ plants were made in 1912 and 1913, viz.

$$
\begin{array}{ll}
\text { 1. } & G \text {-type } i \times G \text {-type } \delta^{\gamma} . \\
\text { 2. } & M \text {-type } \$ \times G \text {-type } \delta^{\prime} .
\end{array}
$$

The fertilisation $M$-type $i \times M$-type $\delta^{\top}$ was not possible then, because, as just stated, no male plant of $M$-type appeared in $F_{1}$. In 1914, however, I got one male $F_{2}$ plant of this type resulting from the hybrid $M$-type $q \times G$-type $\sigma^{\top}$ above mentioned (Plate I, fig. $4 \delta^{7}$ ), and I have done the fertilisation between this male and the female $M$-type $F_{1}$ plant used in 1912 and 1913, thus:

$$
\text { 3. } M \text {-type } F_{1} \nsubseteq \times M \text {-type } F_{2} \delta^{\circ} \text {. }
$$

The results of these three fertilisations are as follows:

1. G-type $\uparrow \times G$-type of.

Totals

2. M-type \& $\times$ (i-type of.


If we add together phants of $M$-type and those of Now type, troth being very similar to each other (cf. below, p. 44) we have

3. $M$-type $F_{1} q \times M-$ type $F_{2} \sigma^{2}$.


If we add together, as before, plants of $M$-type and those of the New type, we have


If we add together all offspring derived from the three fertilisations, we have


[^17]or, if we add plants of $M$-type and those of New type together, we have

|  |  |  | $G$-type | $M$-type + New type | Totals |
| ---: | :---: | :---: | ---: | :---: | :---: |
| 1. | $G$-type $\times G$-type | $\ldots$ | 187 | 32 | 219 |
| 2. | $M$-type $\times G$-type | $\ldots$ | 77 | 82 | 159 |
| 3. | $M$-type $\times M$-type | $\ldots$ | 3 | 15 | 18 |
|  | Totals | $\cdots$ | 267 | 129 | 396 |
|  |  |  | $(=67 \cdot 4 \%)$ | $(=32 \cdot 6 \%)$ |  |

As will be seen from the above tables the fertilisation between the $G$-type $q$ and the $G$-type $\delta^{\delta}$, which we may perhaps consider as corresponding to the self-fertilisation of a certain $F_{1}$ plant which bears hermaphrodite flowers, gives rise to many $G$-type and few $M$-type $\boldsymbol{F}_{2}$ plants (cf. No. 1 in the above tables). The diametrically opposite behaviour will be seen in the fertilisation between $M$-type $F_{1}$ ㅇ and $M$-type $F_{2} \delta^{\prime}$ plants, for then comparatively many $M$-type and comparatively few $G$-type plants are produced (No. 3 in the above tables). In contrast to the two above cases the fertilisation between $q$ and $\sigma^{\prime \prime}$ plants belonging to the two different types gives rise to the offspring of both types in almost, though not quite, equal numbers (No. 2 in the above tables). From these experiments we see that each of the $\boldsymbol{F}_{1}$ plants, whether $G$-type or $M$-type, is heterozygous, and gives rise by a fertilisation corresponding to self-fertilisation in hermaphrodites, not only to offspring of the type similar to itself, but also to a small proportion of those belonging to the other ${ }^{1}$. The occurrence of segregation of the catkin character under consideration in $F_{2}$ is thus quite evident; it must however be remarked that the ratio of the numbers of plants of both types is then very different from the usual Mendelian one.

Before proceeding further, I must make some remarks about plants marked as "New type" in the above tables. These plants which have arisen in $F_{2}$ from either $M$-type $\times G$-type (in the ratio of almost $10 \%$, cf. the above tables) or $M$-type $\times M$-type (in that of almost $28 \%$ ), but never from $G$-type $\times G$-type, are very similar to those of $M$-type, and differ from the latter simply by the entire absence of hairs in catkins (Plate I, fig. 5, $\left.\delta^{7}-\uparrow\right)^{2}$. The catkins of this form appear to be much more intensely black than in plants of $G$-type or $M$-type, but this is only apparent, because though the bracts of the two latter are in

[^18]reality just as black as those of this bew form, their colour in partly concealed by hais covering them. In this mew form there are two kinds of female plants, the one possessing red stighas and the where green ones. In 1916, when they appated for the fimt tillo, a few female catkins (flowers with groen stigmas), which did mot lowk guit. healthy, were fertilised with pellen from the make catkins of the sume type, and a few seeds were obtained, which did not germinate. This year (1918) I repeated the sathe fertilisation (flowers with red stigmas). and got many seeds, which were able to gemminate and have given rise to a certain number of seedlings. Whether or not the latter breal true to the types of their parents is of comse yet monown ; it is, nevertheless, not unlikely that this new type is a mutant-possibly a loss-mutant produced on account of the loss of the factor for the hair-formation-and arising after hybridisation. Mutation after hybridisation has, as is well known, been sometimes discovered in Oenothere by de Vries ${ }^{1}$, Gates ${ }^{2}$, etc., and also in R"bus by Lidforss.

What I have described above about the formation of the two types of plants after hybridisation between $\mathfrak{s}$. gracilistyla and $\mathfrak{N}$. multinereis is merely the description of the results actually gained, and I must now go into their interpretation. The question is, should the appearance of both $G$-type and $M$-type offispring in $F_{1}$ be regarded as the result of segregation, or may this fact be explained in any other way? The exact answer to such a question cannot be given without further breeding experiments, and I am, for the present, only able to make certain hypotheses about it.

According to the first hypothesis one of the two original parents, either s. gracilistyla or s. multinervis, should be regarded as being heterozygous, at least in respect to the catkin character under consideration. Thus if, for instance, we denote the Gi-type character by G and its absence, i.e. the $M$-type one, by $g$, and if we further give to S. gracilistylu and S. multinervis the formulae Gg and gg, respectively, we have in the fertilisation of the two salix-species a back-cross $\mathbf{G g} \times \mathbf{g g}=\mathbf{G g}+\mathbf{g g}$, thus explaining the production of the two types of plants in $F_{1}$. It will be of course the same, if we consider $S^{\prime}$. multinervis to be heterozygous and S. gracilistyle to be homozygous regarding this character. Is then either of the two Solix-species under consideration

[^19]really heterozygous in this respect? For the elucidation of this question I have made the fertilisation between male and female trees of each of the two species-the very same trees which were used in my hybridisation experiments; this fertilisation might correspond to selfing in hermaphrodites. Seeds obtained by this process were sown, and plants developed from them-70 in S. gracilistyla and more than 100 in S. multinervis-and were found to be exactly similar to their respective parents in all respects. There is therefore no reason for considering either of the two parents to be heterozygous regarding the catkin character under consideration, and the first hypothesis should be discarded.

According to the second hypothesis one sex, either male or female, of one of the two species, is regarded as heterozygous and the other homozygous in respect to the catkin character. Thus suppose, for instance, the male plant of S. gracilistyla to have the formula Gg, and the female GG, then the fertilisation between them which is a backcross gives $\mathbf{G g} \boldsymbol{\delta}^{\boldsymbol{\gamma}}$ and $\mathbf{G G} \boldsymbol{q}$, and as $\mathbf{G}$ is dominant over $\mathbf{g}$, S. gracilistyla breeds always true despite the heterozygous nature of its male plant. The hybridisation of $\mathrm{gg} \circ(=$ S. multinervis $)$ by $\operatorname{Gg} \delta^{7}$ (=S. gracilistyla) should give in $F_{1}$ the zygotes represented by $\mathbf{G g}$ and gg , but as the female $G$-type plant should be always homozygous ( $=\mathbf{G G}$ ) according to our presupposition, we should have in $F_{1}$

$$
\operatorname{Gg} \delta^{1}+\operatorname{gg} \delta^{\prime}+\operatorname{gg} f,
$$

thus not one female $G$-typed plant should then appear, which is contrary to the fact actually seen, because I obtained seven female $G$-type plants (p. 42).

What will be the case, if we suppose the presence of the inhibitory factor of hairs 1? Thus, for example, suppose the male plant of S. multinervis $=\mathrm{II}$, its female plant $=\mathrm{II}$, S. gracilistyla (both male and female) $=\mathbf{i i}$, then the hybridisation li i $\times \mathrm{ii} \sigma^{\top}$ gives in $F_{1} \mathrm{li}$ and ii , and since, according to our presupposition, the male $M$-type plant should be always homozygous ( $=\mathrm{II}$ ) we should have in $F_{1}$

$$
\mathrm{ii} q+\mathrm{ii} q+\mathrm{ii} \delta^{\lambda},
$$

thus not one male $M$-typed plant should appear, which indeed accords with the fact, for I got no such plant in $F_{1}(\mathrm{p} .42)$. The $F_{2}$ offspring arising from the fertilisation between male and female $G$-type $\boldsymbol{F}_{1}$ plants (i.e. $\mathrm{ii} \oint \times \mathrm{ii} \delta^{2}=\mathrm{ii} \oint+\mathrm{ii} \delta^{7}$ ) should however undergo in $F_{2}$ no segregation, and give $G$-type plants exclusively, which is contrary to
fact, because 1 got through this fertilisation (i-typu an wall as.$/ /-1$ yp plants in this gemeration (1). 42).

Thus the hypothesis which regards olle of the IW" sexm as lowing heterozggots does not acomed with the facts andmally whomed and in untenable.

The thind hypothesis is fommed on what is vammsly called "impro. fection of dominamer," "reversal of dominance," of "flucthation in dominance," because cour case seoms, at hast, apparently bery much related to that phenomenon. We have many examples of the latter in poultry acoording to Bateson and Pumbett, as well as bavenport ${ }^{2}$. To cite only one example from the latter anthor, extratoed individuals of poultry mated with normal give extra toe only in $73 \%$ of the oftispring, the remaining 27 , having the normal number of toes ${ }^{2}$, yot that both kinds of the offspring are heterozgrotes was prosen by the fact that each of them mated inter se has exhibited segregation in $F_{z}^{\prime}$ * According to the author just named extra toe is dominant to normal, but in $27^{\circ}$ of the oftspring this dominant character was not powerful enough to exhibit itself; we have here to deal with the phenomenon which is called "imperfection of dominance," etc.

The appearance of $11 G$-type and $3 M$-type plants in $F_{1}$ of our Salix-cross would, according to this hypothesis, be due to the latter phenomenon, and the $G$-type character which is generally dominant to the other should be regarded as having failed, in the present case, to be so in $\frac{3 \times 100}{11+3}=21 \%$ of the offispring. The fact that the $F_{1}$ plants, whether $G$-type or $M$-type, are heterozygotes, and undergo segregation in $F_{2}$, has also been proven. Thus, according to the present hypothesis, the production of the two types of plants in $F_{1}$ is not to be regarded as a process of segregation.

Let us now examine whether this hypothesis explains the facts actually observed. First of all, it must be marked that what some authors regarded as the "reversal of dominance" or a phenomenon similar to it was found sometimes on further inquiry to be explained in quite another way. Thus, for instance, Coutagnes and Kelloggr

[^20]discovered that in crosses of some silk-worms which spin yellow and white cocoons, respectively, the dominance is variable, because in some yellow is dominant to white, while in others the reverse takes place; this is due, as the latter author thinks, to strain or individual idiosyncrasies, but Toyama ${ }^{1}$ has proved experimentally that this phenomenon may be better explained as the effect of a mixed breed, containing recessive as well as dominant whites, than as that of individual idiosyncrasies. Almost a similar explanation is applicable to what Correns and Lock have observed in hybrids of Maize. In Maize, alba $\times$ cyanea, where blue is dominant to white Correns found in $F_{1} 94 \%$ blue individuals and $6 \%$ white ones ${ }^{2}$; also in Maize, Moore's Concord (white) $\times$ Black Mexican (black) Lock found that black was dominant to white, but that sometimes the reverse takes place ${ }^{3}$. As first pointed out by East ${ }^{4}$ and afterwards by Lock himself ${ }^{5}$ this was due to the fact that "a supposed pure white strain" used in the hybridisation was composed in reality of a number of genotypically different individuals which, though pure for white when selfed, differ among themselves in carrying some invisible factors which react differently in the production of colour ${ }^{6}$. Thus we have here to deal, not with the "reversal of dominance," but with a " mixed breed," almost in the same way as in the case of the silk-worms above enunciated. It may perhaps be reasonably doubted, whether also in the so-called "reversal of dominance" in poultry we have not to deal with similar circumstances as in Maize just mentioned.

Our case in Salix is however somewhat different from that of Silkworms or Maize, inasmuch as the fourteen $F_{1}$ hybrids are derived from one and the same female plant fertilised by pollen taken also from one and the same male plant, so that if our case were really explicable on the basis of the hypothesis founded on the reversal of dominance it must necessarily follow that the $G$-typed catkin is sometimes dominant, sometimes recessive to the $M$-typed one in the same individuals, which does not seem very probable. It appears to me much more reasonable to consider that though either one of the two types of catkins, for instance the $G$-typed one, is in reality always dominant to the other,

[^21]its apparent recessiveness is cansed in some casses by the influmere of other facturs contained in them, especially some invisible factors, an explanation similar to that first proposed ly East about the Maizocross just cited. Let me then describe below my views regarding this question. Suppose that wher one of the two parentes under consideration, $\mathbb{S}^{2}$ multinervis, for instance, carries swome such factors in a heterozggous condition'. In gametic formation the latter will muderg., segregation, so as to give rise to gametes containing different combinations of invisible factors. In the fertilisation between mate and fimale. plants of this species gametes differing in respect to invisible factors may come to copulation, yet the offispring will always breed true th their parent type, at least all of them will agree in their catkin character, because since the factors for the latter character arr in the same homozygous condition in all of them, there will be mo rason why the catkin belonging to any other than the $M$-type will come to development, so that in this case the difference of invisible factors in different offspring will be perfectly indifferent towards the develupment of this character.

Quite different results may however be expected in the hybridisation S. multinervis $\times$ S. gracilistyla. All $F_{1}^{\prime}$ hybrids will agree now in carrying the same factors concerning the catkin character in the same heterozygous condition, for instance $\mathbf{G g}^{2}$, while they will differ among themselves in containing invisible factors differently combined, just as in the former case. It is then reasonable to consider that these invisible factors, owing to the difference in the mode of their combinations in the various offspring, will co-operate with $\mathbf{G g}$, so as in the one case to let G dominate over $\mathbf{g}$, and in the other to induce just the contrary effect, thus producing, respectively, the ( $\dot{r}$ - or the $M$-type in different individuals. In short, whether the one or the other type of catkins will make its appearance, may be regarded as being due to the influence of invisible factors accompanying the catkin factors. Thus if our view be true, the phenomenon seen in $F_{1}$ is to be regarded as being due to the segregation of invisible factors, but not to that of the

[^22]catkin factors themselves, because the latter are retained in the same heterozygous condition in all $\boldsymbol{F}_{1}$ offspring. What we have seen in $\boldsymbol{F}_{2}$ (pp. 42-43) is however the segregation occurring on account of the heterozygosity of the catkin factors carried by $F_{1}$ plants.

Let us now go to $F_{2}$. As already described (pp. 42-43) the fertilisation $G$-type $\times G$-type gives rise to many $G$-type and few $M$-type plants, and the $M$-type $\times M$-type gives rise to many $M$-type and few $G$-type ones, whilst in the $M$-type $\times G$-type plants of both types are produced in almost, though not quite, equal numbers. The explanation of this peculiar mode of $\boldsymbol{F}_{2}$-segregation will, as I think, naturally follow from our hypothesis adopted about $F_{1}$ plants. We have supposed (p. 49) that each of the $F_{1}$ plants, whether $G$-type or $M$-type, possesses a similar factorial constitution in respect to the catkin character, which we have represented by Gg ; in $F_{2}$ we should have then on account of the segregation

$$
\mathbf{G G}+n \mathbf{G g}+\mathbf{g g}
$$

in all cases, $n$ being any positive integer equal to or greater than 2 .
As already noticed (p. 49) each of the $G$-type $F_{1}$ plants carries besides the factors Gg a certain combination of invisible factors which we may for instance call $\mathbf{X}$, and which acts together with the latter, so as to give rise to $G$-type catkins exclusively; accordingly all the $\boldsymbol{F}_{2}$ offspring derived from the fertilisation $G$-type $\times G$-type will contain $\mathbf{X}$; and so of the $F_{2}$ plants $\mathbf{G G}+n \mathbf{G g}+\mathbf{g g}, \mathbf{G G}$ and $n \mathbf{G g}$ (the latter under the influence of X ) should be $G$-typed, whilst only gg should be $M$-typed, thus explaining the fact that the $F_{2}$ offspring consist largely of $G$-type plants.

- On the contrary, as each of the $M$-type $F_{1}$ plants carries besides Gg a combination of invisible factors which we may call $\mathbf{Y}$, and which acts together with the latter, so as to give rise to $M$-type plants exclusively, we may, by similar reasoning as above, come to the conclusion that of the offspring $\mathbf{G G}+n . \mathbf{G g}+\mathbf{g g}$ derived from the fertilisation $M$-type $\times$ $M$-type, $n \mathrm{Gg}$ (under the influence of Y ) and gg should be $M$-type, and only GG, $G$-type, thus explaining the fact that the $F_{2}$ offspring are then largely $M$-type.

In the fertilisation $M$-type $\times G$-type we have to deal with the two kinds of combinations of invisible factors, X and Y , which are provided with diametrically opposite characters. It is clear that in $F_{2}$ some offspring will receive $\mathbf{X}$, whilst some others $\mathbf{Y}$, and that then $\mathbf{G g}$ accompanied by $\mathbf{X}$ will be $G$-types, whilst other $\mathbf{G g}$ accompanied by $\mathbf{Y}$, will be

M-types. In other words, of the $\boldsymbol{F}^{\prime}$ offspring $\mathbf{G G}$ and gg will belong to $G$-types and $M$-types, respectively, whilst $G g$ will belong partly to the one and partly th the other. Thus the number of phants of beith typess
 already seen. with the fact really ohserved.

This explanation of the behaviour of our cross in $F_{1}^{\prime}$ and $r_{2}^{\prime}$ is naturally mere hypothesis which needs to be subjected to experimental verification. The latter would be however extremely difficult, if mot absolutely impessible, but I intend to continue my work in this direction, as far as I can.

To summarise, the formation of the two types of catkins in $F_{1}$ is not to be looked upen as the result of segregation of the catkin character ; the occurrence of the latter process in $\boldsymbol{F}_{2}$ has however been clearly proven, though the ratio of the two types produced in cach of the three kinds of fertilisation is quite different from what we might have expected in usual Mendelian cases.

## B. Results of the Hybridisations done in 1911.

As already stated (p. 36) I have repeated in 1911 the same hybridisation done in 1910. The female plant was the very same tree used in 1910 ; whether or not the male plant was just the same as that used in 1910 is now unknown, but it belongs, at least, to the same vegetative line (in the sense of Fruwirth) or the same clone (Webber) as the latter, because in 1911 all male plants of S. grucilistyle in our Botanical Garden were exclusively derived from the cuttings of the same plant used in 1910. This hybridisation succeeded pretty well, and I got nearly fifty seedlings. They were, however, contrary to the result of the hybridisation in 1910, not hybrids at all, at least externally. They were nothing but S. multinervis, and when they came to flowering, all of them have proven, to my great astonishment, to be female individuals without exceptions, or in other words, the offspring were of purely maternal type, so-called false (Millardet) or uniluteral hybrids (de Vries).

The production of either purely paternal or maternal plants as the results of hybridisation-what Bateson calls "Monolepsis"" - has been sometimes met with by various authors. Thus Gartner ${ }^{2}$ obtained from the hybridisation Melandrium rubrum of $\times$ Silene noctiftora $\delta$ only

[^23]two hybrids and many M. rubrum, i.e. plants of purely maternal type. In some species of Fragaria Millardet ${ }^{1}$ got plants of both paternal and maternal types by hybridisation-the well-known "hybridation sans croisement" or "fausse hybridation ${ }^{2}$." This was repeated on Fragaria virginiana $i+$ F. elatior $\sigma^{\prime \prime}$ by Solms-Laubach, who got hybrids of purely paternal type, thus confirming the results of the French author ${ }^{3}$. The same kind of hybrids as the latter were found recently by Collins and Kempton in the Gramineae Tripsacum dactyloides $q \times$ Euchlaena mexicana d $^{7}$, which breeds true in later generations-what these authors call "Patrogenesis ${ }^{4}$."

Hybrids of purely maternal type were obtained by Hurst from the Orchid Zygopetalum Mackayi fertilised by some species of Odontoglossum, Oncidium and Lycasta ${ }^{5}$.

A very detailed study was made by Lidforss on a great number of species of Rubus ${ }^{6}$. According to him the hybridisations, R. acuminatus, $R$. divergens, $R$. dissimulans, $R$. plicatus as females by $R$. caesius as male, and R. polyanthemus as female by R. Bellardi or radula as males, for instance, have given genuine and false hybrids in nearly equal numbers, whilst the hybridisations, $R$. polyanthemus, $R$. insularis, $R$. Lindenbergii as females by $R$. caesius as male have given rise exclusively to false hybrids. The false hybrids of Lidforss were always of purely maternal type, and were found to breed true in later generations.

To cite another example, de Vries obtained by the hybridisation Oenothera Lamarckiana $ㅇ \times 0$. biennis ${ }^{\circ}$ false hybrids of paternal type, which were found to breed true in later generations ${ }^{7}$. The same hybridisation carried on in the New York Botanical Garden has given quite different results, because it has given rise to four distinct types of hybrids (MacDougal, Vail, Shull and Small)s, and the latter four authors came to the conclusion that the difference of their results from those of de Vries might be due to the influence of some factors, such as individual qualities as well as external conditions. It might however

[^24]be asked, whether the Genothero-spercies used by those authors had genotypic constitutions exactly similar to thase used by the Jhteh botanist. If this be really trace, then this hybridisation somen tor have
 ration.

My resulte on the hybridisation siali, multimervis x Salior gracilistyla agree with those rocorved by Lidforss for Rubus, inasmuch as I have also obtained both gemmine hybrids as well as phats of purely maternal type. The ditferener between the two hybridsations lies only in this: while Lidforss obtained both real and false hybrids in ome and the same year. I was able to whain them in difterent yars (1910 and 1911). That the difference of results in thuse two years is due to the gemotypie differences of male and female plants used be me may be aboulutely denied, for, as abose stated, the female plant used in both cases was one and the same tree, and the male plant in 1911 was either the same with, or at least derived in a vegetative way from, that used in 1910. As 1 obtained different results in different years, one might be disposed to think that whether the offispring will be real hybrids or of purely maternal type is dependent on external conditions, which indeed may be true. But I think it equally likely that our plant contains two kinds of eggs, giving genuine and false hybrids, respectively, just as we have in Thalictrum purpurascens ${ }^{1}$ and some species of Hieracium ${ }^{2}$ two distinct kinds of eggs, i.e. those which can develop only after having been fertilised, and those which are able to develop parthenogenetically, though the final decision of this question will be of course impossible without performing further breeding experiments.

Now some remarks about the sex of false hybrids. Rubus is always hermaphrodite, so that both real and false hybrids are naturally of this nature. The sex of those of Melandrium obtained by Gärtner is unknown, for he has stated nothing about it ${ }^{3}$. Those of Fragarit virginiana of $\times \boldsymbol{F}$. elatior $\delta$ were either male or female ${ }^{\top}$. Those of Sula, got by me, almost fifty in number, were female without a single exception, so that they may be well said to be of muternal type in the most strict sense of the word, for even the sex has been inherited. Furthermore, that our false hybrids will breed true in later generations like

[^25]those of Rubus, is highly probable, though not yet actually proven. This problem will be one of the objects of my future study.

That in the case of Salix the formation of false hybrids is due neither to parthenogenetic development of the oosphere nor to the vegetative production of embryos from nucellar cells is quite evident in view of the fact that female inflorescences covered with paper bags were never able to bear even single fruits. Many authors think ${ }^{1}$ that in the formation of false hybrids pollen has nothing to do with fertilisation, but acts merely by irritating egg-cells in some way and enables them to develop into embryos without being fertilised; such process is called pseudogamy, a word first proposed by Focke ${ }^{2}$. Giard ${ }^{3}$ thinks that false hybrids of purely paternal type are derived from maternal cytoplasm with the male nucleus alone, the female nucleus degenerating (Merogony!), and that those of purely maternal type are derived by pseudogamy, some stimulus to development being given by the pollentube without entrance of the sperm-nucleus into the egg. All these are however mere hypotheses which are simply more or less probable, and which ought to be proven cytologically. The only cytological investigation on false hybrids of plants is that of Strasburger on Fragaria ${ }^{4}$, which did not confirm the hypothesis of Giard above stated. Thus in the hybrid $F$. virginiana $+\times F$. elatior $\delta^{\circ}$ the former author could observe no degeneration of the egg-nucleus, while, on the contrary, not only was he able to see clearly the fusion of the sperm- and the egg-nuclei, but he was able to count in the mitosis of the fusion-nucleus the diploid number of chromosomes.

False hybrids have also been observed in animals, and there is a series of papers concerning hybrids of purely maternal type, though they never reached the adult stage. In these hybridisations, or heterogeneous fertilisation, as it is often called, eggs of the Echinoids (as Sphaerechinus, Strongylocentrotus, Echinus, Arbacia, etc.) were fertilised by sperms of the Echinoids, the Crinoids (as Antedon), the Mollusks (as Mytilus), the Vermes (as Chaetopterus). Since in these hybridisations the systematic affinity of the two parents is always very remote from each other, only the larvae, in more or less advanced stages of their development, were obtained, and these have always proven to be

[^26]of parely maternal type (Vermon. Herlist, Kupmiwinser, (iodlowski jum., Baltzer, Morgan, cete. ete.). ('ytological investigations of these false hybrids were made also by many authom. The fact has beron reveraled that in the hybridisation of the Echimides the epermatoza always conter the egg-eytuplasm. The behaviour of the sermentelens wan hew...er found always not th be the same. For instance, in sulter vases (an
 the sperm-muclei do not come to real finsom, and the latter molderge gradual degeneration (Kupelwieser') : in many other cates both melei fuse to each other, and in later stages the paternal chromatio is
 According to Baltzer: in the hybrid sphuerechimus o $\times$ stom!!!lucentrotus $\delta$. which is intermediate between the two parents, mo chromation elimination takesplace, whilst in strongylucentrotus o $\times$ sphaerechious $\sigma^{\circ}$, which is of purely maternal type, he was able to ohserve the elimination of paternal chromatin during the first cleavage.

On the contrary, in the hybrid Echinus $\& \times A$ intedon $\delta$, which is of purely maternal type, and where also the sperm- and egg-mucled fuse with each other, no climination of paternal chromatin was observed (Godlewski jun.") ; the latter author has also obsersed that the chromosomes derived both from the egg- and the sperm-nuclei participate in the first mitosis of the egg (first cleavage), though he could not there distinguish paternal and maternal chromosomes from each other. Baltzer, who confirms in general the statement of Godlewski jun., was able even to distinguish both kinds of chromosomes. The results of the estological studies of Strasburger on Fragaria above cited are thus in exact accordance with this discovery of Godlewski jun. and Baltzer on Echinus $\times$ Antedon, because in both cases no elimination of paternal chromatin succeeding the fusion of the two nuclei does take place. What cytological phenomena will occur in the formation of falsee hybrids of Salix should be one of the objects of our future study.

[^27]
## III. Conclusions.

After the appearance of the work of Wichura the view prevailed that hybrids between various species of Salix breed true in later generations. My hybridisation experiments conducted on a few Sulixspecies have shown that this is not true, at least in respect to certain characters. According to these experiments the erect habit of stem is dominant to the spreading, the hairy character of leaves is dominant to the non-hairy in one case, and recessive in another, red stigma is dominant to green, and all these characters were found to exhibit segregation in $F_{2}^{\prime}$ generation. Hybrids between plants with stipulate and those with exstipulate leaves exhibit a mosaic character, for some leaves have stipules and others none; the occurrence of segregation of this character in $F_{2}$ is not yet proven.

In the hybridisation S. multinervis $\times$ S. gracilistyla the so-called $G$-type and the $M$-type offspring, differing in catkin character, appear in $F_{1}$. This phenomenon has not yet been explained beyond all doubt, and various hypotheses have been proposed for it. Of the latter the most probable is that which supposes that either one of the parents (or both) is heterozygous in some invisible factors; the offspring derived from the hybridisation under consideration will then carry them in different combinations, and this genotypic difference will influence the factors concerning the catkin character, so as to give rise in some cases to the $G$-type, and in others to $M$-type. Thus the appearance of the two types of catkins in $F_{1}$ is not due to the segregation of the catkin factors themselves, for all $F_{1}$ plants will agree in carrying the latter in the same heterozygous condition. Their real segregation was found to take place first in $F_{2}$; the peculiar mode of this latter process has been explained on the basis of the hypothesis adopted in the case of $\boldsymbol{F}_{1}$ plants.

The segregation of many allelomorphic characters has thus been conclusively proven, but in every case the proportion of individuals bearing each antagonistic character is very different from $3: 1,15: 1$, 63 : 1, etc. etc., usually seen in Mendelian hybrids. It would not however be surprising that $I$ was unable to demonstrate the usual Mendelian ratios in Salix-hybrids, because neither Lotsy ${ }^{1}$ nor Wichler ${ }^{2}$ was able to

[^28]

PLATE I
lif1．リバに


Fig．3．ci－type z－：．
discern them in species-hybrids of Antirhinum and Dianthus, which were studied in detail from the stampuint of modern gerneticeselonere. though there were some rave exeeptions in the former gerous. It is very likely that in such cases a great mumber of factors are concerned in the development of each chatactere and consegtomely a conplex segregation takes place in $F_{2}$, though it is cepually undeniable that this segregation may be subjeet to some law other than Mondelian, hithertu unknown to us.

The plants arising as the results of the hybridisation done in 1910 betweens. multinervis of $\times$ s. !recilistyla of were raal hybrids, but thase prenduced from the hybridisation done in 1911 between the same mate and female trees were the so-called "false hybrids" of purely maternal type because they were nothing but $s$. multinervis. They have not you been prosed to breed true, though this is probable. All false hythrids thus obtained were of one sex, namely female. ('ytological inventigations are necessary here.

In conclusion, I wish to thank Mr s. Nohara, Mr Y. Tanihara and Mr M. Ando, who were very helpful to me during the present insestigation.

## EXPLANATION OF PLATE I.

Some of the figures are photographs by Dr Kominami, to whom my thanks are due. All slightly reduced from natural size.

Fig. 1. Salix gracilistyla. Above $\sigma$, below $\%$.
Fig. 2. Salix multinervis. Above $\delta$, below $\&$.
Fig. 3. Multinerris $\times$ gracilistyla $F_{1}, G$-type. Left is. right $z_{\text {a }}$.
Fig. 4. Multinervis र! gracilistyla $F_{1}$, M-type. Left $z$, right 8.
Fig. 5. Mutant (?) arising from the fertilisation M-type (i-type. Above $\dot{\varepsilon}$, below \& .

T'able showing Successes and Failures of Hybridisations of Various Species of Salix.


[^29]
# STUDEE (OF INHERITAN(E IN THE JAPANENE CONVOIJ'ULUS. 

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(With Plate II and One 'Text-figure.)
[Dote. In the present state of the postal service it hats not been possible to submit this paper to the author for revision. Enor]

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## Introduction.

The Japanese Convolvulus, closely related to the Morning Glory of the Americans and known under the popular name "Asagao"," is very extensively cultivated here since immemorial time as an ornamental plant, and contains an abundant number of races which are characterised by remarkable variation in the form and colour of leaves as well as flowers. As I have been studying the hereditary behaviour of several characters in this species for some years, and have reached definite conclusions in some respects, I am going to publish here the results of these investigations. All experiments contained in this paper were conducted in my garden in Yokohama.

The inheritance of the Japanese Convolvulus has already been studied by three authors, Tanaka ${ }^{2}$, Toyama ${ }^{3}$ and Takezaki ${ }^{4}$. Of these I will speak below only about the investigations of Takezaki, some of whose

${ }^{1}$ This plant has been variously called by our systematists Ipomoea hederacea, Pharbitis hederacea, $P$. Nil, etc., and I am not able to decide myself which name is really the right one.
${ }^{2}$ Idengaku Kyôkwasyo (A text-book of Genetics in Japanese), Tôkyô, 1915, pp. 32 ff. and 96 ff .
${ }^{3}$ Nippon Ikusyugakukwai Kwaihô (Journal of the Japanese Breeders' Association), 1. $1,1916, \mathrm{pp} .8,9$.
${ }_{4}$ Ditto, pp. 12, 13 with many tables.
results are in agreement with mine. Aceorling to him the green colour of leaves behaves as dominant towards the yellow (chlowimet, and in $F_{8}$ the ratio of green and yellow phants is $3: 1$. The genotic behaviont of Hower colour is very complex, hat if we (lassify plants simply int" those with coloured and those with white Howers, white is recossile.
 these coloured flowers the corolla is white at its maggin, on at form a ring-shaped white pateh (see the text-fig.), what Japatmese gardomer call the "hukurin"." Takezaki studied the inheritance of whitemargined flowers, and found that the "hukurin" is produced he a special factor acting as a white dominamt at the margin of the conollat so that the hybrid between a race with white-margined flowers and another with fully-coloured ones was found to produce the formor kind of flowers in $F_{1}$ and to segregate in $F_{z}$ into the ratio 3 white-margined : 1 fully-coloured. Moreower, he reported that incertain cases there is went a factor which inhibits the action of that producing the "hukurin" part.

## EXPERIMENTS.

The plants originally used in my experiments are characterised as follows:
A. Leaf is yellow ${ }^{2}$ (chlorince) (Pl. II, fig. 6), and Hower white, though its throat is tinged with extremely light magenta (Pl. II, fig. 2).
B. Leaf is green (PI. II, fig. 5), and flower dark-red ${ }^{3}$ (I'I. II, fig. 1).

These two parents were cultivated for two years before my experiments had begun, and since then this cultivation has been continued during fise years. Both of them were found during cultivation to breed true entirely to their respective types.

In 1913 I performed the hybridisation between these two plants in both reciprocal ways, and in 1914 three individuals from each were grown for the purpose of further experiments.

## (a) $F_{1}$ Generation.

Leaf was green: that is, green is dominant to yellow. Flowercolour was entirely different from that of wither parent, and was light

[^30]magenta ${ }^{1}$. The corolla is not however fully coloured, and it is white at its margin not wholly, but only near each of the five notches of its limb. Such white patch is also called "hukurin," and the words "hukurin." and "white-margined" used below refer always to flowers which are edged with white partially in such way. Both reciprocal hybrids were entirely similar to each other (Pl. II, fig. 3).

## (b) $F_{2}$ Generation.

The mode of segregation of flower-colour in $\boldsymbol{F}_{2}$ is rather complex. Not only are there found flowers of white, dark-red, and magenta colour exactly similar to that of the two original parents and the $\boldsymbol{F}_{1}$ plant, respectively, but we have also those of scarlet colour (Pl. II, fig. 4), and in each of these colours-dark-red, magenta, and scarlet-there are three gradations of their intensity, sharply distinguishable from each other. The detailed study of the segregation of flower-colour is now under way, and will be dealt with in a future paper. For the present time, for simplicity's sake, I will call magenta and scarlet simply by the collective name red, and make no distinction of the intensities of colour just noticed.

The details of the segregation of leaf- and flower-colour in $\boldsymbol{F}_{2}$ are shewn in Table I.

TABLE I.


We will consider now leaf-colour, "hukurin" and flower-colour separately.

[^31]
## 1. Leelf-coluur:

The resulte of my investigation are in perfect aceorl with those of Takeraki (p. 61), and it will be realily som from 'lable II that home the segregation weeurs in the simple st Memblelan fashion.

TABLE: 11.

2. "Mukurin."

As before stated, in spite of the fact that neither the one nor the other of the parents shews externally any sign of the "hukurin," this character appears in the $F_{1}$ plants, and moreover, it will be seen from Table III that in $F_{2}$ the ratio of plants with white-margined and those with fully-coloured flowers is $3: 1$. As of course we cannot distinguish between the white-margined and the non-white-margined condition in perfectly white flowers, plants with the latter kind of flowers are not included in this Table.

TABLE III.

| $F_{1}$ plants | Results |  |  | Expected |  | $a$ | $\delta$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | White. margined | Fully. coloured | Totals | Whitemargined | Fully coloured |  |  |
| $\ldots \times B \quad(a)$ | 34 | 11 | 45 | 33.75 | 11.25 | $=0.75$ | $\pm 9 \cdot 186$ |
| ,, (b) | 14 | 6 | 20 | 15.00 | $5 \cdot 00$ | $\pm 1.00$ | $\pm 1.937$ |
| ,, (c) | 102 | 45 | 147 | 110.25 | 36.75 | $\pm 8.25$ | $\pm 5 \cdot 250$ |
| $B \times d \quad(d)$ | 17 | 9 | 26 | $19 \cdot 50$ | $6 \cdot 50$ | $\pm 2.50$ | $\pm 2.208$ |
| ,, (e) | 17 | 8 | 25 | 18.75 | $6 \cdot 25$ | $\pm 1.75$ | $\pm 4 \cdot 165$ |
| ,, (i) | 100 | 44 | 144 | $108 \cdot 60$ | $36 \cdot 00$ | $=8.00$ | $\pm 5 \cdot 196$ |
| Total8 | 284 | 123 | 407 | $305 \cdot 25$ | 101.75 | $\pm 21 \cdot 25$ | $\pm 8.736$ |

From the above table we see that the number of plants with whitemargined flowers really obtained is always smaller than might be theoretically expected, except in $A \times B((t)$. We have however to make here the two following remarks. In the first place, the area of the "hukurin" part was very variable according to individuals, notwithstanding the fact that all plants were grown under exactly similar conditions. Thus not rarely the "hukurin" was represented by very

[^32]
## 64 Studies of Inheritance in the Japanese Convolvulus

insignificant white spots in the five notches of the corolla; moreover, even in one and the same individual, which has very slightly white- ${ }^{\circ}$ margined flowers, I was able to discern the "hukurin" sometimes clearly but sometimes not at all, according to different stages of their development, so that it would not be improbable that some plants with such very slightly white-margined flowers were erroneously entered as being without them. Secondly, I have learned by experience that the mode of cultivation has great influence over the production of the "hukurin." Plants were generally grown in a field, but some of them were cultivated in pots, for example a certain number of $(c)$ and $(f)$ in Table III. The difference of the results due to the method of cultivation will be explained by reference to Table IV.


As will be seen from the above Table, while in the field culture plants with white-margined flowers and those with fully-coloured ones are 74 and 26 , respectively, i.e. are almost exactly in the ratio $3: 1$, in the pot culture there are 67 and 33 , respectively, i.e. the number of plants with white-margined flowers is relatively much smaller in the latter case than in the former. Plants in $(a),(b),(d)$, and $(e)$ were all cultivated in the field, and we see that here the ratio of the two kinds of plants is nearly equal to $3: 1$ in each case, and the very small deficiency of plants with white-margined flowers from the theoretical expectation in these cases may be probably due to the first of the two causes above mentioned. That in the case of pot culture we see always a definite deficiency, may be perhaps due to the fact that pots are generally too dry in summer without special precautions. As is well known through the investigations of several botanists, the formation of anthocyanin in leaves is very much accelerated when leaves live under very dry conditions. Thus, according to Wheldale ${ }^{1}$, we see the development of anthocyanin in Pelargonium which was insufficiently watered; also Miyoshi ${ }^{2}$ observed

[^33]that leaves of trees in the East Indies, Ceylon and dawa redden during the dry period in the same way as autummal leaves do in the temperate regions. Again Pellew' reports that the amomet of pighent in petals of both white and blue plante of Compernala coerpotico varies acoording to the moisture condition of the soil, flowers becoming much darker after rain.

In our case it would not therefore be malikely that owing tw the summer drought some anthocyanin would develop in the "hukurin" part and make white-margined Howers look like fully-coloured ones, especially in plants grown in pots.

## 3. Flower-colour.

As will be seen from Table I there occur no dark-red flowers in yellow-leaved plants. As flowers of this colour are found exclusively on green plants, it might perhaps be concluded that some coupling or repulsion took place between flower- and leaf-colour. But such is not really the case, as will be easily seen from Table V .

TABLE V.

| $F_{1}$ plants | Leafcolour | Results |  | Totals | Expected |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | No. of coloured flowering plants | $\begin{gathered} \text { No. of } \\ \text { white } \\ \text { flowering } \\ \text { plants } \end{gathered}$ |  | No. of coloured flowering plants | No. of white flowering plants | a | $\delta$ |
| $A \times B(a+b+c)$ | Green | 158 | 42 | 200 | 150.00 | $50 \cdot 00$ | 2. 8.00 | +6.124 |
| $B \times A(d+e+f)$ | , | 136 | 52 | 188 | 141.00 | $47 \cdot 00$ | $\pm 5 \cdot 00$ | 土5.937 |
| Totals |  | 294 | 94 | 388 | 291.00 | $97 \cdot 00$ | $\pm 3 \cdot 00$ | $\pm 8.592$ |
| $A \times B(a+b+c)$ | Yellow | 54 | 19 | 73 | $54 \cdot 75$ | 18.25 | $\pm 0.75$ | +3.700 |
| $B \times d(d+e+f)$ | " | 59 | 13 | 72 | $54 \cdot 00$ | $18 \cdot 00$ | $\pm 5 \cdot 00$ | $\pm 3.674$ |
| Totals |  | 113 | 32 | 145 | $108 \cdot 75$ | 36.25 | $\pm 4.25$ | $\pm 5.241$ |
| Gross totals |  | 407 | 126 | 533 | $399 \cdot 75$ | $133 \cdot 25$ | $\pm 7 \cdot 25$ | $\pm 9.997$ |

In this Table plants are classified into two groups according to their flower-colour, i.e. those with white and those with coloured flowers. From this we see that the ratio of individuals of these two classes, both in green as well as yellow plants, is $3: 1$, despite the fact above noticed that in the latter there were found no plants with dark-red flowers. It will be readily understood from these considerations that we have here to deal with neither coupling nor repulsion.

In green plants the number of those with red, dark-red and white flowers respectively is in the ratio 2:1:1, as shewn in Table VI.

[^34]Journ. of Gen. vili

TABLE VI.

|  | Results |  |  |  | Expected |  |  |  |  | $\delta$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $F_{1}$ plants | Red | $\begin{aligned} & \text { Dark- } \\ & \text { red } \end{aligned}$ | White | Totals | Red | $\underset{\text { red }}{\text { Dark- }}$ | White | $R+D: W$ | $R+W: D$ |  |
| $A \times B(a+b+c)$ | 99 | 59 | 42 | 200 | 100 | 50 | 50 | $\pm 8 \cdot 00$ | $\pm 9.00$ | $\pm 6.124$ |
| $B \times A(d+e+f)$ | 87 | 49 | 52 | 183 | 94 | 47 | 47 | $\pm 5 \cdot 00$ | $\pm 2.00$ | $\pm 5.937$ |
| Totals | 186 | 108 | 94 | 388 | 194 | 97 | 97 | $\pm 3 \cdot 00$ | $\pm 11.00$ | $\pm 8.529$ |

(c) $F_{3}$ Generation.

Seeds were obtained from $31 F_{2}$ plants, with which to study the $F_{3}$ generation. The following are the results of these studies.

## 1. Leaf-colour.

It will be seen from Table VII that in respect to leaf-colour we have obtained exactly the same results as in $F_{2}$ (compare Table II).

TABLE VII.

| Pedigree | Results |  |  | Expected |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { No. of } \\ F_{2} \text { plants } \end{gathered}$ | Green | Yellow | Totals | Green | Yellow | $a$ | $\delta$ |
| 7 | 8 | 6 | 14 | $10 \cdot 50$ | $3 \cdot 50$ | $\pm 2 \cdot 50$ | $\pm 1.620$ |
| 9 | 36 | 7 | 43 | $32 \cdot 25$ | $10 \cdot 75$ | $\pm 3 \cdot 75$ | $\pm 2.889$ |
| 22 | 76 | 26 | 102 | 76.50 | 25.50 | $\pm 0 \cdot 50$ | $\pm 4 \cdot 373$ |
| 31 | 80 | 19 | 99 | $74 \cdot 25$ | $24 \cdot 75$ | $\pm 5 \cdot 75$ | $\pm 4 \cdot 265$ |
| 44 | 39 | 11 | 50 | $37 \cdot 50$ | 12.50 | $\pm 1 \cdot 50$ | $\pm 2.810$ |
| 45 | 10 | 3 | 13 | $9 \cdot 75$ | $3 \cdot 25$ | $\pm 0 \cdot 25$ | $\pm 1.561$ |
| 11 (a) | 12 | 6 | 18 | $13 \cdot 50$ | $4 \cdot 50$ | $\pm 1.50$ | $\pm 1.836$ |
| 14 (a) | 6 | 2 | 8 | $6 \cdot 00$ | $2 \cdot 00$ | $\pm 0.00$ | $\pm 1.225$ |
| 15 (a) | 11 | 5 | 16 | 12.00 | $4 \cdot 00$ | $\pm 1 \cdot 00$ | $\pm 1.732$ |
| 15 (b) | 12 | 1 | 13 | $9 \cdot 75$ | $3 \cdot 25$ | $\pm 2.25$ | $\pm 1.561$ |
| 39 (b) | 7 | 1 | 8 | 6.00 | $2 \cdot 00$ | $\pm 1 \cdot 00$ | $\pm 1.225$ |
| Totals | 297 | 87 | 384 | 288.00 | 96.00 | $\pm 9 \cdot 00$ | $\pm 8.485$ |

From their behaviour in $F_{3}^{\prime}$ it was apparent that 20 of the $31 F_{3}$ plants were homozygous for leaf-colour. Of these 10 were green and 10 were yellow. Table VIII gives the total number of $\boldsymbol{F}_{3}$ plants obtained from these 20 homozygous $F_{2}$ individuals.

TABLE VIII.

2. "Hukurin."

We have got exactly the same resultes as in $F_{2}$, as shewn in Table IX (compare Table 1II).

TABLAK $1 \times$.

|  | Reaule |  |  | Experctal |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pedikree Ya of $F_{3}$ plants | White markined | $\begin{aligned} & \text { Fully. } \\ & \text { coloured } \end{aligned}$ | Totaln | $\underset{\substack{\text { White } \\ \text { markined }}}{\text { nen }}$ | Fully coloured | $\cdots$ | 8 |
| 14 | 43 | 21 | 61 | $4 \mathrm{H} \cdot 00$ | 16.00 | $\pm 5 \cdot 00$ | $\pm 228$. |
| 16 | 37 | 11 | 48 | 36.00 | 12.00 | $\pm 1.000$ | $\pm 3 \cdot 000$ |
| 19 | 3.5 | 14 | 49 | 36.75 | $12 \cdot 25$ | $\pm 1.75$ | $\pm 3.030$ |
| 31 | 76 | 23 | 99 | 74.25 | 24.75 | $\pm 1.75$ | C $4 \cdot 30 \mathrm{~K}$ |
| 32 | 20 | 7 | 27 | $20 \cdot 25$ | 6.75) | $\pm 0 \cdot 25$ | .t $2 \cdot 250$ |
| 38 | 18 | 5 | 23 | $17 \cdot 25$ | $5 \cdot 75$ | $\pm 0.75$ | $\pm 2.077$ |
| 39 | 32 | 11 | 43 | $32 \cdot 25$ | $10 \cdot 75$ | $\pm 0 \cdot 25$ | $\pm 2 \cdot 8.39$ |
| 55 | 24 | 13 | 37 | $27 \cdot 75$ | $9 \cdot 2.5$ | $\pm 3.75$ | $\therefore 2 \cdot 634$ |
| 11 (a) | 11 | 3 | 14 | $10 \cdot 50$ | $3 \cdot 50$ | $\pm 0.50$ | $\pm 1.620$ |
| 15 (b) | 10 | 2 | 12 | $9 \cdot 00$ | 3.00 | $\pm 1.00$ | $\pm 1.500$ |
| Totals | 306 | 110 | 416 | $312 \cdot 00$ | 104.00 | $\pm 6 \cdot 00$ | $\pm 8.832$ |

From the above Table we see that the ratio of plants with whitemargined and with fully-coloured flowers is 3:1, and in this case, when we compare the ratios of the number of these two kinds of plants in the field- as well as in the pot-cultures to each other we see also in the latter case a certain deficiency of plants of white-margined flowers.

We have got 4 families of plants which contain the "hukurin" factor in homozygous condition, and 9 families where it is entirely absent, as shewn in Table $\mathbf{X}$.

TABLE X.

|  | Total number of <br> families in $\boldsymbol{F}_{2}$ | White- <br> margined | Fully- <br> coloured |  |
| :--- | :---: | :---: | :---: | :---: |
| White-margined | $\ldots$ | 4 | 109 | 0 |
| Fully-coloured | $\ldots$ | 9 | 0 | 301 |

## 3. Flower-colour.

It would be a priori easily seen from the results in $F_{2}$ that all $F_{2}$ plants with white flowers will produce in $F_{3}$ again those with white ones. Though I could not obtain many seeds from plants of these families the results shewn in Table XI will fully confirm this expectation.

We could find no families of plants which breed true constantly to dark-red flowers.

TABLE XI.

| Pedigree No. of $F_{2}$ plants | Leaf-$\boldsymbol{F}_{3}$ plan ofcolour | Flower-colour of $F_{3}$ plants |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Dark-red | Red | White |
| 3 | green | 0 | 0 | 23 |
| $a\{10$ | ,' | 0 | 0 | 10 |
| 26 | " | 0 | 0 | 12 |
| $\beta \quad 56$ | yellow | 0 | 0 | 56 |
| 45 | $\{$ green | 0 | 0 | 8 |
|  | \{ yellow | 0 | 0 | 6 |
|  | \{ green | 0 | 0 | 10 |
|  | \{ yellow | 0 | 0 | 3 |
| Totals |  | 0 | 0 | 128 |

We have obtained the two families of plants which breed true to yellow leaves and red flowers, as indicated in Table XII.

TABLE XII.

| Pedigree <br> No. of <br> $F_{2}$ plants | Leaf- <br> colour of <br> $F_{3}$ plants |  | Dark-red | Red | White |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 16 | yellow | 0 | 48 | 0 |  |
| $49(b)$ | ,, | 0 | 18 | 0 |  |
|  | Totals | $\ldots$ | 0 | 66 | 0 |

The families which segregate into plants with red and those with white flowers are found only among yellow $F_{2}$ plants; in $F_{3}$ the ratio of red and white is $3: 1$, as shewn in Table XIII.

## TABLE XIII.

| Pedigree <br> No. of <br> $F_{2}$ plants | Leafcolour of $F_{3}$ plants | Results |  |  |  | Expected |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |
|  |  | Dark- red | Red | White | Totals | $\begin{aligned} & \text { Dark- } \\ & \text { rad } \end{aligned}$ | Red | White | $\alpha$ | $\delta$ |
| 17 | yellow | 0 | 64 | 20 | 84 | 0 | $63 \cdot 00$ | 21.00 | $\pm 1.00$ | $\pm 3.969$ |
| 18 | , | 0 | 77 | 25 | 102 | 0 | $76 \cdot 50$ | $25 \cdot 50$ | $\pm 0.50$ | $\pm 4 \cdot 373$ |
| 19 | " | 0 | 49 | 13 | 62 | 0 | $46 \cdot 50$ | 15.50 | $\pm 2.50$ | $\pm 3 \cdot 410$ |
| 38 | ", | 0 | 23 | 6 | 29 | 0 | 21.75 | $7 \cdot 25$ | $\pm 1 \cdot 25$ | $\pm 2 \cdot 332$ |
| 39 | , | 0 | 43 | 7 | 50 | 0 | $37 \cdot 50$ | $12 \cdot 50$ | $\pm 5 \cdot 50$ | $\pm 3 \cdot 062$ |
| 59 | " | 0 | 35 | 20 | 55 | 0 | $41 \cdot 25$ | $13 \cdot 75$ | $\pm 6 \cdot 25$ | $\pm 3 \cdot 211$ |
| 60 | , | 0 | 46 | 22 | 68 | 0 | $51 \cdot 00$ | $17 \cdot 00$ | $\pm 5 \cdot 00$ | $\pm 3 \cdot 571$ |
|  | Totals | 0 | 337 | 113 | 450 | 0 | $337 \cdot 50$ | 112.50 | $\pm 0.50$ | $\pm 9 \cdot 186$ |

The families of plants which segregate into those with dark-red and those with white flowers are found only among those which remain constantly green in $F_{3}$, and the ratio of dark-red and white is $3: 1$, as shewn in Table XIV.

TABLE N゙IV.

| Pedistree $r_{8}$ Soo of | $\begin{aligned} & \text { Teat } \\ & \text { colour of } \\ & \text { f, plant. } \end{aligned}$ | Result |  |  |  | Experteal |  |  | a | 8 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  | - |  |  |
|  |  | Red | $\begin{gathered} \text { Thark } \\ \text { red } \end{gathered}$ | White | Totala | 1/cal | $\underset{\text { Dral }}{\text { Dark. }}$ | White |  |  |
| 14 | green | 0 | $6:$ | 14 | 79 | 1 | 9:10.2\% | 19.75 | : $5 \cdot 7.7$ | - $3 \cdot 449$ |
| 32 | - | 0 | 27 | * | $3{ }^{3}$ | 0 | 26.2 .5 | *.7.5 | - 0.75 | ! $2 \cdot 568$ |
| 55 | .. | 0 | 87 | 11 | 4N | 0 | 36.00 | 12.00 | +1.00 | 13.000 |
| 11 (b) | . | 0 | 7 | 3 | 10 | 0 | 750 | $2 \cdot 0$ | : 0.50 | 21.370 |
| 23 (a) | - | 0 | 3 | $\because$ | ¢ | 0 | $3 \cdot 75$ | $1 \cdot 25$ | : 0.7. | 10 0967 |
| 23 (b) | - | 0 | N | 1 | 9 | 1 | 6.7 .5 | 2.2.5 | : 1.2.) | 1-299 |
| 24 (b) | .. | 0 | $!$ | $\because$ | 11 | 0 | + $2 \cdot 25$ | $2 \cdot 75$ | : $07 \%$ | : 1.436 |
|  | Totala | 0 | 156 | 41 | 147 | 0 | 147.75 | $49 \cdot 25$ | ¢.25; | +607 |

The families of plants which segregate into those with red and those with dark-red Howers are found only among those which segregate intw green and yellow plants in $F_{:}$. 'The results are indicated in 'Table XV'.

## TABLE XV.

| r'edigree <br> Co. of <br> $r_{\text {: plants }}$ | Leaf. colour of $f$ f plants | Results |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Red | 1)ark.red | White | Totalx | cirangl total |
| 9 | 1 green <br> yellow | 23 | $\begin{array}{r} 13 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 36 \\ 7 \end{array}\right\}$ | 43 |
| 31 | i green <br> yellow | 48 19 | $\begin{array}{r} 32 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 80 \\ 19 \end{array}\right\}$ | 99 |
| 44 | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | 22 | $\begin{array}{r} 17 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 39 \\ 11 \end{array}\right\}$ | 50 |
| 14 (a) | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 4 \\ & 2 \end{aligned}$ | $\begin{aligned} & 2 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 6 \\ 2 \end{array}\right\}$ | 8 |
| 15 (a) | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | 6 | 5 | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{c} 11 \\ 5 \end{array}\right\}$ | 16 |
| 15 (b) | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | 2 1 | $\begin{aligned} & 9 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 11 \\ 1 \end{array}\right\}$ | 12 |
| 39 (b) | i green <br> yellow | 3 | $\begin{aligned} & 3 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l}6 \\ 1\end{array}\right\}$ | 7 |

In the above Table the total number of individuals with red and of those with dark-red flowers in green plants is 108 and 81, respectively, and although this ratioseems to be somewhat different from the expected 2:1, yet the deviation lies within the range of thrice the standard error, because the former is $\pm 11$ and the latter is $\pm 6 \cdot 4 \times 1$.

We had the two families of plants which segregated in the same way as in $F_{2}$, as shewn in Table XVI.

We have no yellow plants with white flowers in No. 11 (1), but this is no doubt due to the small number of experiments. In other families

we see that the ratio of individuals with coloured and white flowers is $3: 1$.

In the above Table, if we classify flower-colour of green plants into red and dark-red, we see that their ratio is $2: 1$, as was the case in $F_{2}$ (see Table VI). This is shewn in Table XVII.

TABLE XVII.

(d) $F_{4}$ Generation.

Seeds were obtained from $43 F_{3}$ plants. The results in $\boldsymbol{F}_{4}$ are shewn below.

## 1. Leaf-colour.

Only the families of plants which segregated into green and yellow plants are shewn in the following Table.

> TABLE XVIII.


In the above Table the deviation of the total momber $( - \pm 12.50)$ is somewhat larger than the standard error $(= \pm 9.817)$, but the difference between them is not very large. Furthermore, if we examine each family separately we seco that unly in No. it og is the deviation larger than the standard erwe but eren hew not lagger than twiee the latter. so that the results in this case are similar to these gathed in $r^{\prime}$, and $r^{\prime}$ (see Tables II and V'II).

## 2. "Mukurin."

Seeds were ubtained from $17 F_{3}$ plants with white-margined Howers and we had in $F_{4} \times$ familes of plants which breed true to the "hukurin" condition. The results from 9 families of plants which exhibited the segregation are shewn in Table XIX.

TABLE XIX.


From these results we see that they are in perfect agreement with those obtained in $F_{3}$ (see Table IX). As the number of plants with white-margined flowers was relatively smaller in pot- than in fieldculture, we find always some deficiency of plants with white-margined flowers under the expected number.

## 3. Flouer-colour.

The results are shewn in Table XX, (a)-(h).
The segregation shewn in (a) is similar to that occurring in $F_{2}$; that shewn in ( $b$ ) and in (c) is, respectively, similar to that shewn in Tables XV and XIV. The segregation shewn in (d) was not observed in $F_{3}^{\prime}$. The segregation shewn in $(e),(f),(g)$ and $(h)$ is similar to that in Table XI (a), Table XIII, Table XII, and Table XI ( $\beta$ ), wesectively.

TABLE XX.



We may now consider some points in connection with Table XX
(a) In green plants we have 34 plants with coloured and 17 with white flowers, and the ratio may be taken as $3: 1$, the deviation and the standard error being $\pm 4.250$ and $\pm 3.090$, respectively. Of the above 34 plants with coloured flowers 23 individuals have red and 11 darkred ones, thus their ratio is $2: 1$, the deviation and the standard error being $\pm 0.333$ and $\pm 2.450$, respectively.

In yellow plants we have 13 plants with red and 3 with white Howers, and the ratio may be taken as $3: 1$, the deviation and the standard error being $\pm 1.000$ and $\pm 1.732$, respectively.
(b) In green plants, except No. 44-6, we have 207 plants with red and 106 with dark-red flowers, thus their ratio is $2: 1$, the deviation and the standard error being $\pm 1.667$ and $\pm 8.340$, respectively. In No. 44-6 I could find, in spite of careful observations, no green plants with red flowers, but here some yellow plants with dark-red Howers made their appearance, which were never found otherwise. This peculiar case will be the subject of my future paper.
(c) We have 182 plants with dark-red and 57 with white Howers, thus their ratio is $3: 1$, the deviation and the standard error being $\pm 2.750$ and $\pm 6.694$, respectively.
(d) All breed true to dark-red flowers.
(e) All breed true to white flowers.
( $f$ ) We have 342 plants with red and 127 with white flowers, thus their ratio is $3: 1$, the deviation and the standard error being $\pm 9.750$ and $\pm 9 \cdot 377$, respectively.
(g) All breed true to red flowers.
(h) All breed true to white flowers.

As will be seen from above, there are some cases where the deviation is larger than the standard error, but these differences are not very large, and it may be safely concluded that the results of all these experiments are in accordance with expectation. Furthermore, from the results of $F_{3}$ and $F_{4}$ we may deduce the following facts:

1. No homozygous green plants with red flowers were found.
2. In the offspring derived from green plants with red flowers leafcolour always segregates into green and yellow, while the segregation of flower-colour is either exactly similar to that in $F_{2}$, or different from it, in so far as no white flowers are produced.

## (e) Back-crossing and $\boldsymbol{F}_{2}$.

In 1916 the back-crossing of one $F_{1}$ plant $(=A \times B)$ by both of the two parents was done.

The results of $F_{1} \times A$ are indicated in Table XXI.
TABLE XXI.

| Leaf-colour |  | Red | Dark-red | White | Totals |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Green | $\ldots$ | 33 | 0 | 48 | 81 |
| Yellow | $\ldots$ | 45 | 0 | 38 | 83 |
| Totals | $\ldots$ | 78 | 0 | 86 | 164 |

In this case the flower was either white or magenta as in $F_{1}$, and all coloured flowers were white-margined.

From the results in $F_{2}$ it may be a priori expected that the ratios of green and yellow plants, and that of red and white flowers, are 1:1 respectively. Indeed we have obtained 81 green and 83 yellow plants, thus our expectation was so perfectly fulfilled that no further comment is necessary. The ratio of plants with red and white flowers is equally $3: 1$, the deviation and the standard error being $\pm 4.000$ and $\pm 6.043$, respectively.

The results of back-cross $F_{1} \times B$ are shewn in Table XXII.
In this case we should expect, from the results of $F_{2}$ that leaf-colour would remain constantly green, that the ratio of plants with whitemargined and fully-coloured flowers would be 1:1, and finally that the

## TABIN: XXII.

|  | Med | - White mangined <br> 1 Fully coloured | $\begin{array}{ll} 2 i, & 1 \\ 21 & 1 \end{array}$ |
| :---: | :---: | :---: | :---: |
| (ireen |  | , White-margined | 10, |
|  | 1 Mathem | 1 Fully coloured | 281 |
|  | White |  | $1)$ |
| Vellow |  |  | 11 |

ratio of phants with red and dark red flowers would be alon 1: 1. Lat us now examine Table XXII to see whether or mot our expectation is fultilled. Firstly, all plants are green. Secombly, there are 3.5 phants with white-margined and 46 fully-coloured flowers, thus their ratio is $1: 1$, the deviation and the standard error being $\pm 5.500$ and $\pm 4500$, respectively. Again, there are 46 plants with red and 35 plants with dark-red flowers, the deviation and the standard error being equal to those of the latter case, respectively. Thus we see that in every case the deviation is larger than the standard error, but the differences between them are not large, so that it would not be unreasonable to consider that we see in both cases segregation in the ratio $1: 1$.

The $F_{1}$ plant used in the back crosses just above mentioned was self-fertilised: and the results of the examination of the $F_{2}$ generation thus obtained, consisting of 651 individuals in all, have fully confirmed those shewn in Table I.

## Discussion of Results.

It will be readily seen from all the experiments above mentioned that the hereditary behaviour of leaf-colour is in exact accordance with that obtained by Takezaki (p. 61).

The results on the "hukurin" are also the same, at least in some cases, as those reported by him, and in such cases the presence of a factor for producing the "hukurin" part has been duly proven.

If we simply classify plants into those which can produce anthocyanin on the corolla, at least partially, and those which cannot, their ratio in $F_{\mathbf{2}}, F_{3}$, etc., is 3:1. Now since, for the formation of anthocyanin, at least two factors are necessary, we may denote them by $\mathbf{C}$ and $R$, respectively. Then the dark-red colour is to be represented by CCRR. The white colour, as we may infer from the results of experiments, should have one of these factors; suppose the latter to be $\mathbf{C}$, then
the two parents and the $F_{1}$ hybrid are to be represented as follows, respectively :

$$
\begin{aligned}
\text { parent } A & =\text { CCrr } \\
" \quad B & =\text { CCRR }, \\
F_{1} & =\text { CCRr } .
\end{aligned}
$$

From these considerations it will be quite evident that the ratio of plants with coloured and white flowers is $3: 1$.

I will go now to the consideration of the interrelation existing between the hereditary behaviour of leaf-colour and dark-red flowercolour. Flowers of the latter colour never appear in yellow plants but exclusively in green ones. It was stated before that this constitutes no case of coupling or repulsion (p.65), and the results of experiments which are now to be described led me to the conclusion that in the presence of a certain factor $D$, the flower is either dark-red or of some other colour according as the green fuctor G is in either homo- or heterozygous condition (or altogether absent).

There are many instances in which the intensity of flower-colour varies according to the homo- or heterozygous condition of the factor concerned in pigmentation. Thus the flower-colour was found to be lighter in heterozygous than in homozygous individuals, for example in Atropa Belladonna ${ }^{1}$, Dutura Tatula $\times$ D. Stramonium ${ }^{2}$, Linum usitatissimum ${ }^{3}$, and Antirrhinum majus ${ }^{4}$. Although our case has not to deal with the intensity of flower-colour, I think that it has to be ranked among the same class of phenomena as those above cited. Similar examples are also found in respect to the pigmentation of other plant organs, as in Corchorus capsularis ${ }^{5}$, Egyptian cotton ${ }^{6}$, Indian cotton ${ }^{7}$, and Phaseolus vulgaris ${ }^{8}$. Saunders reported an interesting case of the connection between the factors for hoariness of leaves and flower-colour in Stocks ${ }^{9}$. Colour is due here to the presence of two factors $\mathbf{C}$ and $\mathbf{R}$ in the zygote. In certain strains of Stocks, the hoariness of the leaves has been found to depend also on the presence of two factors $\mathbf{H}$ and K. Between these two pairs of factors there is a certain relationship, viz.

[^35]that the hoariness due to $H$ and $K$ is only manifested when $C$ and $R$ are both present. Hence an albino (as regards anthocyanin) may contain both $H$ and $K$, and may yet be ghabrous because it cannot contan at the same time both C and R. An anthocyanin form, on the other hand, which is glabrous, carries of course $C$ and $R$, but can only contain either $\mathbf{H}$ or $K$, and not both; when it carries $\mathbf{C}$ and $R$, as well as $H$ and $K$, it is hoary and coloured.

The relationship existing between the factor for leaf-colour and that for flower-colour in our Convolmulus is very similar to the last mentioned case in Stocks. The fact that the dark-red colour appears exclusively in flowers of green plants will be explained in like manner as in the case of Stocks. If we denote for example the factor for green leaf-colour by $\mathbf{G}$ and that for dark-red Hower-colour by D, then the parents would be.

$$
\begin{aligned}
A & =\operatorname{ggdd} \\
B & =\text { GGDD }
\end{aligned}
$$

The $F_{1}$ hybrid is thus GgDd, so that it is heterozggous for the factor $G$. We will suppose that $D$ can produce red colour but not darkred, when $G$ is either heterozygous or absent in the zygote.

We should have in $\boldsymbol{F}_{2}$ the following plants:

|  | Colour |  |  |
| :---: | :---: | :---: | :---: |
| Plants | of leaf | of flower | No. of plants |
| GGDD | green | dark-red | 1 |
| GGDd | ,' | ,' | 2 |
| GGdd | , | white | 1 |
| GgDD | " | red | 2 |
| GgDd | ,' | , | 4 |
| Ggdd | , | white | 2 |
| ggDD | yellow | red | 1 |
| ggDd | ,, | , | 2 |
| ggdd | ,, | white | 1 |
|  |  | $\ldots$ | 16 |

The above zygotes may be arranged as follows:

$$
\text { Green leaf } \begin{array}{llll}
\text { Yellow leaf } & \begin{array}{lll}
\text { dark-red } & \text { llower } & 3 \\
\text { red } & , " & 6 \\
\text { white } & , & 3
\end{array} \\
\text { dark-red flower } & 0 \\
\text { red } & ,, & 3 \\
\text { white } & ,, & 1
\end{array}
$$

That the theoretical expectation just mentioned is well fulfilled, may be seen from Table II (p. 63), Table VI (p. 66), and Table V' (p. 65).

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The offspring derived from these $\boldsymbol{F}_{2}$ plants were studied in order to ascertain, whether the production of the $F_{2}$ plants with the above mentioned genotypic constitutions has been realised.

In the families containing plants which always produce white flowers, Table XI shews that a corresponds to the formula GGdd, $\beta$ to ggdd and $\gamma$ to Ggdd.

We could get no family corresponding to the formula GGDD in $\boldsymbol{F}_{\mathbf{s}}$, though we had some (cf. Table XIV) corresponding to the formula GGDd. It will be noticed here that notwithstanding the fact that there should be theoretically one GGDD and two GGDd in $\boldsymbol{F}_{2}$ we had seven GGDd and none of GGDD, but this may perhaps be merely a matter of chance and without special meaning.

The results in respect to the plants of other genotypic constitutions are as follows:

| Table XVI corresponds to GgDd. |  |  |  |
| :---: | :---: | :---: | :---: |
| " XV | $"$ | $"$ GgDD. |  |
| $"$ XII | $"$, | $"$ ggDD. |  |
| $"$ | XIII | $"$ | $"$ ggDd. |

Thus all results secured in $F_{3}$ progenies are fairly well in accordance with the theroetical expectation, except GGDD.

Furthermore, let us examine the results in $F_{4}$ to see whether or not our expectation is fulfilled. First of all, we have the families corresponding to GGDD in Table XX (d), and other families are similar to those in $F_{3}$. It will be noticed also here that we have had no single constant family containing green plants with red flowers till we have attained the $F_{4}$ generation, and moreover, according to our theoretical expectation it should appear neither in $\boldsymbol{F}_{2}$ nor $\boldsymbol{F}_{3}$. This fact alone suffices perhaps to confirm our hypothesis above mentioned that in the presence of the factor D, G will produce dark-red colour in its homozygous and red colour in its heterozygous condition.

Next I will pass on to the results of back-crossing. According to our theory the ratio of plants with dark-red and red flowers in $F_{1} \times B$ should be 1:1, and this was really the case, as will be seen in Table XXII. In $F_{1}^{\prime \prime} \times A$ there should be no plant with dark-red flowers, and this is really the fact, as will be seen in Table XXI. Thus again the results of back-crosses are in perfect accordance with our expectation.

Further, I have made various crosses between some of the $F_{3}$ individuals to each other, and also between them and either one of the
two original parents. The results of these experiments are shewn in the Table XXIII.

TABLE XXIII.

| Crueses attempted | Flower colour |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Iral evtur | Red | bark-rel | Whise | Totaln | dirand tutals |
| $(10-1) \times(16-9)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 50 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{c} 50 \\ 0 \end{array}\right\}$ | 50) |
| $(17-7) \cdot(17-13)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 0 \\ 64 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $61$ | 64 |
| $(22-3) \times(22-4)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 1 \times \\ & 27 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 3 \\ & 3 \end{aligned}$ | $\left.\begin{array}{l} 21 \\ 30 \end{array}\right\}$ | \$1 |
| $(22-3) \times(22-11)$ | $\left\{\begin{array}{l}\text { green } \\ \text { yellow }\end{array}\right.$ | 7 0 | 0 | $\begin{aligned} & 2 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 9 \\ 0 \end{array}\right\}$ | 9 |
| $(31-1) \times(31-5)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 29 \\ & 22 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 29 \\ 22 \end{array}\right\}$ | 51 |
| $(31-10) \times(31-9)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 24 \\ 0 \end{array}$ | $\begin{array}{r} 25 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{c} 49 \\ 0 \end{array}\right\}$ | 49 |
| $(44-2) \times(44-10)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 26 \\ & 44 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 26 \\ 44 \end{array}\right\}$ | 70 |
| $(55-15) \times(38-1)$ | $\left\{\begin{array}{l}\text { green } \\ \text { yellow }\end{array}\right.$ | $\begin{aligned} & 4 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 7 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 11 \\ 0 \end{array}\right\}$ | 11 |
| $(56-1) \times(38-1)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 0 \\ 27 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{array}{r} 0 \\ 21 \end{array}$ | $\left.\begin{array}{r} 0 \\ 48 \end{array}\right\}$ | 48 |
| $(59-10) \times(16-9)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 0 \\ 39 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 0 \\ 39 \end{array}\right\}$ | 39 |
| $d \times(9-4)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{array}{r} 10 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 10 \\ 0 \end{array}\right\}$ | 10 |
| $A \times(16-9)$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 0 \\ & 9 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{l} 0 \\ 9 \end{array}\right\}$ | 9 |
| $A \times(38-1)$ | ) green <br> ) yellow | 0 8 | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 6 \end{aligned}$ | $\left.\begin{array}{r} 0 \\ 14 \end{array}\right\}$ | 14 |
| $(32-5) \times 13$ | $\left\{\begin{array}{l} \text { green } \\ \text { yellow } \end{array}\right.$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{array}{r} 11 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\left.\begin{array}{r} 11 \\ 0 \end{array}\right\}$ | 11 |

From what was above described about the results of self-fertilisation of $F_{3}$ plants it is clear that the genotypic constitutions of $F_{3}$ plants and the relative number of various kinds of the offispring as the results of their crosses are as follows :

Let us see whether the results of these experiments and our expectation are in agreement with each other.
$(10-1) \times(16-9):$ All the hybrids have the genotypic constitution GgDd and should be green-red.
$(17-7) \times(17-1):$ All the hybrids have the genot! pic constitution ggDd and should be yellow-red.

# TABLE XXIV. 

| Crosses attempted | Genotypic constitutions of the parents | Genotypic constitutions of the offspring | Ratio |
| :---: | :---: | :---: | :---: |
| $(10-1) \times(16-9)$ | GGdd $\times$ ggDD | GgDd | 1 |
| $(17-7) \times(17-13)$ | ggdd $\times$ ggDD | ggDd | 1 |
| $(22-3) \times(22-4)$ | ggDd $\times$ GgDd | $\begin{aligned} & \text { GgDD, GgDd, Ggdd, ggDD, } \\ & \text { ggDd, ggdd } \end{aligned}$ | 1:2:1:1:2:1 |
| $(22-3) \times(22-11)$ | ggDd $\times$ GGDd | GgDD, GgDd, Ggdd | 1:2:1 |
| $(31-1) \times(31-5)$ | GgDD $\times$ ggDD | GgDD, ggDD | 1:1 |
| $(31-10) \times(31-9)$ | GgDD $\times$ GGDD | GGDD, GgDD | 1:1 |
| $(44-2) \times(44-10)$ | GgDD $\times$ ggDD | GgDD, ggD | 1:1 |
| $(55-15) \times(38-1)$ | GGdd $\times$ ggDd | GgDd, Ggdd | 1:1 |
| $(56-1) \times(38-1)$ | ggdd $\times$ ggDd | ggDd, ggdd | 1:1 |
| $(59-10) \times(16-9)$ | ggdd $\times$ ggDD | ggDd | 1 |
| $A \times(9-4)$ | ggdd $\times$ GGDD | GgDd | 1 |
| $A \times(16-9)$ | ggdd $\times$ ggDD | ggDd | 1 |
| $A \times(38-1)$ | ggdd $\times$ ggDd | ggDd, ggdd | 1:1 |
| $(32-1) \times B$ | GGdd $\times$ GGDD | GGDd | 1 |

$(22-3) \times(22-4):$ The genotypic constitution of these hybrids is very various, as will be seen in the above table. If we classify them according to leaf- and flower-colour there should be 3 green-red, 1 greenwhite, 3 yellow-red, and 1 yellow-white. Now according to this expectation the deviation and the standard error are $\pm 2.250$ and $\pm 1.985$, respectively, in green plants, and they are $\pm 4.500$ and $\pm 2 \cdot 371$, respectively, in yellow ones. Thus the results agree almost entirely with our expectation.
$(22-3) \times(22-11):$ The genotypic constitution is here also various, as seen in the above Table. The ratio of red and white should be $3: 1$, and the experimental result $7: 2$ shews that our expectation is almost perfectly fulfilled.
$(31-1) \times(31-5):$ As the hybrids have the constitution GgDD and ggDD, the ratio of green-red and yellow-red should be $1: 1$, and the plants really obtained are 27 and 22 : thus here also our expectation has been fairly well fulfilled.
$(31-10) \times(31-9):$ As the hybrids have the constitution GGDD and GgDD, all plants should be green and the ratio of red and dark-red $1: 1$, and we have had 25 red and 24 dark-red, the results being thus fairly well in accordance with our expectation.
$(44-2) \times(44-10):$ The hybrids have the constitution GgDD and ggDD, so that green-red and yellow-red should be in the ratio $1: 1$. As, however, the plants of these two kinds are 26 and 44, respectively, their ratio seems to fit somewhat badly with the expectation, but the deviation
and the standard error being $\pm 9.000$ and $\pm+1833$, respectively, the results may be said to be in aceordanee with the expectation.
(55-15) $\times(38-1)$ : As the hybrids have the constilution GgDd and Ggdd, there should be I green-red and I green-white, and we have 4 green-red and 7 green-white in reality. Though the compirical numbers are very small, the deviation and the standard error are $\pm 1$ 500 and $\pm 1.658$, respectively, and our expectation is filfilled.
( $56-1) \times(38-1):$ As the hybrids have the constitution ggDd and ggdd all plants should be yellow, and the ration of red and white 1: 1, in fact we have 27 yellow-red and 21 yellow-white.
$(59-10) \times(16-9)$ : The hybrids have always the constitution ggDd, and we have 39 yellow-red.
$A \times(16-4):$ The hybrids have the constitution GgDd, and we have 10 green-red.
$A \times(16-9)$ : The hybrids have the constitution ggDd, and we have 9 yellow-red.
$A \times(38-1):$ As the hybrids have the constitution ggDd and ggdd, all plants should be yellow and the ratio of red and white $1: 1$, indeerl we have 6 yellow-red and 8 yellow-white.
$(32-1) \times B:$ All hybrids have the constitution GGDd, and we: have obtained 11 green-dark-red.

When we examine all the above results we find some cases which seem to fit badly with our theoretical expectation, though all these liewithin the range allowed by the theory, and such cases are no doubt due to the small number of individuals included in each family. It may be noticed moreover that, on the one hand, all kinds of plants which are theoretically expected to occur in any family were found there to appear; and on the other, in no single family plants of such kinds which should not occur there according to our theoretical expectation were ever found to appear.

## Scmmary.

1. The green colour of leaves is dominant to yellow, and the segregation in $F_{2}$ takes place according to the 3:1 ratio.
2. The factor producing the "hukurin" is present in the parent with white flowers. This condition is dominant to full colour and in $F_{\text {a }}$ the segregation occurs according to the $3: 1$ ratio.
3. The results mentioned in 1 and 2 agree with those obtained by Takezaki.
4. If we denote the one parent by GGDD and the other by ggdd, there exists the interrelation between the factors $G$ and $D$, inasmuch as in the presence of $D$ the production of the dark-red flower-colour takes place when $G$ is present in homozygous condition, and that of the red (magenta or scarlet) colour, when $G$ is present in heterozygous condition or altogether absent. The hybrids $\boldsymbol{F}_{1}(=\mathrm{GgDd})$ will thus bear always flowers of red (= magenta) colour.

## EXPLANATION OF PLATE II.

Fig. 1. A dark-red flower from the one parent.
Fig. 2. A white flower from the other.
Fig. 3. A magenta flower with "hukurin" from the $F_{1}$ plant.
Fig. 4. A scarlet flower from a $F_{2}$ plant.
Fig. 5. Leaf and a portion of stem from a green plant.
Fig. 6. Leaf and a portion of stem from a yellow plant.
All figures are from water-colour drawings by Mr N. Midusima.



#  RESISTANT TO MHIDEW (SPMAER(OTHEC HU.IULI (I)(\%) BERR.) : II. 

By E. 内. ハALMON,<br>Mycologist, S.E. Agricultural C'ollege. W'ye, Kent, Einghend.

In a previous article' attention was called to the fact that certain forms of the $\mathrm{Hop}_{\mathrm{op}}$ ( Humulus Lupulus L. ) are resistant to the attacks of the Hop-mildew (sphuerothecu Humuli(DC.) Burr.). 'These "immune" plants fall into two groups, ( (1) certain individual seedlings of the wild hop raised from seed obtained from Vittorio, Italy; (b) the female variety with yellow leaves known as the "golden hop." The present article describes further experiments carried out during 1917 with these and other plants.

Group (a). Of this group 2 seedlings were discovered in 1914, and 7 seedlings in 1916. As already mentioned, the two 1914 seedlings were planted out during the winter 1914-15 in the Experimental Hop)garden at Wye College; the next season one plant (Ref. No. (OR 38) proved to be female, the other (Ref. No. OR 39) male. These two plants were sufficiently established by the winter of 1916 to enabl. "cuts" to be taken from them; 5 were potted up from $O R 38$ and 2 from OR39. These potted plants were the ones used in the following experiments (Expers. 1 to 5):

Exper. 1. A potted "cut" of OR 39 and a similar potted "cut" of another seedling (Ref. No. $Z 54$ ) of the wild hop from Italy were treated as follows: a fully-expanded leaf at the 3rd node from the base of the shoot (which had 7 pairs of leaves) was sprayed with water, using an "atomiser," until numerous small drops had collected on the leaf's upper surface; conidia were then placed on these drops at three similar places on each leaf. The conidia were taken from various "powdery" patches of the mildew occurring on different susceptible hop-plants standing in the greenhouse

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where the experiment was carried out. In the case of this and of all the experiments described below in order to make the inoculation material as uniform as possible for all the plants in each experiment, the conidia taken from each "powdery" patch were distributed equally as far as possible on all the plants in the process of inoculation. The drops of water were found to have evaporated in a few hours' time.

By the 31st day after inoculation the leaf of $Z 54$ was infected at the three inoculated places, where clusters of conidiophores occurred. Nine days later these patches had become "powdery" with conidia, and patches of mildew were also present on four other leaves and at four places on the stem. No trace of any infection resulted on OR 39. The two plants stood side by side, and thus exposed to the same chances of inoculation from surrounding mildew-covered plants. In this experiment the unusually prolonged "incubation" period of the mildew was doubtless due to the very abnormal weather conditions of the period (March, 1917) when rapid changes of temperature occurred. Under these conditions the shoots of both plants made scarcely any growth, and the leaves showed a slight injury round their margins which turned brown. Under these adverse conditions of growth the immunity of OR 39 remained unchanged.

Eaper. 2. One leaf of a potted "cut" of OR 38, and one leaf of a similar potted "cut" of another seedling (Ref. No. Z 39) of the wild hop from Italy were inoculated as in Exper. 1. By the 31st day the leaf of Z 39 bore small patches of mildew with woak clusters of conidiophores at the three inoculated places; the leaf of OR 38 bore similar patches of mildew at two of the three inoculated places. Nine days later the inoculated leaf of $Z 39$ still bore weak sub-powdery patches at the three places, but the leaf was now beginning to die; on the leaf of $O R 38$ the weak clusters of conidiophores-scarcely more than "sub-infection"were still visible at the two places. At the end of the Experiment58 days from the inoculation-the inoculated leaf of $Z 39$ had withered up, and all the leaves of the original shoot (which had scarcely elongated under the abnormal weather conditions noted in Eaper. 1) were brown at their edges; a new basal shoot bore leaves with numerous patches of mildew on them. With regard to OR 38, the original shoot, which had remained checked in growth for some time, had now elongated and was two feet long; there was no trace of any mildow on the inoculated leaf, nor elsewhere on the numerous leaves, although all the leaves were now exposed to frequent inoculations from adjacent mildew-covered plants.

It is char that the sumeptibility shown here by 9 If 38 was strictly local or temporary. Varions hypotheses may be mbanced to acoomst for it: (1) that the conditions of growth temperarily imblueerl sembe amount of susceptibility: (2) that ino endations where a grat mumber of conidia are uad may canse at the phace of incoulation atrictly local infection,-as in the cases recorded of "sub-infection'": (3) that the plant OR:3s is gradually being changed in its "constitution" as the result of cultivation in manured gromed: (t) that the comidia used in this Experiment had exceptional pewers of infection (which weakened as the midew grew on the plant, so that the conidia produeed there were unable to infect the phant further). The subject is disenssed further at page 86.

Erper. 3: Two shoots (of eqnal length and vigour) of two proted "cuts" of $0 R: 38$ and $Z 39$ were chosen, and on vach shoot I laaf (at the Brd nende from the apex) was incoulated at theer placess. The leaf in each case was just expanded. By the 19th day the inoculated leaf of Z 39 bore small, donsely powdery patches at all the inoculated places, and 4 other leaves on the shoot bore each a powdery patch. Noinfection resulted on any leaf of $0 R: 3 x$.

Exper. 4. Two shoots (of equal length and vigour) of a potted "cut" of $0 R 3 \times$ and of a seedling plant of the wild hop from Italy -of unknown susceptibility - were chosen, and on each shoot two leaves (at the 3 rd node from the apex) were inoculated at three places. ()n the 12th day the scedling plant was fully infected at all the six places; there were also, by this date, numerous powdery patches on seven other leaves. No infection whatever had occurred on () $R: 38$. The same results were recorded on the 21 st day.

Exper. 5. The plants used were potted "cuts" of OR 38 , the var. neo-mexicanus (Ref. No. A A 9) and a certain seerlling (Rof. No. ()('32) : one leaf (at the 3rd node from the apex) of a vigorous shoot, one foot long, of each plant was inoculated at three places. Each leaf was copiously inoculated with conidia taken from the same sources. ()n the 7 th day the plants $A \quad 4$ and 0 o: 32 were infected at the three inocolated places on their leaves, where numerous, densely powdery patehes occurred: other leaves on both the plants also bore patehes of mildew. No trace of infection had resulted on $1 / 238$, either on the inoculated

[^37]leaf or elsewhere. On the 16 th $^{\text {day }}{ }^{1}$, however, a leaf (at the 5 th node from the apex) of the shoot of $O R 38$ bore on its upper surface one tiny, powdery patch of mildew ; the inoculated leaf as well as all the other leaves (at the 11 nodes of the stem) of the plant were at this date and subsequently quite free from mildew. There were no signs in this plant of any weakness or abnormal growth, and a close examination of the one leaf bearing the patch of mildew failed to show any difference in its colour or any injury to the epidermal cells which might account for this strictly local susceptibility. The patch of mildew measured $2 \mathrm{~mm} . \times 1 \mathrm{~mm}$., and was powdery with conidia. These conidia were removed with a sterilised scalpel, and placed in a film of water on a leaf (at the 2nd node from the apex) of the same shoot of $O R 38$. The other leaf at the same node was similarly inoculated with conidia taken from patches of mildew on another normally-susceptible hop-plant. In neither case did any infection result ${ }^{2}$. The little patch on the leaf of $O R 38$ noted above did not increase in size, although it produced a fresh crop of conidiophores, so that 14 days later it was again powdery. The patch then soon began to die away, and 6 days later was dead. After the disappearance of the mycelium, a minute patch of brown, dead epidermal cells became visible, such as is often found at the centre of a flourishing patch of mildew. This plant of $O R 38$ grew vigorously throughout the remainder of the season, but although continuously exposed to inoculation by conidia from upwards of a hundred mildewcovered plants surrounding it, no trace of any further infection resulted.

Here, again, as in Exper. 2 (noted above) there was certainly no general breaking down of the immunity of the plant, but only a strictly local susceptibility. Of the hypotheses advanced above (p. 85) to account for this phenomenon, (2) would appear to be ruled out.

If we summarise the results of the above experiments, we find that the 1 inoculated leaf of $O R 39$ resisted infection; of the 5 inoculated leaves of $O R 38,4$ resisted infection and 1 became feebly infected, while a very small, strictly localised patch of mildew appeared from some unknown source on one uninoculated leaf. Of the 5 leaves inoculated of three other seedlings of the wild hop from Italy all became fully infected, and in the case of each of these seedlings most of the leaves

[^38]not inoculated berame subsequently infected. The same was also the case with one plant of the var. neo-me.riconus, and with one "hybrid" seedling (Ref. No. (oC:32). It is clear that during the experiments there was no general breaking down of the "immonity" of the two seedlings ( $R$ R 38 and $0 R 399$, but in the case of $0 R 38$, only a strictly local or temporary suse ptibility due to unknown causes. This is confirmed by the general behaviour subseguently of these plants in the greenhonse during the season. Besides the one plant of 1 OR 39 and the four plants of OR 38 used in the abowe-mentioned Experiments, an additional potted "cut" of each seedling was present in the greenhouse. These seven plants made during the season a strong, "healthy" growth, each producing several stems, 4 to 6 feet high, with large leaves of a darkgreen colour. Although the conditions were ideal for the growth and dissemination of the mildew-as was evidenced by the fact that it was only necessary to stand a healthy (susceptible) seedling hop-plant in the greenhouse among the midewed plants to find it in a few weeks' time more or less smothered with mildew-these seven plants placed under the same conditions for several months showed no trace of infection beyond that temporarily induced in Expers. 2 and 5.

The behaviour of the original plants OR 38 and OR 39 may now be noted. These two seedlings proved immune in the greenhouse during the season 1914 ; during the winter 1914-15 they were planted out in the Experimental Hop-garden at Wye College. In 1916 they flowered, one ( $O R 38$ ) proving to be female, and the other, male. During the summer of 1916 both plants kept free from mildew ${ }^{1}$, although it occurred on all adjacent plants ; by October 3rd, however, mildew was observed on both plants. On this date $O R 38$ showed patches of mildew on several of the leaves and on one hop of a late shoot; while $O R 39$ showed mildew on one leaf each of two late lateral shoots. In 1917 both plants remained free from mildew ${ }^{1}$ until the autumn. In October, however, OR 38 showed a fair amount of mildew (with perithecia) on its hops, chiefly on the peduncles but also on the bracts and bracteoles; OR39 showed one small patch of mildew on the under-surface of one leaf of a lately-developed lateral shoot.

It is clear, therefore, that both $O R 38$ and $O R 39$ when grown in a manured hop-garden produce late in the growing season leaves which are more or less susceptible to mildew, and that $O R: 38$ under these conditions produces "hops" (strobiles) which are decidedly susceptible

[^39]to mildew. Whether the resistance to mildew as shown in 1914 by the original seedling plants of $O R 38$ and $O R 39$, and in 1917 by the "cuts" taken from them, will be found to disappear after the plants have been grown for some time in manured ground remains to be seen. It is intended to carry out inoculation experiments with "cuts" taken in successive years.

We will consider now the behaviour in 1917 of the seven seedlings of the wild hop from Italy which showed immunity in 1916.

Exper. 6. One of the above seedlings (plant $a$ ) and another seedling of unknown susceptibility (plant $b$ ) of the same parentage and age were inoculated. Each plant was inoculated at three places on 2 leaves (at the 2 nd and 3 rd node from the apex), the shoot of each plant being of the same length and apparent vigour. By the 18th day plant $b$ was infected on one leaf at the three places, where there were large patches of densely clustered conidiophores. By the 27th day the other leaf of plant $b$ showed patches of mildew at two of the three places of inoculation. The plant $a$ showed no trace of infection.

For the remainder of the growing season this immune seedling $a$ together with the six other immune seedlings of 1916 stood in the greenhouse among some hundreds of virulently infected hop-plants, under conditions which ensured a continual inoculation of their leaves and stems with conidia. None of these plants showed a trace of mildew. For two consecutive years, then, these seven seedlings of the wild hop from Italy have proved persistently immune under conditions in which other seedlings of the same parentage and age have proved very susceptible. Three of these seven immune seedlings have now been planted out in the hop-garden.

Group (b). Complete immunity to mildew was shown in 1916 by a form of H. Lupulus with yellow leaves obtained under the name of "golden hop" from Messrs Bide and Sons, Nurserymen, Farnham. This plant was further tested in 1917 in the following experiments.

Exper. 7. Two leaves (at the 4th node from the apex) on a plant of the "golden hop" obtained in 1916 from Messrs Bide, and on a two-year-old seedling hop of unknown susceptibility, were inoculated at three places on each leaf. By the 10th day the latter plant bore large densely powdery patches of mildew at the six places of inoculation. No trace of infection was visible at this date, or subsequently, on the "golden hop." This plant, together with three other potted "cuts" of the "golden hop" from the same source, stood in the greenhouse con-
tinuously exposed to infection throughout the season; all the plants remained persistently immune, just as in 1916 .

Trial was now made of a yellow-leaved female variety purchased from Messrs Bunyard, Madstone, in 1912. 'The plants used were "cuts" taken from established plants in the hop-garden and put into peots in the winter of $1916-17$.

Exper. 8. The two plants used were both potted "cuts," one (Ref. No. Z:39) was a seedling of the wild hop from Italy, and the other (Ref. No. 341) was the yellow-leaved variety obtained from Messis Bunyard. On both plants 1 leaf (at the 2nd node from the apex) on shoots of equal length was inoculated at two places with conidia from the same source. Owing to the abnormal weather conditions (see above, p. 84) it was not until the 24 th day that any infection was visible on Z39, and then only a few weak conidiophores occurred at one of the places of inoculation; by the 33rd day weak, clustered conidiophores were visible at the two places on the leaf (which was now brown at the edges), and small, vigorous powdery patches occurred on three other leaves and at one place on the stem. No trace of infection resulted on 341, although this plant stood by the side of $Z 39$ throughout the growing season. It was clear that the abnormal weather conditions had no effect upon the immunity of this yellow-leaved plant.

Exper. 9. Two "cuts" in pots of Z 39 and 341, with shoots of six nodes and of equal length, were used in this experiment. The two shoots were first "atomised" with water and then inoculated by shaking over them a virulently infected hop-plant, from which the conidia fell in clouds, -with the result that most of the leaves on both shoots became visibly whitened with the mass of conidia. By the 11th day 6 leaves of $Z 39$ were heavily infected, many of the patches of mildew already bearing clustered conidiophores. By the 15 th day 7 leaves and parts of the stem were smothered over with powdery patches. No trace of infection occurred on 341 , which stood by the side of $\boldsymbol{Z} 39$ throughout the season.

Exper. 10. Shoots of Z 39 and of 341 of equal length and vigour were selected, and 2 leaves on each shoot-one partly unfolded leaf at the 2 nd node from the apex and one just expanded leaf at the 3rd node —were inoculated at three places on each leaf. By the 13 th day the 2 leaves of $Z 39$ were infected at all six places; by the 20th day the 2 inoculated leaves bore densely powdery patches, and 3 other leaves were also mildewed. By the 30 th day 14 leaves of $Z 39$ were mildewed.

No trace of infection occurred on 341, which stood by the side of $\boldsymbol{Z} 39$ throughout the season.

Six plants of this "golden hop" (341) from Messrs Bunyard stood exposed to infection in the greenhouse throughout the growing season ; all remained persistently immune ${ }^{1}$.

The "golden" leaved plants (mentioned above) obtained from Messrs Bide and Bunyard are both female, and agree in the characters of the shape of the leaf and its coloration. A comparison of mature plants to establish the identity of the two has not yet been possible.

In 1917, as in all previous seasons, the 9 plants ("hills") of the "Golden Hop" planted in the hop-garden showed no trace of mildew on leaves or hops throughout the growing season.

A male variety possessing "golden" leaves also exists. In 1910 some plants were sent to me by Messrs Bunyard under the impression that they were the female plant. These were used in the following experiments.

Exper. 11. A young leaf (half expanded) on a shoot $2 \frac{1}{2}$ feet long of a "cut" in a pot was inoculated with conidia from the same source, the three following plants being used: (1) a seedling (Ref. No. OC 32) of the cultivated variety "Bramling"; (2) the Russian variety "Shpaltski"; (3) the $\delta$ variety with yellow leaves. By the 7 th day the leaf on all the plants was equally and virulently infected; the leaf (now fully expanded) being covered over almost continuously with densely clustered conidiophores.

Exper. 12. Young leaves (partly expanded) on shoots of equal length of the Russian variety "Zemshevi" and the $\delta^{7}$ variety with yellow leaves were inoculated. By the 7th day the yellow-leaved plant showed infection at the three places of inoculation; the "Zemshevi" variety was also similarly infected.

Three other "cuts" in pots of the $\delta^{7}$ variety with yellow leaves were placed in the greenhouse and exposed to inoculation by placing virulently infected plants around them. They all became infected. It is clear that this $\delta^{\delta}$ plant with yellow leaves is susceptible to a normal degree to S. Humuli.

[^40]The facts as regards the origin and correct mame of these yellowleaved or "golden" forms are hard to discover, owing partly to the impossibility of correspondence with (iormany. A certain amomen of information is being collected, which it is hoped to publish later.

## C'mmary.

1. Individual seedlings of the widd hop ( $H$ (Imulus Lupulus $\mathrm{I}_{\text {s }}$. when grown in a greenhouse may be immune as regards leaf and stem to the attacks of the mildow sphuerotheco Mumuli (I)( .) Burr. This immmity has been shown by the same seedlings throughout the growing season for two consecutive years.
2. Such immune seedlings when planted out in the hop-garden may show susceptibility late in the growing season as regards the leaf and "hop" (strobile).
3. An immune plant in the greenhouse may show strictly local susceptibility without the general immunity being lost. (Expers 2 and 5.)
4. A yellow-leaved female variety of $H$. Lıpulus is immune to ぶ. Humuli.
5. A yellow-leaved male variety of $H$. Lupulus is susceptible to S. Humuli.

# stcolen IN VARIEGATION．I． 

ぶ W．BATENON，M．A．，ト．R．心．

## （With Plates III and IN：and One Text－figure．）

Thes phenomena of variegation due to absence or deficiency of chlorophyll have for some time been a special object of study at the John Innes Horticultural Institution．The interest of the subject lies in the circumstance that in variegated plants an opportunity is given of witnessing somatic distribution of a character，deficiency of chlorophyll． already known to be in many plants a Mendelian recessive．It is true that up to the present time no direct experimental evidence exists sufti－ cient to prove that the characters，presence and absence of chlorophyll， heterozygously combined together in fertilisation，can actually lead to the production of a variegated zygote；but from the general course of the phenomena of mosaicism，presenting not very rarely two allelomorphic differences in juxtaposition in the same plant，we may assume without much reservation that this interpretation is admissible．Baur ${ }^{1}$ ，indeed， speaking of a blue Veronica bearing a white－flowered branch，observed by de Vries，is disposed to refer such cases to original mutation by loss，rather than to somatic segregation of characters in heterozygous combination．Evidently there is at present no means of positively distinguishing the two possibilities，but I incline to regard somatic or vegetative segregation as on the whole the more acceptable account． If this hypothesis be the true one，we have in variegation a visible model or plan of segregation by which the properties of the germ－cells are certainly determined in many instances，and we may at least enter－ tain the possibility that in plants segregation in properties mot thus producing visible somatic effects may also be similarly determined． The series of examples which will be described in the present and succeeding papers illustrate miscellaneous features in this special kind of segregation．Apart from any question of wider application the phenomena are，I think，of ebrious genetic importance．

[^41]
## Part I. Reversal in Periclinal Chimaeras.

Variegated plants having a white subepidermal layer extending over a green core, however fertilised, give exclusively white or albino offspring, which of course die after a short existence. Conversely those having a green skin over a white core give green offspring only. The significance of this observation was first emphasized by Baur. We have seen numerous examples of such behaviour in the course of our work, of which a list will eventually be given.

The general appearance of these chimaeras, as Winkler and Baur have called them, is familiar. It is noticeable that in some of them the thickness of the "skin," whether white or green, may remain with great constancy the same over very large areas of leaf-surfaces. In whiteskinned forms which are thus regular (e.g. Holly and Box) the deficiency of chlorophyll affects chiefly the subepidermal layer. In other plants (e.g. Nicotiana colossea var. variegata) there is continual irregularity, some leaves having only the subepidermal layer white, while in others the underlying layers are similarly affected to varying depths. In most white-skinned plants the edges of the leaves are solid white throughout their whole thickness, so that each leaf has the white marginal band characteristic of "varietates albo-marginatae" as they are styled in horticulture. The width of these white edges is sometimes fairly constant, but generally varies considerably.

The condition in which the core is white and the skin green is far less common, and hitherto we have seen none in which the green layer is uniformly one cell thick. Generally the edges are for a considerable breadth solid green, the thickness of the green layer diminishing towards the centre of the leaves where the white core shows through, being sometimes entirely exposed (as in Coprosma). Irregular bands of solid green are often prolonged from the margin into the middle of such leaves. Several of the green-skinned chimaeras have the peculiarity that their stems are destitute of chlorophyll or nearly so. For example, in the green-skinned form of Coprosma, of Vinca major, and of one of the Pelargoniums the stems are almost white. In the green-skinned ivy-leaved Pelargonium also chlorophyll is almost entirely absent from the stem, but, owing to a great development of red anthocyanin in the cortex, the stems are a full pink, whereas in the white-skinned form of the same plant the anthocyanin is confined to a thin layer of the cortex in the stem. In connexion with this type of variegation mention should be made of another, somewhat analogous, in which the absence
of chlorophyll is carried a stage further. In this, not only is the stom white, but the petioles and the centres of the leaves and stipules are also throughout their thickness destitute of chlotophyll. Of this condition I know only two perfect. "xamples, a Hydran!rate and the Pelargonium "Freak of Nature" mased by Masere ('ambell. Idetaile . 1 these plants will be given in a subseguent paper.

The occurrence to which I wish now to call attention is : smatale change such that a sport arises in which the relation powitions of the green and white parts are reversed. This phemomenon of complep. reversal has now cecurred in five distinct plants, Linomymms jupenions Latifolius, Coprosma Baneri, and three Pelargoninms, viz an ivy-leaved variety, and two of the zonal class, Mme Solleroi and Caroline Sehmidt. In none of the examples is any evidence fortheoming as to the canser of the change, nor can any suggestion be offered as to the nature of the disturbance provoking it.

Enonymus japonicus latifolius var. variegata.
On the occasion of a visit to Messrs May's nurseries the reversed specimen was noticed among a large batch of well-grown plants of this horticultural variety. The shoot of the green-skinned form ${ }^{1}$ was a strong branch arising in a sharply marked area of the stem, well above the level at which the cutting had been divided from the original plant. The growing point of the main stem must, at the point from which the sport arose, have formed simultancously a white-skinned and a green-skinned segment, and in this latter area a bud had arisen which developed into the green-skinned branch. Neither among the many plants seen at Messrs May's nor among numerous specimens of the variety since examined in various gardens, including several very large plants many feet high, has any similar piece been met with. But wholly white and wholly green areas are formed not uncommonly on the white-skinned variety. If in such an area a bud is included, it gives rise of course to a branch wholly white or wholly green as the case may be. In Fig. 3 a leaf having such a wholly green area is shown. The green-skinned form, on the contrary, though a considerable quantity of it has now been grown, has not profluced any substantial variation. In it, as in the white-skinned form, the number of celllayers forming the "skin" is sometimes greater and sometimes less, but no white areas or white-skinned parts have appeared. The stem in this case is green.

[^42]The white-skinned form alone has flowered under observation. It failed to set with its own pollen.

The text-figures show in section through the leaves distribution of chlorophyll in the leaves of the two forms.


Green skin. White core.


White skin. Green core.

Euonymus japonicus latifolius var. variegata.

## Coprosma Baueri.

The white-skinned var. variegata of this New Zealand plant is well known. In 1877 J. Barbier figured in Rev. Hort. Belg. 1iI. p. 32 the reversed or green-skinned form which had been lately brought out by Messrs B. S. Williams. To it he gave the name C. Stocki. It is also sometimes called var. picturata. A few years ago Sir William Lawrence presented to this Institution a cutting of this identical variety which had arisen at Burford as a sport from the ordinary variegata. The two forms are shown in Figs. 6 and 7. The distribution of the green in the green-skinned form is approximately the converse of the distribution of the white in variegata. Its stems however are white. The greenskinned plant has, with us, produced some wholly green shoots.

## Pelargoniums.

In Pelargonium Mme Solleroi (Fig. 10)the reveral hasoredured on our plants several times. Once a whole branch of groen-skimbell leatos was formed, for the most part as in Figg. 12, but amongst them a leat apparail having the whole of one side green as shown in Fig. It. ()n anm her plant of Mme Solleroi a sheot appeared bearing many leawe which were wholly white, but the leaf standing lowest on the shoot, vi\% the first leaf from the stem, had the structure shown in Fig. 13, half being white and the other half green over white. In individual leaves patches of rewersal have been formed as in Fig. 11. Such green-skinned patches include, I believe, always some part of the leaf-margin, and on their intornal boundary they are delimited from the white-over-green parts by a whit. band indicating that in the area in which the two kinds of arrangement abut on each other, the deficiency of chlorophyll extends below the sul)epidermal layer (compare Fig. 16).

It is a peculiarity of Mme Solleroi that, so far as I have observed, no flowers are formed on the white-skinned parts, but the green-skinned branch produced a truss of pink flowers. These flowers however were ill-formed ${ }^{1}$ and destitute of pollen. The pistils were, I believe, als, deformed, but by inadvertence no note of their condition was made.

On a large pink-flowered ivy-leaved Pelargonium reversal has also occurred sporadically. Most often the reversal is confined to a part of a leaf, usually the whole of one side (as in Fig. 9), but more than one whole branch of the reversed kind has independently appeared. Flowers on the white-skinned parts are fertile, producing (as such plants habitually do) long white carpels in the fertilised fruits, but the green-skinned form has not yet flowered.

The white-skinned Pelargonium Caroline Schmidt very often produces wholly green sports. We have here had also several individual leaves on this variety as shown in Fig. 16, composed of a mosaic of the typical and reversed kinds, but hitherto no reversed shoot.

The phenomenon of reversal is evidently rare and exceptional. No example other than those enumerated has yet been seen anong the many white-skinned plants grown here or examined elsewhere. Wi.
${ }^{1}$ Note. The variegated Pelargonium "Freak of Nature" mentioned above (stem and centres of foliar organs white; edges of foliar organs green) bears deformed flowers having both male and female organs aborted. But sports occur some wholly green, others wholly white, and the flowers on both these are perfect, ripening seed on self-fertilisation, and producing seedlings respectively wholly green or wholly white. This plant has had one small green-skinned branch which has not yet flowered.
have, for instance, several hundred yards of Euonymus radicans, var. variegata used as an edging-plant. Wholly green shoots are common on this plant, and wholly white shoots not rare, but no reversal has yet been seen. Among many hedges of white-skinned holly also no reversal was found.

Cases superficially mistakable for reversals are not uncommon in various plants. For example, in the white-skinned Pelargonium used by Baur in his observations (of which he kindly gave me a cutting some years ago) leaves like that shown in Fig. 15 occasionally appear. At first sight the condition recalls that of Figs. 11 and 16, but on closer examination this is seen to be due in reality to the formation of small solid green areas associated with irregularity in the number of layers devoid of chlorophyll. In this variety, as in many white-skinned forms the appearance of wholly green areas is not very rare.

Obviously the occurrence of reversal, and of areas wholly green or wholly white, are consequences of some instability arising in the growing point, but there is nothing to indicate the cause of such instabilities. The formation of wholly green areas in white-skinned plants may no doubt be described as a bursting out of the green core, and might be attributed to some greater vigour of the green parts, but these expressions are merely descriptive. Injury may be suggested as a probable cause. White shoots do indeed arise with special frequency round old scars on the boles of white-skinned hollies, but green shoots, which might be expected to burst through are extremely rare, if they occur at all in such places. The suggestion of injury is plainly inapplicable to such cases as the Pelargoniums described in this paper.

It would be interesting to ascertain whether the green-skinned forms ever change back again, and the absence of any example of this transformation may be worth noting.

As mentioned in introducing the subject, the consequence of somatic reversal is that the genetic properties of the plant are completely changed. Naturally this fact leads to a surmise similar to that suggested by the behaviour of root-cuttings ${ }^{1}$. In the variegated chimaeras we can visually distinguish the properties of the cortex, but is it not probable that similar genetic distinctions may exist which are not thus visible? May not the phenomenon of reversal exist in regard to them also, bringing into the cortex, and so into the germ-cycle, properties previously contained only in the deeper layers ?

[^43]

Froret


Fig. 8.


Fig. 9.


Fix.11.


11F. 12.


Fig. 1:3.


Fig. 15

## EXPLANATION OF PLATES III AND IV.


 rospertively.

Fig. 2. Reversad form of the same, having apmentin oner a white core

 the doral surfaces. 1
 neve the midrib on one side.

Fig. 7. The same ; were skimned form.
Fis. s. In leaved Pelargonium showing the mixture of the two kink of ehmm, wat
Fig. 4. Leaf of the same: "ne side white-skinned the whet -ide fon the wost pant preen-skinmed.
Fig. 10. Malame Solleroi, zonal Pelargonium: the white-skinned form. (The veins in this figure are too wide. They are correctly represented in the other figmes.)

Fig. 11. The same with reversed areas at apex of leaf.
Fig. 12. The same: green-skinned leaf.
Fig. 13. The same: leaf all white on one side, green-skimned over most of the other side.
Fig. 14. The same: leaf half green and half green-skinned.
Fig. 15. Baur's white-skimned zonal : leaf showing irregularities in the number of layers deficient in chlorophyll.

Fig. 16. Zonal Caroline Schmidt : leaf with two separate areas of reversal.
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(W゙ith On. Ti.xt-figura)
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The cowpea is a bery sutable plant as a subject for oremetic imbaligation in the Tropics. It is easy of culture, wecupies little spares and usually proxuces enough seed per phant for a progeny row of a humben wr more plants. It comes to maturity in from two to thren months, and as it can be sown almost at any time of year it in by means ditticult to study three generations of a crose ammally. The insestigations described in this paper deal with the inheritanee of facents concerned in the proluction of the following characters:
I. The colour if the flower.
II. The pattern of the seed coat.
III. The coldore of the pattern of the seed eratt.

## I. Flower Colour.

There are three principal types of flower colour in the cowpea. These may be described briefly as follows:

Dark. Possessing much anthocyanin coloration, producing a flower the prevailing colour of which is a more or less deep reddish violet. Colour is most developed in the region of the throat and on the wings. The keel is usually without colour, but a slight amount of violet streaking may be present.

Pale. Distinguished from the Dark form chiefly in the lesser development of anthocyanin coloration. The standard is almost white but the wings are faintly streaked with violet. The keel is devoid of colour.

White. Anthocyanin colour entirely absent, the flower being pure white except for a faint primrose tinge on the standard in the neighbourhood of the throat.

## (1) Dark by Pale.

Several reciprocal crosses were made. The flower colour of the first hybrid generation was in all cases indistinguishable from that of the Dark parent. Dark is thus completely dominant over Pale.

The $F_{2}$.
In the $F_{2}$ three groups of families were grown. The numerical results are presented in Table I. A survey of them shows that segregation occurs into Dark and Pale. The ratio of Dark to Pale is the simple Mendelian one of $3 D$ to $1 P$.

The $\boldsymbol{F}_{3}$.
In the $F_{3}$ a large number of families were grown. The results are to be found in Tables II, III, and IV. From these results it will be seen that in $F_{3}$ some of the Darks bred true, while others segregated into Dark and Pale in the $3-1$ ratio. The Pales, with certain exceptions explained below, bred true.

Gametic contamination of the $F_{3}$ results through Natural Crossing.
The $F_{3}$ families of cross 1 from $F_{2}$ parents with Pale flowers all bred true. With the exception of one family, this was also true of the families of cross 2. In cross 5, 71 families from $F_{2}$ Pales were grown. 14 of these families contained Darks, but in small numbers. At
the time when the $r$, of erosses 1 and 2 were bermg studied al catreful


 visted the Howers. Boing hatay hatied this bused camsed the extrusion of the stigmas of all the Howers which it visited, and it seroms char that it is eapable of cross-pultatating the platats. The pressence of a fow Datrks in families which should have beed true to Pate, must be aseribed to its atetivitios.

Cenctic Relatiomshiop !! Iowri ard I'ale.
(On the evidenee oo far presented it is permismble to comelude that the two types of cowpea flower, I ark and Pale, constitute an allelomorphic pair.

In order te state definitely that the two types differ by a single factor it must be shown that:

1. A ratio of 3 dominants to 1 recessive exists in $F_{2}$.
2. The ratio of pure to heterozygous dominants is $\mathbf{1 : 2}$.
3. The recessives all breed true.

The results conform to these conditions, for the ratio of pure to heterozygous dominants as shown by their behaviour in $F_{3}$ cultures is $83: 35$, i.e. $24: 10$, a fairly close approximation to expectation. Some of the families were carried to $F_{4}$ and $F_{5}$. The results are of no particular significance, as they merely serve to confirm those obtained in previous examinations.

## (2) Itark by White.

The $\boldsymbol{F}_{1}$ of crosses between Dark and White Howered types was Dark. The results of the $F_{2}$ and $F_{3}$ are presented in Tables V and VI. A summary of the results is as follows :

In $F_{2}$ the parental types reappeared and the ratio of Dark to White was 3 Dark to 1 White. In $F_{;}$three families only were grown. Two of these were from $F_{z}$ Darks, and showed segregation into Dark and White in the $3-1$ ratio. The remaining family was from a White Howered $F_{2}$ plant. It bred true to White.

While the evidence does not permit of complete certainty attaching to the conclusion that Dark and White also form an allelomorphic pair, there can be little doubt that such an interpretation of the results is justifiable.

## (3) Pale by White.

The White used in this experiment was the same as that used in the series of crosses just described. Owing to a great increase in the number of certain insect pests at the time when the cultures of this cross were being grown, it has only been possible to record the $F_{1}$ results. In two crosses the $F_{1}$ was of the Dark type.

Interpretation of the Experimental Results.
It has been established most clearly that the two colour types Dark and Pale form an allelomorphic pair. From a less complete series of results it has been concluded that Dark and White also form an allelomorphic pair. The $F_{1}$ of Pale by the same White proved to be Dark. These results can be explained by the assumption that flower colour in the cowpea is due to the interaction of two factors:
L. A factor for Pale.
D. A factor which increases the amount of anthocyanin colour in the flower but has no visible effect except in presence of $L$.

According to this hypothesis the number of possible homozygous types resulting from a combination of these two factors is four, viz.:

| LLDD | Dark |
| :--- | :--- |
| LLdd | Pale |
| IIDD | White |
| IIdd | White. |

Dark (LLDD) and Pale (LLdd) differ in one factor D. Hence they are allelomorphic to each other. Dark (LLDD) and White (IIDD) are similarly related. Pale (LLdd) by White (IIDD) will give an $F_{1}$ of composition LIDd which is Dark and will give in $F_{2}$ a ratio of $9 D: 3 P: 4 W$. One of the Whites will be the double recessive Ildd.

## II. The Pattern of the Seed Coat.

Dr W. J. Spillman (1911) has described several types of pattern characteristic of the seed coat of various races of cowpea, and in his paper gives a diagram of those that he worked with. A representation of his diagram is given in Fig. 1.


Fig. 1. Forms of the "eye" or pigment area, in the seeds of the cowpea. (After Spillman.)
 and $f$ are treated as one under the natme Itolstain, from the colour pattern of a varioly having that mame. Form d is called latge cye, and is considerey as the hemonotgote belwern Holstom and simall ege. Form! represents a gemetically difioment t!pe of "ye In it the pigs mented area surromels the hilum, but the micropplar ent of the areat has the margin very indistinct: fine dots of pegment extend wer the micropglar end of the sed. Spilhnall calls this lattor typ the Watson eye, from a saricty chatacterised hy this !pp of pallerm.

He investigated the mesults of 21 crosses between small eye and Solid colour. In all catses the $\boldsymbol{F}_{1}$ was Solid coloche. In the $\boldsymbol{F}_{2}$ hr obtained the following types: Solid. Witsom, Holstein, Latge rye, abl Small eve. The rato between them approximated tw 9:3:1:2:1.

He was able to formulate four hypotheses to explain his ratoos. $\Lambda$ summary may be given of the hypethesis which be considers as best adapted to explain his results.

The behaviour of the cross Small eye by solid colome indicates that these two types differ in two factors which are transmitted independently of each other. Accordingly the Watson pattern may be regarded as due to a factor $\mathbf{W}$, and the Holstein pattern as due to a factor $H$. The formulae of the types appearing in $F_{2}$ will be:

| 1. Solid | WWHH |
| :--- | :--- | :--- |
| 2. Watson | WWhh |
| 3. Holstein | WWHH |
| 4. Small eye | wwhh. |

The present writer has investigated in detail the results of three crosses between Small eye and Solid colour. In no case have such simple results as those of Spillman been obtained, but the data secured have provided an indirect confirmation of the latter's work. An account of the results obtained in the present work will now be given.

The Experimental Results.

$$
\text { Cross 1. } \left.\begin{array}{c}
\text { Black eye } \\
\text { Small cye }
\end{array}\right\} \text { by }\left\{\begin{array}{l}
\text { Romonceval }{ }^{1} \text {. } \\
\text { Solid colour. }
\end{array}\right.
$$

Several crosses were made, and the $F_{1}$ was in all cases solid colour.

## The ${ }^{\prime}$

The results are presented in Table V'II. The following types appeared: Solid, Watson, Holstein types $e$ and $f$, Large eye spotted, and

Small eye. These are the same types as were obtained by Spillman, with the exception that the type Large eye spotted replaces the Large eye. Large eye spotted is identical with the Large eye of Spillman except that spots of pigment are usually found on the body of the seed. It must be admitted that certain types would have been classified as Large eye if a very close examination had not been made. Indeed it happened ${ }^{\circ}$ that several pods had to be examined in some plants before the pigment spots were seen. The type Large eye did not appear in any of the crosses studied by the present writer. Large eye spotted was classed as a Holstein. Actually it showed similar genetic behaviour to Spillman's Large eye, and may be regarded as the heterozygote between Small eye and Holstein types $e$ or $f$.

The present writer does not wish to cast doubt upon the correctness of Spillman's classification, for it is quite probable that the types, with which he worked were of different genetic constitution.

A survey of the $F_{2}$ results will render apparent the fact that the Solids and Holsteins are in excess of the expected numbers while there is a deficiency in the Watson and Small eye classes. Is the deviation from expectation of genetic significance? Assuming that the ratio $9: 3: 3: 1$ is the correct one, then all the Solids will contain both Watson (W) and Holstein (H), and it is possible to determine which of these factors is responsible for the deviation above alluded to. The proportions in which W and H occur in the $F_{2}$ families will be found in Table VIII, from which it is clear that the deviation from the 9:3:3:1 ratio of Table VII is due to the fact that a greater number of types with the Holstein factor are produced than are expected. The ratio of W to w is close to $3-1$ but the ratio of H to h is $4 \cdot 9$ to 1.0 . Thus from the $F_{2}$ results it seems that in this cross the two factor hypothesis of Spillman does not apply.

The $F_{3}$.
The $F_{3}$ results are set forth in Table IX. A summary of them is as follows:

1. Solid may either ( $a$ ) breed true, ( $b$ ) segregate into Solid and Watson ( $\mathrm{H}: \mathbf{h}=4 \cdot 8: 1 \cdot 0$ ), $(c)$ segregate into Solid and Holstein ( $\mathbf{W}: \mathbf{w}=3 \cdot 1: 1 \cdot 0$ ), (d) segregate into Solid, Watson, Holstein and Small eye ( $\mathbf{H}: \mathbf{h}=7 \cdot 2: 1 \cdot 0$ and $\mathrm{W}: \mathrm{w}=2 \cdot 6: 1.0$ ).
2. Watson segregates into Watson and Small eye ( $\mathbf{W}: \mathbf{w}=2 \cdot 6: 1 \cdot 0$ ).
3. Holstein segregates into Holstein and Small eye ( $\mathrm{H}: \mathrm{h}=4 \cdot 7: 1 \cdot 0$ ) or breeds true.
4. Small eye breeds true.






 of the nommal: $: 1$ tpr.
 would be as follows:

|  |  |
| :---: | :---: |
| WWHH | Sulid |
| WWhh | Watson |
| wwHH | Holstein |
| wwhh | Small :y |


|  |  |
| :---: | :---: |
| wwhH | Hulstem throwiny :3/1: 1.51 |
| wWhh | Watson throwint 3 $\square^{\circ}$ : 1 s\% |
| wWhH | Solid throwing 95: 311 : 311 : 1.51 |
| WWHH | Solid throwing 3. 3 : 111 |
| WWhH | Solid throwing 3.5: 1 H . |

Thus of eveey a solde. I shomld breed true. $t$ shond be dihythrid. 2 should be monohybrid (s': $H$ ), and the remaining two should be monohybrid ( $\left.S^{\prime}: \mathbb{H}^{*}\right)$. (mmpare the actual facts. 'The mumber of $F^{*}$ families from $F^{\prime}$ solids was 44 . Of these 6 bred true, 18 were dihybrid, 5 were monohybrid ( $s$ : $W$ ), and 15 were monohybrid ( $s: H$ ). The correspending expectation in each case is $49,19 \cdot 6,9 \cdot 8$, and $9 \cdot 8$. The proportion of homozygous and dihybrid families is seen to be well in accordance with expectation, but there are three times as many families segregating into Solid and Holstein as into Solid and Watson. Further if this cross were a simple case of the inheritance of two factors it would be found that the ratio of pure to heterozygous Holsteins woukd be $1: 2$. This is not so. Out of 22 families grown from $F_{2}$ Holsteins, 12 segregate and 10 are pure-a result which indicates that another hypothesis must be sought to explain these facts.

Inagine that the solid parent instead of being of the constitution WWHH was WWH $H_{3} H_{2}$, i.e that it contained two factors each of which conld produce the H olstein pattern. And suppose atso that each Holstein factor could produce the Solid pattern when in association with the Watson factor. The types appearing in the $F_{2}$ of the (90ns

 (Holstein) : 3wh He (Holstein) and I white (small eye)

The ratio between the four types would be $45 S^{\prime}: 3 \mathrm{~W}: 15 \mathrm{H} /$ : $\mathrm{S} E \mathrm{C}$ Of the to sold $\bar{i}$ womd breed true, $1+$ would throw sitad $H$, is would throw siand IV. and the rematning 16 wond throw all fome types.

Examining the $\boldsymbol{F}_{3}$ families in the light of this hypothesis the matter can be set forth as follows:
(a) The Solids.

|  | Number of families |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | ---: |
| Expectation with 1 H factor | $\ldots$ | $4 \cdot 9$ | $S: W: H: S E$ | $S: W$ | $S: H$ |
| Expectation with 2 H factors | $\ldots$ | $6 \cdot 8$ | $19 \cdot 6$ | $9 \cdot 8$ | $9 \cdot 8$ |
| Obtained | $\ldots$ | 6 | $15 \cdot 6$ | $7 \cdot 8$ | 13 |

(b) The Holsteins.

|  |  | Number of families |  |
| :---: | :---: | :---: | :---: | :---: |
| Expectation with 1 H factor | $\ldots$ | $14 \cdot 7$ | $7 \cdot 3$ |
| Expectation with 2 H factors | $\ldots$ | $11 \cdot 7$ | $10 \cdot 3$ |
| Obtained | $\ldots$ | 12 | 10 |

From these results it is evident that so far as the $F_{3}$ families are concerned the hypothesis is well confirmed that two Holstein factors are involved in this cross.

The two H factor hypothesis leads to further important consequences. These are:
(a) 4 Solids out of 45 should give in $F_{3}$ a ratio of $15 S: 1 W$.
(b) 4 Holsteins out of 15 should give in $F_{3}$ a ratio of $15 H: 1 S E$.

A study of the $F_{3}$ families which show segregation into $S$ and $W$ does not lead to the belief that the $15: 1$ ratio occurs. The number of families is small. Some of the segregating $\boldsymbol{F}_{3}$ Holsteins may possibly show the $15: 1$ ratio, e.g. $1-10-7(31: 3)$, and $1-10-16(16: 1)$ but again the number of plants grown is too few to determine this point with certainty.
(c) Out of the 18 families which segregate into all four types in $F_{3}, 50$ per cent. are expected to show the $9: 3: 3: 1$, and 50 per cent. the $45: 3: 15: 1$ ratio. With such small numbers it is scarcely possible to get more than an approximate idea of whether both types of ratio occur, but taking the families as they stand we have:

| Family No. 1-10-26. |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | s | W | H | SE |
| Obtained | $\ldots$ | 40 | 1 | 8 | 1 |
| Calculated | ... | $35 \cdot 1$ | $2 \cdot 3$ | 11.7 | $0 \cdot 8$ |
| Family No. 1-G-9. |  |  |  |  |  |
|  |  | S | w | H | SE |
| Obtained ... | $\ldots$ | 66 | 5 | 19 | 1 |
| Calculated | ... | 63.9 | $4 \cdot 3$ | 18.3 | $1 \cdot 4$ |
| on $45: 3: 15: 1$ basis. |  |  |  |  |  |


In regant on the behaviour of the Witsenge it is chat that whe ther



 in $\boldsymbol{F}_{3}^{\prime}$ acoording to expectation and brode true.


 case. The ratio of $+9: 10$ in $r^{\prime}$ of H (1) h is far from 'xpectation, and allusion has already been made to the abmermal ratios fomed in the heteroxgens fatmilies of the $\xi^{\prime}$. If the fwo $H$ ficetor hypethesis is correct how call the deviation from the $15: 1$ ratio be aceomented fors Two prssible explanations suggest themselves.
(c) The sold parent may have been hetepozegens fier ond of the two H factors, and in that case some of the $F_{2}$ families would show the $9: 3: 3: 1$ ratio and whers the $4.5: 3: 15: 1$ ratio. The numbers , , $\mathbf{b}_{-}$ tained in the $\boldsymbol{F}_{2}$ families are too small for any diseussion of this peint to have much value. As they stand, however, they do not lend any support to this theory.
(b) The ratio of $49 H$ to $1 H$ in $F_{2}$ may be accounted for by assmming linkage beween the two H factors. The $F_{3}$ results could not be aecounted for by such an assumption. No hypothesis can at present be suggested which will explain in all the results. The question is evidently a complicated one, and the whole experiment is being repeated in the hope of elucidating the various points that have arisen.

The unexpected results which were obtained in Cross 1 in respect of the inheritance of pattern on the seed coat led to the study of two other crosses between Solid and Small eye, vi\%. Cross 2, Red Solid by Black eye, and Cross 5, Red Solid by Brown eye. The results of these two crosses will now be set forth and discussed.

## (ross 2. Red solid by $\left\{\begin{array}{l}\text { Black eye. } \\ \text { Small eye }\end{array}\right.$

The $F_{1}$ was Solid. In the $F_{2}$ segregation oceurred into solid, Watson, Holstoin saddle (types $e$ and $f^{\circ}$ of Spillman). Holstein Large eye spotted, and small eye. All the Holstems were classified together. From the numerical results, which are presented in Table $\mathcal{X}$, it will be

is $312: 14$, i.e. $22 \cdot 3: 1 \cdot 0$. Further, the numbers obtained of each type correspond closely with expectation on a ratio of $45: 3: 15: 1$. It seems that the hypothesis that two Holstein factors might be involved in a cross between Solid and Small eye holds good in this case without the peculiar complications found in Cross 1.

## The $\boldsymbol{F}_{3}$.

The $F_{3}$ results are to be found in Table XI. The chief points worthy of notice are as follows :

1. Solid either bred true, segregated into $S, W, H$, and $S E$, segregated into $S$ and $W$, or segregated into $S$ and $H$.

The number of families of each of the above types was well in accordance with the two factor hypothesis.

|  | $\overbrace{\text { Number of families }}^{\text {Obtained }}$ | Expected |
| :---: | :---: | :---: |
| Type of behaviour | 6 | 4.4 |
| $S$ only | 9 | 8.9 |
| $S: W: H: S E$ | 8 | $7 \cdot 8$ |
| $S: H$ | 2 | 3.9 |

It would seem that in the families which segregate into all four types, occur the two types of ratio $45: 3: 15: 1$ and $9: 3: 3: 1$. As an example of the latter ratio, may be given family No. 2-4-40, and of the former ratio, family No. 2-11-20.

|  |  | $S$ | $W$ | $H$ | $S E$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $2 — 4 — 40$ | Obtained | 57 | 18 | 32 | 8 |
|  | Expected | $63 \cdot 6$ | $21 \cdot 5$ | $21 \cdot 5$ | $7 \cdot 2$ (on $9: 3: 3: 1$ basis) |
| $2 — 11 — 20$ | Obtained | 53 | 3 | 22 | 1 |
|  | Expected | $55 \cdot 5$ | $3 \cdot 7$ | 18 | $1 \cdot 2$ (on $45: 3: 15: \mathbf{1}$ basis) |

The two families which segregate into Solid and Watson are apparently both of the $15: 1$ type.

The Solids which segregated into Solid and Holstein did so in the 3-1 ratio.
2. Watson should have exhibited two kinds of behaviour, ( $\alpha$ ) bred true, (b) segregated into Watson and Small eye. Actually all the 5 Watsons segregated into Watson and Small eye in the $3-1$ ratio. It is somewhat remarkable that no pure Watsons were isolated. The same point was noticed in regard to the Watsons of Cross 1.
3. Holstein bred true or segregated into Holstein and Small eye. Had a representative group of $\boldsymbol{F}_{2}$ Holsteins been taken for the $\boldsymbol{F}_{3}$ cultures the ratio of pure to heterozygous Holsteins should have been 7 to 8. Ten Holsteins were purposely selected showing the typical

Holstoin pattern the saddle form (types eand $i$ of spillman), and 5 of the Large ege spetted type. It will be s.o.l that the saddle form bred true while the latge eve yetted prowed to be heterowgonas. In segregating families the vatio of $/ /$ to $/ 1$ appeated to be of the $1.5: 1$ typ.
4. Nof familes wrer ohtained showing the behatome if the simall reve form in $F_{3}$.

Ton sum "p: "W the whole, the evidenere from this cease in in fircour of the view that it is of the nature $W H_{1} H$ by $w h, h_{2}$.
roms :3. Red sold by Brown "yo.
 Solid. Watson, Holstem (saddle and Latge eve petted) and small ere. The results are presented in Table XII.

The ratto of If 10 or was agan appoximately $3-1$. While the ratio of $H$ toh was 106 to 10 . From a prediminary sumey of these figure it seems probable that the cross is of the same type as Cross 2 , i.e. W $H_{1} H_{2}$ by $w h_{1} h_{2}$. The ratio between the four types was near to 45:3:15: 1. In the $F_{3}$ a large number of families were grown from $F_{2}$ Holsteins in order to obtain more exact figures as to the number of types which were pure and heterozygous respectively. Broally spaking the Holsteins were classified into two groups, (1) the Large eye sootted form, and ( $b$ ) the satdle form ( $e$ and of of spillman).

Of 106 Holste B e examined in $F_{2}$ is were of the former and it were of the latter type.

The $F_{\text {: }}$.
The $F_{\text {a }}$ results are presented in Table XIII. The main prints ate as follows:

1. The results obtained contorm generally to those of ('mos 2.
$\underset{2}{2}$. The families from $F_{2}$ solids were 23 in number. The number of families which bred true, segregated into $S, W, I$, and $s \in$ into $\mathcal{S}$ and $W$ and into $s$ and $H$, was again in aceovdance with the two $H$ factor hyputhesis, as will be seen from the smmarized results below.

|  | Nomber of familie- |  |
| :---: | :---: | :---: |
| T:1e of trehaviour | (1ht:ainerl | F.1pe+.te. ${ }^{\text {a }}$ |
| Pure S' | $\because$ | $3 \cdot 6$ |
|  | 7 | $\because \cdots$ |
|  | 1 | $1 \cdot 1$ |
| ci:und $H$ | 111 | $7 \cdot 1$ |

3. Holstein Large eye spotted proved to be invariably heterozygous. Some of the Holsteins were obviously of the $15 H: 1 S E$ type, but families of the $3 H: 1 S E$ type-e.g. No. 5-5-20 (52:18) were also present. In many families the number of plants is too small to decide which type of ratio prevails. -Two of the families apparently segregated into Large eye spotted and Small eye. In these families classification was difficult and some of the plants were referred first to the Large eye spotted form and then to the Saddle.
4. Holstein Saddle proved to be homozygous. There was great variation in the extent to which the pattern was developed on the seed coat, but it was not possible to effect an accurate classification of the differences. It may be possible to distinguish by external appearance. the different Holstein combinations, but this would need a more careful examination than the present writer has been able to give.

It will be noticed that a few of the families threw an occasional Solid. This is probably due to accidental crossing by the carpenter bee, Xylocopa sp., and the set of results can scarcely be discarded on this account, though due care should be exercised in weighing the whole mass of evidence.

Since Holstein Large eye spotted is always heterozygous and Holstein Saddle homozygous, it is interesting to go back to the $F_{2}$ results and consider them anew. In the $F_{2}$ of this cross there were altogether 116 Holsteins. Of these 10 were not classified further. Taking the rest, 52 were Large eye spotted, and 54 were of the Saddle form. On the two $H$ factor theory the ratio of pure to heterozygous Holsteins is $7: 8$, and the ratio actually obtained $7 \cdot 6: 7 \cdot 4(54: 52)$. Thus the evidence from the behaviour of $F_{2}$ Holsteins in $F_{3}$ is strongly in favour of the two $\mathbf{H}$ factor hypothesis.

## Summary of Results of Investigation on Pattern of the Seed Coat.

In two crosses involving Red Solid and Small eye it has been shown that three independently inherited factors are concerned. These are:

W-The factor for the Watson pattern.
$\mathbf{H}_{1}-A$ factor for the Holstein pattern.
$\mathrm{H}_{2}-\mathrm{A}$ second factor for the Holstein pattern, having the same effect as $\mathbf{H}_{1}$. A combination of $\mathbf{W}$ and either of the Holstein factors produces the Solid type of pattern, while absence of all three factors produces the Small eye pattern.

 famileses indicated that thres factors were alse conderomed.
'The evistence of two Holstom factors problucing the sallor vaible. efteret, alone or in combinatom, is athatogoms to the clasese cane of the colour of wheat grame studied by Nilsom-thle (l9ox) athl by the Howarde (1910). They fombl that the Red colour charactore in cotam types was due th three separate mots for red. Nilssom-Ehle alse observed that a black kermelled dat varioty may pessess mowe than ome mit for black. each mit alome being able to prontuce the typical blach colour.

One paill mast how be emphasized mosi strongly: The presell writer, even if he has established little eomelnsively, hats at least demonstrated the inadrisability of fitting a series of results to the nearest probable ratio, and then aseribing excess of defiedency of eertain type to chance or to the small number of plants grown.

The results obtained by Dr Spillman are now easily explatined. The sulid forms used by him must have bern in constitution W $\mathrm{H}, \mathrm{h}$ or $\mathbf{W} h_{1} H_{2}$. Either of these wonld give an $F_{2}$ ratio of $95: 3 W: 3 H: 1 心 E_{2}$, when cressed with small eye.

## III. The ('ololr of the Pittern of the Seed ('ont.

## (a) The furtor $B$.

One of the parents of Crose 1 , the Black eye variety: is characterised by the appearance of a dark red or purple coloration on the tip of the goung pod. The colour first appears when the pod is two or threr days old, and lasts until the pod is nearly ripe, when it is obscured by the drying "p of the pod which then takes place.

The red tip of the immature pod is a perfectly distinct character, and is found to oceur only in plants which possess black coloration of the testa pattern. It is always aceompanied by more or lese red colome in the ealyx and peduncle.

It has been pointed wut by Morgan et al. (1915) that a so-called unit charactor is only the most obvions or most significant product of the postulated factor, and that a single factor may attect a plant or animal in many different ways. An example of a single gene ie differenee whech attecets the entire organization of a plant is seen in the perculiar types known as Crinkled lowarf Rugues which oreur occasionally in

the normal Sea Island type behaves as a simple dominant to the Crinkled Dwarf Rogue. The latter type differs from normal Sea Island in respect of almost every morphological character and also in certain physiological characters. The whole plant is much smaller; the leaves have a crinkled and mosaic appearance and have ragged edges. Both buds and bolls are shed much more easily than in Sea Island and there is a general reduction in the size of all parts of the plant.

In the case of the association of the red tip of the young pod with the presence of black in the testa, and of coloration in calyx and peduncle, it will be shown that this combination of characters as a whole is allelomorphic to the absence of such a combination, i.e. to podtip devoid of colour, seed devoid of black (in this case the colour of the seed is brown), calyx and peduncle without red colour. This may be explained by assuming that several completely coupled factors are concerned, but it seems more reasonable to suppose that all these effects are manifestations of a single factor, $B$.

## The Experimental Results.

Cross 1. Black eye by Rounceval.
Black eye. Black present in seed coat; young pod with red tip, red colour present in calyx and peduncle ( $B$ ).

Rounceval. Seed coat uniformly brown, immature pod, calyx, and peduncle green (b).

The $F_{1}$ showed complete dominance of $B$.
The $F_{2}$ and $F_{3}$ results.
In Tables XIV and XV will be found the results of the $F_{2}$ and $F_{3}$. Reference to these two Tables will show that the ratio of $B$ to $b$ in $F_{2}$ is 3-1, that in $F_{3}$ all the families from $F_{2}$ recessives bred true and that of the families from $F_{2}$ dominants 18 bred true, while 40 segregated into $B$ and $b$, again in the $3-1$ ratio. The ratio of pure to heterozygous dominants is very close to the expected 1:2.

To sum up : the two sets of characters comprised under the symbols $B$ and $b$, are allelomorphic to each other.
(b) The Brown and Red colour of the Pattern of the Seed Coat.

In the cross Brown eye by Red, a study was made of the inheritance of the colour of the seed coat pattern. The extent of the colour varies with the extent to which pattern is developed. Thus in dealing with Small eye types it is often impossible to separate different shades, especially those which are even difficult to classify when the colour is
visible wer the whole testa, as in the solid typer. In tha partwoular erose, for example, it is cortain that at hast hore difternth hadse of brown appar in $\boldsymbol{r}_{2}^{\prime}$, but owing to the difticnlty of claseifying acomately. the browns have all leed phaced in oble clase.

Browneege can be deseribed as a brown with a faill pimple cand The colour of Red is mather paler than that of the variet! Roll Rypurt which is clased by $1^{\circ}$. V. Pipur (1912) as maroon. Piper staton that under the group of pink seeded varietios is : ranger of collours from vinaceons to brick red. When the peas are aged these colome datken so that they are very difficult t.u distinguish from marom. In this paper the colour of the variety Red will be deseribed as red. It mast be understonal that the results which are here described apply only to this particular cross. It is certain that the relations of the lestat colous in cowpeas are far from simple, and the working wit of all of them would be a task of mo mean magnitude.

## The E.rperimental Results.

The plants of the $F_{1}$ showed complete dominance of brown, but it. was not possible to tell whether the particular shade of brown of the $F_{1}$ was the same as that of the brown eye parent.

## The $F_{0}$.

The results of the $F_{2}$ are presented in Table XVI. Segregation vecurred into $(u)$ browns of various shades, (b) dark maroon, difficult to distinguish from black when quite ripe, (c) a maroon less intense in colour, $(d)$ red of the same shade as the red parent.

The plants were classified into three groups, brown, maroon, and red. The ratio between brown, maroon and red was near to 12:3:1. The ratio of brown and maroon to red was $13 \cdot 2: 1 \cdot 0$.

It may be concluded that two factors are concerned, $\mathbf{M}$ prolucing the maroon colour, and N producing the brown colour. N is dominant wer $\mathbf{M}$ and the types appearing in $F_{2}$ will be as follows:

> 9 N M Brown.
> 3 Nm Brown.
> 3nM Maroon.
> 1 nm Red.

The various shades of brown and maroon may perhaps be accounted for by assuming that the heterozgotes are difterent in appearance from the pure types.

In order to confimm this hyputhosis a later number of families were grown in $F^{\prime}$.

The $\boldsymbol{F}_{3}$.
The results of the $F_{3}$ will be found in Table XVII. It. will be seen that:

1. Brown either breeds true ( 18 families), segregates into brown and maroon ( 15 families), segregates into brown and red ( 7 families), or segregates into brown, maroon and red ( 15 families).
2. Maroon either breeds true ( 6 families), or segregates into maroon and red (11 families).
3. Red breeds true ( 12 families).

So far the results appear to confirm the hypothesis which has been put forward. It remains now to examine the proportions in which the various types occur in the segregating families, and also to see if the number of families following the above types of behaviour is in conformity with the hypothesis.

The families which segregate into brown and maroon should do so in the $3-1$ ratio. The ratio obtained $348: 107(3 \cdot 3: 1.0)$ is fairly close to expectation. The $3-1$ ratio should also be obtained in families segregating into brown and red. The actual numbers recorded were 18 red and 65 brown, giving a ratio of $2 \cdot 9: 1 \cdot 0$, which is again close to expectation. The proportion of brown, maroon and red in families splitting into all three types should be in the ratio 12:3:1. The summarized results are placed below.

|  | Brown | Maroon | Red |
| :--- | :---: | :---: | :---: |
| Obtained | 474 | 116 | 63 |
| Expected | $489 \cdot 7$ | $122 \cdot 4$ | $40 \cdot 8$ |

Here the results again appear to confirm the hypothesis though the number of reds is somewhat above expectation.

The 3-1 ratio is expected in families which segregate into maroon and red. The numbers obtained were 281 maroon and 119 red, a ratio of 2.4 to $1 \%$. This deviation from the $3-1$ ratio is perhaps due to fluctuation.
(a) The Browns.

|  | Number of families |  |
| :---: | :---: | :---: |
| Type of behaviour | Observed | Expected |
| Brown only | 18 | $18 \cdot 3$ |
| Brown and Maroon | 15 | $9 \cdot 2$ |
| Brown and Red | 7 | $9 \cdot 2$ |
| Brown, Maroon and Red | 15 | $18 \cdot 3$ |

(b) The Maroons.

| Maroon only | $\ldots$ | $\ldots$ | 11 | $11 \cdot 3$ |
| :--- | :--- | :--- | ---: | ---: |
| Maroon and Red | $\ldots$ | 6 | $5 \cdot 7$ |  |

It will now be considered whether the mumber of familua following the different types of behaviour is in acoordance with theory. A comparison of the observed and expected resultes is given just above.

The main festure of the above results is the differenee in the number of families segregating int., brown and marom and brown and red respectively. These should be equal in mumber wheress those which follow the former type of behaviour are more than double those which are of the latter type. Since, however, the $F_{3}$ resultes as a whold confirm the two factor hypothesis, it is rasonable to suppese that the deviation is due to Huctuation.

At this point it may be obseved that the meaning of the various shades of colour found in $F^{\prime}$. became a litter clearer by observation of the $F_{s}$ familes. The whemations maty be smmmarized as follows:

1. The brown which segregated into brown and matom. of into brown marom and red, was slightly tinged with purple.
‥ The brown which segregated into brown and red was very pate. and devoid of purple. There was apparently no difference between Nm Nm, and Nm nm .
2. The darkest shate of maroon was always homozygons. The intermediate maroon segregated into dark maroon, intermediate marow and red in the $1: 2: 1$ ratio.

Summary of Investigations on the Inheritance of Patter" Coloni:

1. The black pattern colour of the variety Black ege is due to a single factor $B$, which is dominant to its absence.

2 . The factors inwolved in a cross between brown and red arr two in number. These are $\mathbf{N}$-a factor which causes the profuction of brown, and $\mathbf{M}$-a factor which produces a maroon colour. $\mathbf{N}$ is dominant wer $M$. In the absence of both factors the seed coat is reel. $N$ and $\mathbf{M}$ are independent of each other in inheritance.

## Relation of Flower Colour to Pattern of the Need Coat.

In the crosses between Solid and simall eve, it was noticed that a genetic correlation existed between pattem and Hower colour. Thus plants containing the Watson factor were always dark flowered. Plantwith no Watson factor, i.e. the Holstein and small eye types, wow pale flowered. It may be concluded that lark flower and Wateon pattern are both manifestations of a single factor.

If the flower is white there is nu pattern on the seed coat. In a cross between Black ere and a white seeded type (Para), the $F_{\text {' }}$ was Black solid and in Fergrexation weolmed intu biank solid. Black

Watson, Black Holstein, Black eye, Brown Solid, Brown Watson, Brown Holstein, Brown eye, and White. The ratios between these types have not been fully worked out, but it is clear that the factor for Dark flower and Watson pattern, for Holstein, and also for Black, can be carried by an albino type (white flowered and white seeded).

The subject of colour correlation in the cowpea has been discussed by Dr Spillman (1913). His note, however, is short, and does not contain the experimental results on which his conclusions are based. Some of his statements may, however, be discussed. According to him all varieties having white or cream coloured seeds have white flowers and are devoid of anthocyanin in stems and leaves. This is not always true. In the cross Red Ripper by Para, a certain number of types in $\boldsymbol{F}_{2}$ have white seeds and are devoid of anthocyanin in stems and leaves but also have a distinct violet tinge on the wings of the flowers.

He further states that the flower colour and the anthocyanin in stems and leaves are dependent on two Mendelian colour factors:
(a) The general factor for colour in the seed coat.
(b) The special factor for black which when added to a variety having coffee coloured seeds converts the seed colour to black.

It has been shown in this paper that the factor for black affects the seed coat, the pod tip, the calyx and the peduncle. It does not appear to have anything to do with the flower colour or the factor which causes anthocyanin to appear in stems and leaves, except that it is without visible effect except in presence of such a factor. It is, of course, possible that Spillman was working with a different factor for black, and all that the present writer wishes to point out is that Spillman's conclusions are not of universal application.

## Summary.

1. In the preceding pages an account has been given of the mode of inheritance of factors affecting the flower colour, pattern of the seed coat, and colour of the seed coat pattern of Vigna sinensis. These factors are :
L. A factor which produces the type of flower colour known as Pale. The factor has visible effect only in types with the Holstein and Small eye patterns. It is very possibly the factor mentioned by Spillman (1913) as the one responsible for the production of anthocyanin in stems and leaves.
D. A factor which has no visible effect except in presence of L , when it converts the Small eye pattern to the Watson pattern and the

Holstein pattern to Nolid colour, at the same time changing the flowere colour to Dark.
$H_{\text {. }}$ The factor which comberts the small ige patlorn to the Ilolstein pattern.
$\mathbf{H}_{3}$ The effect of this ficesor is similar tor that of $\mathbf{H}_{1}$.
B. The factor for back in the sered coat, which also maniforats itself by the production of a red tipped pexd, and a calys and peduncle with more or less antheryanin pigmentation.
$\mathbf{N}$. The factor for a brown or buff colour of the seed coat pattern.
M. The factor for a dark maroon lesta pattern.
2. In one cross between small eye and solid colour the behaviour of certain of the $F_{s}$ families indicated that both the Holstein factors were involved. 'The ratio of Holstoin of No Holstein in $F^{\prime}$ was, how ever, widely removed from the expected $15: 1$, being $49: 10$. It is pointed out that linkage between the two Holstein factors would account for the $\boldsymbol{F}_{2}$ results but not for these of $\boldsymbol{F}_{3}$. No hypothesis call at present be suggested which will account for both $F_{2}$ and $F_{3}$ results.
3. The following pairs of factors appear to be inherited independently of each other: $L$ and $D, D$ and $H_{1}, D$ and $H_{2}, H_{1}$ and $H_{2}, M$ and N .
4. A short statement is put forward in criticism of certain results obtained by Spillman (1913) in regard to colour-correlation in the cowpea.

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## TABLE I.

The $F_{2}$ results of crosses between Dark and Pale.

| Cross | Crosses involving | Family | Dark | Pale | $\begin{gathered} \text { Ratio } \\ \text { Dark to Pale } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Black eye (Pale) $\times$ Rounceval (Dark) | 1-1 | 26 | 12 |  |
|  |  | 1-2 | 22 | 13 |  |
|  |  | 1-3 | 11 | 5 |  |
|  |  | 1-4 | 30 | 7 |  |
|  |  | 1-5 | - 51 | 9 |  |
|  |  | 1-6 | 24 | 8 |  |
|  |  | 1-7 | 108 | 42 |  |
|  |  | 1-8 | 38 | 9 |  |
|  |  | 1-9 | 90 | 25 |  |
|  |  | 1-10 | 20 | 8 |  |
|  |  | $1-G$ | 54 | 19 |  |
|  | Totals | .. ... | 474 | 157 | 3.0:1.0 |
|  | Black eye (Pale) $\times$ Red (Dark) | $2-3$ | 75 | 19 |  |
|  |  | 2-4 | 69 | 21 |  |
|  |  | 2-5 | 13 | 10 |  |
|  |  | 2-6 | 19 | 9 |  |
|  |  | 2-10 | 32 | 10 |  |
|  |  | 2-11 | 37 | 12 |  |
|  |  | 2-12 | 43 | 10 |  |
|  | Totals | ... ... | 288 | 91 | 3.2:1.0 |
| (5) | Brown eye (Pale) $\times$ Red (Dark) | 5-G | 77 | 41 |  |
|  |  | 5-1 | 75 | 25 |  |
|  |  | 5-3 | 16 | 8 |  |
|  |  | 5-5 | 46 | 13 |  |
|  |  | $5-8$ | 15 | 3 |  |
|  |  | 5-9 | 105 | 29 |  |
|  |  | $5-11$ | 26 | 9 |  |
|  |  | 5-12 | 41 | 13 |  |
|  |  | 5-13 | 22 | + |  |
|  | Totals | ... | 423 | 145 | 2.9:1.0 |
|  | Total all cro | osses ... | 1185 | 393 | 3.0:1.0 |
|  | Calculated.. | .. | 1183.5 | 394.5 |  |

TABIEF 11
 into Dave and l'alo.


TABLE III.
Results of $F_{3}$ generation. Families from $F_{2}$ Darks breeding true to Dark.

|  | Family | Dark | Pale |  | Family | Dark | Pale |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Cross 1. | 1-7-12 | 15 | 0 | Cross 2. | 2-3-15 | 17 | 0 |
| Black eye | 1-7-29 | 10 | 0 | Black eye | 2-3-17 | 60 | 0 |
| by | 1-7-46 | 41 | 0 | by Red | 2-3-82 | 28 | 0 |
| Rounceval | 1-7-75 | 41 | 0 |  | 2-4-24 | 16 | 0 |
|  | 1-8-2 | 15 | 0 |  | 2-4-41 | 59 | 0 |
|  | 1-9-2 | 6 | 0 |  | 2-4-44 | 43 | 0 |
|  | 1-9-8 | 20 | 0 |  | 2-- 4-54 | 43 | 0 |
|  | 1-9-9 | 6 | 0 |  | 2-12-3 | 35 | 0 |
|  | 1-9-10 | 28 | 0 |  | 2-12-14 | 19 | 0 |
|  | 1-9-11 | 10 | 0 |  | 2-12-26 | 52 | 0 |
|  | 1-9-23 | 13 | 0 |  |  |  |  |
|  | 1-9-26 | 6 | 0 | Total | ... ... | 372 | 0 |
|  | 1-9-96 | 84 | 0 |  |  |  |  |
|  | 1-10-2 | 41 | 0 |  | Family | Dark | Pale |
|  | 1-10-19 | 8 | 0 | Cross 5. | 5-8-55 | 19 | 0 |
|  | 1-10-23 | 9 | 0 | Brown eye | 5-8-106 | 23 | 0 |
|  | 1-10-25 | 32 | 0 | by Red | $5-G-5$ | 23 | 0 |
|  | 1-10-26 | 49 | 0 |  | $5-G-21$ | 45 | 0 |
|  | $1-G--24$ | 81 | 0 |  | $5-G-54$ | 35 | 0 |
| Total |  | 515 | ' 0 |  | 5-G-56 | 14 | 0 |
|  |  |  |  | Total |  | 159 | 0 |

TABLE IV.
Results of $F_{3}$ generation. Pales breeding true to Pales.

|  | Family | Dark | Pale |  | Family | Dark | Pale |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Cross 1. | 1-5-3 | 0 | 8 | Cross 2. | 2-3-80 | 0 | 48 |
| Black eye | 1-7-7 | 0 | 115 | Black eye | 2-3-81 | 0 | 16 |
| by | 1-7-11 | 0 | 39 | by Red | 2-3-87 | 0 | 36 |
| Rounceval | 1-7-22 | 0 | 4 |  | 2-3-103 | 0 | 28 |
|  | 1-7-39 | 0 | 80 |  | 2-4-42 | 0 | 12 |
|  | 1-7-47 | 0 | 11 |  | 2-4-53 | 0 | 49 |
|  | 1-7-73 | 0 | 96 |  | 2-4-62a | 0 | 6 |
|  | 1-8-1 | 0 | 39 |  | 2-4-62b | 1 | 60 |
|  | 1-8-10 | 0 | 41 |  | 2-4-65 | 0 | 49 * |
|  | 1-9-1 | 0 | 31 |  | 2-4-75 | 0 | 19 |
|  | 1-9-3 | 0 | 23 |  | 2-10-1 | 0 | 14 |
|  | 1-9-12 | 0 | 17 |  | 2-10-21 | 0 | 4 |
|  | 1-9-17 | 0 | 16 |  | 2-10-27 | 0 | 25 |
|  | 1-9-20 | 0 | 5 |  | 2-11-13 | 0 | 26 |
|  | 1-9--21 | 0 | 13 |  | 2-11-21 | 0 | 6 |
|  | 1-9-22 | 0 | 14 |  | 2-11-42 | 0 | 47 |
|  | 1-9-24 | 0 | 21 |  |  |  |  |
|  | 1-9-32 | 0 | 42 | Totals | ... ... | $1{ }^{1}$ | 445 |
|  | 1-10-12 | 0 | 31 |  |  |  |  |
|  | 1-10-16 | 0 | 17 |  | Family | Dark | Pale |
|  | 1-10-21 | 0 | 86 | Cross 5. | 5-1-9 | 0 | 19 |
|  | $1-G-6$ | 0 | 90 | Brown eye | 5-1-10 | 0 | 34 |
|  | 1-G-23 | 0 | 41 | by Red | 5-1-17 | 0 | 11 |
|  | $1-G-65$ | 0 | 27 |  | 5-1-19 | 0 | 26 |
|  |  |  |  |  | 5-1-28 | 0 | 18 |
| Total | ... | 0 | 907 |  | $5-1-55$ | 0 | 8 |

## ㄷ. IARIANO

$12: 3$


| Crome is. Brown eye by lieed | Fallils |  |  | lath | I'al. |  | Falull |  |  | l baik | J'aic :3) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\therefore$ | 1 | 73 | 11 | 21 |  | i | $!$ | 3 | 11 |  |
|  | i | $\because$ | d | 11 | 89 |  | $\therefore$ | $!$ | 1. | 11 | 933 |
|  | i | 3 | $1 \%$ | 11 | 11 |  | $\therefore$ | $!$ | N | 11 | :9! |
|  | $\therefore$ | 3 | 16 | (1) | 30 |  | $\therefore$ | 11 | $26 i$ | 11 | 22 |
|  | - | i | 1 | i | (i) |  | i | 11 | 36; | 11 | 17 |
|  | : | i | 1: | 11 | IN |  | i | 11 | . 010 | 1 | 57 |
|  | , | i | 16 | 11 | 21 |  | i | 12 | 11 | 11 | 11 |
|  | i | i | 20 | 1 | 70 |  | S | \%; | 10 | 3 | 35 |
|  | i | i | 36 | 11 | i2 |  | ; | 1 | 12 | 11 | 311 |
|  | i | i) | S1 | 11 | *: |  | . | $1 ;$ | 16 | 11 | 22 |
|  | is | i | $4 i$ | 11 | 35 |  | ¢ | $1 ;$ | 10 | 11 | 11 |
|  | i | i | i3 | 11 | 26 |  | 5 | $\theta$ | $\because 0$ | 11 | $1: 1$ |
|  | $\therefore$ | $\therefore$ | S 31 | 0 | 7 |  | i | 1; | $2 \cdot$ | $1)$ | $2:$ |
|  | $i$ | $\cdots$ | 1 | $1)$ | 36 |  | i | 1 | 24 | 11 | 22 |
|  | i | $\checkmark$ | 18 | 2 | 37 |  | i | ; | $2 \%$ | 11 | i |
|  | i | $\cdots$ | 236 | 0 | 21 |  | $\therefore$ | $1 ;$ | 27 | 2 | 14 |
|  | i | $\star$ | 2310 | 1 | $3: 3$ |  | $\therefore$ | $1 ;$ | $31 / 1$ | 0 | 18 |
|  | i | $\checkmark$ | 31 | 1 | (i) |  | i | 1 | 311, | 2 | $2 \mathrm{2N}$ |
|  | $\therefore$ | $\checkmark$ | 3.i) | 11 | fiti |  | i | r | 41 | 11 | 54 |
|  | $\therefore$ | $\leqslant$ | io | 1 | ※.) |  | $\therefore$ | 1 | 45 | 1 | $\because 3$ |
|  | $\therefore$ | $\checkmark$ | i! | 2 | 35 |  | i | $1 ;$ | 49 | 0 | 24 |
|  | i | $\cdots$ | 6if | 11 | 11 |  | i | (i | .0) | 0 | 13 |
|  | i | $\checkmark$ | 77 | 11 | $7 \times$ |  | 5 | - ${ }^{\text {i }}$ | - . 1 | $(1)$ | 15) |
|  | 5- | $\checkmark$ | 79 | 11 | 65 |  | 5 | \% | 58 | $1)$ | 16 |
|  | : | $\times$ | *1 | 0 | $\times 1$ |  | 5) | - 6 | 77 | 0 | 20 |
|  | F- | $\checkmark$ | 8.5 | 11 | 35 |  | 5) | - ${ }^{\prime}$ | Sti | 0 | 23 |
|  | 5) | $\checkmark$ | 91 | 3 | 47 |  | \% | $-G$ | 88 | 11 | f |
|  | .)-- | $\alpha$ | 101 | 0 | 19 |  | 5 | - | 3 x | 2 | 2.5 |
|  | i- |  | 109 | 0 | 36 |  |  | $-1$ | -100 | 0 | 70 |
|  | - | $\checkmark$ | 111 | 0 | 3:3 |  | -) | 1 | 10.4 | 11 | i |
|  | i | 8 | $11: 3$ | 0 | 12 |  | - | (i) | . 1 | 0 | 30 |
|  | i | 8 | 11.5 | 0 | 14 | Totals | -.. |  |  | $30^{1}$ | 2626 |
|  | i |  | 117 | 0 | 92 |  |  |  |  |  |  |
|  | 5 | 8 | 135 | 3 | 40 |  |  |  |  |  |  |
| 1 Probably vicinists. |  |  |  |  |  |  |  |  |  |  |  |

TABLE V. The F rexults of "roses bempern Daik and Ithite.

| family | Jark | White |
| :---: | :---: | :---: |
| $8-1$ | 2.5 | ૪ |
| 8-2 | 24 | 12 |
| A 1 | 12 | 5 |
| . $1 \sim 2$ | 25 | s |
| . 3 | 25 | 7 |
| Iutals | 111 | 10 |
| Calculated | 113:3 | $37 \cdot \times$ |
| Ratio | - $2 \cdot 6$ | $1 \cdot 0$ |



1. Families foum $F$ Darks segregating into Dark and White.

| Family | l)ark | White |
| :---: | :---: | :---: |
| 6-1-1 | 21 | R |
| (i-1 2 | 32 | 15 |
| Totals | 83 | 23 |
| Calculated | 57 | $1!1$ |
| Katio ... | $2 \cdot 3$ | $1 \cdot 0$ |

2. Family 6 1-3 from a White $r_{2}$ threw i.) whites in $F$.

## TABLE VII.

The $F_{2}$ generation of the cross Small eye (type c) by Solid colour.

|  | Family | Solid | Watson | Holstein | Small eye |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Cross 1. | $1-1$ | 19 | 5 | 9 | 3 |
| Black eye | $1-2$ | 13 | 2 | 12 | 0 |
| by Brown | $1-3$ | 7 | 3 | 2 | 2 |
|  | $1-4$ | 19 | 6 | 6 | 0 |
|  | $1-5$ | 36 | 5 | 6 | 2 |
|  | $1-6$ | 18 | 2 | 5 | 1 |
|  | $1-7$ | 88 | 13 | 28 | 9 |
| . | $1-8$ | 31 | 7 | 6 | 3 |
|  | $1-9$ | 80 | 9 | 20 | $\vdots$ |
|  | $1-10$ | 16 | 4 | 7 | 1 |
|  | $1-G$ | 38 | 12 | 18 | 1 |
|  | Totals | $\ldots$ | 365 | 68 | 119 |

${ }^{1}$ Highest expectation on $9: 3: 3: 1$ basis.
TABLE VIII.
Showiny proportions in which $W$ and $H$ occur in the $F_{2}$ of Cross 1.

| . Family | W | $w$ | Ratio | H | $h$ | Ratio |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1-1 | 26 | 12 |  | 28 | 8 |  |
| 1-2 | 22 | 13 |  | 25 | 2 |  |
| 1-3 | 11 | 5 |  | 9 | 5 |  |
| 1-4 | 30 | 7 |  | 25 | 6 |  |
| 1-5 | 51 | 9 |  | 43 | 11 |  |
| 1-6 | 24 | 8 |  | 23 | 3 |  |
| 1-7 | 108 | 42 |  | 116 | 23 |  |
| 1-8 | 38 | 9 |  | 37 | 10 |  |
| 1-9 | 90 | 25 |  | 100 | 14 |  |
| 1-10 | 20 | 8 |  | 23 | 5 |  |
| $1-G$ | 54 | 19 |  | 56 | 13 |  |
| Totals | 474 | 157 | $3 \cdot 0: 1 \cdot 0$ | 485 | 100 | $4 \cdot 9: 1 \cdot 0$ |
| Calculated | $473 \cdot 3$ | $157 \cdot 8$ |  | $438 \cdot 8$ | $146 \cdot 3$ |  |

## TABLE IX.

Analysis of pattern in $\boldsymbol{F}_{3}$. Cross 1. Black eye by Rounceval. For convenience use will be made of the following symbols : $S=$ Solid,$\quad H=$ Holstein,$\quad W=$ Watson $; \quad E=$ Small eye.
(1) The Solids

| Family | S | $W$ | $H$ | $E$ |
| :---: | ---: | ---: | ---: | ---: |
| $1-7-9$ | 24 | 1 | 9 | 1 |
| $1-7-11$ | 25 | 2 | 9 | 3 |
| $1-7-12$ | 21 | 5 | 7 | 1 |
| $1-7-29$ | 5 | 2 | 1 | 2 |
| $1-7-25$ | 17 | 5 | 4 | 1 |
| $1-7-45$ | 51 | 10 | 21 | 2 |
| $1-8-1$ | 28 | 1 | 8 | 2 |
| $1-8-3$ | 24 | 5 | 10 | 1 |
| $1-8-17$ | 17 | 4 | 7 | 0 |
| $1-9-3$ | 15 | 1 | 7 | 0 |
| $1-9-19$ | 3 | 2 | 5 | 0 |
| $1-9-23$ | 8 | 3 | 2 | 0 |
| $1-9-27$ | 11 | 4 | 21 | 1 |
| $1-10-19$ | 4 | 2 | 2 | 0 |

## N. (1) |laklas!




TABLE IX-continued.

|  |  | Family |  | WH | Wh | wH | wh |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3. | The Holsteins | 1-10-16 | - | - | - | 16 | 1 |
|  |  | 1-10-18 |  | - | - | 14 | 1 |
|  |  | 1-10-21 |  | - | - | 69 | 17 |
|  |  | $1-G-24$ |  | - | - | 66 | 15 |
|  |  | tals | ... | - | - | 348 | 74 |
|  |  | culated | ... | -- | - | 316.5 | $105 \cdot 5$ |
|  | Ra |  | $\ldots$ | - | - | $4 \cdot 7$ | $1 \cdot 0$ |
|  |  | 1-7-6 |  | - | - | 16 | - |
|  |  | 1-7-22 |  | - | - | 4 | - |
|  |  | 1-7-30 |  | - | - | 8 | - |
|  |  | 1-7-35 |  | --- | - | 18 | - |
|  |  | 1-8-2 |  | - | - | 15 | -- |
|  |  | 1-9-32 |  | - | - | 42 | - |
|  |  | 1-10-8 |  | - | - | 14 | - |
|  |  | 1-10-13 |  | - | - | 46 | - |
|  |  | $1--G-53$ |  | - | -- | 37 | - |
|  |  | $1-G-65$ |  | - | - | 27 | - |
|  | Small eye ${ }^{\text {To }}$ | al | $\ldots$ | - | - | 227 | - |
| 4. |  | 1-7-7 |  | - | - | - | 117 |
|  |  | 1-7-46 |  | - | - | - | 41 |
|  |  | 1-10-4 |  | - | - | - | 37 |
|  | Total |  | $\ldots$ | - | - | - | 195 |

TABLE X.
The $F_{2}$ results of the cross Red Solid by Black eye.

| Family | Solid | Watson | Holstein | Small eye |
| :---: | :---: | :---: | :---: | :---: |
| $2-3$ | 64 | 5 | 18 | - |
| $2-4$ | 63 | 3 | 19 | - |
| $2-5$ | 3 | - | 4 | - |
| $2-6$ | 12 | - | 6 | - |
| $2-10$ | 31 | 1 | 9 | 1 |
| $2-11$ | 36 | - | 11 | 1 |
| $2-12$ | 37 | 3 | 9 | - |
| Totals | $\ldots$ | 246 | 12 | 76 |
|  | $236 \cdot 3^{1}$ | $15 \cdot 8$ | $78 \cdot 8$ | $5 \cdot 3$ |

${ }^{1}$ Expectation on a $45: 3: 15: 1$ basis.
TABLE XI.
The $F_{3}$ results af the cross Red Solid by Small eye.

1. The Solids $S=$ Solid,$\quad W=$ Watson, $\quad H=$ Holstein, $\quad E=$ Small eye。

| Family | $S$ | $W$ | $H$ | $E$ |
| :--- | :---: | ---: | ---: | ---: |
| $2-4-40$ | 57 | 18 | 32 | 8 |
| $2-4-48 a$ | 14 | 2 | 5 | 1 |
| $2-4-48 b$ | 28 | 6 | 4 | 4 |
| $2-4-83$ | 65 | 1 | 35 | 1 |
| $2-11-19$ | 11 | 0 | 5 | 1 |
| $2-11-20$ | 53 | 3 | 22 | 1 |
| $2-11-37$ | 47 | 1 | 15 | 1 |
| $2-12-17$ | 18 | 3 | 12 | 3 |
| $2-12-47$ | 39 | 5 | 15 | 1 |

T.\BIE XI compinuod.

1. The Solide

| Falutly |  |  | $\checkmark$ | 11 | H | $t$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\because$ | 1 | 11 | $\therefore i$ | $\because$ |  |  |  |
| $\because$ | 1 | . 11 | 12 | 1 |  | $\cdots$ |  |
| $\because$ | 3 | is 9 | $2 i$ |  | 7 |  |  |
| $\because$ | 3 | (in) | 1: |  | $1: 3$ |  |  |
| $\because$ | 3 | NH | N:3 |  | 35 |  |  |
| $\because$ | 1 | S1 | 10 |  | 17 |  |  |
| $\because$ | 11 | $36 i$ | 30 |  | 16 |  | - 11 |
| $\because$ | 12 | $1 \times$ | 30 |  | 12 |  | Intor-350): 114 |
| $\because$ | 1\% | 27 | 16 |  | 11 |  | $3 \cdot 1 \cdot 10$ |
| $\because$ | 12 | 37 | $1: 3$ |  | 3 |  |  |
| $\because$ | 3 | 1ii | 21 |  |  |  |  |
| $\because$ | 3 | 17 | 17 |  |  |  |  |
| $\because$ | 1 | 21 | 1.7 |  |  |  |  |
| $\because$ | $1!$ | :3 | $3:$ |  | - |  |  |
| $\because$ | 12 | 14 | $1: 3$ |  |  |  |  |
| $\because$ | 12 | $26 i$ | 11 |  |  |  |  |

2. The Watsonc

| $\because$ | 3 | $6 i$ |  | 3.4 |  | 11 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\because$ | 3 | $7 \%$ |  | 1 |  | 2 |
| $\because$ | 1 | $1: 3$ |  | 6 |  | 1 |
| $\because$ | 12 | 31 | - | $3: 3$ |  | 9 |
| 2 | 12 | $-19$ |  | 5 |  | 3 |
| Totals |  |  |  | 6i9 |  | 2:1 |
| Cabeulated |  |  |  | 73\% |  | $21 \cdot 5$ |

3. The Holsteins

| 2-- 3-k0 |  |  | 44 |
| :---: | :---: | :---: | :---: |
| $2-3-8111$ |  |  | 34 |
| 2-- 4 - 3.3 |  | - | 42 |
| 2--. 1 - 62 |  |  | 56 |
| 2-3-3111 |  |  | $11 ;$ |
| 23103 |  |  | 28 |
| 2-4-42 |  |  | 1\% |
| 2 4 (i5) |  |  | 39 |
| 2-4-75 | - | -. | 17 |
| $2-10-1$ |  | - | 13 |
| $2-10-27$ | - | - | 25 |
| 2-11 13 |  | - | $26 ;$ |
| 2-11-21 | . - | - | 6 |
| $\underline{0}$ - 11 - 42 |  | - | 47 |

21:5

TAPLE XII.
The $F_{2}$ results of the cross Red Solid by Rromen nye.

| Family | volid | Watson | Holstein | ctmall eye |
| :---: | :---: | :---: | :---: | :---: |
| . $1 ;$ | 73 | 3 | 34 | 3 |
| 5-1 | 70 | 3 | 24 | : |
| j-3 | 13 | $\stackrel{2}{2}$ | 7 | 1 |
| j-5 | 43 | 3 | 7 | 1 |
| 5-6 | 12 | 3 | 1 | 2 |
| 5-8 | 100 | 5 | 24 | 1 |
| 5- ! | 23 | 3 | \% | 1 |
| 7-11 | :36 | 4 | 11 | 1 |
| $\therefore 12$ | 20 | 1 | 4 | 1 |
| 「otal* | 390 | $\because 7$ | 116 | 23 |
|  | $390 \cdot{ }^{\circ}{ }^{\text {i }}$ | 2.7011 | $130 \cdot \%$ | 8.7 |

Expectation (on fi: : $3: 1.5: 1$ husi:

TABLE XIII.
The $F_{3}$ results of Cross 5. Red Solid by Brown eye.
$S=$ Solid, $W=$ Watson, $H=$ Holstein, $E=$ Small eye,

|  | Family | $S$ | W | H | E |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. The Solids | 5-1-50 | 10 | 7 | 6 | 1 |  |
|  | 5-6-17 | 10 | 1 | 4 | - |  |
|  | 5-11-48 | 12 | 3 | 4 | 2 |  |
|  | $5-G-1$ | 12 | 1 | 7 | - |  |
|  | 5-G-23 | 21 | 2 | 2 | - |  |
|  | 5-G-26 | 17 | 1 | 7 | - |  |
|  | 5-G-55 | 21 | 1 | 9 | - |  |
|  | 5-8-55 | 17 | 2 | - | - |  |
|  | 5-8-106 | 16 | 7 | - | - |  |
|  | 5-G-21 | 42 | 31 | - | - |  |
|  | 5-G-54 | 32 | $2^{2}$ | - | - |  |
|  | 5-1-37 | 17 | - | 5 | - | : ... |
|  | $5-1-66$ | 15 | - | 4 | - |  |
|  | 5-8-120 | 20 | - | 2 | - |  |
|  | $5-11-2$ | 8 | - | 10 | - |  |
|  | $5-11-46$ | 15 | - | 4 | - |  |
|  | $5-G-2$ | 17 | - | 3 | - | S H |
|  | $5-G-7$ | 21 | - | 11 | - | Ratio 179:71 |
|  | 5-G-10 | 29 | - | 13 | - | $2 \cdot 5: 1.0$ |
|  | j-G-13 | 31 | - | 16 | - |  |
|  | $5-G-14$ | 6 | - | 3 | - |  |
|  | $5-G-5$ | 51 | - | - | - |  |
|  | $5-G-56$ | 14 | - | - | - |  |

2. The Watsons. No Watsons grown from this cross.
3. The Holsteins. (1) Saddle Holsteins.

| Family | s | W | $H^{3}$ | E |
| :---: | :---: | :---: | :---: | :---: |
| 5-1-10 | - | - | 34 | - |
| 5-1-17 | - | - | 11 |  |
| 5-1--72 | - | - | 5 |  |
| 5-1-79 | - | - | 21 |  |
| $5-2-6$ | - | - | 59 | - |
| 5-3-16 | - | - | 30 |  |
| $5-5-15$ | - | - | 41 |  |
| 5-5-16 | - | - | 24 |  |
| 5-5-24 | - | - | 7 |  |
| 5-8-10 | 1 | - | 35 |  |
| 5-8-23 | - | - | 57 | - |
| $5-8-31$ | 1 | - | 65 | - |
| $5-8-35$ | - | - | ${ }_{61} 6$ |  |
| $5-8-67$ | - | - | 41 | - |
| $5-8-77$ $5-8-85$ | - | 二 | 78 | - |
| 5-8-113 | - | - | 12 | - |
| $5-8-115$ | - | - | 44 | - |
| 5-8-135 | - | - | 40 |  |

1 The two forms bred true ( 15 and 13), in $F_{4}$.
2 The two Watsons bred true in $F_{4}$ ( 16 and 6 respectively).
${ }^{3}$ All Saddle,


| Family |  |  | , | W | 11 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\therefore$ | ! | $1{ }^{\text {i }}$ |  |  | 93 |
| $\therefore$ | 9 | $\checkmark$ |  |  | St |
| $\therefore$ | 11 | 26 |  |  | $2:$ |
| $\therefore$ | 11 | 36 |  |  | 17 |
| S | 12 | 11 |  |  | in |
| $\therefore$ | $1 ;$ | 12 |  |  | 21 |
| ; | (i) | $1: 1$ |  |  | 11 |
| S | -(i) | 20 |  |  | 19 |
| $\therefore$ | (i) | 24 |  |  | 26 |
| I | $1 ;$ | 2.9 |  |  | ${ }^{1}$ |
| : | 1 | 31 | - |  | 47 |
| i | (i) | 11 |  |  | :1 |
| ; | 1 | 4.5 | 1 |  | 14 |
| $\therefore$ | 1 | 50 |  |  | W2 |
| S | $1 ;$ | .3 |  |  | 26 |
| T | $1 ;$ | 58 |  |  | 16 |
| i | $1 ;$ | 77 |  |  | 21 |
| i | 1 | Ne: | - |  | 23 |
| $\therefore$ | (; | n- |  |  | $1{ }^{1}$ |
| \% | (i | 100 |  |  | i1) |

(2) The Holuteins of type lavereve with spots. (Tupe 2.1


TABLE XIV.
The $F_{2}$ generation of the cross Black eye $(B)$ by Rounceval $(b)$.

| Family | $B$ | $b$ | Ratio |
| :---: | ---: | ---: | :---: |
| $1-1$ | 36 | 4 | - |
| $1-2$ | 26 | 8 | - |
| $1-3$ | 9 | 7 | - |
| $1-4$ | 29 | 8 | - |
| $1-5$ | 45 | 15 | - |
| $1-6$ | 25 | 7 | - |
| $1-7$ | 117 | 33 | - |
| $1-8$ | 39 | 8 | - |
| $1-9$ | 83 | 32 | - |
| $1-10$ | 21 | 7 | - |
| $1-G$ | 53 | 19 | - |
| Totals | $\ldots$ | 483 | 148 |

TABLE XV.
The $F_{3}$ results of the cross Black pye ( $B$ ) by Rounceval (b).
(1) Families which segregate into $B$ and $b$.


## TABLE XV'I.



| Familly | Brown | Marmin | Beed |
| :---: | :---: | :---: | :---: |
| i- 1; | 7.5 | 30 | 9 |
| 5-1 | is | 1.5 | \% |
| 5 2 | 12 | (i) | 3 |
| $\therefore 3$ | 17 | 6 |  |
| i-. 1 |  |  |  |
| 5.5 | 40 | 1.7 | 3 |
| $\therefore 6$ | 11 | 1 | 3 |
| $\therefore-8$ | 9.5 | 2.5 | 10 |
| 5-9 | 26 | 5 | 3 |
| 5-11 | 40 | 10 | $\because$ |
| i-12 | 17 | 6 | 1 |
| Totals | 391 | 122 | 39 |
|  | $441 \cdot{ }^{1}$ | $110 \cdot 1$ | $36 \cdot 8$ |

Expectation on 12: 3:1 basis.

## TABLE XVII.



1. The Browns.

| Family | Brown | Maroon | Red | Family | Brown | Maroon | Reer |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5-1-28 | 18 | - | -- | $5-11-48$ | 15 | 6 | - |
| $5-3-16$ | 30 | - | - |  |  |  |  |
| 5-5-1 | 64 | -- |  | $5-5-36$ | 37 | - | 15 |
| $5-5-20$ | 70 | - | -- | 5-8-94 | $3 \times$ | -- | 9 |
| 5-5-21 | 46 | - | -- | $5-8-135$ | 28 | - | 12 |
| $5-5-56$ | 14 |  |  | 5- 9 3 | 24 | -- | 6 |
| 5-8-23 | 57 | - | - | 5--6-19 | 31 | -- | 10 |
| $5-8-50$ | 8. | -- | -- | 5) $-6-77$ | 14 | - | 6 |
| $5-8-51$ | 82 | -- | - |  |  |  |  |
| $5-8-59$ | 35 | . - | - | $j-8-13$ $5-1-23$ | 17 | 1 | $\frac{3}{7}$ |
| $5-8-67$ | 41 |  | . | $0-1 \times$ $5-1 ;$ | 17 | 1 | 1 |
| $5-8-79$ | 65 | -- | - | 5-6-31 | 3.) | ¢ | \% |
| $\therefore \times-85$ | 3.) |  | - | 5) 6 - 41 | 34 | 12 | 8 |
| 5-8-101 | 49 |  |  |  |  |  |  |
| j-8-115 | 44 |  |  | 3- 5 - 0 - 98 | 15 | 4 | if |
| $5-11-36$ | 17 | - | - | j- 5 - 1 - 9 | 15) | 4 | f) - |
| j- $i \boldsymbol{i}-16$ | $3 \times$ |  | -- | 5-1-55 | 1 | 3 | 2 |
| j) 1i 1. | 14 | -- | - | 5-8-31 | 47 | 123 | 6 |
| - - $1 ;-$ - | 22 | 6 | - | 5-8-77 | 60 | 14 | 1 |
| 5-1; 31 | 2.5 | 3 |  | 5- ${ }^{\text {c- }}$ - 1 | 63 | 13 | j |
| $\overline{5} 1 ; \ldots 4!$ | 1* | 6 | - | 5-- -1111 | $\because 2$ | 7 | 4 |
| $\overline{7} 1 ; \quad$ il | 12 | 3 | - | 5 - 9 - i | $6!$ | 11 | ${ }^{*}$ |
| 5-1; ix | 13 | 3 | - | $5-9-8$ | 13 | 12 | 4 |
| 5 1; Ni, | 19 | 4 |  | 5 - 11-26 | 18 | 3 | 1 |
| 5-1-19 | 19 | 7 |  |  | - | - |  |
| $5 \quad 1 \quad 7!$ | 16 | 5 |  |  |  |  |  |
| . 20 ij | 12 | 17 | - | ᄅ. The Maroons. |  |  |  |
| $5-5-15$ | :30 | 11 |  | 2. The Maroons. |  |  |  |
| $5-8-18$ | ご | 9 |  | 5 $\quad$ \% 12 |  | 13 | 1 |
| $5-8-3.5$ | 51 | 1.7 |  | 5-s $2: 3$ |  | 23.3 | 10 |
| 5- 8-109 | 2.5 | 11 | - | 5-11-2 |  | 12 | 6 |
| 5-x-117 | 13 | 1 |  | 5) 11 . 0 |  | 56 | 38 |
| Journ. of | VIII |  |  |  |  |  | 9 |

## TABLE XVII-continued.

| 2. The Maroons. |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Family | Brown | Maroon | Red | The Reds. <br> Family | Brown | Maroon | Red |
| $5-G-12$ | - | 17 | 3 | $5-1-17$ | - | - | 11 |
| $5-G-21$ | - | 33 | 12 | $5-1-37$ | - | - | 16 |
| $5-G-22$ | - | 14 | 8 | $5-1-50$ | - | - | 24 |
| $5-G-26$ | - | 20 | 5 | $5-1-66$ | - | - | 19 |
| $5-G-53$ | - | 23 | 3 | $5-5-16$ | - | - | 24 |
| $5-G-100$ | - | 49 | 21 | $5-6-17$ | - | - | 15 |
| $5-5-39$ | - | 4 | - | $5-8-10$ | $2^{1}$ | $1^{1}$ | 35 |
| $5-5-C$ | - | 14 | - | $5-8-55$ | - | - | 19 |
| $5-5-45$ | - | 35 | - | $5-8-106$ | - | - | 23 |
| $5-8-113$ | - | 12 | - | $5-11-46$ | - | - | 22 |
| $5-G-2$ | - | 20 | - | $5-12-11$ | - | - | 48 |
| $5-G-7$ | - | 21 | - | $5-G-10$ | - | - | $42^{2}$ |

[^44]
# ON THE RELATION BETWEEN NUMBER OF ('HROMOSOMEN ANI) NCMBER OF TYPEふ, IN L.ATHV゙RUS ESPECIAILY. 

BO. WIN(E

(With Plater V.)

The number of simultaneously and independently segregating pairs of factors ${ }^{1}$ in the species investigated by genetic experts has, as we know, never get been found so high as to exceed the haploid chromosome number of the species. Consequently, there is still nothing to subvert the theory that the genes have their morphological equivalent in the chromosomes and that these latter are-or can be-individually dissimilar in a given biotype as regards the genes included.

It is a question of very great theoretic importance, whether the simultaneously segregating pairs of factors, not mutnally connected, can ever exceed the number of chromosomes in the species concerned, this being, so to speak, a decisive point as regards the value of the cntire section of the study of chromosomes related to the science of genetics. If a biotype could be found to exhibit segregation of but a single pair of factors in excess of the number indicated by the haploid chromosome value, then, properly speaking, the theory as to the value of chromosomes as bearers of the genetic, segregating units would collapse at once. The nice agreement between reduction division and segregation would thus be irrevocably destroyed.

At a first glance, it might seem likely that we should be able, in highly varying species, to segregate without great difficulty a greater number of types than the chromosome number found for the species permits. We can, however, obtain a surprisingly large number of combinations even from a quite small number of chromosomes, and it must also be borne in mind that the theory of agreement between reduction division and Mendelian segregation would by no means be destroyed even if we did succeed in finding a greater number of independently mendling pairs of genes (or pairs of gene-complexes) within a Linnaean

[^45]species, than corresponds to the haploid chromosome number. Even a species with but a single chromosome in the haplophase, and two in the diplophase, might be allowed to contain an unlimited number of independently segregating genes, as the two chromosomes in the diplophase might very well be genotypically different between individuals within the species. The point is, that according to the theory, there must not be more independently mendling pairs of factors in a given biotype (individual or clone) than the chromosome number of the biotype indicates. As soon as two individuals (not to speak of more) not belonging to the same biotype are introduced into the experiment, the possibility of new combinations is considerably increased, unless the two original individuals are homozygotic.

An organism with only one chromosome in the haplophase $(x=1)$ will naturally only be able to have two different chromosomes at the outside in the diplophase. Let us call these $A$ and $a$. Two different types of gamete can then arise, viz. $A$ and $a$, and these can form three different types of zygote: $A A, A a$, and $a a$, of which two are homozygotic.

With $x=2$, a given biotype can be doubly heterozygotic ; i.e. $A a B b$, and four kinds of gametes can be formed, viz. $A B, A b, a B$ and $a b$, of which in $F_{1}$ it will be possible to obtain nine diploid combinations, $A A B B, A A B b, A A b b, A a B B, A a B b, A a b b, a a B B, a a B b$, and $a a b b$, of which four will be homozygotic in both characters.

Where $x=3,8$ different gametes can be formed, giving 27 different diploid combinations, of which 8 are homozygotic.

In a word: With a given haploid chromosome number, $x$, we can by self-fertilisation and segregation of a single individual obtain, theoretically speaking, at the outside $2^{x}$ different gamete types and $3^{x}$ different diploid biotypes, of which $2^{x}$ will be homozygotic in all characters.

If we are to entertain any hope of controverting the theory of identity between reduction division and segregation, then naturally it will be necessary to work with organisms having a low chromosome number, and capable of self-fertilisation. A plant with only eight chromosomes $(x=8)$ will on self-fertilisation be capable of forming 256 different gametes, and will in $F_{1}$ segregate 6561 different types.

If the segregation experiments be commenced with more than one biotype, which of course will as a rule be necessary when working with species not capable of self-fertilisation, the question becomes more complicated.

Two individuals with $x=1$ can in the diplophase differ in both
chromosomes, the une diplobiont having the formula $A A_{1}$, the wher a $a_{1}$. (On formation of the gametes, we cath then obtain fome diftionent
 typically ditterent diphoid combinations, vi\% $A_{1} \quad A \prime_{1} A_{1} A^{\prime} A_{1} A_{1}$, and these will. on reduction division, agath throw off the forlt gathetes
 can by free combination of these find 10 genotypically different combi-
 of which four are homozgotic ; one for each gamete type.

On considering in the same way an organism with two chromosomes in the haplophase $(x=\boldsymbol{2})$, and presuming the segregation experiment to commence with the crossing of two individuals having different genotypic ralue for all the chromosomes of the diplophase (eight in all in the two individuals) then each individual will be able to form four gametes, or eight different grametes from both. On crossing these forms, we obtain 16 different biotypes in $F_{1}^{\prime}$ : and in $F_{2}^{\prime}$, where the gametes ( 16 different) can combine altogether freely, there can arise 100 genotypically distinct diploid types, of which 16 will be homozyotic in all characters, i.e. one for each gamete type formed by $F_{1}$.

Where $r=3$, we can by crossing two different individuals easily obtain, theoretically, eight gametes from each, i.e. 16 different in all. In $F_{1}, 64$ types will have arisen, able to form in all an equal number of gametes, and in $F_{2}, 1000$, of which 64 are homozygotic.

Brietly then, if a segregation experiment be commenced by crossing, two individuals of the species to be investigated, then we cor" in $F_{1}$ obtrin $4^{x}$ and in $F_{2}$ and the following generutions $10^{x}$ genotypically distinct forms, of which $4^{x}$ will be homozygotic in all characters, where $x$ indicotes the haploid chromosome number of the species.

If, for instance, we commence by crossing two entirely different individuals, heterozygotic throughout, of a species with eight chromosomes in the haploid phase, then in $F_{1}$, there can arise 65536 , and in $F_{2}$ a milliard different types.

On extending the analysis so as to include a further number of individuals, as to whose genotypic constitution nothing is previously known, then the number of possible combinations will of course be far higher even than this, as also when "crossing over" takes place. In this last case we cannot reckon the possibilities beforehand.

The advantage of working with self-fertilising organisms is thus entirely evident. It would be even better if we conld make our genetic experiments with organisms where the haplophase was a richly developed
and independently living individual, as for instance in the liverworts. This I have already pointed out in a previous work: "The Chromosomes. Their numbers and general importance" (Comptes rendus des travaux $d u$ Laboratoire de Carlsberg, Vol. xiII, Copenhagen, 1917). A species such as Marchantia polymorpha, with eight chromosomes, would thus only form, at the outside, 256 types on crossing between two individuals; and by taking an individual of a monoecious species, self-fertilised, then eo ipso we should obtain but one type-a pure line-if we may use this term also for cultures of haplobionts.

Lathyrus odoratus is one of the plants with which we may hope sooner or later to elucidate the important question as to agreement of reduction division with Mendelian segregation, as students of genetics have for a long time back been occupied with the genotypic features of this species.

Acting upon a suggestion from Prof. R. C. Punnett, of Cambridge, concerning the number of chromosomes in Lathyrus odoratus, I proceeded, in the summer of 1918, to fix and examine material of the species in question. In a written communication to me, Prof. Punnett stated that Mr R. P. Gregory had informed him that there were doubtless seven or eight chromosomes in the haplophase. Otherwise, as far as I am aware, nothing is stated in extant literature as to this; no mention is made as to any species of Lathyrus either by Tischler in his excellent "Chromosomenzahl, -Form und -Individualität im Pflanzenreiche" (Progr. Rei Bot., Vol. v, 1915, p. 164) or by Ishikawa in his likewise very comprehensive work, "A list of the number of chromosomes" (The Bot. Magazine, Tokyo, Vol. xxx, 1916, p. 404).

On two occasions, in the early spring and early summer of 1918, Prof. Punnett sent me, from his cultures at Cambridge, freshly fixed material of young flowers of L.odoratus. On investigation, however, the former consignment was found to be at a too advanced stage, as the tetrad division had throughout been completed. The second batch of material, again, was too young, no stage beyond synapsis being discernible. In order not to delay the investigation further by correspondence under the present abnormal conditions prevailing in the postal service, I therefore fixed material myself, obtaining it from a garden at Marselisborg, near Aarhuus (Jutland) in the month of July. The material was fixed in Carnoy's liquid, and stained with Delafield's haematoxylin. Besides the above mentioned species, I also fixed, in September, by the same means, some young flowers of Lathyrus latifolius, cultivated in the experimental nursery of the Carlsberg Laboratory, Copenhagen•

A cytological investigation, carried out cascotially with a siow to aseertaining the chromosome number, gate the following result.

## Iathyrrus odoratus I .

The chromosomes are large and somewhat whgated in the hetrow typie metaphase. They are present th the momber of $7(=, r)($ Frigne 1 and 2). There is no ditferenee, on the whole, in the size of the different chromosomes. splitting and transition th the anaphase procecel fairly regularls. One of the chromosome pairs can, however, at times be. separated slightly carlier than the remainder (Fige, 3). The heterotypic telophase may often give an impression that the chromosonne mumber is greater than seven, owing to the fact that the chromosomes at this stage are bent 10 an angle, and also exhibit splitting in the plane through which the subsequent homoentypic division takes place. The chromosomes being bent to an angle (the angle pointing toward the pole of the nuclear spindle) will in a certain position each appear as two separate chromosomes (schematically shown in Fig. 4) and as the chromosome is further split in the plane of the angle, we find, extremely often, apparent groups of four chromosomes, to the number of seven, i.e. 28 altogether (Fig. 5). Fig. 6 shows the chromosomes in the metaphase of the homoeotypic division; here also we can with great certainty count seven chromosomes in each of the two nuclear plates of the spore mother cell. In the anaphase of the homoeotypic division also, we may find what would seem like more than seven chromosomes, the chromosomes here being likewise bent to an angle, though not split.

An investigation of the chromosomes in somatic cells showed entire agreement with the figure found in the haplophase, i.e. 14 (Fig. 7). As is usually the case, the chromosomes here were of slemderer form than during reduction division.

## Lathyrus latifolius L.

This perennial species appeared in every respect as $L$. odorotus, and the eytological picture for the two species is so uniform that preparations of the one might be taken for those of the other. Not only is the chromosome number likewise seven, as the heterotypic metaphase in Figs. 8-9 shows, but the chromosomes themselves are als, entirely alike in size and shape. Here, as in L. odoratus, twice the number conld be counted with perfect certainty in somatic cells (Fig. IO).

These two species, then-the only species of Lathyres hitherte investigated—present an instance of the ordered regularity with which in larger or smaller systematic groups in the animal and regetable
kingdoms, the chromosome members of closely related forms are found to be themselves related; i.e. either entirely alike, or multiples of a cardinal number characteristic of the group-as I have explained in my work above quoted.

The chromosome number seven is a comparatively low value to find among phanerogams, and should, a priori, count in favour of the employment of Lathyrus in genetic experiments. The theory as to agreement between reduction division and Mendelian segregation permits-commencing either with self-fertilisation of one heterozygotic individual or by crossing of two pure lines-that there be found at the outside seven independently segregating pairs of factors (or pairs of factor groups). A segregation experiment commenced in one or other of these two ways should not lead to the production of more than 128 different biotypes, all homozygotic throughout.

As to how far it may prove possible to find more than seven independently segregating pairs of factors or pairs of factor groups in a single biotype of the species, is a question which future investigations must decide. Personally I feel confident that they will not be found.

I have observed nothing in my material which might lead to the interpretation that chiasmatypy, in the sense of Janssens, is met with in Lathyrus. In my opinion, even in organisms in which breeding experiments have resulted in the view that parts of the chromosomes are exchanged during the reduction division, this process is not usually going on at so late a stage as shown by Janssens. More probably it occurs in synapsis where it cannot readily be demonstrated by microscopical methods.

## Carlsberg Laboratorium, Copenhagen,

15 October 1918.

## EXPLANATION OF PLATE V.

> All figures are drawn with aid of Abbe's camera lucida, using Zeiss' homog. immers. $$
2 \mathrm{~mm} . \text { and comp. oc. } 18 .
$$

Figs. 1-7, Lathyrus odoratus. Figs. 8-10, L. latifolius.
Figs. 1-2. Pollen mother cell. Heterotypical metaphase (polar view).
Fig. 3. Pollen mother cell. Heterotypical meta-anaphase (side view).
Fig. 4. Two chromosomes from heterotypical anaphase (schematically).
Fig. 5. Pollen mother cell. Heterotypical anaphase (polar view). Apparently 7 groups of 4 chromosomes present.
Fig. 6. Pollen mother cell. Homotypical metaphase.
Fig. 7. Somatic cell with 14 chromosomes.
Fig. 8. Pollen mother cell. Heterotypical metaphase (polar view).
Fig. 9. Pollen mother cell. Heterotypical metaphase (side view).
Fig. 10. Somatic cell with 14 chromosomes.

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# SEX SEGREGATION IN THE BRYOPIIYTA. 

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## (With Plate VI and Five Text-figures.)

Whilst the majority of plants show an alternation of generations in the complete life cycle, it is in the Bryophy alone that the gametophytic (n) phase shows an independent growth combined with a high degree of morphological differentiation. The study of sex in this group does not involve, as it does in the highest forms of plant life, the consideration of sporophytic tissues differentiated as "sex organs" in responseto the parasitic nature of the gametophyte generation. It may well be that very considerable light would be thrown on the nature of sex and much information gained as to its mode of inheritance by further studies among the lower plant groups.

In recent years no more interesting and suggestive papers concerning sex in Mosses have been published than those of El. and Em. Marchal ${ }^{1}$, and a very brief outline of these papers will serve to show the scope of their researches.

By compounding a suitable culture fluid, these investigators have grown what might be regarded as pure line cultures of the various mosses experimented with. Starting with the spores from capsules of dioicous forms, these were shown to be uni-sexual, inasmuch as the protonemata developed from them produced leafy axes which were all of one sex, either male or female. The male and female axes so produced were approximately equal in number, and the protonemata obtained vegetatively from them gave leafy axes of the same sex as the parent axes. Protonemata were then induced to develop apmsorously from sporophytic (2n) tissue, and these produced a proportion of hermaphrodite axes. The proportion of hermaphrodite axes however was very low ; e.g. in Bryum caespiticium, of 1738 axes 1579 were make, 154

[^46]hermaphrodite and 5 female, a result which shows a striking preponderance of male axes. No sporogonia were borne upon any of the aposporous products as the sex organs were sterile. Abnormal organs of mixed sex also were found in B. caespiticium and Mnium hornum. The investigators concluded that there was cause to think that the uni-sexuality of dioicous mosses in the haploid phase was absolute, and due to the presence-to the exclusion of the other-of only one sex determinant, and that the

maturation process was the occasion of the segregation to the state of purity of sexual characters in the spores. In other words a clean cut sex segregation occurred at the reduction division of sporogenesis. Undoubtedly the low proportion of hermaphrodite axes resulting from aposporously developed protonemata is a serious hindrance to the acceptance of the theory, for on the hypothesis we should have expected that plants arising aposporously from sporogonial tissues would all be
hermaphredite. 'The ditticulty is reoognised by Fil and Ean. Marchal, but in alleviation of this objection they suggest that almong the male plants may have been many in which the development of of wgans may have leen suppressed. The aposprome preducts of the dioicons forms B. coespiticium, 13. argenterm. 13. coppillare, B. fillare and M. lun'mum were without exeeptionsterile. A pasporons prostucts of momoicons forma were fertile, producing diphoid gametes. Thase united in fortilisalion. and by further apesperous development from the sporogonium tep rapheid gametophytes were formed.

In suppert of the theory of sex segregation at eporogenesis the recorded sex behaviour of stpherocarpus terrestris is often quoted. A is well known, the spores of this Hepatic are shed in the original terad groups and acoording to ( ${ }^{\circ}$. Douin, two o and two of plants result from the development of the spores of each tetrad. More precisely, of $x 1$ ipmer gromps examined 64 showed two $\delta$ and two of plants, 13 grominated imperfectly and 4 showed results not in agreement with expectation.

Recently Allen' has reported a chromosome difference correlated with sex differences in Sphuerocarpus Donelli, and his limited observations indicate that of the spores of each tetrad, two give $\delta$ and two give \& plants as in serrestris. At the reduction division two of the four spores each receive a large chromosome and these develop female plants. whilst the other two receive a small chromosome each and give rise to male plants.

It will be seen that the theory emphasises the dual nature of the sporophyte generation, in that it carries both sex determinants. The determinants however bring about no expression of sex in the sporogonium, but assuming that dioicous sex plants were foreshadowed by two types of spores, a differentiation of sporophytic tissues in conformity with the change might ensue. Thus changes would be initiated which would give the sporophyte the appearance of "sex monocism," and inhibition of the differentiation of one or other of the "sex organs would lead th the dioicous sporophyte. Should the relative importance of the two generations in the life cycle become reversed, the parasitism of the sexed plants would bring about a still greater differentiation of tissues of the sporophyte in accordance with the physiolugical nend. Needless to say the changes would lead to the impression of "sex characters" upon the sporophyte.

Scheme I is suggested as an expression of the theory for dioneous forms, whilst Scheme II would apply to monoicons types. In the latter

[^47]scheme an alternative reading is given ( $A$ and $B$ ). If the purity of the gamete for sex characters be maintained, a sex segregation in the somatic tissues of the gametophyte is assumed to occur $(B)$. This point will be considered a little later.

Quite naturally the question arises, how far can the facts of sex inheritance gained from the study of animals, be applied to these plant forms, if indeed they can be applied at all? At the outset it must be borne in mind that in general, meiosis accompanies gametogenesis in animals, and sporogenesis in plants. Exceptions occur in plants, as for example in the Fuci, where there is no alternation of generations and reduction occurs at gametogenesis.

Assuming that in a monoicous ( $\left.\begin{array}{c}\hat{+}\end{array}\right)$ form of moss, the gametophyte produced $\sigma^{\prime \prime}$ gametes bearing the male factor, and $i+$ gametes bearing SCHEME I.


## Dioicous type.

## SCHEME II.



## Monoicous type.

either the $\delta$ or $o f$ factor, then two types of sporgonia would be produced, ( $(1)$ those bearing exclusively male elements whose spores ( $\sigma^{\prime}$ ) would result in $\delta$ gametophytes only and $(b)$ those carrying both male
 gametophytes. Such a possibility is not excluded ${ }^{1}$, although it is generally assumed, without definite knowledge to the contrary, that the
${ }^{1}$ In Bryum mamillatum the monoicous condition is accompanied by distinct male plants. It is not possible to say whether such plants have been derived from spores produced by sporogonia exclusively male in character, or whether of the spores in any one capsule some bear $\delta$ and others $\%$ factors.
spores of any moss capsule of a monoicous species produce monoicous gametophytes. The further assumption, that maleness is recessive, would mean the extinction of the monoicous habit.

Again in dioicous species it is generally agreed that the spores of any single capsule develop to give rise to either $\delta$ or $q$ axes, but the theory would lead us to assume, as with monoicous forms, the existence of certain capsules, all the spores of which produce male axes exclusively, and others whose spores produce monoicous axes in which maleness is latent.

Although the experiments upon which El. and Em. Marchal based the theory of sex segregation have not been repeated, the theory has been subjected to considerable criticism. Recently M. Wilson ${ }^{1}$ found organs of mixed sex together with normal sex organs upon naturally growing plants of Mnium hornum. A cytological examination was made of this material and a normal antheridium which happened to be in spermatogenesis showed the haploid number of chromosomes. From this it was evident that meiosis had occurred, and it was not probable that the plant had been produced aposporously as the theory would demand. Also it was suggested that a low proportion of hermaphrodite axes, such as was produced in aposporous cultures, might very well be found in nature following a normal process of sporogenesis.

My own experience relates to the well-known form Funaria hygrometrica which has been described by many competent observers as monoicous, whilst others, equally competent, have described it as a dioicous species. Under these circumstances Boodle ${ }^{2}$ some years ago undertook an inquiry into the question of the distribution of the sex organs, and after examining material from many localities came to the conclusion that the plant was monoicous, and dioicism, if it occurred, was comparatively rare. It was found that the shoot which bore archegonia terminally, arose as a lateral branch of the axis bearing the terminal male "flower," and no instance was observed in which a female axis produced a male branch. Boodle concluded that the dioicous habit was attributed to the plant because young plants bearing the discoid male "flowers" only were found, and that if female branches were gathered they were generally torn from the male axis to which they were attached, the presence of a basal tuft of rhizoids on the female branches giving them the appearance of distinct plants.

During the course of some experiments conducted for the purpose of determining the best cultural conditions for the production of proto-

[^48] hygrometrice were mad. in Marchals' mutriont liguid. 'Thess coltures were whtained (a) from antheridia taken from a singhe malu "flower," (b) from perigonial leaves, and (e) from the spores shad from one riperned capoule. Fach culture when sufficiently grown was peured out upen soil contained in a small carthenware pot, ower which beiling wat er had been prured some little time previously. The prots were then coswerd and stond in a cold frame. When the protonemal folt was obsereved growing strongly, the coverings were remowd and no further attention was given to the pots. Later however it was observed that whilst the sward of plants obtained from the culture from spores had prowluced a dense crop of sporogonia, a close sward of plants with large diseroid mal"flowers" had appeared in the two cultures resulting from antheridia and perigonial leaves. A second crop of discoid male "flowers" was produced by these same cultures but no sporogonia were produced at any time ${ }^{1}$. Photographs of two of these cultures, $A$ from spores and $B$ from antheridia, are reproduced on Plate VI.

It appears possible that vegetative development from structures borne on male and female axes respectively may, if a sex segregation has actually occurred somatically, lead to the production of distinct male and female plants. If such is the case the purity of the gumete in monoicous forms is secured by a somatic segregation in haploid tissue. It is interesting to recall in this connection that El. and Em. Marchal have stated for Funcria; that $\delta$ axes and $i f$ axes may arise from the same protonema and that this has led to a confusion concerning monoicous and dioicous forms. Thus the point at which segregation occurs is not necessarily fixed, but may be shifted backward in the lifcycle until it occurs at sporogenesis. Thus the dioicous habit of the gametophyte may, as we can imagine, have been established. In this way the divicous condition might co-exist with the monoicous (autnicous), a state of affairs known to oceur in some mosses, e.g. Dicranella crispu, or the autoicous condition might be accompanied by distinct male plants e.g. Bryum mamillatum.

Other forms might be mentioned which show varying sex comditions, whilst vegetative propagation from sex-segregated axes would also lead to the production of the various sex-forms of one species.

The generalized scheme figured on p. 146 deals with sex segregation and vegetative reproduction in both monoricous and diovicons types.
${ }^{1}$ Because of this interesting result, perichactial leaves associated with the archegonia in Funaria are now being made the subject of a similar experiment.

GENERALIZED SCHEME.


* SS. Point at which it is assumed that a segregation of sex occurs.


## PLATE VI.

For explanation see p. 145.

A. Vlant-grown from-pores. Monoicons plant- hearing-penowniat.

B. I'lant- grown from antheridia. Males only.

## RACIAI, s'TUHEN IN FISHES

## II. ENPERIMENTAL INVESTIGATIONS WITH LEBISTES RETICULATUS (PETERS) REGAN

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> (With One (iraph.)

## I. Introduction.

The purpose of the experiments about to be discussed was to contribute information on the rather obscure question whether, or to what extent, quantitative racial characters are hereditary.

The tropical-American Cyprinodont Lebistes reticulatus (Peters) Regan ${ }^{1}$ was employed in the experiments. I have previously used this little aquarium-fish in experimental investigations, namely for the purpose of demonstrating the importance of environment on the numbers of organs (dorsal rays).

Lebistes reticulatus is, like so many of its relatives, dixiparous, and under favourable conditions the female brings into the world, at intervals of about 4 weeks, a considerable number of young. The young possess at birth the full number of vertebrae, dorsal rays, etc., which is therefore recognisable immediately after birth.

The experiments fall into two groups, of which the first helps to elucidate the importance of external factors (temperature) upon the number of dorsal rays. The second is concerned with the question whether hereditary differences, i.e. differences dependent upon internal factors, may be proved to exist in different individuals. Before I proceed to discuss the experiments, I may draw attention to the fact that the

[^49]number of dorsal fin rays in Lebistes reticulatus varies from 5 to 8. By far the most usual number is 7 .

A more detailed account appears in Vol. XIV, Nos. 1 and 5, of the Comptes-Rendus des Travaux du Laboratoire de Carlsberg, Copenhagen.

## II. Importance of External Factors.

The principle was to vary the temperature for the same pair of parents from one period of pregnancy to the other, and then determine the number of dorsal rays in the various broods of offspring. In the beginning I had no means of maintaining a constant temperature in the aquaria, and was therefore compelled to limit myself to stating that the animals in the experiments were kept at a "low," "medium" and "high" temperature, in which " medium" temperature was ca. $6^{\circ}$ above "low" and ca. $3^{\circ}$ below "high." "Low" temperature was generally equivalent to ca. $19^{\circ}$ Centigrade, varying between ca. $17^{\circ}$ and ca. $23^{\circ}$.

In the experiments 5 different pairs of Lebistes reticulatus were used. The results of these investigations can be seen from Tables I-V, each of which shows the number of rays in several broods from the

TABLES I-V. Number of dorsal rays in offspring of the same pairs of parents at different temperatures.

| No. of rays | TABLE I. ${ }^{*} 7 \times 97$. |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | High <br> temperature | Medium temperature | Low temperature | Low temperature | High temperature |
|  | Born 12 March | Born 13 April | Born 1 June | Born 25 July | Born 25 Sept. |
| 8 | 9 | - | - | 1 | 4 |
| 7 | 6 | 20 | 25 | 33 | 16 |
| 6 | - | - | 13 | 4 | - |
| n | 15 | 20 | 38 | 38 | 20 |
| a | $7 \cdot 600$ | 7.000 | 6.658 | 6.921 | 7.200 |
| $\sigma$ | $\pm 0.532$ | - | $\pm 0.493$ | $\pm 0 \cdot 390$ | $\pm 0.414$ |
| P.E. A. | $\pm 0.093$ | - | $\pm 0.054$ | $\pm 0.043$ | $\pm 0 \cdot 062$ |
| Fl. | $\pm 0 \cdot 465$ | - | $\pm 0 \cdot 270$ | $\pm 0 \cdot 215$ | $\pm 0 \cdot 310$ |

TABLE II. $\quad$ t $8 \times 98$.

| No. of rays | Medium temperature <br> Born 12 April | Low temperature <br> Born 29 May |
| :---: | :---: | :---: |
| 8 | 15 | - |
| 7 | 29 | 27 |
| 6 | - | 5 |
| n | 44 | 32 |
| a | $\mathbf{7 . 3 4 1}$ | $\mathbf{6 . 8 4 4}$ |
| $\sigma$ | $\pm 0.483$ | $\pm 0.399$ |
| P. E. A. | $\pm 0.049$ | $\pm 0.048$ |
| Fl. | $\pm 0.245$ | $\pm 0.240$ |



| N0 of rave | Madium temperaturn \|kirn 27 May | Lav (allinetaluto <br> \|hirn |t Inl| |
| :---: | :---: | :---: |
| N | - | - |
| T | 19 | 31 |
| 6i |  | i |
| 11 | 57 | 37 |
| ค | 7140 | $6 \cdot 30$ |
| (1) | (0) 3.11 | + $0 \cdot 3.394$ |
| I' F A A. | (0) $0: 31$ | - $0 \cdot 014$ |
| V 1. | : 0.155 | . 0.290 |

TABLEIV. \& $6 \times ? 6$

| No. of rave | Merlium temperature larn 1 April | Medium temperature Born 27 May | low tempreratur. Burn 13 July |
| :---: | :---: | :---: | :---: |
| So. of ray | Born 1. prit |  |  |
| $\chi$ | 1 | 1 |  |
| 7 | 11 | 31 | 15 |
| (i) | 3 | 1 | 21 |
| n | 15 | 38 | 36 |
| $:$ | 6.867 | 6.868 | 6.417 |
| $\sigma$ | - 11.565 | $\therefore 0439$ | $\therefore 0.50 .5$ |
| P. E. A. | : 0.098 | $\therefore 0.048$ | O.0:7 |
| Fl. | : 0.490 | $\therefore 0.240$ | $\pm 0 \cdot 2 \times 5$ |

TABLE V. $\ddagger 6 \times 96$.

| No. of rays | Born 7 May | Born $19 . J u n e$ | Born 14-15 August |
| :---: | :---: | :---: | :---: |
| 8 |  | - | - |
| 7 | 11 | 17 | 35 |
| 6 | - | 11 | 18 |
| 5 | - | 2 | - |
| $n$ | 11 | 30 | 53 |
| n | $\mathbf{7 . O O O}$ | $\mathbf{6 . 5 0 0}$ | $\mathbf{6 . 6 6 0}$ |
| $\sigma$ | - | $\pm 0.636$ | $\pm 0.487$ |
| P.E.A. | - | $\pm 0.078$ | $\pm 0.045$ |
| Fl. | - | $\pm 0.390$ | $\pm 0.255$ |

same pair of parents. The date of birth of the young is noted in each case, as also whether developed at low, medium, or high temperature.

It is distinctly evident from the tables that the different broods dn exhibit a difference in the number of dorsal fin rays, and it is further seen that the average number of rays was greater where the young had been developed at a high temperature than where their development took: place at a low temperature.

In all my later experiments this result has been confirmed. I will content myself with discussing a single one of the later experiments, which, technically speaking, had the advantage over the preceding ones in that the temperature in the aquaria could be kept constant, there
being a fluctuation of only one-tenth of a degree $( \pm 0 \cdot 1)$. The two parents had respectively 7 and 5 rays in the dorsal fin. The experiment took place partly at $25^{\circ}$, partly at $18^{\circ}$. The three first broods were produced at $25^{\circ}$, following which the parents were maintained at $18^{\circ}$, from the day the third brood was born until the birth of the fourth brood. After this the temperature was raised again to $25^{\circ}$, at which degree the development of the last broods of young took place. The result of the experiment is given in Table VI.

## TABLE VI.

Number of dorsal rays in offspring of the same pair of parents at different temperatures.

| No. of Specimens |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { No. of } \\ \text { rays in } \\ \text { offspring } \end{gathered}$ | $25^{\circ}$ | $25^{\circ}$ | $25^{\circ}$ | $18^{\circ}$ | $25^{\circ}$ | $\begin{gathered} 25^{\circ} \\ \text { Brood } 1,2,2, \\ 3,5,6,7 \end{gathered}$ |
|  | Brood 1 | Brood 2 | Brood 3 | Brood 4 | Brood 5, 6, 7 |  |
|  | Born 15/5 1918 | Born 10/6 1918 | Born 6/7 1918 | Born 21/9 1918 | Born 25/10, 21/11, $24 / 12$ 1918 |  |
| 7 | 8 | 13 | 29 | 6 | 51 | 101 |
| 6 | 1 | 2 | 3 | 13 | 4 | 10 |
| 5 | - | - | - | 1 | - | - |
| n | 9 | 15 | 32 | 20 | 55 | 111 |
| a | 6.889 | 6.867 | 6.906 | 6.250 | 6.927 | 6.910 |
| $\sigma$ | $\pm 0.333$ | $\pm 0.352$ | $\pm 0.296$ | $\pm 0.550$ | $\pm 0 \cdot 262$ | $\pm 0.288$ |
| P.E. | A. $\pm 0.075$ | $\pm 0 \cdot 061$ | $\pm 0.035$ | $\pm 0.083$ | $\pm 0.024$ | $\pm 0.018$ |
| Fl. | $\pm 0.375$ | $\pm 0.306$ | $\pm 0 \cdot 177$ | $\pm 0.415$ | $\pm 0 \cdot 129$ | $\pm 0 \cdot 092$ |

Thus we see, that whilst the broods developed at $25^{\circ}$ had an average of 6.91 rays, the average number of rays fell to 6.25 at $18^{\circ}$. The difference between the averages was thus 0.660 and the probable error of this difference $\pm 0.085$.

As all experiments in this connection have given a similar result, it may be taken as proved that the number of rays in the dorsal fin of the offspring is affected to a considerable degree by the temperature to which the mother is subjected whilst in a state of pregnancy. Remarkable besides is the great difference in the duration of pregnancy at the different temperatures; which at $25^{\circ}$ lasted ca. 1 month, at $18^{\circ}$ more than 3 months.

## III. Importance of Internal Factors.

The object of the experiments about to be discussed was to investigate whether hereditary differences in the number of dorsal fin rays could be proved to exist. The principle of the experiments was to maintain different pairs of parents in the same environment, and see whether the offspring were different as regards the number of rays.

The specimens amployed in the experiments were selected from two races whth which since 1915 selection experimente had berol molertaken, partly towands a high, partly towards a low mumber of dorsal rays. The parents had, respectively. both $x$ and both $t$ rags in the dorsal fin. In each case the specimens were kept at a constant tomperathre, wi\% 25 . In addition, in order to secure miform enviromment, the sereimens whose offispring should be compared were placed in the same apuarium, separated only by a trelliswork of thin glass tubes. In other words they lived in quite the same body of water, maintained at a constant temperature. The aquarium contained no plants, but a continuous stream of atmospheric air bubbled through the water.

The experiment falls into two series, $A$ and $B$. In series $\Lambda$ there were employed partly $\sigma^{7} 269$ and $\circ 270$ (each with 6 rays), partly $\delta^{\circ} 2667$ and of 268 (each with 8 rays). For series B there were employed partly $\delta 274$ and 8273 (each with 6 rays), partly $\delta 276$ and 8275 (each with $\delta$ rays). All the experimental fish in series A were kept in the same aquarium which stood at the side of the one in which all the fishes belonging to series $B$ were placed.

From the appended Table VII and from the graph on p. $\mathbf{1 5 2}$ one remarks that there was in both series a very great difference in the

## TABLE VII.

Number of dorsal rays in offepriny of four different pairs of parents at a constunt temperature of $25^{\circ} \mathrm{C}$.

|  | Series A |  | series B |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $8269 \times \% 270$ | \% $267 \times 9268$ | $8274 \times 9273$ | $8276 \times 8275$ |
|  | both 6 rays | both 8 rays | both 6 rays | both 8 rays |
|  | Brood 1, 2, 3, 4 | Brood 1, 2, 3, 4 | Brood 1, 2, 3, 4 | Brood 1, 2,3 |
| $\begin{aligned} & \text { rays in } \\ & \text { offspring } \end{aligned}$ | Born $\underset{4 / 12}{23 / 9} 1918$, 17 , 11 , | $\begin{gathered} \text { Born } 27 / 9,23 / 10,19 / 11, \\ 17 / 121918 \end{gathered}$ | $\begin{gathered} \text { Born } 29 / 9,2410,21,11 \\ 18 / 121918 \end{gathered}$ | $\begin{gathered} \text { Born } 299.26 / 10, \\ 26111918 \end{gathered}$ |
| 8 | - | 54 | - | 40 |
| 7 | 62 | 10 | 51 | 3 |
| 6 | 25 | - | 23 | - |
| n | 87 | 64 | 74 | 43 |
| a | 6.713 | 7844 | 6689 | $7 \cdot 930$ |
| $\sigma$ | $\pm 0.45 \%$ | $\pm 0.366$ | $\pm 0.469$ | -0.25x |
| P.E.A. | $\pm 0.033$ | $\pm 0.031$ | $\pm 0.037$ | $\pm 0.027$ |
| Fl. | $\therefore 0.165$ | $\pm 0.154$ | $\pm 0.183$ | -0.133 |

average number of rays in the offispring of fishes with 6 and with $\&$ rays, namely in the first series 1.131 (Probable error of difference $=0.04$. ) and in the second 1.241 (P.E. Diff. $=0.045$ ).

This difference cannot be due to difference in enviromment because the fishes swam in the same aquarimm, indeed in the vory same water
${ }^{t} 6 \times 96$

|  |  |
| :---: | :---: |
|  |  |

[^50]at a constant temperature and with regular ventilation. 'The conditions with regard to uniformity were in my opmion the most favourable. possible and I cannot but conclude from the present experiment, that the difierence proved to exist in the affispring of parents with respectively 6 and 8 rays is of hereditary (aenotypical) mature.

## IV. Concluding Remarks.

The insestigations here treated fall into two groups: (1) Experiments in which the same mother was exposed to different euriromments in different periods of pregnancy and (2) Experiments in which different mothers were exposed to the same environment, have thus succeeded in elucidating these rather complicated questions.

It has been shown that the number of organs may be very susceptible to environment, but that this fact cannot-under suitable experimental conditions-disguise the fact, which we specially wanted to demonstrate, viz. that there are or may be differences of hereditary nature between the various individuals.

This proof is of considerable interest for our view upon the nature of " races" in fishes, and supports in a high degree the opinion expressed by me at a previous occasion": "My view then, with regard to the nature of 'races' in fishes, as characterised by our population analyses, is briefly this: A fish 'race' is largely a statistical conception. It implies a mixing of different genotypes, and the average values characterising the 'race' are primarily dependent upon the quantitative proportion between these; only secondarily on the environment."
${ }^{1}$ Johs. Schmidt, ''Racial Studies in Fishes. I. Statistical Investigations with Zoarces viviparus, L.," Journal of Genetics, Vol. vii. p. 117, 1918.

# CROSSING THE NORTH AFRICAN ANI SOUTH AFRICAN OSTRICH. 

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## (With Plate VII, and Two Text-figures.)

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## Introduction.

The continent of Africa, with the adjoining parts of Arabia, Palestine and Asia Minor, is the natural home of the ostrich genus Struthio. Beyond the confines of Africa however the wild bird is now extremely rare, if it exists at all; while in Africa it is slowly passing away as the continent becomes occupied by the white settler. The domesticated bird on the other hand has greatly increased in number during the fifty years of ostrich farming, amounting to near one million in 1913, though since considerably reduced owing to the less demand for plumage as a result of the prolonged war.

Zoologists recognise four species of the two-toed ostrich : the North African ostrich, Struthio camelus Linn., the South African ostrich S. australis Gurney, the East African ostrich, S. massaicus Naumann and the Somali ostrich, S. molybdophanes Reichenow. The two last mentioned are not however well-established species, appearing to represent intermediate types of the other two. On the other hand the northern and the southern birds have well-defined characteristics separating them, connected with size, colour, nature of the egg and other minor features. Observing them side by side no one would hesitate in assigning them specific distinction.

Recently a unique opportunity has presented itself for studying numbers of the northern and southern ostrich under similar conditions, and also the behaviour of their characters when the two are crossed. In 1912 the Government of the Union of South Africa imported 132 specimens of the North African ostrich from Nigeria ${ }^{1}$, with the object of possibly improving the domesticated strains built up from the original South African wild bird. The imported birds were stationed at the Grootfontein School of Agriculture, and the breeding experiments to be conducted with them were placed in charge of the writer.

The main object of the investigations is the practical one of determining to what degree the plumage of the southern bird can be improved by crossing with the northern, but in the course of the work many other questions have arisen which have an interest to students of genetics generally. The experiments have been in progress for over four years, and during that period about a hundred cross-bred chicks $\left(F_{1}\right)$ have been hatched as well as a score or so of pure North African chicks; at the present time some of the first crosses have reached the age at which they are beginning to breed, but only two chicks belonging
${ }^{1}$ Report on the North African Ostriches imported into South Africa in 1912. Union of South Africa, Department of Agriculture, Pretoria, No. 2, 1916.
(1) the second hybrid gemeration ( $F_{2}^{\prime}$ ) have get heen raved. The earlier matings were carried ont with whichowe of the northern birds happened to attain sexual maturity, irrespective of their phamag. qualities or other characters: but with the abomdant material mow available croseses are made with a definite purpese in view. The long peried between the maturity of one greneration and the next, usually between three and four years, necessarily renders progress slow ${ }^{1}$.

The distinguishing characters of the northern and the southern ostrich are as follows:
A. The North African ()strich, S゙truthio cemelus Limn. The species is larger and stronger than the Gouth African bird, the hoad reaching about 8 ; feet from the ground ; the length of the body from the tip of the beak to the end of the tail is about 8 feet, and the total weight about 275 Hhs. The neck is also longer, about $3!$ feet in length, and the body feathers extend upwards for about $1_{4}^{3}$ feet. The legs are longer, thicker and more robust, the knee joint being at least $\&$ feet from the ground, and the feet are larger; a claw is sometimes present on the small toe and the scales over the large toe may show one or, rarely, two breaks.

The number of wing plumes, or remiges, is about 36 to each wing, but varies from 33 to 39 .

The colour of the skin in immature birds of both sexes, as well as of mature hens, is a creamy yellow, while the mature cock is bright red or scarlet on the legs, head and neck, and, red or pink over the body generally.

The crown of the head has a bald patch, either single or partly divided (Text-fig. 1, p. 158).

The egg is smooth, as if polished, practically free from deep pittings or pores, and larger and more rounded than that of the southern bird. The average long diameter is 6.15 inches and short diameter $5: 35$ inches and weight $3 \mathrm{lbs} .11 \mathrm{oz} .(\mathrm{Pl}$. VII, fig. 3).

Found in Northern and Western Africa, and in times past ranged eastwards to Abyssinia, Arabia and South Palestine.
B. The South African Ostrich, Struthio australis Gurney. Simaller than the North African, the less size being due to the slender and shorter legs and neck rather than to any difference in the size of the

[^51]
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body. The head extends about $7 \frac{1}{2}$ feet from the ground, the length from the tip of the beak to the end of the tail is $7 \frac{1}{2}$ feet, and the total weight about 240 lbs. The neck is about 3 feet long, and the body feathers pass upwards for about 1 foot; the knee joint is about $3 \frac{1}{2}$ feet from the ground; a claw is rarely present on the small toe, and the scales on the tarsus and third toe are usually continuous.


Text-fig. 1. Head of North African ostrich showing baldness. The oval area towards the hinder border represents the pineal spot.

The wing plumes average about 36 to each wing, but vary from 33 to 42.

The skin of the neck, body and legs is pale yellow in chicks, dark grey in the mature hen, and dark blue in the cock. In the sexually ripe cock only the beak, front part of the head, naked skin round the eyes and tarsal scales are a bright scarlet, and the rest of the tarsus and toes pink, but the redness does not extend above the ankle.

The crown of the head is without any bald patch, and often bears a tuft of longer hair-like feathers in the middle.

The egg is deeply pitted all over, smaller and more oval than in the northern bird. The average long diameter is 6 inches and the short diameter 5 inches ; the weight about $3 \frac{1}{2} \mathrm{lbs}$. (Pl. VII, fig. 3).

Inhabits practically the whole of the subecontinent of South Africa.

Observed alomgside one anothere as can mow be dome at Grometfontein, no one could fail to distinguish the merthern from the southern ostrich. The greater height of the former, the stronger limbes and the light yellow of the skin are obvions features, while the sexmally mature corek is still more distinetise on aceome of the brilliant searlet of the head, neek and legs, and the red colour of the body generally. The makel patch on the head and the smowth, larger egge are just as constant distinguishing features. Many small differences of feather structure oceur, and are of much importance to the practical ostrich farmer. Hitherto all the distinguishing characters of the imperted northern ostrich have been retained under the new conditions of South Africa and re-appear in the progeny, showing that they are hereditary and independent of climatic and other environmental influences.

Whether the northern and the southern ostrich are to be regarded as distinct species depends largely upon one's conception of the term species and will be discussed later. It may be noted however that the two are found to interbreed freely and reciprocally, and the crosses or hybrids have also been proved to be fertile, both inter se and with either of the parent forms; at the same time the two races have many distinctive characters which are germinal in their origin.

## Nature of the Material.

From a genetical point of view the material on which the investigations are being conducted is heterogeneous. The imported Nigerian birds are such as were procured by the Arabs from wild nests, and then reared in kraals for the sale of their plumage. Methodical ostrich farming, as conducted in South Africa, is scarcely known in North Africa, and chicks are not bred in captivity; hence the birds are uninfluenced by any artificial selection. They exhibit much variation in the details of feather structure, and many distinct commercial types of plumes are represented, though all the birds come from one area. On importation the greater number were chicks about six months old. The majority of the older birds failed to become adapted to their new environmental conditions, and many died from lack of immunity to the various parasitic diseases affecting the southern bird. A selection has been made of those producing the most desirable plumage and the others discarded.

The South African birds employed are such as have been produced by gradual selection during the fifty years or so since ostrich farming was first established at the Cape. The foundation stocks naturally consisted of wild birds, and the best of these and their progeny have been employed in building up the superior strains of to-day. The ultimate object in ostrich breeding is simple and well defined. The farmer selects only for feather production; no other character of the bird is taken into account, as any weakness in constitution or breeding power is scarcely observable. Also, practically only one feather ideal exists. namely, the largest feather combining all the many desirable features at their maximum. The technical "points" relate to details concerning length, width, strength, shapeliness, density and lustre, in all of which ostrich plumes vary greatly. None of the original South African strains possessed the highest expression of these in combination, and the object throughout has been to gather into one all the best features available. As yet no breeder has succeeded in doing this, though many are nearing the desired end. The ostrich farmer clearly appreciates the distinctness of the various characters of the plume, though in his selection for mating he proceeds mainly on the assumption of a blending inheritance, and in practice the method is succeeding, even though progress is slow and much variety is encountered in the progeny. When the ideal type of plume has been built up it is understood that it must be "fixed " by a measure of in-breeding, and at present widely divergent crosses are rarely made.

It is generally conceded that, notwithstanding all the selection which has taken place, no advance has been made on the best of the feather points originally seattered among the foundation stocks, except such as can be ascribed to improved nutrition and other conditions dependent upon domestication ${ }^{1}$. All that the farmer has done is to combine in the one plume the best of the features originally distributed
${ }^{1}$ As long projecting outgrowths of the epidermis, with a core or medulla of highly vascular nourishing dermis, ostrich plumes during their six months' growth are remarkably sensitive to the nutritive and other physiological conditions of the bird; even the variations of blood-pressure between day and night often leave their impress upon the growing feather in the form of "bars," while climatic conditions may make or mar the success of the feather crop. The greatest difference in value obtains between a well-grown and an imperfectly grown crop of feathers, and this accounts for the great care bestowed upon the management of the birds, and the highly stimulating food supplied. Probably the high grade ostrich is the best cared-for and most pampered of all our domestic animals. No better subject for studying the influence of a varying nutrition and blood-pressure upon a growing structure could be chosen than its long plumes, growing at the rate of a quarter of an inch a day.
among the many wild strains: but it has been foumd impossible to change any of the characteristies beyond what mat mre provided. 'Taking the features separately the ostrich phame atfords a noteworthy instance of the impossibility of improwement, beyond the maxima originally present, by mesans of contimued sidertion breeding. All that the proeess has acheved is 10 segregate the chatacters mose desired: moteoser, in connection with the peints of the feather mo hint of any sport or matation exer securs.

When comparing closely the many commercial varieties of ostrich plumes, cach representing a separate type to the spectalist and having a distinct value, the question arises as to how far the many differenees in size, density, shape and lustre shomld be considered as fluctuating variations, or how far they are cementary characters. Farming experience has fully proved that selective breeding within a type will not change any of the minutiae of the type. If a farmer requires any particular feature added to his strain he must procure it from birds whose plumage displays it: no degree of breeding will otherwise produce it. It is thus shown that the variations distinguishing the types are germinal, not environmental, and should therefore be regarded as representing definite elementary characters. Yet how many of these elementary characters must be represented in even a single ostrich plume: No doubt the same multiplicity of small characters appeals to the specialist in an intensive study of any domesticated stock. Experimental investigations are usually undertaken on one or on only a few of the pronounced characters, but when all the many details have to be considered which are of the greatest importance to the practical breeder, there appears no limit to which analysis can be carried ${ }^{1}$.

The present paper is confined to the behaviour in crosses of certain of the more prominent characters which distinguish the northern and southern ostrich, such as the dimensions, colour, the bald head patch and details connected with the egg, and others which the two have in common, such as the number of plumes on the wing, the scales on the middle toe and the claw on the fourth toe. An attempt is made to arrive at the germinal constitution of the ostrich so far as concerns these characters, as well as their adaptive value and manner of establishment in the race.
${ }^{1}$ Two preliminary attempts have already been made to analyse the various plume characters of the parents and progeny in cross-matings, Breeding Erperiments with North African and South African Ostriches, I. "The Plumes of Parents and Chicks"; II. "The Plumes of the Second and Third Clippings," Local Series, Nos. 13 and 17, Department of Agriculture, Union of South Africa, 1917.

## Dimensions.

On account of its restless nervous nature and the difficulty of fixing upon constant determinable points the live ostrich is not a creature which lends itself to accurate bodily measurements. In any troop it will be found that the members differ much among themselves, and the same individual varies at different ages and according to its nutritive condition. Hence the northern and southern birds and the crosses from them can be compared only in general terms, as when seen side by side. The average North African ostrich is a much taller bird than the South African, being longer in the legs and neck. The head reaches to a height of from eight to nine feet from the ground whereas in the Cape bird it extends only seven to eight feet. The feet, legs and neck of the Nigerian bird are also more robust. The general dimensions of the body do not differ much in the two, the greater size of the northern being mainly a result of the longer legs and neck. As a chick and young bird the body of the northern ostrich however tends to narrow behind more than the southern, but later this becomes a feature largely dependent upon the nutritive state. The relative sizes admit of the two being easily picked out in a mixed troop, the heads of the northern birds towering a foot or so above those of the southern.

The cross-bred birds at maturity stand higher than pure Cape birds, but are not so high as the Nigerian. As chicks the body tends to narrow behind more than in Cape chicks, so that, with the slightly longer legs and tapering body, they appear decidedly more slender than Cape chicks of the same age. On the whole it can be said that as regards size, especially length of limbs and neck, the hybrids follow neither one parent nor the other but are intermediate between the two, though the statement is not one which can be supported by actual measurements.

The two chicks of the second cross-bred generation already reared are now a year old and as regards their general size are strikingly like the South African grandparents as contrasted with the North African, including the shorter, less robust legs and neck. When mingling with first generation cross-breds of the same age the difference is most marked, and no one would hesitate in regarding them as pure Cape birds. Such a result is at least suggestive that the distinctive sizes of the northern and southern ostrich will undergo segregation in the $F_{2}$ generation, but further chicks will be necessary before the real nature of the segregation can be determined.

## ( $\mathrm{Col} \mathrm{Ol}^{\prime} \mathrm{R}$.

The skin or bedy colours of the astrich, as distinct from those of the phamage, vary from the chick to the adult stage, are difterent in the heon and the cock. and change in the latter with the breeding state. They also vary with the physiological condition of the bird, aceording as the surface of the skin is clean or covered with seurf. When low in condition the skin becomes dry and sealy, thereby masking the true colours : but as a higher physiological state is reached the scurf peeds off or is preened off, and the true fresh colour is revealed. This is particularly the case at the beginning of the breeding season when the skin colours are at their brightest. The colour is readily seen on the naked legs and under the wings, around the eyes and beak, and elsewhere by turning aside the overlapping feathers. Chicks of both sexes are practically alike and even young birds show little distinction. The hen remains throughont of the same colour as young birds, but the cock undergoes a change beyond, and in places assumes a brilliant scarlet as the nuptial state is attained. From the chick onwards the colour distinctions between the North African and South African ostriches are strongly marked.

The red and scarlet colouration of the cocks of both races, as well as the rich dark blue of the Cape bird, are found to be dependent upon the presence of the testes, while the black plumage is dependent upon the absence of the ovaries. South African cocks which have been castrated while young never assume the red and scarlet skin colours, but retain the light or dark grey of all young birds and mature hens. On the other hand the plumage of castrated cocks attains the normal blackness of the sex as contrasted with the greyness of the hens, from which it may be inferred that the formation of the black pigment of the feathers is not subject to any influence from the male gonads. Spayed hens retain their ordinary body colour but the normally grey feathers are found to assume the blackness of the cock, showing that ordinarily the secretions from the ovaries exercise an inhibitory influence on the formation of black pigment in the feathers of the hen, though having no action on the skin colour ${ }^{1}$.
${ }^{1}$ Prof. T. H. Morgan, Amer. Nat. Vol. Lr. Sept. 1917, in the case of the cock bird of the Sebright bantam which is "hen-feathered," has proved experimentally that when castrated a complete change in the plumage occurs, normal cock feathers appearing. He considers that, as in the hen, some internal secretion, acting through the gonad, must inhibit the development of the secondary sexual characters in the hen-feathered cock. Morgan also refers to certain experiments by Goodale who has found that when the hen of

The secondary sexual colours of the skin and plumage of the ostrich are thus determined by altogether different influences; the full attainment of the one is dependent upon the presence of the testes and of the other upon the absence of the ovaries. Two North African birds at Grootfontein, although about six years old, have shown no signs of sexual maturity; they retain the cream yellow of all northern young birds and mature hens, but have the black plumage of cocks. Evidently some abnormality is connected with the internal gonads, but from the external appearance of the birds it is impossible to say whether they are cocks or hens. It may be noted that the removal of the ovaries or testes, especially after a bird has attained maturity, has little or no effect on certain of the sexual instincts. Thus a castrated hen will go through the characteristic snapping of the beak and fluttering of the wings as if broody, and will even crouch to receive the cock; while the castrated cock will perform his ordinary "rolling" display and even mount a crouching hen.

In determining the sexual colours of the male ostrich the testes clearly give rise to some secretion, presumably of an enzyme nature. This must be produced at first in small quantities, and the colour changes come slowly; but as the testes ripen and become functional more of the enzyme must be forthcoming, for the colour intensity increases and remains brilliant throughout the mating period. With the beginning of the six weeks' period of incubation the testes become less active, pairing ceases, less enzyme is produced and the colour fades. The differences between the sexual colours of the northern and southern bird are well defined, and must be germinal in the first instance; but the factors must act through the gonads, and presumably these exert their influence by means of specific enzymes. Even if we regard the germinal factors as themselves enzymes, as Troland ${ }^{1}$ and others would have us do, those concerned with the sexual colours must express themselves through the gonads.

Though the scarlet colour of the cock is a secondary sexual character it may well be doubted whether it has any influence on the mating of the birds, or any preferential value in the eyes of the hen, as is so often

[^52]supposed to be the case with the bright muptial colours of birds. For northern cocks are a bright searlet ower all their exposed parts at the time of sexual ripeotes while southern cocks are seatet only wor the head and the tasus and are far less striking in the ir gemeral apparanere. get a morthern hen will eromeh just as fremp for the latter as for the former. Oceasionally witriches exhibit a dim suggestion of proforential mating. but in practice it is found that any hen will pair with any rock. and in "camping off" as breeders the farmer never takes into aceoment any possible preferences on the part of the birds themselves. In a state of mature, on the open veld, a coek gathers round him one or more hens as the breeding season approaches, and rery definite spatial limitations become established among the different breeding sets, and woe betide. any cock which may wander on the area appropriated by another. In all this however the hens are purely passive and indifferent, and are prone to lay in the same nest, as many as 60 or 70 eggs being sometimes found in the one shallow depression. Further, as in most other birds, the plumage is at its highest state of development at the beginning of the mating season, as if still further adding to the attractiveness of the cock. let farmers as often as not clip the plumes before mating birds, and so preserve them from wear and tear, without however any influence on the readiness with which pairing takes place.

The Northern Ostrich. In North African chicks the skin is a bright deep yellow, almost orange, over the legs and head, and a slightly paler yellow over the body and neck. As maturity is reached the hen becomes a light yellow, the tarsal scales assuming a light or dark horny brown. Some northern hens are slightly pink over parts of the body, and the colour may show through the white downy covering of the neck.

The North African cock undergoes remarkable colour changes as sexual maturity is attained, which are a sure guide to the farmer as to the breeding condition of the bird. The deep yellow of the chick is gradually replaced by a light yellow, this by pink, and then by red, reaching a bright scarlet over the legs, body, neck and head as the actual mating period is reached. The bright scarlet colour contrasts strongly with the jet black body-feathers, white waving wings, erect light brown tail feathers and Heecy white down of the neek, and makes of him a glorious creature as he prances about in his breeding camp in all the pride and pugnacity of his sex. The nuptial colours pale greatly when nesting begins, and also when the breeding season is over, the body being reduced to a pale pink or brick colour. At its height so
sensitive is the colour to the physiological state of the bird that close observation often reveals variations in the intensity within the same day, as well as from day to day.

The Southern Ostrich. The skin of South African chicks is at first pale yellow in colour and afterwards dark grey. Highly fed Cape chicks may show a rich deep yellow round the eyes and beak, though this does not continue for more than a few months. Mature southern hens are a dark grey over the legs, body, neck and tarsal scales.

The Cape cock is at first a dark grey or steel colour, much like the hen, but as sexual maturity is gained he assumes a fresh, bright blue over the greater part of the body, while the tarsal scales, beak and naked parts round the eyes become a bright scarlet; the small scales over the sides and hind part of the tarsus may also be red or pink, but ordinarily none of the red colouration extends beyond the tarsus, nor over the body and neck.

Thus northern chicks are a deeper yellow than southern chicks. They pass to a pale yellow and the hen remains at this stage, but the cock passes beyond to a pink and then a scarlet stage. The pale yellow of southern chicks is early replaced by a dark grey which persists in the hen, but is followed in the cock by a blue or blue grey as sexual maturity is reached; moreover, only the tarsal scales, beak, and skin round the eyes assume the bright scarlet which characterises practically the entire body of the northern bird.

In southern cocks the red colour of the northern would appear to be latent, or perhaps wholly obscured by the dark blue; for on recovering from an injury to the neck or body it is often found that the scar of the new skin shows a reddish tinge.

Cross-bred Ostriches. The colour of the skin of cross-bred chicks is intermediate between that of northern and southern chicks. The legs, body and large scales are a pale yellow, which is lighter than that of Cape chicks but never so deep as that of Nigerian chicks. The adult cross-bred hen retains the light yellow body colour, though uśually it becomes a little darker compared with the chick. The colour remains darker than that of the pure northern hen, but is invariably lighter than the pure Cape.

The cross-bred cock retains the uniform light yellow of the hen until sexual maturity approaches. He then assumes a pink tinge in places and later the bright scarlet. As noted, however, it is in the
extent of the red colomation, not in its intensity, that the northern and southern cocks differ so conspicuonsly; in the former it is diffesed practically all ower, while in the latter it is limited to the head and legs below the ankle joint. The sexwally mature cross-bred cock is decidedly intermediate between these two as regards the area of the body assmming the red colour. The head and tarsus are scarlet as in both parents, but only a slight pink colour appears on the upper part of the leg and also over the neek, and may even tinge the other parts of the body, though without approaching the bright red of the northern parent. 'The varions cross-bred cocks naturally differ as regards the degree and extent of the colouration, but they never wholly follow one parent or the other. In extreme cases the body colour may be a grey blue almost like the southern cock or a grey yellow nearly like the northern, but all kinds of intermediate tints are to be met with, even in birds from the same. nest.

In all the cross-bred cocks the red of the neck is displayed to a greater or less degree through the white downy covering. Sometimes it is only apparent when the small hairy feathers are turned aside and the loose skin put on the stretch. It then appears as red showing through a bluish ground, the two producing a purple. From this it would seem as if both the blue of the southern bird and the red of the northern were represented, the resultant purple being the product of the two. It is evident that the degree of redness of the body and neck is partly dependent upon the other body colours. If the latter is dark blue it naturally tends to obscure the red, while if the body colour is only a pale yellow the red becomes more obvious. The nuptial colours, dependent upon the presence of the testes, are superimposed upon the true body colours.

As regards the two $F_{2}$ chicks the colour of the body, legs and neck is quite as dark as that of any Cape hen, showing no influence from the lighter colour of the northern grandparent and the intermediate light colour of the cross-bred parents. Both being hens however the colour is not so distinctive as it would be in the case of cocks. Taken as a preliminary result it certainly suggests that the colours of the northern and southern birds have a separate factorial basis, and that segregation will take place in the second cross-bred generation. The rearing of further $F_{2}$ chicks will be awaited with interest as likely to solve the problem.

## Bald Head Patch.

The crown of the head of the South African ostrich is covered with short, hair-like feathers, which often form a tuft of longer hairs in the middle. A bare pineal spot ${ }^{1}$, present in all ostriches at the back of the head, is so small in the adult as to be only noticeable when the feathers are turned aside. The North African ostrich on the other hand is distinguished by having the top of the head for the most part naked, a bald patch beginning at the back and extending forwards in a shieldlike fashion between the eyes (Text-fig. 1, p. 158). The area is roughly pear-shaped, but may be partly divided down the middle. In diagnostic descriptions the baldness is considered to be a character of some importance in separating the northern species from the southern and is even mentioned in the writings of Pliny ${ }^{2}$.

The extent and shape of the naked space vary a little in different ostriches, but all the North African birds at Grootfontein display it to a greater or less degree. It is quite independent of the pineal spot, and its posterior border may either include this (Text-fig. 1) or pass in front of it. In some birds, instead of forming a continuous patch; it is divided more or less down the middle, having then a decided bilaterality. Often a tuft of long, hair-like feathers remains towards the middle of the hinder border, corresponding with the tuft in the southern bird, and gradually disappears forwards. The area is covered with a horny, scurfy layer, which peels off at times, exposing a fresh, clean surface of the skin with the hard bony skull immediately below.

The baldness is not apparent in the North African ostrich chick when first hatched. At that time the head is covered with short bristly down as in the South African, and the character becomes established in the course of the first six months or so of growth. It is gradually formed by the dropping out of the hairy feathers from about two months onwards, and in a batch of chicks of the same age practically all stages in the loss can be observed, the feathers to remain longest being those of the middle tuft. No sharp line of separation occurs between the naked and the covered part of the head; a few stunted feathers represent

[^53]the gradual transition, while the medium tuft maty of may met persist. No corresponding falling out of the feathere ever takes platere in the ('ape' chick.

Naturally sombe interest has berel attached to the behaviour of the bald pateh in the crosses of the berthern and sonthern ontrich. (If the hundred or so cross-bred chicks which have been hatched none at first showed any signs of bahdness, but in every case the feathers began to fall out when the chick was two or three months old, and at six months the pateh was established as completely as in alult North African ostriches. Thus the baldness of the northern bied is shown to be dominant wer its absence in the southern bird.

The two second gemeration chicks already reared ate now well wee the age at which the bald patch becomes restablished, and in one of them the head remains covered with hairy feathers as in southern birds while in the other the baddness has been formed as distinctly as in any northern bird. The $F_{2}$ chicks thus afford evidence that factorial segregation takes place in the second hybrid generation, and there can be little question that when sutticient chicks of this generation have been obtained it will be found that baldness behaves as a homozagous dominant in strictly Mendelian proportions.

The bald head patch is therefore a distinctive Mendelian unitcharacter separating the northern and the southern ostrich. The differences associated with the dimensions and colours of the birds, and also those of the egg, are differences of features common to both, but in the Cape bird there is nothing suggestive of the baldness of the Nigerian. It is an entirely new character which has appeared in the latter race of ostriches, but not in the former. It may be regarded as a mutation, and was presumably fully developed from the beginning, for though it varies somewhat in its extent and form the differences are no more than can be regarded as fluctuating variations. That it is germinal in its origin is manifest since it appears in all chicks, both pure and cross-bred, while its dominance in all the latter proves that the parents are duplex or homozegous with regard to it.

It can hardly be supposed that the baldness has arisen in response to any external influence, for it is mblikely that anything environmental could affect the top of the head of the northern bird which would not have a corresponding action upon its southern relative, esen if it were possible that any influencing of the kind could bring about a corresponding change in the germ plasm. Nor can it be deemed to have any adaptive value. It lends strong support to the view maintained by

Bateson, and also by Morgan, that new characters make their appearance as a result of changes in the germ plasm, without any reference to external influences, or any utilitarian value or need of the individual. Since the baldness is now present as a duplex dominant in all the imported birds it must have originated long ago in the history of the northern ostrich, sufficiently long for the change to have affected all the individuals. For, as will be shown later, there is good reason to suppose that in the ostrich a new character appears at first in only a few members, but gradually extends to more and more, by the continued change de novo in the germ plasm of the nulliplex members of the race.

## The Egg.

As in all other birds the eggs from the same ostrich and also from different ostriches vary within certain limits, as regards size, shape and surface characters. Beyond these fluctuating variations however certain well-defined differences distinguish the egg of the North African from that of the South African bird (Pl. VII, fig. 3).

Egg of North African Ostrich. The egg of the northern bird is practically always larger than that of the southern, the shell is almost free from obvious pores or pittings, and presents an ivory-like smooth surface. Usually also the northern egg is rounder in shape or less oval. Measurements have been taken at the nest of the long and short diameters of four series of eggs and are as follows, in inches:

## TABLE I.

Measurements of Eggs of North African Ostrich.

|  | Series A |  |  | Series B |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Long Diameter | Short Diameter |  | $\begin{gathered} \text { Long } \\ \text { Diameter } \end{gathered}$ | Short Diameter |
| 1 | $6 \cdot 00$ | $5 \cdot 19$ | 1 | 6•12 | $5 \cdot 50$ |
| 2 | $5 \cdot 94$ | $5 \cdot 19$ | 2 | $6 \cdot 50$ | $5 \cdot 50$ |
| 3 | $6 \cdot 00$ | $5 \cdot 25$ | 3 | $6 \cdot 12$ | $5 \cdot 38$ |
| 4 | $6 \cdot 12$ | $5 \cdot 31$ | 4 | $6 \cdot 38$ | $5 \cdot 25$ |
| 5 | $6 \cdot 19$ | $5 \cdot 31$ | 5 | $6 \cdot 12$ | $5 \cdot 25$ |
| 6 | $6 \cdot 19$ | $5 \cdot 31$ | 6 | $6 \cdot 25$ | $5 \cdot 38$ |
| 7 | $6 \cdot 12$ | $5 \cdot 31$ | 7 | $6 \cdot 38$ | $5 \cdot 25$ |
| 8 | $6 \cdot 00$ | $5 \cdot 25$ | 8 | $6 \cdot 25$ | $5 \cdot 38$ |
| 9 | 6.00 | $5 \cdot 25$ | 9 | $6 \cdot 00$ | $5 \cdot 50$ |
| 10 | $6 \cdot 00$ | $5 \cdot 19$ | 10 | $6 \cdot 25$ | $5 \cdot 50$ |
| 11 | $5 \cdot 94$ | $5 \cdot 19$ | 11 | $6 \cdot 25$ | $5 \cdot 38$ |
| Average | 6.05 | $5 \cdot 25$ |  | $6 \cdot 24$ | $5 \cdot 43$ |

TABLE: I-continued.

|  | Sories C |  |  | Suriom 1) |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | - | - |
|  | IAMR <br> Diameter | $\begin{aligned} & \text { Whort } \\ & \text { Hamoter } \end{aligned}$ |  | IATM <br> 1) Hasmotery | $\begin{aligned} & \text { Whore } \\ & \text { Dhameter } \end{aligned}$ |
| 1 | $6.2 \%$ | $\therefore 33$ | 1 | 606 | 5:3N |
| 2 | (i.2.) | 5.31 | 2 | $15 \cdot 31$ | 5.34 |
| 3 | $5 \cdot 94$ | $5 \cdot 12$ | 3 | (i. 25 | $5: 3$ |
| 1 | (i.0) | $5 \cdot 1!$ | 1 | 6.0t | $5 \cdot 4$ |
| S | (i.12 | $5 \cdot 14$ | i | 6.12 | $5 \cdot 31$ |
| 6 | 6.25 | $5 \cdot 0$ | fi | 6.25 | 531 |
| 7 | $1 \cdot 25$ | $5 \cdot 38$ | 7 | $6 \cdot 25$ | $5 \cdot 3 \mathrm{~K}$ |
| $\checkmark$ | 1iof | 525 |  | (1.19 ${ }^{\text {- }}$ |  |
| 9 | (1.12 | $5 \cdot 3 \mathrm{~s}$ | Average | $6 \cdot 19$ | 5:37 |
| 10 | (i.25) | $5 \cdot 4$ |  |  |  |
| 11 | (i.0) | $5 \cdot 19$ |  |  |  |
| 12 | 6.12 | 5-3x |  |  |  |
| 13 | 6.0ti | $5 \cdot 31$ |  |  |  |
| 14 | $6 \cdot 25$ | 550 |  |  |  |
| Arerame | (i.14 | 5:34 |  |  |  |

Thus the avorage long diameter of $4: 3$ nothem egge is 6.15 inches and the short diameter 535 inches, representing an average difference between the two axes of $0 \cdot 8$ inch.

Egg of šouth African Ostrich. The egge of the southern bird is deeply pitted all over the surface, and pits often larger and more plentiful at the air-chamber end, hence the shell does not present the ivory smoothness of the northern egg. A Cape hen will sometimes producea nearly smooth, round egg, but never to so marked a degree as the typical Nigerian hen. Also the latter may occasionally lay egges with deeper pittings than usual, especially in the first one of the season. Among a number of eggs from northern and southern birds mixed together no mistake can however be made in separating the one type from the other.

The pitting which gives such a marked character to the southern eggr is associated with the respiratory pores of the shell. In the northern shell the pores are so small and open so close to the surface as to be scarcely visible to the naked eye, and are mostly scattered singly with but little grouping. Hence the surface appears almost uniformly smonth. though fine pores can be detected with a lens. In the southern egg theshell pores are larger, sunken below the general surface and mostly in small groups, varying from about six to twelve in a group. It is the close grouping of the sunken pores which gives rise to the pitted surface. In eggs which have been in the nest for some time dirt tends to accumulate within the pits and thms accentuates their presence, whereas in the northern wig the pros are 1 matl and shallow. In both types the

[^54]outer enamel layer shows differences in thickness and with it the polished character of the surface. All the eggs are a cream or yellow colour when freshly laid but fade considerably on exposure.

Measurements have been taken of 20 eggs as follows:
TABLE II.
Measurements of Eggs of South African Ostrich.

| - | Series A |  |  | Series B |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Long Diameter | Short Diameter |  | Long Diameter | Short Diameter |
| 1 | $6 \cdot 00$ | $4 \cdot 62$ | 1 | $6 \cdot 25$ | $5 \cdot 12$ |
| 2 | $5 \cdot 69$ | $4 \cdot 81$ | 2 | $5 \cdot 81$ | $4 \cdot 88$ |
| 3 | $6 \cdot 00$ | $5 \cdot 12$ | 3 | 5•75 | $4 \cdot 94$ |
| 4 | $5 \cdot 62$ | $4 \cdot 88$ | 4 | $5 \cdot 94$ | $5 \cdot 06$ |
| 5 | $6 \cdot 25$ | $4 \cdot 81$ | 5 | $6 \cdot 00$ | $5 \cdot 00$ |
| 6 | $5 \cdot 69$ | $4 \cdot 50$ | 6 | $5 \cdot 81$ | $5 \cdot 00$ |
| 7 | $6 \cdot 12$ | $4 \cdot 81$ | 7 | 6.00 | $5 \cdot 00$ |
| 8 | $5 \cdot 81$ | $5 \cdot 00$ | 8 | $5 \cdot 88$ | $5 \cdot 00$ |
| 9 | $6 \cdot 06$ | $5 \cdot 00$ | 9 | $6 \cdot 00$ | $5 \cdot 00$ |
| 10 | 6.00 | $5 \cdot 00$ | 10 | $5 \cdot 94$ | $5 \cdot 06$ |
| Average | 5.92 | $4 \cdot 85$ |  | $5 \cdot 93$ | $5 \cdot 00$ |

Thus the average long diameter is 5.92 inches and the short diameter 4.92 giving a difference of 1 inch. With such variable structures as eggs a larger series of measurements is desirable in order to secure a more reliable comparison. They serve to show however that on the average the northern egg is about a quarter of an inch longer $(6 \cdot 15-5 \cdot 92=0.23$ inch ) and two-fifths of an inch broader than the southern egg $(5.35-4.92=0.43)$. The mean difference in the two diameters is 0.8 inch for the northern and 1 inch for the southern, indicating that the former are rounder or less oval than the latter. .

Eggs from Cross-matings. In breeding for cross-bred chicks the eggs follow the characteristics of the hen whatever the cock may be, that is, the eggs laid by a northern hen mated with a southern cock are large, round and unpitted, while those from a southern hen mated with a northern cock are smaller, oval and pitted. Thus as regards size, shape and surface features, the egg as laid is uninfluenced by the male bird and partakes wholly of the nature of the hen. This is what would ordinarily be expected, seeing that the germ from the cock unites only with the germ of the hen, and scarcely any further change takes place before the egg is laid. As the albumen, shell-membranes and shell are formed in the oviduct of the hen after fertilisation it is difficult to see how the coverings of the egg could be influenced. Instances are adduced however where in crosses of other birds giving differently coloured eggs
the cock seems the exercise some influrner, the phemomenom being speken of as Xenia (Jomm. Meredity, Vol. vo. No. J). The diseme charactere of the eggs of the morthern and southern wotrich aftion a groel loest came of the pessibility of Xenia weenring but from nome of the cross-mating has any indication of the phenomenom been fortheoning.

Eggs from Cross-bred Mens. In crose-bed hens are maturally com bined the pessibilities of both the northern and the southern parents, and the characters of the egge laid by them are just as much a part of the make-up of the bird as are the more obvious bedy features. The ques tion therefore arises whe ther the eggs laid by cross-bred hens will follow those of one parent or the other, or be some thing intermediate between the two. Sores of eggs laid by cross-bred hens have been examined at the nest and in the incubator and in all cases have been found to b,

TABLE III.

| Series A |  |  |  | Stries 13 |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | --- ${ }^{\text {- }}$ | - |  | - | - |
|  | I.ong Diameter | short <br> Diameter |  | lonk <br> Diameter | Short Diameter |
| 1 | 6.19 | $5 \cdot 12$ | 1 | 6.25) | $5 \cdot 12$ |
| 2 | $6 \cdot 25$ | 5 12 | 2 | 5 $\% 1$ | 4.9 |
| 3 | $6 \cdot 12$ | - 13 | 3 | 5) 94 | 4.94 |
| 4 | $6 \cdot 12$ | 5.0t | 4 | 6.00 | $5 \cdot 00$ |
| 5 | $6 \cdot 12$ | $5 \cdot 12$ | 5 | $6 \cdot 19$ | 5-12 |
| 6 | $6 \cdot 12$ | $5 \cdot 06$ | (i) | ¢-8 | $4 \cdot 14$ |
| 7 | 6.06 | $5 \cdot 12$ | 7 | (i.25 | $5 \cdot 12$ |
| 8 | $6 \cdot 00$ | $5 \cdot 00$ | $\checkmark$ | (i.19 | $\therefore \cdot 16$ |
| 9 | $5 \cdot 88$ | $5 \cdot 00$ | 9 | $6 \cdot 19$ | $5 \cdot 04$ |
| 10 | $5 \cdot 94$ | $5 \cdot 00$ | 10 | $5 \cdot 88$ | $5 \cdot 00$ |
| Average | 6.08 | jox |  | 6.06; | $\therefore \cdot 02$ |
| Series C |  |  |  |  |  |
|  |  | Long Diameter |  | ort I)iameter |  |
|  | 1 | $5 \cdot 94$ |  | -12 |  |
|  | $\because$ | $5 \cdot 81$ |  | $5 \cdot 12$ 。 |  |
|  | 3 | $5 \cdot 86$ |  | 512 |  |
|  | 4 | $5 \cdot 75$ |  | 5.06 |  |
|  | .) | 600 |  | $5 \cdot 12$ |  |
|  | i | 6. 106 |  | $\therefore 06$ |  |
|  | 7 | - $5 \cdot 6$ |  | $5 \cdot 12$ |  |
|  | $\times$ | $5 \cdot 94$ |  | 5-12 |  |
|  | 9 | 5.85 |  | $5 \cdot 16$ |  |
|  | 111 | $5 \cdot 8$ |  | $5 \cdot 12$ |  |
|  | 11 | $5 \times 1$ |  | $5 \cdot 12$ |  |
|  | 1\% | $5 \cdot 85$ |  | $5 \cdot 10$ |  |
|  | 13 | 6.0\% |  | -12 |  |
|  | 14 | - 94 |  | S 12 |  |
|  | Average | -j-s! |  | $\therefore \cdot 14$ |  |

intermediate as regards size, shape and the nature of the shell between typical northern and southern eggs. Obvious pittings occur over the shell, often more numerous towards the air-chamber end, but are never so plentiful nor so deep as in the eggs from the southern bird. The egg has neither the full size nor the roundness of the northern ostrich, but is larger than the southern, and its general surface is more enamel-like. Naturally variations occur in the eggs laid by different hens, and sometimes they approach those of the one parent more nearly and sometimes those of the other. The degree of pitting and smoothness of the surface of the shell do not admit of more than a general statement, but the dimensions of 34 cross-bred eggs are available for comparison with those of the northern and the southern eggs.

The average long diameter of 34 cross-bred eggs is therefore 6.01 inches and short diameter $5 \cdot 06$ inches, the difference between the two diameters being 0.95 .

The measurements of the three series may be compared as follows:

|  | Long <br> Diameter | Short <br> Diameter | Difference |  |
| :--- | :---: | :---: | :---: | :---: |
| 43 North African Eggs | $\ldots$ | $6 \cdot 15$ | $5 \cdot 35$ | 0.80 |
| 34 Cross-bred Eggs $\ldots$ | $\ldots$ | 6.01 | $5 \cdot 06$ | 0.95 |
| 20 South African Eggs | $\ldots$ | 5.92 | 4.92 | 1.00 |

Though not elaborate enough for many purposes the results suffice to indicate that as regards size and shape the cross-bred eggs are intermediate between those of the northern and the southern bird. They apparently approach somewhat nearer to the southern than the northern, but with such variable objects as eggs an indication of this kind may be deemed of little value when only small numbers are available.

The intermediate nature of the cross-bred eggs, as regards size, shape and the nature of the surface, may be taken to suggest that the different characteristics of the eggs of the two races of ostrich are dependent upon separate factorial representation in the germ plasm, as in the case of the dimensions and colours of the birds. Also the factors are not alternatives, for in the hybrid egg no one character of the parents is dominant or recessive to the other, but each strives, as it were, for expression, the result being something midway between the two.

## The Wing Quills.

In farming practice the number of plumes to the wing of the ostrich is an important matter, though selective breeding has hitherto been concerned with the quality of the plumes rather than with their quantity, it having been assumed that not much variation in number occurs. The
first row of phames, the wing quills or monges, includer the bamiliar white plames of the ustrich which are be far the mome valuable ats compared with the first and secomel rows of uppereoserts which are alow elipped, and are black in the conk and grey in the hern. As the conert alternate with the wing quills the mumbers in all the rows are definitely correlated, so that for purposes of comparion among diftiont birds attention can be confined to the first mw, the remiges (Pl. V'II, fige. I and 2)

North Africen (Dstriches. The first-row feathers on cach wing haw been counted on 25 of the original imported North African birds and the results are given below. It will be noted that a difference of one or two plumes is often found between one wing and the other, but the cocks and hens show no distinction. The number on the wing varies from 33 to 39 , the arithmetical mean of the series being 36054 : represented graphically they approximate to a normal frequency curve with the mode at 36 . Manifestly the birds represent a mixed pepulation, a result of indiscriminate breeding in a race in which the numbers differ by small amounts: but indications are not wanting that a pure line can be built up of each number. We may regard nach bird as heterozygons with regard to number of plumes, and a mixture of the kind given below is what would be expected seeing that the birds come from a single area in North Africa where no farming selection is practised.

TABLE IV.
First-row Plumes on Wings of Imported North African Ostriches.

|  |  | $\begin{aligned} & \text { Right } \\ & \text { Wing } \end{aligned}$ | Left <br> Wing |  |  | $\begin{aligned} & \text { Right } \\ & \text { Wing } \end{aligned}$ | $\begin{aligned} & \text { Left } \\ & \text { Wing } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Hen, No. 11 | 39 | 38 | 14 | Hen, No. 87 | 36 | 37 |
| 2 | Hen, No. 20 | 37 | 37 | 15 | Cock, No. 92 | 37 | 36 |
| 3 | Hen, No. 40 | 36 | 37 | 16 | Hen, No. 105 | 36 | 37 |
| 4 | Hen, No. 41 | 34 | 35 | 17 | Hen, No. 10x | 37 | 36 |
| " | Hen, No. 45 | 36 | 36 | 18 | Cock, No. 115 | 38 | $3 \times$ |
| 1 | Cock, No. 50 | 36 | 37 | 19 | Hen, No. 116 | 33 | 34 |
| 7 | Hen, No. 63 | 37 | $3 \times$ | 20 | Hen, No. 130 | 35 | 36 |
| $\checkmark$ | Hen, No. 69 | 38 | 39 | 21 | Cock, No. 141 | 35 | 34 |
| 9 | Hen, No. 71 | 36 | 35 | 22 | Cock, No. 2.5 | $3 \times$ | 39 |
| 10 | Hen, No. 75 | 37 | 36 | 23 | Hen, No. 277 | 35 | 36 |
| 11 | Cock, No. 78 | 37 | 36 | 24 | Cock, No. 284 | 36 | 37 |
| 12 | Cock, No. 84 | 35 | 36 | 25 | Hen, No. 287 | $3 \times$ | 39 |
| 13 | Cock, No. 85 | 38 | 38 |  |  |  |  |

The number of plumes on the wings of 15 pure North African chicks reared at Grootfontein from the importation, are also represented and give approximately the same arithmetical mean as the above, namely 367 , though without the low numbers 33 and 34 . The chicks are from
three separate breeding sets and may represent some slight selective influence compared with the mixed importation.

## TABLE V.

First-row Plumes on North African Ostrich Chicks reared at Grootfontein.

|  | Right <br> Wing |  |  | Left <br> Wing |  |  | Right <br> Wing |
| :--- | :--- | :---: | :---: | ---: | :---: | :---: | :---: | | Left |
| :---: |
| Wing |

South African Ostriches. In order to ascertain the number of plumes on the South African ostrich for comparison with the North African recourse has been had to the troops on various ostrich farms. Included among them are representatives from the best and most widely known ostrich strains of South Africa. It is only necessary to give the detailed countings of one series of 48 birds as an example, the average for the others agreeing closely. As much interchange of birds and chicks has taken place since ostrich farming commenced it is most unlikely that any additions to the series will vary from the averages here given.

## TABLE VI.

Number of Plumes on South African. Ostriches. Farmers' Series. No. 4.

|  |  | Right Wing | $\underset{\text { Wing }}{\text { Left }}$ |  |  | Right Wing | Left Wing |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Hen | 39 | 39 | 26 | Cock | 39 | 39 |
| 2 | Cock | 35 | 35 | 27 | Cock | 36 | 35 |
| 4 | Cock | 37 | 36 | 29 | Cock | 39 | 39 |
| 5 | Cock | 36 | 37 | 30 | Cock | 38 | 38 |
| 6 | Hen | 36 | 36 | 31 | Hen | 37 | 34 |
| 7 | Cock | 37 | 36 | 32 | Hen | 37 | 38 |
| 8 | Hen | 37 | 36 | 33 | Hen | 36 | 35 |
| 9 | Cock | 37 | 38 | 34 | Hen | 36 | 37 |
| 10 | Cock | 36 | 36 | 35 | Cock | 36 | 36 |
| 11 | Cock | 36 | 35 | 36 | Cock | 36 | 35 |
| 12 | Cock | 37 | 37 | 37 | Cock | 35 | 36 |
| 13 | Hen | 39 | 38 | 38 | Hen | 35 | 35 |
| 14 | Cock | 36 | 36 | 39 | Hen | 37 | 38 |
| 15 | Cock | 38 | 38 | 40 | Cock | 36 | 35 |
| 16 | Hen | 36 | 36 | 41 | Cock | 39 | 38 |
| 17 | Cock | 38 | 37 | 42 | Cock | 39 | 38 |
| 18 | Cock | 36 | 37 | 43 | Cock | 40 | 39 |
| 19 | Cock | 37 | 36 | 44 | Cock | 35 | 34 |
| 20 | Cock | 38 | 37 | 45 | Hen | 37 | 38 |
| 21 | Cock | 39 | 38 | 46 | Cock | 36 | 36 |
| 22 | Hen | 34 | 34 | 47 | Hen | 37 | 36 |
| 23 | Hen | 38 | 38 | 48 | Hen | 37 | 36 |
| 24 | Hen | 37 | 36 | 49 | Cock | 37 | 37 |
| 25 | Cock | 39 | 40 | 50 | Cock | 39 | 38 |

The arithmetieal means of five Fammern Series are as follows:

| No. 1 | 25 hirde | $36 \cdot \mathrm{NM}$ |
| :---: | :---: | :---: |
| No. ${ }^{2}$ | 21 birdm | $36 . \mathrm{AN}$ |
| No. 3 | 19 birdm | 86.97 |
| No. 1 | is hirds | 36.47 |
| No. | 19 birds | 36,63 |

The average momber of plumes on the South African ustrich is therefore the same as that on the North African, an important conclusion which could not have been arrived at without the "ppertunity of counting large numbers of each.

As the northern ostriches now at Grootfontein were all procured originally by the Arabs of Nigeria as chicks from wild nests, and are uninfluenced by any artificial breeding, we may presmme that their plumes represent the average for the North African wild bird, and we have therefore good reason for concluding that the ostriches over the whole continent of Africa produce the same average number. From this it follows that during the fifty years of ostrich farming in South Africa no adrance has been made on the number of plumes ariginally present on the wild bird. (On the average the domesticated birds of to-day produce the same quantity of plumes as the original birds with which the first ostrich farmers commenced in the sixties.

Though somewhat remarkable at first sight this result is scarcely to be wondered at if we bear in mind the principles underlying ostrich breeding: Farmers have bred for quality: quantity has never been take" into account. Great advances have been made in the so-called quality characters of the individual plume, but in doing this no attention has been given to the number of feathers which one bird produces as compared with another, and therefore no numerical change has taken place. It is a good instance of the principle that no progress is ever made as a result of indiscriminate breeding, unless a character has some selection value, or mutations are taking place.

Cross-bred Ostriches. Seeing that the northern and southern birds have the same average number of plumes and are a mixture of heterozygotes, no change is to be expected in the number of plumes on crossbred chicks compared with what would be procured by mating two northern or two southern birds. The table given below is an example of the results which have been obtained. The arithmetical mean of the parents is 36.24 and of the chicks 36.28 , but for a larger series the average is 36.31 which agrees more closely with that of the two races.

A hint at factorial purity is indicated seeing that the extremes 33, 34 and 39 are not represented.

TABLE VII.<br>Number of first-row Plumes on Cross-bred Chicks from mating a North African cock with a South African hen.

| Parents : |  |  | Right Wing | Left Wing |
| :---: | :---: | :---: | :---: | :---: |
| North African cock, No. 78 |  |  | 37 | 36 |
| South African hen, No. 225 |  |  | 36 | 36 |
| Chicks: |  |  |  |  |
| 1 No. 300 | $\ldots$ | $\ldots$ | 36 | 36 |
| 2 No. 301 | ... | ... | 35 | 36 |
| 3 No. 315 | ... | ... | 38 | 37 |
| 4 No. 316 |  | ... | 36 | 37 |
| 5 No. 318 | ... | ... | 37 | 36 |
| 6 No. 320 | ... | ... | 35 | 36 |
| 7 No. 321 | ... | ... | 36 | 36 |
| 8 No. 322 |  | ... | 36 | 35 |
| 9 No. 323 | ... | $\ldots$ | 38 | 37 |

Survival of 42-plumed Ostriches. Among the Cape birds in the Grootfontein flock two ${ }^{1}$ have been discovered with 42 plumes to the first row, though the rest have the usual average of about 36 . At first it seemed as if two distinct strains of ostriches were represented in South Africa, as compared with the single strain in North Africa, one with approximately 36 plumes as the average and another with 42. The countings on farmers' birds have however given no support for this view ; they have disclosed no individual bird exceeding 40 plumes, nor any influence from a 42 -plumed strain. Hence it is concluded that the occurrence of ostriches with 42 plumes is altogether exceptional among Cape birds, and has had no recent influence on the general average. Likewise none of the Nigerian birds has more than 39 plumes, nor any of the chicks reared from them; so the influence of a 42 -plumed strain is non-existent in North Africa.

As regards their origin it is manifest that the 42 -plumed birds represent a distinct departure from the ordinary 36 -plumed birds. Were no other evidence available the high number might be looked upon as a meristic mutation and, as will be proved later, the birds give progeny with such high numbers as to show that the extra plumes are not merely the extreme limit of a fluctuating series but have a factorial value. They

[^55] but fuller consideration leads us to acoome for them otherwise. Recent whervations, to be fully deseribed in a later paper. hate shewn that the ostrich presents 11 s with mumerons stagres indicating the conrse of the degemeration which the winges and lege have undergene up th the present. as well as the course likely to he followed in the fature. Survivals of many ancestral characteristics are to be found among the phentiful material now avalable for study. Thus, while ordinarily only one incomplete row of under-coverts is present, a farmer's strain exists in which a second row of modereoserts is almost complete and several member of a thind row also oceur, and single members of both rows are oreasionally met with on other birds. All stages are to be found from a complete row of under-coverts to the usial one where $x$ to 10 are wanting at one end of the row (Pl. VII. fig. 2) ; and conditions of a like nature are to be met with in the second row of upper-coverts. Vestigial down is to be found on most ostriches over the wings and tail, though it is usually stated to be absent. Further, while usually buried in the flesh of the wing, the third digit sumetimes bears a second phalanx and projects freely from the surface, and even bears its own plumes, a primitive condition suggestive of the fossil bird Archueoptery.r. The claw is usually absent from the small, fourth toe of the foot but still survives in a few; while the scales on the middle toe show the beginnings of loss by one or two breaks in their continuity (Text-fig. 2, p. 182). Experiments hithert, carried out all indicate that the individual losses have proceeded as retrogressive mutations, on definite factorial lines and in well-defined, determinate directions.

In view of all these survivals of many of the earlier characteristics of the ostrich the 42 -plumed bird may with good reason be regarded as a survival of a stage when the average number of plumes to the wing was larger than at present. On this interpretation the 36 -plumed birds of to-day are to be considered as degenerate in the number of wing quills. as they are in many other respects. The practical endeavour is now being made to build up a pure strain of ostriches bearing 42 phunes, for with the increase of the other rows of plumes in correlation with the wing guills it becomes possible to provide the farmer with an ustrich giving about 25 more plumes than he receives from his birds at present, the "quality points" being also of the highest. The demonstration below that the high number is not merely the extreme of a fluctuating series, but is factorial in its nature, renders this possible. Whether by continued selection the number 42 will ever be exceeded
is doubtful, seeing that the factors for any higher number have probably been altogether lost to the race, even if they were ever present in the ancestral ostrich.

Table VIII shows that when the 42 -plumed southern cock is mated with various North African hens of the 36 strain the average number of plumes in the progeny is practically intermediate, namely 39.56 , the lowest number being 37 and the highest 42 ; they do not regress to the general average. The numbers form an approximately normal curve with the mode at 40. None of the birds hitherto employed as breeders can be deemed "pure" as regards the number of plumes; and the 42plumed bird is probably heterozygous like the rest ; hence the fluctuating series represented below.

## TABLE VIII.

Number of first-row Plumes on Cross-bred Chicks from mating a 42-plumed Southern cock and 36-plumed Northern hens.

|  |  | Right Wing | Left Wing |  |  | Right Wing | Left Wing |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | No. 226 | 42 | 41 | 13 | No. 311 | 40 | 40 |
| 2 | No. 228 | 39 | 40 | 14 | No. 230 | 41 | 40 |
| 3 | No. 229 | 41 | 42 | 15 | No. 232 | 39 | 41 |
| 4 | No. 242 | 40 | 40 | 16 | No. 233 | 41 | 42 |
| 5 | No. 243 | 39 | 40 | 17 | No. 234 | 42 | 40 |
| 6 | No. 302 | 37 | 38 | 18 | No. 237 | 40 | 39 |
| 7 | No. 303 | 38 | 38 | 19 | No. 238 | 39 | 38 |
| 8 | No. 304 | 40 | 40 | 20 | No. 1 | 39 | 38 |
| 9 | No. 307 | 38 | 38 | 21 | No. 2 | 39 | 39 |
| 10 | No. 308 | 40 | 39 | 22 | No. 3 | 38 | 39 |
| 11 | No. 309 | 37 | 39 | 23 | No. 4 | 40 | 41 |
| 12 | No. 310 | 38 | 39 | 24 | No. 5 | 41 | 40 |

Experiments are being undertaken to determine how far it is possible to extract numerically pure lines, especially as regards the two extremes 33 and 42 , but progress is necessarily slow. Until this has been done full proof will be lacking that each plume has its own factorial representation, though all the evidence points in this direction.

The 33 -plumed birds represent the extreme of the loss of wing quills which has taken place in the ostrich of to-day compared with the maximum of 42 plumes. If, as we seem bound to suppose, some intrinsic influence is at work within the germ plasm inducing slow retrogressive changes, it appears not unlikely that by in-breeding pure 33-plumed birds it will be possible to increase the action of the degenerative force and produce a still further loss of plumes. By selection it should be possible to control the further evolution of the ostrich with regard to the number of its plumes.

As noted earlior, farming practice has cestablished ats chaty an could be expecterd that the different "printe" of the plumes are factorial in their behaviour, and as they vary in the various stame a separate germimal represemtation for each may be assumed. Fion such a simph. structural part as the central shaft of the feather shows many diffornt types which appear either distinct or as intermediates in crosses. The length of the barbules and the ele clemess on the harbe are ako mattere of much economic impertance in determining the "density" of the phanes. and the farmer never questions their distinctness in breeding. At the present stage of the ostrich industry, where erossing is practised to such a high degree, the factorial analysis of the imlividual plame would be a prolonged undertaking, but will become feasible as the farmer finds himself in a position to build up pure strains.

## Sotellation of Mhble Toe:

Along the front of the tassus extends a series of large, nearly rectangular scales, which in most cases continues uninterruptedly to the end of the big middle toe. Over the leg the contiguous edges of the scales simply meet. but they are imbricated where the tarsus foins the toe and also over the latter, thus allowing for the bending movements of the toe during walking and running. Along the tarsus the scales retain approximately the same size, but at the junction with the toe they usually become somewhat smaller, enlarging again distally. Occasionally a distinct break in the continuity occurs at the joint, several of the large scales disappearing and being replaced by insignificant ones like those which coser the surface of the limb generally; and in rare cases a second break in the continuity takes place over the joint about the middle of the toe, thus giving a proximal and distal series of digital scales (Textfig. 2, p. 182).

The number of scales fluctuates in different individuals, and also on one limb as compared with the other ; and occasionally irregularities are introduced owing to single scales being partly subdivided. At the breaks the large scales tend to pass insensibly into the small scales of the limb, hence any enumeration is only approximate. A few countings are given in Table VIII, p. 18:3.

The break in the continuity sceurs rather rarely, especially in southern ostriches. Out of 20 Cape birds of mixed breeding only one showed an interruption, while in 20 mixed Nigerian birds a single break occurred in three cases and a donble break in two. As the figures in


Text-fig. 2. Tarsi and feet of Northern Ostrich. The scutellation shows a strong break between the tarsus and the large, inner third toe and the beginning of a second break over the middle joint of the toe. The small, outer, fourth toe bears only a few scales and the claw shown is unusually well developed.

TABLE VIII.
diumber af sicales in Tarso podal scutellation.

|  |  | Rikht Tamumatul Tio. |  | 1.alt Tarmuman Tim. |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 83 |  | 5.5 |  |
|  | 2 |  |  | 83 |  |
|  | 3 | 57 |  | $51 ;$ |  |
|  | 4 | is |  | 57 |  |
| 13. With one bloak |  |  |  |  |  |
|  |  | Tanmux | Tor | Tannux | Tos |
|  | 1 | 27 | 16 | 27 | 17 |
|  | 2 | 2* | 17 | 30 | 19 |
| C. With teo lircaks: |  |  |  |  |  |
|  |  | Tarsus | - - | Tareus | - |
|  | 1 | 29 | \% $\quad 8$ | 29 | 5 \% |
|  | $\because$ | 30 | \% ! | 31 | 6 ! |
|  | 3 | 32 | 09 | 31 | 711 |

Table VIII show, the breaks repersent a definite loss of scales. Taken along with the other facts of degeneration in the foot, the losses are without doubt to be regarded as the first evidence of degeneration in the middle the of the ostrich, the first, second and fifth having already disappeared and the small fourth being well on the way. The breaks evidently represent independent unit characters, retrogressive mutations, in course of introduction within the whole race, the process having gone a little further in the northern ostrich than in the southern.

In all ostriches the tarsal scutellation is now distinct from that over the small toe, only 8 to 10 scales occurring distally ('Text-fig. 2). Comparison with other birds would, however, lead one to expect that the two series were originally continuous ${ }^{1}$, as they are still in the great majority of ostriches with regard to the middle toe.

Breeding experiments prove that the breaks between the tarsus and middle toe are germinal in their nature. Where no break occurs in either of the parents the progeny also show no loss of scales. Thus in 13 cross-bred chicks from a southern cock and a northern hen, both with a continuous scutellation, no loss of scales occurred. When however one of the parents bears a break and not the other, then, as indicated below, approximately one-half of the chicks displays the loss, proving that the factor for the break is dominant but that the germ plasm is simplex or heterozygous with reference to it.

[^56]| TABLE IX. |  |  |  |
| :---: | :---: | :---: | :---: |
| Scutellation in Parents and Chicks. |  |  |  |
| Parents : No Break Break |  |  |  |
| North African | cock, No. 78 | $\times$ | - |
| South African | hen, No. 225 | - | $\times$ |
| Cross-bred Chicks : |  |  |  |
| No. 314 | ... ... | $\times$ | - |
| No. 315 | ... | $\times$ | - |
| No. 316 | $\ldots$ | - | $\times$ |
| No. 318 | $\ldots$... | - | $\times$ |
| No. 319 | ... ... | - | $\times$ |
| No. 320 | $\ldots$... | - | $\times$ |
| No. 321 | ... ... | $\times$ | - |
| No. 322 | ... ... | - | $\times$ |
| No. 323 | ... ... | $\times$ | - |
| No. 300 |  | $\times$ | - |
| No. 301 |  | - | $\times$ |

The heterozygous condition with regard to the break is what would be expected, assuming that the character is one which is in process of introduction within the race, and that it behaves in Mendelian fashion. At present the mutation is found in comparatively few individuals, and in a state of nature there is little chance that a bird showing the break would mate with another in a like condition, but rather with one having the scales continuous. If the change first took place in a homozygous duplex manner in a few individuals there is small likelihood that these would mate with others in like condition, but with nulliplex individuals. The first crosses would be dominant and simplex, and these mating with other nulliplex birds would give half simplex dominants and half nulliplex, which is what the experiments indicate. As shown below, certain significant results have been obtained on in-breeding some of the crossbred birds.

## TABLE X.



In this case the origimal parents were a North African cock without any loss of seales and a sonth $A$ frican ben with a single break. (of the four offspring reared three are without the break while it aecurs in No. 179, the hen used in the experiment. From the mating of brother and sister four chicks were hatched, iwo of which had two breaks in the scutellation, one had only a single break and one had wo break. The result may be regarded as highly suggestive that the inherent tendency towards the loss of scales can be accentuated by in-breeding, and dogeneration thus accelemated along definite prescribed lines; for after the single break the next step in the loss is a second break over the middle. of the the. In the course of the investigations it has become evident that an inherent tendency exists in the ostrich towards the loss of varions parts of the fore and hind limbs in a contimuous determinate direction, as well as of its plumage, and it is not unlikely that by in-breeding the degenerative tendency can be accentuated. The accumulation of fuller data must however be awaited before the suggestion as regards the loss of scales can be regarded as more than tentative.

## Clan on Folrth Toe.

The claw on the small, fourth toe has for the most part disappeared from the ostrich, though it is occasionally present, more often on North African than on South African birds (Text-fig. 2). In 25 mixed northern birds it occurred on six specimens and was wanting on the others, while in 20 mixed southern birds it was found on only one individual. Everywhere it is feebly developed, especially by comparison with the big claw on the middle toe, and is always non-functional, never reaching the ground. Where best formed it projects for about half an inch from its socket, while at other times it is almost hidden in the integument, and can scarcely be felt with the finger: but all intermediate sizes can be obtained. Usually it is equally developed on both the right and left foot, though sometimes a difference is observed.

In crosses where both parents are without the claw the progeny are also devoid of it, though in a nest of 16 chicks from clawless parents a distinct claw appeared in one (Cross-bred No. 304). Where however one parent is clawed and not the other it appears in about half the progeny, showing that the clawed birds are dominant heterozygotes. Out of a total of 36 chicks hatched from breeding pairs, where one parent was clawed and not the other, the numbers were actually equal, 18 chicks clawed and 18 unclawed.

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Thus, as in the case of the loss of scales over the big toe, the evidence is conclusive that the presence of the claw follows the Mendelian proportions for heterozygotes when breeding takes place. Where the parents are nulliplex as regards the factor no claw usually appears in the progeny, but where a clawed individual mates with a clawless the structure appears in practically half the progeny.

With the small proportion of clawed to clawless individuals among both northern and southern birds it is to be expected that most of the clawed ostriches will be heterozygous as regards the factor for the claw for in a mixed assemblage the chances of a clawed bird mating with another clawed one are very remote. A clawed bird will almost certainly be the progeny of one clawed and one clawless parent, and hence will be a simplex dominant, and when in turn mated with a non-clawed bird will give progeny half of which are again simplex clawed and half clawless.

## Discussion.

The northern and the southern ostrich illustrate in a clear manner how distinct species of animals may arise on the basis of germinal or factorial changes. It may be assumed that both are the descendants of an original stock in which the characters were all alike, and that in the course of time alterations have taken place in the germ plasm which give the marked differences now separating the two. Whether the changes have any adaptive value or not will be discussed later. Considered as a whole the broad genetical conditions are fairly simple, as no other representative of the Ratitae exists in Africa with which individual ostriches could have hybridised. As we know the two-toed ostrich to-day, it may be assumed to have evolved entirely within the continent, though in Tertiary times extending into Eurasia as far as Southern India, fossil remains having been found in the Siwalik deposits. That the two species had a common origin, and are not yet far apart, may be inferred from the fact that they interbreed and the offspring are fertile, also that similar degenerative changes are going on in the germ plasm of each (parallel mutations).

Factorial Constitution. The results from the crossing of the two species, though admittedly very incomplete, afford certain evidence as to the present germinal constitution of the ostrich, and indicate directions along which changes are taking place. Everything points to the distinctive characteristics of the two species as having separate factorial
representation in the germ plasm. 'The bald patch is a umit character which has appeared in the northern without any corresponding chang. in the southern bird. In all the individuals used for crossing it behaves. in a homozggous manner, showing that it has become fully restablished throughout the northern race. It supports the presence and absence conception of genetic factors ; the factor for baldness is present in duplex form in the germ cells of the northern ostrich but is absent from thos. of the southern. In cross-breds of the first generation it is simplex dominant, and in cross-breds of the second generation it is fouml th segregate.

The dimensions and colours of the ostrich, as well as the various features of the egg, have manifestly a more complex factorial representation than the bald patch. In the ancestral ustrich the factors for each of the characters were doubtless common to all the individuals, but germinal divergence has since taken place. The cross-breds serve to establish that each species now has its own separate factor or factorn controlling its size, for those of the one are neither dominant nor recessive to those of the other. They do mot constitute an alternative pair, a presence and an absence, as in the case of the bald patch. Hence in the zygote resulting from the cross-mating the simplex factors for both races are represented, the factor for the small size of the southern bird and that for the large size of the northern. In the resulting somat the two sets of forces are, as it were, each independently striving for expression, and naturally the individual cannot be both sizes at the same time, but appears as an intermediate, a resultant of the interaction of two distinct tendencies, one from the northern parent and one from the southern.

Similarly with the body colours. Each species may be deemed to have its own distinctive factors controlling its colours, for in crosses they do not behave as alternative pairs. In the cross-bred bird each factor endeavours to exert its pure specific influence, the result being a combination of the two, a colour which is intermediate and partakes of the nature of both ; sometimes one factor may gain a slight ascendency and sometimes another. The same conclusions as to factorial distinctneshave been arrived at with regard to the various characters of the eggs which appear as intemediates in the $F_{1}$ crosses. The exact grametic constitution, as regards the dimensions, colours, and eggs, can however be determined only after a number of chicks of the second generation have been reared.

The factorial representation for the phmmen mat be complex to a Journ. of (ien. vill
still further degree. As already indicated, the numerous "points" in the feather to which the farmer attaches importance behave in breeding practice as if each were under separate control. On the other hand we have abundant evidence that in ordinary breeding, and also in degeneration, each plume usually acts as an independent whole, as if some factor or group of factors controlled it in its entirety, irrespective of its numerous component factors. A complexity is however introduced by the presence of vestigial, imperfectly formed feathers, a few of which are sometimes found beyond the last fully developed plume in a row, and also as vestigial down on the wings and tail. Where vestiges occur during degeneration we can only surmise that the factors which control the whole plume may drop out piecemeal. They show that meristic structures do not always appear or disappear in their entirety. We may have a part of a feather as well as a whole.

Among the mixed assemblage of ostriches of the present day the genetic factors controlling the number of wing plumes in each bird may be regarded as heterozygous, for from any pairing we get a fluctuating series around some mode, less wide in some cases than in others; but if, as seems likely, it is found possible to extract pure lines for each of the numbers from 42 to 33 these will then breed true and may be expected to be homozygous.

The loss of scales from the middle toe evidently represents a germinal change which is actually in progress in both northern and southern birds at the present time. It proceeds along parallel lines in both races, its first manifestation being a loss of scales at the joint between the tarsus and toe and then another over the middle of the toe. The breaks represent a loss of structural parts of the foot, though they are dominant over continuity. As yet the germinal change involved in the first break has affected only a small proportion of birds and the second break a still smaller proportion. The other facts of degeneration in connection with the foot, the claw and scales over the small toe, and the loss of three toes, are taken to justify the assumption that the breaks represent still further degeneration which is in progress for the ostrich race as a whole. If, when first introduced, the change is a homozygous one, there is small likelihood that, in mating, the homozygote will meet with another homozygote. Until the mutation is introduced among a considerable number of birds the chances are that pairing will take place with a nulliplex individual, in which case all the progeny will be heterozygotes; these in turn are more likely to pair with a nulliplex, and as regards the break the offspring will be simplex dominant and nulliplex in equal numbers.

As already proved both the northern and the swothern himk showing the mutation behave as heterozygotes in crosses.

Like the loss of the seales from the middle toe the lase of the claw on the fourth toe is a degenerative change in progress within the witrich race as a whole: likewise it is germinal in its mature, and in crosses follows Mendelian lines. Also it can radily be admitted as part of an established degenerative scheme which has been going on in the foret for a vast period seeing that the first, seoond and fifth twes haw already disappeared. The loss is however an individual one, not one atfecting the race as a whole simultaneonsly: but compared with that of the seates the absence of the claw has reached a stage where by far the majority of the race are affected. The loss of the claw factor may be deemed to take place de nore in individual birds, and in course of time has affected larger and larger numbers. In crosses the presence of the claw is dominant over its absence, but, from the small propertion of indisiduals now possessing one, the chances of a clawed bird mating with another clawed bird must be very remote; hence, as the investigations prowe, the few showing the claw are heterozygotes.

The fact that a germinal change, such as is involved in the loss of the claw or the scales on the toe, occurs in individual birds anywhere throughout the continent, strongly suggests that, whatever the degenerattive influence may be, it acts on the germ plasm of the ostrich as a whole, wholly irrespective of environmental conditions. It gains expression de novo at different times in different individuals, but in the end affects all the members of the genus, as had happened in the case of the losses already sustained. The gradual loss of the scales, as well as that of the claws and feathers, indicate that retrogressive evolution is taking place piecemeal on strictly factorial lines, but in a continuous determinats manner as regards the race. If, as seems likely, we are to regard the baldness of the northern bird as the first step in the loss of the head plumage then we have an instance of the retrogressive changes affecting only one of the species (divergent mutations), while the loss of the scales and claw is in progress for the entire race (parallel mutations).

The parallelism of the changes going on in both species of ustrich is readily understood if we regard the two as having a common origin from the same germ plasin, with all its inherent tendencies. Many of the parallelisms of evolutionary changes found in other forms of life may also be deemed to be indications of a distant common origin for part at least of their germ plasm. Darwin in his (rigin, p. 179, remarks: "A all the species of the same genus are supposed, on my theory, to have
descended from a common parent, it might be expected that they would occasionally vary in an analogous manner." All the parts of the germ plasm may be held to be the same for any "pure" species; some parts are changed and give us the distinctions between species; other parts differ in producing generic separations, and still more fundamental parts in giving ordinal, class and phylar distinctions; but corresponding changes may take place in the germ plasm which remains common to phylum, class, order or genus and so give rise to parallel mutations, the Analogous Evolution of Prof. H. F. Osborn ${ }^{1}$, while divergent changes in the common germ plasm would produce Polyphyletic Evolution. In the ostrich specific changes have taken place, and others embracing the genus are in progress.

Adaptive Value of Changes. We may briefly consider whether the changes set up in the germ plasm, and expressing themselves in the soma, have any adaptive significance in the life of the ostrich. Following largely the teachings of Bateson and Morgan, few writers now are pre- 。 pared to admit that germinal changes are a response to external environmental influences, or have appeared in response to some need of the organism, or have necessarily some selection value; rather it is held that they are dependent upon some intrinsic cause which may vary in different cases. Though we may not know much as to the conditions under which the changes are brought about till once effected and manifested in the body, we may discuss the question of their utility or otherwise to the individual and their influence on the evolution of the race.

The bald head patch on the northern ostrich is probably as neutral in its effect on the bird as it is possible for any character to be; it is impossible to think of it as exerting any beneficial or harmful influence compared with the feathered condition in the southern bird. Both races are equally successful. It should probably be regarded as the first step in the loss of the head covering, thus introducing plumage degeneration to this region of the bird, following upon losses which have already been effected over the legs, wings and body and which are presumably still in progress. In this case the baldness raises the whole question of the adaptive significance of the loss of plumage going on in the ostrich, only the bare facts of which can now be noticed. In chicks the outer surface of the leg, from the knee joint to the ankle, is well covered with feathers which practically all drop out before maturity is reached. The under

[^57]surface of the wing is mow practically maked. Only one row of madercoverts persists, and it is hardly ever complete, while rare survivals of members of the second and third rows indicate that the undor surface. was at one time well cosered. The wing quills and uppereowerts arrmany lese in number in some strains than in others, and the under covering of down for the berly generally has all but disappeared, wetigial plumules apparing only around the base of the large feathers of the wing and tail. Probably no bird is at present so naked as the ostrich.

It is questionable however whether the loss of plumage hitherto has any serious influence on the well being of the ostrich. It is not incompatible with its present existence. But should the losses continur to a much further degree the absence of a protective covering may begin to be felt: while should the number of wing quills become still further lessened their inability to cover the usual quantity of eggs (12 to 16) during incubation may affect the number of chicks reared.

It is likewise impossible to ascribe any selection or utilitarian value to the colour differences between the northern and the southern ostrich. The light colour of the chicks, young birds and hens of the former compared with the dark colour of the latter can hardly be regarded as either advantageous or disadvantageous. The intense scarlet nuptial colouration of the northern cock as contrasted with the restricted scarlet of its southern rival has already been shown to give it no preference in the eyes of its sombre mate. On the natural veld it might possibly add to its conspicuousness, supposing any greater display value on the African plains could be thought of than that of an ordinary cock with his intense. black body plumage, white wings, white neck and light legs ${ }^{1}$.

In like manner the marked differences associated with the egg of the two races can scarcely be deemed to have any adaptive value. The bigger northern bird may be expected to produce a larger egg than its smaller southern relative, but from a selection point of view nothing in reason is to be said in favour of its rounder shape, smooth surface and absence of pitting, in comparison with the more oval shape and pitted surface of the other. Both are equally successful in artificial as well as natural incubation.

On mechanical grounds some advantage may accrue from the loss of the fourth toe, the claw of which has almost disappeared from the race,

[^58]just as the loss of the first, second and fifth toes has for long conferred a mechanical advantage by transferring practically the whole of the leg movements directly to the big middle toe. If however the degenerative forces are so relentless as they appear to be and should next begin to attack the big toe there could then be no question of the ultimate influence of the genetic changes upon the well-being of the bird, for with the loss of all its toes it is inconceivable that the extinction of the ostrich would not be imminent. While the losses of the scales in the case of the single break on the middle toe and the still rarer double break are deemed to be the first steps in this direction, it is conceivable that they are for the time being advantageous in the flexions and extensions of the toe.

On the whole then no evidence is forthcoming that the differences between the northern and the southern ostrich have arisen because of any direct utilitarian consideration; and the same can be said of the retrogressive changes common to both. Having appeared, they may come to have an adaptive value ; but even for this there is no support except perhaps as regards the loss of the toes. On the other hand there is much to indicate that, if the degenerative losses continue in the various directions already initiated, we may look forward in the dim future to the sad spectacle of a wingless, legless and featherless ostrich, if extinction does not supervene.

As already remarked it is impossible to resist the conviction that we have in the ostrich some intrinsic influence, slow but continuous in its action, which is bringing about the gradual loss in piecemeal fashion of the various parts of the wing and the legs as well as of the plumage, wholly irrespective of external influences or adaptive considerations. The losses are separate mutative changes so far as the individual is concerned, yet the result for the race is continuous, determinate degeneration along several directions. If, as seems to be the case, the losses hitherto have no adaptive value, then natural selection is in no ways concerned with them, though it will become operative when degeneration has proceeded so far as to interfere with the ordinary activities of the bird. Some adaptive value may be ascribed to the loss of the three toes from the foot, and also to that of the fourth which is in progress, yet it could hardly be conceded when, the same degenerative tendency continuing, the only remaining toe is attacked. It is manifest that an evolutionary change may be advantageous up to a certain point but disastrous when continued beyond.

The Nägelian idea that evolutionary changes have taken place as
a result of some intermal vitalistic force, acting altegether imdependently of extermal influences, and proceeding along definite lines, irrespective. of adaptive considerations, seems to be gatning ground at the present time among hologists'. 'The degeneration phemomena presented by the ostrich appear th constitute as clear an example in suppert of it as combd be adduced, while the genetical results serem to afford what has hitherte been lacking, namely, the direct application of mutation and Mendelian principles to contimuons determinate changes, such as confront the comparative anatomist and the palaeontologist. The main evolutionary conception associated with mutation is fortuitous discontinuity, but in the ostrich we perceive how discontinuous changes in the individual may proceed along definite lines and result in determinate continnons evolution for the race as a whole. The loss of scales or single feathers in individual birds may seem to be nothing more than haphazard chance occurrences, but when considered for the race they indicate an orderly progress towards definite end results.

Estublishment of Characters. If none of the changes which haro taken place between the northern and southern ostrich have any selection value we may well enquire how the differences have actually become established. Undoubtedly geographical isolation as regards North and South Africa has played some part. Whatever intermediate forms may be found in the intervening areas, the ostriches in the more extreme parts of the continent must have evolved independently on one another for long ages, though not to such a degree as to bring about infertility between them. Some changes, such as the bald patch, and those connected with the size and colour of the body and the nature of the egg, are now distinctive between the two races, while others, such as the loss of plumage, the loss of the claw on the small toe, and of scales on the large toe, are common to the ostrich race as a whole.

Assuming the characteristics for the race to have been the same originally, and that the distinguishing features of to-day have no selection value, we may first enquire how, for example, such a unit character as the bald head patch has come to be dominant and duplex for the northern species, while altogether absent from the southern. On the factorial theory of variation we assume that some definite, hereditable change took place in the germ plasm of the northem ostrich, as a result of which the feathers fall out from the top of the head at a certain age. If we further admit that the number of ostriches for the area was con-

[^59]stant, that all were equally fertile and that breeding at random took place then a single pair of mature birds would on the average give rise to only a single mature pair. At the beginning we may allow that the mutation occurred in the germ plasm of, say, a single bird, and represented a double or duplex dose and was dominant. Such a bird mated with one in which the change had not taken place would give offspring all of which would be simplex dominants for baldness. Only two of the progeny would reach maturity and mating with two nulliplex individuals would give four mature birds of which two would have the factor simplex and two would be nulliplex. Thus on the conditions postulated the number of birds showing baldness would never increase beyond two and both would be simplex, that is, the new character would retain the same proportion throughout the history of the race. There would be no swamping of the character and no increase of individuals showing it. In the same manner if the factorial change took place in the germ plasm of a number, $x$, of birds simultaneously, their influence on its introduction would be to the extent of $2 x$, if all the progeny were simplex. If matings took place between simplex pairs instead of between simplex and nulliplex then the result at maturity would be one duplex dominant, two simplex dominants and one nulliplex on the average for each two pairs; in other words, the mating would result for the time being in a loss of one-fourth of the number bearing the character, but the original number would be restored if the duplex dominant paired with a nulliplex, for two simplex individuals would result.

Thus under the conditions stipulated-a new character of no selection value, a stable population, free intermingling and equal fertility-conditions which it must be admitted are closely approximated in the natural life of the ostrich, the complete introduction of a new unit character in duplex form would occur only by the germinal change taking place as many times as there are individuals making up the race. On the other hand the character could be introduced in a simplex form by the change being effected in half the number of individuals. It follows that unless a new character has some selection value it cannot be bred into a race; it must be introduced de novo for each homozygous increase and half the number of times for the heterozygous increases.

As regards the bald patch therefore the germinal change must have been effected as many times as there are individuals making up the northern race, for the experiments have proved they are all homozygotes. We can scarcely conceive that the alteration would be carried out simul-
taneously in all the individuals, presmmably it affected a fow at first and others gradually. For a long time in the history of the race some of the birds would be duplex for baldness, some would be simplex and the rest would be mulliplex. Mr(i. H. Harly (Punnett's Mendelism, 1911, p. 136) has shown that under conditions such as are stipulated for the: ustrich the pepulation would rapidly fall into a stable comdition with regard to the proportion of the three forms, whatever may be the proportion to start with. If the pepulation consists of $p$ homozygotes of one kind, $r$ homozegotes of the other kind and $2 q$ heterozygotes then he points out that such a population would be in equilibriun for a particular factor so long as the condition $q^{2}=p r$ is fulfilled. 'The proportions which satisfy the equation are exceedingly numerous and in case of any disturbance of the equilibrium, as by the appearance de mow, of the character, it will be restored after a single generation.

From the foregoing we gather how little effect under natural conditions the importation of the hundred and thirty-two northern birds would have upon the southern race if the population of the latter were stationary. If all the northern birds reached breeding age and mated with the southern they would in the end give rise to only double the number of simplex, bald-headed ostriches, and the number would neither increase nor decrease. How far the other characters-dimensions, colour and nature of the egg-would influence the southern race cannot be determined until their actual factorial values have been worked out.

The conditions represented by the loss of scales from the middle toe and the claw on the fourth toe further help in an understanding of how mutative changes are introduced into a large assemblage. It is seen that the loss of scales has occurred in individuals of both the northern and southern birds, though more frequently in the former. The change however must have appeared independently north and south, for the distinctness of the other characters, especially that of baldness, proves that no intermingling of the two species has taken place towards the extremities of the continent. Appearing at first in comparatively few individuals, and presumably in duplex dominant form, it is most unlikely that a bird having the break would mate with another showing the same loss, but rather with one in which the scutellation was continuous. The' duplex bird mating with a nulliplex would give $F_{1}$ progeny in all of which the break would appear, while germinally they would be simplex. The simplex condition would tend to be retained until such time as the character became prevalent and opportunity occurred for a simplex to meet with a simplex, when a duplex condition would arise. It is significant
however that in all cases where an ostrich showing the break has been paired with one in which it is wanting, the bird has proved itself to be heterozygous, giving progeny of which approximately half display the break and half the continuous scutellation. Thus while baldness is a mutation fully established for the northern race and germinally duplex, the loss of scales from the third toe is a mutation only partly established and germinally simplex. A character in course of introduction within a race will for a long time be mainly in a simplex or heterozygous form; later, as the mutation appears de novo in more and more individuals, the population will tend to consist of duplex, simplex and nulliplex birds, until in the end all will be duplex or homozygous.

As regards the race as a whole the claw on the fourth toe reveals conditions somewhat similar to those of the loss of scales over the middle toe, but is a character which has almost disappeared. Experiments have shown that the presence of the claw is dominant over its absence, and matings with a nulliplex individual give progeny half simplex dominant and half nulliplex, proving that the clawed individuals are heterozygotes. This again is what would be expected considering the small proportion of clawed birds, and the remote likelihood that a heterozygote would mate with a heterozygote. If only heterozygous individuals are to be found then any further loss of the factor will presumably take place as a simplex, and to be completely lost to the race the change must take place as many times as there are heterozygous birds. As for the introduction of a new character so for the loss of an existing character, it cannot be bred out under the conditions postulated, but must drop out germinally.

Specific distinctness of Northern and Southern Ostrich. Whether the northern and the southern ostrich are to be regarded as separate species, or only as sub-species or varieties of a single species, raises the everrecurring, but undefinable question as to what constitutes a species. In the foregoing we have available all the data which the systematist could possibly desire to enable him to reach a decision. A germinal character, baldness, occurs in one, but is wanting in the other, while the dimensions and colours of the body as well as certain features of the egg are also distinctive and germinal. The characters are retained when the members of one race are subjected to the same environmental conditions as the other, showing they are not dependent upon external circumstances. They can all be regarded as distinct elementary characters in
the De Vriesian sense, and the combinations might well be held to warrant us in regarding the two as specifically distinct.

On the other hand the birds are proved to interbreed freelys and the offspring are fertile, both inter se and with the parental forms. 'The fact that similar degenerative processes-loss of planage, seales abll claws-are proceeding in both also peoints to a close germimal relationship. In the opinion of many systematists the physiological fact of fertility alone would be deemed to justify specific unity.

The ostrich ranges wer all the habitable parts of A frica and there is every likelihood that in intermediate aras between north and south a mingling of the two races goes on, producing a mixed population, composed of all possible combinations of the two sets of characters. Thus in the Fast African Ustrich, S. mosseticus, as the writer has found in visiting the ostrich farms in British East Africa, the colour of the hen and immature cock is a cream yellow while the mature cock has the head, neck and legs scarlet, and the birds are somewhat larger than the southern. The bald patch is present and the eggs are pitted. The Somali Ostrich, s. molybdophunes, is described as a smaller, darker bird than the southern, but the bald patch is wanting, and the colouration is like that of the southern and the eggs are pitted.

If the entire ostrich population of Africa were gathered together we are probably justified in thinking that all intermediate forms would be forthcoming between typical northern and southern birds. An exception would occur however in the case of the bald patch, for however much inter-crossing had taken place the character would never be intermediate, but would be wholly present or absent; and though the dimensions, colours and egg characters appeared in varying intermediate degrees as a result of crossing we should still have the knowledge that their distinctive nature could be extracted by selective breeding. When discussing intermediates the possibility of segregation should always be borne in mind. In the present instance, where all the facts are known, intermediate forms grading from one species to the other have no direct bearing on the question of specific distinctness. Among the African fauna especially, experimental breeding would probably establish that many so-called species and sub-species, often founded upon one or a few specimens, are in reality intermediates or hybrids of other species.

So long as we have the facts before us it is of small moment whether we regard the northern and southern ostriches as distinct species or not. It becomes a matter of individual predilection whether greater importance should be given to somatic differences or to physiological
similarity. Without being biassed in either direction it appears to the writer to make for convenience to regard them as distinct under the names bestowed by Linnaeus and Gurney.

## DESCRIPTION OF PLATE VII.

Fig. 1. Outer surface of fore-wing of ostrich, with plumes clipped off, to show arrangement of wing quills on upper (post-axial) border and rows of upper-coverts. The claw on the bastard wing is nat visible.
Fig. 2. Under surface of fore-wing of ostrich which is naked except for the single, incomplete row of under-coverts.
Fig. 3. Egg of North African ostrich (to the left) and South African ostrich (to the right).


# IOUBLE FLOWERS ANI) SEX-LINKA(GE IN BEGONIA. 

By W. BATESON, M.A., F.R.s., and IHA SUTTON, Student in the .John Innes Horticultural Institution.

(With Plate Vill.)
Begosias are monocious plants, having the flowers arranged in axillary cymes. In normal plants the flower which terminates each dichasium is a male : and, in the simplest arrangement, upon either side of this stands a female. For one or both of these females may br substituted a continuation of the inflorescence, which again at each dichasium ends in a male, this system being indefinitely repeated.

Since doubleness affects only those Howers which stand terminally, being that is to say in normal plants males, an investigation of the inheritance of this condition offered attractions, as being not unlikely to throw light on the genetics of sex. In passing it may be remarked that since a female flower can be replaced by an inflorescence, whereas a male flower is not thus replaceable, from these morphological relationships we are led to infer that the female flower contains something that the male has lost. The male Hower may be thus compared to a recessive, dropped out of the inflorescence which can be produced further in the heterozygous state.

The investigation was begun in 1908 by fertilising the normal female Howers of double Begonias with pollen from singles of unknown origin. Subsequently further crosses were made between doubles and a horticultural strain of singles which was declared to have bred true for some generations. The results have been full of complications such that, after many years work, it has become evident that no simple factorial scheme is followed, and that segregation in regard to single and double flowers must in these plants be a process liable to considerable irregularity. In general the single is a dominant as Bond also found. The recessive doubleness reappears in $F_{2}$, but the numerical proportion of $F_{2}$ doubles is low and Hluctuates widely. There are many transitional forms, which render accurate classification and enumeration impossible.
and not very rarely several of them may appear on the same plant. Some of the more interesting of these forms will be spoken of later.

An average of many $F_{2}$ families gives about 1 double in 32 , but in several large families no doubles at all appeared, and this average has certainly no general significance. From $F_{1}$ plants crossed back reciprocally with various doubles, similar irregular numbers were obtained and no approximation to analysis could be made. To render the composition of these families intelligible lengthy descriptions would be required and little purpose would be served by the publication of such details. Their interest lies chiefly in their value as an indication that in regard to a character which in so many plants is distributed genetically according to strict allelomorphic rules, great irregularity may elsewhere prevail. Whether this irregularity is in any way connected with the monoecious structure of Begonias cannot of course be declared. Such a conclusion is by no means improbable.

The purpose of the present paper is to make known a curious discovery which resulted when Begonia Davisii was brought into the series of experiments. The plant is one originally found in Peru by Mr Davis, collector for Messrs Veitch, and first flowered by them in the year $1876{ }^{1}$. Inasmuch as this is a real species, breeding perfectly true on selffertilisation, it seemed suitable for use as a reliable single for crossing with doubles. When however these crosses were made it was found that any double fertilised by pollen of B. Davisii gives only doubleflowered offspring- 405 plants have been thus raised, and of these only 18 are recorded as having less than complete doubling. The male side of Davisii is therefore exclusively double-bearing. Since the same plant fertilised with its own pollen gives only singles, the female side must be inferred to be exclusively single. Tested however with the pollen of a double, it gave a result which we cannot satisfactorily interpret. Fertilisation with pollen of doubles cannot always be accomplished, since thoroughly petalodic flowers do not produce pollen. A good many doubles nevertheless when starved or poorly grown do produce anthers and pollen, as for example the well-known double called in horticulture Begonia Lloydii. B. Davisii ㅇ fertilised by Lloydii ${ }^{\prime}$ gave 72 thorough singles and 42 with traces of petalody, a condition we have not yet seen in Davisii itself. The genetic nature of these slightly petalodic plants is not clear. If they can be formed when the pollen of Lloydii is used, we should expect them to appear when Davisii is fertilised with its own pollen, for this pollen used on

[^60]doubles gives searcely anything but extreme doubles. Slightly petaloxice plants came also cocasiomally, among large numbere of singlew, in fatmilios raised from Derisii female fertilised with pollen of heterozygons phants ( $F_{1}$ from double $x$ single $\delta$ ). When the pollen of Davisii is used on such $F_{1}$ plants the proportion' of recessive, double-bearing, ova, of course. appears: and since perfectly reliable pollen of doubles is difficult to obtain, the pollen of Davisii may be substituted for it.

After discovering the peculiar genctic constitution of Iarisii we naturally expected that the results of reciprocal crosses made betwern doubles and $F_{1}$ plants (from double $\times$ single) would at least sometimes show linkage of doubleness with either the male or the female side. For this investigation a considerable amount of material is now available. and we are satisfied that in general heterozygotes do not show any regular phenomenon of this kind. In contrast however to the usual absence of consistent sex-linkage, one plant raised from the female side of Davisii fertilised by Lloydii was proved to possess such sex-linkage, though less complete than that of Darisii itself. The plant, self-fertilised, set badly and only 2 plants (singles) were thus raised. As regards its female side we have the evidence that with Darisii pollen it gave 11 singles, and with Lloydii pollen 5 singles and 1 slightly petalodic, from which it may be inferred that the ovules were at all events predominantly single-bearing. The male side tested on Lloydii gave 27 doubles, 14 half doubles and 5 slightly petalodic (see Nos. $23-26$ in Table on p. 206).

As to the presence of sex-linkage in other heterozygous individuals the evidence is as yet conflicting. Some plants show it, whereas others do not, and we cannot as yet perceive any circumstance either in the way in which the plants were made up or in any other respect which accounts for these differences. We give in the Table (Nos. 31 to 45 on p. 207) specimens of these various behaviours.

The case naturally recalls other examples in which sex-linkage has been observed in plants. In three of these the male side has been specially distinguished as being associated with the recessives, though whether this is an accidental circumstance due to the way in which the plants were originally bred cannot yet be declared, but in Petumin, as shown by Miss baunders singleness, the dominant, was carried by all the pollen-grains, and by some only of the ovules of the single-Howered plants. In Matthiole the pollen was all double and for the most part carrying cream plastid-colour (Saunders); and in a plant of C'ampamela corpatice

[^61]and its descendants, the pollen bears white flower colour and femaleness, the factors for blue and for the hermaphrodite condition being carried by the ovules (Pellew). In this case as in Begonia the sex-linkage was not general but special to a particular plant and its descendants. Of these examples the plastid-colour is the only one in which the converse combination has yet been built up, though perhaps the others may hereafter be obtained ${ }^{1}$.

The condition in Oenothera "velutina" described by de Vries must be very similar, the recessive dwarf character being carried by the pollen. In the corresponding case of Oenothera "laeta" the evidence also points to the pollen being all dwarf, and to the existence of a mixture of talls and dwarfs among the ovules, in spite of which the plants do not throw dwarfs on self-fertilisation. This absence of dwarfs on selfing constitutes a puzzle exactly like that of the presence of slightly petalodics in Davisii $\times$ double $\delta^{7}$ ?

When in hermaphrodite flowers the male and female sides are genetically distinct we feel fairly sure that the segregation of these allelomorphs occurs not later than the formation of the anther-rudiments, but in B. Davisii it presumably happens even earlier and not later than the formation of the male flowers. Those who incline to regard the reduction division as the stage at which alone segregation can be effected may no doubt be tempted to suggest that in B. Davisii, for instance, pollen grains bearing the dominant factor are in reality formed but in some unexplained way fail to take part in fertilisation. As a mere suggestion of a possibility that theory cannot as yet be absolutely excluded, but in this special example it is more than usually difficult to accept, since the pollen of B. Davisii is to the eye exceedingly uniform and regular. There are none of the shrivelled grains which are generally looked upon as the bearers of missing elements. Though less significant, the absence of seeds partially defective is also noticeable.

In applying the term sex-linkage to such cases as this I am following

[^62]the suggestion made by Miss Pollew in her disenssion of "Types of Segregation'." The propricty of the comparison between the assiociation of a character with one of the sexes in the case of a hermaphrodite plant and the phenomenon in bisexual animals commonly called sex-linkage may be questoned, but until we know more precisely how sex in anmals is related to the phenomena in the flowering plant, no unjustifiable assmotion is made and men serious confusion can be caused by their use. If, following one method of interperetation, we regard pollen-mother cells, being the latest diploid stage, as the equivalent of male animals, we can reasonably speak of the character-here doubleness-carried by the prillen-grains, as linked with maleness, and singleness as linked with femaleness. The comparison, though not certainly valid is at present defensible. The relation of the hermaphrodite to the dioecions condition, whether in animals or in plants has not yet been represented by any factorial scheme which is thoroughly satisfactory. On a survey of the various sexual arrangements followed among plants we meet a difficulty in attempting to choose any fixed moment common to all the cycles, which can serve as a starting point for the institution of homologies. The difficulty is intensified when we proceed to the case of animals. One obvious suggestion is that the reduction-division provides such a common fixed point. Though I am not disposed to look upon that event as the only occasion on which Mendelian segregation is effected, I readily agree that many segregations presumably do happen then, especially that by which sex is usually determined among animals. Such observations however as those of the Marchals and the new evidence discovered by Collins ${ }^{2}$ show almost beyond question that even within the group of Mosses sex-segregation may occur at different moments in the different cycles.

With equal propriety we may regard the actual gametes as the fixed point common to all and therefore homologous in all the cycles, but we have still to face the difficulty that such a critical segregation as that which determines sex (and probably others) may be sometimes effected at the reduction-division, sometimes before it, as at least in monoecious flowering plants, and sometimes after it as in Collins's Funaria.

The facts practically drive us to the conception that the ordinal position of the reduction-division can be shifted in the cycle, and that segregations which in some cycles precede reduction are in other cycles

[^63]postponed until reduction has been already undergone. The problem is not unlike that so often raised by the differentiation of parts composing a meristic series. In one Lizard the $n$th vertebra carries the pelvis and undergoes special modification. In another Lizard the vertebra thus differentiated is the $n+m$ th in ordinal series. Morphologists have long discussed whether in allotting homologies among vertebrae we should be guided by the differentiations, or by the ordinal positions. When once the true nature of segregation and differentiation is understood the question is seen to lose all significance ${ }^{1}$, and having no precise meaning is incapable of being answered. For the individuality of the segments is not respected or maintained in variation, nor are differentiation and numerical change necessarily interdependent. We may easily satisfy ourselves that the numbers may vary and that within considerable though unascertained limits the functions and differentiations of the segments may be redistributed. I can scarcely doubt that we must similarly interpret the series of divisions and differentiations of which the life-cycles consist.

In the Tables we represent the plants as of five classes. Singles are those in which the male flowers have not been seen to have more than the four normal petals. The slightly petalodic class have generally one or two, though occasionally rather more extra petals or petalodic anthers. These two classes cannot be quite strictly instituted, and plants having flowers of both kinds are common. The half-double class ranges from the slightly petalodic to the really double, but nevertheless it is a fairly uniform class. Doubles and full doubles are not essentially distinct, but the term full was applied only to flowers in which the petals were very numerous and close.

As was stated above, peculiar and transitional forms are common. In particular some difficulty is caused by structures consisting of female and male flowers imperfectly resolved from each other ${ }^{2}$. Such flowers can generally be recognized by examination of the bracts, but when this condition of imperfect resolution is combined with some degree of petalody the degree of doubling cannot be determined with much confidence.

Since double flowers stand terminally, that is to say in the male position, we supposed at the beginning of these experiments that double flowers were necessarily petalodic males. Happening however to examine

[^64]the variety called Goaf Zappelin, we wore struck by the face that the double Howers, though termimal, are in reatity modificd femules. There is no inferior ovary, but at the bases of the petals are masses of expensed ovales'. This arrangement is normal for the varioly and gives it a most characteristie apparance. Further search among domble Begonias showed that many are in essentially the same condition, though the amount of owules developed varies greatly. Probably most of the fine exhibition booms are modified fimale flowers, though in them the ovular tissue may be reduced to a mere trace at the base of oecasional petals.

Whether any of these plants are altogrether incapable of producing anthers, however much they may be starved, we do not know. Our experience inclines us to think that some plants cannot produce ant hers, though we have certainly seen thoroughly double flowers of the ovulecontaining kind on plants which had borne double males containing anthers. But apart from this question we can easily recognize a class of doubles, of which Lloydii is a good instance, in which the double flower is essentially male; and though they may be fairly perfect doubles when well grown, this kind of double can readily be starved into producing pollen. The view that plants, e.g. Graf Zeppelin, in which the terminal flowers are female, instead of male as normally, may be homozygous females is rather attractive, but we see no means of testing it; nor if such an idea could be entertained, would it at all account for the fact that in a full double which must certainly be accepted as a recessive, homozygous in doubleness, the normal female flowers standing in the lateral positions are single. Beyond this point we see as yet no means of pursuing the analysis.

Since B. Davisii is a genuine wild species and bears exclusively single flowers, the conclusion to which our observations have led us, namely that its male side is genetically all double, seems not a little remarkable.

[^65]
## Details of Experiments relating to Begonia Davisil.

| Reg. No. |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | - | Davisii selfed, 4 families, 200-300 raised all true to type |  |  |  |  |  |
| 2 | - | Lloydii selfed, 45 true |  |  |  |  |  |
|  | Various doublesfertilised by Davisii $\$$ |  |  |  |  |  |  |
|  |  |  | Single | Slightly petalodic | $\begin{gathered} \text { Half } \\ \text { double } \end{gathered}$ | Double | Fully <br> Double |
| 3 | - | Lloydii $\times$ Davisii \% ... | - | - | - | - | 32 |
| 4 | 49/13 | Graf Zeppelin $\times$ do. ... ... | - | - | - | - | 28 |
| 5 | 20/14 | 49/13 (as above) double $\times$ do. | - | - | 6 | 3 | 16 |
| 6 | 30/15 | 209/14 (as above) double $\times$ do. | - | - | 3 | - | 14 |
| 7 | 28/13 | A double $\times$ do. $\quad .$. | - | - | - | - | 139 |
| 8 | 4/14 | 28/13 (as above) double $\times$ do. | - | - | 9 | 8 | 78 |
| 9 | 30/18 | A double $\times$ do. ... ... | - | - | - | - | 13 |
| 10 | 22/14 | Argus $\times$ do. ... ... ... | - | - | - | - | 17 |
| 11 | 25/14 | Hollyhock $\times$ do. ... | - | - | - | - | 8 |
| 12 | 27/15 | Louis Boucher $\times$ do. - ... | - | - | - | - | 7 |
| 13 | 85/18 | Fleur de Chrysanthème $\times$ do. | - | - | - | 4 | -. |
|  |  | Davisii ㅇ ferti | sed by | louble. |  |  |  |
| 14 | 10/17 | Davisii $\stackrel{\text { ¢ }}{ } \times$ Lloydii б | 72 | 42 | - | - |  |
|  | Reciprocal crosses with a half double. |  |  |  |  |  |  |
| 15 | 4/17 | Davisii $\times 3^{7} / 14$ half double ... | 39 | 15 | - | - | - |
| 16 | 5/17 | $3^{7} / 14$ half double $\times$ Davisii ... | - | 3 | 2 | 17 | 109 |
| 17 | 15/15 | $\left.\begin{array}{l}\text { The same half double } 3^{7} / 14 \\ \text { selfed }\end{array}\right\}$ | $1 ?$ | 28 | 49 | - | 8 |
|  |  | Reciprocal crosses with a heterozygous single. |  |  |  |  |  |
| 18 | 41/16 | $\begin{aligned} & \text { Davisii o } \times 2^{21} / 14 \text { hetero- } \\ & \text { zygous single } \end{aligned}$ | 105 | 1 | - | - | - |
| 19 | 3/17 | $2^{21} / 14$ heterozygous single <br> $\times$ Davisii ${ }^{\text {б }}$ | 68 | 14 | 5 | 17 | 23 |
| 20 | 42/16 | $\left.\begin{array}{c}\text { The same heterozygous } \\ \text { single } 2^{21} / 14 \text { selfed }\end{array}\right\}$ | 42 | 4 | - | - | - |
| 21 | 2/17 | $2^{20} / 14$ heterozygous single <br> $\times$ Davisii ${ }^{\circ}$ | 67 | 9 | 4 | 34 | 24 |
| 22 | 36/16 | The same $2^{20} 14$ selfed ... | 45 | 10 | 4 | 1 | 1 |

The following are tests of two plants bred in Experiment No. 14, Davisii $\& \times$ Lloydii $\delta^{\gamma}$. In the first group $10^{2} / 17$, a single, was used : in the second group $10^{5} / 17$, a slightly petalodic, was used. In both, the male side proved to be predominantly double.



The flowers and leaves of Begonin llat isii.

Fsperiments illustrating behariour of varions heterozngons simgles ( $33^{1} 17,17^{1}, 17,16^{2} 17,3 t^{1} 17$ ).

In $33^{3} / 17$ the single facter went in from the mothers side, and there is a clear indication that the pellen was predominantly domble; but in 1717 and $16^{2} 17$, similarly bed, the pellen was predeminamly singhe. In $34^{\prime} 17$, the exact reeiproeal of $33^{2} 17$, the single factor went in fonn the father's side, and the mumbers though insufticiont, do mot suggenes sex-linkage.

|  | Rers. No. |  |  | Singlo | slishth. intaborif. | $\begin{aligned} & \text { Haif } \\ & \text { doulble } \end{aligned}$ | \|rumb | $\begin{gathered} \text { Full } \\ \text { lu, } 1, \ldots b, . . \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 31 | 71/18 | $33^{1 / 17}$ relfed | $\ldots$ | 45 | 6 | - |  |  |
| 32 | 72/18 | 1)0. $\times 71 / 17$ double ${ }^{\text {a }}$ |  | 43 | 7 | 1 | 2 |  |
| 33 | 73/18 | $35^{4} 17$ double $\times 33^{1} / 17$ : | $\ldots$ | 31 | 25 | 27 | 2 | 13 |
| 34 | 53/18 | 171/17 \ Iloydii ${ }^{\text {a }}$ | $\ldots$ | 14 |  |  | -- | - |
| 35 | 54/14 | Lhoydii $\times 17^{1 / 17}$ | ... | 4 | 2 | - |  |  |
| 36 | $56 / 18$ | $350 / 17$ double < do. |  | + | - | 1 | 1 | 3 |
| 37 | 57/18 | $35^{\dagger} / 17$ double $\times$ do. .. | $\ldots$ | 41 | 8 | 2 | 2 | 7 |
| $3 \times$ | $34 / 18$ | $16^{2}$ selfed | $\ldots$ | 27 | - | - | - | $\square$ |
| $3!$ | $35 / 18$ | Do. x Lloydii | ... | 55 | 17 | - | 11 | 17 |
| 40 | 36/18 | Lloydii $\times 16^{2 /} 17$ | $\ldots$ | 88 | 24 | - | 3 | 3 |
| 41 | $37 / 18$ | Graf Zeppelin $\times$ do... | ... | 56 | 7 | 1 | - | 4 |
| 42 | $38 / 18$ | $35^{10} / 17$ double $\times$ do... | $\ldots$ | 55 | 23 | 15 | - | 14 |
| 43 | 74/18 | $34^{1 / 17}$ selfed | $\ldots$ | 73 | 4 | - | - | 1 |
| 44 | 76/18 | Do. $\times 35^{3} / 17$ double | ... | 47 | 16 | 11 | -- | 16 |
| 45 | 75,18 | $35^{*} / 17$ double $\times 34^{1} / 17$ | $\ldots$ | 6 | 2 | 3 | - | , |

Plate VIII shows the flowers and leaves of Begomia Davisii.
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# THE INHERITANOE OF WONG (OLOUR IN LEPllor'TERA. 



By H. ONSLOW.

(With Plates IX and X, Table and twenty-five 'Text-figures.)

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## I. Introdection.

Among the Heterocera varieties which exhibit changes both of colour intensity and colour quality are not uncommon. The former may be broadly classed as melanic varieties. The latter, which are less

## 210 The Inheritance of Wing Colour in Lepidoptera

frequent, often show a change from red to yellow, or from yellow to white, the ground colour alone being affected. I am at present investigating several examples of both these varieties.

The present communication deals with the yellow variety of Abraxas grossulariata, in which the markings are normal, and bright orange or yellow replaces the usual white ground. Little or nothing is known of the pigments involved in such changes, or indeed of any insect pigments, with the single exception of the white and yellow colours of the Pieridae, which Hopkins ${ }^{1}$ has shown to be due respectively to uric acid, and to some unknown reduction product of the same acid. It is possible that a similar relationship exists between the yellow and white pigments of A. grossulariata; and if this be so, an enzyme may be found to control the changes in both cases. I hope to be able to undertake a chemical study of the pigments at an early date.

The experiments were undertaken in order to investigate the genetic relationship of the white and yellow ground colours in crosses between A. grossulariata and its variety lutea. The type insect is usually papery white (see Plate IX, Nos. 25 and 26 ), or sometimes a very pale shade of cream; and the depth of the yellow ground in lutea varies considerably. Preliminary crosses showed that the white colour of the type insect was only completely dominant if the yellow of the variety was pale; and it became evident very soon after the experiments were commenced, that this white colour did not behave as a simple Mendelian character. It is in fact an example of a character which varies more or less continuously; and such cases frequently present problems for which it is difficult to find a satisfactory explanation. As a rule, the $F_{1}$ heterozygote from lutea $\times$ grossulariata is not white, but can be distinguished from the type by a tinge of yellow which occasionally reaches an appreciable depth. The total range of variation in all crosses is considerable, and extends from the papery white of the type insect, through the palest shades of lemon, to a bright reddish orange (see Plate IX, Nos. 1-26).

Since the material could not at once be divided into discontinuous classes, several attempts were made to grade the insects and to place them by inspection in four arbitrary groups. This method had to be abandoned as no reliability whatever could be placed in the judgments, even when these were made under similar conditions of lighting, etc. An instrument of some kind for determining the colour appeared essential, and several were examined for this purpose. The colour-

[^66]wheel, notwithstanding its mechamical disudvantages, has much in its favour, but was fimally abandoned for a commorrial instrument callod the "Tintometer." The reason for this selection was that with the colour-whed there is no methed of defining or recording the colours of the dises emploged: it is therefore impossible for any future wherever to reproduce these dises, and conseduently the colours of any readings taken with them. The" Tintometer" however supplies a mit, which though arbitrary is recoserable and sattisfies the other essentials of a standard. Also, it is placed on the market at a moderate price. The scale consists of a series of coloured glasses, carefully dyed and standardised by comparison with the glasses of other seales, so that soveral opportunities for error are introluced. For this reason it must be admitted that the colour-wheel would be preferable, since with it there
 standard colour dises can be procured. They should be based on some physical constant such as wave length, so that they could be checked easily in case of fading.

It may be added that sometimes the colour-wheel can be used with advantage combined with some simple optical arrangement such as is provided by the "Tintometer," to secure conditions of equal illumination.

## II. The " Tintometer ${ }^{\text {! }}$."

The "Tintometer" (Fig. 1) consists essentially of a rectangular tube $B$, slightly tapered and about 10 inches long. At the narrow end there is an eye-piece $A$ : at the other end there are two apertures which admit light. The tube is mounted on a base to which it is inclined at an angle of about $45^{\circ}$. Just above the apertures there are two rows of grooved slots $G$, which receive the graded standard slips of coloured glass $F$, for intercepting the beams of light before they reach the eye.

The apparatus is used as follows: a piece of mirror is put immediately under the two apertures and the instrument placed in diffused daylight, preferably from a north window. The instrument is now moved until both fields of view are equally illuminated; all objects such as window-sashes, trees, etc., being ayoided. The minkown coloured object is then placed under one aperture, and the specially prepared white background $C^{\prime}$, made of firmly compressed plaster of Paris, under

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the other. The colour slips $F$ are then placed in the grooves until an equivalence of colour has been obtained in both fields of view. The coloured object may of course be placed indifferently on either side without affecting the result. In making the measurements here recorded a low power lens $D$, magnifying about three diameters, was


Fig. 1. The "Tintometer" arranged for reading the colour of an insect.
A. Eye-piece. B. Tube. C. Compressed plaster of Paris background. D. Lens.
E. Cardboard diaphragms. F. Standard coloured glasses. G. Slots to hold glasses.
placed between the insect and one aperture. A variety of different sized diaphragms were also cut in black card. These were placed in the metal slots $E$ in order to mask the black markings of the insect, which might otherwise have interfered with the colour determinations by introducing a contrast effect. A second diaphragm of the same size was placed on the opposite side from the insect in order to equalise the two beams of light.

The colour scale.
The colours of the glass slips used are yellow, red and blue. The scale consists of twenty units, each divided into ten parts, every one of these parts being again divided into a further ten fractions. It is however only with the paler colours that an increment of $0.01-0.05$ becomes appreciable. These three colours can be combined to form any other colour required. Thus, one unit of red + one unit of yellow $=$ one
unit of orange ; and a yellow-orange colour may be made by combining one unit of red with two or more unite of yellow. Further, one unit of red + one unit of yollow + one unit of blue $=$ one mait of ne⿻utal tint, or black.

It is aftimed by the makers that the three colour-mate which go to make up the neutral tint are equal, that is tosay, when three different coloured units are combined there is mo residual colour. All units and fractions are said to be checked by this test, and, further, all the glasses of one set are interchanged with those of amother and the units verified by cross checking. To enable observers to verify their scakes the makers publish colour readings, obtained by dissolving a known weight of a pure substance such as potassimm-ferricyanide in a given volume of water, a known depth of which can be examined in cells of different thicknesses. The only objection to this procedure is that even solutions of the most stable substances such as picric acid are comparatively inconstant, and may show either a fading, or an increase of colour on standing.

In order to obtain the colour measurement of a given insect it should be pinned upon a strip of cork and so placed that the desired portion of the wing, magnified by the lens, comes immediately under one aperture. A suitable diaphragm is then chosen to cut out most of the black markings, while leaving exposed the central yellow portion of one wing. A red glass slip of a certain value is next chosen, and this is combined with a yellow slip, representing about twice as many unit.s. Such a combination will give a bright orange which may be either too intense or too dilute. By the selection of suitable units or fractions both the red and the yellow are alternately increased and decreased, till a colour exactly matching the wing is obtained. Care should be taken to limit the length of each observation to five seconds, in order to avoid the disturbing effects due to fatigue. It is often found impossible to obtain a perfect match with the red and yellow colours only, owing to the fact that the colour of the wing is desaturated by the addition of black. In this event the exact colour equivalence may be obtained by adding some fraction of a blue unit, e.g. when the units on the slips of each colour employed in obtaining a perfect match are added together, the total may be found to come to:

| Red | Yellow |  | Blue |
| :---: | :---: | :---: | :---: |
| $5 \cdot 6$ | $:$ | 9.8 | $:$ |
| 0.4 |  |  |  |

These colours will not however be the same as those appreciated by the eye. When converting the former into the latter, as must always

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be done, it should be remembered that one unit of blue, and one unit of red, and one unit of yellow when combined give one unit of black or neutral tint: and, further, that one unit of red and one unit of yellow together give one unit of orange. Now it is clear that in the above example the eye will only receive 0.4 units of black, because not more than 0.4 units can traverse all three colours. Since 0.4 units of red have now been required to produce the neutral tint, only $5 \cdot 2$ units of red remain. These, combined with an equal number of units of yellow, give $5 \cdot 2$ units of orange. Now $0 \cdot 4+5 \cdot 2$ units of yellow have been used to produce the neutral tint and the orange, which when subtracted from the total $9 \cdot 8$ units of yellow, leave 4.2 yellow units remaining. Thus to obtain the visual colours from the glass units: treat the blue as black; subtract this from the red to obtain the orange; and subtract the red from the yellow to obtain the yellow. The two expressions thus found may be considered virtually as the two halves of an equation. As an example of the readings usually obtained the following colour measurements of two insects are taken from the protocols :

| Insect | Wing | Standard glasses used |  |  |  | Visual colour |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Red | Yellow | Blue |  | Black | Orange | Yellow |
| ${ }^{\prime} 17 \mathrm{C}$ \% 9 | Left fore | $5 \cdot 3$ | $12 \cdot 9$ | $0 \cdot 9$ | = | $0 \cdot 9$ | $4 \cdot 4$ | $7 \cdot 6$ |
| , | , hind | $2 \cdot 8$ | $5 \cdot 4$ | $0 \cdot 7$ | $=$ | $0 \cdot 7$ | $2 \cdot 1$ | $2 \cdot 6$ |
| ${ }^{\prime} 17 \mathrm{C}$ ¢ 44 | Right fore | $4 \cdot 5$ | $9 \cdot 0$ | $0 \cdot 8$ | = | $0 \cdot 8$ | $3 \cdot 7$ | $4 \cdot 5$ |
|  | ,, hind | $2 \cdot 8$ | $5 \cdot 0$ | $0 \cdot 3$ | $=$ | $0 \cdot 3$ | $2 \cdot 5$ | $2 \cdot 2$ |

Throughout the paper all figures in square brackets refer to colour measurements. The first number is the orange value, the second Or. Yel.
number the yellow value, thus: [2:5:2.2]. As a rule, the black value, if any, was so small that it has been omitted.

## III. Method of presenting Results.

(a) Curves showing the distributions of the colour-values (Figs. 15-25).

It was found that the colours of the insects did not fade appreciably when they were kept in the dark. The colour of every insect was taken separately in the manner already described (see p. 213), the conditions of lighting, etc., being kept as constant as possible. With the readings obtained from a series of insects, curves to show the distribution of the colour-values can be constructed by plotting these values as ordinates, the abscissae being determined by the numerical positions of the individuals in the series, after the colour-values of all the insects have been
arranged in order of magnitude. Fach abscissa then represents an individual insect.

The distributions which resalt for each family, or group of families. hase been given in full at the end of the paper, as it was considered a more concise and acenate method of publishing the datat than any form of table.

In each figure the hegry black line denotes the orange values. Orange is the dommating colomr, but owing to the particular dyes nsed in making the coloured glasses, more yellow units are always required than red. This excess of yellow is much less important than the orange, since a considerable increase or decrease in it alters the colour tone much less than quite a small change in the red. It is nevertheless significant, so the values have been shown in each case by means of a small eircle on the same perpendicular as the corresponding orange value. It will be seen at once that these vellow values do not follow the satme order as the orange, and an oscillating curve results. This merely means that of two given oranges, the paler, i.e. the one containing the least red, may contain more yellow than the darker, or vice verso. For this reason it has been thought well to arrange the yellow values, also, in their order of magnitude. The resulting curve is shown by a line of crosses, but it must be remembered that any given cross does mot necessarily refer to the same insect as the orange value on the same perpendicular. The yellow curve arranged in the same order as the orange has been called "yellow a," the yellow curve rearranged in its own order of magnitude "yellow $b$." Generally speaking it will be seen that the yellow values are in most cases approximately equal to the orange, so that the curve "yellow $b$ " runs roughly parallel to the orange curve.

In the case of single families, the colour-values of the two parents have been printed in the margin in square brackets, beside the arrow which indicates, at the appropriate point along the colour scale, the orange value of each parent. Where more than one family is included the mean value of the parents has been given.
(b) The frequency distributions (Figs. 2-14).

Although the curves showing the distribution of the colour-values have been given chiefly to serve the purpose of a record, yet for the sake of convenience and simplicity, and in order to bring out the most salient

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features, the colour-values of each family or group of families have been expressed as a percentage frequency distribution. Among other advantages this method tends to remove differences caused by the size of the group dealt with. The following method was adopted when converting one curve into the other.

The colour scale was divided into intervals of 0.4 units each (e.g. from 0.0 to 0.4 , and 0.4 to 0.8 , etc.). The number of individuals occurring in each colour interval was found, and the result divided by four, so that the percentages might all refer to the frequency in $\frac{1}{10}$ of a colourunit. These average numbers of insects of any given colour-value were then plotted as ordinates, and the colour-values as abscissae. On account of certain errors mentioned below, an interval of 0.4 units was chosen, since this gave a reasonably smooth curve ; though occasionally small oscillations appear, which probably have no significance.

The orange values are shown by the heavy line. Though of less importance the yellow values have been treated by the same method and are represented by a fine broken line. Roughly speaking it is seen to run parallel to the orange curve, as might be expected. As in the case of the distribution curves the colours of both parents have been shown in the margin below the arrow which represents their orange values.

## (c) Experimental and statistical errors.

Whenever a frequency distribution rises to two maxima they correspond to those portions of the figures showing the distributions of the colour-values which are flattest, and which consequently contain the greatest number of insects of one colour, The points at which the frequency distributions reach a minimum (about $2.0-2.5$ ) correspond to those portions of the curve showing the distribution of the colourvalues where the fall is most rapid, and therefore to those points at which segregation appears to occur.

The question that must then be considered is whether the fall is real or whether it can be more easily attributed to the various sources of error. Errors due to technique, such as labelling, are, I think, insignificant. There remain those due to taking the colour measurements. The accuracy with which the readings can be taken varies considerably. A difference may be just discernible between two colours, one measuring 1.00 and the other 1.01 units, but no change will be appreciated between two other colours, one measuring 10.00 and the other 10.01 units. To be discernible the increment in the last case should be about $0 \cdot 1$
(though in practice it appeare to be less), because the stimulus reynired to cause a change of sensation is always a defimite fraction of the origimal stimulus. The paler colours can therefore be matamed with greater aceuracy than the darker. The chief error, however, is caused rather by the differences in the colour of the wing area selemed for momarement than by the imbility of the "ye to discrimimate finer shades. As a rule the vellow colour becomes slighty pater towards the preiphery of the wing. Therefore sinee exactly the same area camot always again be found, the experimental error is increased by repeating the moasurements. The following figures give some idea of the differences in the colour of an average specimen:


On account of this variability a practice was always made of selecting the large yellow area surrounding the discoidal spot, the more perfect wing of the two always being chosen. When this area was torn, or too badly rubbed, the nearest portion, and therefore the one most approaching the same colour, was selected. To avoid prejudice, all the readings were taken before the curves were constructed, and in most cases the readings were repeated twice. It was found from experience that at about the range in question there was a maximum experimental error of $0 \cdot 1$ colourunits. With regard to the question whether the data prove that the families and groups of families dealt with are really heterogeneous, and not single samples, I have shown the evidence to Mr Udny Yule. He has most kindly considered the matter and reports as follows: "As regards figures obtained in the $D R \times R R$ cross (Figs. 4 to 9 ) I do not think therecan be any doubt that the data can be held to prove segregation. The gap is wide and well marked and occurs in the same position in several families or groups of families. In the case of the $D R \times D R$ cross (Figs. 10 to 13) so well marked a separation camot be expected, as the second maximum does not rise to a sufficient height, and the distribution of the $R$ 's only causes a comparatively slight hump on the tail of the distribution. A check on the result can however be obtained by building up the distribution that should be expected on the theoretical basis, showing that fair agreement is obtained." This check has been applied with fairly satisfactory results. In the case of the $D R \times D R$

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cross the fit is especially good, the second maximum being no higher on the theoretical basis than on the experimental. In the case of the $D R \times R R$ cross, the maxima, especially the second, though no higher, are shifted somewhat to the right. This is no doubt due to the fact that the average colour-values of the parents in the former case are considerably higher than the average value of the yellow grandparents of the $D R \times R R$ cross, since the yellowest insects were selected for breeding. It seems to be fairly clear therefore, from the foregoing considerations, that a considerable degree of segregation actually takes place.
(d) Colour of the hind wings, and effects of desaturation and sex.

In every case the hind wings are paler than the fore wings, and in a large number of insects separate colour readings were taken of them. In many of the medium and paler specimens the hind wings are quite white, about $[1 \cdot 0: 0 \cdot 7]^{1}$. In the case of one family, ' 17 C (see Figs. 5 and 18) the orange values of the hind wings have been shown as a curve, but as no special importance was attached to these figures, elsewhere they have been omitted. On the curve (Fig. 18) it is seen how the paler insects uniformly have white hind wings, irrespective of small differences of colour in the fore wings.

Mention has already been made of the fact that many of the colour measurements required the inclusion of a small quantity of black, before exact equivalence could be obtained. This amount is very variable, and occurs most irregularly in any series of insects. The highest values are always among the deepest yellows, but even among these there are some devoid of all black pigment. Usually the pale yellow forms have no black, but white insects generally require a small quantity. The deepest yellows no doubt actually contain a little melanic pigment, which under the microscope appears as an almost imperceptible mottling upon the scales. In the white insects the greyish colour of the surface is caused rather by displacement or removal of the scales, than by the presence of melanic pigment. These injuries are more apparent in white insects than in yellow ones. Owing to the misleading effects of injury; and to this lack of uniformity in the black values, they were not considered of sufficient importance to record in every case. In family ' 17 C , however (see Fig. 18), these values have been indicated by means

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of diamond-shaped dots under the orange value of the appropriate insect.

In preparing the comes to show the distribution of the colour readings, the sexes were at first kope separate. In family 16 d se. Fig. 21) the femates have been shown alone just below the curne which comprises both sexes. Possibly there is a slight temoteney for the femates to be paler than the males, and in the family in guestion it can be see. 1 that rather a larger proportion than usual of the palee forms are femate. On the whole, however, the sex appeas to have litele effect. Aceordingly. elsewhere individuals of both sexes have been treated together. Further, in the crosses, the sex of the yellow parent appears to have no effect on the offispring.

## (e) Table of families, and pedigree.

In many of the families there occur some of the varieties which are described on pp. 220-223. Their names have been given below the curves showing the distribution of the colour-values at the end of the paper, and to the right of the name is shown the sex and the number of the insect in the curve. These numbers refer of course to the figures along the base line of the curve, so that any individual can be looked ont, and the colour-value read off from the curves. For instance in family '16G (see Fig. 24) the variety violacea occurs. It is marked $\delta 24$. From the colour-values of the curve it may be seen that the 24 th insect is $[1.0: 0.4]$. The colour-value of any other variation may be looked up in the same way. When, however, several families are combined in a single curve, a difficulty arises. There is nothing to show in a compound curve which insects belong to which family, and therefore it cannot be found from inspection which individuals in a given family. do not show the particular variation under consideration.

Reference to Table I will give this information, as the sex and number of every individual in each family has been there tabulated. The gametic constitution of every insect used for breeding, as indicated by the offispring, is shown by the symbols employed in the pedigree. (see Table II). The sex, colour-value and any other details known are also given, and the colour-values of all the offepring may be determined by reference to Table I and the appropriate figure. All the details subsequent to 1914 have been composed from my own data. For records previous to 1914 I am indebted to the Rev. (i. H. Raymor, who also gave me my original material. A few of the insects bred before 1914
were sent to me, and the colour was measured in the usual way. In the other cases, although the colour could not be determined, it is clear from the description whether the insect was a homozygous yellow, but it is not always so clear whether it was a hybrid or a type. In these circumstances the probable constitution of the insect has been indicated by the symbol, and a note of interrogation has been added to show that the question is doubtful. The pedigree of six families of set insects, kindly given to me by Dr Doncaster, has been inset on Table II.

## IV. Description of certain Varieties.

As is well known, A. grossulariata is an extraordinarily variable species, and Mr Raynor has named and described a number of its aberrations ${ }^{1}$. His nomenclature therefore has been used whenever possible, but in two cases I have been reluctantly forced to adopt new names to denote slight variations for which no published name could be found. The following descriptions include all the variations which have been met with in the course of the experiments, but it is by no means a complete list.

Var. chrysostrota.
(See Plate IX, Nos. 31 to 42.) This name is given to the variety of lacticolor, which is entirely suffused with yellow.

Var. flavi- or albipalliata.
(See Plate IX, Nos. 1, 7 and 19.) The black markings are absent from a broad area between the black basal blotch and the discoidal spot, which gives a white (or yellow) mantle about that area of the insect. This variety only occurred among the parents of my strain, and not much information could be derived from Mr Raynor's records as to the nature of the inheritance of this character. In four families both parents of which were favi- or albipalliata less than 7 per cent. of the offspring showed the variation.

## Var. fulvapicata.

(See Plate IX, Nos. 3 and 28.) The orange colour of the central band is continued to the apex of the wing, and the black marking at the apex is obsolete. The incomplete development of the scales at the apex, occasionally the result of inbreeding, may cause a superficial resemblance to this variety.

[^70]Var. impunctifiseciuta.
(see Plate IX, No. 2t.) This variely has met been previomsly descritued. 'The black band of spots on the obter side of the aranger fascia may be completely or partially obsolete. It seremes that this variety should have a close combection with the preereding oble, but there is no wedence from which to decide. Either the pertion of the band near the inmer margin or the central portion may be obsolete, without the apex of the wing being affected. In order to distingnish between the different amounts of black pressent in the hand of these insects, in Table II and elsewhere they have been gnalified in the following way:
> impunctifasciate + signifies that about half the band is obsolete.
> +t signifies that three quarters of the band is obsolete.
> - ++t signifies that the band is completely obsolete, or only traces of it present.
(a) The Melanic Series.

A certain number of varieties may be collected under this heading. They consist of variations in the size and position of the black markings on the wings and body, and of a suffusion of dark pigment over the whole wing surface. For convenience they will be considered together. In several cases, although different names have been given to the variations, one often only denotes a more advanced stage of melanism than the other. The furthest stage of melanism is found in var. vorleyote (Porritt)'. I am at present investigating the relationship of this variety to the type as well as to lacticolor.

Var. rudiuta.
(See Plate IX, No. 58.) Marginal spots radiated, generally on the fore wings only. This variety may of course occur in grossuleriuta as well as in lacticolor.

Var. nigricostata.
(See Plate IX, Nos. 16, 22 and 28. No. 44 also shows traces of a black stripe.) The black stripe may extend from the shoulder knot either to the discoidal spot or throughout the whole length of the costa. Sometimes the black marking below the discoidal spot is confluent, so that a

[^71]second black stripe runs from the middle of the shoulder knot towards the third marginal spot, which it may or may not reach, leaving one or two small wedge-shaped areas of yellow or white in the centre of the wing. (See Plate IX, No. 16.) The different lengths of this black stripe have been indicated in the following way:
nigricostata signifies costa black as far as discoidal spot.
" + signifies costa black as far as orange fascia.
" + + signifies costa black as far as the apex of the wing.
, $\quad++$ signifies second black stripe running more or less completely across the wing.
Var. hazeleighensis.
(See Plate IX, No. 30.) Fore wings almost filled with black except for small white specks in the middle of the costal margin. The hind wings are sometimes banded, but are often unaffected. This variety frequently occurs in the cross varleyata $\times$ grossulariata.

Var. nigrocinctu.
(See Plate IX, Nos. 16 and 30.) This variety has not been previously described. It is caused by the dorsal spots being extended round the body so as to form black rings. In some specimens the body may be almost entirely black. The variety seems sometimes to be correlated with the amount of black pigment on the wings, but this is not always the case, because the dorsal spots in many specimens of varleyata are quite normal ${ }^{1}$.

The degree of pigmentation is indicated in the following way:
nigrocincta + signifies black rings incomplete.
,, ++ signifies black rings complete.
" $\quad+++$ signifies dorsal area entirely black.
In some insects the black rings are only found on certain abdominal segments. In these cases the correct segments are indicated in brackets, just below the variation on the distribution figures.

Var. violacea and var. semiviolacea.
(See Plate IX, Nos. 11 and 27.) Either all four wings or only one pair may be suffused with a purplish brown bloom that gives the insect a scorched appearance. Under the microscope the pigment is seen to be purple, and evenly distributed over the surface of the scales, which have a faintly mottled appearance. Otherwise it strongly resembles the suffusion of iochalca (vide infra).

[^72]
## Var. nigrosparsute.

(Nee Plate IX. No. 29.) All the wimgs are findy surhleal whth
 orange fascia. It is sat that this variation is mot inhorited and Mr Porrite has tohd me. that he failed to breed a greater prowentage of specimens from ni!prospersente of $\times$ migrosperseate of than he was able. (4) whtain from wild larvan collected in the same moighbourhoul. Mr Raynor has also had a very similar experience. I oner whained a single specimen of migrospersete of from larvan collected in Kent, which was paired to a rather dark female from the same locality: out of 12 offspring only one $f$ showed a very faint trace of melanic suffusion.

Viar. iochulea.
(See Plate IX. No. 60.) This variety bears a certain relationshpp to the preceding one and to diolacer, in that they all have a melanic sutfusion which extends over the surface of the wing. The differene in appearance is however most striking, as may be seen by reference to Plate IX. In iochalce the wings are suffused with a pecenliar metallic hue due to the addition of black pigment to the scales of the yellow varicty of lacticolor (i.e. chrysostrote), which caluses a desaturation of the yellow colour. In nigrospersate on the other hand, the suffusion is more intense and often has a mottled appearance, especially when observed through a lens. It is true that the specimen illustrated (No. 29) has a white and not a yellow ground. Nevertheless, when nigrosparsate is combined with lutea, the difference is if anything more striking.

## (b) Distribution of black pigment in suffused varieties.

A yellow insect showing this suffusion was bred too late to be included in the plate. A separate illustration, however (see Plate X), shows the difference between the deposition of the melanic pigment in the yellow variety of nigrospursutu, and in a specimen of iochulce as they appear under the microscope. The portion of the fore wing of the nigrospersate illustrated is much closer to the costa than that of the iochelce, and consequently the scales are smaller and narrower. A comparison of the two figures shows that the scales of iochalca (see Plate X, Fig. 1) are a uniform buff, the black pigment being rather more abundant near the base of the scales than at the tip. For this reason the pigmentation is somewhat obscured. because the darkest portion is always covered by the pale overlapping points of the scales in the row preceding it. The wing
of nigrosparsata (see Plate X, Fig. 2) on the other hand is seen to have the black pigment concentrated in certain scales, the majority of yellow scales being practically devoid of dark pigment. In contrast to the case of iochalca however, the dark pigment appears to be concentrated in the tip of the scale rather than at the base, which accentuates the mottled effect already caused by the localisation of the black pigment in a few scales. The few grey scales of iochalca scarcely affect the colour.

Mr Raynor has kindly given me data concerning several pairings with iochalca. It appears to be recessive to A. grossulariata and to breed true when mated together. A pairing between iochalca $\delta$ and iochalca 9 gave 13 females and 6 males, all iochalca. Another family of iochalca $\delta^{\top} \times$ albipalliata $q$ gave 5 females and 1 male iochalca, and 12 males and 15 females of other varieties, 14 of these females being lacticolor. It must of course be remembered that the inheritance of this variety may be complicated by the fact that it probably never occurs except in combination with lacticolor. Experiments are in progress with a strain of this variety kindly given to me by Mr Raynor.

Var. cupreofasciata.
(See Plate IX, No. 59.) This variety has the melanic suffusion of iochalca, restricted to the orange fascia and shoulder knot. It can be seen that the fascia has exactly the same appearance as that in No. 60, Plate IX, and may be contrasted with the bright yellow fascia of the ordinary lacticolor insects (Nos. 55 and 56). Mr Raynor tells me that insects of the variety cupreofasciata are invariably descended from iochalca ancestry.

## V. The Yellow Pigment.

The cause of the difference in the intensity of the yellow pigment in the pale and the deep varieties is a problem of considerable importance, since it may possibly give a clue as to the nature of the factors which determine the varying shades of colour. There are several possible conditions which might account for these colour variations.
(1) The pigment itself may vary in constitution, and consequently in colour.
(2) The concentration of the pigment, which may be either diffused or in the form of granules, may be increased in the deeper varieties.

If the composition of the pigment varies the change need not be very fundamental, but might merely consist in an alteration in the
position or number of certain chemical groups'. If the change is quantitative and the pigment is diftused, the amomot " in solution" may be increased, or the pigment may beoome aggregated in small gramman or masses. The orangered pigments of the Pievidace are all yollow in aqueous solution, the orange colour being probably due tor incrasased concentration'. The pale yellow buttertly 'olices hyele is said to contain mostly diffused pigment, whereas the more derply colnumed C. edusa contains gramular masses of pigment between the walls of rarh scale.
(3) A similar decpening of colour might be produced by an increase. in the number of scales, i.e. several overlapping layers of scales would give a deeper shade than a single layer.
(t) Finally, the position of the pigment within the scale itself might affeet the colour, which would depend on the proximity of the pigment to the upper surface, e.g. it might be chicfly in the upper or lower membrane of the scale, or it might be between the twot.

Clearly a correct decision of these questions is of the utmost importance, for if the pigment varies quantitatively and not qualitatiwly, the factor or factors which control the amount must be capable of acting in a quantitative manner upon the pigment-producing mechanism. Now this mechanism, in many if not in all cases, consists of an enzyme (usually oxidising) which acts upon a colourless chromogen. It is difficult to see how the addition or subtraction of a factor-a change
${ }^{1}$ In the yellow flower pigments for example the pale yellow flavone Apigenin

becomes the much more deeply coloured pigment Luteolin,

i.e. an extra hydroxyl group appears in the side ring.
${ }^{2}$ F. G. Hopkins, Phil. Trans. Vol. 186, B, p. 678, 1895.
${ }^{3}$ W. Geest, Zк. viss. Insektenbiol. Berlin, Vol. iv. p. 162, 1906.
4 A case of dilution of colour owing to localisation of pigment occurs in the hairs of black and blue mice and rabbits. H. Onslow, Proc. Roy. Soc. B, Vol. 89, p. 56, 1915.

Journ. of Gen. vili
which cannot but be called qualitative-can cause a quantitative difference in the amount of pigment deposited by an enzyme-substrate system. The only factors that are capable of influencing such a system quantitatively would appear to be those such as time, temperature, mass action, hydrogen ion concentration, etc. Increased pigmentation may of course be produced by the removal or suppression of inhibitors, but if there are a great variety of shades to be accounted for, as in the case of lutea, this may lead to the employment of an absurd number of inhibitors before the phenomena can be accounted for.

Distribution of the pigment in scales of insects of varying shades of yellow.

A preliminary microscopical examination of a number of insects showed that the colour was by no means evenly distributed throughout the wing, but that patches of pale and more deeply coloured scales were often intermingled. Even in a single scale the pigment was by no means uniformly deposited. On the whole, however, it can be said that in the orange varieties the scales are a much deeper yellow than in paler specimens. This observation was confirmed by examining the scales by transmitted light. To investigate the condition of the pigment more carefully a number of sections were made of wings from individuals of various shades. As is well known, a scale is a flattened sac and appears in section as shown in Plate X, Figs. 3, 4 and 5. With considerable difficulty thin uniform sections with an average thickness of about 2 to $3 \mu$ were obtained. An inspection of these showed at once that the pigment was present "in solution" within the chitin, and in no case could any granular pigment be found even in the deepest yellow insects. A scale from a pale insect is shown (Fig. 5) having a value of about $[1.8: 2 \cdot 0]$. Very pale and white specimens have so little pigment that thin sections are practically invisible when mounted in balsam. A scale from a moderately yellow insect (Fig. 4) with a colourvalue of about $[2 \cdot 8: 3 \cdot 0]$ is also shown. This section is cut near the base of the scale, not far from the root, as is indicated by the considerable increase in the distance between the two walls at the centre. The deepest orange section (Fig. 3) came from an insect with a colour-value of about $[4: 0: 4: 0]$. Clearly the pigment is diffused throughout the chitin, and therefore any increase in colour must be caused, either by a qualitative difference in the pigment, or by an increase in its concentration.

## VI. The Orlginal. Material.

I am indebted to the kindmess of the Rev. (i. H. Raynor for the material with which the breding experiments were carried out. This strain of lutea origimated in 1904 with two pale insecte bred from wild larvae collected in the neighbourhood of Warrington. These insectes were shown to me: the $\sigma$ had a value of about $[17: 15]$, and the $f$ a value of about $[1 \cdot 0: 13]$, being only just tinged with yellow.

Dr Doncaster most generonsly gave me six families of set insects bred by him between 1906-1910, and with his permission, I hate included the data from these families with my own. Each fanily bred by Dr Doncaster has been marked with an asterisk wherever it occurs.

Myoriginal material consisted of two batches of ova sent by Mr Raynor in 1914. The female parent of one family $(1+B)$, was a wild insect previously fertilised by a yellow male. The wild of was captured in Milltown Park, Dublin, the locality in which the " $Q$ variety," described by the Rev. J. M. Woodlock ${ }^{1}$, was found. All the $F_{1}$ generation was therefore heterozygous for yellow. The parents of the other fanily ( 14 A) were described as a "pair of yellows." One of these yellows which I was able to examine had a low colour-value, i.e. $[17: 17]$. As a rule, homozygous yellows, as can be seen from Fig. 16, have a much higher value, at least above $[2 \cdot 4: 2 \cdot 4]$. Moreover, it will be seen from the pedigree that the male in question was bred from a flavipalliuta $q$ $\times$ grossulariata $\delta$. Consequently it is much more probable that the insect was a yellowish heterozygote, than a homozygous yellow, and therefore the family ' 14 A is $D R \times R R$, and not $R R \times R R$ as was first thought. This view is supported by the fact that of the total offspring ( $10 \delta \delta^{\prime}$ and $12 q q$ ) 11 had an orange value greater than $2 \cdot 6$, and 11 an orange value less than 1.6 . The material has therefore been treated in accordance with this supposition.

The larvae were reared with the usual precautions, great care being taken with the labelling, and every endeavour made to avoid introducing either eggs or very young larvae from one box to another. It seems almost impossible, however, to prevent a larva that has escaped from reappearing occasionally amongst the food when another brood is being dealt with. No doubt a small percentage of errors may be attributed to this cause, as for instance the appearance of some of the palest individuals in the lutea $\times$ lutea matings (see Fig. 16). In order to avoid the ill-effects of in-breeding, type insects were obtained for

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the purpose of crossing, by means of larvae or pupae, from Cambridge, Kent and Yorkshire. Notwithstanding this precaution and the fact that the species resists in-breeding very well, all ill-effects were not avoided. In 1916-1917 many of the females became sterile, and the families of others were very small. Dysentery was also severe in 1916 and 1917, as may be seen from the small lutea $\times$ lutea families in the latter year.

## VII. Breeding Results.

The frequency distributions (Figs. 2-14) have been constructed from the curves showing the distribution of the colour-values (Figs. 15-25) in the manner described on p. 215. The orange colour-values of the parents have been marked with arrows on the scale of colour-units at the bottom of the figures, and the full colour-value has been printed in the margin. When several families are combined in one curve, the arrows indicate the mean orange value of the parents. When both parents are of the same gametic constitution, one arrow refers to the male and one to the female parent. In the case of a cross containing several families, the arrows refer to the varieties of the parents regardless of their sex. The names of all the families included in any curve are printed on the figure, together with the year in which the eggs were laid, thus :-'16 M, '17 E, etc.

## (a) Var. lutea $\times$ A. grossulariata.

For the sake of clearness it is well to divide the colour scale into five arbitrary classes, corresponding to the five columns of insects in Plate IX. This division of the colour scale in both types of distribution curves helps to bring the phenomenon of segregation into evidence. The white or lowest class includes colour-values, from $0.0-0.8$, of the type insects (Plate IX, Nos. 25 and 26). The second class, from $0 \cdot 8-1 \cdot 6$, are the slightly tinged individuals heterozygous for yellow (Plate IX, Nos. 19 to 24). The third class rather deeper in colour, from $1 \cdot 6-2 \cdot 4$, is as a rule also heterozygous for yellow (Plate IX, Nos. 13 to 18). It does not contain more than a very few individuals, because it embraces just that part of the scale where segregation takes place, and where the frequency is therefore lowest. The fourth and fifth classes comprise the homozygous yellows, from $2 \cdot 4-3 \cdot 2$, and from $3 \cdot 2-4 \cdot 0$, or above (Plate IX, Nos. 1 to 12).

The $F_{1}$ heterozygotes lutea $\times$ gross. cross can usually be distinguished from the type by slight differences of form or colour. Over a thousand
type specimens, collected from varions localitios, have beod examimed. and in mo insed did the colour-value exered |1:1:0:3|, wherem the great majority were 07 : 06for ores.


Fig. 2. (Cf. Fig. 15.) Curve showing frequency distribution of the orange and yellow colour-values of the offspring from 14 pairings of lutea $\times$ grossulariata .
All the families resulting from pairings of lutea $\times$ grossulariata are small and have been combined in a single curve (see Fig. 15). The mean orange value of the yellow parents was 33 or nearly six times as yellow as the mean value of the type parents, which was $0 \cdot 6$. The frequency distribution (Fig. 2) reaches a maximum at about $1 \cdot 0$, showing that the factor for yellowness is not completely recessive, because the majority of the offspring are more deeply coloured than their type parents. However the orange colour represented by 1.0 unit of orange is a very pale cream, rather paler than insects Nos. 20 and 21, Plate IX. It was found to make no difference in the offspring whether the male parent was a grossulariata or a lutea, so the reciprocal matings have been combined in one curve. They can be easily separated, however, by reference to the pedigree and Table I. The curve though rather narrow is not unlike an ordinary frequency distribution. The range of
variation is small, though the slight broadening of the curve, just before a colour-value of $2 \cdot 0$, shows that a small percentage of the offspring are very perceptibly tinged with yellow. The result of mating one of these rather yellow hybrids with a type insect will be seen in section (e), p. 239. The broken line denotes the curve formed by the excess of yellow in the colour measurements, and it runs roughly parallel to the orange curve.


Fig. 3. (Cf. Fig. 16.) Curve showing frequency distribution of the orange and yellow colour-values from 13 pairings of lutea $\times$ lutea.
(b) Var. lutea $\times$ var. lutea.

This curve (Fig. 3) is again composed of a number of small families, and though asymmetrical, it is more like a normal frequency curve than Fig. 2. It reaches a maximum immediately above the arrows indicating the mean orange value of the respective parents. The base of the curve is fairly broad showing that the range of variation is considerable. Reference to Fig. 16 shows that about 10 insects have an orange value below $2 \cdot 5$. Although some of the parents had a low value, as may be seen from the pedigree, these offspring are unusually pale, and there can be little doubt that some of them are due to experimental errors, i.e. of labelling or while feeding. The general appearance of the black pattern on one or two of them is quite dissimilar to that of the other members of the family, and these no doubt have strayed from elsewhere. This explanation cannot account either for all the pale individuals in this cross, or for the deepest yellows in the $F_{1}$ generation.

The broken lime indicating the excess vellow in Figg 3 et seg. runs as usual chosely parallel to the orange curve. "xopt for a sharp prak in
 insutticiency of mumbers.

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(c) It!lorid'(luten : !russ) > var. luten.
```

A group of small families nome of them lagge enough to be treated separately, has been first dealt with (Fig. 4). As would be expereted in this type of mating ( $l \boldsymbol{R} \times R R$ ) the oftisping segregate into $t w$ se parate classes. 'The hebrid insects have a value of $0 \cdot 824$, and the yellow insects one of 24 or above. The curve reaches a minimum at 2.2 , and the two maxima oceur at just about the mean orange value of the yellow and hybrid parents respectively. The areas of the two curves should be equal, and should represent the number of individuals in each class: actual measurement shows that the percentage of the dominant form is 54 , and that of the recessive form 46 . The yellow values show a rather definite decline for the lutea homozygotes.


Fig. 4. (Cf. Fig. 17.) Curve showing frequency distribution of the orange and yellow colour-values of the offspring from 10 pairings of hybrid (lutea $\times$ gross.) $\times$ lutea .

[^74]Figs. 5, 6, 7 and 8 show the curves given by four separate families in which the offspring were numerous enough to be treated by themselves. The essential features are much the same as in the last case. In family '17C (Fig. 5) the $D R$ individuals are indeed slightly darker than the i parent (hybrid) whereas the $R R$ insects are nearly all paler than the $\delta^{3}$ parent (lutea) which was very deep [4:3:49]. Two separate curves have been added to this figure to indicate the orange values of the hind wings, and the black values of the fore wings (see p. 218).


Fig. 5. (Cf. Fig. 18.) Curve showing the frequency distribution of the orange and yellow colour-values of family ' 17 C , lutea $\times$ hybrid (lutea $\times$ gross.).
The orange colour of the hind wings is also shown by means of a dot-anddash line. The small quantities of black which occur so irregularly in the fore wings are shown by means of a thin continuous line.
Family '16E (see Fig. 6) shows a somewhat similar curve; the yellow $\boldsymbol{\sigma}^{\prime}$ parent $[2 \cdot 9: 2 \cdot 1]$ was not quite so dark as in the last figure, and the $i$ parent unfortunately was lost. However a record exists saying that it was rather deeply coloured for a hybrid: the orange colour-value being probably not less than $1 \cdot 7$. The result seems to be a certain increase in the number of yellows. The double maximum
seen at a value of abme 30 is probably only due to the small mumer of individuala a ailable.


Fig. 6. (Cf. Fig. 19.) Curse showing frequency distribution of the orange and yellow colour-values of family ' 16 E , hybrid (lutea $\times$ gross.) $\times$ lutea. The \& parent (hybrid) was unfortunately lost.

Family '10.15* (Fig. 7) shows almost exactly the same principal features as the preceding curve. Segregation appears to occur at the same point, and the homozygous yellows are again somewhat in excess,


Fig. 7. (Cf. Fig. 20.) Curve showing frequency distribution of the orange and yellow colour-values of family $10 \cdot 15^{*}$, hybrid (lutea $\times$ gross.) $\times$ lutea. Parents missing.

[^75]but unfortunately the parental values cannot be shown as the insects were unobtainable.

Family '16 A (Fig. 8) shows yet another cross of the same nature. The yellow parent is again very dark, and the homozygous yellows are in excess of the hybrids. In this family the females have been kept divided from the males, and the orange colour-values of their fore wings


Fig. 8. (Cf. Fig. 21.) Curve showing frequency distribution of the orange and yellow colour-values of ' 16 A , hybrid (lutea $\times$ gross.) $\times$ lutea .
The orange values of the females alone are shown by means of a dot-anddash curve.
have been shown by a line of dots and dashes, which differs in no essential from the same curve for both sexes (see p. 219). Reference to Fig. 21 shows that the excess of yellows over hybrids is greater than in the three preceding cases, there being at least 64 yellows to 20 hybrids, or a ratio of $76: 24$ (per cent.).

Now supposing the yellow colour develops in the variety lutea owing to the loss of an inhibitor $I$, from the white type $I I$, then this excess of yellows might of course be accounted for on the hypothesis of another factor $X$, a deepener, which has no visible effect upon yellow $i i$, but which turns the pale hybrids $I i$ into deep yellows. If for instance the yellow parent of ' 16 A had been $X x$, then half the hybrid offspring would have been $I i X x$, and half Iixx. Those carrying $X$ and $I$ would be changed into deep yellows, and the result would be 75 per cent. deep yellows, and 25 per cent. pale yellows or whites. The ratio observed in this family ( 16 A ) is very close to the result expected on this hypothesis.

In the three preceding families the yollows have always been in excess. The result of combining these three families is to make the ratio of the recessive form the themimant $6 \mathrm{~s}: 32$ (per cent.), a somewhat lower propertion of vellows than in 16 A. In Figg the propertion of yellows to hybrids was about $46: 54$ (per cent.), but the evidene derived from the four large families of about so insects each, is undoubtedly mone valuable than that derived from a momber of small oness. Further the offspring from all pairings of the type $l / R \times R R$ have been combined in one curve, Fig. 9, which resembles the fise preceding curves in most essential points: and results in a ratio of 41 :59 (per cent.). But as a matter of fact there are not sufticient data from which to draw a definite conclusion, especially as no confirmatory evidence is fortheoming from the other crosses.


Fig. 9. Curve showing frequency distribution of the orange and yellow colourvalues of the offspring from all the hybrid (lutca $\times$ gross.) $\times$ lutea families shown in Figs. 4, 5, 6, 7, and 8.
(d) Hybrid (lutea $\times$ gross.) $\times$ hybrid (lutea $\times$ gross.).

The frequency distribution shown in Fig. 10 is composed of a number of small families of this cross, none of which were large enough to be treated by themselves.

If the heterozygous yellows, which are often distinguishable from the white type by their pale yellow colour, were really to form a distinct class to themselves there should be three maxima in Fig. 10. Clearly there are only two, showing that the pale yellow heterozygous class passes by insensible changes into the pure white $D D$ class with an orange value of less than 0.8 . It should however be carefully noted in Fig. 22 that there are 48 insects or 24 per cent. with a colour value of 0.8 and
under, whereas in Fig. 17 there are about 1 per cent. But since the maximum frequency for heterozygous yellows (about $1 \cdot 0$ ) lies so close to that of the white type insects (about 0.6 or 0.7 ), the ability to distinguish colours is not sensitive enough to permit of the two maxima being


Fig. 10. (Cf. Fig. 22.) Curve showing frequency distribution of the orange and yellow colour-values of the offspring from 16 pairings of hybrid (lutea $\times$ gross.) $\times$ hybrid (lutea $\times$ gross.).
separated. Segregation between the heterozygous and pure yellows is distinct, though the frequency of the yellows does not reach a very pronounced maximum. The expected ratio, $25: 75$, is in this case exactly the observed ratio. It must not be forgotten that the length of the colour scale occupied by the yellow class is as great as that covered by both the type and the heterozygous classes, but it is the area of the curve not the height which corresponds to the number of individuals it contains. Some of the extracted yellows are very deep in colour, almost as dark as a pure-bred yellow, but the average orange colour-value (about $3 \cdot 0$ ) is rather less than what it is for pure yellows (about 3•6).

Figs. 11 and 12 are made from two fairly large families of the same type of cross. Fig. 11 is in most details similar to Fig. 10 except that both the yellow and orange curves rise to rather a sharper second maximum. Fig. 12 is not so characteristic because the family is only a
very small one. As before, Figs. 10, 11 and 12 have been combined and the result is shown in Fig. 13.


Fig. 11. (Cf. Fig. 23.) Curve showing frequency distribution of the orange and yellow colour-values of family ' 17 E , hybrid (lutea $\times$ gross.) $\times$ hybrid (lutea $\times$ gross.).


Fig. 12. (Cf. Fig. 24.) Curve showing frequency distribution of the orange and yellow colour-values of family ' 16 G , hybrid (lutea $\times$ gross.) $\times$ hybrid (lutea $\times$ gross.).

The essential features are the same as in Fig. 10, but the curve, especially in the yellow region, tends to oscillate more. This is because the points on the curve have been taken rather closer together than
usual. The ratio of the area of the yellow class to the other two is about; 22 : 78 (per cent.).

[ $1 \cdot 1: 0.9] \quad[1.2: 0.9]$
Mean colour-values of hybrid parents
Fig. 13. Curve showing frequency distribution of the orange and yellow colour-values of the offspring of all the hybrid (lutea $\times$ gross.) $\times$ hybrid (lutea $\times$ gross.) families shown in Figs. 10, 11, and 12.


Fig. 14. (Cf. Fig. 25.) Curve showing frequency distribution of the orange and yellow colour-values of the offspring from four families of hybrid (lutea $\times$ gross.) $\times$ A. grossulariata .
(e) Mybrid (lutea $\times$ gross $) \times$ A. grossularinta

A few pairings only of this type of mating were made, and the four families resulting are shown in Fige 14. With the excoption of fanily '17 Wh the hybrid parents were all a very pale yollow, and the result, as might be expected, is a typical frepueney distribution. The hybrid parent of ${ }^{\prime} 17 \mathrm{~W}^{\prime}$ had a high colour-value $[24: 2 \cdot 2]$. The oftispring are much more numerous than is represented in Fig. 25. 'There were indeed 82 insects, but 64 , which had a colour-value between $[07: 0 \%]$ and [ $06: 0: 4]$ and which showed no other variations of interest, were set free as soon as they emerged. The insects of family ' 17 W which were entered in the curve (Fig. 25) may be found by reference to Table I. The rather deep colour of the $\&$ parent does not seem to have had any visible effect on the colour of the offispring.

## VIII. Summary.

The yellow ground colour of Abraxas grossulariata var. lutea (Cockerell) is incompletely dominant over the white ground of the type. It was found impossible to divide the $F_{1}$ and $F_{2}$ generations into distinct classes, because the colours of the insects form a continuous series varying from white, through the palest yellows, to a deep orange.

A commercial instrument for the measurement of colours on an arbitrary standard scale of colour-units, called the "Tintometer," is described. By its means the colours of the insects have been given numerical values, thus enabling the complete data of the breeding experiments to be expressed in the form of curves showing the distribution of the colour-values. When these curves are converted into percentage frequency distributions, the $F_{1}$ generation resembles an ordinary chance distribution. But on the other hand the $F_{2}$ generation, etc. are at once seen to give curves having more than one maximum caused by the tendency of the colour factors to segregate according to the ordinary Mendelian laws.

Only some of the $D R$ individuals are distinguishable from the $I D D$, on account of a faint tinge of yellow in their wings. The difference between the two classes, when expressed in colour-units, is not sufficient to enable the maxima representing them to be separated on the curves.

The effects of sex and of variations of colour in different parts of the same insect upon the measurements are considered, and the various sources of experimental and statistical error are discussed. The gap on
the curves between the two classes is so clearly defined, and occurs so often in the same position in various families, that there can be no doubt it is significant and proves that even in the $D R \times R R$ families segregation really takes place.

A certain number of variations, which appeared during the course of the experiments, are described and figured. Very little is at present known of their genetics, but a table is given, enabling all details of their occurrence in the curves showing the distribution of the colour-values to be easily found. Further experiments are being conducted with var. varleyata as well as certain other varieties.

Special attention has been paid to the manner in which the pigments are deposited within the scale, and to the exact modifications which are the cause of certain varieties. Variations in the position and concentration of the melanic pigment are, for instance, the only factors which govern the difference between the two suffused varieties iochalca and nigrosparsata.

A microscopical examination of the scales, both in situ and when sectioned, shows that in the deepest colours the yellow pigment is diffused throughout the chitinous walls of the scales, without the formation of any granules. The intensity of the colour must therefore be determined, either by variations in the concentration, or by a change in the nature and consequently in the colour of the pigment itself. If the yellow variations are simply due to differences in the concentration of the colouring matter, suitable factors capable of controlling such quantitative changes must be formulated.

The chemical nature of the white and yellow pigments has been leftfor the subject of a further investigation.
[Note added on July 19th, 1919.] Since the above was written, the 1918 broods have emerged. On the whole the additional evidence from these insects (over 700) confirms the previous conclusions, but one fresh point of interest has been observed. In all the families previous to 1918 (except Dr Doncaster's) no lacticolor was used for pairing, lest this factor should complicate the case. In 1918 however the following pairings were made:


In families ' 18 III and ' 18 V , the females were all lacticolor, since the $\sigma^{2}$ parent was of this variety, and it was noticed that all these $i q$ were
peculiarly pale, whereas most of the of had an appreciable quantity of yellow. In family ' 18 V , for instance, there were $36 \% 8$ and 20 is $\delta$, their respective colours being as follows:


Similarly, in the small family ' 18 III, there were $5 \circ f$ and $x \delta$ o the respective colours being as follows:

Average colour of $\circ f$ was $[1 \cdot 1: 1 \cdot 1]$
$, \quad, \quad \delta \delta$ was $[2.1: 1 \cdot 1]$.
It was at first thought that there was some peeuliarity in lacticolor which inhibits the development of the pale yellow colour characterising the heterozygous form of grossulariata. This seemed the mom probathe. because one of Dr Doncaster's brood, already recorded, namely, fanily
'085 lacticolor $\&[1.0: 1.0] \times$ lacticolor $\delta$ ' $[40: 3.0]($ ser Fig. 1.5$)$,
contained, in spite of the deep colour of the $\delta$ parent, $11 \delta \delta^{\delta}$ and 14 if only two of which were deeper than $[1 \cdot 2: 14]$. The remander had an average colour-value of $[1.0: 1 \cdot 0]$, there being practically no difference in the colour of the $\delta^{\prime} \delta^{\prime}$ and the $q q$.

In family ' 18 V , the $\$$ parent was lacticolor and consequently both $\delta^{\circ} \delta$ and $q 8$ were heterozygous grossulariata. A comparison between these $i q$ and the lacticolor $q q$ of the reciprocal cross shows that it is femaleness, or some factor associated with it, rather than lucticolor that prevents the development of the pigment in the pale yellow $F_{1} q q$. This can be seen from the fact that the grossulariata of $i$ were even paler than the lacticolor $i f$ from the reciprocal pairing, whereas the $\sigma$ d in the two families were approximately the same depth of yellow.

In family ' 18 V there were 23 if $q$ and $23 \delta \delta^{\prime} \sigma^{\prime}$ the colours of which were as follows :

> Average colour of $q \$$ was $[1 \cdot 0: 1 \cdot 0]$
> Average colour of $\delta \delta$ was $[1 \cdot 4: 1 \cdot 6]$.

It was previously suggested on p. 219 that there was "a slight temiency for the $i f$ to be paler than the $\delta \delta \delta^{\sigma}$," but this difference was not more than $8-9 \%$ in the heterozygous $\& f$ either of the $F_{1}^{\prime}$ or $F_{2}$ generation. Although this point has not been tested (except in family '(O): by by

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pairing a white to a yellow lacticolor, the above explanation seems probable. The question is however doubtful and the experiments are being continued with a view to elucidating the problem.

I am indebted to Mr Raynor and Dr Doncaster not only for the material they have given me but for much kind help throughout the experiments and in preparing the paper. To Prof Punnett I am also grateful for encouragement and advice throughout the experiments. Mr Udny Yule has been kind enough to give me the benefit of his advice and opinion on the statistical points of the paper. I am especially indebted to Miss Moodie for her constant care of the larvae, etc. during several years, for without her cooperation the experiments would not have been possible.

TABI,
Table to emable individuals of ally cme family tob formil in curcon componsed of more llath one fimil!!.

\begin{tabular}{|c|c|c|c|}
\hline Name of family \& \[
\begin{aligned}
\& \text { VEI,I.OW TVI'F: } \\
\& \text { (nee Fig li:) }
\end{aligned}
\] \& \begin{tabular}{l}
Name of
family \\
family
\end{tabular} \& YFIIAN YEIDAW conthmo. (mer Fig 10.) \\
\hline \({ }^{\prime} 17\) B \& \[
\begin{aligned}
\& \therefore: 8,14,19,7 N, 7! \\
\& \hdashline 17,22,17,19,71, k 1, * 2
\end{aligned}
\] \& \({ }^{\prime} 17 \mathrm{\beta}\) \& \[
\begin{aligned}
\& ; 22,23 \\
\& : 1,6,7,9,10,13,11,17,14
\end{aligned}
\] \\
\hline \({ }^{17} \mathrm{~K}\) \& \[
\begin{aligned}
\& \therefore=11,1 \times, 33,39,51,72, \text { N } 3 \\
\& 5,12,21,34,57,127
\end{aligned}
\] \& 178 \& \[
; \begin{array}{r}
; 39.52,53 \\
19,11,619
\end{array}
\] \\
\hline \({ }^{\prime} 17 \mathrm{a}\) \& \[
\begin{aligned}
\& \{1,2,5,7,25 \\
\& \{20,26 i, 31,121
\end{aligned}
\] \& \(17 \%\)
\(17 \%\) \& ; \(\because\) \\
\hline '17e \& \[
0^{15}, 65,67,111,112,114
\] \& \(17 \%\) \& \(\begin{array}{r}25,93 \\ ;\end{array} 49,54\) \\
\hline \({ }^{\prime} 16 \mathrm{P}\) \& \[
\begin{aligned}
\& \therefore 54,6,10,21,48,52,117,129 \\
\& =3,80,131,136
\end{aligned}
\] \& '17 \(\mu\) \& ; \(27.15,1 \mathrm{~N}, 3 \mathrm{~N}\) \\
\hline \({ }^{16}\) T \& \[
\begin{aligned}
\& \because 335,44,119,125 \\
\& \because \quad 36,59,84,107,122,126,124
\end{aligned}
\] \& 16 B \& ; ; 16, 21, 2x, 33, 40, 14, 50, 63, fis, fifi, 699, 73, \(\times 0, \mathrm{~N}^{2} 2,42\), \\
\hline 15 C

15 F \& $$
\begin{aligned}
& \left\{\begin{array}{l}
32,62,146,14 \times, 149,150 \\
\hdashline \\
;
\end{array} 55,115,123,140\right.
\end{aligned}
$$ \& \& \[

$$
\begin{aligned}
& 95,98 \\
& f=42,61,74,85,86,91,91 \\
& 100
\end{aligned}
$$
\] <br>

\hline '15 K \& $$
\begin{aligned}
& \dot{0} 40,113,133,141,144 \\
& \underset{f}{4} 53,145
\end{aligned}
$$ \& 16 D \& $\bigcirc 96$ <br>

\hline ${ }^{\prime} 15 \mathrm{M}$ \& $$
\begin{aligned}
& \cup 13,29,37,38,41,42,43,50 \\
& \quad 54,68,69,73,77,108,109 \\
& 120,124 \\
& \uparrow \quad 132,137
\end{aligned}
$$ \& ${ }^{\prime} 170$ \& ```

    HYBRII. Y&LLOW
        (see Fig. 17)
    oे 亏`21, 33,66,76,79, 80, 87.
88, 135

``` \\
\hline \(\cdot 15\) Q & \[
\begin{aligned}
& \text { oे © 85, 135 } \\
& \text { f } f 16,75,110,130,138
\end{aligned}
\] & '17 R & \[
\begin{aligned}
& f+8,28,29,119 \\
& \text { \& } \bigcirc 16,18,22,27,30,41,71 \text {, }
\end{aligned}
\] \\
\hline \({ }^{\prime} 14 \mathrm{~B}\) & \[
\begin{aligned}
& \text { ô } 9,23,46,76,86,104,106 \text {, } \\
& 116,118 \\
& \text { ¢ } \uparrow 30,45,105
\end{aligned}
\] & & \[
\begin{aligned}
& 72,81,112,113,116,132 \text {, } \\
& 139,140 \\
& .47,59,73,82,94,97,100 \text {, }
\end{aligned}
\] \\
\hline '08.5* & \[
\begin{aligned}
& \text { ô }{ }^{1} 27,63,64,66,87,88,89 \\
& 90,91,92,93
\end{aligned}
\] & & \[
\begin{aligned}
& 101,102,106,118,121,128 \\
& 129,130,131
\end{aligned}
\] \\
\hline & \[
\begin{aligned}
& \text { ¢ } 28,58,60,61,94,95,96 \text {, } \\
& 97,98,99,100,101,102 \text {, } \\
& 103
\end{aligned}
\] & 17 Y & \[
\begin{aligned}
& \text { oे } 14,24,49,77,99,124,138 \\
& \text { ¢ } \quad 11,12,19,20,103,110 \text {, } \\
& \quad 114,136
\end{aligned}
\] \\
\hline \({ }^{\circ} 08 \cdot 20^{\prime \prime}\) & \[
\begin{aligned}
& \text { ơ } \begin{array}{l}
\text { a } 74,143,147,151 \\
\dot{+} 70,134,139,142
\end{array}
\end{aligned}
\] & \({ }^{\prime} 16 \mathrm{H}\) & \[
\begin{aligned}
& \hat{o} \hat{G} 3,7,45,83,90,111 \\
& \underset{子}{\circ} 2,34,65,68,120,122,142
\end{aligned}
\] \\
\hline & & '15 E & \[
\begin{aligned}
& \hat{0} 10,31,32,38,40,43,44, \\
& 50,58,74
\end{aligned}
\] \\
\hline & \(\underset{\text { (see Fig. 16) }}{\text { YELLOW }}\) & & \[
1,6,13,15,37,78,107
\] \\
\hline '17D & \[
\begin{aligned}
& \text { oे } 29,30,37,59,60,67,76 \text {, } \\
& \quad 77,78,79,90,94 \\
& \text { of } 24,26,88,97
\end{aligned}
\] & 15 N
, 150 & \[
\begin{aligned}
& \hat{0} 46,53,60 \\
& 05,35,51,52, \times 9,92,123 \\
& \hat{y} 5,23,95 \\
& \hat{\}} 75,91
\end{aligned}
\] \\
\hline '17 F & \[
\begin{aligned}
& \hat{\circ}{ }^{*} 45,58 \\
& \stackrel{\circ}{+} \mathbf{7 5}, 87
\end{aligned}
\] & '15 P & \[
\begin{aligned}
& \hat{5} \hat{3}^{4}, 48,57,69,84,8.5, \times 6 . \\
& 93,104,108,125
\end{aligned}
\] \\
\hline '17 H & \[
\begin{aligned}
& \delta_{0} 0^{46,47} \\
& \dot{+} \text { ¢ } 20,32,36
\end{aligned}
\] & \({ }^{\prime} 15 \mathrm{R}\) & \[
\begin{aligned}
& 99,64,141 \\
& 96,133
\end{aligned}
\] \\
\hline \({ }^{\prime} 17 \mathrm{~S}\) & \()^{1} 43\) & '14 A & - 177, 26, 39, 42, \%4, 63, 70. \\
\hline \({ }^{\prime} 17\) T & \[
\begin{aligned}
& \text { Oी } 71,81,83,84,89 \\
& \text { O. } 3,5,8,11,12,31,34,35 \text {, } \\
& \text { ¢5, } 56,57,62,68,70,72
\end{aligned}
\] & & \[
\begin{aligned}
& 105,115,134 \\
& 36,55,56,61,62,67,98 \text {, } \\
& 109,117,126,127,137
\end{aligned}
\] \\
\hline
\end{tabular}
* Bred by Dr Doncaster.

TABLE I-continued.
\begin{tabular}{|c|c|c|c|}
\hline Name of family & \[
\begin{aligned}
& \text { HYBRID } \times \text { HYBRID } \\
& \text { (see Fig. 22) }
\end{aligned}
\] & Name of family & HYBRID \(\times\) HYBRID-continued (see Fig. 22) \\
\hline '17 P & \[
\begin{aligned}
& \text { of ơ } 20,22,52,67 \\
& \text { of } 128
\end{aligned}
\] & '15 S & \[
\begin{aligned}
& \text { ó }{ }^{\text {an }} 28,86,117,118 \\
& \text { ot ot } 15,19,29,43,85,124
\end{aligned}
\] \\
\hline \({ }^{\prime} 17\) Q & \[
\begin{aligned}
& \text { of ơ } 8,23,24,74,75,80,83 \text {, } \\
& 112,175,176 \\
& \text { 아 우 } 18,73,114
\end{aligned}
\] & '07•23* & \[
\begin{aligned}
& \text { ot ot } 2,7,10,11,14,51,59,65 \text {, } \\
& 94,95,96,101,103,119,120, \\
& 182
\end{aligned}
\] \\
\hline '17 UU & \[
\begin{aligned}
& \text { ơ す઼ } 76,148,149,164,167,177 \\
& \text { of } 6,108,147,165,166
\end{aligned}
\] & & \[
\begin{aligned}
& \text { 아 } ¢ 1,3,8,31,32,40,48,53 \text {, } \\
& 55,58,61,63,77,87,88 \text {, } \\
& 89,97,104
\end{aligned}
\] \\
\hline \({ }^{\prime} 16 \mathrm{C}\) & \[
\begin{aligned}
& \text { C ơ } 36,41,79,84,116,189 \text {, } \\
& 190 \\
& \text { 아 ㅇ } 188,197,199,200
\end{aligned}
\] & '09•19* & \[
\begin{aligned}
& \text { ơ ơ } 35 ., 69,78,131,152,191 \text {, } \\
& 192,195,196 \\
& \text { 우 ㅇ } 4,34
\end{aligned}
\] \\
\hline '16S & ô ô183, 184, 187, 198 & \multirow[t]{3}{*}{\({ }^{\prime} 10 \cdot 12^{*}\)} & \multirow[t]{3}{*}{\[
\begin{aligned}
& \text { ठ ô 12, 54, 57, 66, 98, 102, } \\
& 105,111,121,122,123,135 \text {, } \\
& \text { 136, 146, 163 } \\
& \text { 아 } 5,44,62,90,91,92,132
\end{aligned}
\]} \\
\hline \({ }^{\prime} 16 \mathrm{KF}\) & \({ }^{\text {or }} 100\) & & \\
\hline '16 M & \[
\begin{aligned}
& \text { ơ } \begin{array}{l}
\text { 1 30, } 30,81, ~ 168, ~ 169, ~ \\
\text { of } \\
\text { 우 } 115,129,144,145,153
\end{array}
\end{aligned}
\] & & \\
\hline \({ }^{\prime} 16 \mathrm{~N}\) & \[
\begin{gathered}
\text { đ }{ }^{*} 25,37,39,46,47,68,106 \text {, } \\
126,138,142,154,162,171 \text {, }
\end{gathered}
\] & & \begin{tabular}{l}
HYBRID \(\times\) TYPE \\
(see Fig. 25)
\end{tabular} \\
\hline & \[
\begin{aligned}
& \text { 우 }+70,71,72,82,107,125 \text {, } \\
& 127,134,139,140,141,157 \text {, } \\
& \text { 158, 159, 160, 170, 172, 179, } \\
& \text { 180, 181, 193 }
\end{aligned}
\] & '17 W & \[
\begin{aligned}
& \text { § © } 28,38,39,40,41,42,43 \text {, } \\
& 57,58 \\
& \text { of ㅇ } 16,23,24,25,33,34,35 \text {, } \\
& 36,44
\end{aligned}
\] \\
\hline '16 R & \[
\begin{aligned}
& \text { ô ત̂33, 45, 50, 56, } 161 \\
& \text { ơ ¢̣ } 113,143,155,173,185
\end{aligned}
\] & '160 & \[
\begin{aligned}
& \text { ot } 37 \\
& \dot{+} \text { 우 21, } 32
\end{aligned}
\] \\
\hline '16 V & \[
\begin{aligned}
& \text { ô ơ 49, 137, 156, } 174 \\
& \text { ot } \mathbf{t} 26,27,42,99,133
\end{aligned}
\] & '15 G & \[
\begin{aligned}
& \text { of o 22, } 26 \\
& \text { ¢ } 31
\end{aligned}
\] \\
\hline '15 D & \[
\begin{aligned}
& \text { ô ô 109, 130, } 151 \\
& \text { tr } 150
\end{aligned}
\] & 09.6* &  \\
\hline \({ }^{\prime} 15 \mathrm{~L}\) & \[
\begin{aligned}
& \text { ơ ơ 13, 16, 17, 38, 64, } 110 \\
& \text { of } 21,93
\end{aligned}
\] & & \[
\begin{aligned}
& \text { ㅇ }+7,8,10,11,12,13,14,15 \text {, } \\
& 18,19,20,30
\end{aligned}
\] \\
\hline
\end{tabular}
N.B. All the above numbers denote positions of insects along the base lines of the following distribution figures.

\footnotetext{
* Bred by Dr Doncaster.
}
Mean colour-
values of lutea values of lutea
parents
[3•9:3•7]
[ \(3 \cdot 6: 3 \cdot 4\) ]

H. Onsiow


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Fig．18．（Cf．Fig．5．）Curve showing the distribution of the orange and yellow colour－values of family＇ 17 C ， hybrid（lutea \(\times\) gross．）\(\times\) lutea ．
Two separate curves are added showing the black values of the fore wings，and the orange values of the hind wings． The following variations occur in certain insects，whose position along the base line of the curve is indicated by the accompanying numbers．
nigricostatat ô đ36，37，38，45，49，51，52， 53 （radiated），58，
61 （radiated），62， 70
，，＂，ㅇ 우 3，14，30， 63 （radiated）， 74 （nigrocincta + ）
，\(\quad\) Hfす すゝ 50,69
nigrocincta＋t \(\quad\) ¢ 35 （slightly radiated）


Fig. 19. (Cf. Fig. 6.) Curve showing the distribution of the orange and yellow colour-values of family 16 E , hybrid (lutea \(\times\) gross.) \(\times\) lutea.
The following variations occur in certain insects, whose position along the base line of the curve is indicated by the accompanying numbers.

Very broad orange fascia \(q 35\).


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Fig. 20. (Cf. Fig. 7.) Curve showing the distribution of the orange and yellow colour-values of family \({ }^{\prime} 10 \cdot 15 \%\), hybrid (lutea \(\times\) gross.) \(\times\) lutea. Parents missing.
The following variations occur in certain insects, whose position along the base line of the curve is indicated by the accompanying numbers.
\begin{tabular}{|c|c|c|}
\hline \multirow[t]{3}{*}{lacticolor} & \[
\overbrace{\delta^{\lambda}} 2,4,5,14,20,23,24,25,27,28,30
\] & nigricostata ô \({ }^{\text {® }} 19,20,23,34,36\) \\
\hline & 31, 33, 34, 35, 36, 38, 39 & ,, \(\quad\) - 운 \(1,10,15,47\) \\
\hline & (아 우 3, 6, 18, 26, 29, 42, 50, 51, 52, 53 & ,, t+ ô ô 13, 37, 41. \\
\hline \multirow{3}{*}{fulvapicata} & \{ \({ }^{\text {¢ }}\) ¢ \(9,11,19,20,23,27,28,39,46,48,49\) & , HHず48, ¢ 45 \\
\hline & \{우 우 1, 6, 10, 14, 17, 18, 36, 43, 45, 51 & semiviolacea \({ }^{\text {a }} 9\) \\
\hline & & A. gross. (type) © 12, ¢ ¢ ¢ 8, 22 \\
\hline
\end{tabular}
\(*\) Bred by Dr Doncaster.


Fig. 21. (Cf. Fig. 4.) Curve showing the distribution of the orange and yellow colour values of The following variations occur in three insects, whose position along the base line of the curve is indicated by the accompanying numbers.



Fig. 23. (C\&. Fig. 11.) Curve showing the distribution of the orange and yellow colour-values of family \({ }^{\prime} 17 \mathrm{E}\), hybrid (lutea \(\times\) gross.) \(\times\) hybrid (lutea \(\times\) gross.).
The following variations occur in certain insects, whose position along the base line of the curve is indicated by the accompanying numbers.

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Fig. 24. (Cf. Fig. 12.) Curve showing the distribution of the orange and yellow colour-values of family '16 G, hybrid (lutea \(\times\) gross.) \(\times\) hybrid (lutea \(\times\) gross.).
The following variations occur in certain insects, whose position along the base line of the curve is indicated by the accompanying numbers.
nigricostata + ふ ふ13, 15, 45, 61
", , (right wing only) ô 62
", , (left wing only) ơ 47
violacea đ 24
semiviolacea 우 우, 8 (fore wings only)
semiviolacea
nigricostata +\(\}\) 우 27

.25. (Cf. Fig. 14.) Curve showing the distribution of the orange and yellow colour-values of the offspring from four pairings of hybrid (lutea \(\times\) gross.) \(\times\) A. grossulariata.
addition to the \(8=, 9 ; \dot{z}\) included above, family 17 W contained 64 insects whose colour-value was less than \([0.7: 0.5]\) following variations occur in certain insects, whose position along the base line of the curve is indicated by the accompanying numbers.
```

nily ' 17 W
mpunctifasciata $+j^{2} 11=16$
$++0^{0} 28,=523,24,25,44$
ulvapicata 23
nigricostata H+
,, , $\ddagger 34,35$

```
※ Bred by Dr Doncaster.
\[
\text { hazeleighensis } \dot{3} 38,39,40,41,43
\]

33, 36
Family \(09 \cdot 6 \times\)
nigricostata \(+0 ; 3,9,17,27,45,46,4 \times, 50\)
lacticolor ô ô \(1,2,3,4,5,6,9,17,27,29,45,46,47,48,49\)
\[
50,51,52,53,54,55,56
\]
\(7,8,10,11,12,13,14,15,1 \times, 19,20,30\)

\section*{DESCRIPTION OF PLATES.}

\section*{PLATE IX.}

Abraxas grossulariata.
Reduced two-thirds natural size.
1-12. Var. lutea.
1-6. Orange colour-values from \(3 \cdot 2-4 \cdot 0\) and over.
1. Var. flavipalliata
2. Var. lutea すै.
3. Var. fulvapicata \({ }^{\text {on }}\).
4. Var. lutea ㅇ.
5. Var. lutea
6. Var. lutea \({ }^{\text {§ै }}\).

7-12. Orange colour-values from \(3 \cdot 2\) to \(2 \cdot 4\).
7. Var. flavipalliata ô-
8. Var. lutea 9 .
9. Var. flavipalliata \({ }_{\delta}^{*}\).
10. Var. lutea \({ }^{\circ}\).
11. Var. semiviolacea 우.
12. Var. lutea \({ }_{0}\).

13-24. Pale yellow hybrids (lutea \(\times\) A. grossulariata).
13-18. Orange colour-values from \(2 \cdot 4\) to \(1 \cdot 6\).
13. Pale hybrid \(\widehat{\text { A. }}\)
*14. Pale hybrid + .
*15. Pale hybrid \({ }^{\text {o }}\).

*17. Pale hybrid す.
*18. Pale hybrid \(\rho\).
19-24. Orange colour-values from \(1 \cdot 6\) to \(0 \cdot 8\).
19. Var. flavipalliata 우.
20. Pale hybrid \(\widehat{3}\).
21. Var. \(\left\{\begin{array}{l}\text { fulvipicata } \\ \text { impunctifasciata } H^{+}\end{array}\right.\).
22. Var. \(\left\{\begin{array}{l}\text { nigricostata }+ \\ \text { semiviolacea }\end{array}\right.\) ㅇ.
23. Pale hybrid +
24. Var. impunctifasciata ++ 아.
* [Owing to an error in the reproduction which could not be corrected, insects Nos. \(14,15,16,17\), and 18 , especially the last, appear very much too dark in colour. They should be somewhat lighter than Nos. 12 and 13 and slightly darker than the insects in the next column, Nos. 19 and 20.]

\section*{II. Onsiow}

25 and 26. A. grossulariata. Orange colour valuen from \(0 \cdot 0\) to \(0 \cdot \mathrm{~N}\).
25. Type \(\therefore\) (Bexley, Kent.)
26. Type ;bred by W. Nowman.
27. Var. armiviolarea. .
24. Var. \(\left\{\begin{array}{l}\text { fulrapicata } \\ \text { nigricostata } \\ \text { semiriolacra }\end{array}\right.\)
29. Var. Migrosparata; (Bexley, Kent.)
30. Var. \(\left\{\begin{array}{l}\text { hasloighemais } \\ \text { nigrocincla }\end{array} ;\right.\)

31 -60. Var. lacpicolor.
31 42. Var. chrymontrota.
31 - 34 . Orange colour-values from \(3 \cdot 2\) to 4.0 and over.
31. Var. chrysostrota i.
32. Var. chrysoatrota?.
33. Var. chrysostrotaj
34. Var. chrysostrota;
35. Var. chrysostrota \(j\).
36. Var. chrysostrota \(f\).

37-42. Orange colour values from 3.2 to 24 .
37. Var. chrysostrota;
38. Var. Chrysostrota
ifulrapicata
39. Var. \(\left\{\begin{array}{l}\text { chrysostrota }\end{array}\right.\)
\julvapicata
\} chrysostrota
fulcapicata
41. Var. chrysostrota \(q\).
42. Var. chrysostrota,

43-54. Pale yellow hybrids (chrysostrota \(\times\) lacticolor).
43-48. Orange colour-values from \(2 \cdot 4\) to \(1 \cdot 6\).
43. Var. \(\left\{\begin{array}{l}\text { chrysostrota } \\ \text { fulvapicata }\end{array}\right.\) ?.
44. Var. \(\left\{\begin{array}{l}\text { chrysostrota } \\ \text { fulvapicata } \\ \text { nigricostata }\end{array}\right.\) ㅇ.
45. Var. \(\left\{\begin{array}{l}\text { chrysostrota } \\ \text { fulvapicata }\end{array}\right.\) ठ".
46. Pale hybrid.
47. Var. \(\left\{\begin{array}{l}\text { chrysostrota } \\ \text { fulvapicata }\end{array}\right.\).
48. Pale hybrid.

49-54. Orange colour-values from \(1 \cdot 6\) to 0.8 .
49. Pale hybrid + .
50. Pale hybrid?.
51. Pale hybrid o*.
52. Pale hybrid \(\%\).
53. Pale hybrid \(\rho_{+}\).
54. Pale hybrid \(q\).

55 and 56. Orange colour-values from 0.0 to 0.8 .
55. Var. lacticolor ㅇ.
56. Var. lacticolor 우.
57. Var. lacticolor +
58. Var. radiata ․
59. Var. cupreofasciata ㅇ.
60. Var. iochalca \({ }^{\text {oै. }}\)

Nos. 1, 7, 59 and 60 were very kindly given to me by the Rev. G. H. Raynor, all the other specimens were bred during the course of the experiments.

\section*{PLATE X.}

1 and 2 were sketched with a Zeiss AA objective and ocular 5 giving a magnification of about 200 diameters.

3,4 and 5 were drawn with the camera and a Leitz \(1 / 20\) inch oil immersion objective and ocular 9 , giving a magnification of about 1360 diameters.
1. Portion of fore wing of var. iochalca (see Plate IX, No. 60) showing the way in which the melanic pigment is diffused throughout the scales. The base of the scales contains most pigment but the effect is masked by the pale overlapping tips of those in the preceding row. There are a few grey scales, but not sufficient to modify the colour appreciably.
2. Portion of the fore wing (near the costa) of var. nigrosparsata with yellow, not white, ground (as in Plate IX, No. 29) showing the way the melanic pigment is concentrated in certain scales. The tips of the melanic scales usually contain more pigment than the base, and further the yellow scales are almost devoid of black, which gives the insect a faintly mottled appearance.
3,4 , and 5. Unstained sections of the scales, about 2 to \(3 \mu\) thick, of var. lutea from specimens of varying depths of colour, showing the way in which the yellow pigment is diffused throughout the chitin of the walls of the scale. Even in the deepest yellow insect (3) there is no granular pigment.










\title{
sTUDIEN IN THE HYBRII BISTONINAE
}

\section*{}

\author{
By J. W. HENLOP HARRISON, D.SC.
}

\section*{(With Two Text-figures.)}

Partis owing to the influence of Darwin and those who succeeded him, and partly because it harmonises with the observed facts, the dictum that cross fertilisation is a source of strength or of stimulus to metabolic activity has become almost axiomatic ; very few workers, however, seem to have speculated as to its method of action.

Whether the phrase be restricted to the actual cross fertilisation of plants or extended naturally, as everyone understands, to include the act of avoiding inbreeding in animals, some explanation of the phenomenon must exist, and it is now proposed to consider what light hybridisation experiments in the Bistoninue throws on the matter.

Almost immediately the experiments were initiated it was discovered that the hybrid larvae were not only emphatically more robust than those of the weaker parent, but they also surpassed in strength and vitality those of the stronger form. For instance, attempts repeated year by year to rear \(N y s s i a\) graecaria have uniformly failed; yet when this species was mated with Lycia hirturia the resulting larvae were so sturdy and strong that, as larvae, their mortality rate was negligible and, moreover, they fed up in the amazingly short period of six weeks, thereby anticipating the pupation of the more vigorous parent by no less than four weeks. Nor must this be deemed an isolated or exceptional case; to a greater or less degree it illustrates the condition of all the crosses.

Since there were differences in these particulars, as soon as the set of experiments was completed, an endeavour was made to correlate the degree of sturdiness and acceleration of development with other facts, and this had striking success. Taking the ring of hybrits in which Lycia figures as the central genus, not only because that circle is practically complete, but also becanse the croses concerned in it had
been reared with elaborate care, during the same season, and under conditions likely to eliminate phenotypic variation in all its phases, for another purpose, it was perceived that, as the phylogenetic divergence of the second species in any particular cross from hirtaria increased, there was a concomitant and proportional increase in the physiological robustness of the hybrid organism which, in its turn, entailed:
(1) A size increased beyond the theoretical expectation.
(2) An acceleration in the speed of feeding up of the larvae.
(3) Great disease resisting powers.
(4) An enormous reduction of the time of lying over indulged in by some of the species and which, presumably, should have affected any hybrid in which that species took part.


These corvelations can be simplified and rendered more vivid by the appended table and graph, but, before giving these, it will prowe very helpfal to give a phylogenetical tree of the apecies involved.

Before proceoding to emphasise the most saliont of the relations graphically, it will be well to expmad and elucidate the points refermed to in paragraph + above and placed in the last columen of the appended tabular statement.
\begin{tabular}{|c|c|c|c|c|c|c|c|c|}
\hline Pemale parent & Wilur explanee of cotreaponding mate & Wing expanser of hirtaria mate & Mentl of lant iwo & \begin{tabular}{l}
Wing expance of the wate \\
hybridluet ween lant two
\end{tabular} & Increane of hybrid! wing "xpanme over meal & lerventage Increame over mean & Oriler of pujation & Fiffect of hybridity on lyink urer powern of ןирае \\
\hline Poccilopsis pomonaria & 32 mm . & \(42 \% \mathrm{~mm}\). & 37.9514. & \(3 \times \mathrm{mm}\). & 7 imm & 2 & 1,ant & Nil \\
\hline Poecilopsis 1 isabellare & 31.511. & f\%\% 111 m & 37 mm & \(3 \times .4 \mathrm{~mm}\) & 1.1 mm . & 36 & Fourth & Slight \\
\hline Poecilopsis lapponaria! & 32 mm &  & 37.25 mm . & \(39 \% \mathrm{~mm}\) & 2.95mm。 & 6 & Third & (ireat \\
\hline \[
\begin{aligned}
& \text { Nyssias } \\
& \text { zonaria } \\
& \text { i }
\end{aligned}
\] & \(29 \cdot 7 \mathrm{~mm}\) & \(12 \% \mathrm{~mm}\) & 36.1 mm . & 39 mm . & \(2 \cdot 9 \mathrm{~mm}\). & K & Sreond & \\
\hline Nersia graccaria \({ }^{\circ}\) & 35.25 mm & \(42 \cdot \mathrm{~mm}\). & \(3 \times .4 \mathrm{~mm}\). & \(40.1 \mathrm{mm}\). & \(1 \cdot 3 \mathrm{mmm}\). & \(3 \cdot 3\) & Fir-t & Cireat \\
\hline
\end{tabular}
- Nof reared in the same seacon and under the same envirunment conditions as the others.

All of the Bistonine species but more particularly the Nom-Boarmioid section, which is of more interest to us at the present juncture, instead of emerging from the pupae together in the spring following pupation, agree, inasmuch as percentages, varying with the species, persist in lying over as pupae from two to eight winters. Of the species here considered, \(N^{*} y s s i a\) grocaria is the most notorious offender as it rarely, if ever, emerges in the second year, but commences by providing small detachments in the third year, followed by similarly small instalments each season up to the eighth. Lapponaria is the next worst culprit ; a limited number appear in the second year, the remainder appearing at intervals in the ensuing three years. Nyssia zomoria is extremely erratic in the actual numbers lying over, but all come out before the third spring: Poecilopsis isabellae is much the same, whilst in Lycia hirtario' and Precilopsis pomonaria nearly all are bred when expected, a very few remaining unchanged until the third year.

And the effect of hybridity is that the further the habit, in this respect, of the second species in the cross from Lygio, the greater the acceleration in emergence, and the nearer its habit appoaches L. herteria the less the state of affairs is altered, e.g. cross Loycion hirturian and \(\Gamma\) Yyssin graecaria or L. hirtaria and I'necilopsis lappomarion and all emorge the

\footnotetext{
\({ }^{1}\) Except extreme northern races which were not employed.
}
first year ; however, mate L. hirtaria and \(P\). pomonaria and the conditions obtaining in the two parent forms are unchanged, the same percentage exactly lying over.

With this explanation, we can now proceed to plot our graph showing the relationship between the phylogenetical divergence of the female parent from \(L\). hirtaria and the increased vigour of the hybrid organism as expressed in its size.


\footnotetext{
* This brood was not reared with the elaborate precautions taken in the other cases to avoid phenotypic variation as, for obvious reasons, it is impossible to get new material from Carniola.

The correlation between the two conditions is so exact as to give as the curve of relationship a straight line.

In other words, the stimulus given to the organism by hybridity is inversely proportional to the physiological affinity of the participating species or, otherwise, it is directly proportional to the physiological divergence, and the same holds true of all the other manifestations of inciting force. Had mere "cross fertilisation" (to adapt the word to include the fusing of gametes the affinities of which are more or less remote) in itself been the sole inducing cause, it is exceedingly difficult
}
to see how the re should have arise this progerssive stimblation heremse. when all is sad and dome. all the species emplosed are divided by pre cisely the same mumber of gemerations from the manl loygein stox. It must, therefore be directly deperdent on the cmmalation difteromen between the factors building \(\quad\) pp the varions grontype (or biotypes if preferred ").

But how have these specis arisell amd how do they dittior' Whother they have been eoolved by gengraphical imbation or by matation the ir difference from their immediate phylogenetic ameestor appared ath a change in the value of the wemes wither be lase addition, duplication or otherwise: whence it is evident that, as we pass from the Lacia stem to the furthest remosed form (physiohgically and phylogemetically), we have, pari pessu, acompanying difterences in what were originally homologous genes plus the appearance of genes not represented in the original stock. Therefore, if we pair L. leirtario with any of its derised forms, we are generating zygotes the degree of heteroggosity of which depends entirely upon the extent of the disergenee of the second form from hirtaria. And this corollary must follow therefrom, that the increased and progressive metabolic action visible in the hybrid series is directly and positively correlated with the advance in the heterozygosity of the individual hybrid members.

Necessarily, of course, a point must be reached when, in the end, total or partial incompatibility \({ }^{1}\) of the two sets of chromosomes involved will step in carrying with it, in some, physiological interference with the normal development of the zygote and, in others, the total failure of fertilisation; thus limits are set to the heterozygotic acceleration of the activities of an organism by means of hybridity.

As to how the influence of the heterozygosity works there are several possibilities open. Firstly, one must take cognisance of the fact that any intruding spermatozoon consists of little but the nuclear structures which, coming into intimate contact with the cytoplasm of the ovum, are so placed as to be able to act, react, and interact with that cytoplasm which presents it with entirely novel conditions of environment; thus the stimulus may be brought about. Secondly, the heterogeneous nature of the zygote, the consequent conflicting tendencies of its genes, the extra work induced by the interaction, all combine to secure the laying down of great stocks of cytoplasm and stimulate to an extraordinary degree cell-division, not only in the actual number of cells, but in the speed with which they are elaborated. On this view,

\footnotetext{
\({ }^{1}\) As when Lycia hirtaria \(;\) and Poecilopsis rachelne are mated.
}
the greater the number of diverse determiners (so long as they are able to work without upsetting the stability of the cell thereby causing it to perish) the greater the stimulating effect.

Again, the stimulus may result mainly from the presence in any given cell of a greater number of units than it was designed to receive, causing a development of increased capacity to allow for these extra units, and thus increased and more rapid growth.

In connection with this, it is well to note that, in reality, the size of the cells in the only hybrid I have critically examined was actually greater than that of either hirtaria or zonaria, the two parents.

Lastly, it must be remarked that the Mendelian factors are not the only reacting features; there are assuredly many nuclear elements not of that type, although such, very likely, predominate, and the activities of this element and the resulting impulses must have some effect.

It will be clear that, up to this stage, only heterozygotic stimulus, as it appears in the \(F_{1}\) generation of hybrids, has been considered; the reasons for this are plain. Firstly, the \(F_{1}\) generations in the hybrid Bistoninue are, for the most part, completely sterile, and, secondly, each and every zygote generated in any particular cross possesses the same intensity of heterozygosis, not only in the actual number of the opposing factors, but in their quality. Every gamete thus is stimulated to exactly the same extent, and, if we make due allowance for that variation which would be exhibited even by a pure line, will reach approximately the same size in the same time.

But when, as in the pomonaria-isabellae hybrids, the \(\boldsymbol{F}_{1}\) generations are fertile, a new set of circumstances arises on pairing these inter se; circumstances, let it be emphasised, not those appearing in \(F_{2}\) insects of a mono-Mendelian hybrid origin or of hybrids differing by a relatively small number of opposing genes, but those developing in an \(F_{2}\) generation in which the interacting and conflicting genes reach enormous figures. How soon, under these conditions, the number of heterozygotes reaches appalling dimensions, and how quickly the homozygotes descend to negligible figures may be gathered from the following table:
\begin{tabular}{ccccc}
\begin{tabular}{c} 
Number of \\
opposed genes \\
in the parents
\end{tabular} & \begin{tabular}{c} 
Number of \\
individuals
\end{tabular} & \begin{tabular}{c} 
Number of \\
homozygotes
\end{tabular} & \begin{tabular}{c} 
Number of \\
heterozygotes
\end{tabular} & \begin{tabular}{c} 
Percentage of \\
homozygotes
\end{tabular} \\
1 & 4 & 2 & 50 & 50 \\
2 & 16 & 4 & 12 & 25 \\
3 & 64 & 8 & 56 & \(12 \cdot 5\) \\
4 & 256 & 16 & 240 & \(6 \cdot 25\) \\
5 & 1024 & 32 & 992 & \(3 \cdot 12\) \\
\(n\) & \(4^{n}\) & \(2^{n}\) & \(2^{n}\left(2^{n}-1\right)\) & \(\frac{100}{2^{n}}\)
\end{tabular}

Nor is it to be suppesed that all of the heteroggotes are hetorozgous W) the sume degrer, for that is far from being so. 'They prowed from monohyrids, through every stage of matroclimos and patrexlions: complexes, right up to the full heteroygous complement of the \(F_{\text {, faternity }}\) f

Hence the stimulating impulse of heterozgesity is folt with unoybal force in the different zigotes, and they attain vastly different sizas. Thus, as in characteristics so in size, the \(F_{2}\) generation shows chomomes variation as compared with the comparatively even size and appearance of the \(F_{1}\) lots. This state of affais was displayed vividly in the \(F_{1}\) and \(\boldsymbol{F}_{2}\) generations of the pomonario-isebellae crosses.

Manifestly therefore, by the mere stimulus of the ir heterozygusis, independently of any action of multiple genes for size and weight, there will be apparent size segregation in the \(F_{2}\) insects. Any attempted genetic analyses for size purposes which fail to allow for heterozygotic impulses are vitiated and useless.

To illustrate by examples, size and weight experiments have been undertaken with guinea-pigs, poultry, rabbits, etc. In several of thesedwarf strains of special races have been mated with full-sized examples of other breeds, thereby bringing into play unknown numbers of genes resulting in the production of an equally uncertain number of heterozygotic composites in the \(F_{2}\) animals carrying with them undetermined and indeterminable degrees of size acceleration. How can it be possible with this unknown factor interfering to conduct any analysis of size and weight determiners ?-hence my opinion, expressed above, that many of these analyses are useless. They are not only valueless because heterozygosis will produce size groups of its own, but also because its effects, added to those of the size and weight determiners themselves, serve to throw accelerated specimens into groups to which on the merits of possible weight and size factors they do not belong.

\title{
 VAR. (ORPORIS゙。
}

\author{
By EDWARI HINHLE, M.A., Ph.I., \\ Charles Kingsley Lecturer and Bye-Fellom of Wagdalene C'allege. C'ambridye. \\ (From the Quick Laboratory, (ambridge.)
}
(With One Chart.)
The observations on the inheritance of sex in Pediculus humamus var. corporis, which form the subject of the following pages, were originally commenced in the winter of 1912, when the writer made some experiments on rearing these parasites in connection with the transmission of certain infections. In the course of these experiments it was observed that, under the same conditions, very unequal numbers of males and females were obtained, and, therefore, individual pairs were isolated and their offspring reared separately. It was then discovered that three kinds of families might be obtained, namely, male, female, or male and female.

Many series of experiments were begun, but only two of them were carried through more than one generation, as the conditions of rearing were not understood. Eventually one series was carried through to the second generation, and another one to the fifth, the latter having to be discontinued at the outbreak of war. The results obtained, therefore, are incomplete, and much work remains to be done on the subject, but as the writer is unable to pursue this line of investigation at present, the records of the experiments are being published in the hope that they may be of assistance to students of the inheritance of sex.

In my absence Professor Nuttall kindly published a short account of some of these experiments in Parasitology (Hindle, 1917), but unfor-

\footnotetext{
\({ }^{1}\) The expenses of this Investigation were defrayed, in part, by a Grant from the Royal Society.
}
tunately certain errors have occurred in that article, and it is very difficult to trace the histories of the various families. The present account contains a more complete record of the experiments, and also corrections of the former paper.

The cytological examination of fertilization in Pediculus has been undertaken by Dr Doncaster, who is continuing the study of the sex problem presented by this parasite.

\section*{Material.}

In all cases the lice used were collected from verminous clothing sent from London by Dr Hamer. The clothes-lice for any particular series of experiments came off the same piece of cloth, and presumably from the same host. In all cases they belong to the race Pediculus humanus var. corporis, and there was no evidence of the presence of var. capitis, although the possibility of the occurrence of hybrids between these two races should not be ignored, especially in view of the results obtained by Bacot (1917), and Keilin and Nuttall (1919) on hybridisation in lice.

On the arrival of a batch of lice, the larvae were removed from the adults and placed on a piece of black cloth in a glass tube. This was kept in an incubator at a temperature of about \(30^{\circ} \mathrm{C}\). and the lice were fed twice daily, morning and evening, on the arm \({ }^{1}\).

As soon as an adult emerged it was removed to a separate tube, in order to avoid the possibility of any unknown crosses with other emerging adults, and in all cases where a female was found in the same tube as a male, it was not used for any breeding experiments.

A selected male and female were then placed together in the same glass tube and provided with a small piece of black cloth, on which to hold and to lay eggs, and, except in the case of a few experiments, were kept in the same tube and fed together until they died.

When the lice were placed on the arm they usually began to feed at once and gorged themselves in a few minutes. The female commenced to lay eggs about 24 hours after emerging from the larval skin, and generally continued to lay 2 to 4 eggs daily for about four weeks. It should be emphasised, however, that the number of eggs laid by a female fed only twice daily is considerably less than the number

\footnotetext{
\({ }^{1}\) This method has now been improved upon by Nuttall (1917) who obtains much better success with his " pill-box method," whereby the parasites may be kept continually on the body.
}
oceurring when individuals are kept comtimatly on the bexty, under which comditions as many as 96 daily have lee 11 woorded.

In mye experiments the fomale marely laid more than so egge all whed. and in many cases considerably fewer, wo that the conditions mant be reganded as having been somewhat mafavomable.

The larvae usbally hatehed from the egges after 10 or 11 days, atm monled three times before beomming atult. The first moult gemerally
 total development from fime stage larsa to adult rasually tow about 16 days. There was a certain atmome of mortality amomget the larval stages, as shown in the reoods on ple 270 271, where the mumber of larvae emerging is shown in cach case.

When feeding such a large number of lier it was sometimes necessary to place two or three broeds on the arm at the same time, but whenever pressible they were fed sucessively, in order to avoid the presibility of their getting mixed. In one or two instances, however, it is probable that individuals have wamdered from one browel to another, as shown by the counts of the larva before and after feeding. In all these cases the experiment is marked with a query.

Immediately an adult appared it was isolated, and if used for further experiments was crosed with one of the opposite sex as soon as possible. For practical reasons the adults could not be kept alive until all the members of the brood had completed their development, and in consequence some of the crosses had to be made with material that was available rather than that which one would have selected. In view of the onerous task of feeding, all adults not intended for further experiments were killed and preserved, in order to keep down the numbers to a minimum.

The records of these experiments are summarised in the following table, in which is shown (1) the number of the family, e.g. B3 or \(L 15\); (2) the nature of the female parent, e.g. ex \(A: 3\) signifies that the female came from the brood of family \(A 3\); (3) the nature of the male parent similarly expressed ; \((4)\) the total number of larvae that hatched: and (5) the number of each kind of sex among the adults which reached maturity.

In some instances the same male, or the same female, was used for more than one experiment, and these are indicated by footnotes.

\section*{RECORDS OF EXPERIMENTS.}

First Series.
\begin{tabular}{|c|c|c|c|c|}
\hline Number of family & Female parent & Male parent & Number of larvae hatching & Number and sex of adults reared \\
\hline \({ }^{1} A 1\) & Ancestry unknown & Ancestry unknown & 18 & 9 \% \\
\hline \({ }^{1} A 1 a\) & ,, ,, & ", ", & ? & 1 \% and 2 ठ \(^{\circ}{ }^{\circ}\) \\
\hline A2 & " " & " ', & 17 & 12 \% ठ \({ }^{\circ}\) \\
\hline \(A 3\) & " & " " & 20 & 5 ¢ 9 and 10 ¢ \({ }^{\text {o }}\) \\
\hline A 4 & " " & " & 35 & 26 ठ ठ \\
\hline \({ }^{2} A 5\) & ,, ," & ,, ", & 5 & 4 ¢ ¢ \\
\hline A 6 & " & ", " & 48 & 32 영 \\
\hline A 7 & " " & " & 29 & 8 오 우 and \(17 \delta^{\circ}{ }^{\circ}\) \\
\hline \(B 1\) & ex \(A 3\) & ex \(A 3\) & 36 & 3 ¢ 와 and 14 \% \({ }^{\text {o }}\) \\
\hline B 2 & ex \(A 3\) & ex \(A 2\) & 53 & 34 아 \\
\hline \(B 3\) & ex \(A 3\) & ex \(A 2\) & 64 & 48 ¢ 9 \\
\hline \(B 4\) & ex \(A 1 a\) & ex \(A 1 a\) & - & \(1{ }^{\text {\% }}\) \\
\hline
\end{tabular}

An accident to the incubator prevented any further experiments with this series.
\({ }^{1}\) The same individual male was used in both these experiments.
\({ }^{2}\) In this experiment two females and two males were kept together.
Second Series.
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline Number of family & & Female parent & & Male parent & Number of larvae hatching & Number and sex of adults reared \\
\hline \(L 1\) & Ancest & try unknown & Ancestry & ry unknown & 45 & 27 \% ठ \\
\hline \(L 2\) & , & , & , & ,' & 58 & 45 \% ठ \\
\hline \(L 3\) & " & ,' & " & ,' & 38 & 31 와 우 and 1 \% (?) \\
\hline \(L 4\) & ,, & " & , & , & 16 & 9 ¢ 아 \\
\hline L 8 & " & , & " & " & 42 & 18 오 우 and 13 \% \({ }^{\text {c }}\) \\
\hline L 9 & " & " & , & " & 9 & 2 와 \\
\hline L 11 & " & , & , & " & 39 & 28 б ठ and 2 ¢ ¢ \\
\hline L 12 & " & " & " & ", & 19 & 9 ¢ ¢ and 2 ठ ठ \\
\hline L 13 & , & , & , & ,' & 46 & 38 \% \({ }^{\text {\% }}\) \\
\hline \({ }^{1}\) L 15 & , & , & ,, & , & 9 & 6 오아 \\
\hline \({ }^{1} L 15 a\) & , & , & " & , & 50 & 24 웅 \\
\hline L 16 & " & " & ,' & " & 66 & 64 오 아 \\
\hline L 17 & " & ,' & " & ," & 42 & 27 ¢ ㅇ and \(2 \delta^{\circ}\) ठ \\
\hline L 18 & " & " & , & , & 25 & \(8 \delta^{\text {\% }}\) \% and 2 ¢ ¢ ¢ \\
\hline L 19 & , & " & " & , & 39 & 26 우․ \\
\hline M 1 & & x L 19 & & \(\times L 18\) & 33 & 2 \% ठ \\
\hline M 2 & & ex \(L 8\) & ex & \(\times 8\) & 12 & 4 와 it and 1 \% \\
\hline M 3 & ex & ex L 19 & ex & ex \(L 8\) & Nil ... & Sterile \\
\hline M 4 & & ex L15a & & \(\times\) L 13 & 45 & 36 와 \\
\hline M 5 & & x \(L\) L 8 & ex & \(\times 13\) & Nil & Sterile \\
\hline M 6 & & x \(L 3\) & & \(\times 13\) & 20 & 10 ठ ठ \\
\hline \({ }^{1}\) M 8 & & \(\begin{array}{ll}L & 8\end{array}\) & & x L 18 & 12 & 3 ¢ 9 and 4\% \({ }^{\text {\% }}\) \\
\hline \({ }^{1}\) M 8 a & & ex L 8 & & \(\times\) L 18 & ... Nil ... & - \\
\hline M 10 & ex & x L 8 & & \(\times\) L 13 & 16 & 3 ¢'9 and 5\% \% \\
\hline M 11 & & ex L 19 & & \(\times\) L 13 & 27 & 5 ¢ ¢ ¢ and 4 ठ\% \({ }^{\text {o }}\) \\
\hline M 12 & & ex L 19 & & \(\times\) L 13 & .. 19 & 2 와 \\
\hline M 13 & ... ex & x L 19 & & x \(L 18\)... & .... 19 & 1 안 \\
\hline
\end{tabular}
\({ }^{1}\) The same male was crossed with two successive females.
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multicolumn{7}{|c|}{sicond tieries-( -ontinued).} \\
\hline Numper of family & Female parent & & \[
\begin{gathered}
\text { Maln } \\
\text { parent }
\end{gathered}
\] & \[
\underset{\text { Larvac }}{\mathrm{Nin}^{2}}
\] & \begin{tabular}{l}
umber af \\
se hatclifne
\end{tabular} & Sumixitand ara of adulto rearml \\
\hline A 2 & ax M 4 & & ex M \(1 / 8\) & & 78 & 64: \\
\hline \(\therefore 3\) & ex M 4 & & ex M 6 & & 39 & 2N: \\
\hline \(N 4\) & ex M 10 & & "x 96 & & 19 & 6, inad if: \\
\hline N 5 & ex M 4 & & ex.ll 6 & & 56 & 12 a \\
\hline \(N 6\) & ex M \({ }^{\text {a }}\) & & ex M 6 & & 31 & \(\mathrm{Ni}_{\text {i }}\) i and 12, \\
\hline N 7 & ex M 10 & & ex \(M 6\) & & 38 & 7 i 8 and 15 ? \\
\hline \(N\) - & ex \({ }^{\prime \prime} 2\) & & ex \(M 6\) & & 30 & \(7 i\) i and \(10 \%\), \\
\hline N 9 & ex M 4 & & ex \(M 8\) & & 43 & 32 ? \\
\hline S 10 & ex M 4 & & ex \(M \times\) & & Nil & Sterile \\
\hline N 13 & ex M 4 & & ex M 10 & & 47 & 37 \% \\
\hline S 14 & ex M 4 & & ex \(/ / 10\) & & 51 & 37 \% \({ }^{\text {a }}\) \\
\hline N 17 & ex. 14 & & ex M 11 & & 36 & 12 i 8 and 1 ( \({ }^{\text {a }}\) ) \\
\hline 01 & ex C & & ex N 2 & & Nil & Sterile \\
\hline \({ }^{10} 2\) & ex N \(N\) & & ex N 2 & & 5 ... & 1. \\
\hline (1) 4 & ex \(\times 1\) & & ex \(\mathrm{N}^{2}\) & & 37 & 13; 8 and 3 : \\
\hline \({ }^{3} 06\) & ex N 13 & & ex N 3 & & 30 & 14. 2 \\
\hline \({ }^{2} 07\) & ex C 5 & & ex N 2 & & 16 & 3 \% \\
\hline 08 & ex N 5 & & ex \(\mathrm{N}^{2}\) & & 36 & 11. \\
\hline 2014 & ex \(\times 7\) & & ex N 2 & & 29 & 9? ? and 1: \({ }^{3}\) (?) \\
\hline () 16 & ex \(\times 7\) & & ex \(N\) 2 & & \(1 / 8\) & 388 \\
\hline O 17 & ex N \% & & ex \(N 2\) & & 24 & 2) 2 \\
\hline \({ }^{1} 018\) & \[
\begin{aligned}
& \text { ex . V } 13 \\
& (O 6)
\end{aligned}
\] & & \[
\begin{aligned}
& \text { ex } N \quad 2 \\
& (O 2)
\end{aligned}
\] & & 10 & \(3: 8\) and 1\% \\
\hline 2019 & \[
\begin{gathered}
\operatorname{ex} N 7 \\
(014)
\end{gathered}
\] & & \[
\begin{gathered}
\operatorname{ex} N 2 \\
(07)
\end{gathered}
\] & & 11 & 18 and 4\% \\
\hline P 2 & ex 07 & & ex 019 & & 4 & 18 \\
\hline P 3 & ex 07 & & ex O 19 & & 15 ... & 388 and 13 \\
\hline P13 & ex \(O 18\) & & ex \(O 6\) & . & 8 & \(48 \%\) \\
\hline
\end{tabular}
\({ }^{1}\) The male ex N 2 of \(O 2\) was also crossed with female ex N 13 of 06 (Family (1) 1 ).
\({ }^{2}\) The male ex N 2 of \(O 7\) was also crossed with female ex \(N 7\) of \(O 14\) (Family 0 19).
\({ }^{3}\) This \& may have strayed from \(O 16\), as a larva from \(O 16\) was accidentally included with \(O 14\).

A glance at the above records will show that there are at least three distinct types of families, male, female, or mixed. Therefore, four kinds of crosses are possible, namely,
A. \(\quad 8\) ex female family \(\times \delta\) ex male family.
B. \& ,, ,, \(\times 8\) ex mixed family.
C. \(\&\) ex mixed family \(\times\) \&ex male family.
D. \& , , , \(\times 8\) ex mixed family.

These four types of crosses will be considered separately (see Tables I-IV).

\section*{TABLE I.}

Female from a female family \(\times\) male from a male family.
\begin{tabular}{|c|c|c|c|c|c|}
\hline Number of family & Female parent & & Male parent & Number of females & Number of \\
\hline M 4 & ex \(L 15 a\) & \(\times\) & ex \(L 13\) & 36 & - \\
\hline M 6 & ex \(L 3\) & \(\times\) & ex \(L 13\) & - & 10 \\
\hline M 11 & ex \(L 19\) & \(\times\) & ex L 13 & 5 & 4 \\
\hline M 12 & ex \(L 19\) & \(\times\) & ex \(L 13\) & 2 & - \\
\hline \(N 2\) & ex M 4 & \(\times\) & ex \(M 6\) & - & 54 \\
\hline \(N 3\) & ex M 4 & \(\times\) & ex M 6 & - & 28 \\
\hline \(N 5\) & ex M 4 & \(\times\) & ex \(M .6\) & 42 & - \\
\hline O 4 & ex \(N 5\) & \(\times\) & ex \(N^{-2}\) & 10 & 3 \\
\hline O 6 & ex \(N 13\) & \(\times\) & ex \(N 3\) & - & 14 \\
\hline O 7 & ex \(N 5\) & \(\times\) & ex \(N 2\) & 3 & - \\
\hline O 8 & \(\operatorname{ex} N 5\) & \(\times\) & ex \(N 2\) & - & 11 \\
\hline O 17 & ex \(N 5\) & \(\times\) & ex \(N 2\) & - & 2 \\
\hline O 18 & ex \(N 13\) & \(\times\) & ex \(N 2\) & 3 & 1 \\
\hline O 1 & ex \(N 5\) & \(\times\) & ex \(N 2\) & Ster & \\
\hline
\end{tabular}
A. All three kinds of families have been obtained. Excluding from consideration those broods in which the number of adults raised is less than four, it will be noticed that there are two female, five male, and three mixed broods, but in the latter there is a decided preponderance of females over males, viz. 18 to 8 . Another noteworthy result is that obtained in \(N 2, N 3\), and \(N 5\), where crosses between adults from the same families in two cases produced male broods, and in the other, a female one. It is evident, therefore, that there must be two kinds of males, or two kinds of females, or two kinds each of both sexes.

\section*{TABLE II.}

Female from a female family \(\times\) male from a mixed family.
\begin{tabular}{|c|c|c|c|c|c|}
\hline Number of family & Female parent & & Male parent & Number of
females & \(\underset{\text { males }}{\text { Number of }}\) \\
\hline M 1 & ex L 19 & \(\times\) & ex L 18 & - & 2 \\
\hline M 3 & ex L 19 & \(\times\) & ex \(L 8\) & \multicolumn{2}{|c|}{Sterile} \\
\hline M 13 & ex L 19 & \(\times\) & ex L 18 & 1 & - \\
\hline \(N 9\) & ex M 4 & \(\times\) & ex M 8 & 32 & - \\
\hline N 10 & ex M 4 & \(\times\) & ex M 8 & \multicolumn{2}{|c|}{Sterile} \\
\hline N 13 & ex M 4 & \(\times\) & ex M10 & 37 & - \\
\hline N 14 & ex M 4 & \(\times\) & ex M10 & 37 & - \\
\hline N 17 & ex M 4 & \(\times\) & ex M 11 & 12 & 1 (?) \\
\hline & ex 07 & \(\times\) & ex \(O 19\) & 1 & - \\
\hline \(P 3\) & ex \(O 7\) & \(\times\) & ex \(O 19\) & 3 & 1 \\
\hline
\end{tabular}
B. It is unfortunate that the one certainly mixed brood (P3) contains but four individuals. The result, such as it is, resembles that obtained in the preceding series, as regards the preponderance of females over males in the mixed broods. With regard to the other
bromes, it will be noticed that there is a very decided prepmolemance of females, the single male fanily ( \(/ 1\) ) lueing companed of chly \(i=0\) in dividuals, which are ten few to be comsidered.

TABIAE: 111.

\begin{tabular}{|c|c|c|c|c|c|}
\hline Numbine of
fantily & Female jarent & & Male parent & Number of
frmalew &  \\
\hline f 2 & 0x. \({ }^{1}\) & , & -x. 1 2 & 34 & \\
\hline 113 & ex. 13 & , & ex. 12 & 1 N & \\
\hline M : & ex \(L\). \({ }^{\text {a }}\) & \(\times\) & ex 1,13 & & Sterile \\
\hline \(1 / 10\) & ex \(I\), \(X\) & , & ex 1,13 & 3 & 5 \\
\hline \(\therefore 4\) & ex \(1 / 10\) & * & ex. 176 & 6 & 6 \\
\hline N 6 & ex M & * & ex M 6 & \(\stackrel{\square}{*}\) & 12 \\
\hline & ex M 10 & \(x\) & ex M 6 & 7 & 1.5 \\
\hline N 8 & ex. \(1 / 2\) & \(\times\) & ex \(M 6\) & 7 & 10 \\
\hline (1) 2 & ex N 8 & \(\times\) & ex N 2 & & , \\
\hline 0114 & ex N 7 & \(\times\) & ex \(\mathrm{N}^{2}\) & 1 & 9 \\
\hline (1) 16 & ex N 7 & \(\times\) & (xN 2 & 3 & \\
\hline () 19 & ex 17 & x & ex N 2 & 1 & 4 \\
\hline P' 13 & ex O 18 & x & ex 016 & 4 & - \\
\hline
\end{tabular}
C. Excluding from discussion the two families containing less than four individuals, all the families are mixed with the exception of three female broods. There is, however, a distinct preponderance of males over females in the mixed broods, the respective totals of the two sexes being 61 male and 33 female.

TABLE IV.
Female from a mixed family \(\times\) mule from a mired family.
\begin{tabular}{|c|c|c|c|c|c|}
\hline \[
\begin{aligned}
& \text { Number of } \\
& \text { family }
\end{aligned}
\] & Female parent & & Male parent & Number of females & Number of \\
\hline L 1 & ex A 3 & \(x\) & ex. 13 & 3 & 14 \\
\hline M2 & ex \(I\), ¢ & \(\times\) & ex \(L\) x & 4 & 1 \\
\hline M8 & ex \(L\), x & \(\times\) & ex \(I, 18\) & 3 & 4 \\
\hline I) 4 &  & \(\times\) & ex A \(1 a\) & - & 1 \\
\hline
\end{tabular}
D. The results of this series are too few for drawing any definite conclusions, but it is suggestive that the three families are all "mixed" broods.

\section*{Order in which the adults hatched.}

In none of the experiments was there any suggestion that the female first laid eggs of one sex, and towards the end of her life, when exhausted, laid eggs of the other sex. With regard to the mixed bromels, the males
and females alternated fairly regularly in the order of their emergence from the third stage larvae. Records of the order of hatching were kept in each case and the following example is typical of the manner in which the sexes alternated:


\section*{Sterility.}

Although it was not very uncommon to meet with cases in which pairs had no offspring, it is probable that most of them could be explained by the assumption that one or other of the parents was unhealthy and thereby prevented from performing any sexual functions. However, one pair ( \(N\) 10) seems to constitute an example of mutual sterility, for unlike most of these cases, the female laid as many eggs as an ordinary fertile individual, and none of them showed any signs of development. When an unfertilized female is isolated it usually lays a few shrivelled eggs, but the numbers are very much less than in the case of a fertilized individual. It is possible, of course, that in the case mentioned, the mere mechanical effect of the act of copulation may have stimulated the process of egg laying, but there was such a well-marked difference in the numbers and appearance of the eggs laid, that it seems more reasonable to interpret it as an example of sterility.

The same male crossed with two different females.
Three experiments were made in order to determine whether the same male produced the same type of family when crossed with different females. Families \(A 1\) and \(A 1 a\) constitute the first example, from which it appears that when crossed with one female only male offspring were produced, whilst when crossed with another, a mixed family was obtained. Families 02 and 018 form another example, but unfortunately only one adult, a male, was reared from the first cross, whilst the second cross resulted in one male and three females. The results, therefore, of this experiment are inconclusive. In a third experiment, families 07 and 019 , the first cross resulted in three females, whilst the second one produced four males and one female, but in the two latter cases the results are complicated by the fact that the female had also been crossed with another male, as mentioned below. Nevertheless, the result of the first example is supported by the others, and strongly suggests the existence of two types of females in the body louse.

\section*{The steme femule crossed with turo mules.}
 during which it laid a certain mumber of egge, from which a male broul of 14 mates was reared. The female was then imelated for ed days and afterwards crossed with a different male, the result being shown in family 018 . The first adult of this broed to hateh was a male and then followed the three females.

In a second experiment, () 14 and () 19, a femate produced the same. type of family when crossed with two diftierent males.

These results are complicated by the fact that a femate may lay fertile eggs for many days after being isolated from any mate, and this should be remembered when considering the results of the first experiment. In this example there is a strong suggestion of the existence of two types of males, for the first individual was moly male-prolucing, whilst the second produced females. With regard to the single mal. that was the first to hatch in \(O 18\), it is possible that it may have grown from an egg fertilized by the first male parent, but in any case, there is a qualitative difference between the two broods.

\section*{Hermaphroditism.}

In view of the possible existence of hybrids of \(P\). humumus var. corporis with the variety capitis, the male families in the above series, of experiments have been carefully examined to see if any individuals showed any signs of hermaphroditism, a feature which is expecially characteristic of hybrid races, especially in the males. In family 1 one specimen exhibited a slight anal process which Inr Keilin informs me is an indication of this condition, but apart from this doubtful exception, no other individuals have been found which are not normal in this respect. The results of these experiments cannot be explained, therefore, by the assumption that parents from different races were employed, for, as previously mentioned, the original parents were all typical corporis, and in Series 1 and 2 came from the same piece of clothing, where they must have lived side by side.


Chart showing the ancestry of families \(P 3\) and \(P 13\). The nature of the family of the parent is indicated in each case, \(\%\) i signifying a female, \(\delta\) o a male, and o if a mixed family. The experimental number of the family is also given.
Of each pair, the female parent is on the left and the male on the right.

\section*{Sommary.}
1. The results of these experimentes show that in \(l\) '. humetus var. corporis three types of families may werur:
(11) Female families,
(b) Male families,
(c) Mixed familes, in which there is an indication of some ratin between the numbers of the two sexes.
2. There is a strong suggestion of the existence of two kinds of females, as well as two kinds of males.
3. The attached chart gives the pedigree of two families carried through four generations.

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\title{
COLOUR INHERITANCE IN CATK, WITH SPECIAL REFERENCE TO THE (OLOURS BLACK, YEL, LoW ANI TORTOISE-SHELL.
}

\author{
By ( \({ }^{(1 .}\). LJTTTLE. \\ Research Associute. ('arnegie Station for E'rperimental Exalution (Cold Spring Harbor, Now York). \\ \section*{I. Introdectory.}
}

This paper has two whects: (1) the critical examination of experimental data on, and of current hypotheses concerning the inheritance of black, yellow, and tertoise-shell coat colours in cats; (2) the suggestion of possible explanations for the occurrence of ( \(a\) ) unexpected colour classes in ordinary crosses between blacks, yellows, and tortoise-shells, and of (b) both sterile and fertile tortoise-shell males which appar extremely rarely.

The fact that the work of all investigators of this subject has left the two points above mentioned not satisfactorily aceomeded for justifies an attempt to explain the observed experimental results, even though at this time no additional breeding data are offered for consideration.

\section*{II. The facts requiring explanation.}

The critical and apparently contradictory facts which have been brought out by breeding experiments with cats, and which must be satisfactorily accounted for and explained, are brictly as follows:
(1) In crosses between yellow males and black females, whem the expectation on the basis of complete sex-linkage is black males and tortoise-shell females, black females are sometimes produced. (I)oncaster, 1913.)
(2) In crosses between yellou males and turtoise-shell females, where yellow males, black males, yellow femates amd tortorise-shill frmates ate the only classes expected on the hasis of completer sex-linkate. Mack females are sometimes produced. (I)neantor, 1:91:3.)
(3) In crosses between two yellow cats, although only yellow young are expected, two aberrant results have been noted.
(a) A mating of this type has produced tortoise-shell females besides yellows of both sexes. (Doncaster, 1913.)
(b) A mating of this type has produced tortoise-shell females and black males besides yellows of both sexes. (Whiting, 1918.)
(4) There is no record of two black cats crossed together having given yellow or tortoise-shell young.
(5) Tortoise-shell males are produced much more rarely than any of the aberrant classes recorded under headings 1, 2, and 3 above. (Doncaster, 1913; Wright, 1918.)
(6) Such tortoise-shell males are usually sterile. (Cutler and Doncaster, 1915.)
(7) If they are not sterile they apparently do not give tortoise-shell sons, but breed as yellows. (Doncaster, 1913.)

In considering these facts, investigators have usually tried to explain all of them by a single hypothesis. (Doncaster, 1913; Whiting, 1918.) This has proved to be difficult and unsatisfactory. (Ibsen, 1916; Wright 1918.)

It is believed that the experimental evidence favours the existence of two genetically independent agents at work in the production of these aberrances, for
(a) The appearance of the unexpected individuals noted under headings 1,2 , and 3 above, is relatively frequent, and produces regular results involving neither sterility nor the formation of new colour types.
(b) On the other hand, the occurrence of tortoise-shell males is very infrequent, not regular, and is in a majority of cases intimately connected with sterility.

Such being the case, an effort will be made to explain the appearance of the unexpected individuals noted under headings 1,2 , and 3 by one hypothesis and the occurrence of tortoise-shell males by a different one.

\section*{III. The relation between yellow and black.}

One of the first points to be established is the nature of the genetic relation between yellow coat colour and black coat colour.

In this connection Ibsen, 1916, and Wright, 1918, believe black or extension of black pigment to the coat, to be epistatic to yellow or the restriction of black pigment from the coat. Doncaster, 1913, and

Whiting, 1918 , consider the two coat colours allelomerphic, the hetu-ro2ygote being commonly turtuise-shell.
'The terminelogy used by them is as follows:
Ibsen, 1916: Black \(B\) is dominant to orang" 1 which is lorme in the \(X\) chromosomes. IUdar ordinary comelitions the factor for oramge 1 is closely linkey to \(T\), a factor for tortoise-shell which acts only in ther presence of \(B\)-black. 'The fermale is \(X X\), the male \(X \in \mathbb{X}\) in formola.

Wright. 191s: Black is due to the action of a factor \(A\), while tortoiseshell is proxlueed by heteroygosis of an "extension" factor \(E \subset\). 'Tortoiseshell females are thus \(k e\), yellow males \(e\)-, and black males \(E\), in formula. The factor \(E\) ' is borne in the \(X\) chromosome' 'The femate is \(\boldsymbol{X} \boldsymbol{X}\), the male \(\boldsymbol{J}^{\prime} \boldsymbol{\theta}\) in formula.

Doncaster, 191:3 considers that yellow and black are allelomorphic, and expresses yellow by \(Y\), and black by 13 . Where both are present, a \(I^{\prime} B\) or tortoise-shell animal is produced. The female is \(X X\), and the male \(\boldsymbol{X} \theta\) in formula.

Whiting. 1918 also considers yellow \(I^{\prime}\) to be allelomorphic with black \(y\), and supposes \(\boldsymbol{Y}\) to be borne in the \(\boldsymbol{X}\) chromosome. The female is homozygous, the male heterozygous for \(\boldsymbol{X}\).

In 1912 I employed much the same terminology as that of I oncaster, but in view of the production of blacks and tortoise-shells by two yellows and the failure of blacks when crossed inter se to produce anything except blacks, it is probable that the relationship between these two colours may be more accurately expressed in somewhat the following manner: \(B\) a factor for the production of black pigment which is found in all \(X\) gametes. \(Y\) a factor for the restriction of black pigment from the coat allelomorphic to \(y\), a factor for the extension of black pigment to the coat. One "dose" of \(Y\) is normally completely epistatic to one "dose" of \(B\), thus producing yellow individuals; but two "doses" of \(B\) to one of \(Y^{\prime}\) produces a tortoise-shell. The factor \(Y\) and its allelomorph \(y\) are also borne in the \(X\) chromosome. Thus:
\begin{tabular}{lll}
\(Y B X\) & \(Y B X\) & Yellow female \\
YBX & \(\theta\) & Yellow male \\
\(y B X\) & \(y B X\) & Black female \\
YBX & \(\theta\) & Black male \\
YBX & yBX & Tortoise-shell female
\end{tabular}

This type of relationship will become clear as the crosses are taken up in detail, and is further made use of in explaining the occurrence of tortoise-shell males.
IV. An attempt to explain the appearance of unexpected individuals of normal colour types. (Headings 1, 2, and 3, Section II, above.)
It is tacitly assumed by all investigators that at some time or times in the past, there must have been a genetic change, ridding certain gametes of the epistatic colour factor, whether it be the \(Y\) of Whiting, the \(\boldsymbol{E}\) of Wright, or the \(T\) of Ibsen. Had this not been the case neither the hypostatic form nor the tortoise-shell heterozygote could have appeared.

We may, then, for the sake of argument accept the set of symbols given above, and assume that the change from \(Y\) to \(y\) must have occurred. There is no experimental evidence to show how recently or how frequently this change may have taken place, but if we assume that it is still taking place in a portion of the gametes of certain individualswhich seems entirely probable-all the results obtained under headings 1,2 , and 3 , may be accounted for. Such a change from an epistatic to a hypostatic condition would be directly comparable to the appearance of the recessive pink-eyed mutation in a stock of dilute brown mice recorded by the writer in 1916.

Animals in whose gametes this mutative process was occurring de novo would show no trace of it in their ewn somatic characteristics, but would, upon breeding, give results in agreement with the actual aberrant classes obtained.

We should thus expect that an occasional yellow female would form gametes \(y B X\) in addition to those containing \(Y B X\) which she normally produces. Similarly, certain yellow males would be found which showed by their progeny that they were forming among their \(X\) gametes some which were of the constitution \(y B X\) instead of the normal \(Y B X\) type.

Yellow males of this unusual kind would, when crossed with black females, give among their progeny a certain number of black females, in number depending upon the frequency with which the unusual \(y B X\) sperm was formed. This fact would explain the aberrances listed above under Section II, Heading 1.

Similarly, such unusual yellow males would, when mated to normal tortoise-shell females, give rise to a certain number of black females in addition to the other classes normally expected. This would cover category two of exceptions mentioned above (Section II).

Finally, a yellow forming \(y B X\) gametes, when crossed with a normal yellow or with one of its own type, would give rise to unexpected black
or tortoise-shell young, the proportion depending "pon whether the yellow male or the female or both were concerned in the formation of the \(y / B X\) gametes.

Thus if the male was alone concerned, tortoise-shell females, but wo black moles would be likely to appear anong the progeng. This appars to be the case in the mating reoorded by Doncanter (191:3) in which two yellows gave among their progeny three blue females with a cream coloured patch (tortoise-shells). If, on the other hand, the femate parent was the umusual mutative individual, blach males would secur in addition to tortoise-shell females and yellows of both sexes. This condition was realised in the case of female dilute yollow \# 23 (formerly owned by me) whose breeding record is reported by Whiting, 1918. An explanation of this sort would account for the aberrances noted under section II, Heading 3, above.

From the number of tortoise-shell and black young obtained in the two cases referred to, and from the numerical relation of the black females under headings 1 and 2 (Section it) to the expected colour classes (Doncaster, 1913), it seems probable that yellow animals forming y \(B X\) gametes do so in approximately \(50 \%\) of the gametes they form, as would a normal heterozygote.

In addition to yellow animals, certain tortoise-shell females might theoretically be expected to show the same phenomenon. Such animals would form an excess of, or possibly exclusively, \(y B X\) gametes, and, in so far as they did so, would breed as blacks. Such an occurrence would, however, give rise to no unexpected classes of young in crosses, but might result in the absence of some of those normally expected from certain matings. Quite naturally this fact might, in a small number of progeny, escape notice.

There is no evidence to show that the appearance of any of the classes above referred to is in any way connected with a break in ser-linkage or with the occurrence of tortoise-shell males, and we may therefore, until such evidence is presented, fuirly consider them as independently produced.

\section*{V. Criticism of existing hypotheses to explain the appearance of unexpectei individuals of normal colour types. (Headings 1, 2, and 3, Section II, above.)}

Attempts to explain the appearance of the aberrant colour classes referred to, have involved either (a) the breaking of sex-linkage with "crossing over" in the male, or (b) the occurrence of a series of modifying
factors determining the relative degree of black and yellow pigmentation. They may be separately considered as follows:
(a) Doncaster's hypothesis of a break in sex-linkage: this hypothesis, which in a modified form is a basis for Ibsen's later explanation of the appearance of unusual colour types, involves, if it is to explain the exceptional black females, the existence of "crossing over" in the male between the \(X\) and the \(\theta\) chromosomes. Such crossing over has not, in so far as I am aware, been demonstrated in any forms in which the male is \(X \theta\) in formula as in cats. It further would suppose that, as tortoiseshell males were formed by the same process, they would be expected to occur with as great frequency as the exceptional black females. It further leaves entirely unexplained the appearance of blacks or tortoiseshells from a cross between yellow animals. These objections seem to be of sufficient weight to throw the chances against Doncaster's or Ibsen's hypotheses.
(b) Whiting's hypothesis of modifying factors which at one end of the series would serve to make tortoise-shell animals yellow, and at the other end of the series make them black, remains as a possibility though seriously invalidated by certain points as follows:
(1) There should be records of black females (genotypically tortoise-shell) which if crossed with other blacks should give yellow males and tortoise-shell females, or if crossed with yellow males should give unexpected yellow females. Neither of these results has been recorded.
(2) Doncaster, 1913, reports that the three tortoise-shell females produced from a single cross between two yellows were "blue with a cream patch" thus showing that they were near the black end of Whiting's modifier series. Inasmuch as under his hypothesis one of their parents must have been at the opposite or yellow end of the series, it is difficult to explain how and why many of its progeny should show the condition characterising nearly the other end of a graded series.
(3) The occurrence of these young in a single mating makes it seem likely that the particular animal was forming ordinary \(y B X\) gametes in a considerable number.
(4) The tortoise-shell young produced by dilute yellow female \# 23 already referred to, before she was sent to Dr Whiting, were normal tortoise-shell in colour; if anything, more nearly on the black end of the graded series, than on the yellow. This case serves to support that
reported by Doncaster, and tends to show that the gellow animal trensmitted to ils progeny no peculiar set of modifiers.
 (b) FERTILE TORTOISE-SHELI, MAIES.
(11) The production of sterile tortoise-shell males.

It is agreed by all those who have reported on breeding experiments with cats that the female appears to be homosygons, the male heterozygous, for sex. The former is therefore \(\boldsymbol{X} X\), the latter \(\boldsymbol{X} \theta\) in formula. This places cats in the same category with Drosophila, and this in turn means that one may rightfully turn, and in fact should turn, to the magnificent work of Morgan and his associates in any attempt at explaining a peculiar result which shows exceptional conditions of sex-linkage.

If one considers the phenomena of non-disjunction of the \(X\) chromosome in Drosophila, reported by Bridges in 1913, and later (1916 a and b) further established by him after an extensive series of breeding experiments, one cannot fail to be impressed by the similarity between the results of that process in I)rosophila, and the observed experimental facts in cats.

For example, non-disjunction is neither frequent in its occurrence nor is it clear enough in its hereditary behaviour to give striking numerical results in as slow breeding an animal as a cat, unless it were watched for deliberately. In Drosophila it gives rise to two very significant exceptions to the normal sex-linked inheritance. First, it produces animals apparently males, which are sterile, and second, mosaic forms are apt to arise in non-disjunctional stocks. If one considers that the majority of tortoise-shell cats which are apparently mules are sterile, and second that they are also a mosaic form in a sex where commonly none is found, the comparison becomes interesting and extremely suggestive.

We may now consider what the probable results of non-disjunction would be, did this phenomenon exist in cats.

The characteristic of primary non-disjunction is that in ongenesis the two \(X\) chromosomes go together into a single egg, leaving another egg without even the normal single \(X\). This may be shown as follows:

\footnotetext{
Non disjunctional female \(X X\)
forms gametes \(X X\) and
}

If now the eggs of such a female are fertilized by sperm of a normal male we have four possible types of zygotes.
\begin{tabular}{ccll} 
Eggs & Sperm & Zygote & \\
\(X X\) & \(X\) & \(X X X\) & Dies \\
- & \(X\) & \(X-\) & "Near male " always sterile \\
\(X X\) & \(\theta\) & \(X X \theta\) & \begin{tabular}{l} 
Female with peculiar gametic condition \\
-
\end{tabular} \\
\(\boldsymbol{\theta}\) & \(\theta-\) & Dies
\end{tabular}

Bridges has demonstrated that the \(X X X\) and \(\theta\) - forms die, and that the \(X\) - form although appearing like a male is always sterile. If now we imagine a cross to be made between a tortoise-shell female cat showing non-disjunction and a normal yellow male, we should have the following condition :


If now one assumes that absence of the \(\theta\) chromosome allows the "near male" class (c) to develop into a tortoise-shell, disturbing the normal relation of yellow to black to produce a somatic mosaic, we could account for the appearance at rare intervals of tortoise-shell " near males" which were not fertile. It seems not unlikely that the absence of the \(\boldsymbol{\theta}\) chromosome might well upset the somatic relationships of certain of the characters whose factors are carried by the \(X\) chromosome. This would account for the appearance of a tortoise-shell " male" from a mating of yellow male \(\times\) tortoise-shell female. (Doncaster, 1913.)

Another mating which, according to Doncaster, has produced a tortoise-shell male is that of yellow male by black female. Here, if the black female showed non-disjunction, the following condition would be found :


The third type of mating reported by Doncaster as having.produced a tortoise-shell male is that of black male with tortoise-shell female. Here everyone is in difficulty. If, as Doncaster suggests, the occasional crossing over of \(Y\), the factor for yellow, to a \(\theta\) gamete is responsible for
the production of a tortoise- ahell malde, mothing that condil happen in either the game tes of the black male or of the tortoise shell fomale wombld prextuce a tortoise-shell mate. On Whiting's hypethesis we shombl have.


 met by an equally hasy set of monlifion from the hack male, or a y whow would result.

Further than this, by Whiting's hypothesis the yollow mate is \(\mathrm{I}^{\prime} \mathrm{J}^{\prime} \theta\) in constitution, and this makes the somere of the black that he must preduere somatically under the mfluence of modifiers in order to become a tortoiseshell, uncertain. This condition is, of comrse, not impressible but is highly improbable. Finally, the phenomenon of non-disjunction meets with distinet ditticulties. Inless the black mate forms gametes with meither the \(X\) nor \(\theta\) chromosomes present it would be hard to see how the tortoise-shell male could be produced by this mating. Formation of sperm without \(X\) or \(\theta\) would not be likely. Viet the possibility exists and may therefore be considered. What seems to me altogether more likely is that the breeder's records on which Ioncaster based his observation were in this case uncertain or incorrect, a circumstance quite possible in cats even with the best possible intentions.
(b) The production of fertile tortoise-shell males.

We have seen that peculiar tortoise-shell females of formula \(Y B X y B X \theta\) may possibly be produced by primary non-disjunction. If now one of these females is crossed with a black or a yellow male peculiar yellow males of the constitution \(Y B X \theta \theta\) would be formed as follows :
\begin{tabular}{|c|c|c|}
\hline \multicolumn{2}{|r|}{Non-disjunctional Tortoise-shell female YBXyBX \(\theta\)} & \(\begin{array}{cc}\text { crossed with } & \text { Yellow male } \\ & \text { YBX } \theta\end{array}\) \\
\hline Forming gametes & \[
\begin{aligned}
& Y B X y B X, Y B X \theta, \\
& Y B X, \theta, y B X \theta \text { and }
\end{aligned}
\] & Forming gametes YBS and \(\theta\) \(y B \mathrm{X}\) \\
\hline Zygotes & (a) YBXyBXYBX & Dies \\
\hline & (b) YBXAIBX & Peculiar yellow female \\
\hline & (c) YBXYBX & Yellow female \\
\hline & (d) \(\theta\) YB. & Yellow male \\
\hline & (e) VBXyBXA & Peculiar tortoise-shell female \\
\hline & (f) YBX \(\quad\) (a) & Peculiar yellow male \\
\hline & (g) YBX \(\theta\) & Yellow male \\
\hline & (h) \(\theta \theta\) & Dies \\
\hline & (i) \(y B \mathrm{X} \theta \mathrm{Y} B \mathrm{~S}\) & Peculiar tortoise-shell female \\
\hline & (j) \(y B \mathrm{X} \theta \theta\) & Peculiar black male \\
\hline & (k) y F (IXYBX & Tortoise-bhell female \\
\hline & (l) \(y B X \theta\) & Black male \\
\hline
\end{tabular}

If now such a peculiar yellow, \(Y B X \theta \theta\), is mated with any female showing primary non-disjunction-an animal which might well prove to be a fertile tortoise-shell male would be produced. Thus:
\begin{tabular}{ccc}
\(\begin{array}{c}\text { Non-disjunctional } \\
\text { Black female } \\
y B X y B X\end{array}\) & \multicolumn{2}{c}{ crossed with }
\end{tabular} \(\left.\begin{array}{c}\text { Non-disjunctional } \\
\text { Yellow male } \\
Y B X \theta \theta\end{array}\right]\)

Here the assumption is made that an animal formed from the combination of gametes, YBXO and -, may be somatically a tortoise-shell, and that the \(\theta\) chromosome which is brought into the zygote by an \(\boldsymbol{X}\)-bearing gamete does not in all cases exert its full influence until gametogenesis. The \(Y B X \theta\)-male would then be supposed to develop somatically just as does the \(Y B X\)-animal, but upon gametogenesis the \(\theta\) chromosome of the \(Y B X \theta\) male is able to prevent the sterility which exists in its absence. This seems quite possible, for it appears that in Drosophila the \(\theta\) chromosome is not needed for the development of the normal male somatic characters, but that it is necessary, however, for successful gametogenesis in the male.

A fertile tortoise-shell male would, when he formed gametes, behave exactly like a normal yellow male. That is to say, although he was himself the product of a combination of \(X \theta\) and - gametes, he would in gametogenesis form only \(X\) and \(\theta\) gametes, just as would a normal male. This has been the breeding behaviour of the one recorded certainly fertile tortoise-shell male (see Doncaster, 1913) which acted in crosses with tortoise-shell females apparently exactly as a yellow male would have done.

It will be seen that the above hypothesis, although somewhat complicated, is nevertheless in accordance with experimental facts and accounts for sterile and fertile types of tortoise-shell males; it explains their infrequency of appearance, and possibly their failure to transmit their own colour pattern to their descendants; it is supported by the work of Bridges with Drosophila-the most completely investigated form showing a similar type of sex-linkage; it is further capable of experimental tests.




 aceount for (et) the comparative infreguchey of fortoine shell malan ats compered with alorrant Whak fomales, (b) the storility of the majority of tortoise-shell maless and (c) thoir perolliar behaviour in hroding.
(2) Ibsen's hypothesis doces away with the need of erossing eser in the male but fabls, as eloes lomeaster's hypothesis, to mome or applath points (a). (b), wr (c) stated above.
(3) Whiting's hypothesis of modifiers would mot be able to give : tortoise-shell male which aceording to his formula would be \(X X^{\prime} \theta\) without adding a factor for black to the formula given by him to be carried in the \(X\) gamete. It further would suppose that by selection (which undoubtedly has occurred) it would be possible to transmit the necessary modifiers to a considerable number of his male progeny, thus forming tortoise-shell males - and this, though great efforts have been made, has proved impossible. Whiting's hypothesis, like those of Doncaster and of Ibsen, takes no account of the sterility of the majority of tortoise-shell males.
(4) Wright's hypothesis is that tortoise-shell males are really \(N X\) individuals in which the abnormality lies not in the colour but in the sex. He likens them to certain sex intergrades alrealy deseribed in some forms by other investigators. This hypothesis meets trouble when a fertile tortoise-shell male is encomontered. It also is contrary to the evidence obtained by Bridges who shows that in Drosophila \(X\). forms are females, even though they contain other abnormalities of chromosome distribution.

\section*{VIII. SUmmary ani conclushons.}
(1) The genetic constitution of the normal colour varieties of cats as regards yellow and black pigmentation appars to be as follows: \(B=\) a factor producing black pigmentation, \(Y=a\) factor which restricts black from the coat, \(y=a\) factor allelomorphic to \(Y\) and hypostatic to it, allowing black pigment to extend to the coat.
\begin{tabular}{|c|c|c|}
\hline Y13, & YRS & Yellow female \\
\hline 1RA \({ }^{\text {P }}\) & \(\theta\) & Yellow male \\
\hline y 1 IS & y 13.1 & Black female. \\
\hline \(y B X\) & , & Black male \\
\hline YRS & \(y B . X\) & Tortoine eshell femal \\
\hline
\end{tabular}
(2) The unexpected but normally pigmented individuals appearing in certain matings (Headings 1, 2, and 3, Section II) can be accounted for by supposing that \(Y\) becomes \(y\) in a certain proportion of the gametes of exceptional individuals.
(3) Sterile tortoise-shell males may possibly be "near males" formed as a result of non-disjunction of the \(X\) chromosome and therefore \(Y B X-\) in constitution.
(4) Fertile tortoise-shell males may also be the product of nondisjunction (secondary) and would be zygotes formed from the fusion of gametes \(Y B X \theta\) and -. These males in gametogenesis would behave as ordinary yellows.

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\section*{THE PROBABLE ERRORS OF ( \(\operatorname{AldOUATEI)} \mathrm{I}\) (NK AGE VALUES, ANI THE MOS'T ACOURATE METHOD OF IOETERMINING ( A METIC FROM CERTAIN ZY(GOTIC SERIES.}

By J. B. S. haldane, ma.,
Fellow of New College, Orford.
In view of the controversy as to the cause of coupling and repulsion it is desirable to know the probable error of any given determination of a gametic ratio, and also to obtain from an observed aygotic series the most accurate possible estimate of the corresponding gametic series. By the probable error of an observation is meant of course a number such that the difference between the true and observed values is equally likely to exceed it, or to fall short of it.

We shall consider the case of a heterozygote \(A \| B b\) which produces
 case of repulsion \(p\) is the cross-over value, in that of coupling \(1-p\). If we write the gametic series in the case of coupling as
\[
x A B: 1 A b: 1 a B: x a b,
\]
in the case of repulsion as
\[
\begin{aligned}
& 1 A B: y A b: y a B: 1 a b, \\
& x=\frac{p}{1-p}, \quad y=\frac{1-p}{p} .
\end{aligned}
\]
then
The values of \(p, x\), and \(y\) may be obtained directly from the cross \(A a B b \times a a b b\). Here if \(n\) is the total number of zygotes obtained, \(P\) the observed value of \(p\), and \((A B),(a b)\) the observed numbers of zygotes of compositions \(A B a b\) and \(a b a b\) respectively, \(P=\frac{(A B)+(a b)}{n}\). If \(n\) were infinite \(P\) and \(p\) would of course be equal, actually the probable error of \(P\) is
\[
\begin{equation*}
\cdot 6745 \sqrt{ }{ }_{n}^{P(1-P)} \tag{1}
\end{equation*}
\]

A direct proof of this result from Bayes' theorem is given by Todhunter(1); the proof generally given is for the probable error when \(p\), the true value, is known beforehand.

More accurately the probable error in excess is
\[
\begin{equation*}
\cdot 6745 \sqrt{\frac{P(1-P)}{n}}+\frac{\cdot 3033(1-2 P)}{n} \tag{2}
\end{equation*}
\]
that in defect
\[
\begin{equation*}
\cdot 6745 \sqrt{\frac{P(1-P)}{n}-\frac{3033(1-2 P)}{n}} \tag{3}
\end{equation*}
\]

This correction however is never important, and may be neglected for all ordinary purposes if both \(n P\) and \(n(1-P)\) are sufficiently large (say over 100).

Let
\[
\begin{aligned}
& x=X+\xi, \quad p=P+\pi \\
\therefore X+\xi= & \frac{P+\pi}{1-P-\pi} \\
= & \frac{x+\pi}{(1-P)^{2}}, \text { provided } \pi \text { is small compared with } P, \\
= & x+(X+1)^{2} \pi
\end{aligned}
\]

Hence the probable error of \(X\) is
or
\[
\begin{align*}
& .6745(X+1)^{2} \sqrt{\frac{P(1-P)}{n}} \\
& \quad 6745(X+1) \sqrt{\frac{X}{n}} \ldots \tag{4}
\end{align*}
\]

Similarly that of \(Y\) is
\[
\begin{equation*}
6745(Y+1) \sqrt{\frac{Y}{n}} \tag{5}
\end{equation*}
\]

It may be remarked that when \(p, x\), or \(y\) are determined by this method we automatically eliminate the effects of differential mortality due to one factor only, or to both if they affect the mortality independently. If however both factors affect the viability it will generally be safer to employ Morgan and Bridges'(2) "balanced inviability" method.

To take a concrete example of the above calculation, Altenburg(3), working with the factors \(M\) and \(S\) (Magenta and Green stigma) in Primula sinensis, obtained from the cross \(M S . m s \times m m s s\), from a count of 3684 plants, a value of 884 for \(P\). The probable error of this value is therefore \(6745 \sqrt{\frac{884 \times \cdot 116}{3684}}\), or \(\cdot 00358\).

Hence the cross-oser value is 116 a 36 . \(X\) 7 59 and its
 are improbable values for \(r\), the probability of ath erren an arat an en


 inter se the \(r_{1}\) grotes considmed above. The expecterl propntions are
where \(\boldsymbol{A} \boldsymbol{B}\). ete erpersent the visible chatacters of the zegotes. Vinsider a group of \(n\) such zogotes. Put \(t=\mu^{2}\), and lat \(t_{a}\) be an appoximate value of \(t\). while \(T=t_{a}+\delta\) is the value which is most probable from the given observation. Also let \(t_{1}, t_{2}, t_{3}, t_{4}\) be the four values of \(t\) calculated from the four classes observed.

Then
\[
\begin{aligned}
& t_{1}=\frac{4(A B)}{\prime \prime}-2 \\
& t_{1}=1-\frac{4(A b)}{\prime \prime} \\
& t_{3}=1-\frac{4(\prime \prime)}{\prime \prime} \\
& t_{4}=\frac{4(1)^{\prime \prime}}{\prime \prime} \\
& \therefore t_{1}+t_{4}=t_{2}+t_{3}
\end{aligned}
\]

Hence for any value of \(\delta\) the probability of the observed propertions
\[
\frac{2+t_{1}}{4} A B: \frac{1-t_{2}}{4} A b: \frac{1-t_{23}}{4} a B: t_{4}^{t_{4}} a b
\]
being obtained in a group of \(n\) zgegotes is propertional tw
\[
\text { Exp. }-\frac{n}{2}\left[\frac{\binom{t_{a}+\delta-t_{1}}{4}^{2}}{\frac{2+t_{a}+\delta}{4}}+\frac{\binom{t_{a}+\delta-t_{2}}{4}^{2}+\left(\begin{array}{c}
t_{a}+\delta-t_{3} \\
+
\end{array}\right.}{1-t_{a}-\delta}+\frac{t_{n}+\delta-t_{b}}{4}+\frac{4}{i_{n}+\delta}+\right.
\]
or
\[
\text { Exp. }-\frac{n}{x}\left[\begin{array}{c}
\left(t_{a}-t_{1}+\delta\right)^{\prime \prime} \\
2+t_{a}
\end{array}+\begin{array}{c}
\left(t_{a}-t_{2}+\delta\right)^{2}+\left(t_{a}-t_{2}+\delta\right)^{2} \\
1-t_{a}
\end{array}\left(\begin{array}{c}
\left(t_{a}-t_{4}\right. \\
t_{11}
\end{array}\right.\right.
\]
since \(\delta\) may be neglected in comparison with \(t_{1}\) or \(1-t_{a}\), hhugh not with \(t_{a}-t_{1}\), ete.

\section*{294 Probable Errors of Calculated Linkage Values}

When \(T\) is the most probable value this probability is a maximum, and hence the expression in brackets is a minimum. The condition for this is
\[
\delta=\frac{\left(t_{1}-t_{a}\right)\left(1-t_{a}\right) t_{a}+\left(t_{2}+t_{3}-2 t_{a}\right)\left(2+t_{a}\right) t_{a}+\left(t_{4}-t_{a}\right)\left(2+t_{a}\right)\left(1-t_{a}\right)}{\left(1-t_{a}\right) t_{a}+2\left(2+t_{a}\right) t_{a}+\left(2+t_{a}\right)\left(1-t_{a}\right)} .
\]

Hence, putting
\[
\begin{gather*}
t_{2}+t_{3}=t_{1}+t_{4}, \\
T=t_{a}+\delta=\frac{3 t_{a} t_{1}+\left(2+t_{a}\right) t_{4}}{2+4 t_{a}} \tag{6}
\end{gather*}
\]
while
\[
P=\sqrt{ } T .
\]

As our value of \(t_{a}\) we may take \(t_{4}\) in the case of repulsion, \(\frac{1}{2}\left(t_{1}+t_{4}\right)\) in the case of coupling. If greater accuracy is desired the value of \(T\) thus obtained should be substituted for \(t_{a}\) in equation (6), and a more accurate value thus obtained. This proceeding is however rarely worth while.

The same value for \(T\) is reached more directly by Bridges' method(5), where \(T\) is calculated from the coefficient of association
\[
\frac{(A B) \times(a b)-(A b) \times(a B)}{(A B) \times(a b)+(A b) \times(a B)}=\frac{4 T-1}{2 T^{2}+1},
\]
as may readily be seen on substituting the value \(\frac{n}{4}\left(2+t_{1}\right)\) for \((A B)\), and so on. It is doubtful however if this method is any shorter than that given above, unless a four figure table of values of \(P\) in terms of the coefficient of association has been calculated in advance.

To take a concrete example, Punnett(4) working with the coupled factors \(B\) and \(L\) in sweet peas obtained the \(F_{2}\) zygotic series

4831 BL, \(390 \mathrm{Bl}, 393 b L\), \(1338 b l\).
\[
\text { Here } \begin{aligned}
& n=6952, \\
t_{1} & =\frac{4 \times 4831}{6952}-2=\cdot 7796, \\
t_{4} & =\frac{4 \times 1338}{6952}=7699, \\
t_{a} & =\frac{1}{2}\left(t_{1}+t_{4}\right)=77475 . \\
\therefore T & =\frac{3 \times 77475 \times 7796+2 \cdot 77475 \times \cdot 7699}{2+4 \times \cdot 7747.5}=7743 .
\end{aligned}
\]

If we substitute 7743 for \(t_{a}\) in equation (6) we obtain no change in the first four decimal places.

Hence \(\quad P^{\prime}=\sqrt{ }=\mathbf{8 8 0 0}\), and the crossoover valur in 1200 )
\[
X=\begin{gathered}
P \\
1-P
\end{gathered}=7 \cdot 3: 33
\]
and the calculated expectation is
\(4821.7 \mathrm{BL}, \quad 392 \cdot 3 \mathrm{Bl}, \quad 392.36 \mathrm{~L}, \quad 1: 345 \% \mathrm{~F}\),
against observed numbers
\[
4831 \quad B L, \quad 390 \quad \mathrm{Bl}, \quad 393 \quad \text { bL, } \quad 1: 338 \quad \mathrm{bl} .
\]

We have now to calculate the probable errors of the values of \(T, P, X\), and \(Y\) obtained above.

The probability of any value \(T+\alpha\) of \(t\) varies as
Exp. \(-\frac{n}{8}\left[\begin{array}{c}\left(T-t_{1}+\alpha\right)^{2} \\ 2+T+\alpha\end{array}+\begin{array}{c}\left(T-t_{2}+\alpha\right)^{2}+\left(T-t_{3}+\alpha\right)^{2} \\ 1-T-\alpha\end{array}+\begin{array}{c}\left(T-t_{4}+\alpha\right)^{2} \\ T+\alpha\end{array}\right)\).
But the coefficient of \(\alpha\) in the exponent vanishes, and \(\alpha\) may be neglected in comparison with \(T\) or \(1-T\) unless \(n\) is small, henee the probability varies as
\[
\text { Exp. }-\frac{n(1+2 T) a^{2}}{4 T(2+T)(1-T)}
\]

Hence the probable error of \(T\) is
\[
477 \sqrt{4 T^{\prime}\left(2+T^{\prime}\right)\left(1-T^{\prime}\right)} \begin{gathered}
n(1+2 T)
\end{gathered} .
\]

That of \(P\) is \(\frac{1}{2 P}\) of this, or
\[
\begin{gather*}
477 \sqrt{\left(2+P^{2}\right)\left(1-P^{2}\right)}  \tag{7}\\
\left(1+2 P^{2}\right) n
\end{gather*}
\]

The probable error of \(X\) is
\[
\begin{equation*}
477(X+1) \sqrt{\left.\frac{\left(3 X^{2}+4 X+2\right)}{\left(3 X^{2}+2 X\right.}+2 X+1\right)} \tag{x}
\end{equation*}
\]
or, when \(X\) is large, approximately
\[
\begin{equation*}
\cdot 674.5(X+1) \sqrt{n} \tag{9}
\end{equation*}
\]

That of \(I\) is
\[
477\left(Y^{Y}+1\right) \sqrt{\left(2 Y^{\prime}+4 Y+3\right) Y^{\prime}(Y+2)} \begin{gather*}
\left(Y^{\prime 2}+2 Y^{\prime}+3\right) \prime \prime
\end{gather*}
\]
or, when \(Y\) is large, approximately
\[
\begin{equation*}
6745(Y+1)^{\prime}= \tag{1}
\end{equation*}
\]

Comparing these values with the probable errors, given by formulae(1), (2) and (3), of the values obtained by crossing \(F_{1}\) with the double recessive we see that the latter are always smaller. When \(P\) is nearly 1 the accuracies are nearly equal, but when \(P\) is small the direct method is \(\frac{1}{\sqrt{ } P}\) times as accurate as the indirect, i.e. \(\frac{1}{P}\) times as many zygotes obtained by the indirect method must be counted, in order that it should give a result as accurate as the direct method. When \(P=\frac{1}{2}\), the ratio of the probable errors is only 3:2.

Hence the ratios calculated from \(F_{2}\) are nearly as reliable as those obtained from \(F_{1} \times\) the double recessive in the case of coupling or weak repulsion, but with strong repulsion they are somewhat unreliable. Hence Bridges' stricture(5) on the unreliability of values derived from \(F_{2}\) results is only justified in the case of strong repulsion.

Moreover, since its numbers vary as the square of the cross-over value, the double recessive class in \(F_{2}\) is a more sensitive indicator of repulsion than any class derived from the cross \(F_{1} \times\) double recessive. Thus the enumeration of \(F_{2}\) is somewhat more sensitive as a test for linkage, and about equally accurate as a measure of its degree in the case of coupling, though not of repulsion.

Differential mortality is eliminated by the above method under the same conditions as by the direct method. This may be seen at once from the fact that the coefficient of association is unaltered when ( \(a B\) ) and ( \(a b\) ) are diminished in the same ratio.

It may be remarked that where there is incomplete coupling or repulsion in unequal degrees (in other words finite but unequal crossover values) in both sexes, the above method of evaluating \(t\) gives \(t=p q\), where \(p\) and \(q\) are the cross-over values in the two sexes.

To return to Punnett's sweet pea experiment quoted above: from formula (7) the probable error of \(P\) is
\[
\cdot 477 \sqrt{\frac{2 \cdot 7743 \times 2257}{2.5486 \times 6952}}, \text { or } \cdot 00284
\]

Hence the cross-over value is \(12 \cdot 00 \pm 28 \%\).
From formula (9) the approximate probable error of \(X\) is
\[
\begin{gathered}
\cdot 6745 \times 8 \cdot 33 \sqrt{\frac{7 \cdot 33+1 \cdot 17}{6952}}, \text { or } \cdot 197 . \\
x=7 \cdot 333 \pm \cdot 197
\end{gathered}
\]

Hence

A table of values of \(\frac{2}{\sqrt{2}} \int_{0}^{x} e^{2}\) de shows that 7 is guite. a protablit.
 by \(x=8\) are about 50 tal 1.

It would be most desirable to examine all "xtant linhag data un \(^{\text {a }}\) these lines, and determine whether integral values of \(\boldsymbol{r}\) and \(y\) if pemblb. of the form 2" -1 , lay within the zone of probable crow in atume halt the cases. Were this found to be the case it would be a strong argen ment in favour of the reduplication theory, if not it would teml t. disprose that theory, at least in its present form.

My thanks are due to Professor Edgeworth, F.B.A, for valnable. advice and criticism.

\section*{SUMMARY.}
1. Formulae are given for the probable errors of linkage and reduplication values calculated from the offspring of crosses of typ\(A B . a b \times a b a b, A b . a B \times a b a b, A B . a b \times A B . a b\), and \(A b . a B \times A b, a B\).
2. A method is given by which the best possible linkage values may be calculated from the offspring of the latter two crosses, i.e. from \(F^{\prime}\).
3. If this methol is employed, \(F_{2}\) is almost as acenrate a means of measuring linkage as are the offspring from \(F_{1} \times\) double recessive : it is also slightly more sensitive as a means for the detection of linkage.

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*

\title{
THE COMBINATION OF LINKA(BE VALUES, ANJ THE CALCULATION OF HISTAN(ES BEOTWEEN THE LOCI OF LINKEI FACTORS.
}

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}

\section*{(With One Text-figure.)}

On the theory that the degree of linkage between two factors depends on the distance apart of their loci in a chromosome, Morgan and his fellow-workers have taken the distance between two loci as proportional to the cross-over value \({ }^{1}\) of the factors located in them. This theory gives consistent results when the cross-over values are small, but, as recognised by Sturtevant, and by Morgan and Bridges(1), is not accurate for larger values. On the reduplication theory Trow( 2 ) has given a formula for the combination of linkage values which is shown below to be inaccurate when the linkage is not close. In the present paper a more accurate theory of the relations inter se of the cross-over values, and of their connexion with the distances apart of the loci of factors in a chromosome, is developed. Some such theory is especially necessary when dealing with a group of factors containing few members not very closely linked.

Suppose \(A, B, C\) to be three factors whose loci lie in that order in the same chromosome. Let \(m\) be the cross-over value for \(A\) and \(B\), \(n\) that for \(A\) and \(C\). If the chromosomes were perfectly Hexible, so that the fact of their having crossed between \(A\) and \(B\) did not diminish the probability of their crossing again between \(B\) and \(C\), we should expect a triply heterozygous organism to produce gametes in the foll

\footnotetext{
\({ }^{1}\) If zygotes of comporition \(A B\). al, and \(A b\). a \(B\) give gametic seriew
 respectively, then \(m\) is said to be the cross-over value for the factor- \(t\) and f :
}
lowing proportions if it were of composition \(A B C . a b c\), and similarly for other compositions :


Actually the last class has been shown to be in defect in many cases. This has been thought to be due to the loops formed by the chromosomes during synapsis having a modal length(3). If this were so, we should expect to find an excessive number of double cross-overs when the distance between the loci of \(A\) and \(C\) was equal to twice the modal distance between points of crossing over. This phenomenon has however not been recorded. The shortage of double cross-overs can equally well be explained by the mere rigidity of the chromosomes, which makes sharp bending difficult. In the sex chromosome of Drosophila the ratio \({ }^{1}\) of observed to calculated numbers of double cross-overs is \(58: 1\) for eosin (white), vermilion, and sable (4) (where \(m+n=406\) ), and \(21: 1\) for vermilion, sable, and bar (3) (where \(m+n=239\) ).

If the calculated number \(m n\) of double cross-overs occurred, the cross-over value for \(A\) and \(C\) would be equal to the total number of single cross-overs, i.e. to \(m(1-n)+(1-m) n\), or \(m+n-2 m n\).

If double cross-overs were impossible, but the full numbers of single cross-overs occurred, as would happen if the chromosomes were straight rigid rods, the cross-over value for \(A\) and \(C\) would obviously be \(m+n\) (Morgan and Bridges' formula).

Finally if double cross-overs were impossible, and in every case where one should have occurred according to the calculation above, a single cross-over took its place, the cross-over value for \(A\) and \(C\) would be \(m+n-2 m n+m n\), or \(m+n-m n\). This case might be approximately realised if the chromosome could not form loops shorter than some definite length.

Hence the cross-over values for \(A\) and \(C\) should be approximately \(m+n\) when \(m\) and \(n\) are small, \(m+n-2 m n\) when their sum is large, and \(m+n-m n\) for intermediate values.

Table I contains the observed values(5) for all triads of factors in the sex chromosome of Drosophila for which each of the cross-over values exceeds \(1(10 \%)\). The first column gives the three factors concerned in each case; the second and third columns give the cross-

\footnotetext{
\({ }^{1}\) Called by Muller the "coincidence."
}
over values for the first and socond, and woond and fhat facome respectively, i.e. \(t\) and \(n\). 'The fourth, fifth, and sivth collamben give the resultes of the threr provisiomal smmmation formulan attambel


TABIAK 1.

and third factors. In the eighth column these whemped values an classified as follows:
\[
\begin{aligned}
& \text { Gireater than } m+\prime \text {. . . . . a } \\
& \text { Between } m+n \text { and } m+n-m \text {. . . A } \\
& m+n-m \prime \prime \text { and } m+n-2!\prime \prime \prime \text {. . y } \\
& \text { Less than } m+n-2 m n \text {. . . . . } \text {. }
\end{aligned}
\]

Those exactly equal to \(m+n\) are clasified as as and ow in. The data are placed in the order of the magnitudes of "I * 1 . Wher any
of the three observed values is based on a count of less than 500 individuals (in which case the probable error of the cross-over value may exceed \(1.5 \%\), as pointed out by the author(6) elsewhere) a query is placed in the last column.

It will be seen that the observed values, when \(m+\dot{n}\) exceeds \(\cdot 5\), lie almost wholly between \(m+n-m n\) and \(m+n-2 m n\), as demanded by the theory above. The three discordant values out of 19 are no more than would be expected in view of the probable errors of the observations due both to small numbers and differential mortality. When \(m+n\) is less than 5 the results are somewhat more irregular, as the calculated values from the three formulae are not very different, but the majority of observations lie between \(m+n\) and \(m+n-m n\), as demanded by the theory.

This table also enables us to test the formulae given by Trow (2), based on the reduplication theory. If reduplication takes place so that \(A\) and \(B\) when coupled give the gametic series
\[
q A B: 1 A b: 1 a B: q a b\left(\text { cross-over value } m=\frac{1}{q+1}\right)
\]
whilst \(B\) and \(C\) give the series
\[
r B C: 1 B c: 1 b C: r b c\left(\text { cross-over value } n=\frac{1}{r+1}\right),
\]
then \(A\) and \(C\) should give the series
\[
\begin{aligned}
& (q r+1) B C:(q+r) B c:(q+r) b C:(q r+1) b c \\
& \quad\left(\text { cross-over value }=\frac{q+r}{q r+q+r+1}\right) .
\end{aligned}
\]

This latter value \(=\frac{1}{q+1}+\frac{1}{r+1}-\frac{2}{(q+1)(r+1)}=m+n-2 m n\). Hence on this hypothesis the observed cross-over values for \(A\) and \(C\) should cluster round \(m+n-2 m n\), and approximately equal numbers should be greater or less than it. In other words, as many values should fall in class \(\delta\) as in classes \(\alpha, \beta\), and \(\gamma\) together.

The expectation is therefore \(18(\delta), 18(\alpha, \beta\), and \(\gamma)\); the actual numbers are \(3.5(\delta), 32.5(\alpha, \beta\), and \(\gamma\) ), reckoning the single value \(\gamma \delta\) as half in each class. Hence the above form of Trow's theory is untenable.

On a more complicated form of the same theory, which Sturtevant(7) has shown to be impossible on other grounds, \(A\) and \(C\) when coupled
 position A \(B C^{\circ}\). alk, a suriow
\[
\begin{aligned}
&(\eta r s+s) \cdot A^{\prime}:(\eta+r) A c:(\eta+r) a \prime^{\prime}:(\eta r s+s)(a r: \\
&(\text { (0rossoner valure }= y+r \\
&\eta r+\eta+r+s)
\end{aligned}
\]

As this value is less than that of \(m+n-2 m n\), if is stll mone cloaly impussible.

The supporters of the reduplication theory mast therefore "xplan the deficiency of the double cross-over classes of gamete (which from a zygote of composition \(A B C^{\prime}\). abc are \(A b C^{\prime}\) and a \(B C\) ). (In the chromwsome theory this is due to the rigidity of the chromosomes, and until an equally plausible explanation on the reduplication theory is gir.n, the chromosome theory must be considered the more probable of the two, so far as the class of evidence dealt with in this paper is concerned.

It has been shown above that if \(A, B\) and \(C^{\prime}\) are three facturs whose loci lie in that order in the same chromosome, and if \(m\) and \(n\) are the cross-over values for \(A, B\), and \(B, C\) respectively, then the value for \(A\) and \(C\) is \(m+n-p m e n\), where \(p\) is a number between 0 and 2 , increasing on the whole with \(m+n\), and having the value 1 when \(m+n=\) about \(\%\). The distances between loci may now be calculated as follows :

Let \(x\) be the distance between the loci of two factors, \(y\) their crossover value, and let the unit of distance be chosen so that when \(y\) is sufficiently small \(x\) becomes equal to \(y\). This assumption is legitimate if we suppose that crossing over is as likely to occur (other things being equal) at one point in the chromosome as another, i.e. that the chromosome is equally Hexible and breakable at all points. The unit of distance is thus 100 times Morgan's unit.

If now we write \(y=f(x)\), the form of this function being indeterminate,
\[
\begin{gathered}
\therefore f(x+h)=f(x)+f(h)-p f(x) f(h) \text {, where } h \text { is any increment of } x . \\
\therefore \begin{array}{c}
f(x+h)-f(x)=f(h)-p f(x) \dot{f}(h) \\
h
\end{array}
\end{gathered}
\]

Now as \(h\) is decreased towards \(0, \frac{f(h)}{h}\) tends to the limit 1.
\[
\begin{aligned}
\therefore \frac{d y}{d y} & =\mathrm{Lt}_{h \rightarrow 0} f(x+h)-f(x) \\
& =\mathrm{Lt}_{h \rightarrow 0} f(h)-p f(x) f(h) \\
& =1-p f(x), \text { where } p \text { has the value assumed when } m-y, n \quad 0 . \\
& =1-p y .
\end{aligned}
\]

Therefore
\[
x=\int_{0}^{y} \frac{d t}{1-p t} \text {, since } x \text { and } y \text { vanish together, and } p y<1 .
\]

Hence if \(p\) were constant we should have
\[
\begin{equation*}
x=\frac{-1}{p} \log _{e}(1-p y), \text { or } y=\frac{1-e^{-p x}}{p} \tag{1}
\end{equation*}
\]

Since however \(p\) varies between 0 and 2 , the values of \(x{ }^{\circ}\) must lie between \(y\). and \(\frac{-1}{2} \log _{e}(1-2 y)\), those of \(y\) between \(x\) and \(\frac{1-e^{-2 x}}{2}\); the equation
\[
\begin{equation*}
y=x \tag{2}
\end{equation*}
\]
being nearly accurate for small values of \(x\) and \(y\), the equation
\[
\begin{equation*}
y=\frac{1-e^{-2 x}}{2}, \text { or } x=\frac{-1}{2} \log _{e}(1-2 y) \tag{3}
\end{equation*}
\]
for large values of \(x\) and \(y\), as is obvious, since for large values of \(x\), \(y\) approaches the value 5 asymptotically. The equation (2) corresponds to Morgan's summation formula \(m+n\), the equation (3) to Trow's formula \(m+n-2 m n\).

The equation (3) may be deduced more directly as follows for a perfectly flexible chromosome:

Let a length \(x\) of the chromosome be considered as divided into a very large number \(N\) of small equal portions. Then the chance of a cross-over in each of these is approximately \(\frac{x}{N}\). Hence the chance of a cross-over in \(t\) of these segments and no more is
\[
\frac{N!}{t!(N-t)!}\left(\frac{x}{N}\right)^{t}\left(1-\frac{x}{N}\right)^{N-t}
\]

When \(N\) becomes infinite the limiting value of this expression, i.e. the probability of exactly \(t\) and no more cross-overs in a length \(x\), is
\[
\begin{equation*}
c_{t}=\frac{x^{t} e^{-x}}{t!} \tag{4}
\end{equation*}
\]

Hence the value of \(y\) for a given value of \(x\) is the sum of the probabilities of all odd numbers of cross-overs.
\[
\begin{align*}
\therefore y & =c_{1}+c_{3}+c_{5}+c_{7}+\ldots \ldots \\
& =e^{-x}\left(\frac{x}{1!}+\frac{x^{3}}{3!}+\frac{x^{5}}{5!}+\frac{x^{7}}{7!}+\ldots \ldots\right) \\
& =e^{-x} \sinh x \\
& =\frac{1-e^{-2 x}}{2} \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \tag{3}
\end{align*}
\]





 Morganis unit of distance is therefore a centhomergall.
 the corves represellting eglations ( \(\because\) ) and (3) and then whation
 as closely as prasible. This hat been dome in the figure, whe. lime (1)

\[
x=7 y-\ddot{2}_{2}^{3} \log ,(1-2!y)
\]

Equation (o) is morely chosen to give an gond a fit at pronthe.
 observations are photud as follows:
 corresponding distances in morgans (values of a) read off from chave (o) or Table II. which is calculated from equation (5). These latter are added together. and a point plotted with their sum ats abocisa and the observed crossoser value from column 7 of Table \(I\) as ondinate. For example the first row of Table I gives the following result :

The cross-over values +12 and 236 correspond, according to the curve (c), or better, by interpolation from Table. II, to distances of ist9 and 261 morgans respectively. The sum of these distances is sho and the observed cresseover value from column 7 is 460 . The peint farthest to the right is accordingly plotted with abocisas 810 and ontinate tol). Curve ( \(c\) ) gives the value 479 for \(y\), and the error of \(y\) is accordingly -019 , or 19

It will be seen that 18 of the observations lie abowe the course (o) is lefow, and that in only \(t\) castos, 3 of which ate atmeng the fande queried in Table I, dees the error of \(y\) exceed 04 or 4 . The probable error of the cross-over values, as calculated from the curve, is I B . . 4 .
 the probable errors of the values of ! for the prints pholed, which ranes from \(3 \cdot 1^{\circ}\) downwards.
 these are not photed, as they do not allow of much diacrimimation be.
tween the three equations. If the points had been plotted from either line (a) or curve (b), \(3 \frac{1}{2}\) would have lain on one side, \(32 \frac{1}{2}\) on the other, as may be seen from Table I.

Hence the curve (c) may be taken as a fairly accurate guide to the combination of linkage values, and this remains equally true whether the chromosome theory is adopted or not. For this reason a series of values of \(100 x\) and \(100 y\) (i.e. distances in centimorgans and cross-over values as percentages) calculated from equation (5) are given in Table II. As more results accumulate it should be possible to correct these values, which are rather uncertain for large values of \(x\) and \(y\).

\section*{TABLE II.}
\begin{tabular}{lllllllllllll}
\(100 y\) & (Cross-over value as percentage) & \(0 \cdot 0\) & \(5 \cdot 0\) & \(8 \cdot 0\) & \(10 \cdot 0\) & \(11 \cdot 0\) & \(12 \cdot 0\) & \(13 \cdot 0\) \\
\(100 x\) & (Distance in centimorgans) & \(\ldots\) & \(0 \cdot 0\) & \(5 \cdot 1\) & \(8 \cdot 2\) & \(10 \cdot 3\) & \(11 \cdot 4\) & \(12 \cdot 5\) & \(13 \cdot 6\) \\
\(100 y\) & \(\ldots\) & \(14 \cdot 0\) & \(15 \cdot 0\) & \(16 \cdot 0\) & \(17 \cdot 0\) & \(18 \cdot 0\) & \(19 \cdot 0\) & \(20 \cdot 0\) & \(21 \cdot 0\) & \(22 \cdot 0\) & \(23 \cdot 0\) & \(24 \cdot 0\) \\
\(100 x\) & \(\ldots\) & \(14 \cdot 7\) & \(15 \cdot 9\) & \(17 \cdot 0\) & \(18 \cdot 1\) & \(19 \cdot 3\) & \(20 \cdot 5\) & \(21 \cdot 7\) & \(22 \cdot 9\) & \(\mathbf{2 4 \cdot 1}\) & \(25 \cdot 3\) & \(26 \cdot 6\) \\
\(100 y\) & \(\ldots\) & \(25 \cdot 0\) & \(26 \cdot 0\) & \(27 \cdot 0\) & \(28 \cdot 0\) & \(29 \cdot 0\) & \(30 \cdot 0\) & \(31 \cdot 0\) & \(32 \cdot 0\) & \(33 \cdot 0\) & \(34 \cdot 0\) & \(\mathbf{3 5 \cdot 0}\) \\
\(100 x\) & \(\ldots\) & \(27 \cdot 9\) & \(29 \cdot 2\) & \(30 \cdot 5\) & \(31 \cdot 9\) & \(33 \cdot 3\) & \(34 \cdot 7\) & \(36 \cdot 2\) & \(37 \cdot 7\) & \(39 \cdot 3\) & \(\mathbf{4 0 \cdot 9}\) & \(\mathbf{4 2 \cdot 6}\) \\
\(100 y\) & \(\ldots\) & \(36 \cdot 0\) & \(37 \cdot 0\) & \(38 \cdot 0\) & \(39 \cdot 0\) & \(40 \cdot 0\) & \(41 \cdot 0\) & \(42 \cdot 0\) & \(43 \cdot 0\) & \(44 \cdot 0\) & \(45 \cdot 0\) & \(46 \cdot 0\) \\
\(100 x\) & \(\ldots\) & \(44 \cdot 3\) & \(46 \cdot 1\) & \(48 \cdot 0\) & \(50 \cdot 0\) & \(52 \cdot 2\) & \(54 \cdot 4\) & \(56 \cdot 9\) & \(59 \cdot 6\) & \(62 \cdot 6\) & \(66 \cdot 0\) & \(70 \cdot 1\) \\
\(100 y\) & \(\ldots\) & \(47 \cdot 0\) & \(48 \cdot 0\) & \(49 \cdot 0\) & \(49 \cdot 5\) & \(49 \cdot 7\) & \(49 \cdot 8\) & \(49 \cdot 9\) & \(50 \cdot 0\) & & & \\
\(100 x\) & \(\ldots\) & \(75 \cdot 1\) & \(81 \cdot 9\) & \(93 \cdot 0\) & \(99 \cdot 2\) & \(109 \cdot 4\) & \(117 \cdot 7\) & \(128 \cdot 1\) & \(\infty\) & & &
\end{tabular}

As an example of the use of this table the following problem may be taken:
"The factors \(A\) and \(B\) give a cross-over value of \(38.5 \%\), the factors \(B\) and \(C\) a value of \(22.7 \%\). What is the value for \(A\) and \(C\) ?"

From the table we find by interpolation that the distance \(A B\) is \(49 \cdot 0\) centimorgans, the distance \(B C \mathbf{2 4 . 9}\). Hence the distance
\[
A C=A B \pm B C=73 \cdot 9 \text { or } 24 \cdot 1 \text { centimorgans. }
\]

The cross-over value is therefore \(46.8 \%\) or \(22.0 \%\), according as \(C\) lies outside \(A B\) or between \(A\) and \(B\). Morgan's formula would have given \(61.2 \%\) (an impossible value), or \(15.8 \%\); Trow's formula \(43.7 \%\), or \(28.9 \%\) (by solving the equation \(m+227-2 m \times \cdot 227=385\) ). On the reduplication theory the result from \(A B+B C\) corresponds to the view that the reduplication between \(A\) and \(C\) is "secondary" to those between \(A, B\) and \(B, C\); the result from \(A B-B C\) to the view that the reduplication between \(A\) and \(B\) is secondary to those between \(A, C\) and \(C, B\).

It should be remarked that the existence of a quantity \(x\) which has the property demonstrated above is not a conclusive proof of the chromosome theory, and indeed such a quantity may occur in certain forms (e.g. Trow's) of the reduplication theory. However the fact that the
values of \(x\) correspend th those demanded for the damanos oll the hyper
 proint in favour of that hypothesis.

We have now the data for a faitly acondede indmate el the pet.al

 we have:
\begin{tabular}{|c|c|c|}
\hline Factorm &  & \[
\begin{aligned}
& \text { I(M) \& (frol") } \\
& \text { Tabise II) }
\end{aligned}
\] \\
\hline Vellow White & \(1 \cdot 1\) & \(1 \cdot 1\) \\
\hline White-Vermilion & \(30 \%\) & : 61 \\
\hline Vermilion Sar & \(23 \cdot 4\) & \(26 ;\) \\
\hline Mar-lethal ac & \(\mathrm{N} \cdot 3\) & N.is \\
\hline Totals & 63.8 & \(71 \therefore\) \\
\hline
\end{tabular}
 Bridges estmate (S) of \(666^{\circ}\). The diserepancy is due to the fact that m some comparatively long segments of the chremomome (eq. lo.two.. the
 factors haw been lexated, and such distances tend tob buderesthated It may also be due in part to the large probable error insolsed in using a large number of small distances.

From equation ( 4 ) we may calculate the proportion of chromosomes giving \(t\) cross-overs in the known region. These values are inconrect, owing to the rigidity of the chromosome, \(c_{1}\) being too low, the remainder too high. The theoretical values are:

and so on.
The value of \(c_{1}\) is tow low, the others too high. The real value of \(c_{1}+c_{3}+c_{3}+\ldots\) is the crossover value of \(46: 3 /\), and Margan(s) gives \(c_{2}+c_{4}+c_{6}+\ldots\), the number of double cras-enere (inclading quad. ruplese etc.), as about 10 , su that \(c_{0}\) should be about \(4: 3\). Whan the relation between \(x\) and \(y\) is aceurately known it will be pasible to calculate the values of \(c\), with accuracy by integration.

It is believed that the above method of estimating distances will prove of considerable value when applied to comparatively long chromosomes in which factors are sparsely located, such as the second and third in Drosophila, since there is no reason to suppose that the relation arrived at between distance and cross-over value is peculiar to the sex chromosome in Drosophila. The results of investigations on these chromosomes should go far to confirm or refute the theory.

Outside Drosophila the best series of results on which to test it are those of Altenburg (9) with the three factors \(M, S\), and \(G\) in Primula sinensis, quoted by Punnett(10) in a recent paper. Here the cross-over value for \(M\) and \(S\) is \(11.6 \%\), for \(M\) and \(G 34.0 \%\), for \(S\) and \(G 40.6 \%\), each result being based on 3684 individuals. By Table II the distance \(S M\) is \(12 \cdot 1\) centimorgans, \(M G 40 \cdot 9\), and hence \(S G\) is 55.0 centimorgans (assuming the loci to lie in the order \(S M G\) ). Hence the cross-over value for \(S\) and \(G\) should be \(40.4 \%\), the observed value being \(40.6 \%\), a very nearly perfect fit. The addition formula gives \(45.6 \%\), Trow's formula \(37.7 \%\). The probable error of the calculated result is \(64 \%\), of the observed \(55 \%\). Hence the probable value of their difference is \(84 \%\), and though the close agreement is accidental, both the alternative formulae are impossible.

In the case of Punnett's(10) results for sweet peas the agreement is also good, but owing to the closeness of the linkage, the three formulae give nearly equal values. There is, however, no reason to suppose that Table II does not represent with fair accuracy the relation between distance and cross-over value in all organisms, though the absolute value in \(\mu \mu\) of the unit of distance, or morgan, is presumably different in different cases.

\section*{Summary.}

By a consideration of the observed gametic ratios of the sex-linked factors in Drosophila, the following results, among others, are arrived at:
1. If \(A, B\), and \(C\) are three factors lying in a chromosome in that order, and if \(m\) is the cross-over value for \(A\) and \(B, n\) that for \(B\) and \(C\), then the value for \(A\) and \(C\) lies between \(m+n\) and \(m+n-2 m n\), being nearer to the former when \(m+n\) is small, to the latter when it is large.
2. A relation is arrived at, on the hypothesis that the chromosomes are partially rigid, between cross-over value and distance, which permits of the calculation of one of the cross-over values for three factors from the other two, with a probable error of less than \(2 \%\).
 chromosables, and the mumber of domble and triple creme onere la, in. expecteal in a large distabce.
t. The results from Dramphila are incompathle wht 'T1..." \& Path
 of \(i t\).


\section*{}
 Inspitution "! Washimaton, I!日f6, p. 21.
 1. 22. 1:113.

4. l.ow. .it. 1 . 37.
\(\therefore\) Low. if. P. Nt.




4 Mobsias and BromiEs. Lone wif. p. A.

 No. 3, 1917.

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[^0]:    ${ }^{1}$ We are indebted to the kindness of Dr R. N. Salaman for procuring these animals

[^1]:    ${ }^{1}$ Davies ('17) speaks of modern Polish, Himalayan, Dutch, and Tan varieties approximating closely in size to their wild prototype, and he also mentions 3 lbs as the weipht of a Himalayan doe. This is very much less than the weight of such a doe 10 - 15 years back. Apparently the trend of the fancy has been towards smaller size for these hreeds in recent years.
    ${ }^{2}$ For these animals and for sundry information about them our thanks are due to Professor J. Stanley Gardiner.

[^2]:    ${ }^{1}$ In the rat growth is apparently continuous, and there would appear to be no definite check at sexual maturity (cf. Donaldson, '15, pp. 66 and 67).

[^3]:    ${ }^{1}$ Cf. Jarwin (91) If. p. 2s1; 1)onaldson (15) ; Phillips ( 12 ) ; Punnett and Bailey (1f).

[^4]:    ${ }^{1}$ This is supported by the results from a further generation of three Flemish now being reared. At the age of 10 months the $\sigma$ weighed 6 lbs .0 oz ., while the two does were respectively 6 lbs .8 oz . and 6 lbs .4 oz .

[^5]:    1 The animals were generally weighed at intervals of a month. Since the litters were produced irregularly the weight at 4 months sometimes refers to animals a little over and sometimes a little under this age. Members of the same litter were of course always weighed at the same age. Weight at 12 months means maximum attained by 12 months.

[^6]:    ${ }^{1}$ This is contrary to the opinion of Huth (87) who inbred rabbits for seven generations to test this point. Though the average weight of his animals at the end of his experiment was as heavy as at the beginning he does not state the numbers upon which ihese averages were based. Nor does he give the weights of the parents in any case. His figures do not preclude the possibility that he selected the heaviest parents in each generation to breed from, so that any effect due to inbreeding might have been masked by unconscious selection of genetic factors for increased size. That close inbreeding may be accompauied by an increase in size, provided that the largest and most vigorous animals are selected for breeding from, is brought out by the recently published experiments of Mins H. 1). King ('18) with rats.

[^7]:    ${ }^{1}$ See more especially Johannsen, $1 V^{\circ}$ C Compérence Internatonule de (iénitique. Paris, 1911, and Emerson, The American Naturalixt, June 1913. A good general discussion on the subject is to be found in Baur's Eintilhrung in die experimentelle Ver, rhangslehte. 2 Auf. 1914, pp. 288 seq.
    z Journal of Geneticx, Vol. 1. 1911.

[^8]:    ${ }^{1}$ Journal of Genetics, Vol. I. 1911 ; ibid. vol. III. 1913.
    ${ }^{2}$ Cf. Rep. Evol. Comm. Roy. Soc. iv. 1908, pp. 9 seq. where details will be found of the various characters entering into the cross.

[^9]:    ${ }^{1}$ Recorded in Journal of Gencticx, Vol. r. 1911, p. 29.\%.
    ${ }^{2}$ Recorded in Journal of Genetica, Vol. 111. 1913, pp. 102, 103.

[^10]:    ${ }^{1}$ Some of the results contained in this paper were published in But. Mag. Tikyi, Vol. xxx. 1916, pp. 316-320.

    2 Die Bustardbefruchtung im Phanzenreich erliatert an den Liastarden der Hiiden. Breslau, 1865.

[^11]:    ${ }^{1}$ Planzenleben, Bd ıı. 2 Ausg. 1905, p. 510.

[^12]:    ${ }^{1}$ Wichura, l. c. p. 5.
    ${ }^{2}$ L. c. p. 6.
    ${ }^{3}$ The table placed at the end of this paper will indicate all hybridisations done by me. with their respective successes and failures.
    ${ }^{4}$ As to the scientific names of these two Salix-species the opinions of our systematists do not accord with each other, and I do not know whether or not the names employed in this paper are really the correct ones.

[^13]:    ${ }^{1}$ In both 1912 and 1918 a number of female catkins of S. gracilistyla were repeatedly dusted with plenty of pollen of S. multinervis, yet only very few ovaries in each catkin (only 1-10 out of some 400 ones in one catkin) have swollen to a certain extent, and after a few days all of these catkins have fallen off. In 1918 however only one catkin remained on the tree, and some 10 small fruits on it came to open, but were found to contain a few tiny seed-rudiments with seed-hairs normally developed.
    ${ }^{2}$ Except few, very young leaves yet inrolled in the bud, which are very sparingly hairy.

[^14]:    ${ }^{1}$ Some of the inner leaves in buds, and sometimes a few very small ones crowded together at the base of young branches, are more or less hairy.

[^15]:    ${ }^{1}$ All $F_{2}$ plants were examined for stipules every year, and several times each year in different stages of the development of their branches.

[^16]:    ${ }^{1}$ Lunds L'niversitets Arsskrift, N.F., Afd. 2, Bd vir. 1911, p. 18.

[^17]:    ${ }^{1}$ For description, see below, p. 44.
    2 This year (1918) almost all the offspring derived from this fertilisation were found to possess some buds containing young catkins, but many of the latter ceased to grow in their very young stages, having been killed by the severe frosts of last winter, so that I was able to ascertain in 18 trees oniy the type of catkins borne by each of them.

[^18]:    ${ }^{1}$ With some reserve in the case of $M$-type plants, because I was not able to get make $M$-typed plants in $F_{1}$, and have depended upon the fertilisation $M$-type $F_{1} \times M$-type $F_{2}$.
    ${ }^{2}$ At least to the naked eye, because examined under the microscope, the bracts of catkins of this form are found to possess a few short hairs.

[^19]:    ${ }^{1}$ See, for instance, Dic Mutationstheorie. Bd 1. Mp. 211, 212 and Bd 11. pp. 425. 426; also Gruppenceise Arthildun!. 1. 302 ff .

    2 The Mutation Factor in Evolution, p. 286 fif.
    ${ }^{3}$ Zeits. $f$. ind. Abstammungs- und Vererbungiletere, Bd xit. 1914, p1, 1-13.

[^20]:    ${ }^{1}$ Reports to the Ecolution Committee of the Roynal Society, Report II, 1905, pp. 114-116.

    * Carneyie Inst. Washington Publ. No. 121, 1900; Amer. Niat. Vol. xav. 1910, pp. 129-135; Amer. Breeders' As8oc. Vol. vi. 1911, pp. 29-32, etc.
    ${ }^{3}$ Carnegie 1nst. Washington Publ. No. 121, p. 19, Table 10.
    + L.c. pp. 20, 21, Tables 11 and 12.
    ${ }^{5}$ Recherches erperimentales sut !'Herdite rhez las lors in Soir. These Faculte d. Sciences, Lille, 1902. "I Leland Stanford Junior l'nit. P'ubl., U'nicersity Sericx 1, 190x.

[^21]:    ${ }^{1}$ Zeits. f. ind. Abstammungs- u. Vererbungslehre, Bd viI. 1912, pp. 252-288.
    ${ }^{2}$ Bibliotheca Botanica, Heft LiII. 1901, pp. 53-55.
    ${ }^{3}$ Ann. R. Bot. Garden Peradeniya, Vol. III. 1906, pp. 117-129.
    4 The Connecticut Agric. Exp. Station, Bull. 167, 1912, pp. 57-100.
    ${ }^{5}$ Ann. R. Bot. Garden Peradeniya, Vol. v. 1912, pp. 257-264.
    ${ }^{6}$ Lock, l. c. p. 257.

[^22]:    ${ }^{1}$ Factors may be present, which do not by themselves alone produce any visible effect, or at least can produce some effects which are so insignificant as to escape our eyes. Such factors are "invisible ones" which are able to produce visible effects only in co-operation with other ones, either visible or invisible. Further, it is here supposed that only one of the parents carries invisible factors, but it will make no difference whatever in our logic, if we consider them to be carried by both parents.
    ${ }_{2} \mathbf{G}=G$-type, $\mathbf{g}=$ absence of $\mathbf{G}=M$-type; the factorial composition may really be much more complex, but it is here so represented for the sake of simplicity.

[^23]:    ${ }^{1}$ Report to the Erolution Committee of the Royal Society, Report I, 1902, p. 155.
    2 Versuche und Beobachtungen ïber die Bastarderzeugung im Pflunzenreich, Stuttgart, 1849, p. 37.

[^24]:    ${ }^{1}$ Mémoire de la Soc. des Sciences physiques et naturelles de Bordeaux, 4 Série, tom. iv. 1894, pp. 347-372.
    ${ }^{2}$ Besides Fragaria false hybrids were observed by Millardet in Rubus (l.c.) and Vitis (Revue de Viticulture, tom. xvi. 1901, the original paper not seen, reviewed in Winkler, Prog. Rei Bot. Bd ir. 1908, p. 344.
    ${ }^{3}$ Bot. Zeit. 1. Abt. Jahrg. 65, 1907, p. 53.
    ${ }^{4}$ Journ. of Heredity, Vol. viI. 1916, pp. 106-118.
    ${ }^{5}$ Journ. R. Hort. Soc. Vol. xxix. 1900, pp. 104-106.
    ${ }^{6}$ Zeits. f. ind. Abstammungs- und Vererbungslehre, Bd xı. 1914, pp. 1-13.
    ${ }^{7}$ Die Mutationstheorie, Bd II. p. 31, and Gruppenweise Artbildung, pp. 156-159.
    ${ }^{8}$ Carnegie Inst. Washington Publ. No. 24, 1905, p. 17 ff.

[^25]:    ${ }^{1}$ Overton, liot. (iaz. Vol. xxxili. 1902, py. 363-374; lier. d. lerutsch. Bot. (ites. Bd xxil. 1904, pp. 274-283.
     mung* u. Vererlnu!!-l-hre, Bdin. 1910. pp. 211--28.).
    ${ }^{3}$ L.c. + Solms Laubach, 1 c. p. 53.

[^26]:    ${ }^{1}$ For instance, Hurst, l.c. p. 106 ; Winkler, l.c. p. 333.
    ${ }^{2}$ Die Pflanzénmischlinge, Berlin 1881, p. 525.
    ${ }^{3}$ Comptes-rendus de la Soc. de Biologie, cinquantenaire de la Soc. 1899, Vol. jubilaire, p. 665 ; Comptes-rendus hebdomad. des Séances de la Soc. de Biologie de Paris, Vol. Lv. 1903, p. 779 (original not seen; cited according to Solms-Laubach, l.c. p. 53).
    ${ }^{4}$ Histol. Beiträge, Heft vir. 1909, pp. 43-46.

[^27]:    ${ }^{1}$ Archir.f. Entuicklungsmechanik der Organismen, Bd xxvir. 1909, pp. 434-462.
    ${ }^{2}$ Archiv f. Zellforschung, Bd v. 1910, pp. 497-621.
    ${ }^{3}$ Ibid. Bd vili. 1912, pp. 352-395.
    4 Archiv f. Entwickhong*mechanik, Bd xxxin. 1912, pp. 196-254.
    ${ }^{5}$ L.c.
    ${ }^{6}$ Archir f. Entıricklungsmechanik, Bd xx. 1906, pp. 574-643.
    ' L.c.

[^28]:    ${ }^{1}$ Zeits. $f$. ind. Abstammungs- und Vererbungslehre, Bd viII. 1912, pp. 325-333; IV e Confêrence internationale de Génétique, 1913, pp. 416-428.
    ${ }^{2}$ Zeits. f. ind. Abstammungs- und Vererbungslehre, Bd x. 1913, pp. 175-232.

[^29]:    ${ }^{1}$ Seeds from this cross were obtained by Mr Nohara.

[^30]:    ${ }^{1}$ I shall sometimes use this word to indicate such a white patch.
    2 The word "yellow" is used always in this paper for brevity's sake, but naturally it means yellowish green.
    ${ }^{3}$ This colour corresponds nearly to No. 42 (Rouge) of the "Code des Couleurs" by Klincksieck and Valette, Paris, 1908.

[^31]:    ${ }^{1}$ This lies between No. 566 and 571 (Violet rouge) of the "Code des Couleurs."
    ${ }^{2}$ The letters $a-f$ in the Tables indicate the different individuals of the $6 F_{1}$ plants which were bred from.

[^32]:    ${ }^{1}$ Deviation from the theoretical number.
    ${ }^{2}$ Standard error.

[^33]:    ${ }^{1}$ The Anthocyanin Pigments of Plants. Cambridge, 1916, p. 24.
    ${ }^{2}$ Journ. Coll. Science, Tôkyô Imp. University, Vol. xxvir. 1909, pp. 1-5.

[^34]:    ${ }^{1}$ Journal of Genetics, Vol. vi. pp. 317-339.

[^35]:    ${ }^{1}$ Bateson and Saunders, Rept Evol. Com. Roy. Soc. 1901, pp. 1-160.
    ${ }^{2}$ L.c.
    ${ }^{5}$ T. Tammes, Rec. Trav. Bot. Néerl. Vol. viII. 3, 1911, pp. 201-288.
    ${ }^{*}$ R. S. Finlow and I. H. Burkill, Mem. Depart. Agric. India. Bot. Vol. iv. 4, pp. 73-92.
    ${ }^{5}$ W. L. Balls, Journ. Agric. Sci. Vol. II. 1908, pp. 346-379.
    ${ }^{6}$ H. de Vries, Ber. Deut. Bot. Ges. Vol. xviri. 1900, pp. 83-90.
    7 H. M. Leake, Journal of Genetics, Vol. i. 1911, pp. 205-272.
    ${ }^{8}$ G. H. Shull, Amer. Nat. Vol. xvir. 1908, pp. 433-451.
    ${ }^{9}$ E. R. Saunders, Proc. Roy. Soc. Vol. Lxxxv. B, 1912, pp. 540-545.

[^36]:    ${ }^{1}$ See Journ. Agric. Sici. Vol. vin. p. 455 (1917).

[^37]:    ${ }^{1}$ See The New I'hytologixt. Vol. 111. p. 110 (1904).
    ${ }^{2}$ In this Experiment and in all the following ones, the conditions of growth were normal.
    " In each of these Experiments a different potted " cut" was ured.

[^38]:    1 The date was May 22, 1917.
    ${ }^{2}$ A young leaf on this shoot of $O R 38$ was pricked with a pin at two places, causing respectively one and three holes, and then inoculated over the wounds with conidia taken from patches of mildew on various hop-plants. No infection resulted. (In other cases susceptibility to the attack of the "wrong" biologic form of a mildew has been induced by this method: see Annals of Botany, Vol. xix. p. 125 (1905).)

[^39]:    ${ }^{1}$ No direct inoculations were made on these plants in the hop-garden.

[^40]:    ${ }^{1}$ An attempt was made to induce susceptibility by injury to the leaf. A young leaf of 341 , attached to the stem, was pricked with a pin, 30 holes being made in the half of the lamina on one side of the mid-rib. The injury inflicted did not kill the leaf cells except those immediately surrounding the hole. The whole leaf was inoculated, but no infection resulted.

[^41]:    ${ }^{1}$ Einjiïhung，dc．p． $21 \times$ ，Note．

[^42]:    ${ }^{1} \mathrm{Mr}$ Bintner tells me that this variety is grown in continental nurseries under the name of Duc d'Anjou.

[^43]:    ${ }^{1}$ See "Root-Cuttings, Chimaeras, and Sports," Jour. Gen. Vol. vi. 1916, p. 75.

[^44]:    ${ }^{1}$ Probably due to vicinism.
    ${ }^{2}$ And 1 black.

[^45]:    ${ }^{1}$ By this expression is meant pairs of factors, or groups of pairs, between which the phenomenon of linkage is not found.

[^46]:    ${ }^{1}$ Mém. de l'acad. roy. de Belgique, 1906 ; Bull. de l'acad. roy. de Dielgique, ('lasse dés Sciences, 1907, 1909, 1911.

[^47]:    ${ }^{1}$ Science, N.S. Vol. xlvi. 1917. p. 46;i.

[^48]:    ${ }^{1}$ Annals of Botany, 1915.
    ${ }^{2}$ Annals of Botany, 1906.

[^49]:    ${ }^{1}$ C. Tate Regan, "A revision of the Cyprinodont Fishes of the Subfamily Poeciliinae," Proc. Zool. Soc. London 1913, Vol. ir. pp. 977-1018, 1913.

[^50]:    EXPLANATION OF THE GRAPH.
    Number of rays in the dorsal fin in offspring of 4 pairs of parents all kept at $25^{\circ}$. Graphical representation of the experiment given in Table VII.

    The figures give the number of rays ; each dot represents one individual member of the offspring. The two upper graphs refer to Series A; the two lower ones to Series B of the experiment. The two graphs on the left represent offspring of parents having 6 rays in the dorsal fin, the two on the right represent parents with 8 rays.

    It is to be seen that in each series the offspring is different in spite of the environment being identical,

[^51]:    ${ }^{1}$ The wild ostrich breeds when about four years old but the domesticated bird, largely as a result of high nutrition as a chick and young bird, along with a certain amount of unconscious selection, now usually breeds when between two and three years old, though chicks are sometimes hatched from birds under two years.

[^52]:    ordinary breeds of fowls is spayed she develops the full male plumage, as is also proved above for the hen ostrich. Seeing that the plumage of the cock ostrich is more valuable than that of the hen the results from spaying the latter have an economic bearing and the practice is followed by some farmers.
    ${ }^{1}$ Troland, L. T., "Biological Enigmas and the Theory of Enzyme Action," Amer. Nat. Vol. Li. June, 1917.

[^53]:    ${ }^{1}$ An extra-cranial pineal body has lately been discovered in the ostrich. At a certain stage of development it shows as a black pigmented area or vesicle which later disappears, and only a dark, oval area, devoid of feathers remains in the newly hatched chick and persists throughout life. Apparently the ostrich is the only bird with such a well-defined pineal body, recalling that of the reptilia and persisting as a pineal spot.
    ${ }^{2}$ Hist. Mund. lib. xi. cap. xxxvi.

[^54]:    Journ. of (ient vill

[^55]:    ${ }^{1}$ Of the two original birds one has since met with an accident and died. The birds were procured several years ago from two farmers widely apart, without any suspicion of their number of plumes. It is noteworthy that though search had since been made among the same flock yet in neither case has another 42 -plumed bird been found.

[^56]:    ${ }^{1}$ At extensive series of birds' feet is shown on p. 42.5 of Sedgwick's, Student." Tirt-look of Zoology. Vol. n. 1905, where however the scutellation of Struthin camelus is erroneonsly represented. the scales of the small tow binge depicted as continuous with thone of the tarsus.

[^57]:    ${ }^{1}$ H. F. Osborn, The Age of Mammals, Macmillan and Co., 1910, pp. 29-34.

[^58]:    ${ }^{1}$ Ex-President Roosevelt in African Game Animals, has given much consideration to the question of protective colouration and considers (p. 181) that "Cock ostriches always show jet black, and are visible at a greater distance than any of the common game; the neutral tints of the hens making them far less conspicuous."

[^59]:    ${ }^{1}$ C. B. Davenport, "The Form of Evolutionary Theory that modern Genetical Research seems to farour." Amer. Nat. Vol. i. Aug. 1916.

[^60]:    ${ }^{1}$ See Wynne, The Tuberous Begonia, 1888, p. 16 and Bot. Mag., t. 625 .

[^61]:    ${ }^{1}$ This proportion, a- Table II exmplifies, is apparently quite irregular.

[^62]:    ${ }^{1}$ Since in the original form the ovules were mixed and the pollen was all recessive, the "converse" might appear in one of two forms. Either (1) the ovules might be all dominant and the pollen mixed ; or (2) the ovules might be mixed and the pollen all dominant. As Miss Saunders's plants were tested by self-fertilisation and not by crosses with recessives it cannot yet be declared which of the above possible constitutions they possessed, but she considers there is a presumption that they were really arranged on the second of the two plans. (See Saunders, Jour. Gen. iv. pp. 332 and 359 and compare Pellew, Jour. (Xen. vi. p. 320, \&c.)
    ${ }^{2}$ For a discussion of these Oenothera cases see W. Bateson, Problems of Genetics, 1913, p. 113.

[^63]:    ${ }^{1}$ Jour. Gen. 1917, vi. p. 319.
    2 In the present number of Jour. Gen.

[^64]:    ${ }^{1}$ See Problems of Genetics, p. 66.
    ${ }^{2}$ Noticed by Bond, Jour. Gen. Iv. 1915, p. 341.

[^65]:    ${ }^{1}$ Flowers having this structure were referred to by Wynne, l.c., p. 13, and parts of them are figured by Bond, Jour. Gen. iv. Pl. XVI. Their morphology is obscure, but it seems natural to regard the carpellary walls as represented by a mass of petals. We have never seen a normal female standing in the male position.

[^66]:    ${ }^{1}$ F. G. Hopkins, Phil. Trans. Vol. 186, Part II. p. 661, 1895.

[^67]:    ${ }^{1}$ Further details for the use of this instrument for other purposes are to be found in Measurement of Light and Colour Sensations (George Gill and Sons) and Light and Colour Theories (E. \& F. N. Spon, Ltd.) by J. W. Lovibond, the inventor.

[^68]:    ${ }^{1}$ This method has been suggested for anthropological studies by Eug. Dubois (Man, Vol. vili. June, 19(18).

[^69]:    ${ }^{1}$ N.B. All figures in square brackets refer to colour measurements: the first number denotes the orange value, the second number the yellow value. The black values have been omitted.

[^70]:    1 "Notes on Abraxas Grossulariata and how to rear it," Entomologist's Record, Vol. xiv. p. 321, 1902 and Vol. xv. p. 8, 1903.

[^71]:    ${ }^{1}$ An excellent coloured illustration of var. varleyata (Porritt) is given by W. Bowater, Plate XXVII, No. 45, Journal of Genetics, Vol. in. 1914, p. 299.

[^72]:    ${ }^{1}$ Compare the insect illustrated by Bowater (see note p. 221).

[^73]:    ${ }^{1}$ J. M. Woodlock, Journal of Genetics, Vol. v. p. 183, 1916.

[^74]:    ${ }^{1}$ Although the word "hybrid" strictly applies to species-crosses, it has been retained instead of the preferable term "cross-bred," since it was too late to make alterations in the figures at the end of the paper, where the first term had unfortunately been printed.

[^75]:    *Bred by Dr Doncaster.

[^76]:    Journ. of Gen. vili

